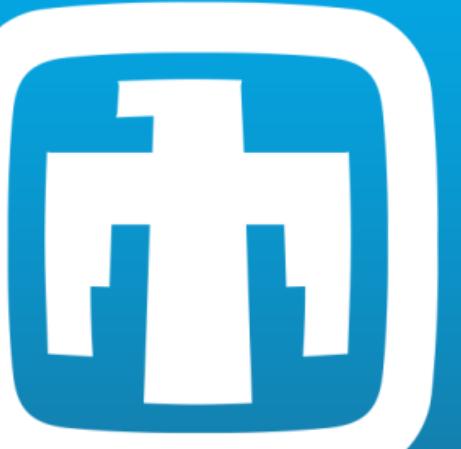


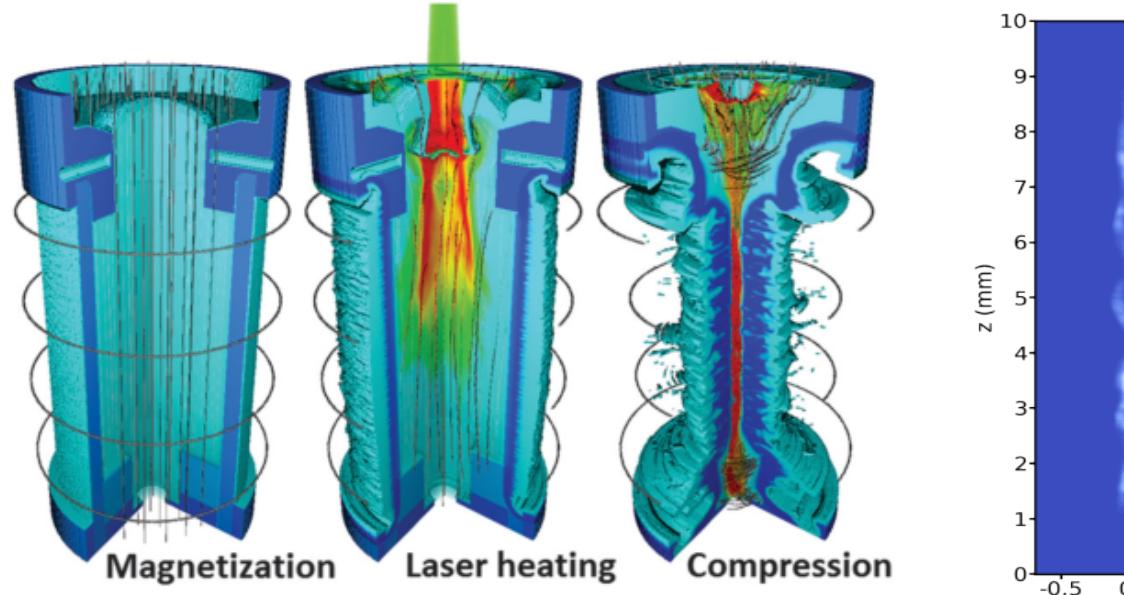
# Data-driven design and discovery for Magnetized Liner Inertial Fusion

Presented by W. E. Lewis with contributions from P.F. Knapp *et al.*<sup>[1,2]</sup>, J.R. Fein *et al.*<sup>[3]</sup>, and the MagLIF Team

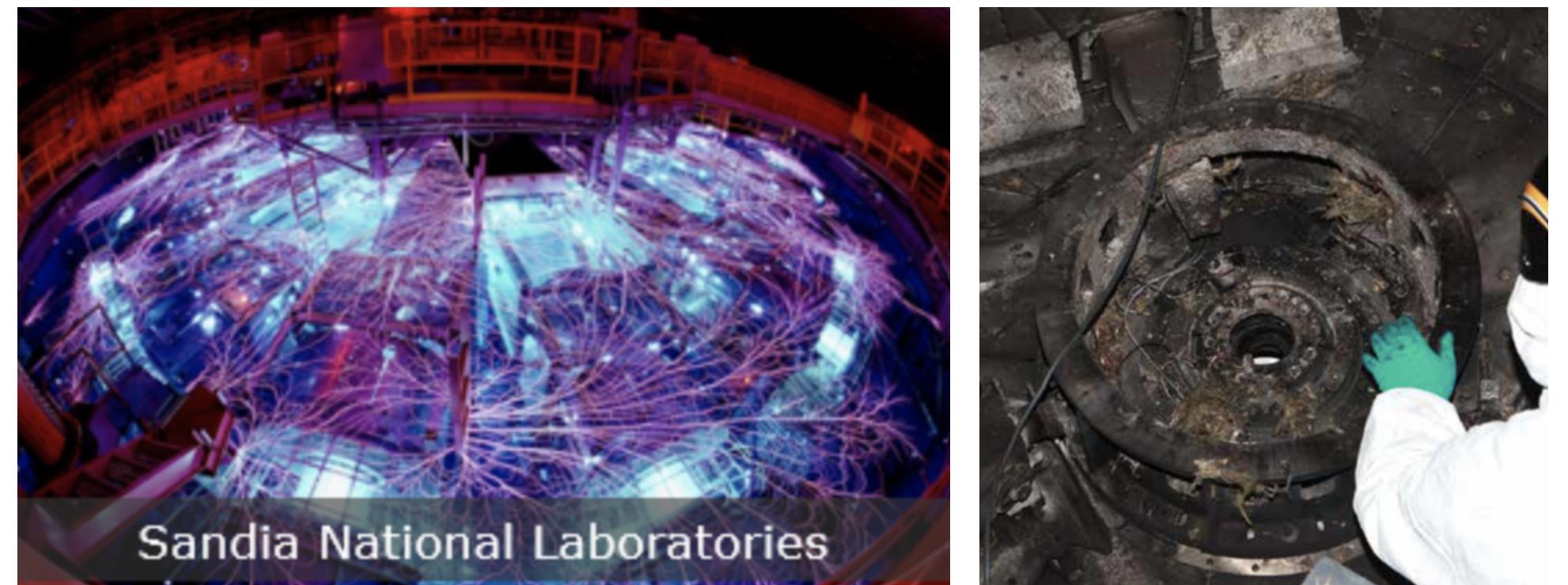


## Introduction<sup>[4,5,6,7]</sup>

Magnetized Liner Inertial Fusion produces a hot (multi-keV), dense ( $\sim 1 \text{ g/cc}$ ), and macroscopic ( $\text{O}(10\text{mm})$  tall and  $\text{O}(0.1\text{mm})$  diameter) cylindrical  $\text{D}_2$  plasma. The fusion fuel at stagnation is well within the high energy density (HED) matter regime, with thermal pressures that can exceed 1Gbar.



Extreme HED environments produced at Sandia's Z pulsed power facility place stringent constraints on diagnostic access and required robustness. Furthermore, experiments are costly, measurements are often highly spatially-spectrally- and/or temporally- integrated, and complex Multiphysics simulations are computationally expensive. These features represent significant challenges for experiment design and physics discovery.

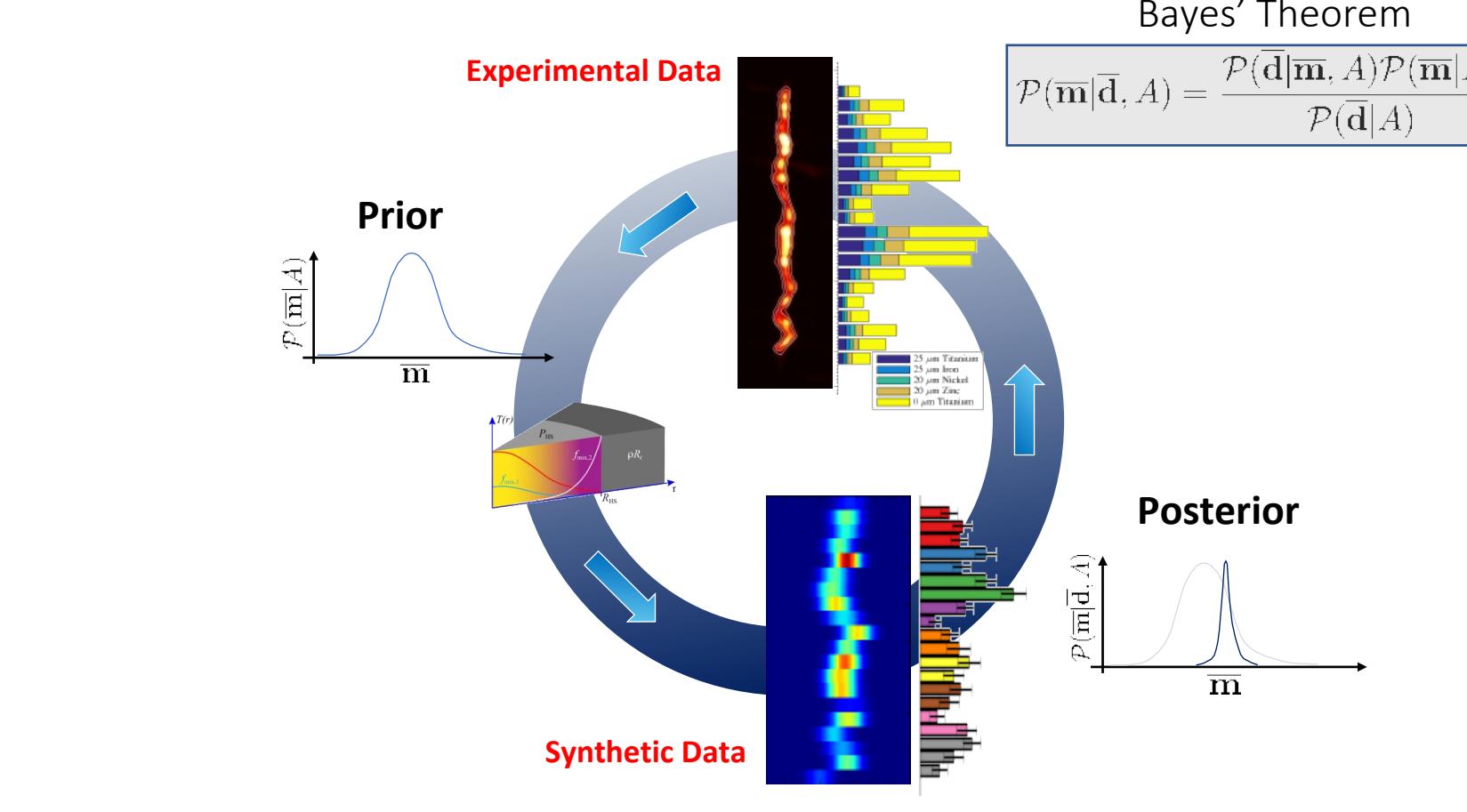


Data-driven approaches are being developed to accelerate discovery and improve automation, uncertainty quantification, and reproducibility. We highlight several published and ongoing projects demonstrating application to both experiment design and data analysis.

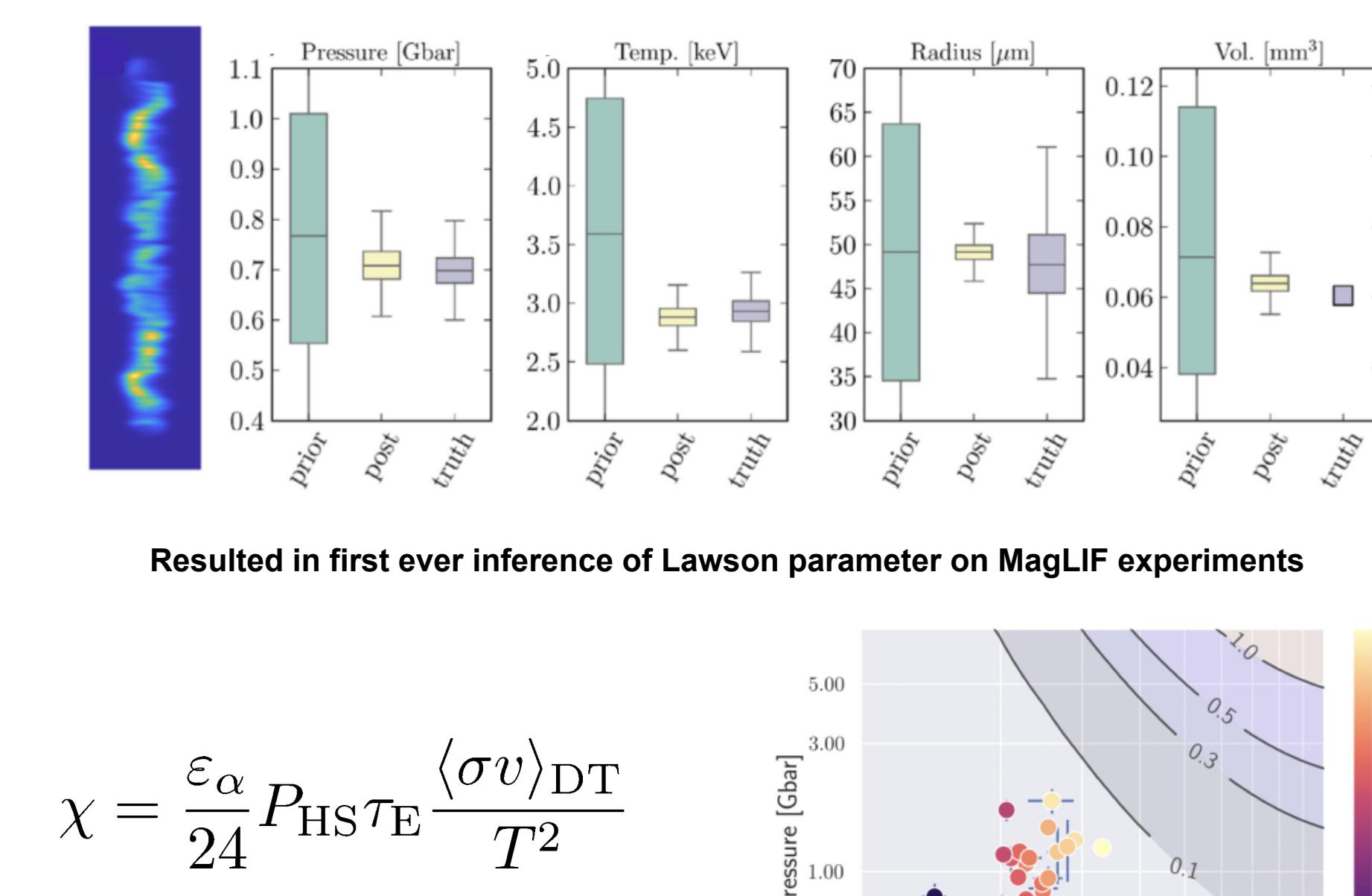
## Bayesian Data Assimilation for Performance

### Metrics<sup>[1]</sup>

Combining disparate data sources with Bayes' theorem allows consistent inference



Validation on 3D simulation data indicates unbiased inference



Resulted in first ever inference of Lawson parameter on MagLIF experiments

$$\chi = \frac{\varepsilon_\alpha}{24} P_{\text{HS}} \tau_E \frac{\langle \sigma v \rangle_{\text{DT}}}{T^2}$$

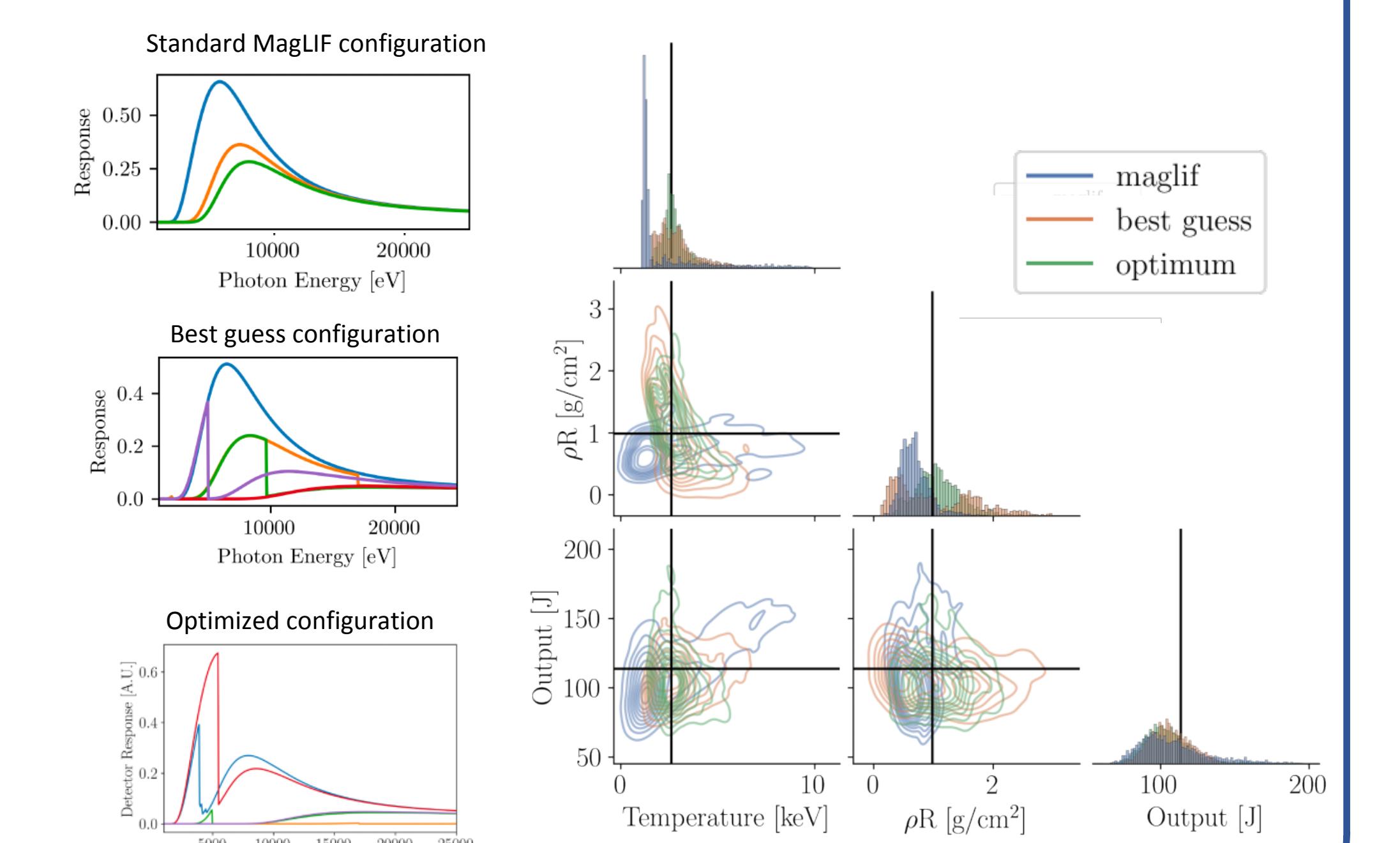
## Optimizing Experiment Design<sup>[2]</sup>

### Procedure

1. Choose  $z_i$
2. Create  $O_i$  from HFM
3. sample posterior
4. Compute MSE from posterior samples
5. Fit GP
6. Maximize EI
7. Repeat until stopping criterion

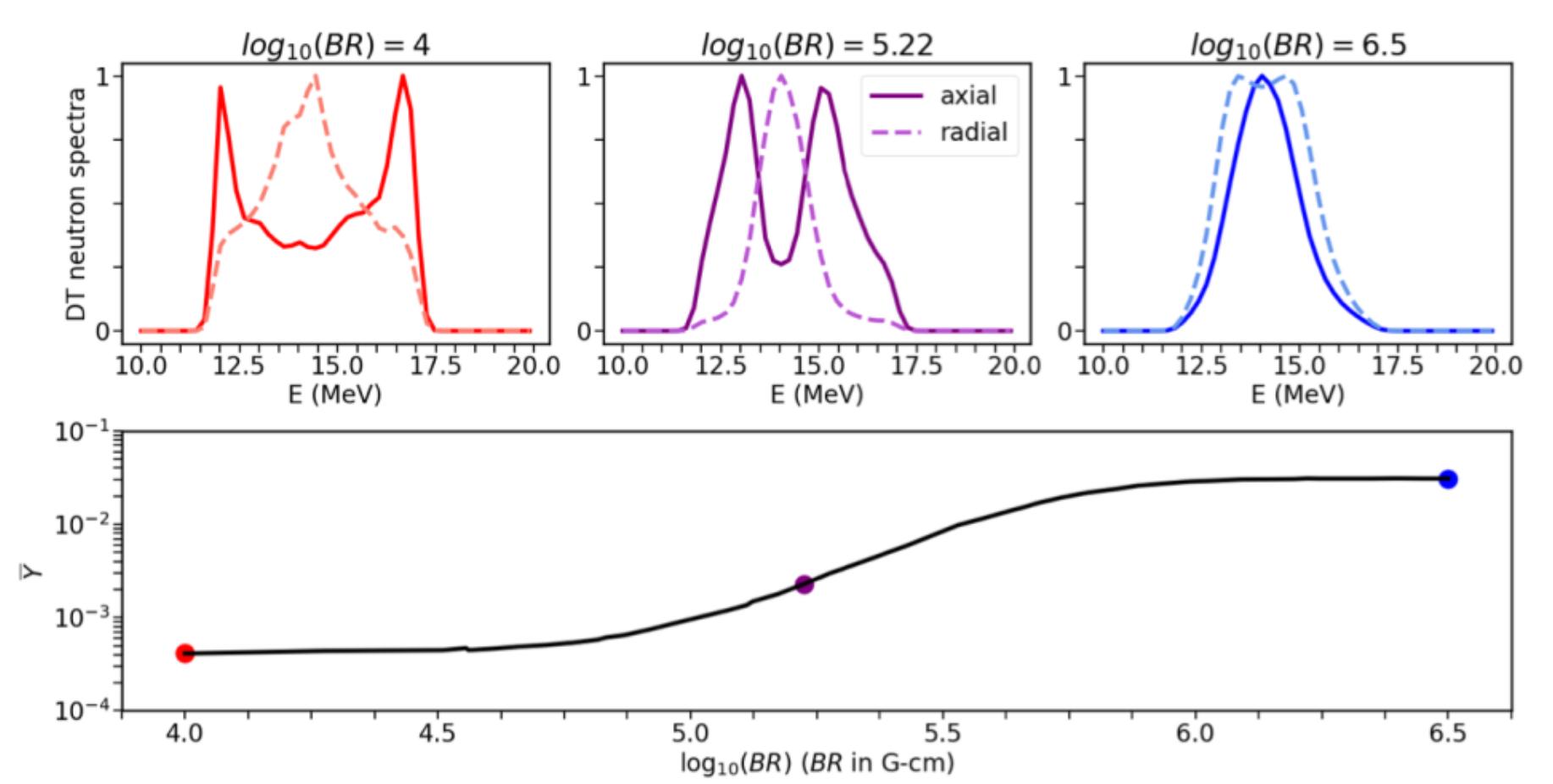
$$\mathcal{M} = \log(MSE + \lambda L) \quad Z_{\text{opt}} = \underset{z_i}{\text{argmin}} \sum_{j=1}^J \mathcal{M}_j$$

Example: Optimize radiation detector filters to minimize bias and variance in inferences

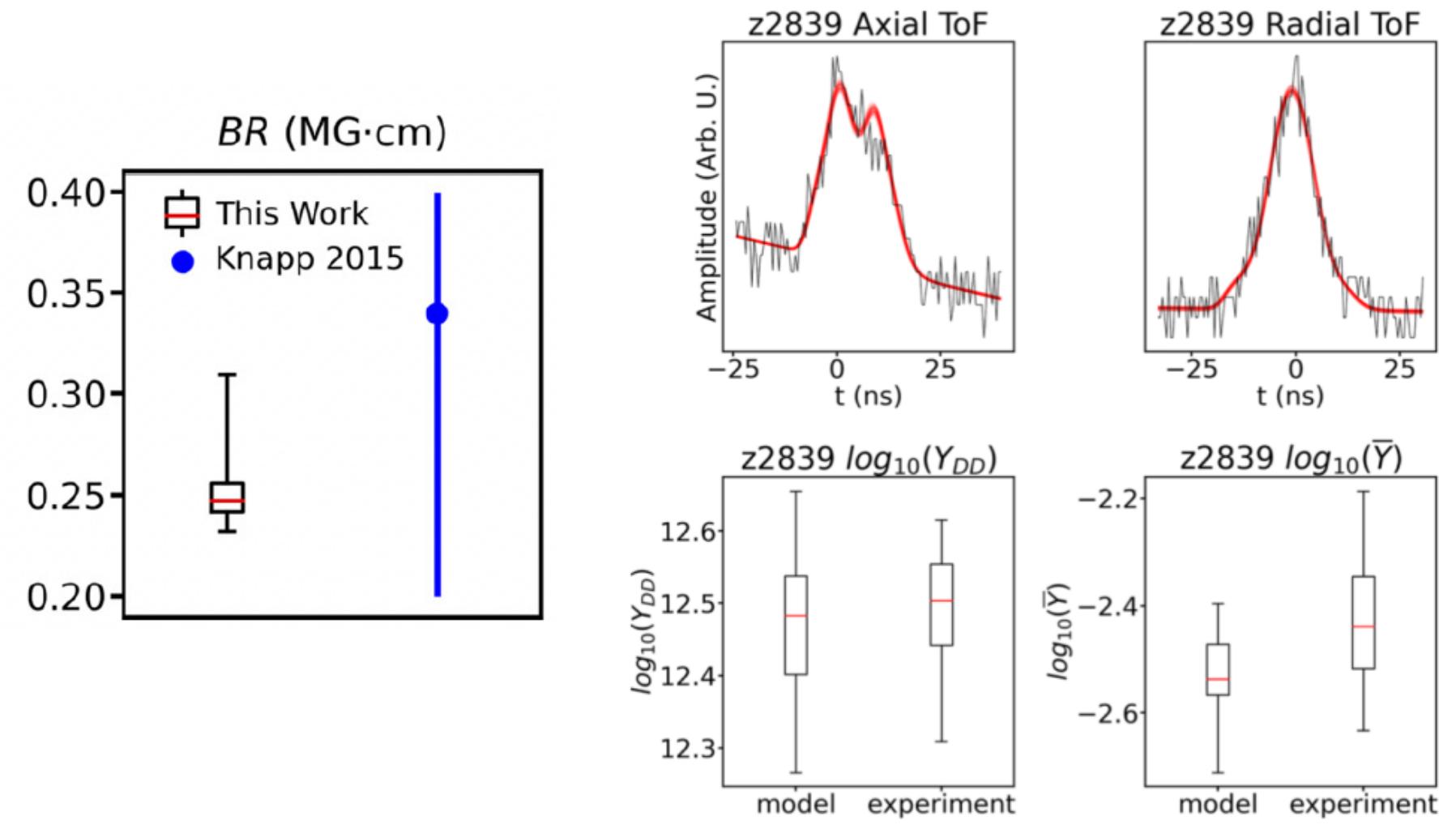


## Deep-Learning-Enabled Bayesian Inference of Fuel Magnetization<sup>[6,8,9,10]</sup>

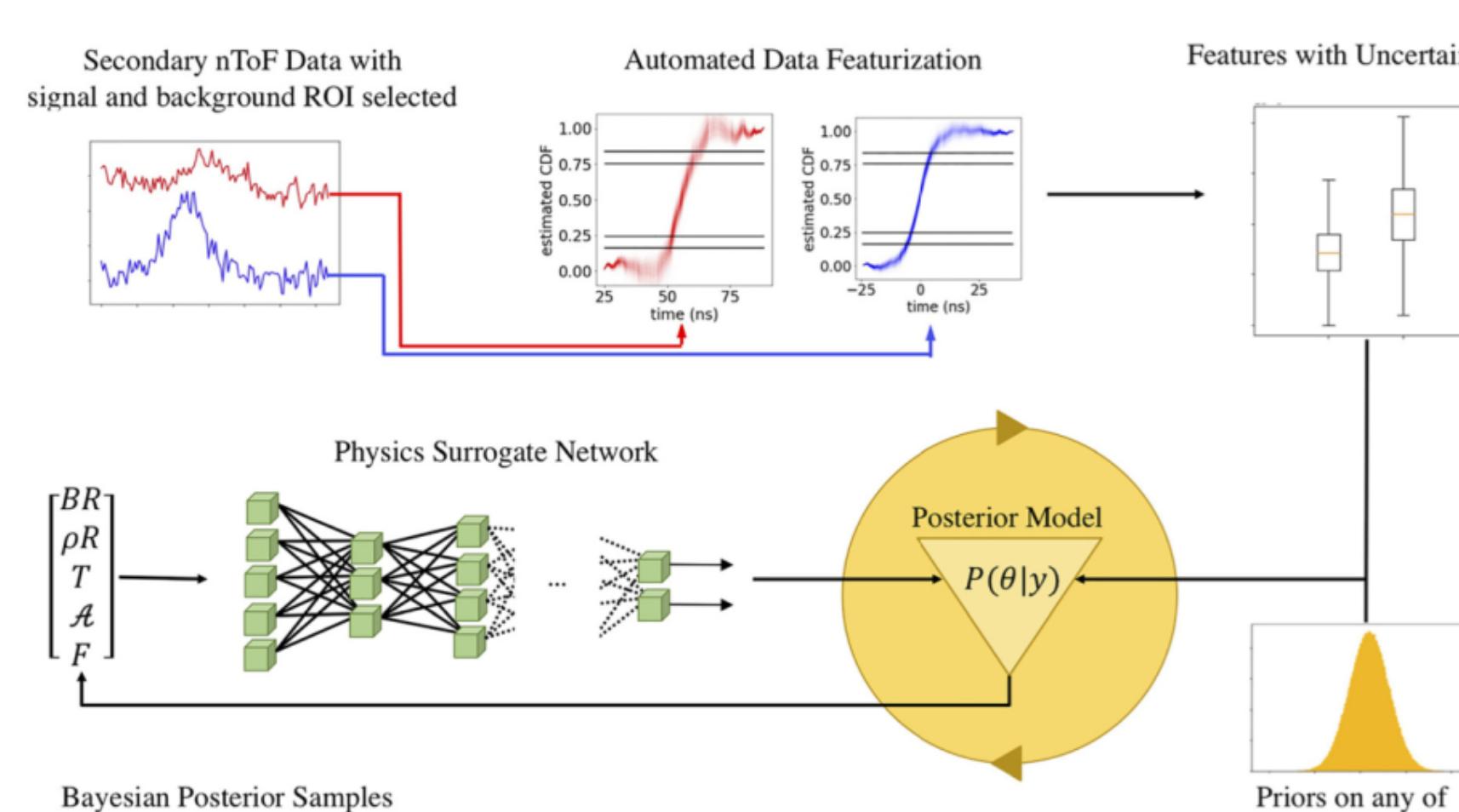
Nuclear diagnostics offer the only available method to characterize magnetic confinement parameter



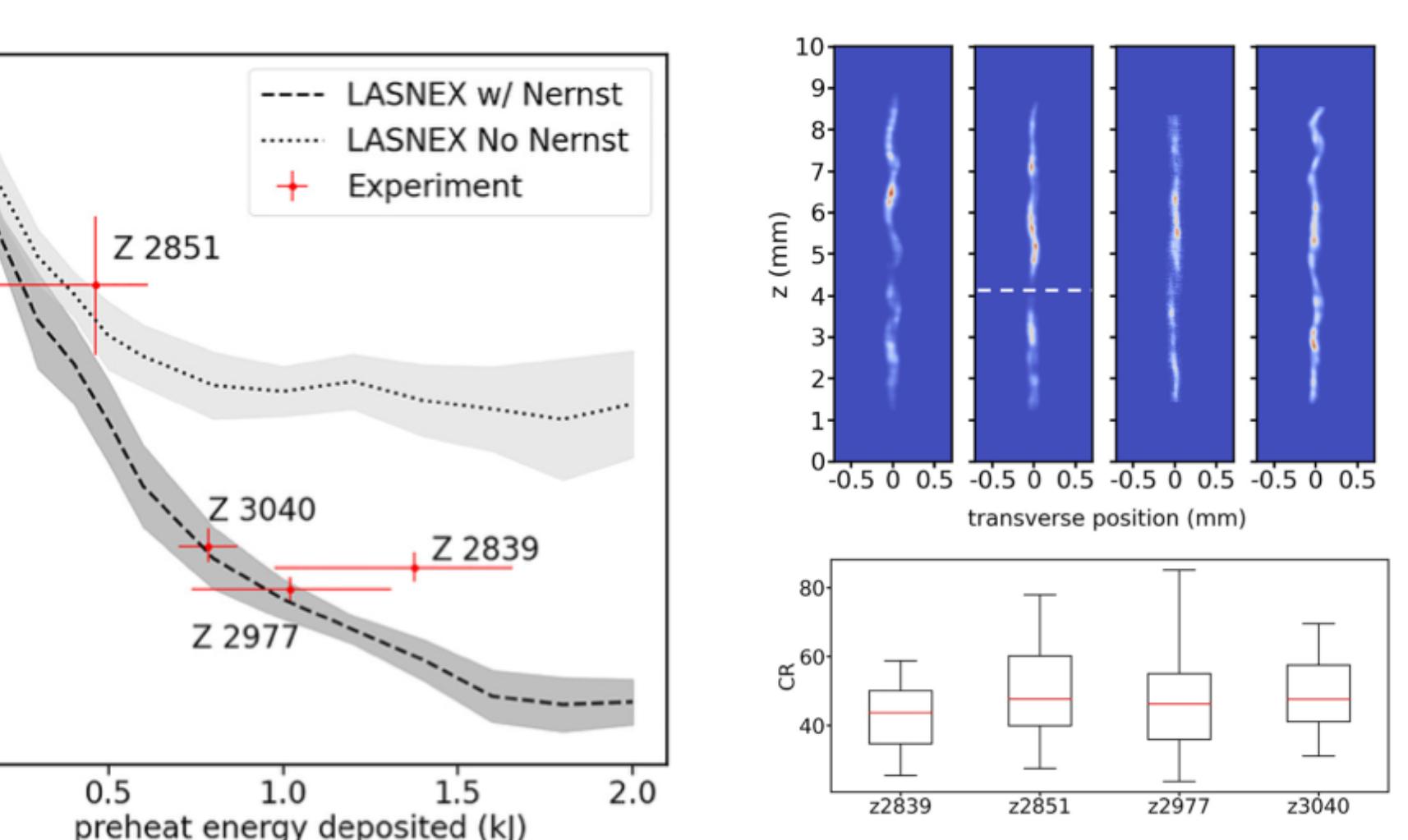
Posterior prediction intervals consistent with previous analysis and experimental data



Forward model is expensive, so we use a neural network surrogate to enable inference

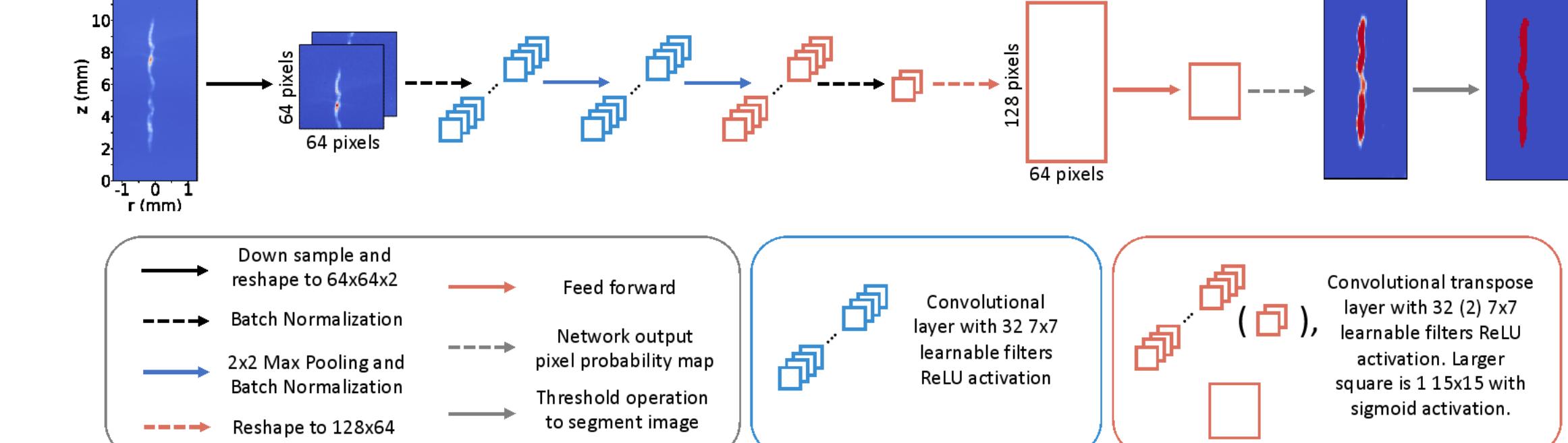


Fuel magnetization is consistent with flux loss via the Nernst effect



## Automated Image Processing and Morphological Assessment<sup>[11,12,13,14,15]</sup>

We developed a convolutional neural network based image segmentation to largely automate image preprocessing



Experimental data offers a model-free approach to assess image metric sensitivities to realistic features

