

Designing thin film microstructures using genetic algorithms

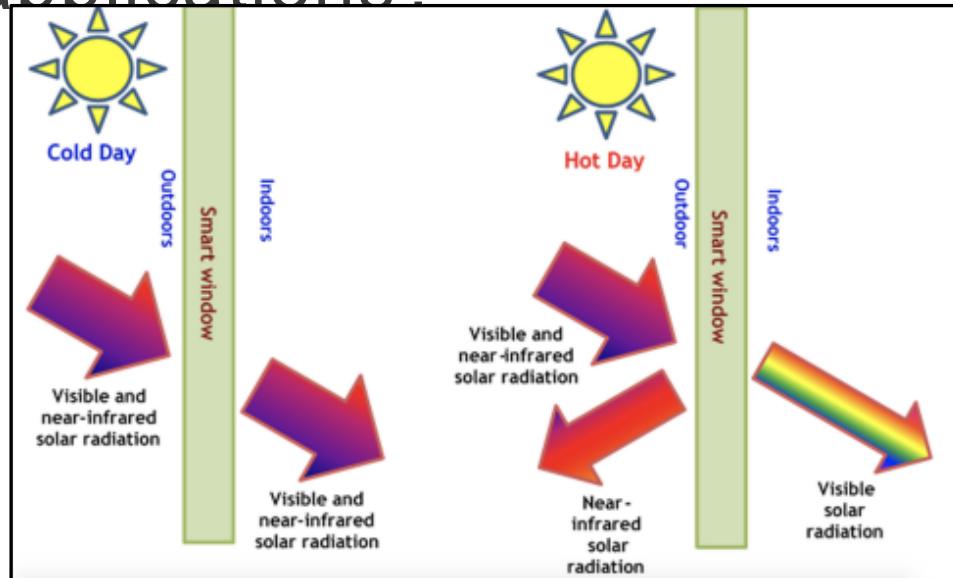
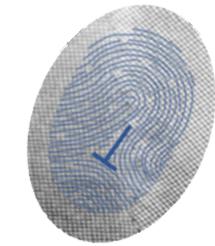
Saaketh Desai, Remi Dingreville

Center for Integrated Nanotechnologies

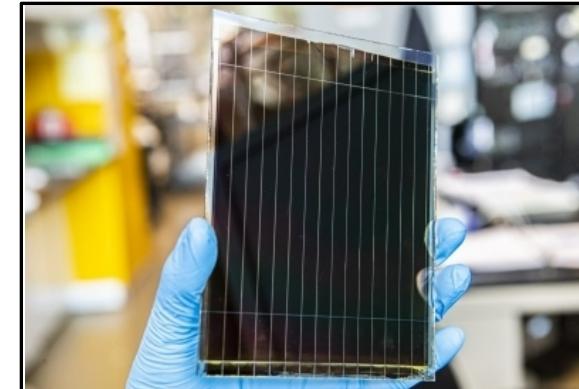
Sandia National Laboratories

TMS 2022 3rd March 2022

How do we design thin films tailored for specific applications?



Source: nist.gov



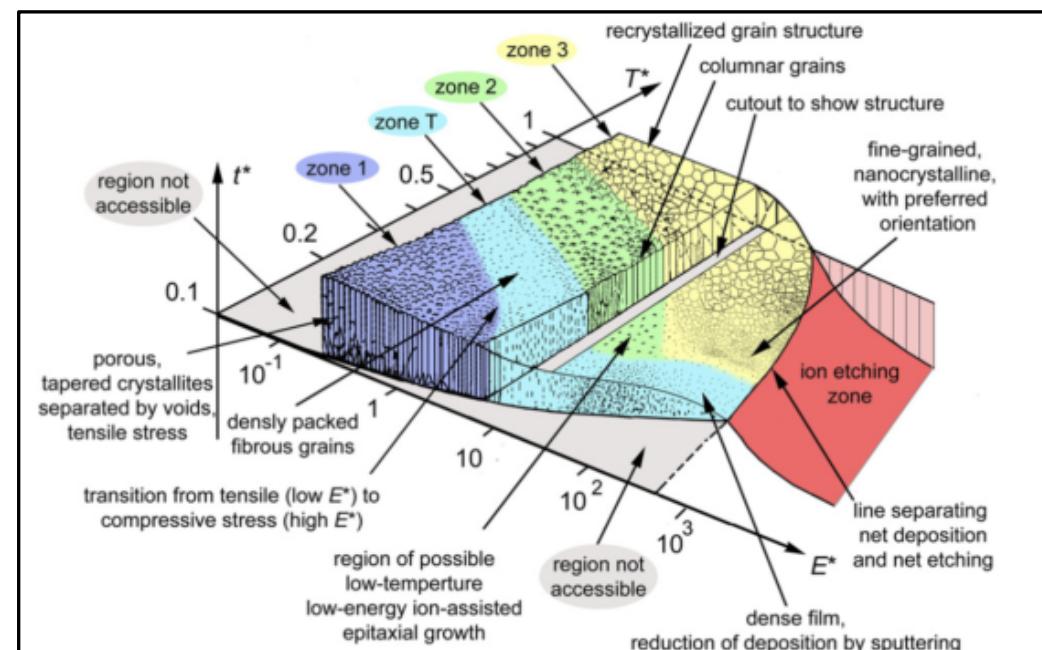
Source: energy.gov



Source: certechinc.com

Designing tailor-made thin films requires an understanding of processing-structure-property linkage

Structure zone diagrams relate processing conditions to microstructure



Microstructure formation in metallic alloy thin films



Binary metallic alloy microstructures governed by spinodal decomposition

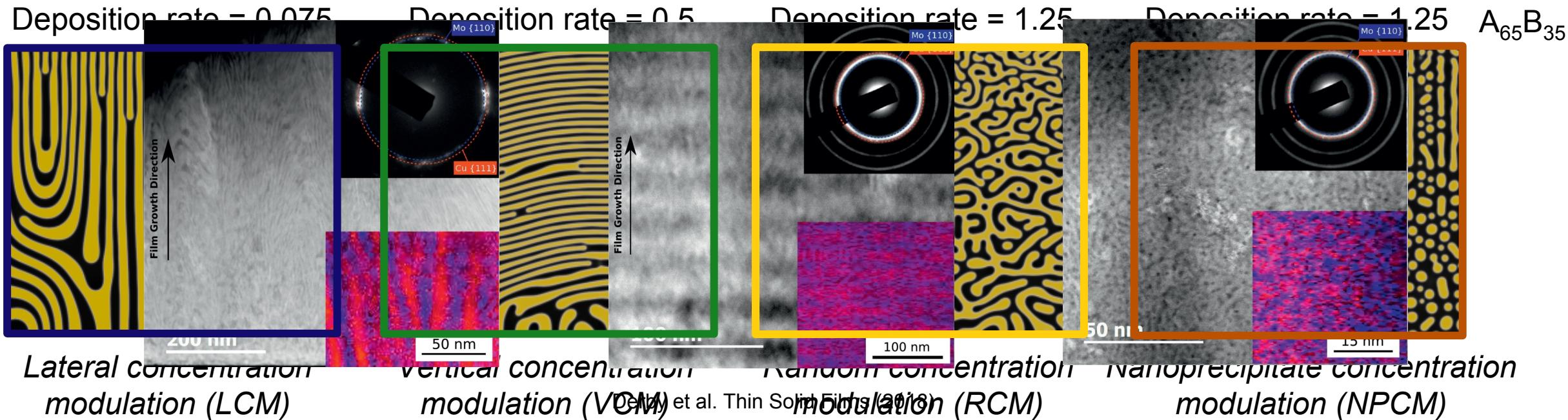
$$F = \int \left\{ f_\phi + \frac{\kappa_\phi}{2} (\nabla \phi)^2 + s(\phi) \left(f_c + \frac{\kappa_c}{2} (\nabla c)^2 \right) \right\} d\Omega \quad \frac{\partial c}{\partial t} = \nabla \cdot \left[\mathbf{M}_c(\phi, c) \nabla \frac{\delta F}{\delta c} \right] \quad \frac{\partial \phi}{\partial t} = \nabla \cdot \left[\mathbf{M}(\phi) \nabla \frac{\delta F}{\delta \phi} \right] + S(n(\phi))$$

Free energy of system

Stewart et al. *Acta Materialia* (2020)

$$\frac{\partial \rho}{\partial t} = \nabla \cdot \left[\mathbf{D}_\rho \nabla \rho \right] - \nabla \cdot [\rho \mathbf{v}] - S(n(\phi))$$

Evolution equations

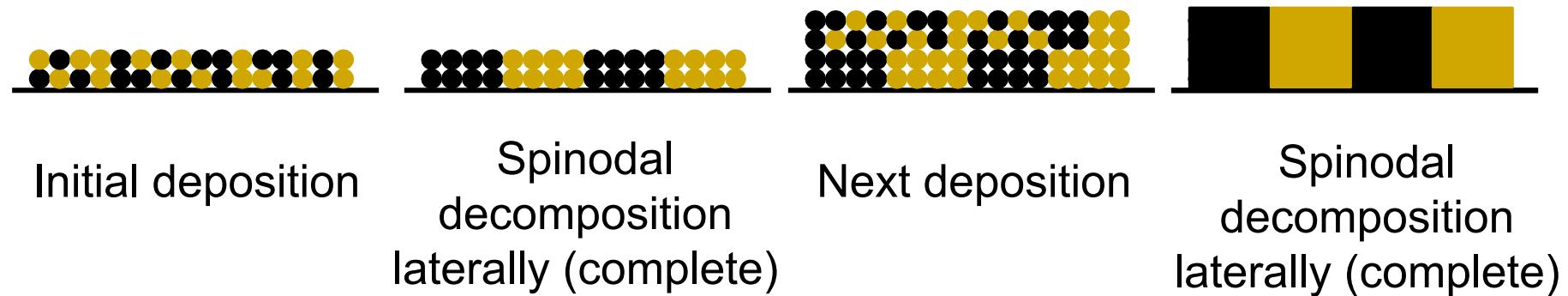
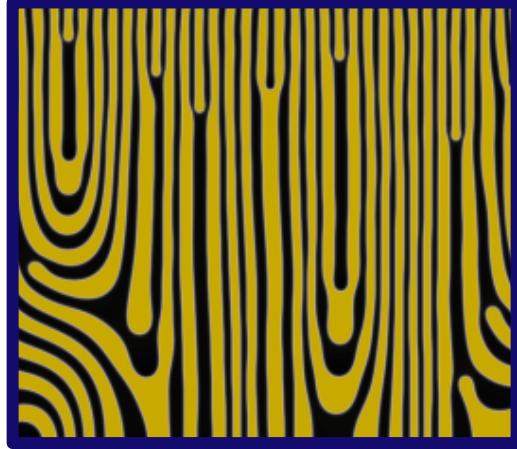


Phase field model simulates microstructure evolution for various deposition conditions

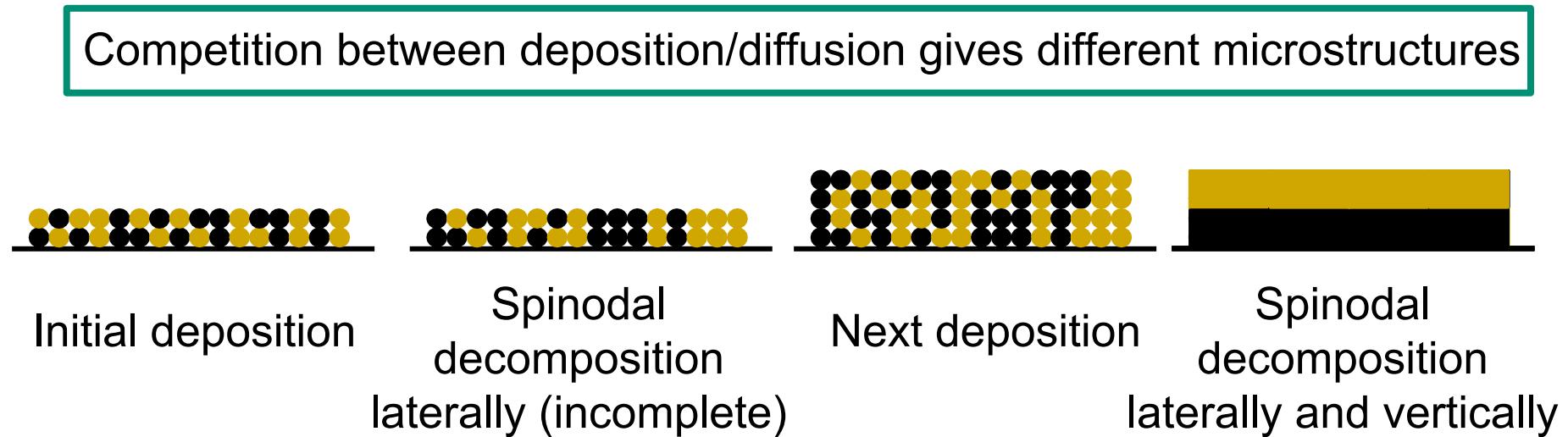
Microstructures using constant deposition conditions



Deposition rate = 0.075



Deposition rate = 0.5

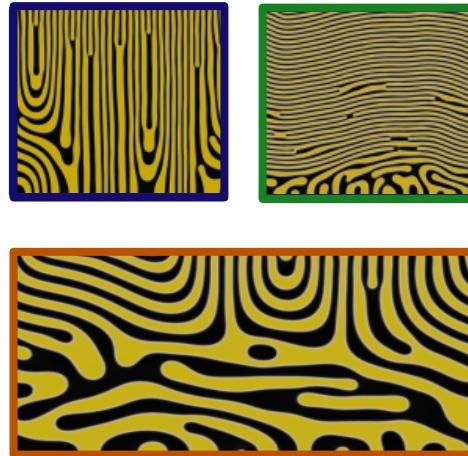
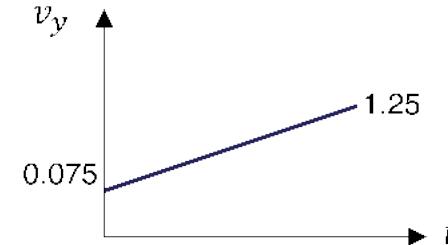
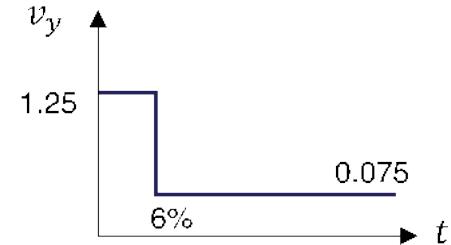
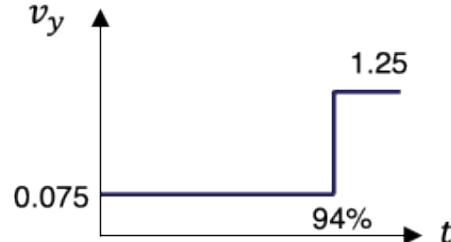


How do we design metallic alloy thin film microstructures?

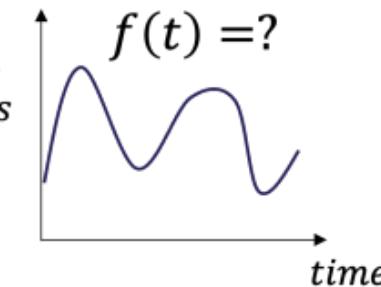


What processing conditions to use to obtain desired film microstructure?

Current SZDs only consider protocols that are constant in time

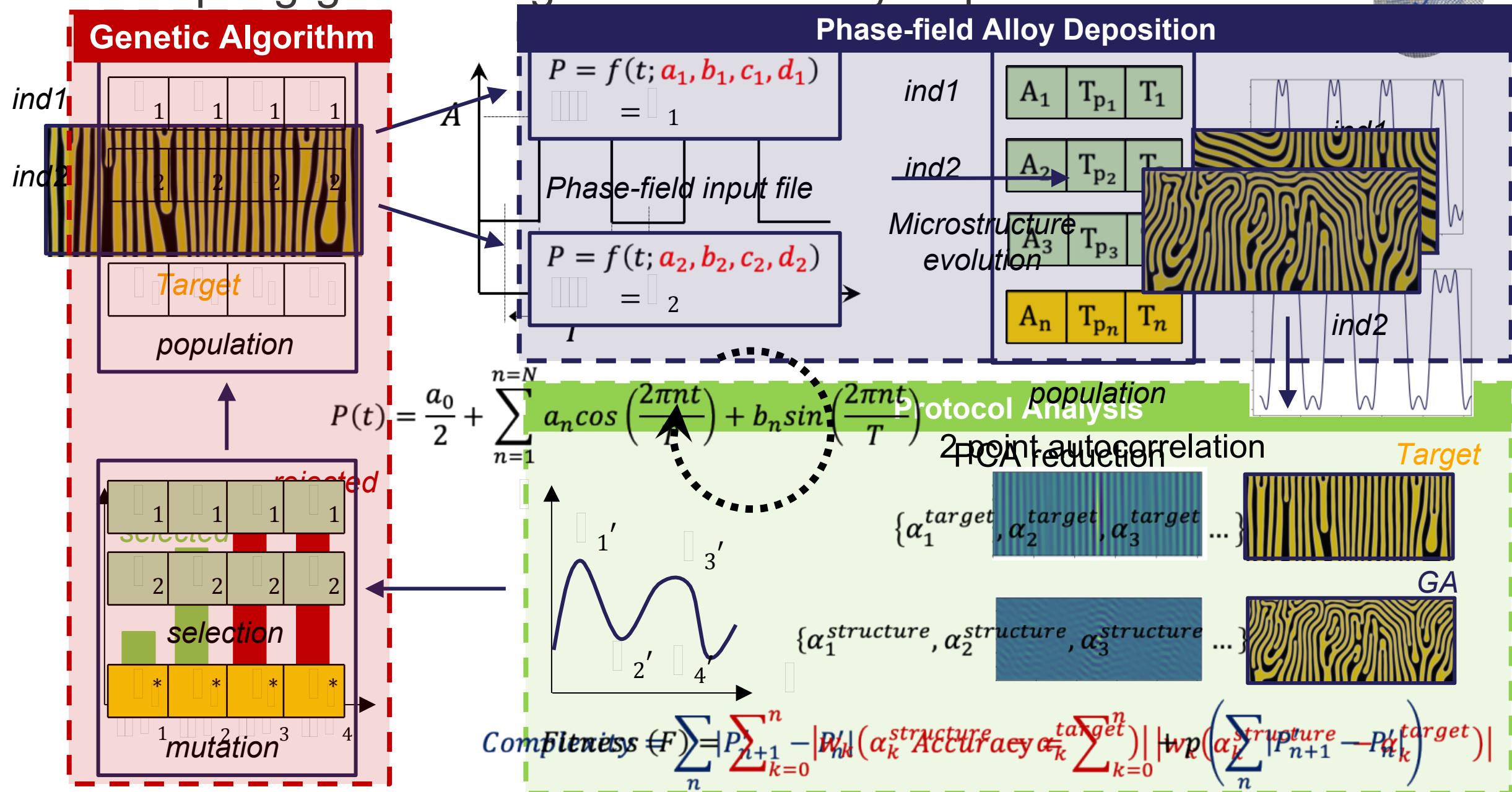


Deposition
parameters

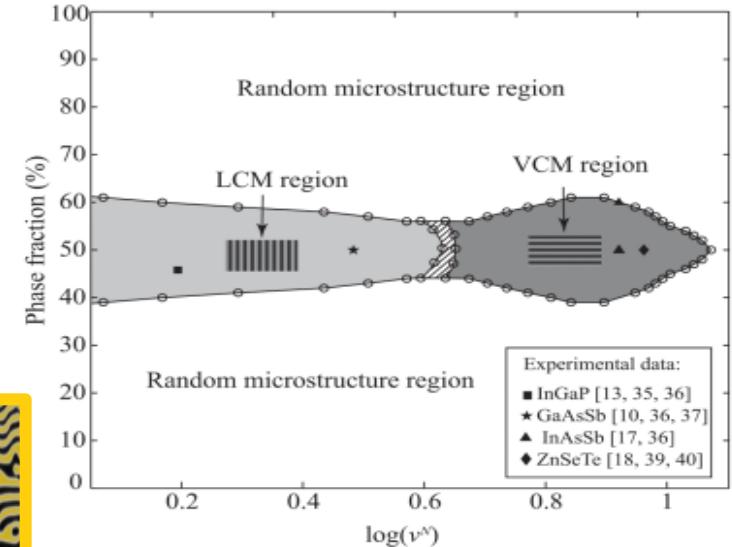
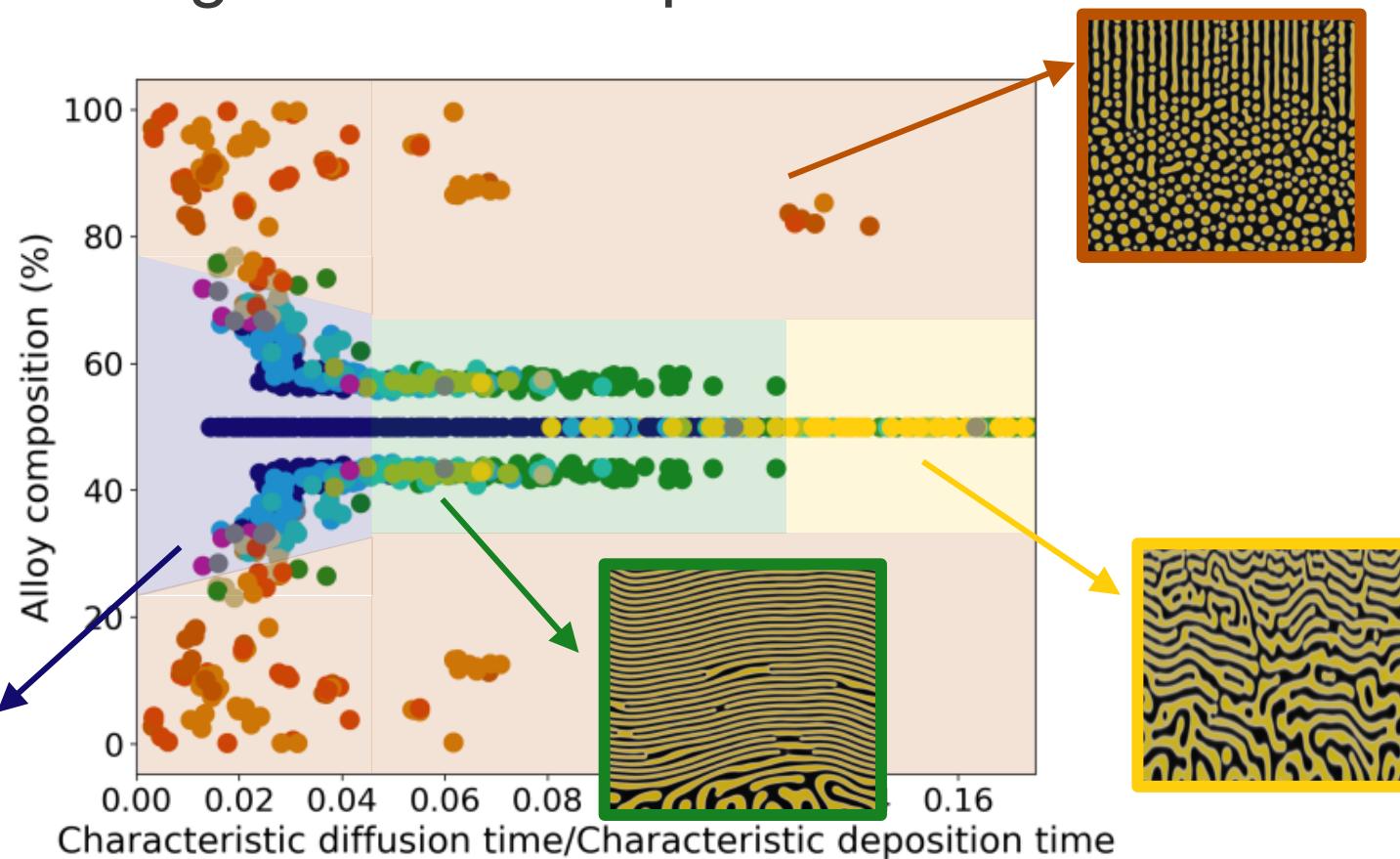
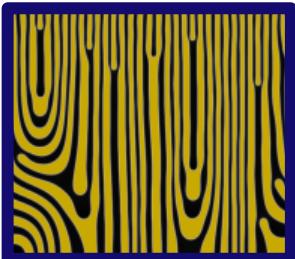
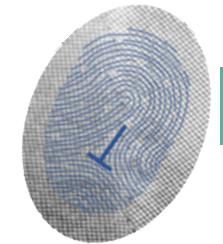


We use a genetic algorithm to discover time-dependent protocols that result in desired microstructure

Coupling genetic algorithms to alloy deposition



Re-creating constant deposition structure zone diagram



Lu, Yong et al. *Physical review letters* (2012)

- Low deposition/high diffusion rates lead to lateral concentration modulations
- High deposition/low diffusion rates lead to vertical concentration modulations
- Structure zone diagram agrees with previous phase field models and experiments

Discovering time-dependent protocols

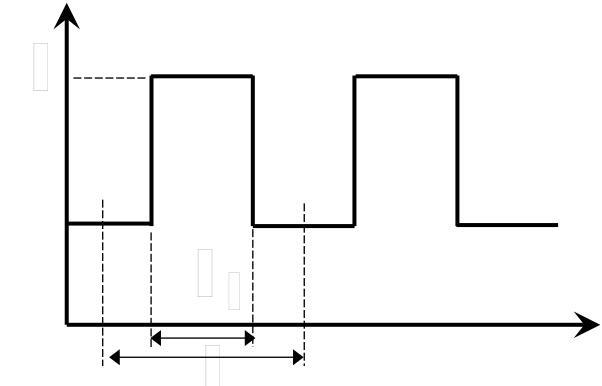


Search space: pulsed deposition rates

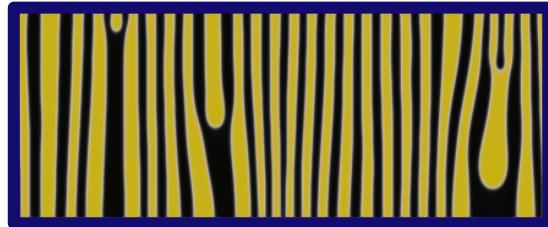
$$v_y^*(t) = \frac{a_0^*}{2} + \sum_{n=1}^{n=N} a_n^* \cos\left(\frac{2\pi n t}{T}\right) + b_n^* \sin\left(\frac{2\pi n t}{T}\right)$$

$$a_n^* = \frac{2A}{n\pi} \sin\left(\frac{n\pi T_p}{T}\right) \quad b_n^* = 0 \quad a_0^* = \frac{AT_p}{T}$$

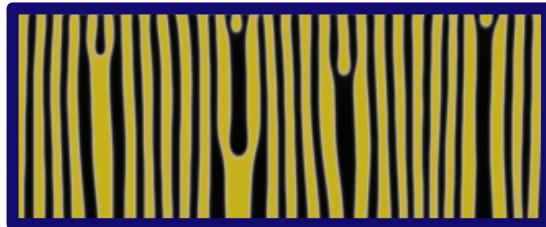
Genetic algorithm parameters: $A, T, f = \frac{T_p}{T}$



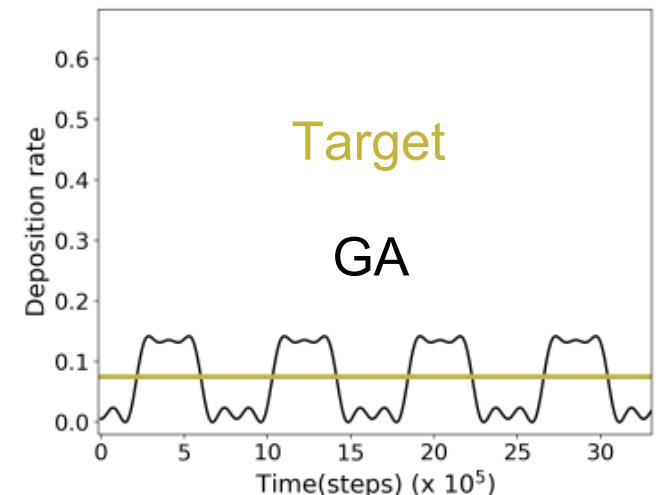
Lateral concentration modulation (LCM)



Target

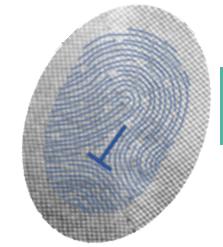


GA

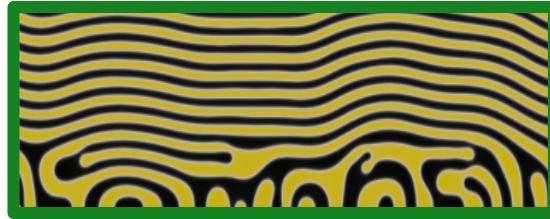


- Genetic algorithm discovers pulse protocol that results in target structure
- Deposition amplitude similar to deposition rate used to generate target

9 | Discovering time-dependent protocols



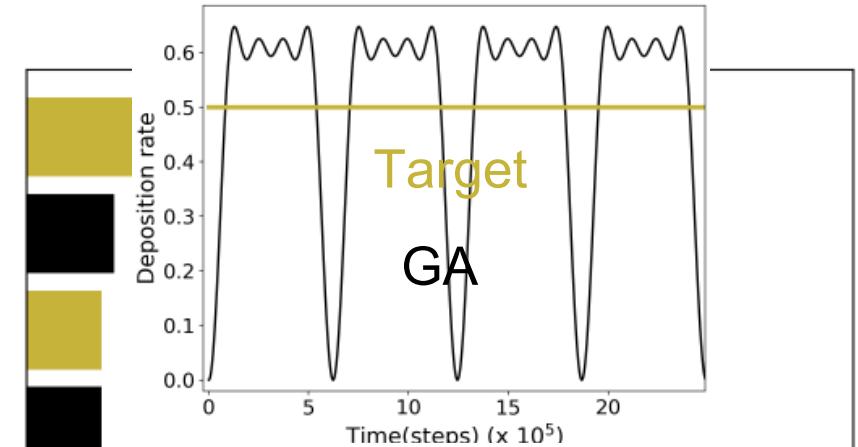
Vertical concentration modulation (VCM)



Target



GA



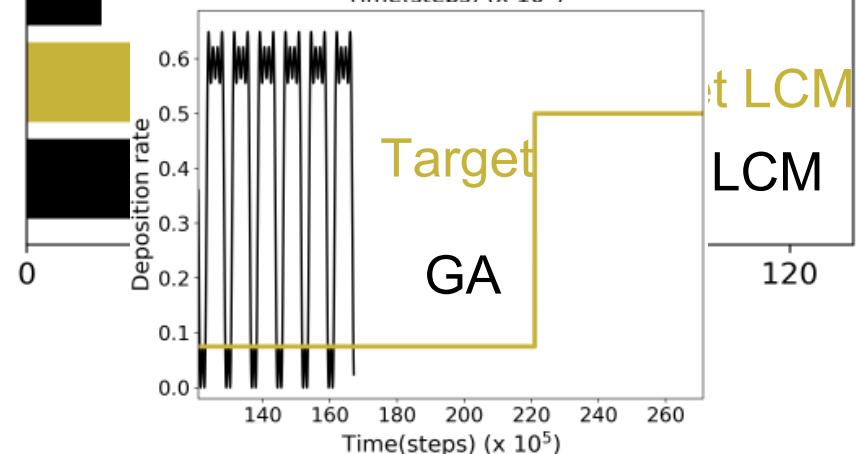
Hierarchical microstructure



Target

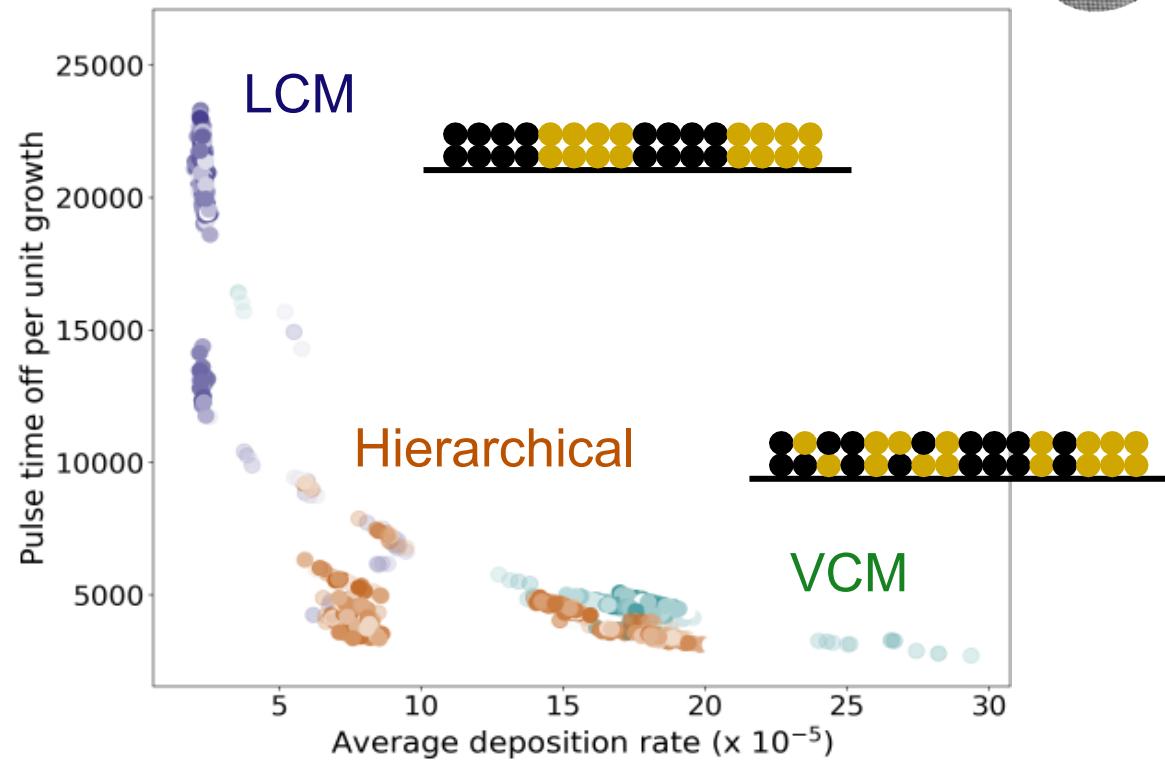
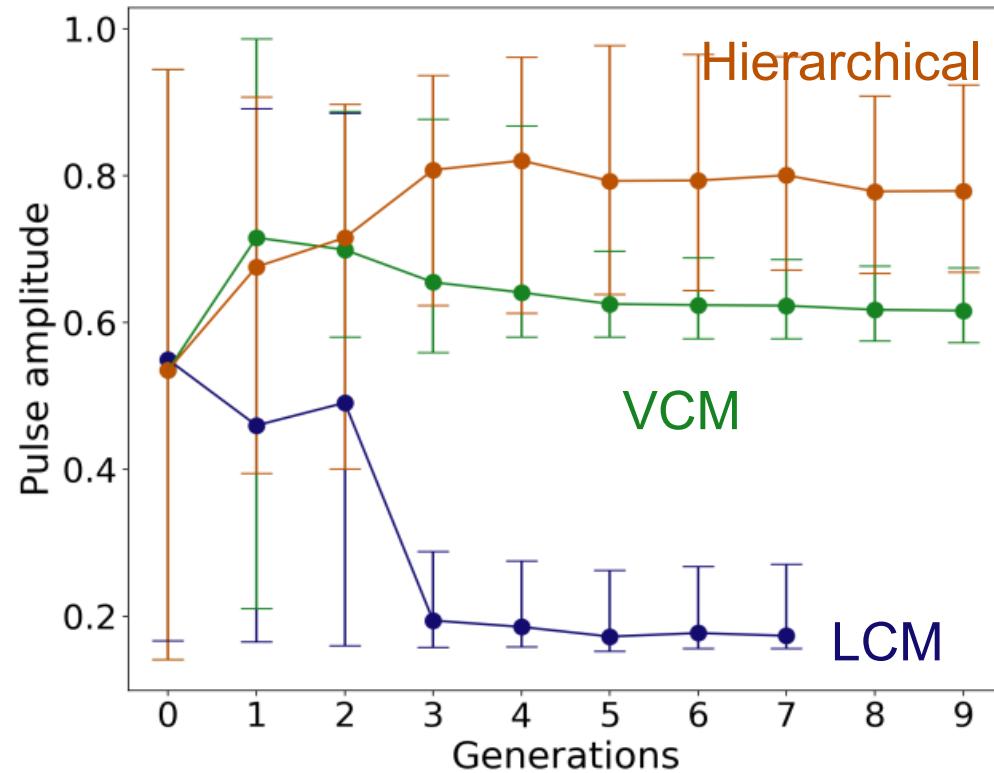
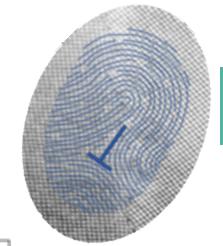


GA



- Genetic algorithm discovers pulse protocol that results in target structure
- Time taken to achieve microstructure similar or lower than target protocol

Understanding the choices of the genetic algorithm



- GA favors low amplitudes to generate LCM structures and high amplitudes for VCM structures
- Range of deposition rates can be used to get hierarchical structures
- Genetic algorithm learns deposition-diffusion trade offs

Optimizing the deposition rate and the mobility



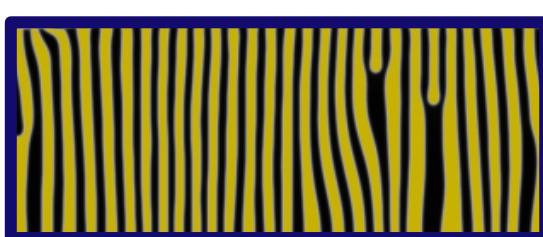
Search space: pulsed deposition rates and step function mobilities

$$v_y^*(t) = \frac{a_0^*}{2} + \sum_{n=1}^{n=N} a_n^* \cos\left(\frac{2\pi n t}{T}\right) + b_n^* \sin\left(\frac{2\pi n t}{T}\right)$$

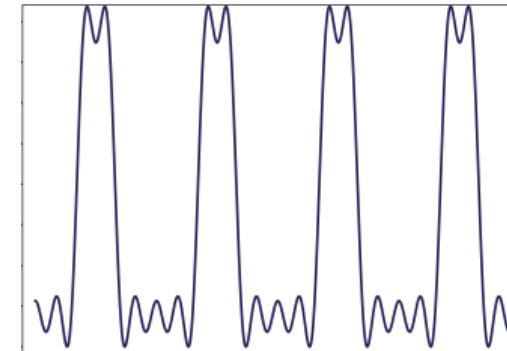
$$M(t) = \begin{cases} a & \text{if } t < t_0 \\ b & \text{if } t \geq t_0 \end{cases}$$

$$a_n^* = \frac{2A}{n\pi} \sin\left(\frac{n\pi T_p}{T}\right) \quad b_n^* = 0 \quad a_0^* = \frac{AT_p}{T}$$

Genetic algorithm parameters: $A, T, f = \frac{T_p}{T}, a, b, g = \frac{t_0}{T}$

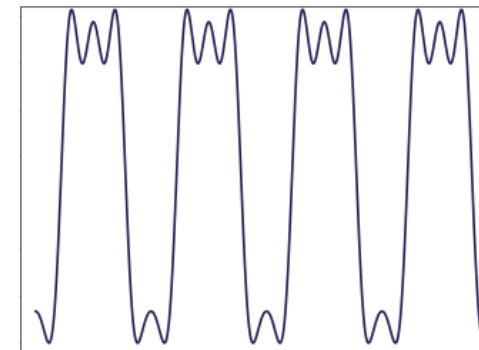


Target



Time

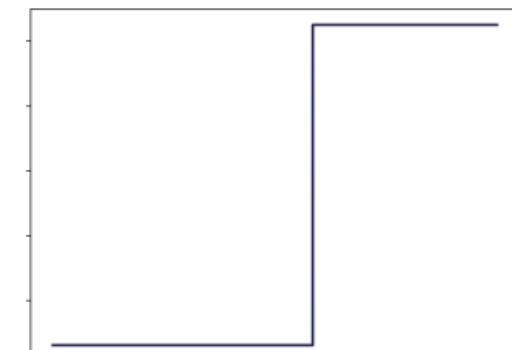
Deposition rate



Time

Deposition rate

Mobility

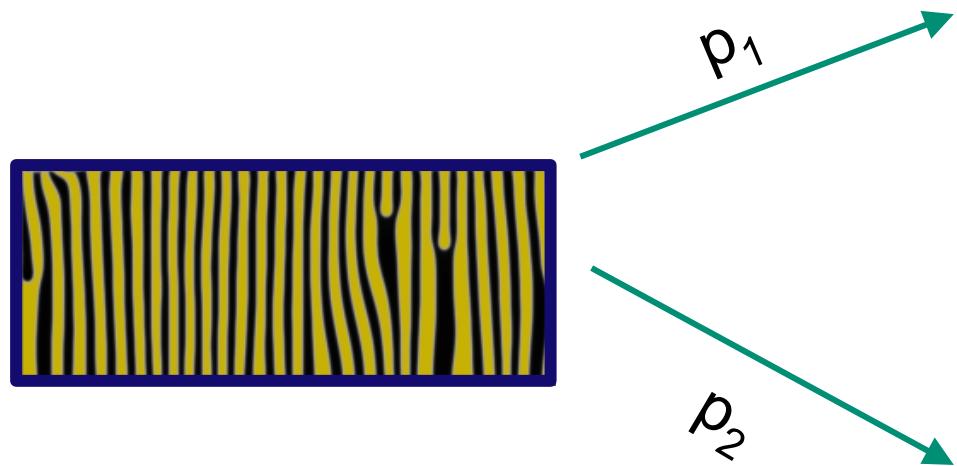


Time

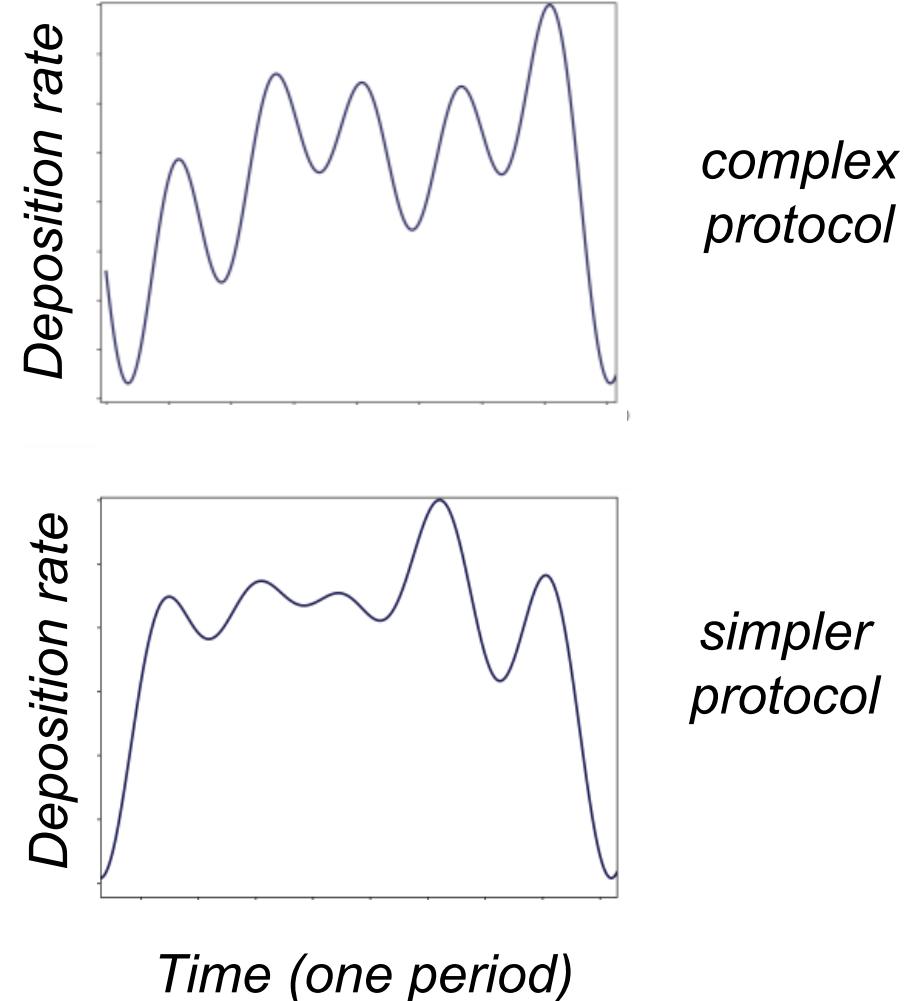
Favoring simple protocols



$$Fitness (F) = \sum_{k=0}^n |w_k(\alpha_k^{structure} - \alpha_k^{target})| + p(Complexity)$$



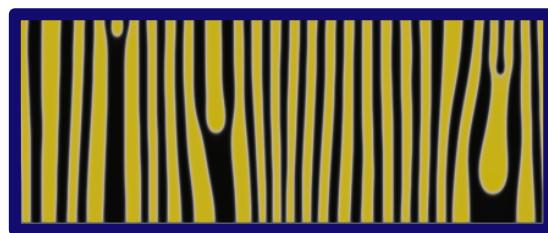
Increasing weight on parsimony term
gives near identical microstructure
with a simpler protocol



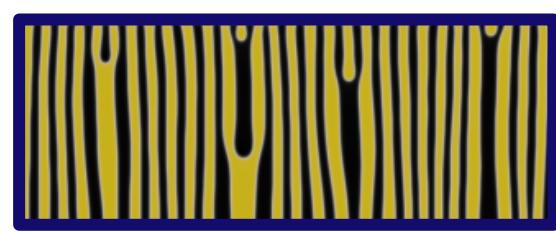
Take home message



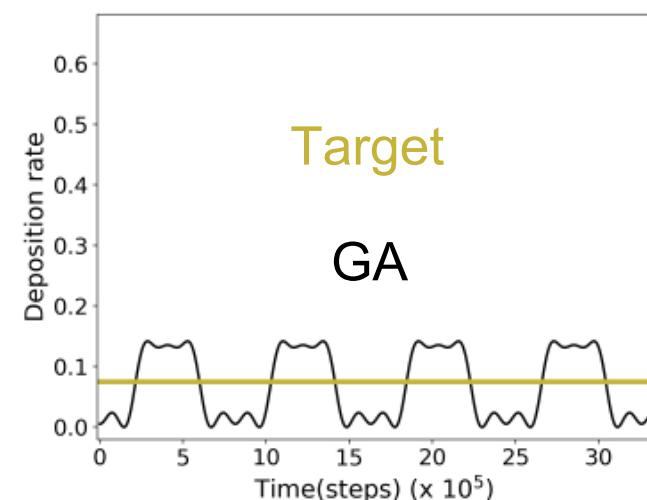
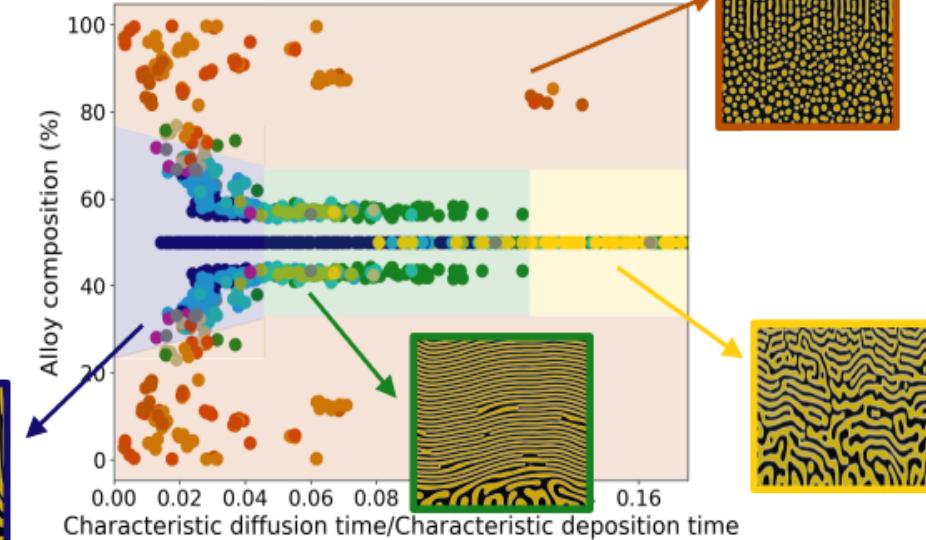
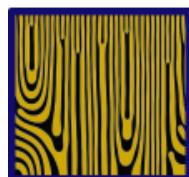
- Coupled genetic algorithm to phase field simulations to achieve targeted thin film microstructures
- GA achieves target microstructures for constant deposition scenarios
- GA discovers time-dependent deposition rates to achieve target microstructures, learning deposition-diffusion tradeoffs



Target



GA



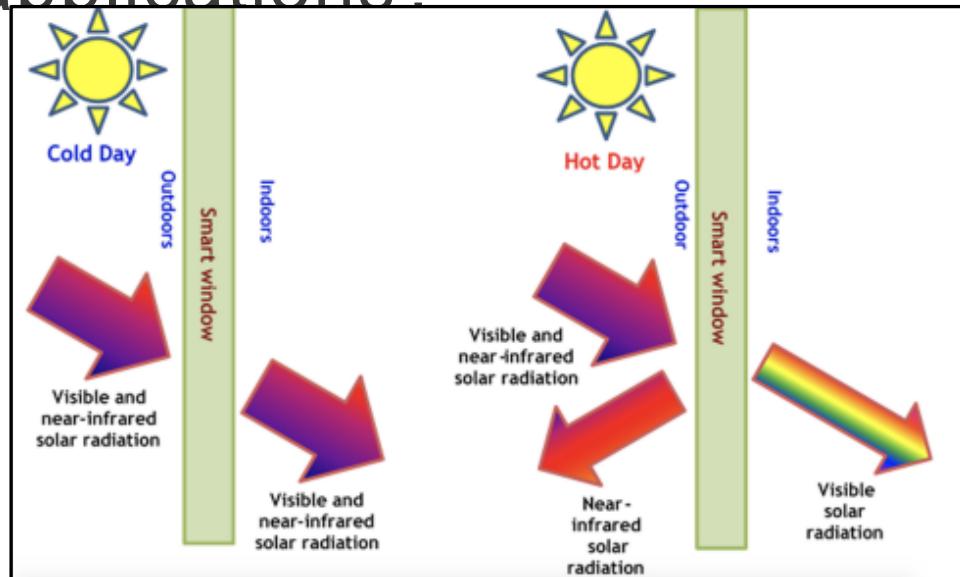


Backup slides

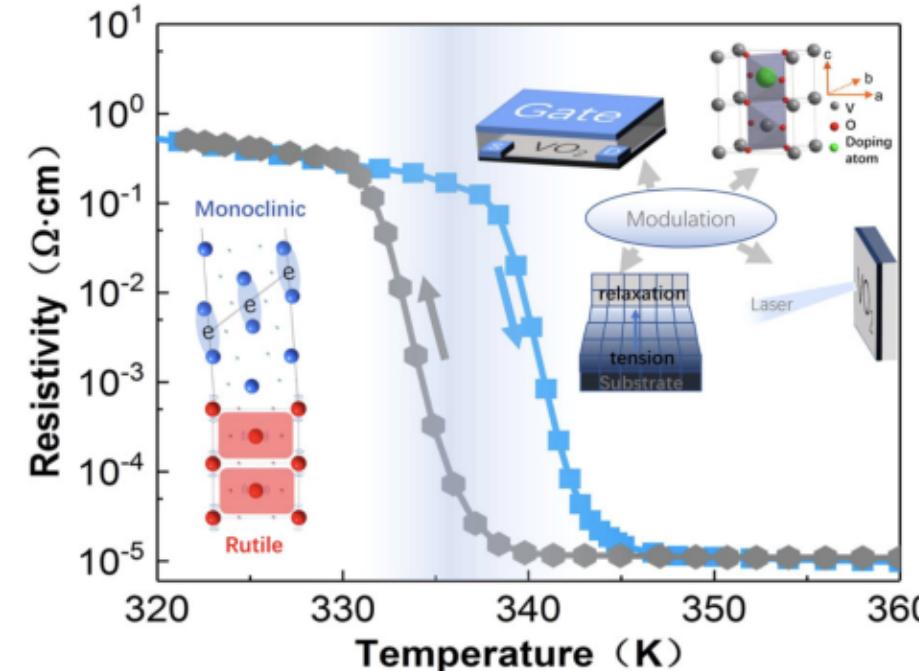


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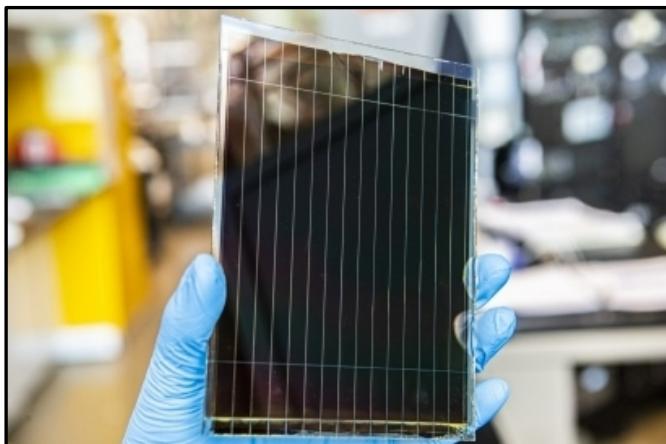
How do we design thin films tailored for specific applications?



Source: nist.gov



Shao et al. *NPG Asia Materials* (2018)



Source: energy.gov



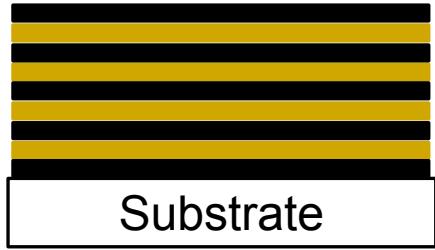
Source: certechinc.com

Designing tailor-made thin films requires an understanding of processing-structure-property linkage

Microstructure formation in metallic alloy thin films

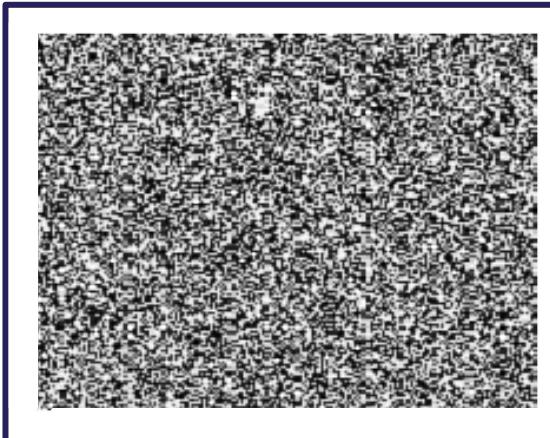
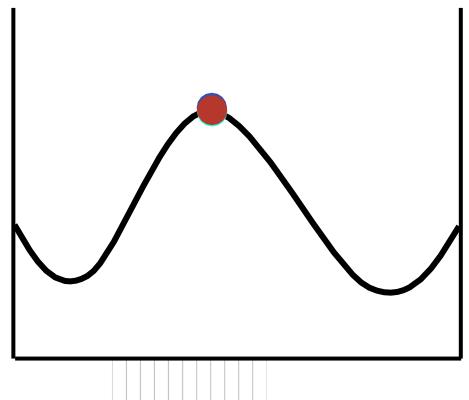


What processing conditions to use to obtain desired film microstructure?



Layer by layer deposition

Self-assembly via spinodal decomposition



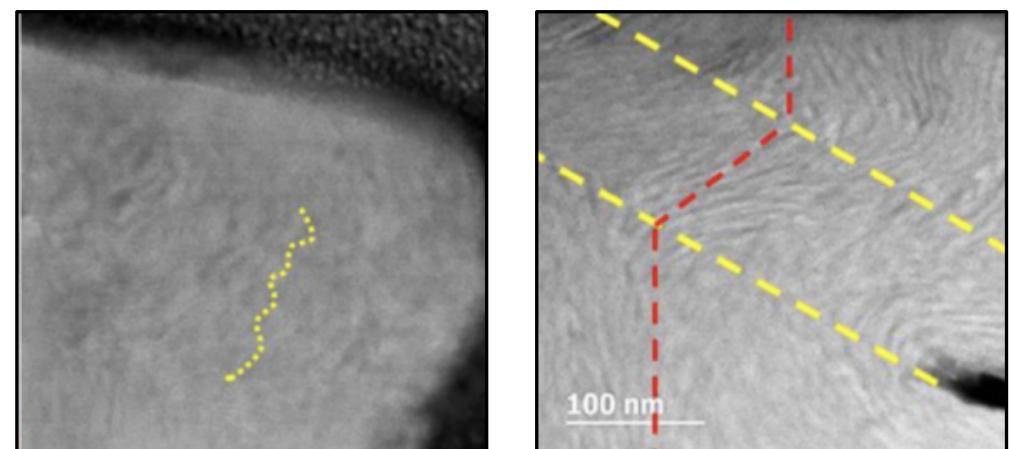
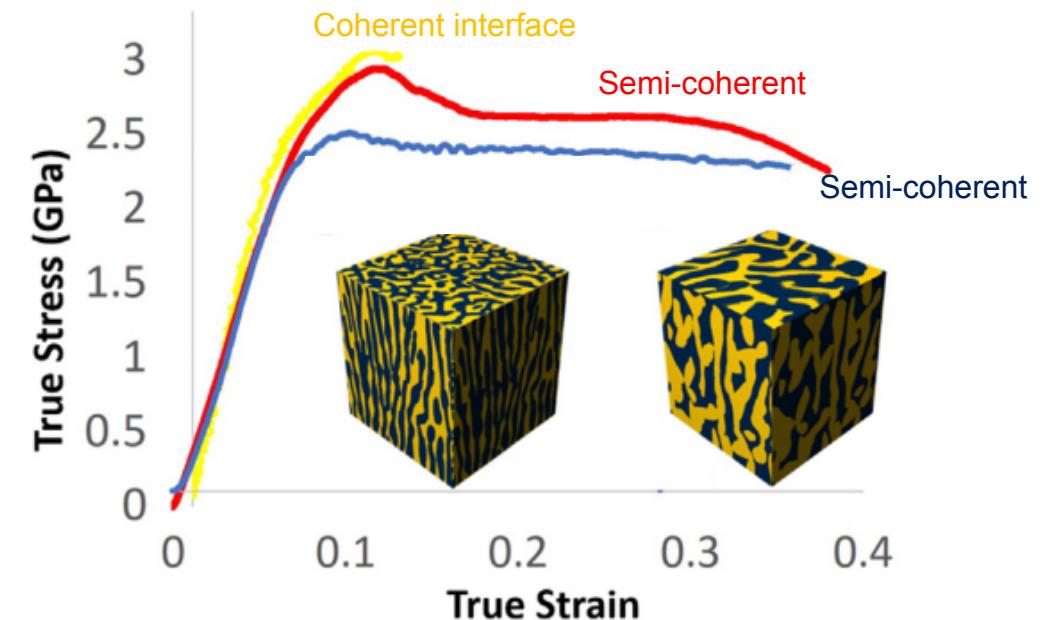
PVD experiments

Phase field simulations

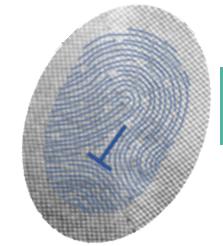
Source: [wikipedia](#)

Spinodal decomposition results in spontaneous concentration modulations

Structure-property-processing relationships in thin films

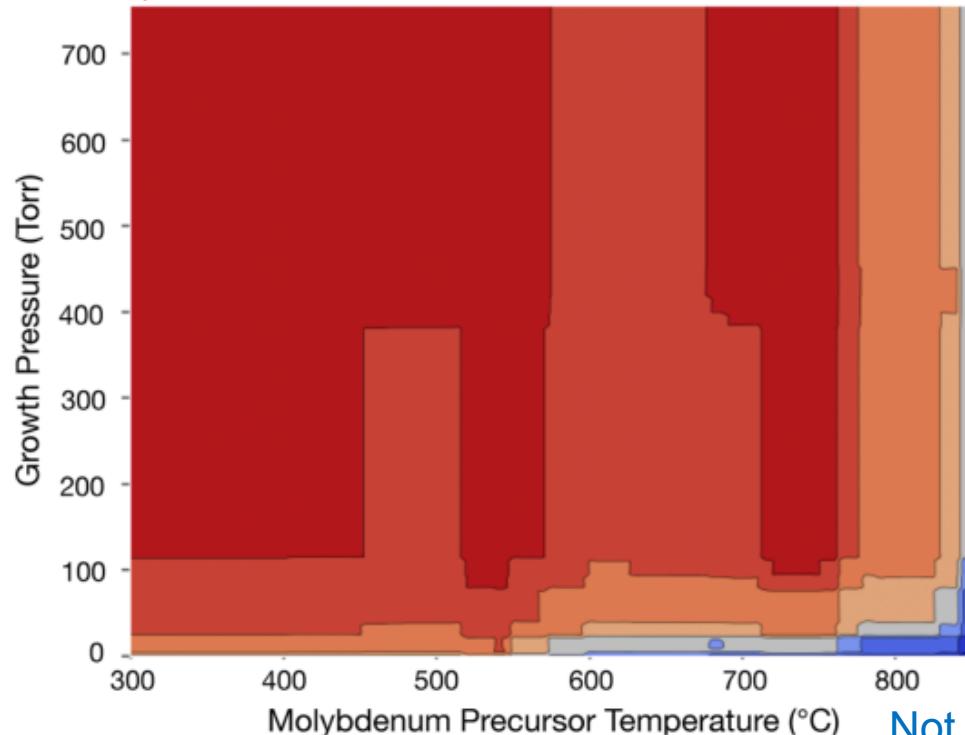


High dimensional structure zone diagrams



S precursor temperature = 145 °C
 Highest growth temperature = 730 °C
 Growth time = 52 minutes

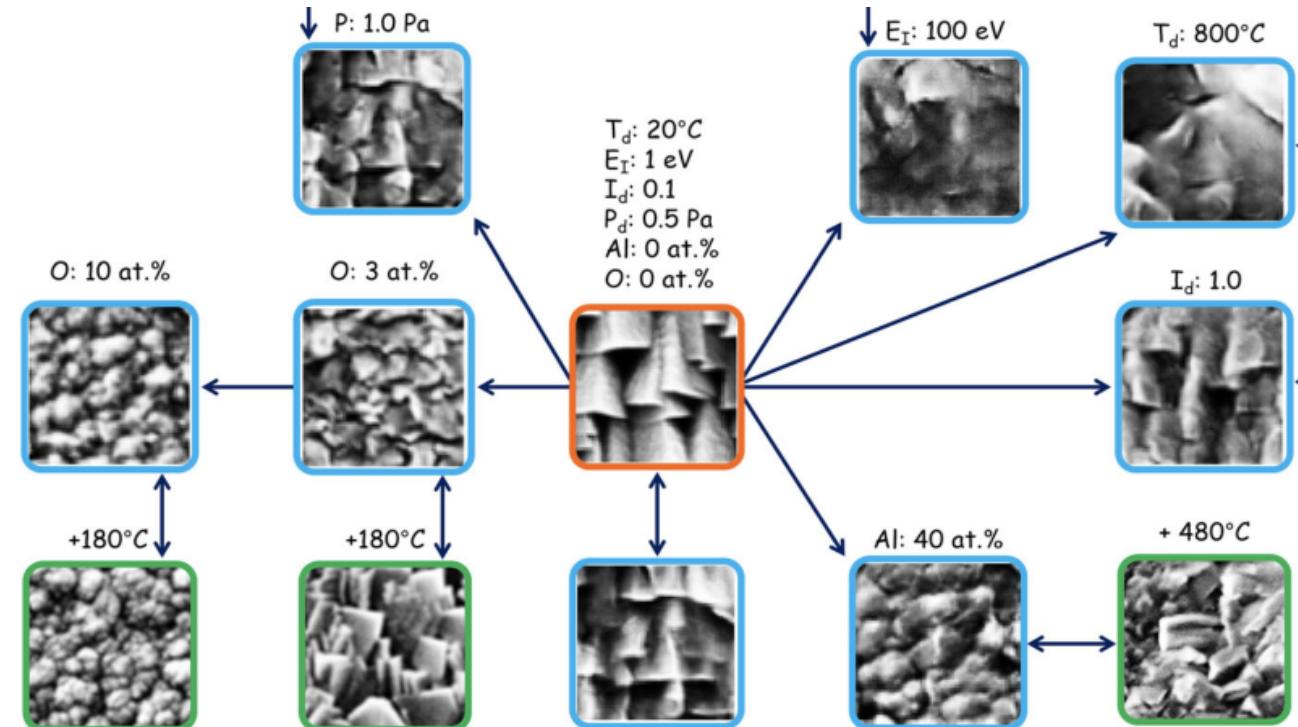
Monolayer



Not monolayer

Costine et al. *Journal of Applied Physics* (2020)

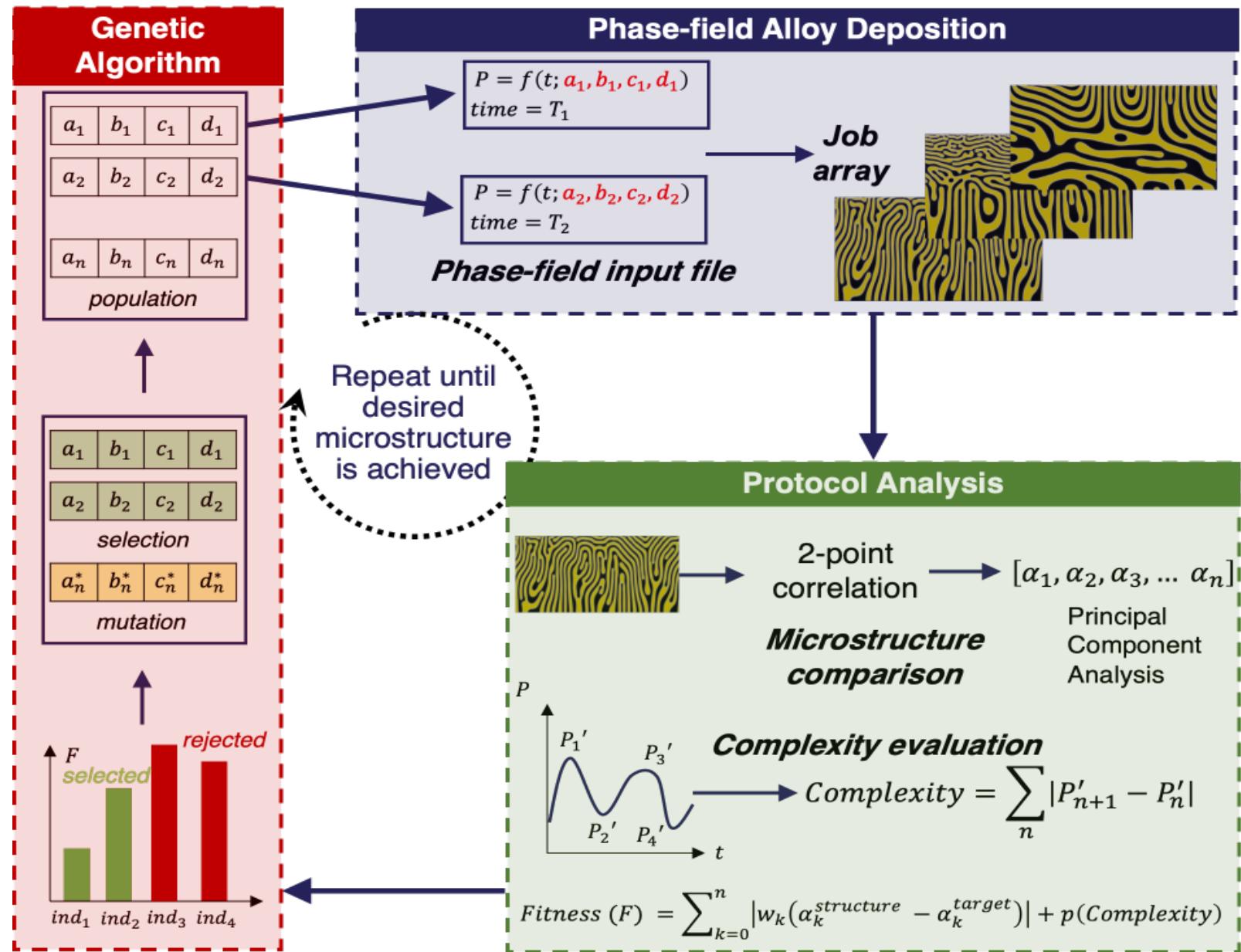
Generative Adversarial Network based SZD



Banko et al. *Communications Materials* (2020)

ML methods can give high dimensional SZDs

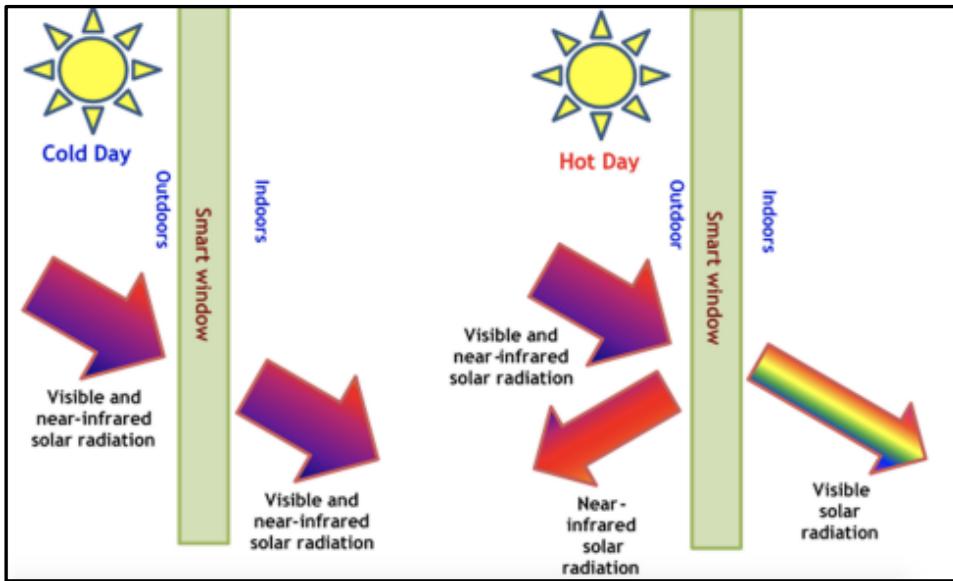
Workflow



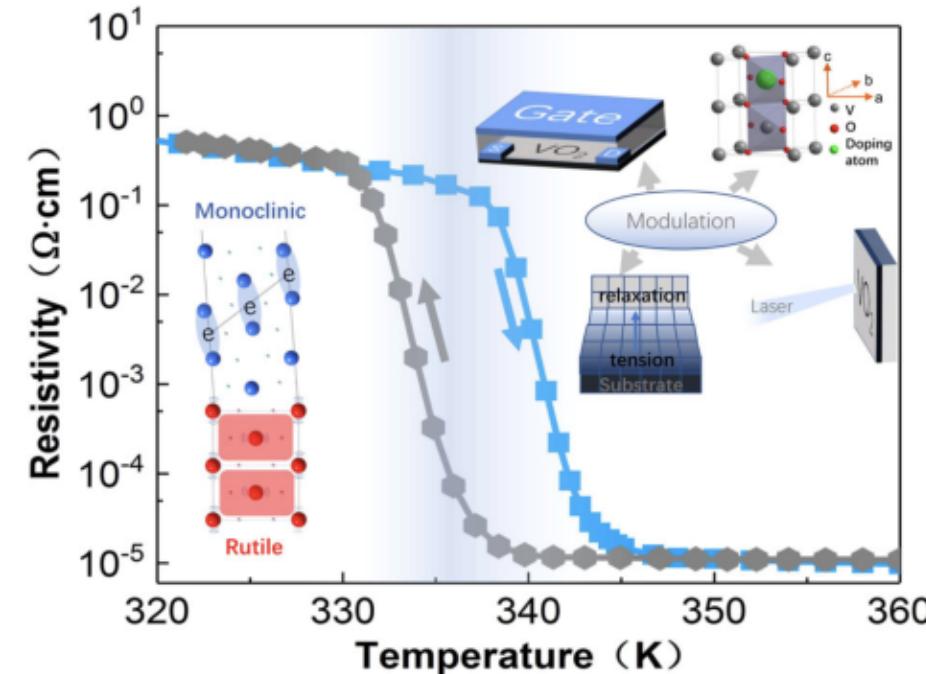
Accuracy

Complexity

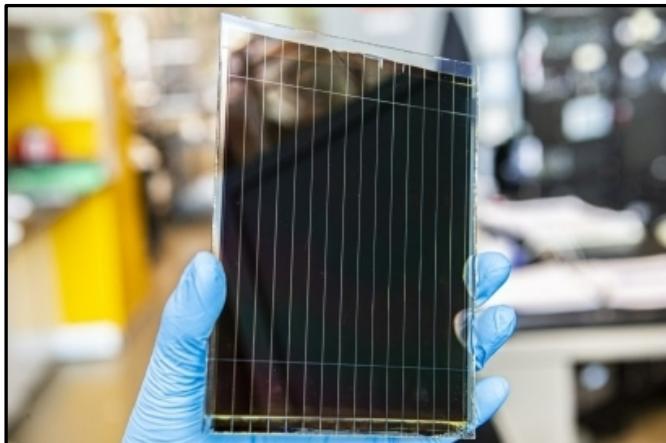
Structure-property-processing relationships in thin films



Source: nist.gov



Shao et al. *NPG Asia Materials* (2018)



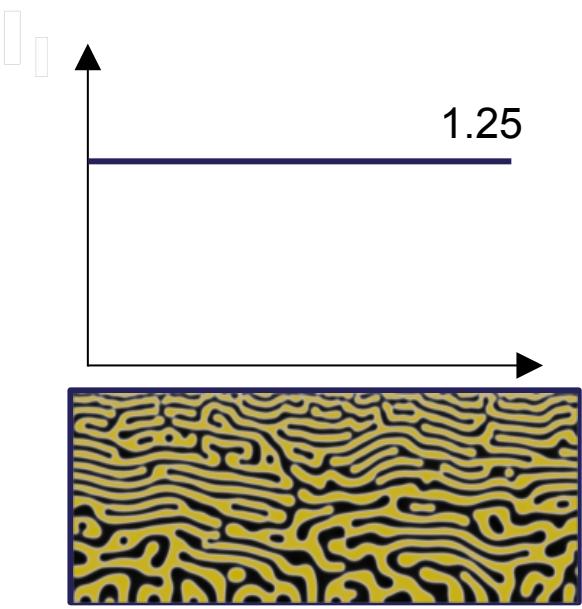
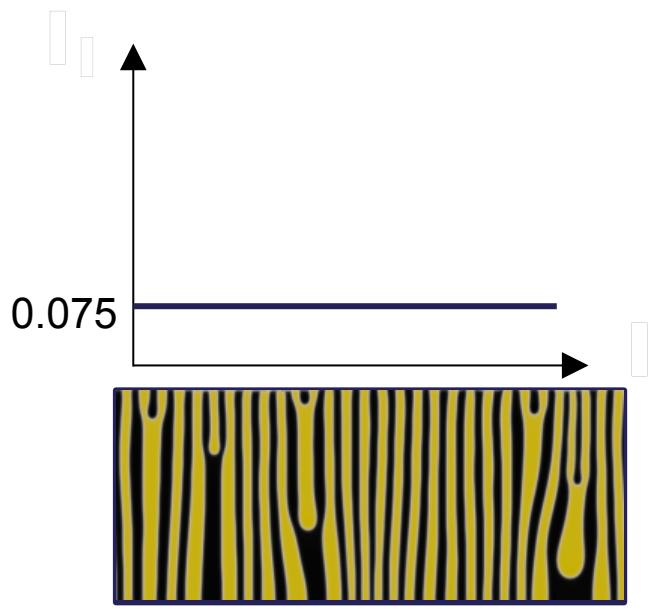
Source: energy.gov



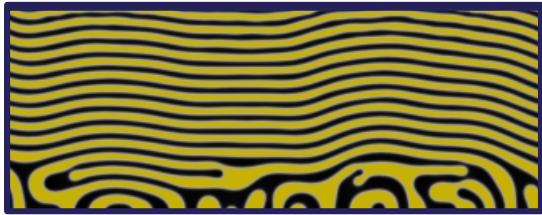
Source: renata.com

Thin film structure decides properties

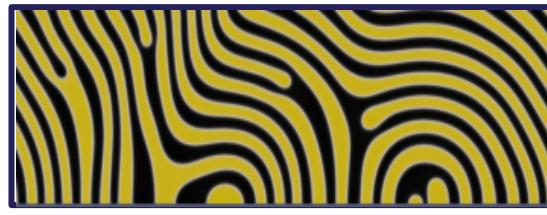
Microstructures from simple time-dependent protocols



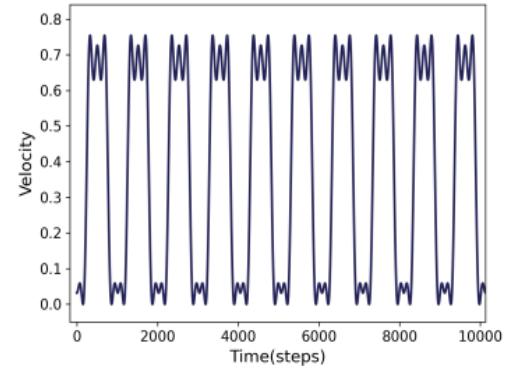
Optimizing the deposition rate and the mobility



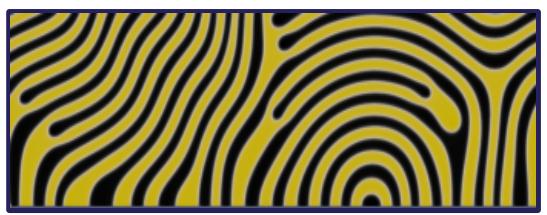
Target



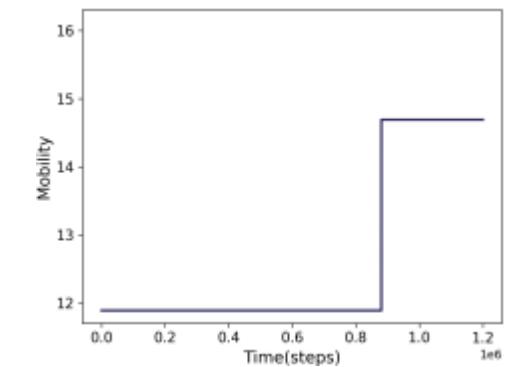
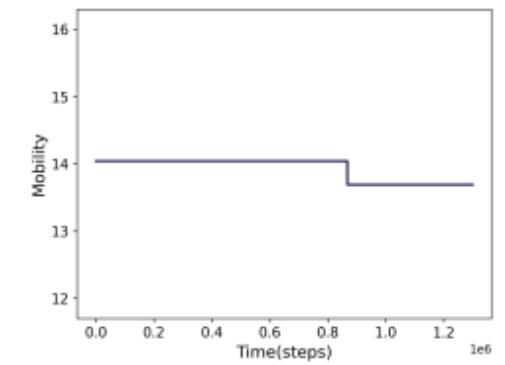
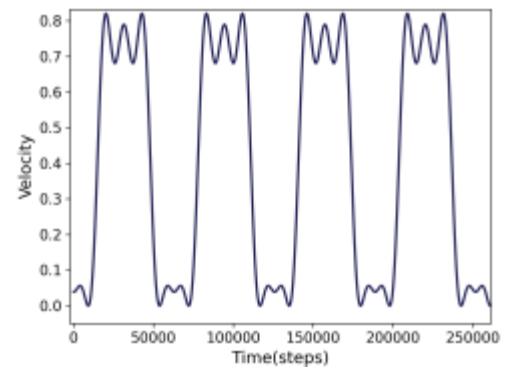
GA



Target



GA



Phase field simulations of alloy deposition



$$F = \int \left\{ f_\phi + \frac{\kappa_\phi}{2} (\nabla \phi)^2 + s(\phi) \left(f_c + \frac{\kappa_c}{2} (\nabla c)^2 \right) \right\} d\Omega \quad \text{Free energy of system}$$

$$\frac{\partial c}{\partial t} = \nabla \cdot \left[\mathbf{M}_c(\phi, c) \nabla \frac{\delta F}{\delta c} \right] \quad \text{Evolution equation}$$

$$\mathbf{M}_c(\phi, c) = \mathbf{M}^{\text{bulk}} + \mathbf{M}^{\text{surf}} \quad \text{Surface mobility dominates microstructure}$$

$$\mathbf{M}^{\text{bulk}} = \frac{1}{4} (2 - \phi) (1 + \phi)^2 [h(c) \mathbf{M}_A^{\text{bulk}} + (1 - h(c)) \mathbf{M}_B^{\text{bulk}}]$$

$$\mathbf{M}^{\text{surf}} = e^{-\left(\frac{\phi}{\sigma^{\text{surf}}}\right)^2} [h(c) \mathbf{M}_A^{\text{surf}} + (1 - h(c)) \mathbf{M}_B^{\text{surf}} - \mathbf{M}^{\text{bulk}}]$$

$$\frac{\partial \phi}{\partial t} = \nabla \cdot \left[\mathbf{M}(\phi) \nabla \frac{\delta F}{\delta \phi} \right] + S(n(\phi)) \quad \text{Evolution equation with source term}$$

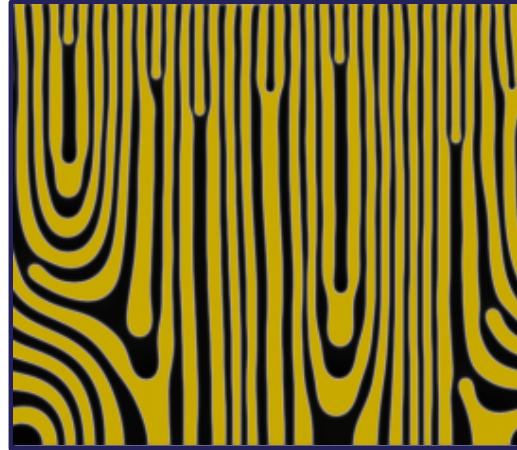
$$\frac{\partial \rho}{\partial t} = \nabla \cdot [\mathbf{D}_\rho \nabla \rho] - \nabla \cdot [\rho \mathbf{v}] - S(n(\phi)) \quad \text{Vapor evolution equation}$$

Phase field model simulates microstructure evolution for various deposition conditions

Microstructures using constant deposition conditions



Deposition rate = 0.075



Lateral concentration modulation (LCM)

Random concentration modulation (RCM)

Deposition rate = 1.25



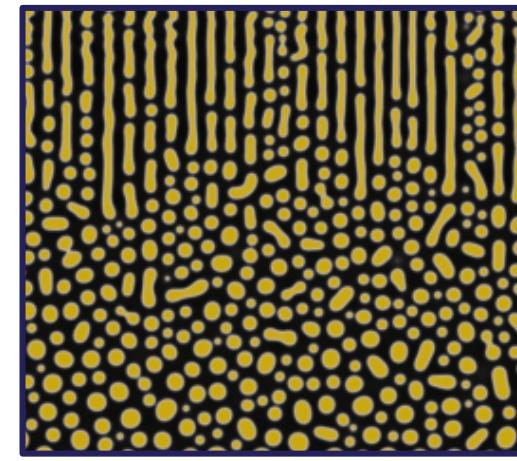
Deposition rate = 0.5



Vertical concentration modulation (VCM)

Nanoprecipitate concentration modulation (NPCM)

Deposition rate = 1.25



$A_{65}B_{35}$