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Title: Sea Ice Modeling in E3SM

Author(s): Comeau, Darin Scott
Hunke, Elizabeth Clare
Roberts, Andrew Frank

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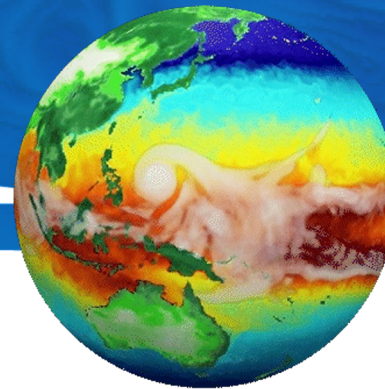
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Sea Ice Modeling in E3SM

Elizabeth Hunke, Andrew Roberts, Darin Comeau and rest of Sea Ice Team



Sea ice is frozen ocean water



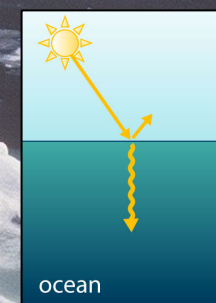
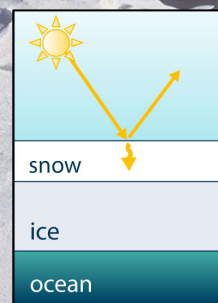
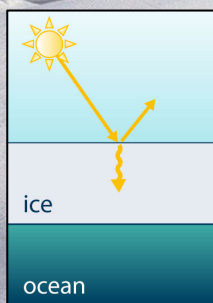
Weddell Sea, Photo credit: Elizabeth Hunke



Photo credit: Hajo Eicken

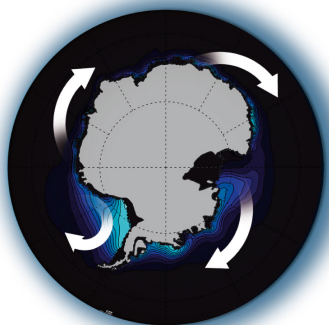
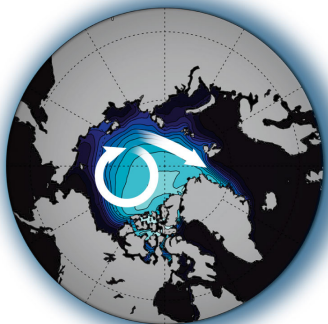
What's important? Albedo

High ice/snow albedo reflects solar radiation.
Sea ice insulates atmosphere from ocean,
influencing heat & moisture exchange.

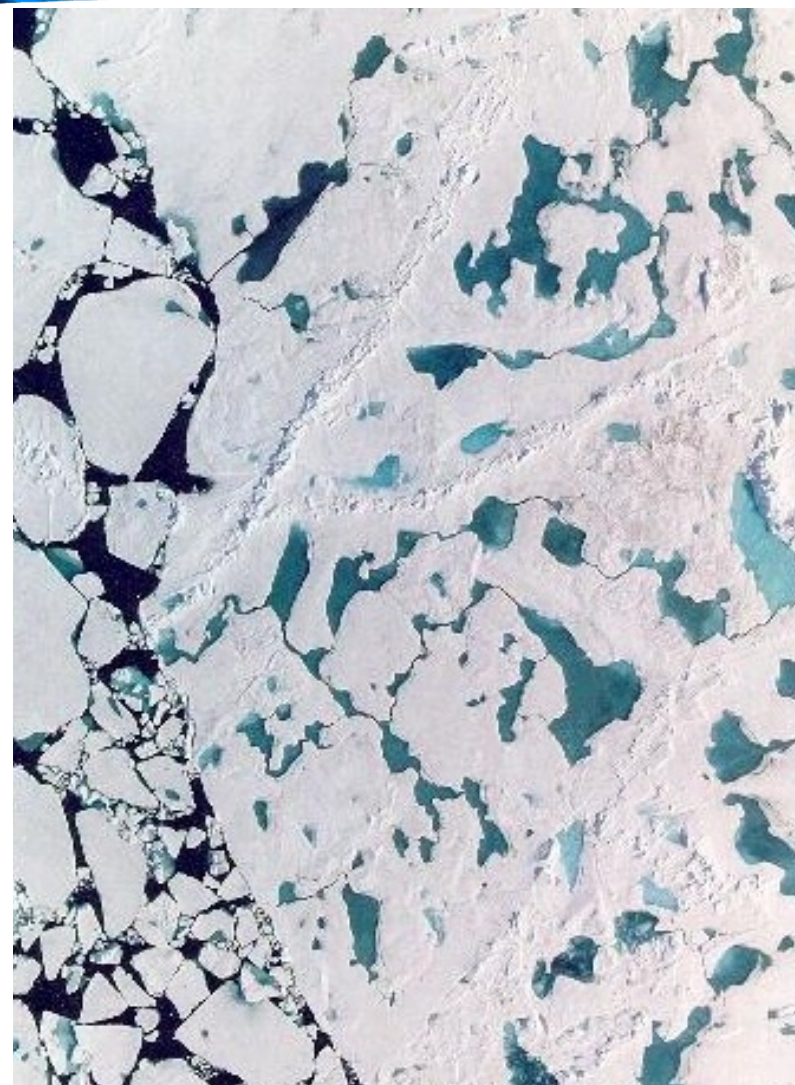


Elizabeth Hunke

What do we need in a sea ice model for climate applications?



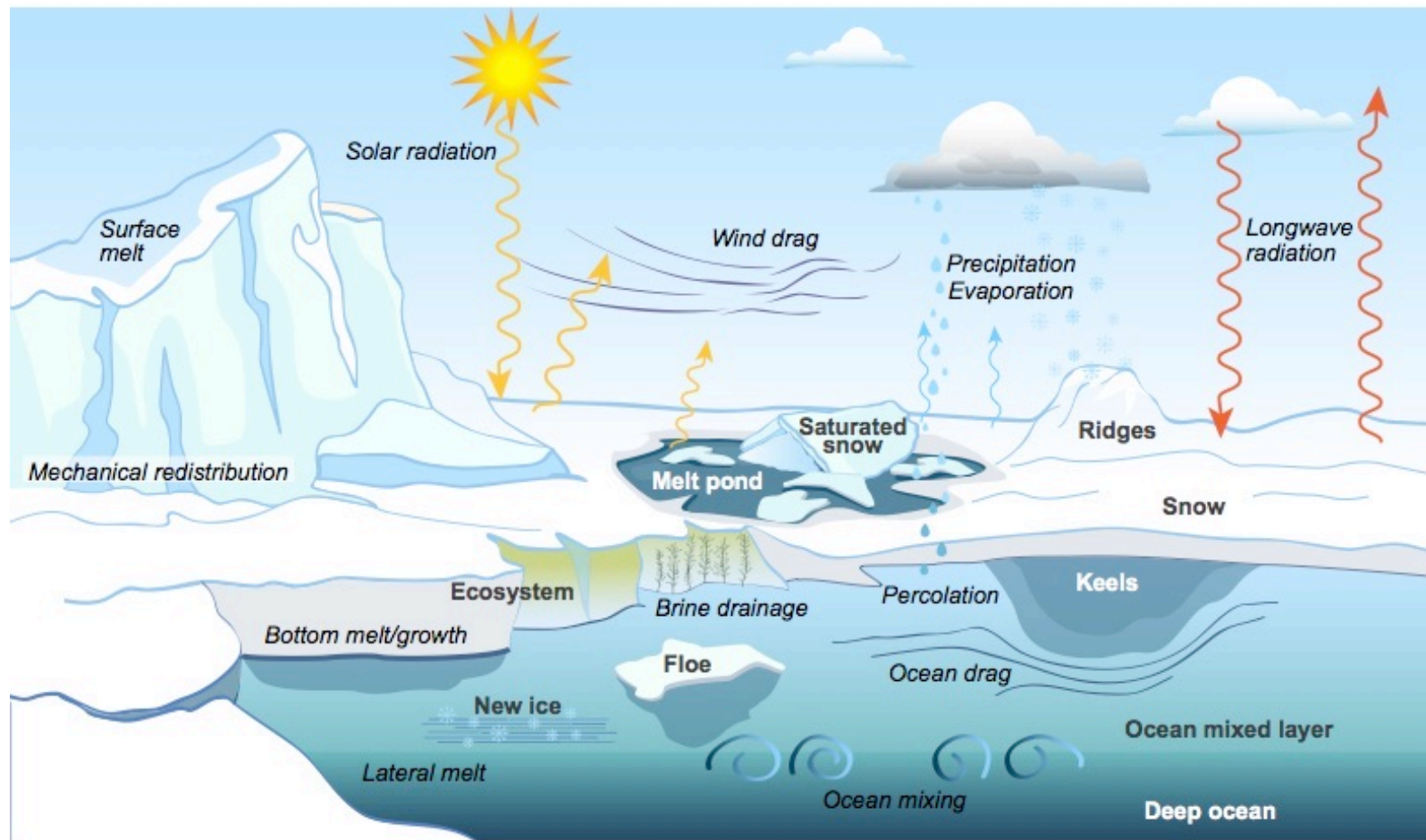
- Reasonable mean state, variability
 - Concentration, thickness, mass & energy budgets
- Realistic ice-ocean-atmosphere exchanges of mass and energy
- Realistic response to climate perturbations
 - Key climate feedbacks
 - Ice **thickness** determines sensitivity to melting and freezing



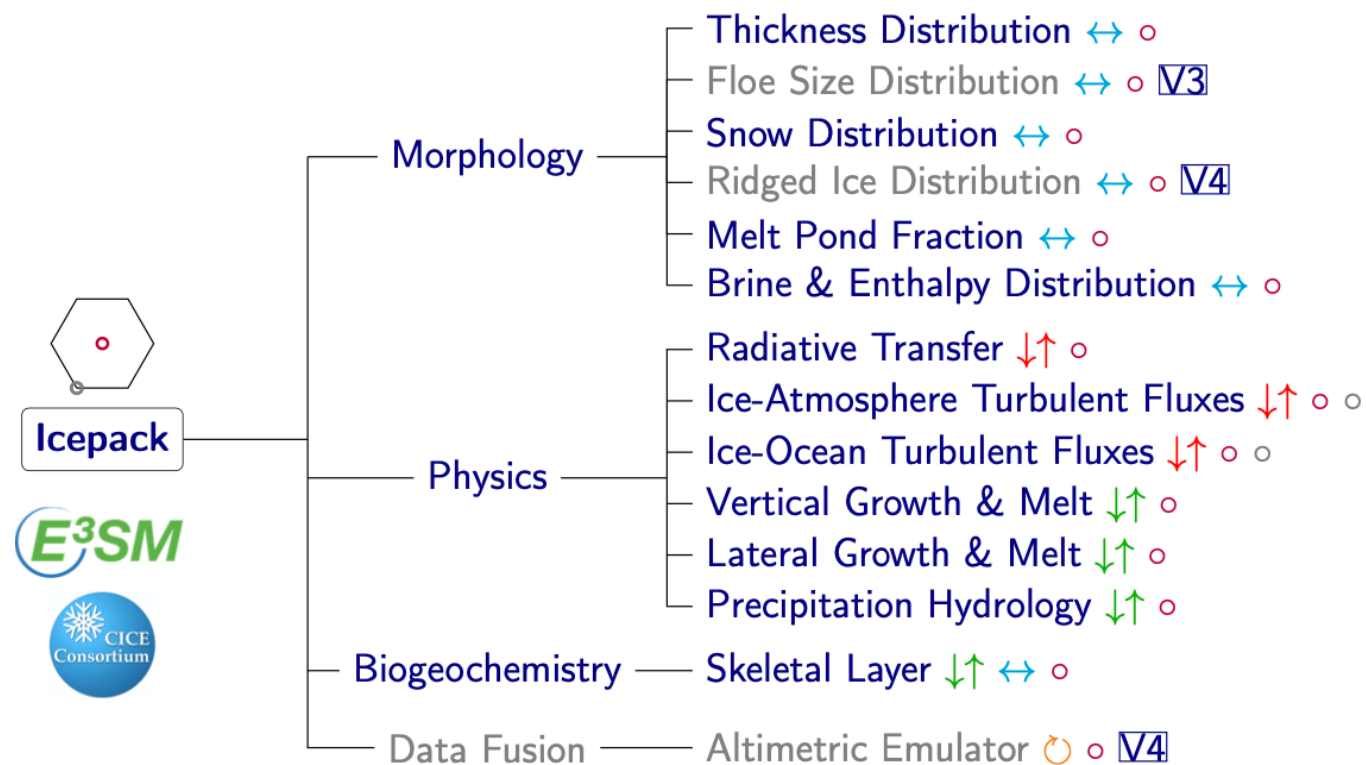
Arctic sea ice, ridges, melt ponds, open water. D. Perovich

MPAS- Seaice uses Icepack for column physics

Physical processes that affect the area and thickness of sea ice



E3SM implementation of Icepack from the CICE Consortium



Arrows indicate energy (↓↑) and mass (↓↑) flux exchange with the ocean and atmosphere, as well as horizontal advection (↔) using a dynamical core with Icepack. Small circles indicate the location of current (○) Icepack calculations, and preferred (○) column calculations in the case of a CD grid. ○ indicates observational emulation in run time.

What does MPAS-Seaice do?

- Dynamics
 - Momentum
 - Stress
 - Transport
 - tracers
 - Mechanical redistribution (ridging)
- Thermodynamics
 - Radiation
 - Mushy layer
 - Melt terms
 - Top (surface) and bottom (basal)
 - Growth terms
 - Bottom accretion (congelation)
 - Frazil formation
 - Snow-ice formation

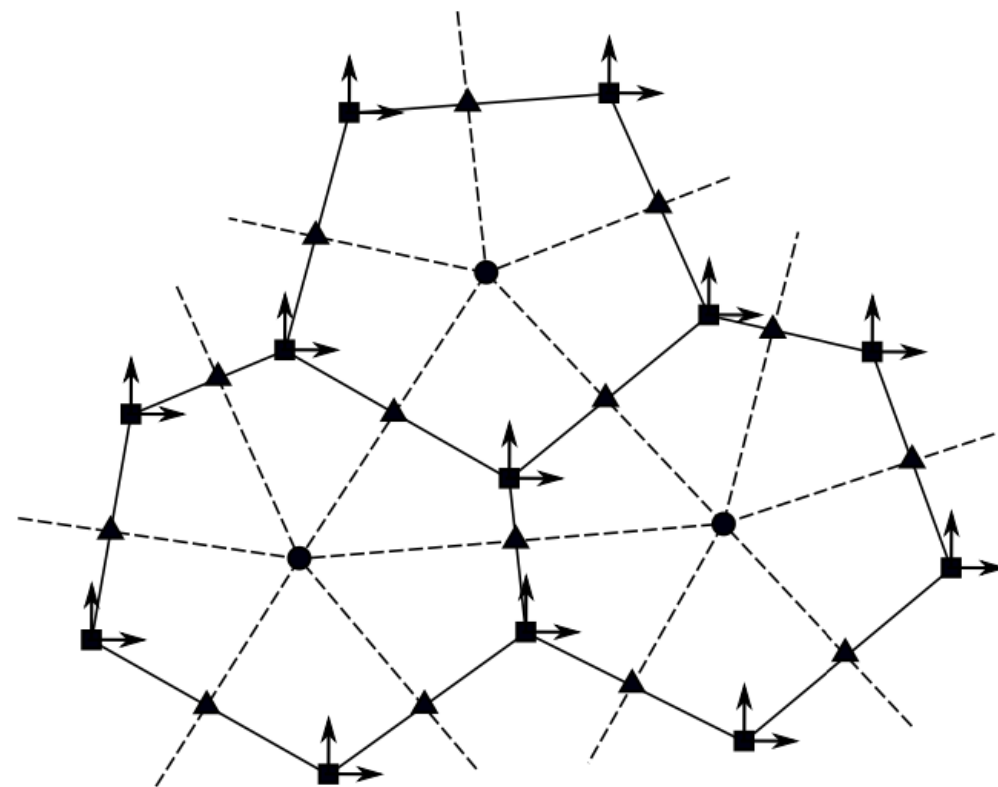
- Ice thickness distribution
- Other physics
 - Melt ponds
 - Snow
 - Biogeochemistry
 - Floe size distribution (new!)
- Analysis members
- Driver (coupling interface)
- I/O

MPAS-Seaice

Icepack

MPAS-Seaice overview

- MPAS-Seaice is based on Multiple Prediction Across Scale (MPAS) framework
 - Unstructured mesh, Voronoi tessellation
 - Shares mesh with ocean
- Continuum model
 - Sea ice occupies a percentage of a grid cell, individual floes are not resolved.
- Uses a “B-grid”
 - Sea ice velocity is defined at cell vertices
 - Sea ice concentration, volume, and tracers defined at cell centers.

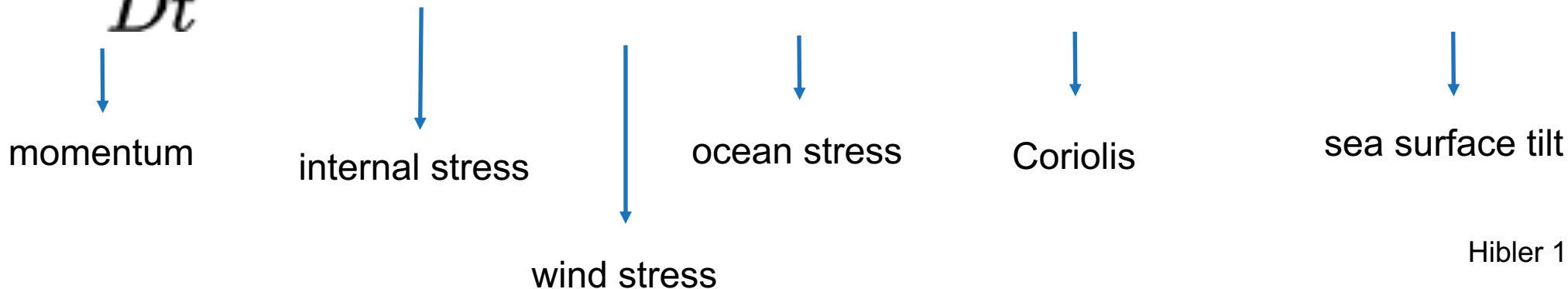


Sample from an MPAS mesh showing the primal mesh (solid lines), the dual mesh (dashed), and velocity components aligned with a locally Cartesian coordinate system (east/north).

Sea ice dynamics

The sea ice momentum equation is:

$$m \frac{D\mathbf{u}}{Dt} = \nabla \cdot \sigma + \vec{\tau}_a + \vec{\tau}_w - k \times m f \mathbf{u} - mg \nabla H_o$$



Hibler 1979

Sea ice dynamics

The equation we actually solve (neglecting advective acceleration terms) is:

$$m \frac{\partial \mathbf{u}}{\partial t} = \nabla \cdot \sigma + \overrightarrow{\tau}_a + \overrightarrow{\tau}_w - k \times m f \mathbf{u} - m g \nabla H_o$$

↓

momentum

↓

internal stress

↓

wind stress

↓

ocean stress

↓

Coriolis

↓

sea surface tilt

Hibler 1979

- The internal stress calculation comprises the bulk of the computational cost and is where elastic-viscous-plastic (EVP) rheology (Hunke & Dukowicz, 1997) for sea ice comes in.

Sea ice transport

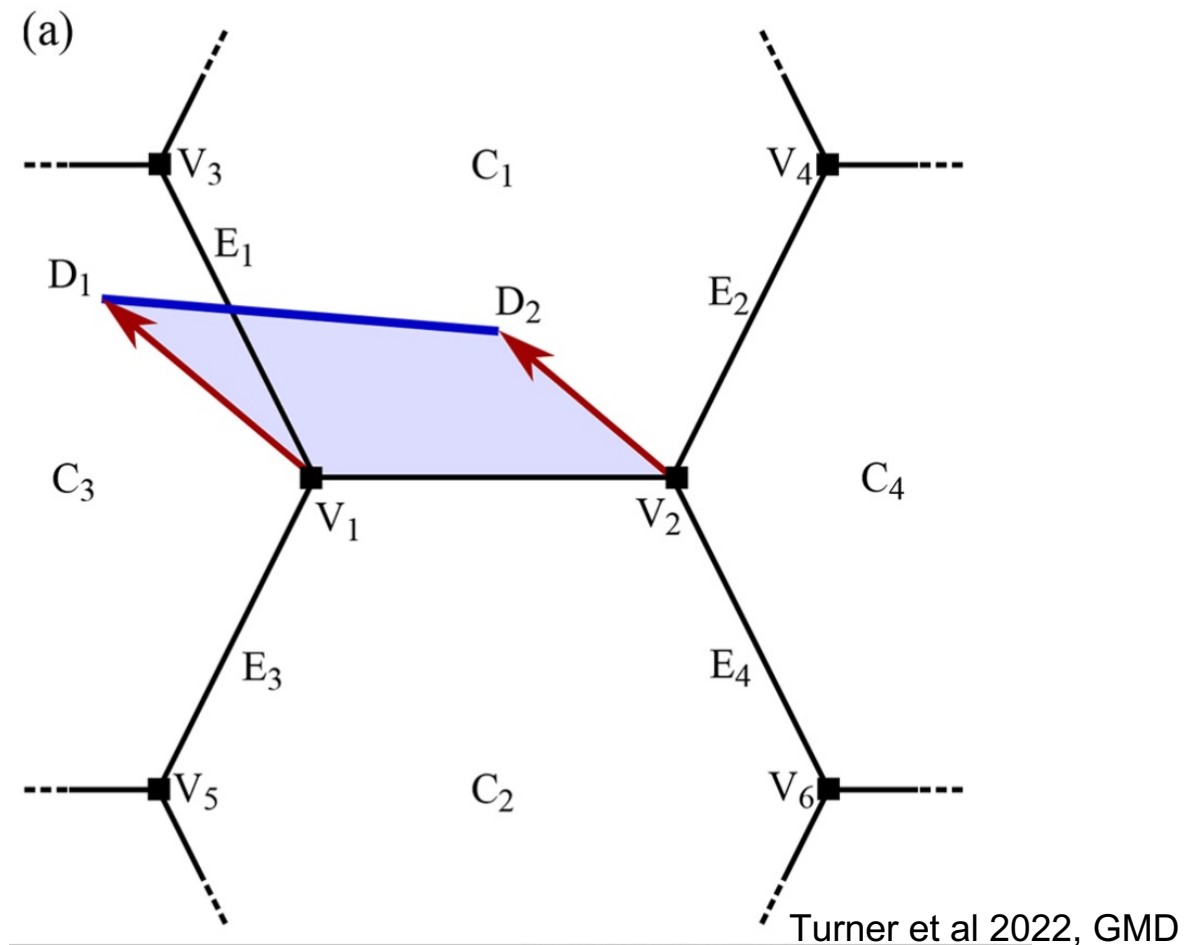
- Transport is done via incremental remapping (Lipscomb & Hunke 2004, MWR)
- Incremental remapping is designed to be conservative, i.e.

$$\frac{\partial c}{\partial t} + \nabla \cdot c \vec{u} = 0$$

- And for a tracer h (e.g. ice thickness)

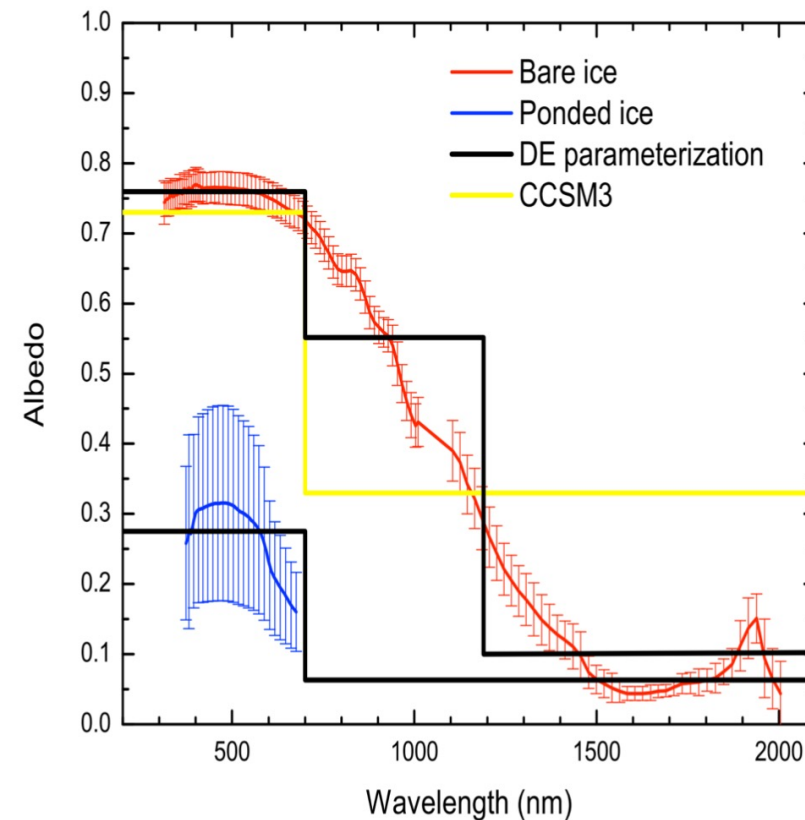
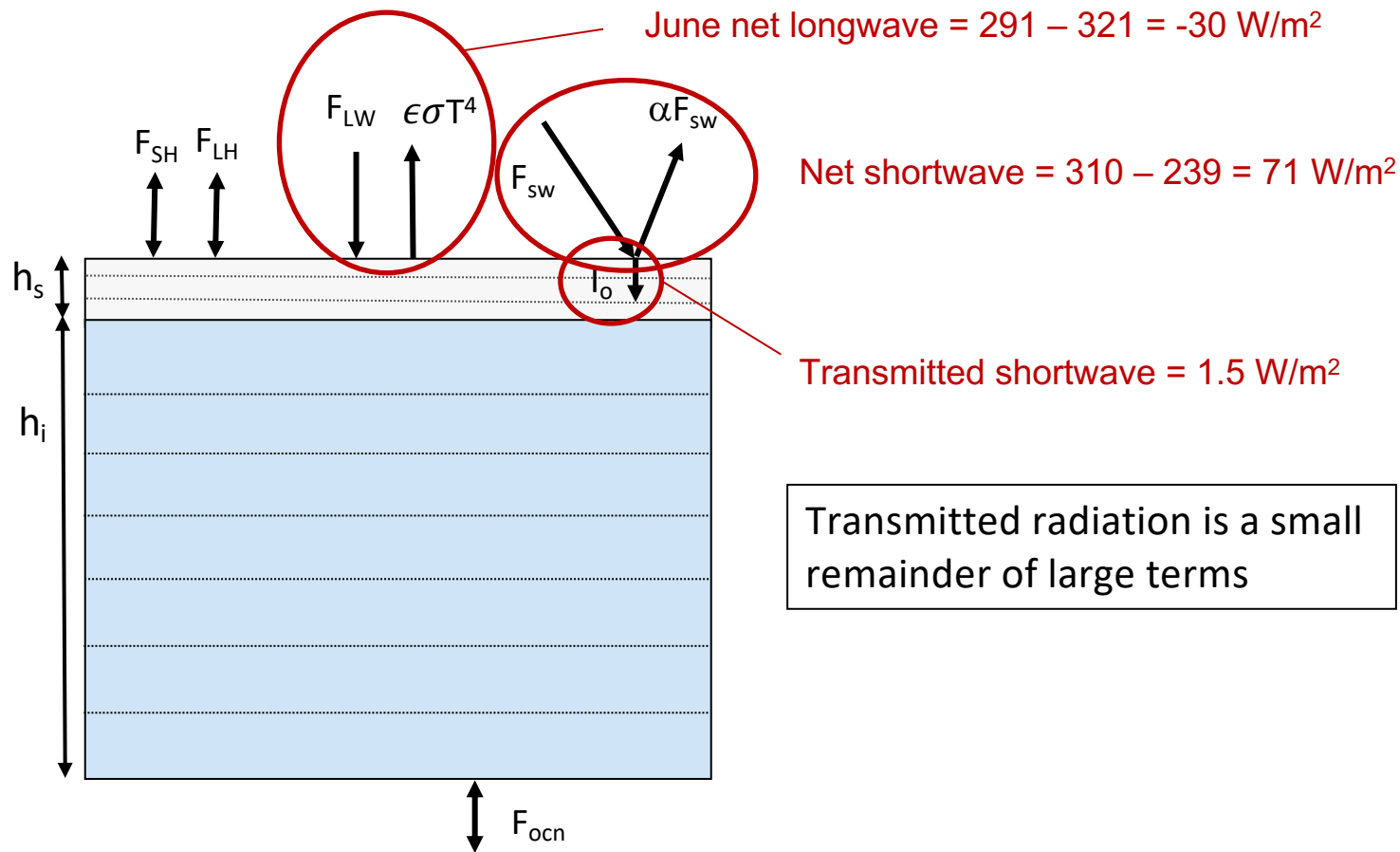
$$\frac{\partial ch}{\partial t} + \nabla \cdot ch\vec{u} = 0$$

- IR is also monotonic, and scales well with additional tracers



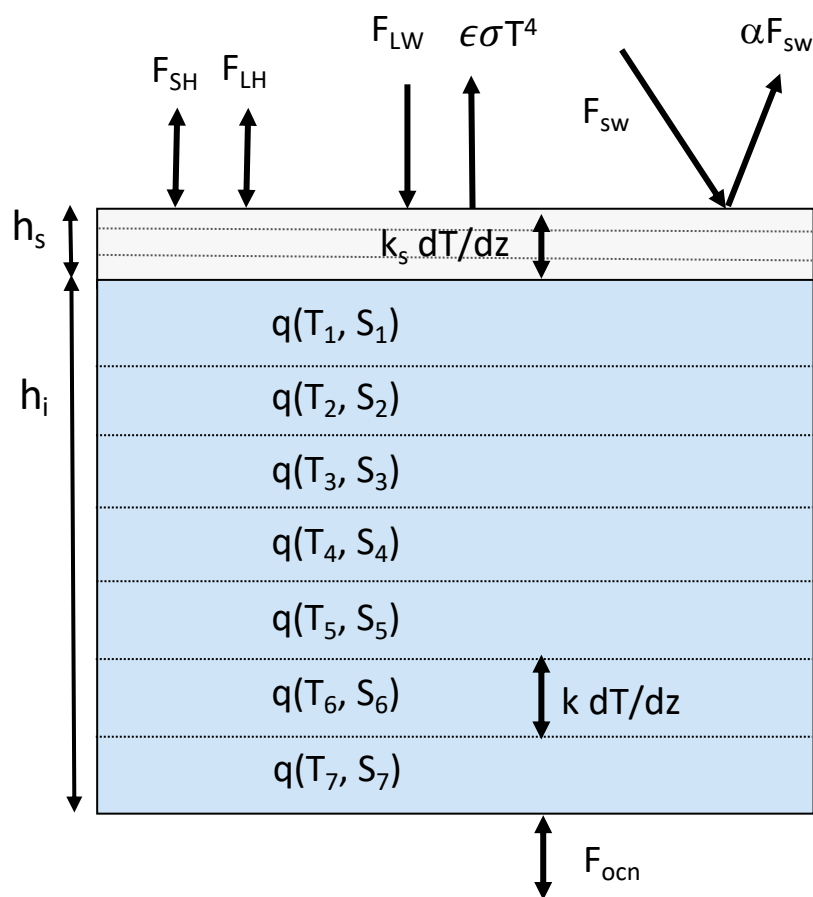
Schematic showing transport across a cell edge on an MPAS mesh. Backward trajectories shown as red arrows to departure points D.

Sea ice thermodynamics – radiation



Briegleb and Light, 2007

Sea ice thermodynamics – mushy layer



Sea ice is a multi-phase, multi-component material.

Calculate top, lateral, internal, and basal freezing and melting / dissolution

Top surface heat flux balance

$$(1 - \alpha)F_{SW} + F_{LW} - \epsilon \sigma T^4 + F_{SH} + F_{LH} - k \frac{\partial T}{\partial z} = q \frac{dh}{dt}$$

Vertical conduction of heat and salt

$$\frac{\partial q}{\partial t} = \frac{\partial}{\partial z} \left(K \frac{\partial T}{\partial z} \right) + w \frac{\partial q_{br}}{\partial z} + F$$

$$\frac{\partial S}{\partial t} = w \frac{\partial S_{br}}{\partial z} + G$$

$$\phi = \frac{S}{S_{br}} \quad K = \phi K_{br} + (1 - \phi) K_i$$

Bottom surface heat flux balance

$$F_{ocn} + k \frac{\partial T}{\partial z} = q \frac{dh}{dt}$$

There are more equations for the brine quantities, forcing terms, etc.

Ice thickness is influenced by

- Thermodynamic growth and melt
 - Top and bottom melt
 - Bottom accretion (congelation)
 - Frazil formation
 - Snow-ice formation
 - “Mushy layer” with prognostic salinity
- Mechanical redistribution (ridging, rafting)



Sea ice thickness distribution

$g(\mathbf{x}, h, t) dh$ = the fractional area covered by ice in the thickness range $(h, h + dh)$ at a given time t and location \mathbf{x}

$$\frac{\partial g}{\partial t} = -\nabla \cdot (g\mathbf{u}) + \psi - \frac{\partial}{\partial h}(fg) + L,$$

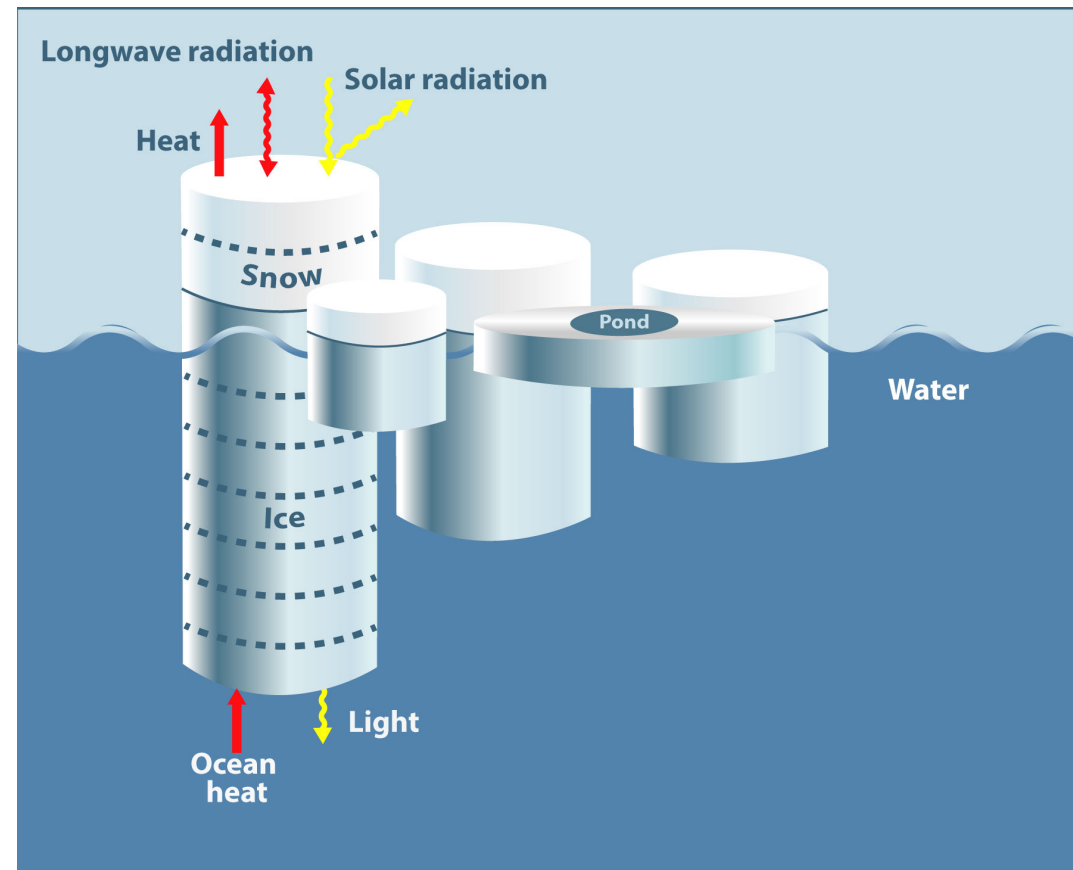
$$\nabla = \left(\frac{\partial}{\partial x}, \frac{\partial}{\partial y} \right)$$

\mathbf{u} = horizontal ice **velocity**

ψ = mechanical redistribution function

f = rate of **thermodynamic** ice growth

L = lateral melting



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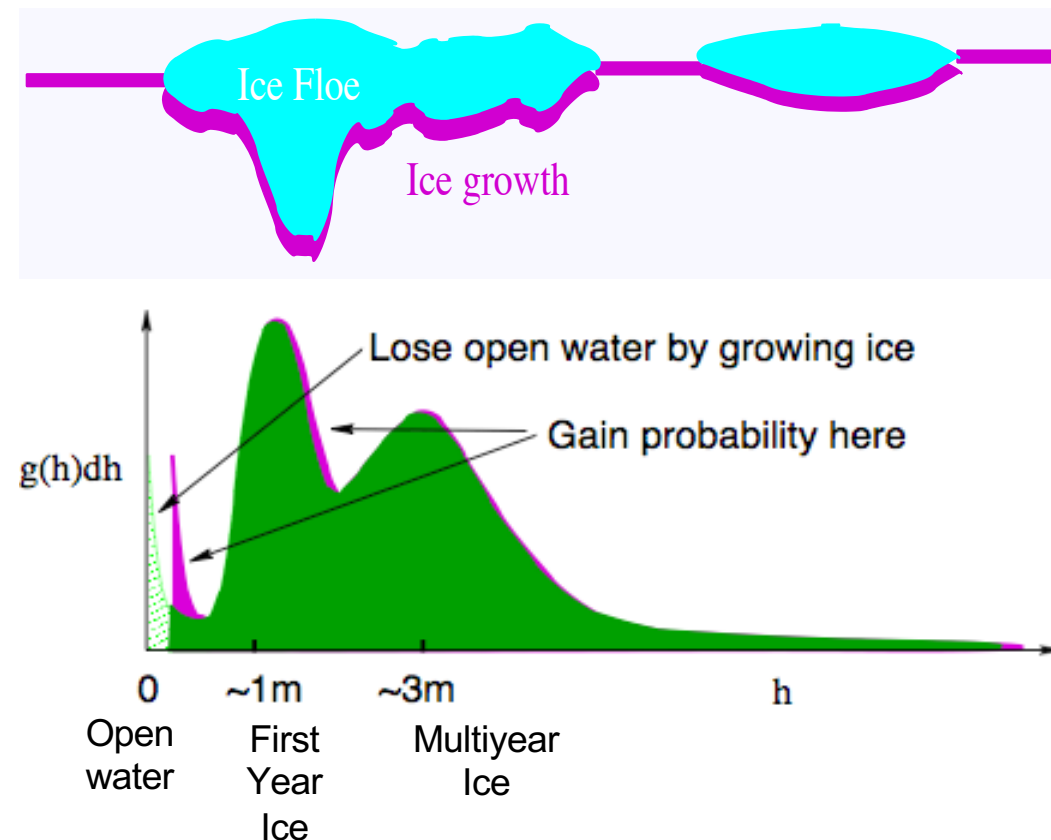
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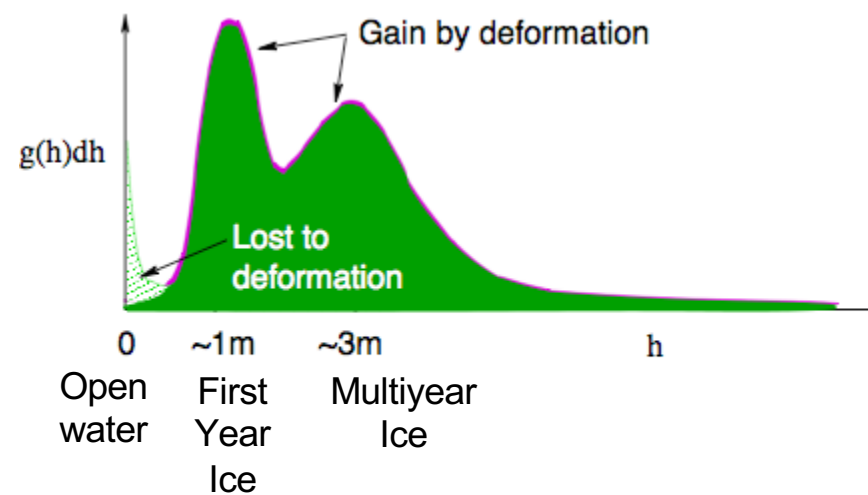
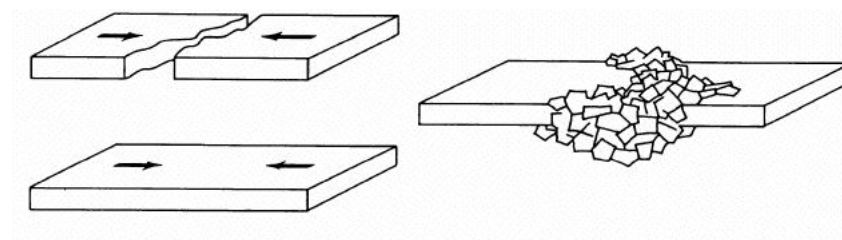


Sea ice thickness distribution

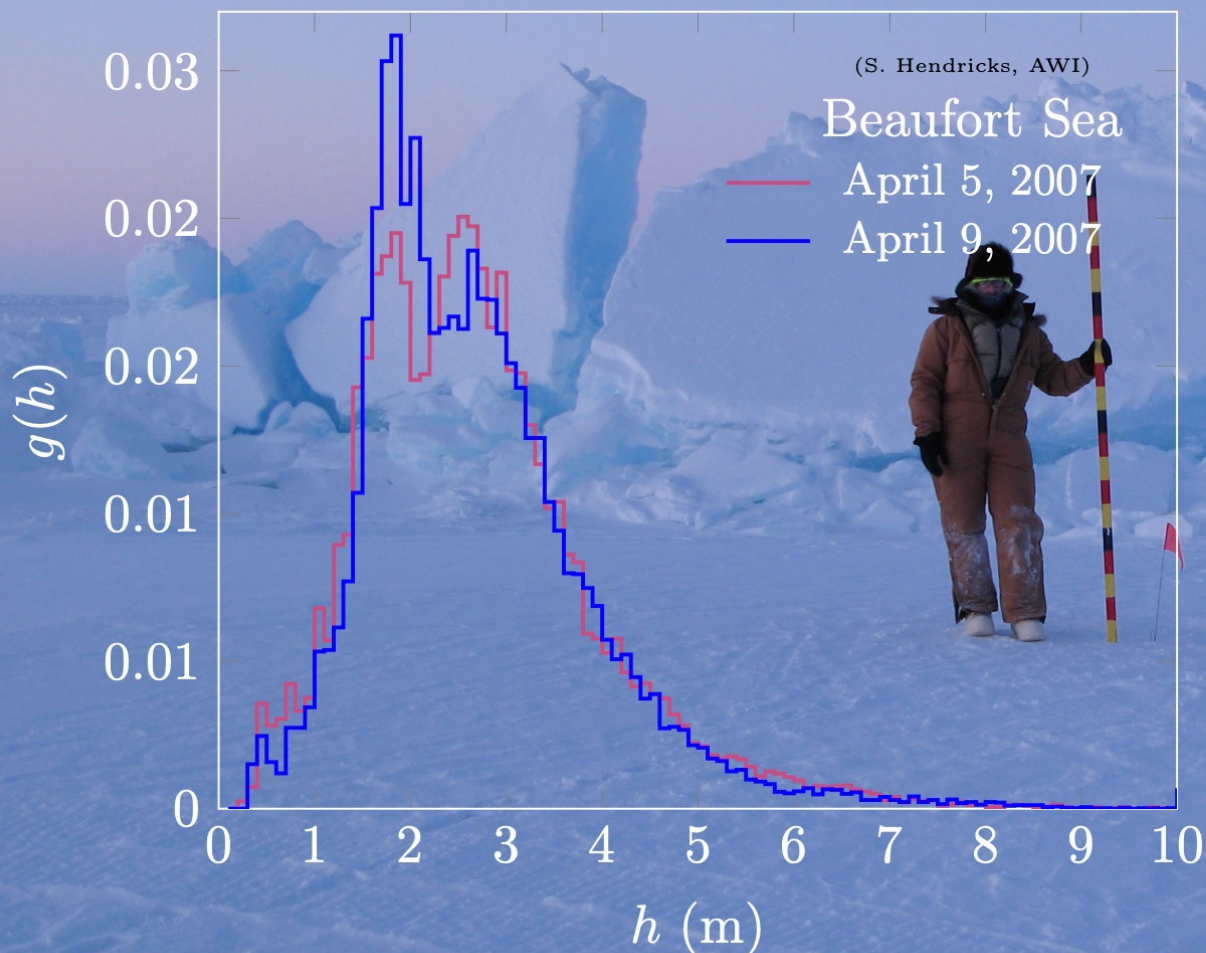
Mechanical redistribution: Transfer from thin part of distribution to thicker categories



Hajo Eicken



Sea Ice Thickness Distribution



$$m = \rho \int_0^{\infty} g(h) h dh$$

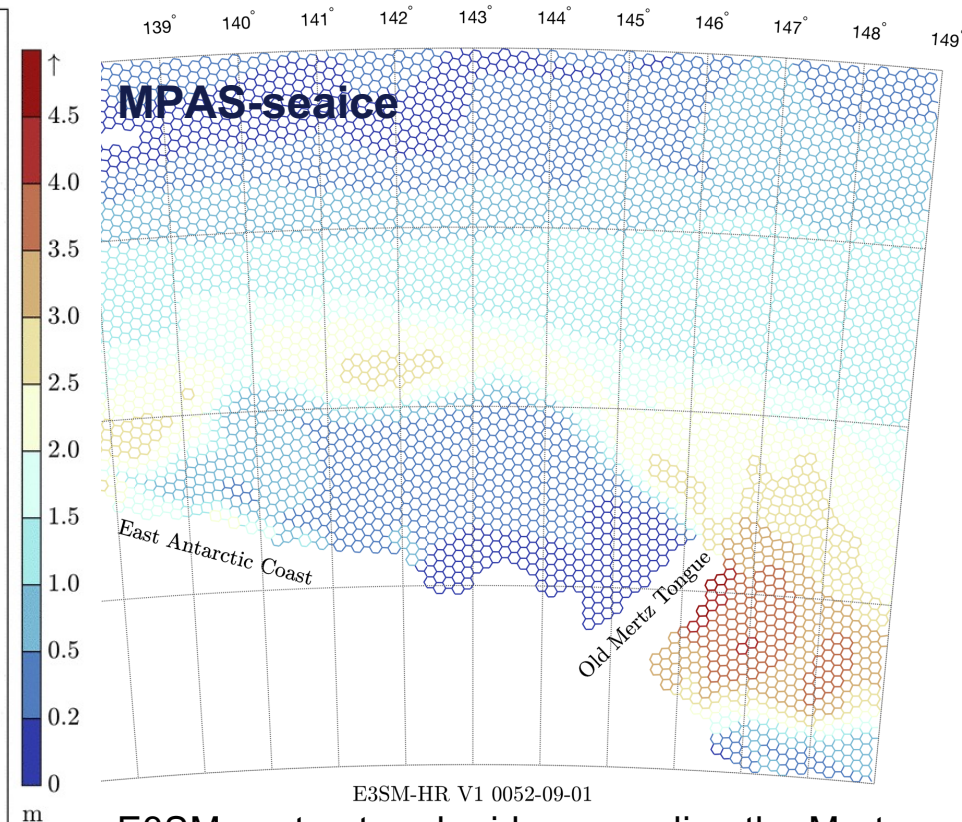
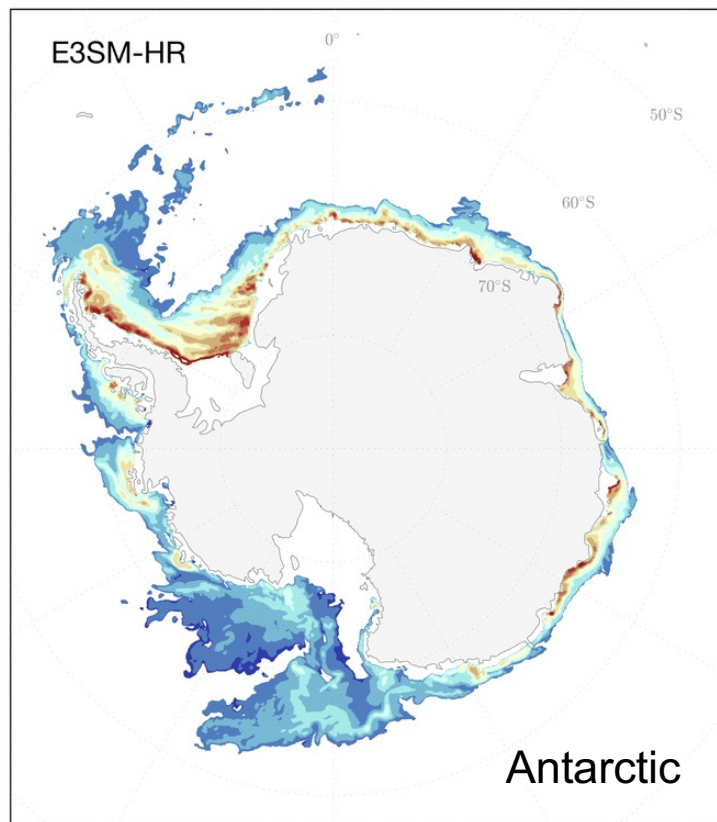
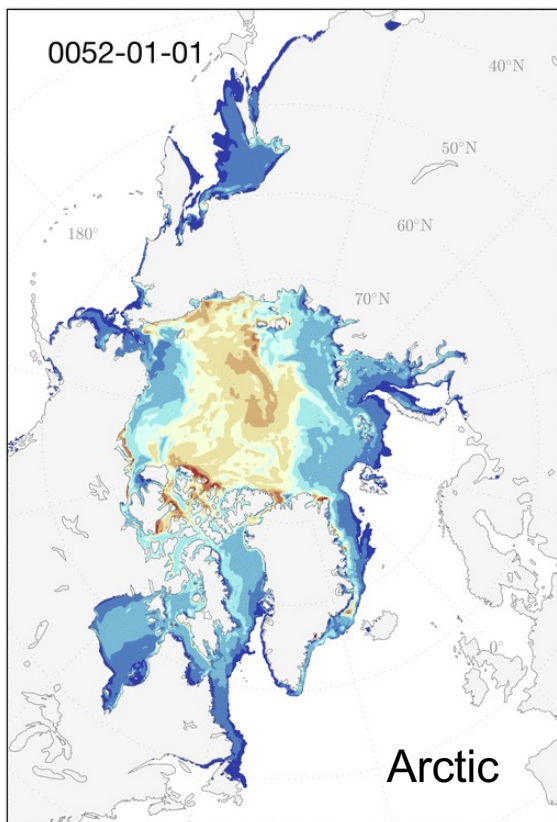
$g(h)$ is used to describe
mass conservation in
sea ice models:

$$\frac{dg}{dt} = \Psi + \Theta - g(\nabla \cdot \dot{\mathbf{x}})$$

Ψ Dynamic Redistribution,
 Θ Thermodynamic Redistribution

Andrew Roberts

Fully Coupled High-Resolution E3SM V1



Single annual cycle of sea ice thickness from a 50+ year fully coupled simulation using the HighResMip 1950 repeated year protocol

E3SM unstructured grid surrounding the Mertz Glacier Polynya in the East Antarctic, colored according to ice thickness.

Resolution:

- atmosphere, land 25 km
- ocean, sea ice: 6 km near the poles expanding to 18 km near the equator

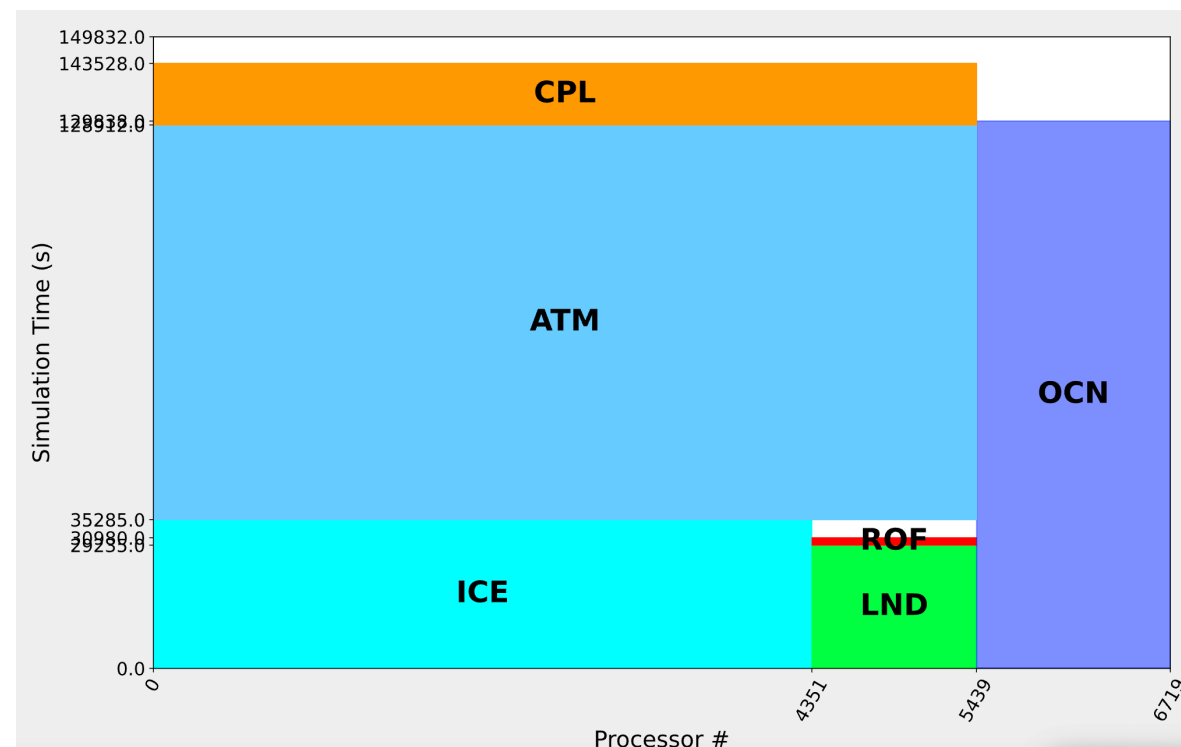


Key Contributors: Peter Caldwell, Luke VanRoekel, Azamat Mametjanov, Adrian Turner, Chris Golaz, Milena Veneziani, Wuyin Lin, Mat Maltrud, Jon Wolfe, Andrew Roberts



Documentation & References

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- <https://cice-consortium-icepack.readthedocs.io/en/main/>
- MPAS-Seaice overview manuscript: Turner, A.K., Lipscomb, W.H., Hunke, E.C., Jeffery, N., Engwirda, D., Ringler, T.D. and Wolfe, J.D., 2022. MPAS-Seaice (v1. 0.0): sea-ice dynamics on unstructured Voronoi meshes. *Geoscientific Model Development*, 15(9), pp.3721-3751.



v3 performance by component

e3sm.org