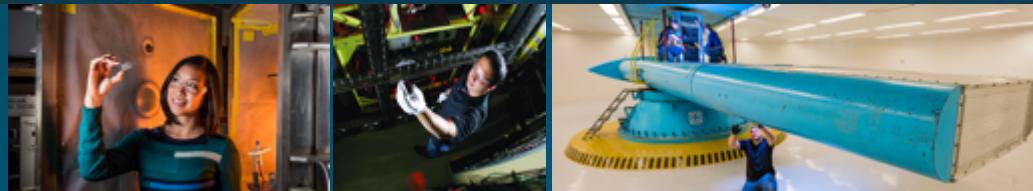
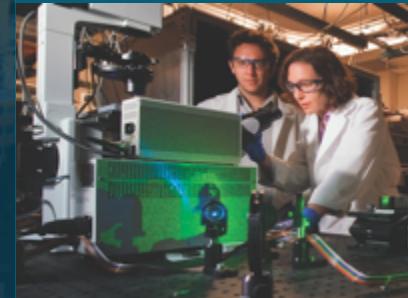




Sandia
National
Laboratories

Data Mining the Mesoscale to Study Shock Ignition and Reaction Growth in Pressed Energetic Materials



TMS 2022 Annual Meeting and Exhibition

Anaheim, CA

Feb 27 – March 3, 2022

PRESENTED BY

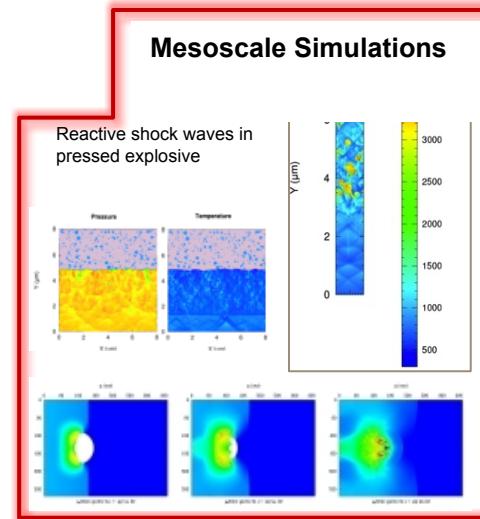
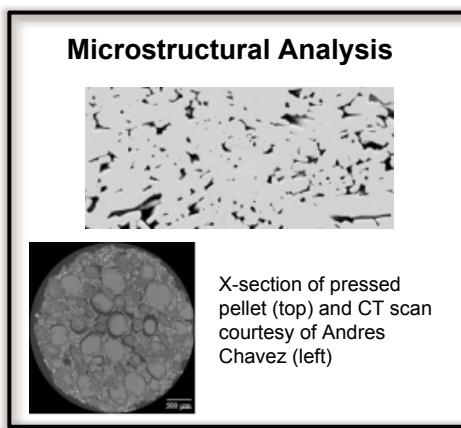
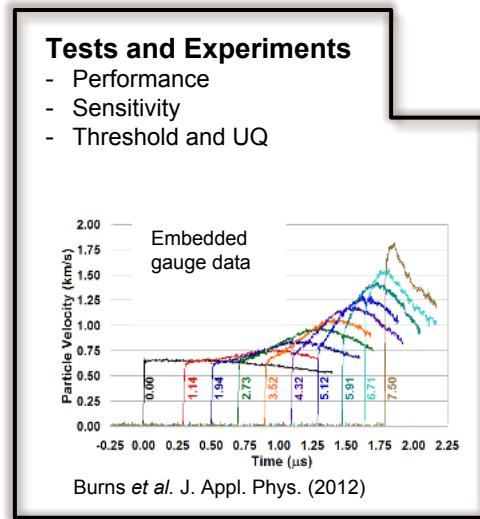
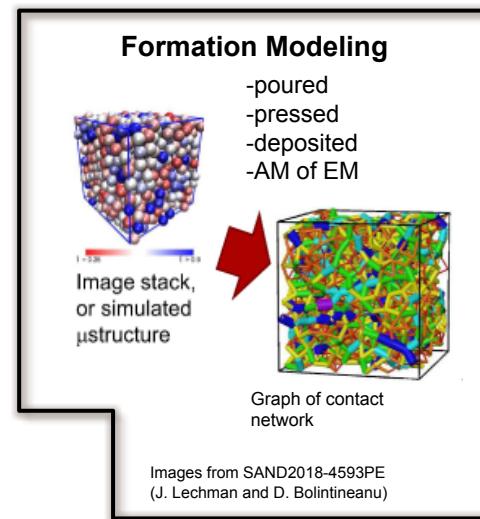
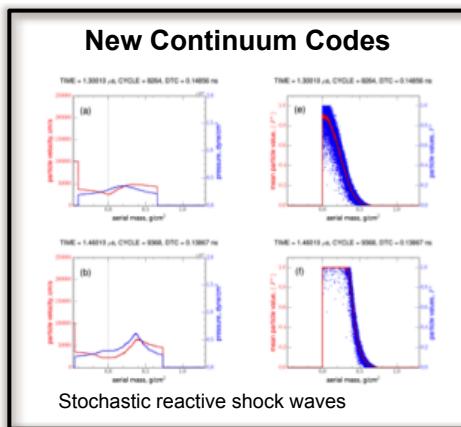
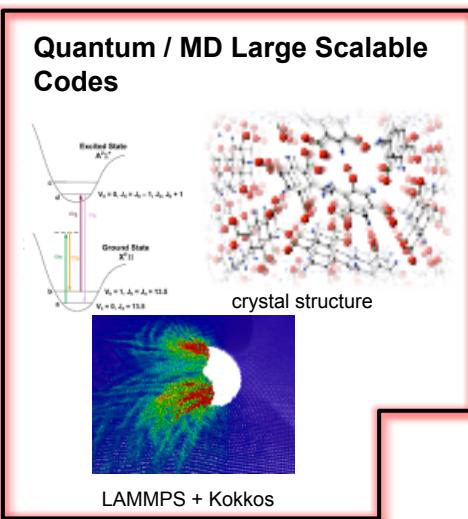
Judith Brown, Julia Hartig, Michael
Sakano, Dan Bolintineanu, Mitch Wood

March 14, 2022



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Shock Initiation of Explosives at Sandia

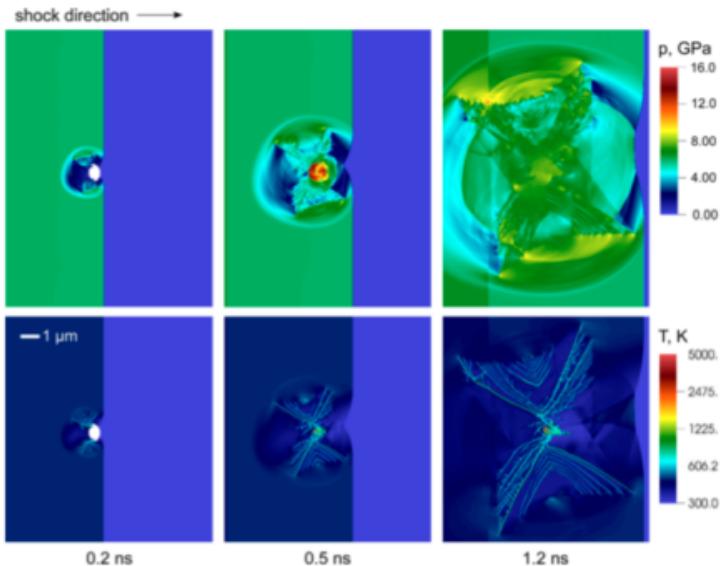


Objective: Science-based engineering and design of new explosive components

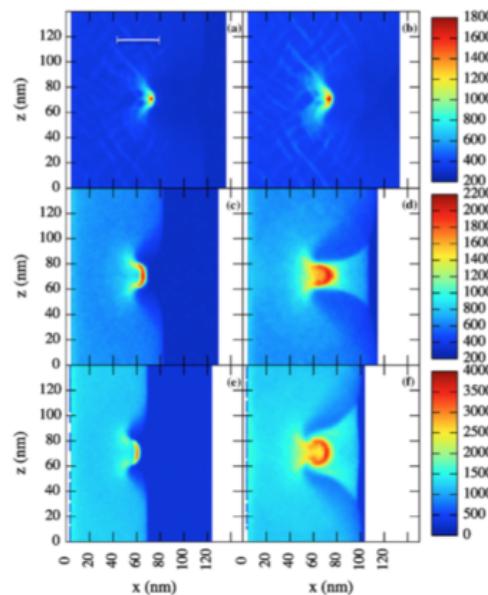
Role of Porosity in Shock Initiation



- ❖ Some degree of porosity present in almost all energetic materials
- ❖ Pore collapse can be key mechanism for hot spot formation
 - Many Single-Pore Collapse Studies



Austin et. al, J. App. Phys. 117 (2015), 185902



Eason and Sewell, J. Dynamic Behavior Mater. 1 (2015), 423-438

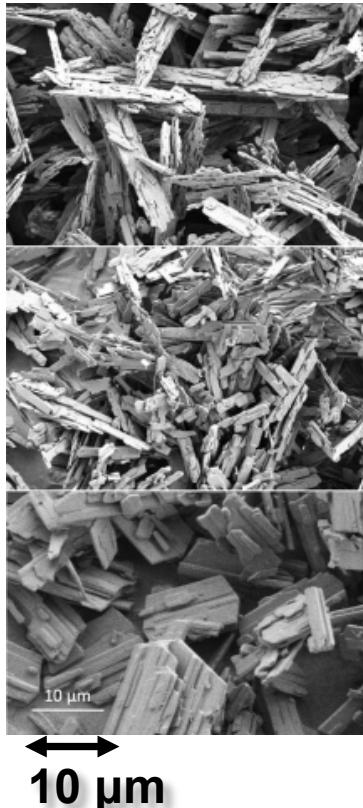
- ❖ What about pore interactions?
- ❖ Can we link particular porosity configuration with some metric of sensitivity to detonation?

Microstructure of Pressed Energetics



- ❖ Energetic material powder pressed to ~90% TMD

Loose Energetic Crystals

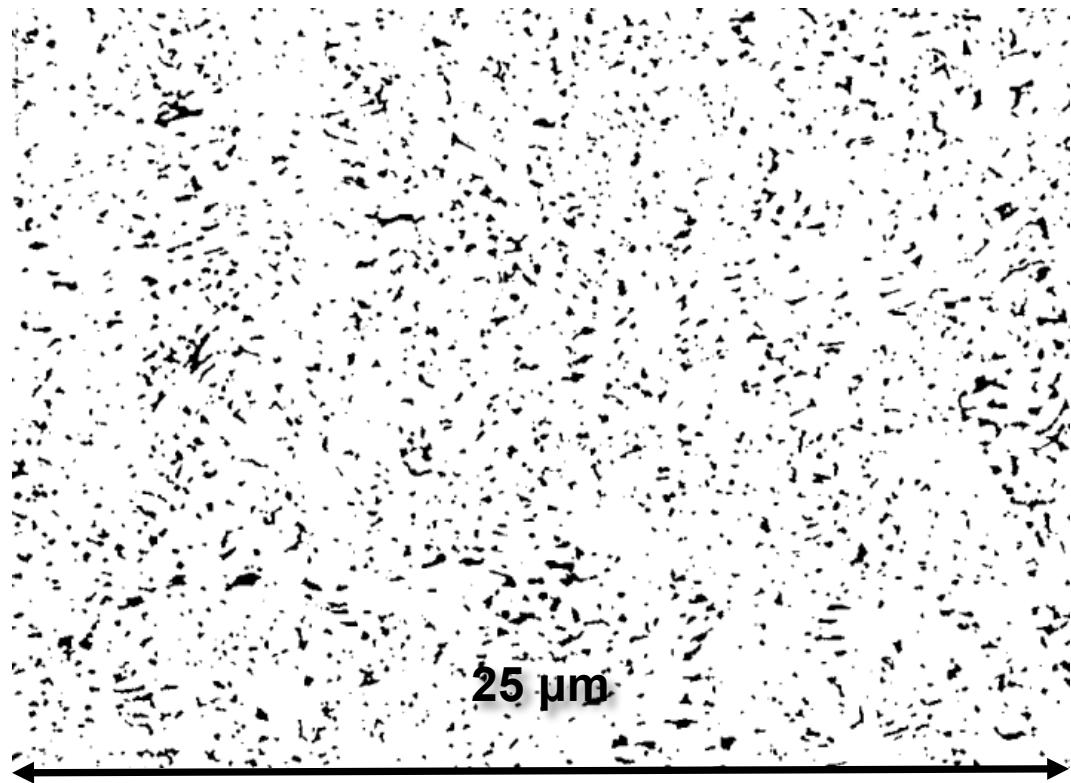


Lot 1

Lot 2

Lot 3

Thresholded SEM image of pressed microstructure



Synthetic Microstructure Generation

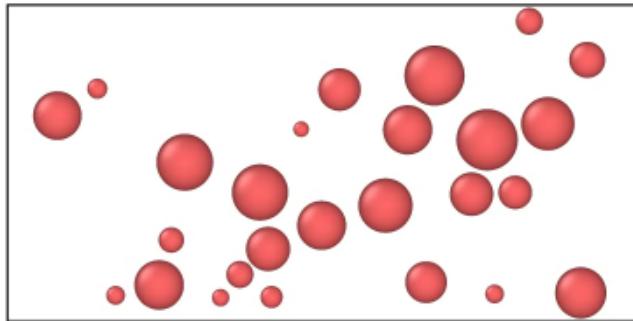


- ❖ 2D Discrete Element Method (DEM) simulations used to generate many microstructures with different porosity configurations

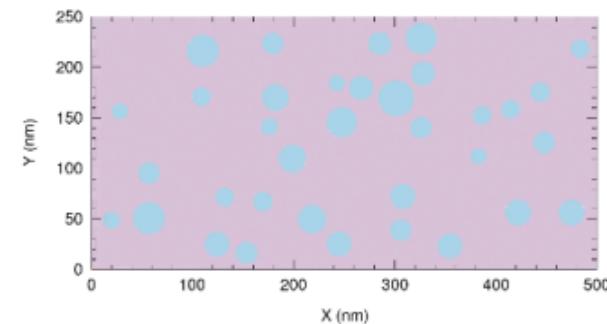
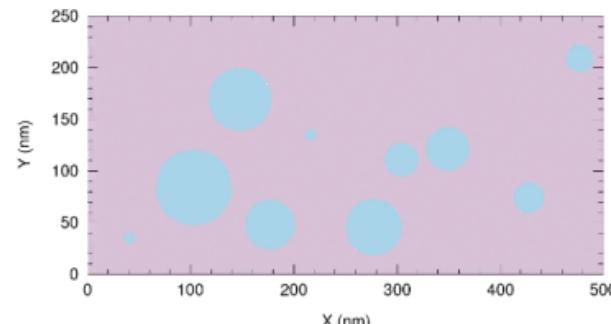
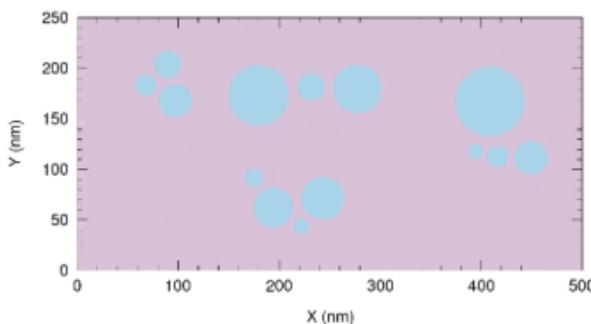
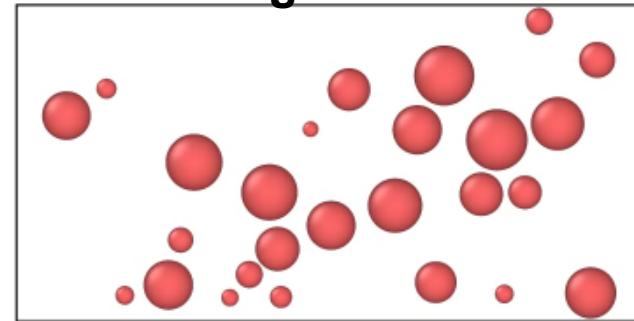
Initial state: spheres placed at random in 250 X 500 nm domain, no overlaps

Langevin dynamics with range of contact cohesion values:

Low cohesion



High cohesion

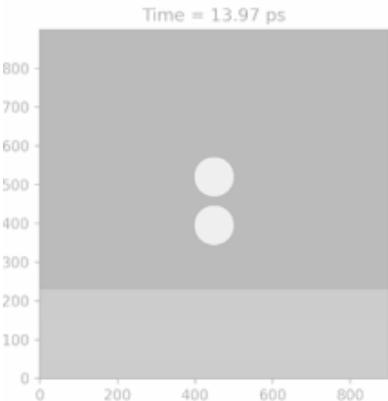


Hierarchical Length Scales in SDT

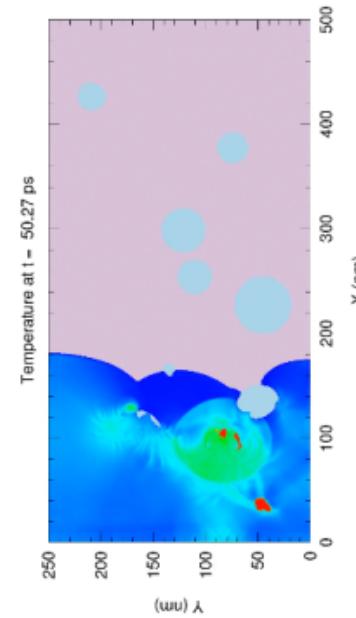
t = 4.66 ns



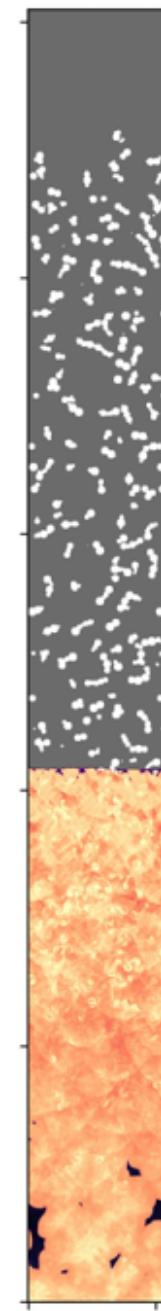
- ❖ Two-pore collapse studies
- ❖ Small microstructure subset studies
- ❖ Full run to detonation distance



Hot spot ignition



Early sensitivity metrics (??)



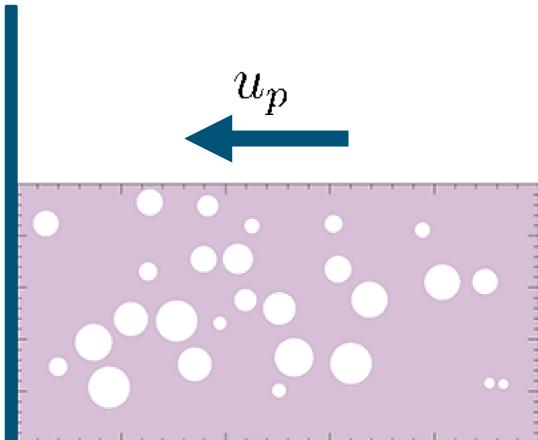
SDT
Go/No Go

Continuum Hydrocode Simulations—CTH



- ❖ Reverse ballistic impact calculation
- ❖ Evaluate many microstructures to elucidate geometries that show higher propensity for hot spot formation

Symmetric impact



Material Models

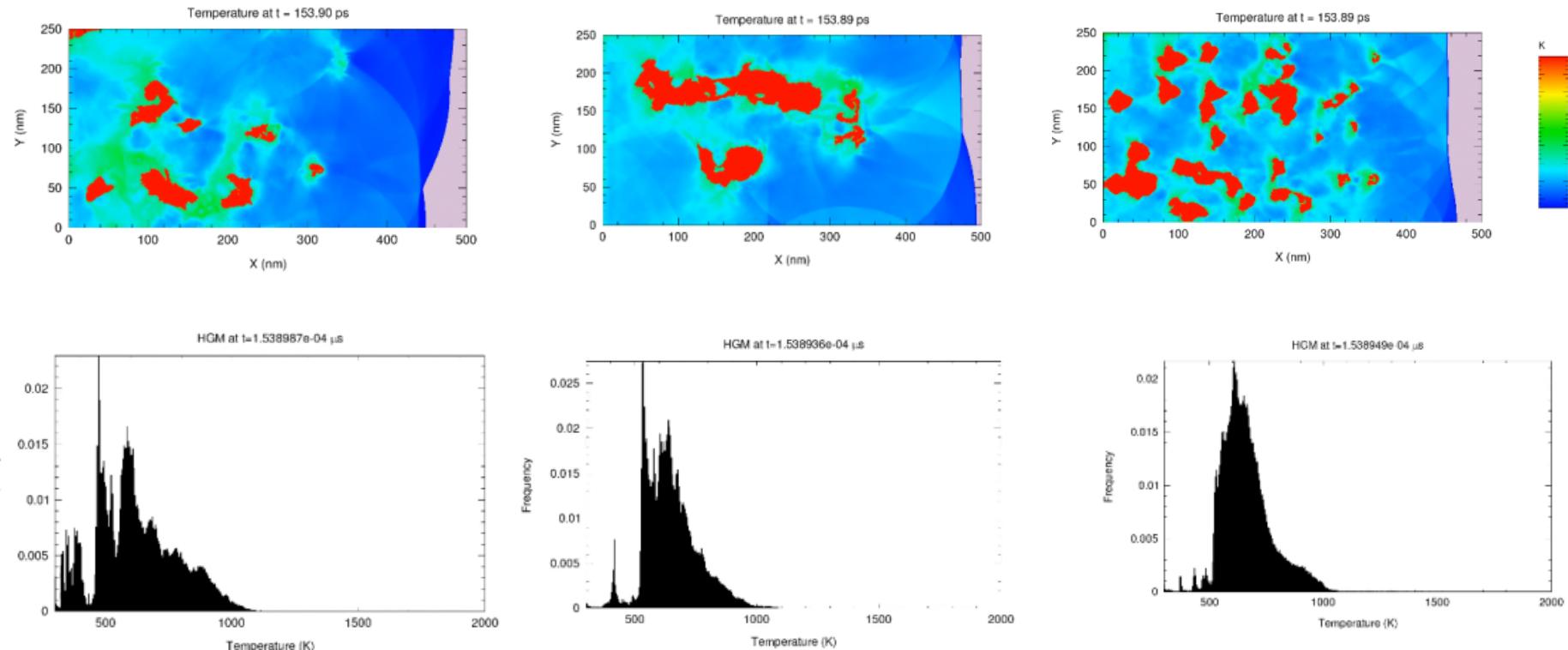
- ❖ Pores filled with air
- ❖ Energetic matrix:
 - ❖ Mie-Grüneisen equation of state
 - ❖ Stienberg-Guinan-Lund viscoplastic strength model
 - ❖ Arrhenius burn model

Single-pore collapse rate was used to calibrate SGL model from MD simulations

Mine Temperature Field Data for Sensitivity Indicators



- ❖ Temperature histograms provide fingerprint for each microstructure and its hot-spot evolution---note these change over time and include both ignition and growth information



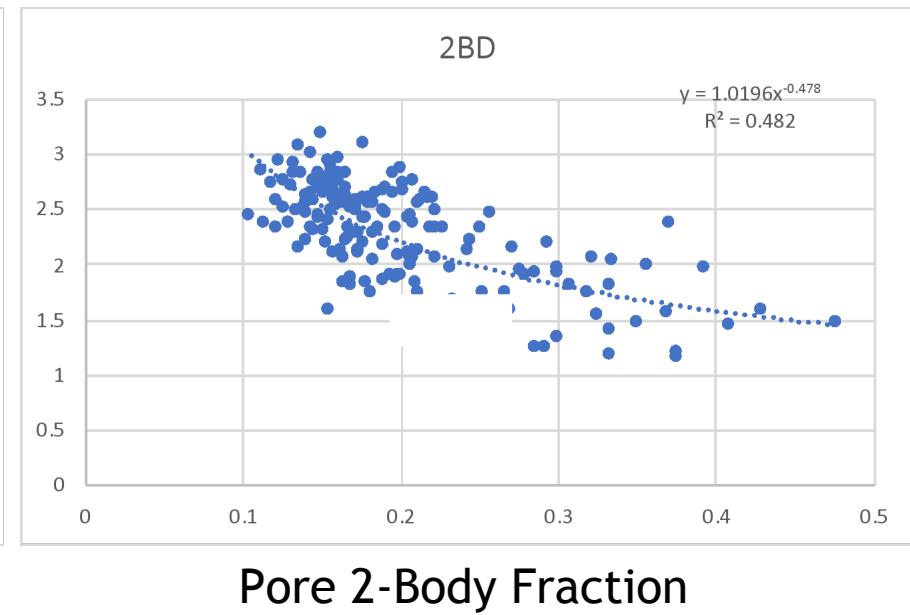
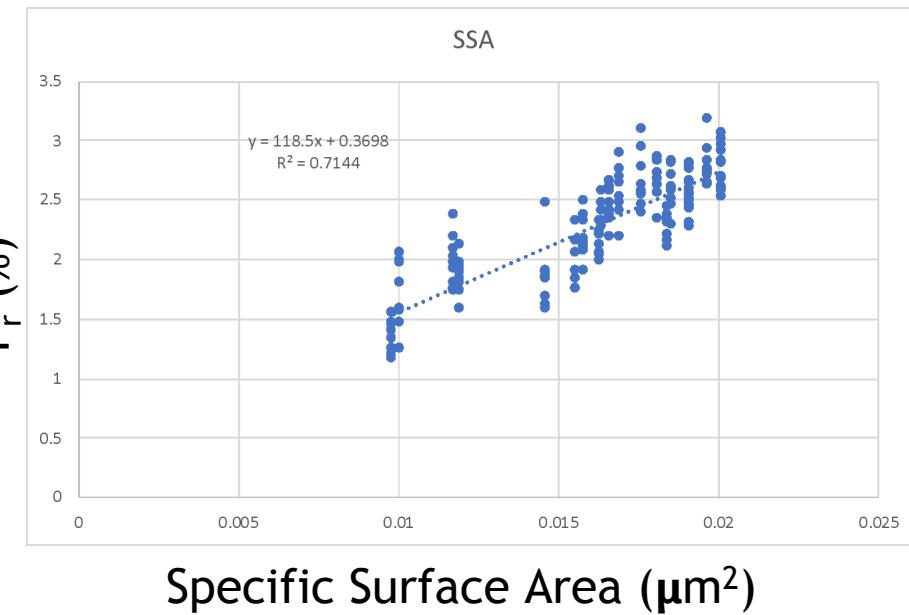
- ❖ Area fraction of reacted material, F_r , provides information about reaction growth

$$F_r = \frac{\sum \text{area}(\lambda > 0)}{\text{total area}}$$

Area Fraction of Reacted Material Across Many Different Microstructures



- ❖ F_r calculated at fixed time (150ps) when shock has traversed ~450 nm

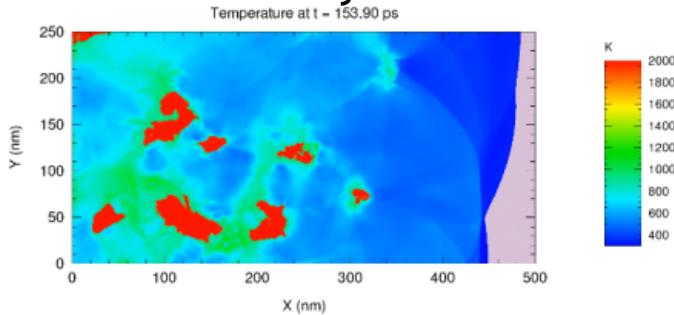


Length Scales, Time History, and Appropriate RVE size



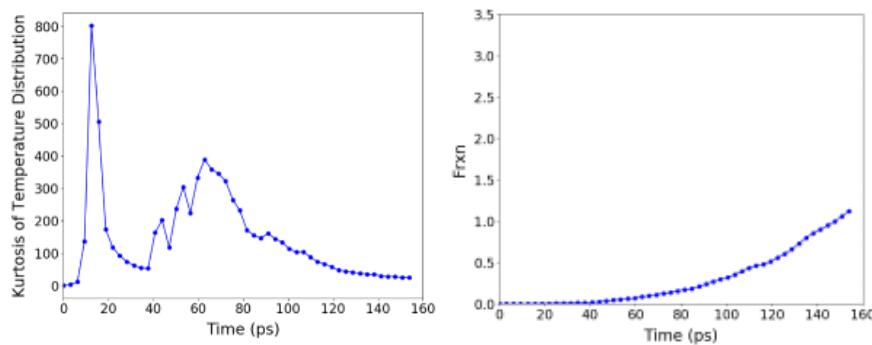
- ❖ Consider kurtosis of temperature distribution

Larger pores, lower SSA, lower 2-body fractions

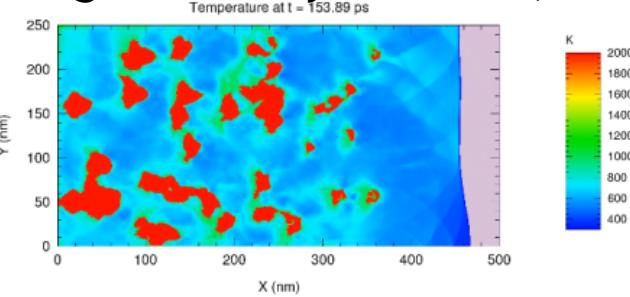


Lower initial peak

Longer time to plateau

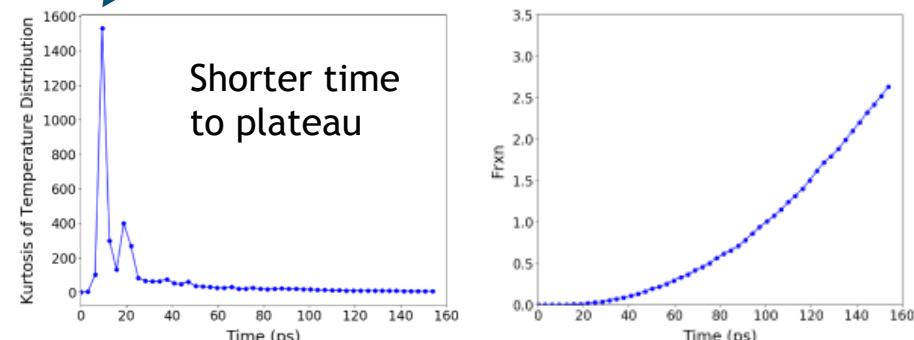


Smaller pores, lower SSA, higher 2-body fractions,



Higher initial peak

Shorter time to plateau

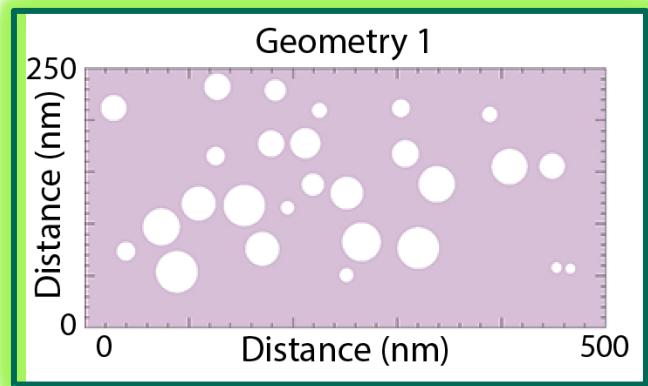


Large Multipore Simulations

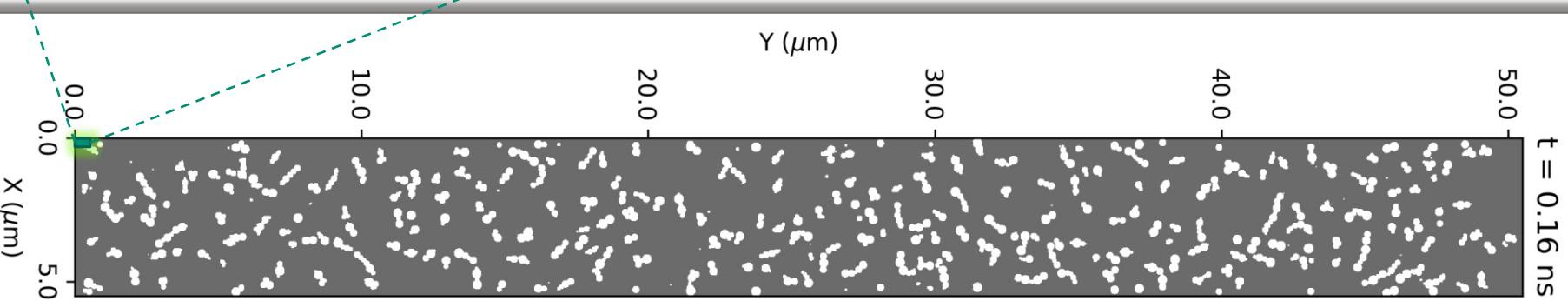


Need larger microstructures to see run-to-detonation behavior

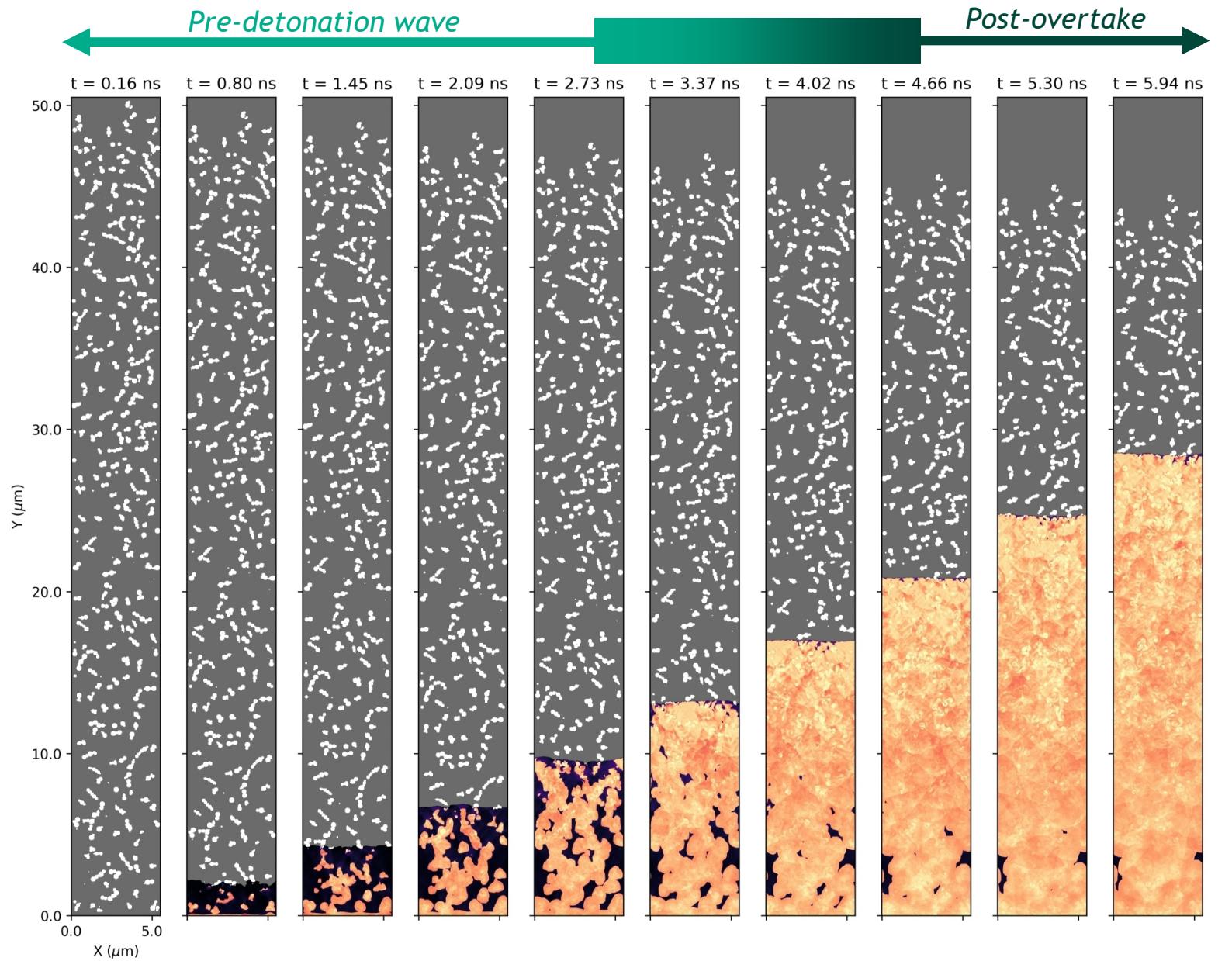
“Small” Multipore



“Large” Multipore



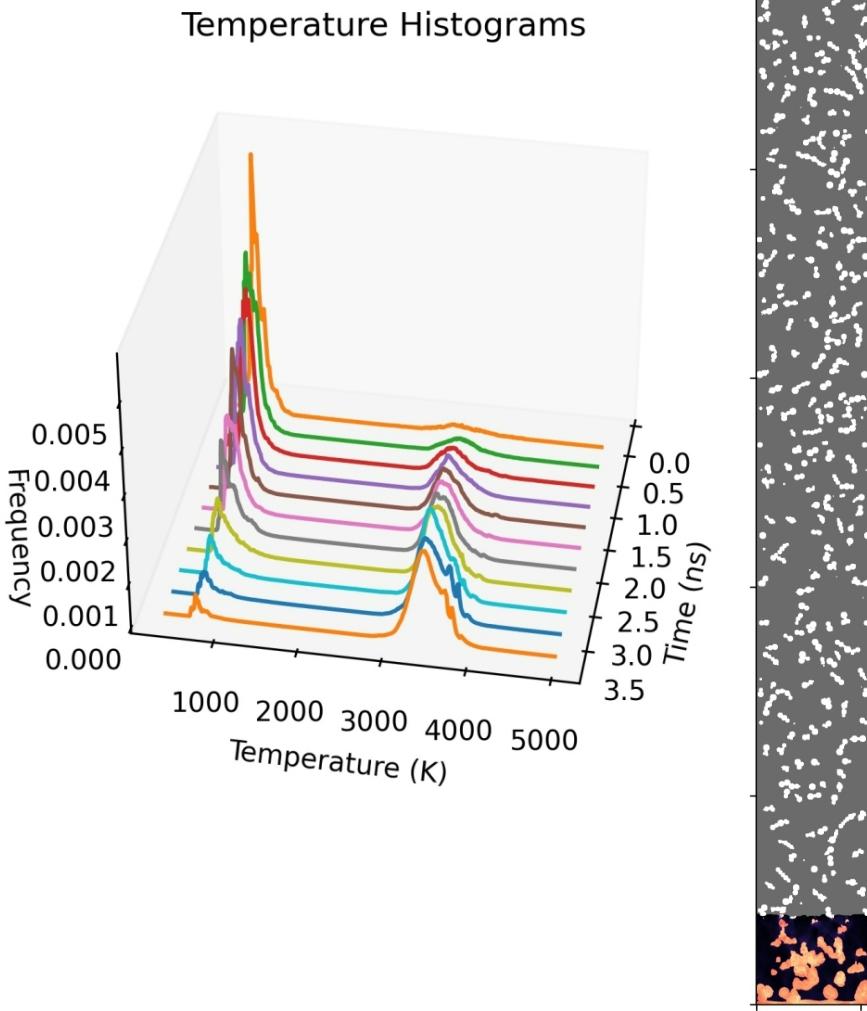
Large Multipore Simulations



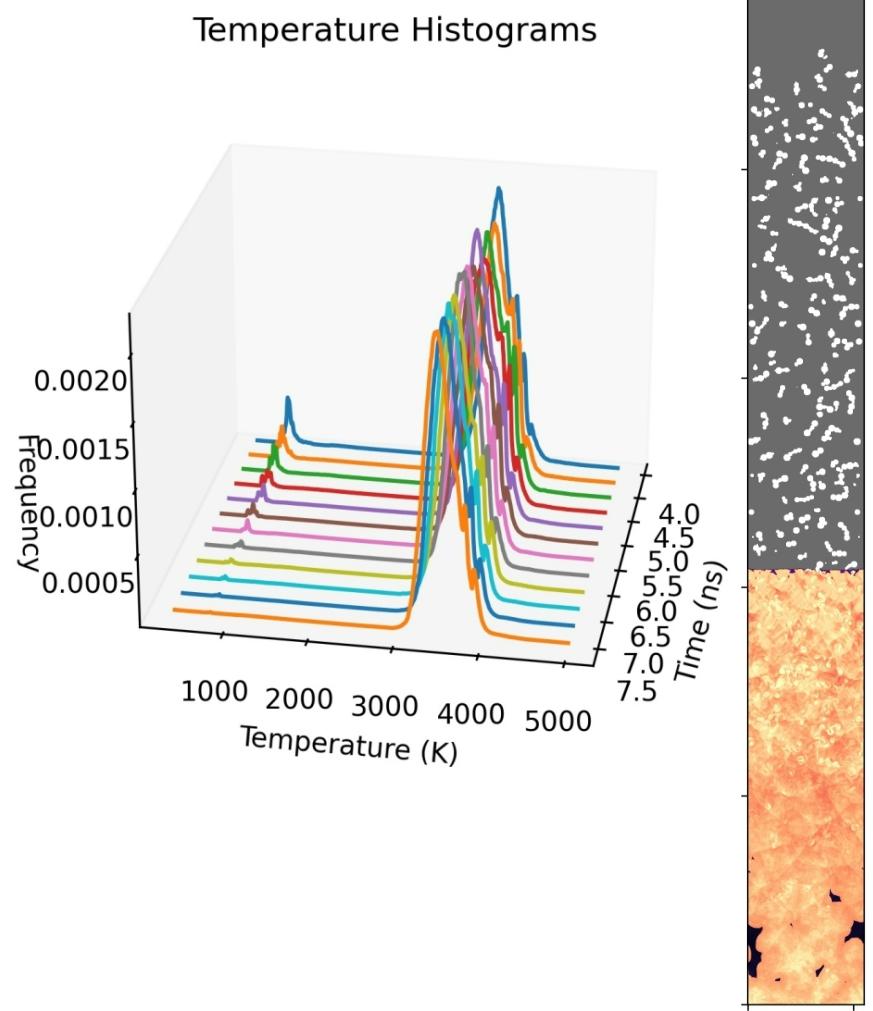
Temperature Histograms



❖ Pre-detonation hot spot I&G



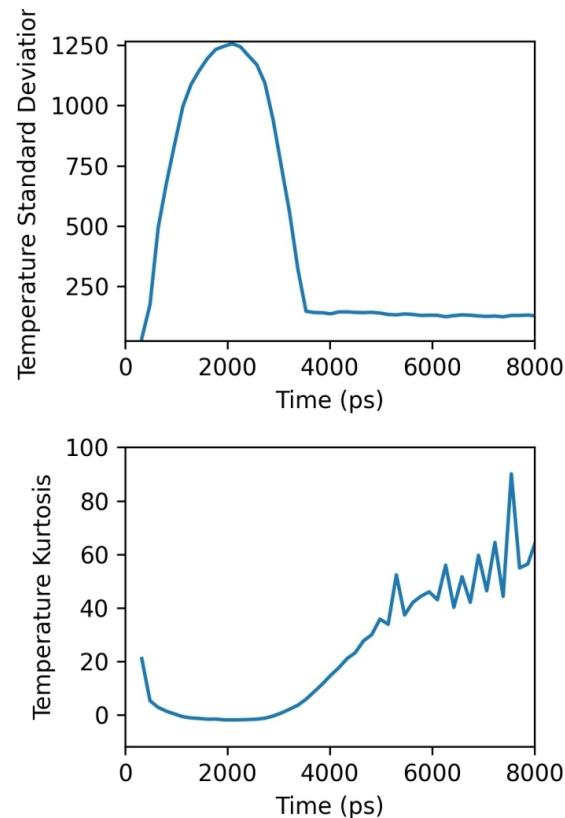
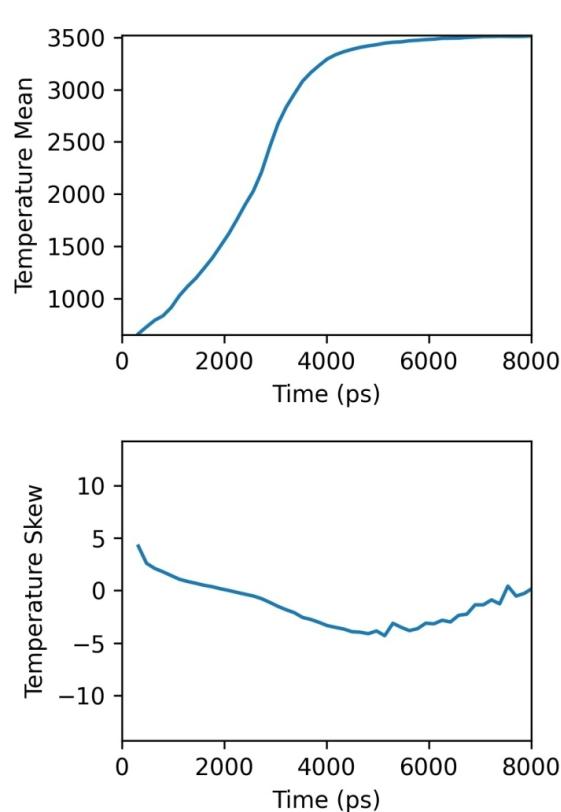
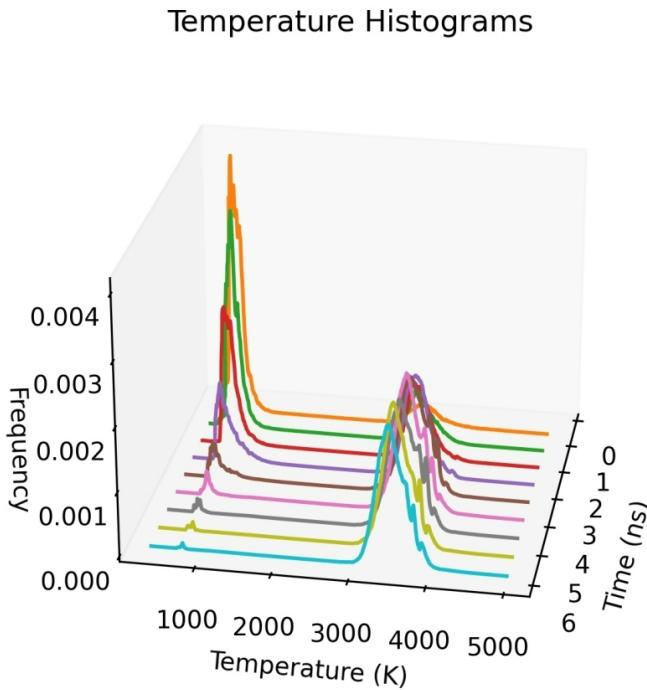
❖ Detonation



Large Multipore Temperature Statistics



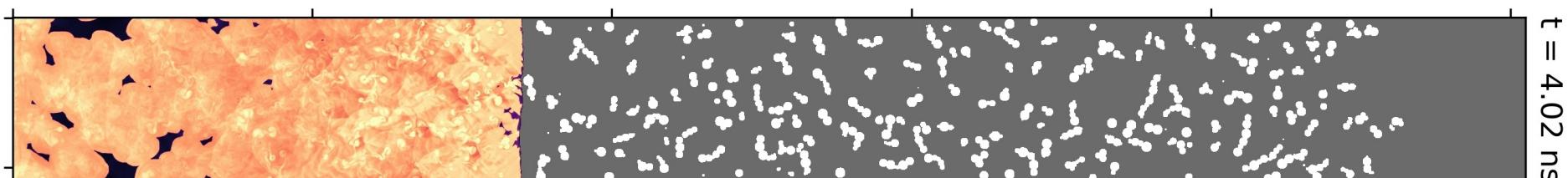
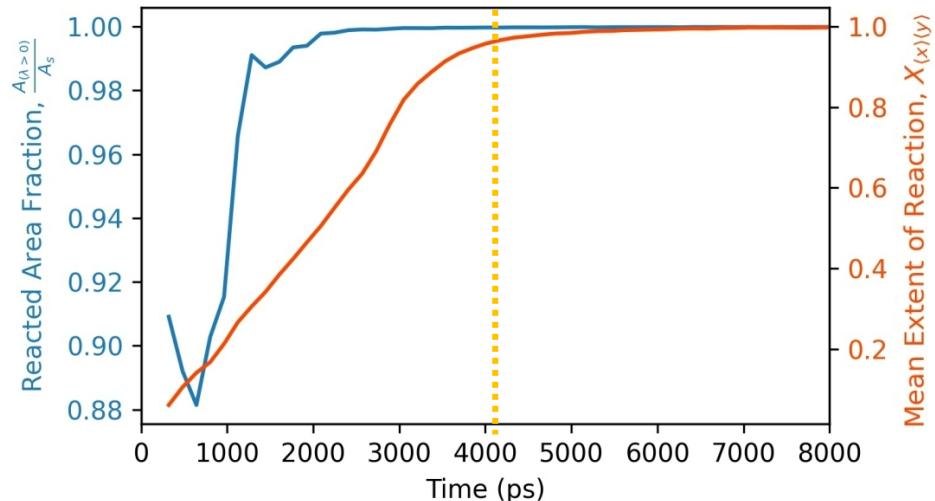
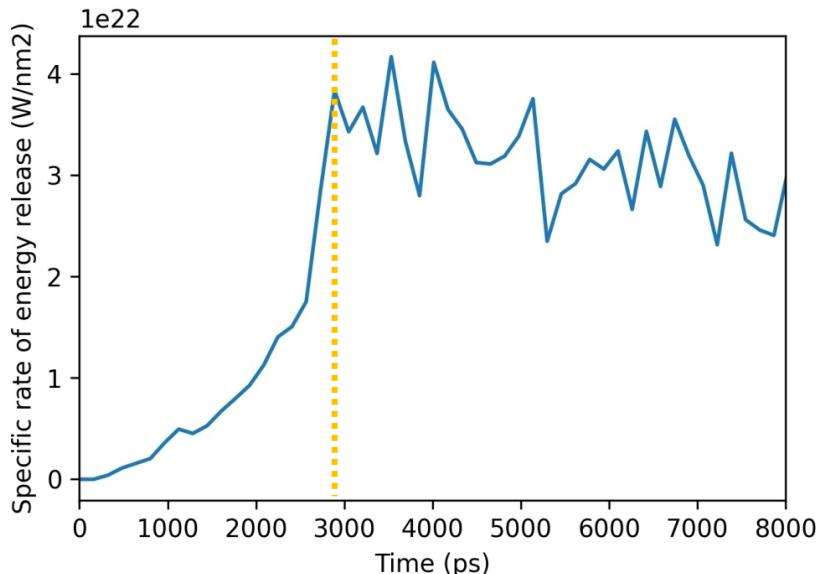
- ❖ New trends in temperature statistics appear at detonation transition
- ❖ Mean and σ level out, but kurtosis continues climbing



Other Detonation Indicators



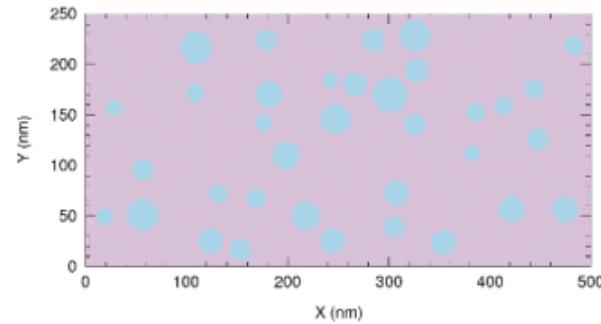
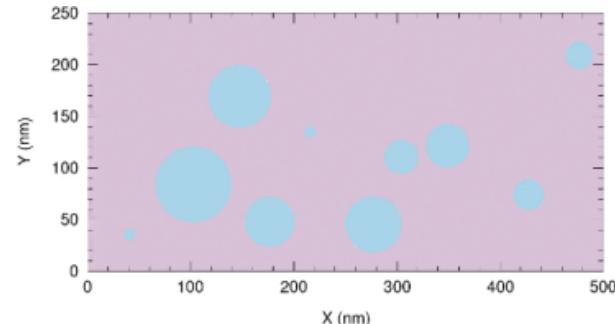
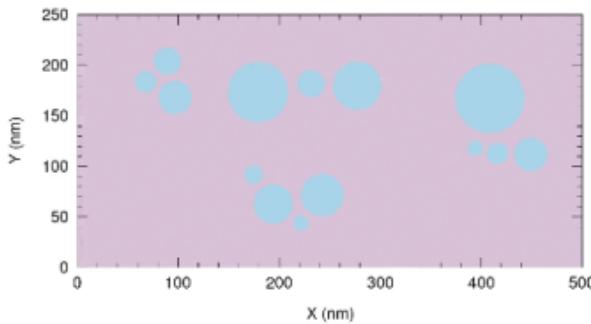
- ❖ Extent of reaction in shocked zone \rightarrow 1 post-overtake
- ❖ Specific rate of energy release plateau



Conclusions



- ❖ Evolution of temperature distribution with time and shock run distance is a complex function of chemistry and microstructure features
 - ❖ Pre-detonation vs post-detonation
 - ❖ shock propagation & chemical reactions introduce different length and time scales
 - ❖ Different “sensitivity” indicators for hot spot ignition, growth, and coalescence phases
- ❖ Specific surface area and pore 2-body fraction are leading geometric indicators of sensitivity





Thank You!

Continuum Hydrocode Simulations—CTH



- ❖ CTH—3D, large deformation, multi-material shock physics hydrocode developed at Sandia National Laboratories

Mass

$$\frac{d\rho}{dt} = -\rho \nabla \bullet \vec{V}$$

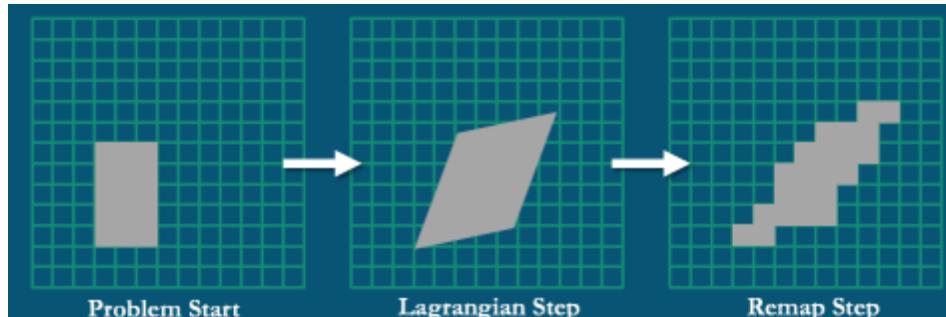
Momentum

$$\rho \frac{d\vec{V}}{dt} = -\nabla P - \nabla \bullet [\boldsymbol{\sigma} + \mathbf{Q}(\vec{V}, c_s)]$$

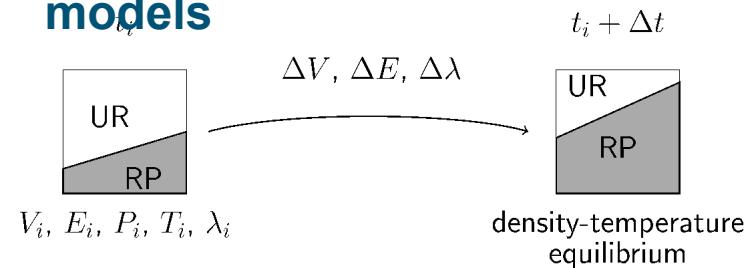
Energy

$$\rho \frac{dE}{dt} = -P \nabla \bullet \vec{V} - [\boldsymbol{\sigma} + \mathbf{Q}(\vec{V}, c_s)] \bullet \nabla \vec{V}$$

Lagrangian and remap solution steps as they appear in CTH



Density-temperature equilibrium for reactive burn models



CTH Strain Rate Dependent Model – Steinberg, Guinan and Lund (1988)



- ❖ Assume a constant shear modulus
- ❖ Neglect work hardening
- ❖ Assume linear variation of the Grüneisen parameter

Yield Strength:
$$Y = \{Y_T(\dot{\varepsilon}_p, T) + Y_A f(\dot{\varepsilon}_p)\}$$

Shear Modulus:
$$G(P, T) = G_0$$

Thermal Activation:
(Implicit Equation)
$$\dot{\varepsilon}_p = \left\{ \frac{1}{C_1} \exp \left[\frac{2U_K}{kT} \left(1 - \frac{Y_T}{Y_P} \right)^2 \right] + \frac{C_2}{Y_T} \right\}^{-1} \quad Y_T \leq Y_P$$

Melting Curve:
($Y = 0$ when $T \geq T_m$)
$$T_m = T_{m0} \exp \{2a(1 - 1/\eta)\} \eta^{2(\gamma_0 - a - 1/3)}$$

Grüneisen parameter:
$$\gamma = \gamma_0 / (1 + \mu)$$