

LA-UR-24-24832

Approved for public release; distribution is unlimited.

Title: Sea Ice Modeling in E3SM

Author(s): Comeau, Darin Scott
Hunke, Elizabeth Clare
Roberts, Andrew Frank

Intended for: E3SM Tutorial, 2024-05-07/2024-05-10 (Berkeley, California, United States)

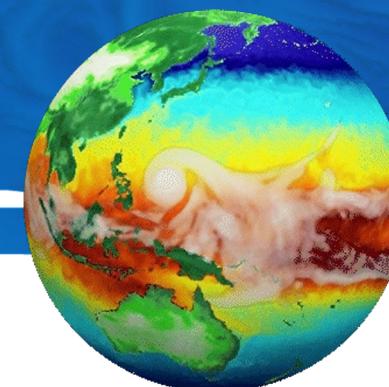
Issued: 2024-05-14



Los Alamos National Laboratory, an affirmative action/equal opportunity employer, is operated by Triad National Security, LLC for the National Nuclear Security Administration of U.S. Department of Energy under contract 89233218CNA00001. By approving this article, the publisher recognizes that the U.S. Government retains nonexclusive, royalty-free license to publish or reproduce the published form of this contribution, or to allow others to do so, for U.S. Government purposes. Los Alamos National Laboratory requests that the publisher identify this article as work performed under the auspices of the U.S. Department of Energy. Los Alamos National Laboratory strongly supports academic freedom and a researcher's right to publish; as an institution, however, the Laboratory does not endorse the viewpoint of a publication or guarantee its technical correctness.

Sea Ice Modeling in E3SM

Elizabeth Hunke, Andrew Roberts, Darin Comeau and rest of Sea Ice Team



Sea ice is frozen ocean water



Weddell Sea, Photo credit: Elizabeth Hunke

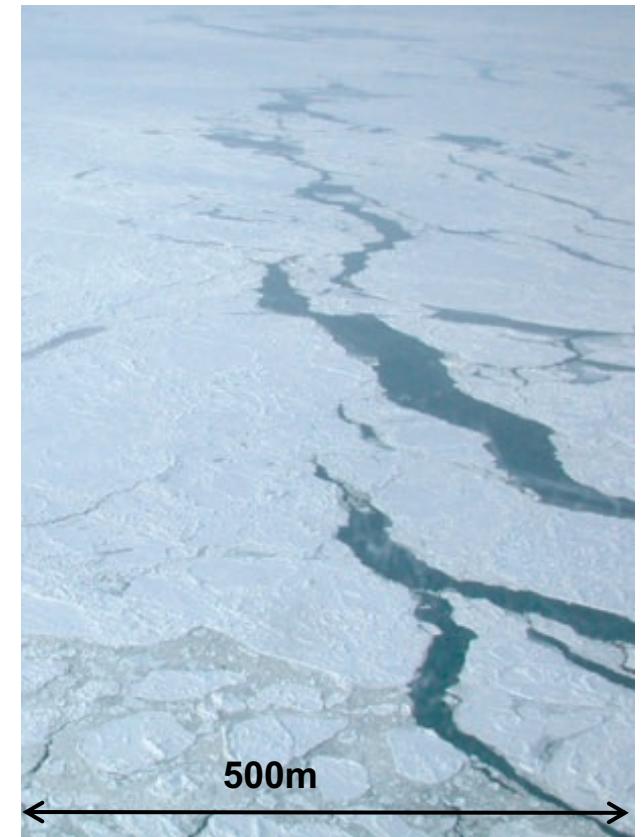


Photo credit: Hajo Eicken

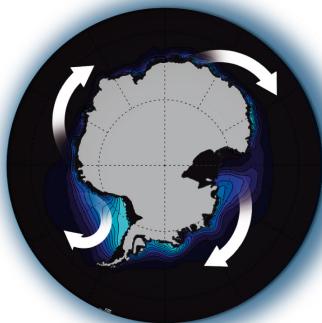
What's important? Albedo

High ice/snow albedo reflects solar radiation.
Sea ice insulates atmosphere from ocean,
influencing heat & moisture exchange.

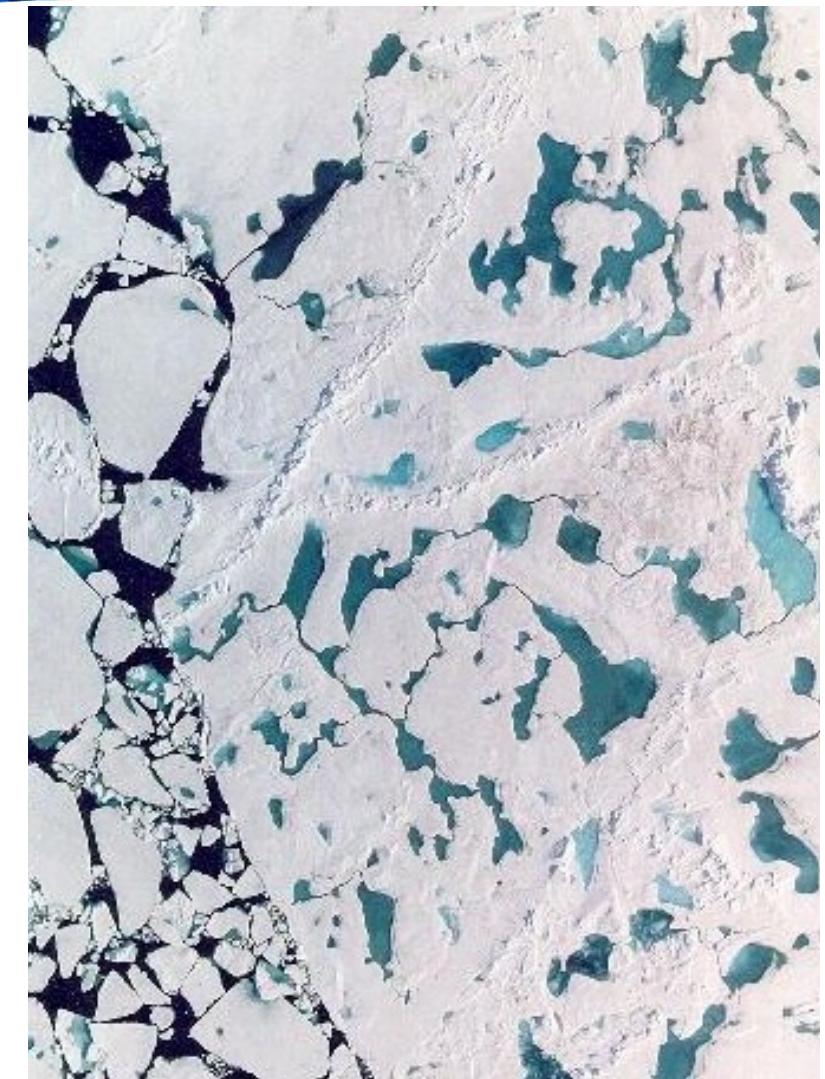


Elizabeth Hunke

What do we need in a sea ice model for climate applications?



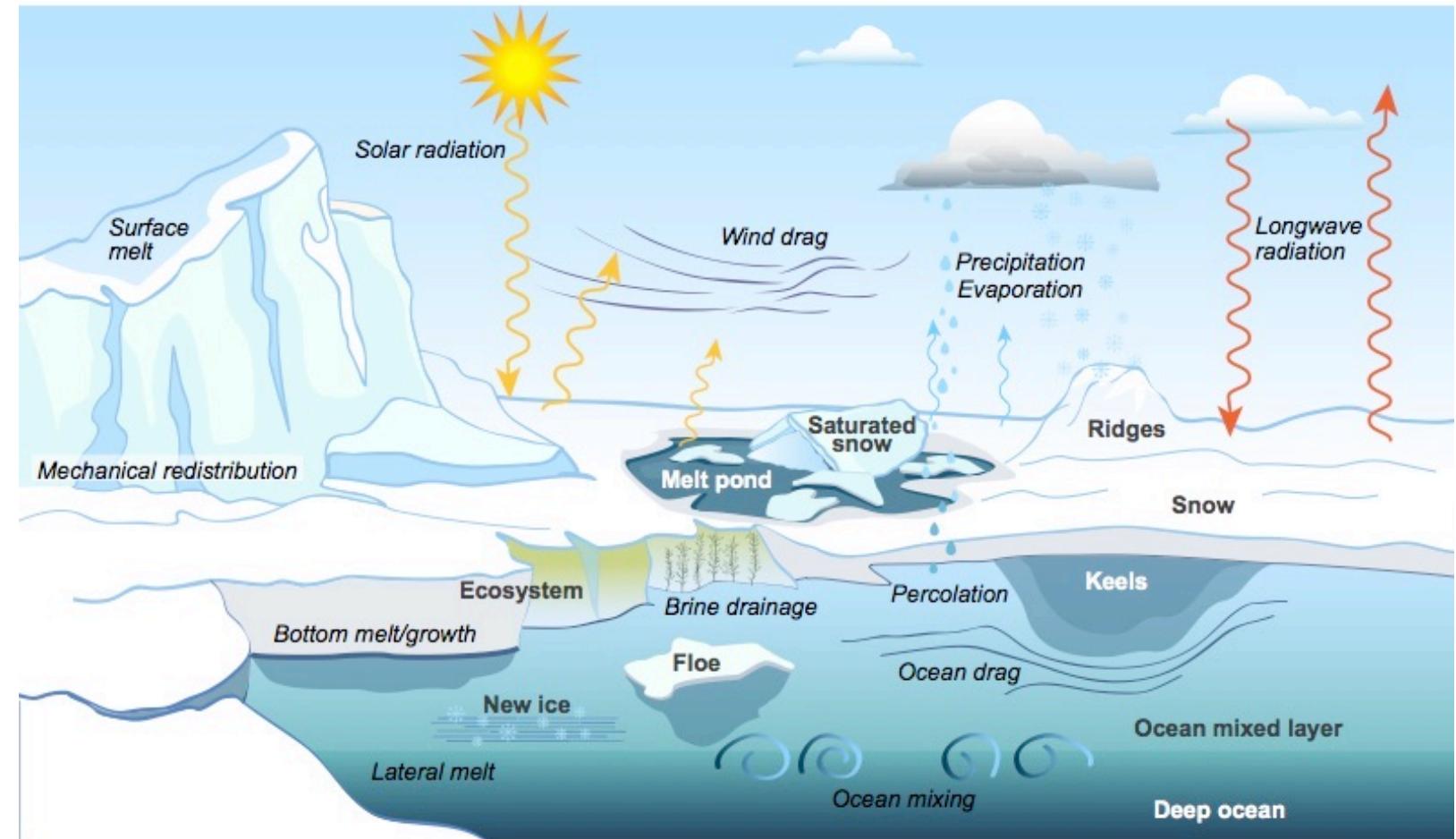
- Reasonable mean state, variability
 - Concentration, thickness, mass & energy budgets
- Realistic ice-ocean-atmosphere exchanges of mass and energy
- Realistic response to climate perturbations
 - Key climate feedbacks
 - Ice **thickness** determines sensitivity to melting and freezing



Arctic sea ice, ridges, melt ponds, open water. D. Perovich

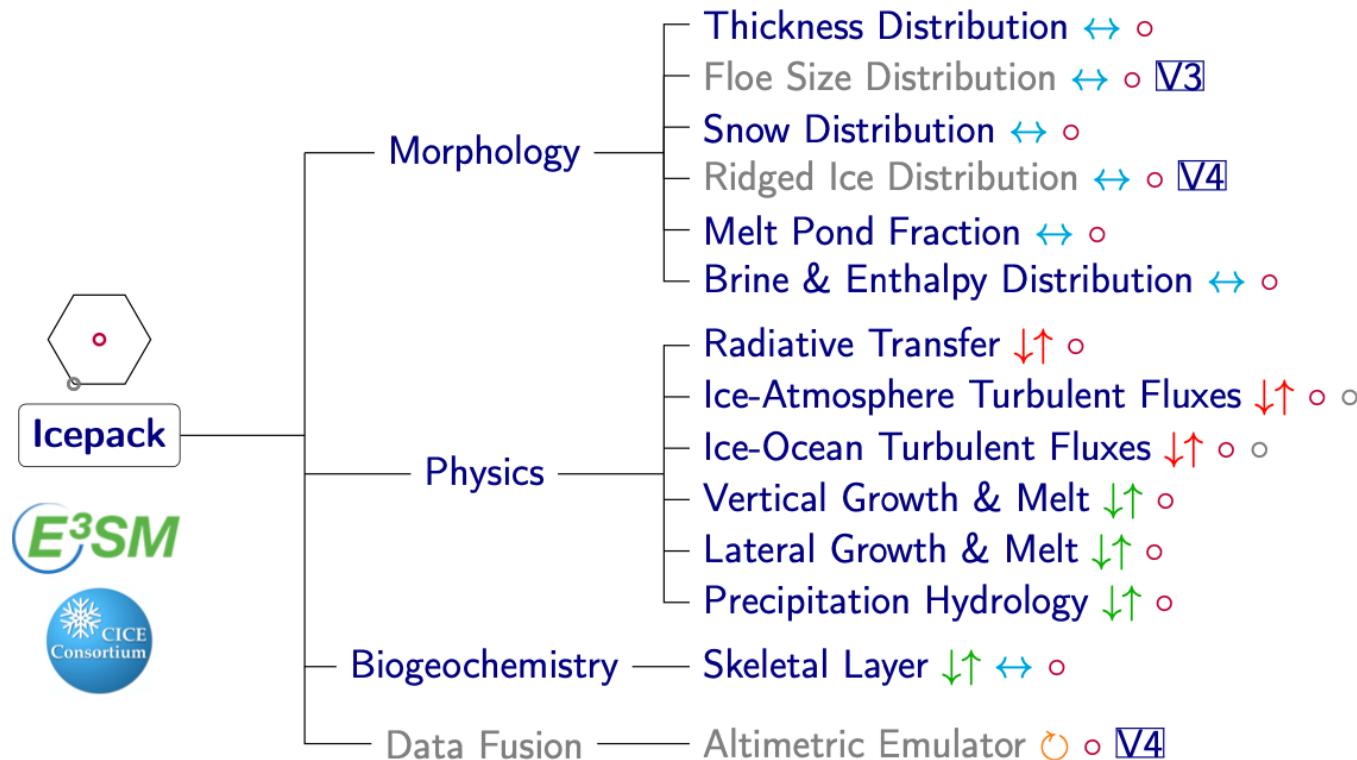
MPAS- Seaice uses Icepack for column physics

Physical processes that affect the area and thickness of sea ice



github.com/CICE-Consortium/Icepack

E3SM implementation of Icepack from the CICE Consortium



Arrows indicate energy ($\downarrow\uparrow$) and mass ($\downarrow\uparrow$) flux exchange with the ocean and atmosphere, as well as horizontal advection (\leftrightarrow) using a dynamical core with Icepack. Small circles indicate the location of current (○) Icepack calculations, and preferred (○) column calculations in the case of a CD grid. ○ indicates observational emulation in run time.

Andrew Roberts

github.com/CICE-Consortium/Icepack

What does MPAS-Seaice do?

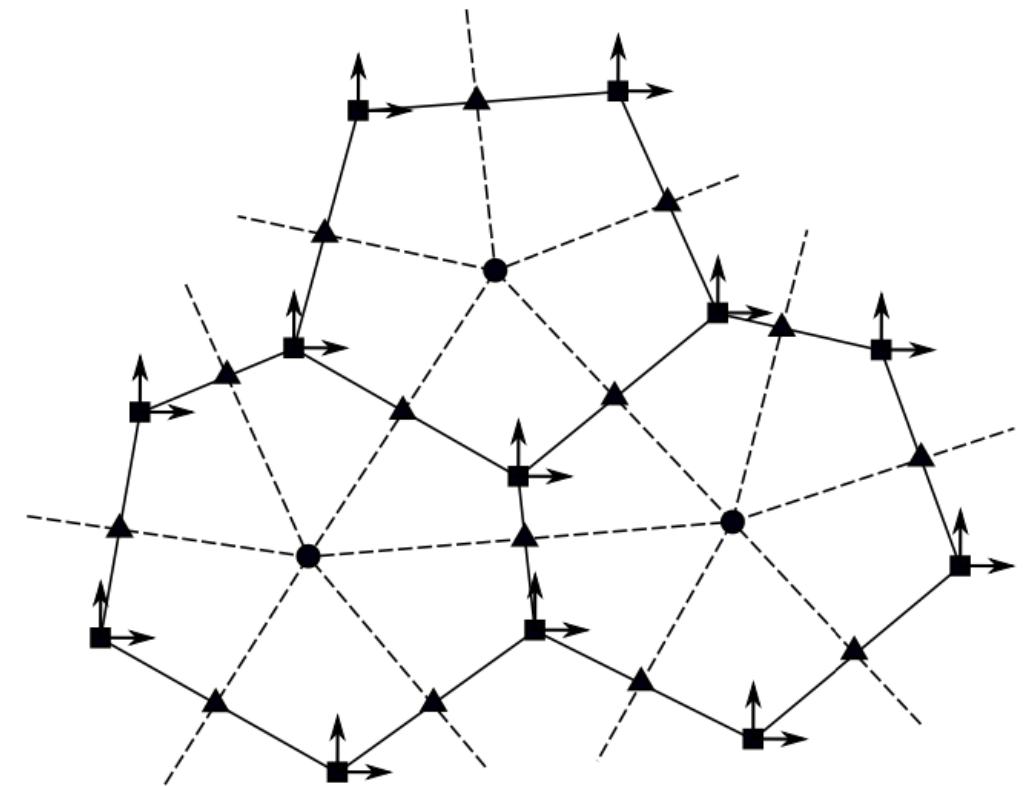
- Dynamics
 - Momentum
 - Stress
 - Transport
 - tracers
 - Mechanical redistribution (ridging)
- Thermodynamics
 - Radiation
 - Mushy layer
 - Melt terms
 - Top (surface) and bottom (basal)
 - Growth terms
 - Bottom accretion (congelation)
 - Frazil formation
 - Snow-ice formation
- Ice thickness distribution
- Other physics
 - Melt ponds
 - Snow
 - Biogeochemistry
 - Floe size distribution (new!)
- Analysis members
- Driver (coupling interface)
- I/O

MPAS-Seaice

Icepack

MPAS-Seaice overview

- MPAS-Seaice is based on Multiple Prediction Across Scale (MPAS) framework
 - Unstructured mesh, Voronoi tessellation
 - Shares mesh with ocean
- Continuum model
 - Sea ice occupies a percentage of a grid cell, individual floes are not resolved.
- Uses a “B-grid”
 - Sea ice velocity is defined at cell vertices
 - Sea ice concentration, volume, and tracers defined at cell centers.



Sample from an MPAS mesh showing the primal mesh (solid lines), the dual mesh (dashed), and velocity components aligned with a locally Cartesian coordinate system (east/north).

Sea ice dynamics

The sea ice momentum equation is:

$$m \frac{D\mathbf{u}}{Dt} = \nabla \cdot \sigma + \vec{\tau}_a + \vec{\tau}_w - k \times m f \mathbf{u} - mg \nabla H_o$$

↓ ↓ ↓ ↓ ↓

momentum internal stress ocean stress Coriolis sea surface tilt

↓

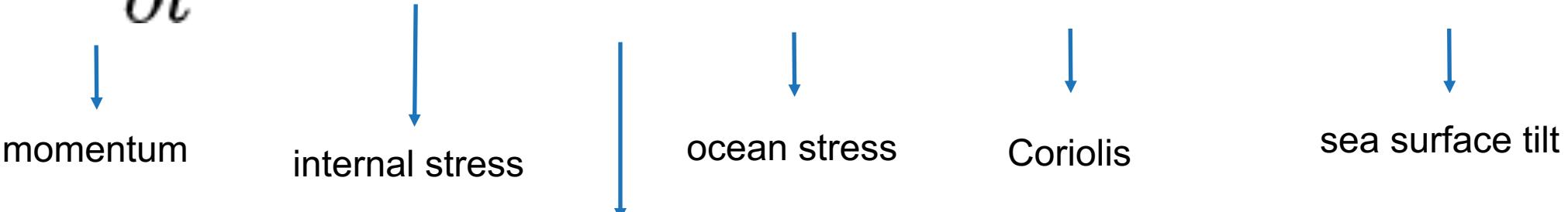
wind stress

Hibler 1979

Sea ice dynamics

The equation we actually solve (neglecting advective acceleration terms) is:

$$m \frac{\partial \mathbf{u}}{\partial t} = \nabla \cdot \boldsymbol{\sigma} + \vec{\tau}_a + \vec{\tau}_w - k \times m f \mathbf{u} - mg \nabla H_o$$



 momentum internal stress ocean stress Coriolis sea surface tilt
 wind stress

Hibler 1979

- The internal stress calculation comprises the bulk of the computational cost and is where elastic-viscous-plastic (EVP) rheology (Hunke & Dukowicz, 1997) for sea ice comes in.

Sea ice transport

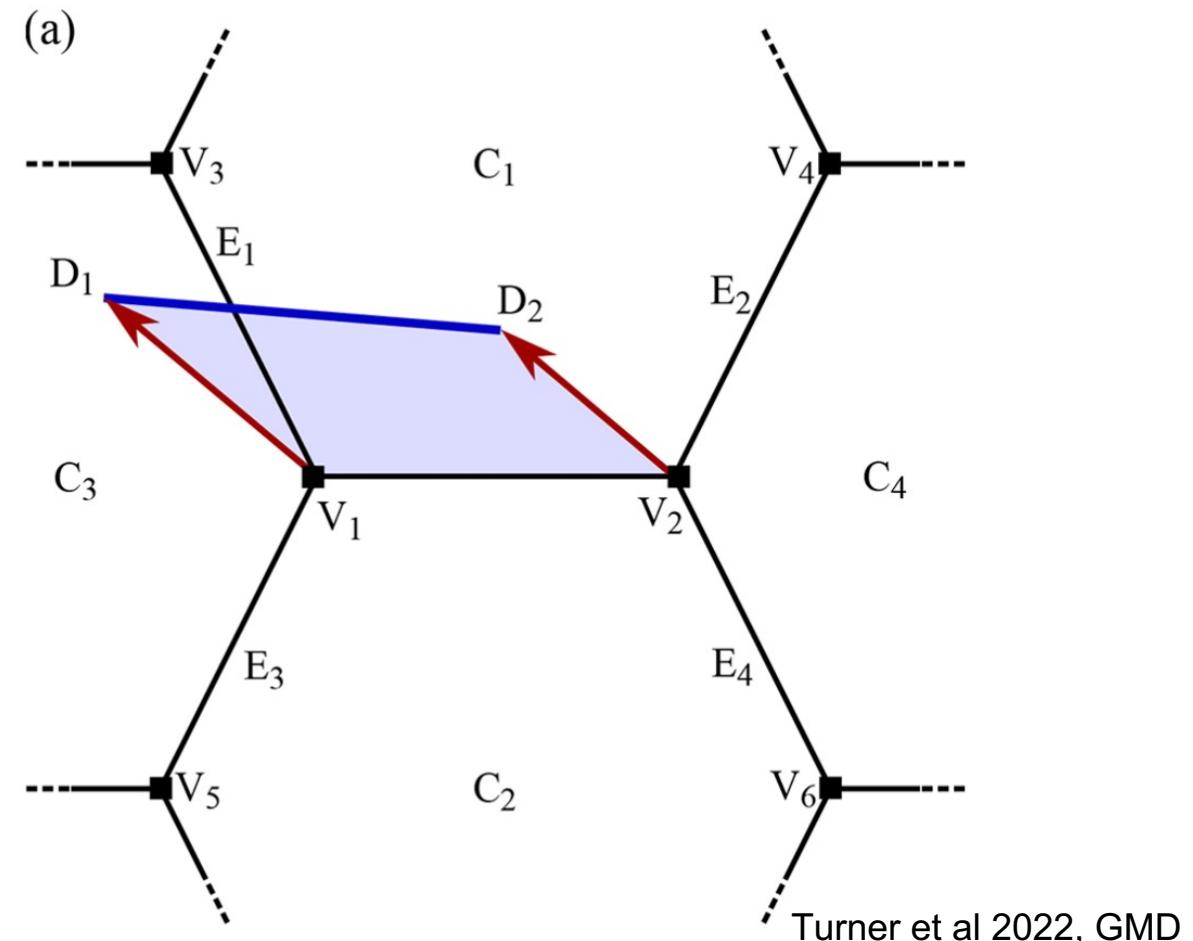
- Transport is done via incremental remapping (Lipscomb & Hunke 2004, MWR)
- Incremental remapping is designed to be conservative, i.e.

$$\frac{\partial c}{\partial t} + \nabla \cdot c \vec{u} = 0$$

- And for a tracer h (e.g. ice thickness)

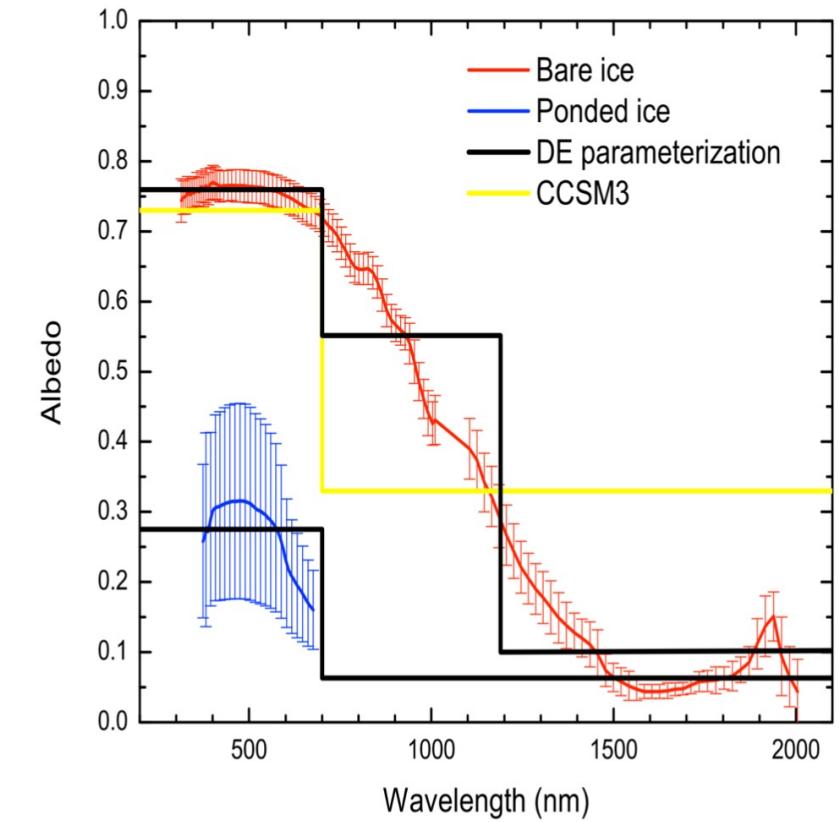
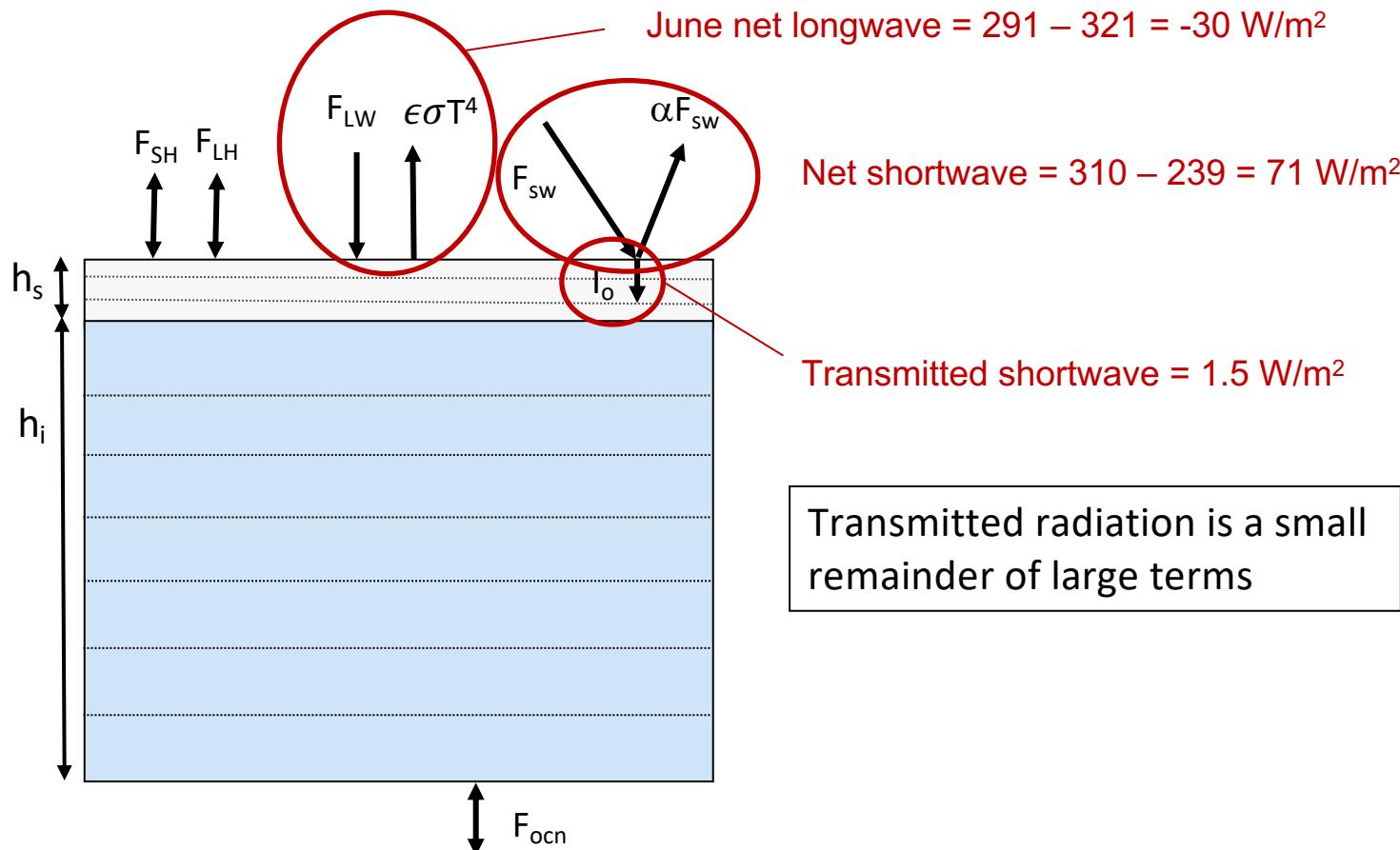
$$\frac{\partial ch}{\partial t} + \nabla \cdot ch \vec{u} = 0$$

- IR is also monotonic, and scales well with additional tracers



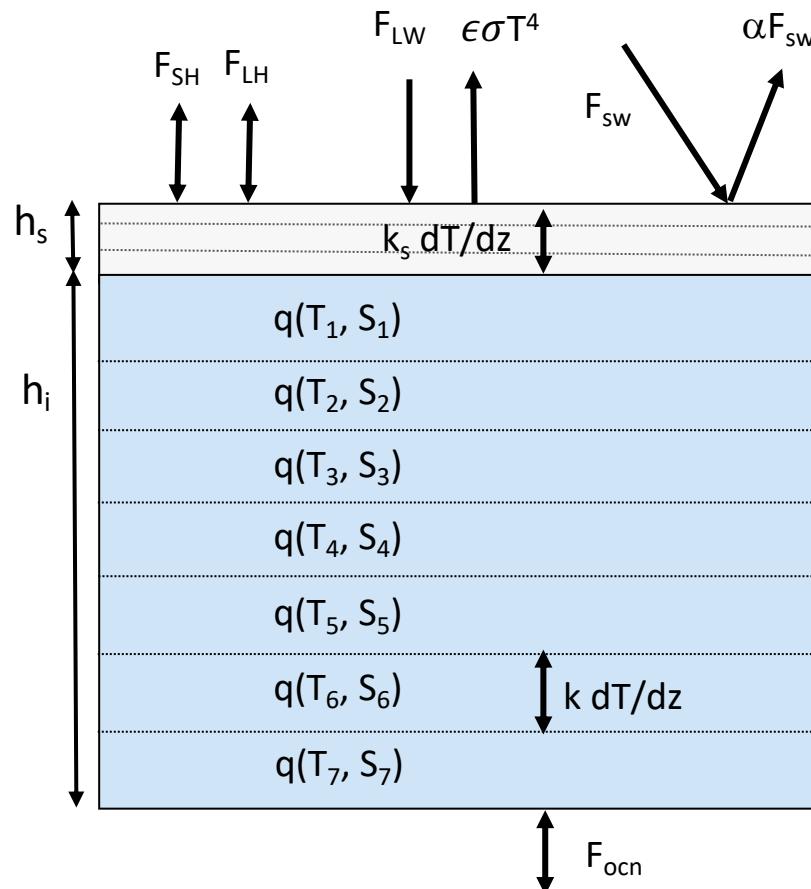
Schematic showing transport across a cell edge on an MPAS mesh. Backward trajectories shown as red arrows to departure points D.

Sea ice thermodynamics – radiation



Briegleb and Light, 2007

Sea ice thermodynamics – mushy layer



Sea ice is a multi-phase, multi-component material.

Calculate top, lateral, internal, and basal freezing and melting / dissolution

Top surface heat flux balance

$$(1 - \alpha)F_{sw} + FLW - \epsilon\sigma T^4 + FSH + FLH - k \frac{\partial T}{\partial z} = q \frac{dh}{dt}$$

Vertical conduction of heat and salt

$$\frac{\partial q}{\partial t} = \frac{\partial}{\partial z} \left(K \frac{\partial T}{\partial z} \right) + w \frac{\partial q_{br}}{\partial z} + F$$

$$\frac{\partial S}{\partial t} = w \frac{\partial S_{br}}{\partial z} + G$$

$$\phi = \frac{S}{S_{br}} \quad K = \phi K_{br} + (1 - \phi)K_i$$

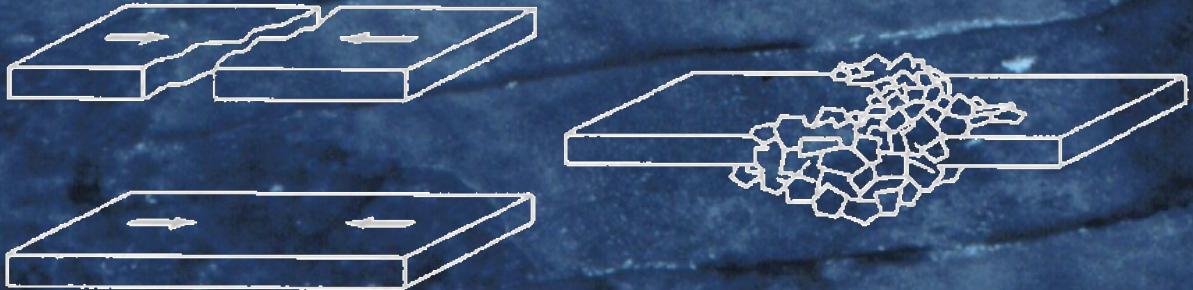
Bottom surface heat flux balance

$$F_{ocn} + k \frac{\partial T}{\partial z} = q \frac{dh}{dt}$$

There are more equations for the brine quantities, forcing terms, etc.

Ice thickness is influenced by

- Thermodynamic growth and melt
 - Top and bottom melt
 - Bottom accretion (congelation)
 - Frazil formation
 - Snow-ice formation
 - “Mushy layer” with prognostic salinity
- Mechanical redistribution (ridging, rafting)



Sea ice thickness distribution

$g(\mathbf{x}, h, t) dh$ = the fractional area covered by ice in the thickness range $(h, h + dh)$ at a given time t and location \mathbf{x}

$$\frac{\partial g}{\partial t} = -\nabla \cdot (g\mathbf{u}) + \psi - \frac{\partial}{\partial h}(fg) + L,$$

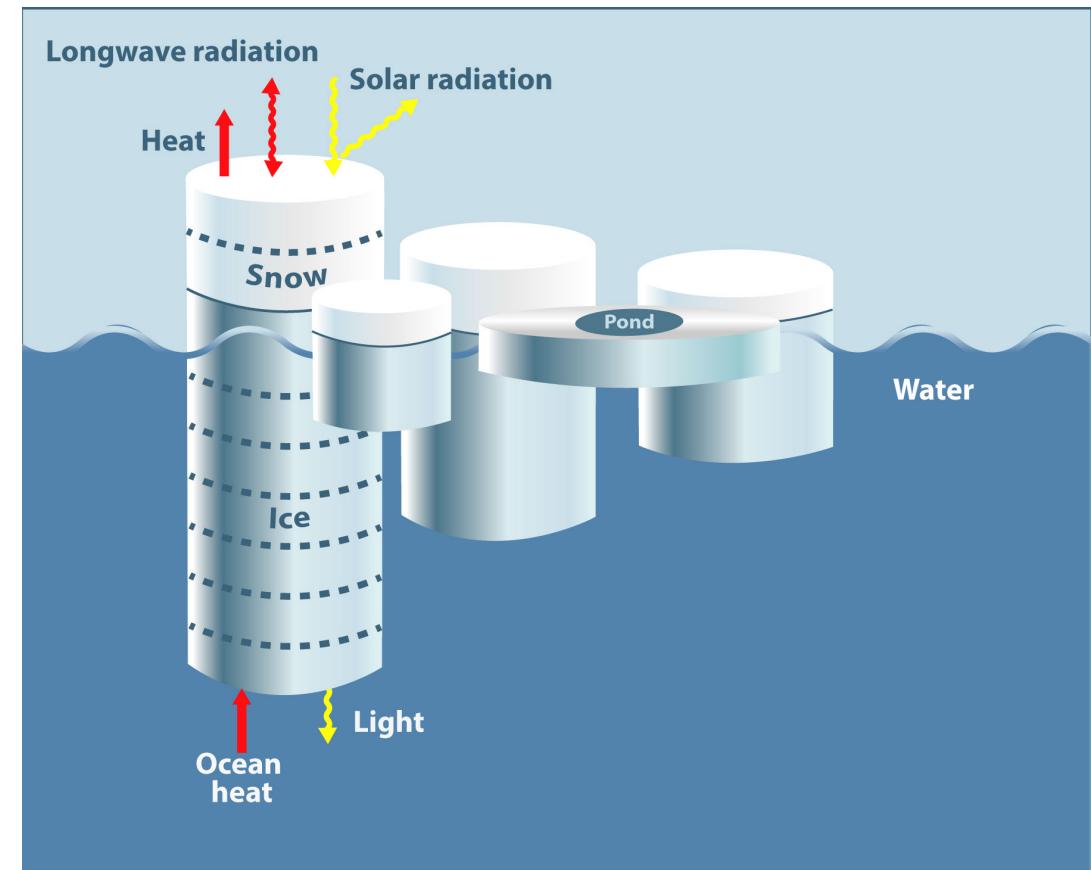
$$\nabla = \left(\frac{\partial}{\partial x}, \frac{\partial}{\partial y} \right)$$

\mathbf{u} = horizontal ice **velocity**

ψ = mechanical redistribution function

f = rate of **thermodynamic** ice growth

L = lateral melting



Sea ice thickness distribution

$g(\mathbf{x}, h, t) dh$ = the fractional area covered by ice in the thickness range $(h, h + dh)$ at a given time t and location \mathbf{x}

$$\frac{\partial g}{\partial t} = -\nabla \cdot (g\mathbf{u}) + \psi - \frac{\partial}{\partial h}(fg) + L,$$

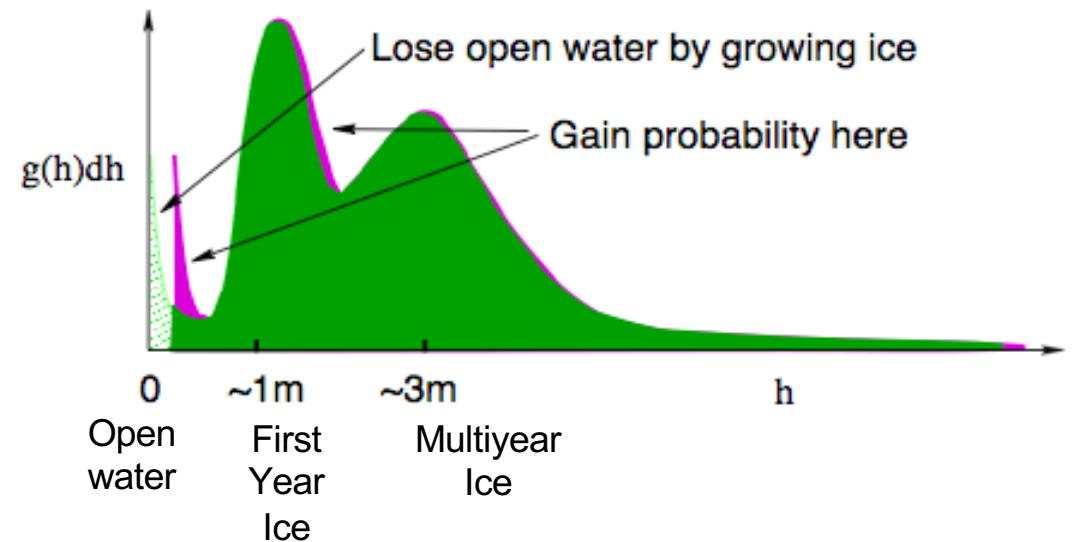
$$\nabla = \left(\frac{\partial}{\partial x}, \frac{\partial}{\partial y} \right)$$

\mathbf{u} = horizontal ice **velocity**

ψ = mechanical redistribution function

f = rate of **thermodynamic** ice growth

L = lateral melting

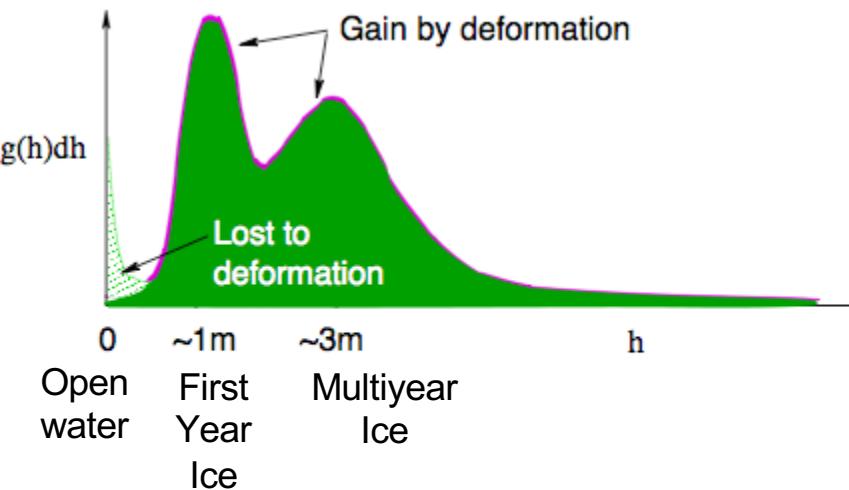
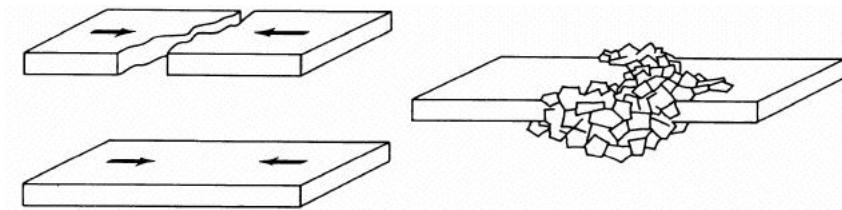


Sea ice thickness distribution

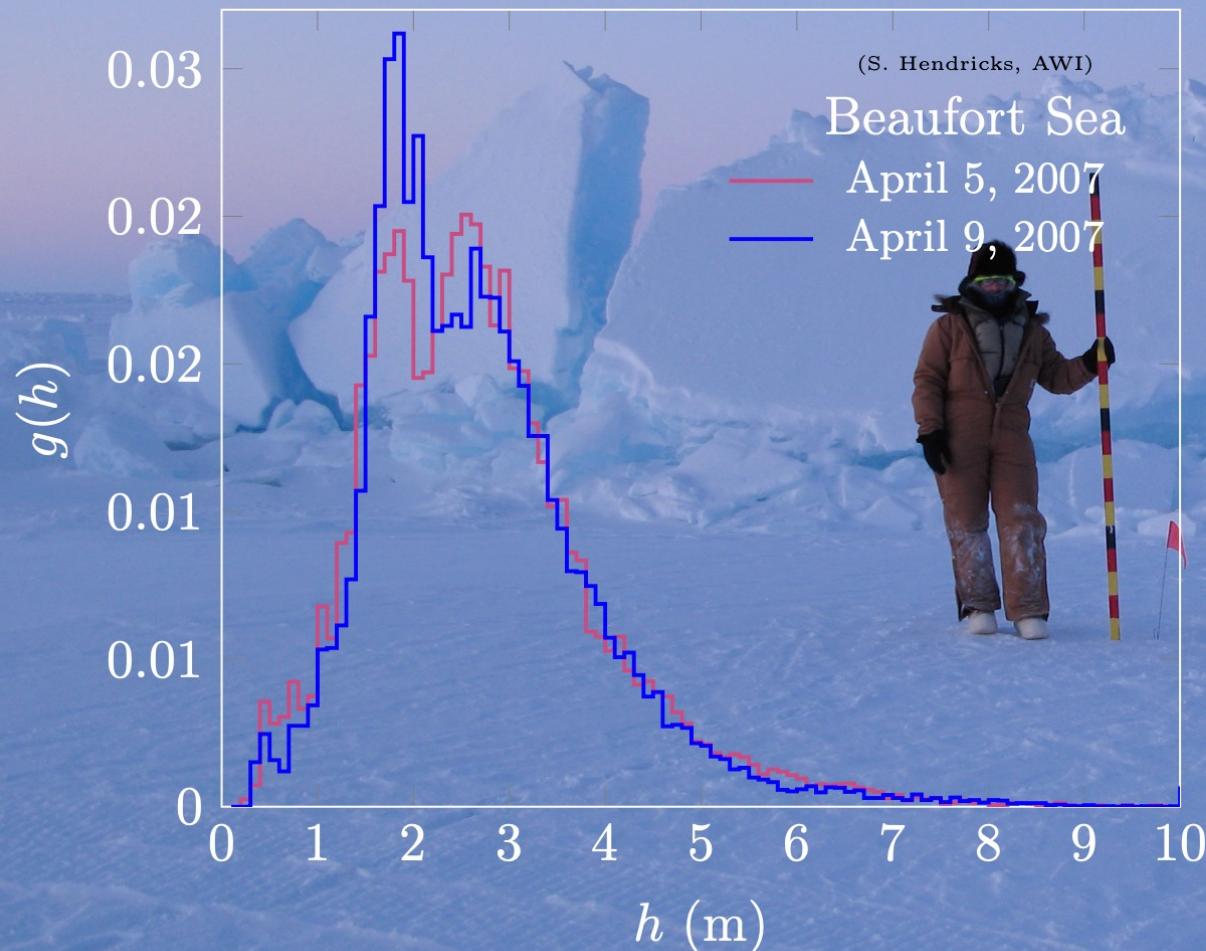
Mechanical redistribution: Transfer from thin part of distribution to thicker categories



Hajo Eicken



Sea Ice Thickness Distribution



$$m = \rho \int_0^\infty g(h) h dh$$

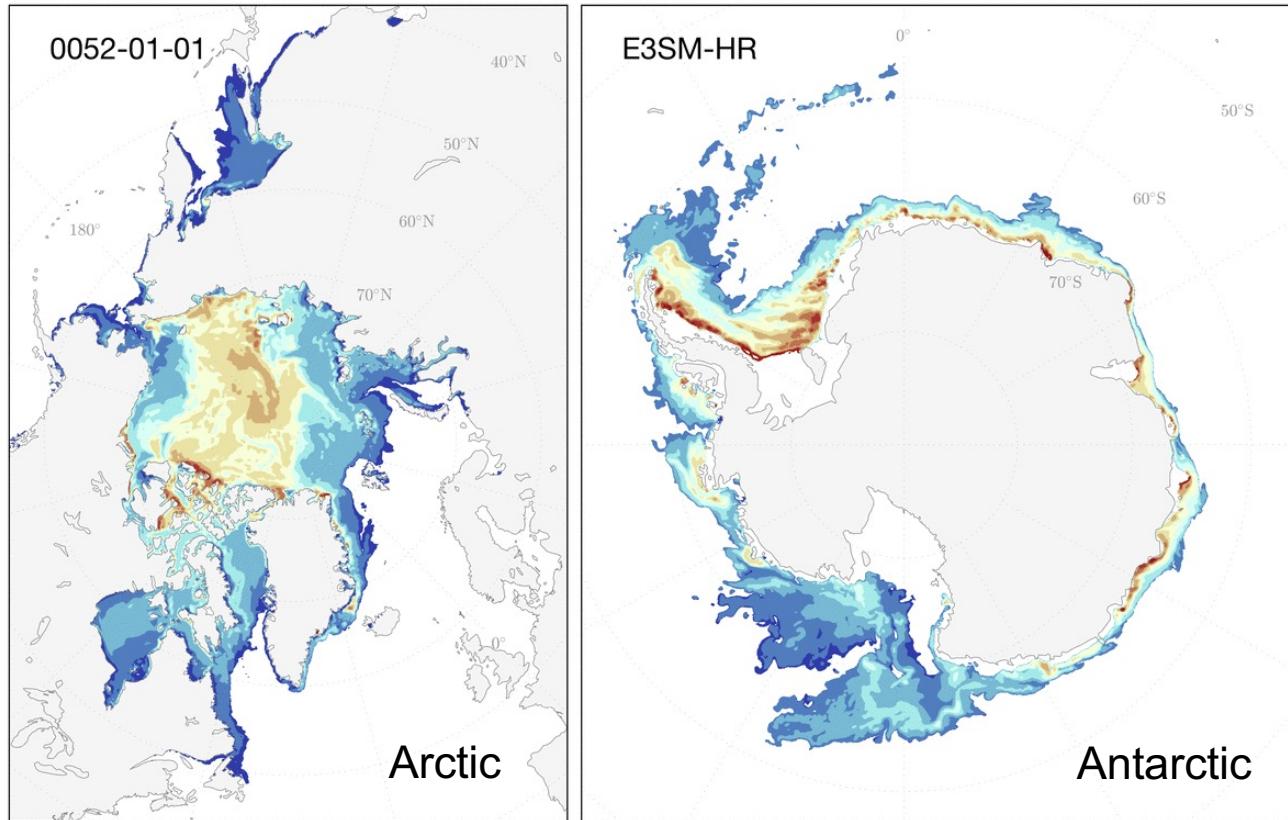
$g(h)$ is used to describe mass conservation in sea ice models:

$$\frac{dg}{dt} = \Psi + \Theta - g(\nabla \cdot \dot{\mathbf{x}})$$

Ψ Dynamic Redistribution,
 Θ Thermodynamic Redistribution

Andrew Roberts

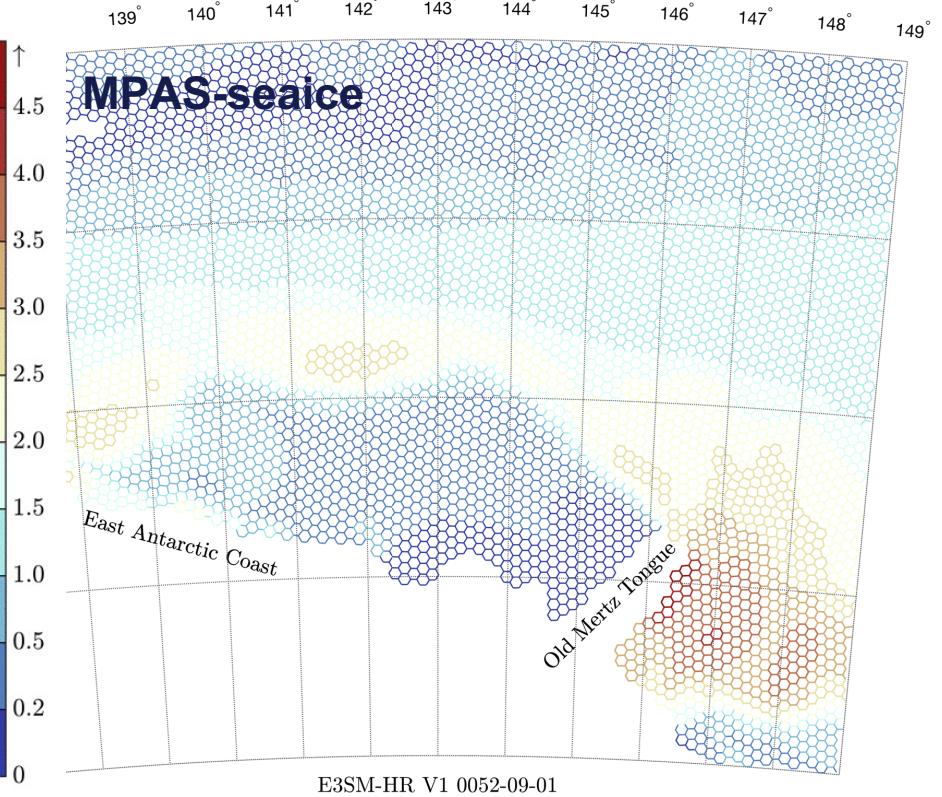
Fully Coupled High-Resolution E3SM V1



Single annual cycle of **sea ice thickness** from a 50+ year fully coupled simulation using the HighResMip 1950 repeated year protocol

Resolution:

- atmosphere, land 25 km
- ocean, sea ice: 6 km near the poles expanding to 18 km near the equator



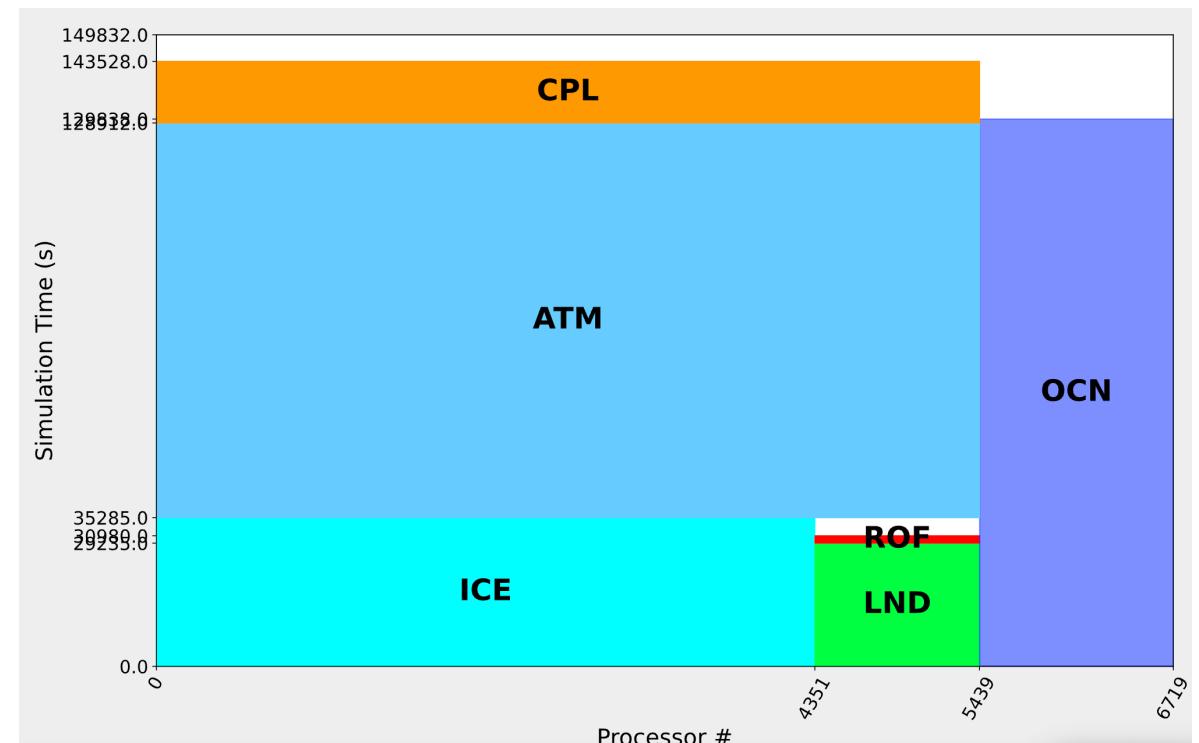
E3SM unstructured grid surrounding the Mertz Glacier Polynya in the East Antarctic, colored according to ice thickness.

Key Contributors: Peter Caldwell, Luke VanRoekel, Azamat Mametjanov, Adrian Turner, Chris Golaz, Milena Veneziani, Wuyin Lin, Mat Maltrud, Jon Wolfe, Andrew Roberts



Documentation & References

- <https://docs.e3sm.org/E3SM/MPAS-seaice>
- <https://cice-consortium-icepack.readthedocs.io/en/main/>
- MPAS-Seaice overview manuscript: Turner, A.K., Lipscomb, W.H., Hunke, E.C., Jeffery, N., Engwirda, D., Ringler, T.D. and Wolfe, J.D., 2022. MPAS-Seaice (v1. 0.0): sea-ice dynamics on unstructured Voronoi meshes. *Geoscientific Model Development*, 15(9), pp.3721-3751.



v3 performance by component

e3sm.org