

# Recent Advancements in SPPARKS Metal Additive Manufacturing Simulation Capabilities



TMS 2022

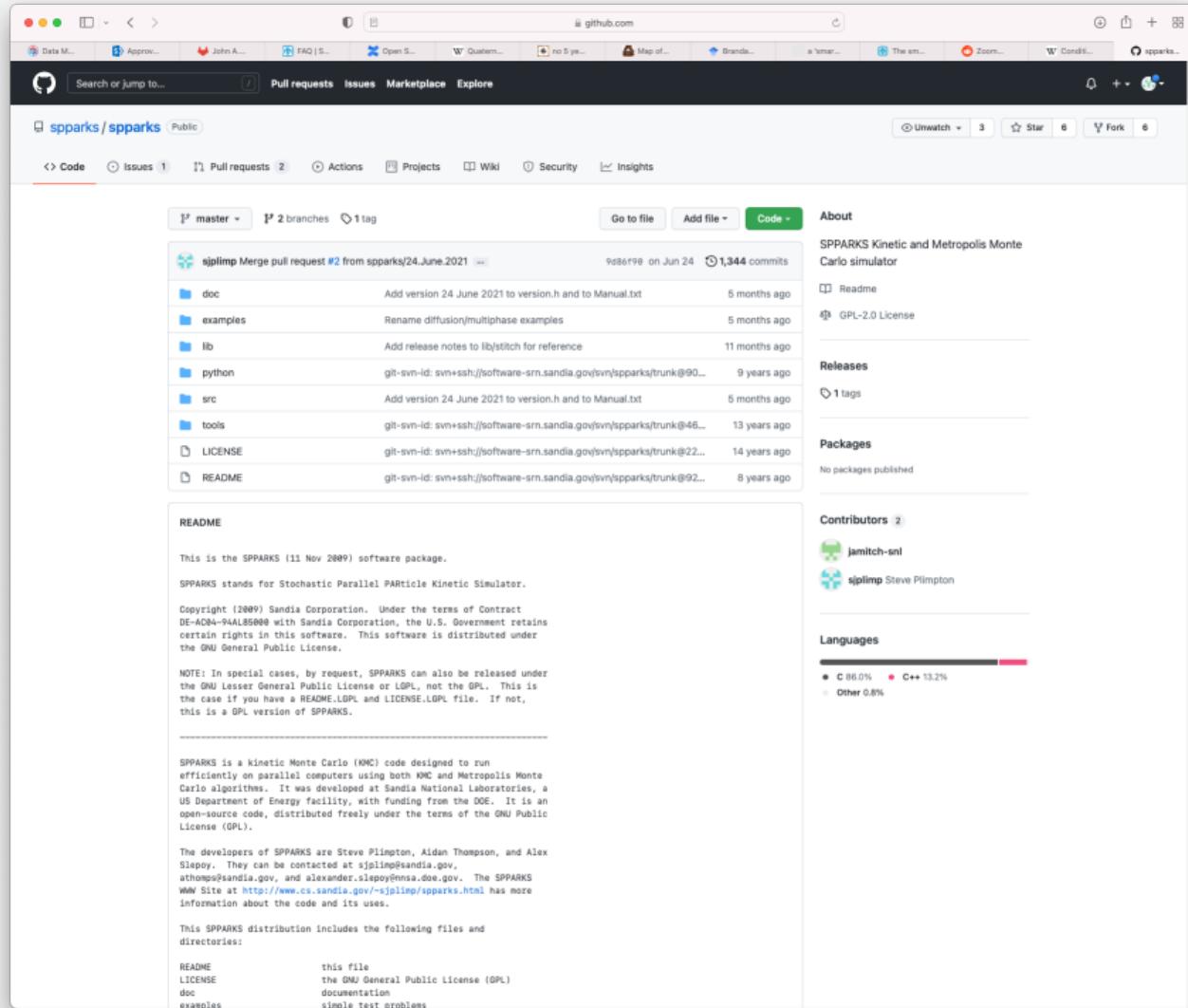
2/28/22

Theron Rodgers<sup>1</sup>, Robert Moore<sup>1,2</sup>, John Mitchell<sup>1</sup>, Jeremy Trageser<sup>1</sup>, Daniel Moser<sup>1</sup>, Fadi Abdeljawad<sup>2</sup>, Jonathon Madison<sup>1</sup>

<sup>1</sup>Sandia National Laboratories

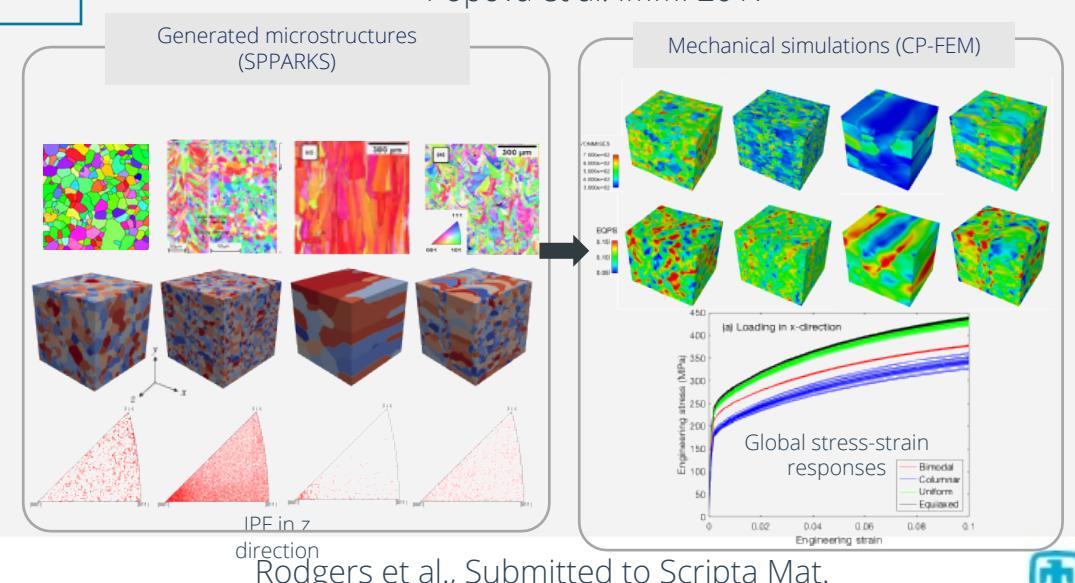
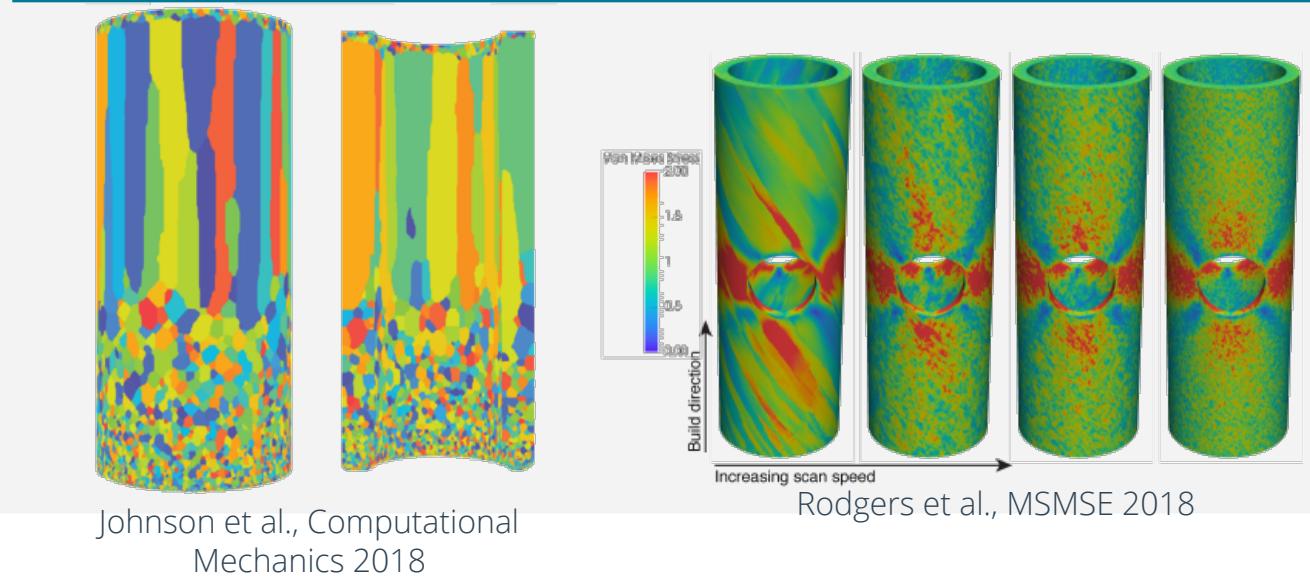
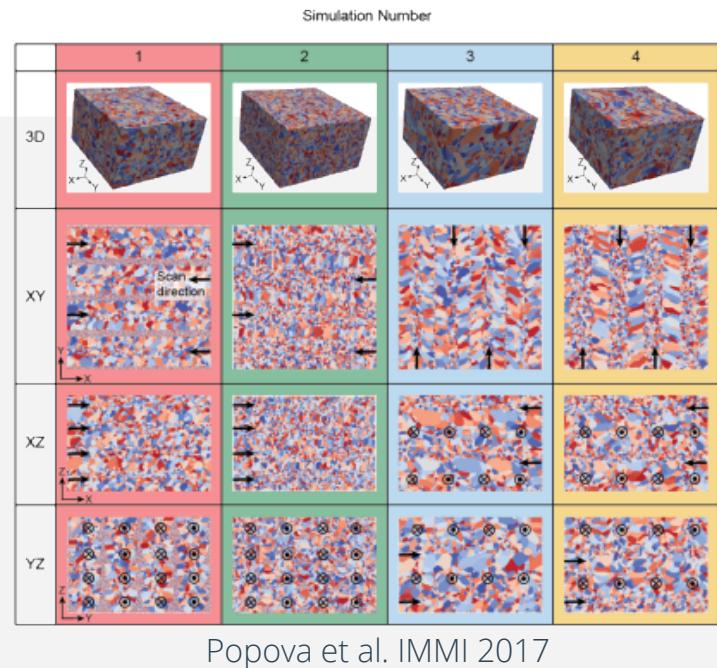
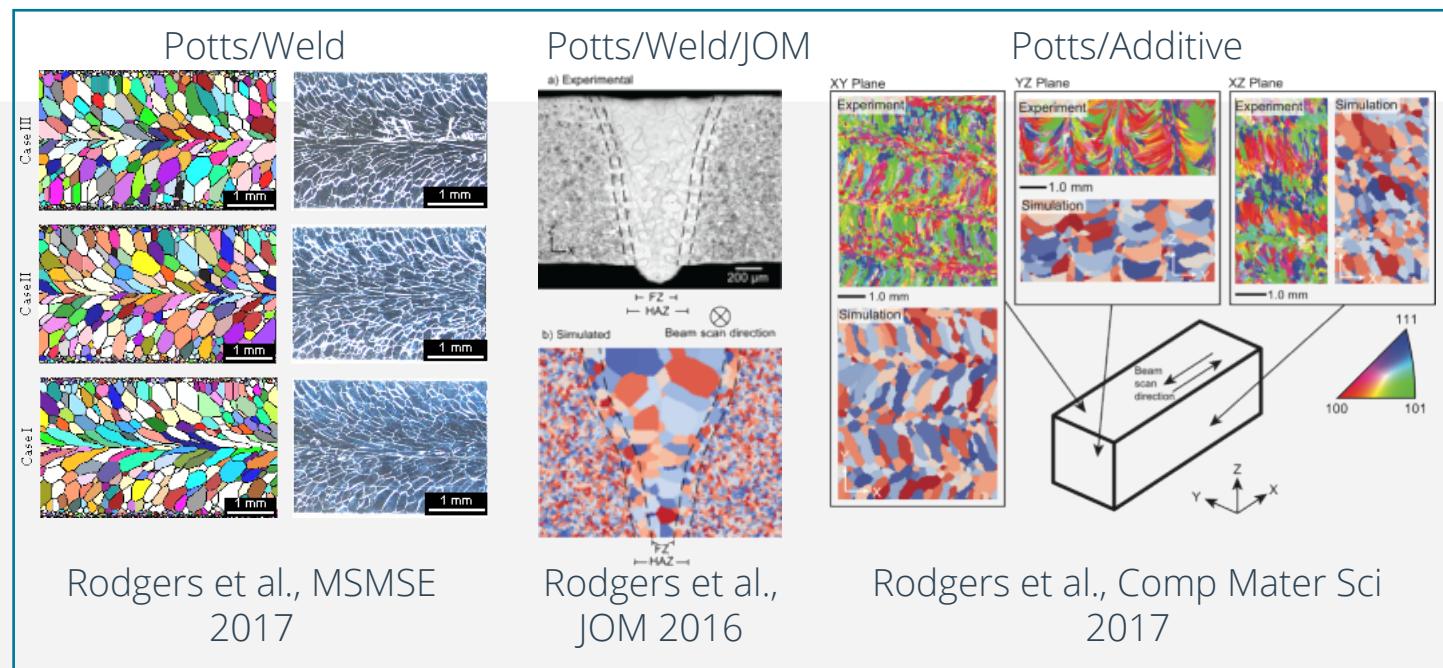
<sup>2</sup>Clemson University

# Microstructure simulations performed in SPPARKS



- Open source mesoscale microstructure simulation software
- Focused on Monte Carlo methods but extensible to virtually any on-lattice simulation method
- Massively parallel capability.
- Similar structure to LAMMPS MD code
- Now on Github for easier external collaboration!

# Previous microstructure solidification work





# Incorporating material-specific solidification properties

# Metal Additive Manufacturing - Microstructure

## Types of Microstructures seen in MAM:

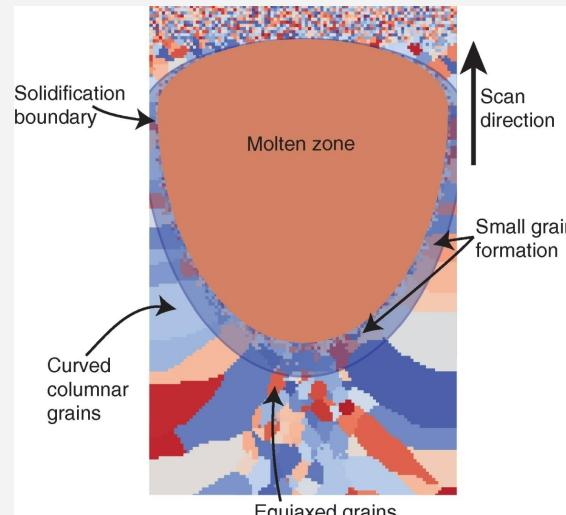
- Columnar – Long, highly textured unidirectional grains
- Equiaxed – More isotropic, randomly oriented grains

## Variables Leading to Transitions Between Different Microstructures:

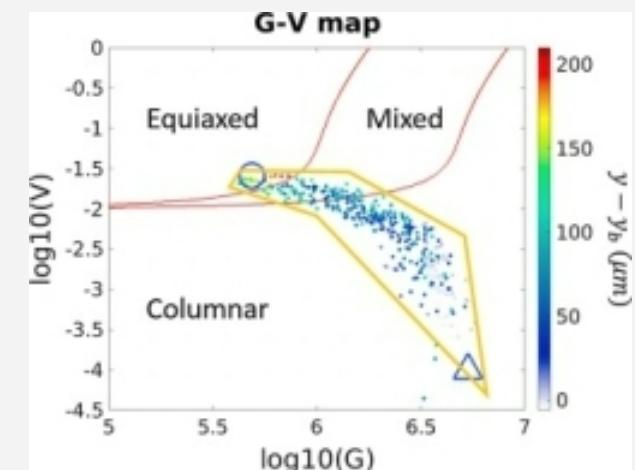
- Temperature Gradients (G)
- Solidification Rate (R or V)
- Nuclei Density ( $N_0$ )

## Reason for Inconsistent Microstructure Generation:

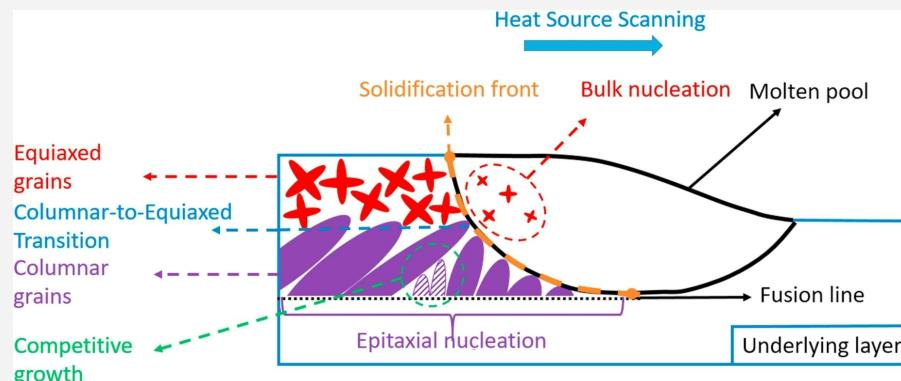
- Non-uniform solidification behavior
- Changing temperature gradients and directions
- Remelting & resolidification



Various microstructures forming during a laser pass.



Hunt's Columnar to Equiaxed Transition as a function of G vs V.



View of the CET criteria during a laser pass.

# Incorporating material-dependent parameters

Nucleation site density,  $N_0$ , is the number of possible nucleation sites per  $\text{m}^3$  (typically  $10^{12}\text{-}10^{15} \text{ m}^{-3}$ ).

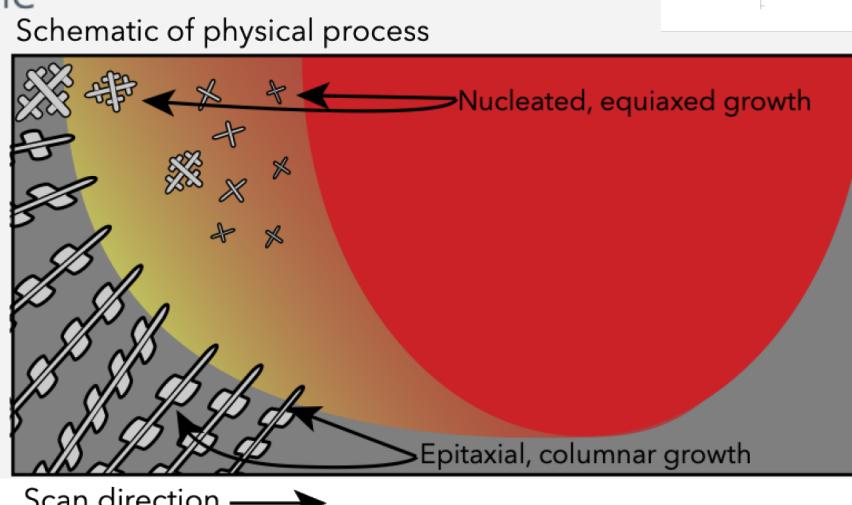
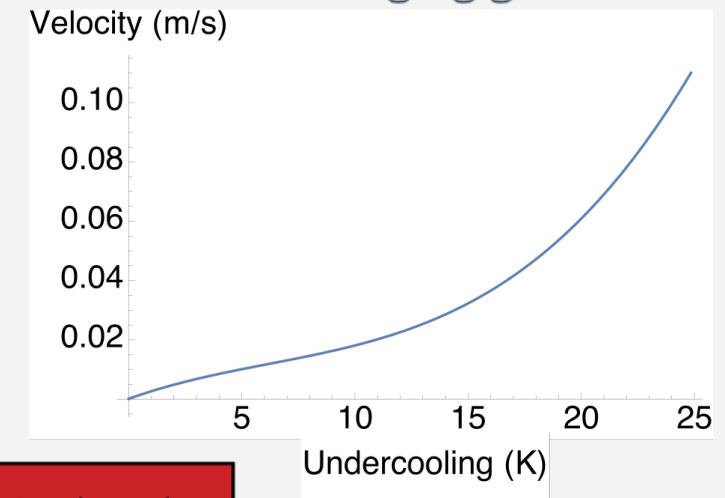
Implemented by allowing a fraction of grain IDs to survive the liquid->solid transition without changing grain ID.

$$N_{frac} = N_0 \Delta x^3$$

Undercooling ( $\Delta T = T_l - T$ )-dependent solidification front velocity,  $V(\Delta T)$ .

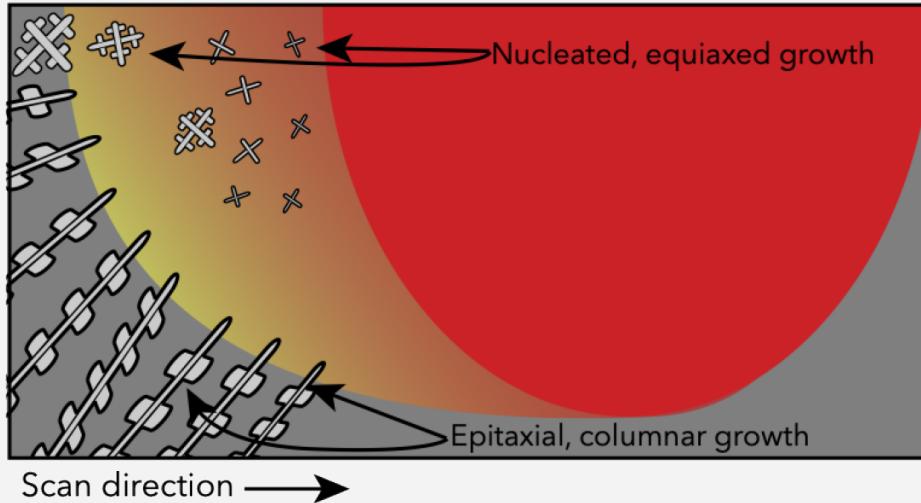
$$V(\Delta T) = a(\Delta T)^3 + b(\Delta T)^2 + c(\Delta T) + d,$$

the coefficients are determined from dendrite-scale solidification simulations or experiments.

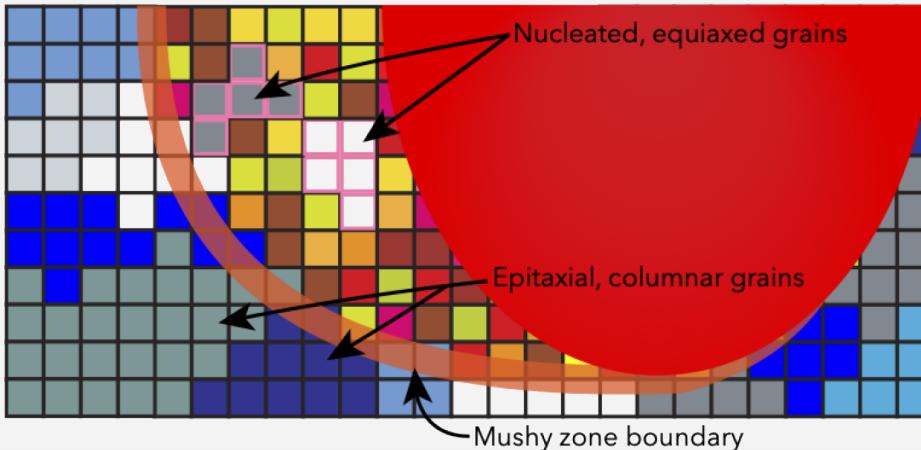


# New Monte Carlo solidification approach

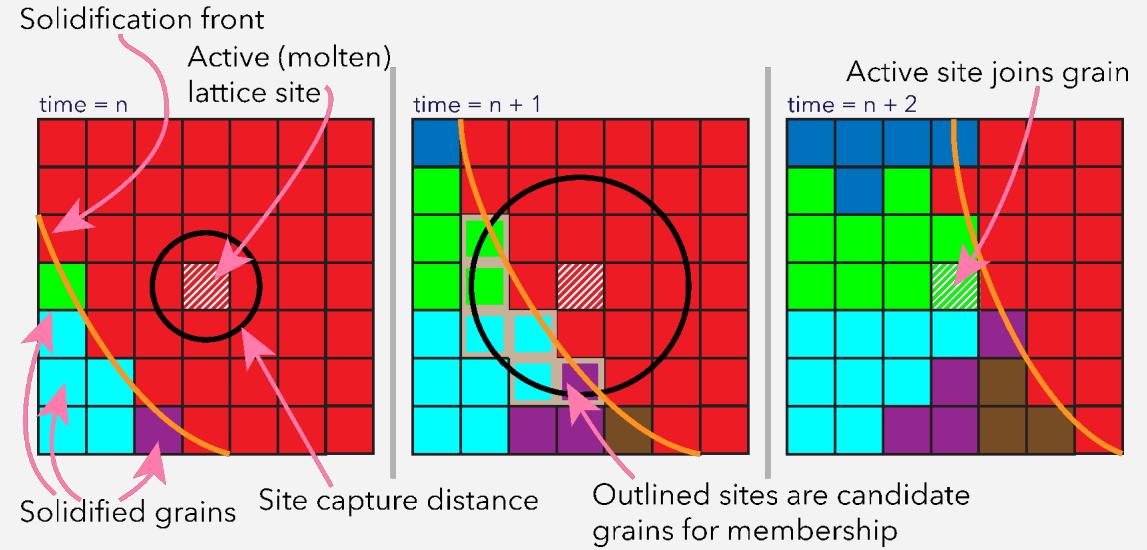
Schematic of physical process



Schematic of simulation process



## Molten site joining epitaxial, columnar grain

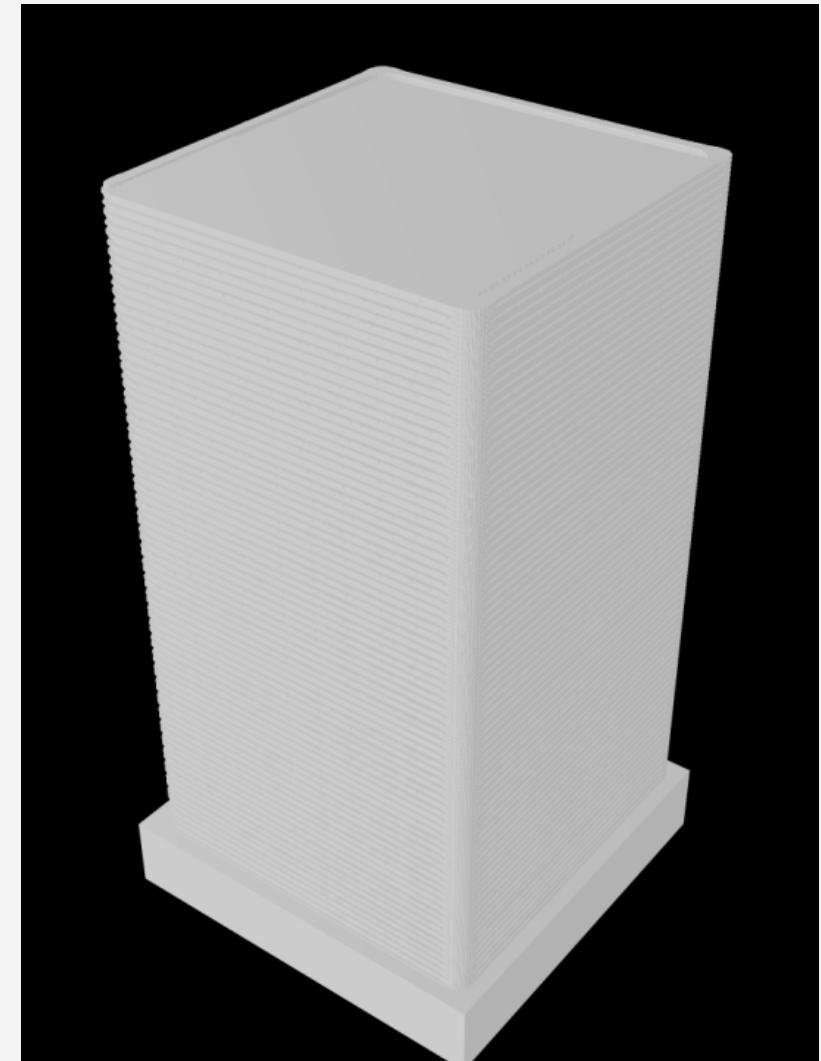


## Molten site joining nucleated grain



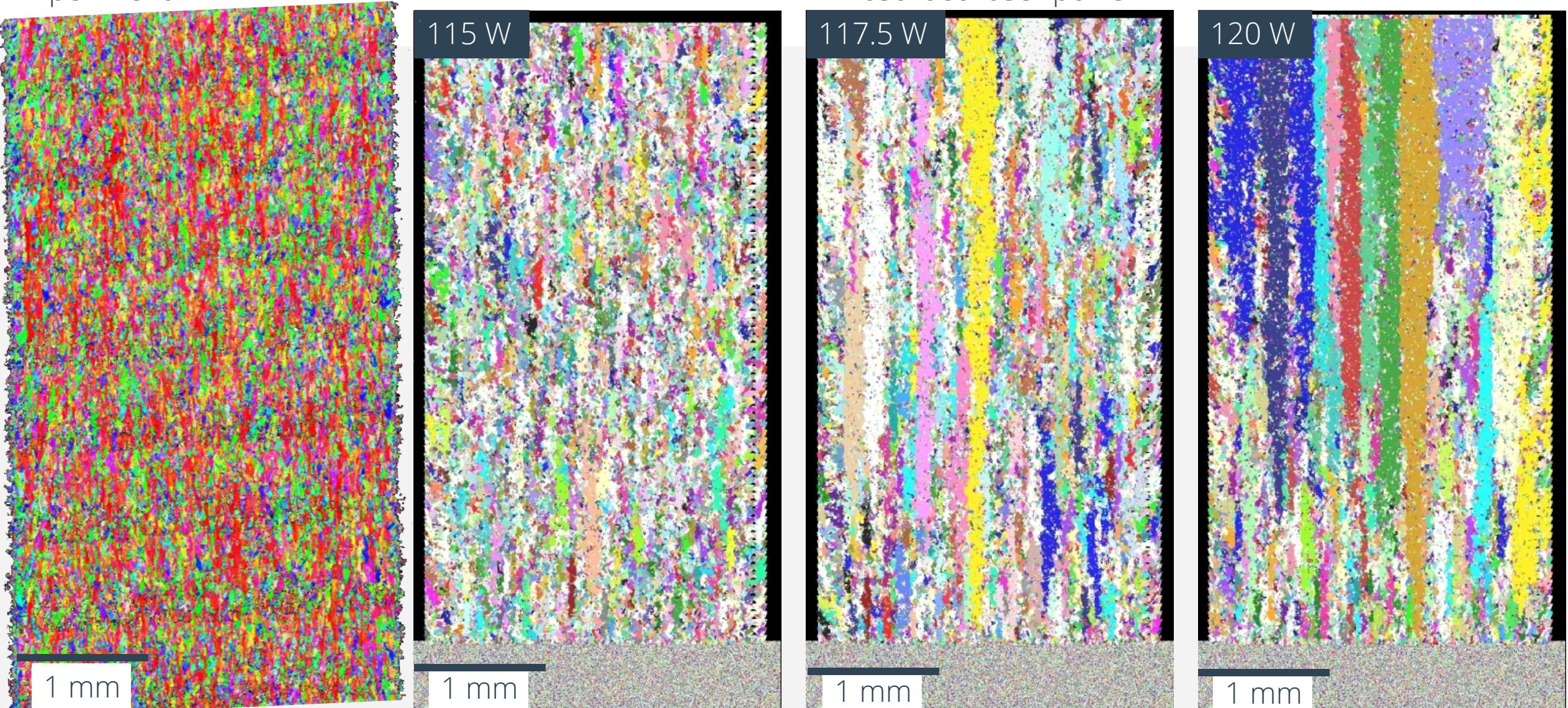
# Example Simulated Pillar

- $2.8 \times 2.8 \times 5.5$  mm domain  $\sim 340$  million lattice sites
  - 2,340 cores for 30 days
- Process parameters calibrated for 3D Systems ProX DMP 200 machine
  - Layer thickness =  $30 \mu\text{m}$
  - Hatch spacing  $50 \mu\text{m}$
  - Scan rate =  $1400 \text{ mm/s}$
  - Laser power =  $129 \text{ W}$
  - Scan strategy = +/-90 alternating
- Includes powder phase with 0.01 of solid conductivity
- Simulation domain boundaries fixed at 300K
- $5 \mu\text{m}$  grid
- 21.8 m of scan path simulated
- 157 layers
- Critical undercooling 5K



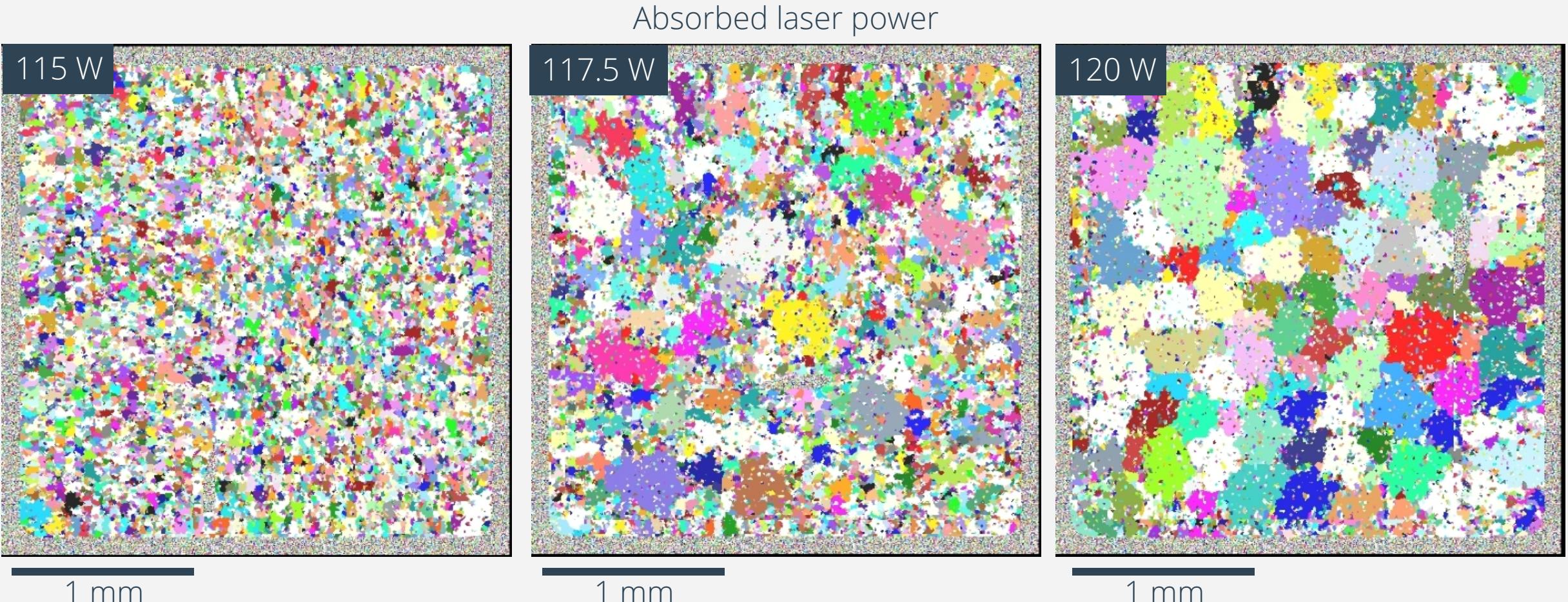
# Microstructure evolution is quite sensitive to thermal parameters

Experiment

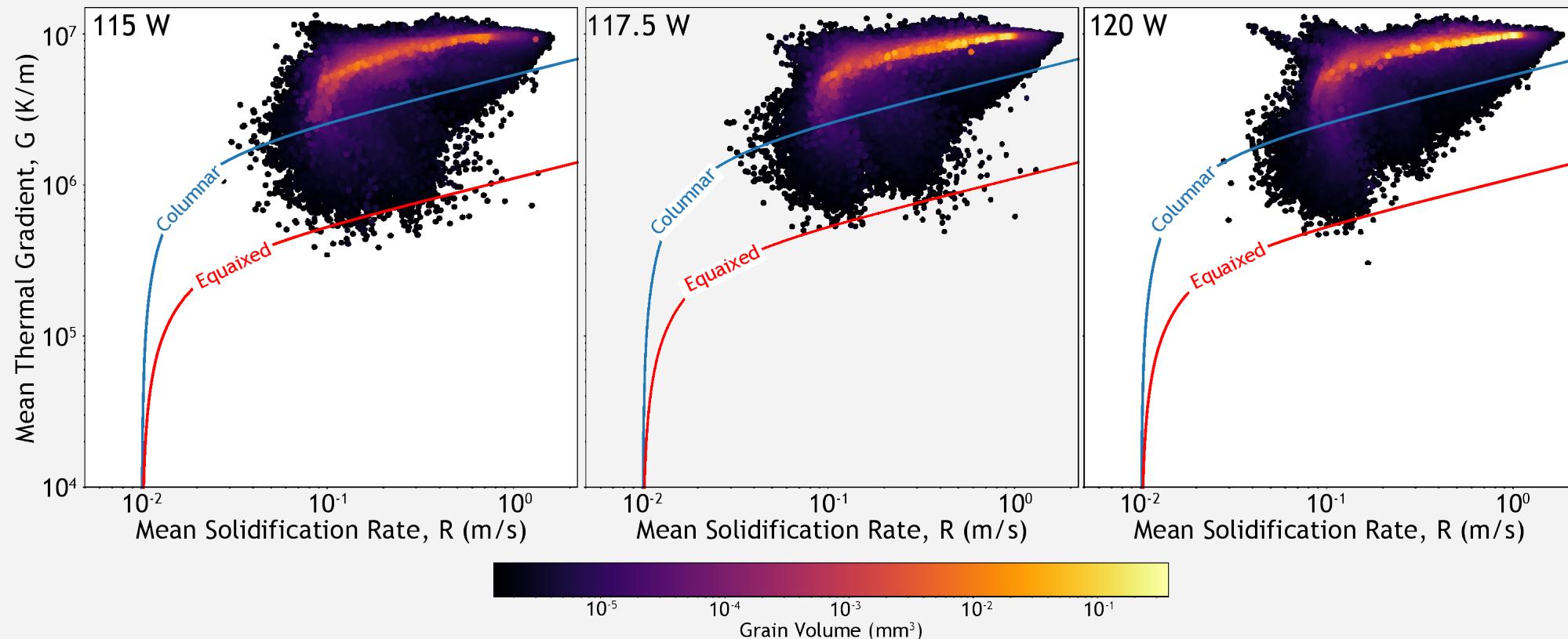


All simulations performed with nucleation densities of  $8e13$

# Top view of build



# G/R and grain size plots

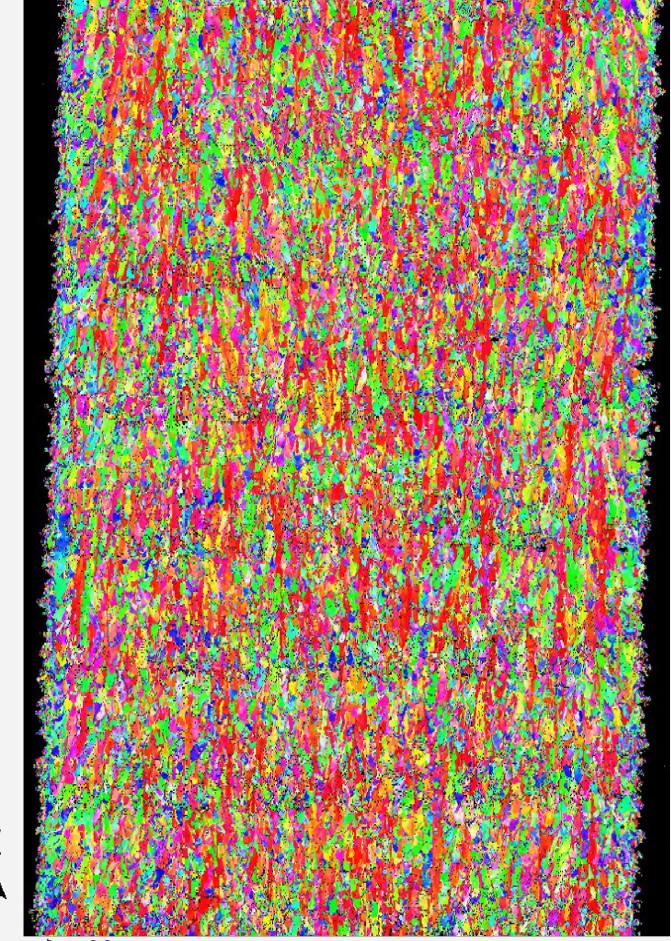


- Maximum grain size increases significantly with power
- Increasing power results in subtle shift upwards into mixed/columnar regime
- G/R formulation does not account for multiple melting/solidification cycles

# Effect of remelting raster pattern

The addition of a second “remelt” laser raster each layer results in larger, more columnar grains with a strong crystallographic texture.

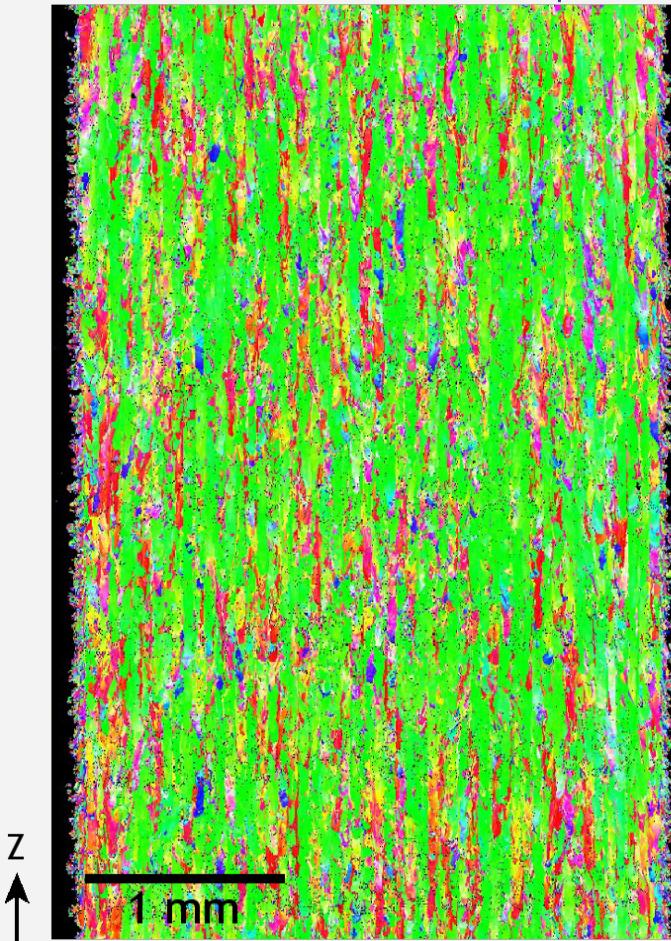
Normal infill



Experiment

Simulation

Mesh infill



Experiment

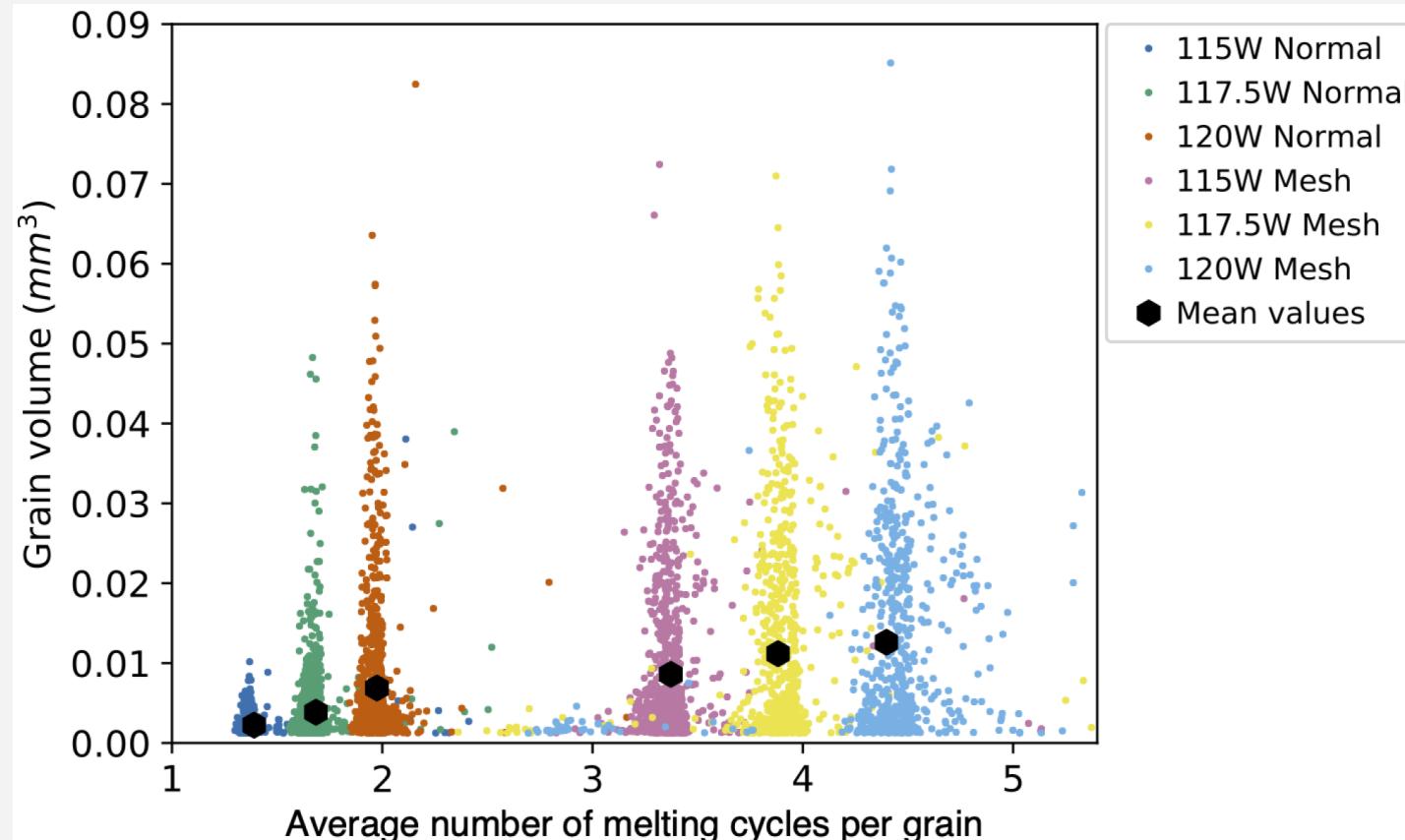
Simulation

Z  
X  
1 mm

Z  
X  
1 mm

# Grain size dependence on melting/remelting cycles

Dan Bolintineanu



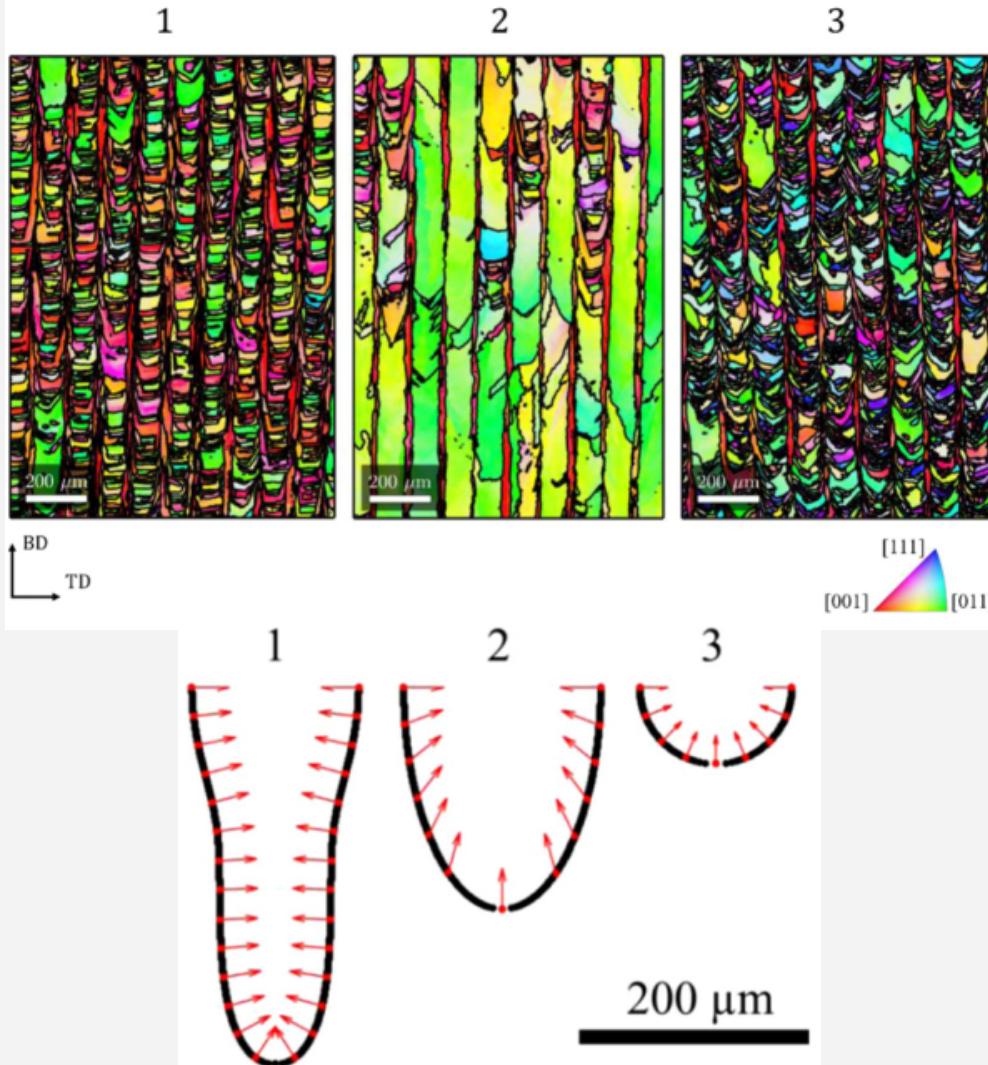
- Laser power & scan pattern combine to control the number of melting cycles experienced by the material.
- The average number of melting cycles increases with both laser power and remelting.
- Maximum and mean grain sizes also increase.
- Nucleation is less influential with additional remelting.

A wide-angle photograph of a large industrial complex, likely a nuclear facility, featuring numerous multi-story buildings and parking areas. The facility is situated in a valley with mountains visible in the background under a clear sky.

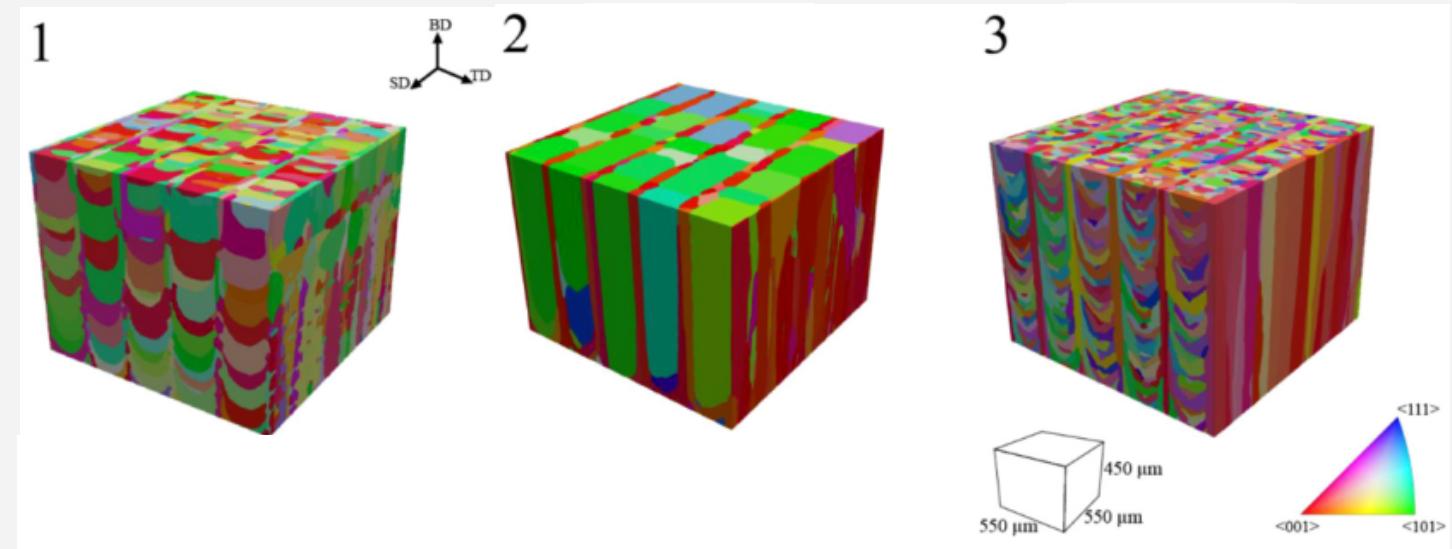
# Adding crystallographic texture to MC solidification model

# SPPARKS Texture Prediction

Joseph Pauza (CMU)

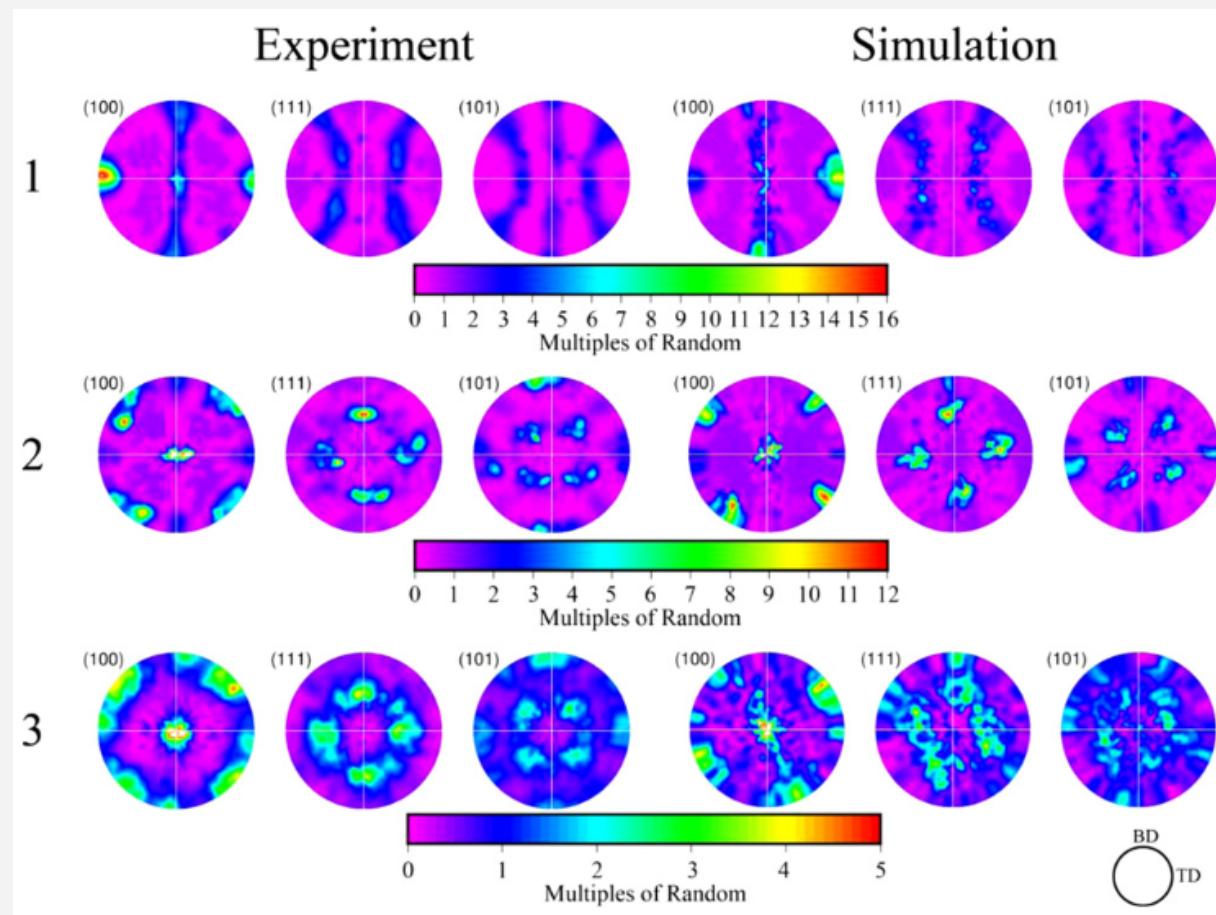


- The Monte Carlo-based grain selection algorithm used in SPPARKS AM app was modified to weight selection based on misorientation between grains and solidification direction.
- Study with In625 successfully replicated texture variation with scan velocity and melt pool shape.

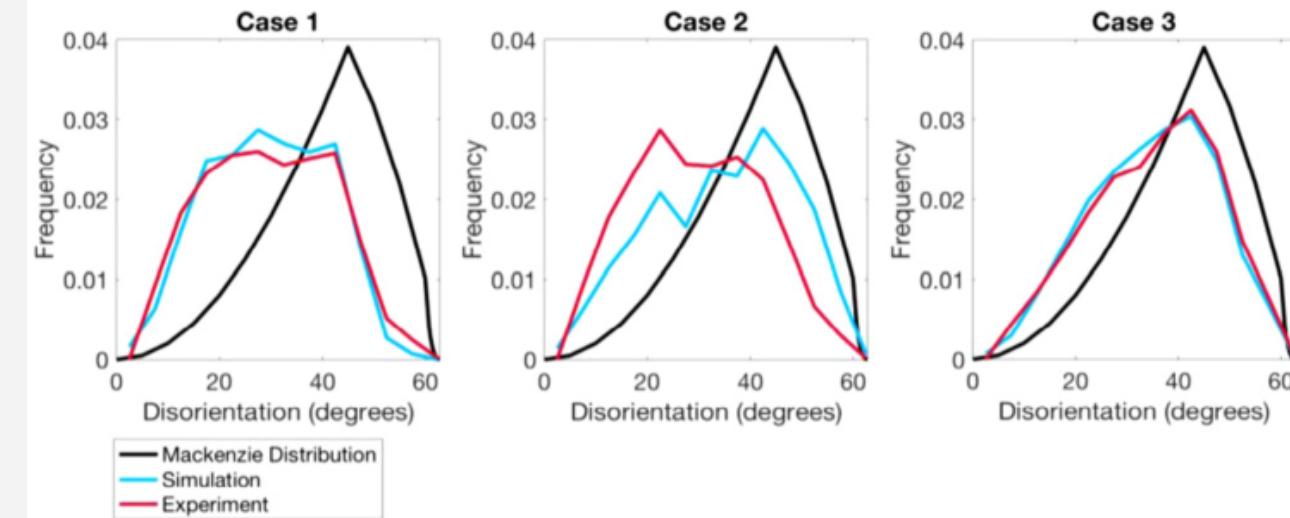


# SPPARKS Texture prediction – Orientation distributions

Joseph Pauza (CMU)



Experimental and simulated pole figures show good agreement.





# New meltpool models for computational efficiency

---

# Melt pool generation – Rosenthal and the Adaptive Solution

Robert D Moore

Analytical steady-state solution to the heat diffusion equation:

$$\text{Point Source}^4: T - T_0 = \frac{\lambda Q}{2\pi R k} \exp\left(\frac{-V[\xi+R]}{2\alpha}\right)$$

$$\text{Extended Solution}^4: T - T_0 = \frac{\lambda_p Q}{2\pi R k} \exp\left(\frac{-V[\xi+R]}{2\alpha}\right) + \int_d^{-d} \frac{\lambda_l Q}{2\pi R' k} \exp\left(\frac{-V[\xi+R']}{2\alpha}\right) dD$$

## Advantages of the Rosenthal Solution

No requirement for specific time step (Steady State Solution)

4-6x speedup compared to the Finite Difference method.

## Solution to Transition Problem:

- Form a joint or flexi-Rosenthal solution that morphs with the raster path to capture the transition regions.

## Disadvantages of the Rosenthal Solution

Transitions between rasters are poorly modeled by this solution

Previous melted regions are forgotten during subsequent raster passes.

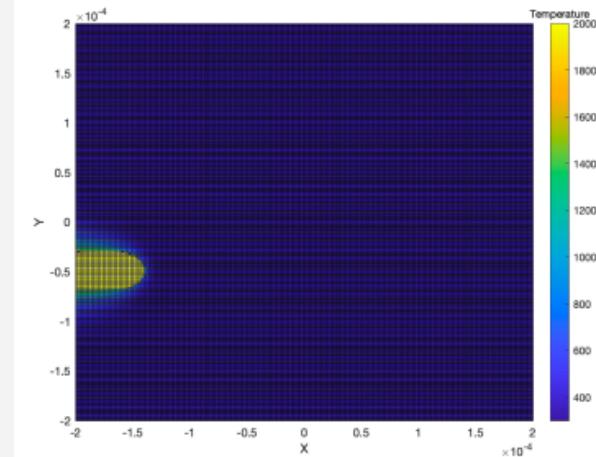


Figure 19: Rosenthal solution implemented in a C++ App.

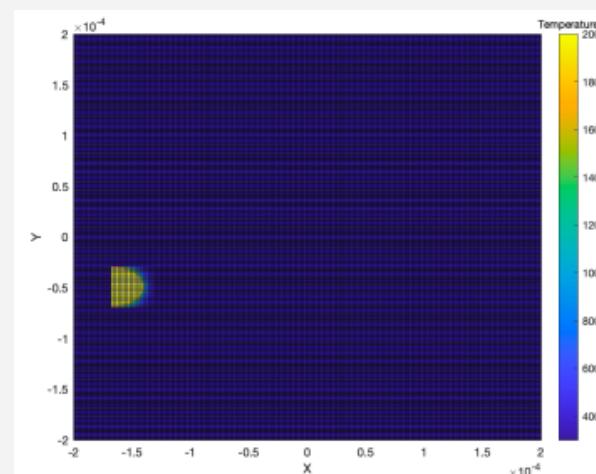
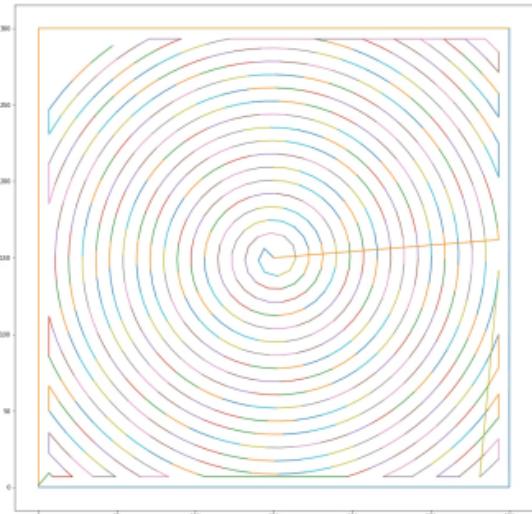


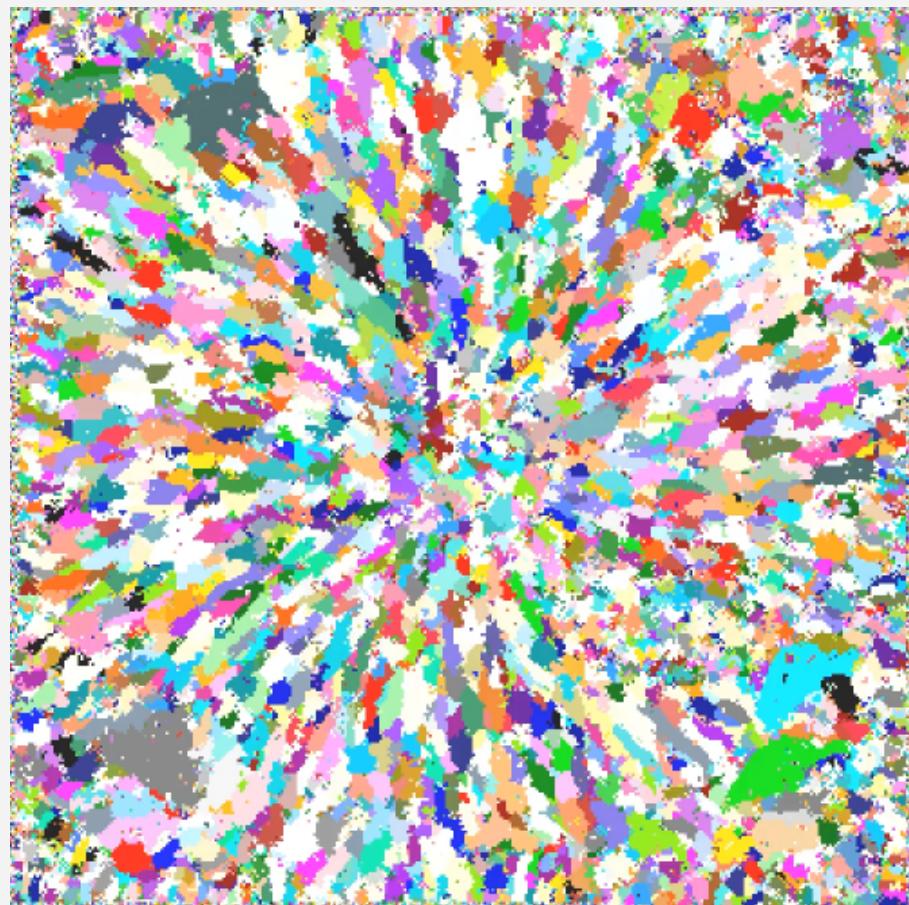
Figure 20: Flexi-Rosenthal solution implemented in a C++ App.

# Microstructure Comparison: More Complicated Rasters

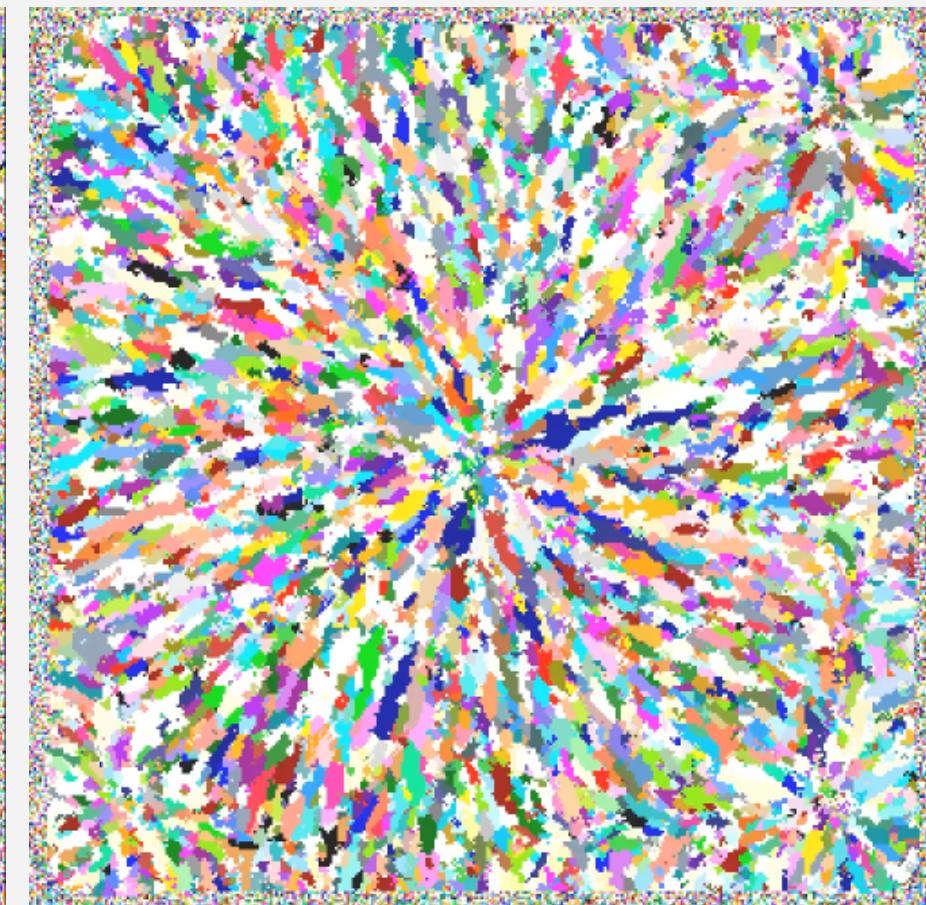
Robert D. Moore



Flexi



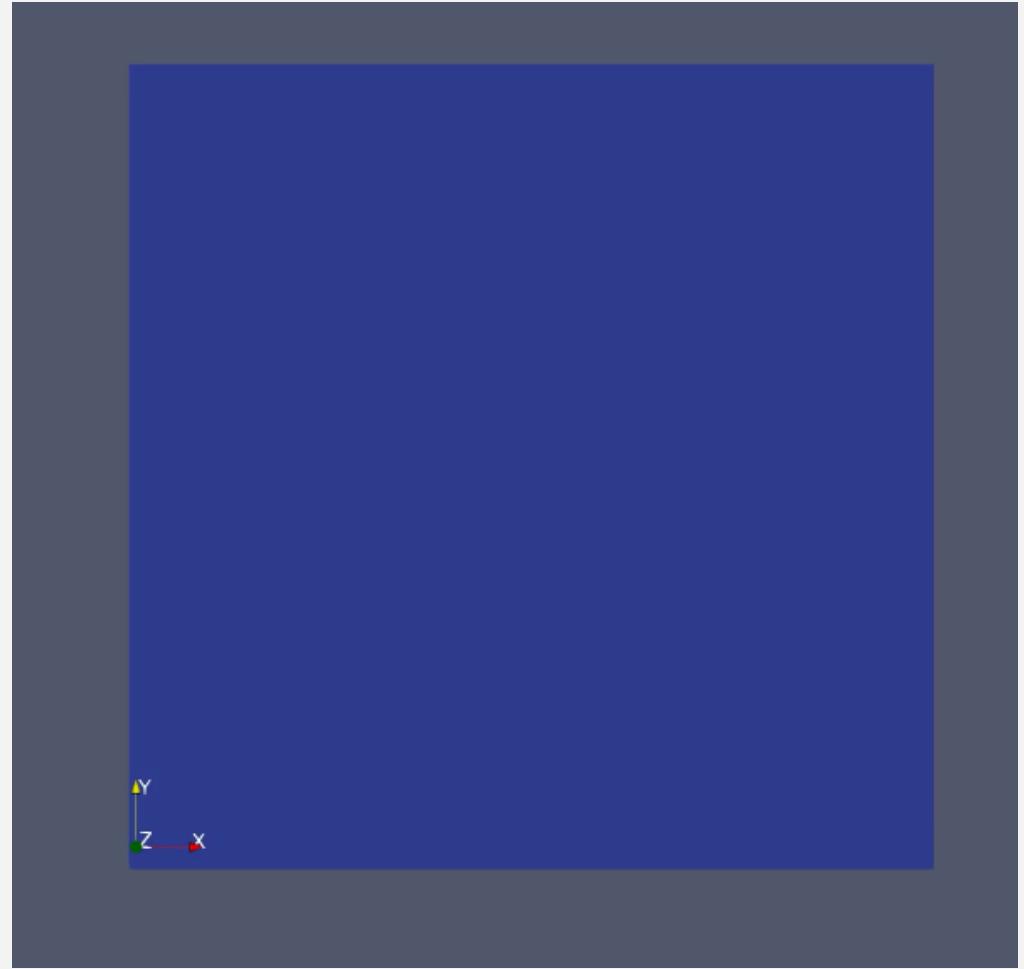
Finite Difference



# Part-scale thermal model with parallel Green's function solver

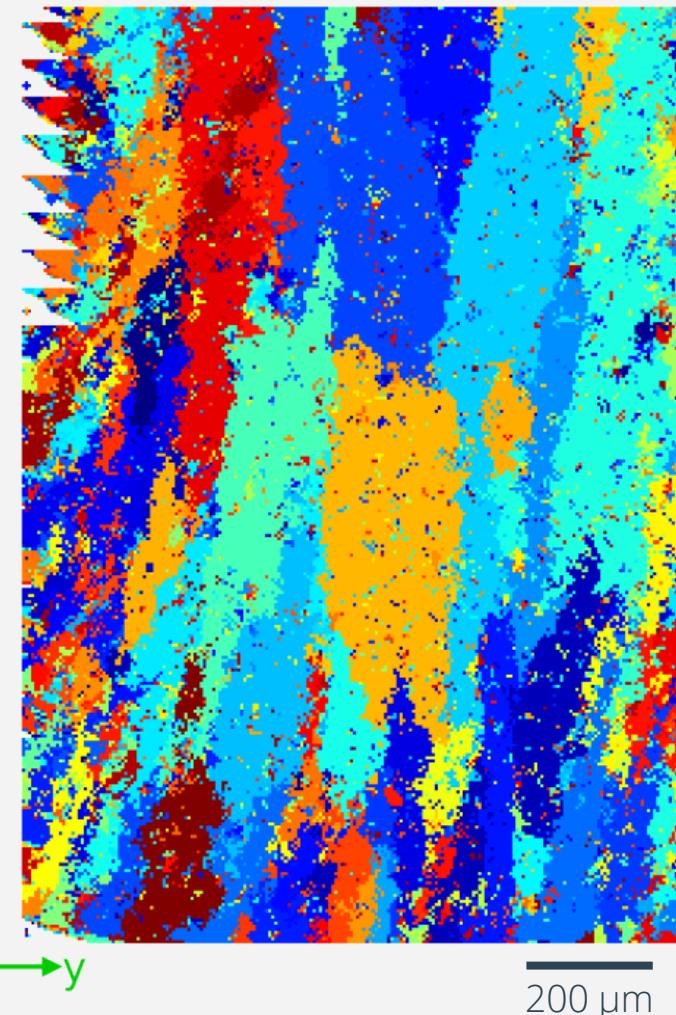
Dan Moser

- Thermal history constructed using massively parallel Green's function solver
  - Previously developed as part of SNL LDRD
- Fully time resolved, linear, time-dependent solution
  - Ellipsoidal Gaussian source
  - Calibrated to mesoscale model melt pool dimensions
  - Adaptive space-time grid solution representation
- Embarrassingly parallel in space and time
- ~3 days run time on 1500 processors
- First full thermal history calculation for part of this size



Full thermal history of first layer

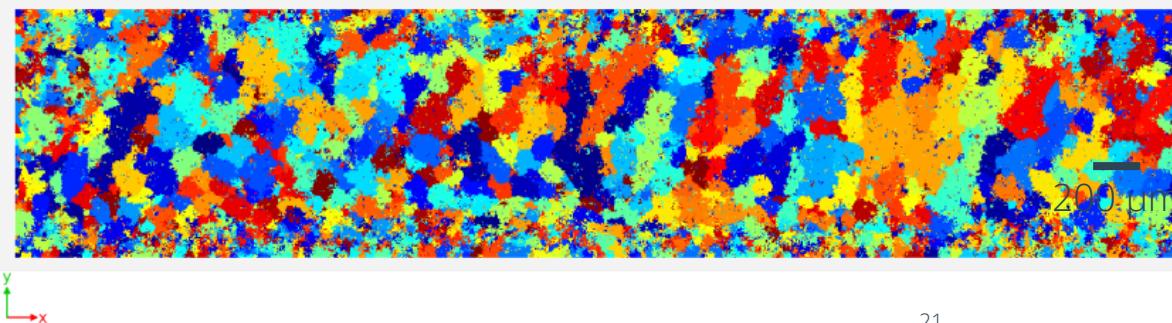
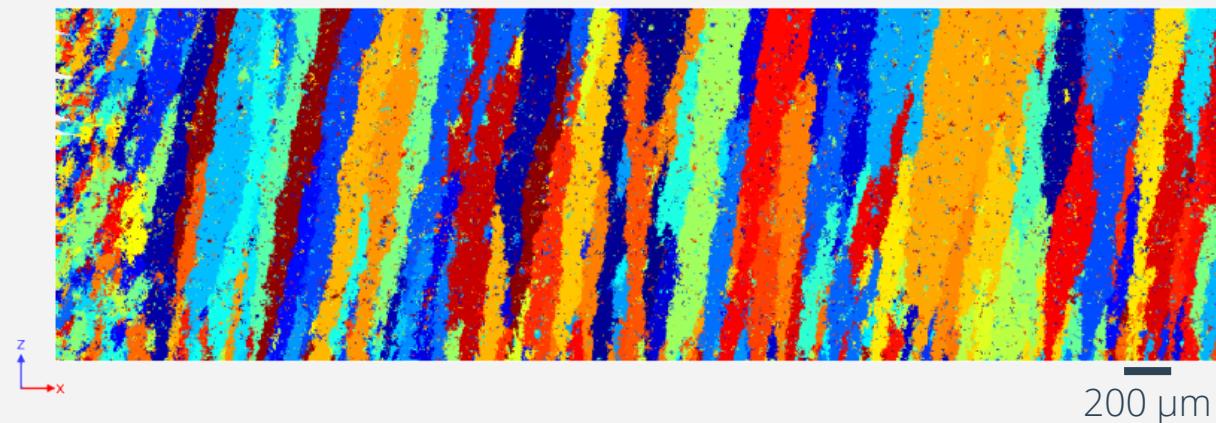
# Microstructure prediction using subvolume of thermal model



Base nucleation case:  $N_0 = 5.4\text{e}14 \text{ #/m}^3$ ,  $\Delta T_c = 5\text{K}$ ,  $\sigma_{\Delta T_c} = 3\text{K}$ .

Columnar microstructures with most grains propagated through many build layers.

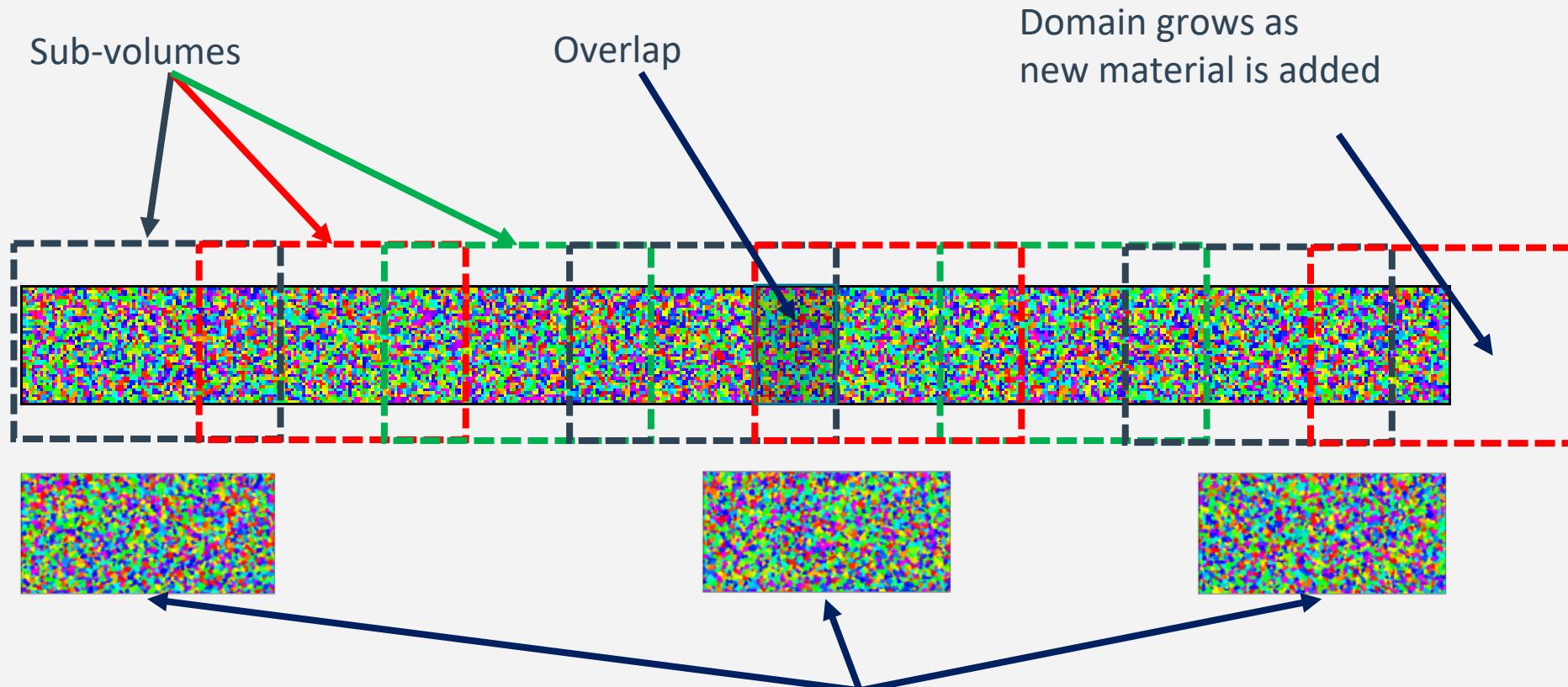
Future work will use Stitch library to simulate much larger volumes.



# Matching part-length scales with STITCH

John Mitchell

Large domain is simulated using a series of smaller overlapping sub-volumes.



# Conclusions

- Monte Carlo-based AM microstructure simulation is maturing to include more physics including material-dependent solidification and crystallographic texture.
- The finite difference thermal model source code has been released in the open source SPPARKS Github repository and is available for use/development.
- New, efficient thermal models allow for faster simulations of larger build geometries.

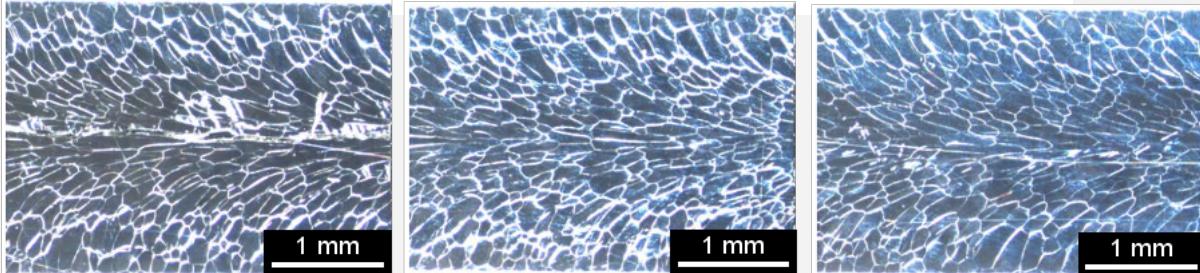
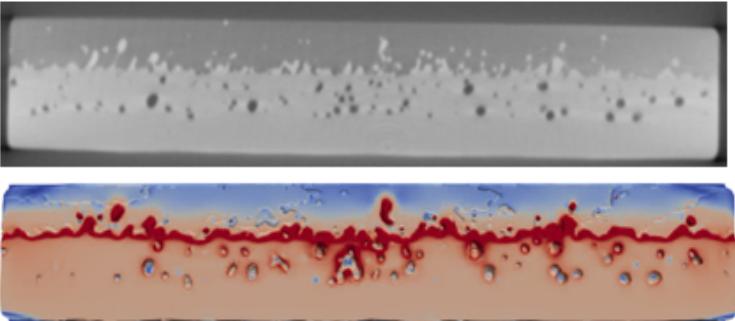
# Outline

- Introduction to advanced manufacturing microstructure simulation
- Adding material-parameters to SPPARKS AM model
- Predicting crystallographic texture
- Structure->Property linkages for AM materials
- New thermal models for efficient simulation
- Part-scale simulation

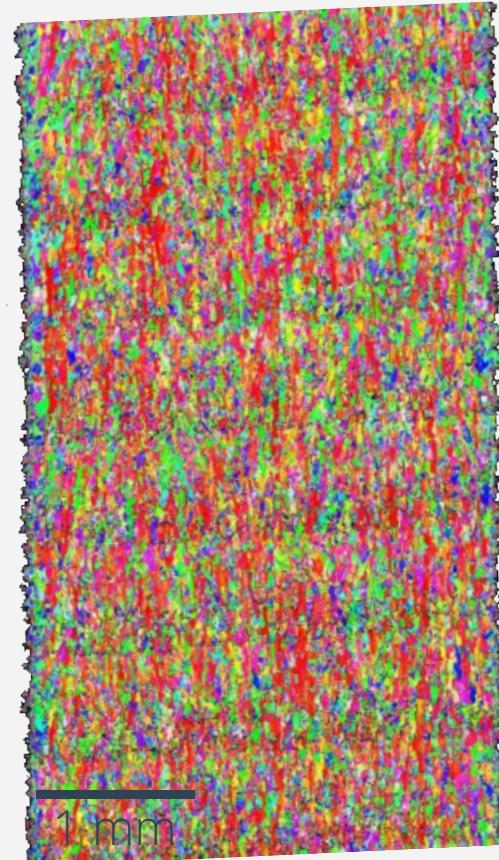
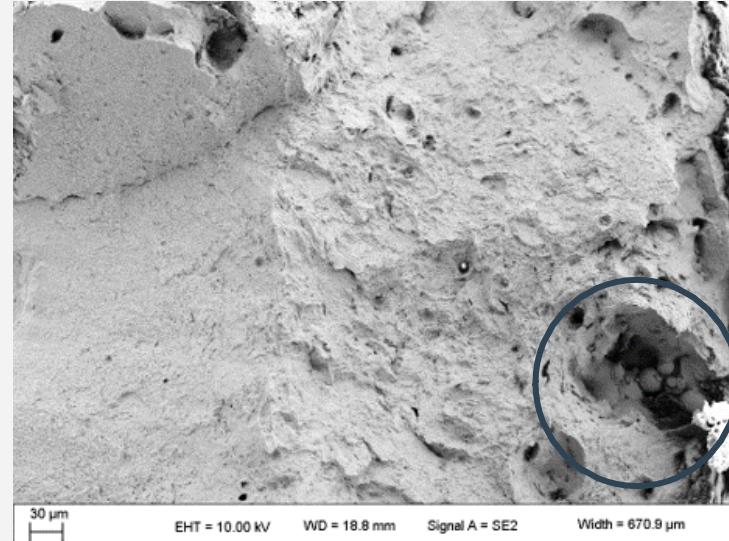
# Simulation Needs for Advanced Manufacturing

Many processing methods result in materials with non-traditional microstructures, significant defect populations, and residual stresses.

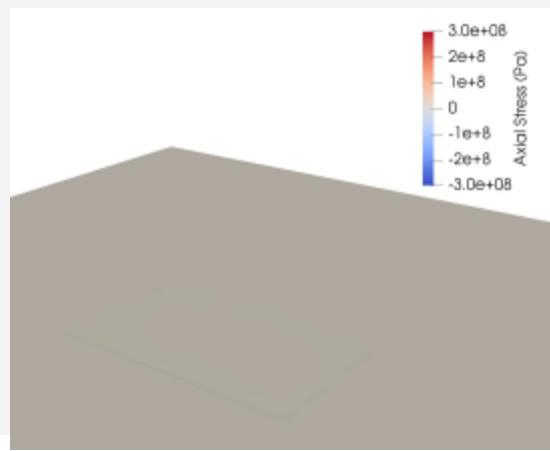
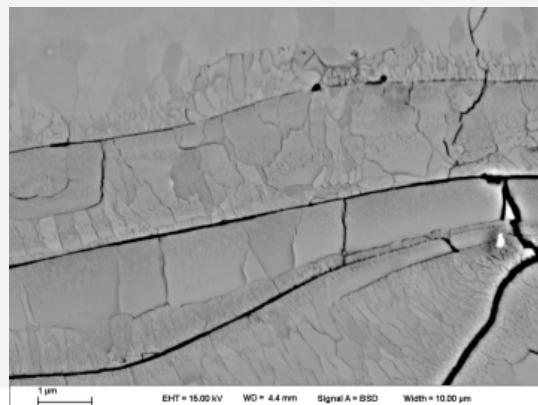
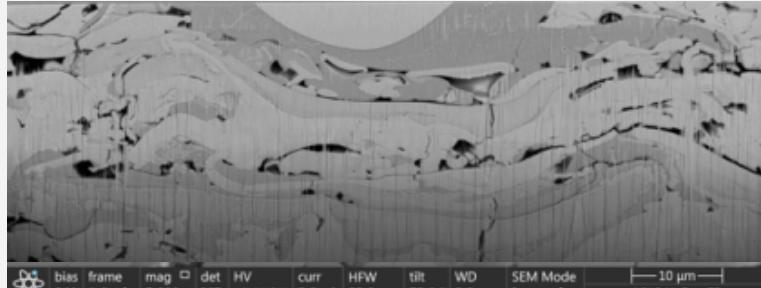
Laser welding



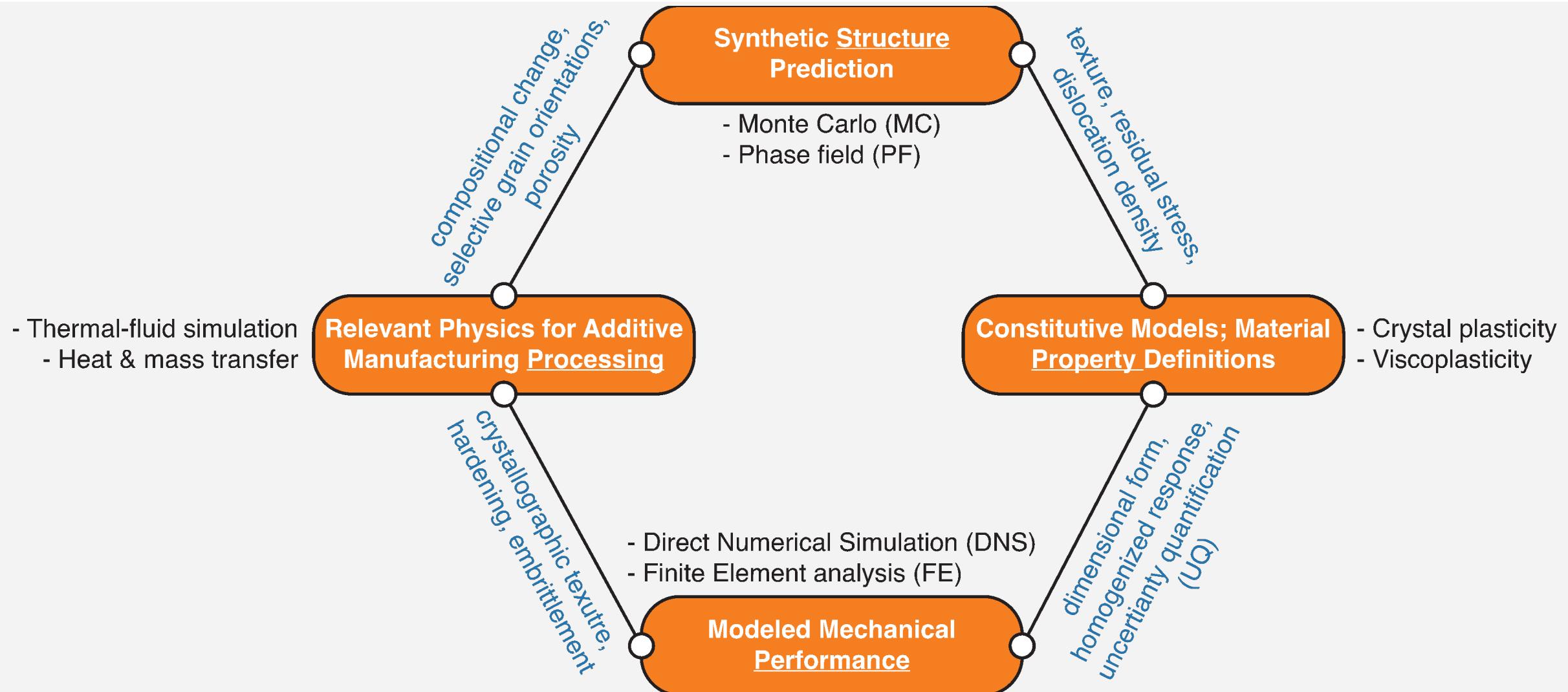
Additive manufacturing



Thermal Spray

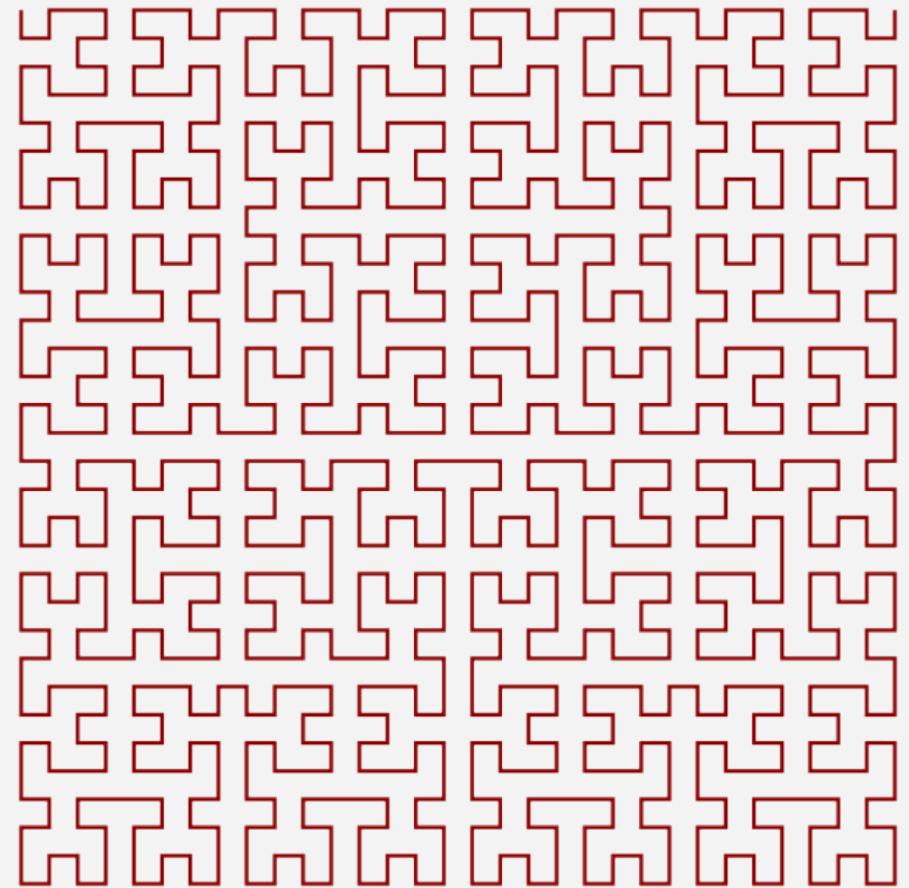
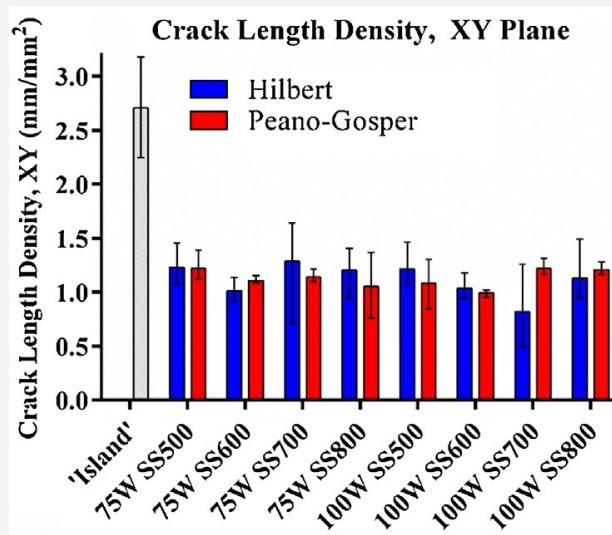
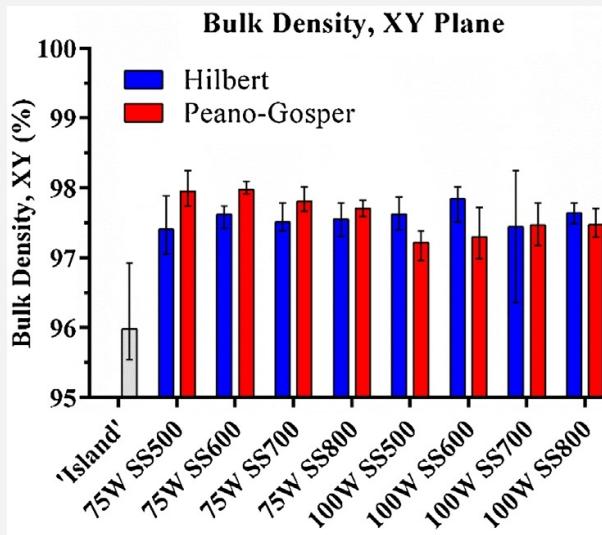


# Making PSPP linkages at microscale and above

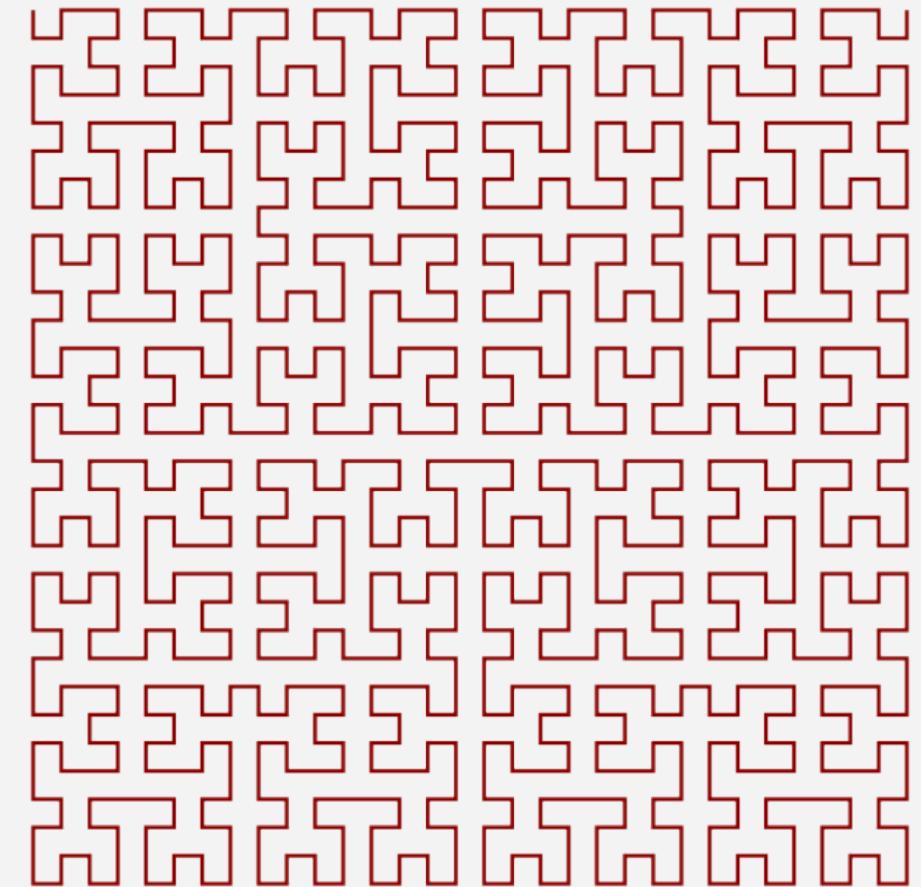
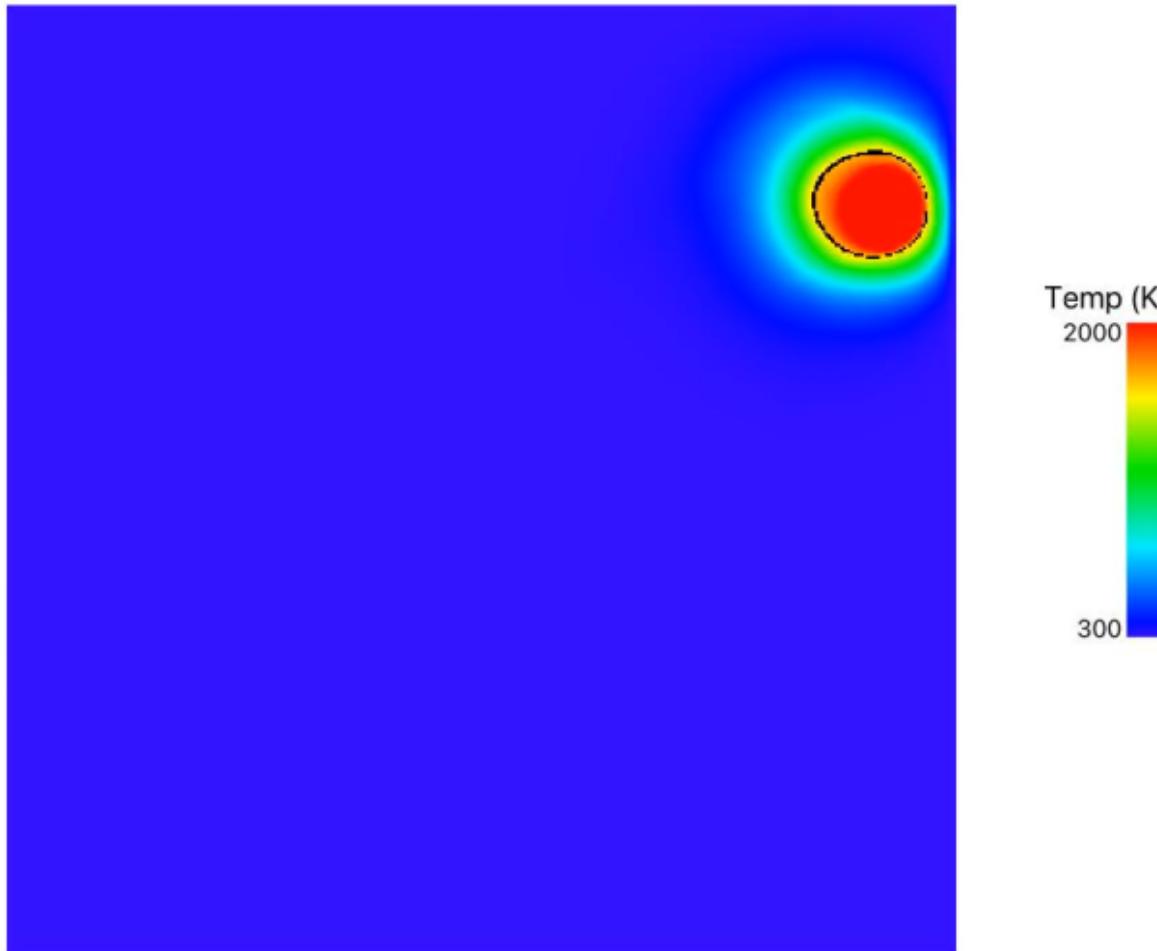


# Flexi-Rosenthal challenge problem - Fractal infill patterns

- Fractal curves allow for space-filling, evenly spaced raster patterns.
- Used in some FDM plastic printing and commonly accessible in open source slicer programs.
- Experimental work indicates reduction in crack length and increased density vs typical linear raster “island” scan patterns for difficult to print metals (CM247L Ni-superalloy shown)

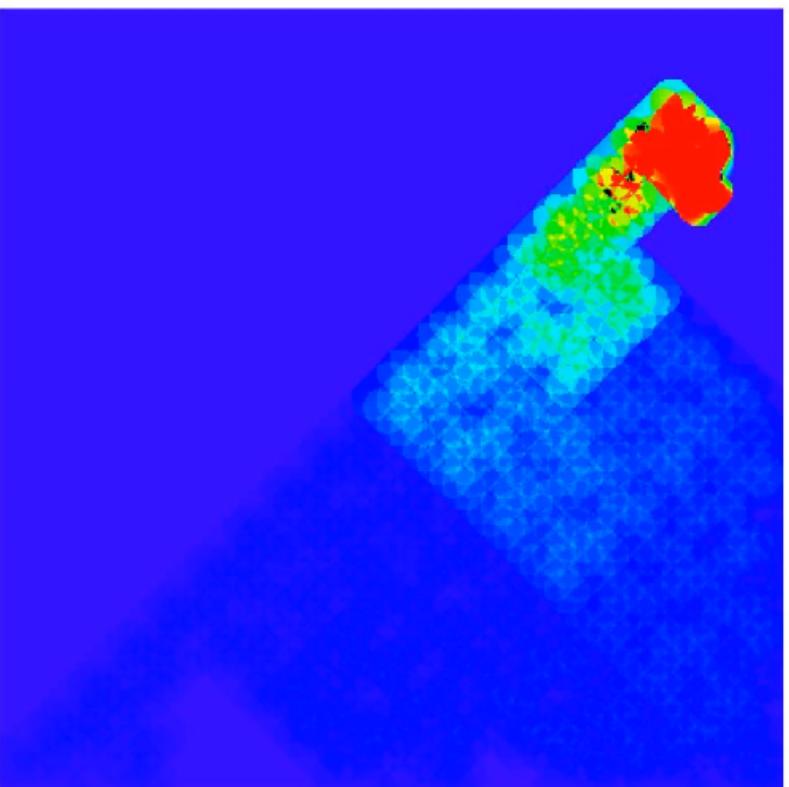


# Fractal infill patterns- Finite Difference Results

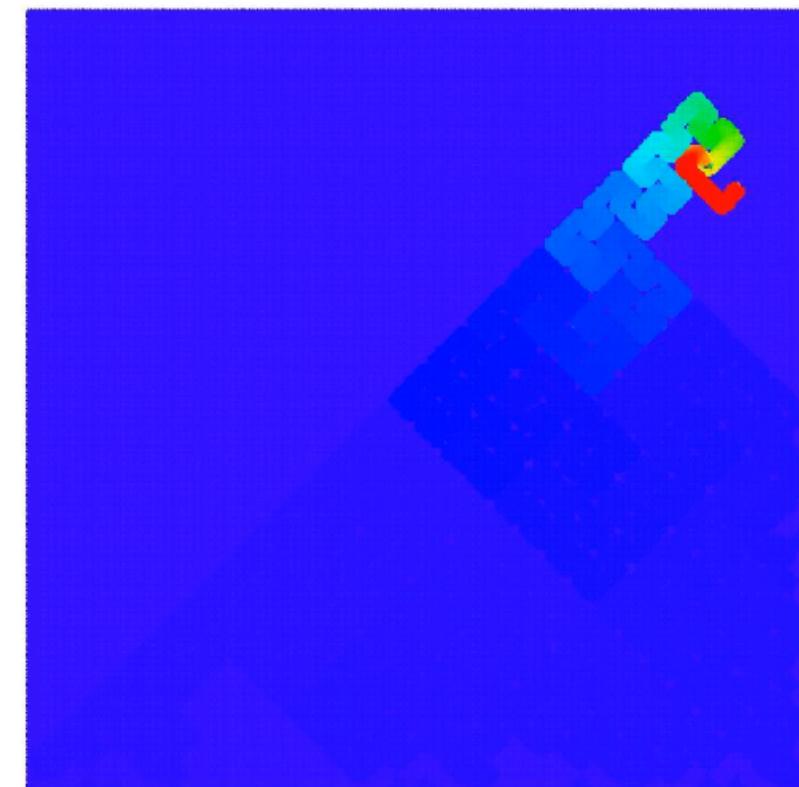


# Fractal infill patterns- Flexi-Rosenthal Results

Temperature flux summed over rasters



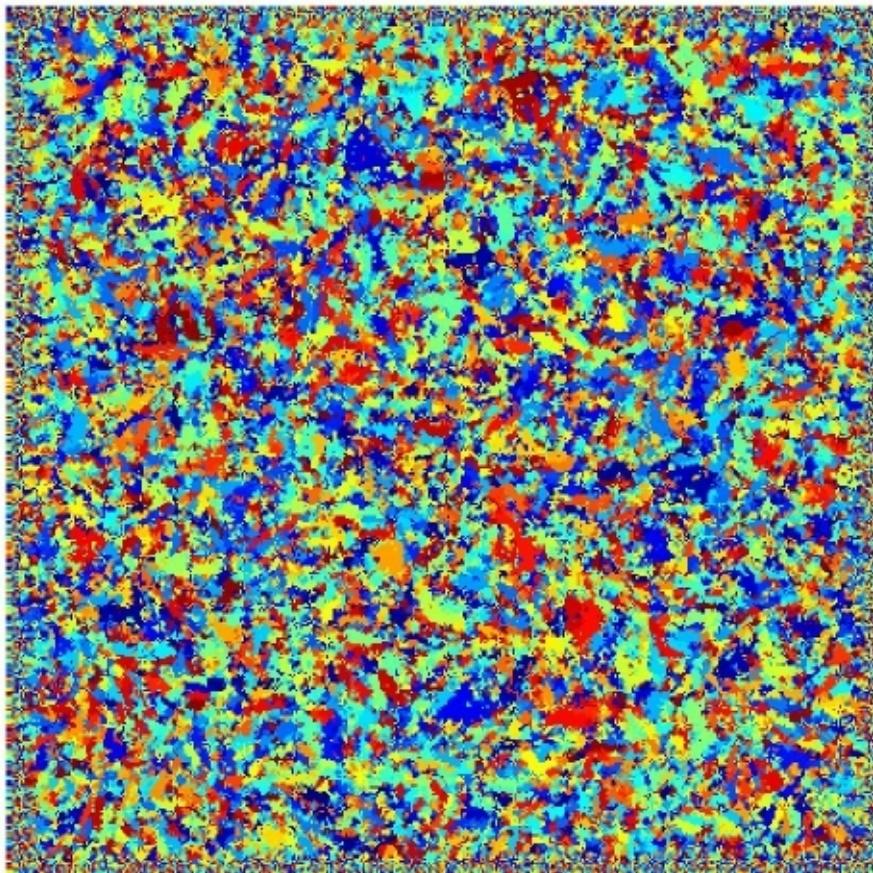
Temperature flux overwritten between rasters



Promising but needs normalization to prevent over-estimating temperature!

# Hilbert curve microstructure results

Finite difference method



Flexi-Rosenthal method

