

1 Demonstration of hot-spot fuel gain exceeding unity in cryogenic 2 direct-drive inertial confinement fusion implosions

3 C. A. Williams,^{1,2, a)} R. Betti,^{1,2,3} V. Gopalaswamy,¹ J. P. Knauer,¹ C. J. Forrest,¹ A. Lees,¹ R. Ejaz,^{1,3} P. S.
4 Farmakis,^{1,3} D. Cao,¹ P. B. Radha,¹ K. S. Anderson,¹ S. P. Regan,^{1,3} V. Yu Glebov,¹ R. C. Shah,¹ C. Stoeckl,¹
5 S. Ivancic,¹ K. Churnetski,^{1,3} R. T. Janezic,¹ C. Fella,¹ M. J. Rosenberg,¹ M. J. Bonino,¹ D. R. Harding,¹
6 W. T. Shmayda,¹ J. Carroll-Nellenback,^{1,2} S. X. Hu,¹ R. Epstein,¹ T. J. B. Collins,¹ C. A. Thomas,¹ I. V.
7 Igumenshchev,¹ V. N. Goncharov,^{1,3} W. Theobald,^{1,3} K. M. Woo,¹ J. A. Marozas,¹ K. A. Bauer,¹ S. Sampat,¹
8 L. J. Waxer,¹ D. Turnbull,¹ P. V. Heuer,¹ H. McClow,¹ L. Ceurvorst,¹ W. Scullin,¹ D. H. Edgell,¹ M. Koch,¹
9 D. Bredesen,¹ M. Gatu Johnson,⁴ J. A. Frenje,⁴ R. D. Petrasso,⁴ C. Shulldberg,⁵ M. Farrell,⁵ J. Murray,⁵ D.
10 Guzman,⁵ B. Serrato,⁵ S. F. B. Morse,¹ M. Labuzeta,¹ C. Deeney,¹ and E. M. Campbell¹

11 ¹⁾Laboratory for Laser Energetics, University of Rochester, Brighton, New York 14623

12 ²⁾Department of Physics and Astronomy, University of Rochester, Rochester, New York 14627

13 ³⁾Department of Mechanical Engineering, University of Rochester, Rochester, New York 14627

14 ⁴⁾Plasma Science and Fusion Center, Massachusetts Institute of Technology, Cambridge,
15 Massachusetts 02139

16 ⁵⁾General Atomics, San Diego, CA 92121

By irradiating small capsules containing deuterium and tritium fuel with intense laser light, an implosion is generated that creates a plasma hot enough to initiate fusion reactions. We report on the first set of experiments in laser direct drive to release more fusion energy than the amount of energy in the central hot-spot plasma, or a hot-spot fuel gain G_{hs} above unity. While this was accomplished first in indirect drive using up to 1.9 MJ of laser energy¹ (to generate $G_{\text{hs}} \sim 4$), the present achievement was realized with laser energy as low as 28 kJ on the Omega Laser System. The hot-spot fuel gain is predicted to grow with laser energy and target size. Therefore, the results presented in this work establish the direct-drive approach to inertial fusion as a promising path toward burning and ignited plasmas in the laboratory. Additionally, we present the results of the first thin-ice DT liner targets to be imploded on OMEGA, which led to a fusion energy yield of 0.9 kJ, a new record for the Omega Laser System.

17 In laser-driven inertial confinement fusion²⁻⁴ (ICF), energy
18 is rapidly coupled to the surface of a capsule containing cryo-
19 genic deuterium–tritium (DT) fuel, which causes its outermost
20 layer to ablate and the remaining spherical shell to implode
21 via momentum conservation (i.e., the “rocket effect”). This
22 energy deposition could come in the form of near-ultraviolet
23 laser light (direct drive)⁵, or the soft x rays of a blackbody
24 radiation field, generated when a high-Z hohlraum is heated
25 by a laser (indirect drive)⁶. In general, direct-drive ICF can
26 be viewed as a series of energy transfer steps; laser energy
27 is absorbed via inverse bremsstrahlung in the target’s tenuous
28 plasma corona, then carried to the dense fuel payload by elec-
29 tron thermal conduction, and subsequently converted into kin-
30 etic energy of the imploding shell. The final transfer process
31 occurs when the kinetic energy of the shell becomes internal
32 energy of the central “hot-spot” plasma, and the dense DT
33 shell is halted by the hot spot’s rising pressure. As the shell
34 reaches stagnation, the hot spot acquires the requisite temper-
35 atures and densities to produce copious thermonuclear fusion
36 reactions $D + T \rightarrow n(14.03 \text{ MeV}) + \alpha(3.53 \text{ MeV})$.

37 In general, performance is improved either by design-
38 ing a more-robust implosion, so that the adverse effects
39 of hydrodynamic instabilities (namely Rayleigh–Taylor⁷ and
40 Richtmyer–Meshkov⁸) are lessened, or by enhancing the en-
41 ergy coupled to the capsule. The former method was the pri-
42 mary source of improvement for the Omega Laser Facility at
43 the University of Rochester’s Laboratory for Laser Energet-

44 ics from 2016 to 2018, a period that saw the maximum neu-
45 tron yield Y_n rise from 5×10^{13} to 1.5×10^{14} . This surge⁹
46 was made possible through the use of statistical models^{10,11},
47 which allow individual, independent degradation mechanisms
48 to be identified and addressed. The statistical models view
49 the experimental yield as being given by the one-dimensional
50 yield (using the radiation-hydrodynamic code *LILAC*¹²), mul-
51 tiplied by a series of degradation factors. These factors are
52 determined by physically motivated design parameters, each
53 used to pull out dependencies of associated modes of failure¹³.
54 These include both small-scale perturbations (like capsule de-
55 fects and instability seeds formed by the speckle pattern of
56 individual beams), and large-scale perturbations such as beam
57 mispointing and beam-to-beam power imbalance⁵. This sta-
58 tistical modeling approach is also currently being extended
59 using a database of 2D (azimuthally symmetric) simulations
60 using the Eulerian radiation-hydrodynamic code *DRACO*¹⁴.
61 The utility of deep-learning neural networks is also currently
62 being explored¹⁵.

63 While statistical modeling has been an indispensable tool
64 for limiting yield degradation, yield is not the sole concern of
65 experiments on the Omega Laser. The purpose of controlled
66 fusion—whether confined magnetically or by mass inertia—is
67 to generate the thermonuclear instability known as “ignition.”
68 In ICF, the onset of ignition occurs when fusion α particles
69 deposit enough energy in the hot spot to outweigh losses due
70 to thermal conduction, radiation, and when the hot spot even-
71 tually succeeds in repelling the Fermi-degenerate confining
72 shell, the plasma expansion. Ignition leads to a rapid increase
73 in the temperature of the hot spot, thereby driving a burn wave
74 through the cold dense fuel that confines it^{16,17}. A metric used

^{a)}Electronic mail: cwilli86@ur.rochester.edu

75 to assess the proximity of an implosion to ignition is the Law-
 76 son criterion χ (with $\chi \approx 1$ corresponding to ignition), de-
 77 rived originally as $\chi \equiv (P\tau)/(P\tau)_{\text{ignition}}$, where P is hot-spot
 78 pressure and τ the confinement time¹⁸. The Lawson crite-
 79 rion can be recast¹⁹ in terms of neutron yield (in units of 10^{16}
 80 neutrons), stagnated fuel mass (in mg), and areal density (in
 81 g/cm^2)

$$\chi = (\rho R)^{0.61} \left(\frac{0.12Y_{16}}{M_{\text{stag}}} \right)^{0.34}, \quad (1)$$

82 and it is this form of χ that is used to gauge progress in
 83 OMEGA implosions. The laser energy available on OMEGA
 84 is insufficient to drive a fuel assembly with enough mass and
 85 areal density to ignite; OMEGA delivers ~ 30 kJ of UV light
 86 to tens of micrograms of fuel, while megajoules of driver en-
 87 ergy and a fuel mass of the order of milligrams are required
 88 for hot-spot ignition (the target mass scales linearly with laser
 89 energy). For sub-ignition-scale experiments, theory and com-
 90 putation can be used to infer the yield that could be achieved
 91 with a more-energetic driver if the same core conditions pro-
 92 duced on OMEGA were realized on the larger system, re-
 93 ferred to as hydrodynamic scaling^{20–22}. Note that hydrody-
 94 namic scaling takes into account only the geometric benefits
 95 of driving a larger system; if α particle deposition is consid-
 96 ered, any increase in α heating comes as the result of the hot-
 97 spot volume growing proportional to the laser energy, not be-
 98 cause of an increase in compression. When scaling up to the
 99 energy available on the National Ignition Facility (NIF), this
 100 essentially amounts to multiplying the OMEGA χ by a factor
 101 $(E_{\text{NIF}}/E_{\Omega})^{1/3} \approx 4.2$.

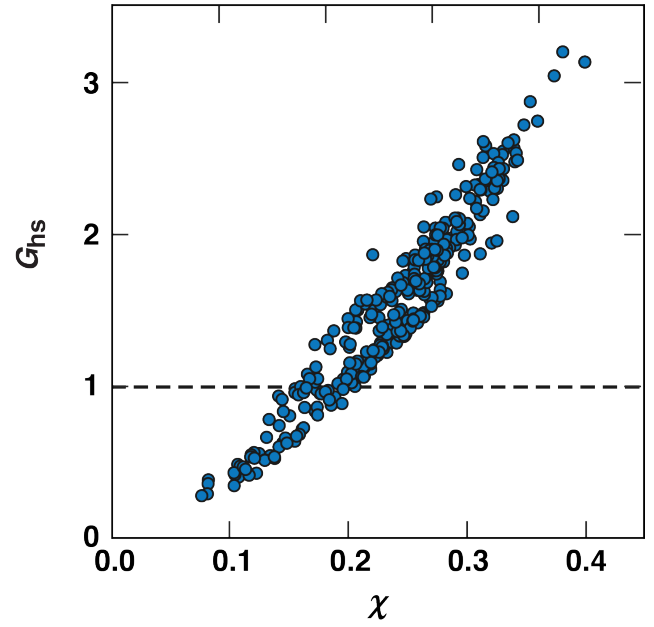
102 The utility of the Lawson parameter, however, extends be-
 103 yond that of a hydro scaling tool—it plays a crucial role in
 104 navigating the design space of modern OMEGA experiments
 105 from an energetics perspective. The fusion energy is given by

$$E_f = \varepsilon_f \int dt \int d^3r n_D n_T \langle \sigma v \rangle, \quad (2)$$

106 where $\varepsilon_f = 17.6$ MeV is the energy released in one DT re-
 107 action, n_D and n_T are the deuteron and triton number den-
 108 sities, respectively, and $\langle \sigma v \rangle$ is the DT reactivity. It is as-
 109 sumed that the plasma is at a sufficiently high temperature
 110 and low enough density so as to be neither strongly cou-
 111 pled nor degenerate⁴, which permits an ideal gas treatment
 112 for the hot-spot equation of state. Under this assumption,
 113 $E_f \sim \varepsilon_f (P^2/T^2) \langle \sigma v \rangle V_{\text{hs}} \tau$, where P and T are the plasma pres-
 114 sure and temperature, respectively, V_{hs} the hot-spot volume,
 115 and τ the burnwidth (duration). Manipulating this relation
 116 leads to

$$E_f \propto E_{\text{hs}} \left(\frac{P\tau}{T^2/\varepsilon_f \langle \sigma v \rangle} \right), \quad (3)$$

117 where E_{hs} is the internal energy of the hot spot. Recalling
 118 that $\chi \equiv (P\tau)/(P\tau)_{\text{ignition}}$ allows for a more transparent rep-
 119 resentation of the fusion yield to be arranged



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FIG. 1: Hot-spot gain versus Lawson parameter for a collection of *LILAC* simulations that span a wide range of design parameters (e.g., adiabat and IFAR). The $G_{\text{hs}} = 1$ threshold does not correspond to a unique value of χ , but occurs at $\chi = 0.18$ for both linear and quadratic fits. On OMEGA, α heating has a negligible effect on yield and hot-spot energy, so χ may be calculated with α energy deposition turned off.

$$E_f \propto E_{\text{hs}} \chi. \quad (4)$$

120 Two main takeaways are readily apparent from equa-
 121 tion (4). First, although the main function of the Lawson pa-
 122 rameter is to gauge how close an implosion is to igniting, it
 123 also serves as a proxy for the *hot-spot fuel gain*, which we
 124 define as the ratio of fusion energy output to hot-spot internal
 125 energy $G_{\text{hs}} \equiv E_f/E_{\text{hs}}$. The constant of proportionality between
 126 G_{hs} and χ can be determined from simulations. Figure 1 dis-
 127 plays an ensemble of implosions simulated in *LILAC* with
 128 $\chi \leq 0.4$. Each data point corresponds to a post-shot simula-
 129 tion of an OMEGA experiment where the target specifications
 130 (size and layer thicknesses) and experimental laser pulse are
 131 fed directly into *LILAC*. For implosions on OMEGA, the hot
 132 spot is nearly transparent to the 3.5-MeV α particles born in
 133 DT fusion reactions, and escape the hot spot without slowing
 134 down and depositing their energy. Because the ion tempera-
 135 ture, and hence, the yield, is minimally affected by α -heating,
 136 it has been turned off in the simulations presented in figure 1.
 137 A linear fit applied to these simulated data reveals

$$G_{\text{hs}} = 8.83\chi - 0.58,$$

138 which predicts hot-spot gain to equal unity when $\chi \approx 0.18$.
 139 In these simulations, shots begin surpassing $G_{\text{hs}} = 1$ when χ
 140 is as low as 0.15, while every shot satisfies the condition if
 141

142 $\chi > 0.2$. The aforementioned improvements made by the sta- 200
 143 tistical modeling approach not only tripled the yield, but also 201
 144 pushed χ to the region where G_{hs} on OMEGA would be ex- 202
 145 pected to exceed 1. 203

146 The second important consequence of equation (4) is that 204
 147 further increases in yield (above the mark set in 2018) by 205
 148 factors of 2 or more on OMEGA necessitate a boost in E_{hs} , 206
 149 specifically. This is because raising χ by similar factors could 207
 150 only realistically be achieved with a change in the experimen- 208
 151 tal scale itself, which is to say, an entirely new driver with a 209
 152 drastic increase in energy. 210

153 The NIF has probed this area of parameter space for nearly 211
 154 a decade. The first experimental demonstration of fusion en- 212
 155 ergy exceeding the energy coupled to the fuel was in indirect- 213
 156 drive experiments fielded on the NIF, reported on in 2014¹. 214
 157 The implosions discussed in that work used ~ 1.9 MJ of laser 215
 158 energy to transfer 3.5 to 4.4 kJ to the hot spot, ultimately re- 216
 159 sulting in 14.4 to 17.3 kJ of fusion energy. These experiments 217
 160 were also noteworthy because they released more fusion en- 218
 161 ergy than the kinetic energy of the in-flight shell. It was also 219
 162 determined that shot N131119 from that study had a yield 220
 163 twice as high as what would have been generated in the ab- 221
 164 sence of α heating, a key milestone on the path to creating 222
 165 laboratory burning plasmas²³, and eventually, ignition^{24,25}. 223

166 The current work details the first experiments to achieve 224
 167 hot-spot gain exceeding unity in cryogenic *direct-drive* ICF, 225
 168 accomplished on the OMEGA laser with pulse energy as low 226
 169 as 28 kJ, and negligible yield amplification from α heating. 227
 170 Achieving this result with a kilojoule-class laser has important 228
 171 implications for the prospect of pursuing ICF with megajoule- 229
 172 class lasers in a direct-drive format. In the companion paper 230
 173 to this current publication, Gopalaswamy *et al.*²⁶ assert that 231
 174 these most recent shots would produce 1.6 ± 0.3 MJ if they 232
 175 were hydrodynamically scaled to use 2.15 MJ of direct-drive 233
 176 laser energy (the capacity of the NIF in indirect drive). In this 234
 177 work, we first address how the hot-spot energy is determined 235
 178 before discussing the adjustments that made the $G_{\text{hs}} > 1$ feat 236
 179 possible, then summarize the impact of these results. Addi- 237
 180 tionally, we explain the theoretical underpinnings of how the 238
 181 neutron yield was doubled in the latest OMEGA experiments, 239
 182 going from $\sim 1.6 \times 10^{14}$ at the beginning of 2021 to 3.1×10^{14} 240
 183 by the end of that year (which translates to the fusion energy 241
 184 increasing from 0.45 kJ to 0.88 kJ), a new record mark in cryo- 242
 185 genic direct drive as well as the most fusion energy produced 243
 186 with a sub-megajoule-class laser. 244

187 Naturally, asserting with confidence that the fusion energy 245
 188 has surpassed the internal energy of the hot spot requires 246
 189 both of these values to be calculated in a reliable manner. 247
 190 In the case of the fusion energy, the calculation is relatively 248
 191 straightforward. Each DT fusion reaction produces a single 249
 192 14-MeV neutron; determining the fusion energy is therefore 250
 193 tantamount to measuring the neutron yield²⁷. A description of 251
 194 how the neutron yield is measured is given in Methods. 252

195 Discerning the hot-spot internal energy is less routine. To 253
 196 begin with, there is no one-to-one correlation between the hot- 254
 197 spot energy and a lone observable like there is in the case of 255
 198 fusion energy and neutron yield. Instead, we are left to in- 256
 199 fer the hot-spot internal energy by finding the spatial profile 257

of the hot-spot pressure, and then integrate it throughout the 200
 hot-spot volume. Furthermore, the value that is ultimately set- 201
 tled on is influenced by the choice of theoretical model used 202
 for constraint. This work is not the first to infer the energy 203
 content of an ICF hot spot^{28,29}. The model we have con- 204
 structed, however, includes several features that are not typ- 205
 ically included in such evaluations (a full description of the 206
 model used in this study is provided in the Methods section). 207
 The most meaningful additions are: (1) the inclusion of mono- 208
 tonically decreasing pressure profiles instead of isobaric (flat) 209
 profiles and (2) allowing the electron and ion temperatures 210
 to differ from one another. Momentum conservation leads to 211
 spatial variations in pressure when the implosion velocity is a 212
 significant fraction of the hot-spot sound speed, and electron 213
 and ion temperatures differ because their equilibration time is 214
 comparable to the burnwidth (~ 60 ps) in high-performance 215
 OMEGA implosions. Including both of these effects is essen- 216
 tial if the hot-spot core conditions are to be obtained with 217
 the highest degree of accuracy. For the fastest implosions on 218
 OMEGA, the pressure at the edge of the hot spot can be as low 219
 as 50% of the value at the center³⁰, making evident the need 220
 for a non-isobaric model. Assuming thermal equilibration on 221
 OMEGA would artificially increase the hot-spot pressure by 222
 around 15%. 223

224 Instead of assuming an isobaric hot spot, or describing the 225
 radial profiles of the partial pressures and temperatures with 226
 analytic functions that are left unaltered across all shot de- 227
 signs, we have opted to take the *shape* of these profiles from 228
 LILAC simulations, and glean their magnitudes from observ- 229
 ables acquired using neutron and x-ray diagnostics^{27,31–34}. It 230
 is standard for models to eliminate the time dependence of 231
 temperature and pressure by introducing static profiles and re- 232
 placing the temporal integral in equation (2) with the burn- 233
 width. Our model does the same, but also institutes a correc- 234
 tion factor on τ that handles deviations in the neutron produc- 235
 tion rate $\dot{Y}_n(t)$ from that of a perfect Gaussian history. 236

237 Our model was first tested on synthetic experiments. We 238
 applied the model's procedure to the same database of simu- 239
 lated OMEGA experiments that was presented in figure 1 and 240
 used synthetic neutron and x-ray data from those same simu- 241
 lations to infer properties of the hot spot. The strong agree- 242
 ment between simulated hot-spot core conditions at bang time 243
 (the time of peak neutron production) and those inferred by 244
 the model is displayed in figure 2. Note that the model ac- 245
 curately recovers the state of the simulated hot spot across a 246
 remarkably diverse collection of shots. The outer diameters 247
 (OD's) in the set range from 760 μm to 1060 μm , while the 248
 ice thicknesses are as thin as 25 μm and as thick as 85 μm . 249
 The laser pulses used across the database are similarly varied. 250
 The dissimilar initial conditions lead to hot-spot environments 251
 that explore a wide parameter space; the central ion temper- 252
 atures extend from 3 keV to 15 keV, while the pressures and 253
 energies span an order of magnitude across the database. 254

255 Many prior improvements in performance have revolved 256
 around stability and symmetry control, using techniques such 257
 as intentionally prescribing target offsets to mitigate low- 258
 mode asymmetries³⁵, or moving to smaller target outer diam- 259
 eters to promote better illumination uniformity. The adjust-

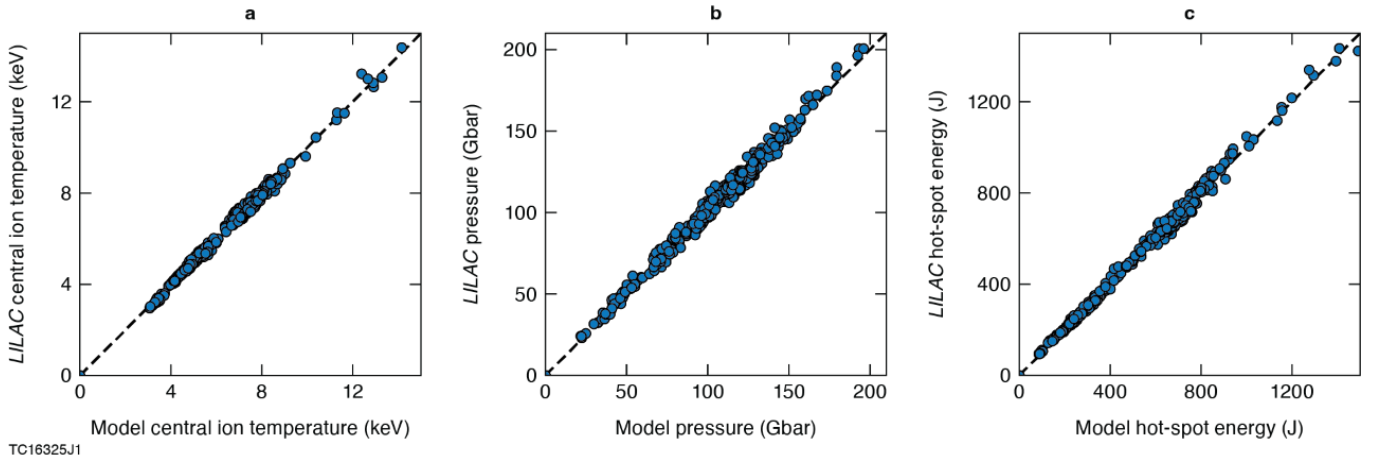


FIG. 2:

Bang time core conditions of OMEGA implosions simulated in *LILAC* compared to values gathered from the hot-spot inference model. Strong agreement is observed among a host of parameters, including a) central ion temperature, b) volume-averaged hot-spot pressure, and c) hot-spot internal energy over a wide range of values, revealing the model as being robust against changes in design parameters.

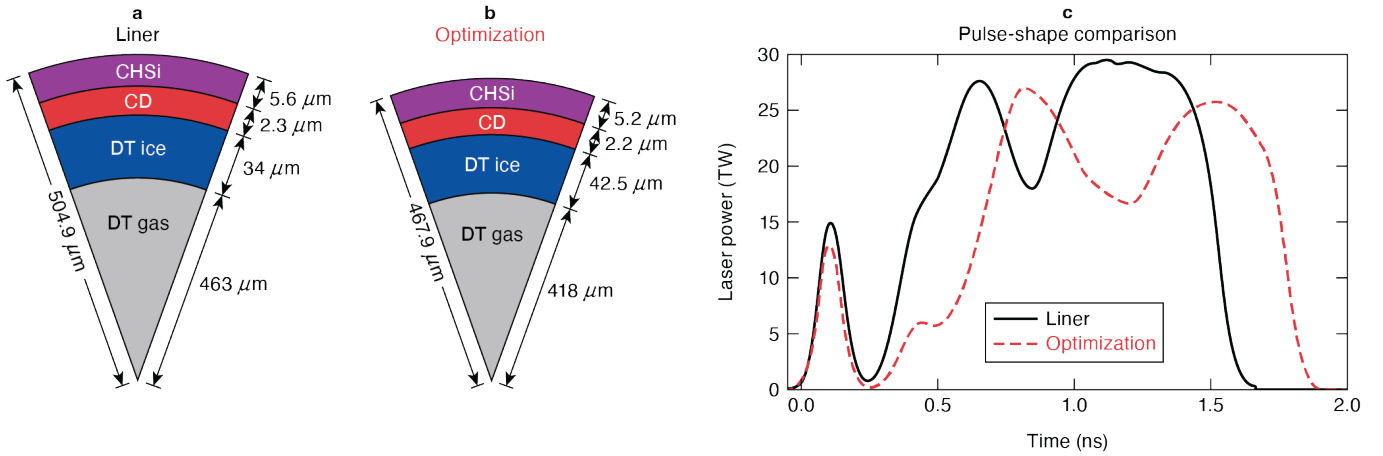
ments that followed, however, have focused primarily on one concept: coupling efficiency to the hot spot. We assert that by taking the model that constrains simulated data and applying it to experimental data, we should uncover the state of the hot spot and be able to track its response to design changes. To best understand the alterations that have facilitated the advancements described in this work, we will examine in greater detail the energy transfer chain from laser to hot spot described in the outset. Mathematically, this transfer process can be represented by the product of the laser energy E_L with three efficiencies η ,

$$E_{\text{hs}} = E_L \eta_{\text{abs}} \eta_{\text{hydro}} \eta_{\text{hs}}. \quad (5)$$

Here, η_{abs} is the absorption fraction, the hydrodynamic efficiency η_{hydro} is the conversion of absorbed energy to shell kinetic energy (rocket efficiency), and η_{hs} is the transfer of kinetic energy to internal energy of the hot spot. Short of major renovations to the laser itself, bumping the laser energy above the 28.5 kJ level that is consistently delivered on OMEGA requires greater conversion from the natural 1053 nm (infrared) line of an Nd:glass laser, to the frequency-tripled (3ω) ultraviolet light that irradiates the target. This is done by ramping up near the 30 TW limit earlier in the drive and compressing the pulses in time (shortening them below 2 ns), and/or employing the multipulse-driver technique, which turns off smoothing by spectral dispersion (SSD)³⁶ during the main drive. These improve frequency conversion efficiency, and can make available up to 31.5 kJ of UV energy, around 10% higher than with full-bandwidth SSD on during the entire pulse. In addition to delivering more energy to the capsule surface, a dedicated effort to improve the effectiveness of the incident energy is equally important. The absorption fraction is diminished mainly by cross-beam energy transfer (CBET), which allows the light of incoming edge rays to be redirected into outgoing rays that are refracted away from the target³⁷. One way to combat this is by imploding larger-OD capsules so more rays are normally

incident on the target and less refract. However, this can have a negative effect on stability because it leads to higher in-flight aspect ratios (IFAR = shell radius/shell thickness) and lower beam-to-target radius ratios (R_b/R_t); both of these jeopardize the shell integrity and make it susceptible to ρR degradation and in-flight breakup³⁸. Instead of increasing the outer diameter indefinitely, mid-Z dopants can be added to the ablator to foster greater collisional absorption of the incoming “pump” rays and higher coronal temperatures, which both reduce CBET³⁷. Laser energy is transferred to the plasma by causing collisions between ions in the corona against electrons oscillating in the electric field of the laser light. The presence of a dopant like silicon ($Z = 14$), for example, facilitates a faster rate of collisions^{4,39}. Adding as little silicon as 5% to 7% (by atomic fraction) has been shown to enhance absolute absorption on OMEGA by 10% through “A/B” comparisons where the same laser pulse is used on targets with/without silicon. The inclusion of silicon serves the added benefit of diminishing the production of suprathermal electrons arising from the two-plasmon-decay instability^{39,40}, which prematurely heat the in-flight shell and cause it to decompress^{41,42}, leading to lower ρR and lower χ . Thus, silicon addresses various sources of degradation that limit G_{hs} while simultaneously raising the hot-spot and fusion energies above the implosions reported on by Gopalaswamy *et al.*⁹ in 2019 that used similar pulses on glow-discharge polymer (GDP) ablaters, referred to henceforth as “GDP χ -optimization”.

Although generating more yield is an important factor in increasing χ , the designs that optimize χ do not necessarily optimize yield simultaneously. The latter consideration requires an approach that is more focused on 1D characteristics. In essence, this means optimizing the yield by augmenting coupling to the hot spot, even at the cost of slightly reducing χ . The thin-ice DT liner is a class of target devised by Williams *et al.*³⁰ explicitly for this purpose. These targets are intended to maximize energy absorption by putting as much as possible onto the largest-OD targets available. Figure 3 com-



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FIG. 3:

a) An example of a thin-ice DT liner target, whose outermost ablator layer is doped with silicon for better laser absorption and laser-plasma instability mitigation. The outer diameter of the liner is larger than the χ -optimization target in b), and its ice layer much thinner. This leads to an ultrahigh-velocity implosion ~ 600 km/s, in contrast to the ~ 500 km/s level accessed in χ -optimization shots. The 30.8 kJ MPD pulse of a DT liner is compared to the 28.5 kJ SSD pulse of a χ -optimization shot in c).

TABLE I: Experimental results of three high-performance OMEGA implosions. Determinations of hot-spot energy, central pressure and temperature, and χ are obtained using the 1D hot-spot inference model devised for this study. The initial ice thickness is denoted by Δ_{DT} , and the adiabat α is the ratio of plasma pressure to Fermi-degeneracy pressure during the acceleration phase. Brackets correspond to neutron averages. The ‡ symbol denotes a thin-ice DT liner.

| Shot Number | OD/ Δ_{DT} (μm) | E_f/E_{hs} (J) | χ | α | V_{hs} ($10^5 \mu\text{m}^3$) | ^a $\langle T_i \rangle / T_0$ (keV) | $\langle P \rangle / P_0$ (Gbar) |
|----------------------|-------------------------------------|------------------|--------|----------|-----------------------------------|------------------------------------------------|----------------------------------|
| 102154 | 935.3 / 44.5 | 627 / 603 | 0.19 | 5.1 | 0.61 | 4.7 / 6.6 | 73.6 / 76.3 |
| ‡102360 ^b | 1013.4 / 34.6 | 747 / 812 | 0.13 | 8.9 | 2.11 | 6.0 / 8.4 | 32.0 / 34.9 |
| ‡103952 | 1018.0 / 39.5 | 871 / 838 | 0.16 | 6.3 | 1.50 | 5.8 / 8.2 | 43.2 / 46.2 |

^a Minimum measured ion temperature among a suite of neutron time-of-flight (nTOF) detectors located along various lines of sight.

^b Only capsule without Si-dopant

330 pares a DT liner target with one meant to optimize the Lawson
 331 criterion (referred to as a χ -optimization target). Although
 332 silicon doping was not explored in the original liner design
 333 paper, the two concepts are fully compatible, which further
 334 enhances laser absorption. Additionally, because the payload
 335 velocity diverges logarithmically with remaining mass frac-
 336 tion (in the simple rocket model⁴), starting off with a thin ice
 337 layer boosts η_{hydro} and enables implosion velocities as high
 338 as 600 km/s. Because the mass ablation rate of indirect drive
 339 is roughly $10\times$ higher than in direct drive (at 3ω), the hydro-
 340 dynamic efficiency of laser-driven shells cannot compete with
 341 x-ray drive. Yet, direct-drive implosions make up for this gap
 342 by circumventing additional loss mechanisms that are present
 343 in indirect drive, such as finite hohlraum albedo (conversion of
 344 laser light to x-ray radiation). Additionally, an indirect-drive
 345 target sits in a radiation bath that is isotropic, and therefore
 346 never encounters many of the x rays present in the cavity. In
 347 totality, out of the 2 MJ initially incident on a NIF hohlraum,
 348 approximately 15 to 20 kJ ends up as fuel kinetic energy⁴³
 349 (close to 30 kJ if the diamond ablator kinetic energy is added).
 350 The absorption in direct drive on OMEGA helps the shell ac-
 351 quire 1.5 to 2 kJ of kinetic energy, and is therefore $\sim 5\times$ more

efficient at turning laser energy into kinetic energy.

353 One of the key components to realizing ignition on the NIF
 354 was improving the conversion of kinetic energy to internal en-
 355 ergy by decreasing coast time in order to avoid early decom-
 356 pression of the shell⁴⁴. This is because a thin, dense shell stag-
 357 nates all at once like a hard piston, in contrast to a distended,
 358 puffy shell that struggles to do work on the hot spot⁴⁵. The
 359 functional dependencies of the simulated transfer efficiency
 360 from shell-kinetic to hot-spot internal energy can be obtained
 361 from a nonlinear regression on the IFAR and the adiabat α .
 362 This is shown in figure 4a, where α is defined as the ratio
 363 of pressure in the shell to the Fermi-degenerate pressure of a
 364 fully ionized DT plasma at the shell density. The fit leads to
 365 the relation

$$\eta_{hs} = (0.0456) \text{IFAR}^{0.85} \alpha^{0.22}. \quad (6)$$

366 A similar model can be formed using the implosion velocity
 367 ($\eta_{hs} \propto v_{imp}^{1.9}$), but the IFAR and adiabat are preferred since
 368 all three variables are dimensionless. These trends are cor-
 369 roborated in experiment, as illustrated by figure 4b, which
 370 shows that high-IFAR, ultrahigh-velocity liners are capable of

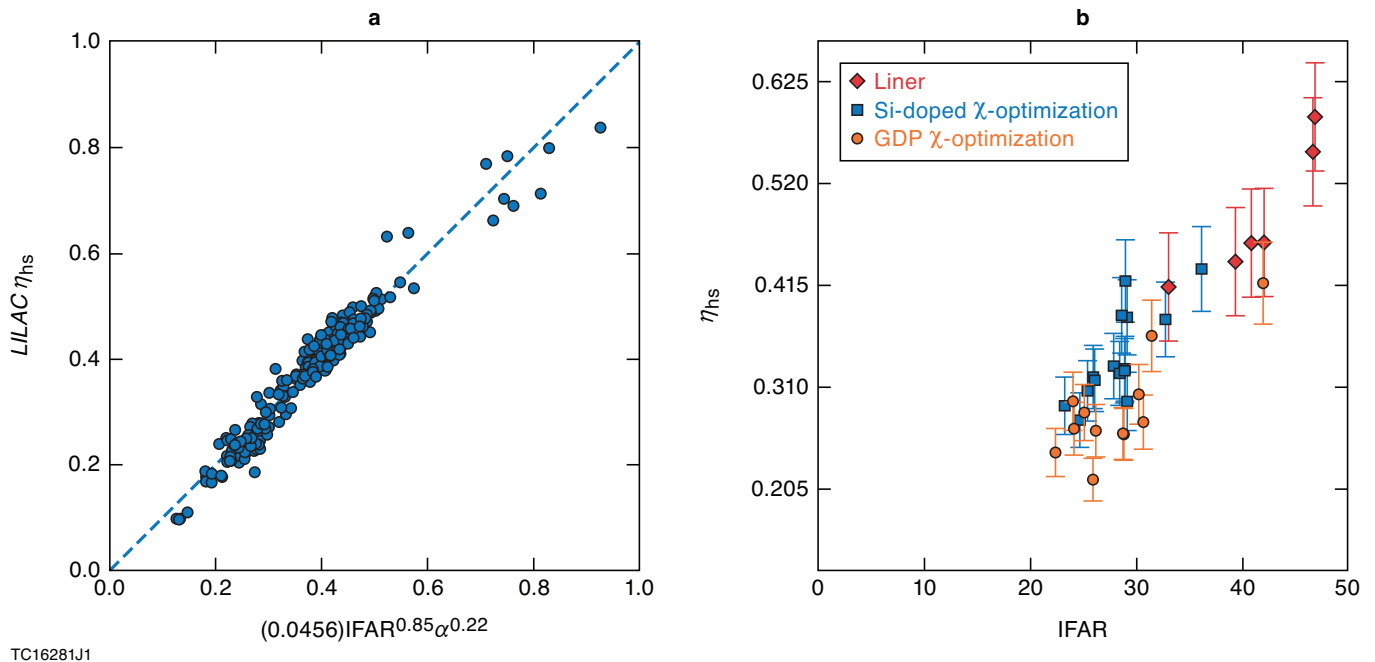


FIG. 4:

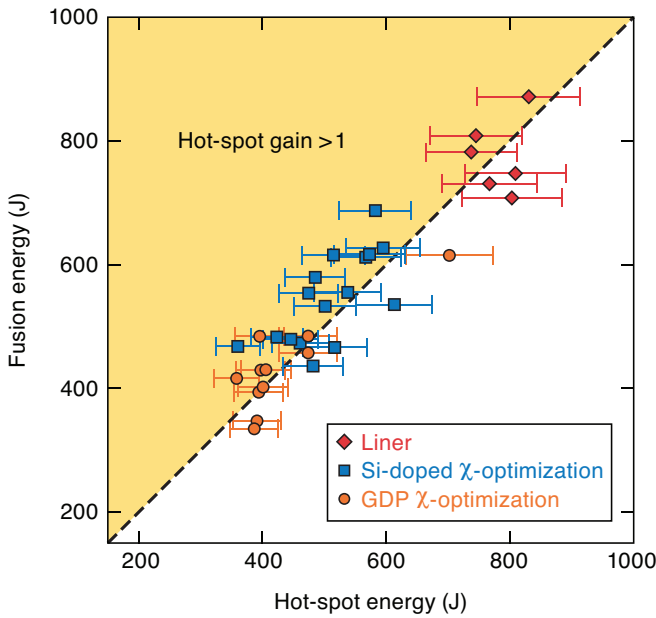
a) A predictive model for the transfer efficiency from shell kinetic energy to hot-spot internal energy η_{hs} in 1D simulations. The dotted line represents a perfect prediction. The only variables used to train this model are the in-flight aspect ratio (IFAR) and adiabat α , which finds $\eta_{\text{hs}} = (0.0456)\text{IFAR}^{0.85}\alpha^{0.22}$, although a similar model can be formed that finds $\eta_{\text{hs}} \propto v_{\text{imp}}^{1.9}$. b) Experimental values of the transfer efficiency from shell kinetic energy to hot-spot internal energy in OMEGA direct-drive implosions. The plot verifies that the in-flight aspect ratio (IFAR) is the dominant force in determining transfer efficiency. In experiment, unlike 1D simulations, low-mode perturbations also have an effect on transfer efficiency, as residual kinetic energy impedes efficient conversion to internal energy, and is responsible for the reduction in η_{hs} .

371 delivering the most energy to the hot spot. The transfer ef-
 372 ficiency is reduced roughly 15% in experiment with respect
 373 to 1D simulations. Three-dimensional effects like low-mode
 374 asymmetries allow the shell to retain kinetic energy even at
 375 peak compression, which ultimately degrades hot-spot pres-
 376 sure and yield⁴⁶.

377 Table I gives a summary of experimental results from a
 378 selection of OMEGA implosions. Upon inspection, the table
 379 supports a number of expected trends. First, while the
 380 large IFAR values of liners gives rise to their elevated trans-
 381 fer efficiencies, the only way to stave off the instabilities that
 382 would otherwise break the shell apart is to raise their adiabat
 383 (entropy)^{30,47–51}. This comes at the detriment of target conver-
 384 gence, which keeps their hot-spot pressure low. The liners are
 385 able to produce high yields in spite of these low pressures, not
 386 just because of the high temperature at the core, but because
 387 it remains above thermonuclear temperatures (~ 1 keV) out to
 388 a significant radius. In other words, what liners lack in terms
 389 of density, they make up for with sheer volume. For instance,
 390 the hot-spot volume of shot number 102360 is $\sim 3.5\times$ larger
 391 than shot number 102154, and produces more yield despite
 392 having less than half the hot-spot pressure. This realization
 393 gives added understanding to the high transfer efficiencies of
 394 liners displayed in figure 4; the extra energy coupled to the
 395 hot spot in liner implosions does not manifest as elevated en-
 396 ergy density (pressure), but rather, it heats up a larger vol-

397 ume of plasma, in accordance with the predictions presented
 398 in Ref.³⁰. Additionally, note that shot number 102360 falls
 399 below the χ range (0.15 to 0.2 according to figure 1) where
 400 G_{hs} is expected to surpass unity, which is validated experi-
 401 mentally. By contrast, shot numbers 102154 and 103952 have
 402 Lawson parameters that reside within this range, and indeed
 403 produce $G_{\text{hs}} > 1$.

404 In its current configuration, with beams that are less smooth
 405 than OMEGA and only directed along the poles of the tar-
 406 get, the NIF is not a platform conducive for performing high-
 407 convergence direct-drive implosions. Therefore, the ability
 408 to realize large fusion energy outputs without requiring high
 409 convergence ratios to do so, makes thin-ice DT liners an at-
 410 tractive candidate for megajoule-class direct-drive implosions
 411 on the NIF. However, the low convergence does cause a re-
 412 duction in χ , and is therefore detrimental to the hot-spot gain
 413 as well, but this effect can be combated. By doping the ab-
 414 lator of liners like shot 103952 with silicon, more mass can
 415 be added to the fuel payload while maintaining implosion ve-
 416 locities of ~ 600 km/s, which keeps the ion temperature high.
 417 The thicker ice layer decreases IFAR, allowing for the adi-
 418 abat to be lowered concurrently without sacrificing stability.
 419 The lower adiabat recovers some of the pressure, as expected
 420 from 1D theory, and increases yield, χ , and hot-spot fuel gain.
 421 Thus, the OMEGA liner implosions serve as an example of
 422 how changes to the target and laser pulses can be used to in-



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FIG. 5:

Fusion energy versus hot-spot energy in recent implosions on OMEGA. The figure shows hot-spot gain > 1 being achieved in campaigns intended to optimize χ with glow-discharge polymer (GDP) capsules, silicon-doped targets from the optimization campaign, and thin-ice DT liner targets intended to boost yield.

423 tentionally guide implosions toward specific goals, such as in-
424 creasing temperature or decreasing hot spot volume.

425 When the hot-spot inference model is applied to the exper-
426 imental database of past shots on OMEGA, it is revealed that
427 a number of recent implosions, including thin-ice DT liners,
428 demonstrate fusion outputs larger than the internal energy of
429 the hot spot required to induce the fusion reactions therein.
430 Recall that on OMEGA, heating of the hot spot comes al-
431 most exclusively from the piston-like compression performed
432 by the surrounding dense shell; the dimensions of the hot spot
433 are smaller than the mean-free-path of the 3.5-MeV α parti-
434 cles created in DT fusion reactions⁴, and therefore the level of
435 α heating generated in these implosions has a negligible ef-
436 fect on both the yield and internal energy. The importance of
437 creating yield on the strength of compression alone is that it
438 is a key ingredient even in ignition-scale implosions, because
439 ignition is a dynamical process. If a hot spot is unable to pro-
440 duce a high reaction rate during the compression phase of the
441 implosion, α deposition will be inconsequential even if the
442 assembly is much larger than the α mean-free-path, since the
443 energy carried by the fusion products will be negligible with
444 respect to the hot-spot energy (which is why χ has an explicit
445 yield dependence in equation (1) in addition to ρR). In every
446 DT reaction, 20% of the energy release is imparted to the α
447 particle, meaning $E_\alpha > 0.2E_{hs}$ when $G_{hs} > 1$.

448 As a consequence of equation (4), the slope of an E_f ver-
449 sus E_{hs} plot represents a measure of implosion quality, and
450 is proportional to χ . Figure 5 shows the fusion energy plot-
451 ted against the hot-spot energy for a series of recent OMEGA
452

453 implosions, with a slight majority corresponding to $G_{hs} > 1$.
454 That this demonstration was realized with only ~ 30 kJ is sig-
455 nificant because of the potential benefits that may lie in hydro-
456 dynamically scaled versions of these shots. While E_{hs} scales
457 linearly with laser energy, the fusion energy scales faster, even
458 in the absence of α heating. In 1D, $E_f \propto E_L^{1.43}$, primarily
459 because the confinement time scales with target radius, but
460 also because the temperature improves with size as a result
461 of weaker thermal conduction losses; in spherical geometry,
462 the ratio of surface area to volume grows with radius R like
463 $1/R$, so the heat flux from hot spot to cold shell has a smaller
464 impact on large targets. When α particle energy deposition
465 becomes an important factor at ignition-relevant scales, it too
466 has a more-pronounced effect on the fusion energy than it does
467 on internal energy. This is because the energy of the hot spot
468 is proportional to its temperature, while the temperature de-
469 pendence of the reactivity is much stronger ($\langle \sigma v \rangle \propto T^4$ at
470 a few keV)⁴. Even below the ignition threshold, it is possible
471 for the main contribution to the hot-spot energy to come from
472 α particle deposition, eclipsing the compression work done by
473 the shell. This distinction, referred to as the burning plasma
474 regime, is inaccessible on OMEGA due to the aforementioned
475 energy deficit. However, Gopalaswamy *et al.*²⁶ report that
476 the highest performing implosions on OMEGA have now enter-
477 ed a regime where, if hydroscaled to 2.15 MJ of laser drive,
478 would produce a burning-plasma.

479 In conclusion, the results of the experiments discussed in
480 this work demonstrate the ability to purposefully navigate
481 throughout a parameter space created by laser, kinetic, inter-
482 nal, and fusion energy. An understanding of the way in which
483 these forms of energy affect one another can benefit designs
484 for future direct-drive facilities with energies potentially one
485 or two orders of magnitude above the current capabilities of
486 the Omega Laser Facility. Through enhanced laser coupling,
487 implosions on OMEGA can now produce more fusion energy
488 than the internal energy required to initiate the fusion reac-
489 tions. This achievement is the first of its kind in a direct-
490 drive format, and has been accomplished without the benefit
491 of substantial yield amplification from α heating. This work
492 also announces the first experimental results of thin-ice DT
493 liner implosions, which were used to nearly double the previ-
494 ous facility record for neutron yield, taking it from 1.6×10^{14}
495 at the beginning of 2021, to 3.1×10^{14} by year's end. Tar-
496 get alterations like silicon doping have also led to implosions
497 with hot-spot pressures in the 80 Gbar range, a new high for
498 the Omega Laser, and a marked improvement above the 50
499 Gbar milestone reported on in 2016 by Regan *et al.*⁵² Future
500 work to further increase the Lawson parameter of OMEGA
501 implosions will focus on creating higher target convergence
502 and generating pressures near 100 Gbar.

503 METHODS

504 Inferring Hot-Spot Energy

505 A direct measurement of the hot-spot internal energy in an
506 ICF implosion is not feasible. However, this quantity can be

507 inferred if neutron and x-ray diagnostics are able to provide
 508 the necessary measurements to derive the hot-spot pressure
 509 from the neutron yield, ion temperature, and hot-spot volume.
 510 The latter is inferred from x-ray self-emission images.

511 The first measurable quantity of interest is the neutron yield
 512 Y_n . For thermonuclear plasmas, the specific reaction rate (re-
 513 actions per unit volume, per unit time) R_{ij} between two species
 514 i and j is given by

$$R_{ij} = \frac{n_i n_j}{1 + \delta_{ij}} \langle \sigma v \rangle_{ij}, \quad (7)$$

515 where n_i is the number density of species i , $\langle \sigma v \rangle$ the reactivity
 516 of the reaction in question and δ_{ij} the Kroenecker delta. The
 517 total neutron yield from reactions between deuterium and tri-
 518 tium is obtained by integrating the specific reaction rate over
 519 time and space

$$Y_n = \int dt \int d^3 r n_D n_T \langle \sigma v \rangle, \quad (8)$$

520 where the subscript has been dropped from the reactivity for
 521 brevity. Because the hot-spot plasma has a Coulomb cou-
 522 pling parameter $\Gamma \ll 1$, and is nondegenerate ($T_i \gg T_F$), we
 523 are able to use an ideal gas equation-of-state to relate the ion
 524 number density to the ion partial pressure and temperature
 525 $n_i = P_i / (k_B T_i)$. We assume a single temperature for both ion
 526 species due to their relatively small mass difference, but al-
 527 low for the composition of the plasma to differ from that of
 528 an equimolar mixture. The ion number density can then be
 529 substituted into the yield equation

$$Y_n = \frac{f_D f_T}{k_B^2} \int dt \int d^3 r \frac{P_i^2}{T_i^2} \langle \sigma v \rangle, \quad (9)$$

530 where f_i is the species fraction of species i and k_B is Boltz-
 531 mann's constant.

532 Equation (9) can be simplified by substituting static pro-
 533 files for time-dependent variables and replacing the integral
 534 over time with a finite burn duration factor. If the neutron pro-
 535 duction rate \dot{Y} were a perfectly Gaussian function in time, re-
 536 placing the temporal integral in equation (9) with the the burn-
 537 width τ (FWHM) would result in static profiles corresponding
 538 to a production rate \dot{Y}_* that is larger than the bang-time rate \dot{Y}_{bt}
 539 by a factor $\sqrt{\pi / \ln(16)} \approx (1.06)$. By definition, the highest
 540 neutron rate occurs *at* the bang time. Therefore, the static
 541 profiles need to be depressed. This is handled by replacing
 542 the temporal integral with $\tau' = c\tau$, where the constant $c \approx 1.1$
 543 has been determined by imposing $c \equiv Y / (\tau \dot{Y}_{bt})$ and examining
 544 an ensemble of 1D simulations. This accounts for the afore-
 545 mentioned 6% increase, along with an additional correction
 546 for deviations from Gaussian shape in the neutron signal.

We assume the pressure and temperature to be isotropic,
 and reconstruct the spatial dependence of these quantities Q
 by representing them as a dimensionless ‘‘shape function’’
 $\hat{Q}(r)$, multiplied by a central value Q_0 possessing the dimen-
 sion of Q ,

$$Q(r, \theta, \phi) \approx Q_0 \hat{Q}(r)$$

$$\hat{Q}(r=0) = 1.$$

547 If we also normalize the radial coordinate with the hot-spot
 548 radius $x \equiv r/R_{hs}$, then the recovered function $\hat{Q}(x)$ can be
 549 taken directly from *LILAC* simulations. That is, we assume
 550 that while the magnitude of the pressure, temperature etc. dif-
 551 fer between experiment and simulation, their *shapes* should
 552 be similar.

553 Using this new formulation, the yield can be rewritten as

$$Y_n = b \tau' \left(\frac{P_{0,i}^2}{T_{0,i}^2} \right) \int_0^{R_{hs}} r^2 \frac{\hat{P}_i^2}{\hat{T}_i^2} \langle \sigma v \rangle dr, \quad (10)$$

554 where $b = (4\pi f_D f_T / k_B^2)$. Typically the ice layer of an
 555 OMEGA target has a D:T ratio of 40:60, while the vapor is
 556 50:50. In order to settle on a single number for each species
 557 fraction, *LILAC* simulations are used to estimate the percent-
 558 age of yield coming from the vapor and ice, respectively. The
 559 appropriate weighting factors are then used to converge on the
 560 hot-spot composition. The radial integral in equation (10) is
 561 taken from the target origin to the hot-spot boundary. Be-
 562 cause the transition from hot spot to cold shell is continu-
 563 ous, the value input as the hot-spot edge must be chosen with
 564 care. Ideally, this would be acquired via neutron imaging. Al-
 565 though the Omega Laser Facility does not currently have neu-
 566 tron imaging, x rays can be used instead to find the desired
 567 volume. Historically, this is given by the x-ray R_{17} value, i.e.,
 568 the radius at which the x-ray self-emission intensity has de-
 569 creased to 17% of the maximum intensity. Previous work by
 570 Cao *et al.*⁵³ shows that photons with energies between 15 and
 571 20 keV are emitted from the same region that produces DT
 572 neutrons. Each channel of the spatially resolved electron tem-
 573 perature (SRTE) diagnostic is sensitive to a different photon
 574 energy range. The strongest correlation between the R_{17} and
 575 the neutron-producing region for shots with temperatures \sim
 576 5 keV is observed from synthetic data of the SRTE's fourth
 577 channel, which detects x rays with $E_\gamma \sim 20$ keV. These syn-
 578 thetic data show that in simulations, the region enclosed by
 579 the R_{17} from SRTE channel 4 accounts for the vast majority of
 580 the neutron source, ranging between 93% and 95% in high-
 581 velocity implosions. The x-ray R_{17} is valid even in the pres-
 582 ence of ellipticity in the hot-spot shape, as it is obtained from
 583 a two-dimensional super-Gaussian fit. However, it should be
 584 noted that the majority of recent high-performing implosions
 585 are round and exhibit negligible ellipticity. An experimental
 586 SRTE image of shot 102154 is given in figure 6, which has a
 587 semi-major axis to semi-minor axis ratio $a/b = 1.03 \pm 0.02$.

588 From the neutron time-of-flight (nTOF) spectrum, a burn-
 589 averaged ion temperature can be extracted, which has the form

$$\langle T_i \rangle = \frac{\int dt \int d^3 r T_i n_D n_T \langle \sigma v \rangle}{\int dt \int d^3 r n_D n_T \langle \sigma v \rangle}. \quad (11)$$

590 Applying each of the previous approximations leads to a cen-
 591 tral ion temperature given by

$$T_{0,i} = \langle T_i \rangle \frac{\int_0^1 x^2 (\hat{P}_i / \hat{T}_i)^2 \langle \sigma v \rangle dx}{\int_0^1 x^2 (\hat{P}_i^2 / \hat{T}_i) \langle \sigma v \rangle dx}. \quad (12)$$

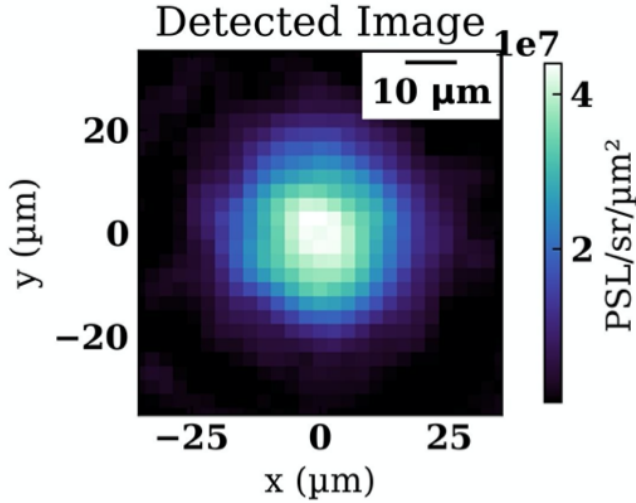


FIG. 6:

Spatially resolved electron temperature diagnostic (SRTe) image of shot 102154. Fourier analysis of the hot-spot modes show that the $\ell = 2$ mode is typically dominant in OMEGA implosions, and the inferred hot-spot volumes account for ellipticity. The majority of recent high-yield OMEGA implosions are round, with low semi-major to semi-minor axis ratios a/b . For example, shot 102154 has $a/b = 1.03 \pm 0.02$.

Now that an expression for the central ion temperature has been found, the yield equation can be inverted to isolate the central pressure

$$P_{0,i} = b^{-1/2} \langle T_i \rangle R_{17}^{-3/2} \sqrt{\frac{Y_n}{\tau'} \frac{\int_0^1 x^2 (\hat{P}_i / \hat{T}_i)^2 \langle \sigma v \rangle dx}{\int_0^1 x^2 (\hat{P}_i^2 / \hat{T}_i) \langle \sigma v \rangle dx}}. \quad (13)$$

The contribution to the hot-spot internal energy coming specifically from the ions is then simply given by integrating the ion pressure over the volume of the hot-spot. The result is

$$E_{\text{hs}}^{\text{ion}} = \frac{3}{2} (4\pi R_{17}^3) P_{0,i} \int_0^1 x^2 \hat{P}_i dx. \quad (14)$$

The rebound shock and subsequent compression of the hot spot preferentially heat the ions over the electrons. Since the equilibration time between ions and electrons is longer

than the burnwidth, the electron temperature is below the ion temperature throughout the hot-spot (in the cold shell the temperatures are similar due to the faster equilibration time). In a characteristic hot-spot plasma, the Debye length is much shorter than the temperature and density gradient scale lengths; we therefore have the freedom to impose quasi-neutrality $n_i(r) = n_e(r)$. This means that the ratio of species pressures at any location is equal to the ratio of temperatures at that same point, including the center value. If we can calculate $T_{\text{rat}} \equiv T_e(0)/T_i(0) = P_e(0)/P_i(0)$, we will be able to immediately determine the electronic contribution to the hot-spot internal energy.

From the ideal gas EOS,

$$T_e(r) = P_e(r) \frac{T_i(r)}{P_i(r)} = P_{0,i} \frac{T_{0,e}}{T_{0,i}} \hat{P}_e T_{0,i} \frac{\hat{T}_i}{P_{0,i} \hat{P}_i},$$

or, in terms of our desired variable T_{rat} ,

$$T_e(r) = T_{0,i} T_{\text{rat}} \hat{T}_i \frac{\hat{P}_e}{\hat{P}_i}. \quad (15)$$

It is most useful to connect the central temperature ratio to another experimental observable so as to add one more constraint to our system. In the same fashion as equation (11) defines the neutron-averaged ion temperature, a neutron-averaged electron temperature appears as

$$\langle T_e \rangle = \frac{\int dt \int d^3r T_e n_D n_T \langle \sigma v \rangle}{\int dt \int d^3r n_D n_T \langle \sigma v \rangle}. \quad (16)$$

Eliminating the electron temperature with equation (15) and applying the same general assumptions and change of variables as before leads to

$$\langle T_e \rangle = T_{0,i} T_{\text{rat}} \frac{\int_0^1 x^2 \hat{P}_e (\hat{P}_i / \hat{T}_i) \langle \sigma v \rangle dx}{\int_0^1 x^2 (\hat{P}_i / \hat{T}_i)^2 \langle \sigma v \rangle dx}. \quad (17)$$

It is now beneficial to use equation (17) and equation (12) to rewrite the temperature ratio in terms of the measured quantities and integrals of known radial profiles. Utilizing equation (13), we obtain the total hot-spot internal energy, represented here in its full, explicit form

$$E_{\text{hs}} = k_B \langle T_i \rangle R_{17}^{3/2} \sqrt{\frac{9\pi Y_n}{f_D f_T \tau'}} \frac{\sqrt{\int_0^1 x^2 (\hat{P}_i / \hat{T}_i)^2 \langle \sigma v \rangle dx}}{\int_0^1 x^2 (\hat{P}_i^2 / \hat{T}_i) \langle \sigma v \rangle dx} \left[\int_0^1 x^2 \hat{P}_i dx + \frac{\langle T_e \rangle}{\langle T_i \rangle} \frac{\int_0^1 x^2 (\hat{P}_i^2 / \hat{T}_i) \langle \sigma v \rangle dx}{\int_0^1 x^2 \hat{P}_e (\hat{P}_i / \hat{T}_i) \langle \sigma v \rangle dx} \int_0^1 x^2 \hat{P}_e dx \right]. \quad (18)$$

While the model presented here has been constructed primarily to calculate the hot-spot energy, the information that must be gathered in order to make that determination can be

used to infer other quantities as well. These include scalar quantities like hot-spot mass, as well as radial profiles like specific reaction rate (equation (7)), or reaction rate linear

634 density $4\pi n_D n_T \langle \sigma v \rangle r^2$. Uncertainties in the model-estimated
 635 parameters are obtained by Monte Carlo sampling, assuming
 636 the uncertainties on the experimental inputs are normally dis-
 637 tributed.

638 Experimental Diagnostics

639 Several important measurements need to be made in order
 640 to properly infer the hot-spot internal energy. From equa-
 641 tion (18), we see that measurements of average ion and elec-
 642 tron temperature, hot-spot radius, burnwidth, and neutron
 643 yield constitute the requisite parameters for this calculation.
 644 This is made possible by the Omega Laser Facility’s compre-
 645 hensive suite of diagnostics. The energy spectrum obtained
 646 by neutron time-of-flight detectors³³ are able to reveal not
 647 only the DT and DD neutron yields, but the ion tempera-
 648 ture as well. Cu-activation detectors²⁷ are also used to mea-
 649 sure the neutron yield. Areal densities are measured on the
 650 nTOF via backscattered neutrons off of plasma ions, and on a
 651 magnetic recoil spectrometer⁵⁴ using forward scattering. Im-
 652 ages of the hot spot are taken by the single line-of-sight time-
 653 resolved x-ray imager³², Kirkpatrick–Baez framing camera,
 654 gated monochromatic x-ray imaging diagnostic, and spatially-
 655 resolved electron temperature diagnostic³⁴. The burnwidth
 656 (duration) and bang time (time of peak neutron rate) are mea-
 657 sured by the neutron temporal diagnostic³¹.

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 670 manufacturer, or otherwise does not necessarily constitute or
 671 imply its endorsement, recommendation, or favoring by the
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681 DATA AVAILABILITY

682 Raw data presented in this work were generated at the
 683 Omega Laser Facility. Derived data supporting the findings of
 684 this study are available from the corresponding author upon
 685 reasonable request, and with permission from the Laboratory
 686 for Laser Energetics.

687 CONFLICT OF INTEREST

688 The authors have no conflicts to disclose.

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