

## Creep and Creep-Rupture Behavior of Alloy 718\*

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ABSTRACT

Data obtained from creep and creep-rupture tests conducted on 18 heats of Alloy 718 were used to formulate models for predicting high temperature time dependent behavior of this alloy. Creep tests were conducted on specimens taken from a number of commercial product forms including plate, bar, and forging material that had been procured and heat treated in accordance with ASTM specifications B-670 or B-637. Data were obtained over the temperature range of 427 to 760°C and at test times to about 87,000 h. Comparisons are given between experimental data and the analytical models. The analytical models for creep-rupture included one based on lot-centering regression analysis and two based on the Minimum Commitment Method. A "master" curve approach was used to develop an equation for estimating creep deformation up to the onset of tertiary creep.

INTRODUCTION

Several years ago, the U.S. Department of Energy was actively pursuing construction of the Clinch River Breeder Reactor Plant which required use of Alloy 718 for a number of high temperature, non-welded, and non-pressure boundary applications within the reactor vessel. The alloy in the form of forged bar, plate, or extrusions was to be subjected to a number of potentially long term damaging mechanisms (1) including fatigue, creep, creep-fatigue, and loss of strength due to overaging. It was expected that most of the long term service would be at temperatures less than about 649°C, but with some limited service exposure to as high as 704°C. An extensive program was therefore undertaken to fully characterize a number of heats and product forms procured to American Society for Testing Materials specifications ASTM A-670 or A-637. This characterization involved generation of considerable amounts of mechanical properties data including crack propagation (2), fracture toughness (3), tensile, low and high cycle fatigue, creep-fatigue, Charpy impact, and creep and creep-rupture. It is the objective of this paper to present the analysis that was performed of the creep-rupture and creep data either generated or assembled from the literature in support of this program. Other papers by Korth et al. published in the proceedings of this symposium or to be published elsewhere (4) will deal with other mechanical properties generated as a part of this effort.

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## DATA SOURCES

Data utilized in developing stress-rupture models came from several sources including Oak Ridge National Laboratory, Idaho National Engineering Laboratory (5), International Nickel Company (5), General Electric Co. (6), Allegheny Ludlum Steel Corporation (7), and Hanford Engineering Development Laboratory (8). Material was generally procured to two specifications as ASTM A-670 or ASTM A-637 depending upon the product forms. Product forms were forgings (pancake or bar), bar, or plate. The heat treatment generally consisted of the following: heat to solution temperature of  $954 \pm 14^\circ\text{C}$  and hold for 1 h. Air cool to below aging temperature. Age at  $718^\circ\text{C}$  for 8 h. Furnace cool at a rate of  $55 \pm 8^\circ\text{C}$  per hour to  $621^\circ\text{C}$ . Hold at  $621^\circ$  for 8 h, or sufficient time to provide a total accumulated aging time of 18 h, and air cool to room temperature. Two lots used in the analysis were solution treated at  $682^\circ\text{C}$ , which is slightly out of the above range but it was decided to include them in the analysis in order to give the results a wider scope (all other lots were solution treated at  $954^\circ\text{C}$  as indicated above). Grain size values when reported ranged from ASTM No. 2 - 9. Results from some 261 tests from 18 heats that had been conducted over the temperature range of  $482$  to  $760^\circ\text{C}$  were included in the analysis. Rupture times ranged from 10 to over 80,000 h. Subsequent to the initial analysis, three latter test results (5) became available. These included single test results at  $427^\circ\text{C}$  (34,981 h to failure),  $593^\circ\text{C}$  (21,343 h to failure), and  $704^\circ\text{C}$  (28,545 h to failure). These data were included in the comparison data plots (Figs. 1 and 2) discussed below.

## STRESS-RUPTURE MODEL DEVELOPMENT

The data were first plotted in terms of stress versus log rupture life in order to identify trends in behavior. The data for various heats and product forms appeared to be approximately parallel when isothermal data sets were examined. Thus it appeared appropriate to use the technique of "lot-centering" to analyze the data (9). Another trend that emerged from this initial and visual evaluation of the data was that all heats given a  $954^\circ\text{C}$  solution treatment appeared similar to each other; and the heats given a  $982^\circ\text{C}$  solution treatment appeared similar to each other but different from the behavior of the  $954^\circ\text{C}$  solution treated heats. At short times, the  $982^\circ\text{C}$ -treated material showed inferior creep rupture resistance in comparison to the  $954^\circ\text{C}$ -treated material. At longer times, the service exposure appeared to negate the effects of the solution treating and the two sets of data converged. The time required for convergence increased as test temperature decreased.

The above effects clearly indicate that the differences in behavior were due to the different solution treatment temperatures. The actual physical nature of the effect (grain size, etc.) could not be determined from available information. Thus, we attempted to resolve the differences in terms of solution treatment temperature,  $T_s$ , alone. We found that a relationship existed between stress for a given rupture life for  $T_s = 954^\circ\text{C}$  and  $T_s = 982^\circ\text{C}$  at various test temperatures. The difference between the stress for  $T_s = 954^\circ\text{C}$  ( $\sigma_{954}$ ) and the stress for  $T_s = 982^\circ\text{C}$  ( $\sigma_{982}$ ) is given by

$$\sigma_{954} - \sigma_{982} = \Delta\sigma = \frac{\log \sigma_{982} - 2.7}{0.00242} \quad (1)$$

for  $\sigma_{982} \geq 500$  MPa. For lower stresses,  $\sigma_{954} = \sigma_{982}$ .

Equation (10) worked well for the data used to develop it, but those data were insufficient to provide faith in its general application. We used Eq. (1) to normalize the available  $T_g = 982^\circ\text{C}$  data to be consistent with the  $T_g = 954^\circ\text{C}$  data. As a result, the results obtained in these analyses are strictly applicable only to material receiving the  $954 \pm 14^\circ\text{C}$  solution treatment even though available specifications generally allow higher solution treatment temperatures.

The lot-centered regression analysis technique (9) allows data from a variety of lots or heats with differing strengths to be analyzed simultaneously while maintaining the individual strength characteristics of each lot as the final result. The analysis was performed and the optimum model selected. Stress-rupture curves shown as solid lines were calculated from the following equation and compared with the data in Fig. 1.

$$\log t_r = C_h - 193.662 \log \sigma + 88.117 (\log \sigma)^2 - 12.807 (\log \sigma)^3 - 0.01052 T \log \sigma \quad (2)$$

where all logarithms are base 10;

$t_r$  = rupture life (h);  
 $\sigma$  = stress (MPa)  
 $T$  = Temperature (K).

The parameter  $C_h$  is a "lot constant" that reflects the strengths of a given lot of material. The overall average value of  $C_h$  from Eq. 2 was 162.319, while an estimated minimum strength value of  $C_h$  was 161.73. The minimum was estimated as the average  $C_h$  minus 1.65 standard errors in log time. That fit yielded a coefficient of determination ( $R^2$ ) of 93.7%, with a between lot variance of 0.0910, a within lot variance of 0.0364, and an overall standard error of estimate of 0.357. Representative lot constants for several important heats used in this analysis are given in Table 1.

Table 1. Lot Constants of Several Individual Heats

Heat Number	Number of Tests	Lot Constant	Product Form
9422	4	162.523	130 x 200 x 460-mm forging
9419	10	162.699	13 mm plate
9458	71	162.323	19 mm plate
9478	39	162.611	13 mm plate
9497	9	162.592	19 mm plate
C56445	28	162.182	25.2 mm pancake forging

Equation (2) is analytically well-behaved over the temperature range from 427 to  $760^\circ\text{C}$ , and for rupture lives of up to those shown by the lines in Fig. 1. It should be realized that most of the data were obtained in the range 593 to  $704^\circ\text{C}$ , with rupture lives of 20,000 h or less as shown in Fig. 1.

Subsequently, rupture data were analyzed using Manson's Minimum Commitment Methods (10), and a computer program developed by Pepe (11). Both multiple heat analysis and single heat analysis techniques were employed. All of the data available some 264 test results were used in this analysis, and Eq. 1 was not used to adjust for differences in solution heat treatment. The Minimum Commitment Method (MCM) equation developed was as follows:

$$\log t_r + [R_1 (T - T_{middle}) + R_2 \left( \frac{1}{T} - \frac{1}{T_{middle}} \right)] = B + C \log \sigma + D \sigma + E \sigma^2 \quad (3)$$

where all logarithms are base 10;

$t_r$  = rupture life (h);  
 $\sigma$  = stress (MPa);  
 $T$  = temperature (K);  
 $T_{middle}$  = 867 K

Multiple Heat Analysis:

$$R_1 = 2.145469 \times 10^{-2}$$

$$R_2 = -5,622.757$$

$$B = 9.669556$$

$$C = -0.899189$$

$$D = -2.712944 \times 10^{-3}$$

$$E = -2.960149 \times 10^{-6}$$

Single Heat Analysis:

$$R_1 = 1.808542 \times 10^{-2}$$

$$R_2 = -8,329.924$$

$$B = 10.34383$$

$$C = -1.235589$$

$$D = -2.23387 \times 10^{-3}$$

$$E = -3.084246 \times 10^{-6}$$

The standard error for the MCM multiple heat analysis was 0.297 with an  $R^2$  value of 87.6%, while the standard error for the MCM single heat analysis was 0.296 with an  $R^2$  value of 87.7%. When Eq. 2 was evaluated with the same data base as used to generate the MCM equations, a  $R^2$  value of 86.6% and a standard error of 0.309 were found.

Figure 2 compares the curves based on the ORNL Eq. [Eq. 2] with the curves developed using the MCM equations and the total data base. Figure 2 shows that results from all of the equations fit the data and give similar results for extrapolated rupture times up to about 649°C. At this temperature and beyond, overaging is clearly occurring making it difficult to predict long term behavior based on the available data base, i.e. 264 data points.

The ability to extrapolate rupture lives of Alloy 718 procured to ASTM specification B-637 was required in order to set stress allowables for this material used as bolting at temperatures to 566°C and for times up to 300,000 h as defined in ASME Code Case N-47-28.

Given in Fig. 3, are rupture ductility values from the data base and plotted as a function time for temperatures ranging from 538 to 704°C. At temperatures of 649°C and beyond, there is an indication of an increase in ductility with time as one would expect from consideration of metallurgical reactions due to overaging.

#### ANALYSIS OF TERTIARY CREEP DATA

Available data for time to tertiary creep ( $t_{ss}$ ) as determined by the 0.2%-offset definition were next analyzed, since the stress to cause onset of tertiary creep is one of the criteria used to determine time-dependent allowable stresses in some sections of the ASME Code. Data for the creep strain to the onset of tertiary creep ( $e_{ss}$ ) were also examined because a knowledge of  $t_{ss}$  and  $e_{ss}$  has been found to be useful in describing creep strain-time behavior.

It is common practice to relate  $t_{ss}$  to  $t_r$  by use of a simple power law expression.

$$t_{ss} = At_r^\beta. \quad (4)$$

Detailed study showed that both  $A$  and  $\beta$  remained constant over the range of the data examined, being given by 0.442 and 1.04, respectively. Note that since the value of  $\beta$  is greater than one, the ratio of  $t_{ss}$  to  $t_r$  increases with time, and  $t_{ss}$  will in fact at some point exceed  $t_r$ . This trend obviously becomes unrealistic at some point, but the data indicate that is accurate up to  $t_r = 10^5$  h. At this point  $t_{ss}/t_r \approx 0.7$ . For this reason, it is recommend that the value of  $t_{ss}/t_r$  be maintained at 0.7 for longer times. Such an assumption prevents unrealistic predictions and is conservative in the estimation of allowable stresses by the tertiary creep criteria.

Strain to the onset of tertiary creep was then calculated as follows. The average creep rate to the onset of tertiary creep,  $\dot{e}_{ss}$ , was defined as

$$\dot{e}_{ss} = (e_{ss} - 0.2)/t_{ss} \quad (5)$$

For the current data a relationship of the following form described the data well.

$$\dot{\epsilon}_{ss} = B t_r^{-\alpha} \quad (6)$$

or combining Eqs. 4-6

$$\epsilon_{ss} = 0.2 + (0.442)(B) t_r^{-\alpha+1.04} \quad (7)$$

Figure 4 compares data fit values based on Eq. 7 with experimentally observed values. The values of  $B$  and  $\alpha$  were constant in the temperature range 593 to 704°C, given by 2.142 and 1.151, respectively. However, for the data at 538°C, an approximate fit could be obtained only by using separate  $B$  and  $\alpha$  values of 34.182 and 1.443, respectively. In the absence of data at other temperatures, we suggest interpolation in  $\log \epsilon_{ss}$  vs  $T$  space between 538 and 593°C and use of the 538°C constants below 538°C. In general the 538°C curve yields a higher value for  $\epsilon_{ss}$  at a given value of  $t_r$ . However, at very long times the curves cross over. It might be more reasonable to expect that the curves simply converge. Therefore we recommend that the high-temperature curves be used at all temperatures in such cases ( $t_r > 11,000$  h). The data show a large amount of scatter which is typical in creep measurements and are illustrative of the difficulties in attempting to model creep behavior.

#### CREEP STRAIN-TIME BEHAVIOR

In developing a creep strain-time relationship, the concept of a "master" curve was used. As illustrated in Fig. 5, the curve was constructed by plotting normalized creep strain ( $\epsilon^* = \epsilon/\epsilon_{ss}$ ) versus normalized time ( $t^* = t/t_{ss}$ ) up to the onset of tertiary creep. Within normal data scatter, normalized creep data at all stresses and temperatures appeared to fall on a single "master" curve. This "master" creep curve was analytically represented as

$$\epsilon^* = \exp [1.75(t^* - 1)] (t^*)^{0.2} \quad (8)$$

where  $\epsilon^*$  = normalized creep strain  
and  $t^*$  = normalized time.

This simple equation form predicts the desired curve shape with only two constants, both independent of heat, stress, and temperature within the range of available data. Moreover, there are no specific trends that indicate problems in extrapolating this relationship to stresses, temperatures, or heats beyond the range of the present data. Variations in behavior due to these factors can be reflected simply by variations in  $t_{ss}$  and  $\epsilon_{ss}$ ; these variations can be estimated as described above.

Alternatively, as shown in Fig. 5 (d), the master curve up to about  $t^* = 0.6$  can be described by a rational polynomial form as follows:

$$\epsilon^* = \frac{6t^*}{1 + 100t^*} + 0.65t^* \quad (9)$$

Equation (9) includes all of the advantages of its simple rational polynomial form, but Eq. (8) describes more of the creep curve. However, the power law factor in Eq. (8) produces an infinite initial ( $t = 0$ ) creep rate.

Using Eqs. 2, 4, 7, and 8 predictions of deformation behavior were made for a number of constant and step load creep test conditions as well as stress relaxation response as shown in Figs. 6 - 9. Figure 6 compares experimental data with predicted response for a constant load creep test. Excellent agreement is achieved between experimental data and predicted response using the average lot constant for this heat as given in Table 1. Figure 6 also shows the marked influence of lot constant values on predicted deformation behavior when possible minimum and maximum values were chosen. Figure 7 shows another example comparison between estimated and measured creep response. The data given in Fig. 7 are from another heat tested at a somewhat lower stress such that the failure time was considerably longer than the test results shown in Fig. 6. The agreement between predicted and experimentally measured creep response shown in Fig. 7 is not as good as that shown in Fig. 6. Figure 8 displays data from two step-load creep tests conducted on heat 9419. In these tests, applied loads were intermittently changed to yield information about creep behavior under variable stresses. Through the use of an appropriate "hardening rule" the monotonic creep equation presented above can be used to predict behavior under variable stress. Using the master creep curve approach a strain fraction hardening law based on  $\epsilon/\epsilon_{ss}$  and a time fraction hardening law based on  $t/t_{ss}$  will yield equivalent results. Either this time- or strain-fraction approach is equivalent to simply following along the master creep curve continuously without regard to stress changes ( $\epsilon_{ss}$  and  $t_{ss}$  will of course change each time the stress changes). The predictions shown in Fig. 8 were made in this fashion.

Relaxation data were generated from a single test specimen by first loading it at 649°C to a stress of about 880 MPa; it was then held at a constant strain while the stress relaxed for 100 h. The specimen was then unloaded and repeatedly loaded to about this same stress level, relaxed, etc. for five cycles. The specimen was observed to undergo cyclic softening (more relaxation) with each cycle. Figure 9 compares the predictions from the master creep equation [Eq. 8] and this time-strain fraction hardening rule with the experimental relaxation data for this heat. Except for an overprediction in the initial relaxation rates in about the first hour of the first relaxation period, the predictions compare well with the data. These predictions required extension of the master curve to  $t^* = 1.22$ . Strictly speaking, these predictions are only valid to  $t^* = 1$ , which occurred about halfway through the fourth relaxation period.

## INFLUENCE OF THERMAL AGING ON SUBSEQUENT PROPERTIES

Several heats of material were given the heat treatment specified above and then aged without the presence of stress isothermally at temperatures ranging from 593 to 760°C. Aging times ranged up to 27,000 h. Room temperature tensile and elevated temperature creep-rupture tests were then performed on the aged material. Figure 10 and 11 compare the ratio of aged to unaged yield and ultimate strength values as a function of aging time and temperature. The data clearly show a decrease in tensile values (over aging) at temperatures much above 649°C as one would expect from a consideration of the initial heat treatment aging temperatures of 718 and 621°C.

Figures 12 and 13 compare predicted average expected rupture strength levels from Eq. 2 at 593 and 649°C with test data obtained at these temperatures, but from material previously thermal aged in the temperature range of 593 to 760°C. Aging times ranged up to 27,000 h. This comparison again clearly demonstrates the influence of overaging that occurs at temperatures in the range of 649°C and higher, and further explains the decrease in long term rupture data trends seen in Figs. 1 and 2.

## CONCLUSIONS

Creep and creep-rupture expressions were developed for Alloy 718 procured to ASTM specifications A-670 or A-637. The pre-test heat treatment employed was generally a  $954 \pm 14^\circ\text{C}$  solution treatment followed by a duplex aging treatment. Following are general conclusions from this analysis.

1. Creep-rupture equations were developing using data obtained from specimens taken from eighteen heats in several product forms and tested at temperatures from 427 to 760°C and at test times up to about 87,000 h. The equations developed were based on concepts of lot-centering regressions analysis and the Minimum Commitment Method. Both methods gave similar results in terms of fitting the data and ability to extrapolate in time up to temperatures of about 649°C when overaging was observed to occur in the material. The lot centering model developed is given with lot constants for several heats allowing estimates of rupture lives for individual heats to be made. Alternately, tests could be conducted on another or new heat with the assumption that the equation was applicable and a lot constant for that heat estimated from the new data.
2. Estimates of creep deformation for monotonically loaded, step-loaded, and stress-relaxation tests were made by first developing a "master" creep curve equation. This equation was used to estimate creep deformation up to about the onset of tertiary creep. The master creep equation was used with the lot-centering creep-rupture expression and several other equations in order to approximate the shapes of the experimentally determined creep curves and to allow heat-to-heat variations to be included in creep deformation estimates.

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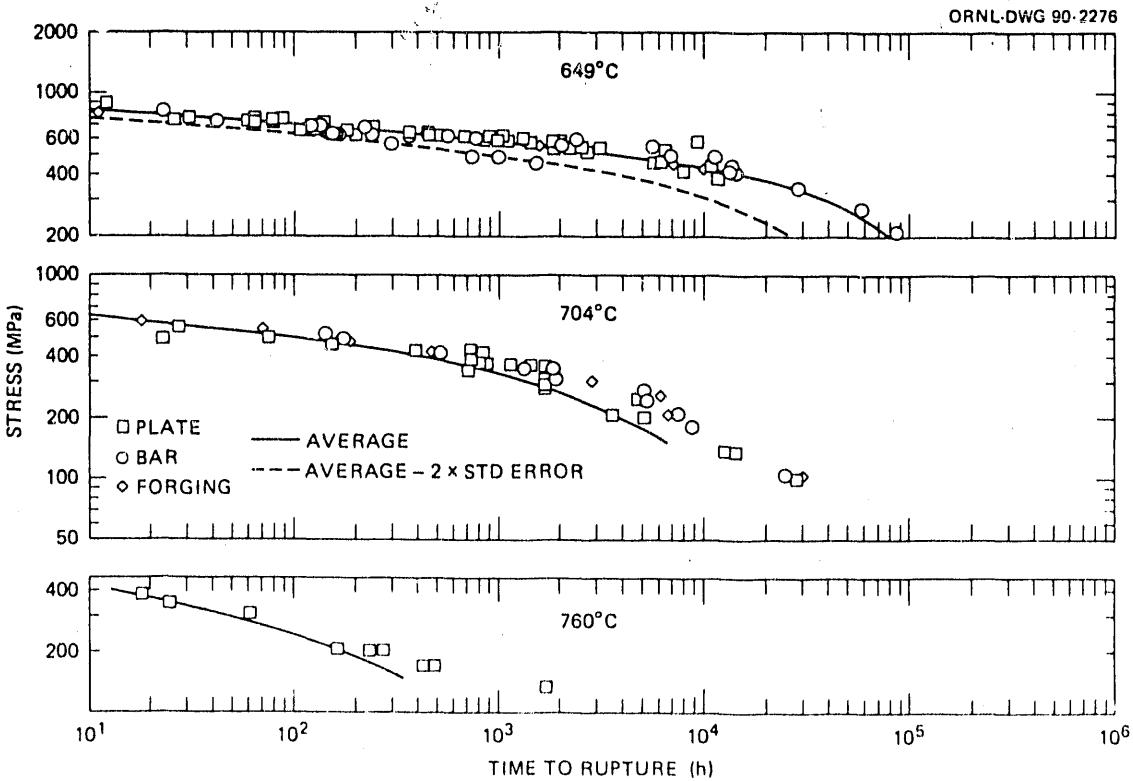
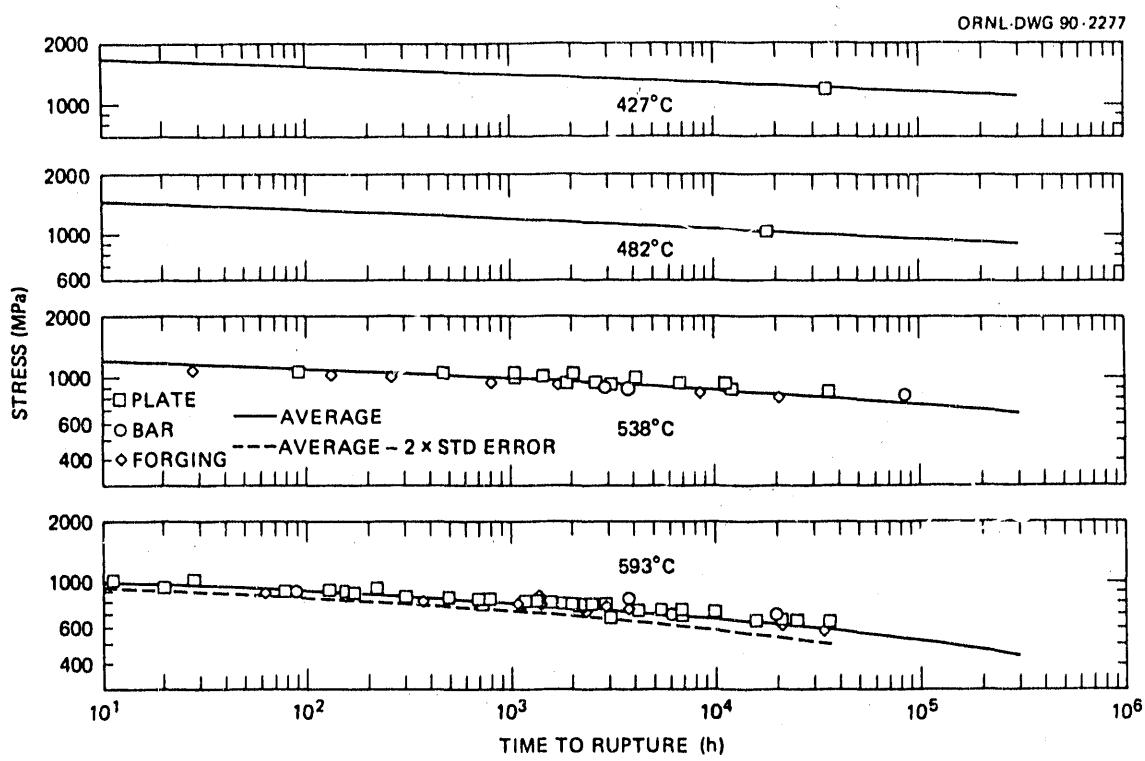


Fig. 1. Comparison of predicted and actual creep-rupture lifetime for Alloy 718.

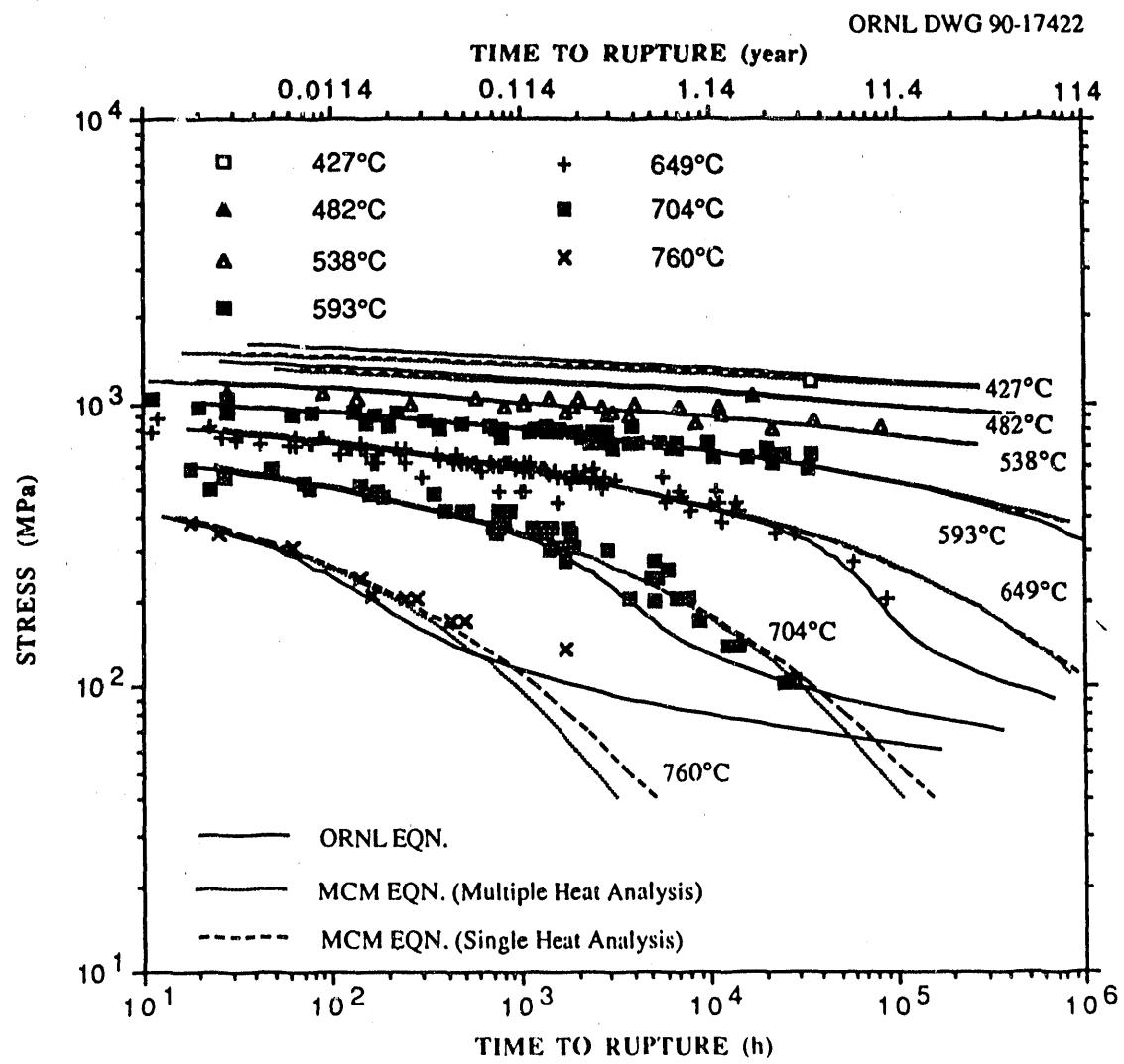


Fig. 2. Comparison of creep-rupture data base and isothermal curves established using several equations.

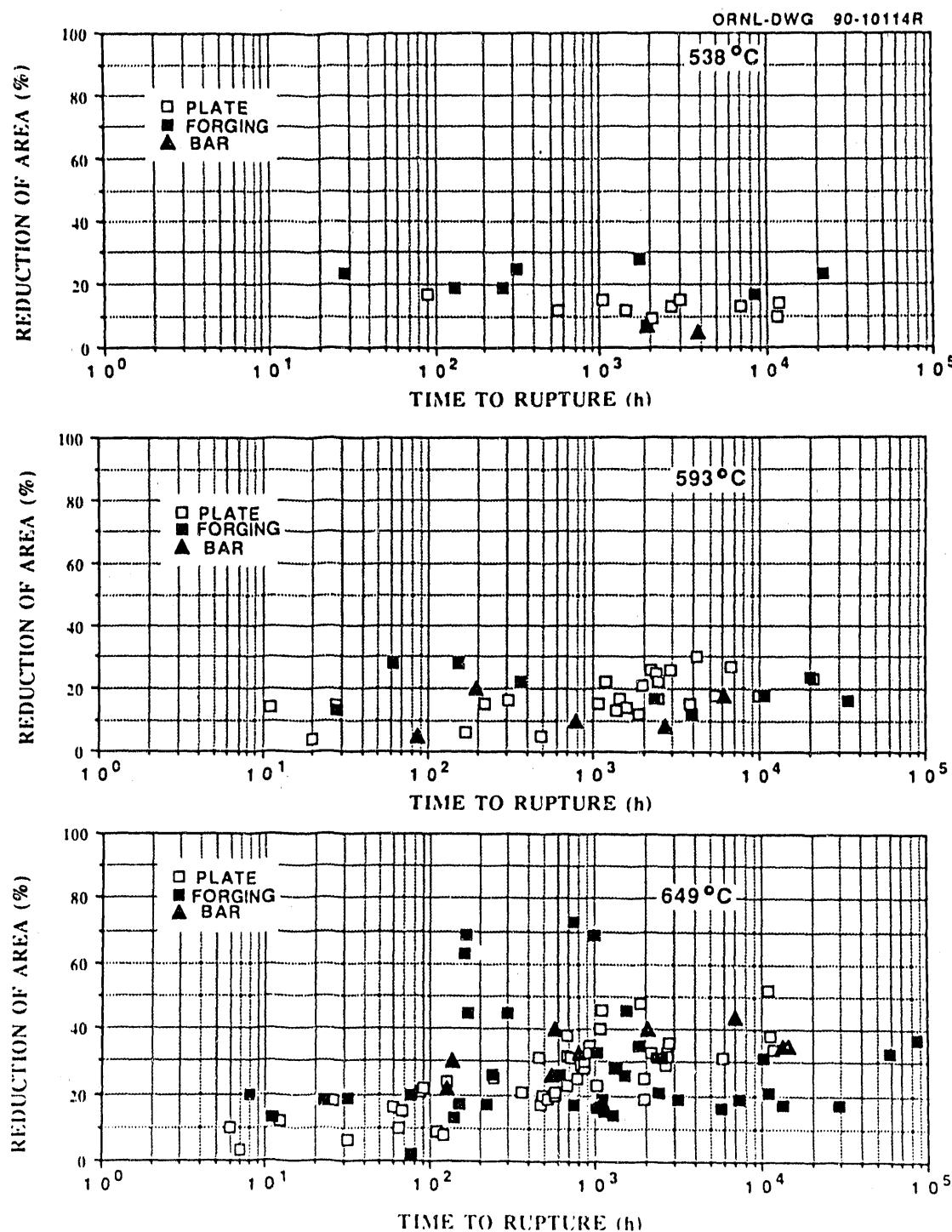


Fig. 3. Creep rupture ductility plotted as reduction of area as a function of rupture time for Alloy 718.

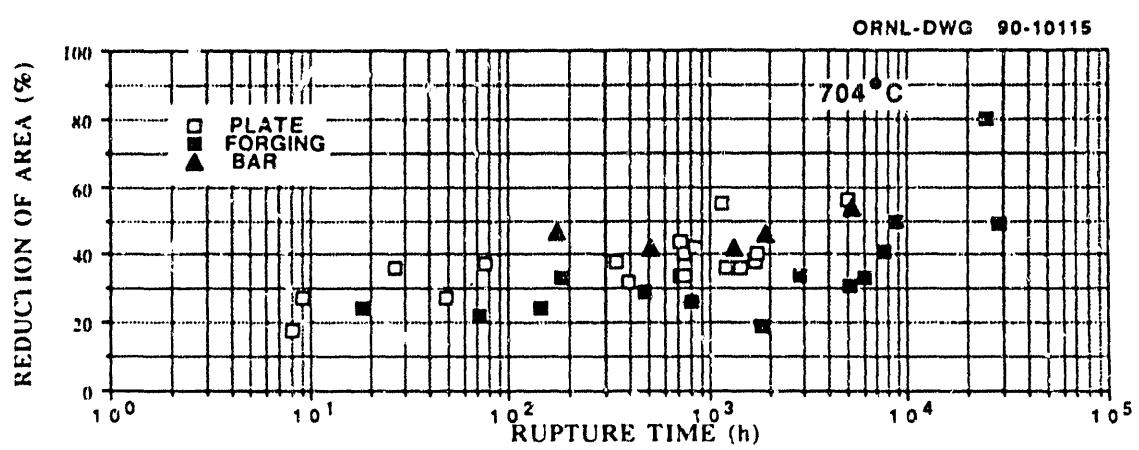


Fig. 3. (continued)

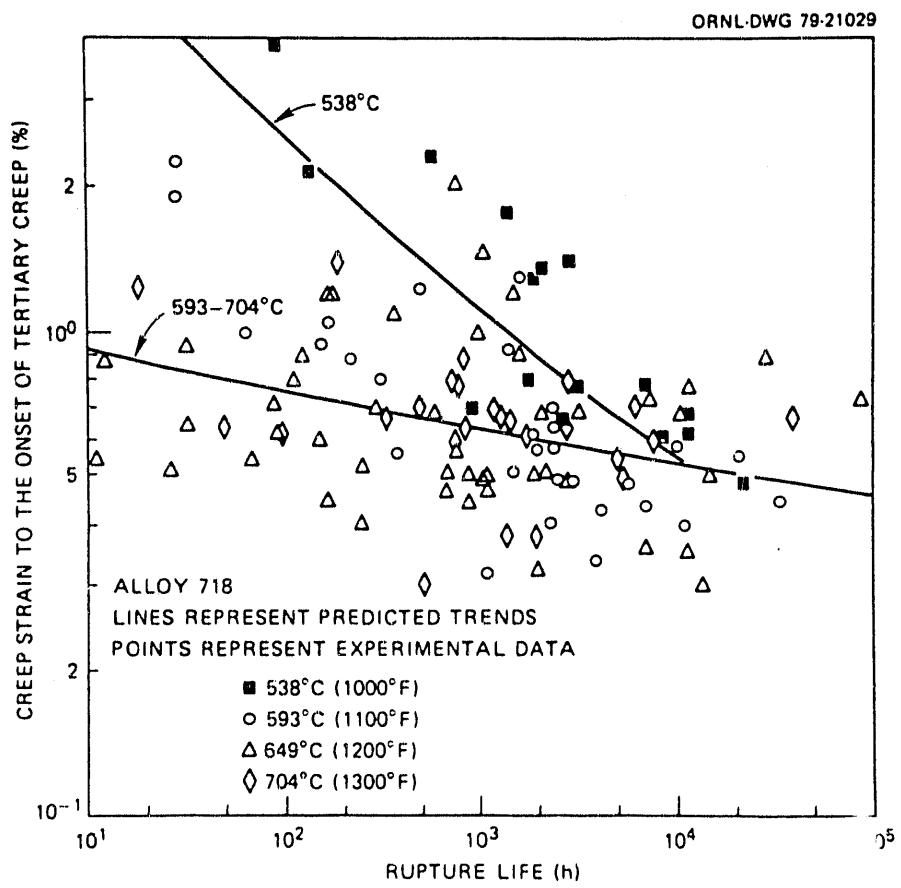
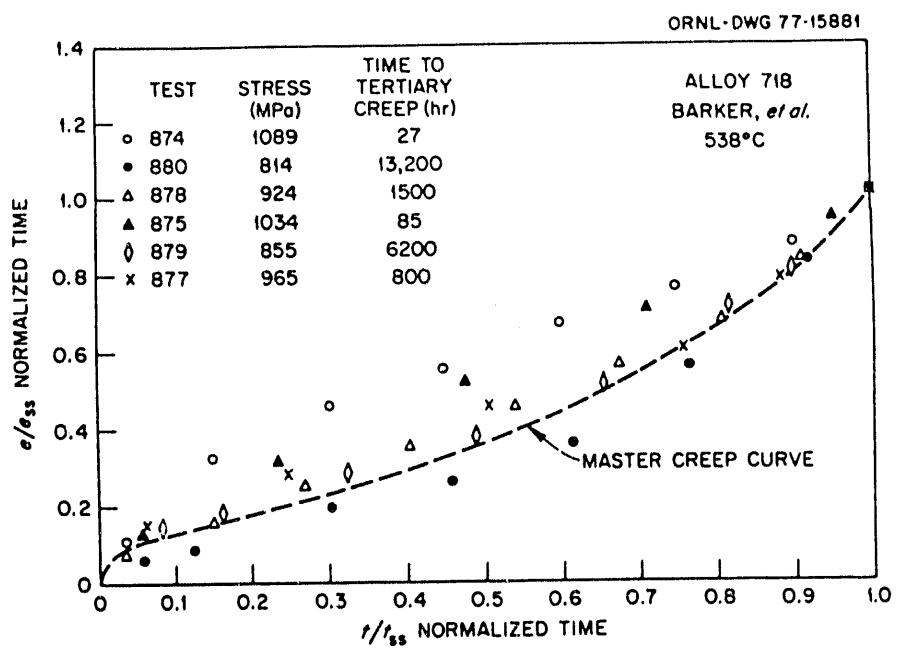
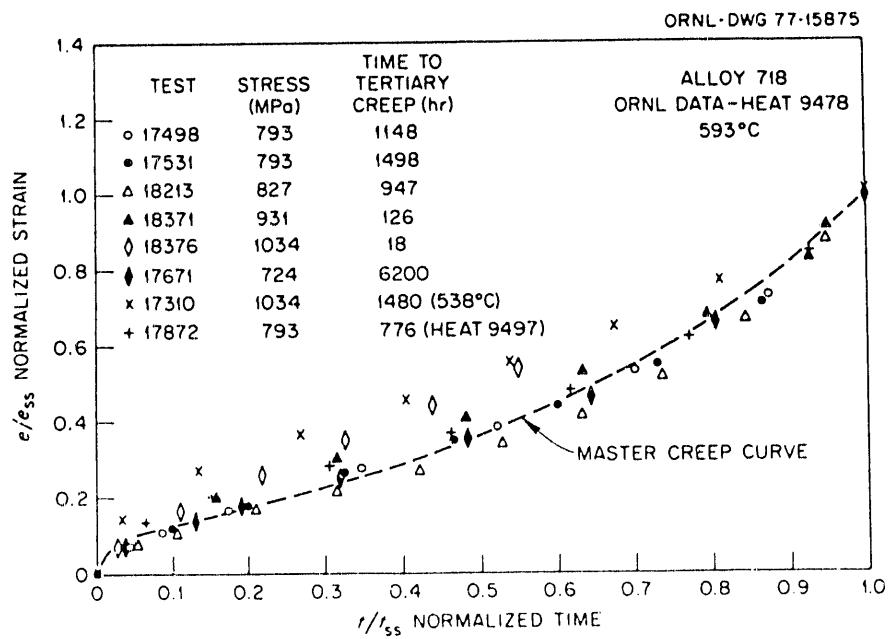


Fig. 4. Comparison of predicted and experimental values of creep strain to the onset of tertiary creep for Alloy 718.

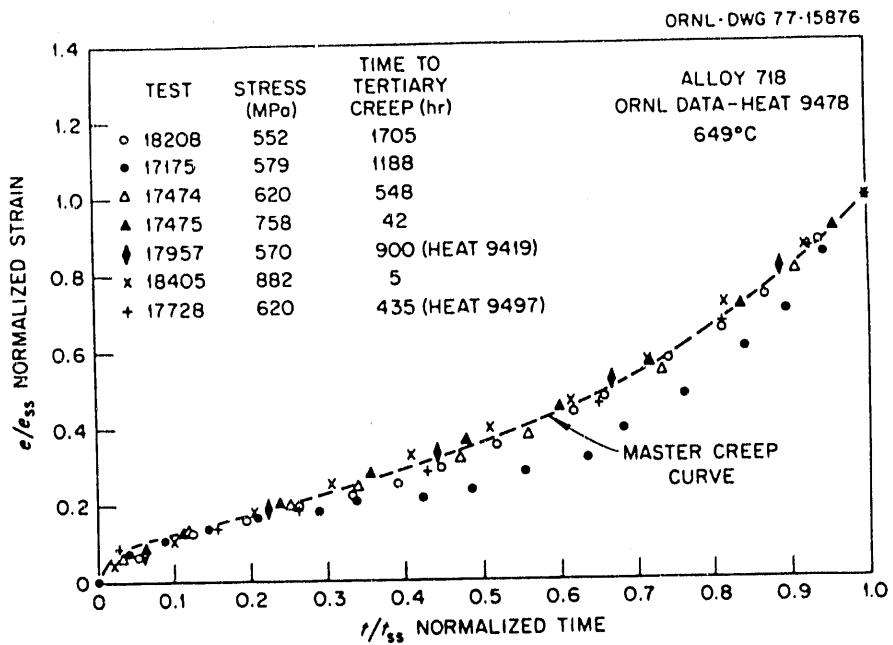


(a) 538°C

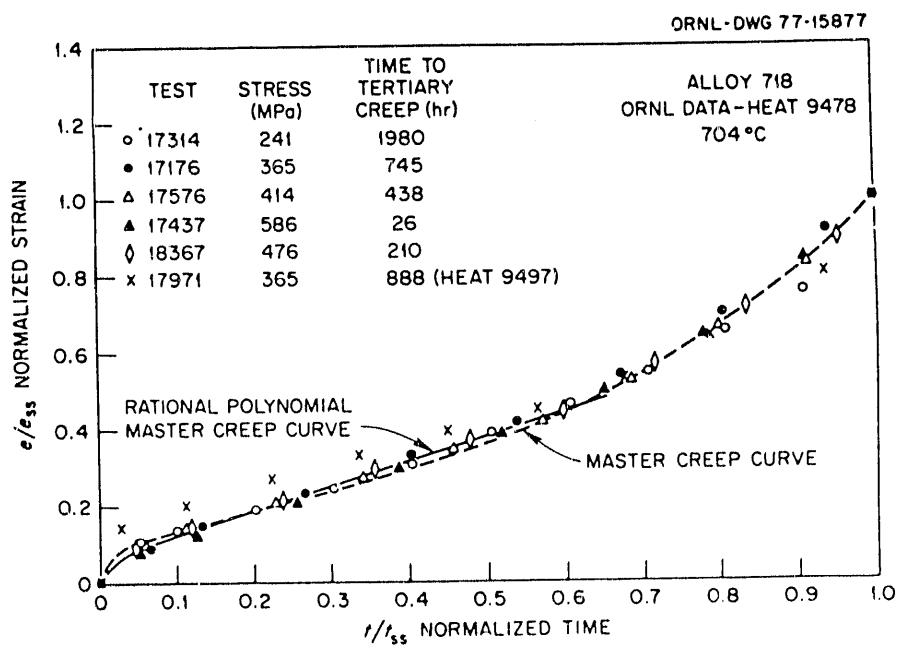


(b) 593°C

Fig. 5. Normalized creep curves for several data sets.



(c) 649°C



(d) 704°C

Fig. 5. (continued)

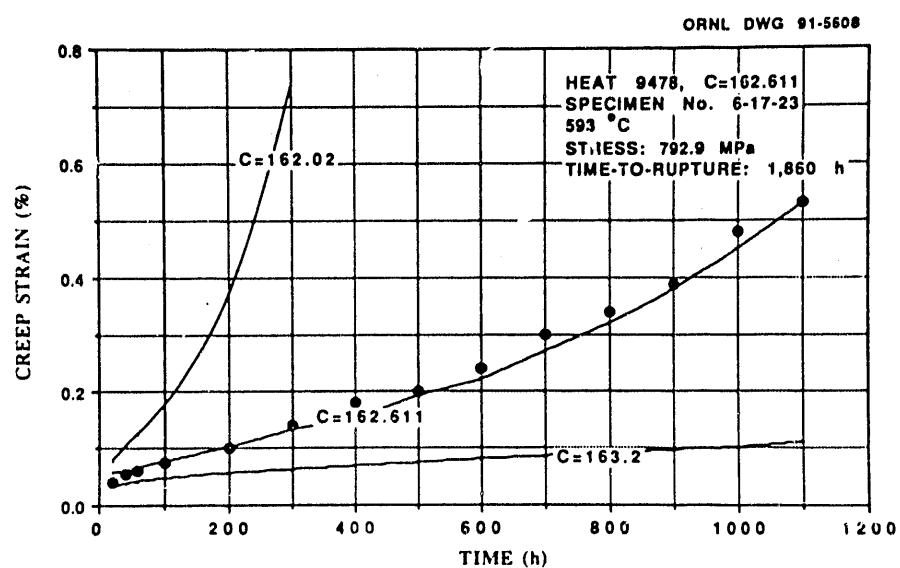


Fig. 6. Comparison of predicted versus experimentally measured (dots) deformation behavior for a single heat. Also shown is the influence of lot constant on predicted deformation.

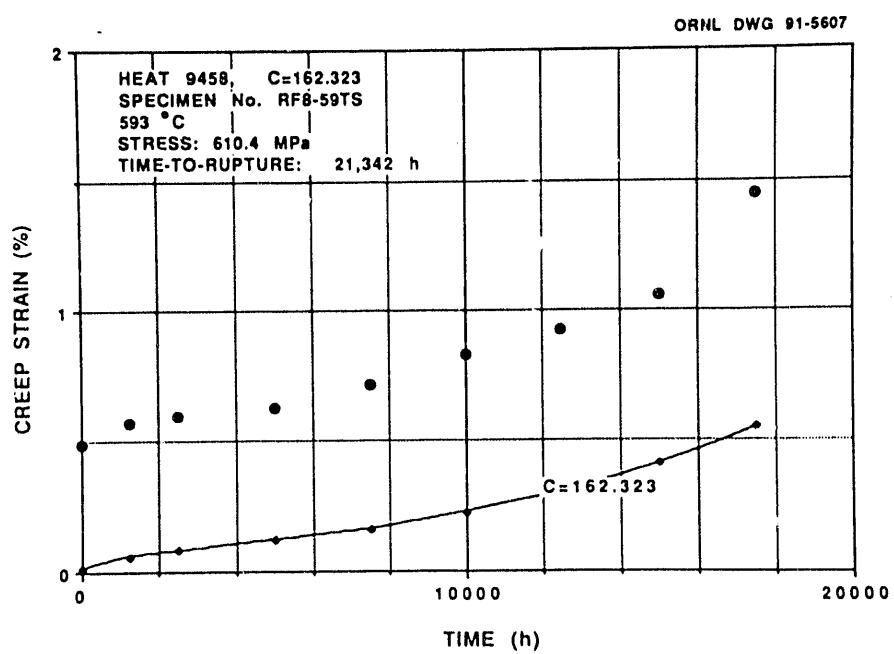
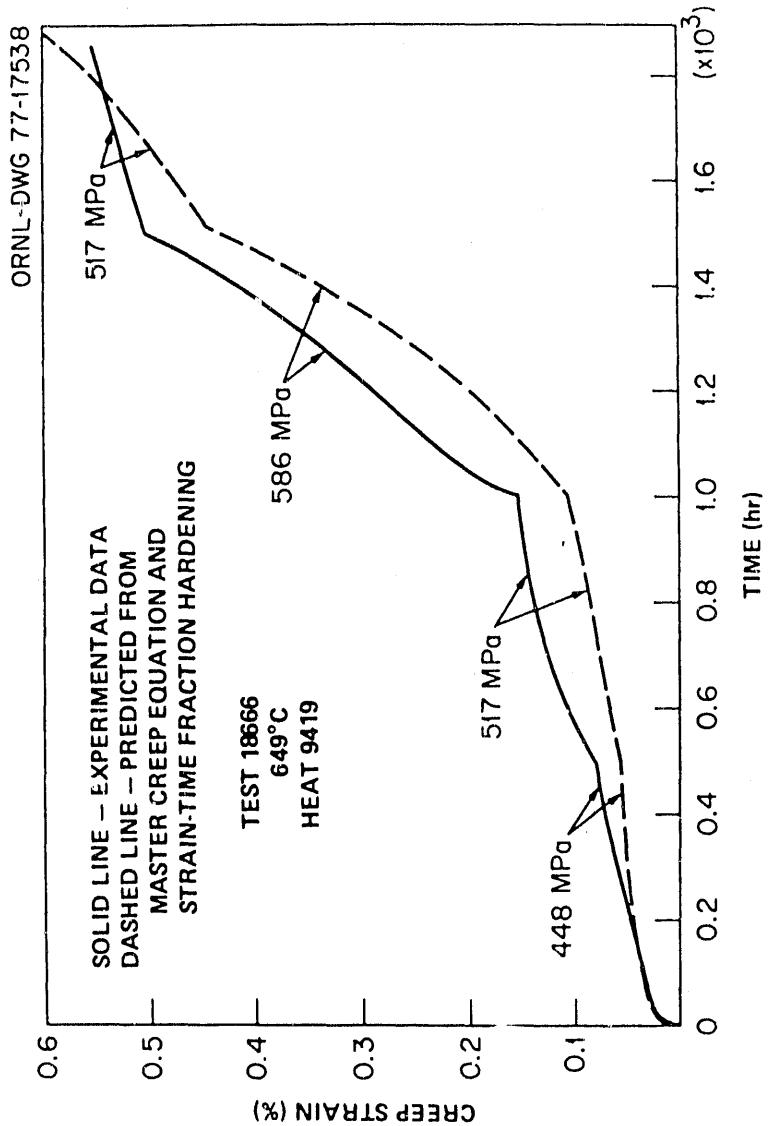
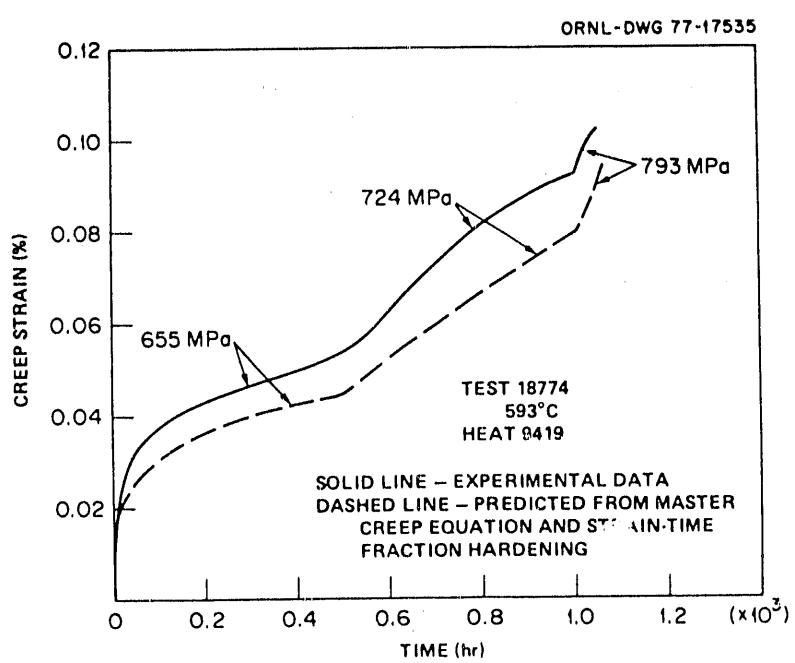


Fig. 7. Comparison of predicted versus experimentally measured (dots) deformation behavior for a single heat.



(a)

Fig. 8. Comparison between variable load creep data and predicted deformation from master creep curve assuming strain-time fraction hardening.



(b)

Fig. 8. (continued)

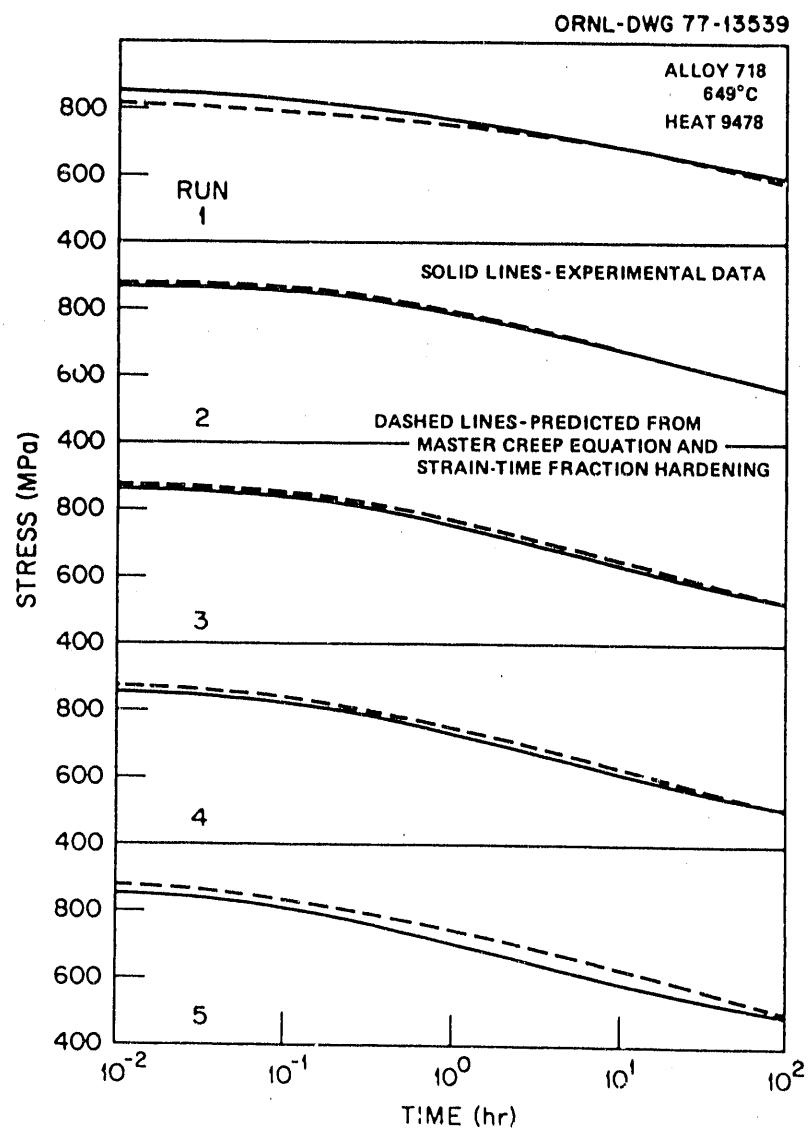


Fig. 9. Comparison of experimental relaxation data and predicted behavior from master creep equation assuming strain-time fraction hardening.

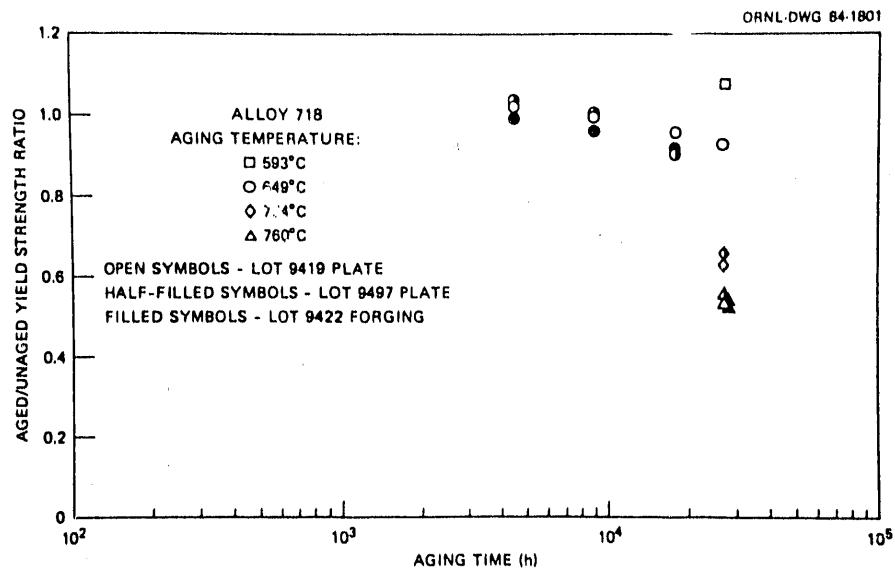


Fig. 10. Effect of thermal aging on room-temperature yield strength of commercially heat-treated alloy 718.

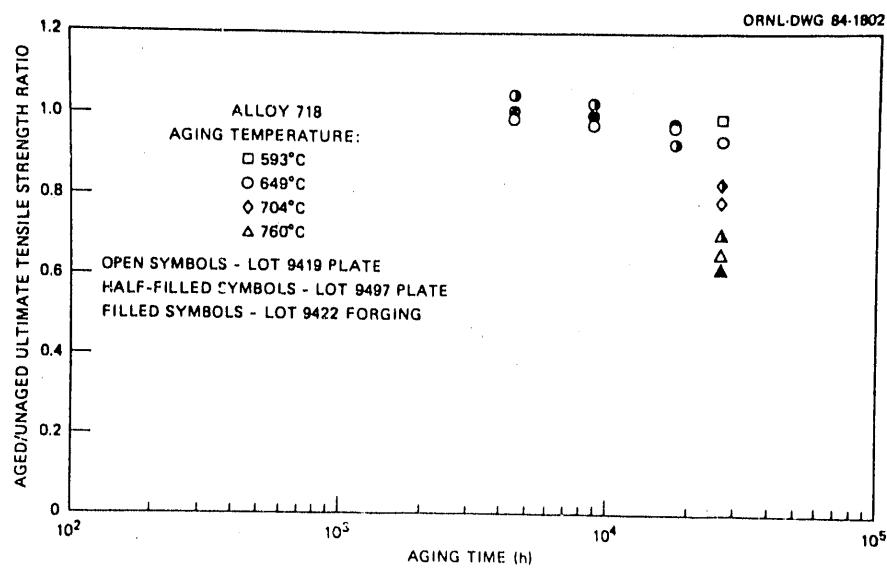


Fig. 11. Effect of thermal aging on room-temperature ultimate tensile strength of commercially heat-treated alloy 718.

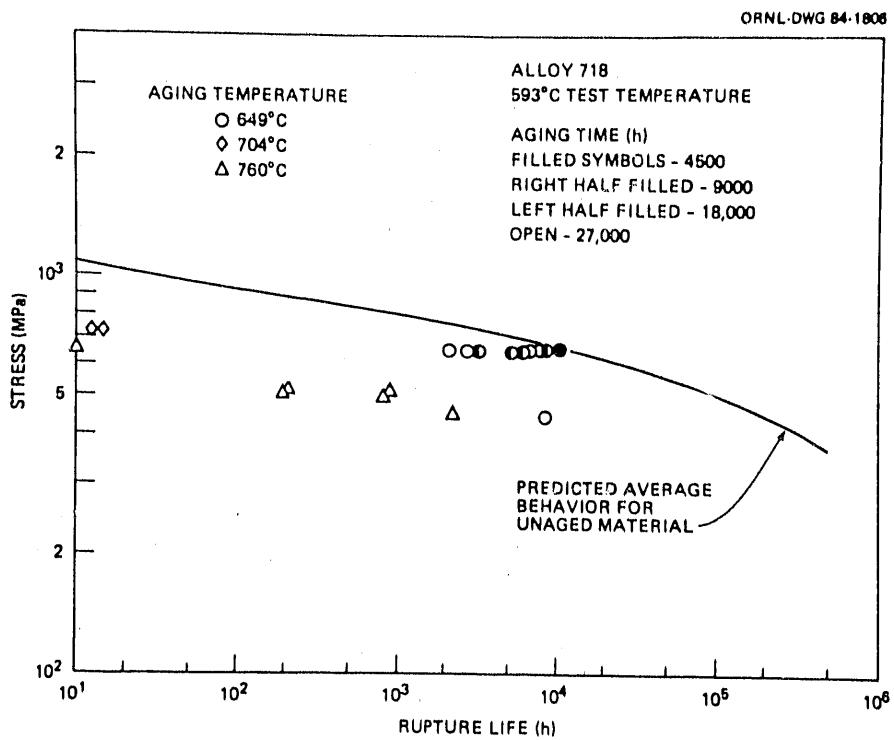


Fig. 12. Comparison of creep-rupture behavior at 593°C of thermally aged alloy 718 with typical unaged material.

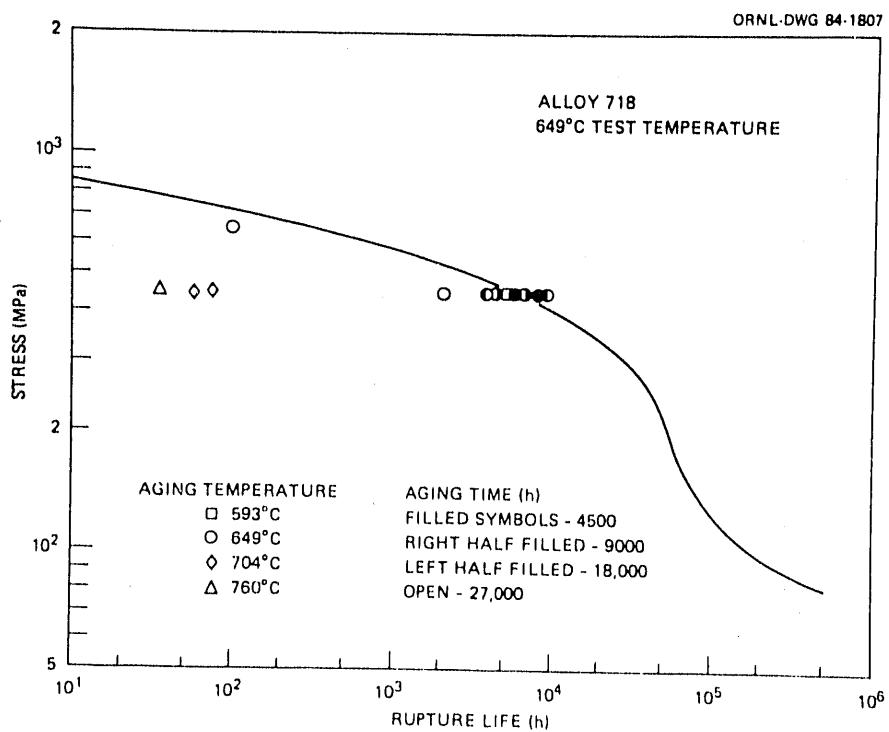


Fig. 13. Comparison of creep-rupture behavior of 649°C of thermally aged alloy 718 with typical unaged material.

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