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THE ADSORPTION OF CESIUM, STRONTIUM, AND CERIUM ON ZEOLITES  
FROM MULTICATION SYSTEMS

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INTRODUCTION

Nearly all of the fission products produced at Hanford are stored in alkaline slurries in underground waste storage tanks. Although such tank storage has been satisfactory to date, certain improvements have been proposed <sup>(1)</sup>. The Chemical Processing Department has proposed to remove long-lived, heat-producing radioisotopes from the high-level wastes and package them separately for long term storage and to concentrate the residual wastes to salt cakes after a few years of liquid storage. Strontium will be removed from stored alkaline sludges by a dissolution step followed by separation, using the CSREX process <sup>(2)</sup>. The cesium contained in the alkaline supernates will be separated by an ion exchange process <sup>(3)</sup> employing a cesium selective exchanger. Cesium, strontium, and rare earths will be separated from Purex denitrated waste by the CSREX process. The cesium and strontium not designated for immediate use will, <sup>then</sup> be adsorbed on zeolites for a long-term storage in high integrity containers <sup>(4)</sup>.

The adsorption of cesium and strontium on zeolites provides the necessary flexibility to meet immediate waste management needs and probable future market demands. The adsorbed isotopes are not readily leached by fresh water but can be recovered by eluting or leaching with suitable salt or acid solutions <sup>(5)</sup>.

Since fission product recovery solutions have not been fully characterized, the results of laboratory studies based on simulated solutions are incomplete.

Therefore, methods were investigated which permit calculation of fission product loadings on zeolites from basic exchange data for a wide range of solution concentrations.

SUMMARY

Cation exchange equilibria in binary systems of  $\text{Cs}^+$ ,  $\text{Sr}^{+2}$ , or  $\text{Ce}^{+3}$  with other cations expected in fission product recovery solutions are presented for several zeolites (Linde 4AXW, 13X, AW-400, AW-500, Norton Zeolon and clinoptilolite) along with a method of estimating zeolite loadings for multication systems. Strontium breakthrough curves are calculated from equilibrium and diffusion data for comparison with experimental breakthrough curves.

Cesium and strontium loadings of about 1.5 and 2.5 meq/g of zeolite, respectively, were obtained with cesium and strontium feed solutions. Column results show 0.9 and 1.3 meq/g of cesium and strontium, respectively, loaded together on 4A from a simulated CSREK 1BP solution.

METHODS OF INVESTIGATION

Synthetic zeolites used in these studies were obtained as pellets or crushed and sieved broken pellets. Included were sodium-based, 1/16-inch diameter pellets of 13X, 4A, 4AXW, AW-400, and AW-500 supplied by the Linde Company of Tonawanda, New York, and 1/8-inch hydrogen-based Zeolon pellets supplied by the Norton Company of Worcester, Massachusetts. The clinoptilolite was obtained from the Hector, California, deposits of the Baroid Division of National Lead. Carbonates and clays in the clinoptilolite were removed or destroyed by

a ten percent nitric acid wash prior to use. Table I gives some of the pertinent properties of the zeolites used in this study.

TABLE I  
Zeolite Properties

Zeolite	$\text{SiO}_2/\text{Al}_2\text{O}_3$	Wt % binder	Wt % $\text{H}_2\text{O}$ 25C	Structural type	Capacity meq/g
4A	2	20	25	A	3.5
4AXW	2	10	30	A	3.9
13X	2.8	20	25	faujasite	3.6
AW-500	4-5	25	15	chabazite	2.2
AW-400	6-7	25	12	erionite	2.0
clinoptilolite	8-10	5-15	12	clinoptilolite	1.7
Zeolon	10	---	12	mordenite	1.9

Zeolites used in the equilibrium experiments were based with saturated reagent grade chloride solutions of the desired cations. Zeolites received in the sodium form were contacted with sodium chloride solution several times to insure the purity of the sodium form. The zeolites were thoroughly washed with distilled water which was tested for chloride ion with silver nitrate solution. A final test for chloride ion was conducted on the distilled water after two days contact with the zeolite. A negative test was indicative of a minimum of NaCl inclusion.

Cation exchange capacities were determined by double tracing technique. Weighed, sodium-based zeolite samples in polyethylene bottles were contacted with a solution containing  $0.1\text{N}$  CsCl plus  $0.1\text{N}$  NaCl plus  $\text{Cs}^{134}$  tracer to determine cesium uptake. Cesium-based zeolites, corrected for sodium-cesium

weight differential, were then contacted with a solution containing  $0.1^N$  CsCl plus  $0.1^N$  NaCl plus  $Na^{22}$  tracer to determine sodium uptake by the same zeolites. Total zeolite capacity was assumed to be the sum of the cesium plus sodium loading. A higher capacity could have been obtained in some instances if capacities were determined with smaller size or different valence cations<sup>(6,7)</sup>.

At least two days of contact time with shaking were allowed to obtain zeolite solution equilibrium. High specific activity  $Cs^{134}$ ,  $Na^{22}$ ,  $Sr^{85}$  and  $Ce^{144}$  were used to trace the equilibrium solutions. Solution-to-zeolite ratios were adjusted to yield statistically reliable counting rates in the equilibrium solutions. Zeolites were originally based with the untraced cation in the system. The total capacity of the zeolite minus the amount of traced cation removed from the equilibrium solution was assumed to represent the amount of traced cation on the zeolite. Eight to twelve points were determined for each ion-pair by varying the ratios of contacting cations.

Several systems were traced from both directions to confirm that equilibrium was being attained. The equilibrium solution was held at a constant total normality. Errors introduced by zeolite salt inclusion were probably less than one percent<sup>(8)</sup>. A determination of equilibrium relationships in the sodium-cesium system at a total normality of 0.1 resulted in essentially the same equilibria after activity corrections, confirming that salt inclusion was not a major problem.

Zeolites used in the column experiments were sodium-based in all cases. The zeolites were crushed and sieved to obtain the desired particle size fraction.

The zeolites were washed free of dust and were air dried at room temperature.

Ion exchange columns were prepared by packing 50g of zeolite in a 1.9 cm ID diameter glass tube to a height of 21 cm. The zeolite was supported on a glass wool plug with a wire screen on top. The 50g portions of zeolite were soaked in water prior to packing in the tubes to allow air to escape from the pores of the zeolite. Five days of soaking was found adequate to remove air from particle sizes less than 1.19 mm (16 mesh, U. S. Standard). The columns were packed under water to exclude air bubbles.

Solutions were pumped downflow through the columns by means of peristaltic action pumps. Effluent samples were collected periodically for analysis. The volume of water above and below the column was subtracted from effluent volume measurements. At temperatures above 25C the columns were suspended in a controlled temperature water bath. Feed solutions were boiled to remove dissolved gases and were brought to the desired temperature in coils in the water bath before entering the columns.

#### RESULTS AND DISCUSSION

##### Equilibria

Ion exchange isotherms at 25C for binary systems containing  $\text{Cs}^+$ ,  $\text{Sr}^{+2}$ , and  $\text{Ce}^{+3}$ , plus other ions expected in fission product recovery solutions are shown in Figures 1 through 60. The isotherms for cesium with other alkali and alkaline earth cations are generally favorable for AW-400, AW-500, Zeolon and clinoptilolite but unfavorable for 4AXW and 13X. The isotherms for strontium in the presence of sodium and calcium are favorable with 4AXW and 13X. Only

13X revealed a favorable isotherm for  $\text{Ce}^{+3}$  with alkali metal cations. The effect of temperature is not shown in this report; however, cesium adsorption generally decreases with increasing temperature<sup>(12)</sup>. Recent preliminary data indicate that strontium adsorption is slightly increased by elevating the temperature.

Plots of mass action quotients versus solution equivalent ratios are shown in Figures 61 through 74. The curves not only illustrate the large variation of the mass action quotient with solution cation concentration ratios but are useful for calculating the amount of adsorbed cations.

The mass action quotients were calculated by the following general equation:

$$K_B^A = \frac{(A_z)^{n_A} (B_N)^{n_B}}{(B_z)^{n_B} (A_N)^{n_A}}$$

Where  $A_N, B_N$  = Concentration of cations A and B in equivalents per liter.

$A_z, B_z$  = Equivalent fractions of cations A and B on the zeolite.

$n_A, n_B$  = Number of cations of A and B represented in the chemical equation for the exchange equilibria of A with B.

#### Cation Loading Estimates for Zeolites

The use of binary exchange data to predict the equilibrium distribution of cations between zeolites and process solutions is often complicated by the presence of three or more exchanging cations. Dranoff and Lapidus<sup>(9)</sup>, have shown that binary exchange equilibria in dilute ternary systems ( $\text{Co}^{++} - \text{H}^+ -$

$\text{Ag}^+$  and  $\text{Na}^+ - \text{H}^+ - \text{Ag}^+$  with Dowex 50) is the same as that in pure binary systems. They concluded that this behavior makes it possible to determine equilibrium distribution in systems of more than two exchanging ions from binary exchange data.

A mass action quotient for two cations in a system containing 3 or more cations gives only the ratio of the two cations on the zeolite. Their absolute concentration cannot be estimated from this coefficient alone. However, by definition the summation of all the cation equivalent fractions on the zeolite is unity,

$$A_Z + B_Z + C_Z - - - - - = 1$$

To solve for  $A_Z$ , mass action expressions are substituted in place of  $B_Z$  and  $C_Z$  for the exchange of  $A$  with  $B$  and  $A$  with  $C$ , respectively. For example, where  $A$  and  $B$  are univalent and  $C$  is divalent the following equation is obtained:

$$A_Z + \frac{(B_N)}{(K_B^A)(A_N)} A_Z + \frac{(C_N)}{(K_C^A)(A_N)^2} A_Z^2 = 1$$

Cesium and strontium loadings estimated from binary exchange data are compared with experimental column values for various solutions and zeolites in Table II. When several column values were available for the same feed and zeolite, the data for the small particle size and/or the slow flow rate were selected because of a closer approach to equilibrium. The column values were calculated from the volume of solution to 50 percent breakthrough of the  $\text{Cs}^+$  or  $\text{Sr}^{+2}$  on a log-probability plot, except where marked by an asterisk (\*). The latter were calculated from breakthrough curves by integrating from  $C/C_0$  to 1. In these cases the effluent

$\text{Sr}^{+2}$  exceeded 100 percent breakthrough as the column approached equilibrium with the feed solution. Part of the strontium was desorbed from the column as the zone of sorbed cesium spread throughout the column.

Solutions No. 1 and 2 in Table II simulate ion exchange recovery solutions<sup>(10)</sup> of cesium from stored high-level waste supernatant solutions. Solution No. 1 has a higher Na:Cs ratio than that expected for the ion exchange process in addition to  $\text{K}^+$  and  $\text{NH}_4^+$  impurities. Solution No. 3 is a simulated D2EHPA<sup>1</sup> process 1BP solution<sup>(11)</sup> (treated for acid removal and pH adjustment). The D2EHPA process was initially considered for strontium and rare earth separation but was later replaced by the CSREX process. Strontium recovered by the CSREX process will have more calcium impurity than that of the D2EHPA process. Solutions No. 4 and 5 are simulated CSREX process 1BP solutions<sup>(10)</sup> (treated for acid removal and pH adjustment). Solution No. 4 has a higher  $\text{Na}^+$  concentration than that anticipated for the CSREX process.

Except for Solution No. 5 and 4A and AW-400 the estimated and experimental results generally agree within experimental error. The cause for the differences for solution No. 5 and 4A and AW-400 are unknown at the present time. It is possible that the 50 percent breakthrough estimates are in error because of some very slow exchange taking place.

Initial results with solutions containing high concentrations of sodium carbonate to cesium carbonate indicated that activity corrections would be necessary to obtain satisfactory cesium loading estimates on zeolites. However, subsequent work with solutions in the expected concentration range for fission product packaging

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<sup>1</sup> Di(2-ethyl-hexyl) phosphoric acid

TABLE II

Comparison of Estimated Cesium and Strontium Loadings with Experimental Loadings  
at 25°C

Solution No.	Zeolite	Cation Concentrations in Gram Equivalents per Liter						Common Anion	Sorbed Cation	Estimated Loading meq/g	Experimental Loading meq/g
		Cs <sup>+</sup>	Sr <sup>+2</sup>	Na <sup>+</sup>	Ca <sup>+2</sup>	K <sup>+</sup>	NH <sub>4</sub> <sup>+</sup>				
1	AW-400	0.056	--	1.00	--	0.025	0.010	CO <sub>3</sub> <sup>=</sup>	Cs <sup>+</sup>	1.18	1.25
2	AW-400	0.08	--	0.64	--	--	--	"	Cs <sup>+</sup>	1.50	1.51
2	AW-500	"	--	"	--	--	--	"	Cs <sup>+</sup>	1.54	1.40
2	Zeolon	"	--	"	--	--	--	"	Cs <sup>+</sup>	1.33	1.35
2	Clinoptilolite	"	--	"	--	--	--	"	Cs <sup>+</sup>	1.50	1.42
3	4A	--	0.070	0.20	0.020	--	--	NO <sub>3</sub>	Sr <sup>+2</sup>	2.70	2.50
4	4A	0.040	0.054	1.17	0.054	--	--	"	Sr <sup>+2</sup>	1.37	1.18
4	4A	"	"	"	"	--	--	"	Cs <sup>+</sup>	0.25	0.27
4	AW-400	"	"	"	"	--	--	"	Cs <sup>+</sup>	0.98	1.06
4	AW-500	"	"	"	"	--	--	"	Cs <sup>+</sup>	1.08	1.11
5	4A	0.040	0.054	0.20	0.054	--	--	"	Sr <sup>+2</sup>	1.76	1.30
5	4A	"	"	"	"	--	--	"	Cs <sup>+</sup>	0.47	0.90
5	AW-400	"	"	"	"	--	--	"	Sr <sup>+2</sup>	0.16	0.08*
5	AW-400	"	"	"	"	--	--	"	Cs <sup>+</sup>	1.14	1.45
5	AW-500	"	"	"	"	--	--	"	Sr <sup>+2</sup>	0.07	0.07*
5	AW-500	"	"	"	"	--	--	"	Cs <sup>+</sup>	1.34	1.33
5	Clinoptilolite	"	"	"	"	--	--	"	Cs	1.07	1.13

\*See Text - Page 9

show that activity corrections do not significantly improve the accuracy of the loading estimates.

Recent preliminary data indicate that the Sr-Ca and Sr-Na equilibria with 4A is only slightly different at 70C compared with data at 25C. Thus, approximate 4A loadings at 70C may be predicted for Na-Sr-Ca systems from mass action quotients determined at 25C.

Column Studies

Because of the generally slower exchange rate of strontium relative to cesium the variables affecting the rate of strontium uptake were studied in greater detail<sup>(13)</sup>. Most of this work involved 4A zeolite and simulated D2EHPA 1BP solutions. The 4A zeolite is the most selective for strontium in the presence of sodium of the zeolites studied. Figures 75 through 81 show the effect of particle size, temperature, flow rate and column length on the strontium breakthrough curves. In general, increasing the temperature and decreasing the particle size will reduce the loading cycle time and the amount of recycle effluent. Decreasing the flow rate will reduce the amount of recycle effluent but will increase loading time. (Column effluent containing significant concentrations of strontium will be recycled to the headend of the recovery process). Column length had no significant effect on the slope of the strontium breakthrough curve for the experimental conditions given.

Very small particle sizes are undesirable because of the high pressure drops across the bed of zeolite during drying<sup>(14)</sup>. The physical properties of the 8 x 12

mesh beads and 1/16-inch pellets of 4A are superior to the crushed material but loading and drying time are believed to be too long for process use.

Table III shows the amount of strontium adsorbed at various column throughput values for the curves in Figure 77.

Cesium breakthrough curves for cesium selective zeolites and simulated ion exchange recovery solutions are shown in Figures 82 through 83. The solutions containing  $0.32\text{M}$   $\text{Na}_2\text{CO}_3$  and  $0.04\text{M}$   $\text{Cs}_2\text{CO}_3$  represent about the maximum Na:Cs ratio desired if a minimum loading of 1.5 meq of cesium per gram of zeolite is to be achieved.

TABLE III  
Strontium Loading of 4A Zeolite

<u>Particle Size</u>	<u>Strontium Loading meq/g</u>				
	<u>30 c.v.</u>	<u>35 c.v.</u>	<u>40 c.v.</u>	<u>45 c.v.</u>	<u>50 c.v.</u>
Mesh					
16-18	2.10	2.29	2.38	2.49	2.60
20-25	2.33	2.53	2.65	2.72	2.77
30-35	2.43	2.61	2.69	2.71	2.76
45-50	2.47	2.70	2.79	2.80	2.86

Flow rate 12 c.v./hr \*

\*c.v. = Column Volume, includes volume of zeolite plus interstitial solution.

Cesium and strontium breakthrough curves for columns of 4A and a simulated CSREX 1BP feed solution are shown in Figure 87. Although the cesium and strontium break through about the same time, the cesium approaches  $\text{C}/\text{C}_0 = 1$  more rapidly than strontium.

Cesium breakthrough curves for AW-400, AW-500 and clinoptilolite with CSREX 1BP feed are shown in Figure 88. Cesium loading on AW-400 and AW-500 is about 95

percent of the total cesium plus strontium loading. If desired, the purity of the cesium could probably be increased by removing the strontium with a scrub solution containing a suitable complexing agent.

The strontium breakthrough curves for AW-400 and AW-500 with CSREX 1BP feed are shown in Figure 89. The strontium exceeds  $C/C_0 = 1$  because cesium replaces the initially-adsorbed strontium.

Cesium and strontium breakthrough curves for 4A at 80C with CSREX 1BP feed are shown in Figure 90.

The addition of citrate ion to feed solutions containing  $\text{Sr}^{90}$  and rare earths is believed desirable to complex the  $\text{Y}^{90}$  and rare earths. If the  $\text{Y}^{90}$  and  $\text{Ce}^{144}$  are not complexed, these isotopes may adsorb in a narrow band at the influent end of the column and cause heating problems at this point. A concentration of 0.005 molar citrate in the D2EHPA 1BP feed solutions was found sufficient to prevent significant adsorption of  $\text{Y}^{+3}$  and  $\text{Ce}^{+3}$ . The  $\text{Y}^{+3} K_d$  increases for concentrations of citrate ion below 0.005M with simulated D2EHPA 1BP solutions.

#### Application of Plate Theory to Column Operation

The method of Gleuckauf (15,16) was used to calculate theoretical cesium and strontium breakthrough curves for columns of zeolites. This method is approximate because of the simplifying assumptions made in deriving the equations. For ordinary ion exchange work the height of a theoretical plate ( $\Delta$ ) may be calculated as follows:

$$\Delta = 1.64 r + \frac{\delta}{(\delta + \beta)^2} \cdot \frac{0.142 r^2 \bar{F}}{D_S} + \left( \frac{\delta}{\delta + \beta} \right)^2 \frac{0.266 r^2 \bar{F}}{D_L(1 + 70 r \bar{F})}$$

Where:  $\delta$  = amount of adsorbed cations per  $\text{cm}^3$  of zeolite divided by amount of cation per ml of solution in equilibrium with the zeolite,

$r$  = radius of particle in cm,

$\bar{F}$  = linear flow velocity of feed solution above the bed ( $\text{cm/sec}$ ),

$D_S$  = particle diffusion coefficient ( $\text{cm}^2/\text{sec}$ ),

$D_L$  = liquid diffusion coefficient ( $\text{cm}^2/\text{sec}$ ) and

$\beta$  = void fraction of the column.

The number of theoretical plates ( $N$ ) is:

$$N = \frac{\text{Column height}}{\Delta} = \frac{(V_{0.5}) - (V_{0.159})}{(V_{0.5} - V_{0.159})^2}$$

Where  $V_{0.5}$  = effluent volume at  $C/C_0 = 0.5$

$V_{0.159}$  = effluent volume at  $C/C_0 = 0.159$

Curves of  $D_L$  and  $D_S$  for strontium as a function of temperature with simulated D2EHPA 1BP solution and 4A zeolite are shown in Figure 91. The method of Vinograd and McBain<sup>(17)</sup>, was used to calculate the strontium  $D_L$  curve from conductance data<sup>(18)</sup>. Counter diffusion of  $0.07^N \text{Sr}^{+2}$  and  $0.02^N \text{Ca}^{+2}$  with  $\text{Na}^+$  ( $0.09^N$  concentration gradient) was assumed. Approximate transference numbers used for calculating ionic conductance values for  $\text{Na}^+$ ,  $\text{Sr}^{+2}$ , and  $\text{Ca}^{+2}$  in nitrate solutions were 0.42, 0.45, and 0.45 respectively. The  $D_S$  curve is plotted through  $D_S$  values calculated from Glueckauf's equations using some of the column data in Figures 75 through 81 and other column data not shown. Data yielding plate heights less than 1 cm were not used because of the apparent

inaccuracy of the resulting  $D_g$  values. The data from columns having less than 3 theoretical plates were also not used.

Reducing the flow rate and particle size tends to increase the  $D_g$  values. Considerable variation in duplicate results probably reflect aberrations in column operation (e.g., channeling).

Figures 92, 93 and 94 show calculated and experimental strontium breakthrough curves with 4A and simulated D2EHPA feed. An example of the calculation involved for the curve in Figure 92 is given in the Appendix. At a flow rate of 12 c.v./hr and room temperature, the experimental  $C/C_0 = .5$  occurs at less volume than at 80C. Although the higher temperature may cause a slight shift in equilibrium towards higher strontium loading, most of the difference is believed due to kinetics. Both decreasing flow rate and smaller particle size will normally give somewhat greater effluent volume to  $C/C_0 = .5$ .

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APPENDIX

Sample calculation for theoretical strontium breakthrough curve in Figure 92.

Experimental Conditions

Feed - 0.04<sup>M</sup> NaNO<sub>3</sub>, 0.007<sup>M</sup> Sr(NO<sub>3</sub>)<sub>2</sub>, 0.002<sup>M</sup> Ca(NO<sub>3</sub>)<sub>2</sub>.

Particle size - 0.027 cm average radius, (20 x 50 mesh U. S. Standard).

Column size - 1.9 cm diameter, 21 cm height.

Packed density - 0.83 g/cm<sup>3</sup>.

Flow rate - 60 c.v./hour (F = 0.353 cm/sec).

Temperature - 80°C.

Exchanger weight - 50g.

Zeolite - 4A

The equilibrium loading is determined from 4AXW data given in Figures 69 and 70.

$$\frac{(N_{aN})^2}{Sr_N} = \frac{0.0016}{0.014} = 0.11, \quad K_{Na}^{Sr} = 6$$

and

$$\frac{(C_{aN})}{(Sr_N)} = \frac{0.004}{0.014} = 0.29, \quad K_{Ca}^{Sr} = 2.8$$

The equation for determining Sr<sub>z</sub> is:

$$Sr_z + \sqrt{\frac{(N_{aN})^2}{(K_{Na}^{Sr})(Sr_N)} Sr_z + \frac{(C_{aN})}{(K_{Ca}^{Sr})(Sr_N)} Sr_z} = 1$$

which after numerical substitution becomes:

$$Sr_z + \sqrt{\frac{0.11}{6} Sr_z + \frac{0.29}{2.8} Sr_z} = 1.$$

The equation is then reduced to:

$$1.22 \frac{\text{Sr}}{z}^2 - 2.22 \frac{\text{Sr}}{z} + 1 = 0.$$

The solution to this is:

$$\frac{\text{Sr}}{z} = 0.79$$

The strontium loading is:

$$0.79 \times 3.5 \frac{\text{meq}}{\text{g}} = 2.8 \frac{\text{meq}}{\text{g}}.$$

Then

$$\delta = \frac{(2.8 \frac{\text{meq}}{\text{g}})(0.83 \frac{\text{g}}{\text{cm}^3})}{0.014 \frac{\text{meq}}{\text{ml}}} = 166 \frac{\text{ml}}{\text{cm}^3}$$

The height of a theoretical plate is:

$$\Delta = (1.64)(0.0271) + \frac{(166)}{(166 + 0.4)^2} \cdot \frac{(0.142)(0.0271)^2 (0.353)}{5.2 \times 10^{-7}} + \frac{(166)^2 (0.266)(0.0271)^2 (0.353)}{1.83 \times 10^{-5} [1 + (70)(0.0271)(0.353)]}$$

$$\Delta = 2.7 \text{ cm.}$$

The number of theoretical plates is:

$$N = \frac{\text{Column height}}{\text{Plate height}} = \frac{21 \text{ cm}}{2.7 \text{ cm}} = 7.8$$

The number of column volumes to  $\frac{C}{C_0} = 0.5$  is:

$$V_{0.5} = \delta + \beta = 166 \quad (\beta \text{ is insignificant in this case})$$

Now,

$$N = \frac{(V_{0.5})(V_{0.159})}{(V_{0.5} - V_{0.159})} = 7.8 = \frac{(166)(V_{0.159})}{(166 - V_{0.159})^2}$$

which reduces to:

$$V_{0.159}^2 - 354 V_{0.159} + 27556 = 0.$$

The solution to this is:

$$V_{0.159} = 116$$

A straight line drawn through the points  $V_{0.5}$  and  $V_{0.159}$  on log-probability graph paper ( $\text{erf}^{-1} [2 \frac{C}{C_0} - 1]$  vs. log column volumes) will yield the theoretical strontium breakthrough curve in Figure 92.

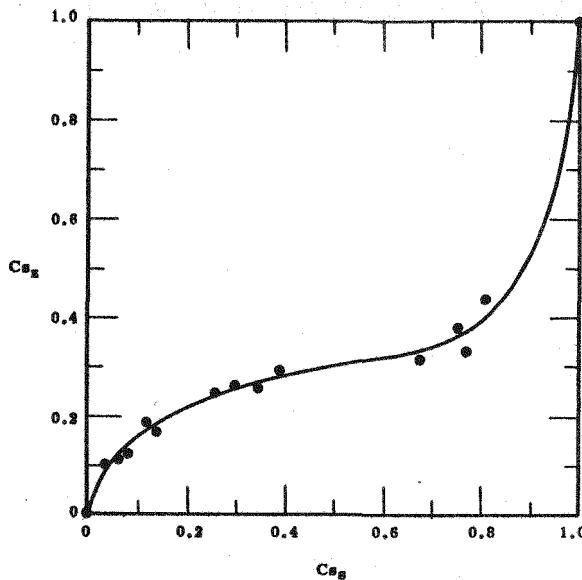


Figure 1

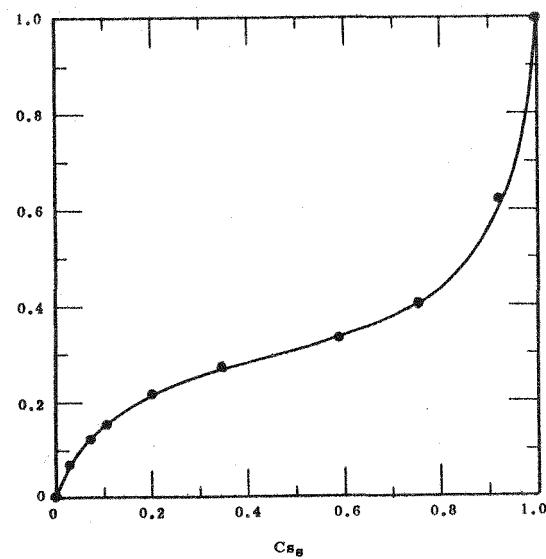


Figure 2

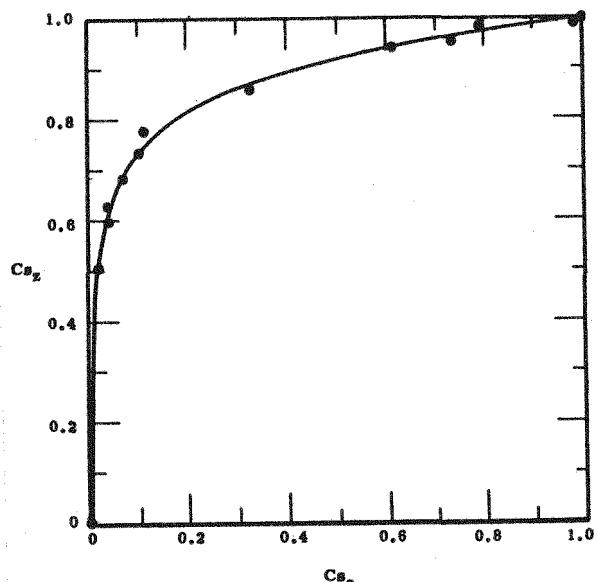


Figure 3

Figures 1, 2 and 3. The 25°C isotherm for the reaction  $\text{Na}_z + \text{Cs}_s = \text{Cs}_z + \text{Na}_s$  with 4AXW, 13X, and AW-400, respectively. Total equilibrium solution normality was constant at one.

$\text{Cs}_z$  = Equivalent fraction of cesium on the zeolite.

$\text{Cs}_s$  = Equivalent fraction of cesium in the equilibrium solution.

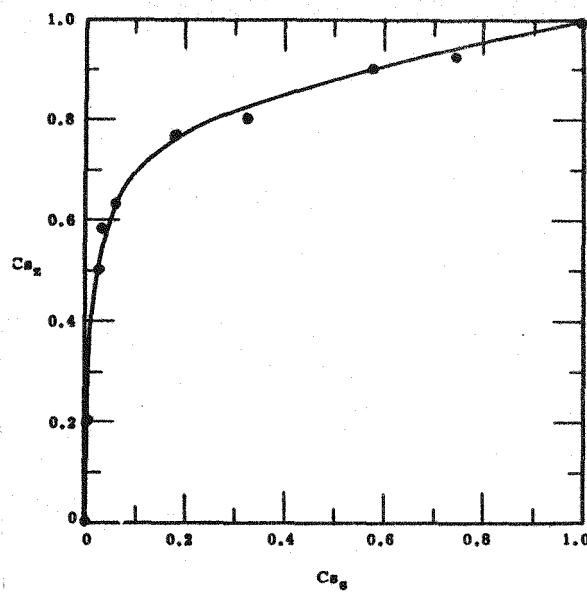


Figure 4

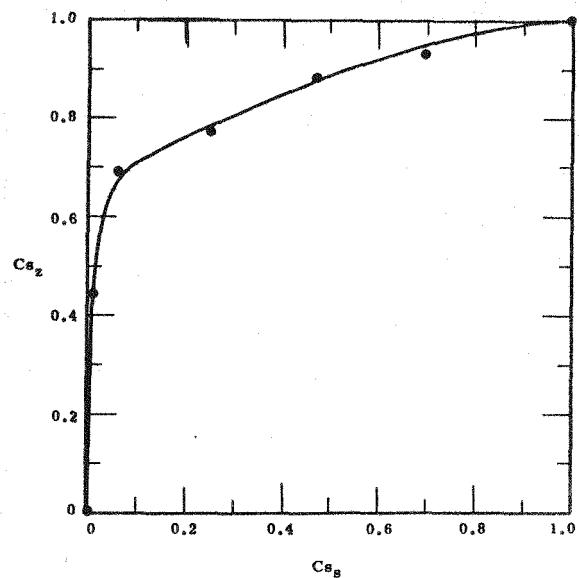


Figure 5

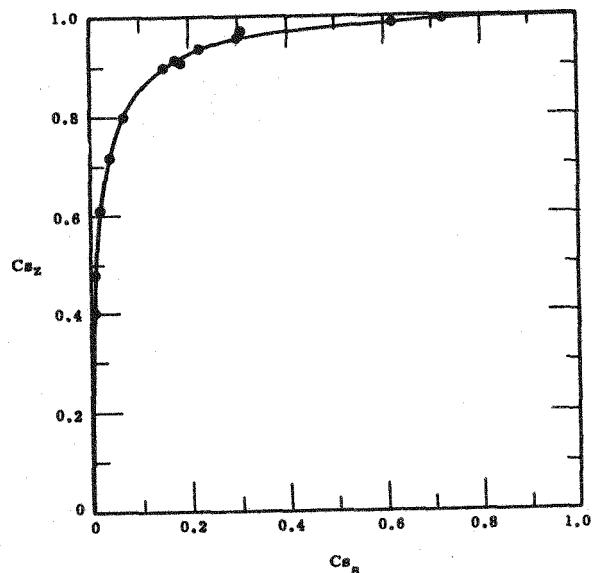


Figure 6

Figures 4, 5 and 6. The 25°C isotherm for the reaction  $\text{Na}_2 + \text{Cs}_2 = \text{Cs}_2 + \text{Na}_2$  with AW-500, Zeolon, and clinoptilolite, respectively. Total equilibrium solution normality was constant at one.

$\text{Cs}_2$  = Equivalent fraction of cesium on the zeolite.

$\text{Cs}_S$  = Equivalent fraction of cesium in the equilibrium solution.

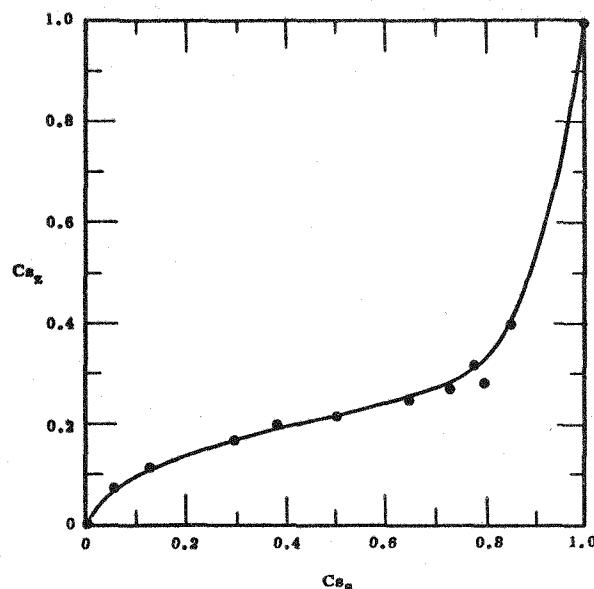


Figure 7

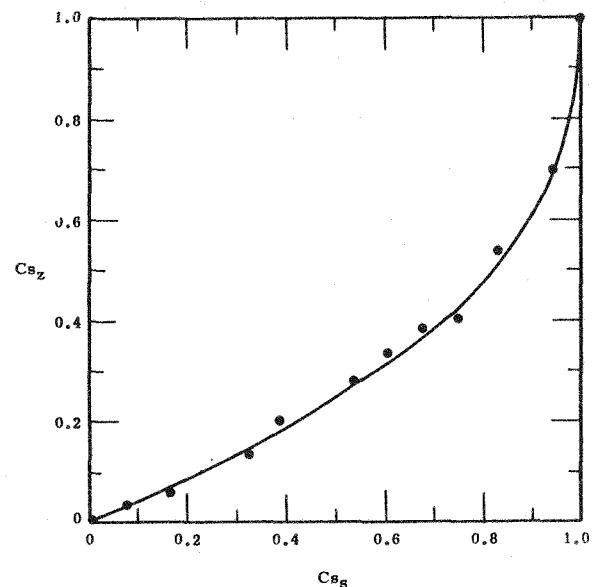


Figure 8

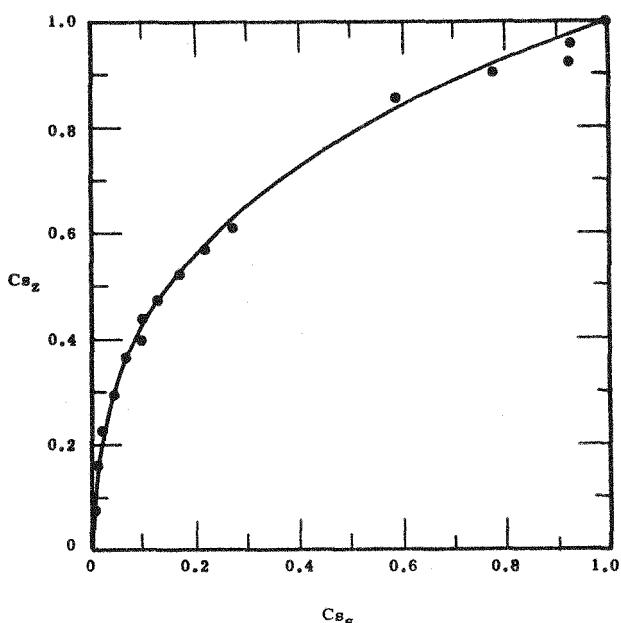


Figure 9

Figures 7,8 and 9. The 25°C isotherm for the reaction  $K_z + Cs_s = Cs_z + K_s$  with 4AXW, 13X, and AW-400, respectively. Total equilibrium solution normality was constant at one.

$Cs_z$  = Equivalent fraction of cesium on the zeolite.

$Cs_s$  = Equivalent fraction of cesium in the equilibrium solution.

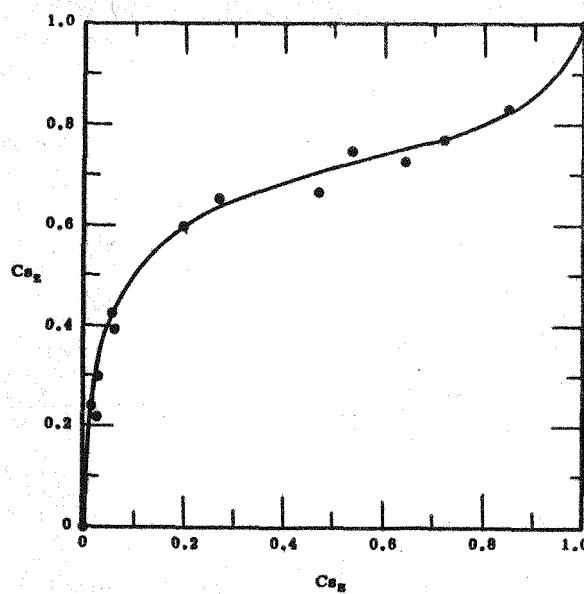


Figure 10

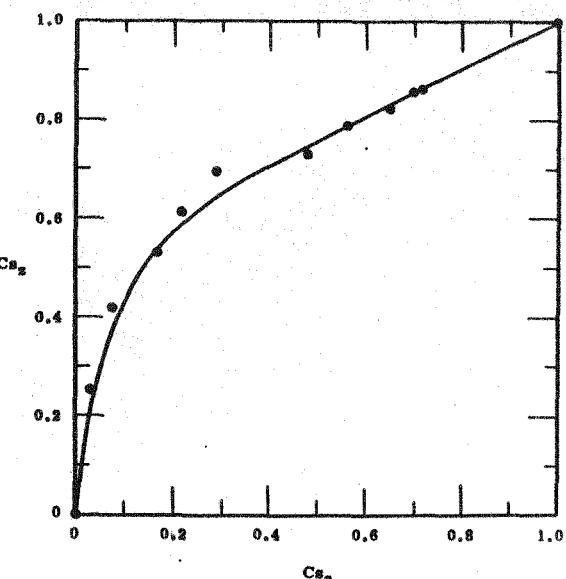


Figure 11

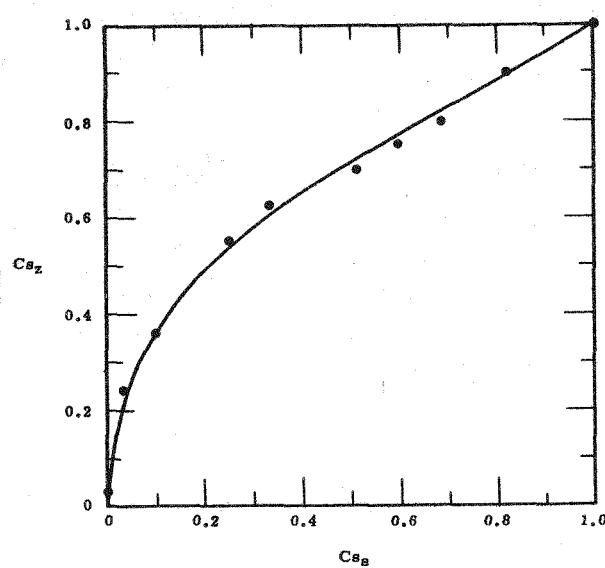


Figure 12

Figures 10, 11 and 12. The 25°C isotherm for the reaction  $K_z + Cs_s = Cs_z + K_s$  with AW-500, Zeolon, and clinoptilolite, respectively. Total equilibrium solution normality was constant at one.

$Cs_z$  = Equivalent fraction of cesium on the zeolite.

$Cs_s$  = Equivalent fraction of cesium in the equilibrium solution.

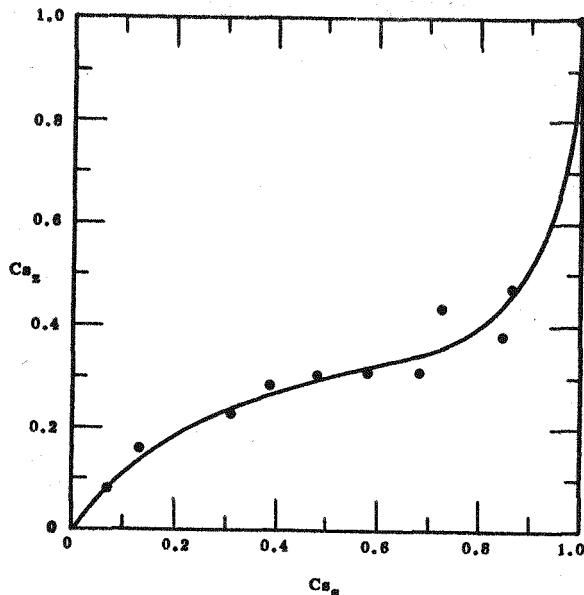


Figure 13

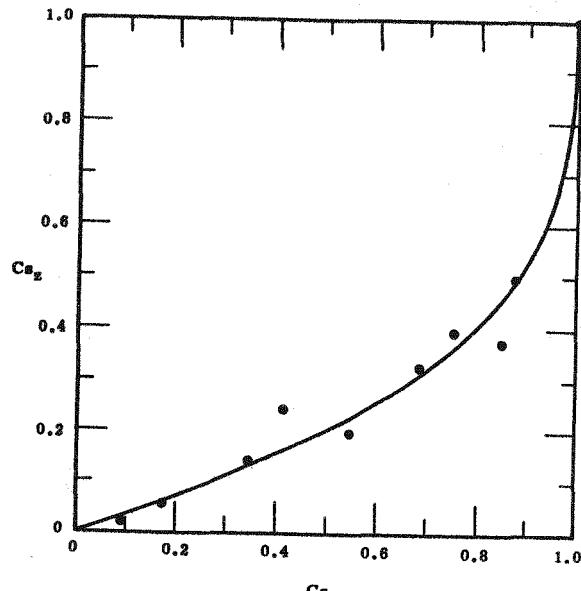


Figure 14

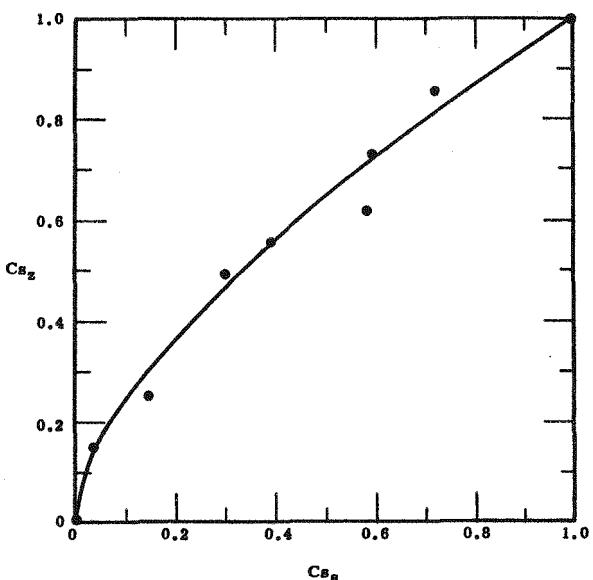


Figure 15

Figures 13, 14 and 15. The 25°C isotherm for the reaction  $Rb_z + Cs_s = Cs_z + Rb_s$  with 4AXW, 13X, and AW-400, respectively. Total equilibrium solution normality was constant at 0.5.

$Cs_z$  = Equivalent fraction of cesium on the zeolite.

$Cs_s$  = Equivalent fraction of cesium in the equilibrium solution.

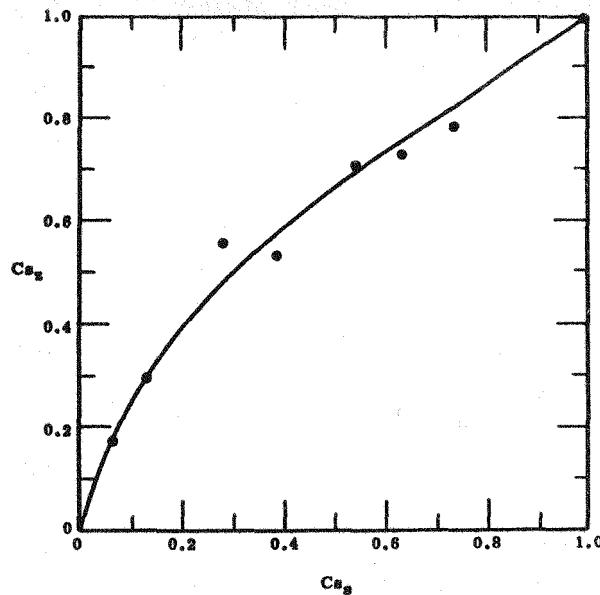


Figure 16

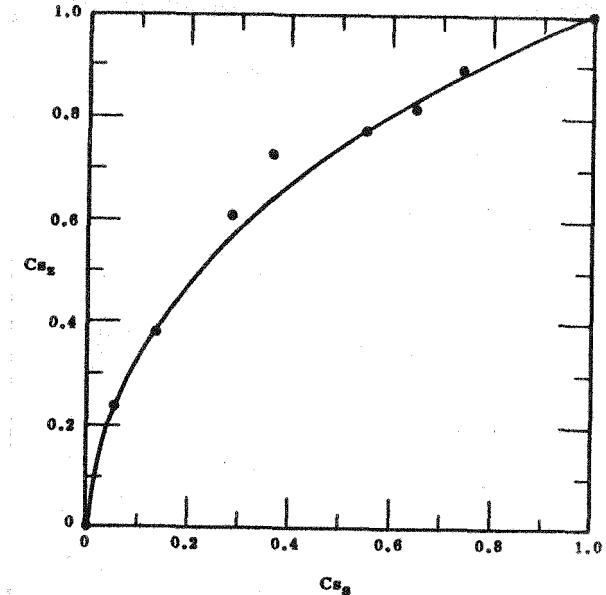


Figure 17

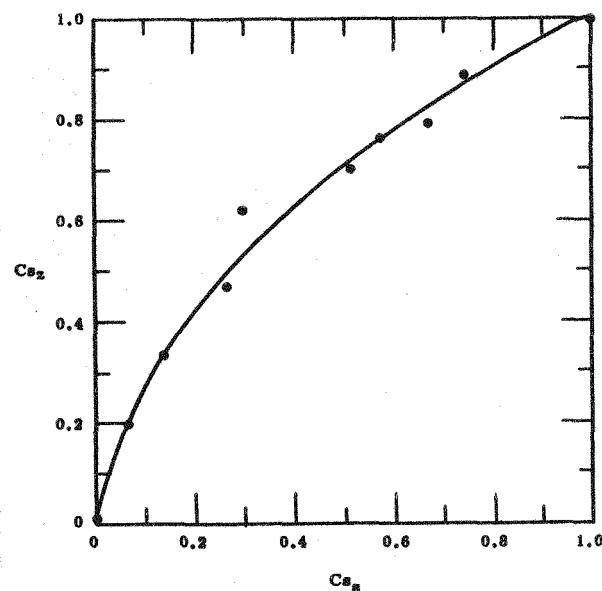


Figure 18

Figures 16, 17 and 18. The 25°C isotherm for the reaction  $Rb_z + Cs_s = Cs_z + Rb_s$  with AW-500, Zeolon, and clinoptilolite, respectively. Total equilibrium solution normality was constant at 0.5.

$Cs_z$  = Equivalent fraction of cesium on the zeolite.  
 $Cs_s$  = Equivalent fraction of cesium in the equilibrium solution.

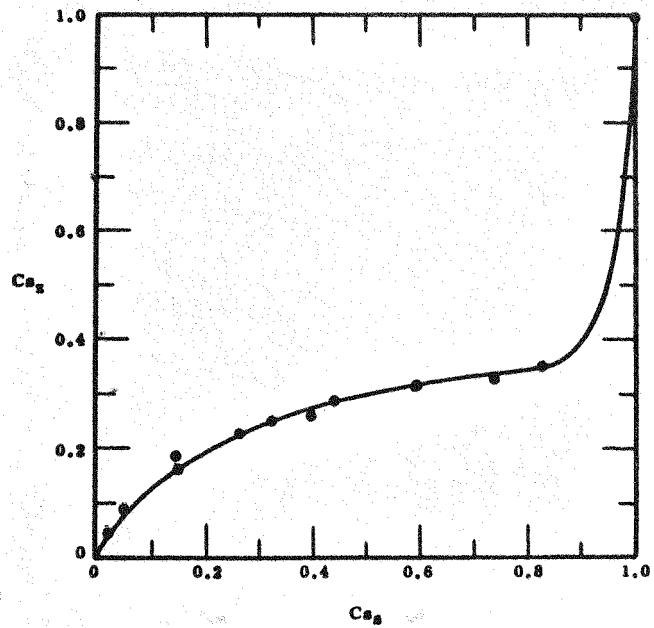


Figure 19

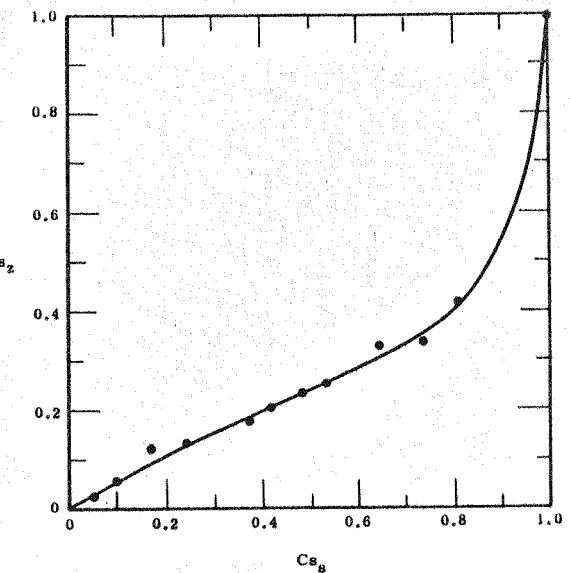


Figure 20

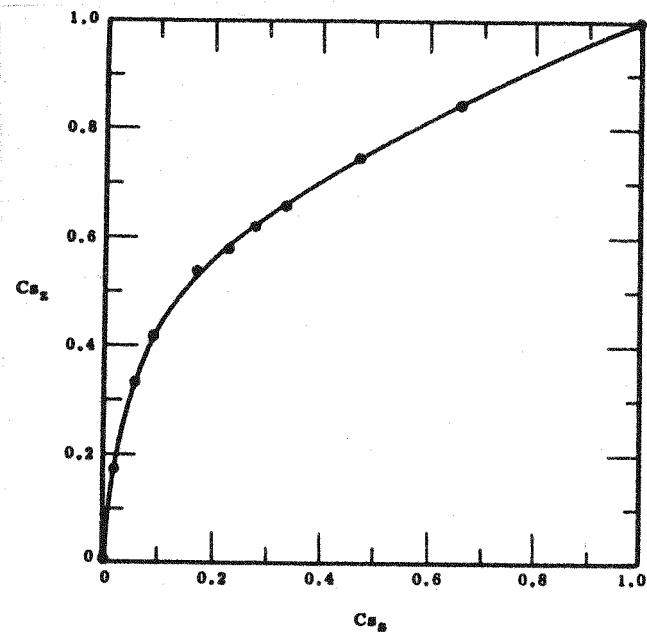


Figure 21

Figures 19, 20 and 21. The 25°C isotherm for the reaction  $\text{NH}_4\text{Z} + \text{Cs}_S = \text{Cs}_Z + \text{NH}_4\text{S}$  with 4AXW, 13X, and AW-400, respectively. Total equilibrium solution normality was constant at 0.1.

$\text{Cs}_Z$  = Equivalent fraction of cesium on the zeolite.

$\text{Cs}_S$  = Equivalent fraction of cesium in the equilibrium solution.

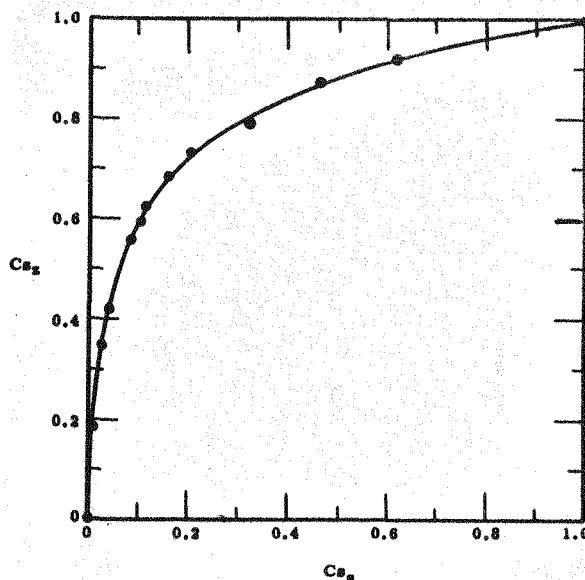


Figure 22

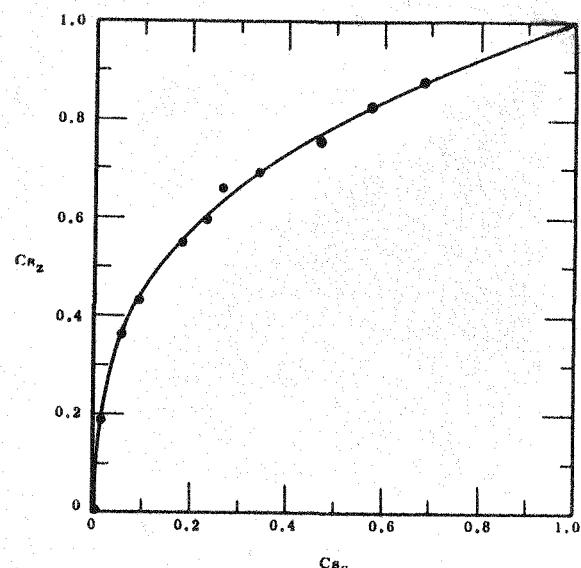


Figure 23

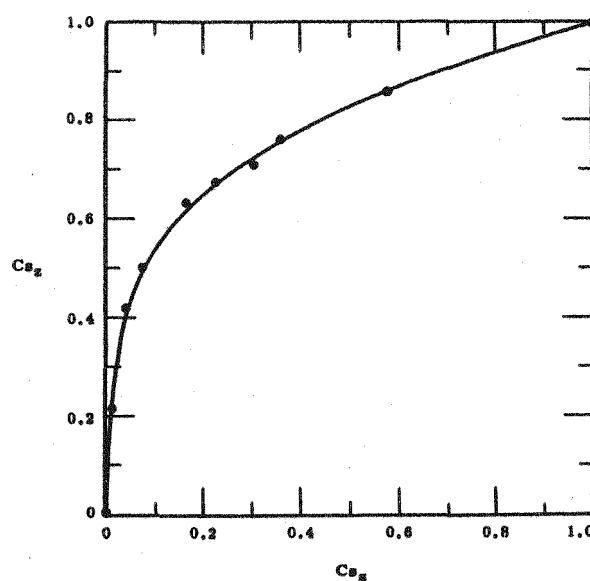


Figure 24

Figures 22, 23 and 24. The 25°C isotherm for the reaction  $\text{NH}_4\text{Z} + \text{Cs}_S = \text{Cs}_Z + \text{NH}_4\text{S}$  with AW-500, Zeolon, and clinoptilolite, respectively. Total equilibrium solution normality was constant at 0.1.

$\text{Cs}_Z$  = Equivalent fraction of cesium on the zeolite.

$\text{Cs}_S$  = Equivalent fraction of cesium in the equilibrium solution.

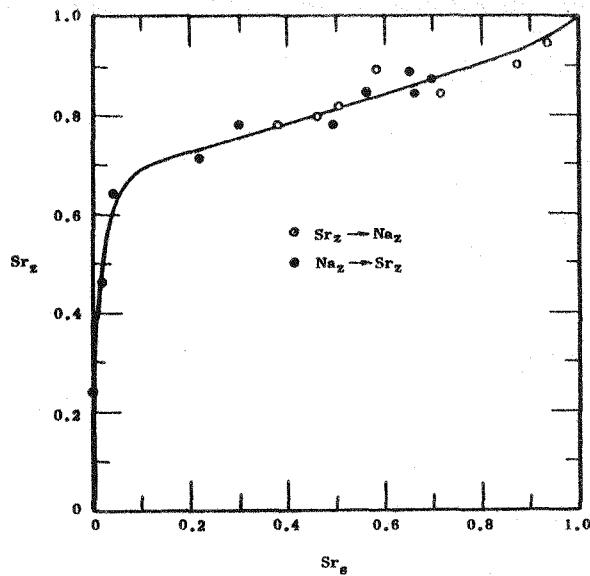


Figure 25

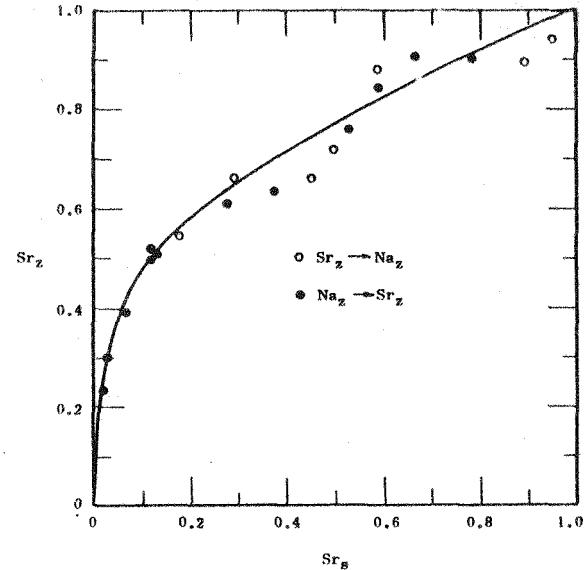


Figure 26

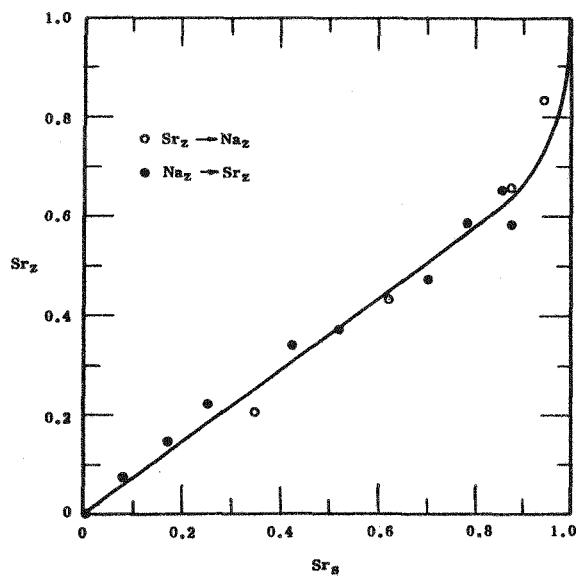


Figure 27

Figures 25, 26 and 27. The 25°C isotherm for the reaction  $2\text{Na}_z + \text{Sr}_s = \text{Sr}_z + 2\text{Na}_s$  with 4AXW, 13X, and AW-400, respectively. Total equilibrium solution was constant at one.

$\text{Sr}_s$  = Equivalent fraction of strontium on the zeolite.

$\text{Sr}_z$  = Equivalent fraction of strontium in the equilibrium solution.

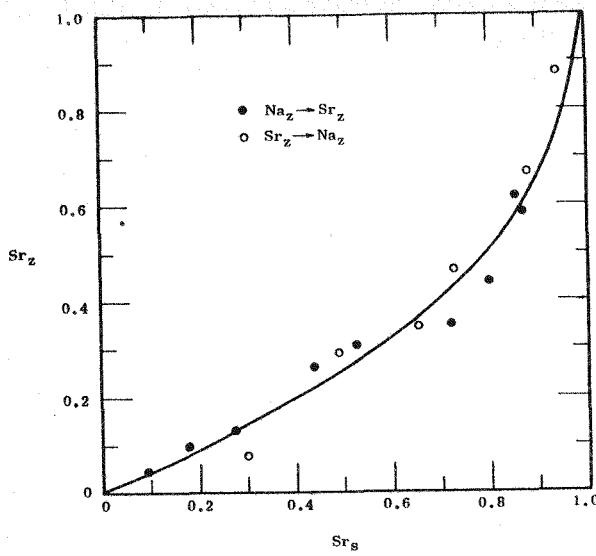


Figure 28

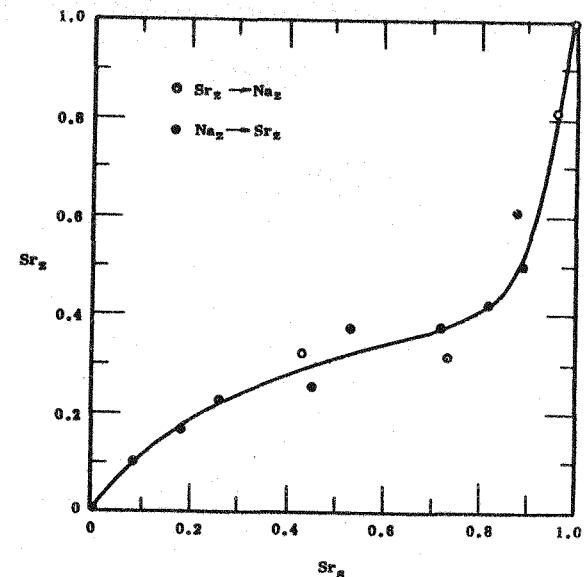


Figure 29

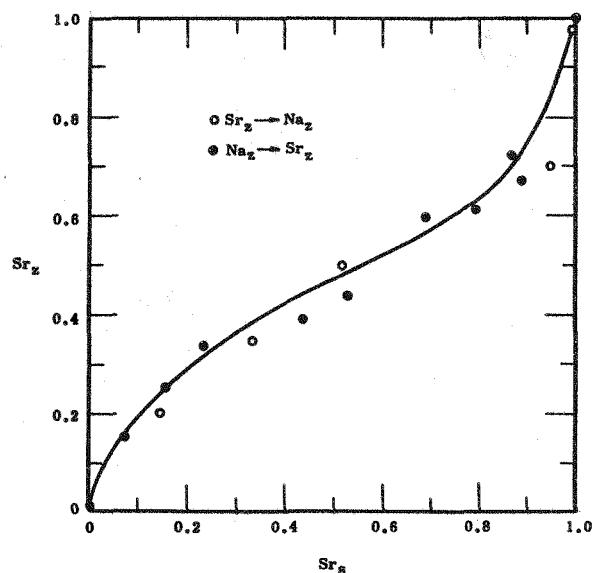


Figure 30

Figures 28, 29 and 30. The 25°C isotherm for the reaction  $2\text{Na}_Z + \text{Sr}_S = \text{Sr}_Z + 2\text{Na}_S$  with AW-500, Zeolon, and clinoptilolite, respectively. Total equilibrium solution normality was constant at one.

$\text{Sr}_Z$  = Equivalent fraction of strontium on the zeolite.

$\text{Sr}_S$  = Equivalent fraction of strontium in the equilibrium solution.

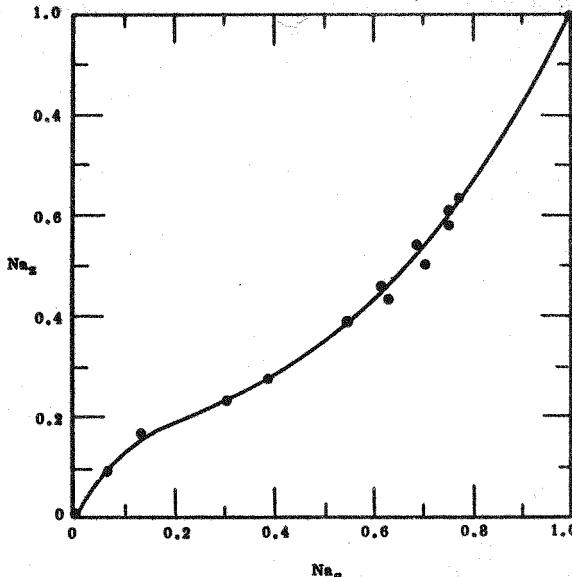


Figure 31

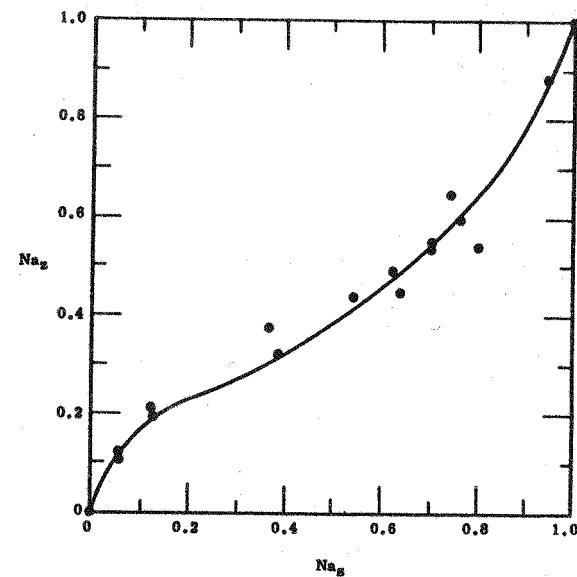


Figure 32

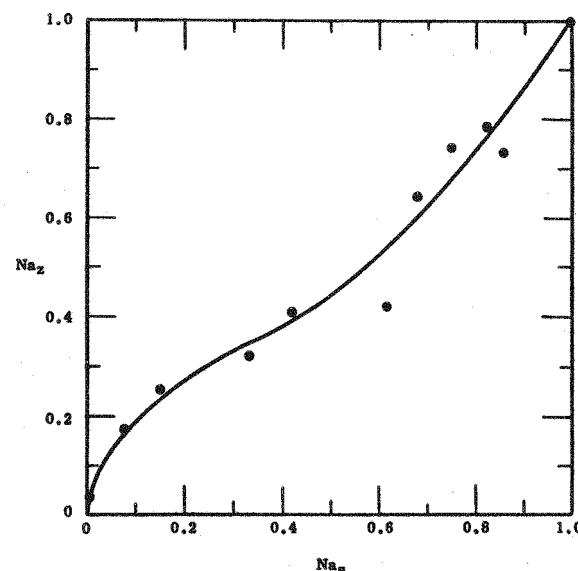


Figure 33

Figures 31, 32 and 33. The 25C isotherm for the reaction  $\text{Ca}_Z + 2\text{Na}_S = 2\text{Na}_Z + \text{Ca}_S$  with  $^4\text{AXW}$ ,  $13\text{X}$ , and  $\text{AW-400}$ , respectively. Total equilibrium solution normality was constant at one.

$\text{Na}_Z$  = Equivalent fraction of sodium on the zeolite.

$\text{Na}_S$  = Equivalent fraction of sodium in the equilibrium solution.

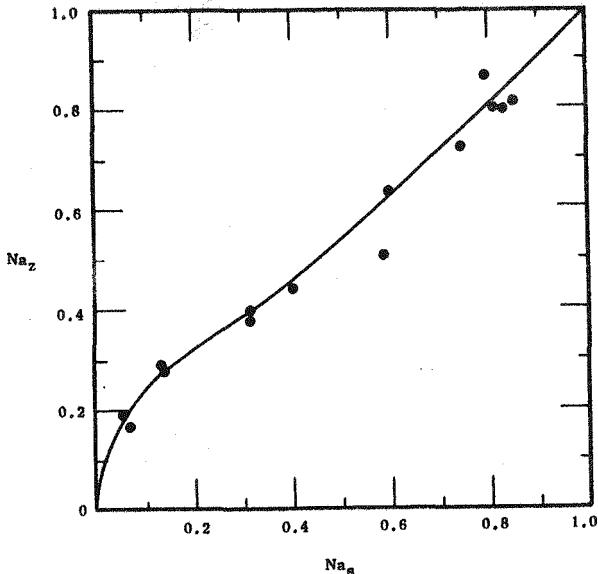


Figure 34

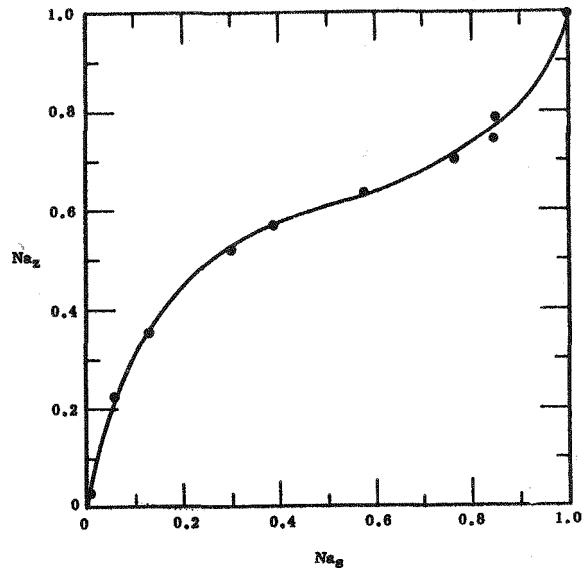


Figure 35

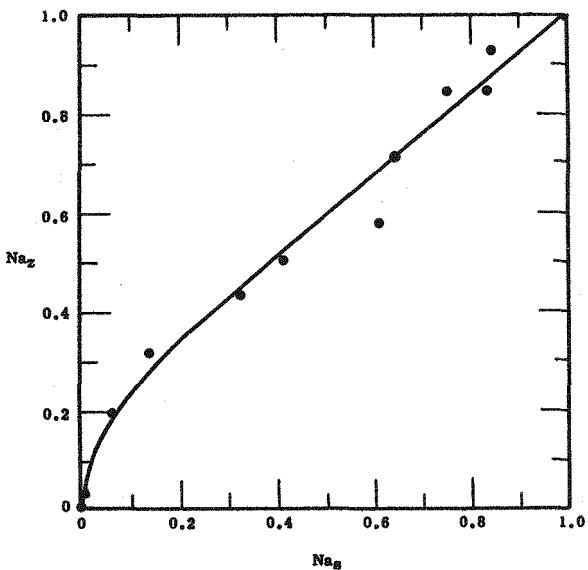


Figure 36

Figures 34, 35 and 36. The 25°C isotherm for the reaction  $\text{Ca}_z + 2\text{Na}_s = 2\text{Na}_z + \text{Ca}_s$  with AW-500, Zeolon, and clinoptilolite, respectively. Total equilibrium solution normality was constant at one.

$\text{Na}_z$  = Equivalent fraction of sodium on the zeolite.

$\text{Na}_s$  = Equivalent fraction of sodium in the equilibrium solution.

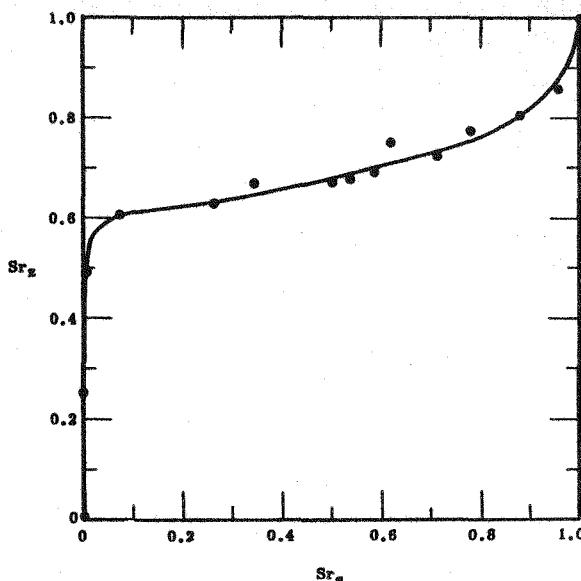


Figure 37

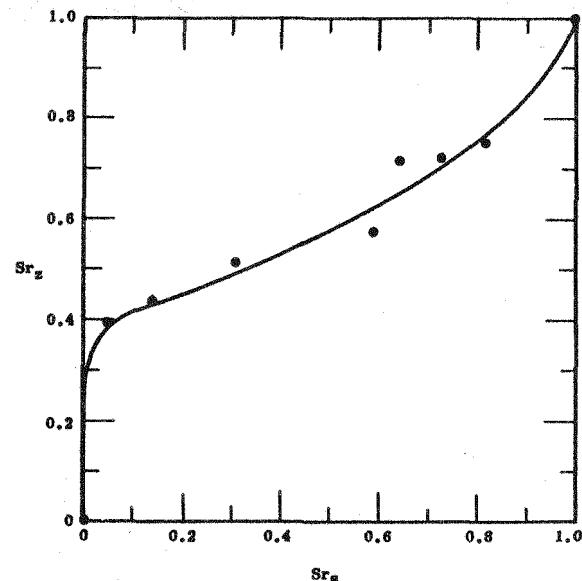


Figure 38

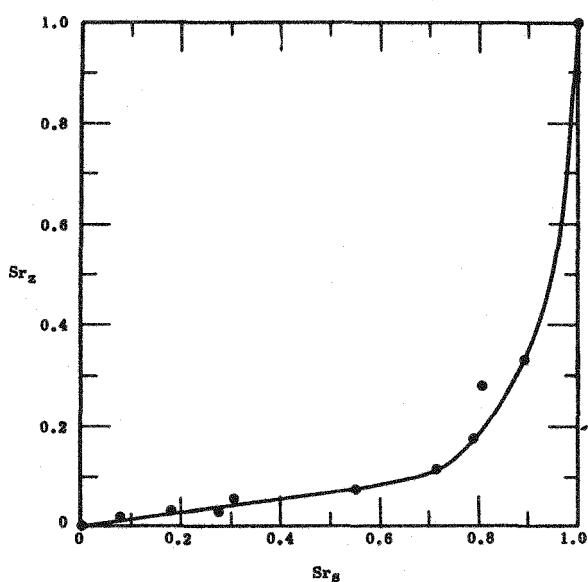


Figure 39

Figures 37, 38 and 39. The 25C isotherm for the reaction  $2\text{Cs}_z + \text{Sr}_s = \text{Sr}_z + 2\text{Cs}_s$  with 4AXW, 13X, and AW-400, respectively. Total equilibrium solution normality was constant at one.

Sr<sub>z</sub> = Equivalent fraction of strontium on the zeolite.

Sr<sub>s</sub> = Equivalent fraction of strontium in the equilibrium solution.

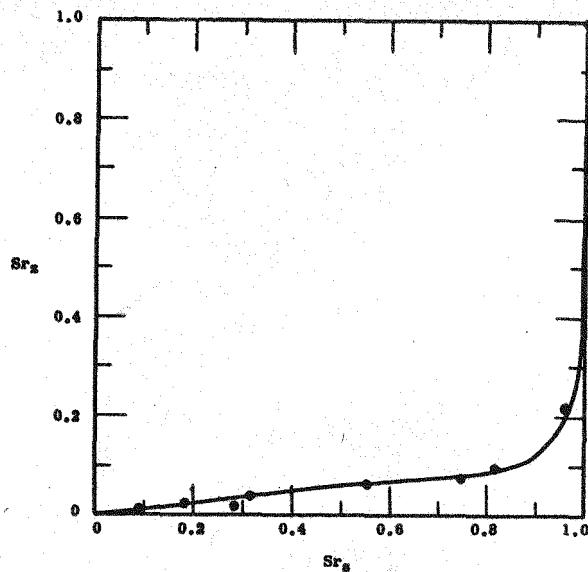


Figure 40

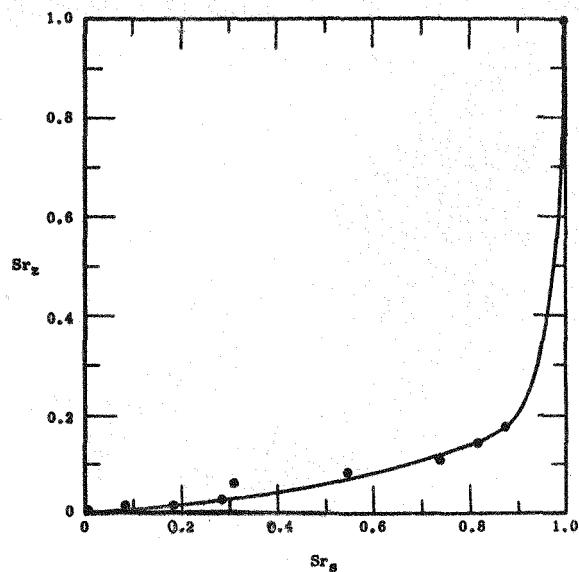


Figure 41

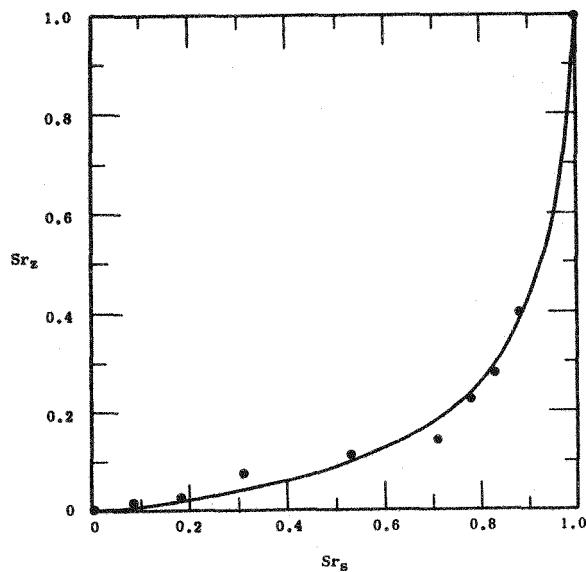


Figure 42

Figures 40, 41 and 42. The 25C isotherm for the reaction  $2\text{Cs}_z + \text{Sr}_s = \text{Sr}_z + 2\text{Cs}_s$  with AW-500, Zeolon, and clinoptilolite, respectively. Total equilibrium solution normality was constant at one.

$\text{Sr}_z$  = Equivalent fraction of strontium on the zeolite.

$\text{Sr}_s$  = Equivalent fraction of strontium in the equilibrium solution.

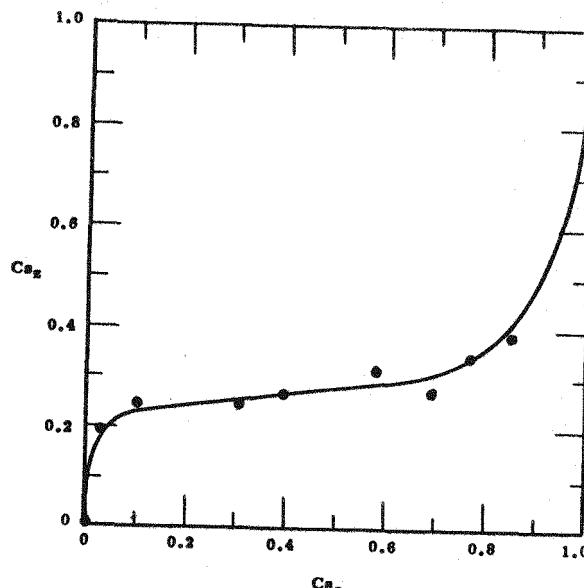


Figure 43

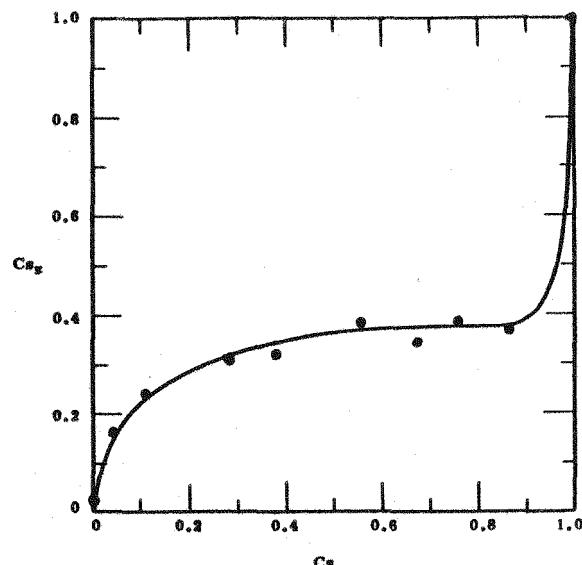


Figure 44

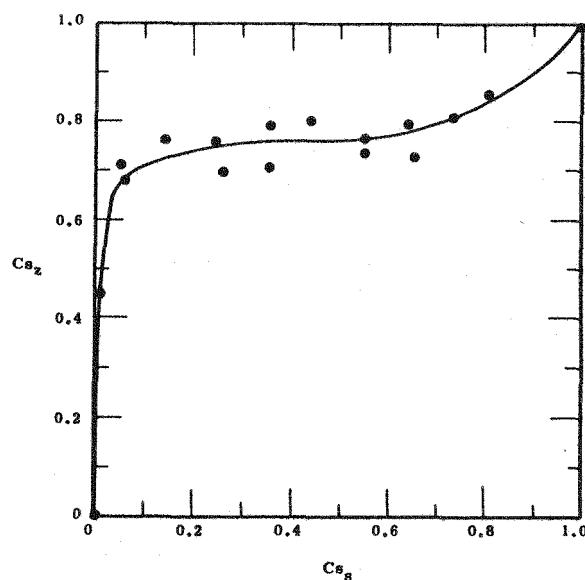


Figure 45

Figures 43, 44 and 45. The 25C isotherm for the reaction  $\text{Ca}_z + 2\text{Cs}_s = 2\text{Cs}_z + \text{Ca}_s$  with 4AXW, 13X, and AW-400, respectively. Total equilibrium solution normality was constant at one.

$\text{Cs}_z$  = Equivalent fraction of cesium on the zeolite.

$\text{Cs}_s$  = Equivalent fraction of cesium in the equilibrium solution.

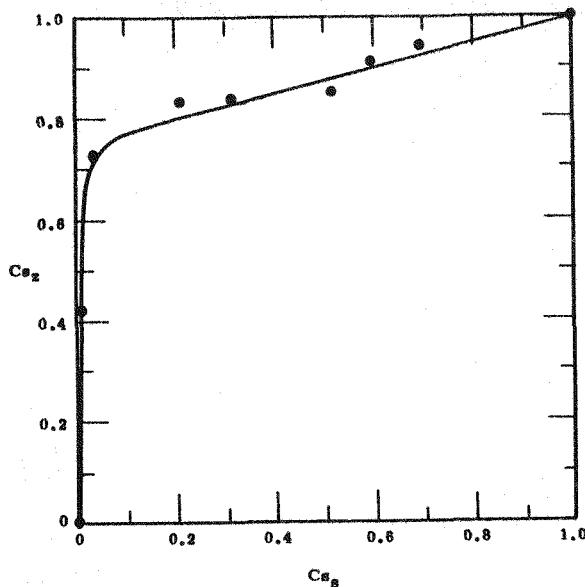


Figure 46

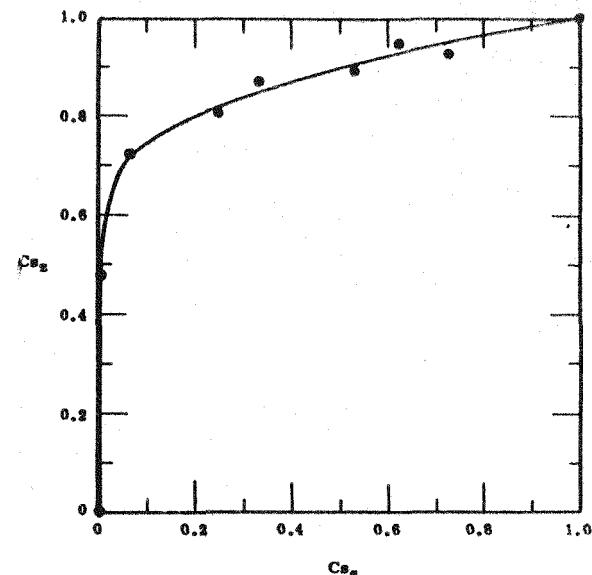


Figure 47

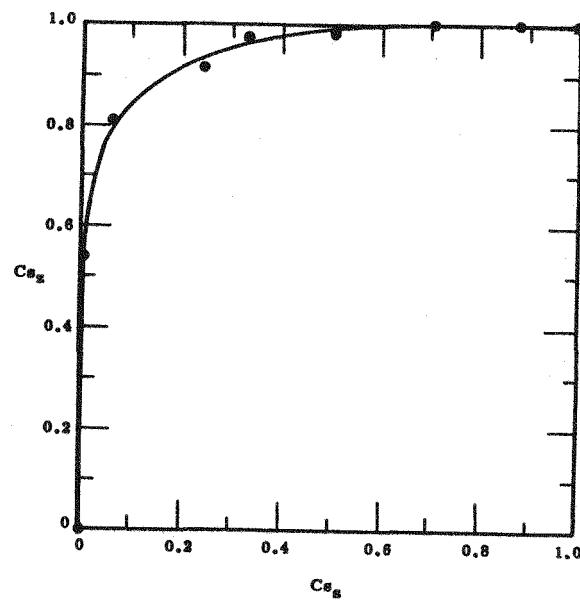


Figure 48

Figures 46, 47 and 48. The 25°C isotherm for the reaction  $\text{Ca}_2\text{Z} + 2\text{Cs}_2\text{S} = 2\text{Cs}_2\text{Z} + \text{Ca}_2\text{S}$  with AW-500, Zeolon, and clinoptilolite, respectively. Total equilibrium solution normality was constant at one.

$\text{Cs}_2\text{Z}$  = Equivalent fraction of cesium on the zeolite.

$\text{Cs}_2\text{S}$  = Equivalent fraction of cesium in the equilibrium solution.

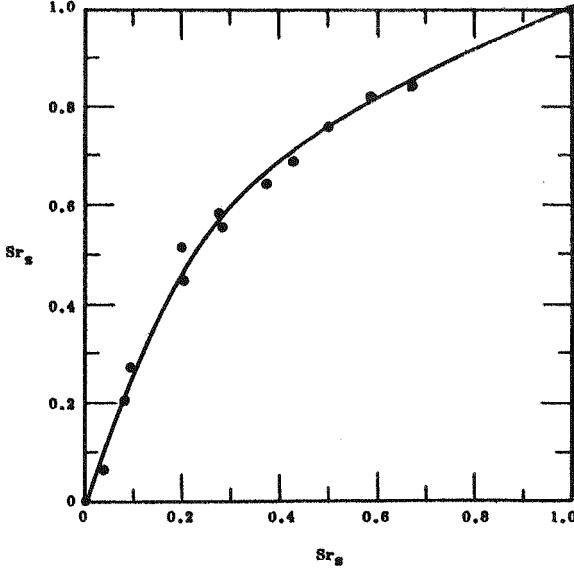


Figure 49

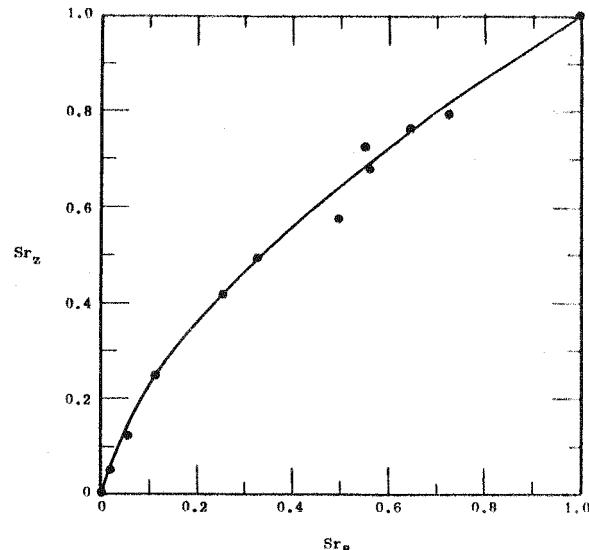


Figure 50

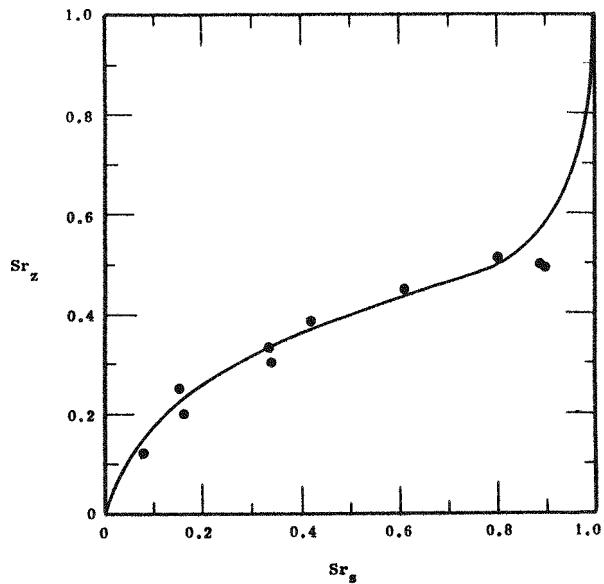


Figure 51

Figures 49, 50 and 51. The 25°C isotherm for the reaction  $\text{Ca}_z + \text{Sr}_s = \text{Sr}_z + \text{Ca}_s$  with 4AXW, 13X, and AW-400, respectively. Total equilibrium solution normality was constant at one.

$\text{Sr}_z$  = Equivalent fraction of strontium on the zeolite.

$\text{Sr}_s$  = Equivalent fraction of strontium in the equilibrium solution.

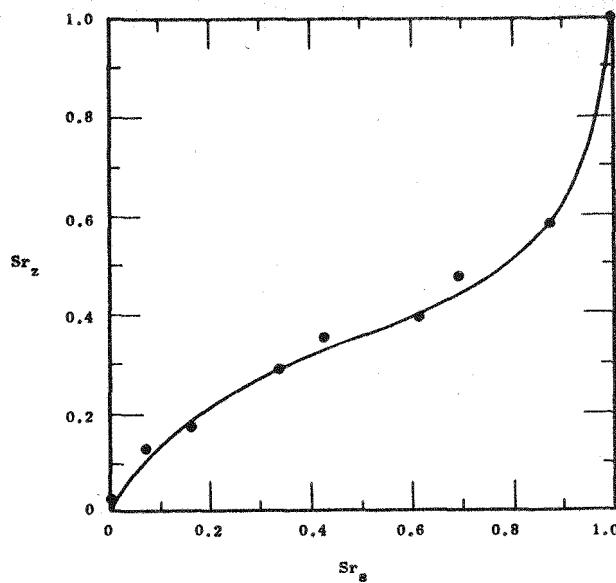


Figure 52

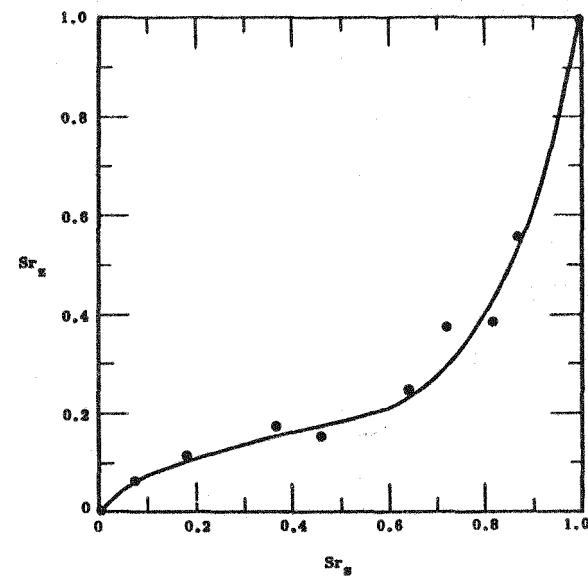


Figure 53

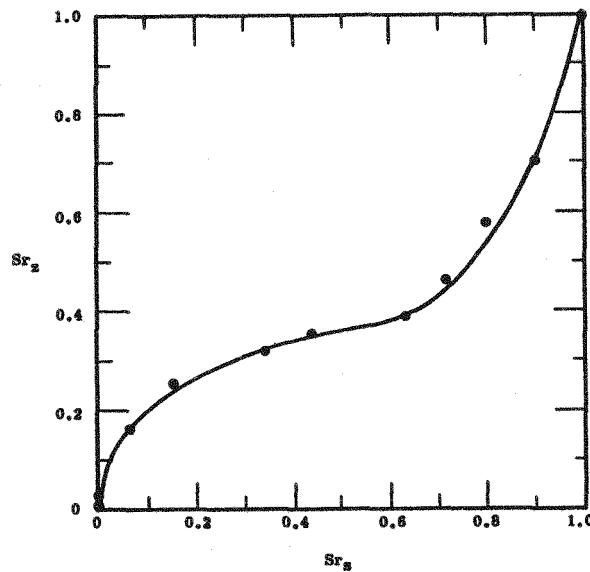


Figure 54

Figures 52, 53 and 54. The 25°C isotherm for the reaction  $\text{Ca}_z + \text{Sr}_s = \text{Sr}_z + \text{Ca}_s$  with AW-500, Zeolon, and clinoptilolite, respectively. Total equilibrium solution normality was constant at one.

$\text{Sr}_z$  = Equivalent fraction of strontium on the zeolite.

$\text{Sr}_s$  = Equivalent fraction of strontium in the equilibrium solution.

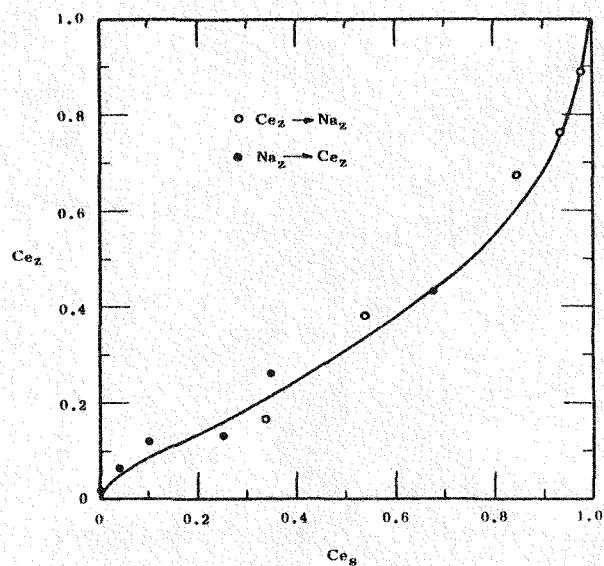


Figure 55

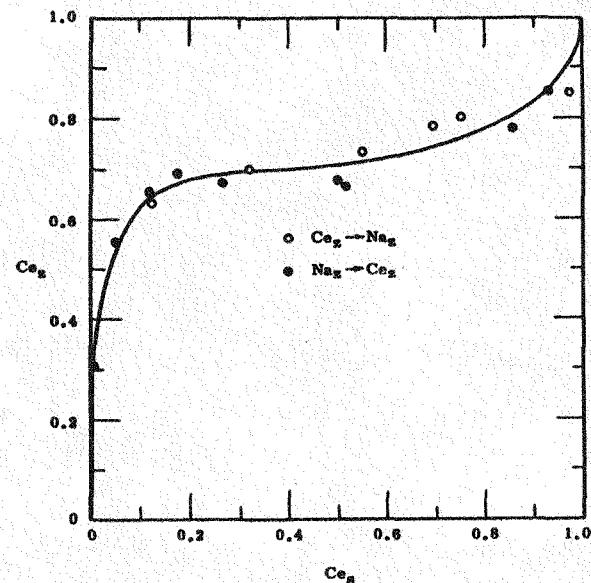


Figure 56

Figures 55 and 56. The 25°C isotherm for the reaction  $3\text{Na}_z + \text{Ce}_s = \text{Ce}_z + 3\text{Na}_s$  with 4AXW, and 13X, respectively. Total equilibrium solution normality was constant at 0.5.

$\text{Ce}_z$  = Equivalent fraction of cerium on the zeolite.

$\text{Ce}_s$  = Equivalent fraction of cerium in the equilibrium solution.

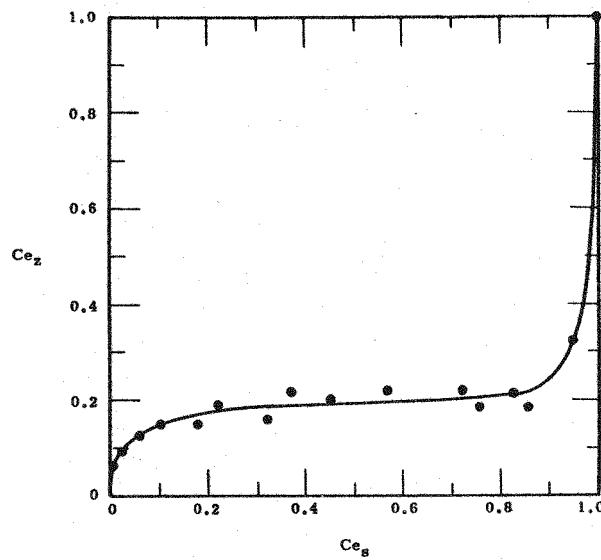


Figure 57

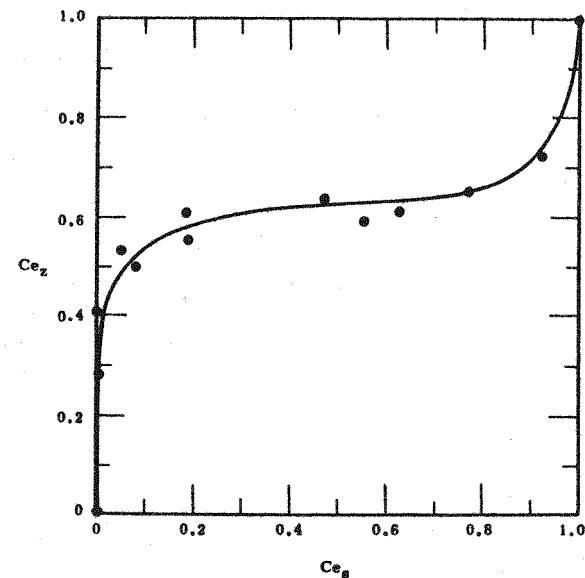


Figure 58

Figures 57 and 58. The 25C isotherm for the reaction  $3\text{Cs}_z + \text{Ce}_s = \text{Ce}_z + 3\text{Cs}_s$  with 4AXW, and 13X, respectively. Total equilibrium solution normality was constant at 0.5.

$\text{Ce}_z$  = Equivalent fraction of cerium on the zeolite.

$\text{Ce}_s$  = Equivalent fraction of cerium in the equilibrium solution.

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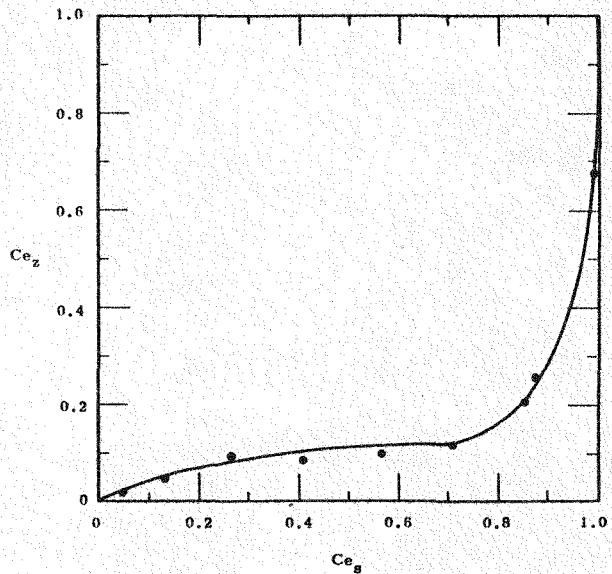


Figure 59

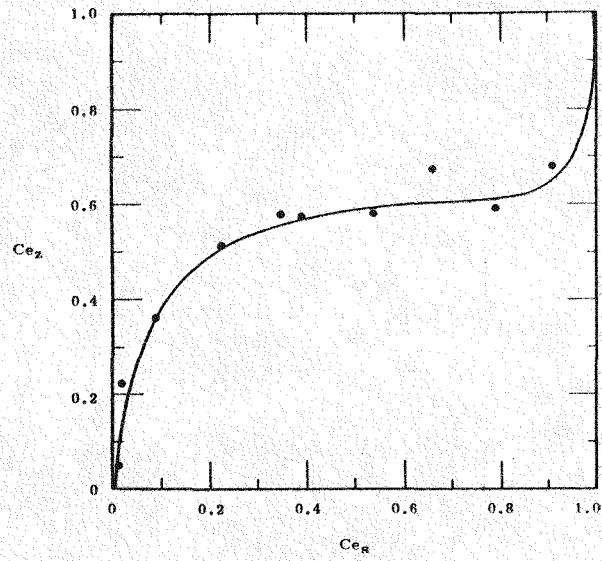


Figure 60

Figures 59 and 60. The 25C isotherm for the reaction  $3\text{Sr}_z + 2\text{Ce}_s = 2\text{Ce}_z + 3\text{Sr}_s$  with 4AXW, and 13X, respectively. Total equilibrium solution normality was constant at 0.5.

$\text{Ce}_z$  = Equivalent fraction of cerium on the zeolite.  
 $\text{Ce}_s$  = Equivalent fraction of cerium in the equilibrium solution.

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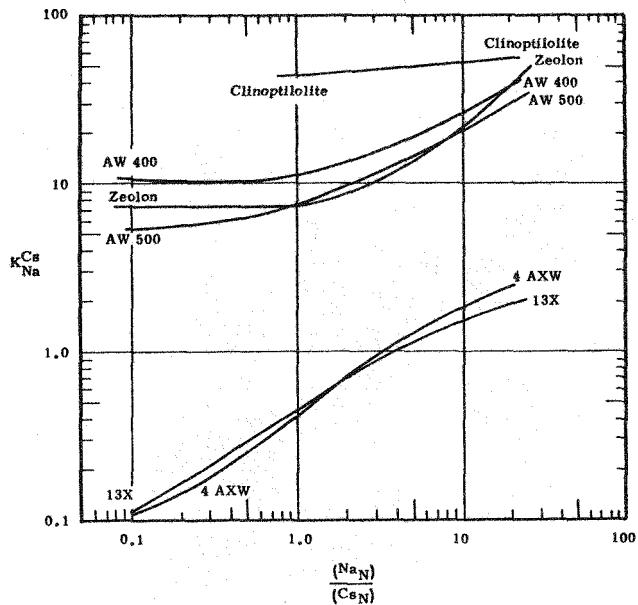


Figure 61. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $\text{Na}_{\text{zeolite}} + \text{Cs}_{\text{solution}} = \text{Cs}_{\text{zeolite}} + \text{Na}_{\text{solution}}$ .

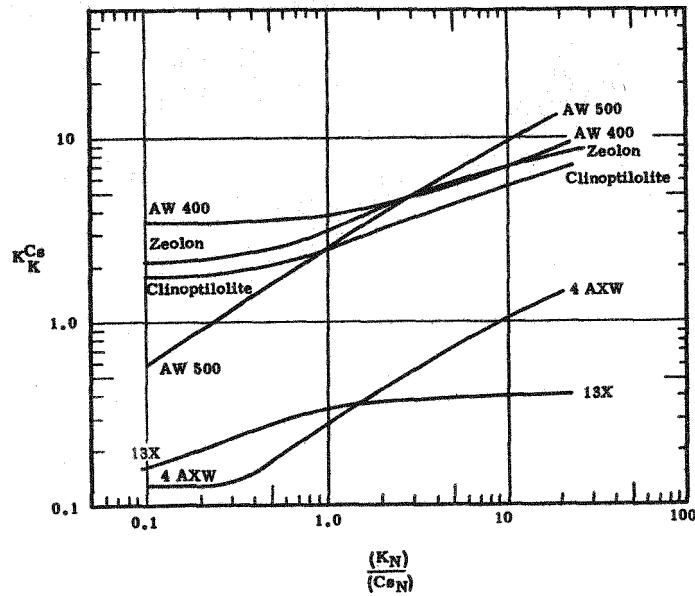


Figure 62. Variation of mass action quotients with solution equivalent ratios for the reaction  $\text{K}_{\text{zeolite}} + \text{Cs}_{\text{solution}} = \text{Cs}_{\text{zeolite}} + \text{K}_{\text{solution}}$ .

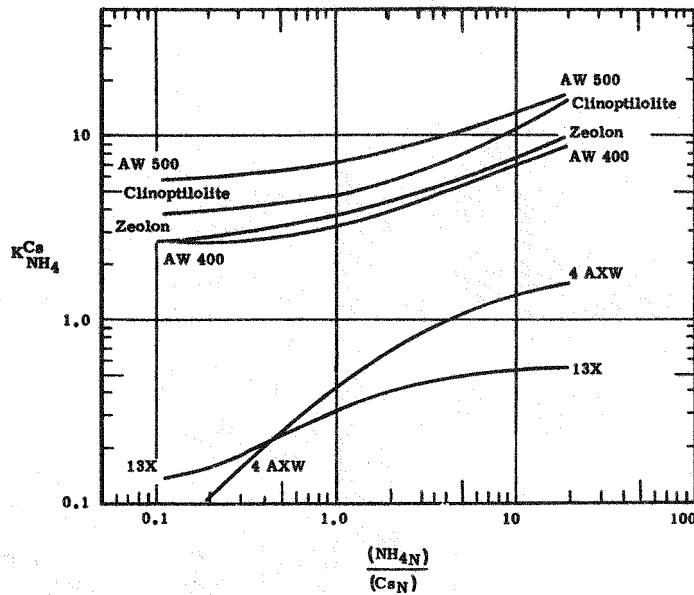


Figure 63. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $\text{NH}_4 \text{zeolite} + \text{Cs}_{\text{solution}} = \text{Cs}_{\text{zeolite}} + \text{NH}_4 \text{solution}$ .

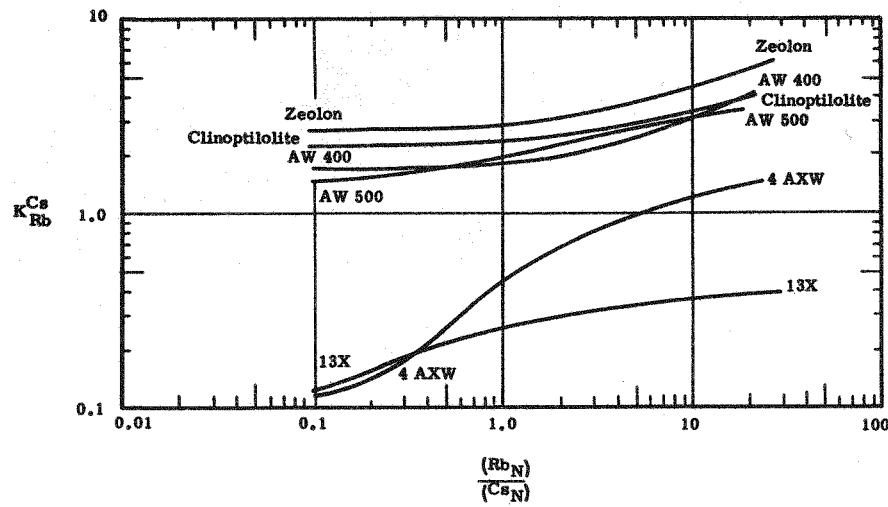


Figure 64. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $\text{Rb}_{\text{zeolite}} + \text{Cs}_{\text{solution}} = \text{Cs}_{\text{zeolite}} + \text{Rb}_{\text{solution}}$ .

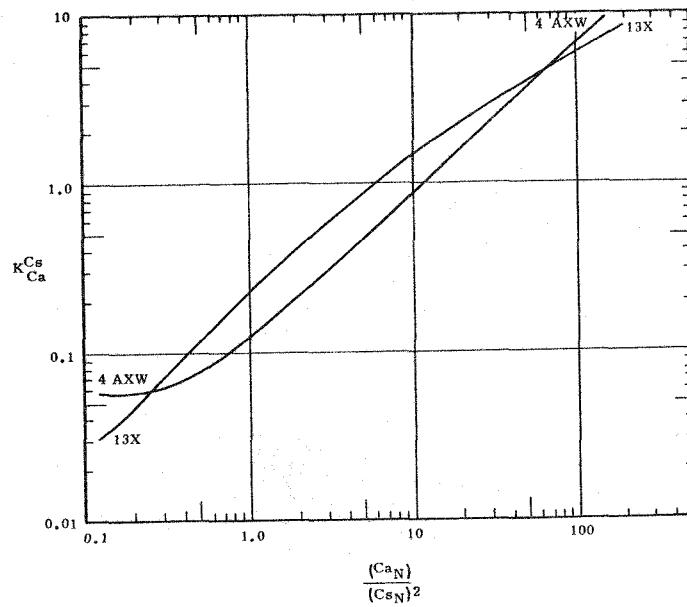


Figure 65. Variation of mass action quotient with solution equivalent ratios for the exchange reaction  $\text{Ca}_{\text{zeolite}} + 2\text{Cs}_{\text{solution}} = 2\text{Cs}_{\text{zeolite}} + \text{Ca}_{\text{solution}}$ .

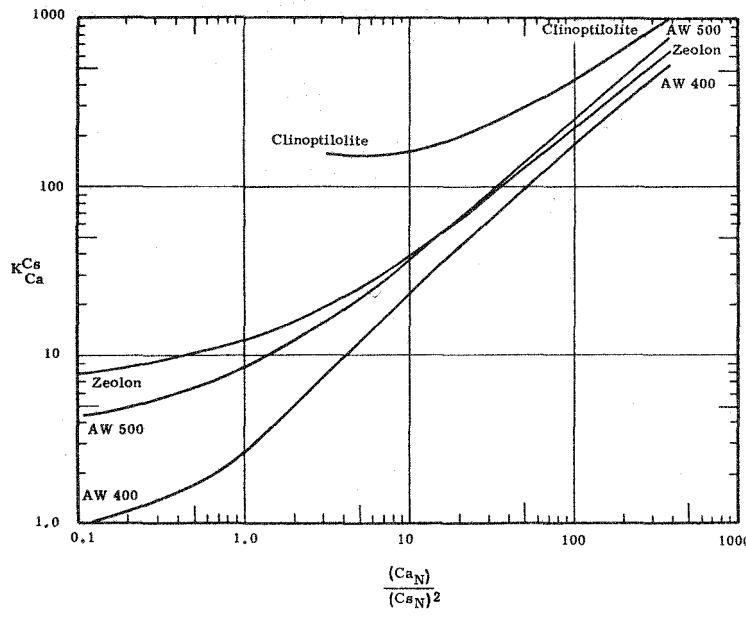


Figure 66. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $\text{Ca}_{\text{zeolite}} + 2\text{Cs}_{\text{solution}} = 2\text{Cs}_{\text{zeolite}} + \text{Ca}_{\text{solution}}$ .

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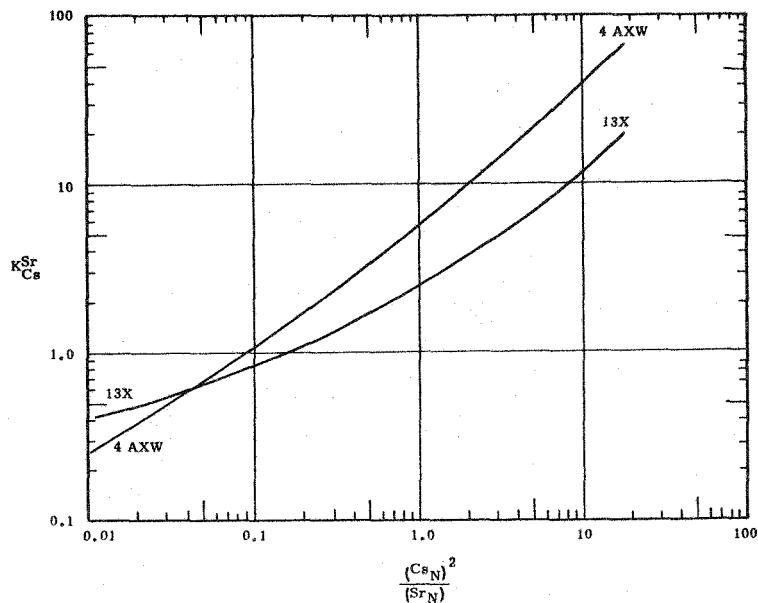


Figure 67. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $2Cs_{\text{zeolite}} + Sr_{\text{solution}} = Sr_{\text{zeolite}} + 2Cs_{\text{solution}}$ .

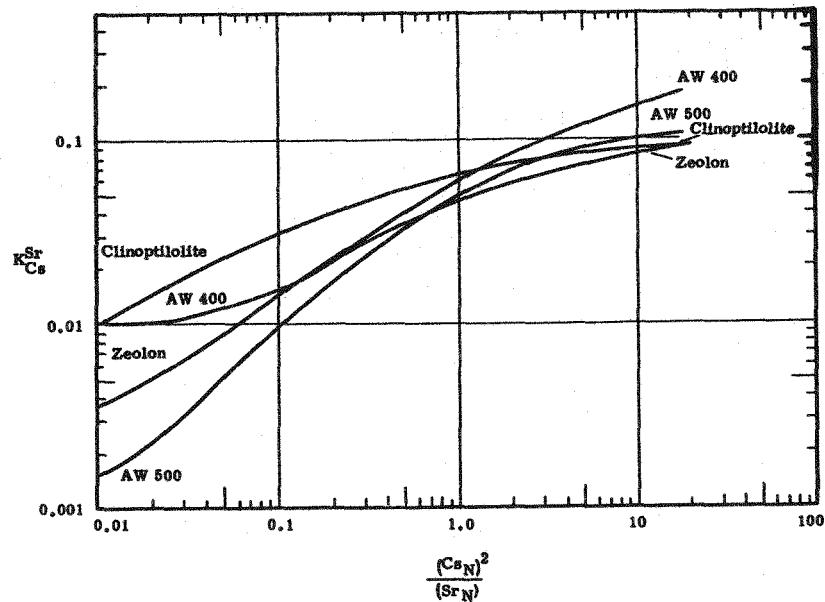


Figure 68. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $2Cs_{\text{zeolite}} + Sr_{\text{solution}} = Sr_{\text{zeolite}} + 2Cs_{\text{solution}}$ .

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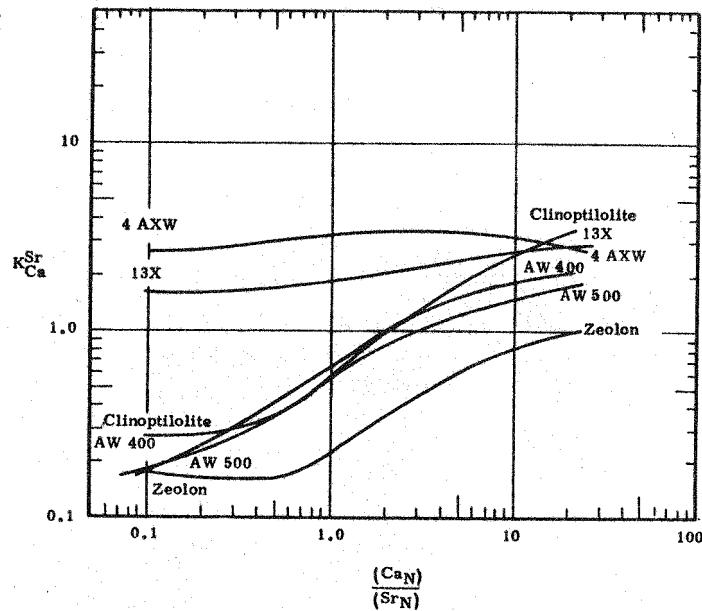


Figure 69. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $\text{Ca}_{\text{zeolite}} + \text{Sr}_{\text{solution}} = \text{Sr}_{\text{zeolite}} + \text{Ca}_{\text{solution}}$ .

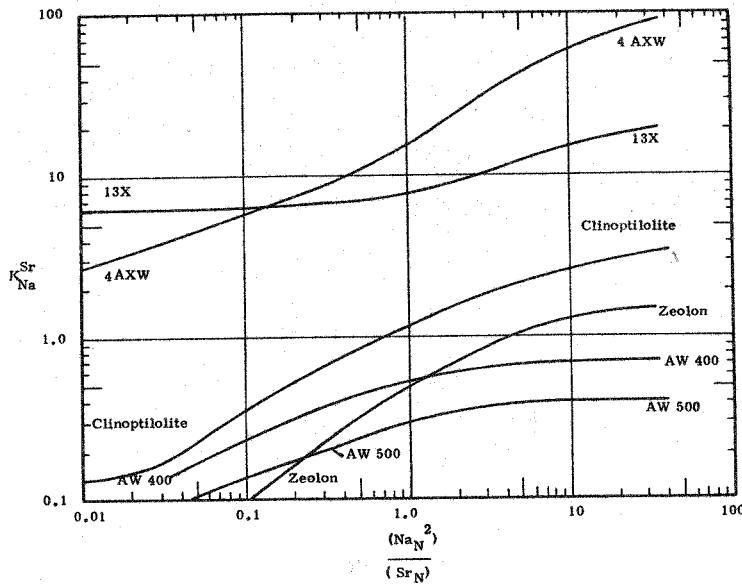


Figure 70. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $2\text{Na}_{\text{zeolite}} + \text{Sr}_{\text{solution}} = \text{Sr}_{\text{zeolite}} + 2\text{Na}_{\text{solution}}$ .

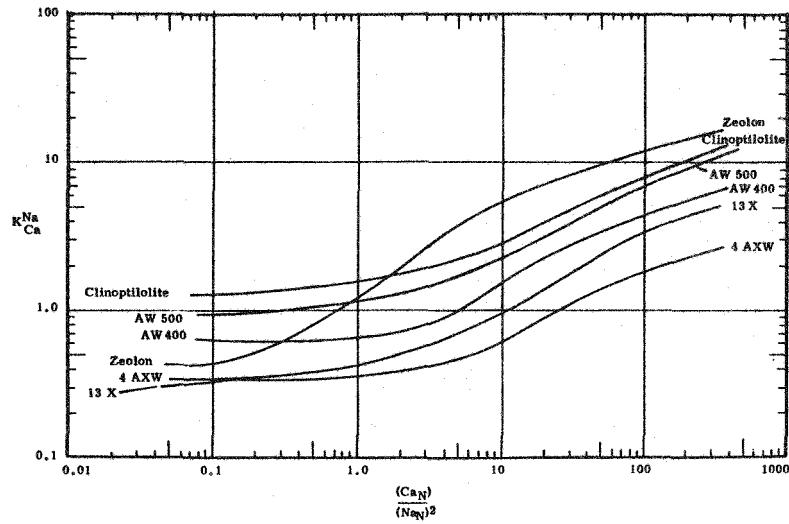


Figure 71. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $\text{Ca}_{\text{zeolite}} + 2\text{Na}_{\text{solution}} = 2\text{Na}_{\text{zeolite}} + \text{Ca}_{\text{solution}}$ .

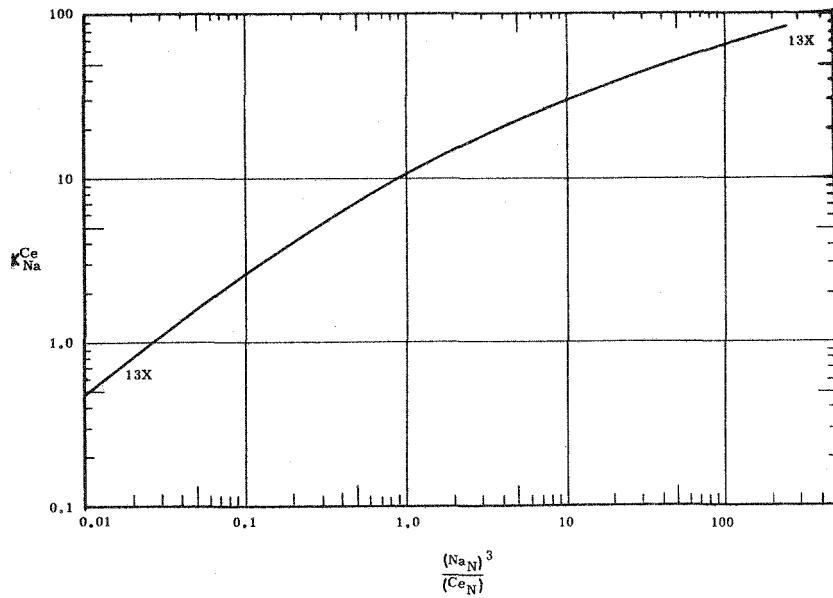


Figure 72. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $3\text{Na}_{\text{zeolite}} + \text{Ce}_{\text{solution}} = \text{Ce}_{\text{zeolite}} + 3\text{Na}_{\text{solution}}$ .

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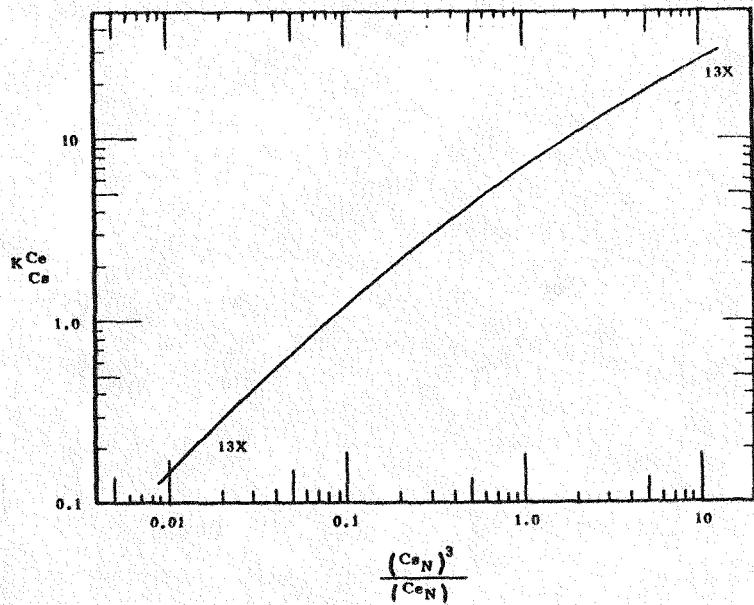


Figure 73. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $3Cs_{\text{zeolite}} + Ce_{\text{solution}} = Ce_{\text{zeolite}} + 3Cs_{\text{solution}}$ .

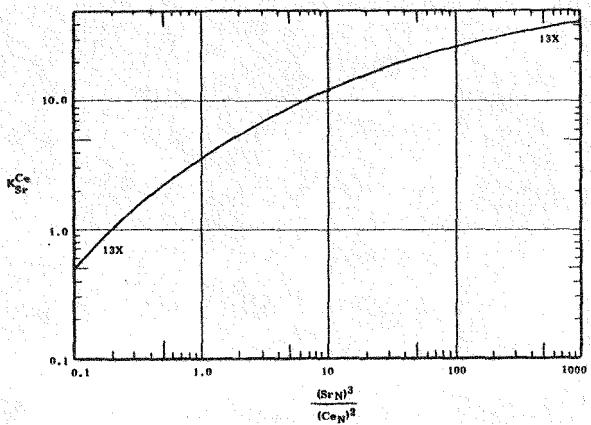


Figure 74. Variation of mass action quotients with solution equivalent ratios for the exchange reaction  $3Sr_{\text{zeolite}} + 2Ce_{\text{solution}} = 2Ce_{\text{zeolite}} + 3Sr_{\text{solution}}$ .

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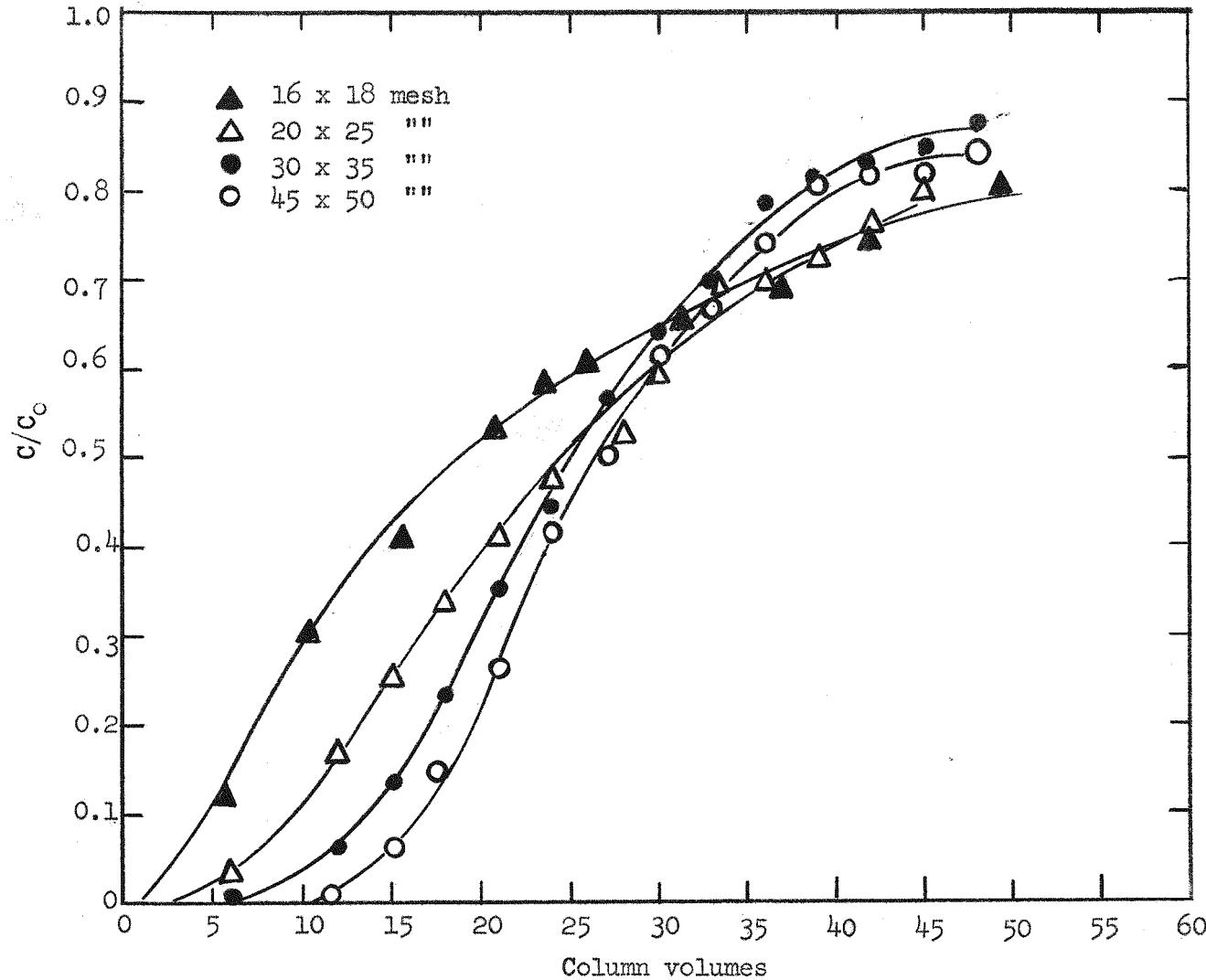


Figure 75. Effect of particle size on strontium breakthrough curves with 4A at 25C.

Conditions:

Feed  $0.20\text{M}$   $\text{NaNO}_3$ ,  $0.035\text{M}$   $\text{Sr}(\text{NO}_3)_2$ ,  $0.010\text{M}$   $\text{Ca}(\text{NO}_3)_2$ .  
Column size 1.9 cm. diameter, 21 cm. height  
Exchanger weight 50 grams  
Flow rate 12 c.v./hour

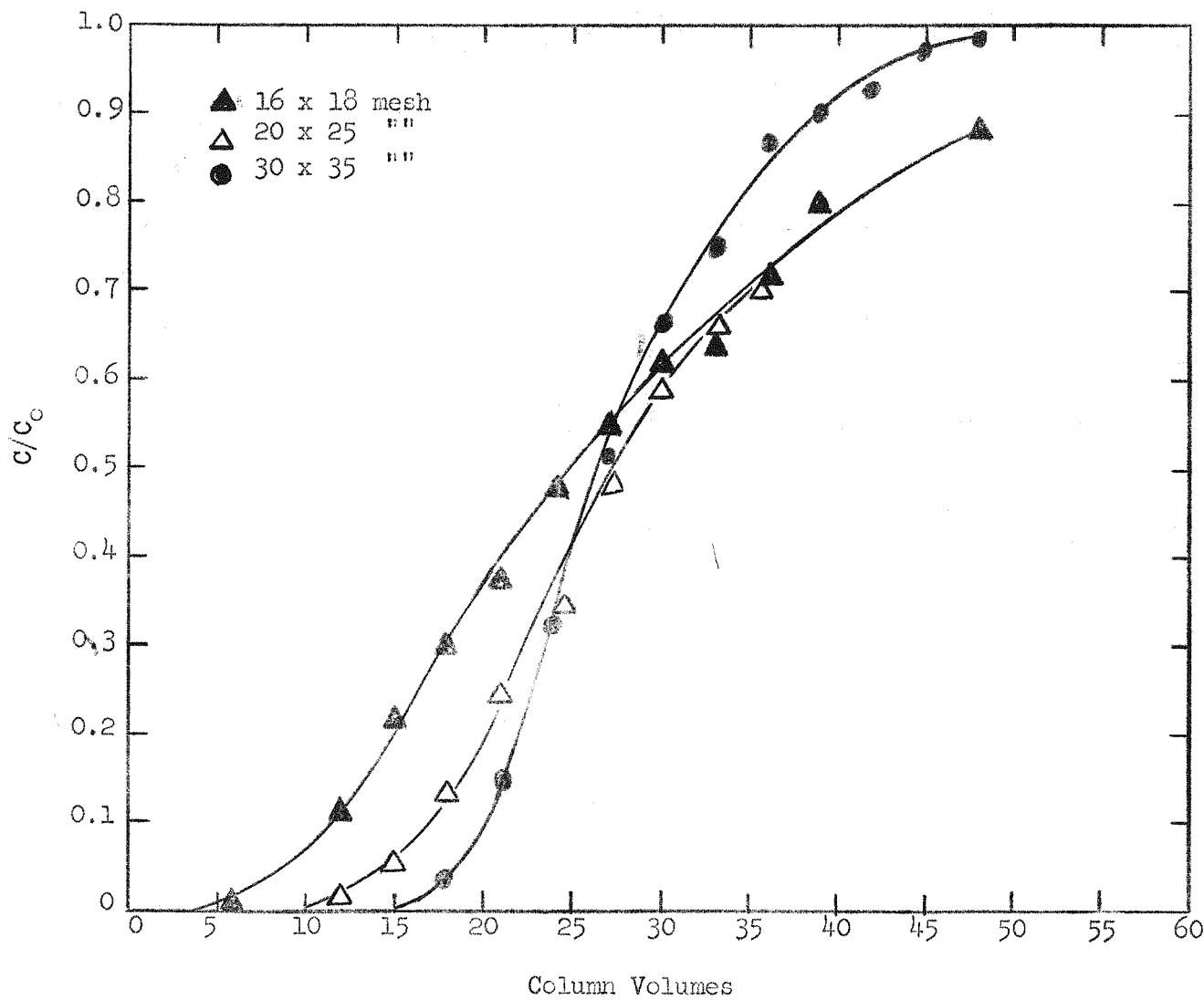


Figure 76. Effect of particle size on strontium breakthrough curve with 4A at 55C.

Conditions:

Feed  $0.20\text{M}$ ,  $\text{NaNO}_3$ ,  $0.035\text{M}$   $\text{Sr}(\text{NO}_3)_2$ ,  $0.010\text{M}$   $\text{Ca}(\text{NO}_3)_2$ .  
Column size 1.9 cm. diameter, 21 cm. height  
Exchanger weight 50 grams  
Flow rate 12 c.v./hour

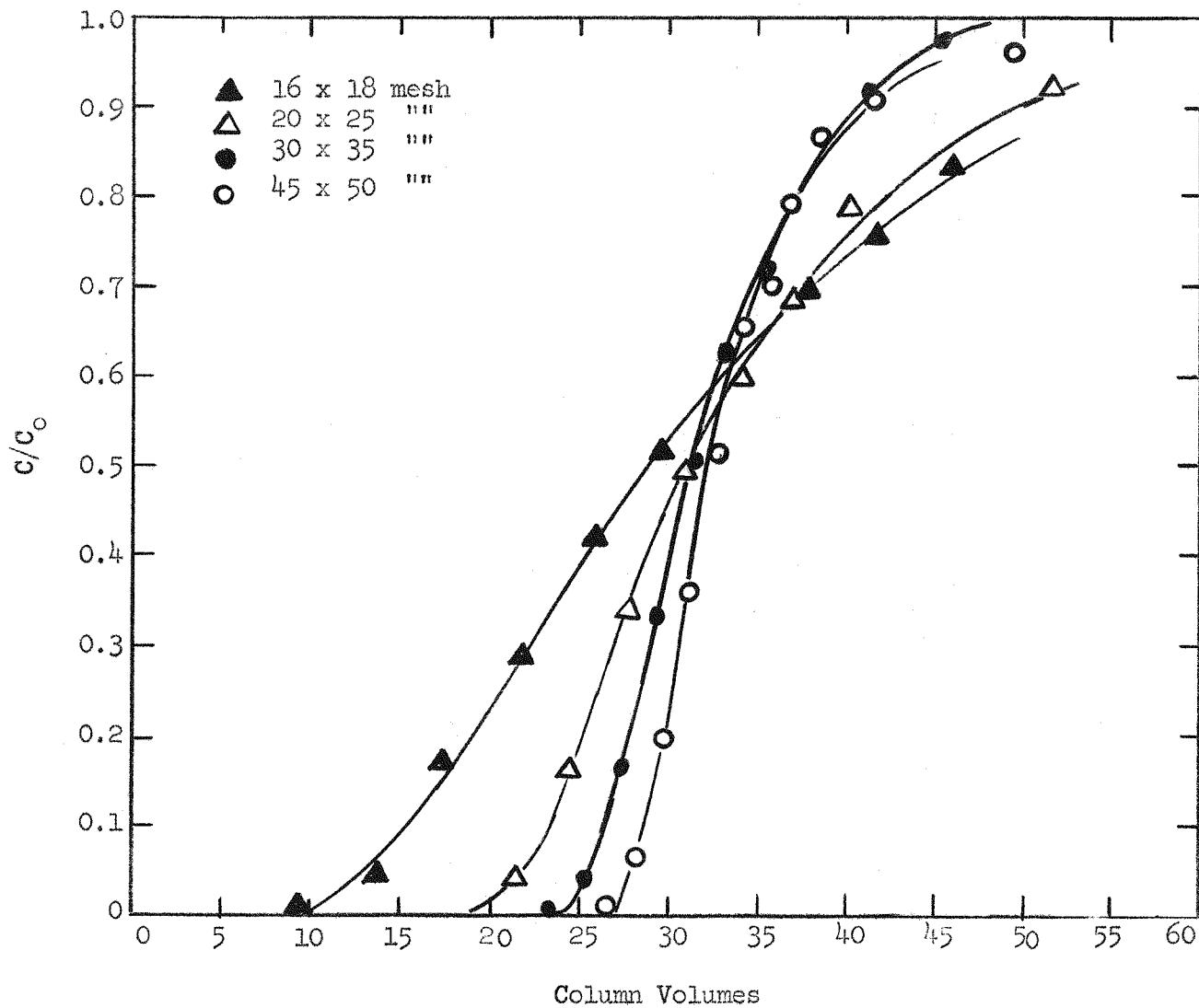


Figure 77. Effect of particle size on strontium breakthrough curve with 4A zeolite at 80C.

Conditions:

Feed	0.20M NaNO <sub>3</sub> , 0.035M Sr(NO <sub>3</sub> ) <sub>2</sub> , 0.010M Ca(NO <sub>3</sub> ) <sub>2</sub> .
Column size	1.9 cm. diameter, 21 cm. height
Exchanger weight	50 grams
Flow rate	12 c.v./hour

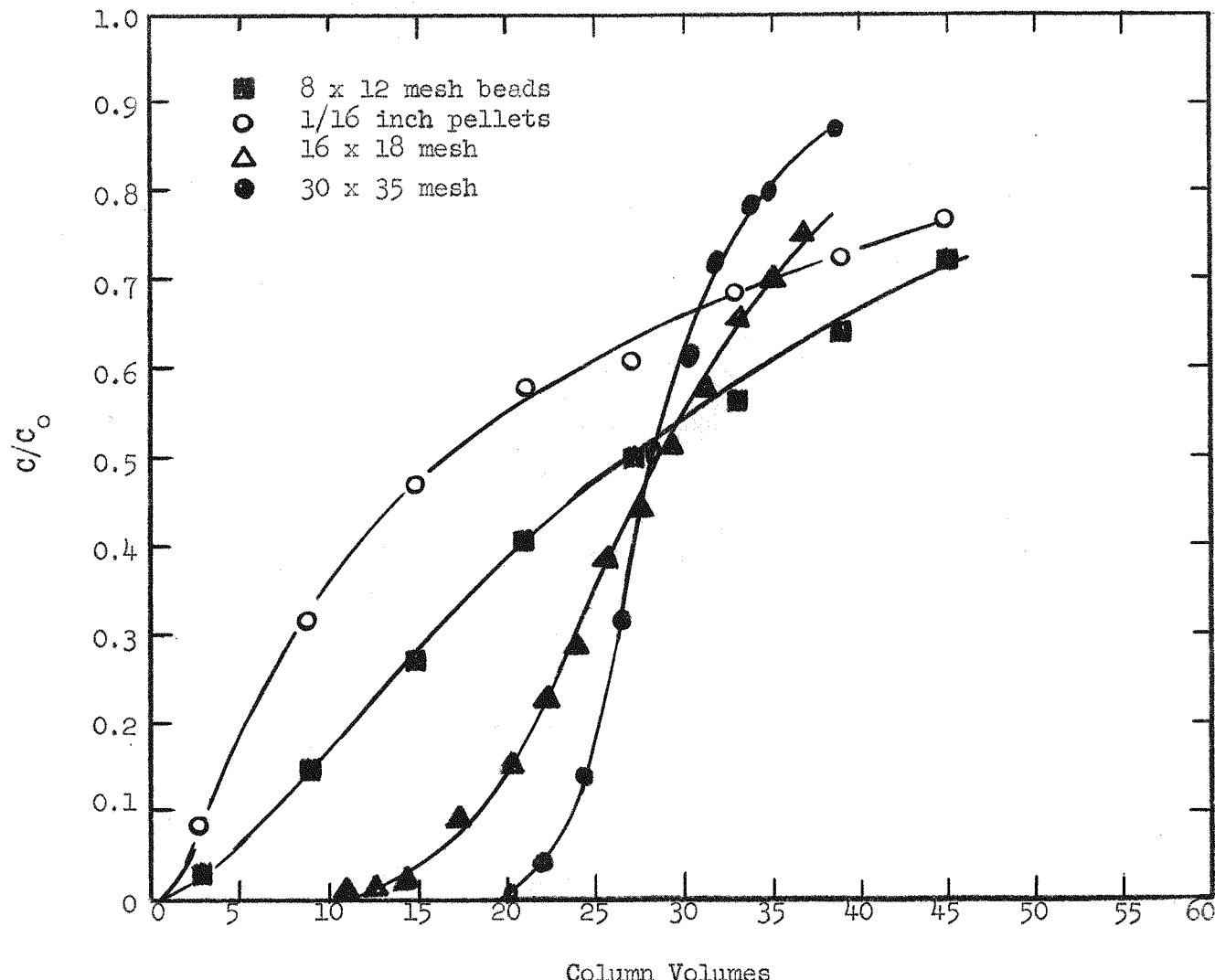


Figure 78. Effect of particle size on the strontium breakthrough curves with 4A at 25C.

Conditions:

Feed  $0.20\text{M}$   $\text{NaNO}_3$ ,  $0.035\text{M}$   $\text{Sr}(\text{NO}_3)_2$ ,  $0.010\text{M}$   $\text{Ca}(\text{NO}_3)_2$ .  
Column size 1.9 cm. diameter, 21 cm. height  
Exchanger weight 50 grams  
Flow rate 3 c.v./hour

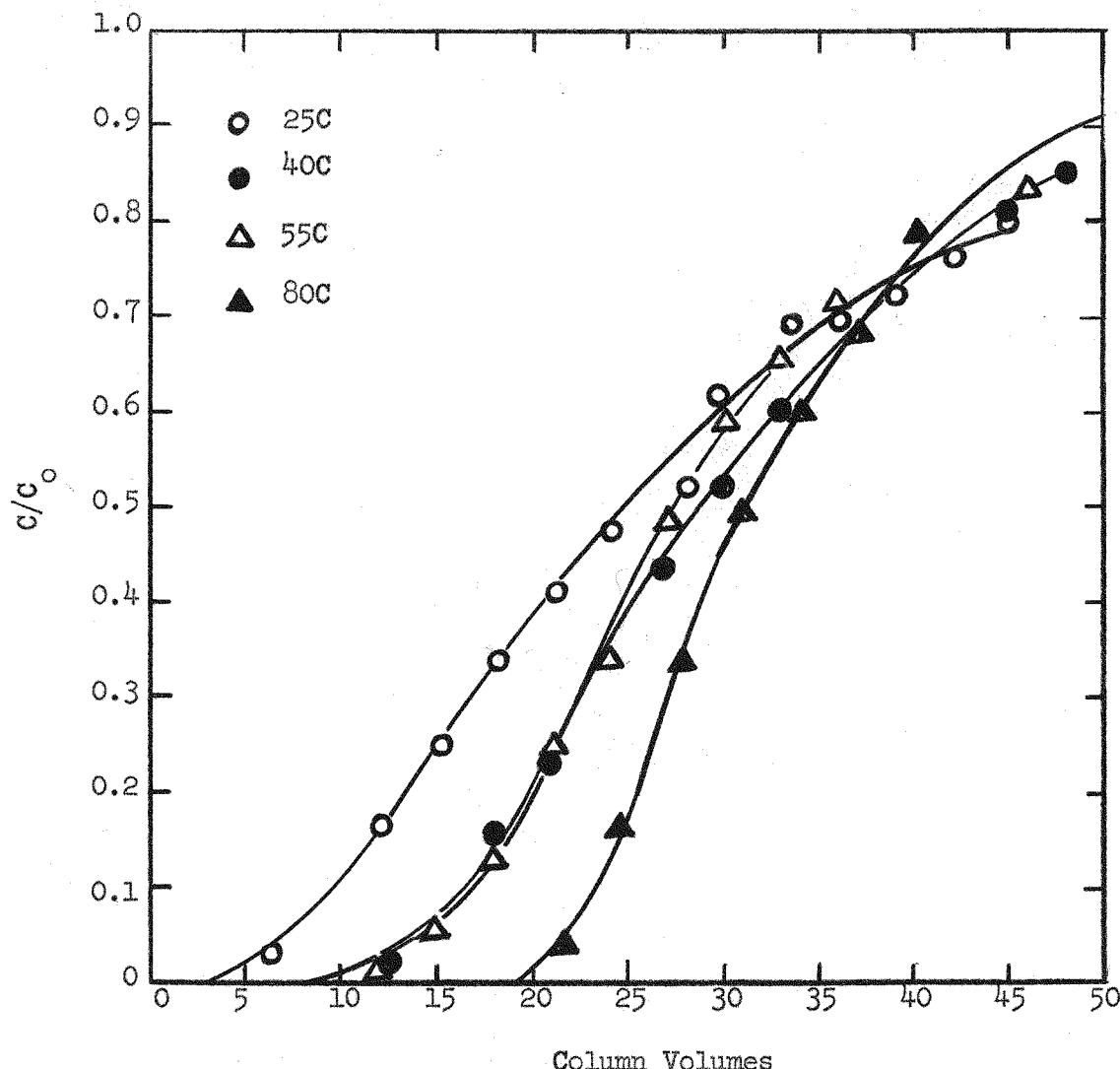


Figure 79. Effect of temperature on strontium breakthrough curves with 4A.

Conditions:

Feed  $0.20\text{M}$   $\text{NaNO}_3$ ,  $0.035\text{M}$   $\text{Sr}(\text{NO}_3)_2$ ,  $0.010\text{M}$   $\text{Ca}(\text{NO}_3)_2$ .  
Column size 1.9 cm. diameter, 21 cm. height.  
Exchanger weight 50 grams  
Flow rate 12 c.v./hour  
Grain size 20 x 25 mesh

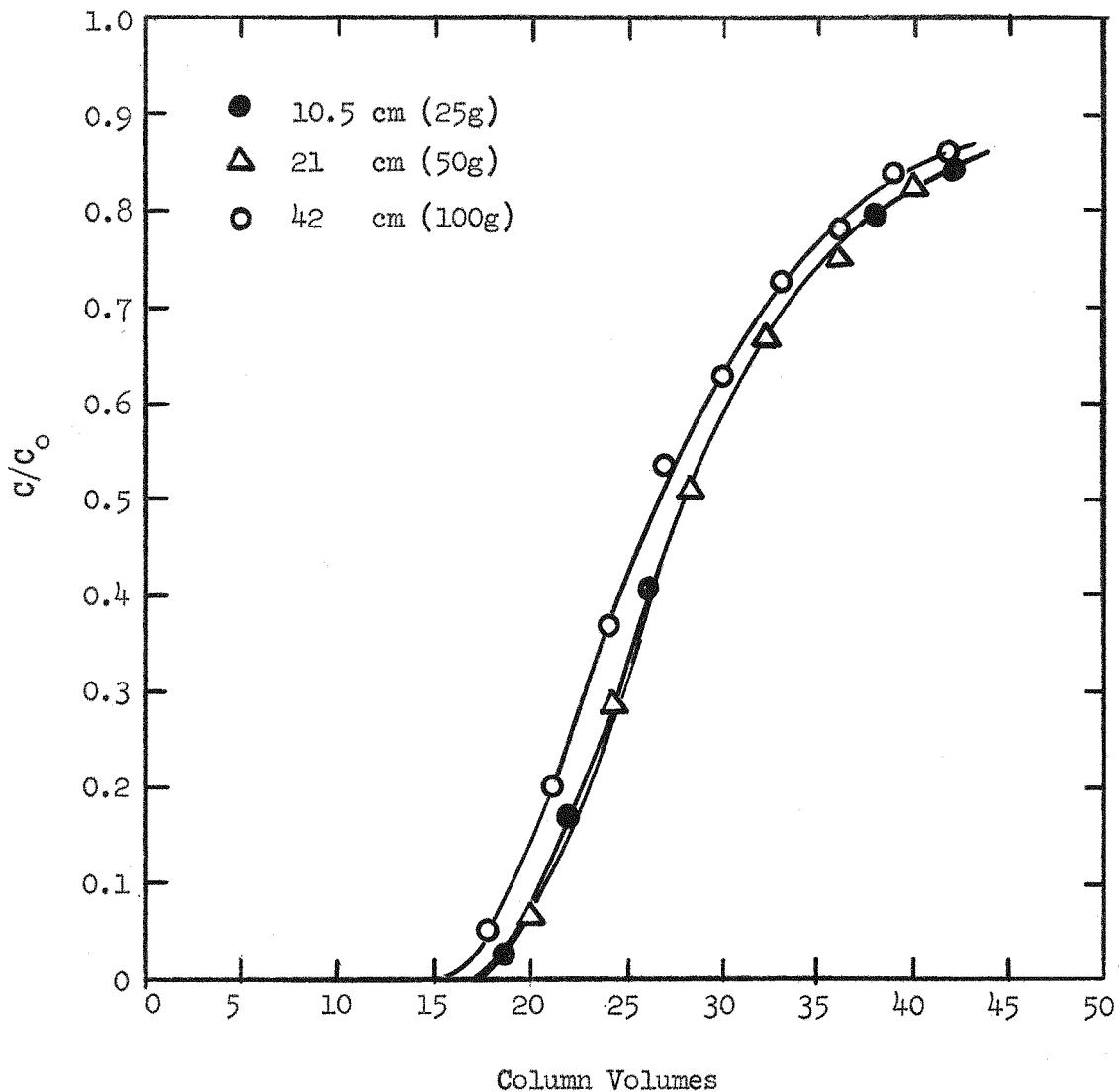


Figure 80. Effect of column height on strontium breakthrough curve with 4A.

Conditions:

Feed  $0.20\text{M}$   $\text{NaNO}_3$ ,  $0.035\text{M}$   $\text{Sr}(\text{NO}_3)_2$ ,  $0.010\text{M}$   $\text{Ca}(\text{NO}_3)_2$   
Column diameter 1.9 cm  
Flow rate 6 c.v/hour  
Temperature 25C  
Particle size 20 x 50 mesh

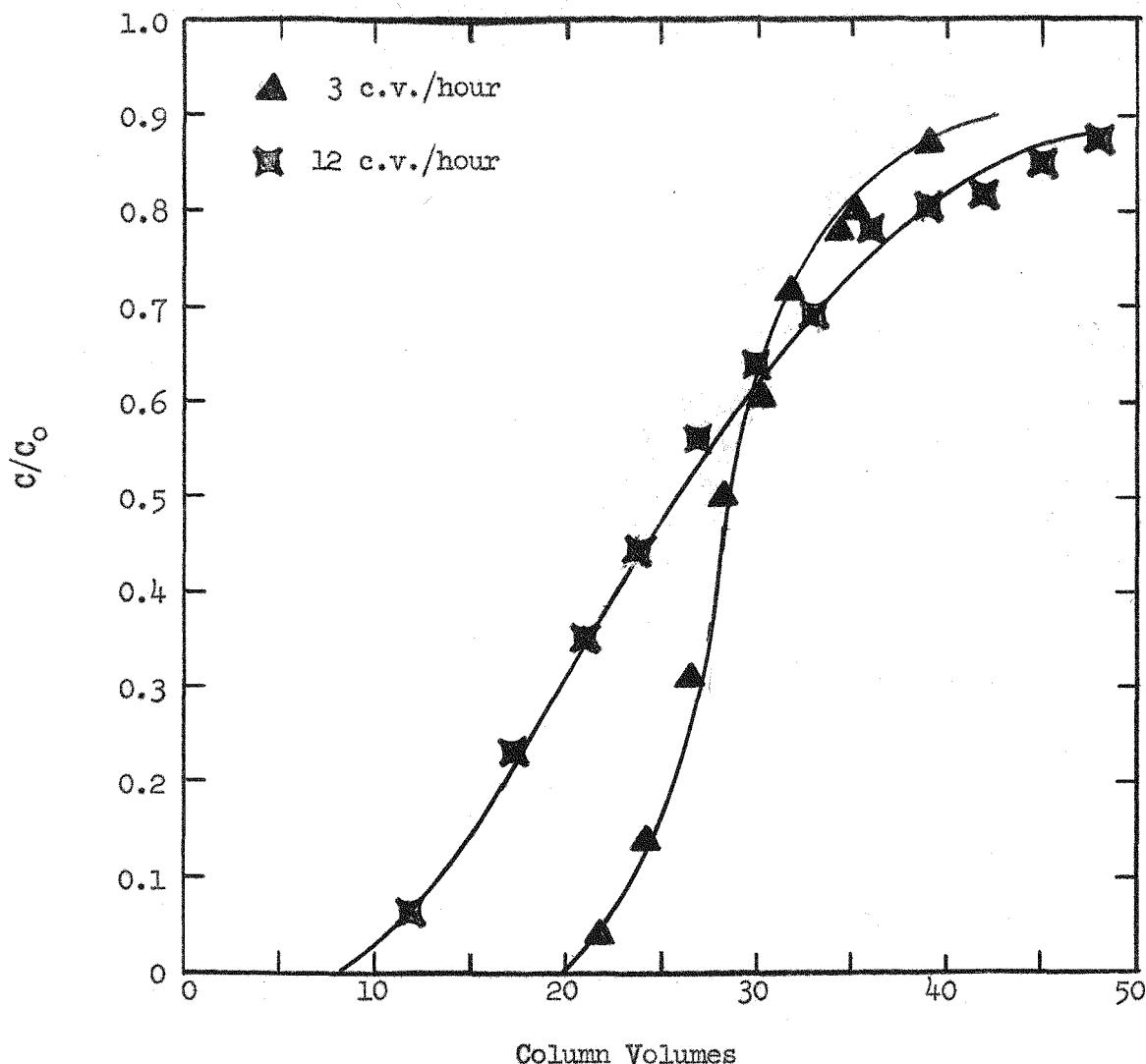
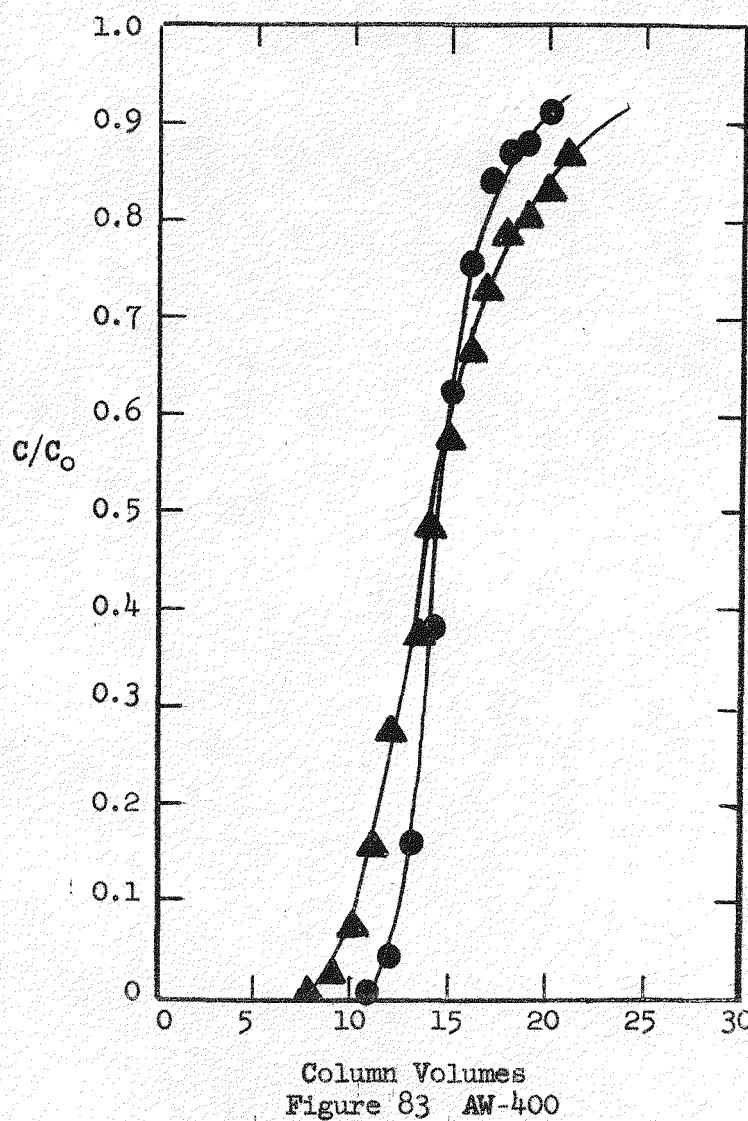
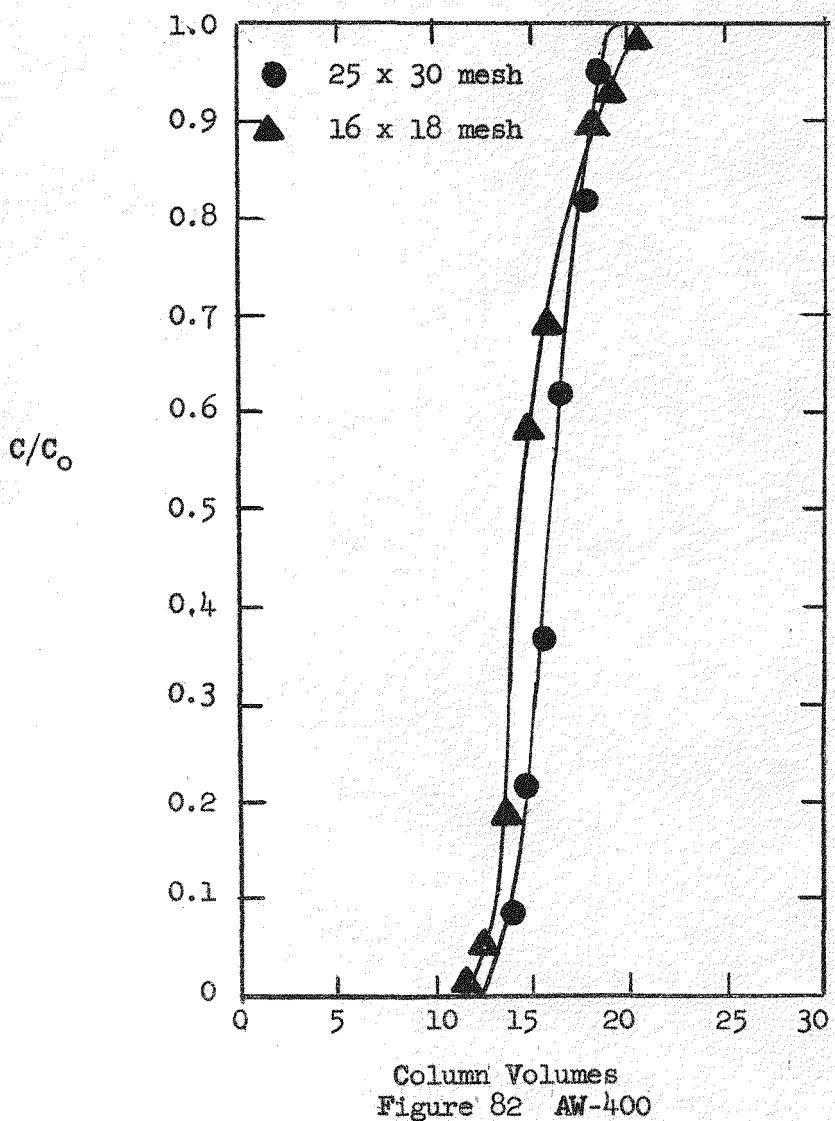


Figure 81. Effect of flow rate on strontium breakthrough curve.

Conditions:

Feed  $0.20\text{M}$   $\text{NaNO}_3$ ,  $0.035\text{M}$   $\text{Sr}(\text{NO}_3)_2$ ,  $0.010\text{M}$   $\text{Ca}(\text{NO}_3)_2$ .  
Column size 1.9 cm diameter, 21 cm. height.  
Exchanger weight 50g.  
Temperature 25°C  
Particle size 30 x 35 mesh.



Figures 82 and 83. Effect of particle size on cesium breakthrough curve with AW-400 and AW-500.

Conditions

Feed	$0.32\text{M Na}_2\text{CO}_3$ , $0.04\text{M Cs}_2\text{CO}_3$
Flow rate	4 c.v./hour
Column size	1.9 cm. diameter, 21 cm. height
Exchanger weight	50 grams
Temperature	25°C

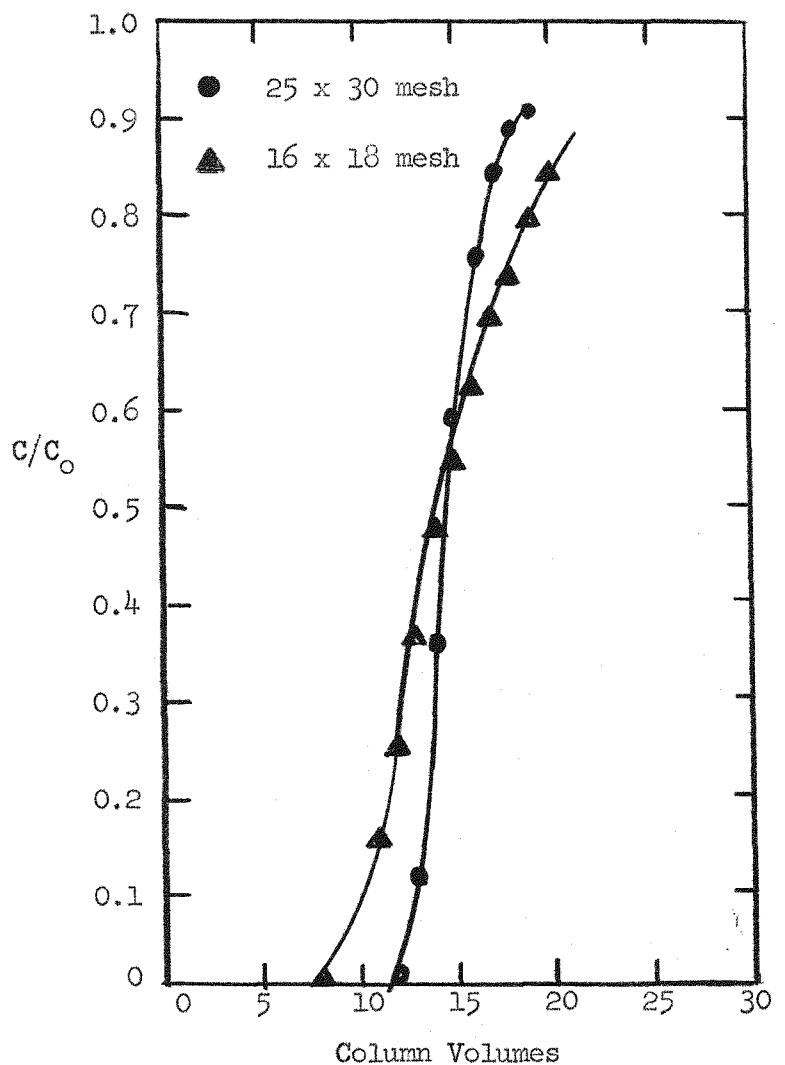


Figure 84 Clinoptilolite

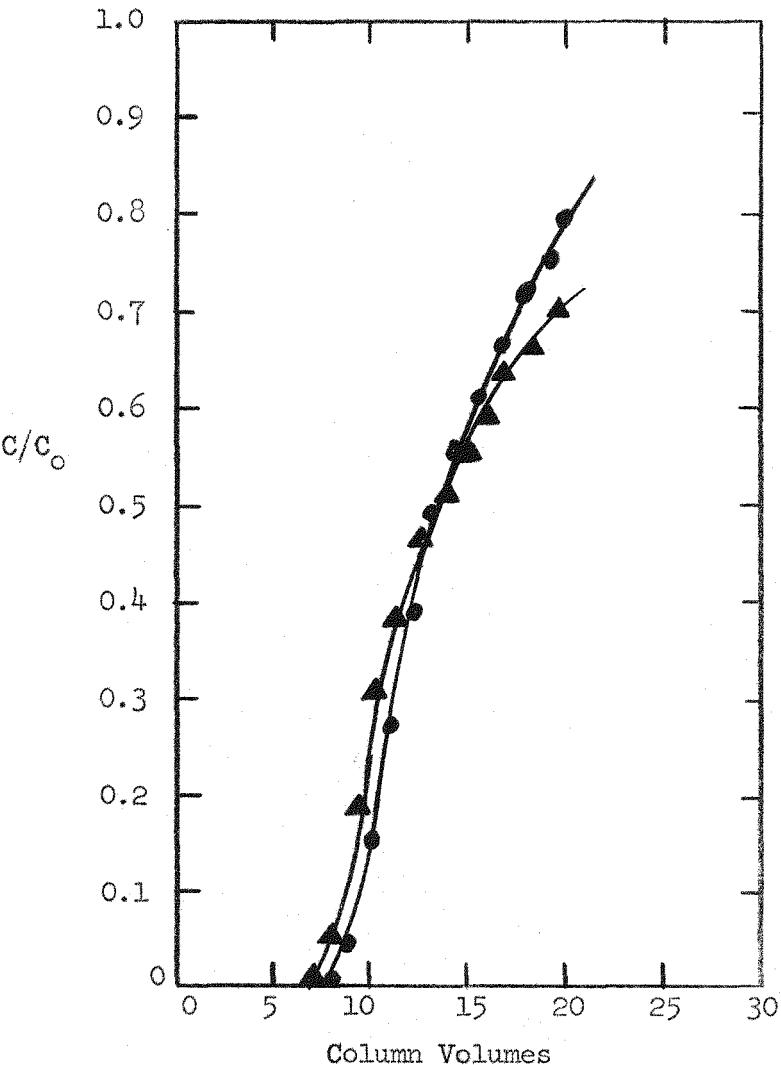


Figure 85 Zeolon

Figures 84 and 85. Effect of particle size on cesium breakthrough curves with clinoptilolite and Zeolon.

Conditions:

Feed  $0.32M\ Na_2CO_3, 0.04M\ Cs_2CO_3$   
 Flow rate 4 c.v./hour  
 Column size 1.9 cm. diameter, 21 cm. height  
 Exchanger weight 50 grams  
 Temperature 25°C

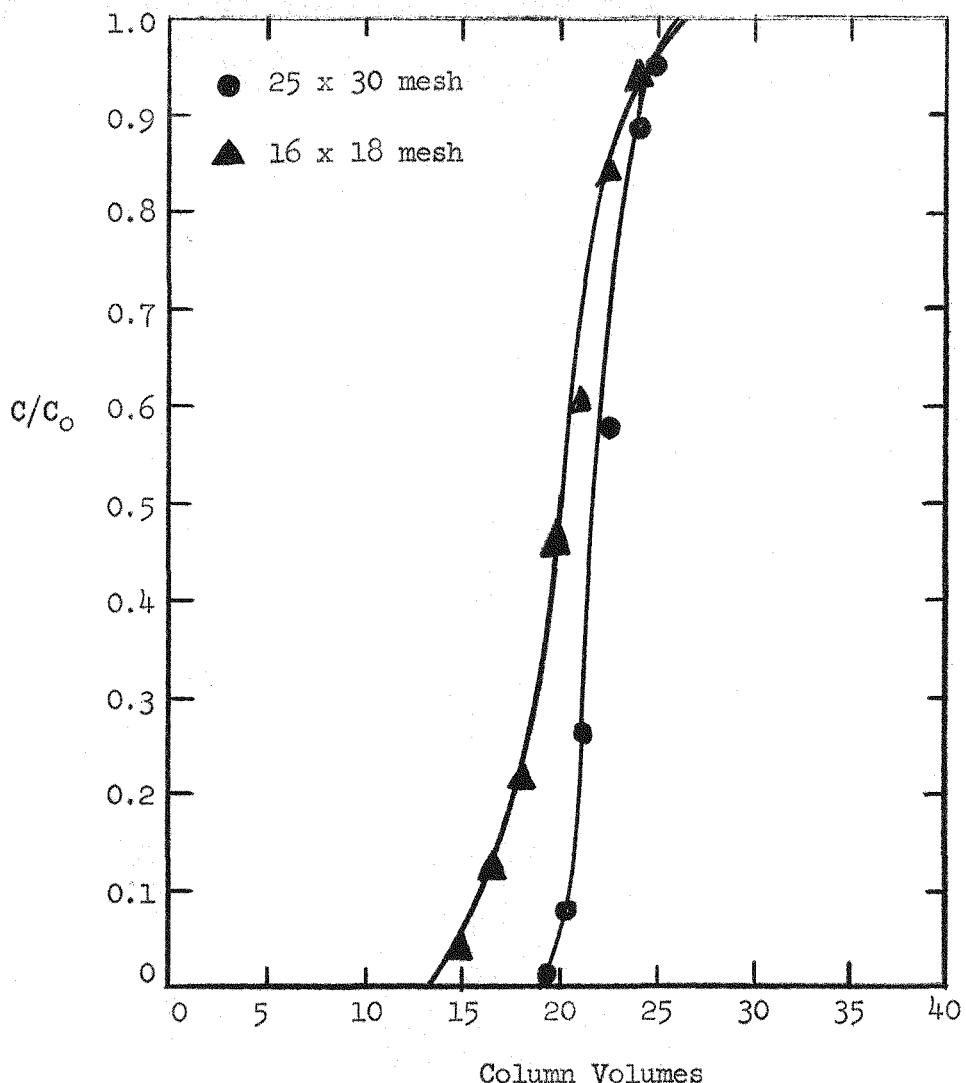


Figure 86. Effect of particle size on cesium breakthrough curve for AW-400 with high  $\text{Na}^+$  to  $\text{Cs}^+$  ratio in feed.

Conditions:

Feed:  $0.50\text{M}$   $\text{Na}_2\text{CO}_3$ ,  $0.0248\text{M}$   $\text{Cs}_2\text{CO}_3$ ,  
 $0.005\text{M}$   $(\text{NH}_4)_2\text{CO}_3$ ,  $0.0125\text{M}$   $\text{K}_2\text{CO}_3$ .  
Flow rate 3 c.v./hour  
Column size 1.9 cm. diameter, 21 cm. height  
Exchanger weight 50 grams  
Temperature 25C

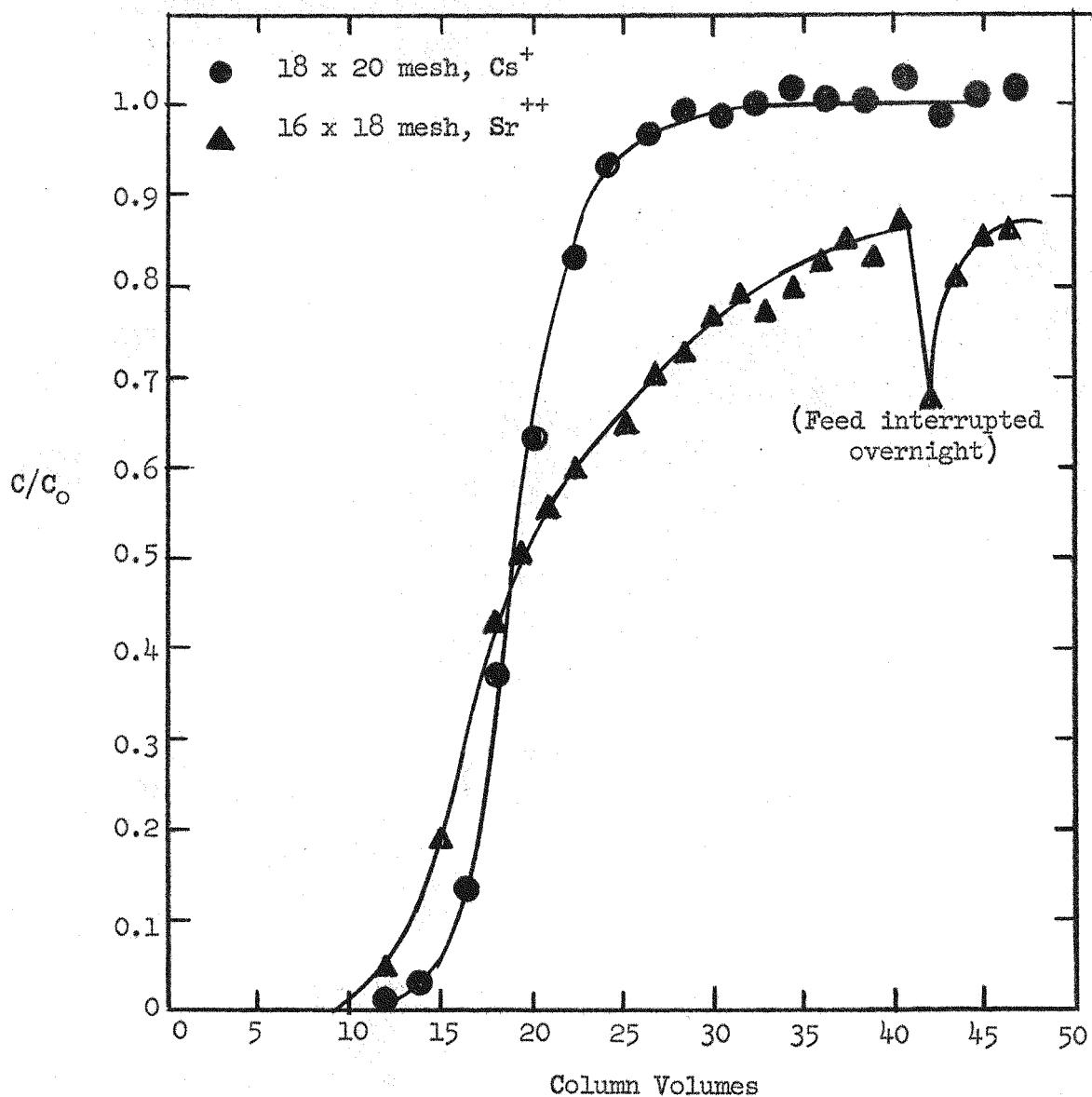


Figure 87. Cesium and strontium breakthrough curves with a simulated CSREX feed and 4A.

Conditions:

Feed	$0.20\text{M}$ $\text{NaNO}_3$ , $0.027\text{M}$ $\text{Sr}(\text{NO}_3)_2$ , $0.027\text{M}$ $\text{Ca}(\text{NO}_3)_2$ , $0.040\text{M}$ $\text{CsNO}_3$ , $0.001\text{M}$ $\text{Ce}(\text{NO}_3)_3$ , $0.0005\text{M}$ $\text{Nd}(\text{NO}_3)_3$ , $0.005\text{M}$ citrate.
Flow rate	3 c.v./hour
Column size	1.9 cm. diameter, 21 cm. height
Exchanger weight	50 grams
Temperature	25°C
pH of feed	5

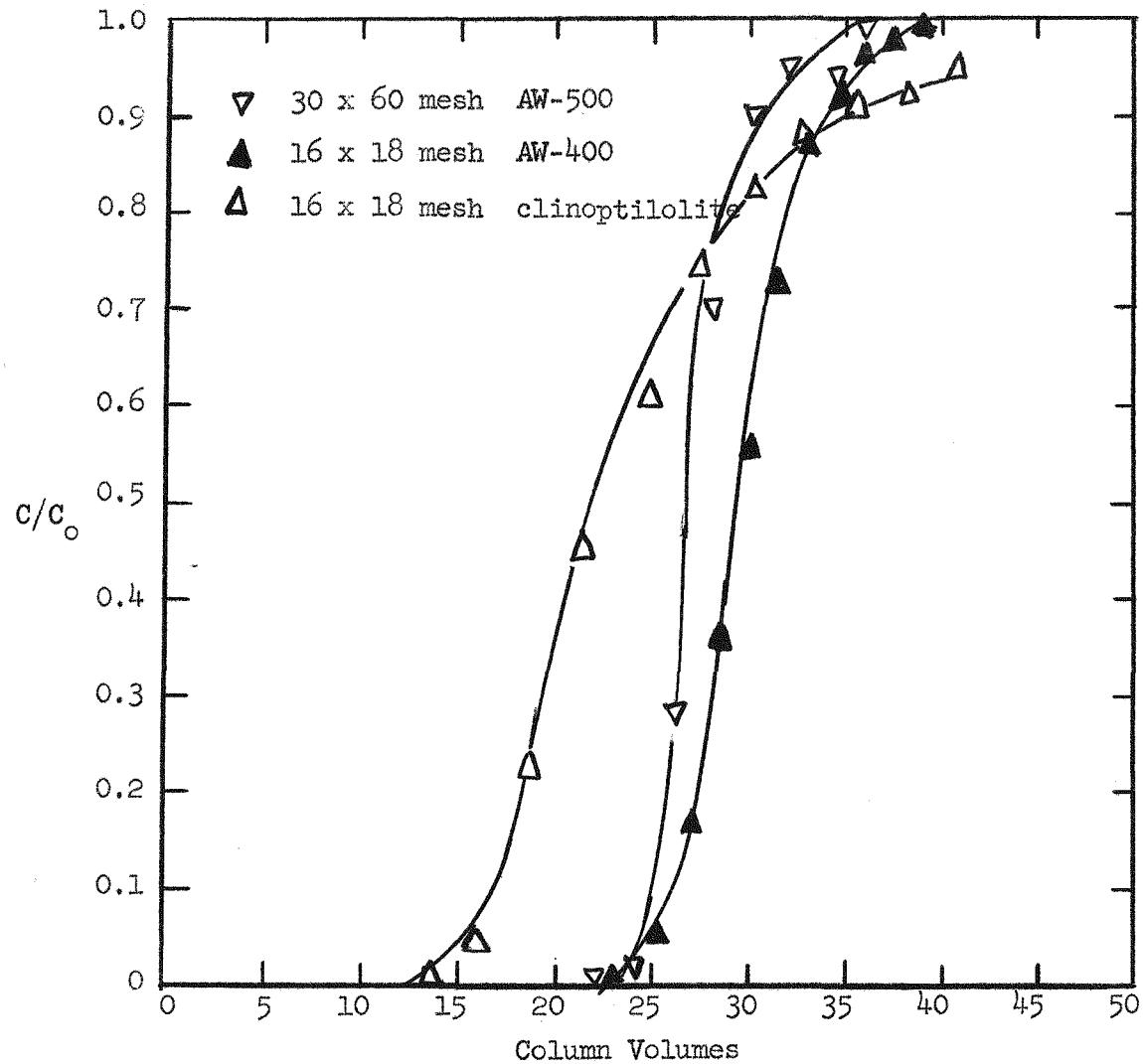


Figure 88. Cesium breakthrough curves for various zeolites and a simulated CSREX feed.

Conditions:

Feed                     $0.20\text{M}$   $\text{NaNO}_3$ ,  $0.027\text{M}$   $\text{Sr}(\text{NO}_3)_2$ ,  $0.027\text{M}$   $\text{Ca}(\text{NO}_3)_2$ ,  
                           $0.040\text{M}$   $\text{CsNO}_3$ ,  $0.001\text{M}$   $\text{Ce}(\text{NO}_3)_3$ ,  $0.0005\text{M}$   
                           $\text{Nd}(\text{NO}_3)_2$ ,  $0.005\text{M}$  citrate

Flow rate            3 c.v./hour

Column size        1.9 cm. diameter, 21 cm. height

Exchanger weight    50 grams

Temperature         25°C

pH of Feed         5

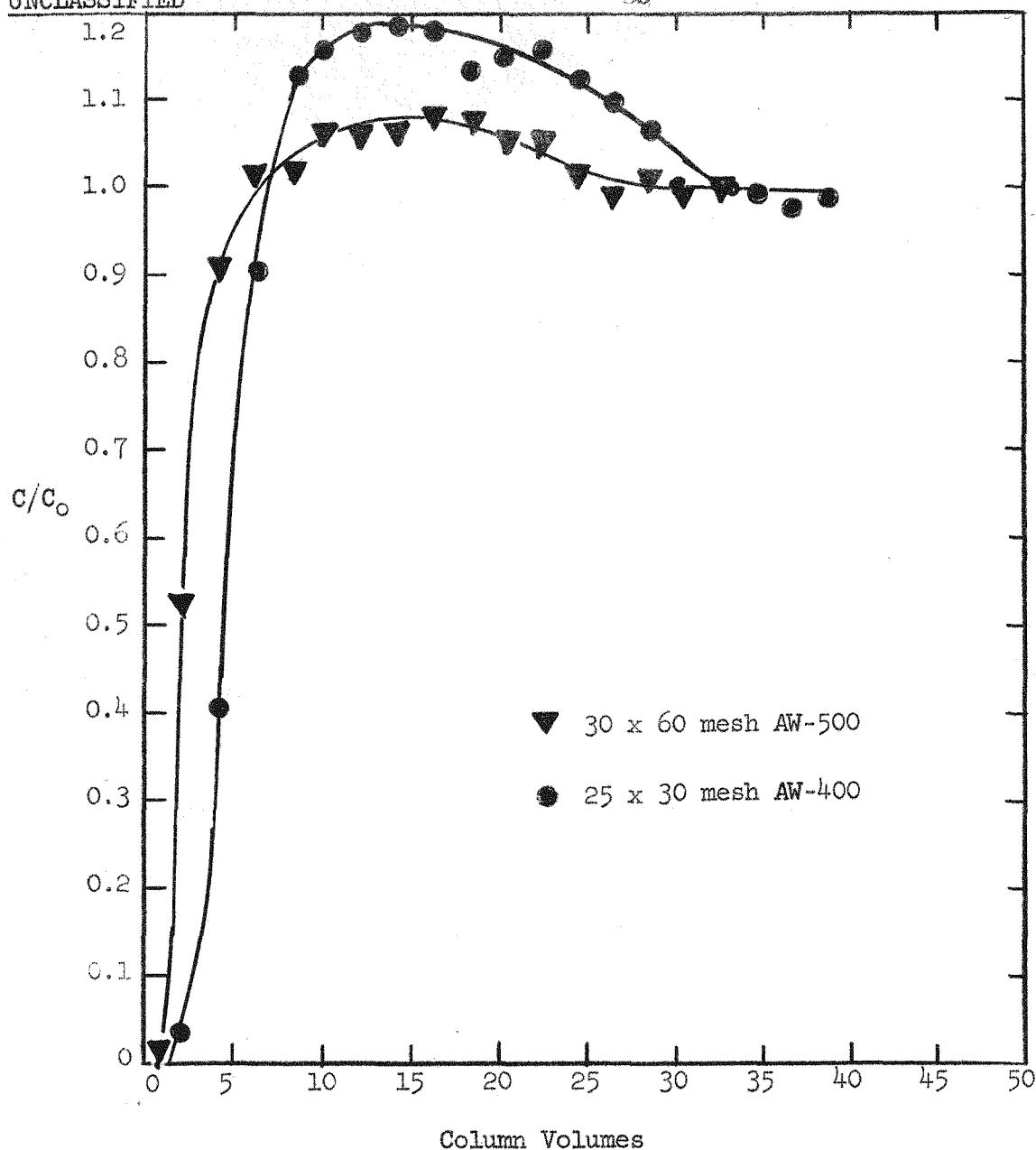


Figure 89. Strontium breakthrough curves for AW-400 and AW-500 with a simulated CSREX feed.

Conditions:

Feed  $0.20\text{M}$   $\text{NaNO}_3$ ,  $0.027\text{M}$   $\text{Sr}(\text{NO}_3)_2$ ,  $0.027\text{M}$   $\text{Ca}(\text{NO}_3)_2$ ,  
 $0.04\text{M}$   $\text{CsNO}_3$ ,  $0.001\text{M}$   $\text{Ce}(\text{NO}_3)_3$ ,  $0.0005\text{M}$   $\text{Nd}(\text{NO}_3)_3$ ,  
 $0.005\text{M}$  citrate.  
Flow rate 3 c.v./hour  
Column size 1.9 cm. diameter, 21 cm. height  
Exchanger weight 50 grams  
Temperature 25°C  
pH of feed 5

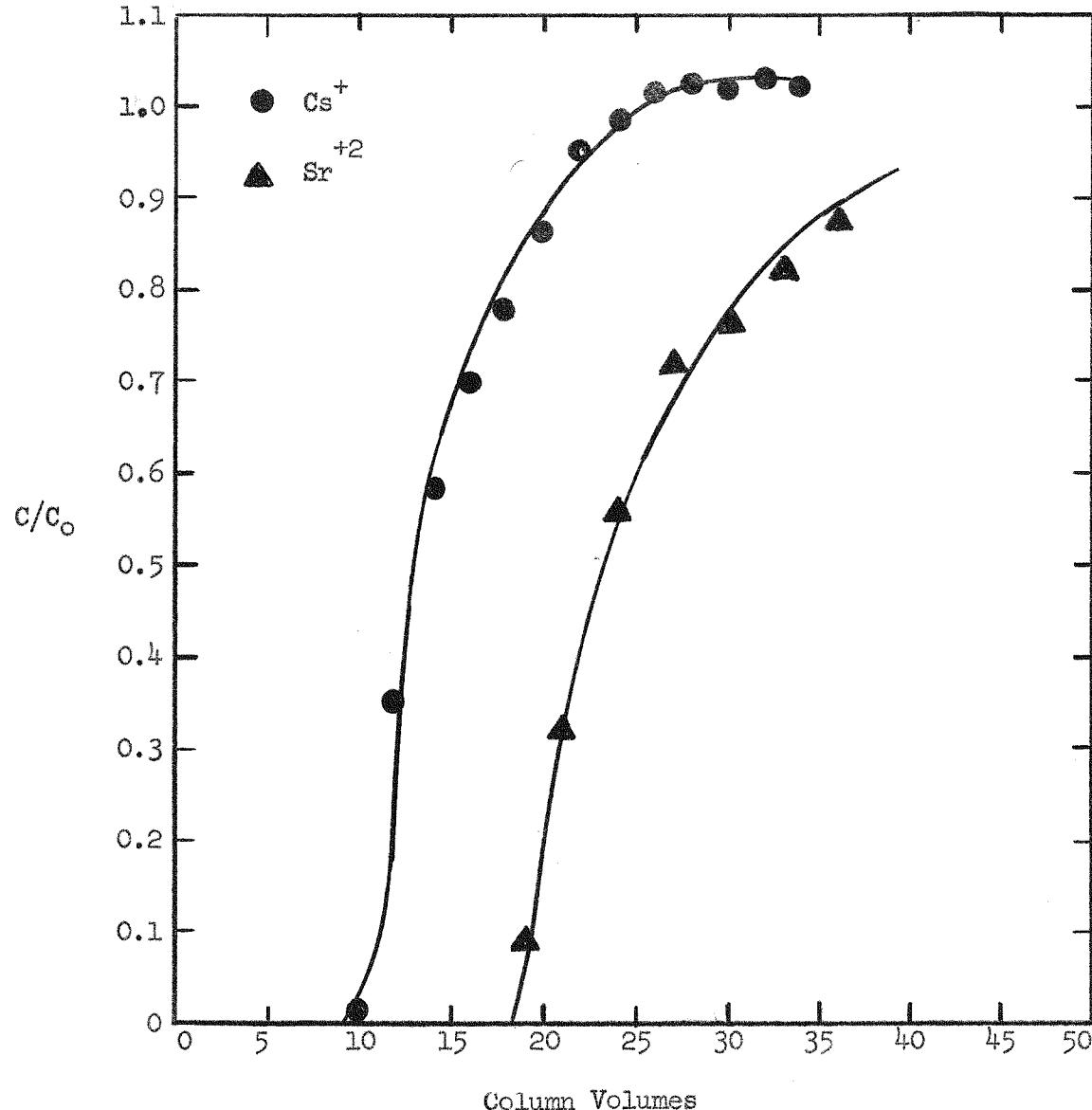


Figure 90. Cesium and strontium breakthrough curves for 4A at 80C with a simulated CSREX feed.

Conditions:

Feed	0.20M NaNO <sub>3</sub> , 0.027M Sr(NO <sub>3</sub> ) <sub>2</sub> , 0.027M Ca(NO <sub>3</sub> ) <sub>2</sub> , 0.040M CsNO <sub>3</sub> , 0.001M Ce(NO <sub>3</sub> ) <sub>3</sub> , 0.0005M Nd(NO <sub>3</sub> ) <sub>3</sub> , 0.005M citrate.
Flow rate	12 c.v./hour
Column size	1.9 cm diameter, 21 cm height
Exchanger weight	50g
pH	5
Particle size	30 - 35 mesh

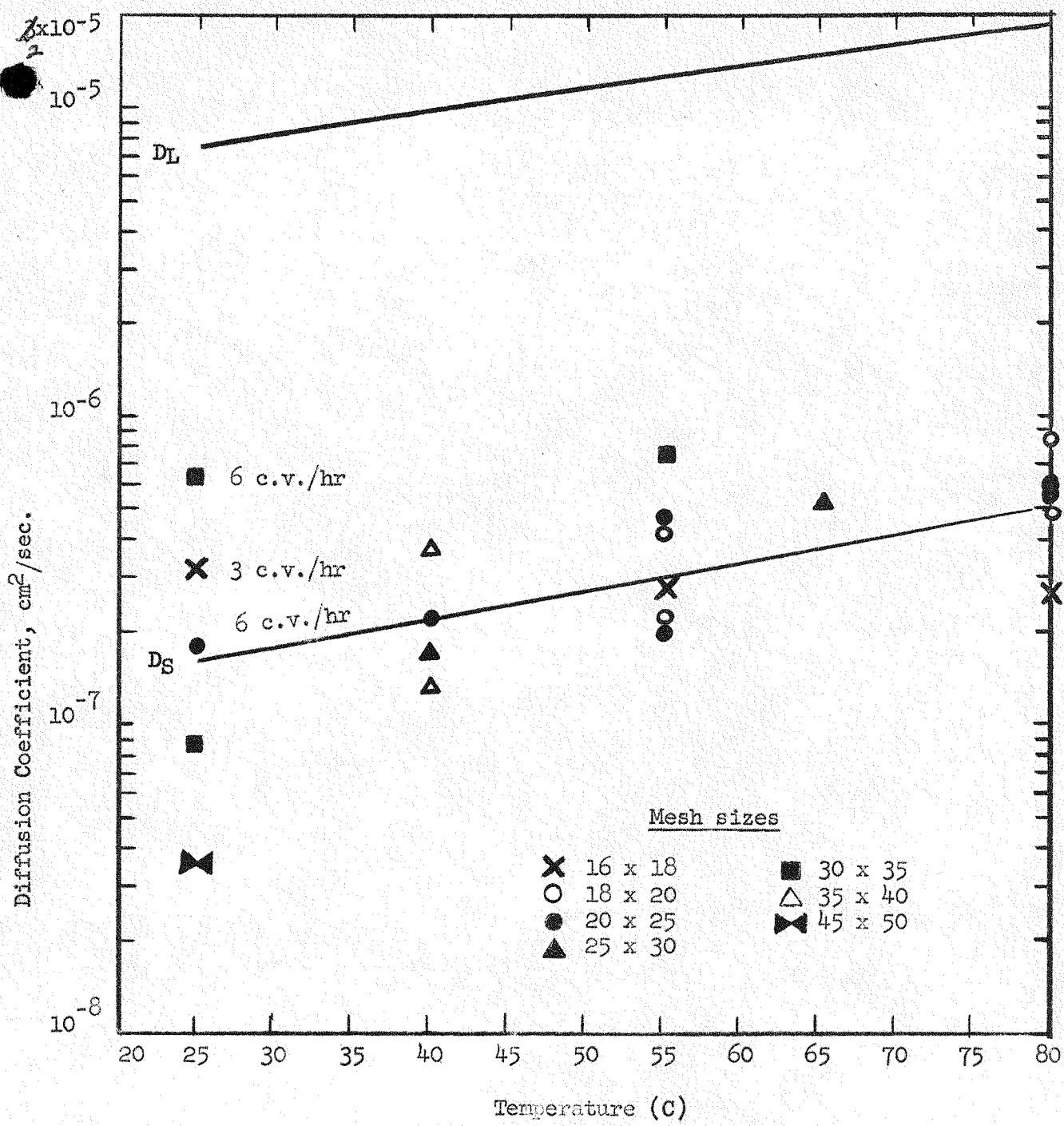


Figure 91. Variation of liquid ( $D_L$ ) and particle ( $D_S$ ) strontium diffusion coefficients with temperature for 4A and a simulated D2EHPA 1BP solution.

1BP solution composition: 0.20M  $\text{NaNO}_3$ , 0.035M  $\text{Sr}(\text{NO}_3)_2$ , 0.010M  $\text{Ca}(\text{NO}_3)_2$ .

Flow rate: 12 c.v./hour unless otherwise indicated.

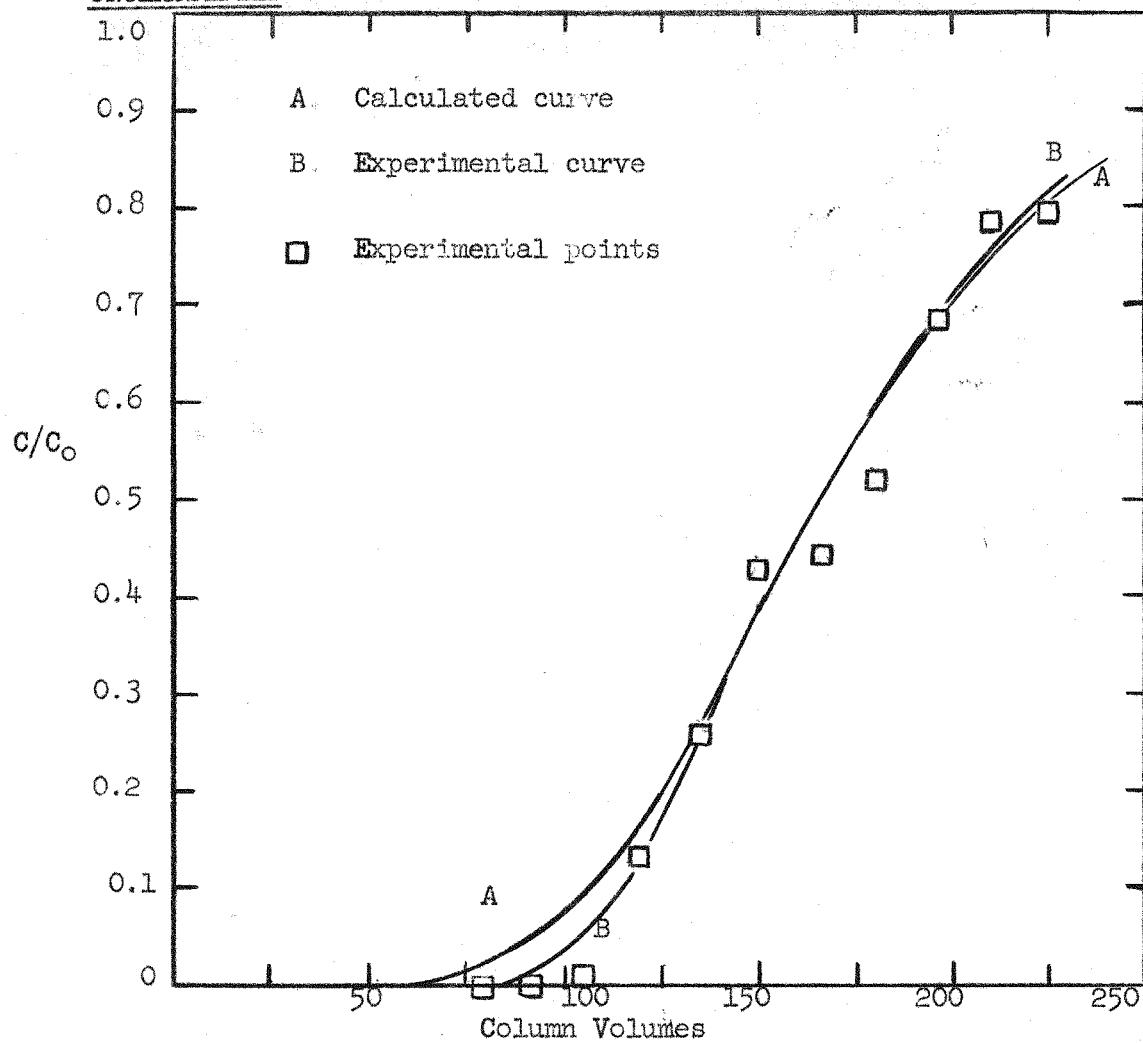


Figure 92. Calculated and experimental strontium breakthrough curves with 4A and dilute feed.

Conditions:

Feed  $0.04\text{M NaNO}_3$ ,  $0.007\text{M Sr}(\text{NO}_3)_2$ ,  $0.002\text{M Ca}(\text{NO}_3)_2$   
Flow rate 60 c.v./hour  
Column size 1.9 cm. diameter, 21 cm. height  
Exchanger weight 50 grams  
Temperature 80°C  
Particle size 20 x 50 mesh

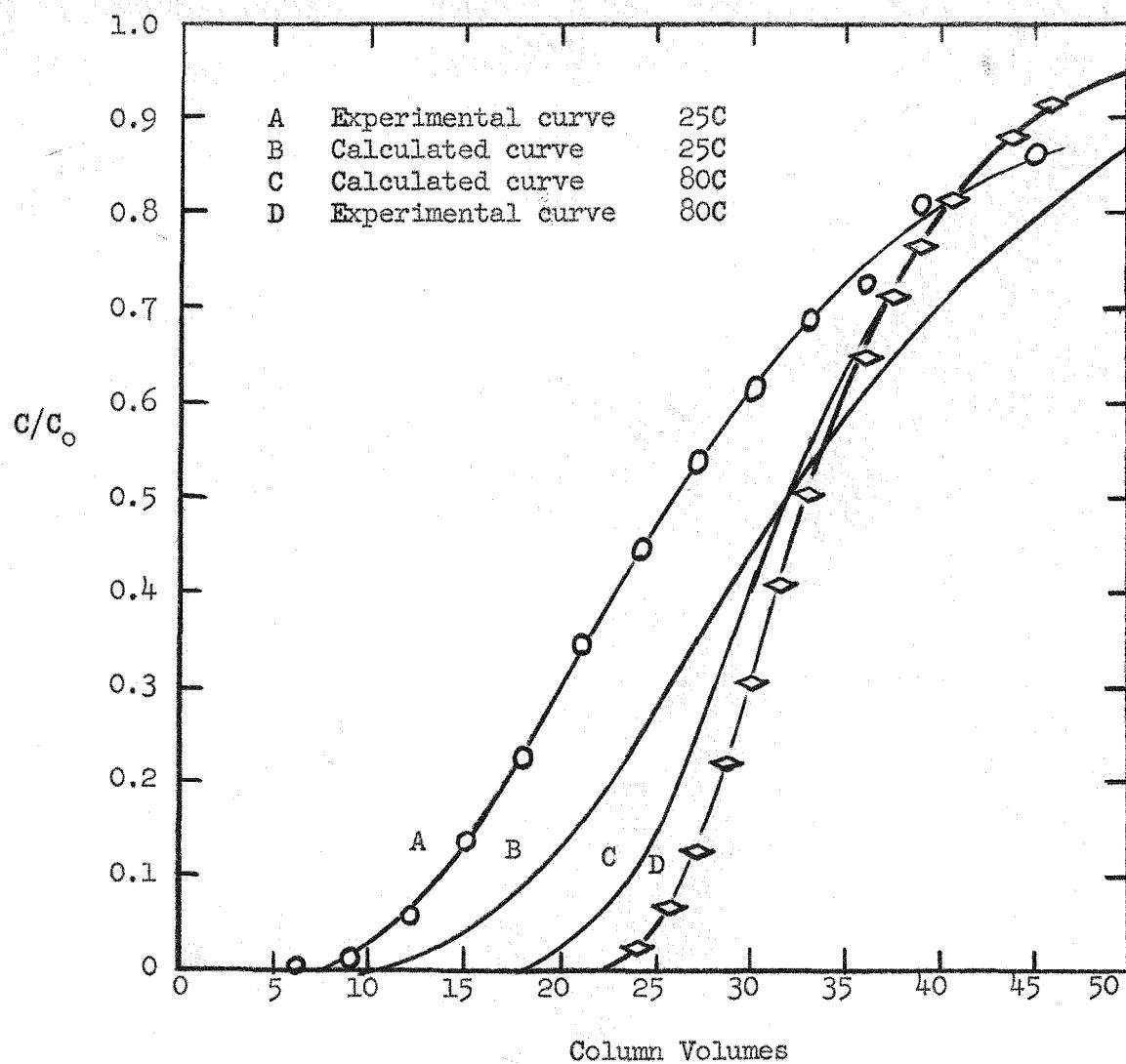


Figure 93. Variations of calculated and experimental strontium breakthrough curves with temperature for 20 x 50 mesh 4A.

Conditions:

Feed  $0.20\text{M}$   $\text{NaNO}_3$ ,  $0.035\text{M}$   $\text{Sr}(\text{NO}_3)_2$ ,  $0.010\text{M}$   $\text{Ca}(\text{NO}_3)_2$   
Flow rate 12 c.v./hour  
Column size 1.9 cm. diameter, 21 cm. height  
Exchanger weight 50g.

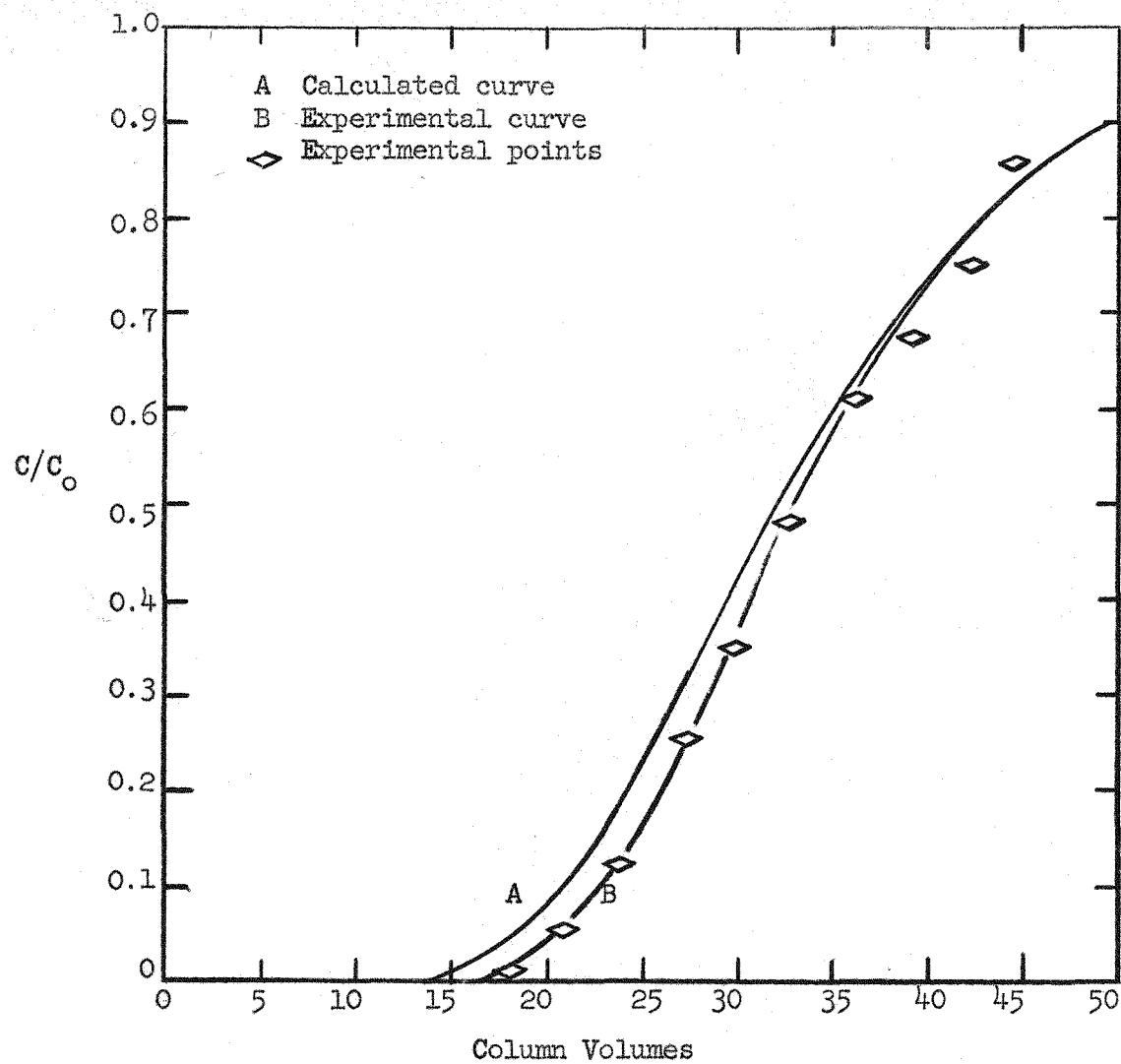


Figure 94. Calculated and experimental strontium breakthrough curves for 14 x 30 mesh 4A.

Conditions:

Feed  $0.20\text{M}$   $\text{NaNO}_3$ ,  $0.035\text{M}$   $\text{Sr}(\text{NO}_3)_2$ ,  $0.010\text{M}$   $\text{Ca}(\text{NO}_3)_2$   
Flow rate 12 c.v./hour  
Column size 1.9 cm. diameter, 21 cm. height  
Exchanger weight 50g.