

Nuclear Physics with Antiprotons*

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MASTER

Dover

Outline : NUCLEAR PHYSICS WITH ANTIPROTONS

1) salient features of two-body $N\bar{N}$ interactions

$$N\bar{N} \leftrightarrow NN$$

annihilation mechanisms (quark models)

optical model phenomenology

2) $\bar{N}$ -nucleus interactions (elastic, inelastic)

new cross section data (LEAR, BNL, KEK)

optical potentials

signatures of spin-isospin dependence
of $N\bar{N}$ force

$(\bar{p}, p)$ reaction

3) $\bar{N}$ -nucleus annihilation processes

features of cascade or fluid dynamics calcs.

searches for baryonium and other exotica

meson interferometry

$(\bar{p}, NN)$ reactions

⋮

Features of the two-body $N\bar{N}$ Interaction

a) G-parity transformation for meson exchange

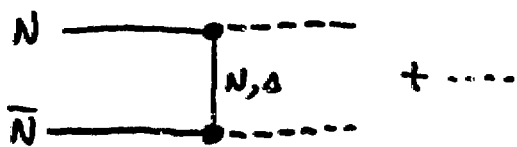
$$V_{NN} = \sum_i \text{diagram} = \sum_i V_i \Rightarrow V_{N\bar{N}} = \sum_i (-)^{G_i} V_i$$

where $G_i = C_i (-)^{I_i} = (-)^n$ for n pions

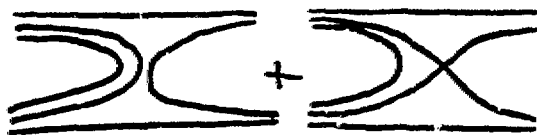
Consequences: π, ω change sign $\rightarrow$ strong attract
coherence in central and tens
forces $\rightarrow$ dramatic spin effects
(ex. $\sigma_{\pi\pi} \approx 3\sigma_{\pi\omega}$ for $\bar{p}p \rightarrow \bar{n}\pi$)

b) strong annihilation for $N\bar{N}$ (absent for NN)

baryon exchange picture:



Quark picture:



1) $\sigma_{TOT} \approx 250 \text{ mb}$ at $300 \text{ MeV}/c$;

$$\sigma_{Ann} \approx \pi(R+\lambda)^2 \rightarrow R \approx 1.5 f_m$$

$$\sigma_{Ann}/\sigma_{EL} \approx 2$$

2) mean multiplicity of pions $\boxed{\langle N_\pi \rangle \approx 5}$ at $\sqrt{s} =$

Phenomenological NN Optical Potentials:

$$U(r) = V_{\text{meson}}(r) + V_{\text{Ann}}(r) - iW(r)$$

a) Absorption independent of spin S , isospin I , energy E

Dover-Richard, Phys. Rev. C21, 1466 (1980)

$$V_{\text{ann}}(r) - iW(r) = -(V_0 + iW_0) / (1 + e^{(r-R)/a})$$

$$R = 0.8 \text{ fm}, a = 0.2 \text{ fm}, V_0 = W_0 = 500 \text{ MeV}$$

b) Absorption strongly dependent on S, I, E

Coté et al, Phys. Rev. Lett. 48, 1319 (1982)

$$W(r) = \{ g_c(1 + f_c E) + g_{ss}(1 + f_{ss} E) \vec{\sigma}_1 \cdot \vec{\sigma}_2 + g_T S_2$$

$$+ (g_W/4m^2) \vec{L} \cdot \vec{S} \frac{1}{r} \frac{d}{dr} \} \frac{K_0(2mr)}{r} \quad \text{for } I=0, 1$$

Features:

$$W^{S=0} \gg W^{S=1} \quad \frac{1}{2m} = 0.1 \text{ fm}$$

$$W^{00} : W^{10} : W^{01} : W^{11} = 1 : 0.81 : 0.11 : 0.07 \quad \text{for } E \approx C$$

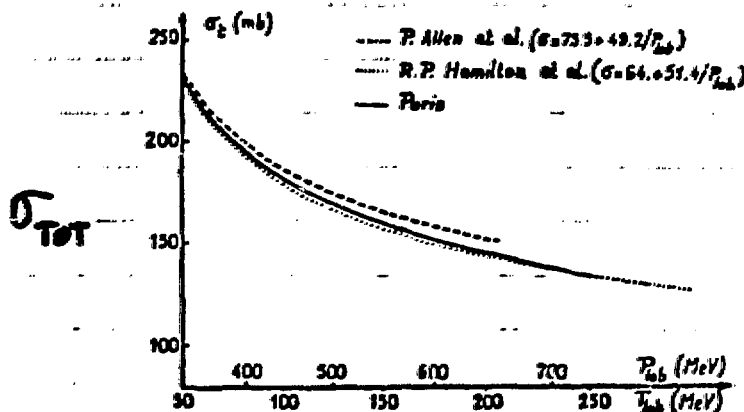
$$W^{00}(200 \text{ MeV}) / W^{00}(100 \text{ MeV}) \approx 1.6$$

c) coupled channel model (Nijmegen group)

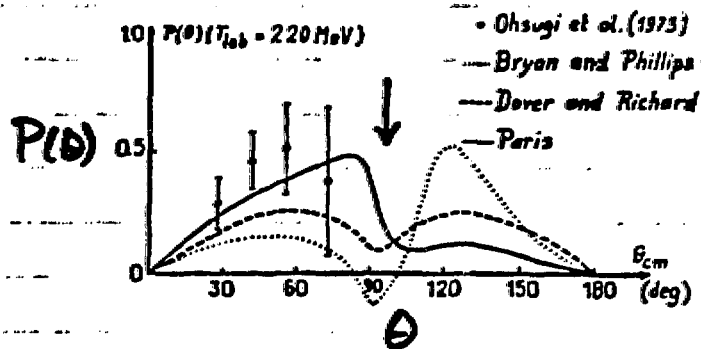
Timmers, van der Sanden & de Swart, Phys. Rev. D29, 1928 (1984)

Features: coupling potentials depend on I , not S or E
longer range (0.3-0.4 fm) than Coté et al

Sample fits to NN Data by Paris group



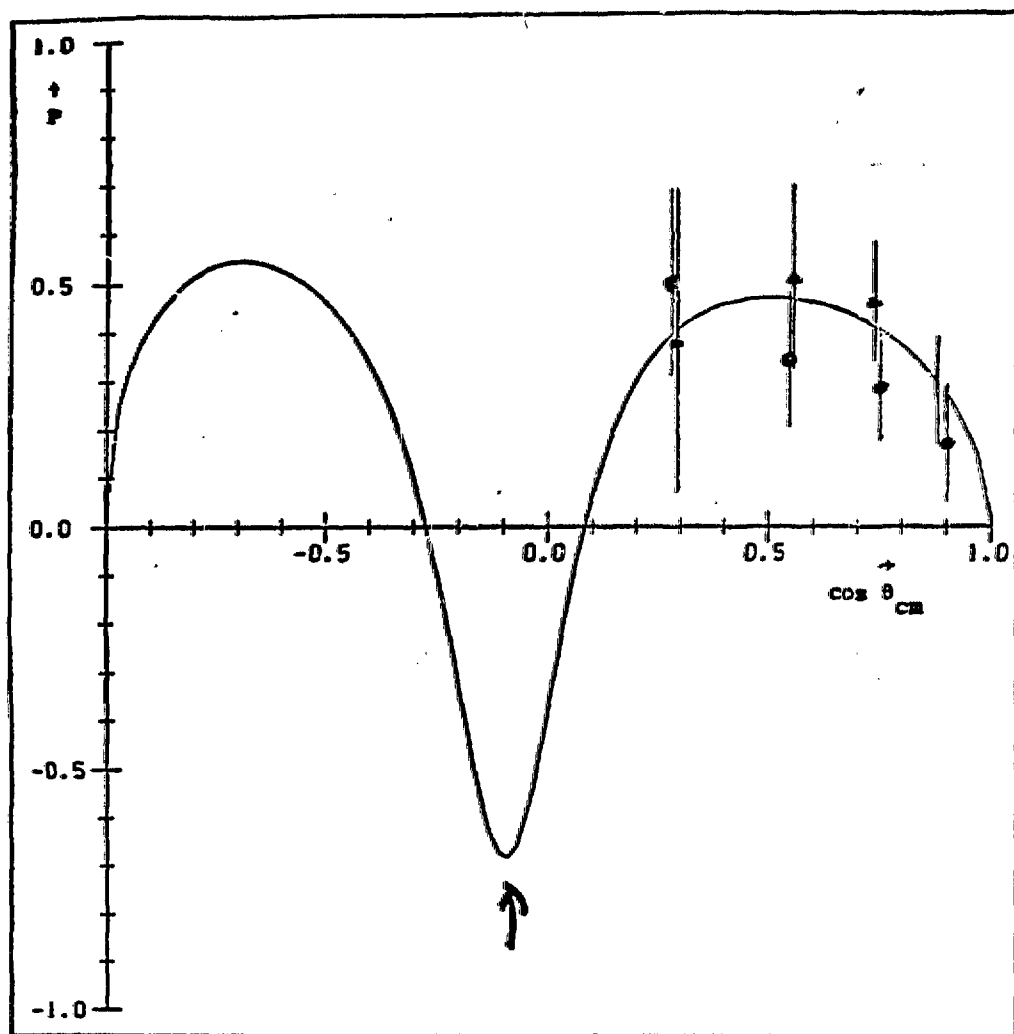
TOTAL CROSS
SECTION



POLARIZATION
at $E = 220$ MeV

J. Côté et al., Phys. Rev. Lett.
48 (1982) 1319

Sample fit to $N\bar{N}$ data by Nijmegen group

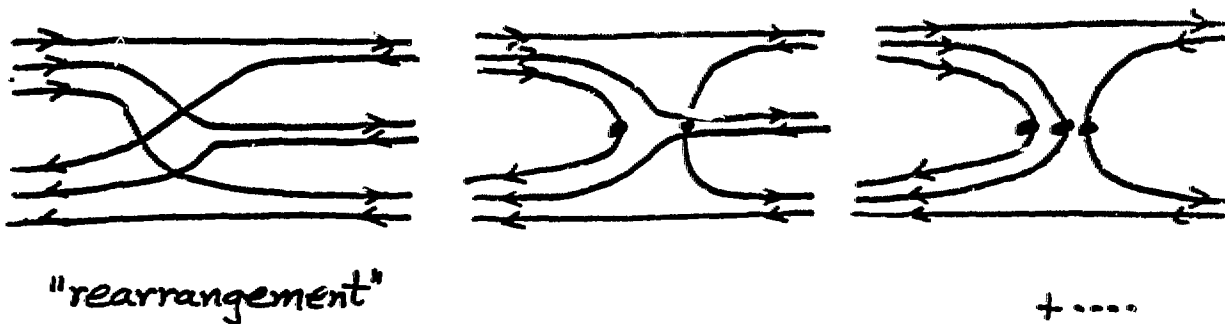


P(15)

Elastic Polarization at $E = 230$ Mev

Guidance from the quark model:

Mechanisms:



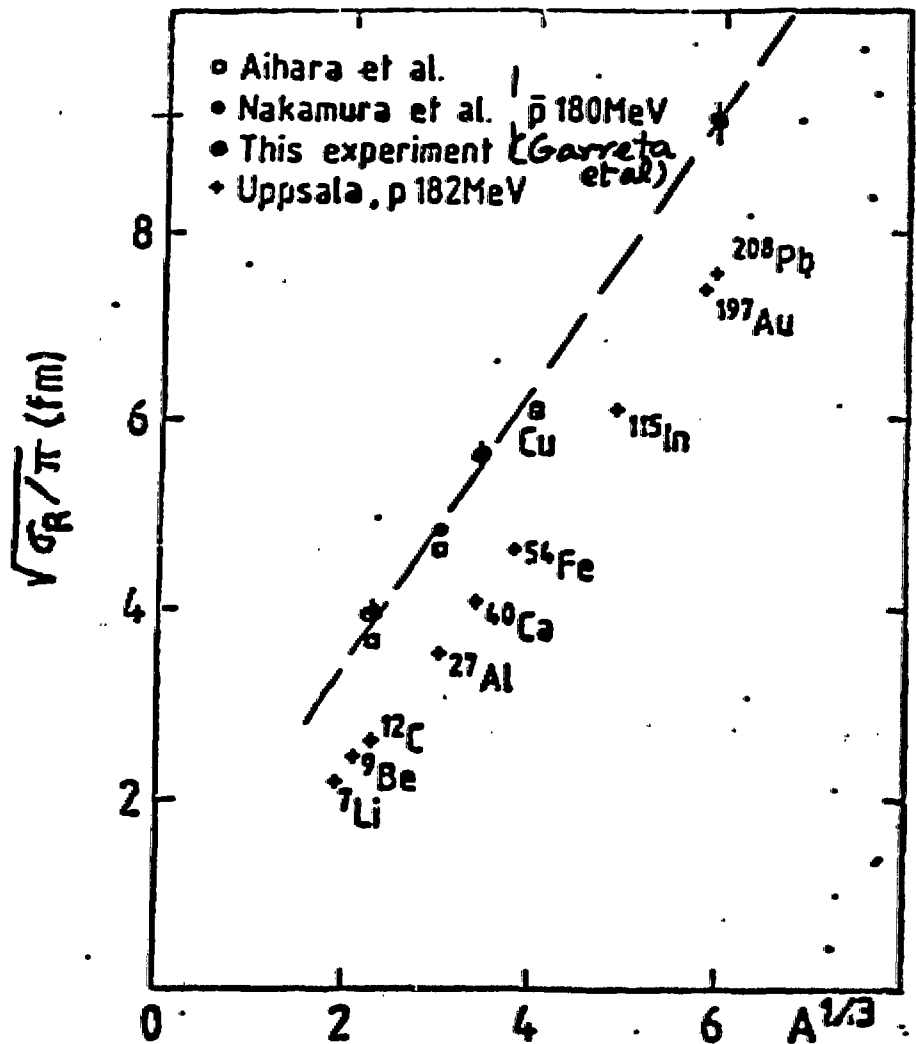
The "rearrangement" process gives rise to a separable annihilation potential (s-wave)

$$V_{\text{ann}}(\vec{r}, \vec{r}') = \underbrace{-\frac{\hbar^2}{M} \lambda}_{\text{free parameter}} \underbrace{I_{\text{ann}}(I, S, E)}_{\text{oscillator wave fens. for the quarks}} e^{-\frac{3}{4} \beta (r^2 + r'^2)}$$

This model is consistent with observed relative branching ratios for $N\bar{N} \rightarrow M_1 M_2 M_3$ ($M_i = \pi, \eta, \rho, \omega$)

Refs: M. Maruyama + T. Ueda, Nucl. Phys. A364, 297 (1981);
 Prog. Theor. Phys. 69, 937 (1983)
 preprints OUAM 84-3-1 and 84-6-2
 A.M. Green and J. Niskanen, Nucl. Phys. A412, 448 (1984)
 Helsinki preprint HU-TFT-84-19
 HU-TFT-84-33

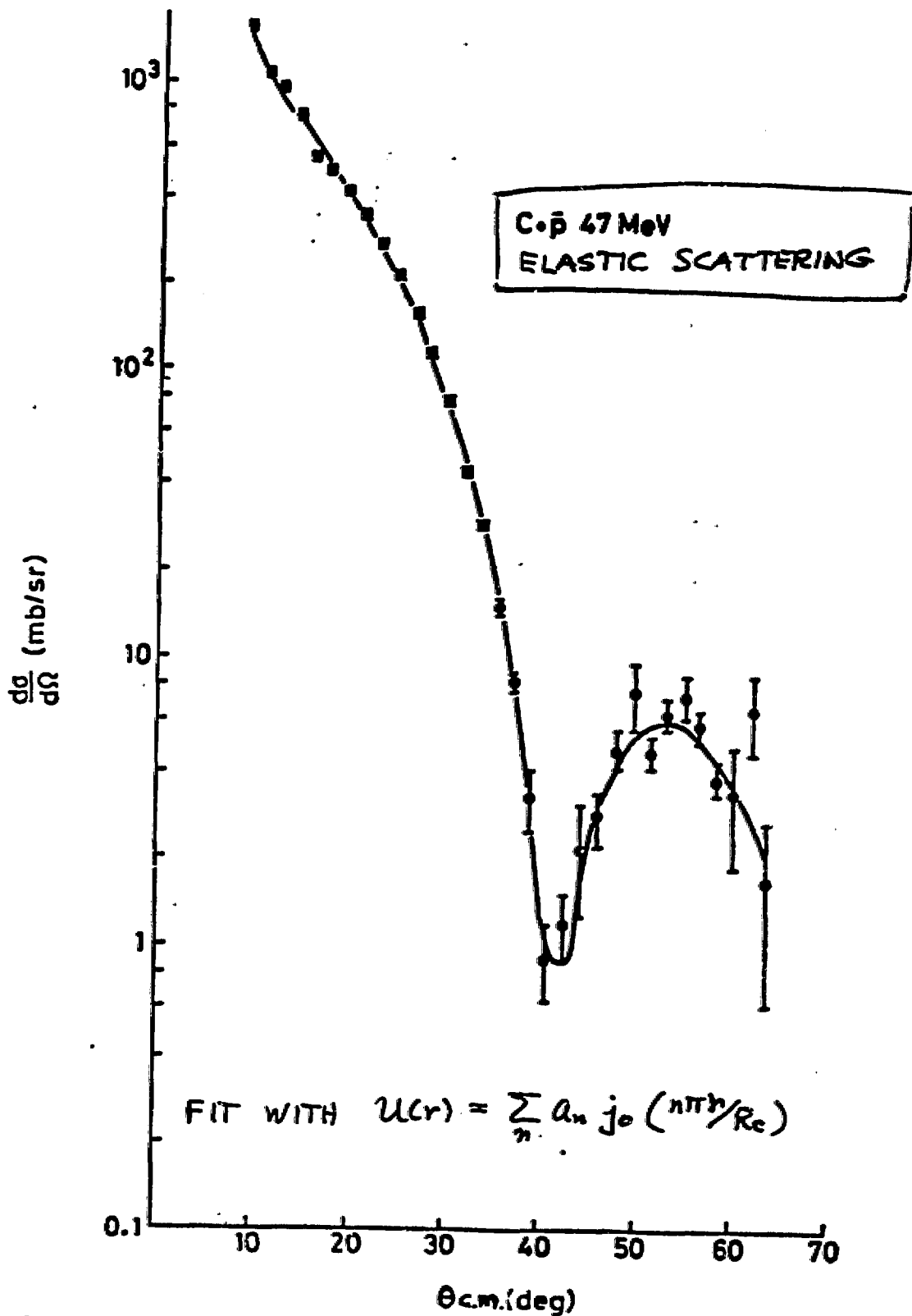
$\bar{p}$ -nucleus reaction cross sections



$$\sigma_R(\bar{p}A) = \pi(a + r_0 A^{1/3})^2$$

$a \approx 0.65 \text{ fm}$
 $r_0 \approx 1.45 \text{ fm}$

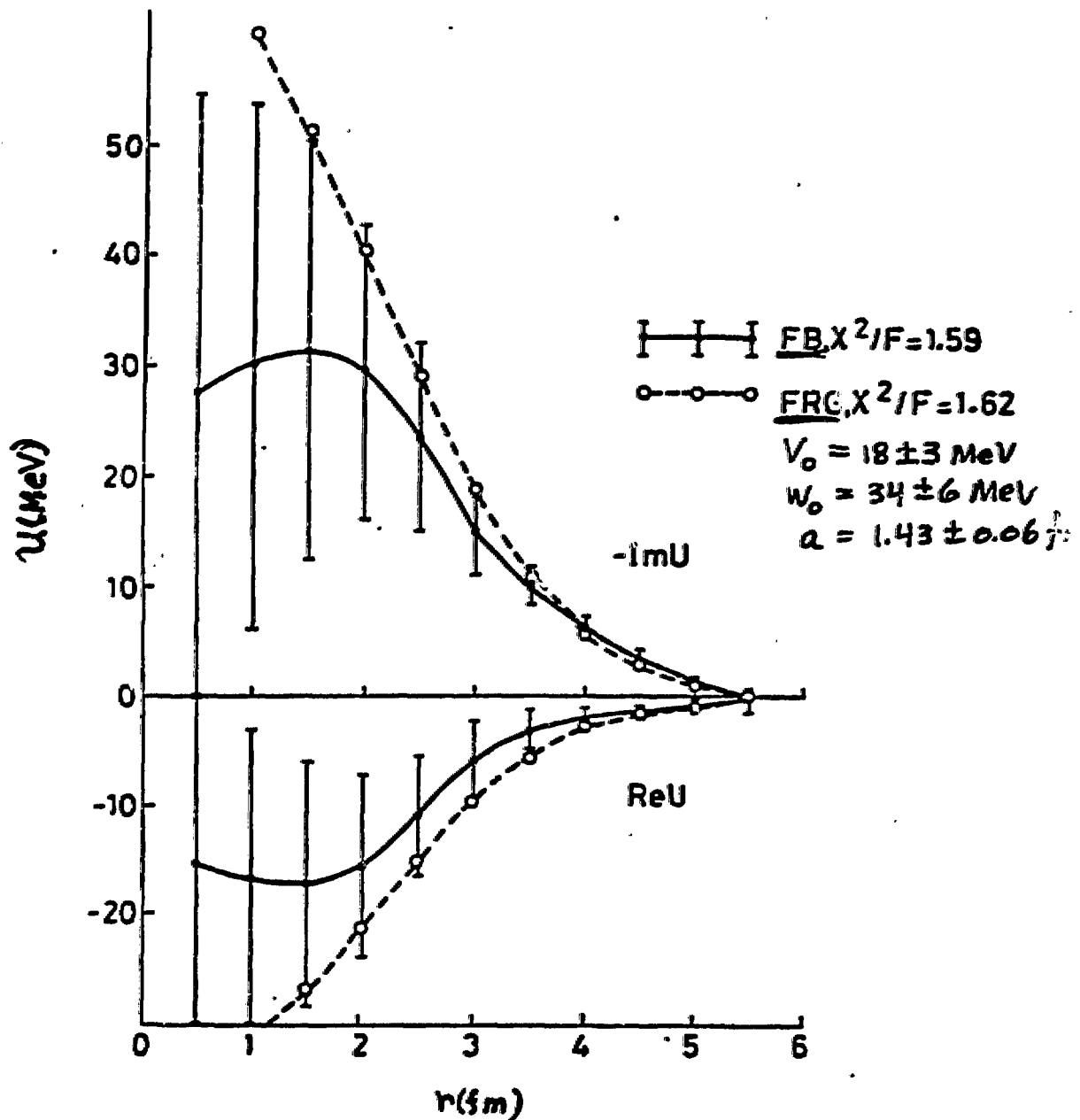
+ = $\sigma_R(pA)$ at 182 MeV



BATTY, FRIEDMAN+ LICHENSTADT. Phys. Lett. 142B, 241 (1984) + preprint

$\bar{p}+^{12}\text{C}$ OPTICAL POTENTIAL $U(r)$ AT 47 MeV

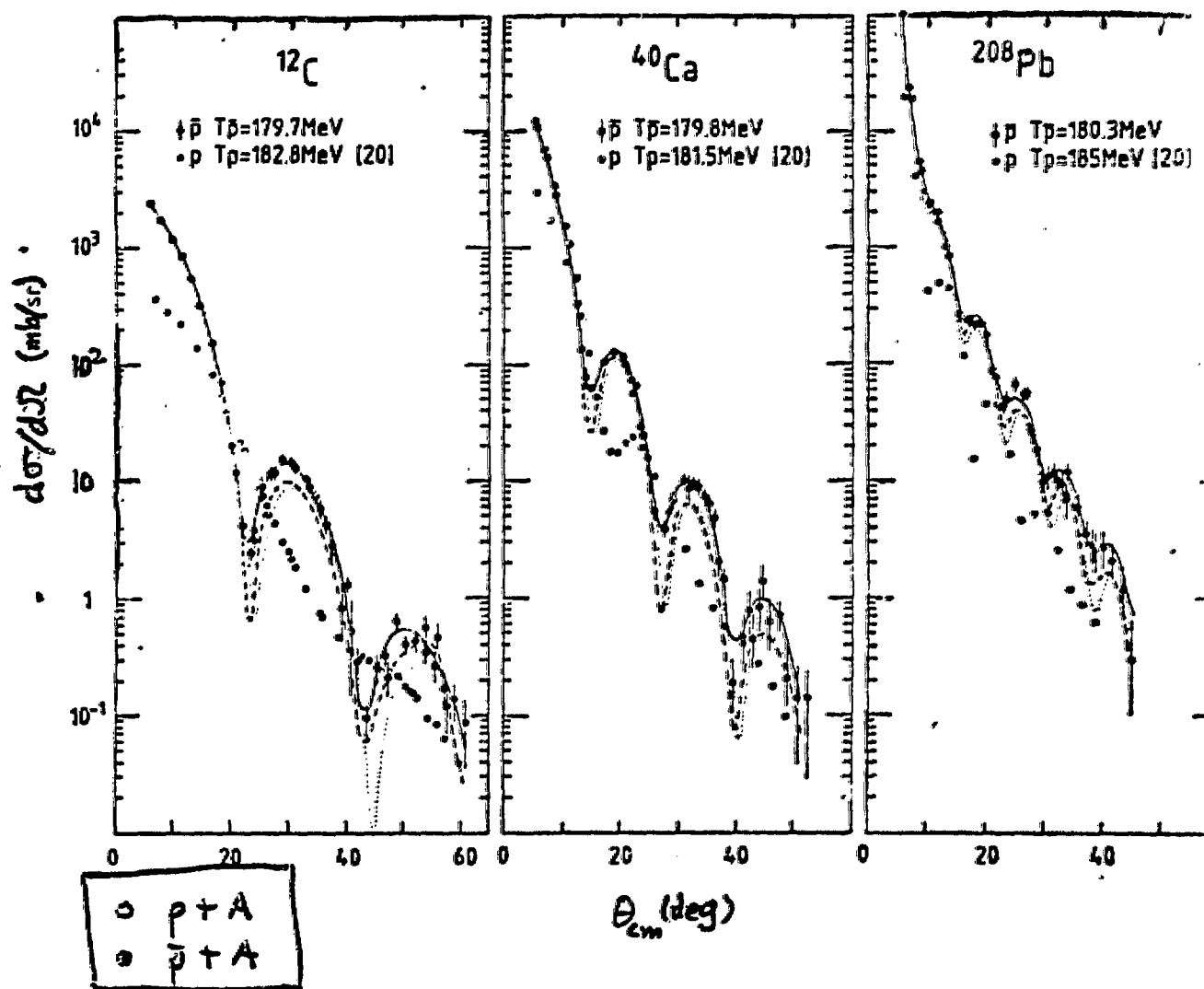
(FOURIER-BESSEL (FB) AND
FINITE-RANGE GAUSSIAN (FRG) MODELS)



FB: $U(r) = \sum_n a_n j_0(n\pi r/R_c)$

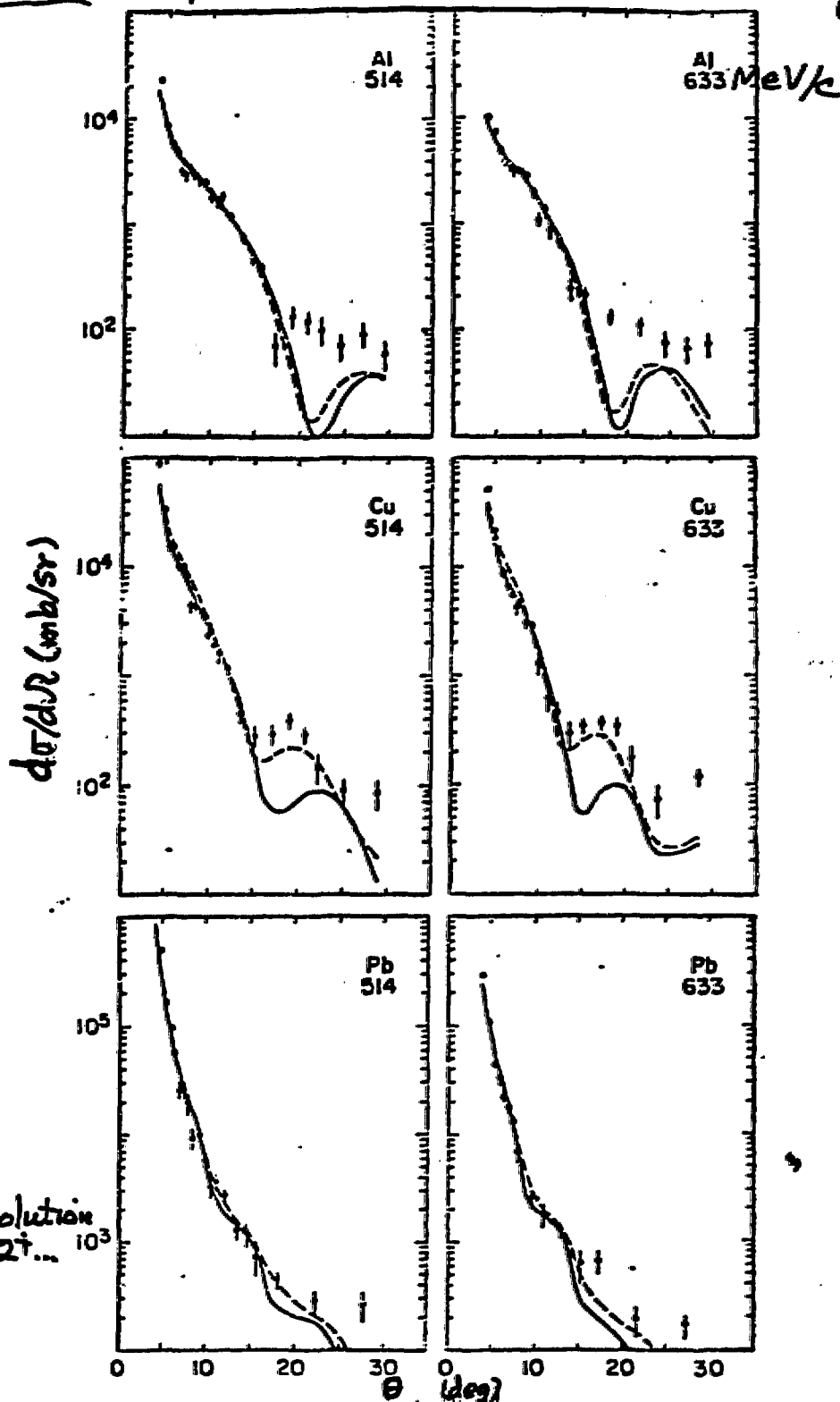
FRG: $U(r) = -(V_0 + iW_0) \int d^3r' g(r') e^{-(r-r')^2/a^2}$

ANGULAR DISTRIBUTIONS FOR $\bar{p}$ - NUCLEUS ELASTIC SCATTERING.



D. Garreta et al, CERN - EP/84-114 (September, 1984)
(Saclay - Grenoble - Strasbourg - Tel Aviv collab.)

BNL data on $\bar{p} + \text{Al, Cu, Pb}$: Ashford et al, Phys. Rev. C (1984)



Coarse resolution
→ includes 2^+ ...

Phenomenological $\bar{p}$ Optical Potentials (Garreta et al)

$$U(r) = -(V_0 + iW_0) \rho(r)/\rho(0) \approx V(r) + iW(r)$$

$V(r)$ and $W(r)$ determined near the strong absorption radius

$$R = \frac{1}{k} (\eta + (\eta^2 + l_{1/2}(l_{1/2} + 1))^{1/2})$$

<u>Target</u>	<u>P_{lab} (MeV/c)</u>	<u>R (fm)</u>	<u>$V(R)$</u>	<u>$W(R)$</u>	<u>V_0</u>	<u>W_0</u>
^{12}C	300	3.7	-3.5	-8.5	35	77
^{12}C	600	3.3	-7.8	-19.6	44	96
^{40}Ca	600	4.9	-6.2	-13.3	43	119
^{208}Pb	600	8.2	-5.4	-10.8	60	152

in MeV

1) shallow real part preferred : $W(R)/V(R) \approx 2$

2) fits with deep real part and shallow absorption
not consistent with a global analysis of
 $\bar{p}$ -atom + $\bar{p}$ elastic and inelastic data
(Batty et al)

Estimates of the $\bar{N}$ -nucleus optical potential:

- a) simplest mean field theory (Boguta, Phys. Lett. 106B, 245 (1981);
(Bouyssy + Marcos, Phys. L. 114B, 397 (1981);
(DiGiacomo, J. Phys. G7, L169 (1981)

$$U(r) = \int d^3r' \rho(r') V_{\bar{N}N}(r-r')$$

→ extremely deep real part ($\sigma + \omega$), $V_0 > 600 \text{ MeV}$

ruled out by the data on $\bar{p}$ elastic scattering

- b) folding with free t-matrix (von Geramb et al, preprint (1981)
→ corrected for Pauli principle

$$U(r) = \int d^3r' \rho(r') t_{\bar{N}N}^{\text{free}}(r-r')$$

→ gives repulsion in nuclear interior, weak attraction in tail region (if Paris $\bar{N}N$ potential used)

sign of $\text{Re} U(r)$ for large r related to number of bound states in $\bar{N}N$ potential

- c) folding with self-consistent t in the nuclear medium

Green + Wycech, Nucl. Phys. A377, 441 (1982)

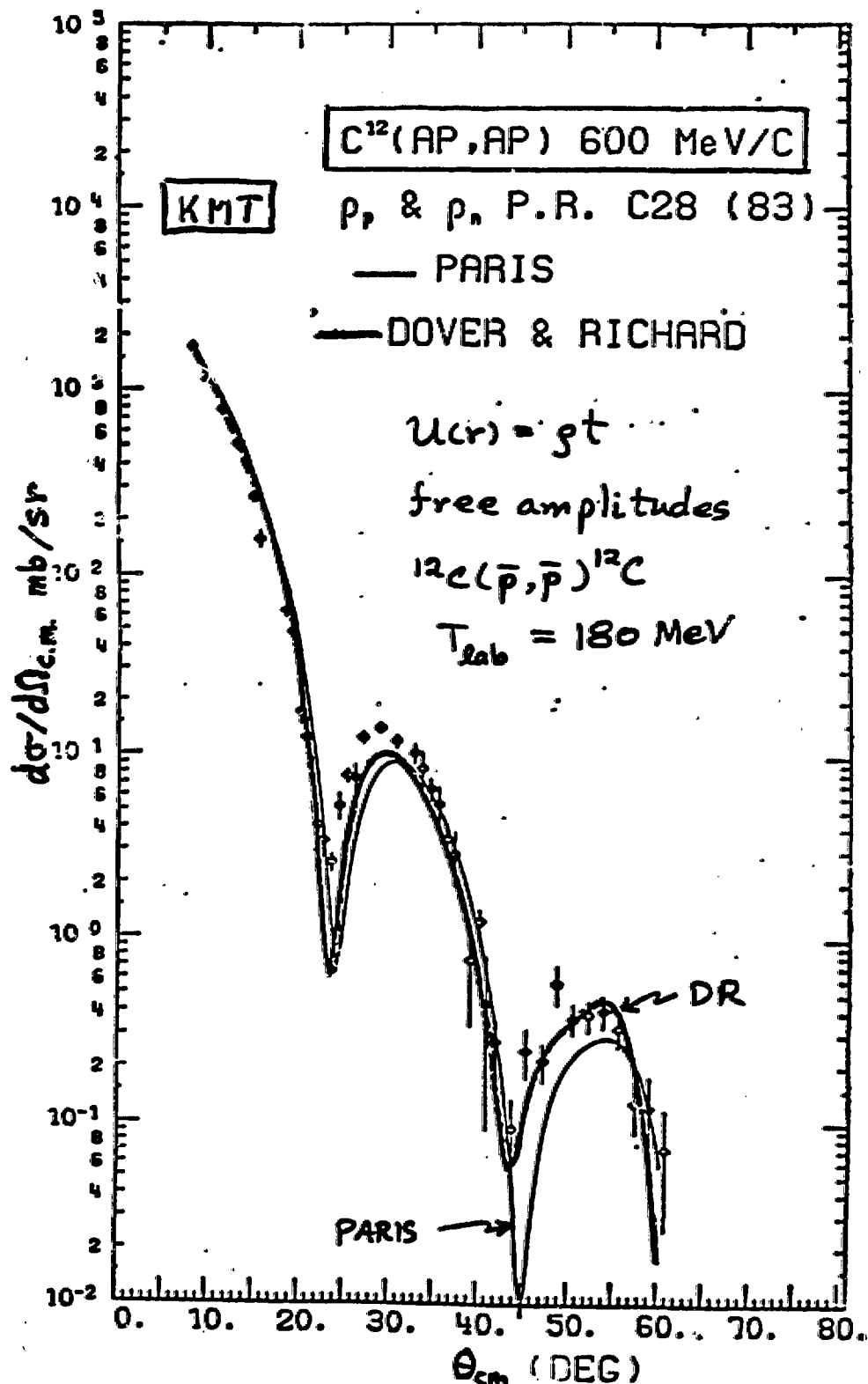
Niskanen + Green, Nucl. Phys. A404, 495 (1983)

Kronenfeld, Gal + Eisenberg, Nucl. Phys.

→ due to large absorption, self consistency important

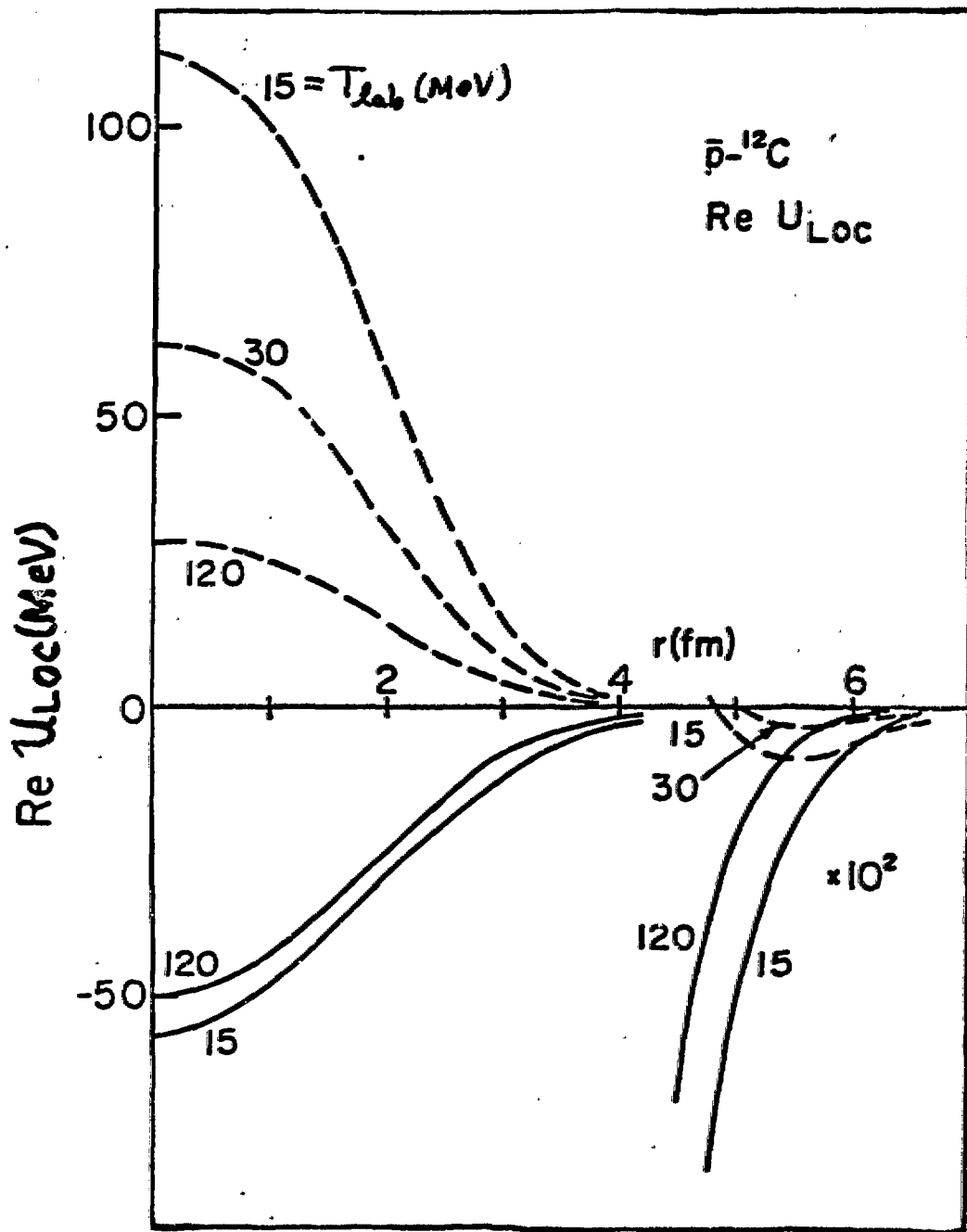
→ changes sign of real part in interior

A. Chaumeaux



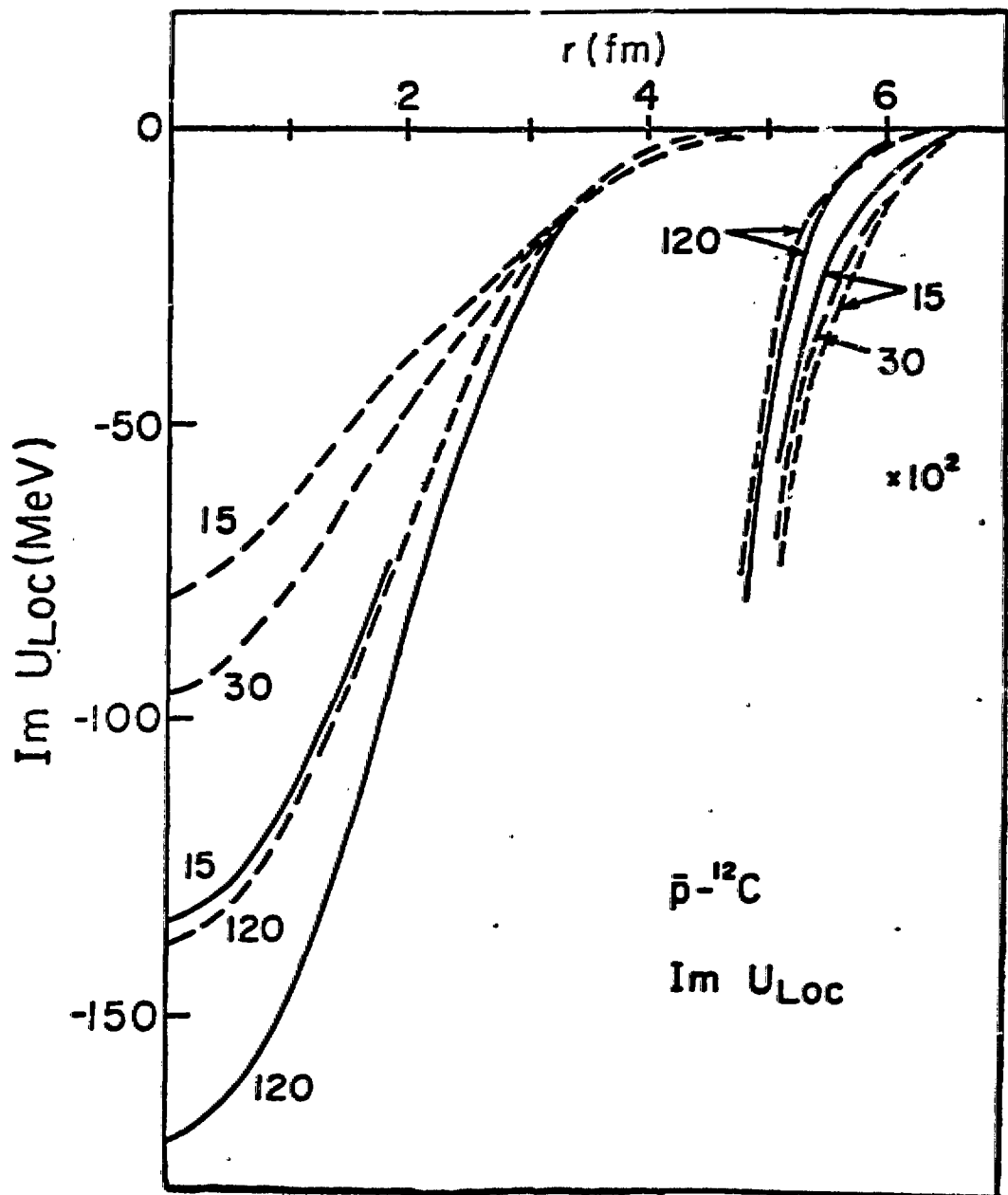
Kronenfeld, Gal & Eisenberg (1984)

Local Equivalent $\bar{p}$ Optical Potential U ,

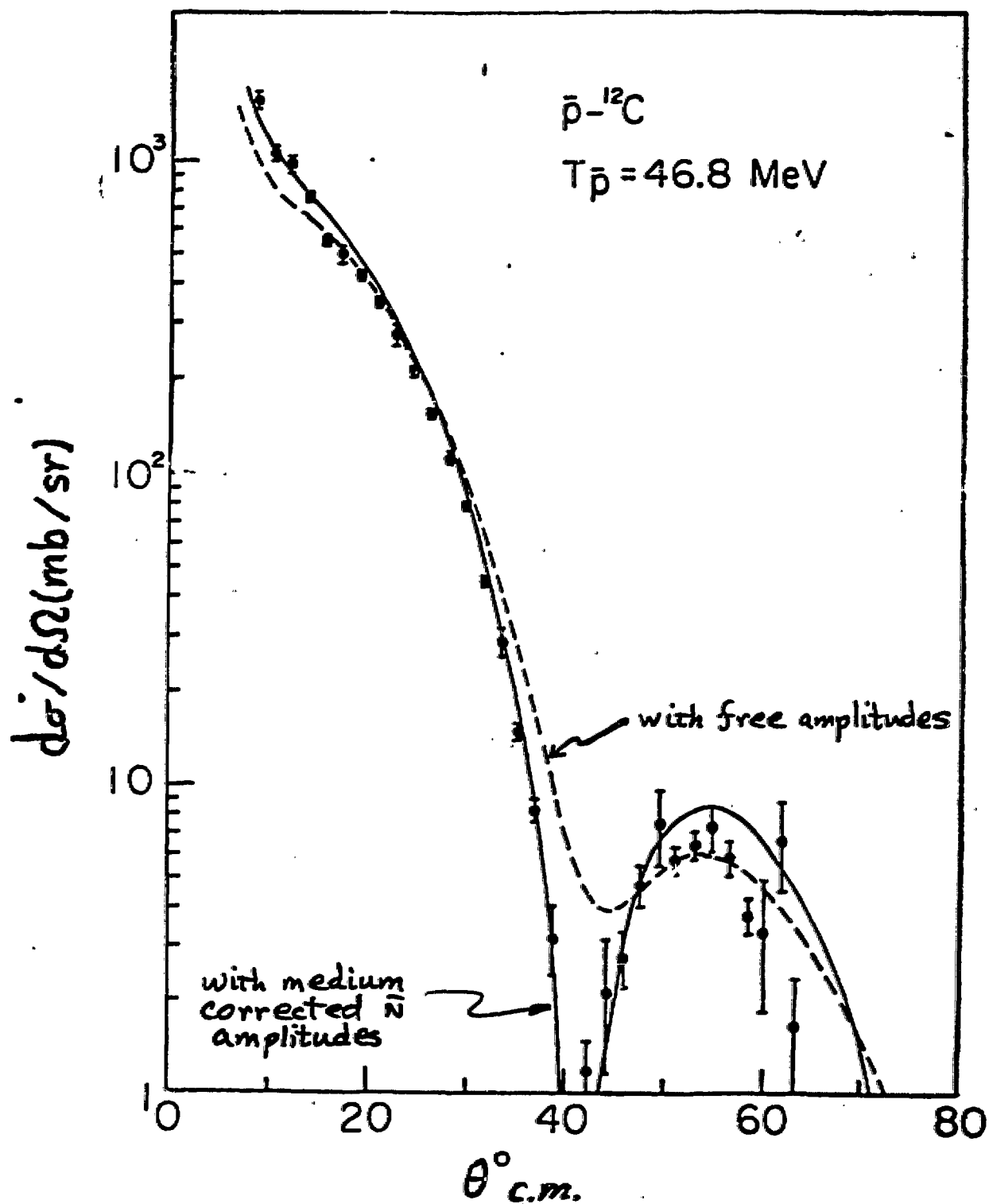


dashed curves: " t_8 " approximation
solid curves: with medium corrections

Kronenfeld, Gal & Eisenberg (1984)



Kronenfeld, Gal + Eisenberg (1984)



$\bar{p}$ INELASTIC SCATTERING ON ^{12}C

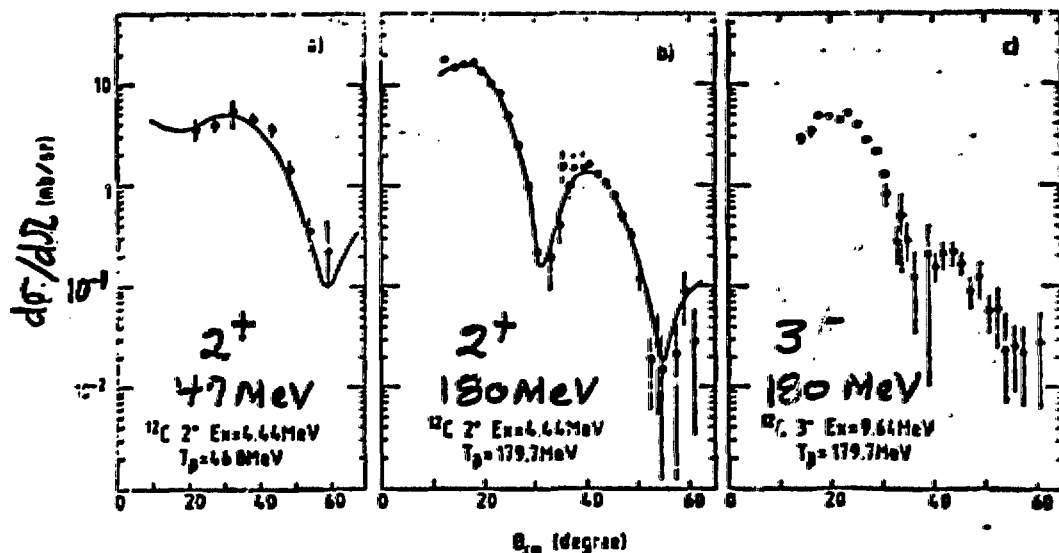


Fig. 5 Differential cross-section for $\bar{p} + ^{12}\text{C}$ inelastic scattering. In (a) each point corresponds to a measurement integrated over an angular range of 7.2° . In (b) and (c) the angular resolution is the same as for elastic scattering (see text). The solid curves result from a coupled channel fit to the data with the following parameters: (a) the optical-potential parameter are those of Fig. 3 and the deformation length $\beta R = -1.6$ fm; (b) $(V_0, W_0, V_{ov}, a_v, V_{ov}, a_w) \approx 41, 176 \text{ MeV}, 1.116 \text{ fm}, 0.522 \text{ fm}, 1 \text{ fm}, 0.487 \text{ fm}$ and $\beta R = -1.71 \text{ fm}$.

D. Garreta et al, CERN-EP/84-114 (1984)

ANTINUCLEON - NUCLEUS ELASTIC AND INELASTIC SCATTERING:

1) good signatures of spin and isospin dependence of two-body $\bar{N}N$ force:

a) ratios of inelastic cross sections to final states with $\Delta S=1, \Delta T=0, 1$

example: $1^+(12.7, T=0)$ and $1^+(15.1, T=1)$
in $^{12}C(\bar{p}, \bar{p}')^{12}C^*$

should use Dirac approach here {

b) P-A can be large for $\Delta S=1$ transitions (polarization - asymmetry)

c) elastic and charge exchange $(\bar{p}, \bar{n})$ polarizations

2) Quantities which are relatively insensitive to s, l dependence of $\bar{N}N$ force:

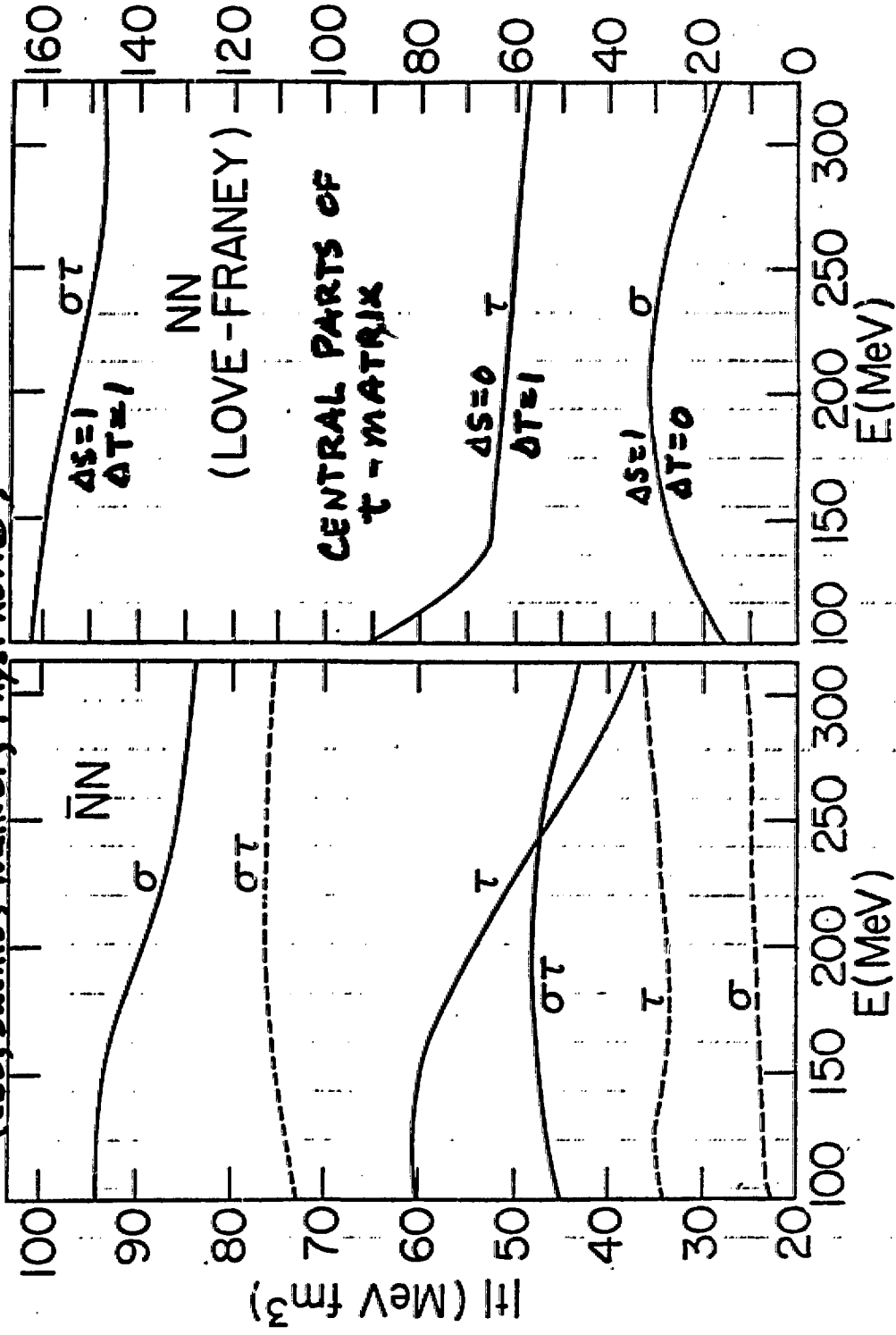
a) σ_R

b) $\sigma_{EL}, d\sigma_{EL}/d\Omega$

c) $d\sigma_{inel}/d\Omega$ to states excited by $\Delta S = \Delta T = 0$ part of $\bar{N}N$ force

here, detailed fits to data give us $R_{abs}, \frac{V(r)}{W(r)} \Big|_{R_{abs}}$
→ need guidance from theory for geometrical aspects (folding model with range of t_{int} included)

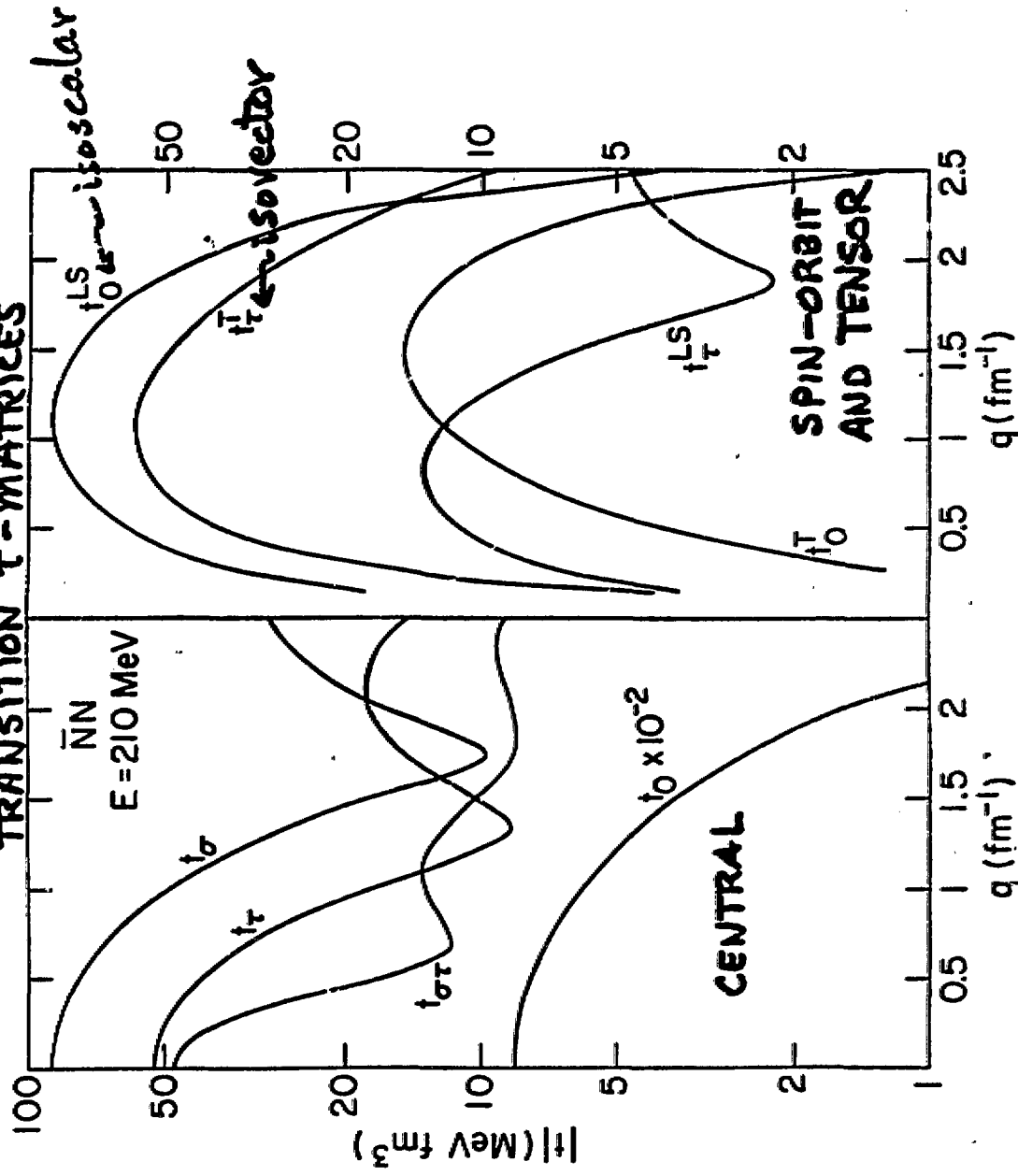
TRANSITION t -MATRICES FOR $\bar{N}$ AND N INELASTIC SCATTERING ON $S=0$ I=0 NUCLEI (CBP, Sainio, Walker, Phys. Rev. C)



— Cote et al

---- Dover-Richard (spin-isospin independent $W(r)$)

$\bar{N}$ INELASTIC SCATTERING ON NUCLEI TRANSITION T-MATRICES



CBD, Sainio, Walker, *Bull. Reprint*
Phys. Rev. C28, 2368 (1983)

RESULTS FOR $^{12}\text{C}(\bar{p}, \bar{p}')^{12}\text{C}^*$ [Franeý, Sainio, Love Walker, CBD]

Define $R = [d\sigma/d\Omega(1^+, 12.7, I=0)] / [d\sigma/d\Omega(1^+, 15.1, I=0)]$

At $E = 175 \text{ MeV}$ ($p_{\text{lab}} = 600 \text{ MeV/c}$), we find

θ_{cm}	$R(\text{Paris})$	$R(\text{DR})$	$\overset{\text{Paris}}{\downarrow} d\sigma/d\Omega(15.1)$	$\overset{\text{DR}}{\downarrow} d\sigma/d\Omega(15.1)$
0°	0.44	0.05	0.33 mb/sr	0.45 mb/sr
5°	0.60	0.11	0.20	0.26
10°	0.38	0.15	0.20	0.20
15°	0.30	0.16	0.14	0.14

Conclusions:

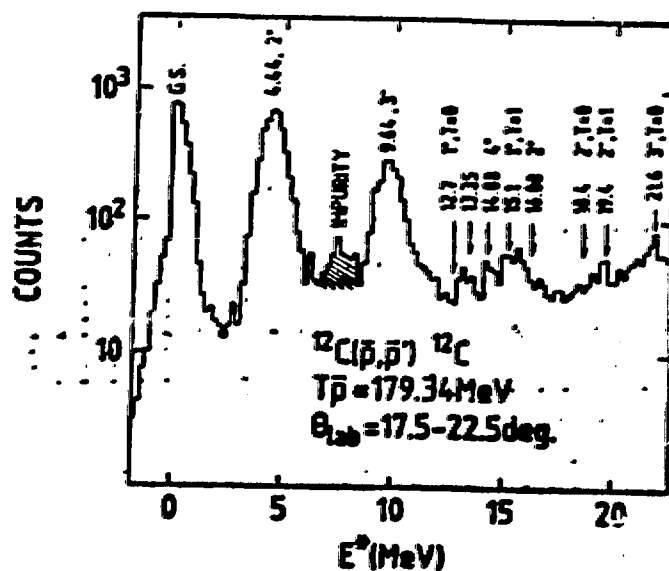
- best test of P vs DR models at 0°
 → order of magnitude difference in R !
 → reflects large difference in t_σ
 (i.e. $\Delta S=1$, $\Delta T=0$ to 12.7 state)

- for larger angles, V_{LS} , V_T , V_{TQ} operators become important (spin-orbit and tensor for higher q). These contributions do not differ qualitatively for P vs DR

example: $1^+(15.1)$ cross sections

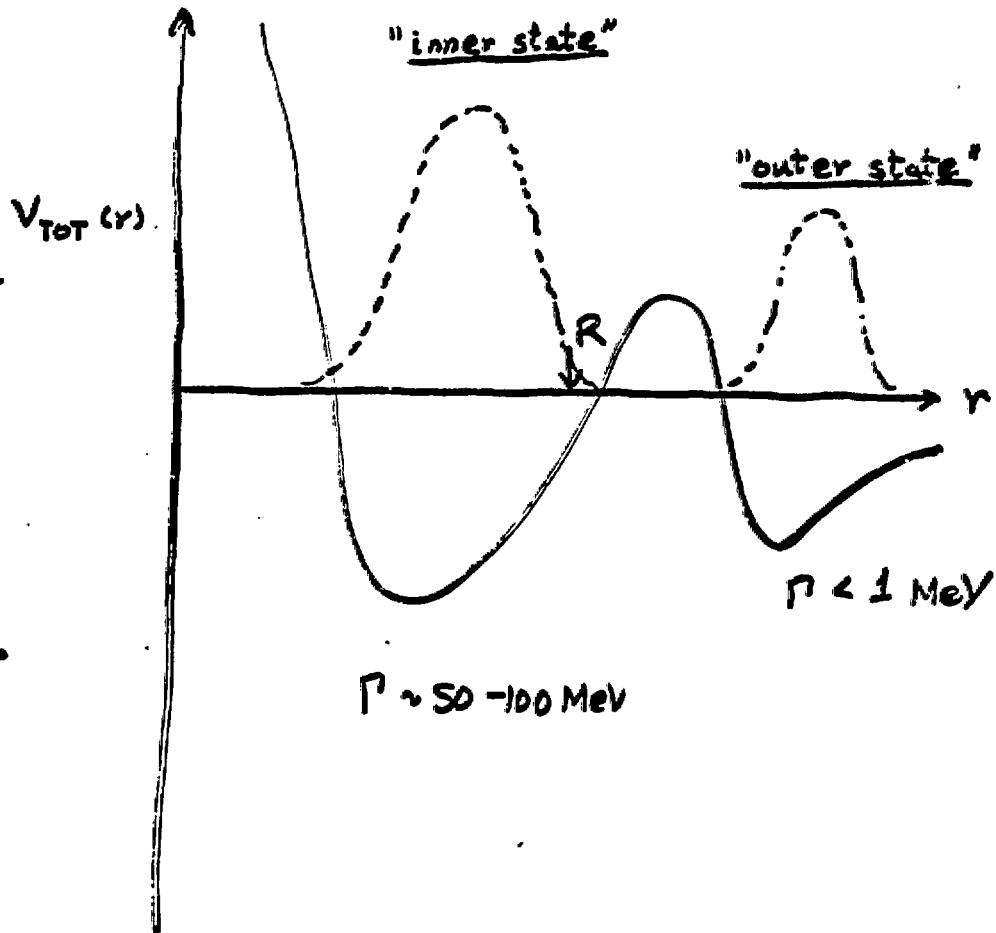
θ	$\overset{\text{central}}{\downarrow} V_c \text{ only}$	$V_c + V_{LS}$	$V_c + V_{LS} + V_T + V_{TQ}$
0°	0.21 mb/sr	0.21	0.33
10°	0.0014	0.0028	0.20

EXCITATION FUNCTION FOR $^{12}\text{C}(\bar{p}, \bar{p}')^{12}\text{C}^*$
 INELASTIC SCATTERING AT 180 MeV



D. Garreta et al, LEAR experiment (preliminary)

Two classes of $\bar{p}$ states:



How to produce these states?

$(\bar{p}, p)$, $(\bar{p}, \pi)$ $(\bar{p}, \alpha)$

NOTE: the γ cascade through $\bar{p}$ -atomic states terminates at 3d state in $\bar{p} + {}^{16}\text{O}$, but "outer" p, s states exist.

PROTON SPECTRA FROM $A(\bar{p}, p)X$ REACTION

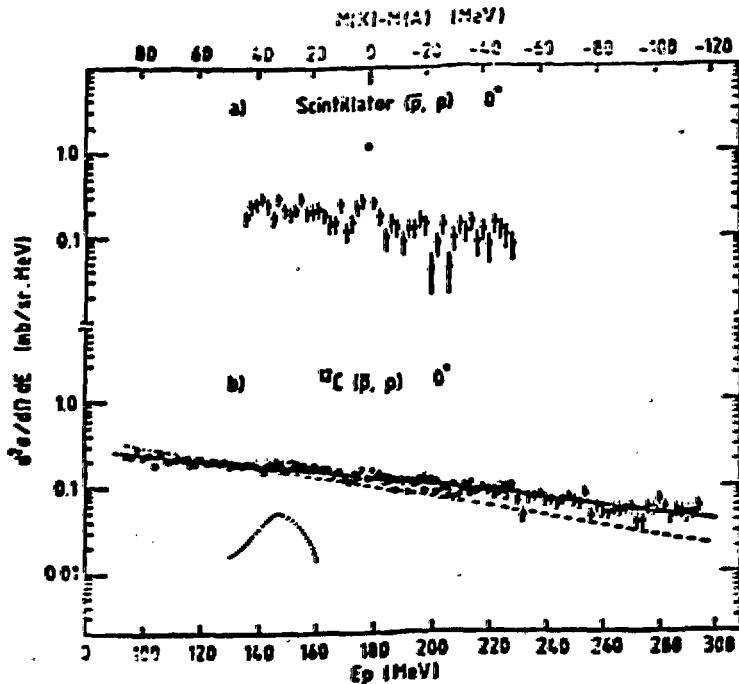
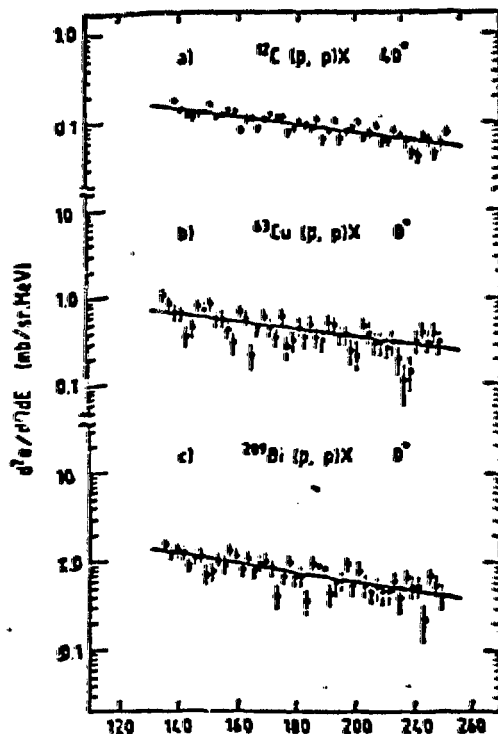


Fig. 6 Proton spectra for the $A(\bar{p}, p)X$ reaction at $T_p = 180$ MeV and 0° (a) for scintillator and (b) for carbon targets. The double differential cross-section is plotted versus the proton kinetic energy and the mass difference $[M(X) - M(A)]$. The sharp peak near 180 MeV in (a) corresponds to elastic scattering from hydrogen. Also shown are an INC calculation (dashed line) and a Maxwellian distribution best fit (solid line). A calculation for the quasi-free cross-section is indicated by the dotted curves.

$$\frac{d^2 \sigma}{d \Omega d E}$$



D. Garreta et al.
CERN-EP/84-9.
(July, 1984)

also di Giacomo et al: $^{28}\text{Si}(\bar{p}, p)$

Fig. 7 The $(\bar{p}, p)$ spectra from ^{12}C at 40° , and from ^{63}Cu and ^{209}Bi at 0° . The solid curves are best fits assuming a Maxwellian distribution.

FIT TO PROTON SPECTRUM FROM ($\bar{p}, p$) REACTION

$$\frac{d^2\sigma}{d\Omega dE} \approx C \sqrt{E} e^{-E/T}$$

$$C \sim A^{0.63}$$

Parameters: resulting from fits to p -spectrum with the expression
 $d^2\sigma/d\Omega dE = C \sqrt{E} \exp(-E/T)$

Target	θ_{lab} (degrees)	T (MeV)	C ($\mu\text{b}/\text{sr} \cdot \text{MeV}^{3/2}$)
^{12}C	0	86 ± 1.5	80
^{12}C	40	77 ± 6	75
^{63}Cu	0	69 ± 10	405
^{209}Bi	0	69 ± 7	770

from Garreta et al, CERN -EP/34-92 (July, 1984)

(similar results for $^{28}\text{Si}(\bar{p}, p)$ from N. diGiacomo et al,

for ^{31}P , estimate $d^2\sigma/d\Omega dE \approx 200 \mu\text{b}/\text{sr}/\text{MeV}$

at $E = 175 \text{ MeV}$

Cross section estimates for $(\bar{p}, p)$ reaction:

a) "inner states" ex. 1s bound by 2 meV with $\Gamma \approx 95$ meV
in $U(r)$ of Garreta et al ($\bar{p} + {}^{12}\text{C}$)

typical $d\sigma/d\Omega \sim 0.5$ mb/sr spread over 100 meV

$$\therefore d^2\sigma/d\Omega dE \sim 5 \mu\text{b/sr/meV}$$

• measured background $\sim 200 \mu\text{b/sr/meV}$

$$\rightarrow \boxed{\text{signal/noise} \sim 1/40}$$

Baltz, CBD, Sainio, Gal,
Toker, BNL preprint

b) "outer states"

typical $d\sigma/d\Omega \sim 0.5 \mu\text{b/sr}$ spread over 100 keV

$$\therefore d^2\sigma/d\Omega dE \sim 5 \mu\text{b/sr/meV}$$

again, signal/noise $\sim 1/40$

Exception: ${}^{31}\text{P}(\bar{p}, p)({}^{30}\text{Si} + \bar{p})_{25\text{atom}}$

Gibbs + Kaufman
Phys. Lett.

has good wave function overlap
+ large spectroscopic factor for $\Delta L = 0$ transition

here $d^2\sigma/d\Omega dE \approx 80 \mu\text{b/sr/meV}$

so signal/noise ~ 0.4

$\rightarrow$ may be measurable

$\bar{p}$ INDUCED REACTIONS IN NUCLEI :

- 1) investigate formation of isomers far from the valley of stability in $\bar{N}$ annihilation

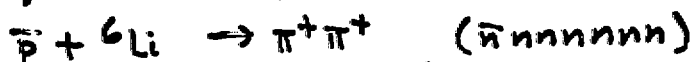
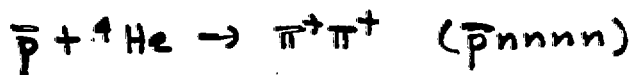
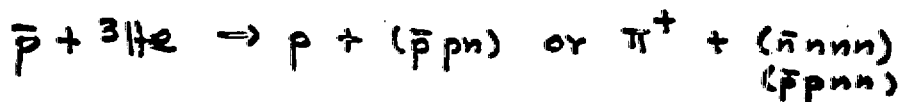
use isospin transfer degree of freedom
(pions take out isospin) and nucleon evaporation

- perhaps use radiochemical techniques to identify isomer (β -decay)

- 2) look for narrow states in light $\bar{p}$ + core systems

Idea: π contributes to real potential if core is spin-isospin unsaturated ; two body $\bar{N}N$ absorption minimum in $I=1, S=1$ channel

Examples: $\bar{p} + d \Big|_{\substack{S=1 \\ T=0}} \rightarrow p(0^0) + (\bar{p}n)_{S=T=1}$

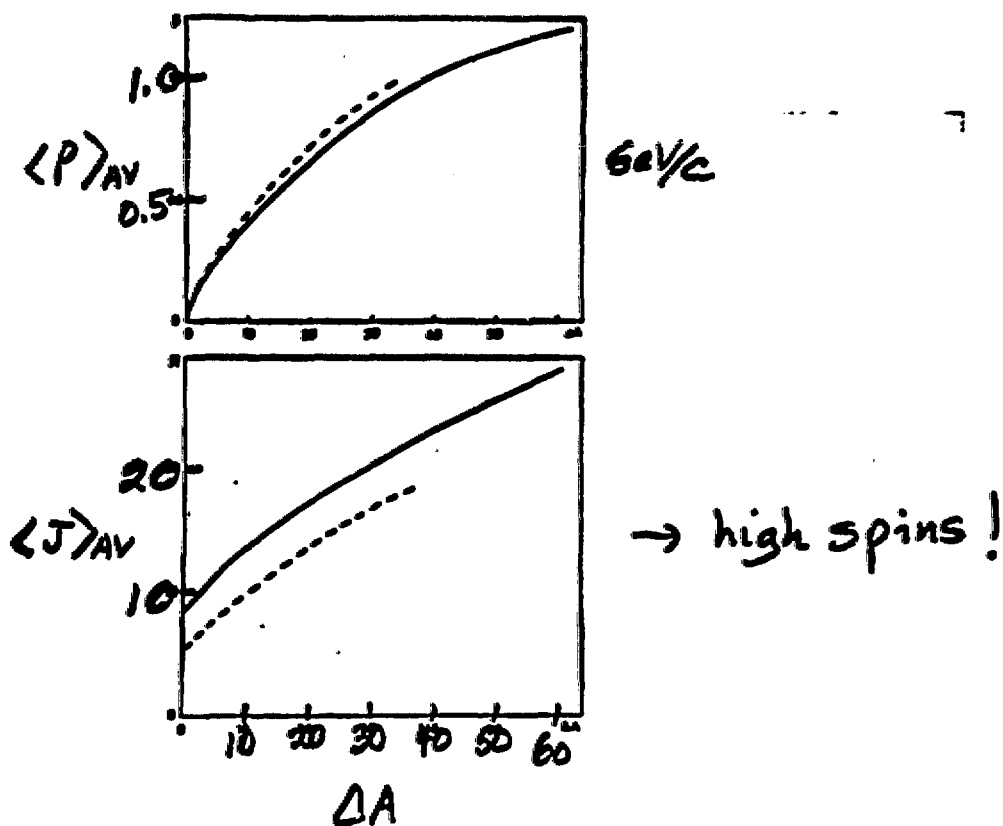


Can $\bar{p}$ stabilize a system of neutrons?

Gross features of $\bar{N}$ -nucleus annihilation

- 1) Energy spectrum of pions does not differ substantially from $\bar{N}N$ two-body annihilation
- 2) Pion angular distribution not isotropic
→ "pion backslash"
- 3) very strong spallation of the nucleus
 - several tens of nucleons emitted typically (up to 50-70)
 - results from very high energy deposition of pions; strongly heated nuclear matter with $E^* \sim m_N$ rather than $E^* \sim m_\pi$ as for π a
- 4) high spin residual nuclei formed ($J > 20$)
large recoil momentum
- 5) could possibly see $\pi^0 + (NN) \rightarrow (NN)$
→ probe of short range correlations at 0.2-0.3 fm

MEAN VALUES OF LINEAR MOMENTUM $\langle P \rangle$,
AND ANGULAR MOMENTUM $\langle J \rangle_{AV}$
CARRIED BY RESIDUAL NUCLEUS
AFTER $\bar{p}$ ABSORPTION AT REST



ΔA = number of nucleons evaporated from
target nucleus

from Iljinov et al, Nucl. Phys. A382 (1992) 378

Other aspects of $\bar{p}$ Annihilation in nuclei :

- 1) fluid dynamics approach (D. Strottman, preprint
Gibbs + Strottman, Phys. L. 119B, 39 (1988))

$\bar{p}$ produces a sound wave, not a shock wave

sensitivity to nuclear eqn. of state for low T, $\rho < 2\rho_0$

signature: high energy peak (100-150 MeV) at 180°
in $d^2\sigma/d\Omega dE$ for proton emission ($\bar{p}$ at rest)

- 2) statistical mechanics approach (Rafelski et al)

$\bar{p}$ absorption in center of nucleus may produce
large quark bags

signature: enhanced strange particle production
relative to NN

- 3) pion interferometry: ($\bar{p}, \pi\pi$)

already done for $p\bar{p}$ system

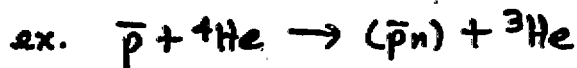
- 4) study three body correlations via ($\bar{p}, pp$)

ex. $\bar{p} + NNN \rightarrow NN + 0 \text{ or } 1 \text{ pion}$
 $\uparrow$
 $\sim 2 \text{ GeV energy}$

or other rare modes such as $\bar{p} + {}^6\text{Li} \rightarrow \alpha + n$ etc.

more exotic aspects of $\bar{N}$ -nucleus physics:

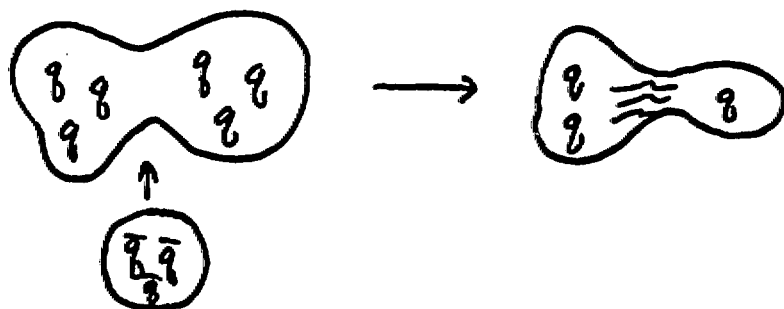
a) search for $N\bar{N}$ "baryonia" with nuclear targets



$\rightarrow$ detect nuclear recoil



b) annihilate on spatially correlated NN pair to produce extended objects in QCD (Kahana)



c) information on $\bar{p}$ - ${}^4\text{He}$ annihilation may impose stringent limits on amount of antimatter in the early universe $\rightarrow$ restrict some GUT + SUSY models

$$\frac{n_{\bar{p}}}{n_p} \leq \frac{4}{3} \frac{X_{{}^3\text{He}}}{X_{{}^4\text{He}} f_{{}^3\text{He}}} \sim 10^{-3} \text{ if } \bar{p} + {}^4\text{He} \rightarrow {}^3\text{He} + X \text{ as probable as other channels}$$

Falomkin et al, Nuovo Cim. 79A, 14 (1988)

d) limits on nuclear stability $\rightarrow$ limits on $n \rightarrow \bar{n}$ oscillation



$$T > 2.4 \times 10^{31} \text{ yrs} \Rightarrow \tau_{n\bar{n}} > (1 \pm 0.3) \times 10^{31} \text{ yrs}$$

(CBD, Gal, Richard)