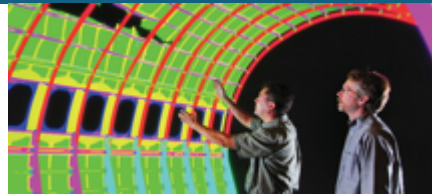




Coupled Mode Theory as a Unifying Concept in Multi-Mode Patch Antenna Design

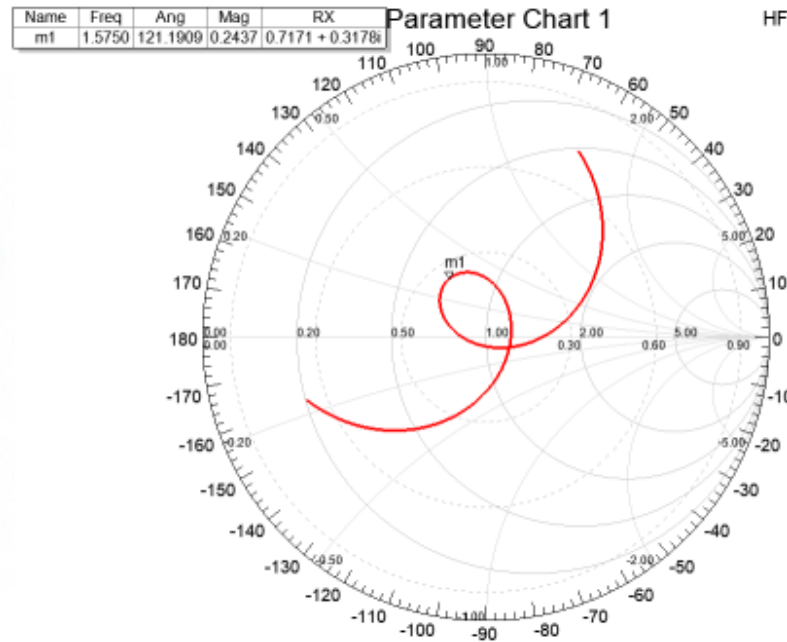


PRESENTED BY

John Borchardt jjborch@sandia.gov

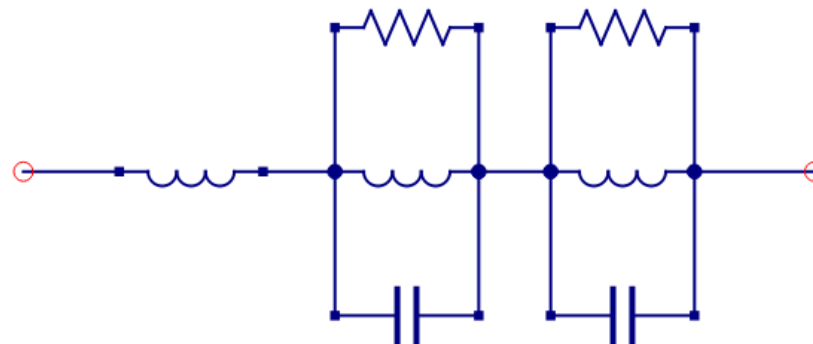
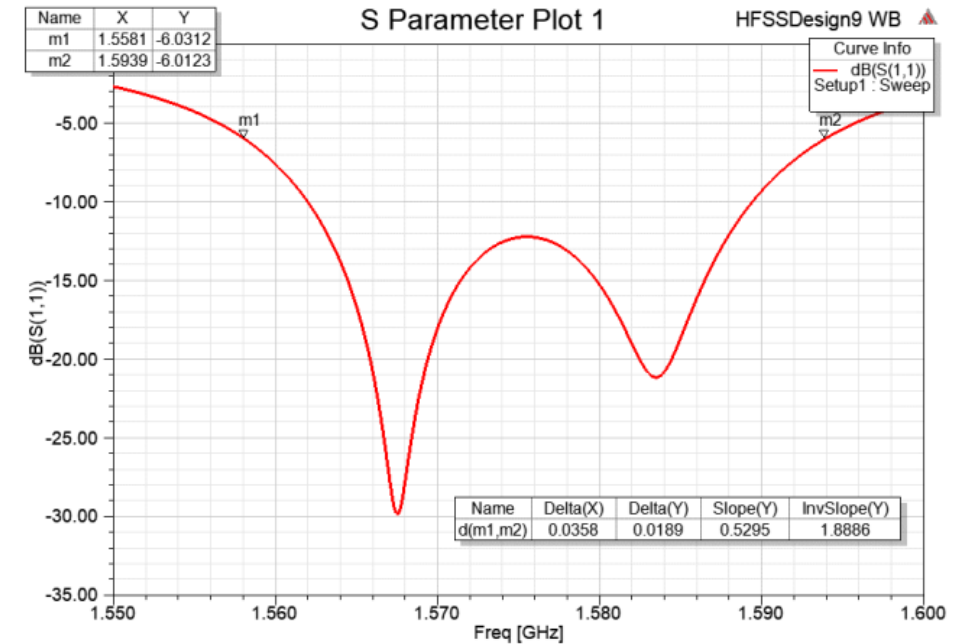
SAND2022-XXXX



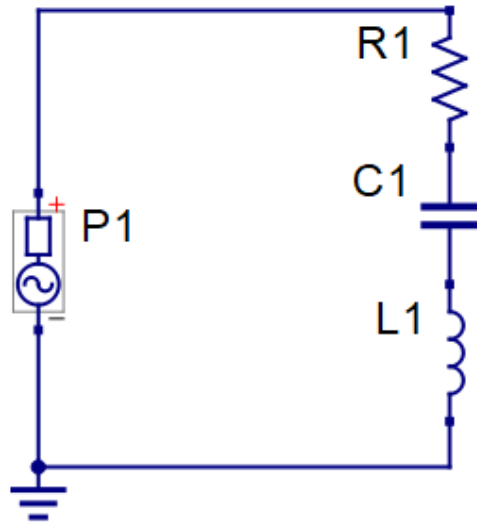


HFSSDesign9 WB

Curve Info
— S(1,1)
Setup1: Sweep



A simple resonator

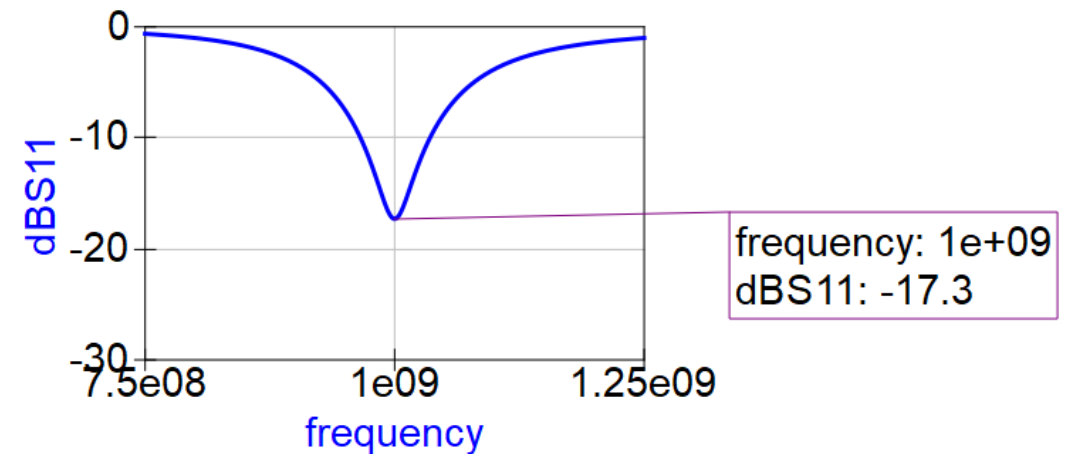
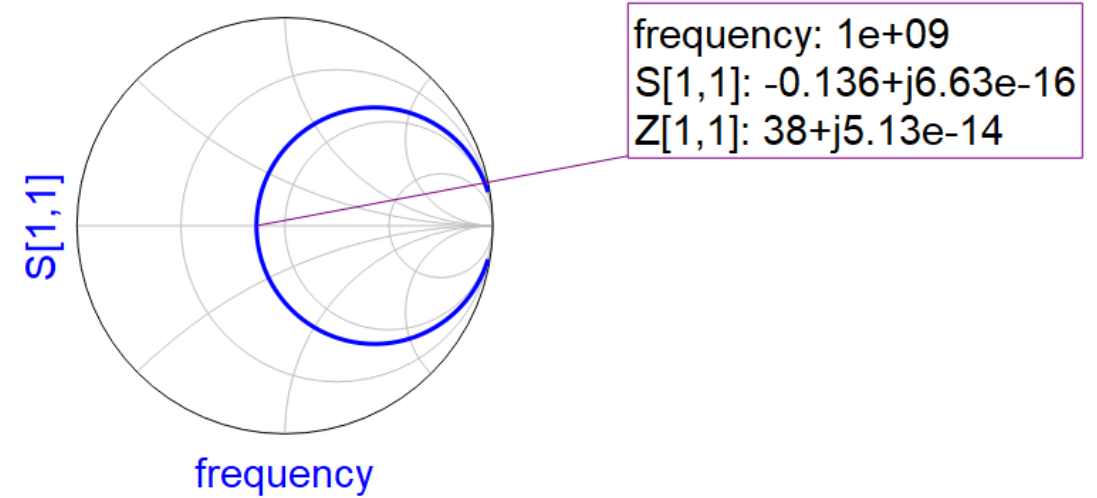


$$Z_{c1} = \sqrt{L/C} = 380$$

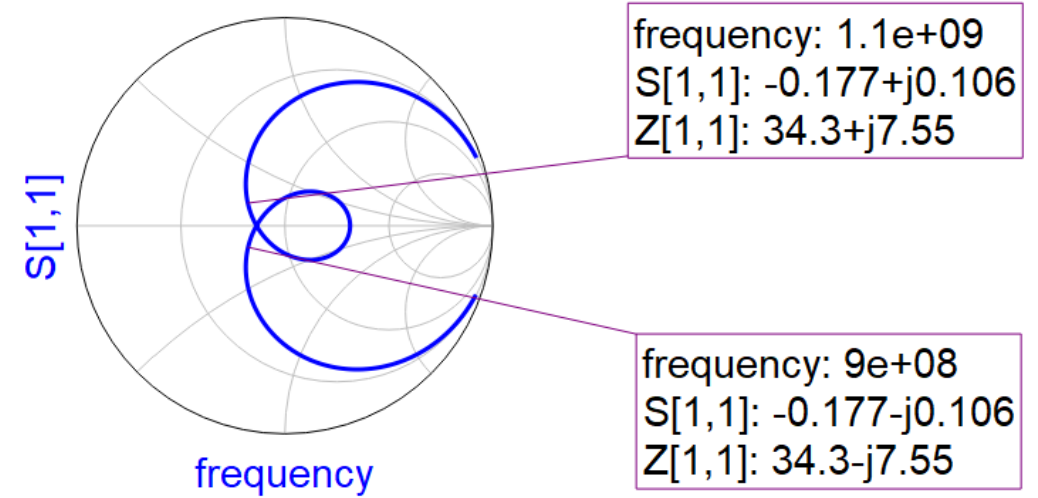
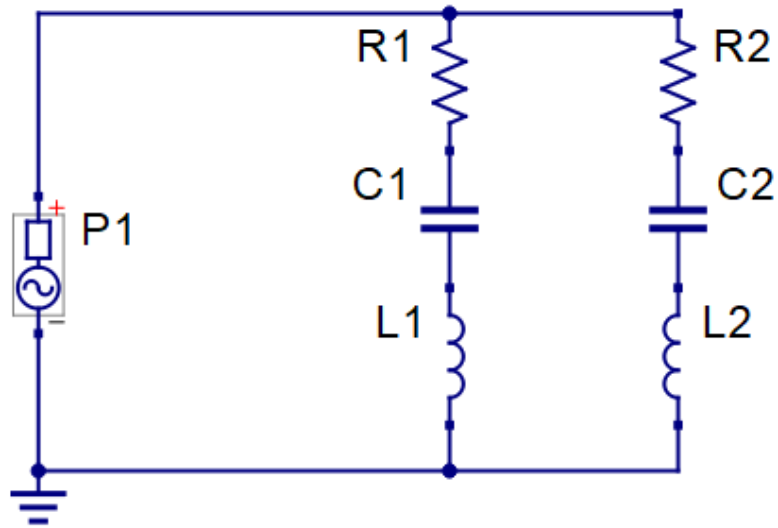
$$Q_1 = Z_{c1}/R_1 = 10$$

$$\omega_{01} = 1/\sqrt{LC} = 2\pi \cdot 1e9$$

$$\begin{aligned} \Gamma_{in} &= \frac{Z_{in} - Z_0}{Z_{in} + Z_0} \\ &= 1 / \left(\frac{Z_{in}}{Z_0} + 1 \right) \\ &= \frac{Z_{in}}{Z_0 + Z_{in}} \end{aligned}$$



Multiple resonators can display interesting behavior



$$Z_{c1} = \sqrt{L/C} = 380$$

$$Z_{c2} = 380$$

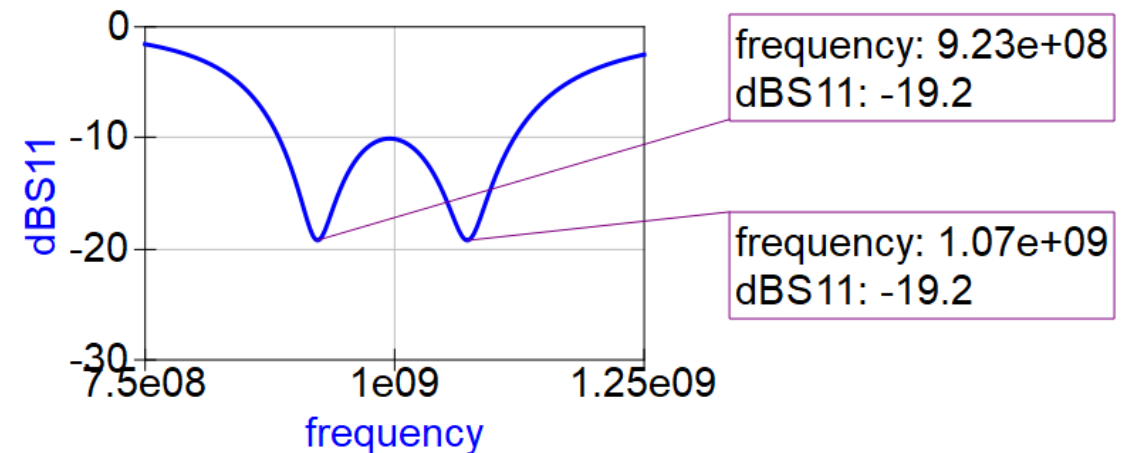
$$Q_1 = R_1 / Z_{c1} = 10$$

$$Q_2 = 10$$

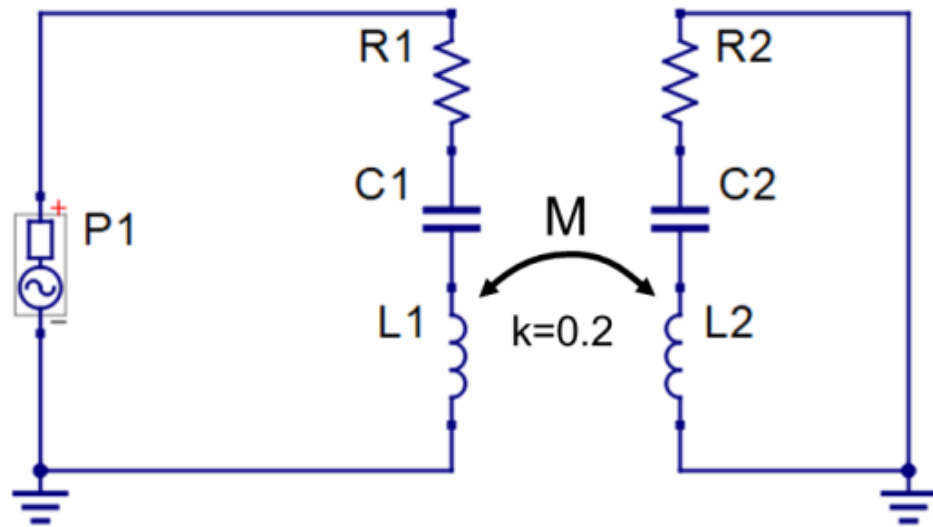
$$\omega_{01} = 1/\sqrt{LC} = 2\pi \cdot 0.9 \times 10^9$$

$$\omega_{02} = 2\pi \cdot 1.1 \times 10^9$$

$$\begin{aligned} \Gamma_{in} &= \Gamma_{out} / \Gamma_{0} \\ \Gamma_{in} &= 1 / (\Gamma_{0} / \Gamma_{out}) \\ \Gamma_{in} &= \Gamma_{out} / \Gamma_{0} \end{aligned}$$



Another way to get a Smith chart loop



$$Z_{c1} = \sqrt{L/C} = 190$$

$$\Gamma_1 = \Gamma_{in}/\Gamma_{out} = 10$$

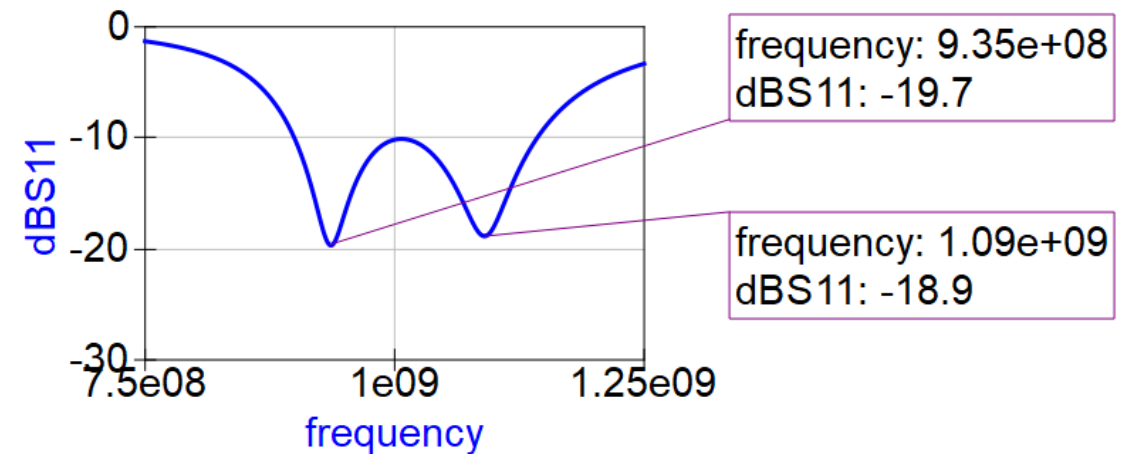
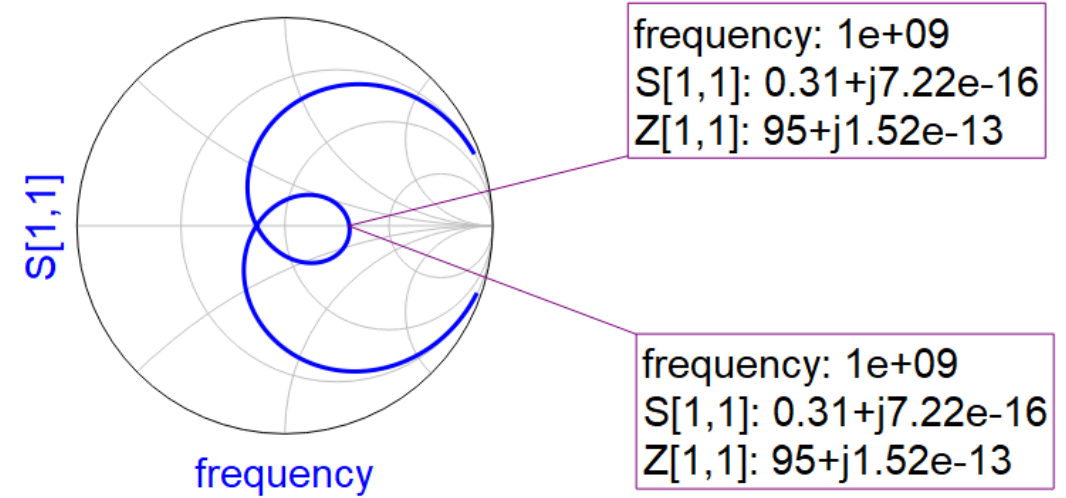
$$\omega_{01} = 1/\sqrt{LC} = 2\pi \cdot 1.0e9$$

$$Z_{c2} = 190$$

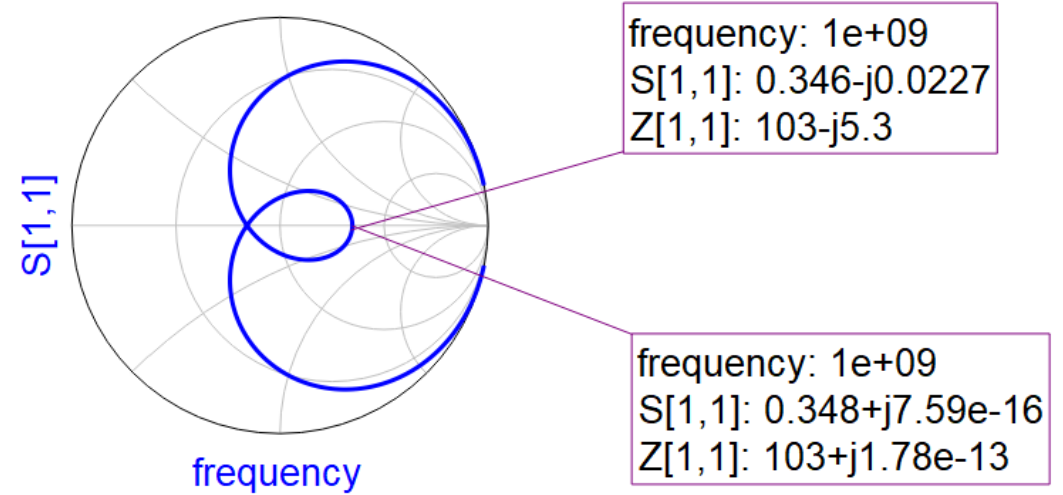
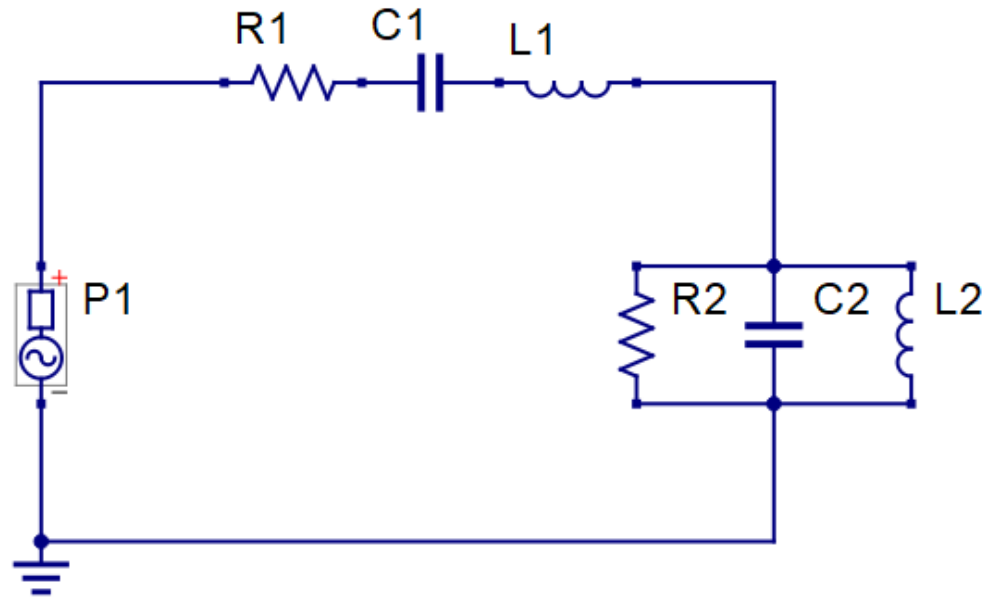
$$\Gamma_2 = 10$$

$$\omega_{02} = 2\pi \cdot 1.0e9$$

$$\begin{aligned} \Gamma_{in} &= \Gamma_{out} / \Gamma_{ref} \\ \Gamma_{out} &= 1 / (\Gamma_{in} / \Gamma_{ref}) \\ \Gamma_{ref} &= \Gamma_{in} / \Gamma_{out} \end{aligned}$$



Yet another way to get a Smith chart loop



$$Z_{c1} = \sqrt{L/C} = 330$$

$$Q_1 = Z_{c1}/R_1 = 100$$

$$\omega_{01} = 1/\sqrt{LC} = 2\pi \cdot 1.0e9$$

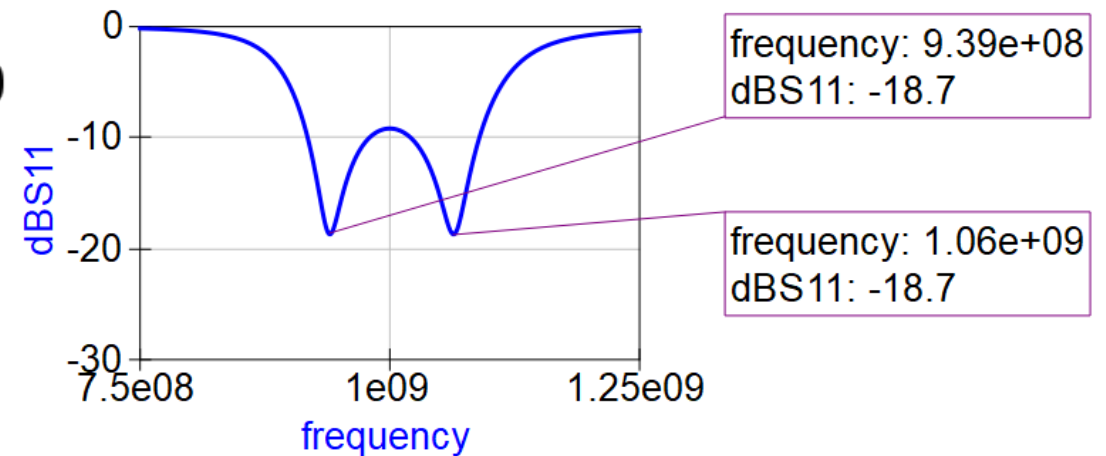
$$Z_{c2} = 10$$

$$Q_2 = R_2 Z_{c2} = 10$$

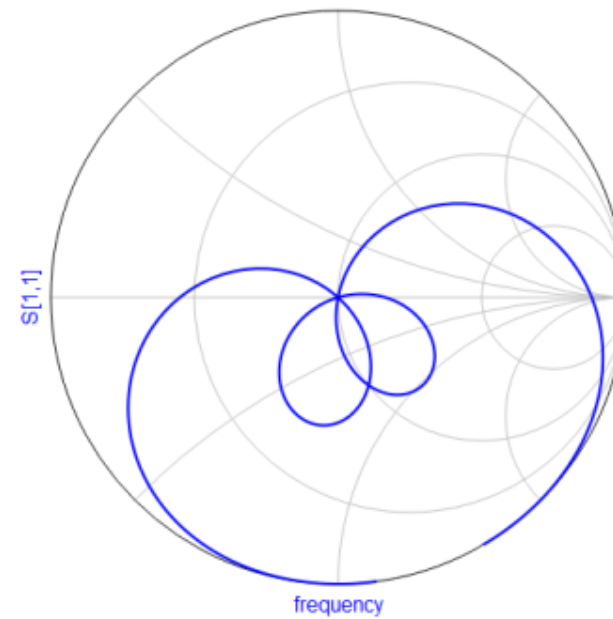
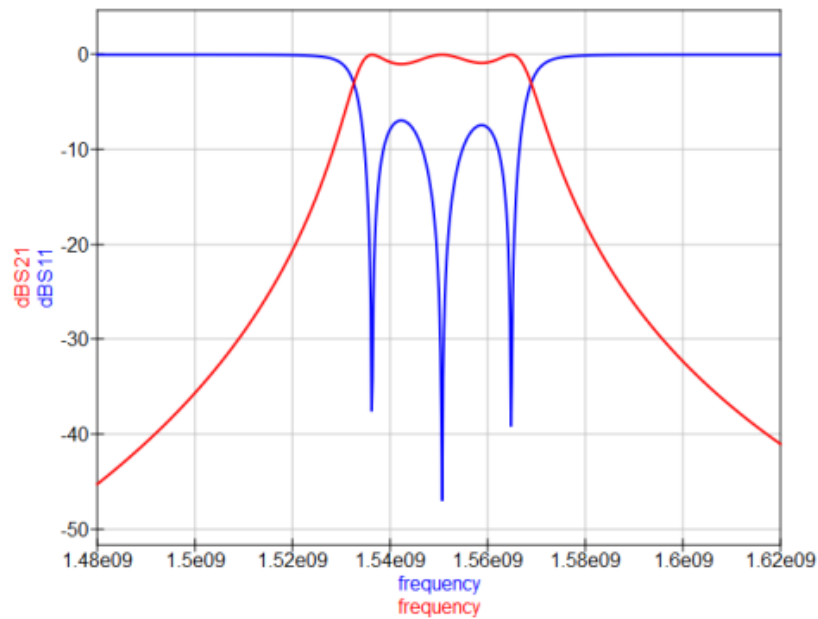
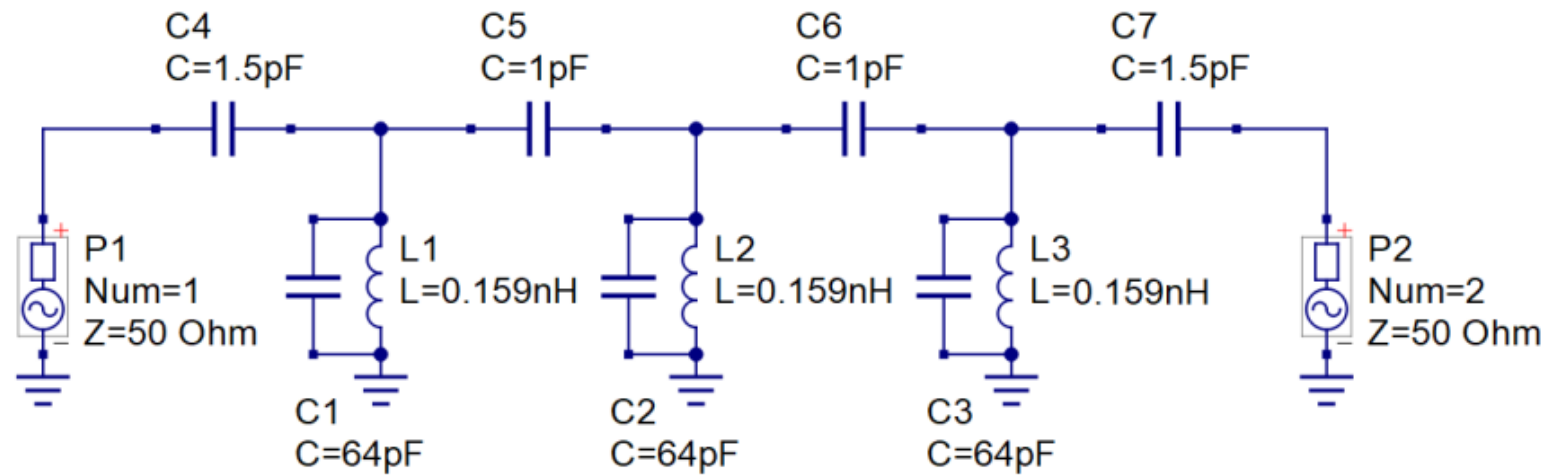
$$\omega_{02} = 2\pi \cdot 1.0e9$$

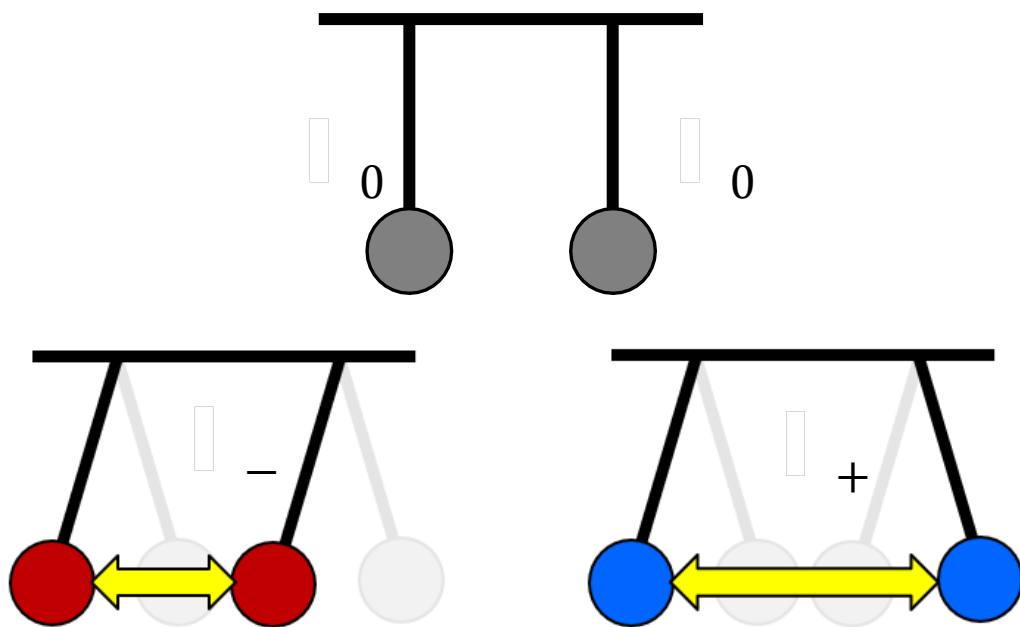
$$\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} / \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$$

$$\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} = 1 / \left(\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} \right)$$

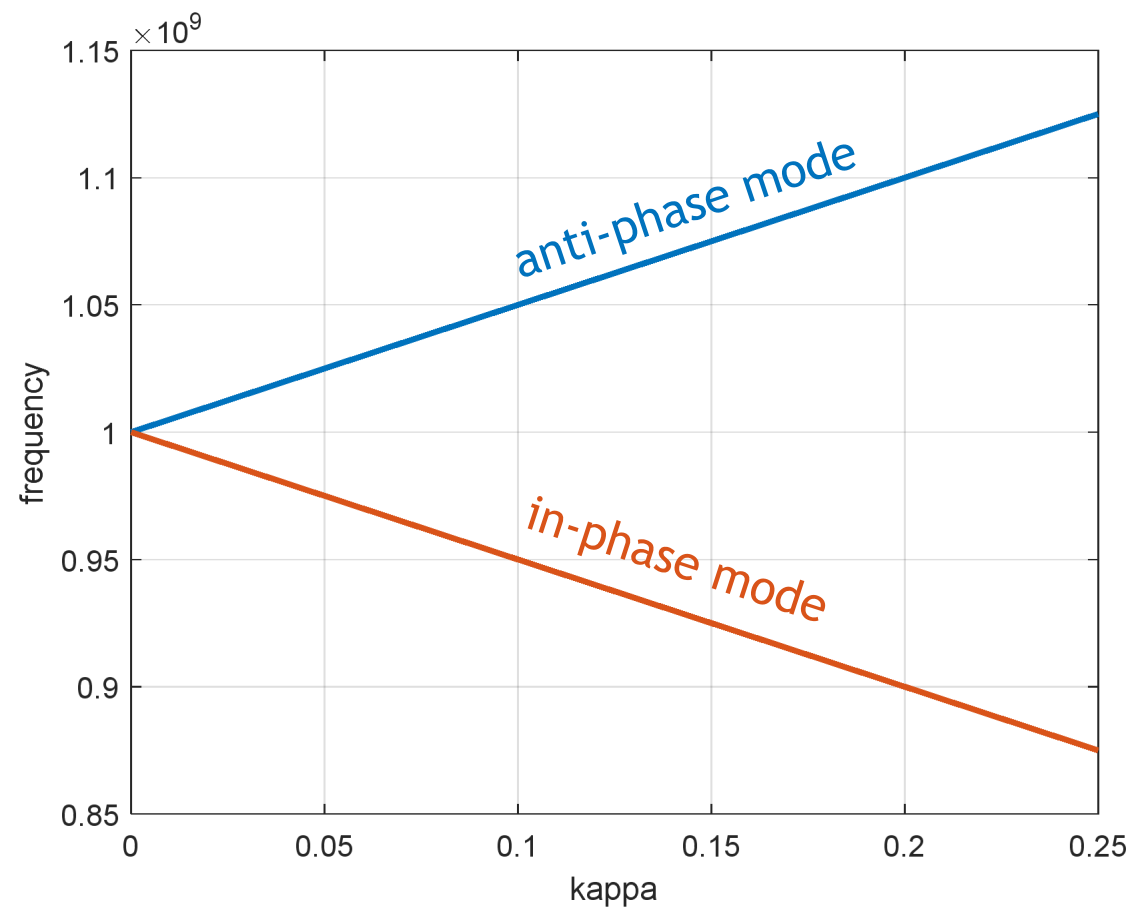


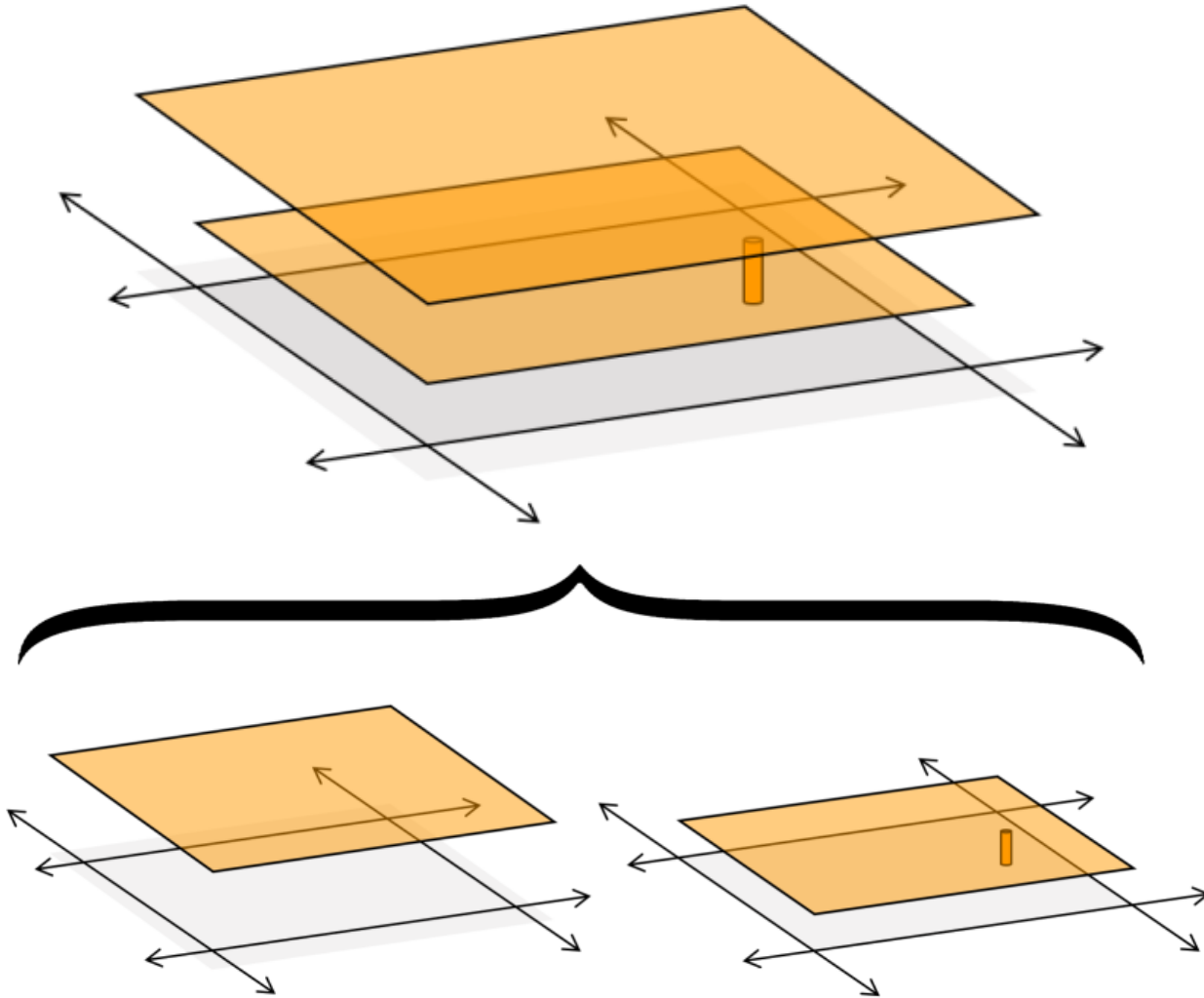
7 “N” coupled resonators



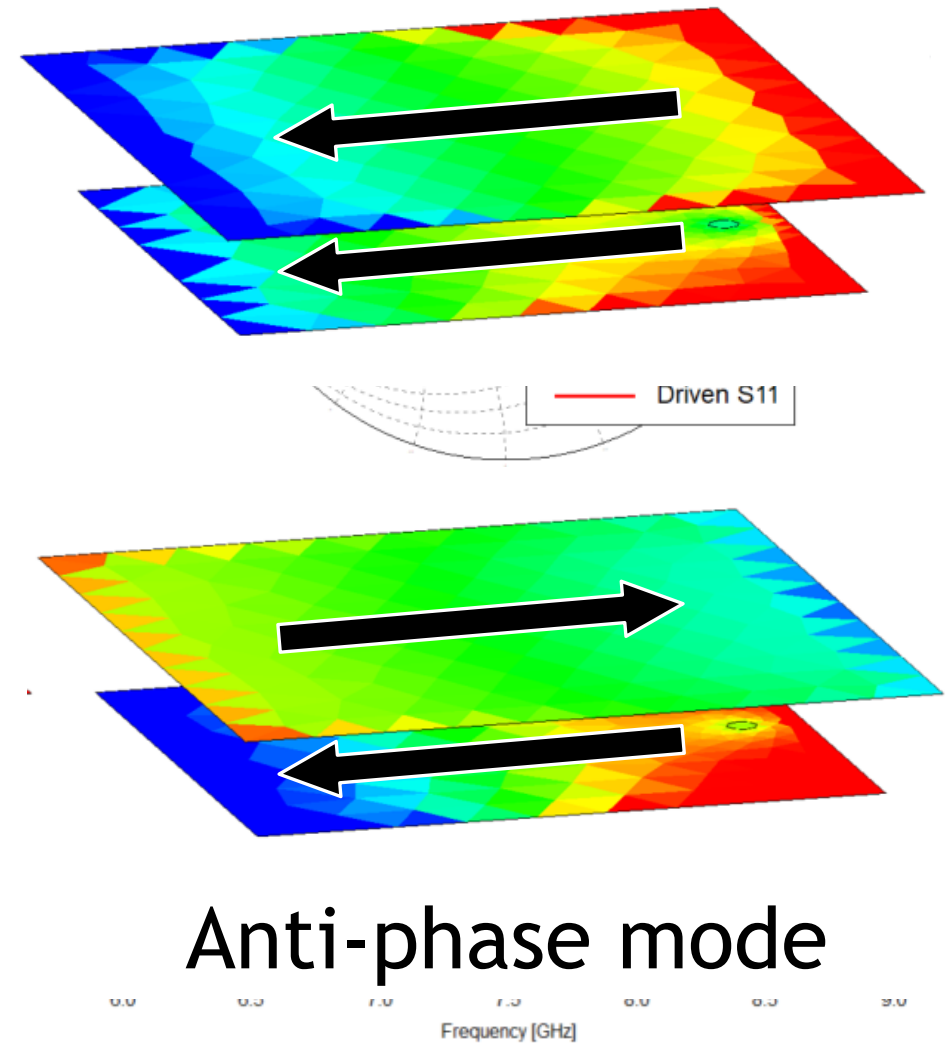


$$\omega_{\pm} = \omega_0 \pm |K|$$



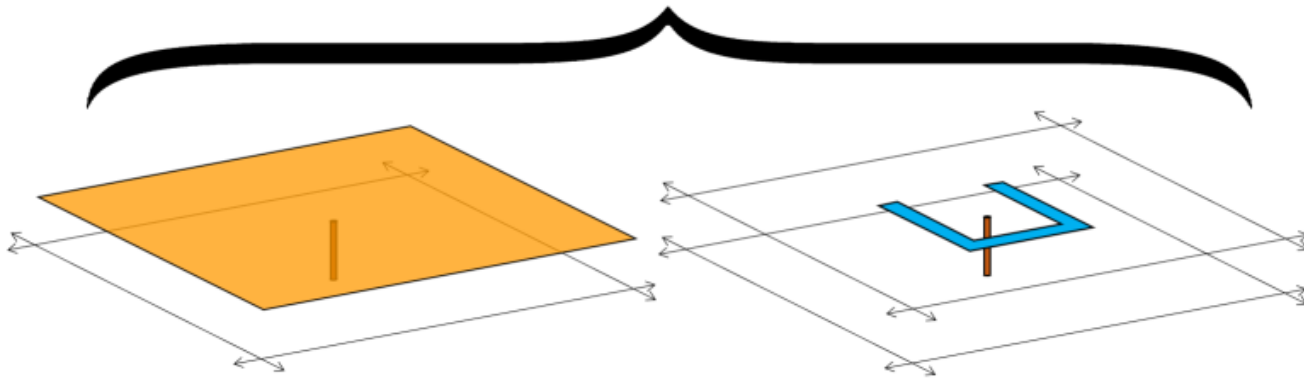
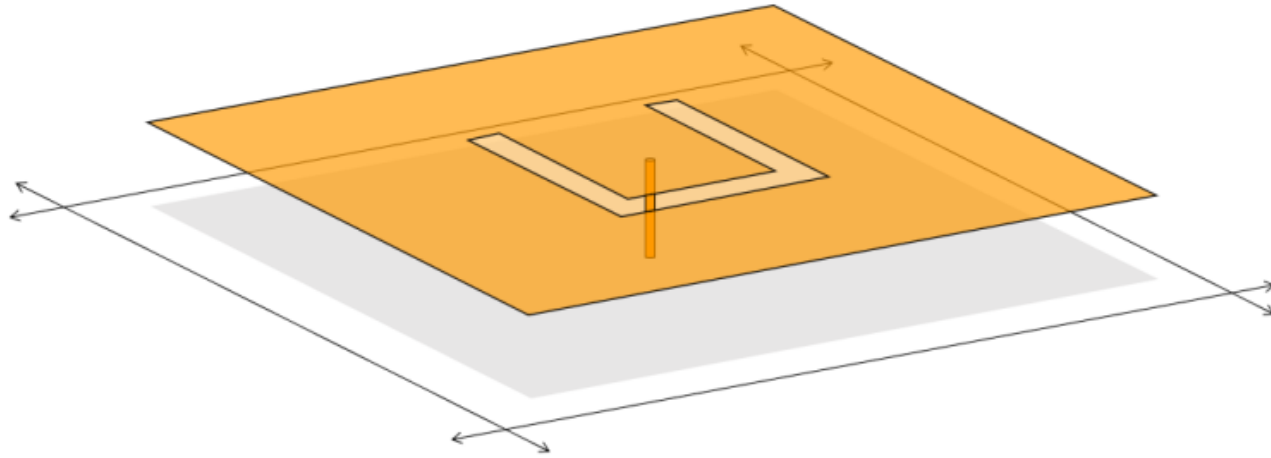


In-phase mode

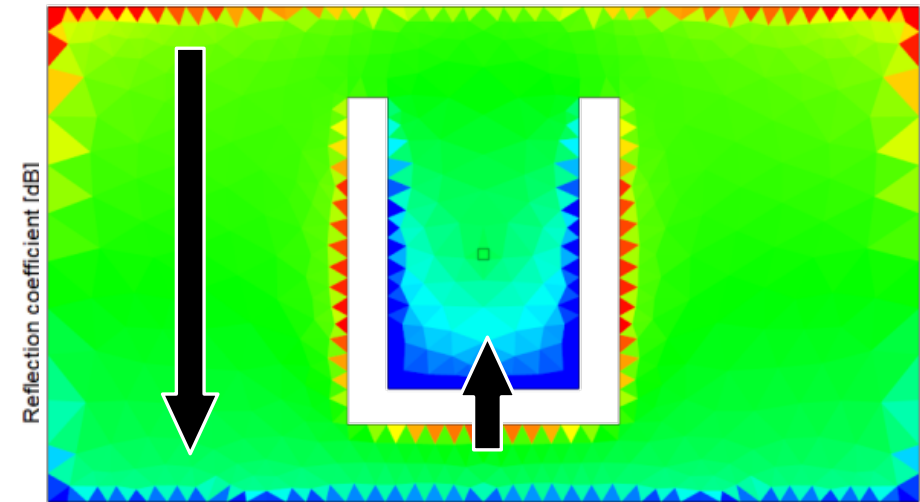
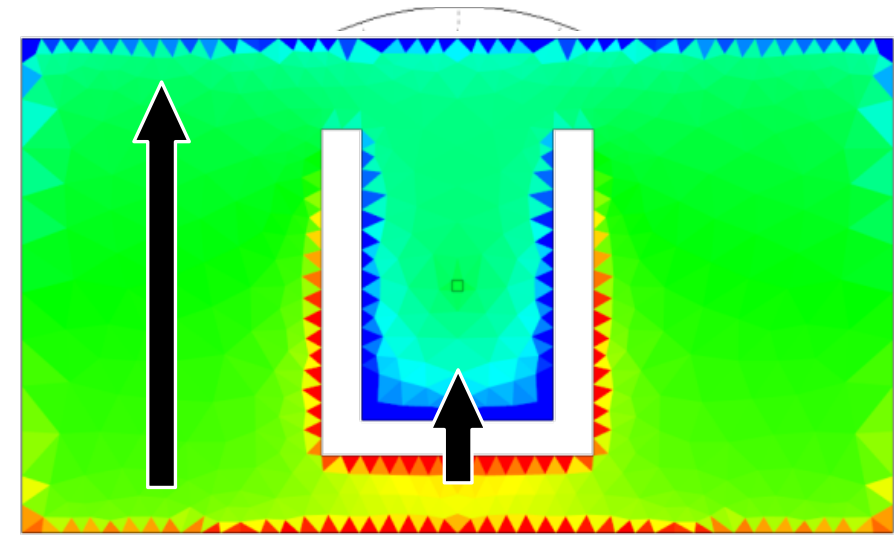


Anti-phase mode

U-slot patch

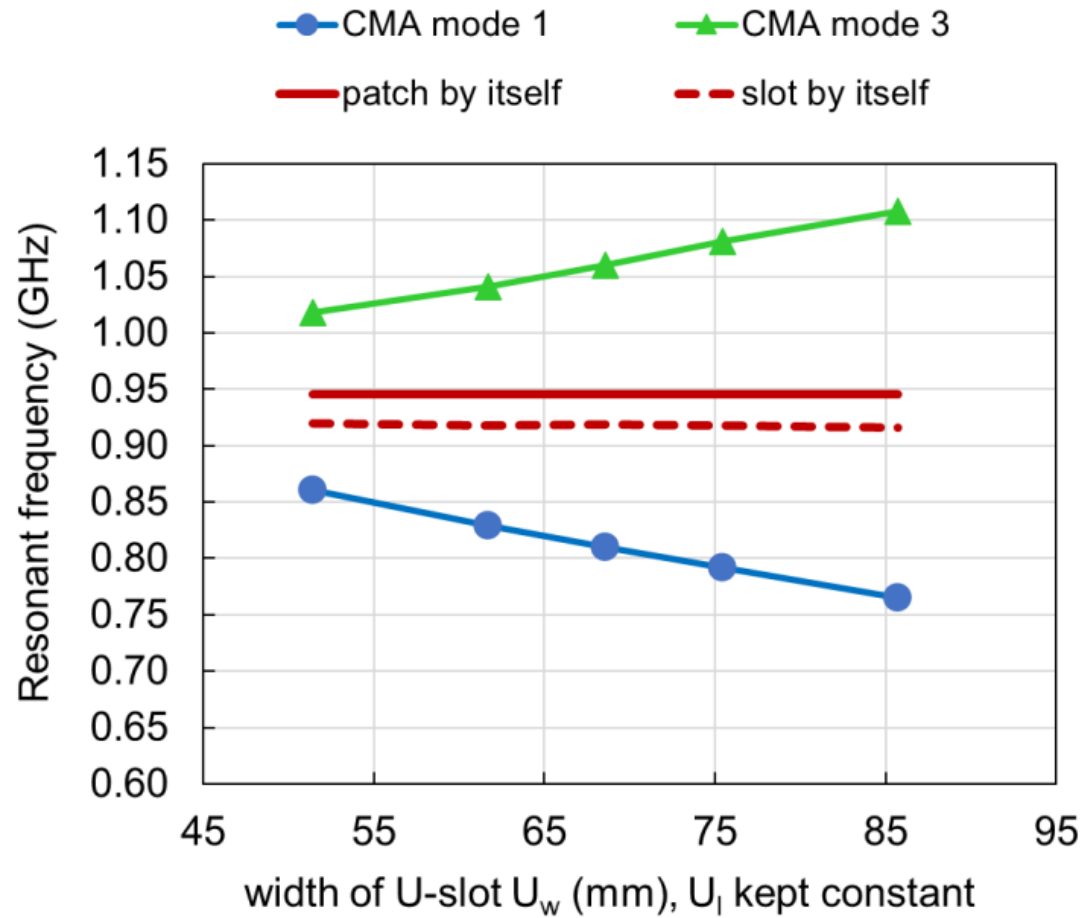


In-phase mode

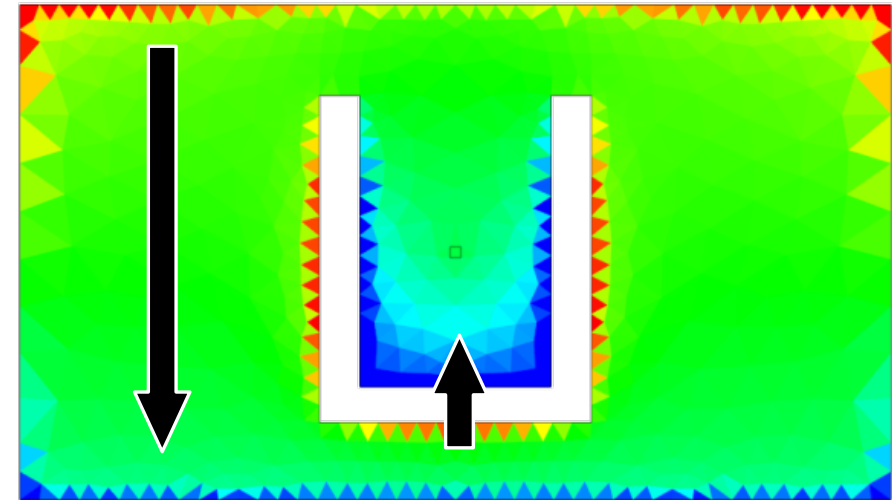
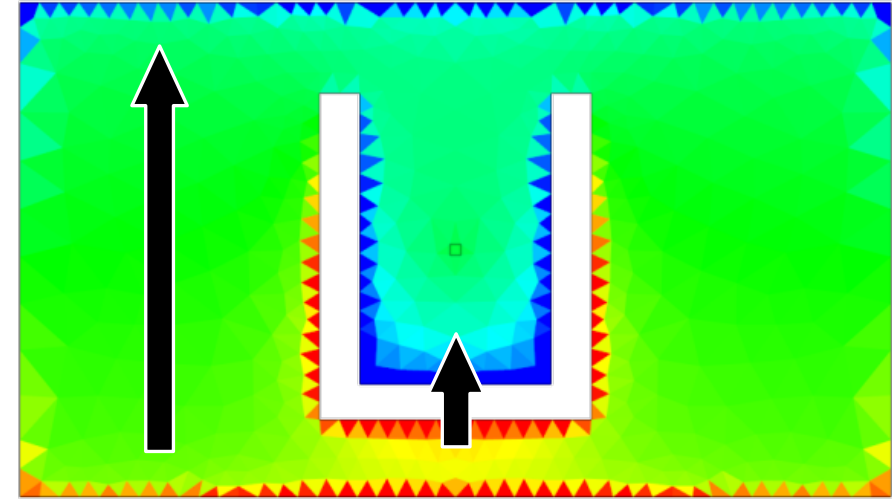


Anti-phase mode

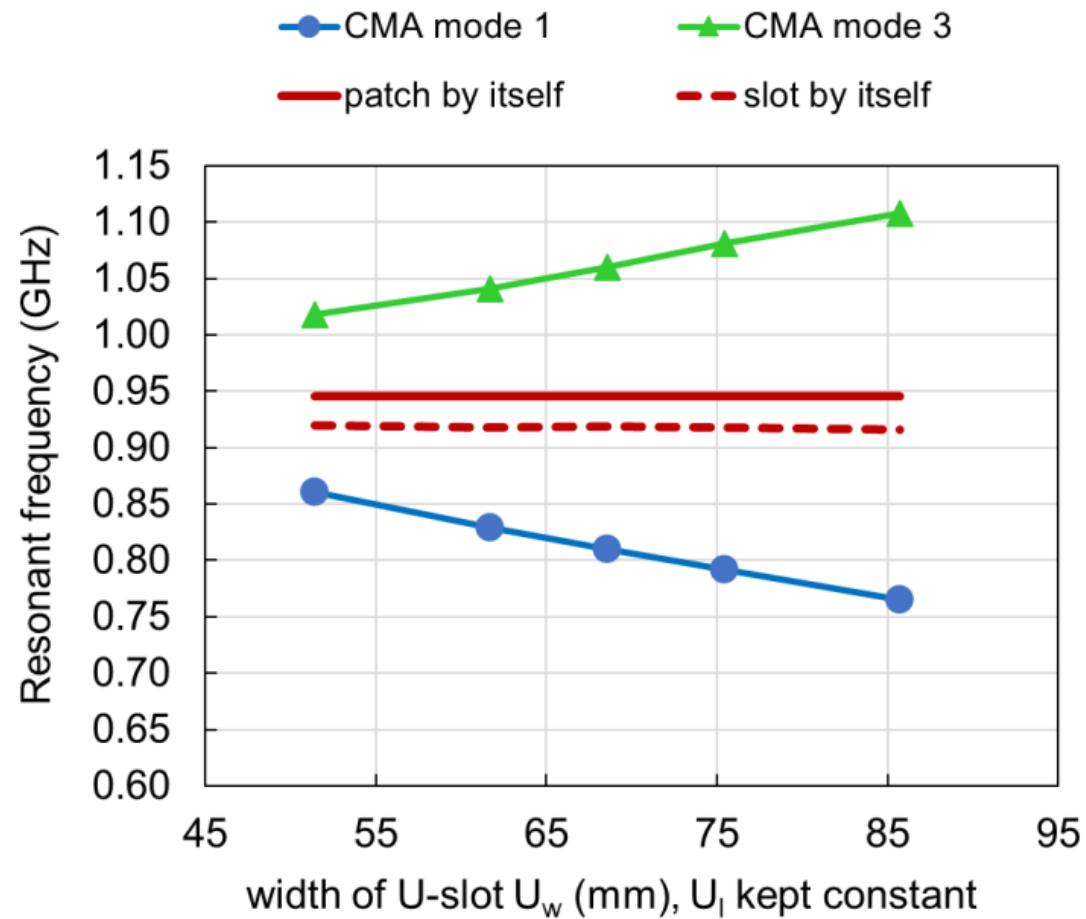
U-slot patch



In-phase mode

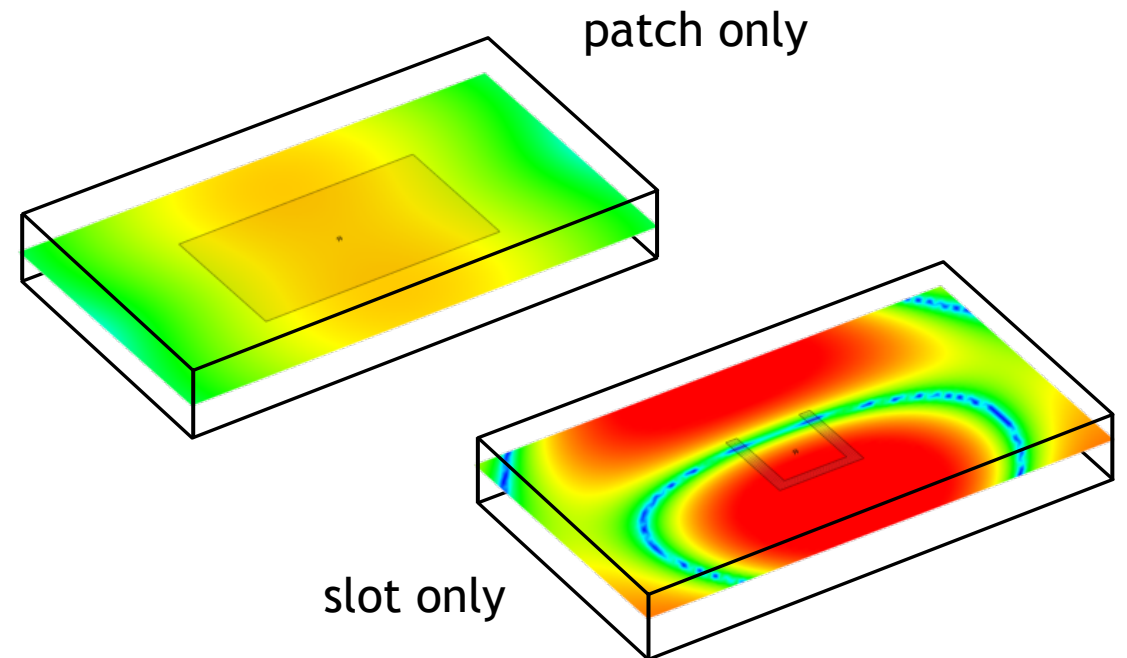


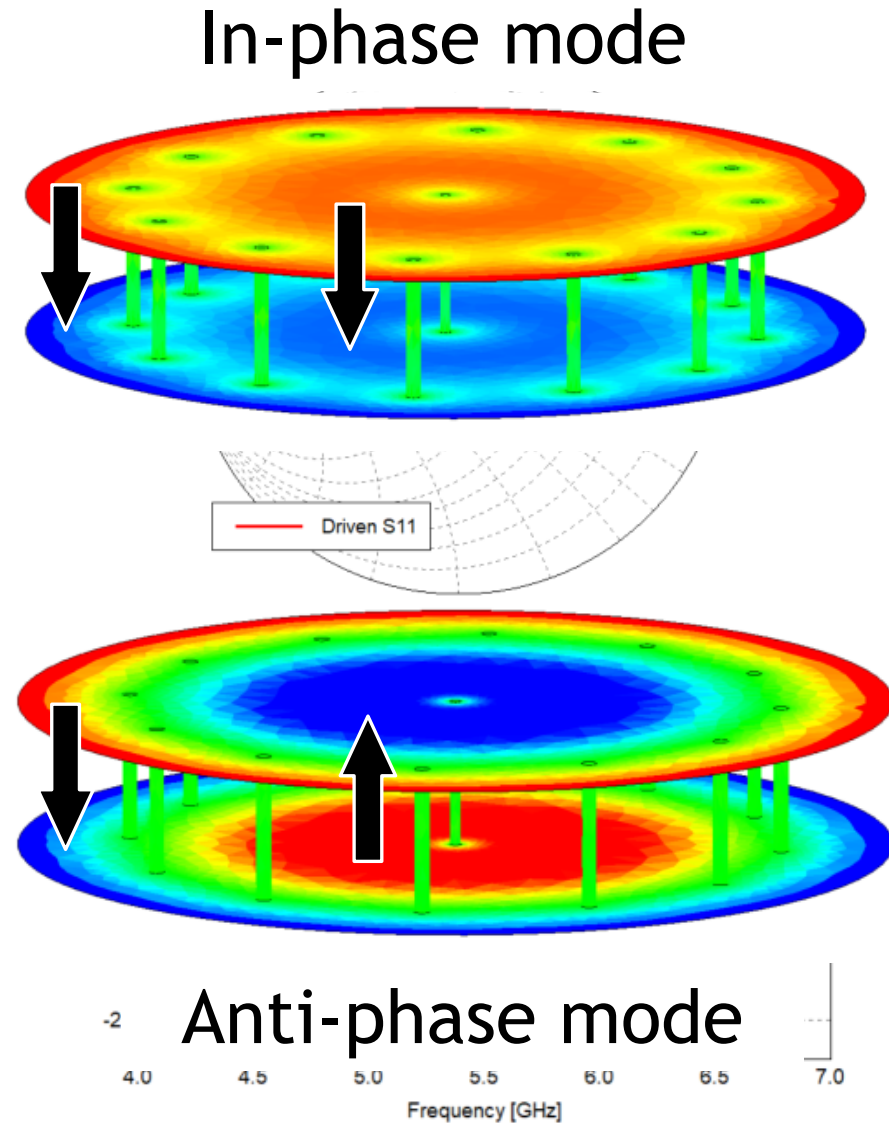
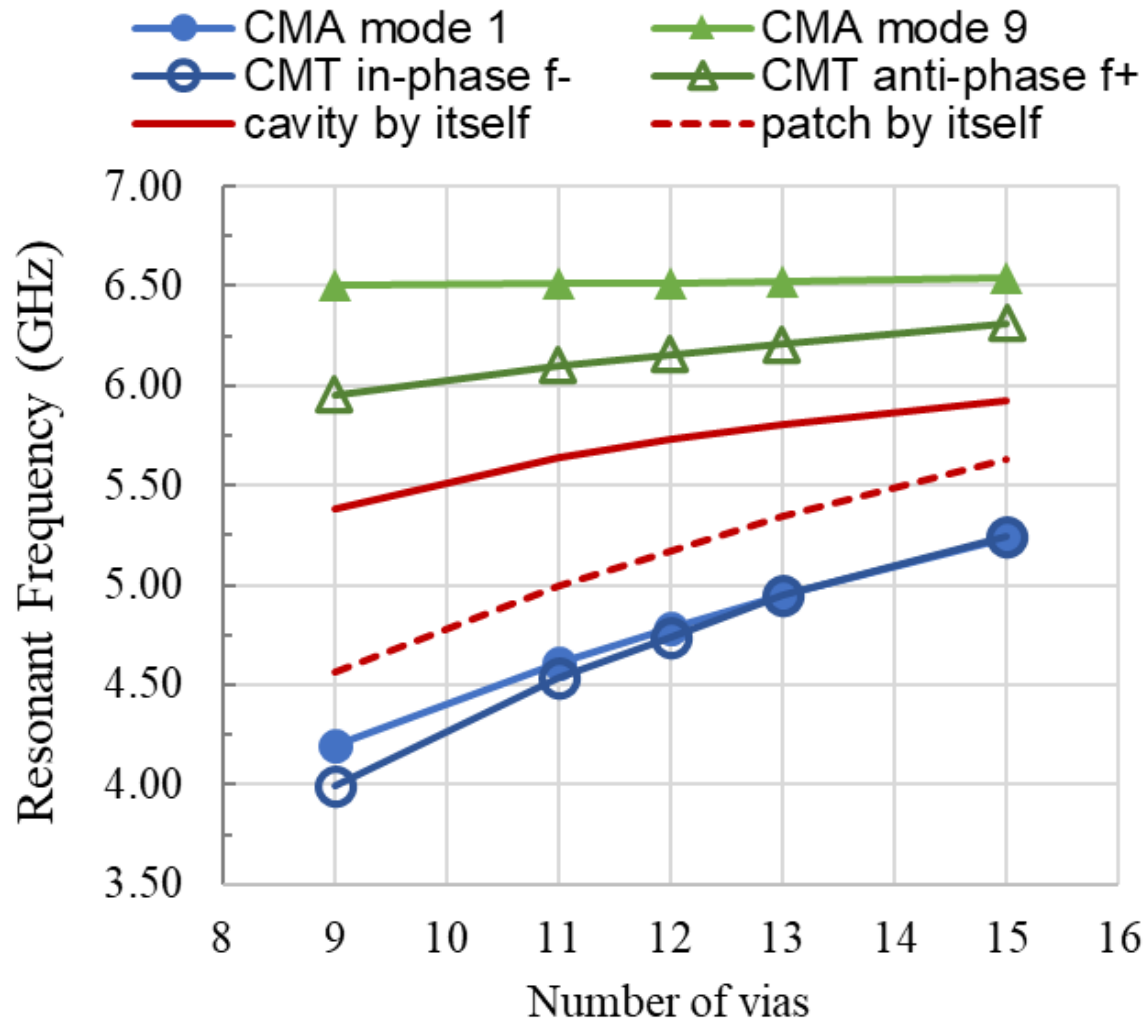
Anti-phase mode



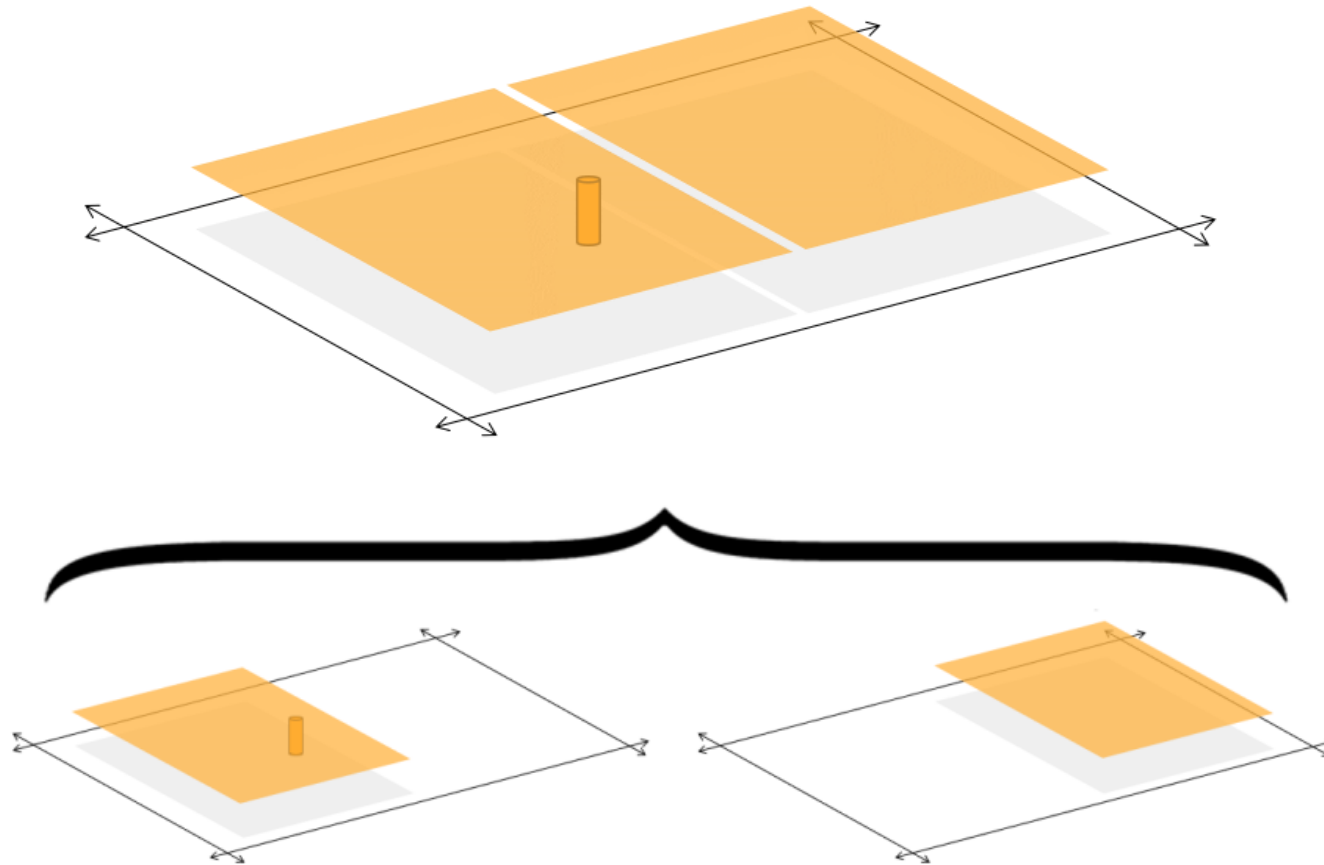
$$\kappa = \frac{\int \epsilon E_1 \circ E_2 dV}{\sqrt{W_{e1}W_{e2}}} + \frac{\int \mu H_1 \circ H_2 dV}{\sqrt{W_{m1}W_{m2}}}$$

$$W_{e1,2} = \int \epsilon |E_{1,2}|^2 dV \quad W_{m1,2} = \int \mu |H_{1,2}|^2 dV$$

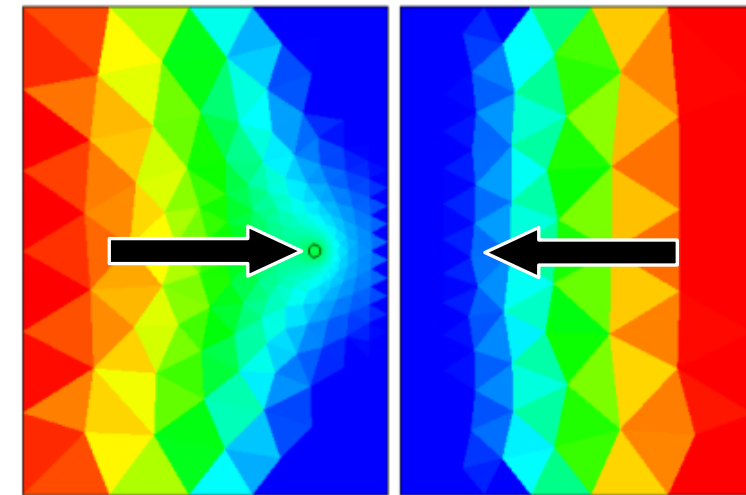
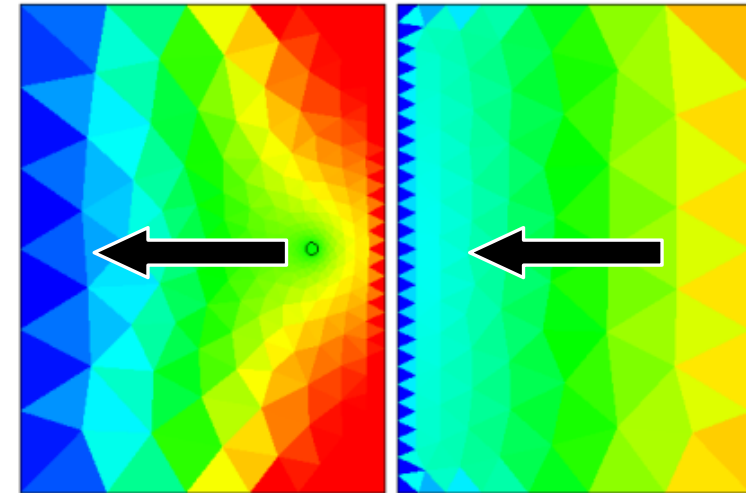




Coplanar patches



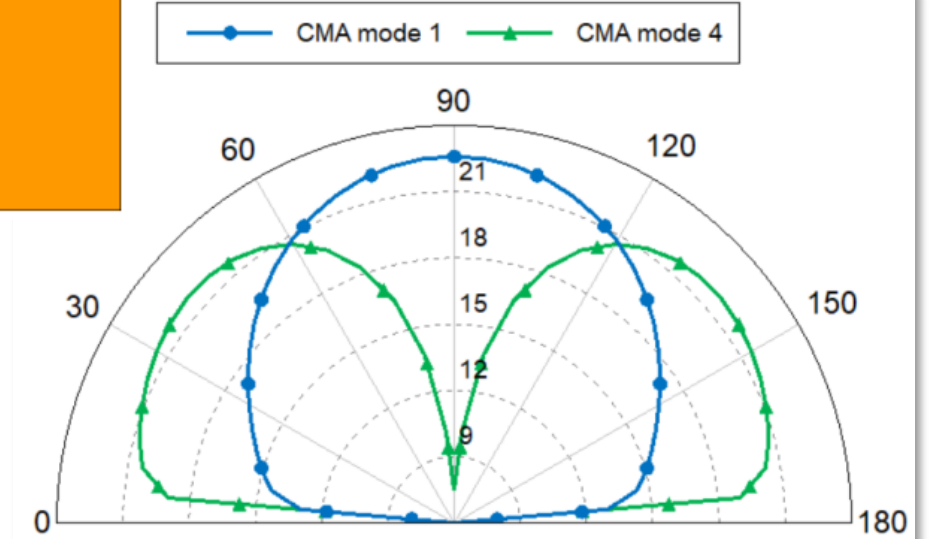
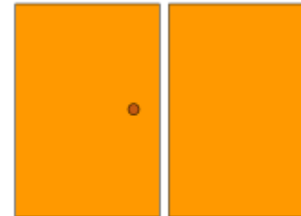
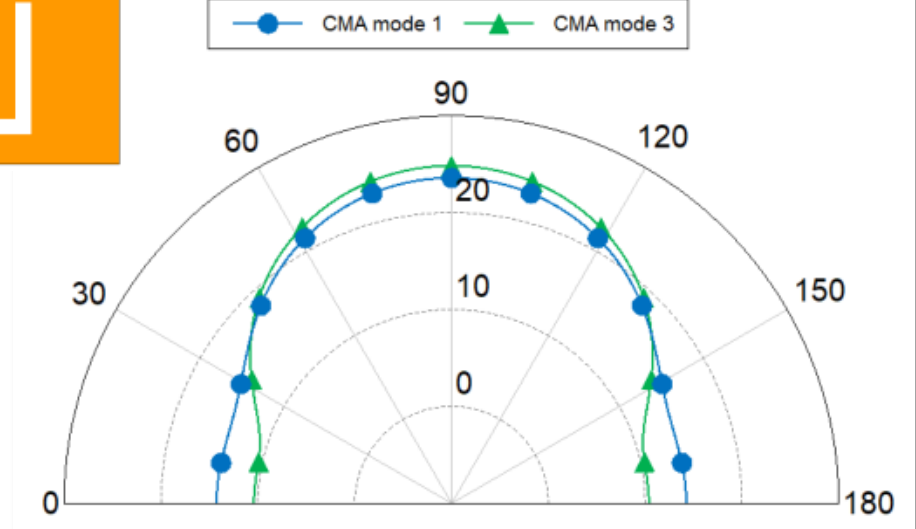
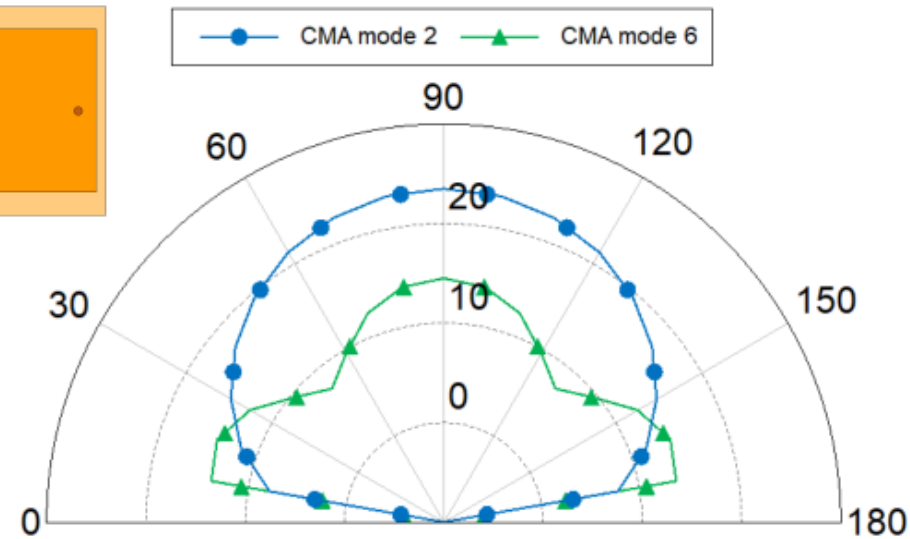
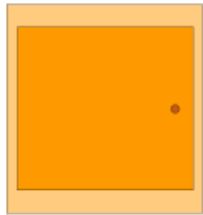
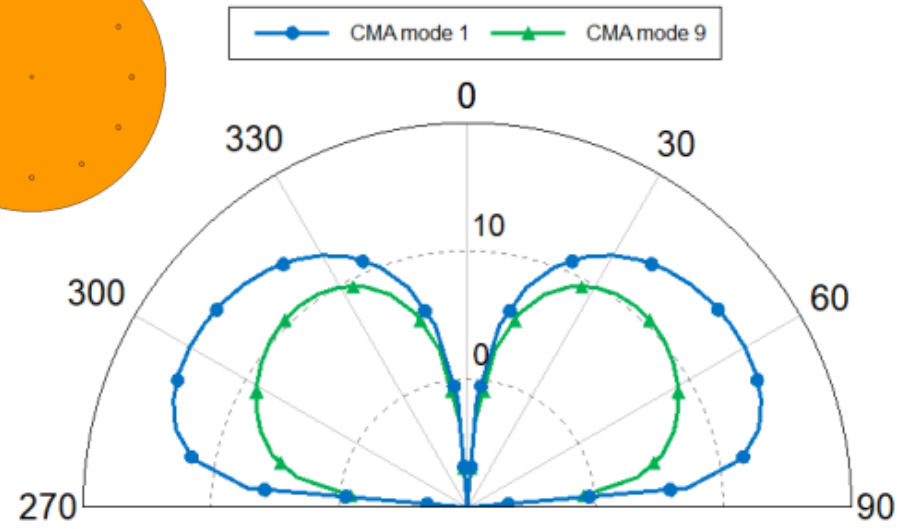
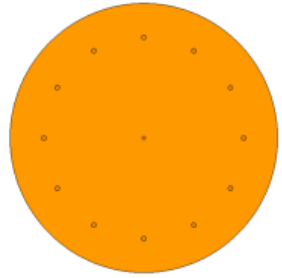
In-phase mode



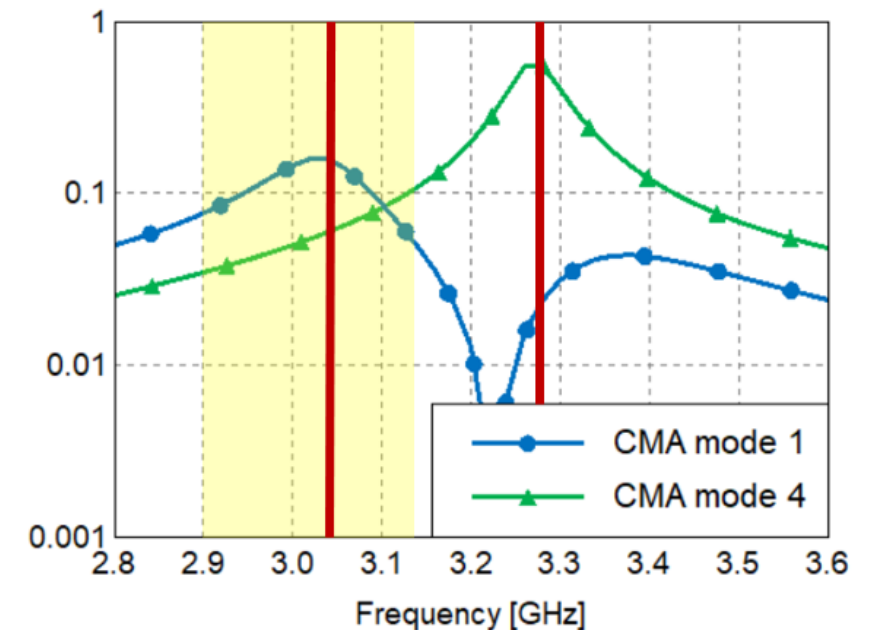
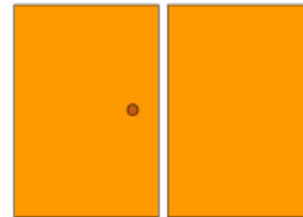
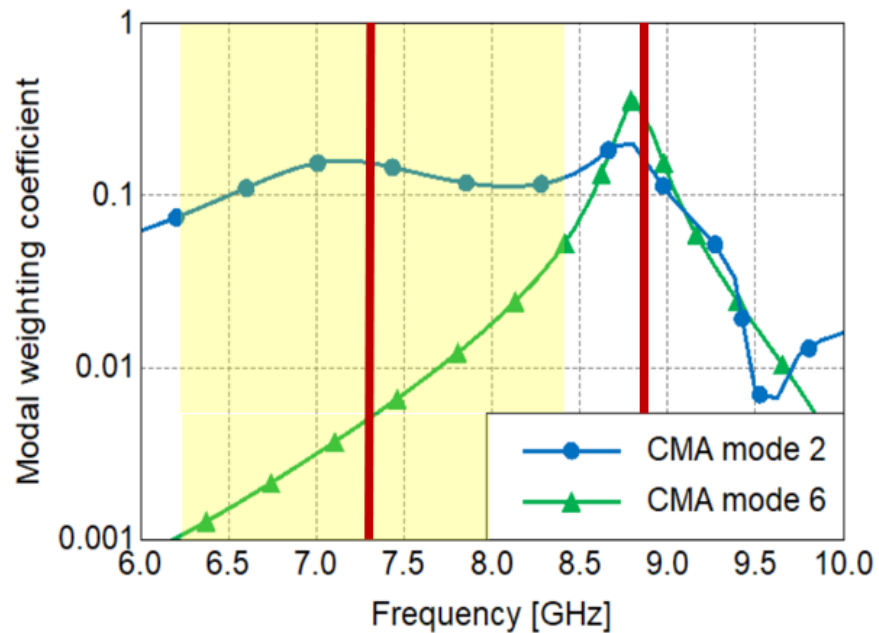
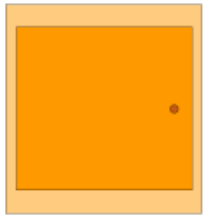
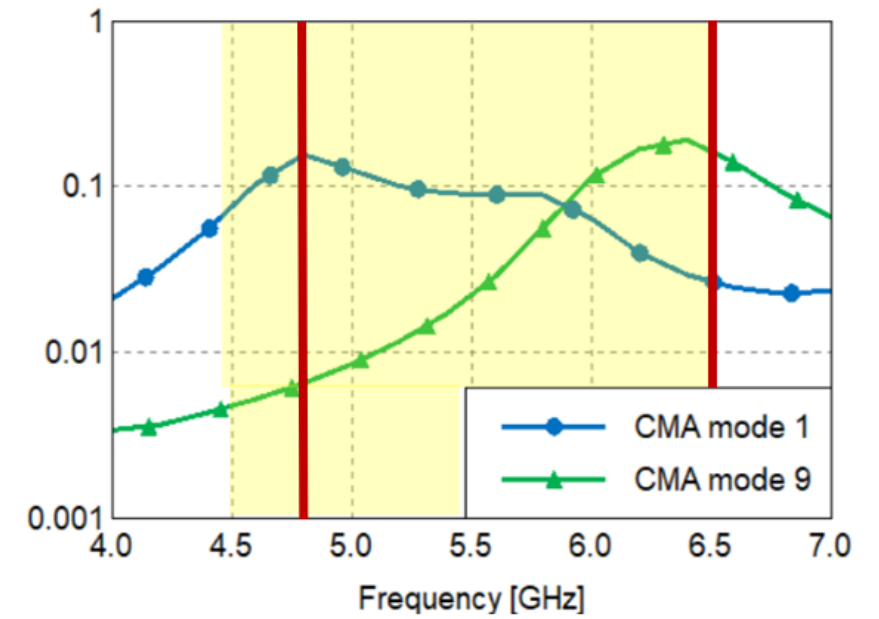
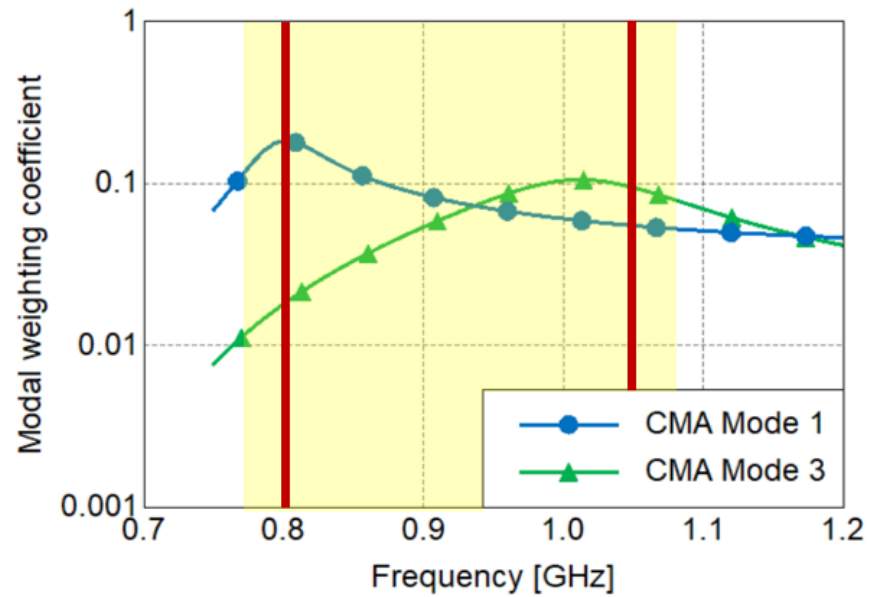
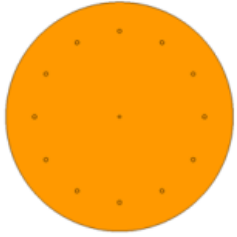
Anti-phase mode

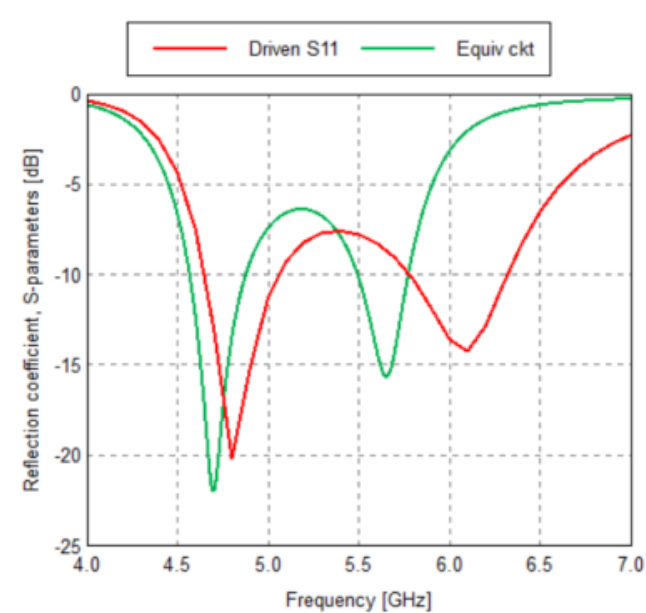
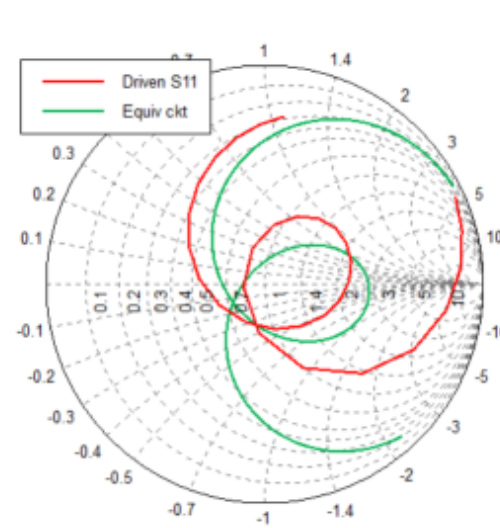
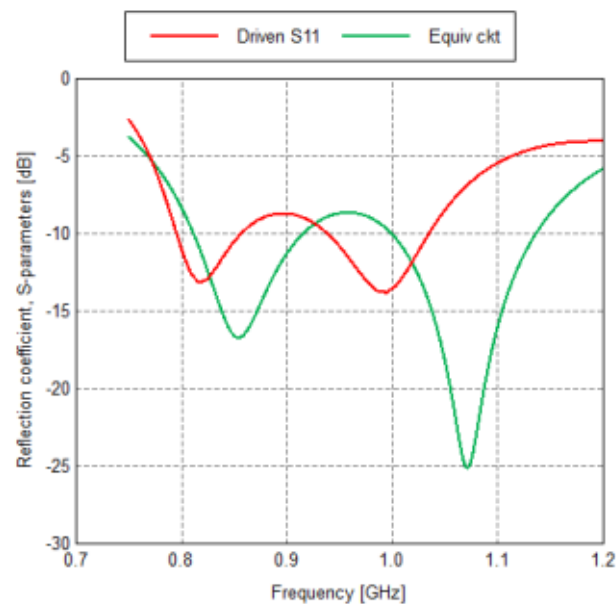
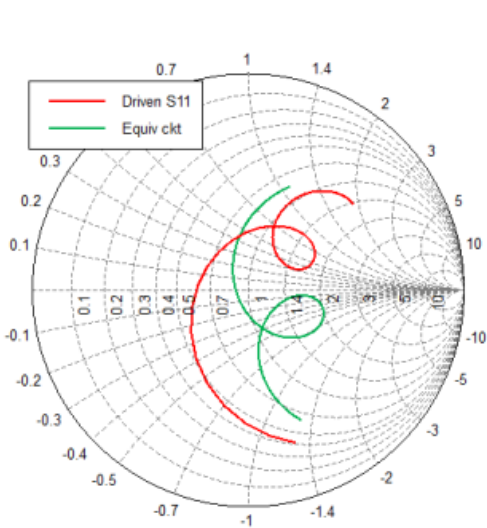
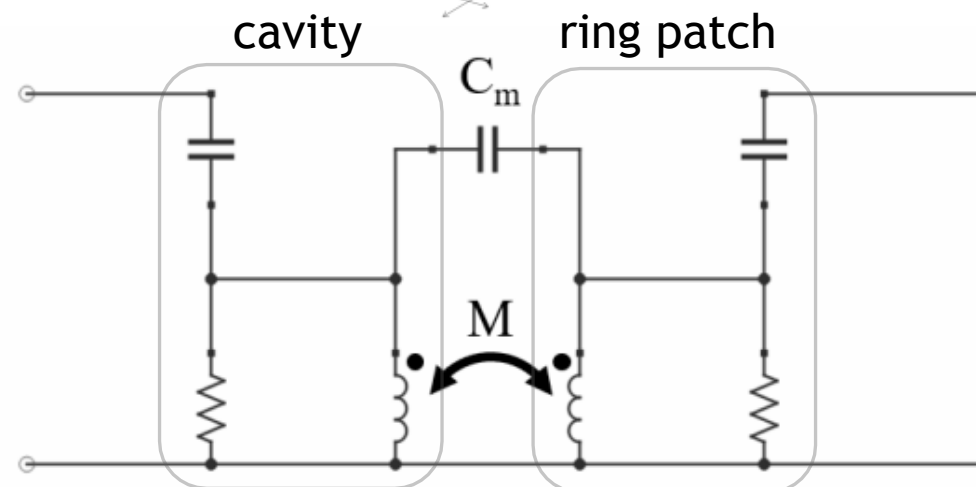
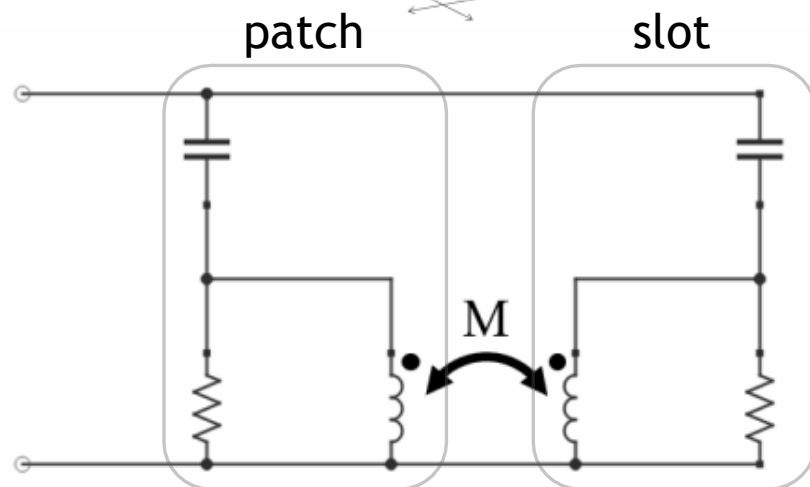
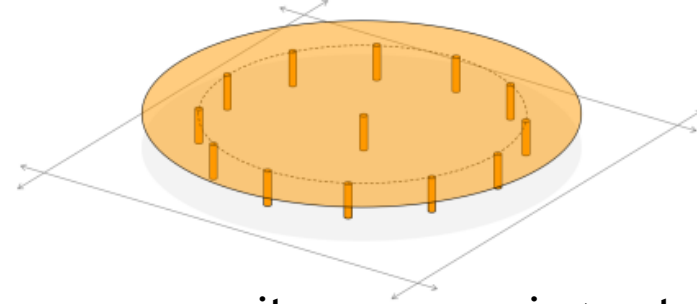
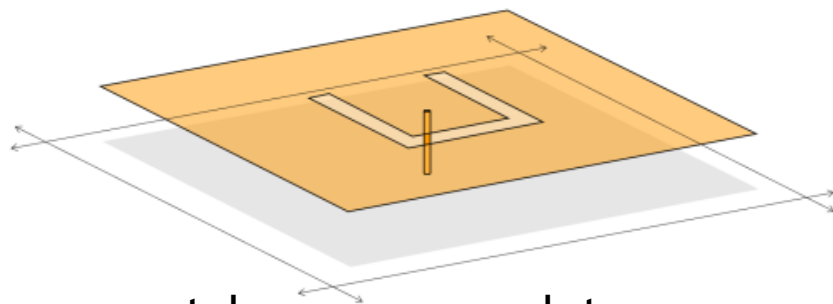
frequency [GHz]

3.6



Comparing modal weighting coefficients





- CMT explains many different multi-mode patches
- This insight can be used to create systematic design methodologies and generate new broadband radiator concepts

jjborch@sandia.gov

links to all our papers at antennaCMA.com

