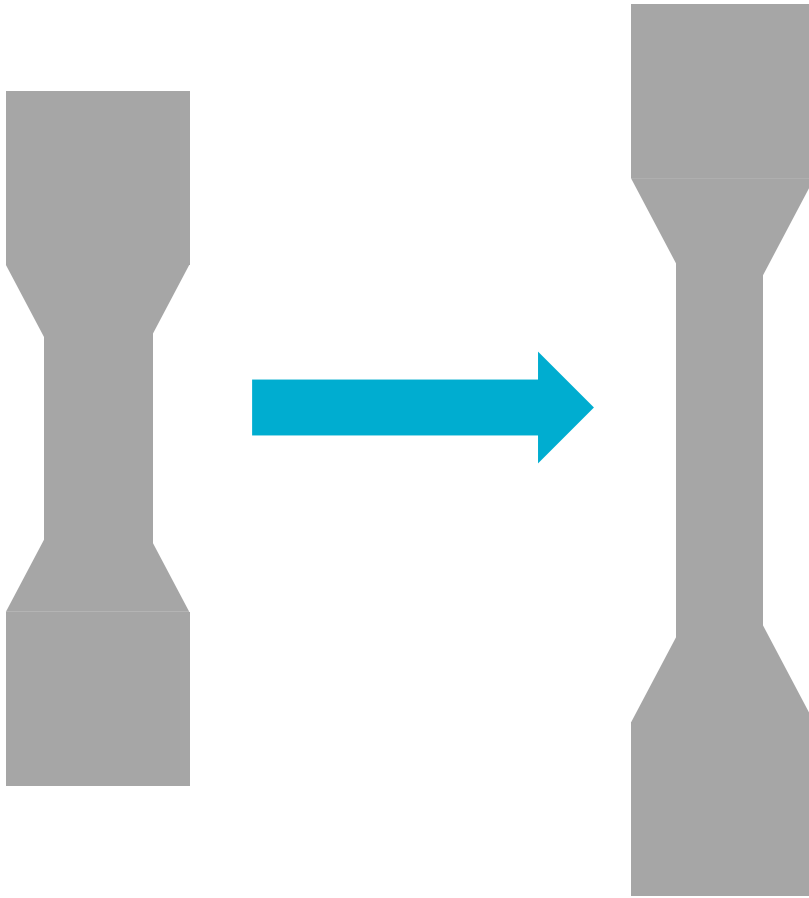




Effects of Convection on Experimental Investigation of Heat Generation During Plastic Deformation

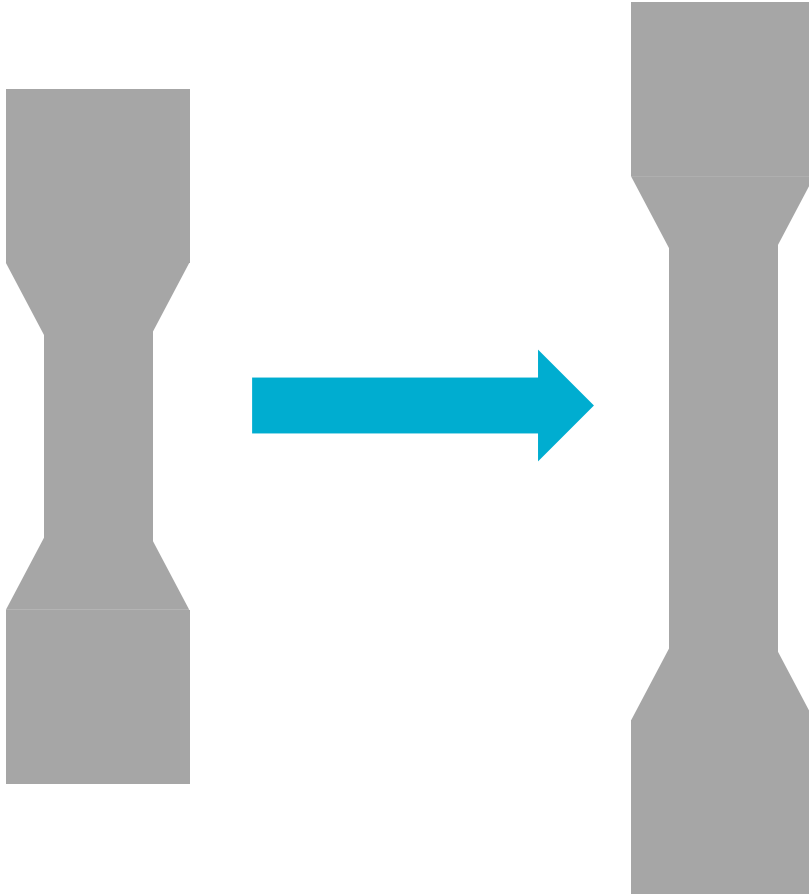
Wyatt Hodges, Leslie M. Phinney, Brian Lester, Brandon Talamini, and Amanda Jones

IMECE
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As we apply strain, how much does the sample heat up?

Dependent on Quinney-Taylor coefficient, β



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Plastic heating:

$$Q_t^P = \beta W_t^P - \frac{A}{V} [h(T - T_\infty) + \sigma \varepsilon (T^4 - T_\infty^4)]$$



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Fraction of plastic work
converted to heat



Introduction



$$\rho C_p \frac{\partial T}{\partial t} - k \frac{\partial^2 T}{\partial x^2} = Q_t^P + Q_t^e + r$$

0 0

Plastic heating:

$$Q_t^P = \beta W_t^P - \frac{A}{V} \left[\underbrace{h(T - T_\infty)}_{\text{convection}} + \underbrace{\sigma \varepsilon (T^4 - T_\infty^4)}_{\text{radiation}} \right]$$

Fraction of plastic work
converted to heat

$$\beta = \frac{1}{W_t^P} \left[\rho C_p \frac{\partial T}{\partial t} - k \frac{\partial^2 T}{\partial x^2} + \frac{A}{V} \left[h(T - T_\infty) + \sigma \varepsilon (T^4 - T_\infty^4) \right] \right]$$

Small in many test conditions



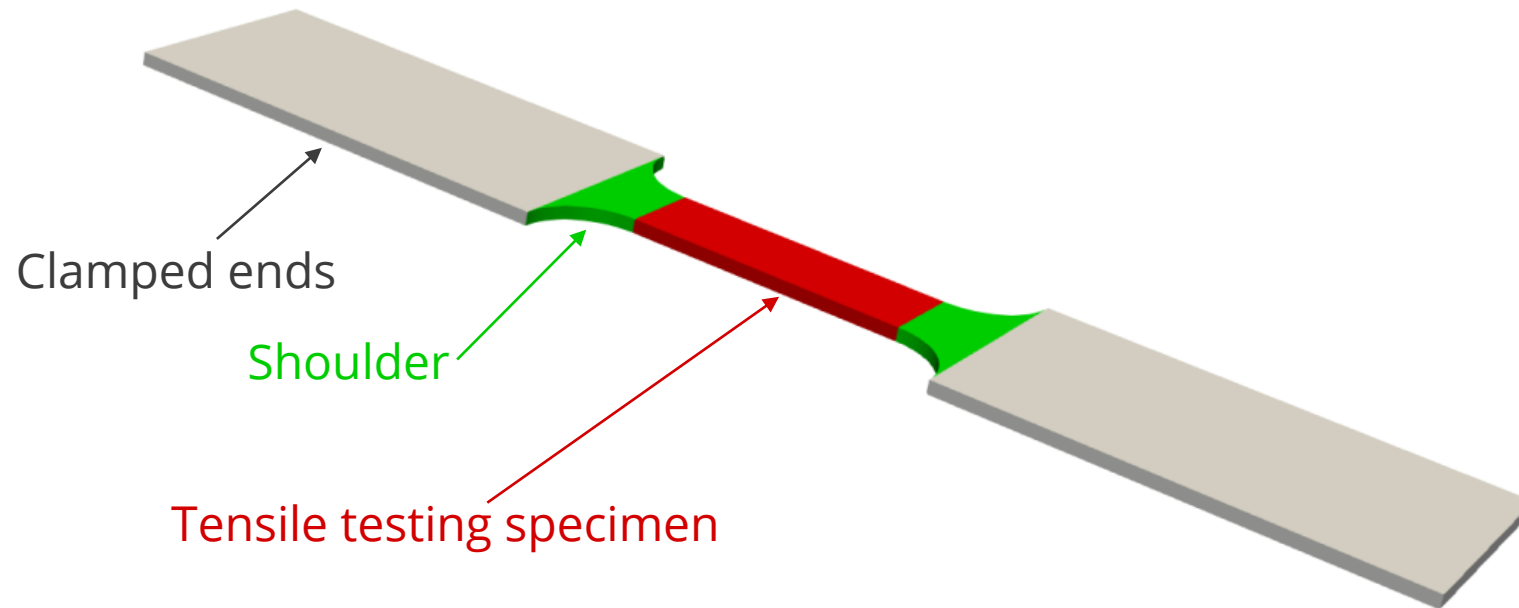
Determination of β - energy accounting problem

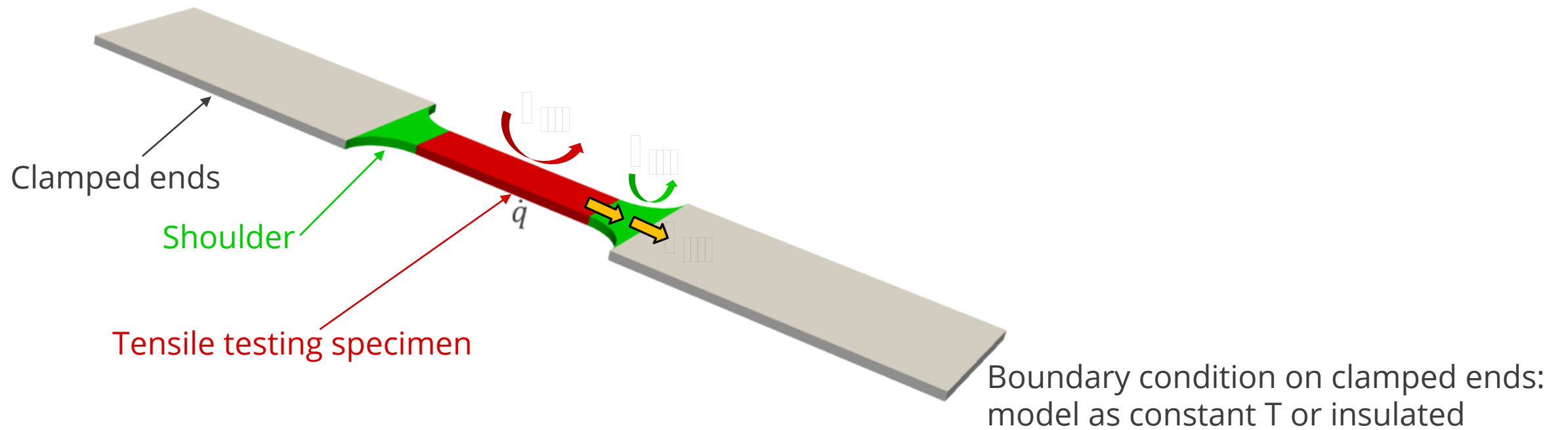
Accuracy in h determines accuracy in β

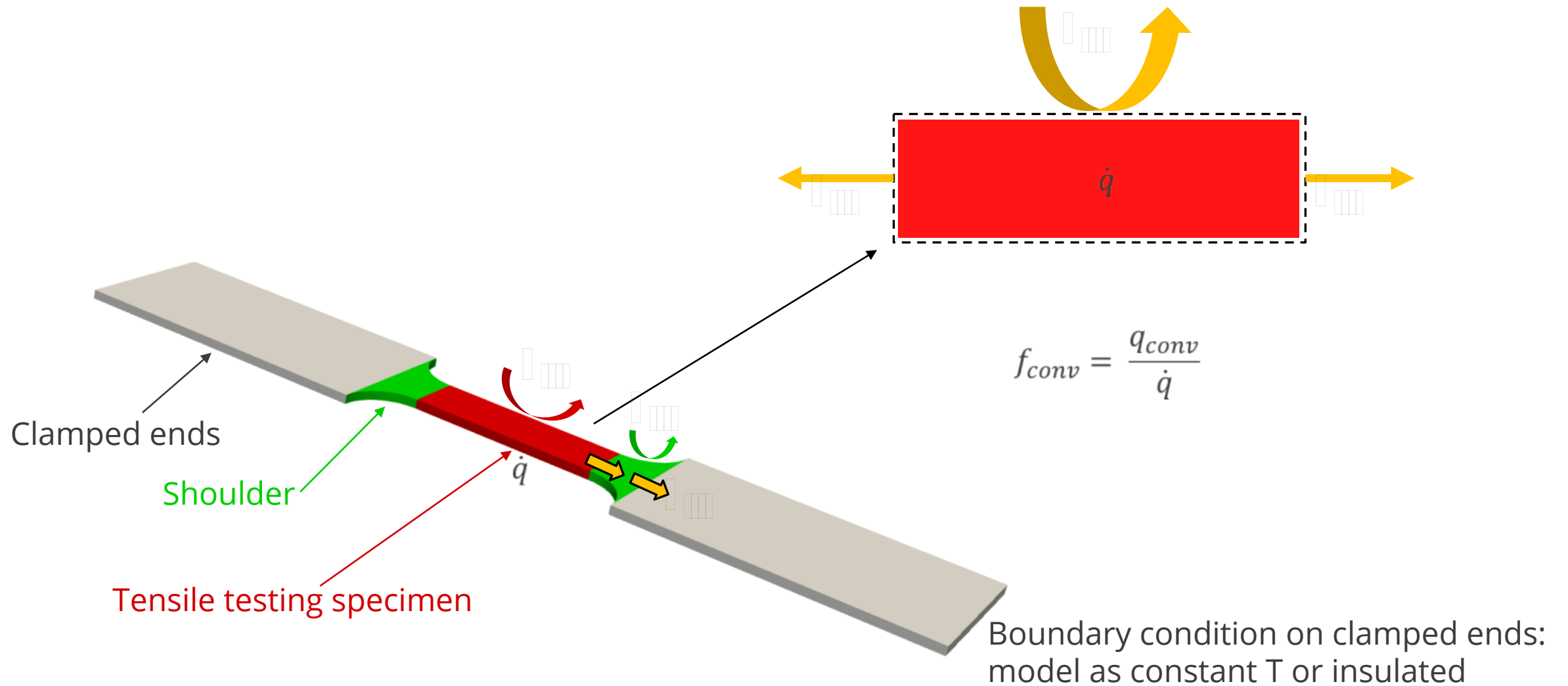
IRT and DIC determine
temperature gradients

$$\beta = \frac{1}{W_t^P} \left[\underbrace{\rho C_p \frac{\partial T}{\partial t} - k \frac{\partial^2 T}{\partial x^2}}_{\text{IRT and DIC determine temperature gradients}} + \frac{A}{V} [h(T - T_\infty)] \right]$$

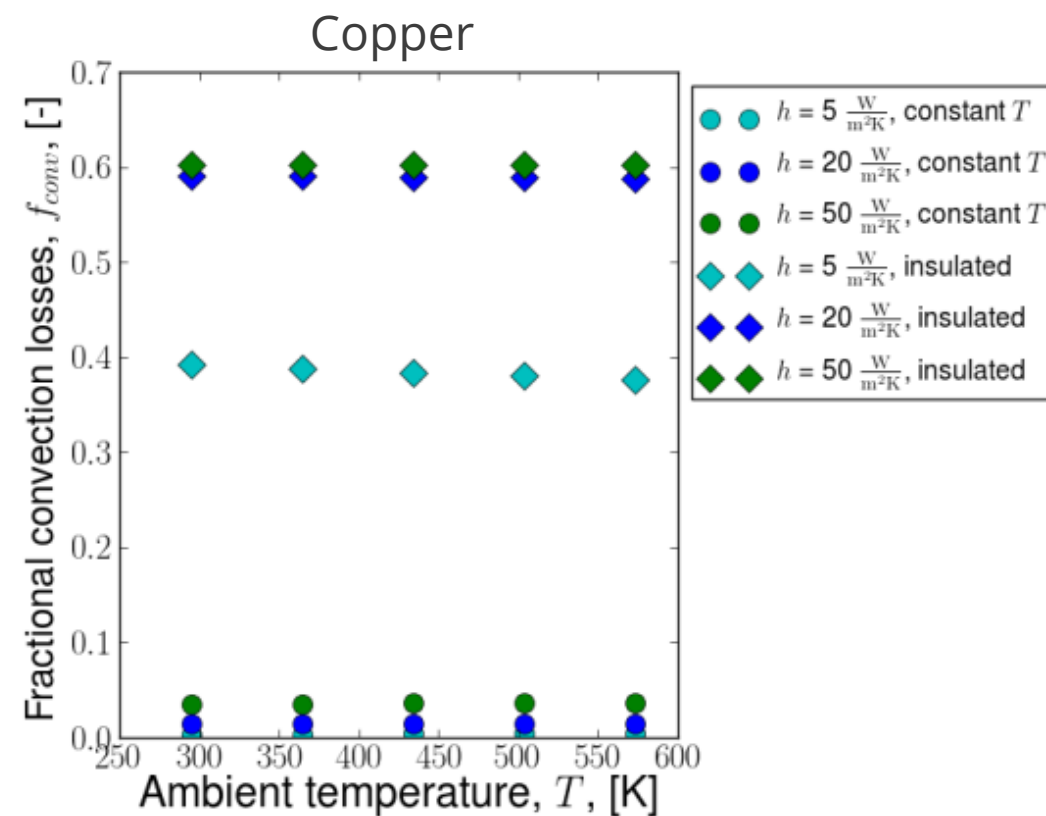
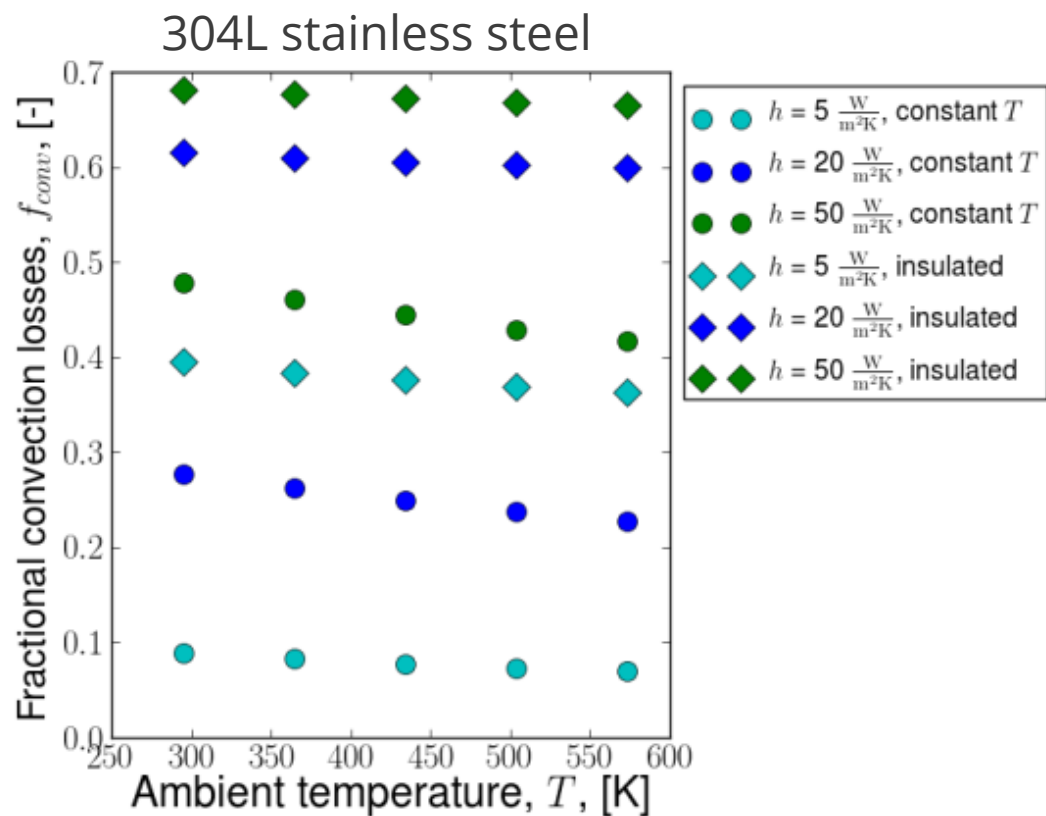








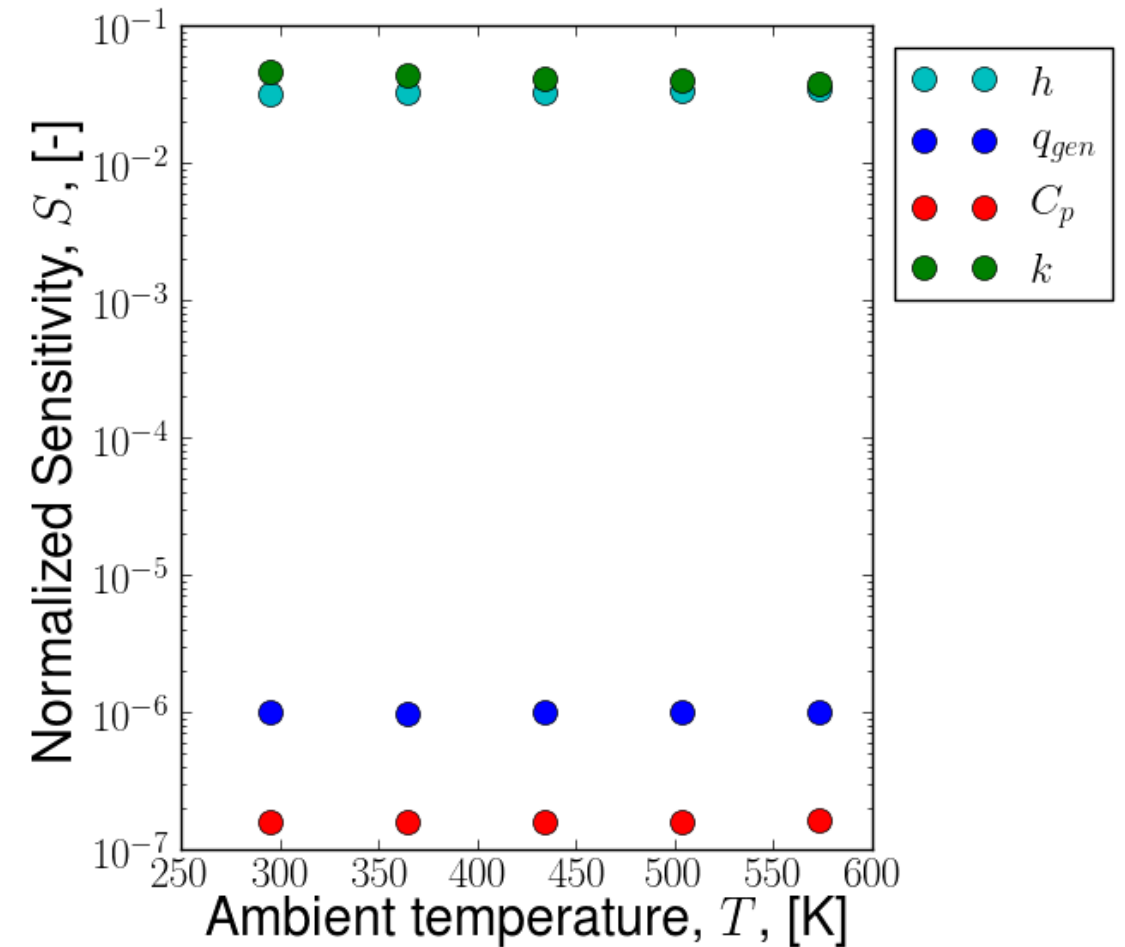
Results – fractional convection losses



Results – sensitivity

$$S = \frac{1}{q_{conv}} \frac{\partial q_{conv}}{\partial p}$$

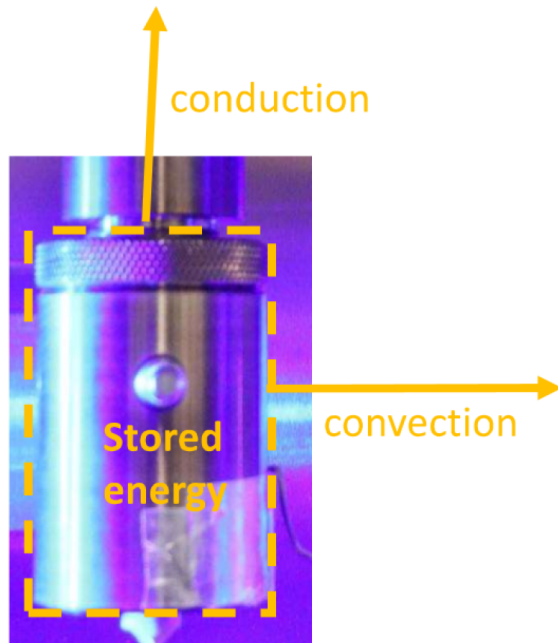
where p is a varied parameter



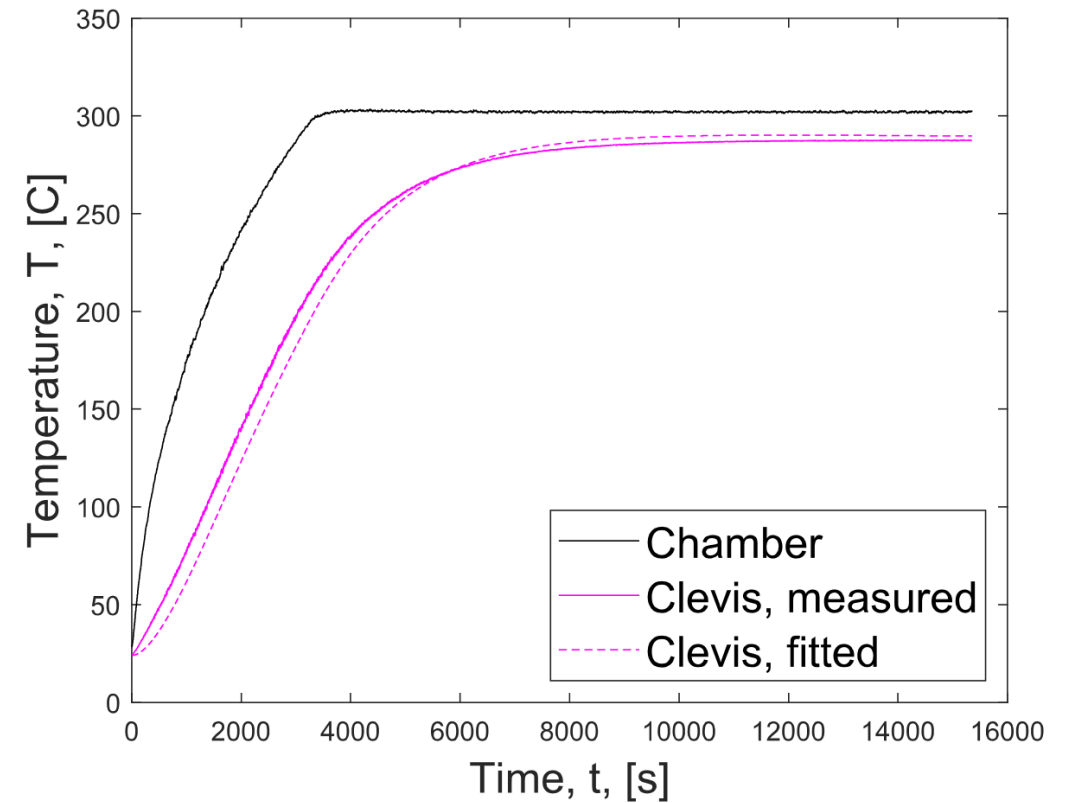
Results – convection coefficient fitting



$$\boxed{} \boxed{} \boxed{} \boxed{} = \boxed{} \boxed{} \boxed{} \boxed{}$$



$$h = 21.7 \frac{\text{W}}{\text{m}^2\text{K}}$$



Conclusions



Convection coefficient (h) plays a key role in ability to determine β

High sensitivity to h and k

~70% variation in fractional convection losses in studied conditions

Radiation more significant in stainless steel

Convection coefficient in test chamber determined to be $21.7 \frac{\text{W}}{\text{m}^2\text{K}}$