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# Fault Current Limiter - Predominantly Resistive Behavior of a BSCCO Shielded-Core Reactor

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**Abstract**—Tests were conducted to determine the electrical and magnetic characteristics of a superconductor shielded core reactor (SSCR). The results show that a closed-core SSCR is predominantly a resistive device and an open-core SSCR is a hybrid resistive/inductive device. The open-core SSCR appears to dissipate less than the closed-core SSCR. However, the impedance of the open-core SSCR is less than that of the closed-core SSCR. Magnetic and thermal diffusion are believed to be the mechanism that facilitates the penetration of the superconductor tube under fault conditions.

**Index Terms**—fault current limiter, magnetic diffusion, SSCR, transformer model.

## INTRODUCTION

In 1974, a consensus of Electric Power Research Institute listed the need for a fault current limiter (FCL) as a top priority research and development (R&D) item [1]. However, almost all the devices considered some two decades ago were either technically or economically unsuccessful. The discovery of high- $T_c$  superconductors more than a decade ago renewed interest in FCLs and there is a worldwide R&D effort aimed at pursuing various concepts of FCLs [2]. A leading candidate of high- $T_c$  FCL is the so-called superconductor shielded core reactor (SSCR). The SSCR is a passive device and consists mainly of a closed iron core inside a superconductor tube and a copper coil wound on the outside of the superconductor tube [3-10]. The SSCR uses the shielding capability of a superconductor tube to keep the inductance low under normal operating conditions. Under fault conditions, the large current in the copper coil exceeds the shielding capability of the superconductor tube and there is a jump in impedance because the iron core is no longer shielded from the coil by the superconductor tube. Originally, it was thought that the SSCR is an inductive device, because the coupling between the superconductor and the primary circuit is magnetic in nature. For some time, however, it has been realized from test results that the SSCR is really a resistive device and the superconductor tube heats up considerably during a fault, and its recovery usually takes much longer than that of an inductive device because heat has to be removed from the superconductor after the fault is cleared. There is still, in general, a lack of understanding of how the superconductor tube behaves both magnetically and

thermally during a fault. In this paper, we report the results of testing a SSCR with both a closed and an open core under symmetric and asymmetric fault conditions. Tests were also conducted to determine the ac steady-state shielding capability of the melt-cast processed BSCCO tube.

## TEST SECTION AND SSCR ASSEMBLY

The assembled SSCR is sketched in Fig. 1, illustrating the arrangement of the steel core, the BSCCO tube, the exciting coil and the pickup coil. With the cross-member in place the SSCR is referred to as "closed-core," and with it removed as "open-core." Each core section is about  $65 \text{ cm}^2$ , with the two vertical limbs some 25 cm long, having a center-center separation of around 15 cm.

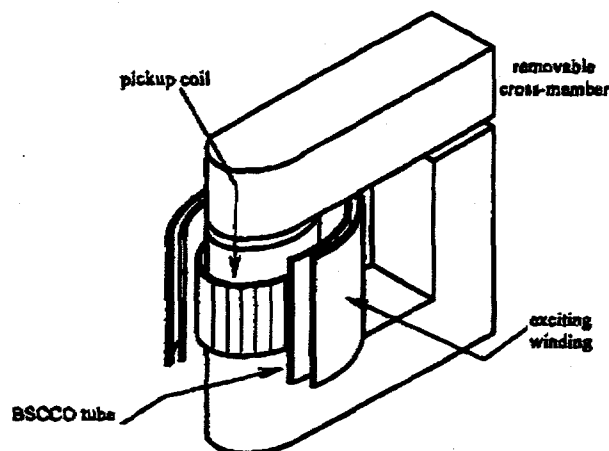


Fig. 1. Two-piece laminated core showing BSCCO tube, exciting and pickup coils and removable cross-member.

The two-piece steel core was made from 0.6-mm-thick laminations of M22 steel, having both coils and the BSCCO tube mounted on one leg of approximately circular cross-section. Each of the two coils comprised 100 turns of magnet wire wound in two layers, the exciting coil (AWG 10) over a profiled fiberglass mandrel, and the pickup coil (AWG 35) directly onto the steel core over a layer of Kapton™ tape. Not shown in the sketch are two bonded-fiber end-rings which act not only to hold the BSCCO tube and exciting coil in place, but also to permit  $\text{LN}_2$  to flow into the spaces between the parts. The entire assembly was submerged in  $\text{LN}_2$  for the duration of the tests. No special measures were taken to guide the electrical connections out of the cryogenic container, except to prevent excessive mechanical movement during the tests.

The BSCCO tube is supplied by Aventis (formerly Hoechst). The outside diameter of the BSCCO tube is 113 mm and the wall thickness is 6 mm. The axial length of

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the tube is 200 mm. To make the tube stronger mechanically, the outside of the tube is coated with a thin layer of fiberglass composite. The manufacturer supplied data indicates that the ac steady-state critical current (maximum shielding capability) of the tube is about 5,000 A.

### EXPERIMENTAL RESULTS

The first series of tests were conducted to determine the ac steady-state characteristics of the SSCR and the results are shown in Fig. 2. The vertical coordinate  $\Delta t$  is defined as the time interval from the beginning of the test to the time when current limiting begins. It can be observed that  $\Delta t$  decreases sharply with the system voltage. For system voltage less than 40 V, the superconductor is able to shield the applied magnetic field completely. For very large system voltages (>300 V), field penetration occurs quickly. This observation is consistent with the results reported by Cha and Askew [11], who found that the penetration field depends on the ramp rate of the excitation current. Similar results were also reported recently by Meerovich, et al. [5].

Most of the tests were conducted for a duration of approximately 90 ms (5 cycles at 60 Hz). Typical current and voltage profiles of a 5-cycle test are shown in Fig. 3. For this particular test (closed core), it can be seen that current limitation begins very early (a few milliseconds) in the test. Also shown is the instantaneous power dissipation of the SSCR. The peak power dissipation occurs shortly after significant current limitation and the power dissipation begins to decrease from then on. This is because the induced current in the superconductor tube begins to decrease as the temperature increases. In general, the experimental data show that, after field penetration, the voltage and current are in phase for the closed-core SSCR while the voltage and current are out of phase for the open-core SSCR. The phase angle increases with generator voltage for the open-core tests. This means that the open-core SSCR becomes more inductive as the system voltage increases. From the data on phase angle between V and I and the ratio of  $V(\text{peak})/I(\text{peak})$ , we can calculate the resistance R and the reactance  $X_\phi$  of the SSCR (assuming sinusoidal wave form). The R and  $X_\phi$  are determined by assuming that these two elements are in parallel.

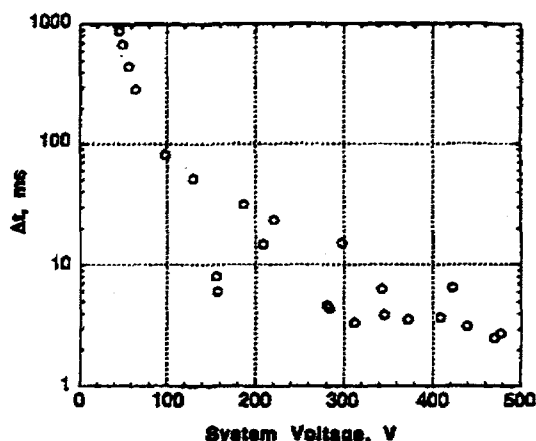


Fig. 2. Variation of  $\Delta t$  (defined as the time interval from the beginning of the test to the time when current limiting occurs) with system voltage.

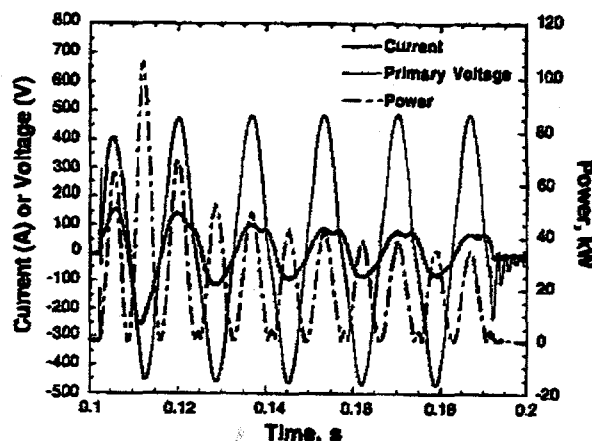


Fig. 3. Typical profiles of current, voltage, and power dissipation of a closed-core SSCR.

### CLOSED-CORE TESTS

Figure 4 shows the calculated resistance R of the SSCR as a function of time. The resistance R increases with time and the generator voltage. Figure 5 shows the calculated reactance  $X_\phi$  of the SSCR as a function of time. The reactance increases from a small value at the beginning of the test to very large value (say 100  $\Omega$ ) as time goes on. Initially, both R and  $X_\phi$  are small. As test goes on, both R and  $X_\phi$  increase with time. However,  $X_\phi$  increases much faster than R and soon  $X_\phi$  becomes much larger than R. When this happens, the SSCR becomes a resistive device because all the current is going through R. The abnormal behavior of test 113 in Fig. 5 is probably due to the distortion of wave shape which always occurs at relatively high generator voltage.

### OPEN-CORE TESTS

Figures 6 and 7 show the calculated resistance R and reactance  $X_\phi$ , respectively, as a function of time for the open-core tests. The resistance R of the open-core test (Fig. 6) is quite similar to that of the closed-core test (Fig. 4). They both increase with time and are of the same order of magnitude (from one to several Ohms). The reactance  $X_\phi$  of the open-core tests (Fig. 7) showed quite different behavior

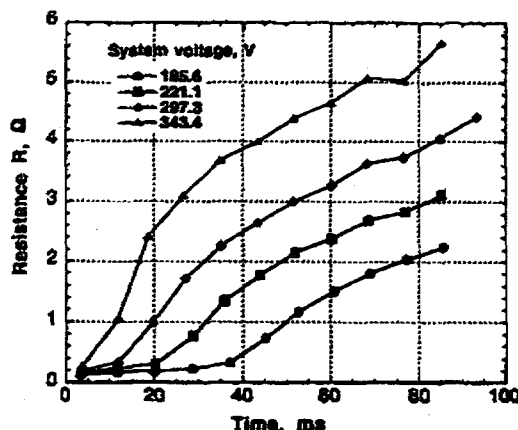


Fig. 4. Calculated resistance R as a function of time for closed-core tests.

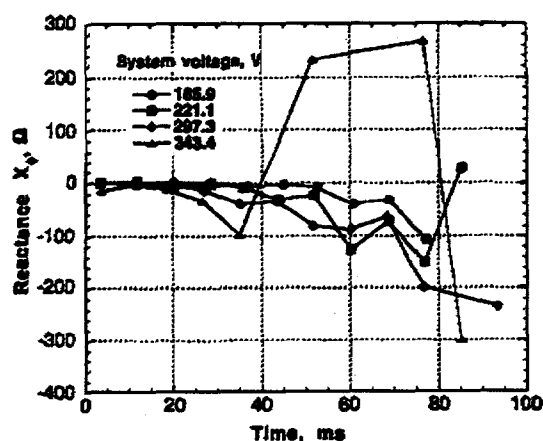


Fig. 5. Calculated reactance as a function of time for closed-core tests.

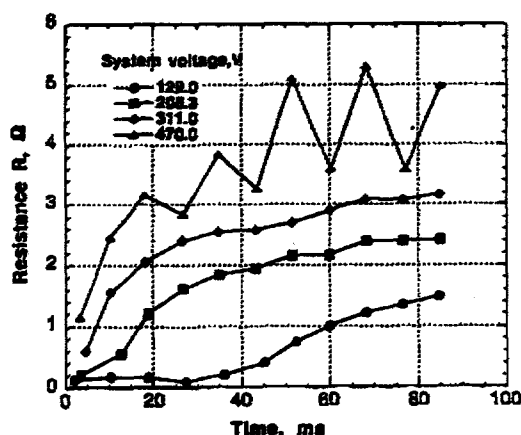


Fig. 6. Calculated resistance  $R$  as a function of time for the open-core tests.

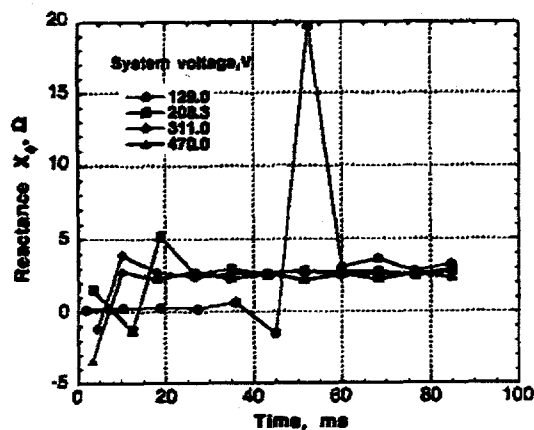


Fig. 7. Calculated reactance as a function of time for the open-core tests.

from that of the closed-core tests (Fig. 5). First, the reactances in the open-core tests are much smaller than those of the closed-core tests. Second, except for the initial period, the reactance in the open-core tests reaches about 3  $\Omega$  and remains there for the rest of the test, unlike that in the closed-core tests, which continues to increase to very large values (100  $\Omega$  or higher). Third, the resistance and the reactance are of the same order of magnitude for the open-core tests. Because the open-core SSCR is more inductive, it dissipates

and heats up less than the closed-core SSCR. The disadvantage of the open core is, however, that the inductance is very limited because the effective  $\mu$  is relatively small compared to that of a closed core. It is not clear why test 129 in Fig. 7 shows the exceptional behavior.

#### EQUIVALENT CIRCUIT OF THE SSCR

Figure 8 shows the simplified transformer equivalent circuit, where  $R_c$  is the core-loss resistance,  $X_m$  is the core magnetizing impedance,  $X_l$  is the core-leakage reactance,  $R_2$  is the BSCCO tube resistance,  $R_p$  is the resistance of the primary winding and  $X_p$  its associated reactance.

As can be appreciated from the figure, the SSCR impedance is the total equivalent impedance looking into the terminals of the circuit of Fig. 8. Since in general both  $R_p$  and  $X_p$  will be both small and constant throughout the operating current range of the SSCR, and the leakage impedance is also small because of the close coupling of the components, then the main influences on the behavior of the device will come from the interaction of the core and BSCCO tube parameters.

Based on core parameters derived from our tests, Fig. 9 shows the variation in the apparent impedance of the SSCR as the tube resistance,  $R_2$ , increases. For very small  $R_2$ , the SSCR impedance is dominated by the leakage impedance of the equivalent transformer. With increasing  $R_2$ , the SSCR quickly becomes resistive, reflecting the changes within the BSCCO tube during the magnetic/thermal diffusion process. Only when  $R_2$  becomes very large does the SSCR again begin to look inductive, reflecting now the magnetizing

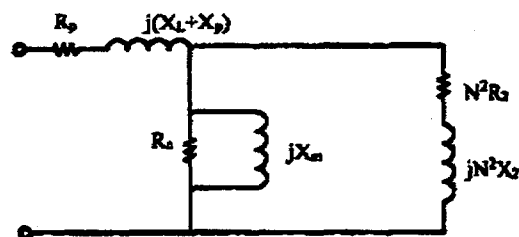


Fig. 8. Equivalent circuit of the SSCR.

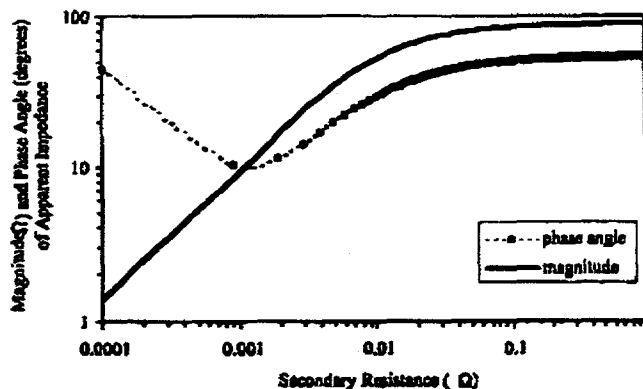


Fig. 9. Variation of the impedance with the resistance of the tube  $R_2$ .

inductance of the laminated steel core. Only when the transition of the BSCCO tube is both fast and very large can the SSCR be tuned in the manner referred to by Paul et al. [12]. Based on the results of our tests, this tunable regime is very difficult to attain, since even in the normal state, the resistance of the BSCCO tube is smaller than the magnetization inductance of the equivalent transformer.

#### MAGNETIC/THERMAL PENETRATION OF THE SUPERCONDUCTOR TUBE BY THE APPLIED MAGNETIC FIELD

The experimental data clearly demonstrate that the applied field penetrates the superconductor tube because otherwise the transformer model would not have worked so well to explain all the experimental results. We know the results are not entirely due to thermal effects, because the tube is not thermally quenched yet when significant current limiting begins (the total energy dissipated is far below that needed to thermally quench the superconductor tube). We believe that the field penetration is the result of the combined effects of magnetic and thermal diffusion [13]. Magnetic diffusion is enhanced by two factors. First is the current density, which is much larger than the critical current density in a transient experiment. This large induced current will greatly increase the resistivity of the superconductor tube. This will result in increased rate of magnetic diffusion because the diffusion coefficient is linearly proportional to the resistivity. Even without temperature change, magnetic diffusion becomes much faster and the diffusion time becomes comparable to the characteristic time of a 60-cycle system just because the induced current is larger than the critical current during the transient. The second factor that will enhance magnetic diffusion is the temperature rise as a result of dissipation. Temperature increase will also increase the resistivity of the superconductor. This further increases the rate of magnetic diffusion and the superconductor is readily penetrated by the applied field with a characteristic time of a few milliseconds. Thus, the combined effect of increased current density (over the critical current density) and temperature increase due to dissipation facilitated the penetration of the superconductor tube by the applied magnetic field.

#### SUMMARY AND CONCLUSIONS

The transformer model appears to explain the experimental results quite well both for a closed and an open-core SSCR. The closed-core tests are resistively dominated and the open-core tests are both inductive and resistive. The closed-core SSCR is mostly resistive because the reactance of the primary coil and the unsaturated core is much larger than the reflected resistance of the superconductor tube. The result is that most of the primary current is consumed in the superconductor tube and very little current is needed to magnetize the core. The open-core SSCR is both inductive and resistive simply because the inductance of an open core is much smaller than that of a closed core and primary current is shared between the magnetizing current and the secondary current. The fact that the closed-core SSCR provided a higher impedance than that of an open-core SSCR can be explained by the equivalent circuit shown in Fig 8. The parallel configuration guarantees that the net impedance is smaller than the impedance of either element. Because the inductance of the open-core SSCR remains fairly constant, the net impedance always remains

below that of the closed-core no matter what the reflected resistance is from the secondary circuit. The impedance of the closed-core SSCR, on the other hand, continues to increase with the resistance of the superconductor tube.

Finally, experimental evidence indicates that significant current limiting begins after the applied field has penetrated the superconductor tube. We believe that the field penetration is the result of the combined effect of magnetic and thermal diffusion in the superconductor. Increased current density (over the critical current density) and increased temperature in the superconductor enhance magnetic diffusion. The rate of magnetic diffusion increases with the resistivity of the superconductor. Both the increased current density and the increased temperature will increase the resistivity and facilitate the penetration of the superconductor tube by the applied field.

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