

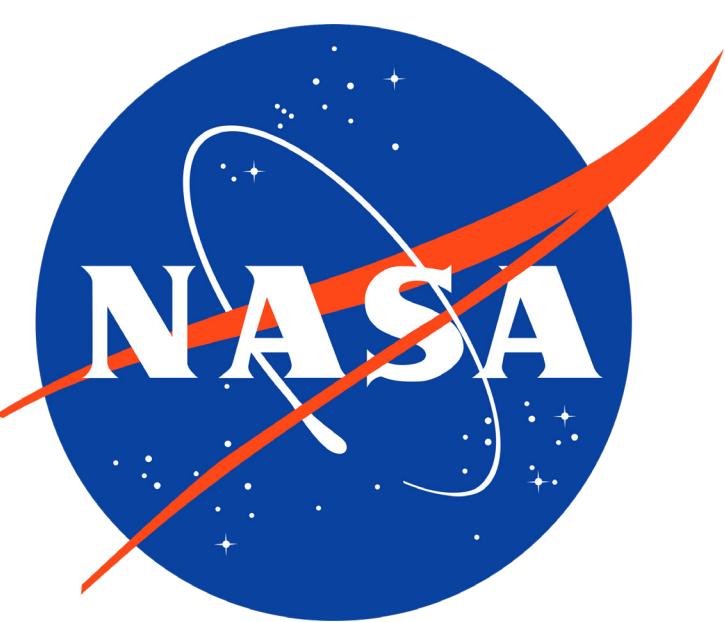


Dust Devil Heartbeat Detection on Infrasound Sensors

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Abstract

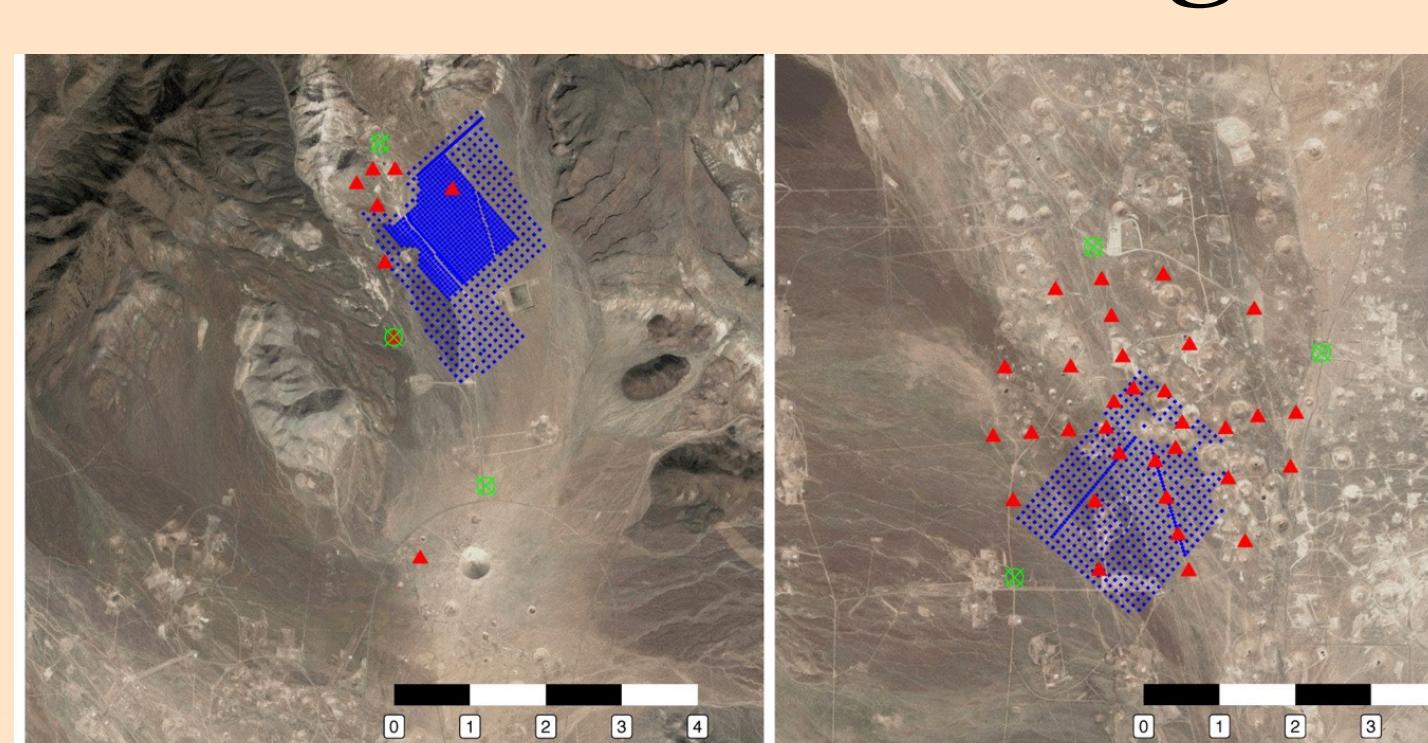
Particle-loaded convective vortices, or dust devils, are coherent, columnar shaped, fast rotating, dust-laden vortices at least one meter high and lasting for at least 10 seconds. These vortices are created from heating of near-surface air by insolation and so are subject to boundary layer processes. Dust devils consist of reduced pressure at their centers and are observed moving across pressure sensors as a pressure dip of varying duration (full-width at half maximum, FWHM) and amplitude, a function of dust devil radius and magnitude. These result in large, prominent signals on low frequency sound, or infrasound, stations.

However, on raw infrasound data, this signal appears as a distinctly heartbeat shape due to convolution of the dust devil pressure dip and the instrument response. We create a series of heartbeat templates spanning a variety of expected dust devil signals and, via template-matching cross-correlation, identify and characterize dust devils within infrasound time-series data. We statistically quantify the limitations and potential applications of this method to synthetic infrasound data and dust devils. Next, we apply this method to recorded infrasound data from multiple sensors in the Mojave desert in southern Nevada.

In addition, we develop an empirical background noise model for the Mojave desert infrasound sensors and test the capability of wavelet transform-based methods to differentiate dust devil signatures from background atmospheric variability.

Not only is this of scientific interest in characterization of the planetary boundary layer, but it also has implications for the risk to life and property posed by these vortices. Furthermore, automatic dust devil detection may improve understanding of these signatures against instrument noise, and applicable to understanding the occurrence and variability of dust devils on Mars, which is answerable to several high-priority goals set forth by the Mars Exploration Program Analysis Group (MEPAG).

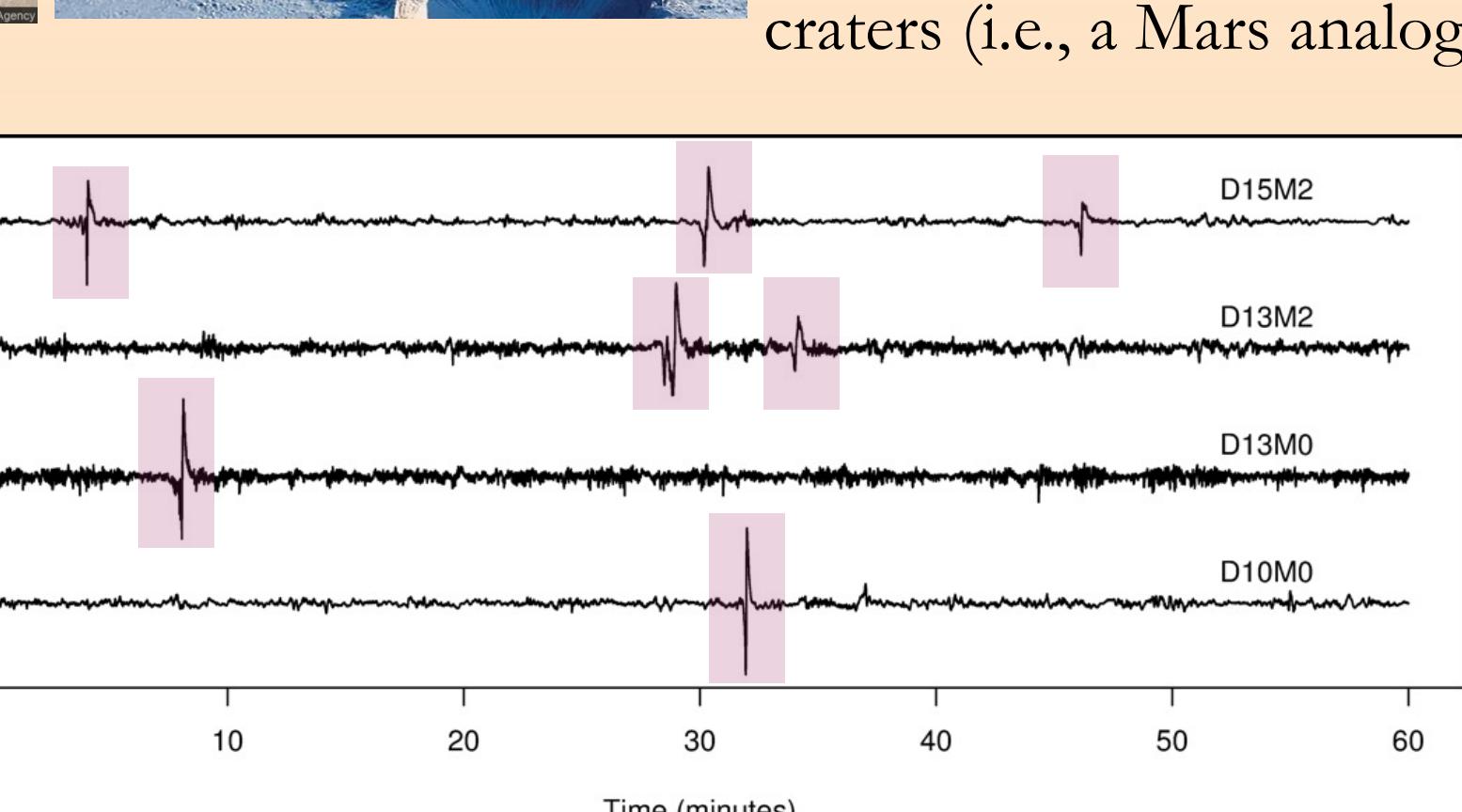
Motivation: Long Duration Seismoacoustic Record



32 microbarometers, 20 broadband seismometers, 100 geophones deployed over seven years (with some gaps), along with temporary 500-element geophone arrays. This site is one of the few places on Earth with craters (i.e., a Mars analog).

Dust devils create some of the largest amplitude signals on the microbarometer network.

Several are visible (highlighted in lavender) per station over this one hour snippet of data from Summer 2018.



Project Plan

Phase I: Develop Database of Vortex Detections across the study period

Process data from multiple years of microbarometer recordings

Develop & apply detection algorithms

Phase II: Quantify vortex occurrence patterns

Station variability, seasonal / diurnal cycles & topography

Phase III: Track discrete vortices

If dust devils emit detectable acoustic waves, can they be tracked across infrasound subarrays?

If dust devils emit detectable seismic waves, can they be tracked with a 'Large N' array of geophones?

Correlation Heartbeat Detector

Goal: Build a detector of the characteristic vortex heartbeat signal observed on Hyperion pressure sensors

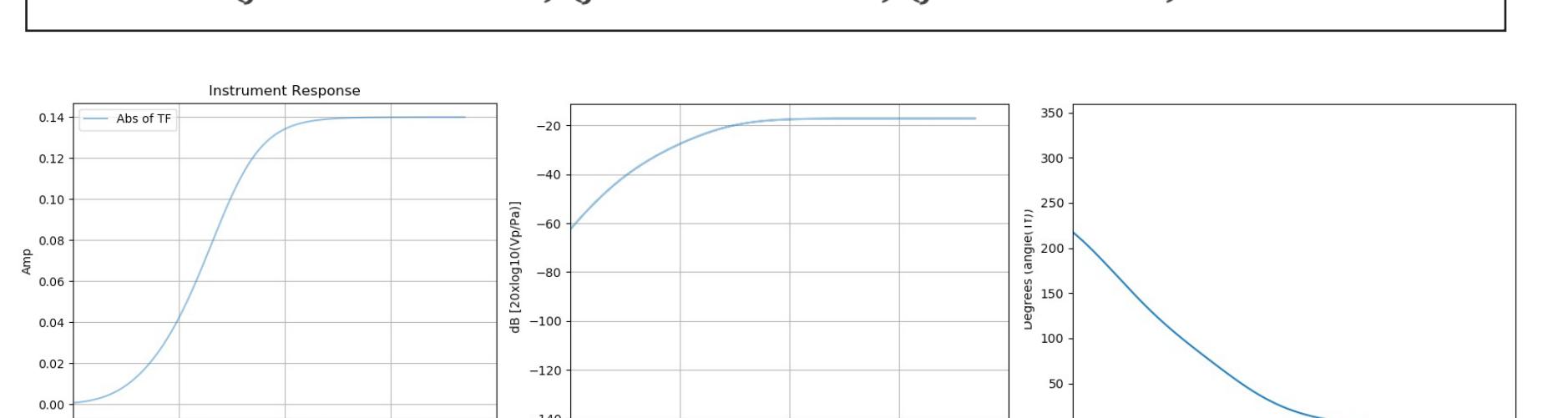
Steps:

1. Build templates of synthetic vortex pressure signals as expected for Hyperion pressure sensors
2. Create algorithm and methodology to efficiently calculate the correlation coefficient between templates and data streams
3. Test robustness of correlation method on synthetics
4. Apply to a 6 hour period of recorded data across multiple sensors

1. Build templates of expected vortex pressure signals

Hyperion Instrument Transfer Function (f^3) Merchant (2015)

$$H(f) = \frac{1}{(f - 0.001483i)(f - 0.003387i)(f - 0.02949i)}$$



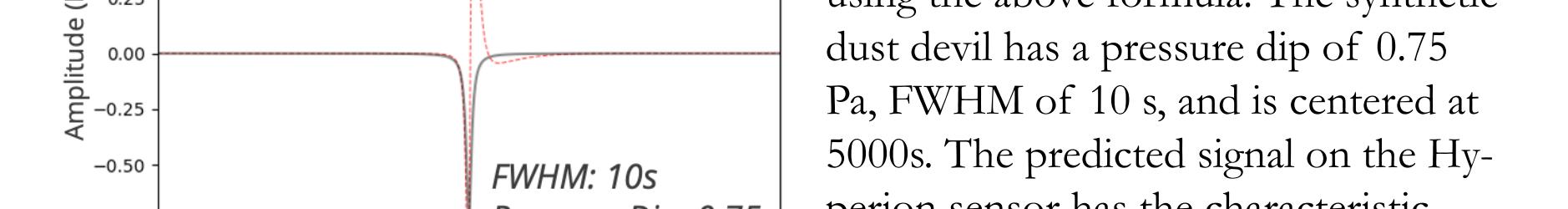
Synthetic Dust Devil Vortex

Pressure Dip Jackson & Lorenz (2015)

$$\text{LorentzianProfile}(t) = \frac{1}{1 + (2(t - t_0)/\text{FWHM})^2} + B$$

FWHM: Full-Width Half Maximum; t_0 = Time of max dip

Final Templates



Example of a dust devil as calculated to be observed by a Hyperion sensor, using the above formula. The synthetic dust devil has a pressure dip of 0.75 Pa, FWHM of 10 s, and is centered at 5000s. The predicted signal on the Hyperion sensor has the characteristic heartbeat shape.

As the correlation coefficient is sensitive to the phase (not amplitude) of the signal, our templates are created via a range of FWHM, which alters the shape. We note that the signal strength is much lower for FWHM > approximately 100 s.

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