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# Strong Correlation Effects in Atmospheric Pressure Plasmas

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## Atmospheric Pressure Plasmas are used for multiple applications

- Operational Simplicity (no vacuum system required) and low running cost
- Promising for inactivation of pathogens in medicine, applications in food industry, agriculture, water purification, atmosphere decarbonization, among others.
- Highly non-equilibrium plasma state ( $T_e \gg T_i$ ) which promotes chemical reactions

A key science challenge is to model the main mechanisms involved in the plasma dynamics and transport of reacting species in order to improve the development of plasma sources

## Ions are strongly coupled in atmospheric pressure plasmas

This leads to strongly correlated effects that currently are not accounted for in standard modeling techniques

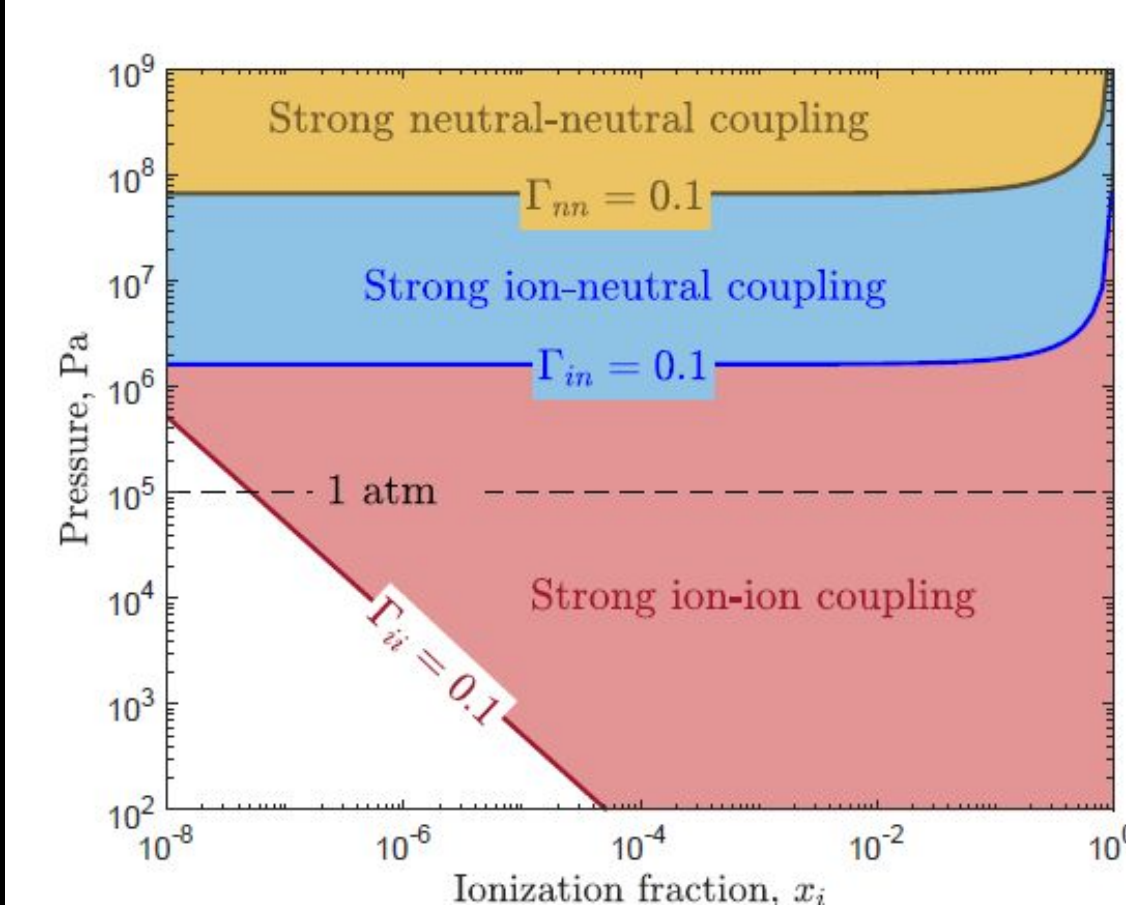
Coupling Parameter Wigner-Seitz radius

$\Gamma_{ss'} = \frac{\phi_{ss'}(r=a)}{k_B T_{ss'}}$   $a = \left(\frac{3}{4\pi n}\right)^{1/3}$

$\Gamma < 1 \rightarrow$  Weakly Coupled

$\Gamma > 1 \rightarrow$  **Strongly Coupled**

Argon plasma,  $Z=1$ ,  $T = 293$  K



$T_i = 293$  K,  
 $T_e = 2$  eV,  
 $P = 1$  atm:

$x_i$	$\Gamma_{ee}$	$\Gamma_{ii}$
0.01	0.07	5.80
0.5	0.27	21.35

Coulomb Potential  $\phi(r) = \frac{q^2}{4\pi\epsilon_0 r}$

Charge Induced Dipole Potential  $\phi_{ind}(r) = -\frac{q^2}{8\pi\epsilon_0} \frac{\alpha_R a^3}{r^4}$

Lennard Jones  $\phi_{LJ}(r) = 4\epsilon \left( \left(\frac{\sigma}{r}\right)^{12} - \left(\frac{\sigma}{r}\right)^6 \right)$

At room temperature and atmospheric pressure, **ions are expected to be strongly coupled**

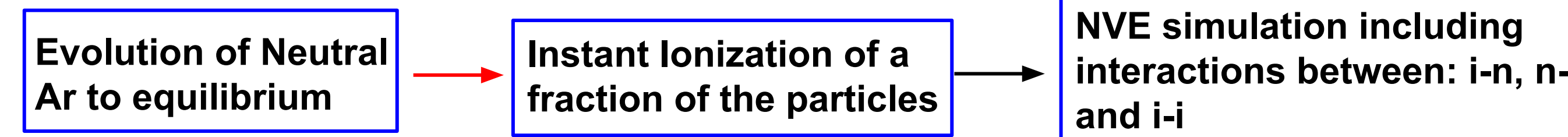
## Strongly Coupled Plasmas do not obey the Boltzmann Equation

- The collision operator used in the Boltzmann equation only accounts for binary collisions.  
**This only applies to the weakly coupled regime ( $\Gamma < 0.1$ ) !**
- PIC codes solve the Boltzmann equation  
 **$\rightarrow$  By using PIC you will totally miss the strongly coupled effects in the ion dynamics**

## In order to account for all the relevant physics we can use Molecular Dynamics (MD) Simulations

- LAMMPS (Large-scale Atomic/Molecular Massively Parallel Simulator)
- Electrons were considered as a non interacting background neutralizing species and are not included
- Partially ionized Ar plasma,  $T=293$  K,  $P = 1$  atm.
- Short (neutral-neutral), Medium (ion - neutral) and Large (ion - ion) range interactions were included.
- 3D periodic box of length  $\sim 25$  a.

Starting with a neutral gas and applying an instant ionization pulse

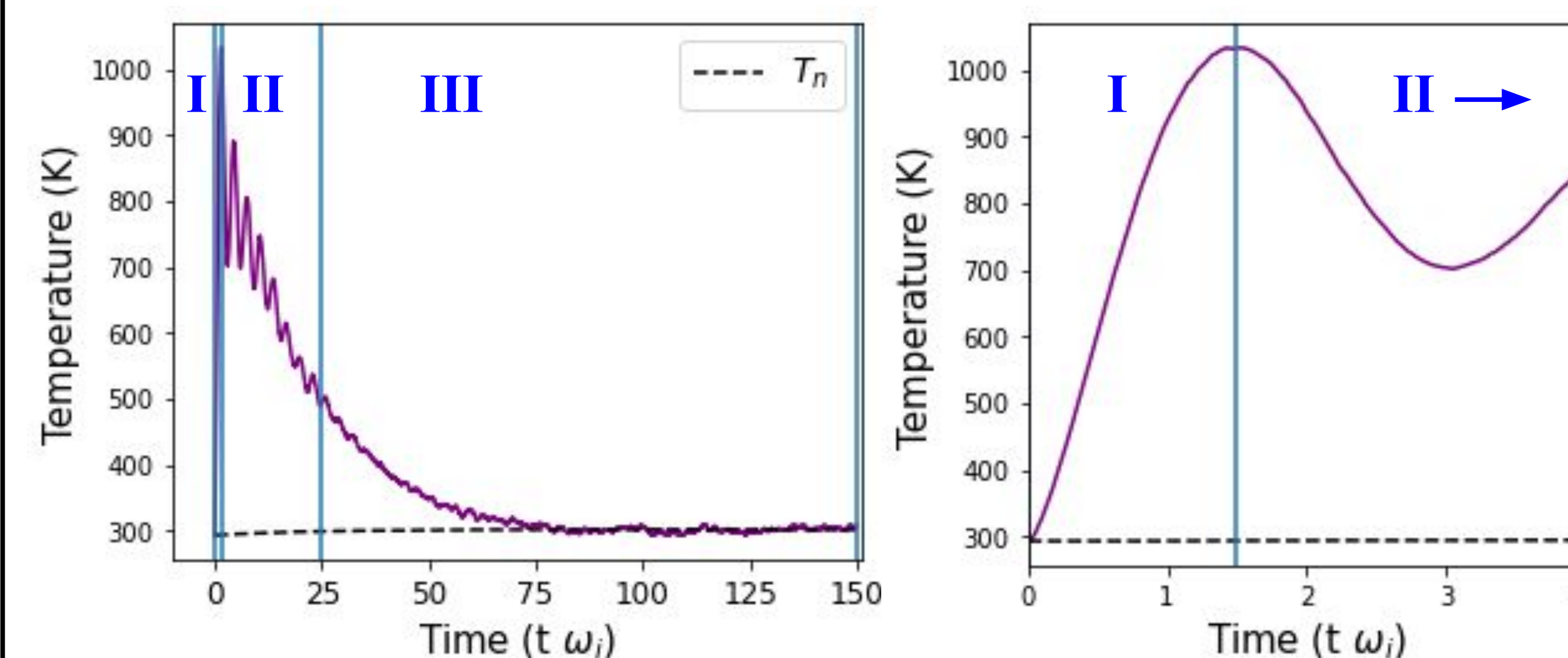


## Strongly Coupled Effects set the ion Temperature

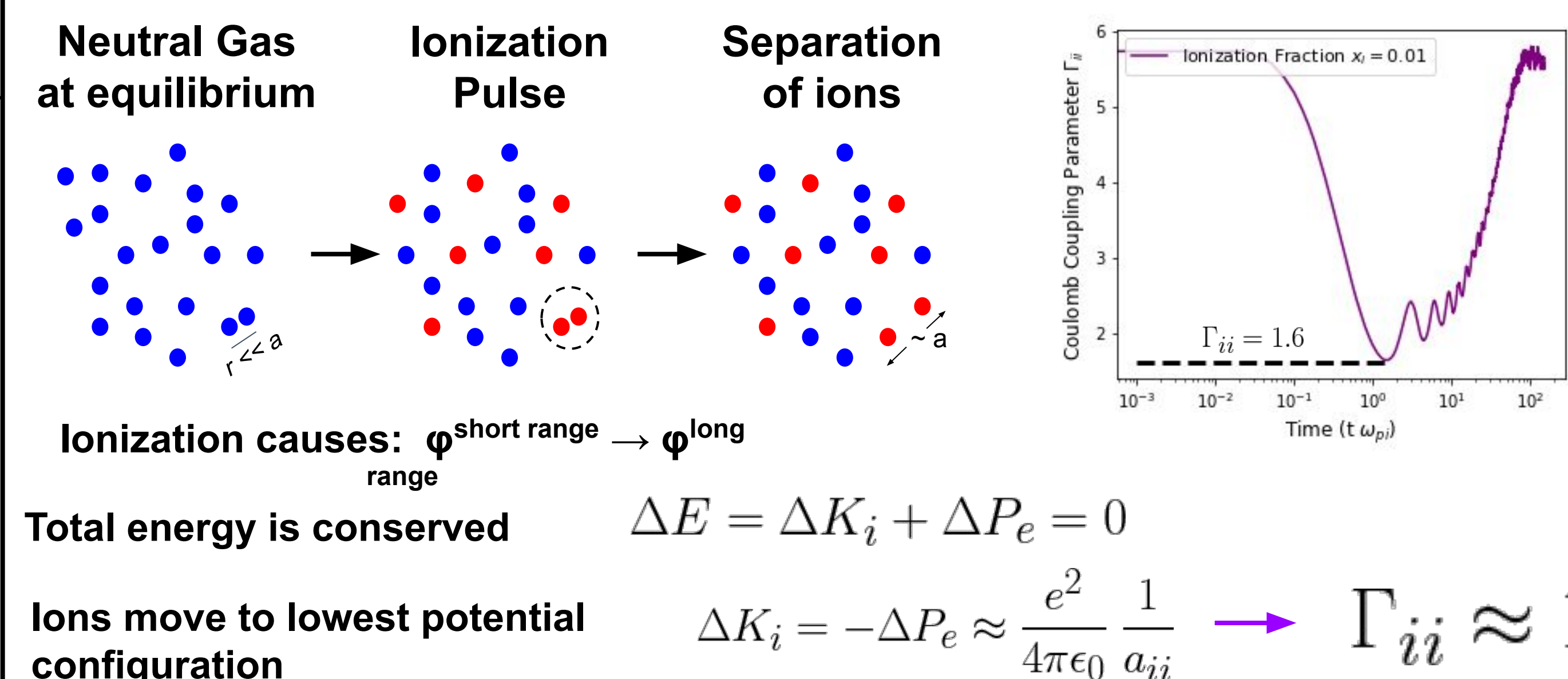
Characteristic regions:

- Disorder Induced Heating (DIH)
- Large fluctuations in the ion temperature
- Ion - Neutral temperature relaxation

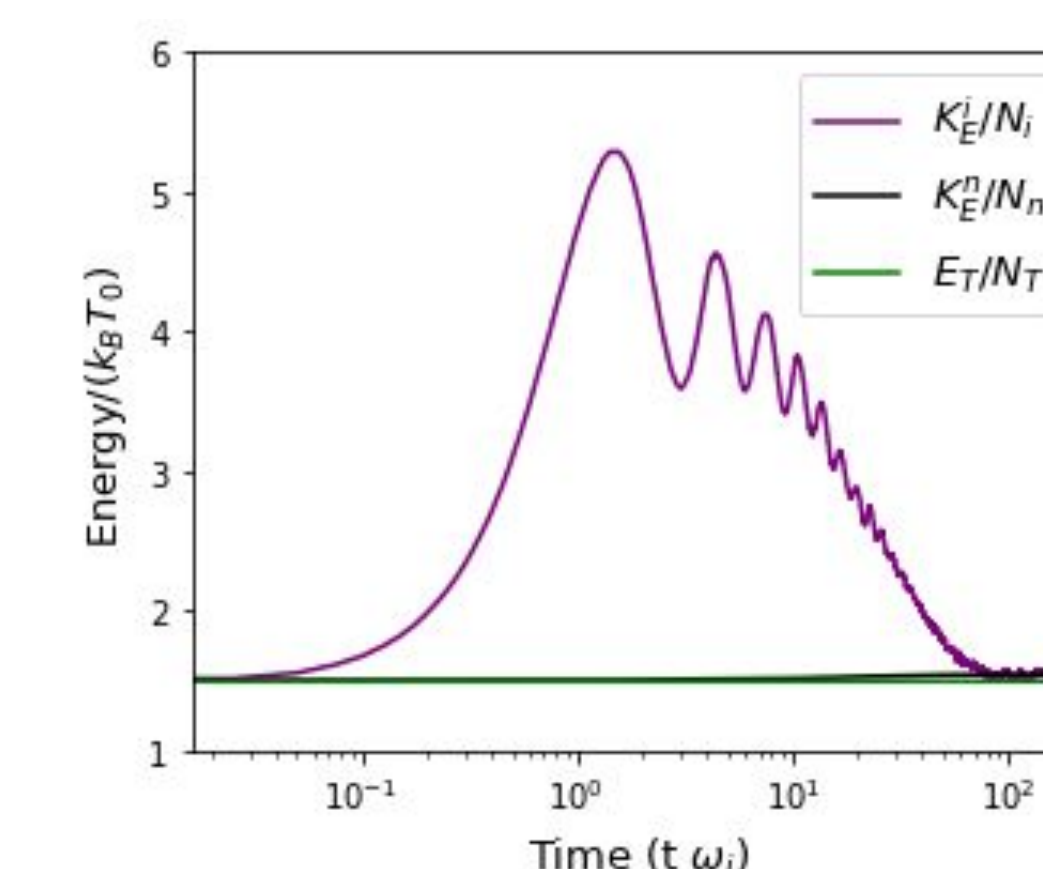
Ionization fraction  $x_i = 0.01$



## I. Disorder Induced Heating (DIH)



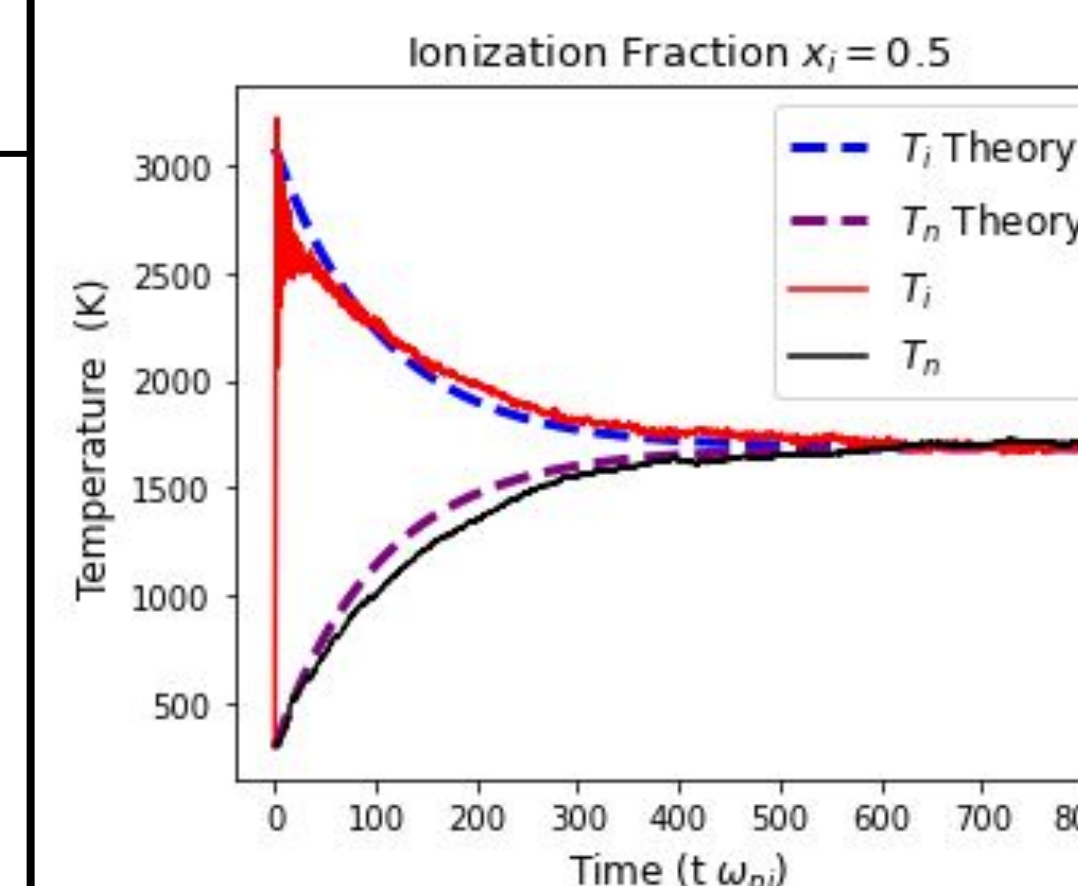
## II. Large fluctuations in the ion temperature



$K_i$ : Ions total Kinetic Energy  
 $K_n$ : Neutral atoms total Kinetic Energy  
 $E_T$ : Total Energy

Oscillations in ions positions after DIH  
 $\rightarrow$  Exchange between  $K_E$  and  $P_E$   
 $\rightarrow$  ion Temperature fluctuations due to the strong coupling between ions ( $\Gamma_{ii} > 1 \rightarrow$  Avg. Potential Energy  $>$  Avg. Kinetic Energy)

## III. The Ion-Neutral temperature relaxation through collisions lowers the ion temperature increasing $\Gamma_{ii}$



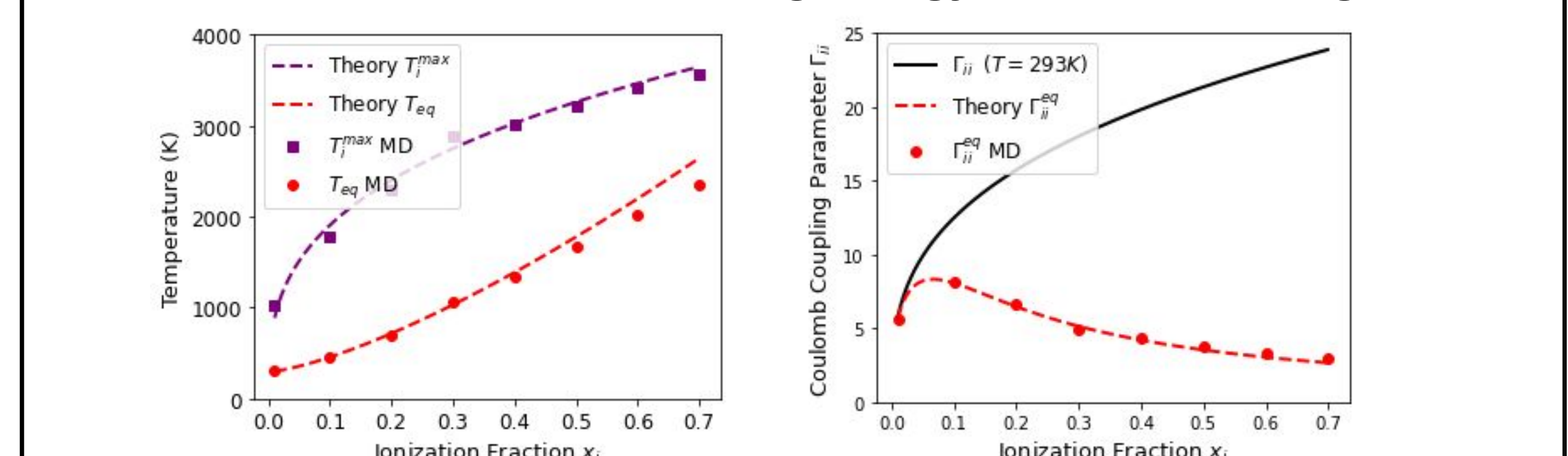
Ion neutral collision frequency can be computed from the charge induced dipole cross section

$$\nu_{in} = \frac{4}{3\sqrt{\pi}} n_n \sqrt{\frac{2k_B}{m}} \sqrt{T_i + T_n} \int_0^\infty dg Q_{in}^{(1)}(g) g^5 e^{-g^2}$$

Ion-Neutral temperature relaxation through collisions

$$\frac{dT_n}{dt} = -\frac{3}{2} \nu_{ni} (T_n - T_i) \quad \frac{dT_i}{dt} = -\frac{3}{2} \nu_{in} (T_i - T_n)$$

$T_i^{eq}$  and  $T_i^{max}$  can be modeled using energy conservation arguments



$$T_i^{max} \approx \frac{Z^2 e^2}{4\pi\epsilon_0 k_B} \left( \frac{4\pi x_i n}{3} \right)^{1/3} \frac{1}{1.91} \quad T_i^{eq} = x_i T_i^{max} + (1 - x_i) T_{n,t=0} \quad \Gamma_{ii}^{eq} = \frac{Z^2 e^2}{4\pi\epsilon_0} \left( \frac{4\pi x_i n}{3} \right)^{1/3} \frac{1}{k_B T_i^{eq}(x_i)}$$

## Conclusions

- Ions are strongly coupled in atmospheric pressure plasmas
- The equilibrium temperature is set by the DIH, Ion-Neutral temperature relaxation through collisions and 3-body recombination
- The DIH and ion temperature fluctuations could not be obtained by solving the Boltzmann equation or using PIC simulations since they only apply to weakly coupled plasmas
- i-i interactions are not screened by the presence of neutral atoms
- The strongly coupled effects are not negligible and you need models to capture this important physics

## Acknowledgments

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