



# 2022 ASHRAE Annual Conference

## June 25-29, 2022 | Toronto

## Seminar 3 – Acute Climate Driven Severe Weather

Daniel Villa

Sandia National Laboratories

[dlvilla@sandia.gov](mailto:dlvilla@sandia.gov)

505-321-1269

The Multi-Scenario  
Extreme Weather  
Simulator



# Learning Objectives

1. **Understand the importance of future weather boundary conditions in climate driven resilience and efficiency analysis.**
2. **Understand why a stochastic framework is needed to assess resilience versus efficiency combined assessments.**
3. Introduction of VCWG modeling paradigm and sub-modules: the rural, rural surface energy-water balance, building energy, surface energy-water balance, soil energy-water balance, vertical diffusion, and urban boundary layer models.
4. Preparation of weather data as boundary and forcing conditions for BEMs: observed weather files, meso-scale models, and downscaling of climate models to produce weather files

*ASHRAE is a Registered Provider with The American Institute of Architects Continuing Education Systems. Credit earned on completion of this program will be reported to ASHRAE Records for AIA members. Certificates of Completion for non-AIA members are available on request.*

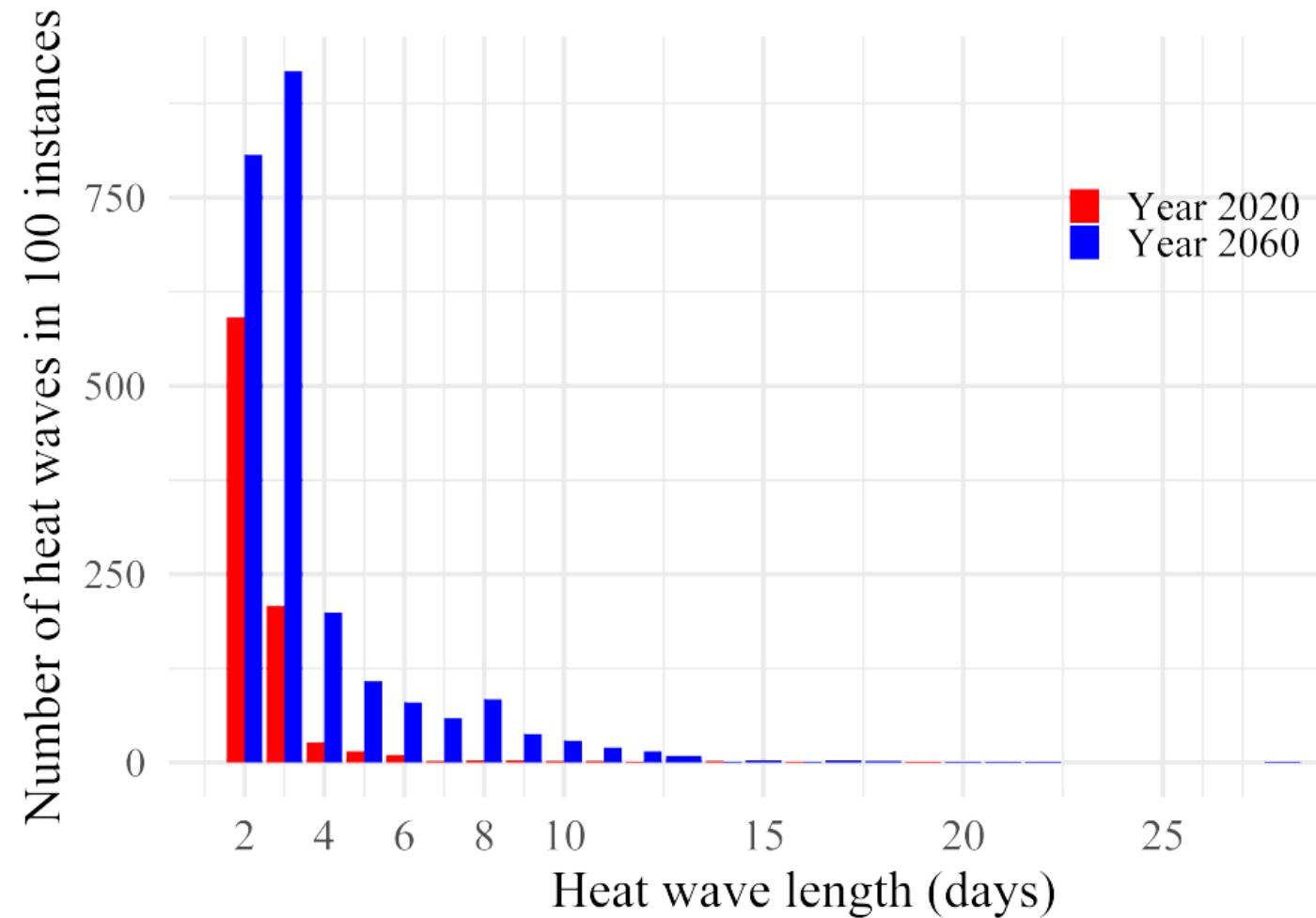
This program is registered with the AIA/ASHRAE for continuing professional education. As such, it does not include content that may be deemed or construed to be an approval or endorsement by the AIA of any material of construction or any method or manner of handling, using, distributing, or dealing in any material or product. Questions related to specific materials, methods, and services will be addressed at the conclusion of this presentation.

# Acknowledgements

- The multi-scenario extreme weather simulator (MEWS) is funded by the Department of Energy (DOE) Building Technology Office Future Weather Project
- Funding from the DOE Office of Electricity Energy Resilience for Mission Assurance project was also used to create MEWS

# Outline

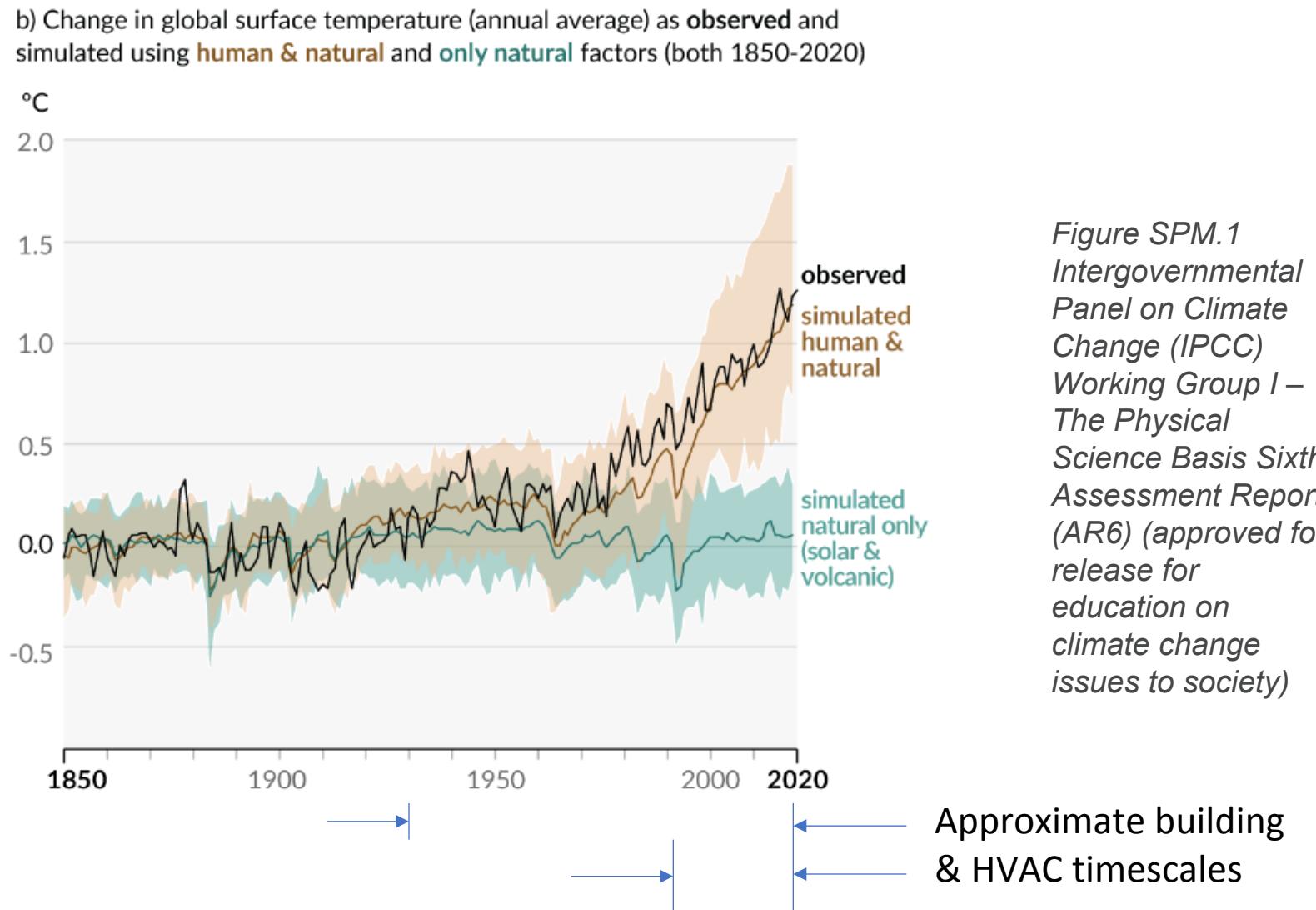
- Why future weather?
- Why a stochastic approach to resilience analysis?
- Multi-scenario extreme weather simulator (MEWS)
  - Objectives/Overview
  - Algorithm
- Conclusion



# Why future weather?

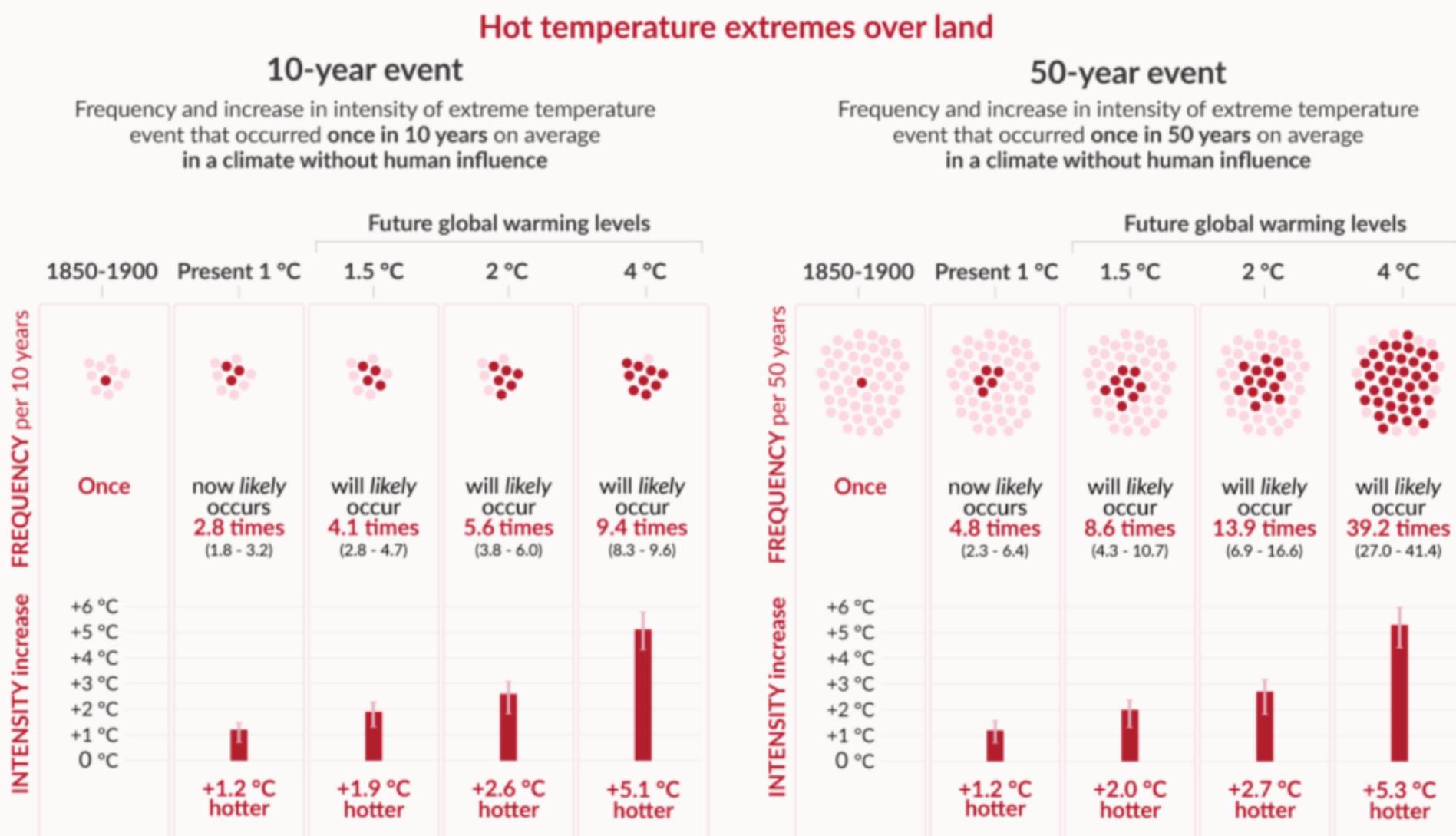
## 1. Global Climate Change

See ASHRAE fundamentals chapter 36  
on climate change



# Why future weather? (2)

## 2. Increased frequency, and intensity of extreme weather



# Why future weather? (3)

## 3. Increased demand for resilience to future design basis threats (DBR)

- Resilience analysis requires simulation of a system's failure and recovery due to DBR's

**Extreme Weather DBR's**



Creative commons Wikimedia – Winter Storm Uri over the U.S. February 15<sup>th</sup>, 2021

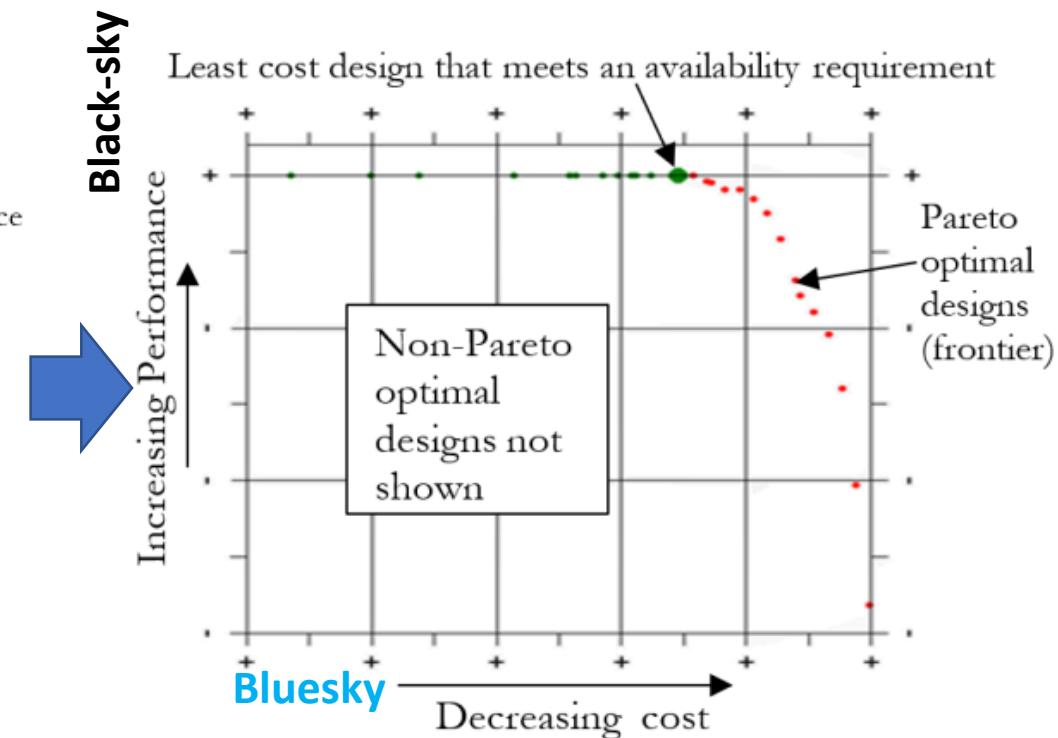
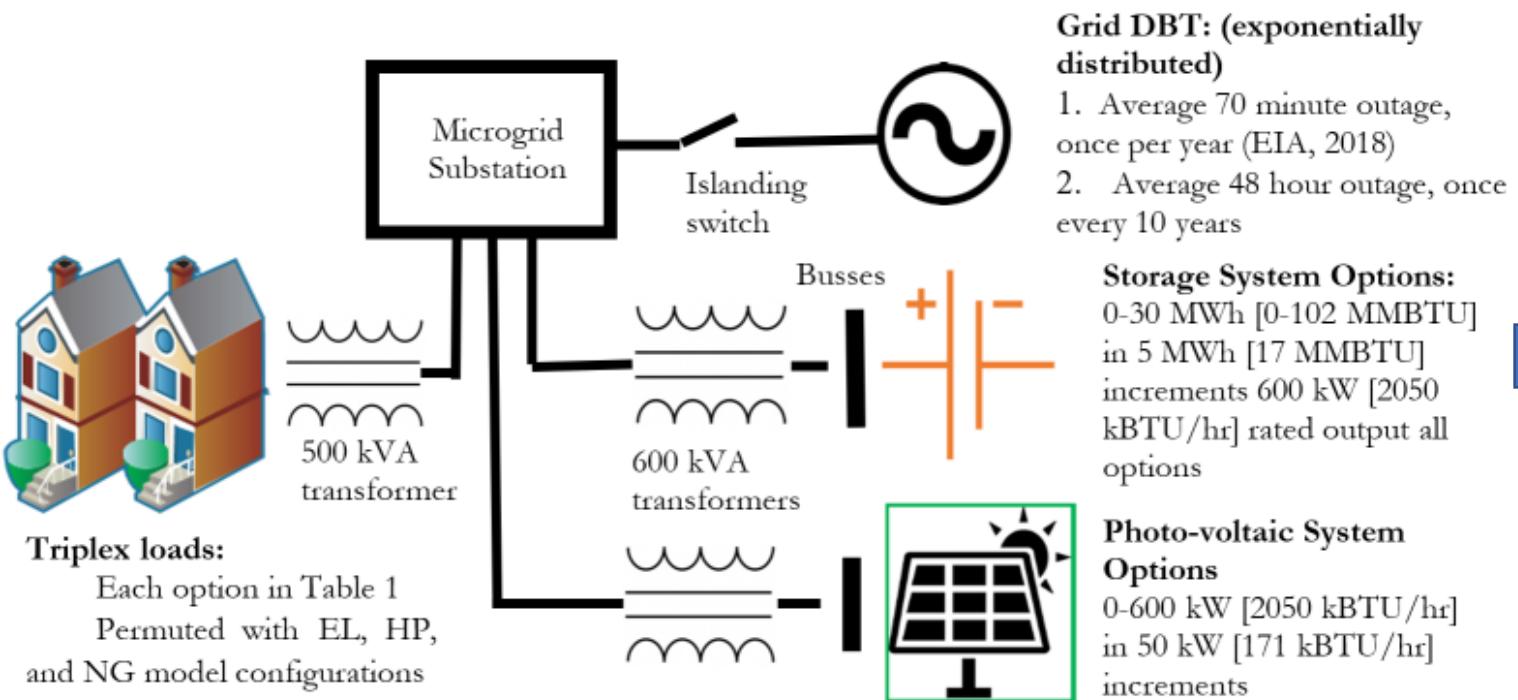
**Other DBR's Earthquake**



Collapsed apartment buildings in the Niigata area of Japan. *DOC/NOAA/NESDIS/NCEI (1964) Public Domain*

# Why a stochastic approach?

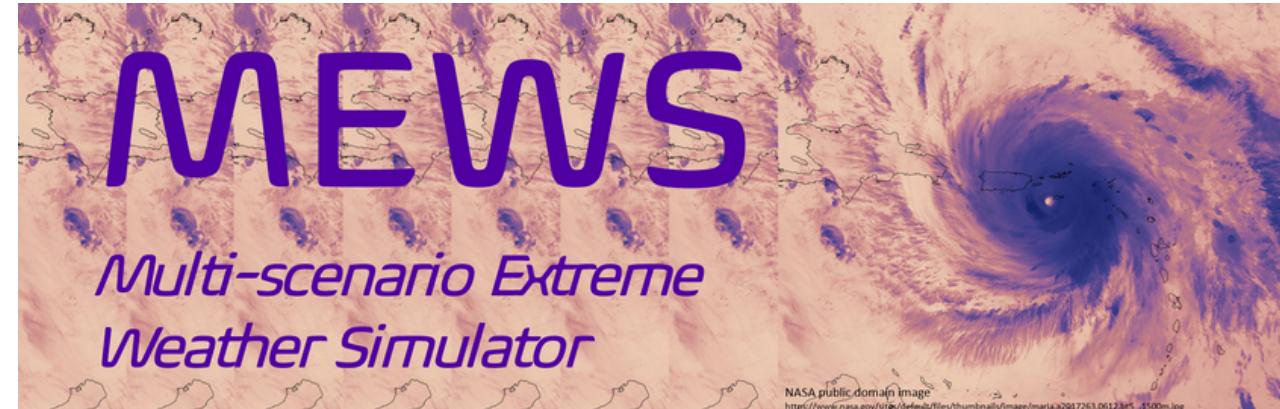
## How much money should be invested in resilience?



A Stochastic weather and model approach allows simultaneous assessment of ordinary (blue-sky) and resilience (black-sky) outcomes

# Multi-scenario Extreme Weather Simulator (MEWS)

1. Stochastic weather file generation for building energy modeling (BEM) resilience analysis
  - Outputs weather files for major BEM tools
2. Used for a site-wide energy assessment for SNL NM
3. Open-source python (<https://github.com/sandialabs/MEWS>)



# MEWS Objectives

## 1. Provide extreme weather files that contain statistically realistic increases in severity and frequency based on climate model predictions and historical data

- Extreme temperature (heat waves and extreme cold)
- Future:  
Extreme Precipitation, Drought, Hurricanes, ...

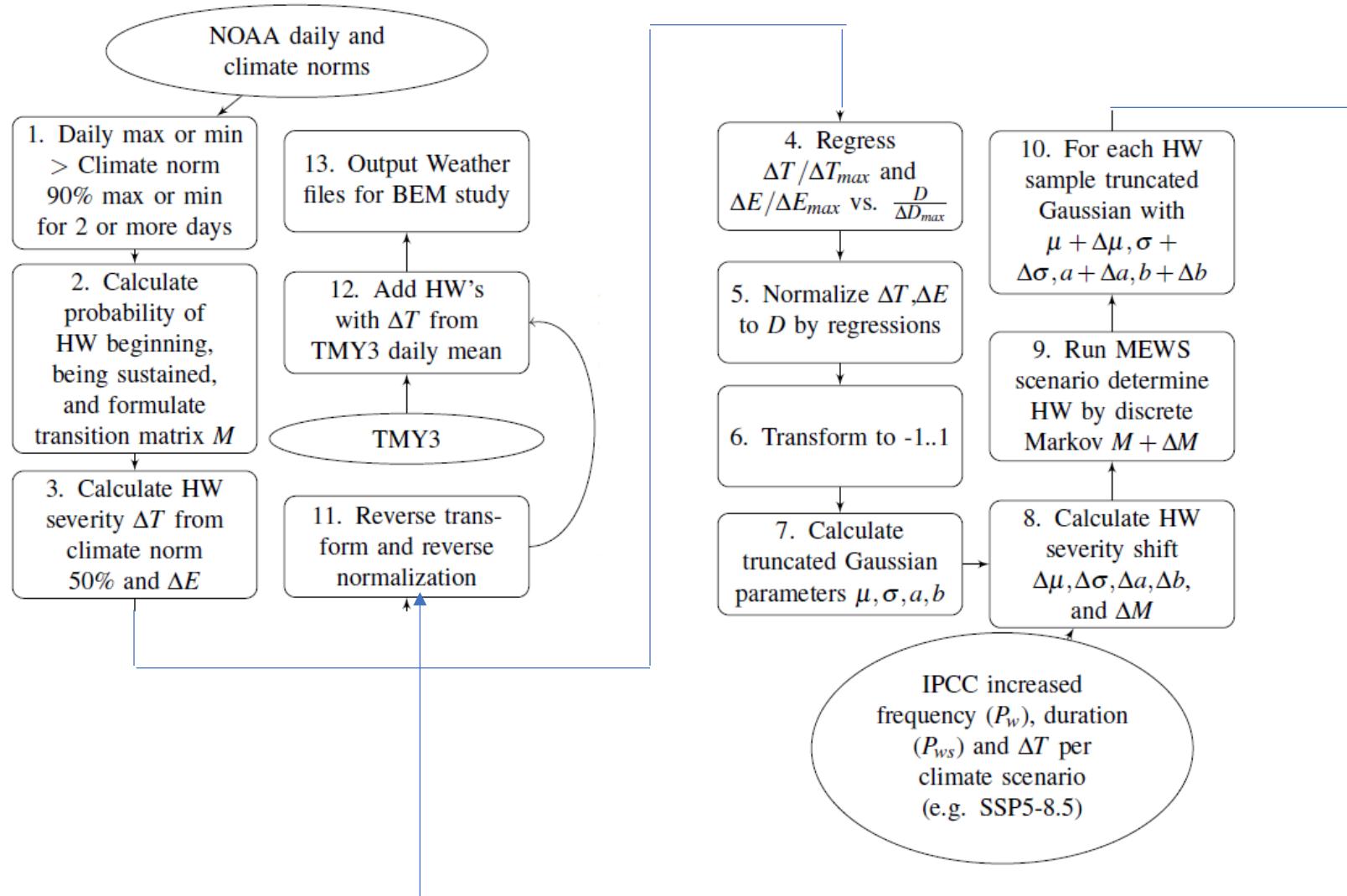
## 2. Quickly generate files with reasonable output with a data-driven approach

**Data here includes climate model outputs**

- Fuse historical data and climate projections into “best-guess” sampling distributions and Markov processes

## 3. Keep the algorithm simple (as possible!)

# MEWS Algorithm



# Step 1: Data and extreme temperature definition

National Oceanic and Atmospheric Association (NOAA)

- Climate norms (1991-2020)
- Daily summaries

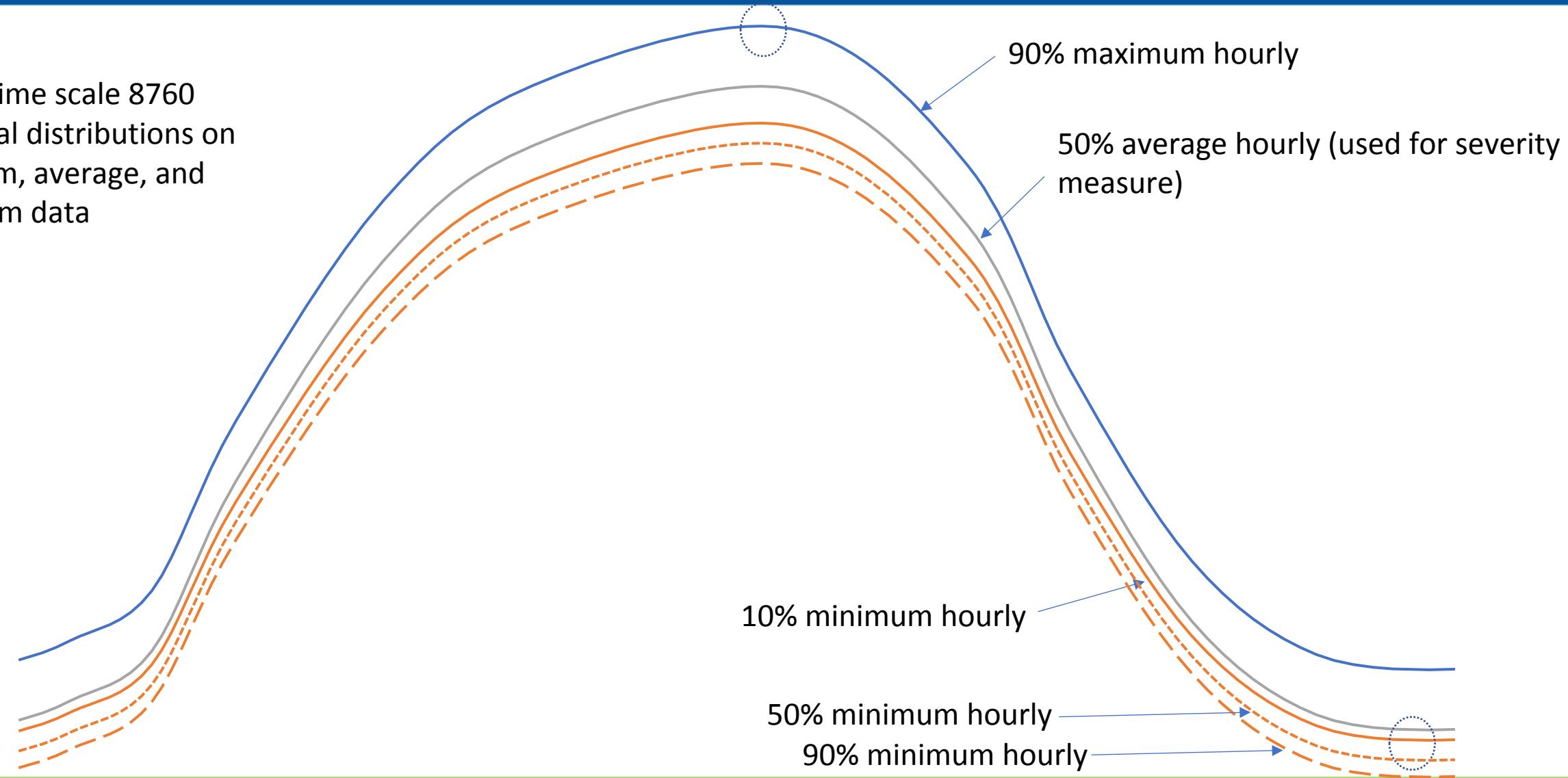
Definition

**Heat wave:** 2 days of either daily maximum temperature greater than 90% climate norm maximum temperature or daily minimum temperature greater than climate norm daily 10 % minimum temperature

**Cold snap:** 2 days of either daily minimum temperature less than 10% climate norm minimum temperature or daily maximum temperature less than climate norm 10% daily maximum

# Climate norms data

- Hourly time scale 8760
- Statistical distributions on minimum, average, and maximum data

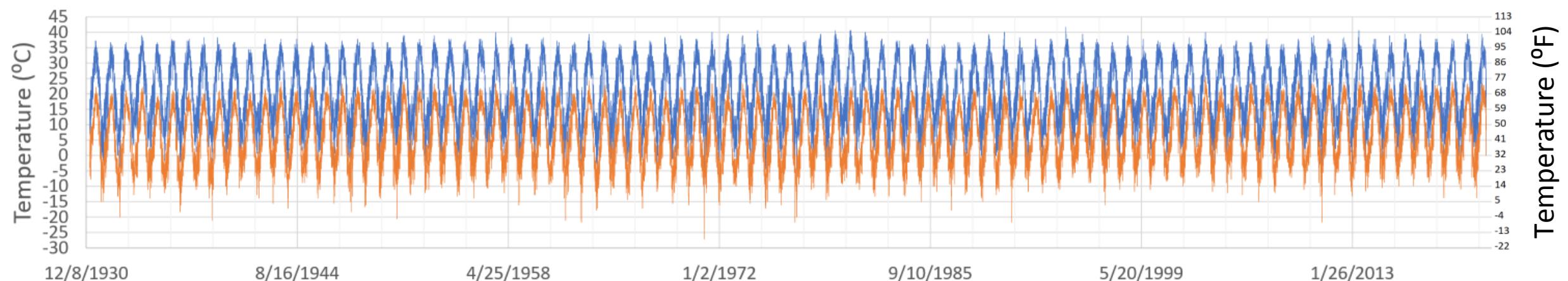


# Daily summaries

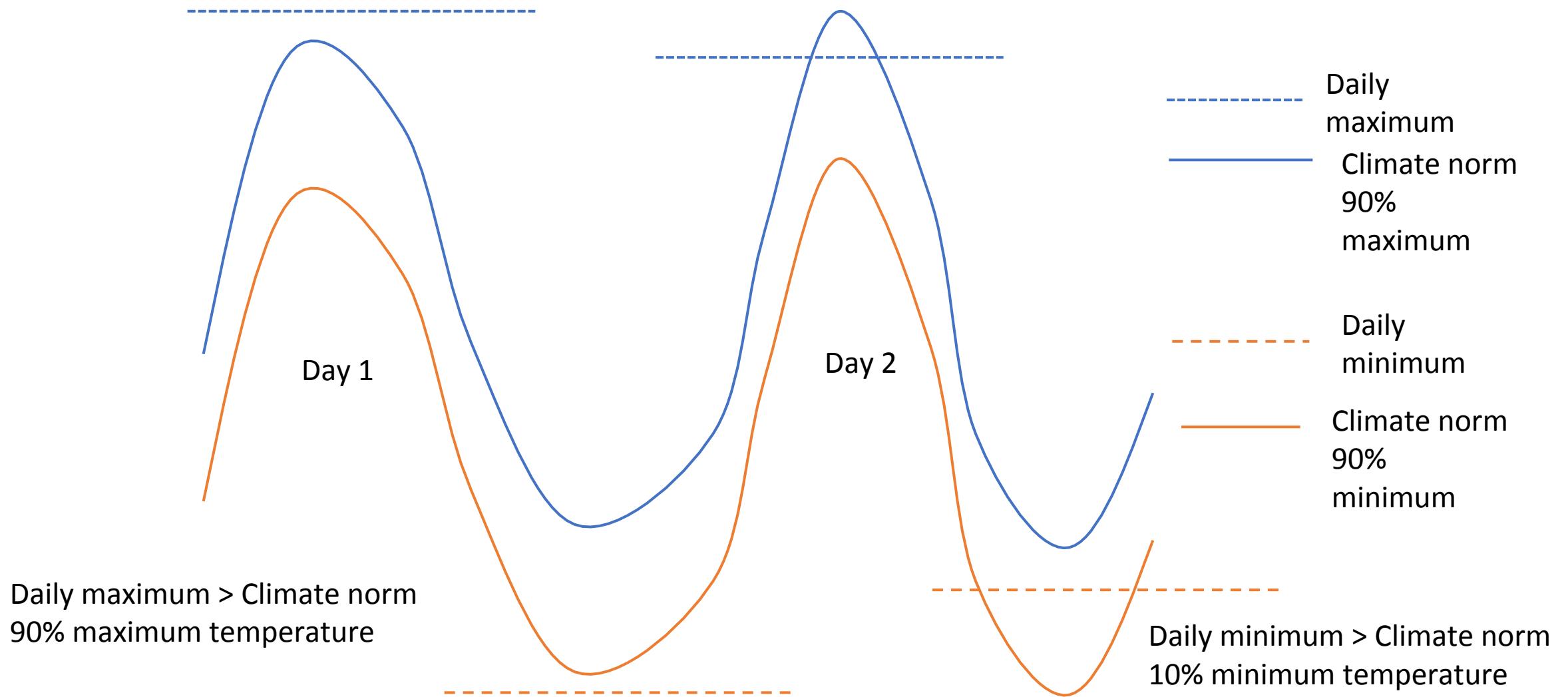
Chosen because longest historical records available

Daily maximum, minimum, and average temperatures

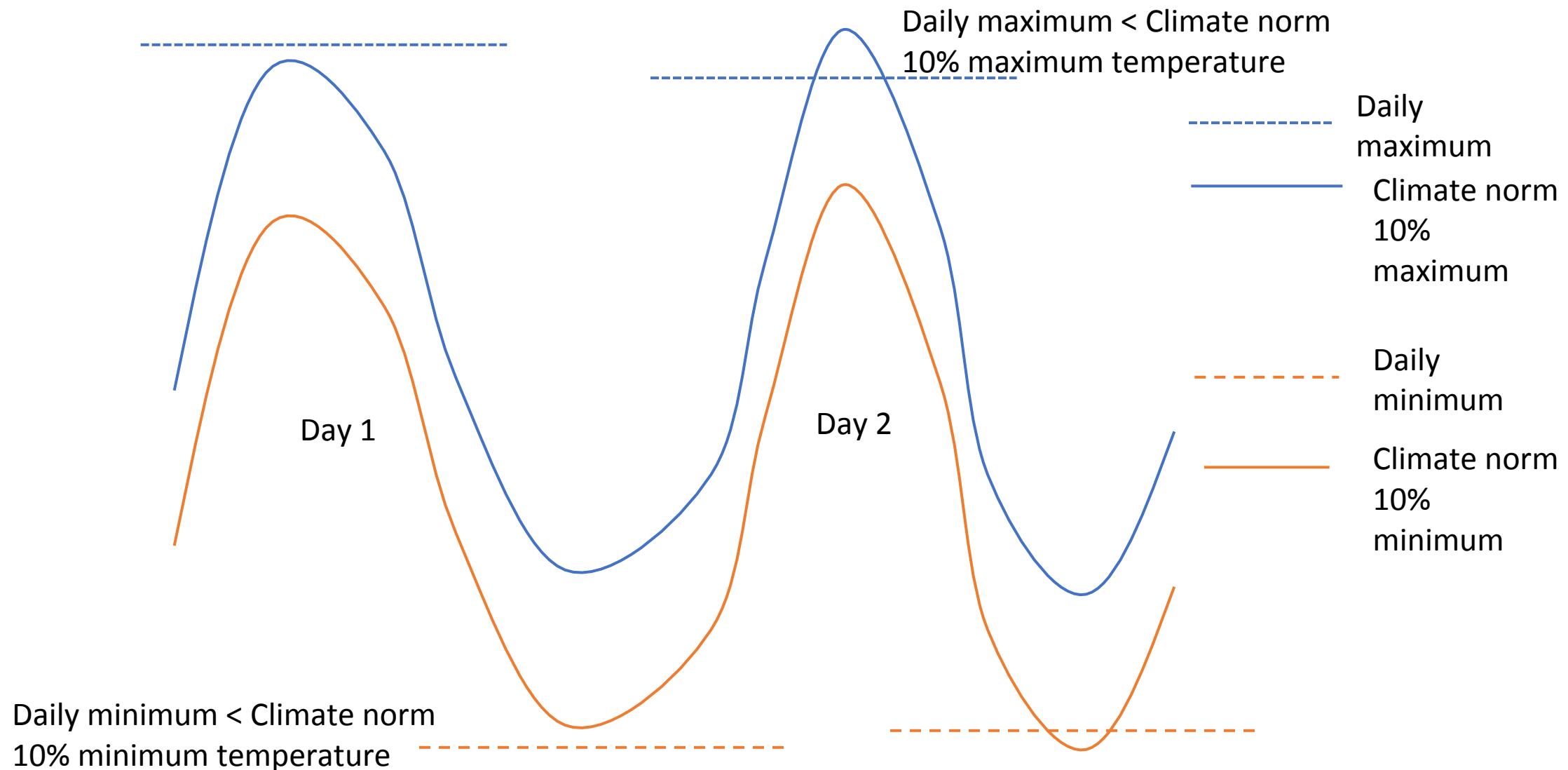
Albuquerque NM 90 years of daily summary data



# 2 Day heat wave example



# 2 Day cold snap example



## Step 2: Calculate the Markov probabilities for heat waves and cold snaps (Frequency and Duration)

1. Probability of heat wave  $P_{hw_m}$  ~ number of heat waves in historic record for month m / total hours in historic record for month m
2. Probability of sustaining a heat wave when in a heat wave  $P_{hws_m}$  find via regression of  $P_{hws_m}^{D_{HW}}$  probability a heat wave is of a given duration divided by the sum of all heat wave's duration
3. Similar reasoning for cold snaps

$$M_m = \begin{bmatrix} 1 - P_{hw_m} - P_{cs_m} & P_{cs_m} & P_{hw_m} \\ 1 - P_{css_m} & P_{css_m} & 0 \\ 1 - P_{hws_m} & 0 & P_{hws_m} \end{bmatrix}$$

## Steps 3-7: Characterize extreme temperature event severity

Heat wave severity is magnitude measured above daily average of climate norms. Each heat wave has a  $\Delta T_{hw}$  peak.

Forms a set  $\{\Delta T_{hw_m}\}$  for each month of the year.

The difference between the heat wave daily maximum temperature and daily average of climate norms is also integrated to form the total energy  $\Delta E_{hw}$  in  $^{\circ}\text{C} \cdot \text{day}$  added by each heat waves.

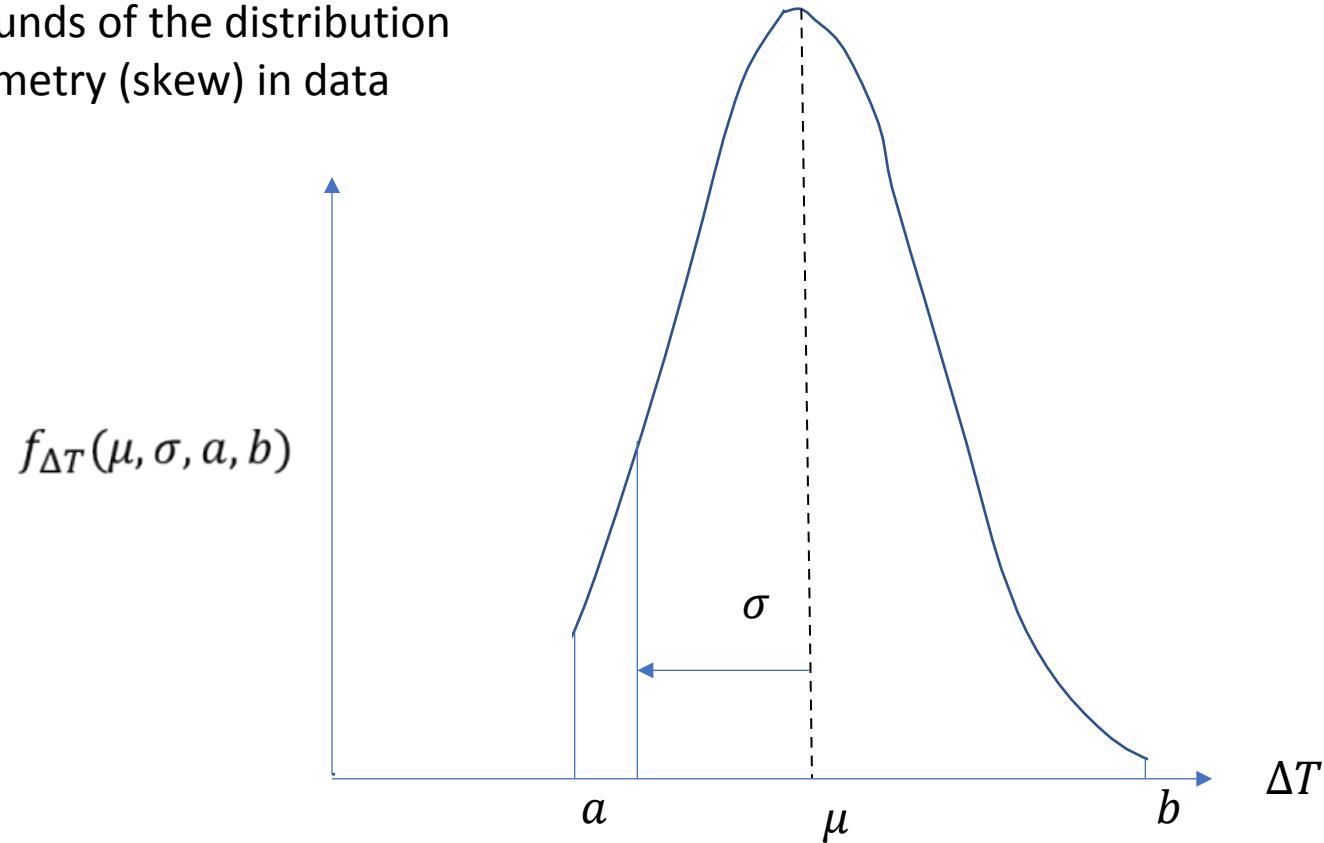
Form a second set  $\{\Delta E_{hw_m}\}$  for each month of the year.

Perform several statistical steps to form truncated Gaussian distributions of  $\Delta T \sim \mathcal{N}_{\Delta T}(\mu_{\Delta T}, \sigma_{\Delta T}, a_{\Delta T}, b_{\Delta T})$ , normalize the results by  $D$  and scale to -1...1

# Truncated Gaussian

Enables

1. Maximum and minimum historic cases to be the bounds of the distribution
2. Fitting asymmetry (skew) in data



## Step 8: Calculate shift in all parameters based on IPCC data

For each IPCC climate scenario, year, and month each year, calculate shifts  $\Delta M, \Delta \mu, \Delta \sigma, \Delta a, \Delta b$

$$\Delta M_m = \begin{bmatrix} P_{hw_m} + P_{cs_m} - P'_{hw_m} - P'_{cs_m} & P'_{cs_m} - P_{cs_m} & P'_{hw_m} - P_{hw_m} \\ P_{css_m} - P'_{css_m} & P'_{css_m} - P_{css_m} & 0 \\ P_{hws_m} - P'_{hws_m} & 0 & P'_{hws_m} - P_{hws_m} \end{bmatrix}$$

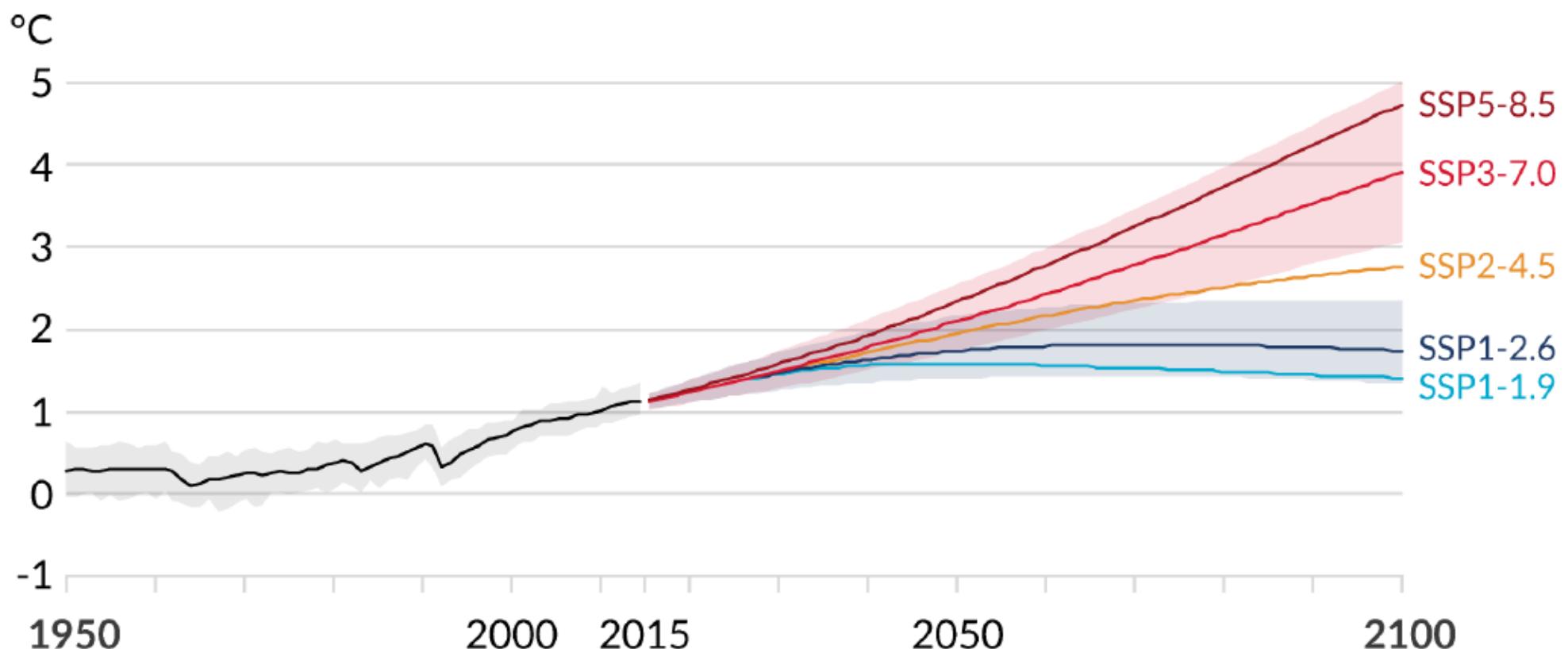
Several assumptions needed here so that IPCC data provided for 10 and 50 year extreme temperature events is adequate:

1. Assume increase in  $\Delta T$  is proportional to  $\Delta E$
2. Weighted averages for modified sustained heat wave probabilities (cannot meet 10 and 50 year events exactly with single Markov parameters)

# IPCC scenarios (global average here)

IPCC scenarios drive how severe extreme temperature events become in future years

a) Global surface temperature change relative to 1850-1900



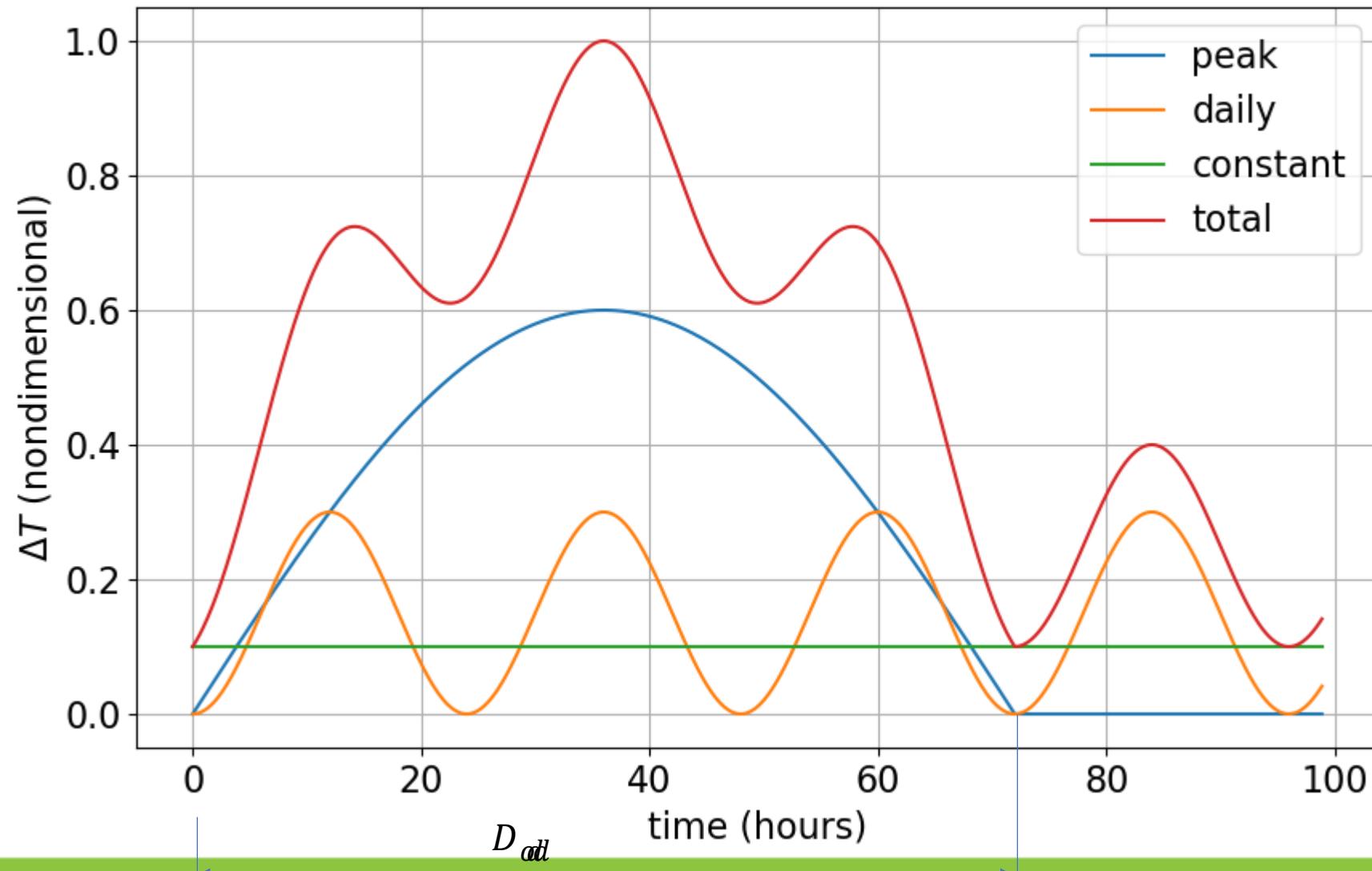
# Steps: 9-11 Produce stochastic realizations

1. Calculate extreme event initiation and duration for many future years from stochastic sampling of the  $M + \Delta M$  Markov process.
2. Sample extreme event duration normalized temperature and energy increases
3. Retrieve durations for each heat wave, reverse transform from -1...1 and denormalize duration to produce physical  $\Delta T$  and  $\Delta E$  for each extreme event
4. Solve for heat wave functional form parameters A.B.C

$$\Delta T(t, D, \Delta t_{min}) = \begin{cases} A \sin\left(\frac{\pi t}{D_{odd}}\right) + B\left(1 - \cos\left(\frac{2\pi t}{\Delta t_{min}}\right)\right) + C & t \leq D_{odd} \\ B\left(1 - |\cos\left(\frac{2\pi t}{\Delta t_{min}}\right)|\right) + C & t > D_{odd} \end{cases}$$

$$\Delta E = \frac{2AD_{odd}}{\pi} + BD - \frac{B\Delta t_{min}}{2\pi} \sin\left(\frac{2\pi D}{\Delta t_{min}}\right) \quad D_{odd} = \Delta t_{min} \left[ \lfloor \frac{D}{\Delta t_{min}} \rfloor - \delta \left( \lfloor \frac{D}{\Delta t_{min}} \rfloor \bmod 2 \right) \right]$$

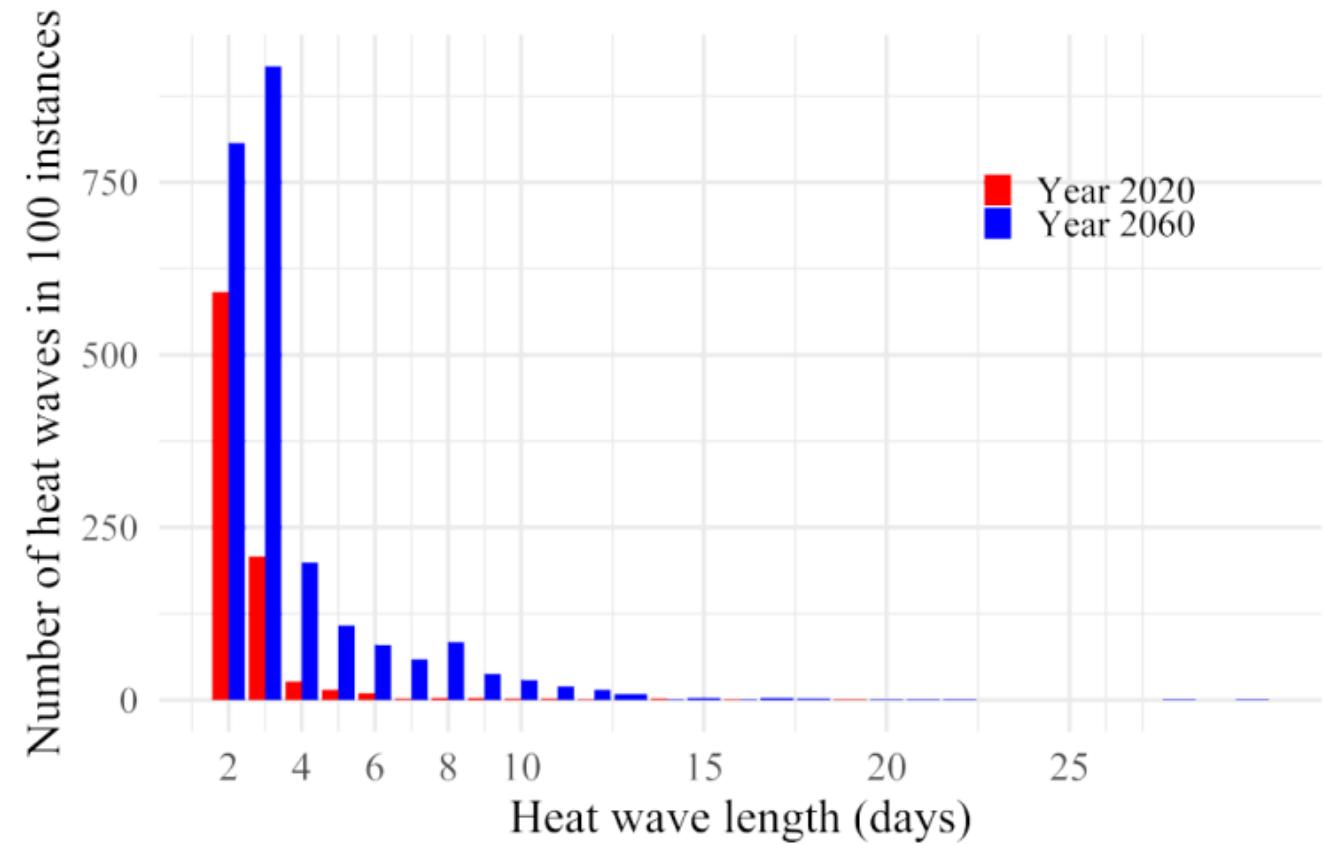
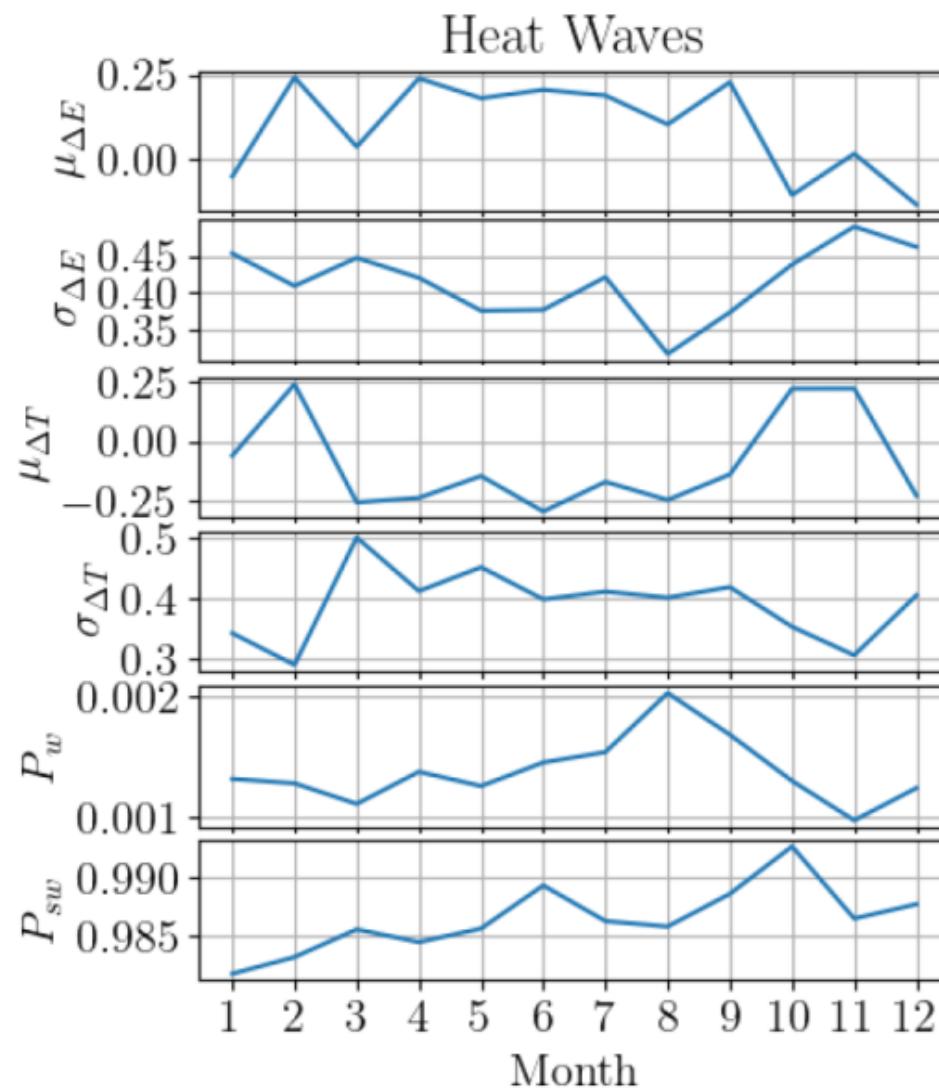
# Extreme event functional form



## Steps 12-13: Output BEM file

- Start with input from an EnergyPlus \*.epw or DOE-2 \*.bin weather file
- Outputs \*.epw and \*.bin weather files with stochastic changes to temperature
- These files can then be used as input to stochastic resilience analysis!

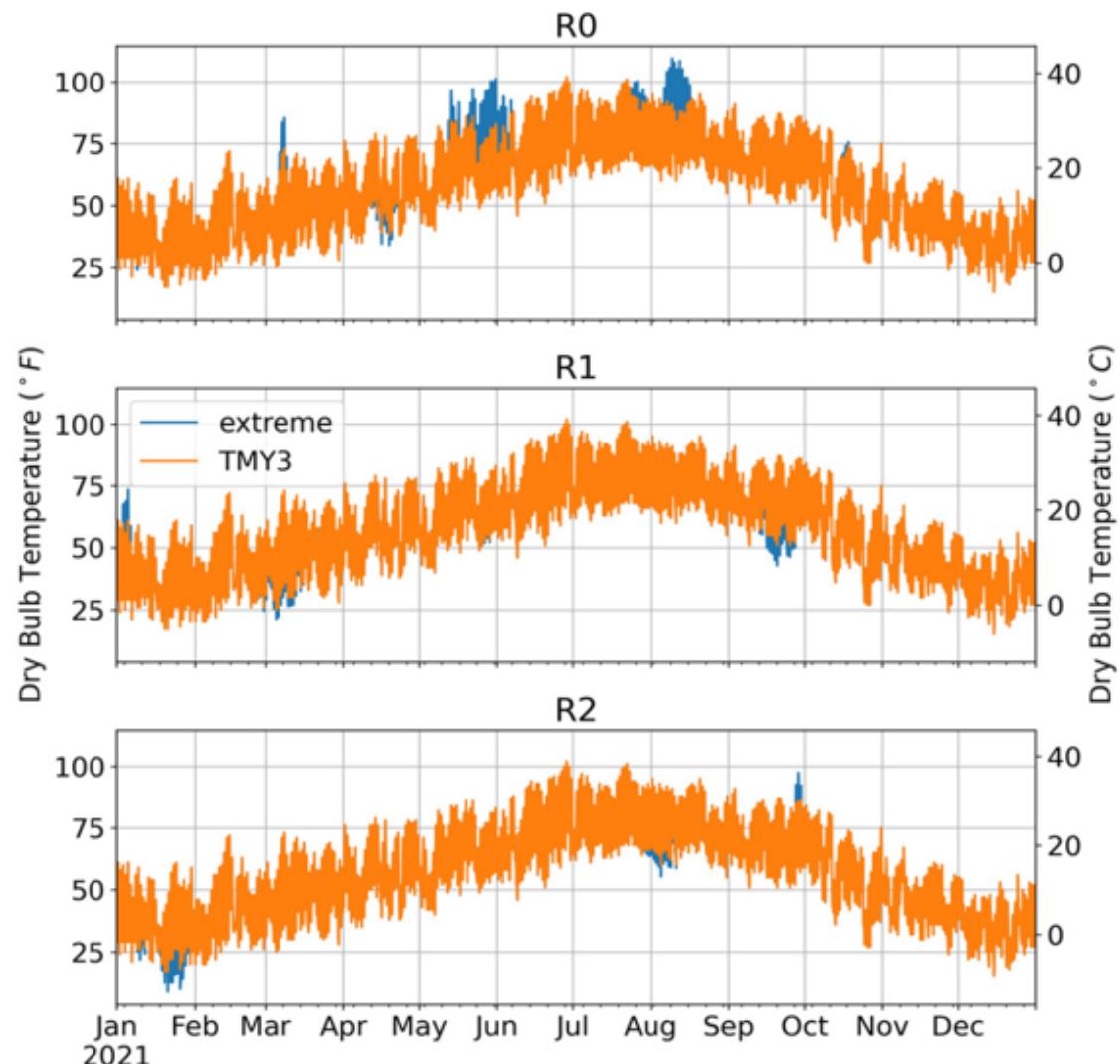
# Albuquerque results



# Hot/Cold extreme example

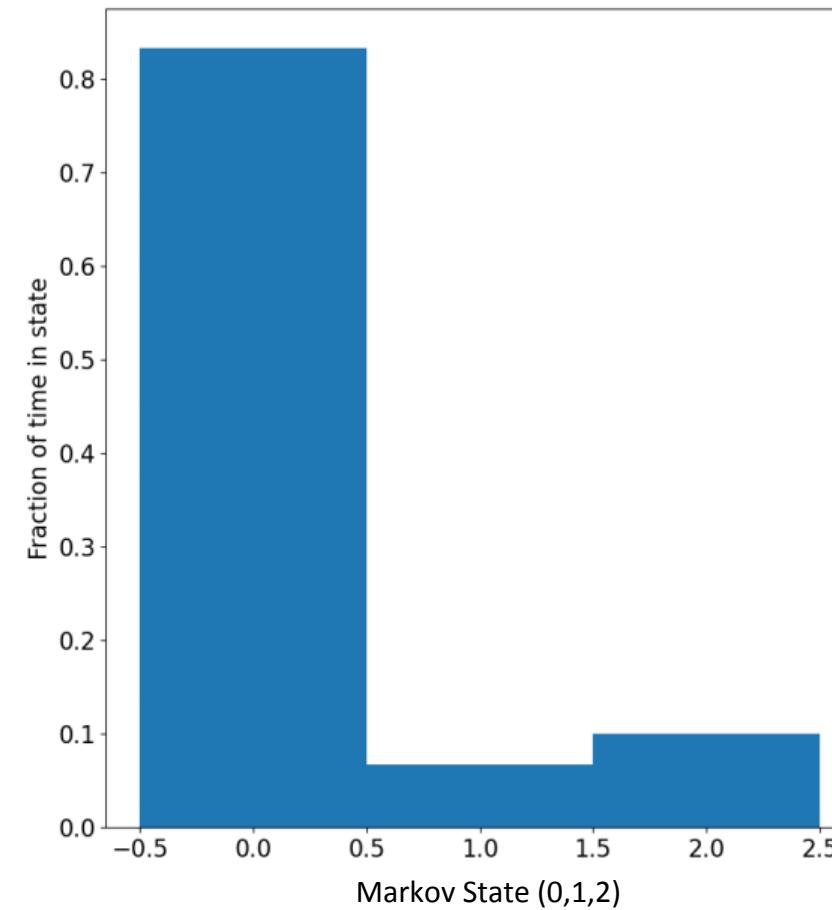
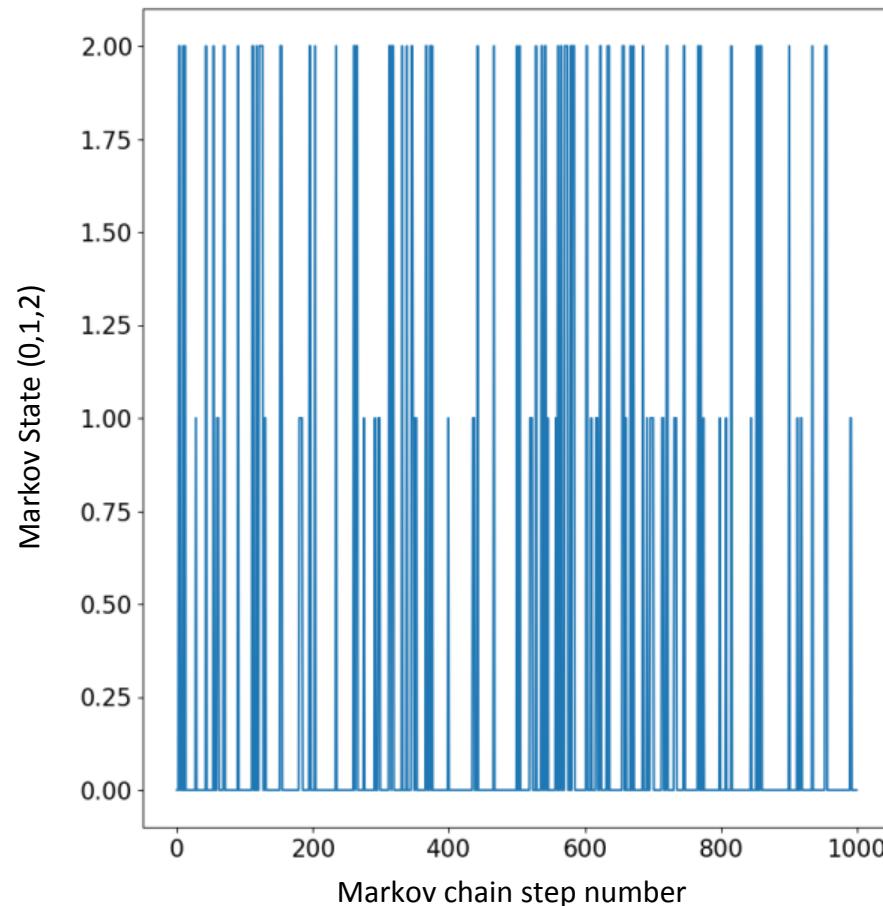
- MEWS produces a user specified number of realizations based on historical data and IPCC projections for extreme heat and cold

3 demo realizations for possible future heat wave conditions in Albuquerque



# Multi-state Markov chains

- MEWS has an efficient tested multi-state Markov chain algorithm



# Conclusions

- Stochastic weather generation for future files can be an important part of resilience analysis
- The MEWS algorithm has been developed and has been briefly reviewed. It is available as open-source code: <https://github.com/sandialabs/MEWS>
- Practical application of MEWS using BEM is currently underway
- Significant enhancements are envisioned:
  1. Validate MEWS against climate model future weather for several cases
  2. Show convergence of multi-parameter stochastic resilience analysis
  3. Generalize heat wave definition and functional form and show that it mimic weather
  4. Extend heat waves to include humidity, pressure, wind, cloud, and other effects

# Questions?

Daniel Villa

[dlvilla@sandia.gov](mailto:dlvilla@sandia.gov)