

Multiscale Modeling of Active Brazing

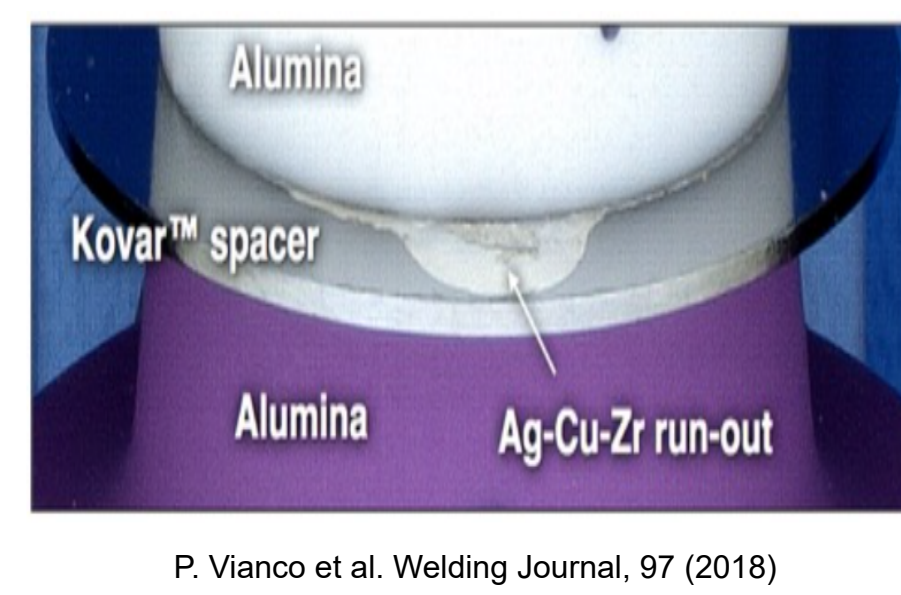
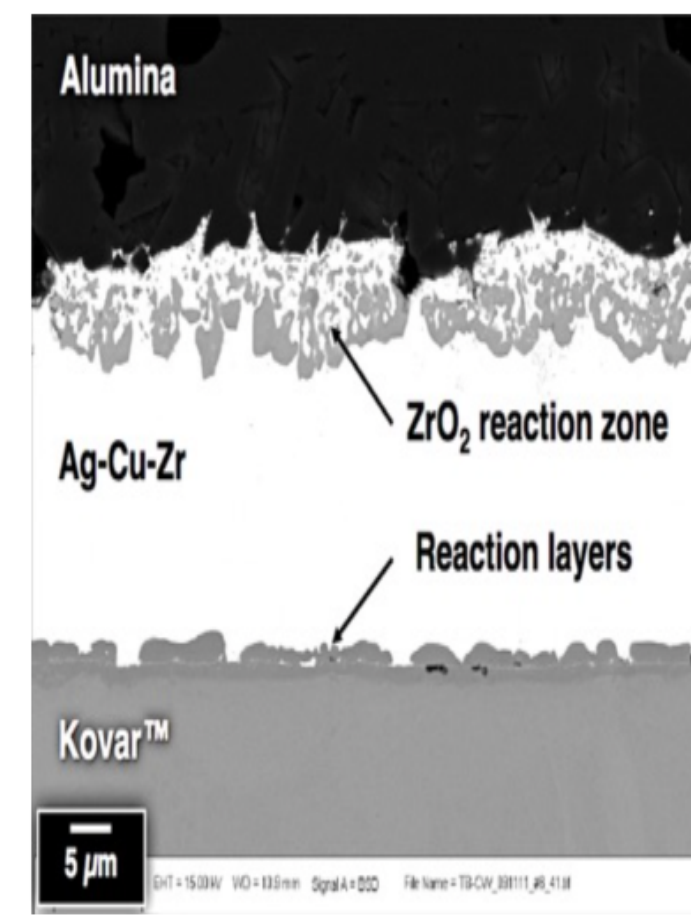
Michael Chandross, Ian Winter, Eric Rothchild, Jaideep Ray, Ed Arata, Ping Lu, Jeff Horner, Scott Roberts, David Kemmenoe, Anthony McMaster and Anne M. Grillet

Sandia National Laboratories, Albuquerque, NM USA
Wetting Simulations with Molecular Dynamics (sample system)

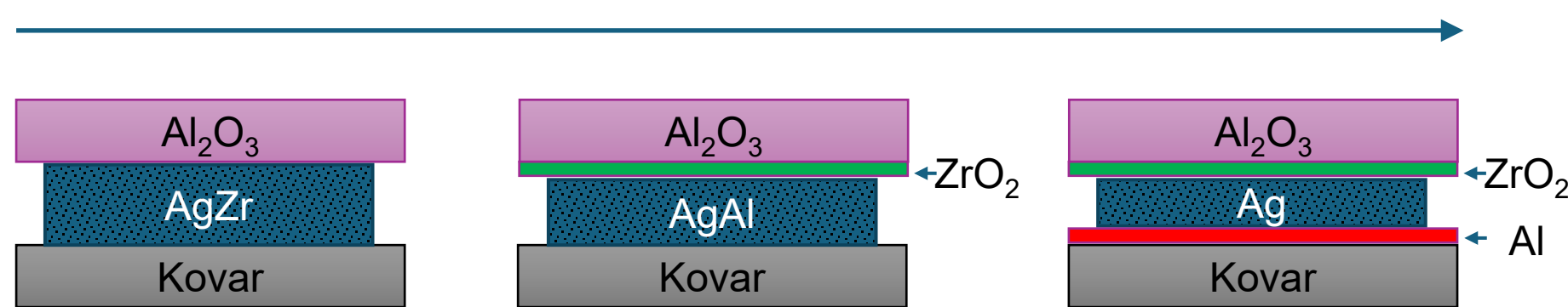
Introduction

- Brazing
 - Method of joining materials
 - Braze alloy melts to join parts
- Active Brazing
 - Ceramic/metal joining (alumina to Kovar™)
 - Redox reaction aids wetting of ceramic

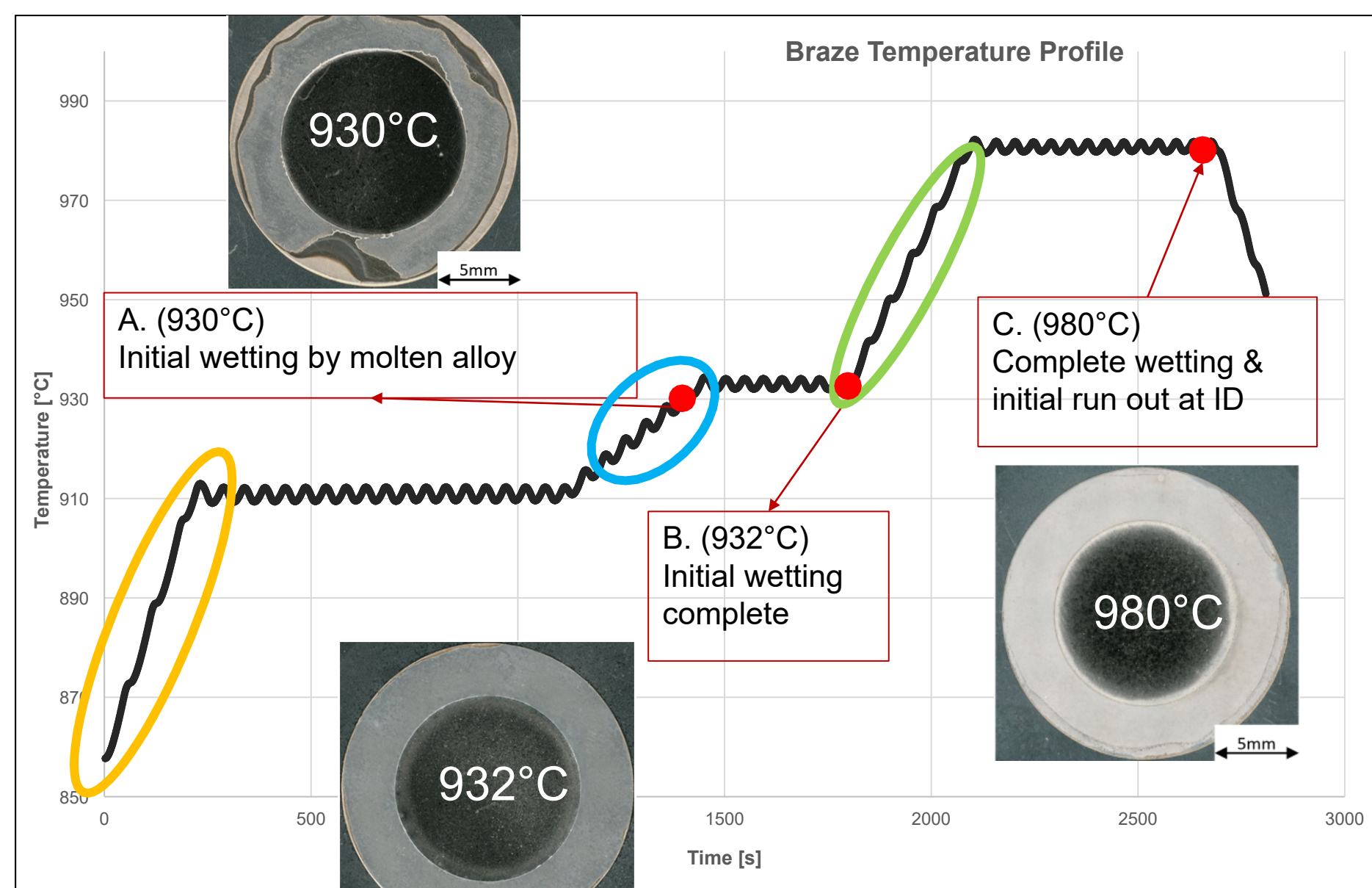
$$4 \text{Al}_2\text{O}_3 + 3 \text{Zr} \rightleftharpoons 3 \text{ZrO}_2 + 4 \text{Al}$$
 - Braze run-out causes parts to be scrapped
 - Physical origins unclear
 - Possible wetting transition
 - Likely brought on by Al in braze alloy



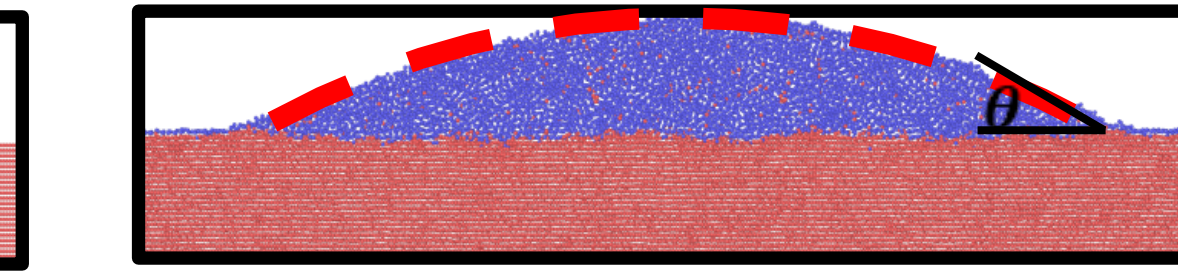
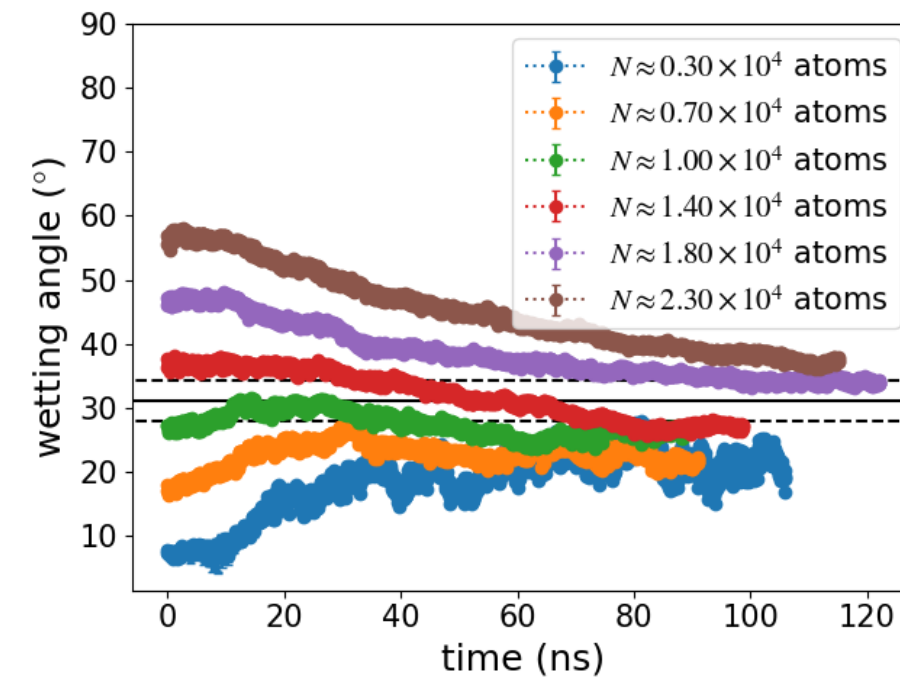
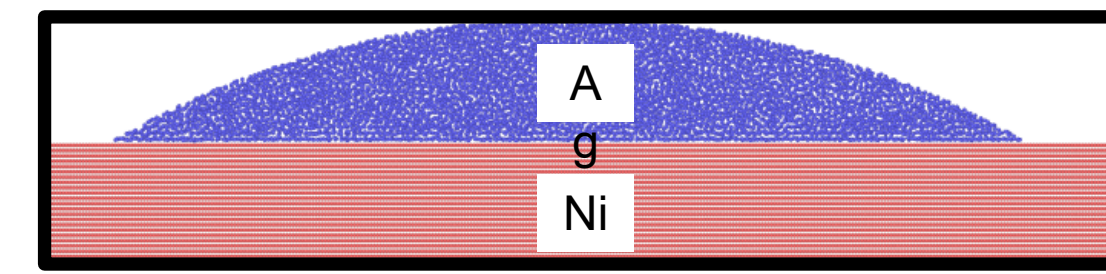
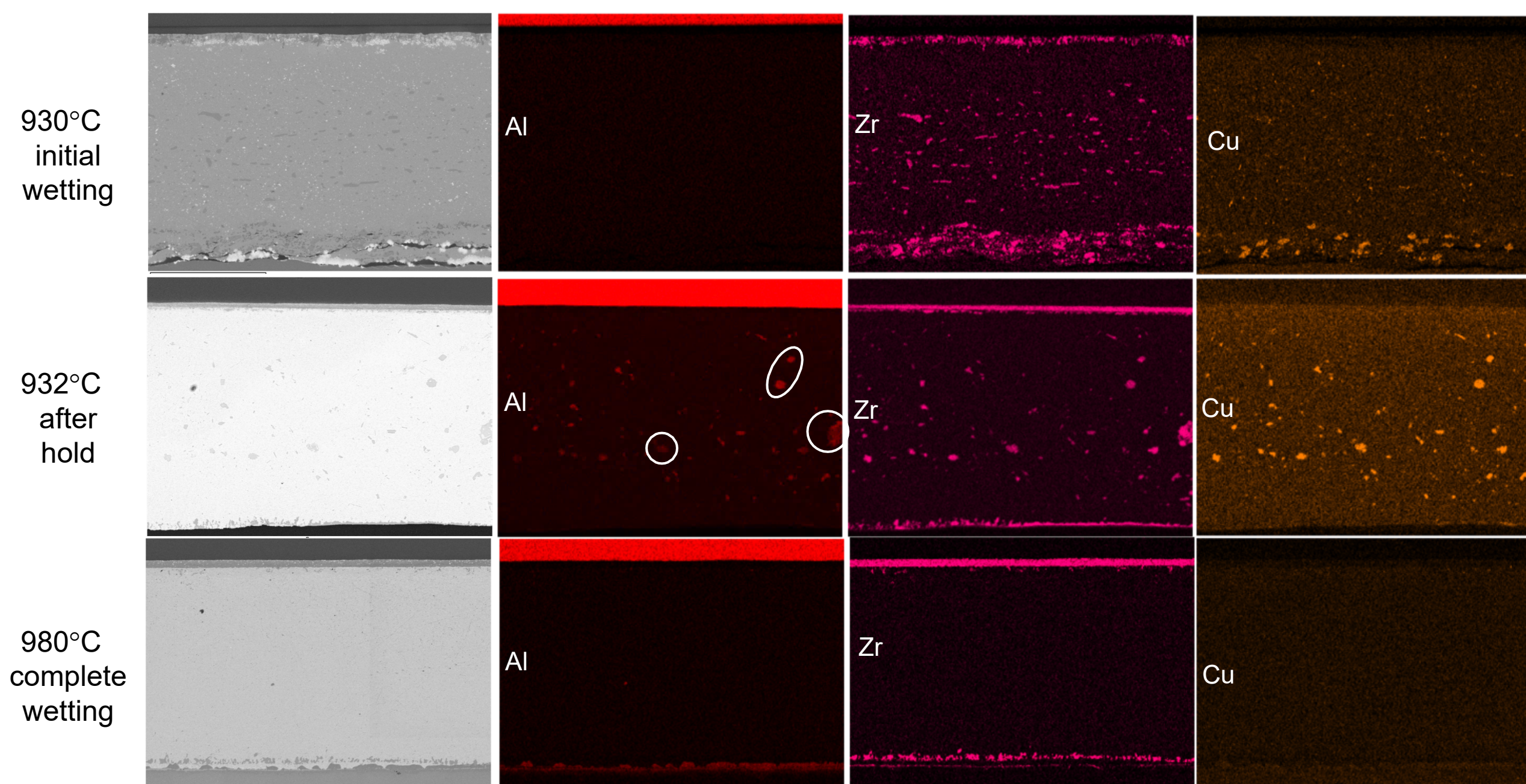
Schematic of Process



Ramp/Hold Temperature Profile



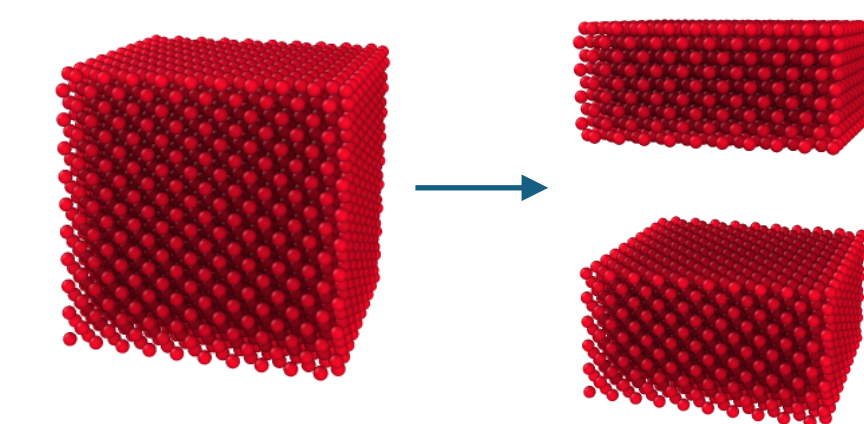
EDS of quenched samples



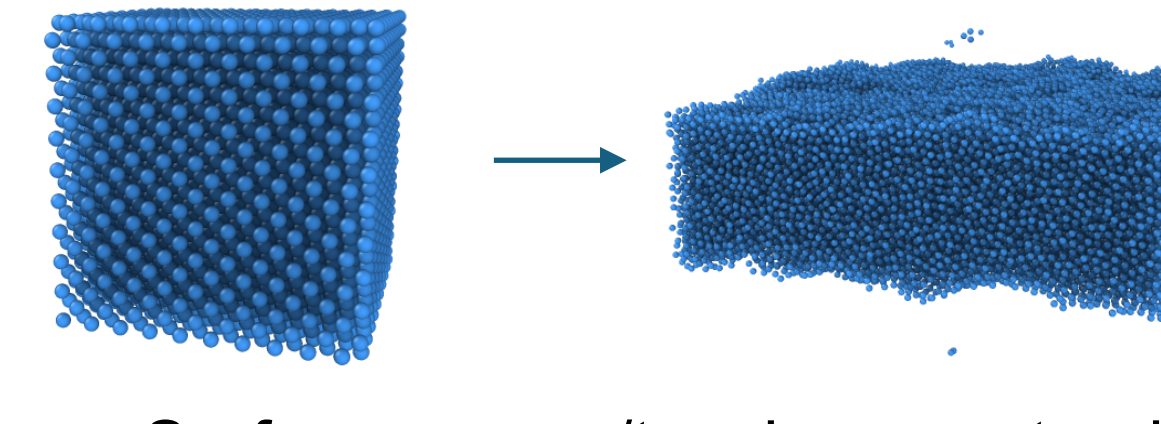
- Metal with ceramic requires reactive potential.
- Developed new reaxFF potential
- Too slow to run for 100 ns
- Use Young's equation instead

$$\cos \theta = \frac{\gamma_{SL} - \gamma_{SV}}{\gamma_{LV}}$$

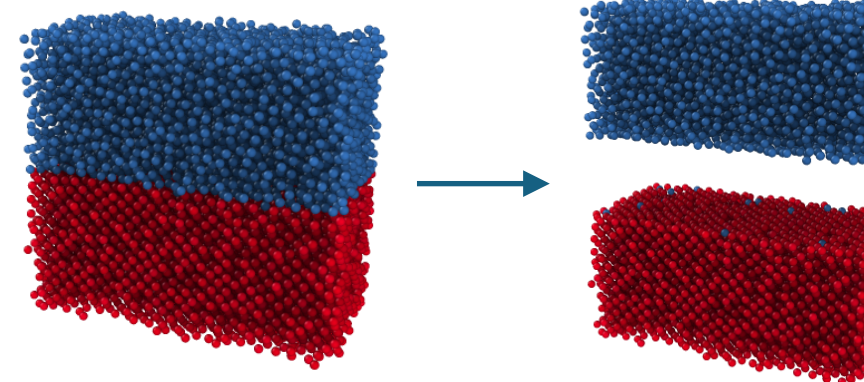
Solid surface energy γ_{SG}



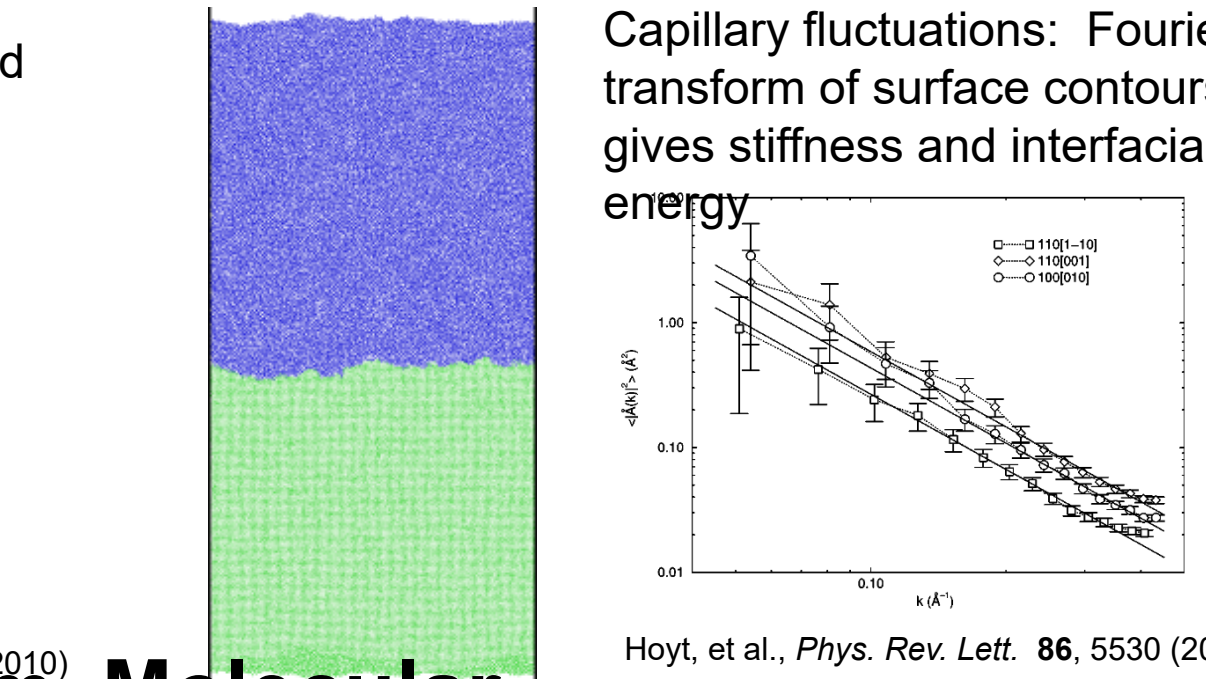
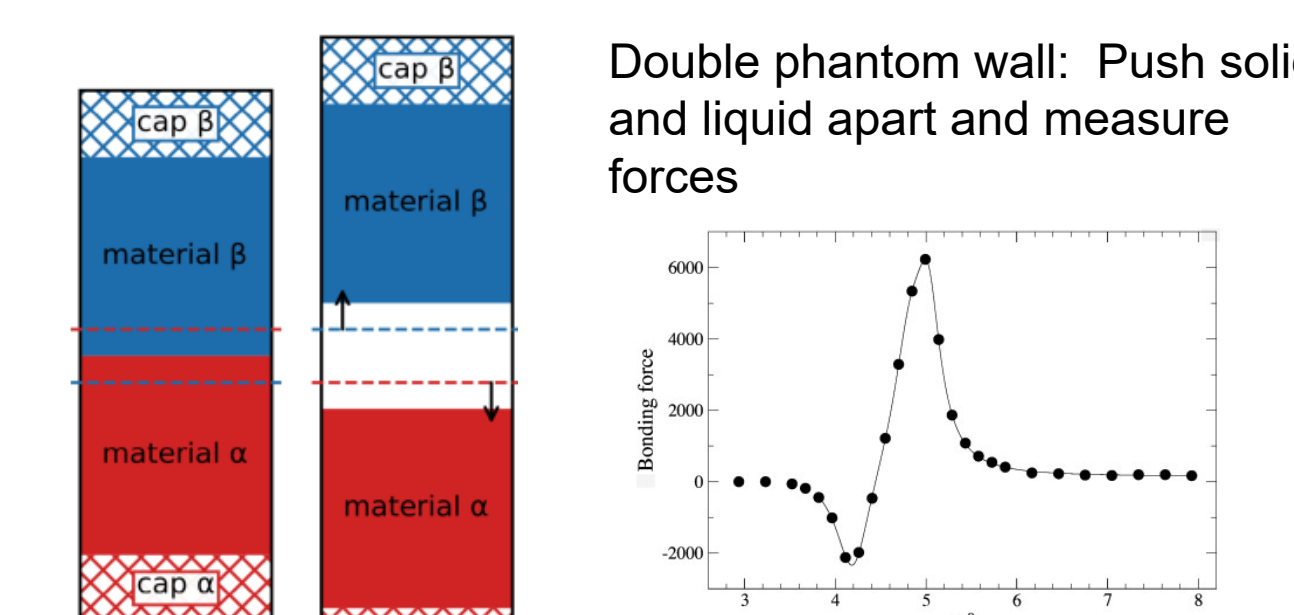
Liquid surface tension γ_{LG}



Interfacial energy γ_{SL}



- Surface energy/tension are standard calculations
- Solid/liquid interfacial energy is more difficult
- Using two methods
 - Double phantom wall
 - Capillary fluctuations



Creating Constitutive Equations from Molecular Dynamics

- Model forms for wetting angle (θ) and surface tension (σ)

$$\theta = w_0 + w_1 t + w_2 y + w_3 y^2 + w_4 y t$$

$$\theta = \frac{\theta - \mu_\theta}{\sigma_\theta}; t = \frac{T - \mu_T}{\sigma_T}; y = \frac{Y_{Al} - \mu_Y}{\sigma_Y}$$

$$\sigma = aT + bY_{Al} + cT^2$$

- Several runs were not included in training data set for posterior predictive analysis

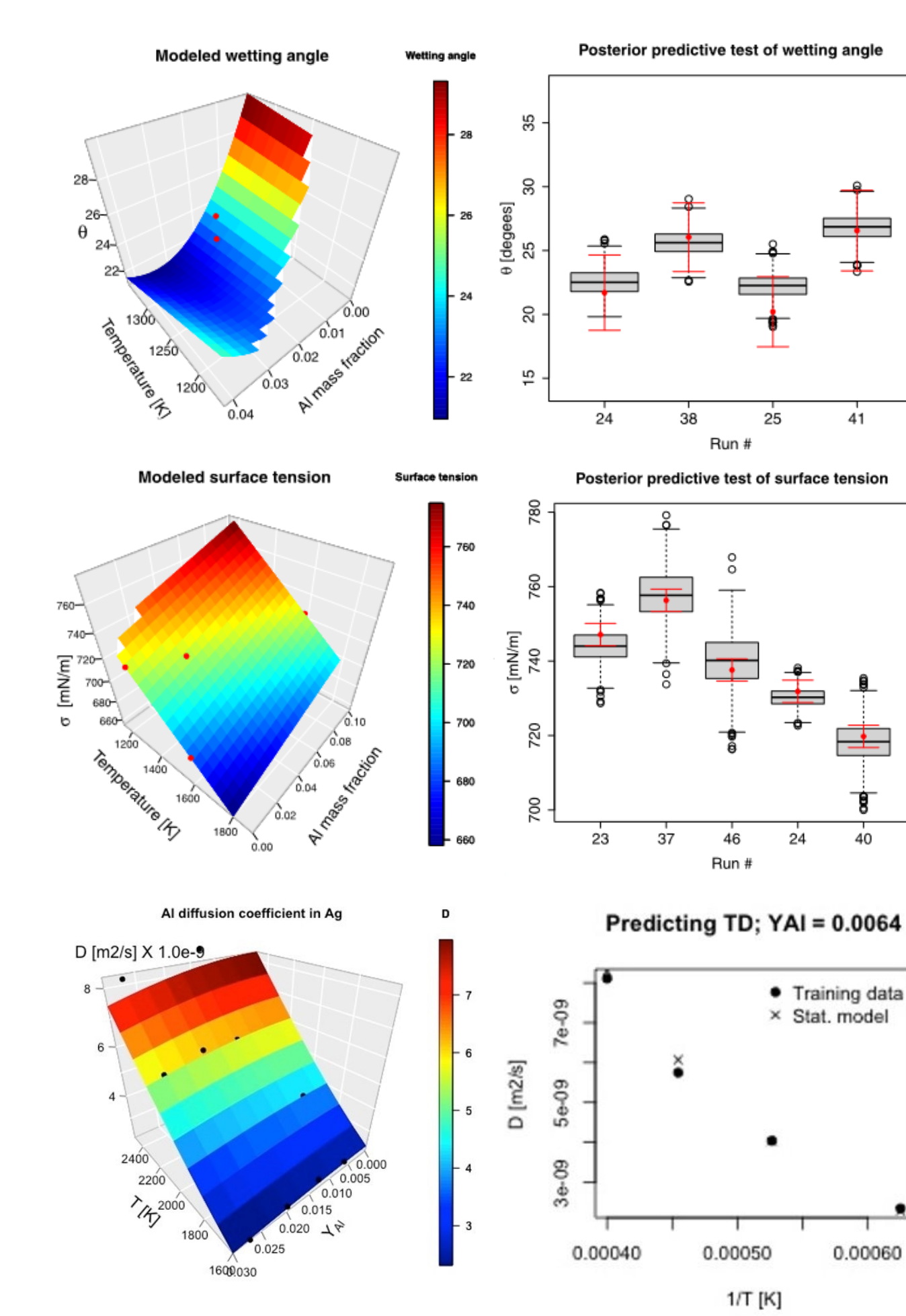
- Predictions showed good agreement with excluded data indicating reliability of the model

- Model form for diffusivity (Arrhenius):

$$D(Y, T) = D_0(Y) e^{-T_0/T}$$

$$T_0 = -5732, \ln(D_0) = -16.31 - 128.2 * Y_{Al}^2$$

- 128.2 is uncertain, p value = 0.05, $R^2 = 0.9895$



Finite Element Modeling: Details

- Conformal decomposition with arbitrary Lagrangian-Eulerian mesh

- Alloy/atmosphere interface uses level set (ϕ)

$$\frac{\partial \phi}{\partial t} + \bar{v} \cdot \nabla \phi = 0$$

- Slip boundary condition with wetting angle (θ)

$$\bar{t}_w \cdot \bar{T} \cdot \bar{n}_w = \frac{\mu\beta}{\Delta x} (\bar{v}_w - \bar{v}) \cdot \bar{t}_w$$

$$\bar{f}_\theta = \gamma(\bar{t}_w \cos \theta + \bar{n}_w \sin \theta)$$

- Surface tension (γ) is additional liquid/atmosphere boundary condition

$$\bar{n}_{int} \cdot (\bar{T}_l + \bar{T}_g) = -\gamma \bar{n}_{int} \nabla \cdot \bar{n}_{int}$$

- Runout is defined as displacement of the top surface by > 10%

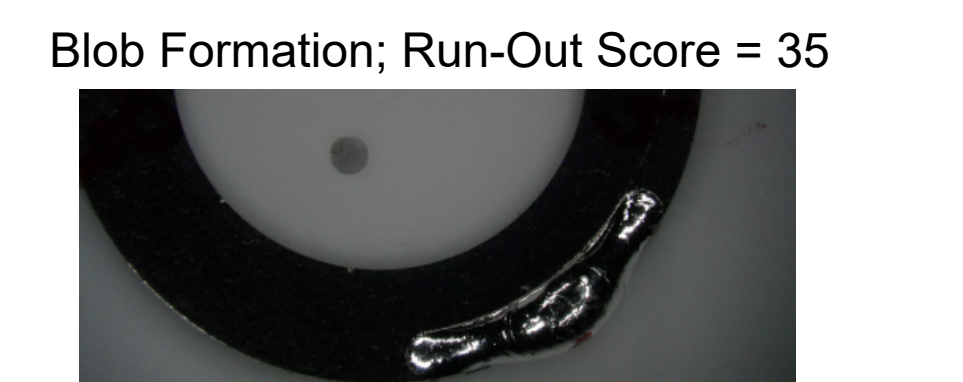
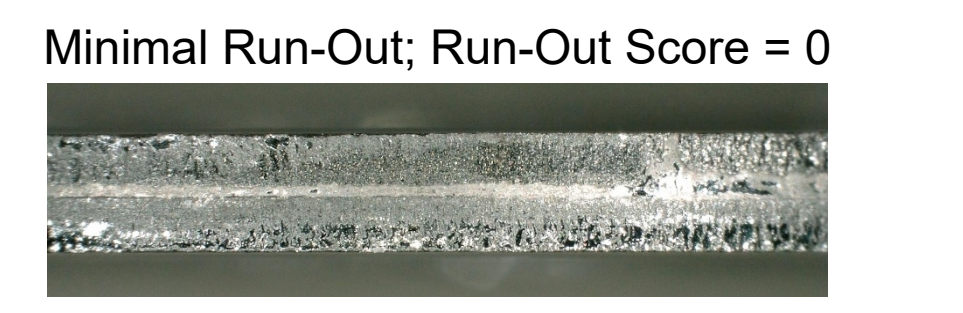
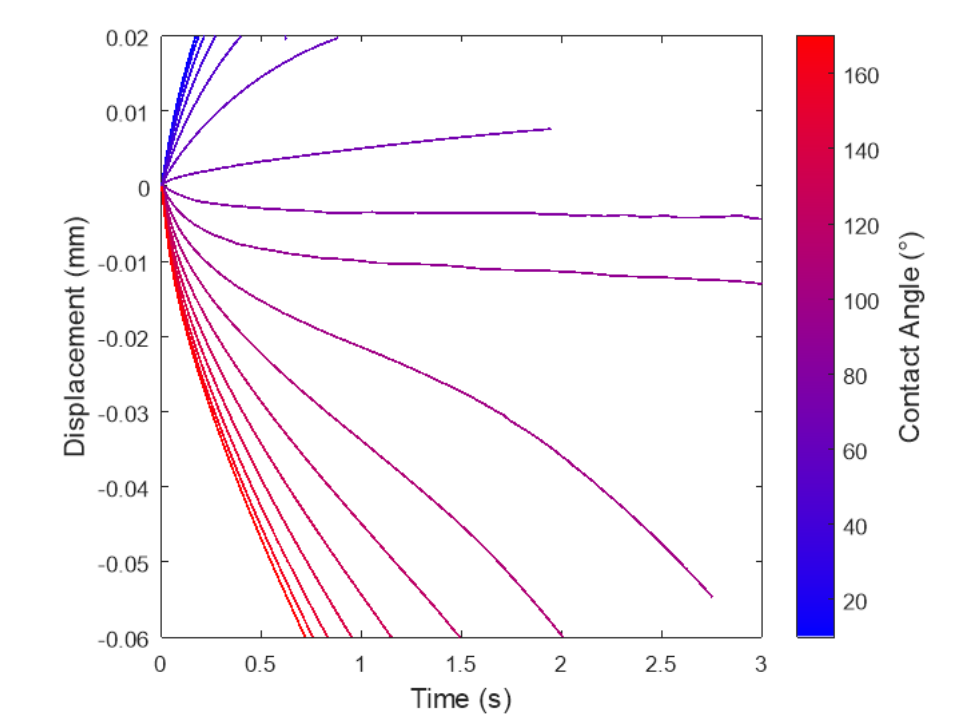
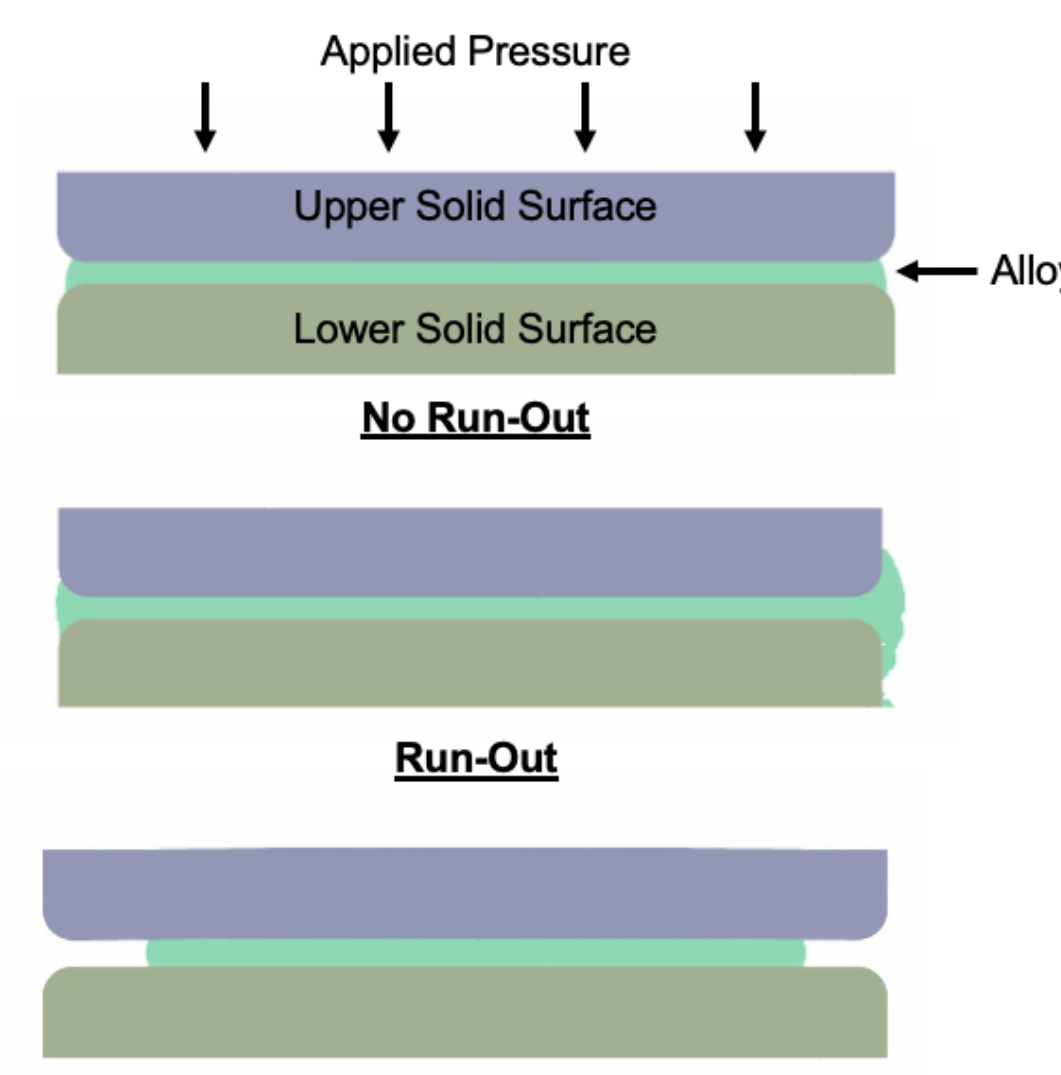
Experimental Validation

- Experimental measurement of wetting angle of silver on Kovar™

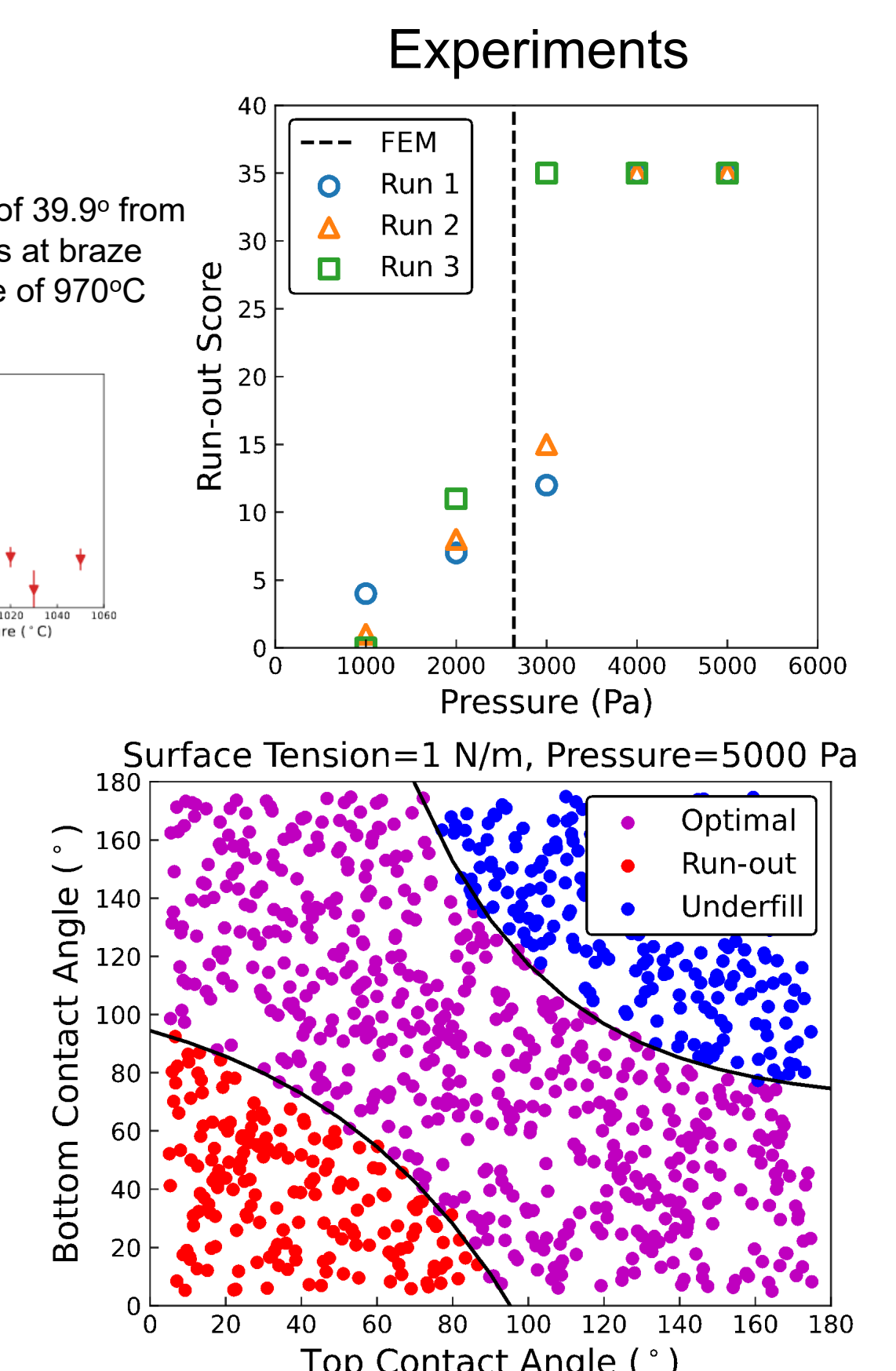
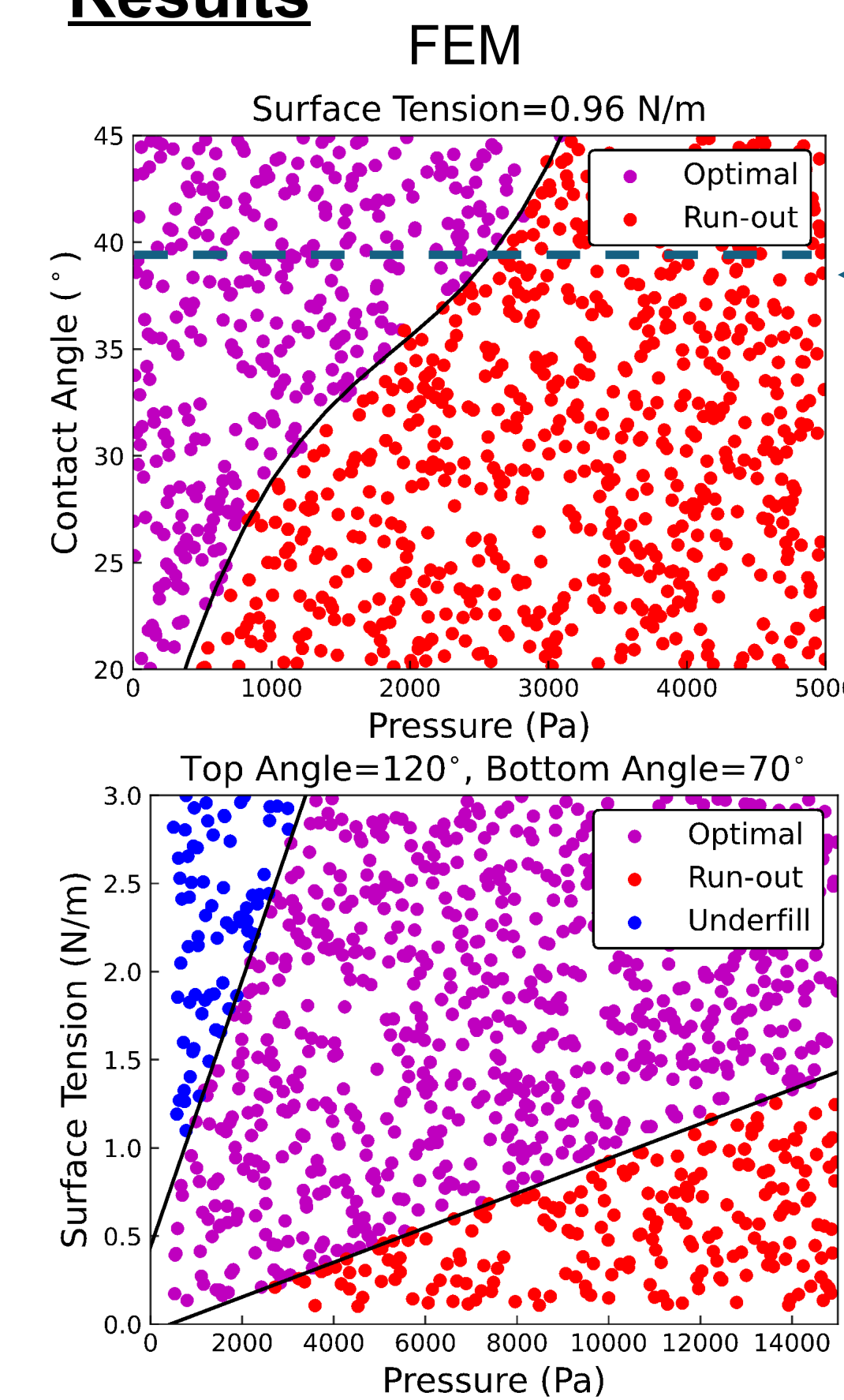
- Quantified by summing observations at 32 regions of the edge

- 1 = runout
- 0 = no runout

- Full runout arbitrarily set to 35



Results



- FEM results match experiments well
- Boundary is linear with surface tension, curved with surface tension
- Currently working to include results from new, more accurate MD simulations