



Induced Superconducting Pairing in Integer Quantum Hall Edge Modes of InAs

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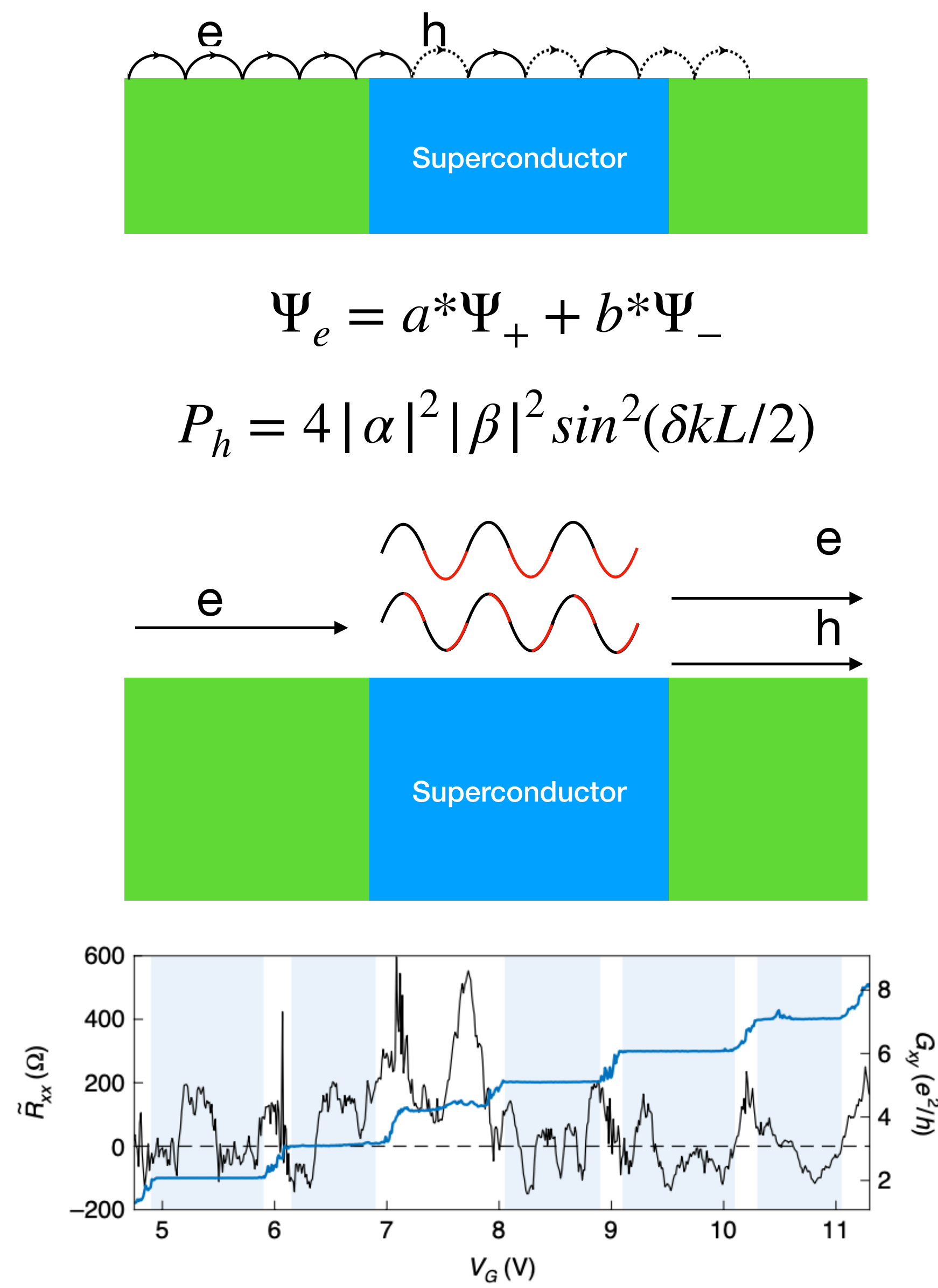
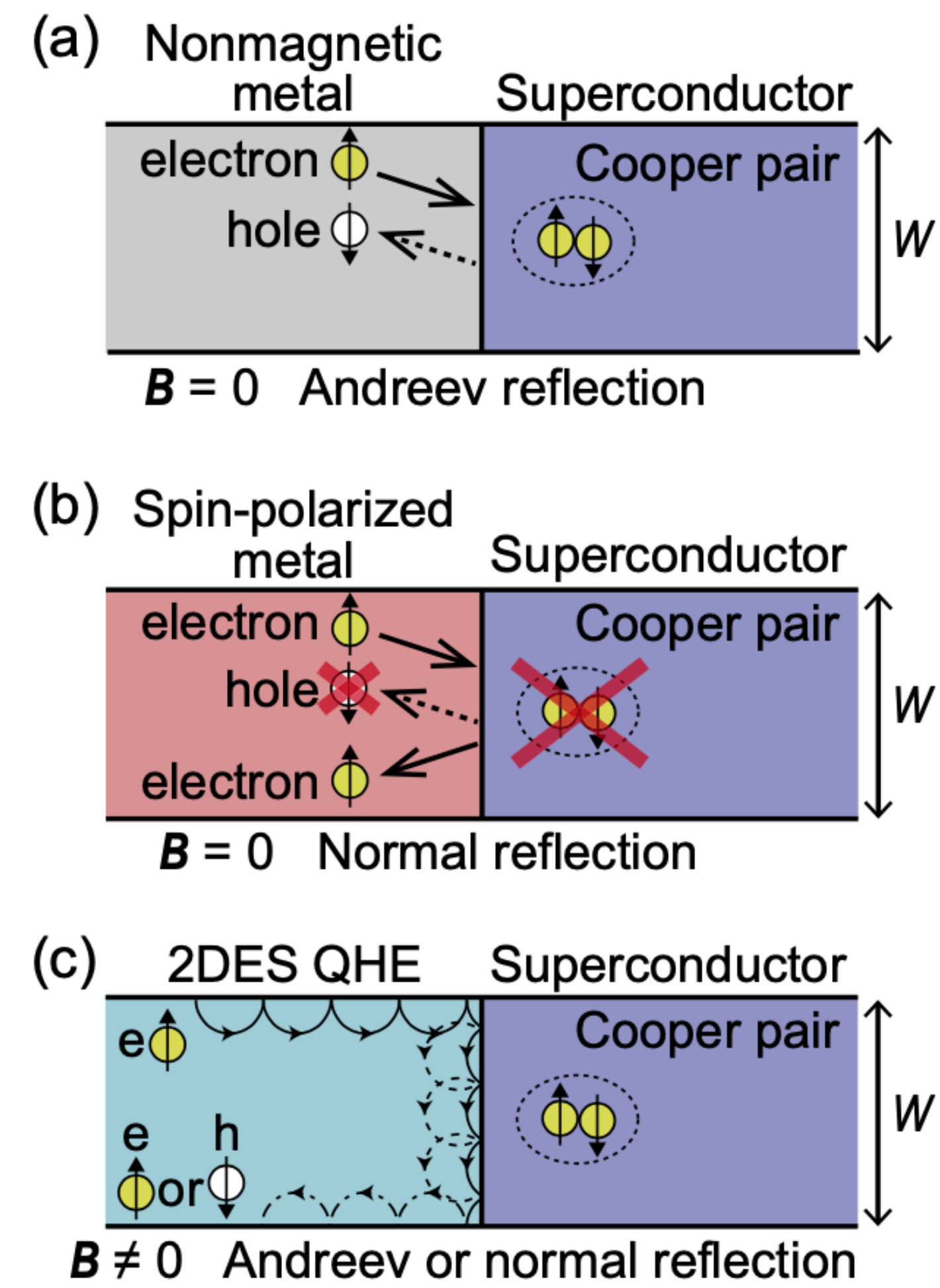
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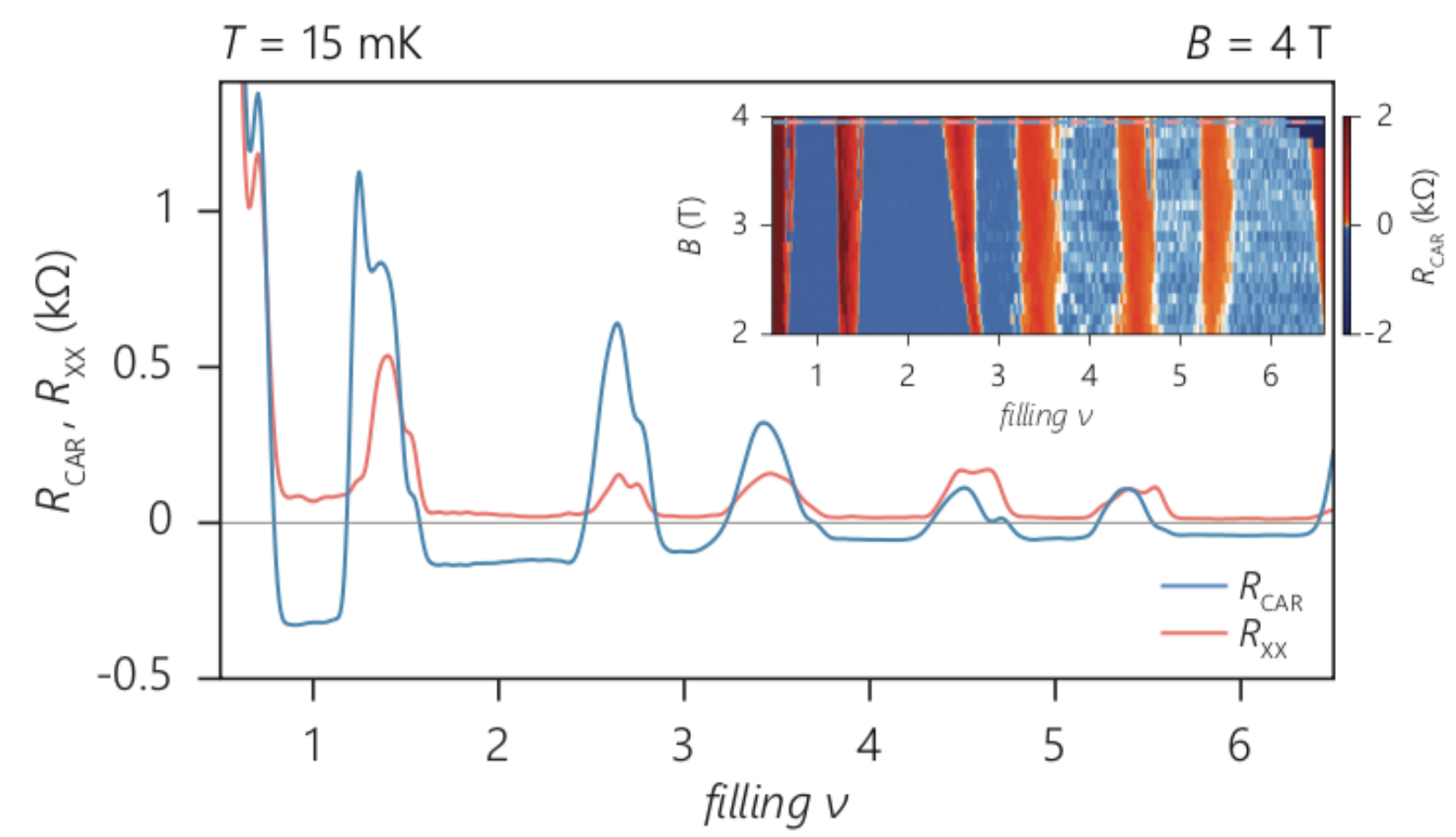
³Sandia National Laboratories, Albuquerque, New Mexico 87185, USA

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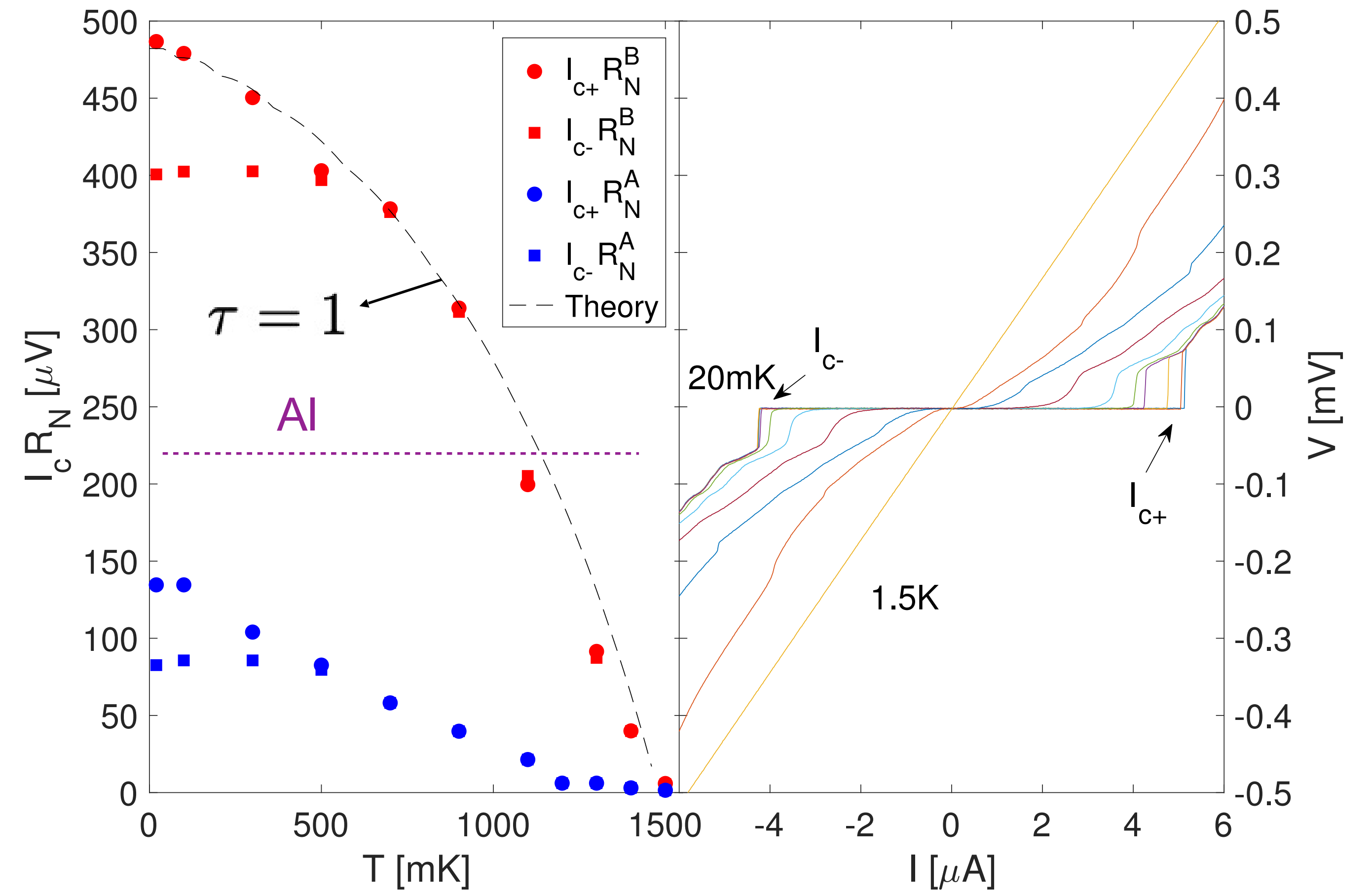
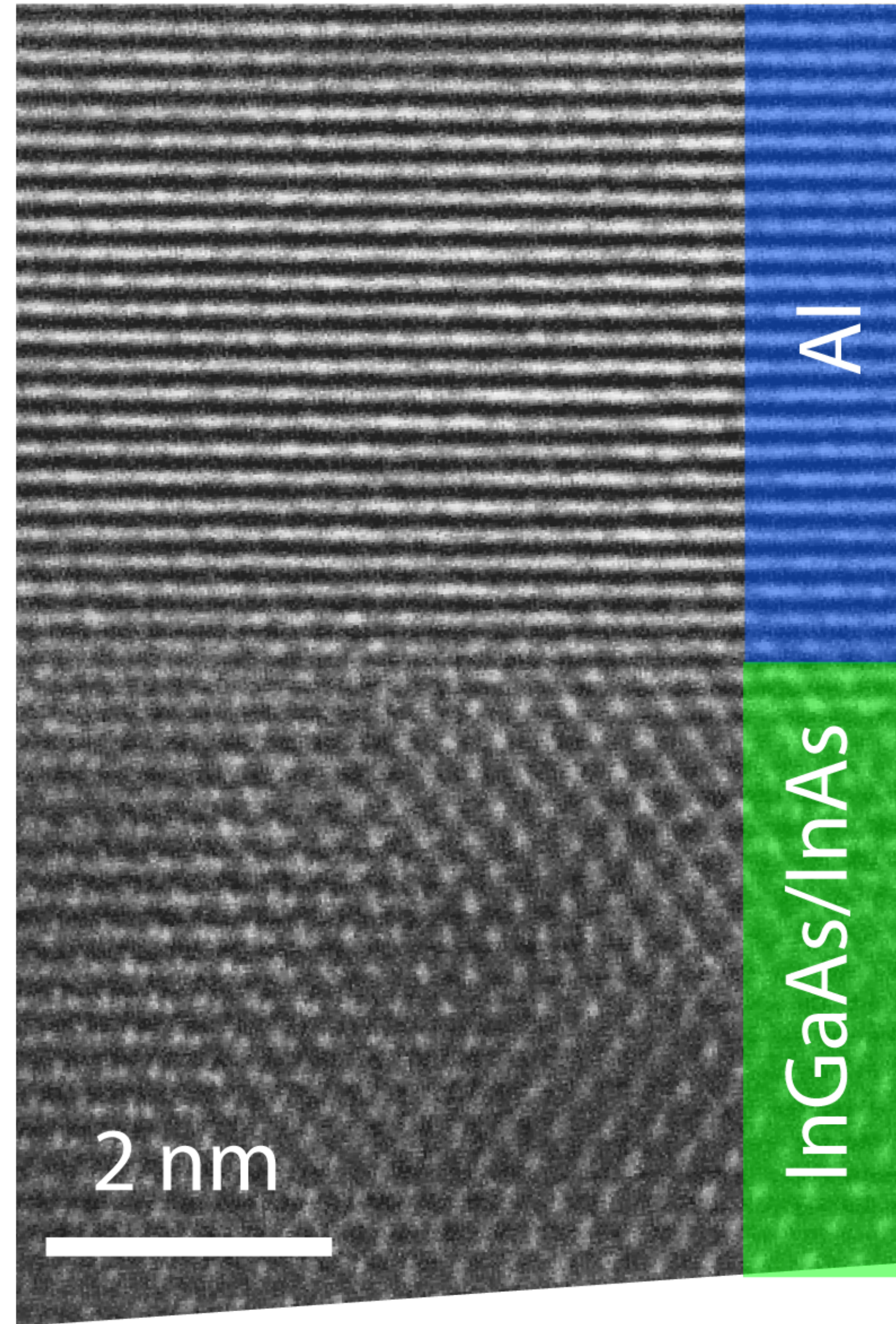




- Andreev reflection at the interface
- Chiral Andreev edge states
- Expected in longitudinal resistance:
 - Oscillations
 - Negative resistance



Key ingredients: epitaxial contacts

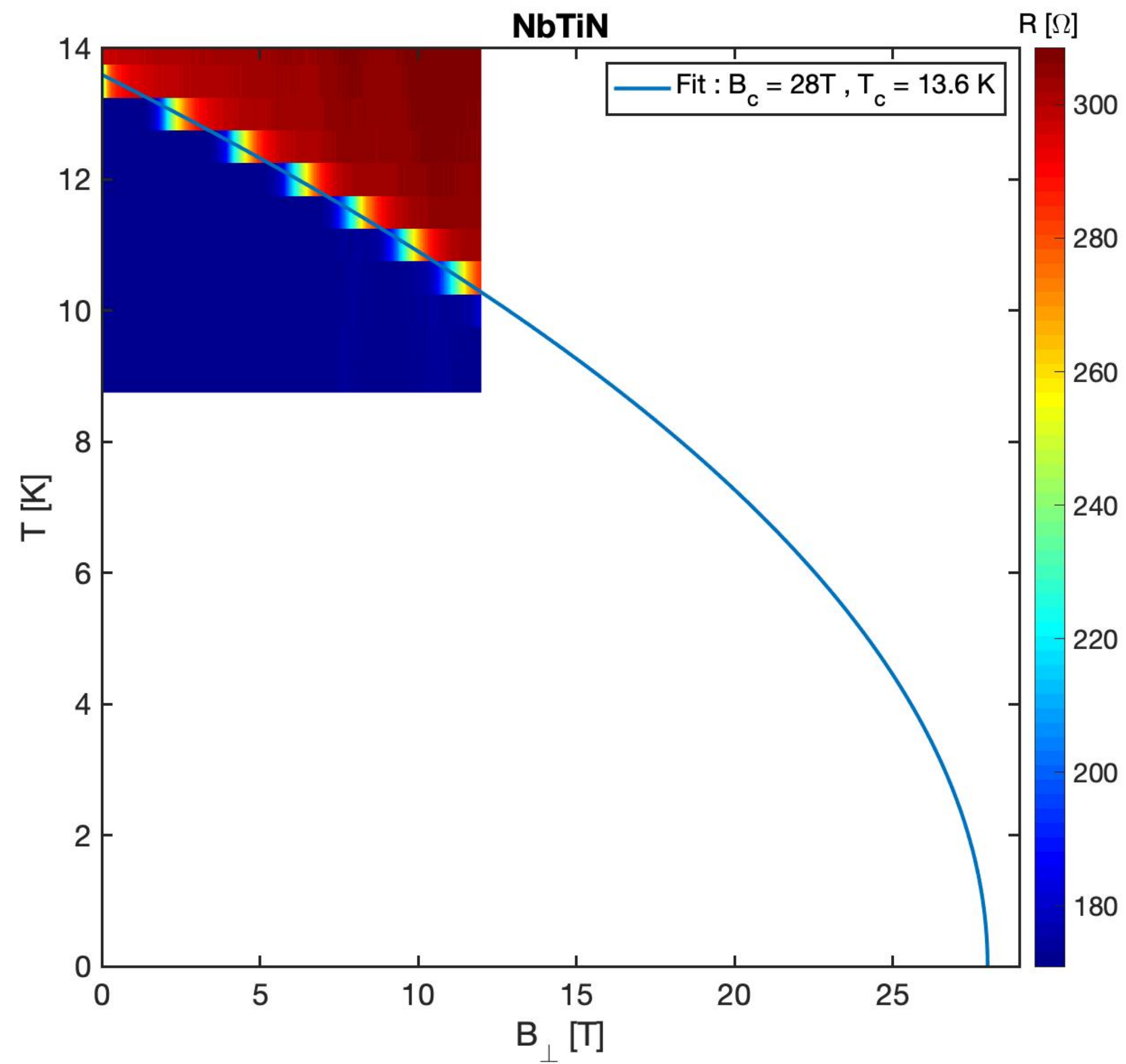
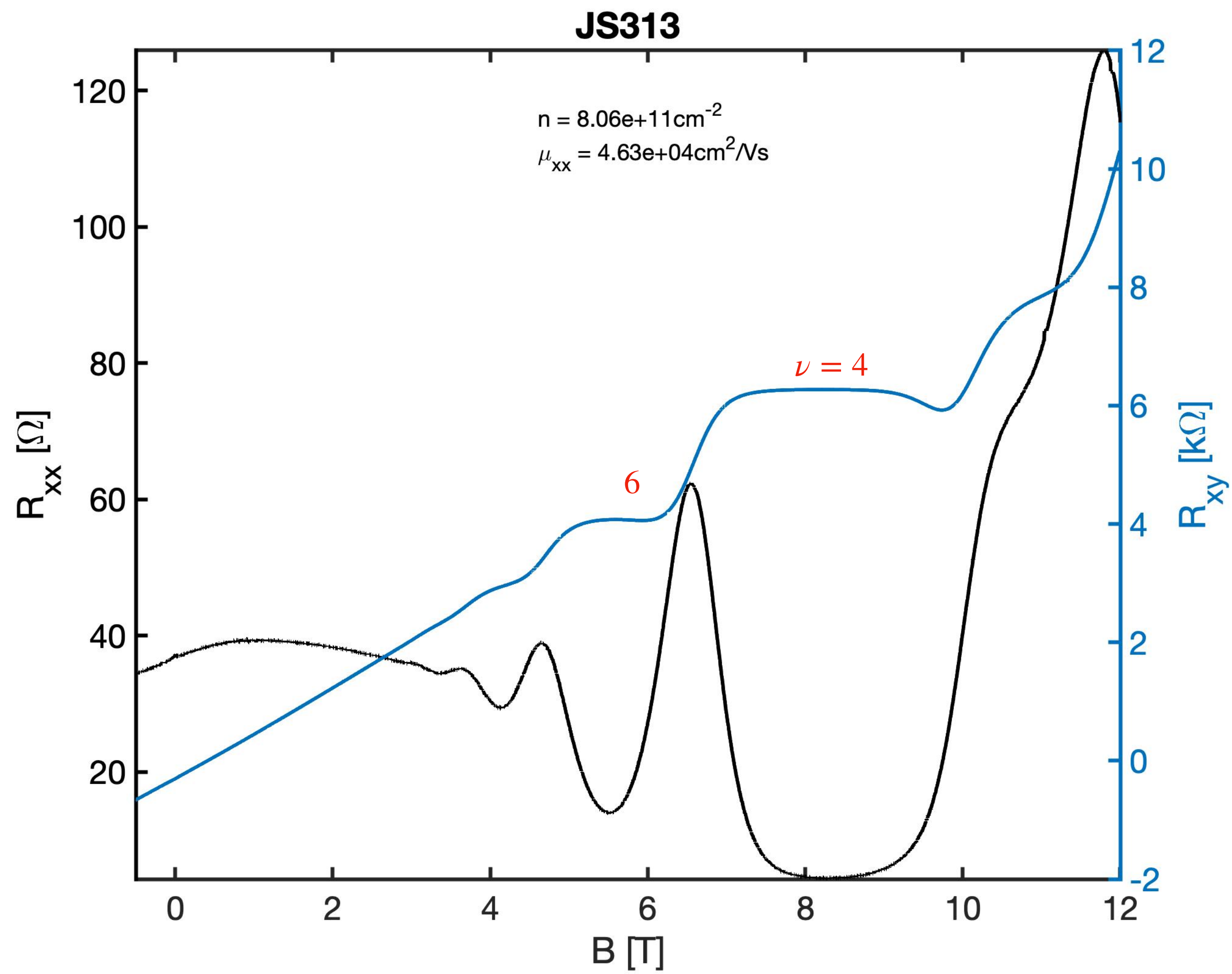


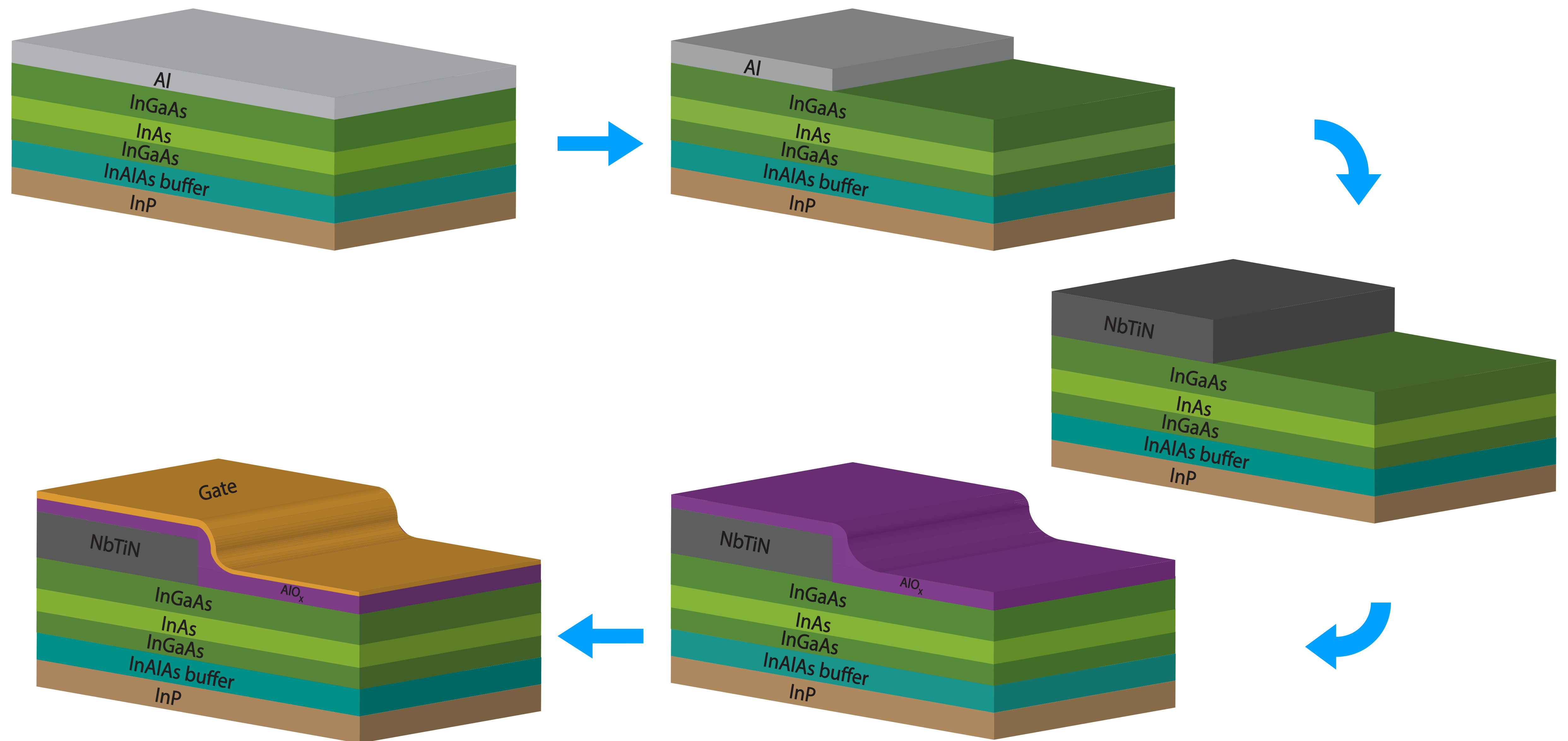
Yuan et al., PRB (2020)

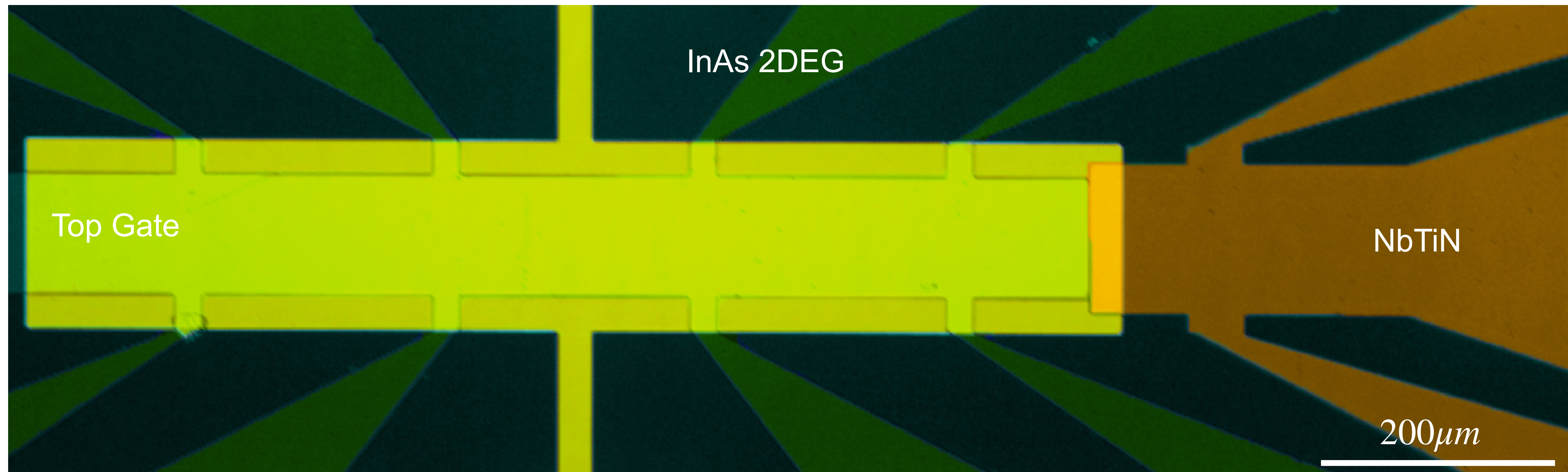
Wickramasinghe, K. S. et al. APL (2018)

W. Mayer et al. APL (2019)

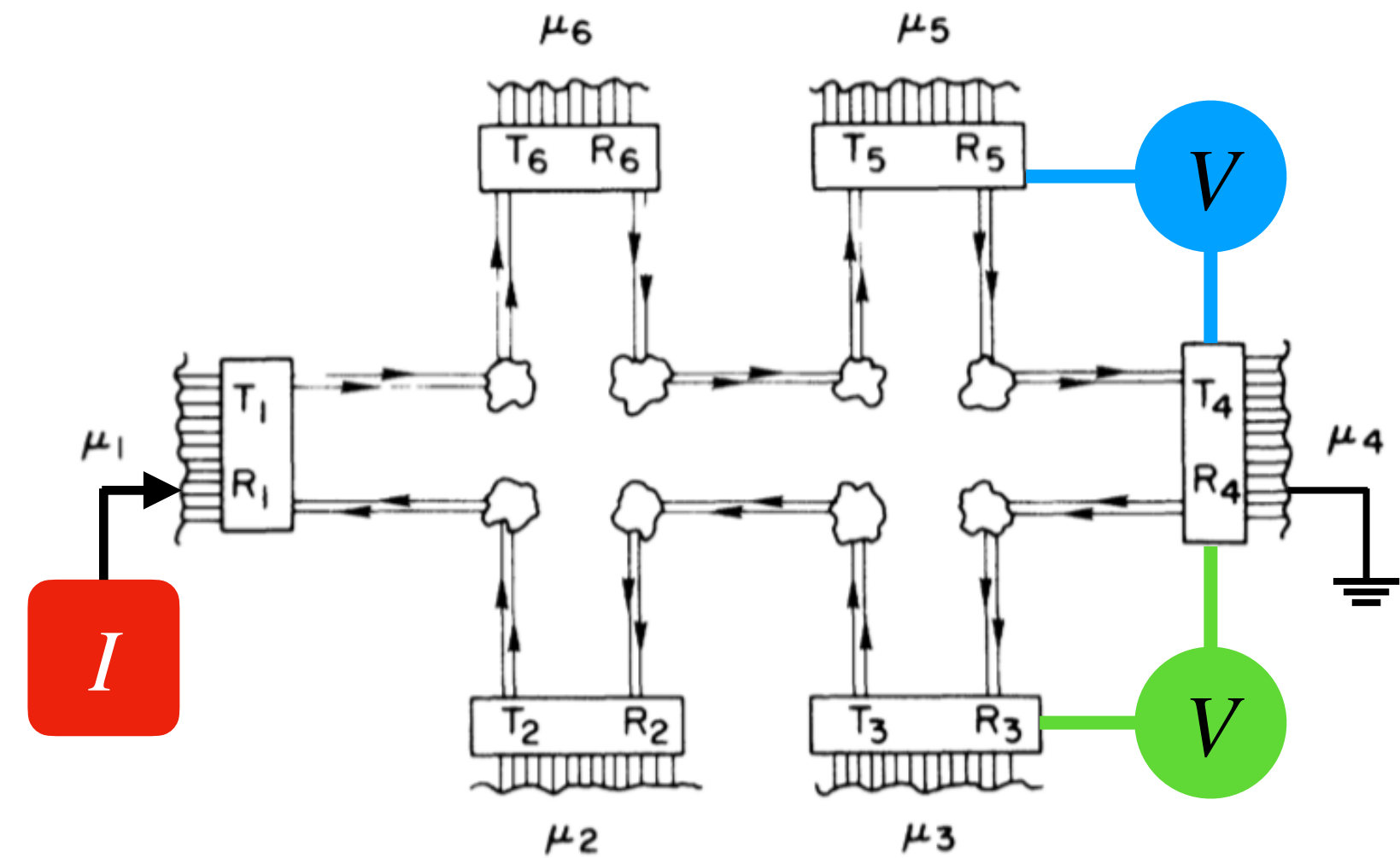
M. Dartailh et al. Nature Comm. (2021)







Büttiker Formalism : reflection from a normal contact at QH



$$\mathcal{R}_{14,54} = (\mu_5 - \mu_4) / eI = (h / e^2) (1 / T_4)$$

Quantum Hall setup

$$\mathcal{R}_{14,34} = (\mu_3 - \mu_4) / eI = (h / e^2) (R_4 / NT_4)$$

Longitudinal setup

Where $R_4 + T_4 = N$, N is

filling factor

Ideal contact

$R_4 = 0, T_4 = N$

$\rightarrow$

$\mathcal{R}_{14,54}$

 $= \frac{h}{Ne^2} = R_{Hall}$

$\mathcal{R}_{14,34}$

 $= 0$

Büttiker Formalism Modification for Andreev Reflection (AR)

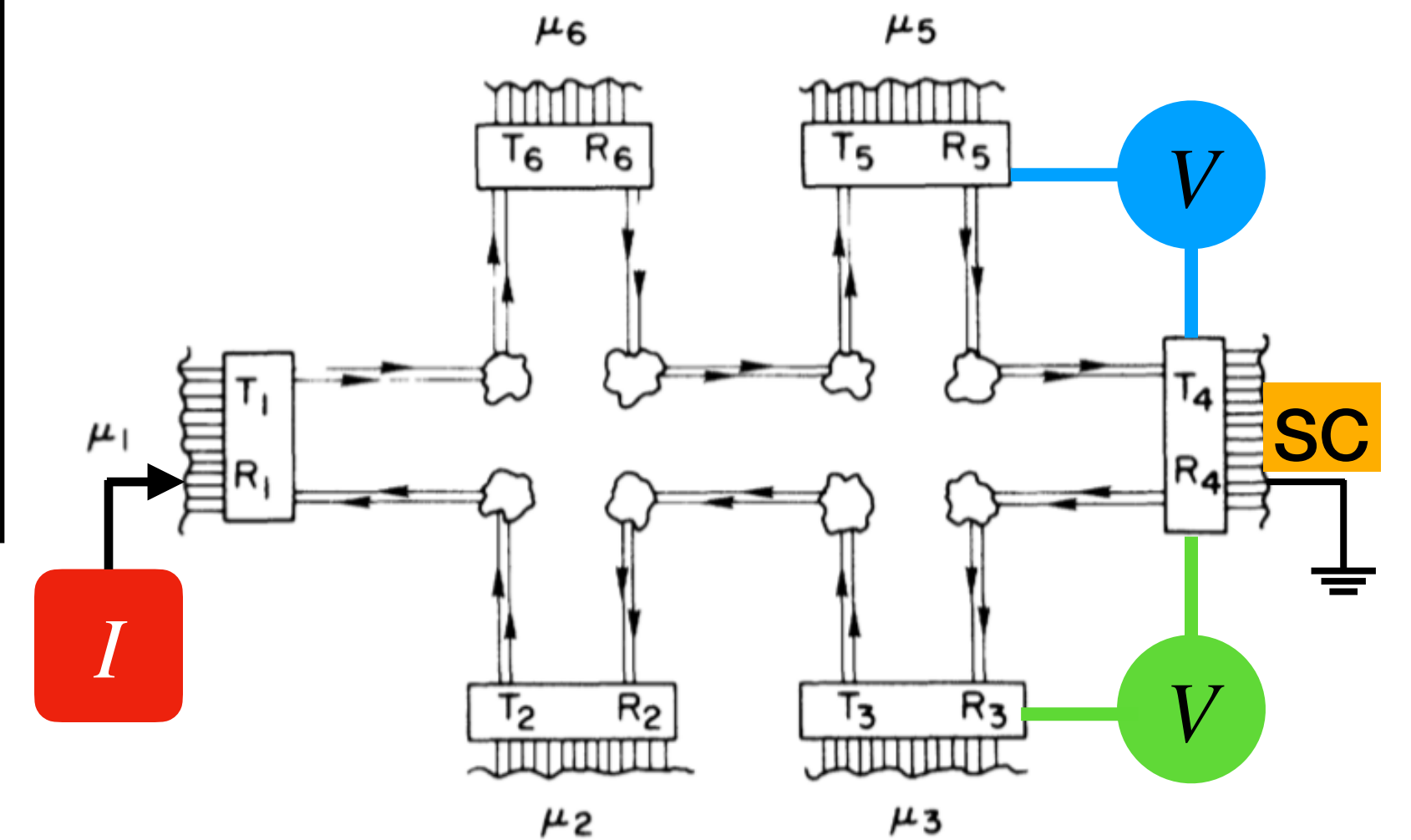
Normal contact : $R + T = 1$

Superconducting contact : $A + T + T_{edge} = 1$

A probability of electron-hole conversion

T probability for a single electron tunneling into the SC

T_{edge} probability of an incident electron to scatter to the downstream edge



$$\begin{pmatrix} I_5 \\ I_s \\ I_3 \\ I_1 \end{pmatrix} = \frac{\nu e^2}{h} \begin{pmatrix} 1 & 0 & 0 & -1 \\ -\alpha & \alpha & 0 & 0 \\ \alpha - 1 & -\alpha & 1 & 0 \\ 0 & 0 & -1 & 1 \end{pmatrix} \begin{pmatrix} V_5 \\ V_s \\ V_3 \\ V_1 \end{pmatrix}$$

$$\alpha = 2A + T$$

$$I_1 = I, I_{sc} = -I \rightarrow (V_5 - V_s)/I = \frac{h}{e^2\nu} \frac{1}{\alpha} = R_{5-s}$$

$$(V_3 - V_s)/I = \frac{h}{e^2\nu} \frac{1 - \alpha}{\alpha} = R_{3-s}$$

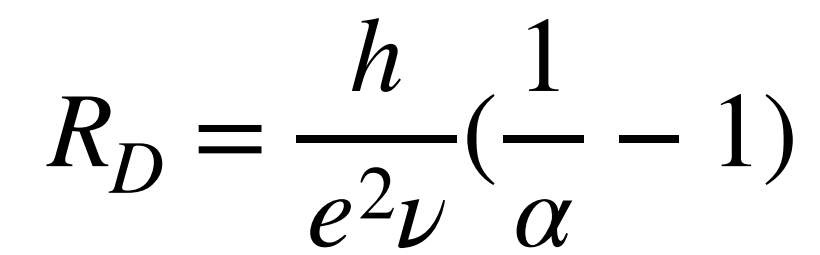
$$R_{5-s} = \frac{h}{e^2\nu} \frac{1}{\alpha} = R_U$$

Quantum Hall setup

$$R_{3-s} = \frac{h}{e^2\nu} \left(\frac{1}{\alpha} - 1 \right) = R_D$$

Longitudinal setup

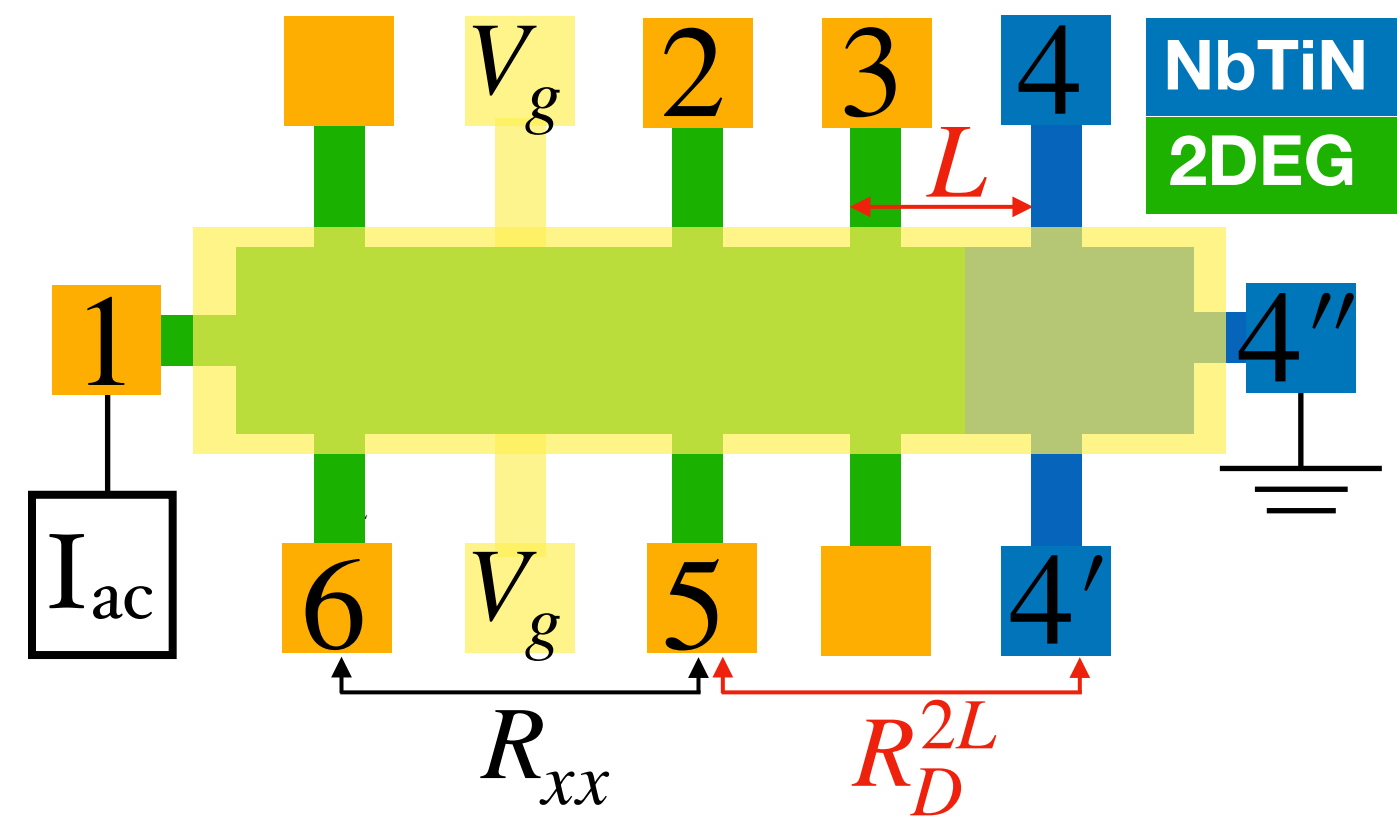
M. Büttiker, PRB(1988)



$$R_U = \frac{h}{e^2 \nu} \frac{1}{\alpha}$$

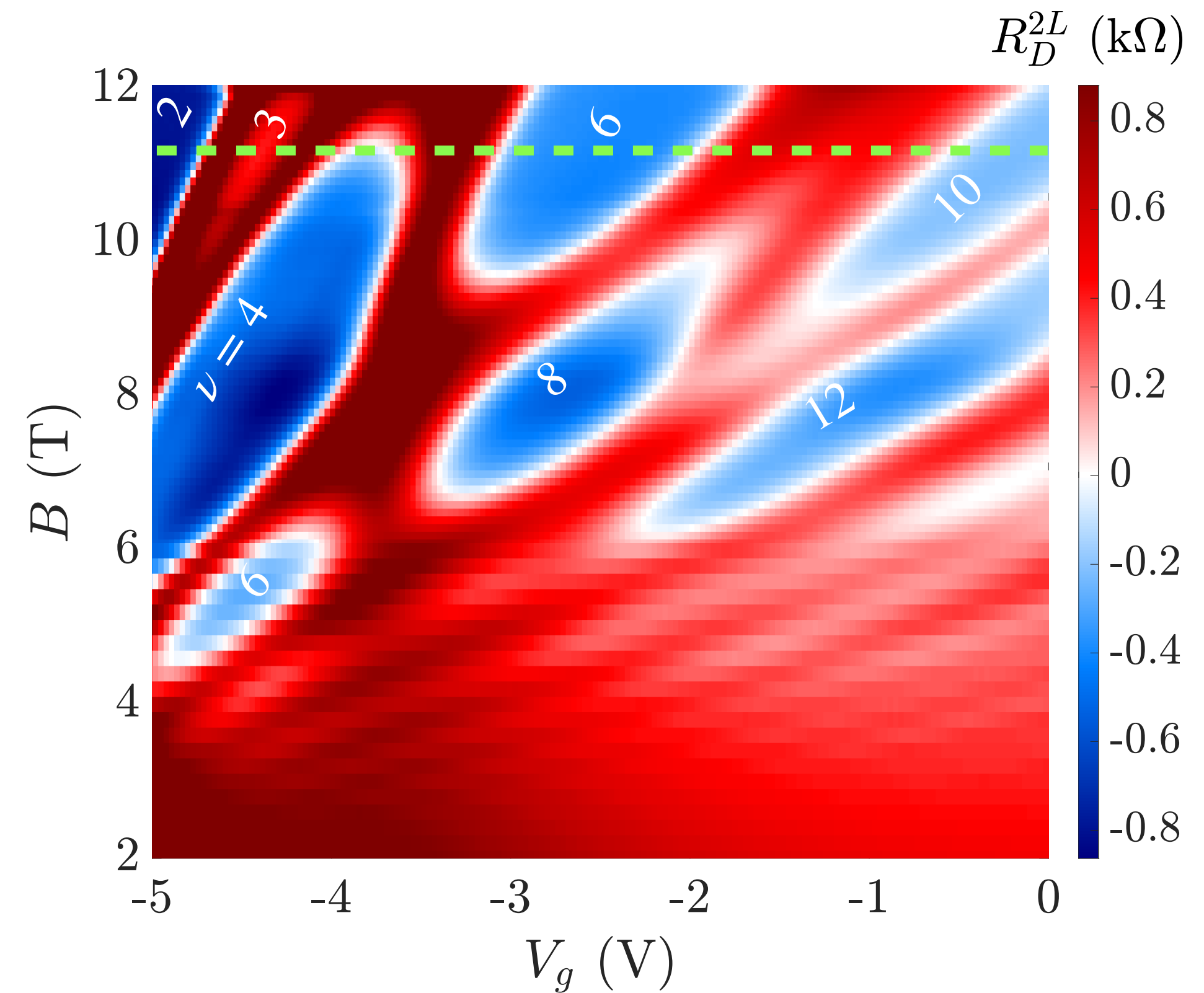
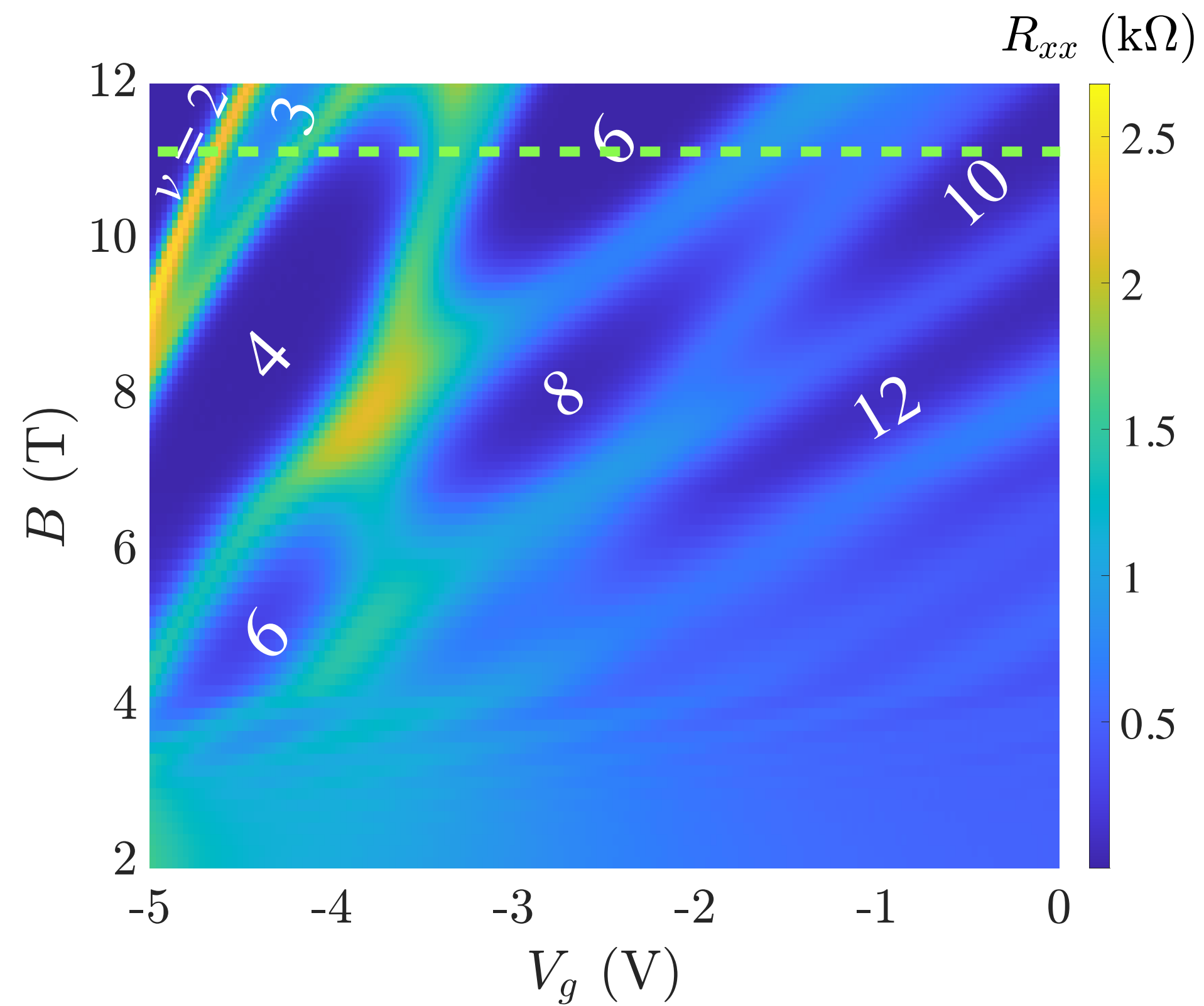
$$R_U = \frac{h}{2\nu e^2}$$

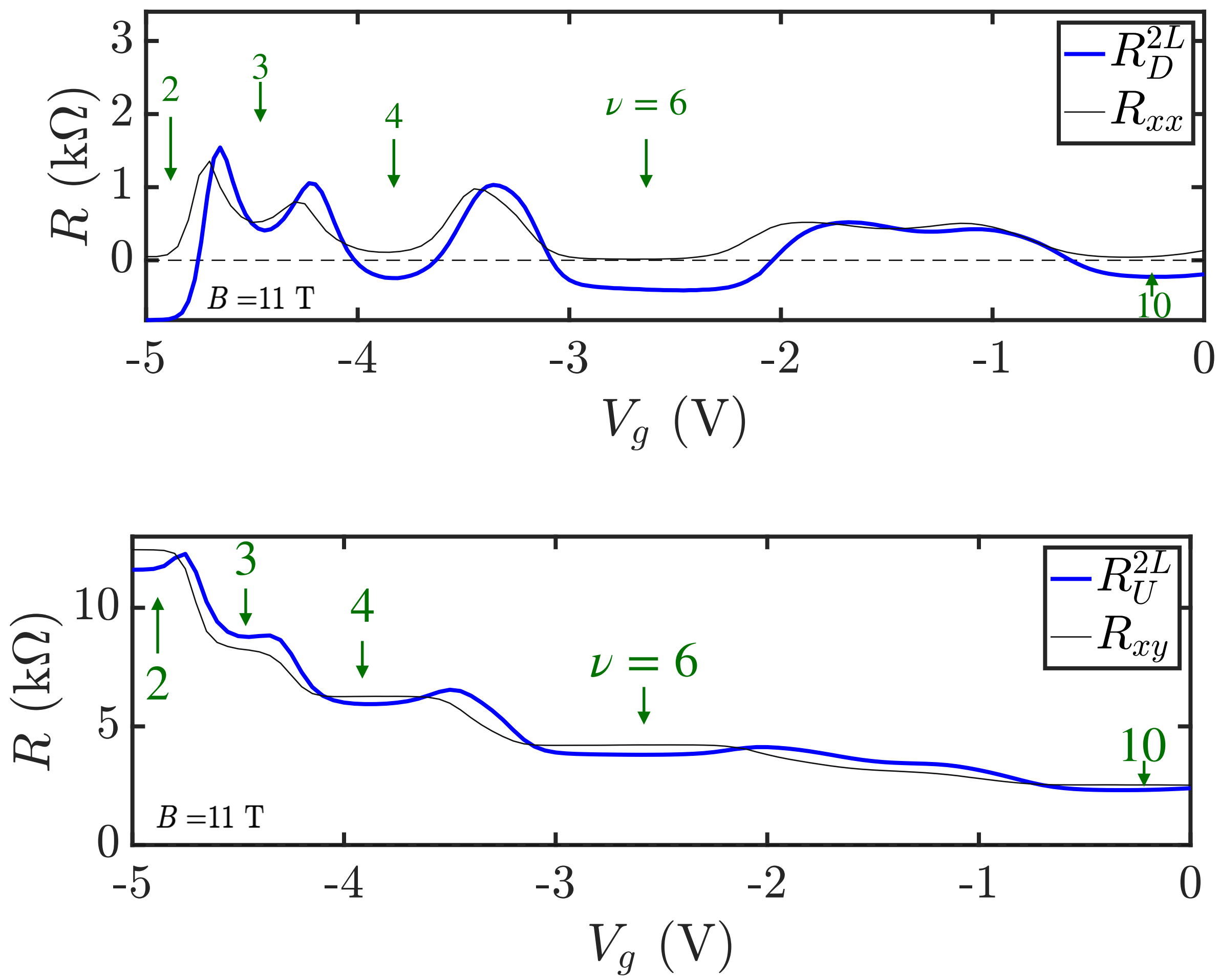
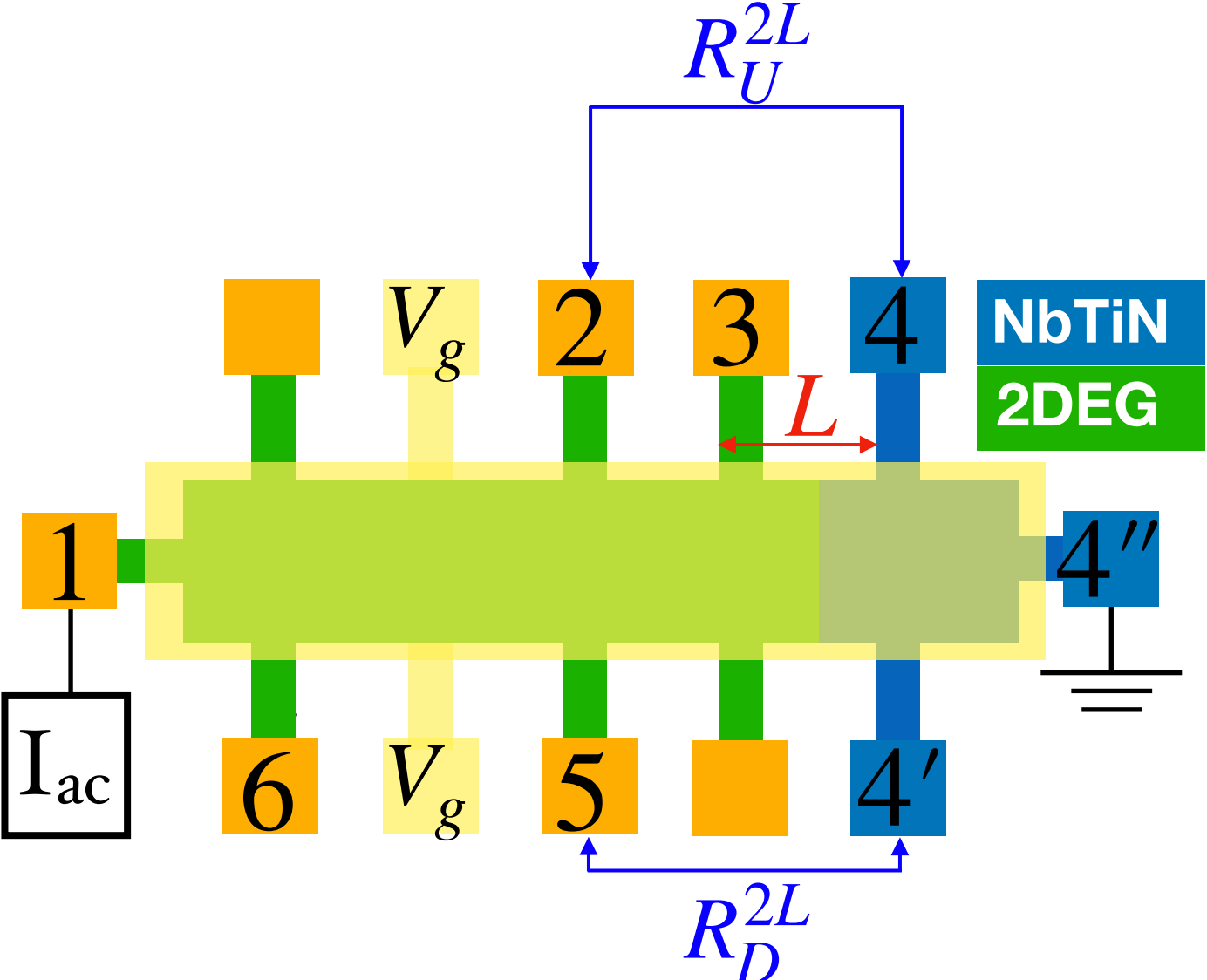
$$\frac{h}{2\nu e^2} < R_U < \frac{h}{\nu e^2}$$

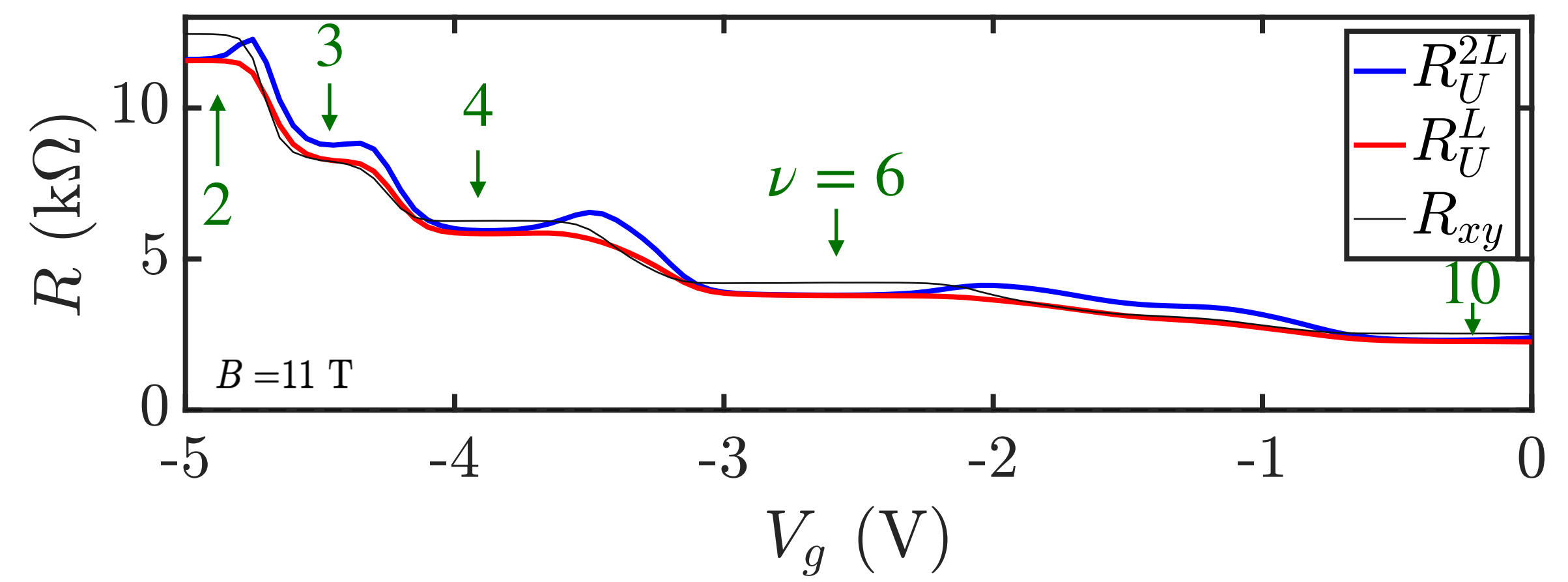
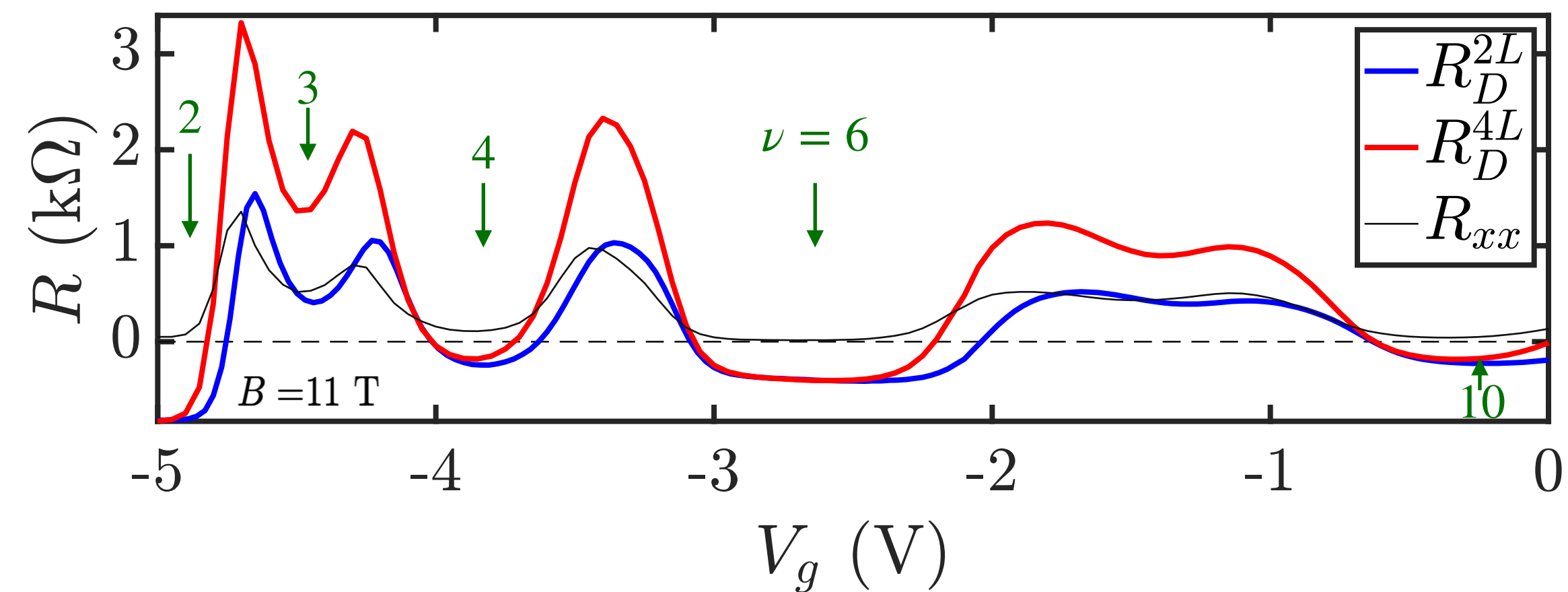
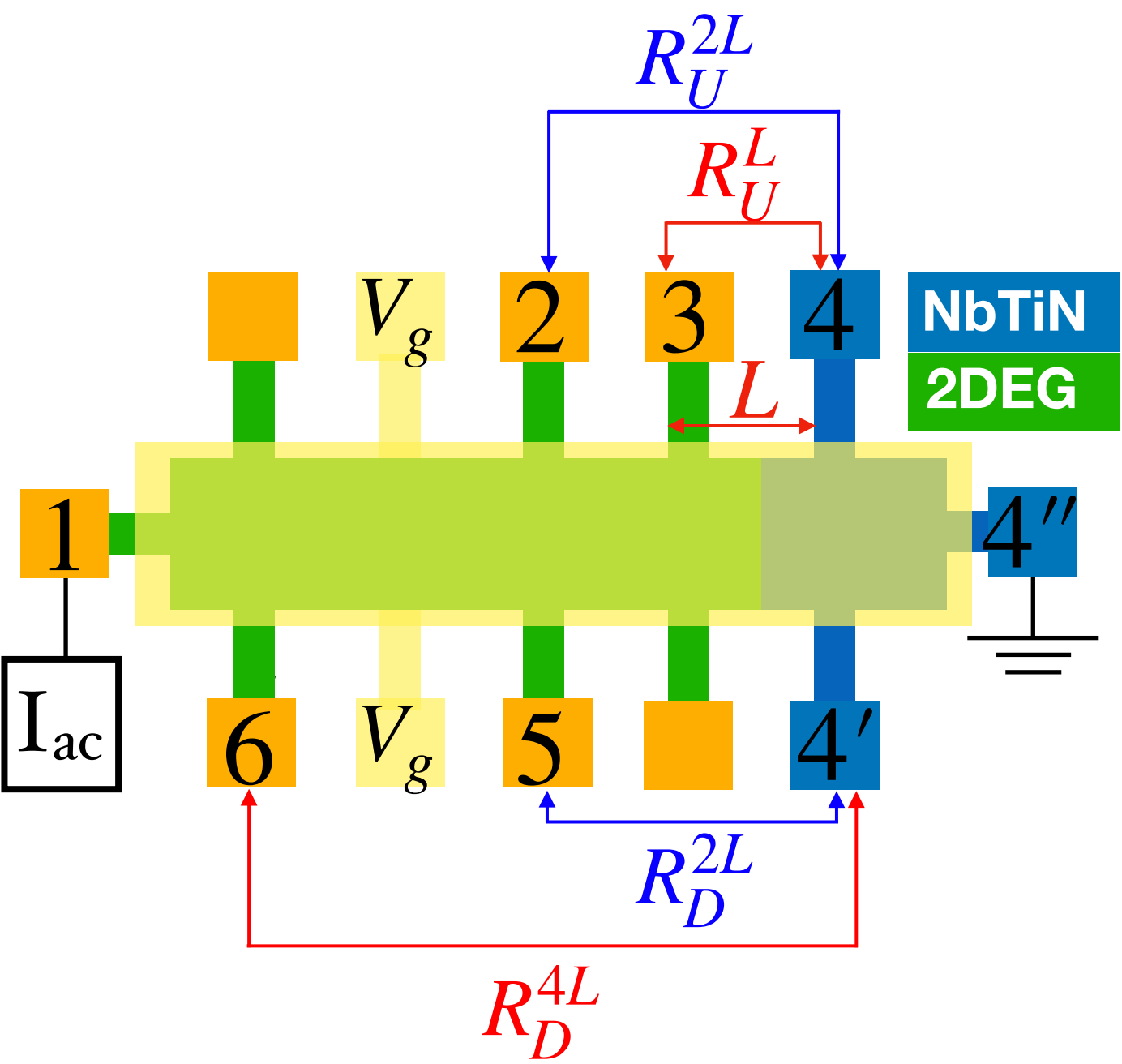


$$\alpha = 2A + T$$

$$R_D = \frac{h}{e^2 \nu} \left(\frac{1}{\alpha} - 1 \right)$$





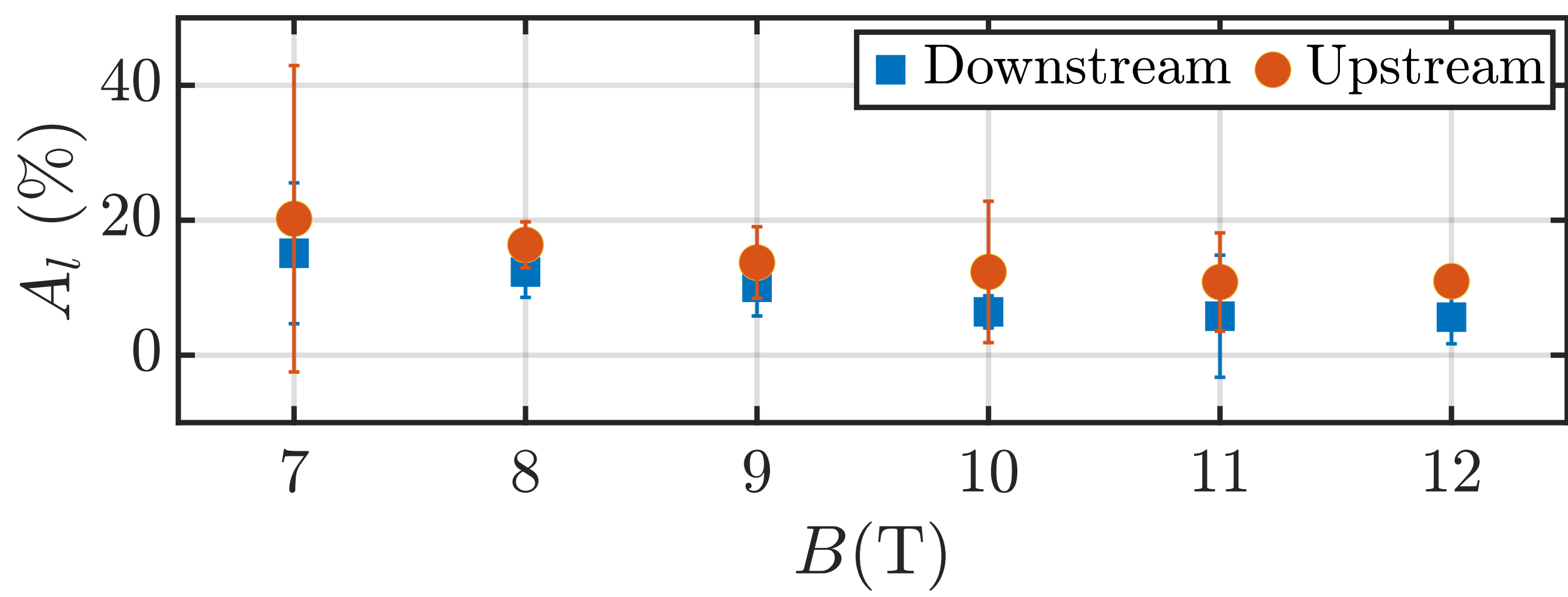
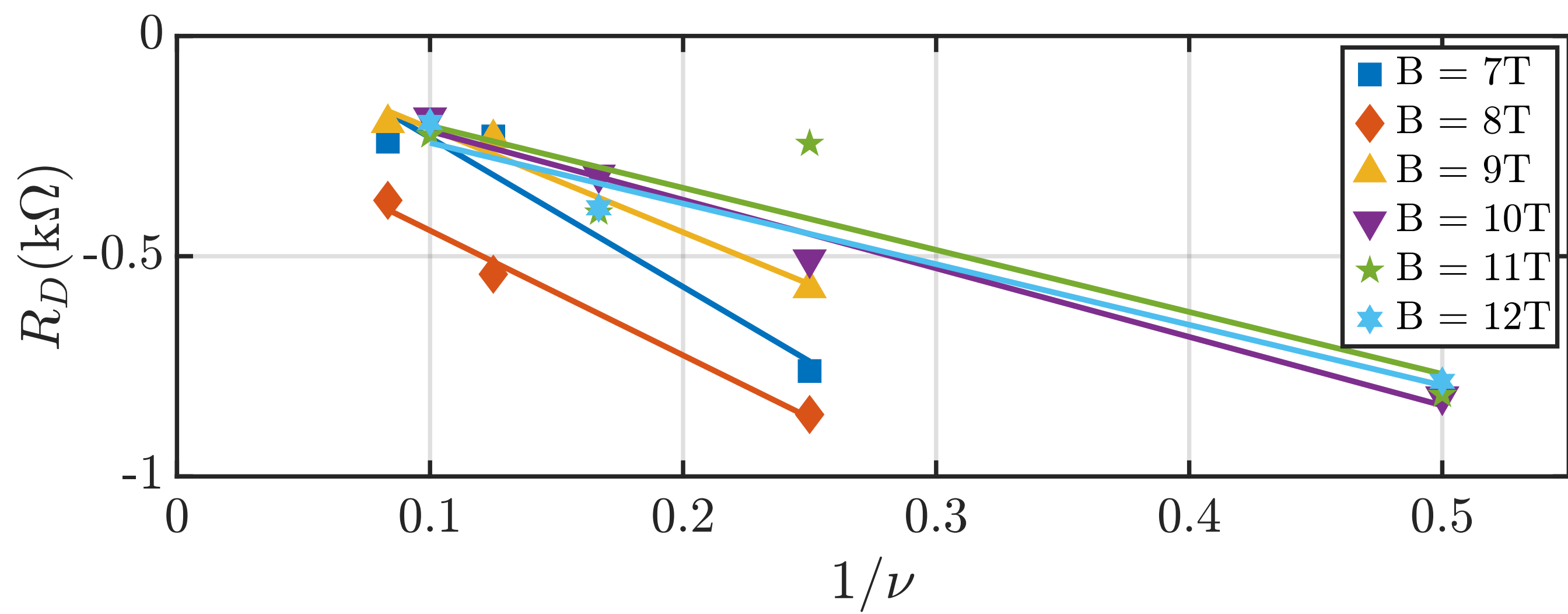


$$R_D = \frac{h}{e^2 \nu} \left(\frac{1}{\alpha} - 1 \right)$$

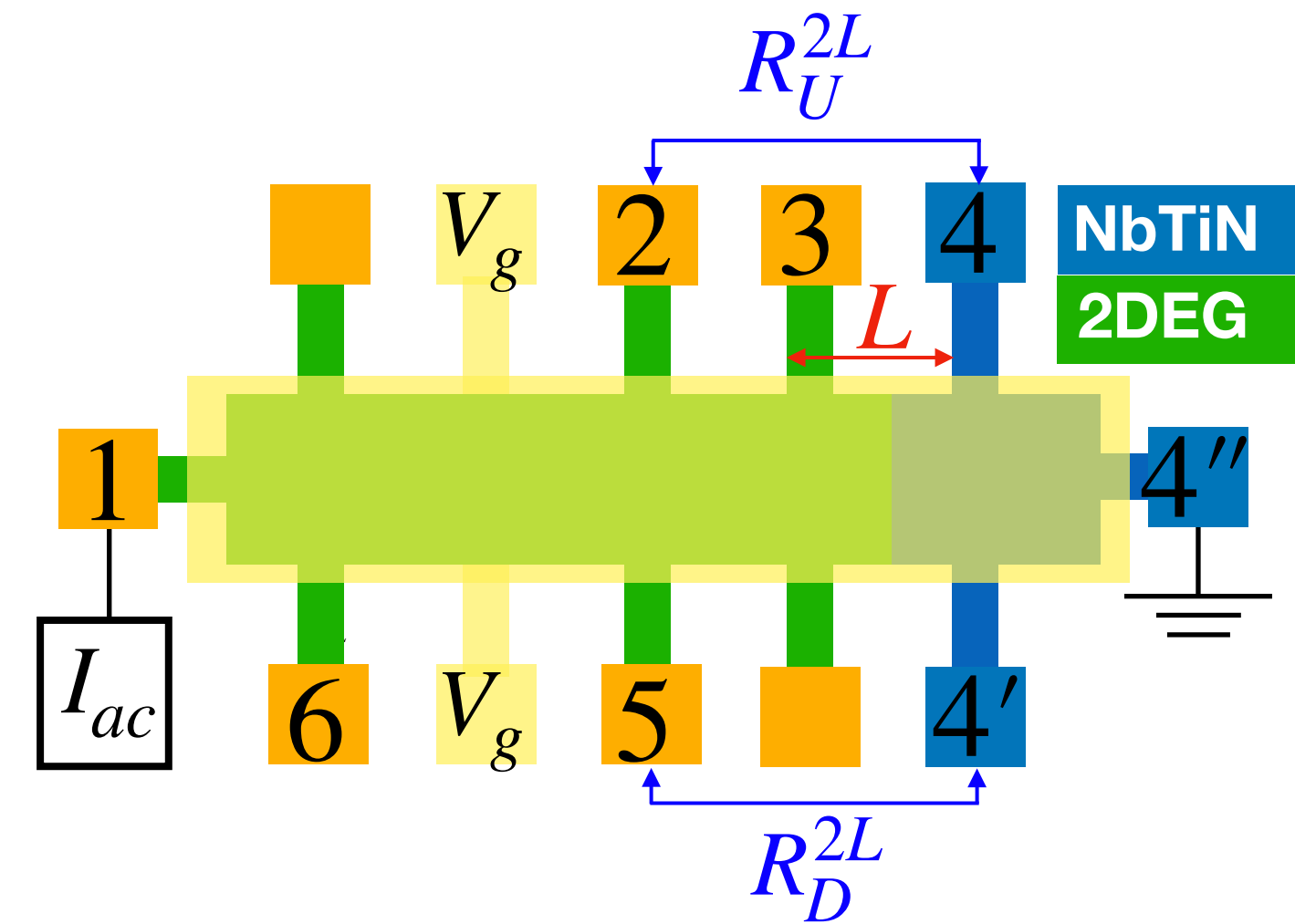
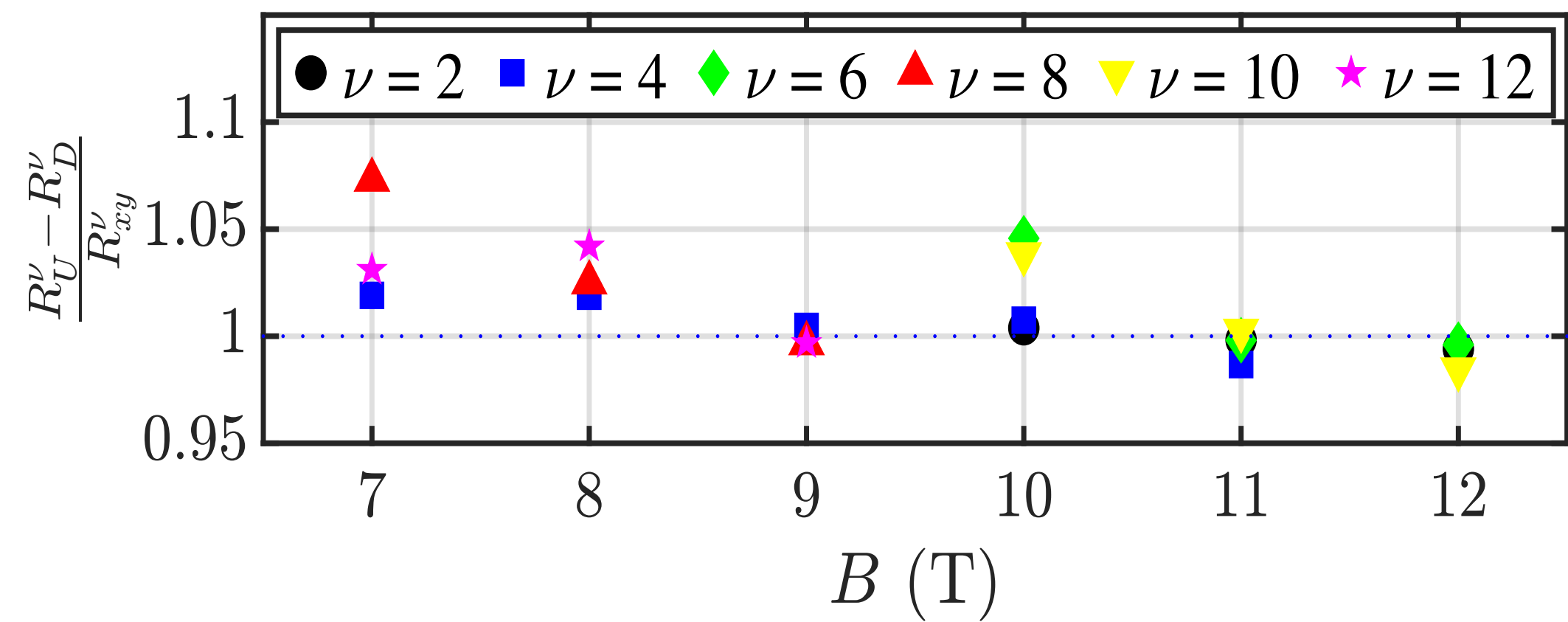
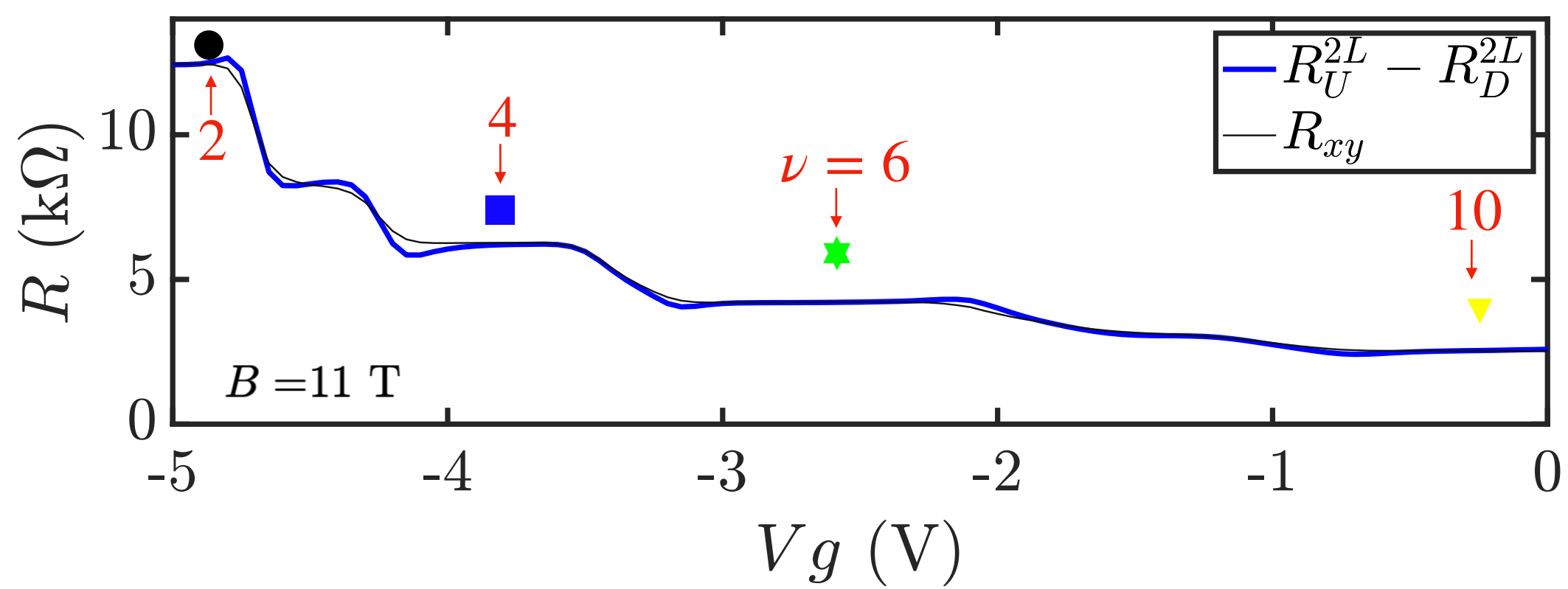
$$A + T + T_{edge} = 1$$

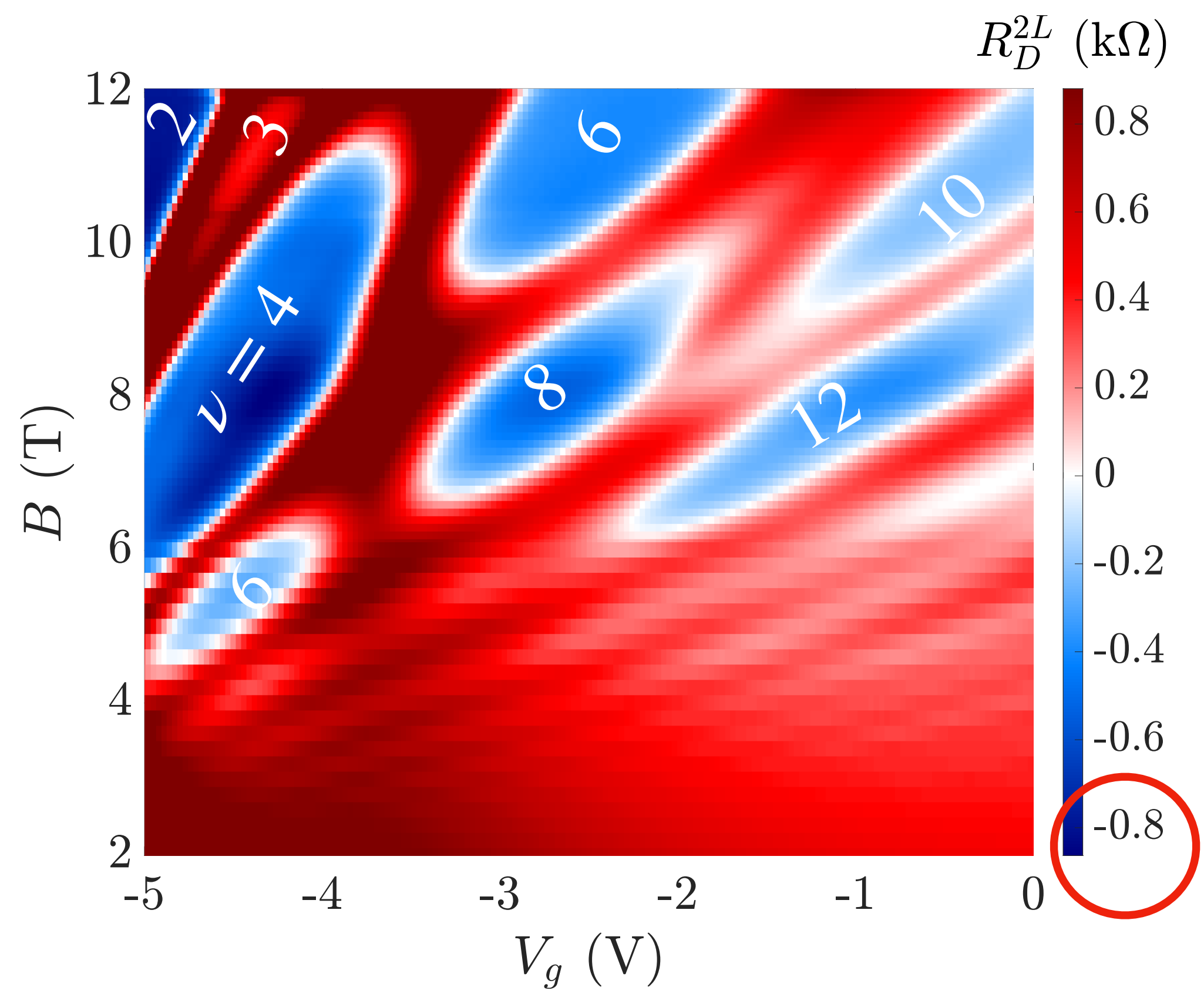
$$\alpha = 2A + T$$

$$A = \alpha - 1 + T_{edge}$$

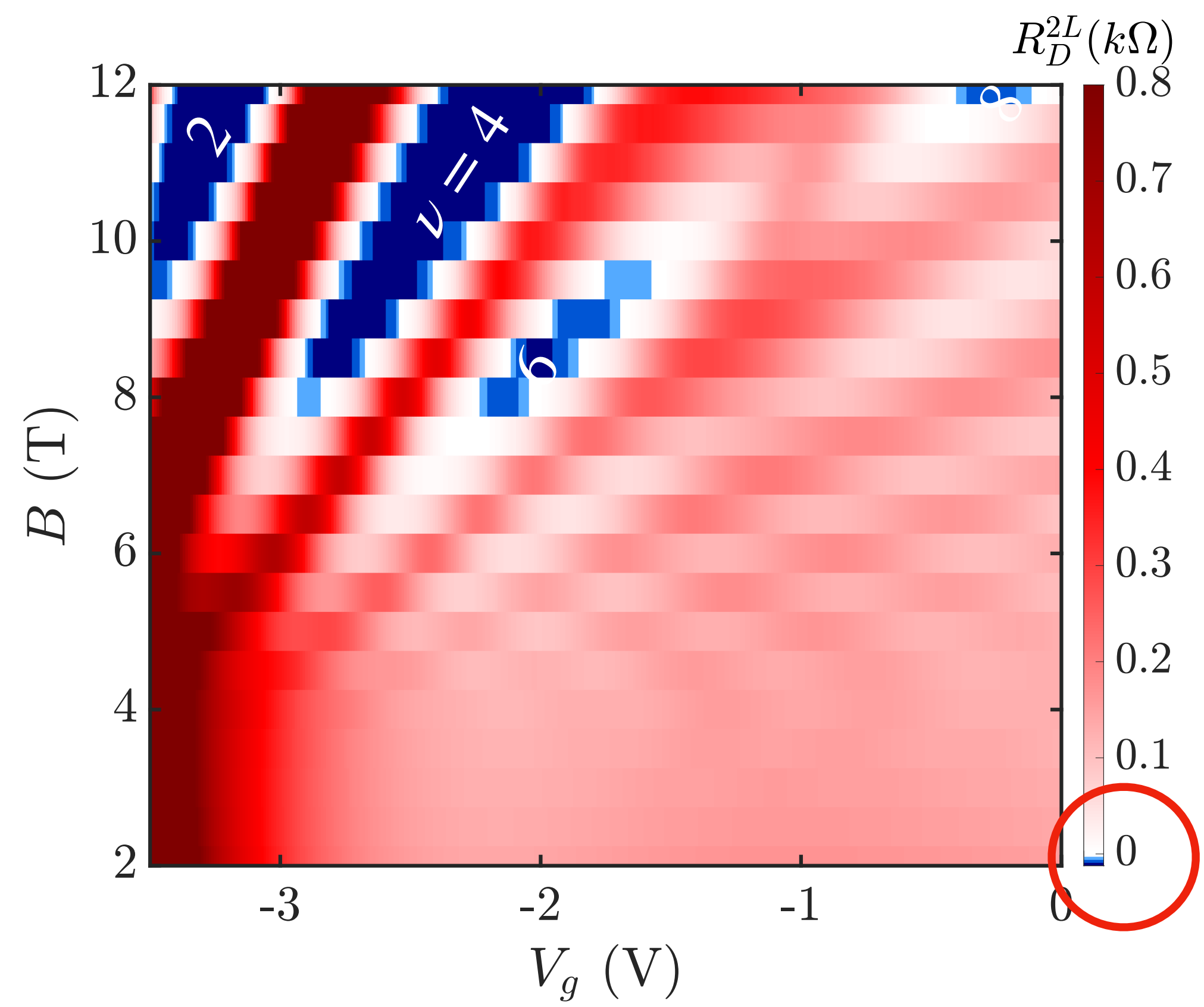


$$R_U - R_D = \frac{h}{e^2\nu} \frac{1}{\alpha} - \frac{h}{e^2\nu} \left(\frac{1}{\alpha} - 1 \right) = \frac{h}{e^2\nu} = R_{xy}$$



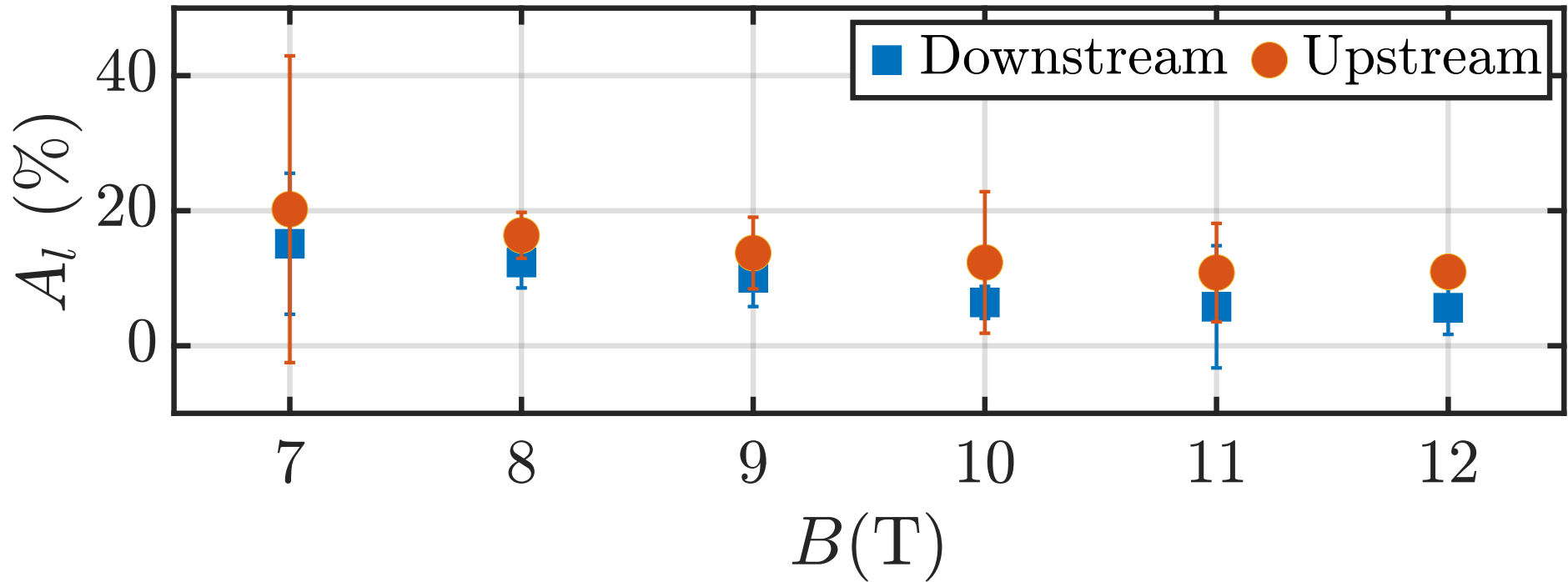


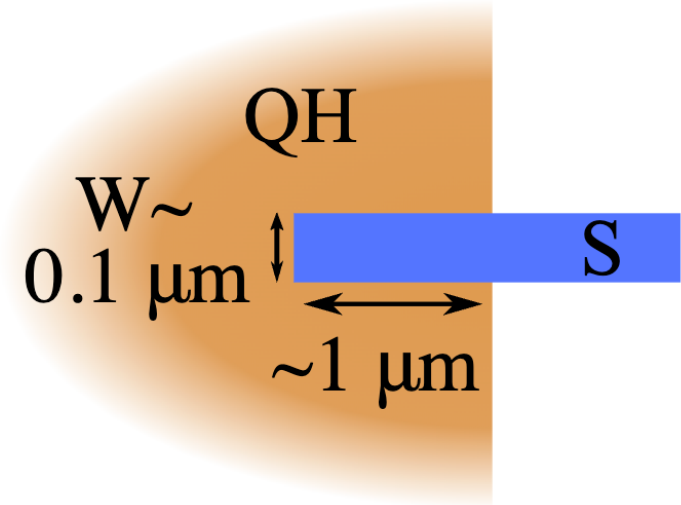
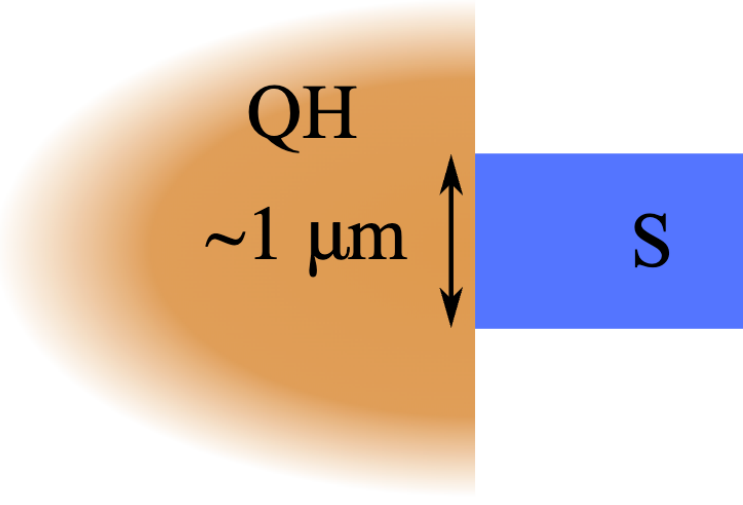
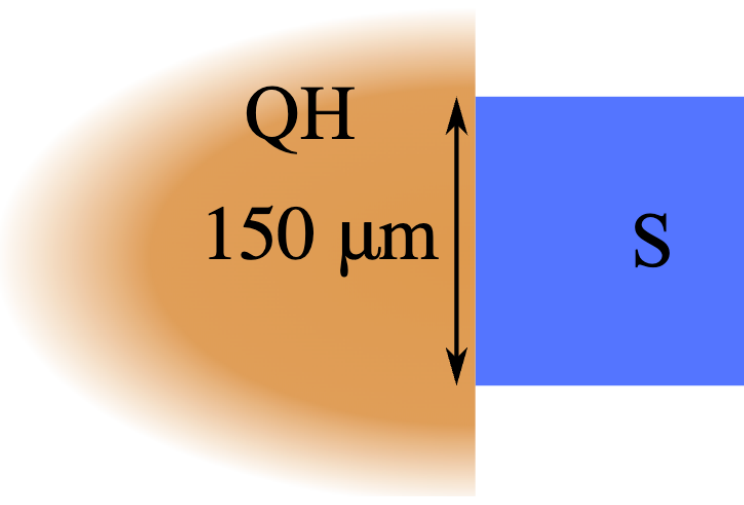
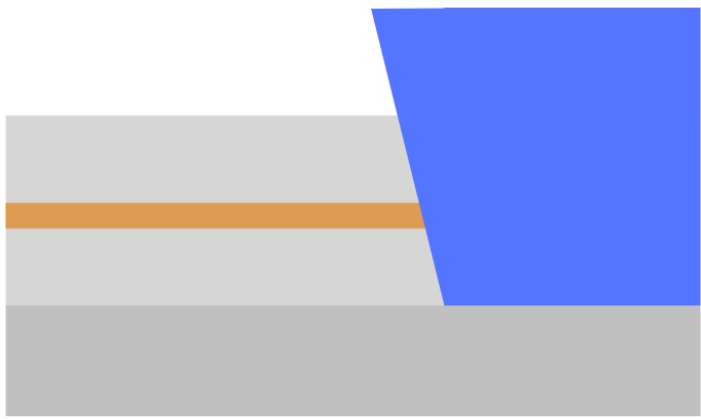
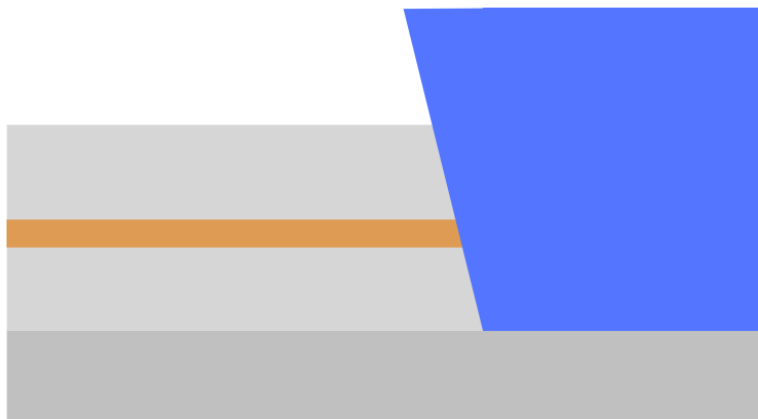
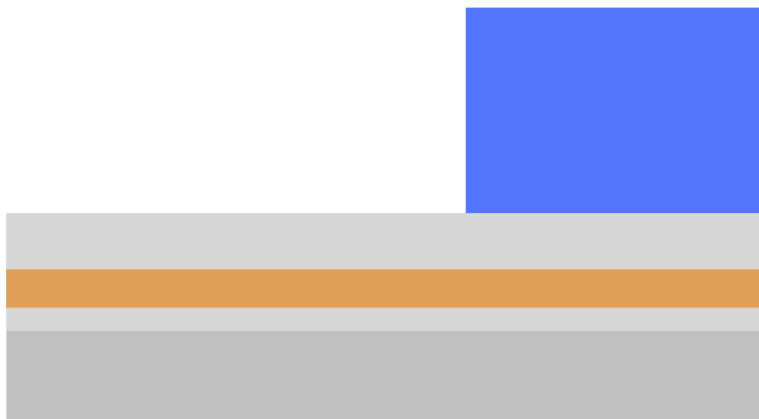
Proper interface cleaning
before NbTiN deposition



No cleaning performed

- Fabrication of gate controlled InAs/NbTiN Hall-bar
- Negative resistance observation at 2DEG/Superconductor interface in IQHS
- Lower band value of AR at 2DEG/Superconductor by ~15%



Speaker, Reference	Onder Gul, arXiv:2009.07836, arXiv:1609.08104	Gleb Finkelstein, arXiv:1907.01722	Javad Shabani, arXiv:2108.08899
Top-down			
Cross-section			
Materials	Graphene, NbTiN	Graphene, MoRe	InAs 2DEG, NbTiN
Main observations (R is nonlocal voltage divided by drain current)	$R \approx \text{const} < 0$ for integer and fractional QHE; $R \rightarrow 0$ at $W \gtrsim 0.2 \mu\text{m}$	Oscillatory R , $\langle G \rangle = 0$; $\text{var}(R) \rightarrow 0$ with $T \gtrsim 0.2 K$; sudden jumps in $R(B)$	$R \approx \text{const} < 0$ in integer QHE plateaus; $R < 0$ persists to $I \gtrsim 5 \mu\text{A}$

