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Equation of State Measurements of Materials Using a Three-Stage Gun to Impact Velocities of 11 km/s

W. D. Reinhart, L. C. Chhabildas, D. E. Carroll,
Sandia National Laboratories, Albuquerque, NM 87185
T. G. Thornhill,
KTech Corp., Albuquerque, NM 87109
N. A. Winfree,
Applied Research Associates, Albuquerque, NM 87110

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Abstract

Understanding high pressure behavior of homogeneous as well as heterogeneous materials is necessary in order to address the physical processes associated with hypervelocity impact events related to space science applications including orbital debris impact and impact lethality. At very high impact velocities, material properties will be subjugated to phase-changes, such as melting [1] and vaporization [2]. These phase states cannot be obtained through conventional gun technology. These processes need to be represented accurately in hydrodynamic codes to allow credible computational analysis of impact events resulting from hypervelocity impact. In this paper, techniques that are being developed and implemented to obtain the needed shock loading parameters (Hugoniot states) for material characterization studies, namely shock velocity and particle velocity, will be described at impact velocities up to 11 km/s [3,4]. What is new in this report is that these techniques are being implemented for use at engagement velocities never before attained utilizing two-stage light-gas gun technology [5,6].

Introduction

Historically, suites of diagnostics and experimental techniques have been used to measure high-pressure, high temperature material properties resulting from impact [7]. These techniques have allowed measurements of the shock-Hugoniot, shock-loading and release behavior, material strength, shock-induced melting, and shock-induced vaporization processes in materials. All these techniques have realized material properties to form databases to develop constitutive models to represent material behavior under dynamic loading. Titanium alloy, specifically, Ti-6Al-4V, is used in these studies mainly because it is known to be fracture resistant and has been launched intact to 16 km/s. This same alloy is therefore being characterized as a standard material for use as the flyer-plate in this study. The existence of an accurate database for use as a well-known standard material will facilitate the equation-of-state (EOS) development of other engineering materials, particularly those used in space applications. This technique allows development of equation-of-state data and models of materials never before laboratory tested at impact velocities exceeding 11 km/s

Symmetric impact experiments, conducted at impact velocities of 11.2 km/s introduce a shock up to a stress level of approximately 300GPa in this alloy. Impact velocity of the flyer-plate is determined radiographically and by interferometric, VISAR (Velocity Interferometer System for Any Reflector), techniques. The VISAR [8] measures the flyer-plate acceleration

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history which can be used to estimate the thermodynamic state of the flyer-plate prior to impact; in other words, the temperature of the flyer-plate. This will be discussed later in the paper.

Until recently the highest-pressure states in materials have been achieved from impact loading techniques from two-stage light gas guns with velocity limitations of approximately 8km/s. The determination of EOS and thermodynamic states of materials in the regimes of extreme high pressures is now attainable utilizing the three-stage launcher. The implementation of this technique described in this paper will facilitate the EOS database that is needed for use with hydrodynamic codes.

History of the Three-Stage Launcher

The three stage-light gas-gun, also referred to as the hypervelocity launcher, was developed in the early nineties [9]. Since then its capabilities have been enhanced to achieve higher engagement velocities up to 16km/s [2, 4]. A variety of experimental techniques have also been developed for use with applications such as shock-induced vaporization studies [2] or to assess impact damage to substructures [10]. In these early investigations, experimental transit times were in the range of 1microsecond to over 100 microseconds after impact. The experimental studies in the above investigations do not require a high degree of precision to obtain high accuracy.

Previous shock loading and release studies on aluminum and titanium alloy at impact velocities of 10km/s [1] emphasized the need to implement experimental techniques that required a much higher degree of precision in support of EOS studies. It is the purpose of this paper to describe the methods that have been employed to achieve a higher precision needed for EOS studies. These techniques also allow an assessment on the flyer-plate conditions prior to impact such as tilt, bow, impact velocity and the thermodynamic state of the flyer, namely its density and temperature prior to impact.

The Sandia hypervelocity launcher, the three-stage gun, is briefly described here. A two-stage projectile is accelerated and impacts a stationary flyer-plate (Figure 1a), which is subsequently launched at velocities from 8km/s to greater than 11 km/s depending on the two-stage light-gas gun (TSLGG) projectile impact velocity. The loading pressure pulse on the flyer-plates must be uniform and time-dependant to prevent the melting or vaporization of the

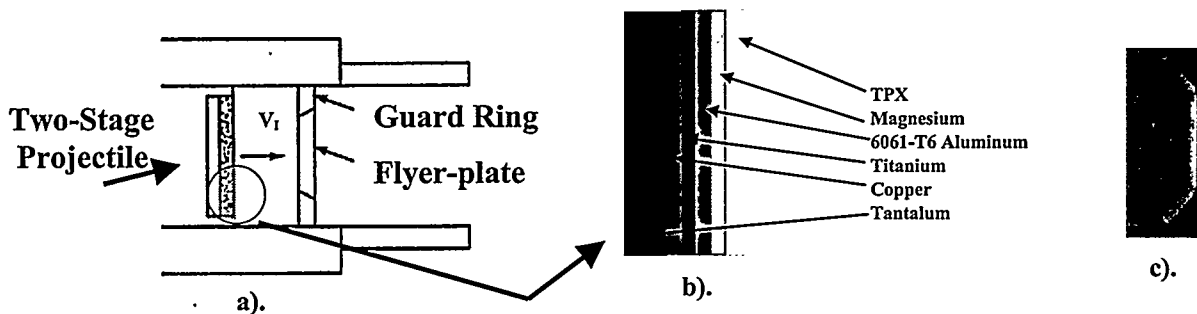


Figure 1 (a) Two-stage projectile and third stage flyer-plate configuration. (b) Graded density impactor with TPX facing impacting the stationary flyer-plate. (c) X-ray radiograph of typical three-stage flyer-plate traveling at 11.1 km/s.

flyer-plate. To accomplish time-dependent loading, carefully designed graded-density materials [11,12,13] on the TSLGG projectile are used. When this graded-density assembly, shown in

Figure 1(b), is used to impact a flyer-plate, the time-dependant pressure pulse introduces nearly shockless, megabar pressures into the flyer-plate [6,12,13].

This pressure pulse must also be tailored to prevent spallation of the flyer-plate. This technique is now routinely used to launch 17-19mm diameter, 0.6mm to 1.0 mm thick titanium flyers to better than 11 km/s and a typical flyer-plate (radiograph) is shown in Figure 1(c).

Two-Stage Projectile

The TSLGG projectile for these experiments is an integral part of the technique to launch plates to high velocities and subsequently used to obtain EOS data at extremely high pressures. The projectile velocity must be known to better than 0.2%, the graded density impactor must be intact, and the tilt of the projectile upon impact must be small for proper three-stage flyer-plate launch.

The projectile velocity is measured using a new technique call the Optical Beam Reflectance (OBR) system (Figure 2a). In these studies, five (5) fiber probes (indicated in Figure 1a) are located in the barrel extension with approximately 57mm separation, and overall separation of about 228 mm. The dimension of each station segment is known to 0.025mm. The output of the OBR is shown in Figure 1b (three outputs – typical - are shown from a low velocity shot). The transit time of approximately 20 μ s between each station is determined to better than 2ns. The implementation of this system clearly allows projectile velocity determination [27] to better than 0.2% [14,15,16].

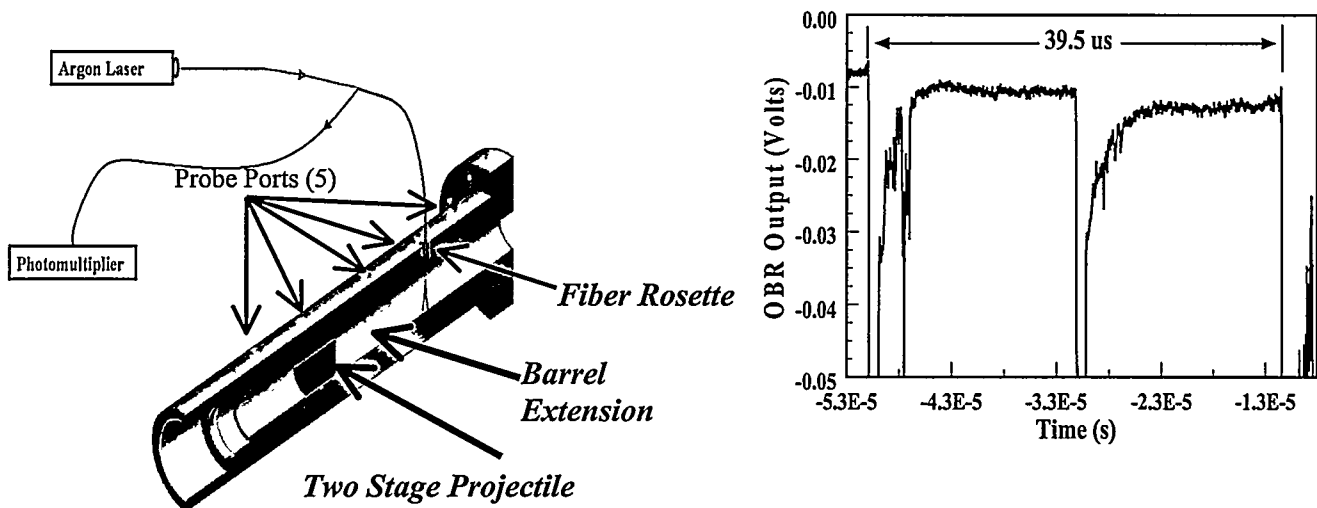


Figure 2 Cut away drawing of the OBR system. System is shown only for one port. Typical OBR output signals.

The OBR concept shown in Figure 2a uses a fiber bundle, a photomultiplier tube, laser and recording system. The fiber probe in has a 200um center fiber surrounded by nine 100 um fibers. The larger centered fiber is aligned [14,27] to transmit the laser light while the surrounding smaller nine fibers collect the reflected light from the moving projectile and is

transmitted to the recording system. All return fiber outputs are coupled into the photomultiplier tube, which reduces timing and risetime uncertainties.

Flyer-plate:

Following the launch, to obtain the EOS data the flyer must be intact, flat, the thermodynamic state known, and the velocity must also be well known for use in planar impact experiments. The determination of the flyer-plate impact velocity is crucial for obtaining accurate EOS measurements. As described above, the graded density impactor on the two-stage projectile is used as an impactor to accelerate a stationary flyer-plate to velocities greater than 11 km/s. For typical light gas gun operations, impact velocity is easily attainable to an accuracy better than 0.2%. In this study the methodology used to determine and estimate the flyer-plate impact velocity is described below.

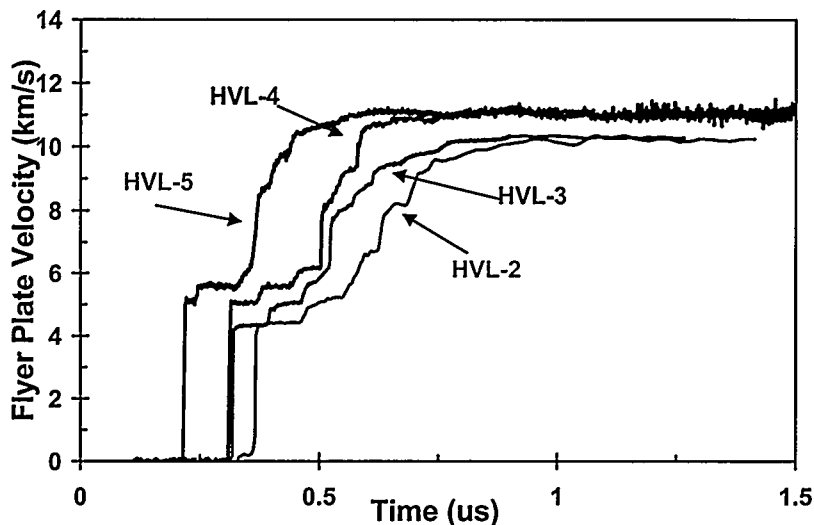


Figure 3. VISAR profiles mapping flyer-plate acceleration history.

A series of experiments were conducted to map the acceleration history of the flyer-plate using a velocity interferometer (VISAR). In addition, flash radiography was also used to determine the terminal velocity. Typical velocity profiles obtained (Figure 3), map the entire acceleration history prior to achieving terminal velocity. X-ray measurements of the flyer-plate velocity were also determined over propagation distances of about 250 mm. These flyer-plate velocity measurements using VISAR and radiography are shown in Table I. Based on the fringe sensitivity used in the velocity interferometer, the terminal flyer-plate velocity is determined to a precision better than 0.6%. The X-ray measurements over the distances previously mentioned, indicate a precision in velocity measurements to better than 0.2%.

In these experiments, the exact dimension of the graded-density material is known. Also, the TSLGG projectile velocity is measured to precision better than 0.1%. The impact velocity, dimensions of the graded density assembly on the projectile and the flyer-plate dimensions were then input into the finite difference hydrodynamic code, CTH, to calculate the flyer-plate velocity. As indicated in Table I, the results of the code calculation for the flyer-plate velocity agree remarkably well (approximately 1% for most tests) with the experimental measurements.

Table I. Comparison of calculated and experimental flyer plate velocity. The dimensions of the graded-density materials and its impact velocity is also indicated.

Test	Graded Density Impactor Dimensions (TPX / Mg / Al / Ti / Cu / Ta) (mm)	Two-Stage Projectile Velocity (km/s)	VISAR Flyer-plate Velocity (km/s)	Xray Flyer-plate Velocity (km/s)	CTH Flyer-plate Velocity (km/s)
HVLTi-2	1.021 / 0.609 / 0.483 / 0.376 / 0.312 / 1.089	6.33	9.80	ND	9.71
HVLTi-3	0.842 / 0.479 / 0.404 / 0.323 / 0.254 / 0.744	6.74	10.23	10.50	10.49
HVLTi-4	0.807 / 0.445 / 0.414 / 0.315 / 0.264 / 0.757	7.22	11.04	11.05	11.13
HVLTi-5	0.513 / 0.310 / 0.480 / 0.226 / 0.152 / 0.528	7.32	11.15	11.24	11.25

The agreement between the experiments and calculations is approximately 1-2%, (for the series of experiments conducted to characterize the flyer-plate acceleration histories) and is within the accuracy of the plate-velocity measurements. The impact velocity for the EOS experiments were therefore calculated using the CTH code and the known dimensions of the flyer-plate, graded-density impact materials, and the impact velocity of the two-stage gun projectile (Table II).

Table II. Experimental parameters for the graded-density assembly used to launch flyer-plates for the EOS experiments. The calculated flyer-plate velocity based on CTH code is also shown.

Test	Graded Density Impactor Dimensions (TPX / Mg / Al / Ti / Cu / Ta) (mm)	Two-Stage Projectile Velocity (km/s)	CTH Flyer-plate Velocity (km/s)
HVLTi7-P	0.978 / 0.617 / 0.483 / 0.371 / 0.315 / 1.089	6.28	9.50
HVLTi8-P	0.874 / 0.493 / 0.407 / 0.328 / 0.258 / 0.809	6.69	10.40

It is very crucial that the impact velocity of the two-stage projectile be determined to within 0.2% so that the flyer-plate terminal velocity can be predicted to approximately 1-2%.

Upon impact, edge-release waves emanating from the outer edge of the flyer-plate will decelerate the flyer-plate at its edges. This would have the net effect of introducing a velocity

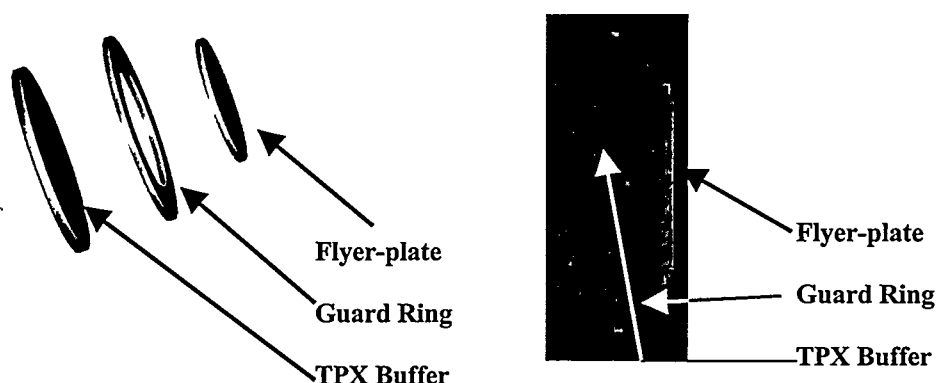


Figure 4. Design of the flyer-plate showing the concept of a guard ring and a concentric flyer. X-ray radiograph indicates the "shape" of the slower moving guard ring, while the flyer-plate traveling at 11.1 km/s remains intact and flat .

gradient during the acceleration phase with the edges moving slower than the terminal velocity. To insure that the flyer-plate is launched intact, the guard ring geometry (shown in Figure 4) is used in all experiments. The guard ring design for the flyer-plated is introduced mainly to prevent the flyer-plate bowing during the acceleration phase. The absence of the guard ring would not only induce bowing-but it would also have the tendency to fracture the plate. The measurement for the tilt and bow of the flyer-plate is discussed in a later section.

As mentioned above, a time-dependent pressure pulse is used to launch the flyer-plate. As a result of using quasi-isentropic compression pressures approaching a megabar, the flyer-plate will experience a temperature increase. The temperature of the flyer after launch was first estimated from CTH simulations. These indicated that the temperature in a flyer-plate launched to better than 11km/s and initially at room temperature reached 700K when no deviatoric or plastic effects were modeled. When these effects were included in the constitutive models used in the simulation, the temperature in the plated reached an equilibrium value of approximately 1200K when the plate reached terminal velocity. Therefore, in this investigation, a warm Ti-6Al-4V flyer-plate would impact a Ti-6Al-4V target (300K) at room temperature, calculationaly.

We then used a temperature measuring pyrometer to experimentally measure the surface temperature of a flyer plate during the launch process. Care was taken to shield the pyrometer from stray light. Two experiments were conducted. These indicated, conservatively, that the temperature did not exceed 850K when the flyer reached a terminal velocity of 10.4 km/s, or 650K when it reached a velocity of 9.8 km/s. We chose to use these values, rather than the higher temperature estimate from CTH, as upper bounds for the temperature increase of the flyer. From room temperature (300K) to 850K, the coefficient of linear expansion of Ti-6Al-4V varies nearly linearly from 8.7e-06 to 10.4e-06 mm/mm/K and then levels off [19]. For simplicity, we will use 10.4e-06 mm/mm/K for all temperatures, recognizing that we will be predicting too great a change in density at temperatures below 850K. With this value, the predicted densities are 4.368 and 4.341 g/cm³ at 650 and 850K, respectively.

In summary, these are technically not symmetric impact experiments. Hence, to use impedance matching techniques for analysis, a Hugoniot for the warm flyer-plate needs to be established to determine the particle velocity in the target plate. In the following, the steps taken to estimate a Mie-Gruneisen equation of state model for Ti-6Al-4V at 1200K are described. The same EOS model is used in all experiments in order to estimate the maximum correction required in determining the particle-velocity in the shocked target material.

The CTH distribution contains a SESAME table model of the equation of state of pure titanium includings its vapor, liquid, and solid phases. The BCAT program [17] of the CTH distribution was used to obtain points on the model's prinicpal Hugoniot and on one based at 1200 K and 0 Gpa. The principal Hugoniot was well described by straight line in the U_s , up plane;

$$U_s = c_0 + s u_p, \quad (1)$$

where $c_0 = c_0^{COLD} = 4.791 \text{ km/s}$, $s = s^{COLD} = 1.242$. The warm material was also well described by a (1) with the parameters

$$c_0^W = 4.715 \text{ km/s}, s^W = 1.240 \quad (2)$$

From the parameters for the warm and cold material we calculated the correction factors,

$$r_c = c_0^W / c_0^{COLD} \text{ and } r_s = s^W / s^{COLD} \quad (3)$$

for the corresponding c_0 and s values in equation (1).

The Hugoniot for Ti-6Al-4V [18] is well described by;

$$U_s = 4.973 + 1.111u_p \quad (4)$$

Where $c_0 = 4.973$ and $s = 1.111$. It was then assumed that the warm Hugoniot of Ti-6Al-4V based at 0 pressure and 1200K would also lie on a straight line. The “new” c_0 and S were estimated by multiplying the intercept ($c_0 = 4.973$) by the correction factor r_c and the slope ($s = 1.111$) by r_s , obtaining the relation;

$$U_s = 4.893 + 1.109u_p \quad (5)$$

The density of Ti-6Al-4V at 1200K is estimated to be $\rho_0 = 4.296 \text{ g/cm}^3$, based on the room-temperature density $\rho_0 = 4.419 \text{ g/cm}^3$ and the coefficient of linear expansion of Ti-6Al-4V, which is approximately $10.26 \text{ e-}06 \text{ (mm/mm/K)}$ above 1140 K [19].

To summarize, this analysis indicates that the Hugoniot for the warm material can be represented by its new density, at the warm temperature of the plate, and a new coefficient “c”. The slope of the $U_s - u_p$ curve is very nearly the same in each case.

Target Configuration

In this study, a titanium alloy, Ti-6Al-4V (6% wt. Aluminum and 4% wt. Vanadium) was used to establish it as a standard material for EOS investigations. The target was fabricated from Ti-6Al-4V as a “two-stepped-target” (Figure 5) and aligned for planar impact from the flyer. As shown in Figure 5, unlike previous studies (23,24), two different sized holes were drilled into the target on two separate diameters. The outer diameter, which is referred to as the “A” Plane has twelve locations for (6) anodized self-shorting pins and (6) 100um diameter optical fiber “needles”.

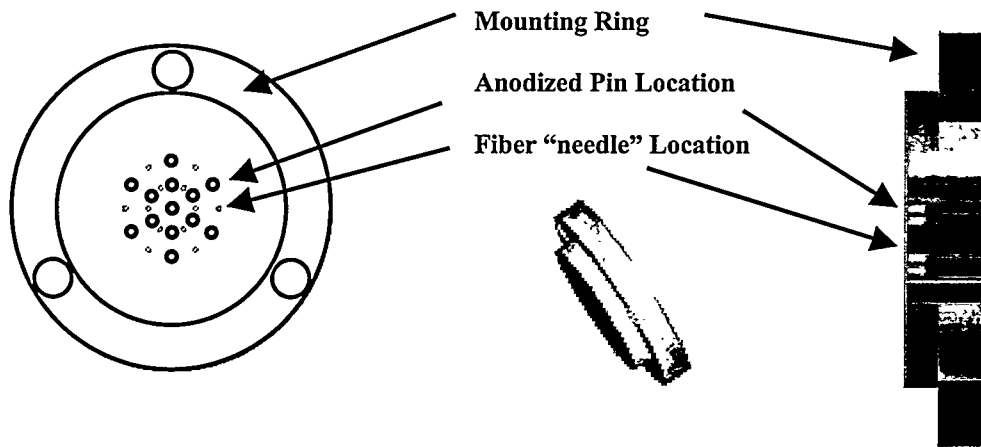


Figure 5. A drawing of the anodized pins and fiber-optic needles target configuration.

The fibers are inserted in a 500um syringe (hence the reference of the fibers as “needles”). The center of the target uses either a pin or a needle, which is on the “A” Plane as well. Inside the A-plane diameter is another twelve pins and needle locations which are distributed over the “B” plane and are located in the same angular positions to that of the A-plane pins and needles.

The pins and needles are inserted into the drilled holes, which have a clearance of about 0.02-0.03mm. Because of the tight tolerance for the clearance holes and radii dimension call out, the pin radii will vary by less than 0.5 mm and the fiber radii will be better than 0.1mm. The angular separation of the pins and needles is $60^\circ \pm 1^\circ$.

For these experiments, the hole depth is accurately known to within 0.02mm and the surface finish uncertainty is approximately 10um. This results in an uncertainty of approximately 1-2% in estimating the sample depth; i.e.. thickness dimensions.

Shock Velocity Measurements

The experimental premise for the EOS experiments is determined by the Rankine-Hugoniot relations [20], which are based on the conservation of momentum, mass, and energy across the shock front wave as it travels through matter. These relations are:

$$P-P_0 = \rho_0(U_s-u_0)(u_p-u_0); \quad (6)$$

$$V = V_0[1-(u_p-u_0)/(U_s-u_0)]; \quad (7)$$

$$E-E_0 = \frac{1}{2}(P+P_0)(V_0-V) \quad (8)$$

where P_0 , ρ_0 , V_0 , E_0 and u_0 are, initial pressure, density, specific volume, specific internal energy, and the mass velocity of the material. P , V , E , are the final shock pressure, specific volume, and specific internal energy respectively, and U_s is the velocity of the shock wave and u_p is the mass velocity behind the shock front. Thereby we have four initial state and five final state variables.

In most instances all of the initial-state variables are known and two of the final state variables are either known or measured. The remaining final-state variables can then be obtained from the Rankine-Hugoniot relations. In these experiments, the initial states P_0 , ρ_0 , E_0 and u_0 are known. The shock velocity, U_s , is measured in these experiments and u_p is deduced from the impact velocity, since the impact conditions are very nearly symmetric. If the experimental conditions were exactly symmetric then the material velocity (u_p) behind the shock front is one-half the impact velocity. However, since the flyer-plate temperature is warmer than the target (which is at room temperature) the warm Hugoniot for Ti-6Al-4V is used to determine the material velocity behind the shock in the target plate.

Shock wave velocities are determined by measuring shock transit times over a known distance between two parallel planes in the target. In these experiments, the planes are about 2mm apart and shock transit times are of the order of 150-200ns measured with two types of time-of-arrival detectors (anodized pins and needles). All cable lengths and fiber runs are identical to within 0.4ns and the recording instrumentation has sub-nanosecond time resolution.

Care was taken to ensure that the location of the pins and needles were such that the edge release disturbance starting from the A-plane pin or needle did not interfere with those detectors on the B-plane. In particular, the target was designed so that the radial distance between the time-of-arrival detectors on the A plane and the B plane was always appreciably greater than the distance between the two planes. This ensures that edge release waves emanating on the A plane, would not interfere with the arrival of the shock front at the B plane. Two-dimensional simulations of the experimental geometry verified that one-dimensionality plane loading conditions were maintained during the shock transit time between the two planes.

Electrical pins work extremely well at high-pressure regimes attained from conventional TSLGG, and at three stage light-gas gun impact velocities. In addition to the anodized pins, we have utilized fiber-optic "needles" as a passive time of arrival detector. Since the dimensions of the fiber optic cables are smaller than that of the electrical anodized pins, it becomes an ideal

detector, and has the potential of being employed in smaller diameter samples to measure transit times smaller than those used in this study—and to the same degree of precision

The fibers consist of Polymicro 100 μm diameter, pure fused silica core inserted into a 500 μm tube and its end coated with a thin metal layer, normally aluminum, thick enough to shield any extraneous light. As the shock front arrives at the tip of the fiber, the fiber luminesces [21,22] and sends a signal to an optical detector at the other end. The optical detectors used for these tests were low-noise photomultiplier units electronically modified to obtain 1ns-rise times. The reasoning for embedding the fiber/needle assembly in the target, as indicated in Figure 5, is to ensure that all of the fibers have the same external configuration. This is significant so that the mechanism of luminesces as the stress front arrives, is identical in all instances. The same holds true for the anodized pins. The pins are placed also in a tight tolerance drilled hole. This shields the pins from extraneous sources such as ionized gases, or ejecta from the material.

Having established shock velocity detectors and utilizing the described target configuration, if impactor and target were perfectly flat and parallel, arrival times on a given plane would occur simultaneously. However, tilt and shock front distortion (bowing of the impactor) will cause the arrival times to be at times quite different—even similar to the transit time between the two planes. To understand arrival times properly, the shape and orientation of the shock front must be known. The data-analysis techniques for shock velocity measurements taking into considerations for bow and tilt have been documented [23,24], and are also used in our current studies to allow a precise measurement for shock velocity.

Results and Conclusions

Shock-Velocity Determination

The technique described in the earlier sections is designed to measure shock velocity. The shock front produced in the target will depend on the “shape” of the impactor as it strikes the surface of the target. Therefore, a convex or concave impactor will produce a convex or concave shock front. Figure 6 depicts the shock front arrival on both the A & B planes. Notice that the time of closure resulting from tilt over an impact diameter of 13mm is better than 12 ns. Likewise the B plane fiber closure time indicates better than 6ns closure over a diameter of 6.5mm.

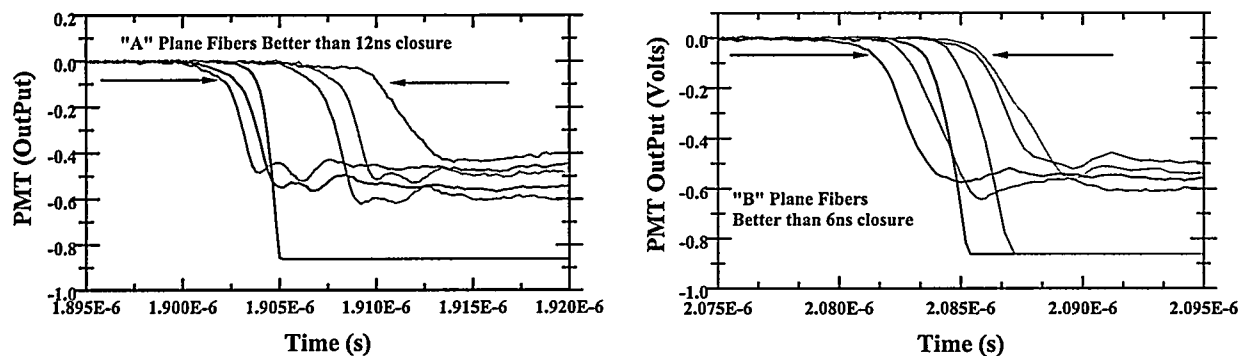


Figure 6. Typical Output of the photomultiplier tubes indicating the arrival of the shock front at the respective locations. Note the risetime of the output signals is about 1ns.

Table III

Shot	Sensors	V_0 km/s	U_s km/s	U_p km/s	P (GPa)	ϵ	Tilt (mrad)	Bow (ns)
HVLTi7-P		9.77	10.44*			0.444		
	Pins		10.616	4.737	222.239		4.272	~10
	Fibers		10.564	4.746	221.569		2.904	~10
HVLTi8-P		10.4	11.03*			0.459		
	Pins		10.983	5.044	244.828		5.303	4.718
	Fibers		11.074	5.028	246.060		8.223	5.805

* Average of two sensors

An analysis of the experimental records, indicated in Figure 6, suggests that the flyer is axially symmetric; the two circular arrays of needles produce the same tilt angle of the impactor (with respect to the target), and the impact distortion is parabolic. The data from the fibers indicate a flyer-plate bow of 5ns and a corresponding tilt of about 8.5 milliradian. The precision of our diagnostic system is better than a nanosecond, which translates to a shock velocity measurement of approximately 11 km/s to +/- 0.05 km/s for this experiment.

Comparing the fiber-optic needle data with the anodized pin data that was on the same experiment provided redundancy while validating the new technology of using fiber-optic needles to obtain shock velocity. As shown in Table. III, the pin and needle shock velocity data was comparable for the tests that were performed. The different estimate for the times representing the bow is due to the difficulty of placing both an anodized pin and a fiber-optic needle at the center. This uncertainty is conjectured to be due to the inherent differences in the two types of time of arrival detectors diagnostic response with respect to each other.

Even though a limited number of experiments are indicated in this report, results of other experiments on other materials [25] do indicate that the shock velocity measurements are determined to an accuracy of better than 1-2%.

Particle-Velocity Determination

As mentioned previously, to determine a complete EOS of a material, one needs to measure two physical quantities at high pressures. In this study, both shock velocity and particle velocity measurements are made. To determine the particle velocity, impedance matching technique [26] used. This is indicated in Figure 7. In the figure the common solution to the straight line CA and the Hugoniot for warm Ti-6Al-4V centered at V_I is solved to obtain the particle velocity u_p in the material resulting from impact. These results are shown in Table III. Using the Rankine-Hugoniot relations, one can determine the stress-volume relations from equations (6) and (7) as the following:

$$P = \rho_0 U_s u_p \quad (9)$$

$$V = V_0[1-(u_p/U_s)] \quad (10)$$

These results are summarized in figures 8, 9, and 10 as $U_s - u_p$, $P - u_p$, or $P - V$ relations. A linear least square's fit from the data shown in Figure 8, can be expressed as;

$$U_s = 4.816 + 1.195u_p \quad (11)$$

The current U_s and impact velocity is determined to an accuracy of approximately 1.0%. This

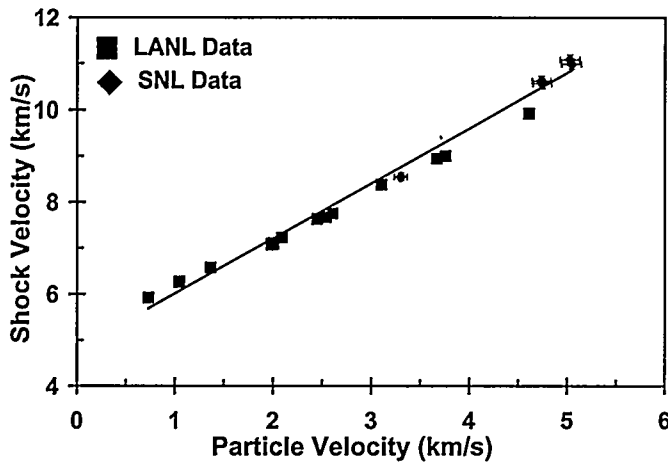


Figure 8. Shock velocity – particle velocity relationship

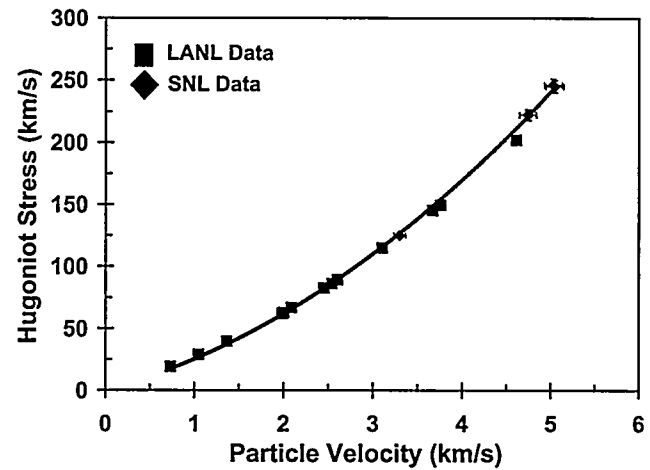


Figure 9. Pressure – particle velocity relationship

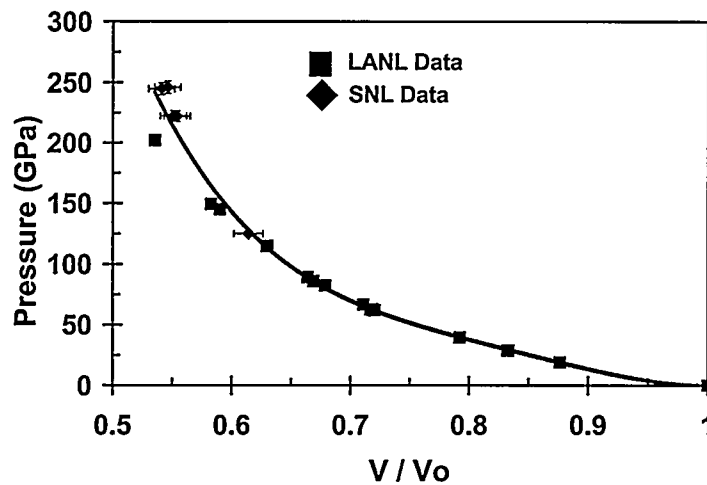


Figure 10. Pressure – Volume relationship

limits the particle velocity determination to an accuracy of approximately 2.0%. Future improvements to the technology will focus upon determining the impact velocity directly during the experiment. This will, however, require that the sample dimensions be smaller than those used in our current investigation. This can be done by improvements in the time-resolution of the time-of-arrival detectors either by using streak camera recording devices or complimenting hose studies with the use of a continuous Line VISAR. Increasing the precision to better than a factor of two appears easily attainable.

To summarize, a technique has been developed to estimate the equation of state of materials using the three-stage light-gas gun also referred to as the Hypervelocity Launcher in the literature. In this study we are reporting the first EOS measurements of materials at impact velocities to better than 11 km/s.

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