

Oxygen Permeation and Thermoset Degradation with Temperature

Mathew Celina, Adam Quintana, Nicholas Giron

Organic Materials Science Dept. 1853

Sandia National Laboratories, Albuquerque, NM 87185-1411

*ACS spring meeting, March 22 – 26 , 2015
Denver*

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Background and keywords

Research goals:

- Establish experimental capability to determine P , D , S for O_2 with T
- Accommodate reactive O_2 loss during permeation experiments
- Understand oxidative degradation of thermoset materials
- Develop models to predict spatial distribution of oxidative damage

Why do we need permeation parameters?

- Limited literature data
- Performance of environmental seals, transport processes
- Characterization of materials
- Predictive DLO models for degradation processes
- Kinetic model refinement explored by other R&D groups

Keywords: Thermoset performance, O_2 diffusivity, solubility, permeability, DLO, TOL, degradation depth, modeling



What are we dealing with?

- At elevated temperature polymers and films may act as an O₂ barrier
- The underlying permeability is convoluted with degradation chemistry
- A parallel PHYSICAL and CHEMICAL process

Edge oxidation in high temperature composites

From Tandon GP, 2011, aging at 177°C

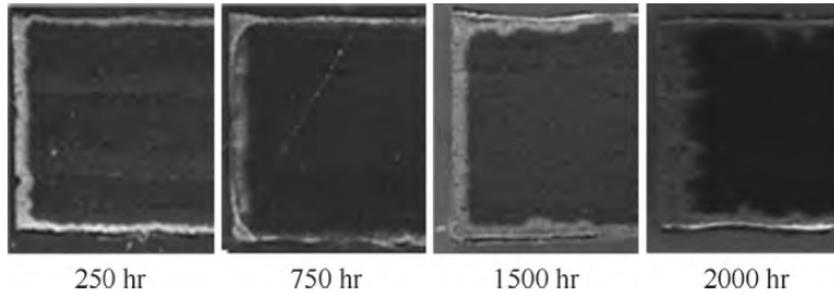


Fig. 9.9 Oxidation growth near the laminate edge in [±45]_{2S} laminate as a function of aging time

Laboratory accelerated thermal aging

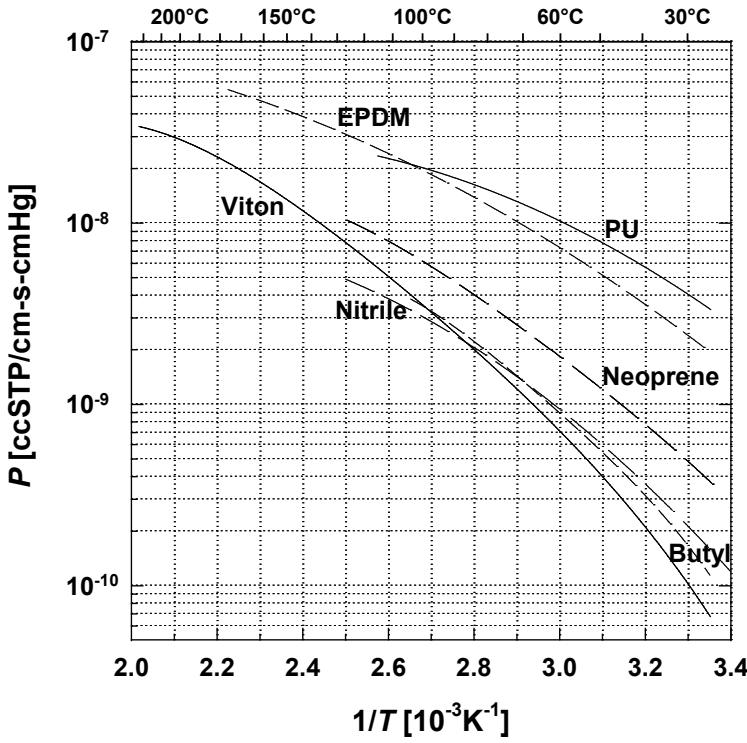
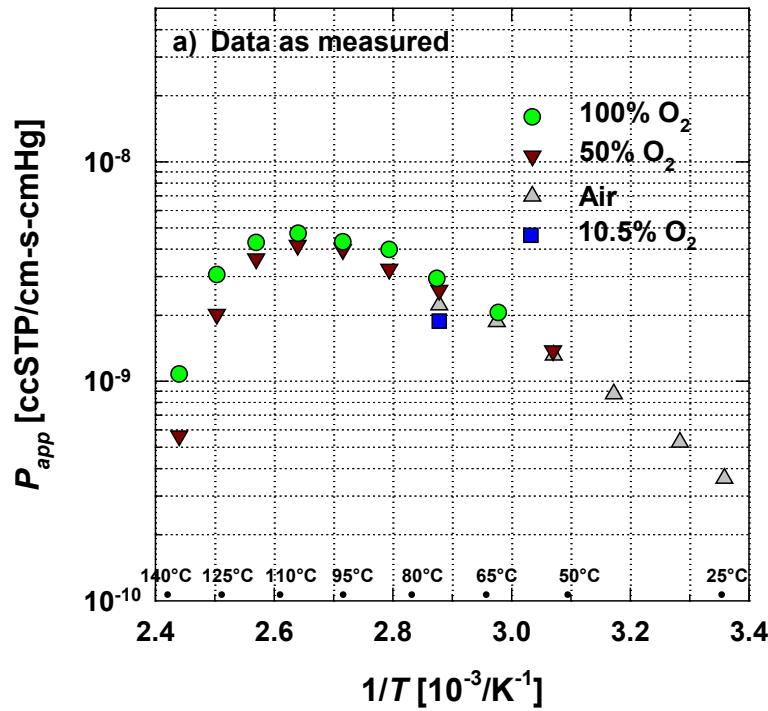


Example of aged epoxy,
degradation is limited to
material surface

- Edge effects complicate the prediction of bulk material aging
- O₂ Permeation experiments are similarly convoluted

Permeation at elevated temperature

- Effective flux through polymers at high temperatures can be unexpectedly low due to reactive oxygen loss
- Determination of permeability as a 'material property' requires corrections

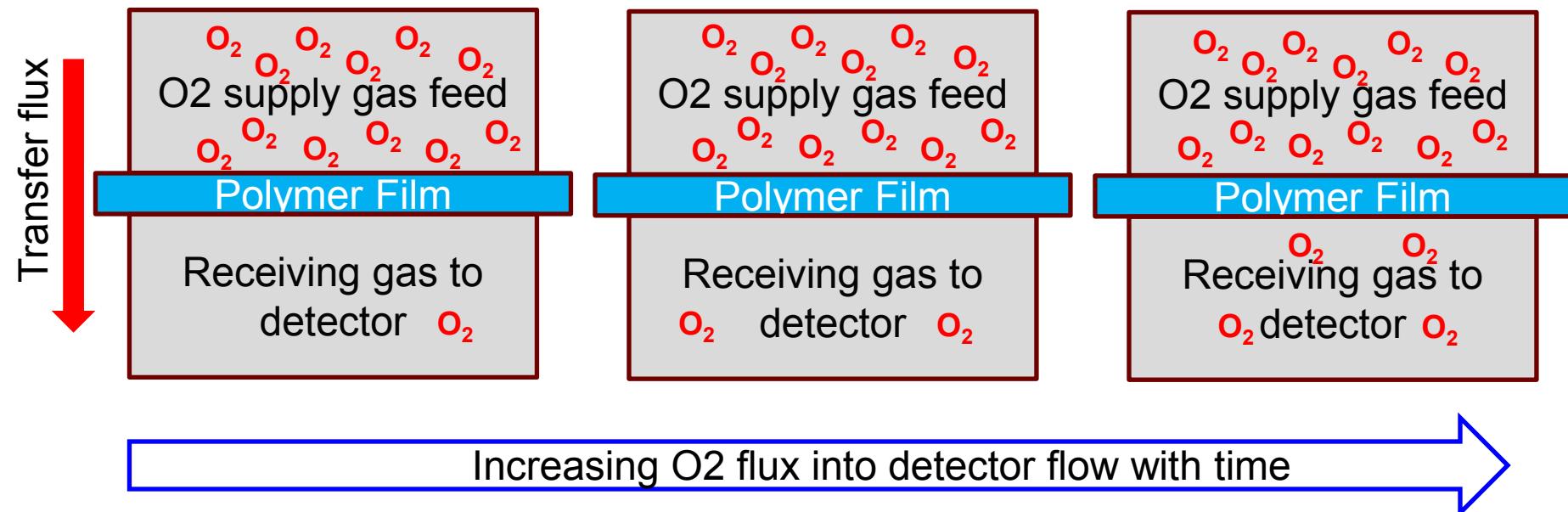


- Primary transport flux measurements do not always yield permeability
- Degradation chemistry interferes, but can be accommodated

O₂ permeation through thin film

Thin film separation – Mass transport - Membrane characterization

In our case complicated by parallel oxidation because many polymers oxidize at high temperatures and have low permeability



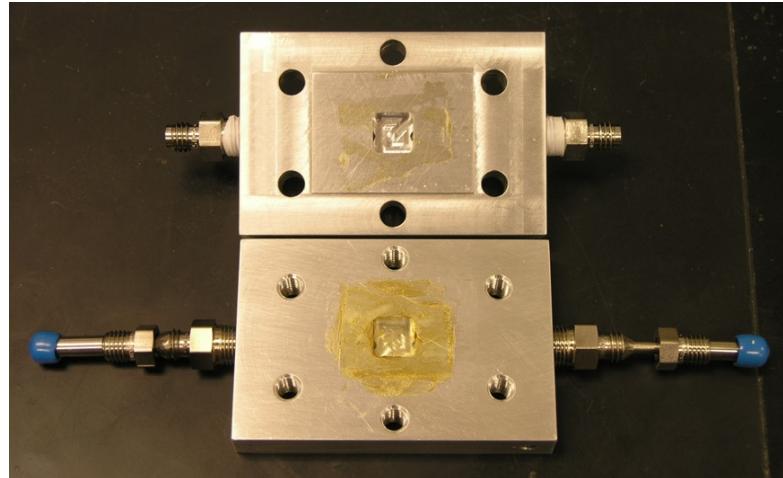
Multiple variables need to be considered for successful determination of P, D, S and material characterization

O₂ permeation instrument

Application: Precision measurements of O₂ permeability through polymer film materials using commercial sensing system

Optimized system: Customization with external feed composition and flow control, external temperature stage and permeation cell setup

Software: Unfortunately very limited for R&D, we use external data analysis



New more sensitive MOCON
Ox-Tran 2/21 permeation system

Instrument has high dynamic range but limits for P , D at high T
due to the nature of these experiments



Experimental conditions

- At high temperatures diffusivity is fast for thin films (flux changes in minutes)
- Thicker films may lose O₂ through oxidation
- Low partial pressure will lower equilibrium permeation flux, but is also more sensitive to oxidation

- Film thickness
- Film area
- Transfer flux, detector overload
- Partial pressure of feed gas
- Detector sensitivity limit



Experimental range for P

$$P = \frac{F \cdot l}{p_{O_2}}$$

Permeability range: 9 orders of magnitude

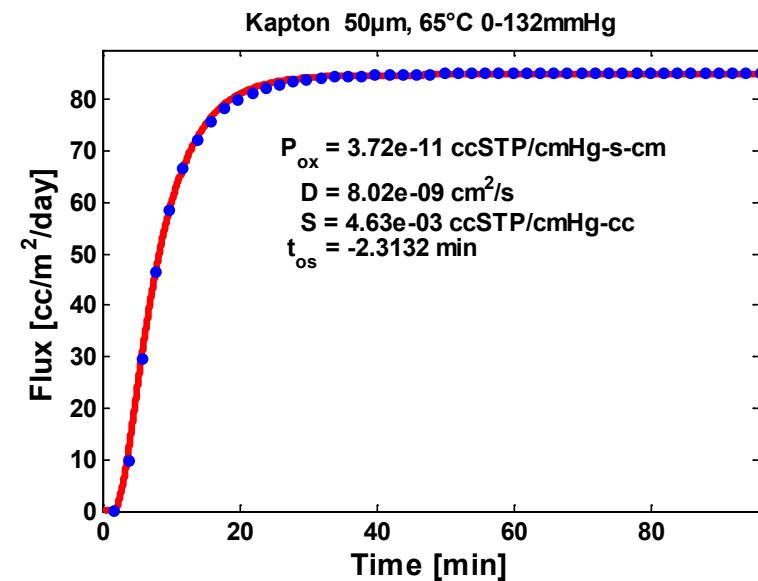
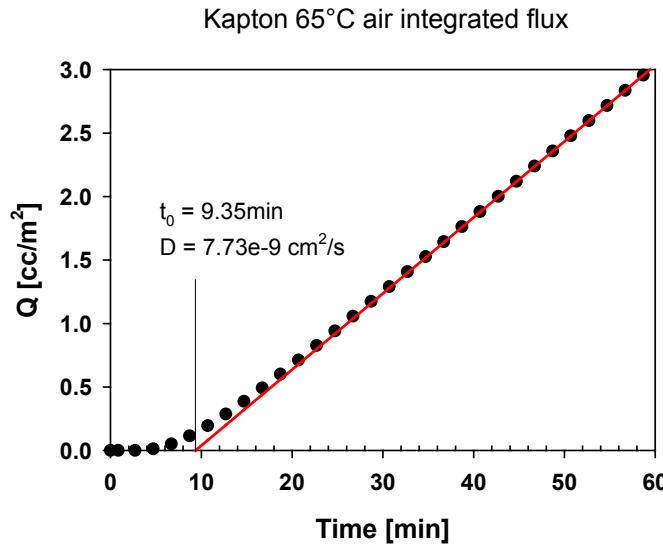
$P_{\min} = 4.6\text{e-}16$ ccSTP/cm·s·cmHg (0.01 ccSTP/m²/day, 50 cm², 25 μm, 63 cmHg-O₂)

$P_{\max} = 1.7\text{e-}07$ ccSTP/cm·s·cmHg (10000 ccSTP/m²/day, 1cm², 1mm, 6.6 cmHg-O₂ (50/50 air/N₂)

- Experiments require balancing/optimization of multiple parameters
- There are intrinsic experimental limits
- Additionally the material may oxidize during experiment

Analysis of flux curves to yield D

- Traditionally a flux curve (non-equilibrium conditions) has been interpreted with boundary assumptions and simplification to extract D



The X-intercept for the line is:

$$t_0 = \frac{L^2}{6D}$$

New method to extract D ,
fitted flux curve

Existing formula interprets slope of integrated flux curve



Established mathematical approach

Traditionally a flux curve (non-equilibrium conditions) has been interpreted with boundary assumptions and simplification to extract D

Fick's second law in one dimension with specified boundary conditions for the experiment:

$$\frac{\partial C}{\partial t} = D \frac{\partial^2 C}{\partial x^2} \quad C(x, 0) = 0, \quad C(0, t) = C_1, \quad C(L, t) = 0$$

Solution through separation of variables and deriving the flux ($F = -D \frac{\partial C}{\partial x}$), the total O₂ transmission is then specified:

$$Q(t) = \int_0^t F(L, \tau) d\tau$$

Then taking the limit:

$$\lim_{t \rightarrow \infty} Q(t) = \frac{DC_1}{L} \left(t - \frac{L^2}{6D} \right)$$

The X-intercept for this line is then:

$$t_0 = \frac{L^2}{6D}$$

Existing formula interprets slope of integrated flux curve



New mathematical approach

Normalized Fick's Second Law with reactive term (oxidation), identical boundary conditions, application of finite difference approximations to both derivatives to derive the recursive matrix equation.

$$\frac{\partial \theta}{\partial \tau} = \frac{\partial^2 \theta}{\partial \chi^2} - \frac{\alpha \theta}{\beta \theta + 1} \approx \frac{\theta_{i+1,j} - \theta_{i,j}}{\delta \tau} = \frac{\theta_{i,j+1} - 2\theta_{i,j} + \theta_{i,j-1}}{\delta \chi^2} - \frac{\alpha \theta_{i,j}}{\beta \theta_{i,j} + 1}$$

reactive term
(oxidation)

⇓

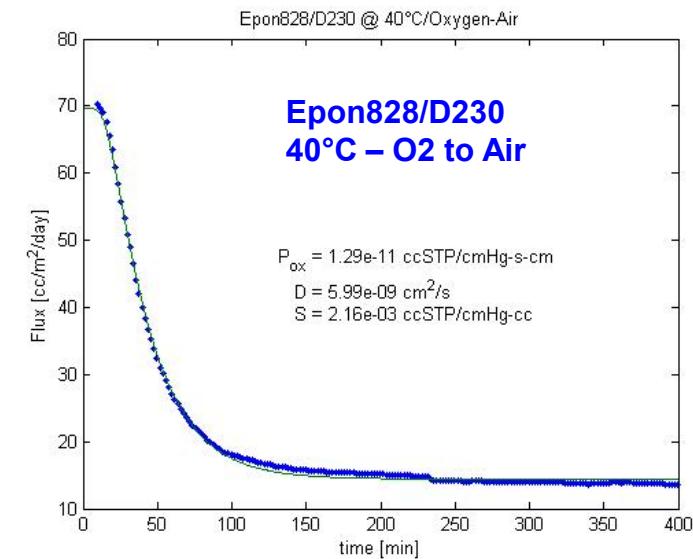
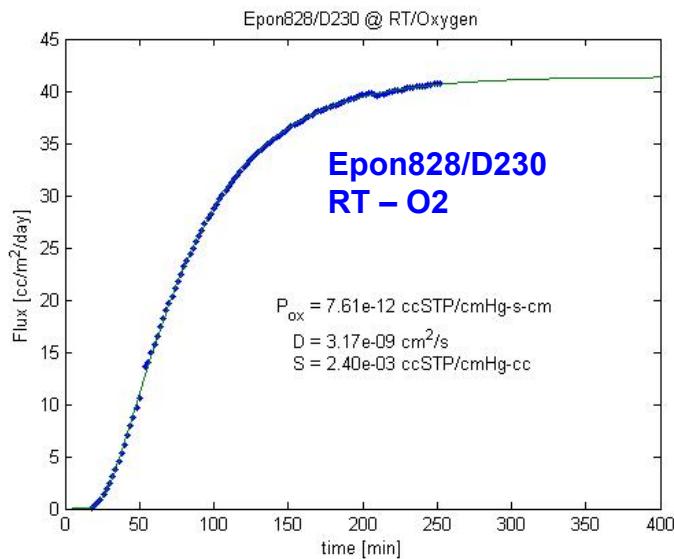
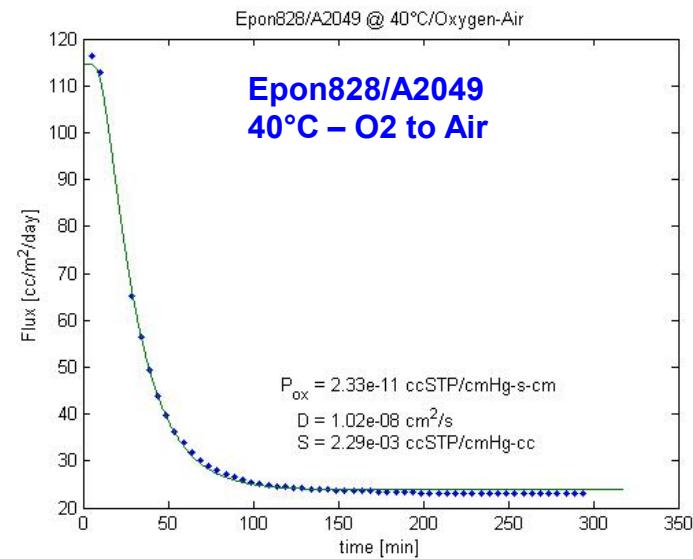
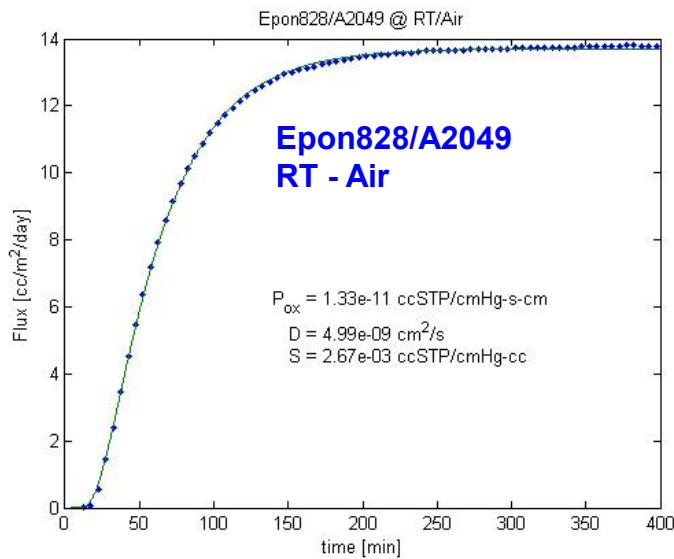
$$(a + 2)\theta_{i+1} = \mathbb{A}\theta_i - R(\theta_i)$$

$$\mathbb{A} \equiv \begin{bmatrix} a_1 & \cdots & \cdots & 0 \\ 1 & a & 1 & \cdots & 0 \\ 0 & \ddots & \ddots & \ddots & 0 \\ 0 & \cdots & 1 & a & 1 \\ 0 & \cdots & \cdots & a_N \end{bmatrix}, \quad a = \frac{(\delta \chi)^2}{\delta \tau} - 2, \quad a_1 = \frac{(\delta \chi)^2}{\delta \tau} + \frac{\alpha(\delta \chi)^2}{\beta + 1}, \quad R(\theta_{i,j}) = \frac{\alpha \theta_{i,j} (\delta \chi)^2}{\beta \theta_{i,j} + 1}, \quad a_N = 1$$

The flux is then calculated from this solution: $F_i = \frac{P_{ox} p_0 \theta_{N-1,i}}{L(\delta \chi)}$

Flux with time is iteratively fitted to experimental data to extract P , D and S , oxidative term is accommodated

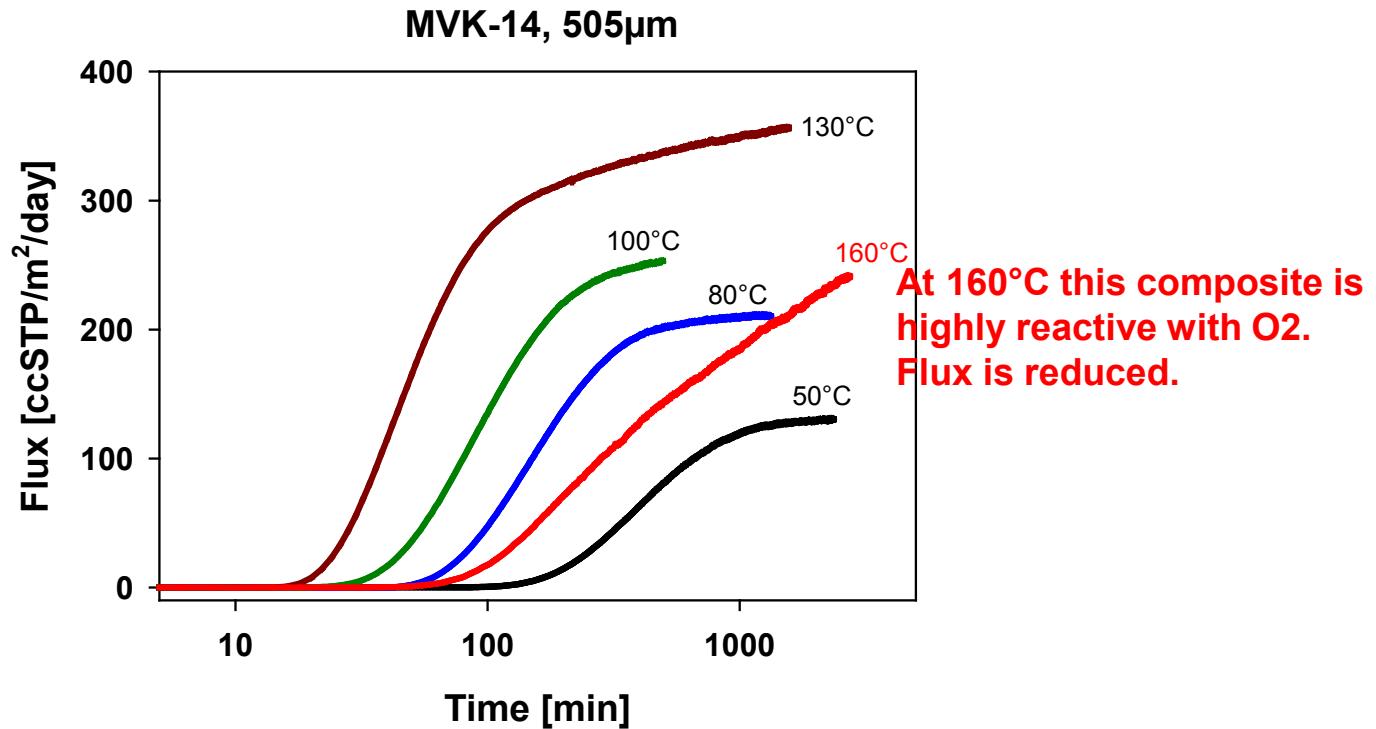
Examples of permeative flux experiments



- D, S available from decreasing and increasing flux and changing pressure experiments
- Flux changes modeled with Fickian diffusion behavior – perfect fits

Oxidative reaction reduces flux

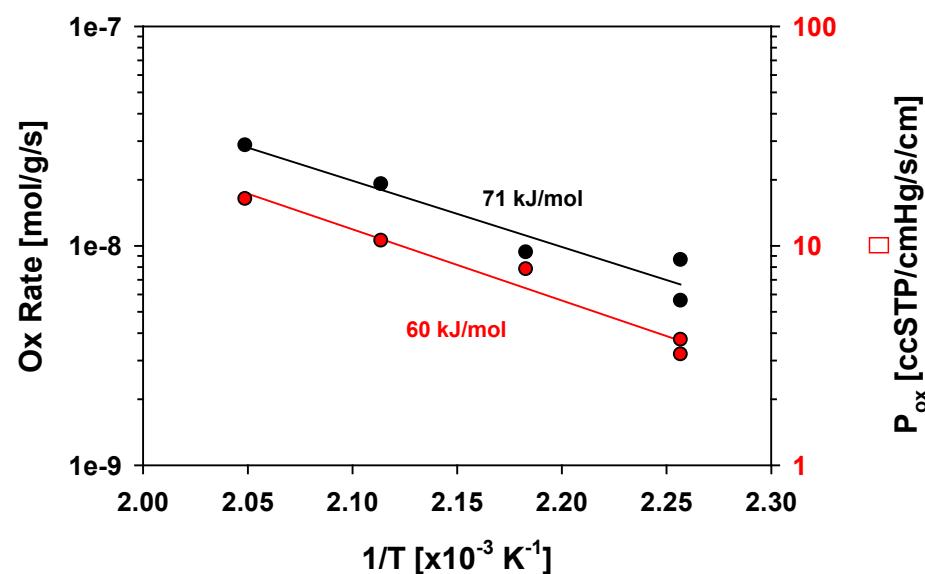
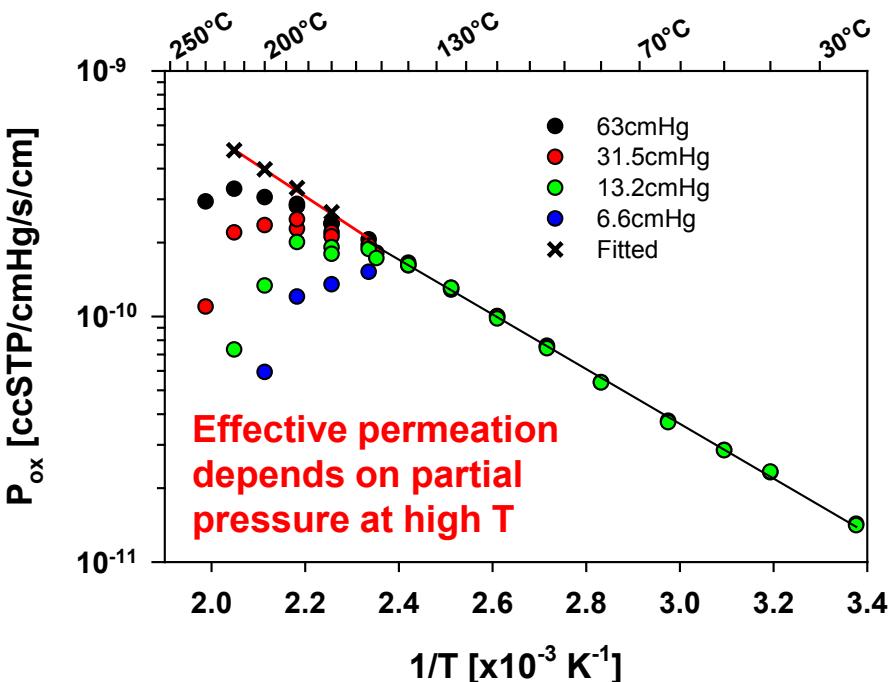
- Reactive oxygen loss results in creep at high temperature
- Effective flux is lower at high T



High temperature permeation flux data require partial pressure checks and corrections for oxidation

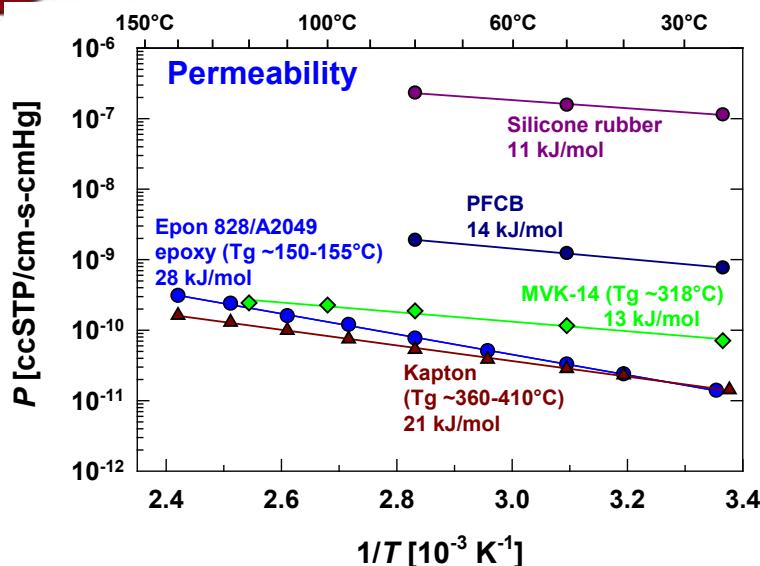
Flux reduction - Kapton

- 50 μm Kapton film
- At 150°C oxidation is visible in permeation measurements
- Permeation experiments allow to indirectly determine oxidation rate



These experiments show Kapton as majorly oxidation sensitive above 200°C

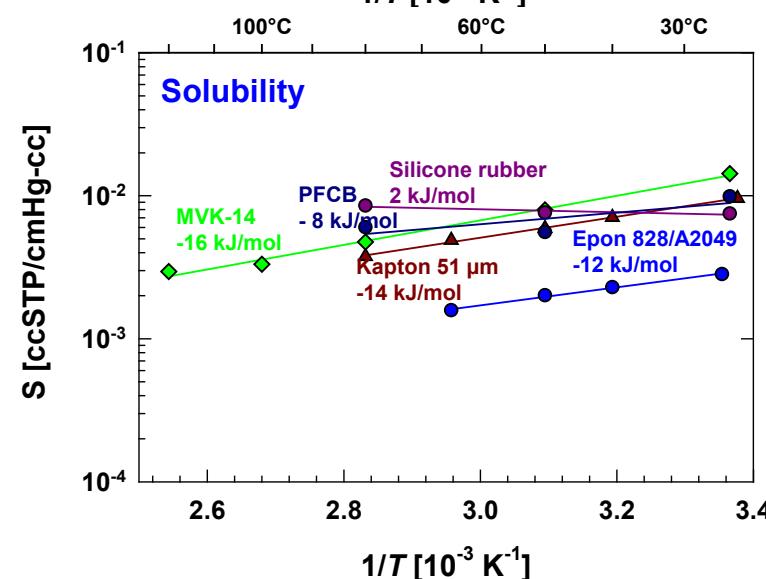
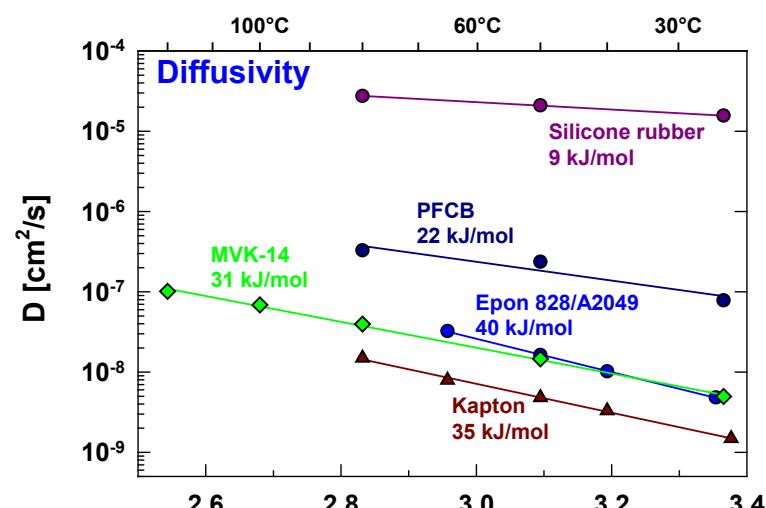
O₂ Permeability – Diffusivity – Solubility



$$P_{ox} = D \cdot S$$

$$E_P = E_D + E_S$$

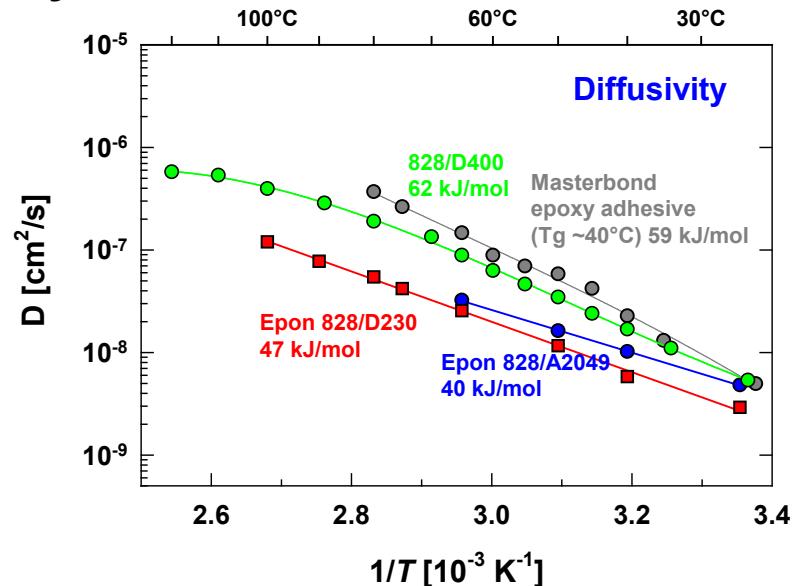
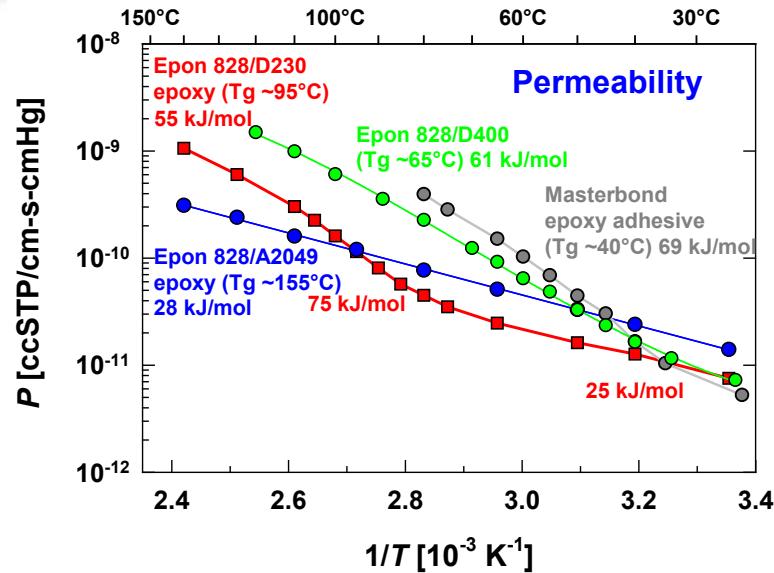
- Ea of 10 to 30 kJ/mol for P
- Ea of 10 to 40 kJ/mol for D
- Reduced solubility with increased T, up to -15 kJ/mol



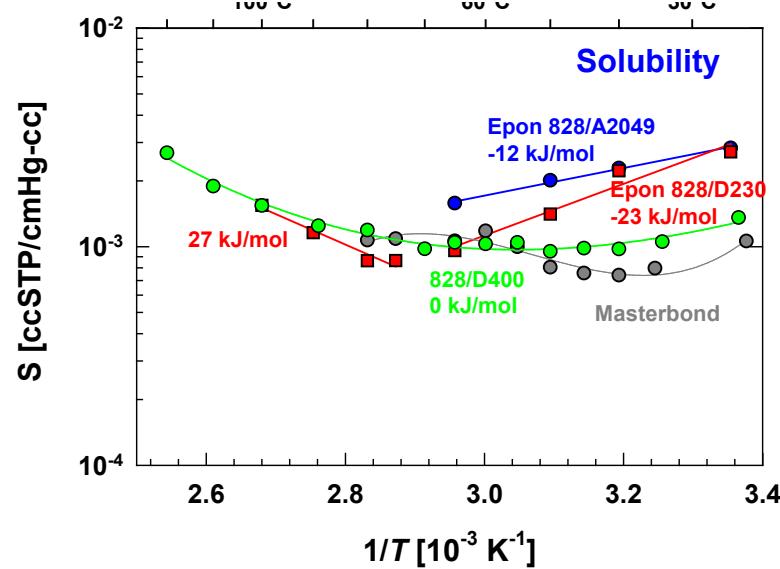
- Succeeded to measure flux and determine P , D , S with temperature
- Excellent Arrhenius behavior below Tg and for silicone

O_2 Permeability – Diffusivity – Solubility

Epoxy systems



- Ea of up to 75 kJ/mol for P
- Ea of up to 60 kJ/mol for D
- Solubility increases above Tg
- Theoretical perspective:
- P is expected to curve at higher T because of non-Arrhenius changes in D and S
- D will curve at $T > T_g$ from free volume theory
- S is expected to be a power function with T



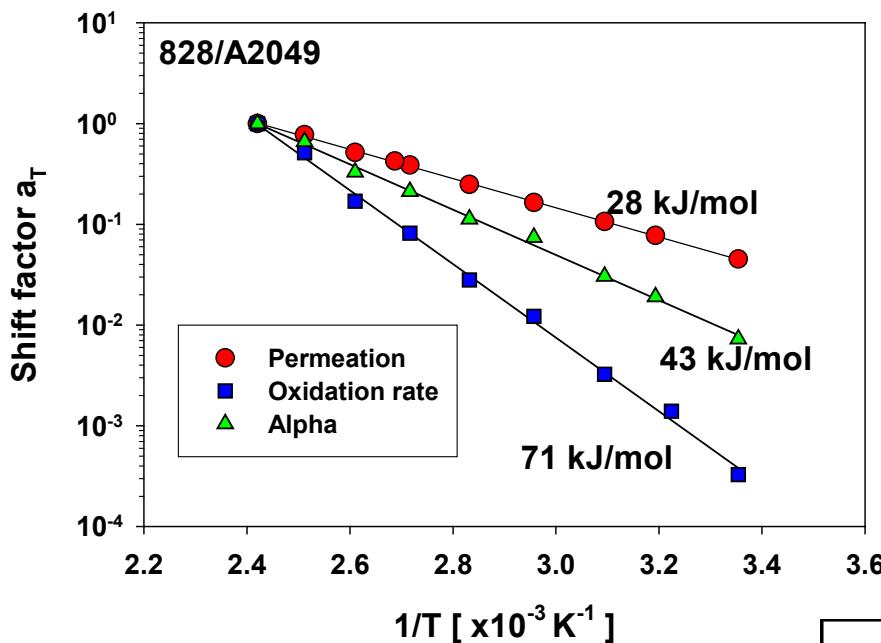
P shows much higher Ea above Tg with reversal in solubility



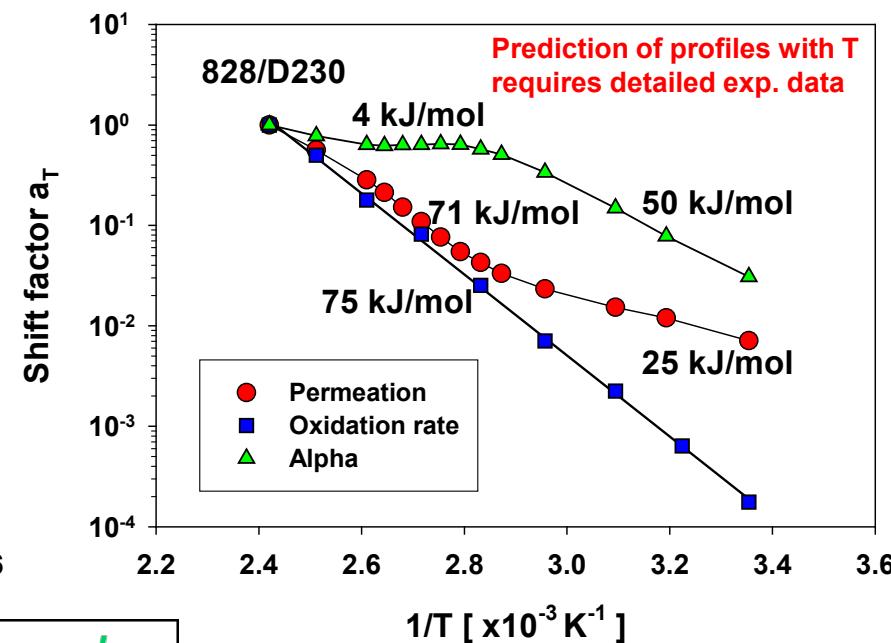
Applications?

Combination of rate and permeability governs depth

- Profile prediction involves the ratio of Φ/P
- If oxidation rate and permeability decrease equally then the resulting profiles remain identical, yet different absolute oxidation levels evolve (governed by oxidation rate)



Well behaved epoxy
Linear Arrhenius behavior of Φ
and consistent change of P



Irregular behaved epoxy system
Linear Arrhenius behavior of Φ ,
but Tg affects transition in P

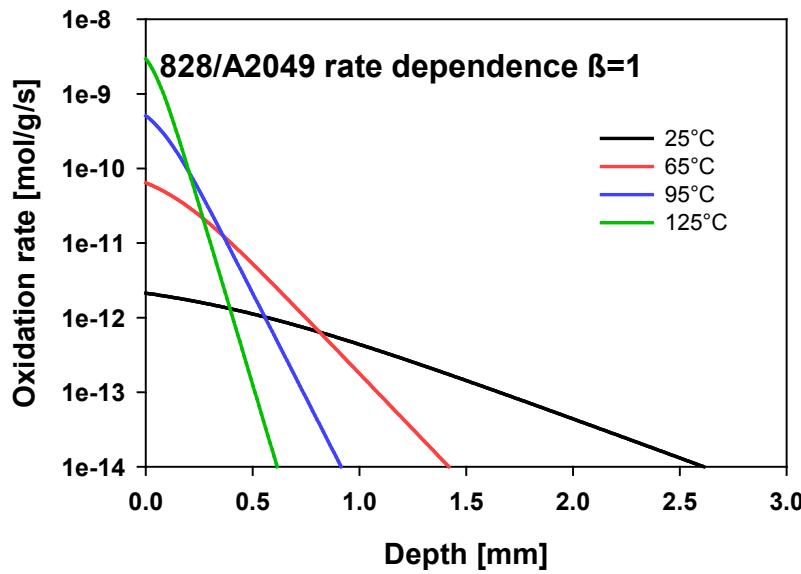
$$\alpha \propto \frac{\phi}{P_{ox}}$$

$$E_\alpha = E_\phi - E_{P_{ox}}$$

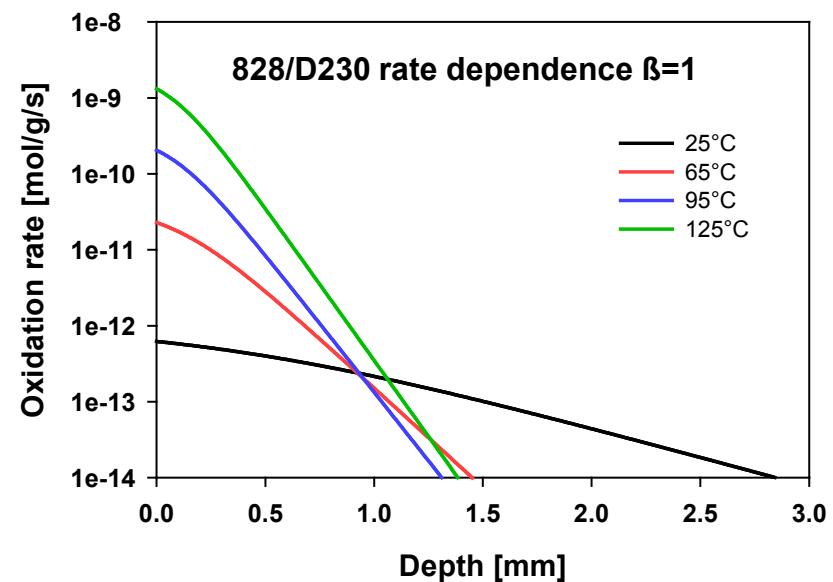
First results showing that Φ and P can have similar Ea in a specific T range

Oxidation profile formation – T dependence

- Profile prediction is possible when suitable parameters are available
- For lower temperatures oxidation rates and permeability drop, but oxidation rate decrease faster (higher E_a), resulting in more oxygen to diffuse deeper into material



Well behaved epoxy
Linear Arrhenius behavior of Φ and
consistent change of P

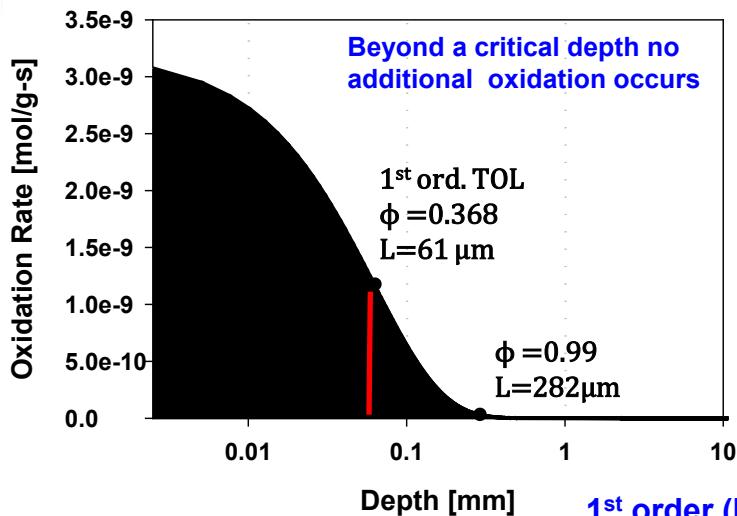


Irregular behaved epoxy system
Linear Arrhenius behavior of Φ ,
but T_g affects transition in P

- Dynamics of P , Φ temperature dependence controls profile formation
- With lower T the profiles are generally less steep and deeper
- T_g and its impact on P , Φ can significantly affect profile shapes

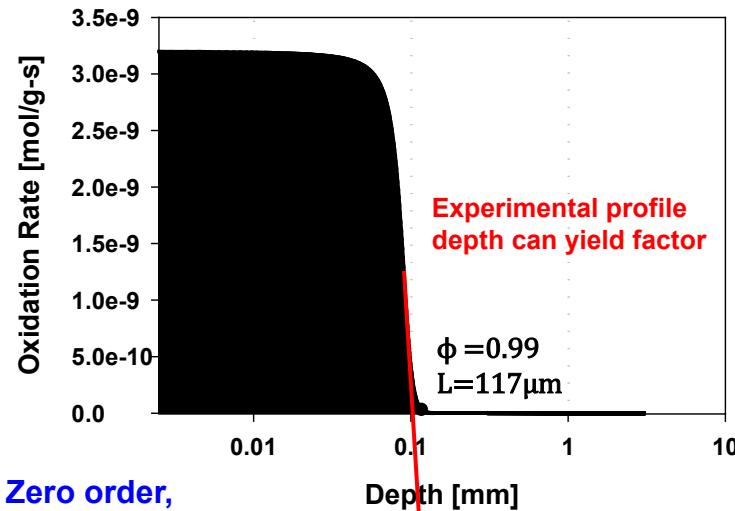
TOL – Total Oxidized Layer

Epon 828 / Ancamine 2049 at 125°C ($\square=0$)



If P_{O_2} is at kinetic saturation
 $\beta > 1$

Epon 828 / Ancamine 2049 at 125°C ($\square=100$)



Zero order,
steep and deep
oxidized layer

$$\text{TOL} \approx \left(\frac{D}{k_1} \right)^{1/2} = \left(\frac{P_{\text{O}_2} p_0}{\phi} \right)^{1/2}$$

*Pseudo 1st order: $\phi = k_1 C_s$

$$\text{TOL} \approx \nu \left(\frac{D}{k_1} \right)^{1/2}$$

$$*0^{\text{th}} \text{ order approx: } \nu = \left(2 \left(1 - \frac{C_c}{C_s} \right) \right)^{1/2}$$

- Discussion of mathematical basis:

- Audouin L, et al. Role of oxygen diffusion in polymer aging: kinetic and mechanical aspects. *J Mater Sci* 1994;29:56

- Kiryushkin SG, Shlyapnikov YA. Diffusion-controlled polymer oxidation. *Polym Degrad Stab* 1989;23:18

- Used for discussion of aging in elastomers, thermosets and thermoplastics:

- Audouin L, et al. "Close Loop" mechanistic schemes for hydrocarbon polymer oxidation. *J Polym Sci, Part A: Polym Chem* 1995;33:92

- Colin X, Verdu J. Strategy for studying thermal oxidation of organic matrix composites. *Comp Sci Tech* 2005;65:411

- Devanne T, et al. Radiochemical ageing of an amine cured epoxy network. Part II: kinetic modelling. *Polymer* 2005;46:237

- Rincon-Rubio LM, et al. A theoretical model for the diffusion-limited thermal oxidation of elastomers. *Rubber Chem Technol* 2003;76:460

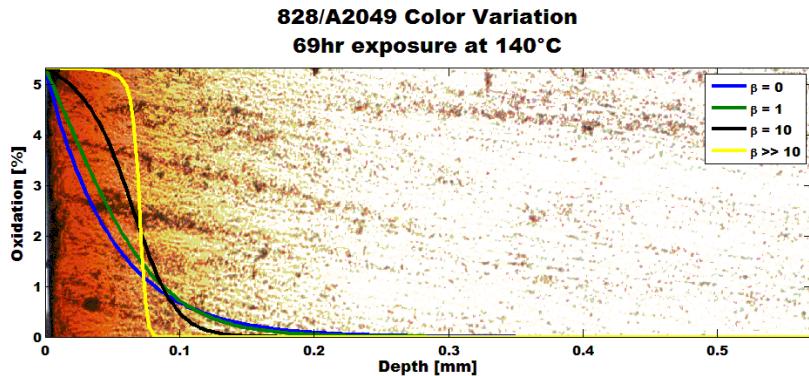
- Richaud E, et al. Diffusion-controlled radiochemical oxidation of bisphenol A polysulfone. *Polym Int* 2011;60:371

- Lc90 used by Gillen et al. (Emphasis on maximum thickness to achieve homogeneous oxidation in accelerated aging)

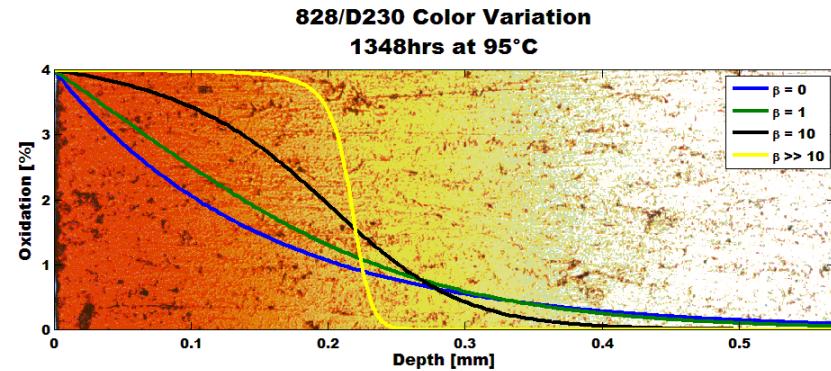
- TOL requires expt. data for aging models; Lc90 & profiles can be predicted based on oxidation rates and permeation

TOL – Total Oxidized Layer - Examples

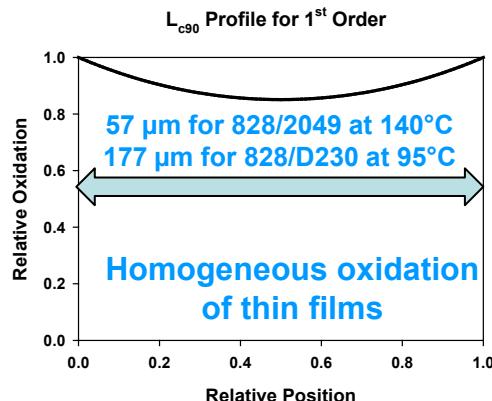
- Actual (discoloration) and predicted oxidation profiles (DLO modeling) are available for epoxy



P_{ox} [ccSTP $\text{cm}^{-1} \text{cmHg}^{-1} \text{s}^{-1}$]	ϕ [$\text{mol g}^{-1} \text{s}^{-1}$]	ρ [g cc^{-1}]
3.10E-10	6.70E-09	1.134
TOL 1st order($\beta = 0$)	49 μm	
TOL zero order ($\beta = 100$)	70 μm	
Lc90 (Gillen definition)	57 μm	



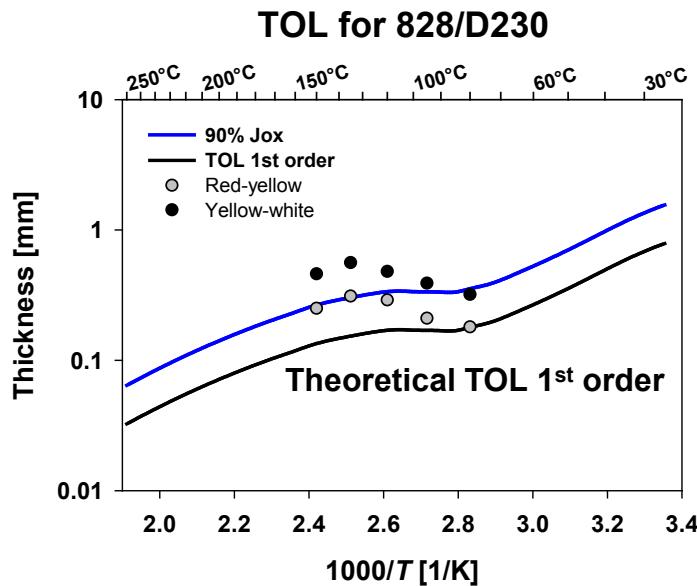
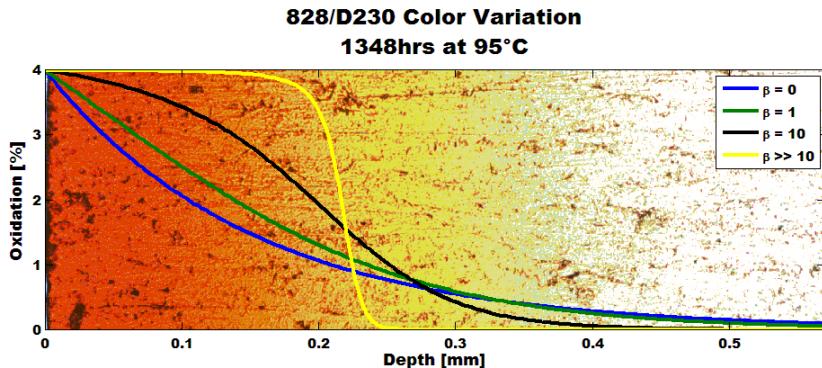
P_{ox} [ccSTP $\text{cm}^{-1} \text{cmHg}^{-1} \text{s}^{-1}$]	ϕ [$\text{mol g}^{-1} \text{s}^{-1}$]	ρ [g cc^{-1}]
1.15E-10	2.57E-10	1.148
TOL 1st order	152 μm	
TOL zero order	248 μm	
Lc90 (Gillen definition)	177 μm	



TOL depends on kinetic regime, at high O_2 pressure the profile is steeper

TOL – Total Oxidized Layer - Examples

- Degradation gradients and predicted oxidation profiles (DLO modeling) are available for epoxy



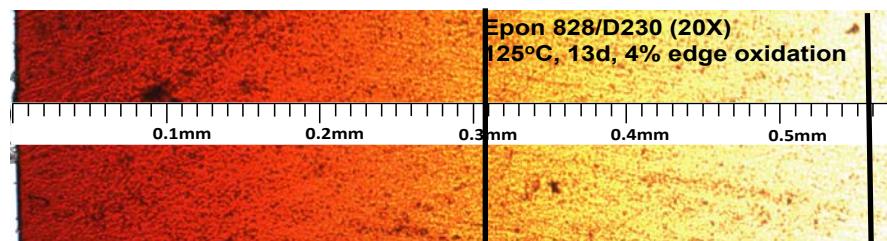
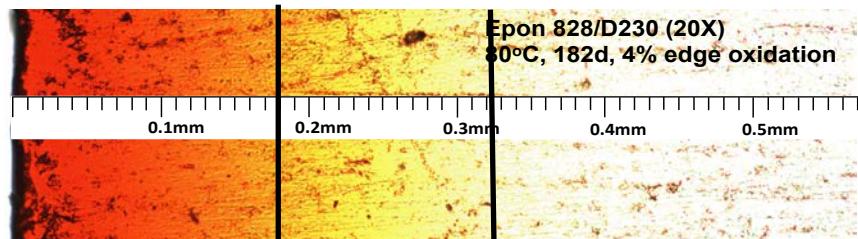
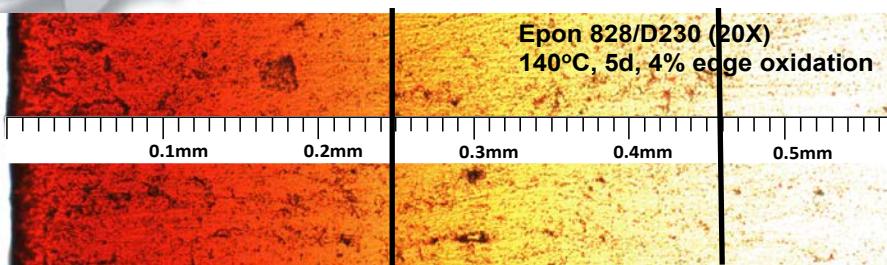
$$TOL \approx \nu \left(\frac{D}{k_1} \right)^{1/2} \quad 0 \text{ order}$$

$$TOL \approx \left(\frac{D}{k_1} \right)^{1/2} = \left(\frac{P_{ox} p_0}{\phi} \right)^{1/2} \quad \text{Pseudo 1st order}$$

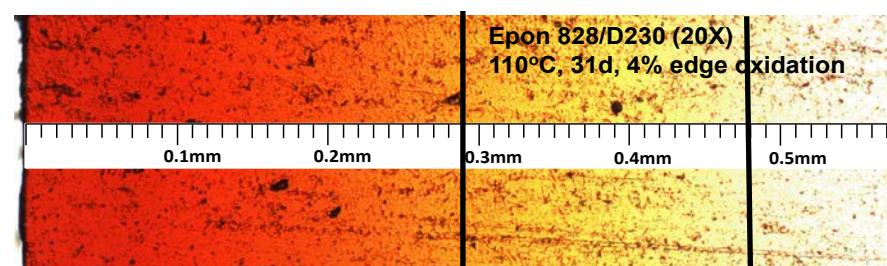
P_{ox} [ccSTP cm ⁻¹ cmHg ⁻¹ s ⁻¹]	ϕ [mol g ⁻¹ s ⁻¹]	ρ [g cc ⁻¹]
1.15E-10	2.57E-10	1.148
TOL 1st order	152 μm	
TOL zero order	248 μm	
Lc90 (Gillen definition)	177 μm	

TOL may be useful for steep profiles, generally is conservative

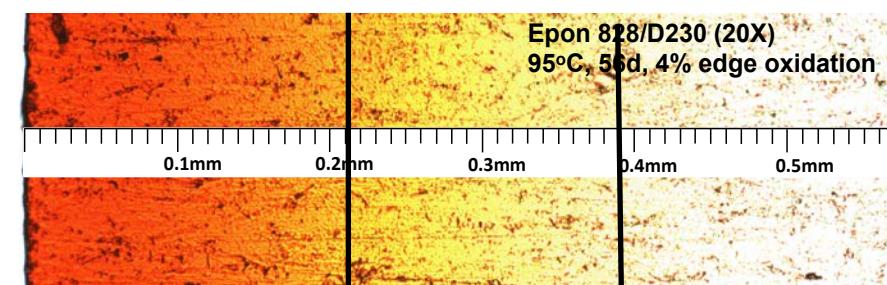
Visual degradation in 828/D230 system 140 - 80 °C



828/D230 system to ~ 4% edge oxidation (20X)



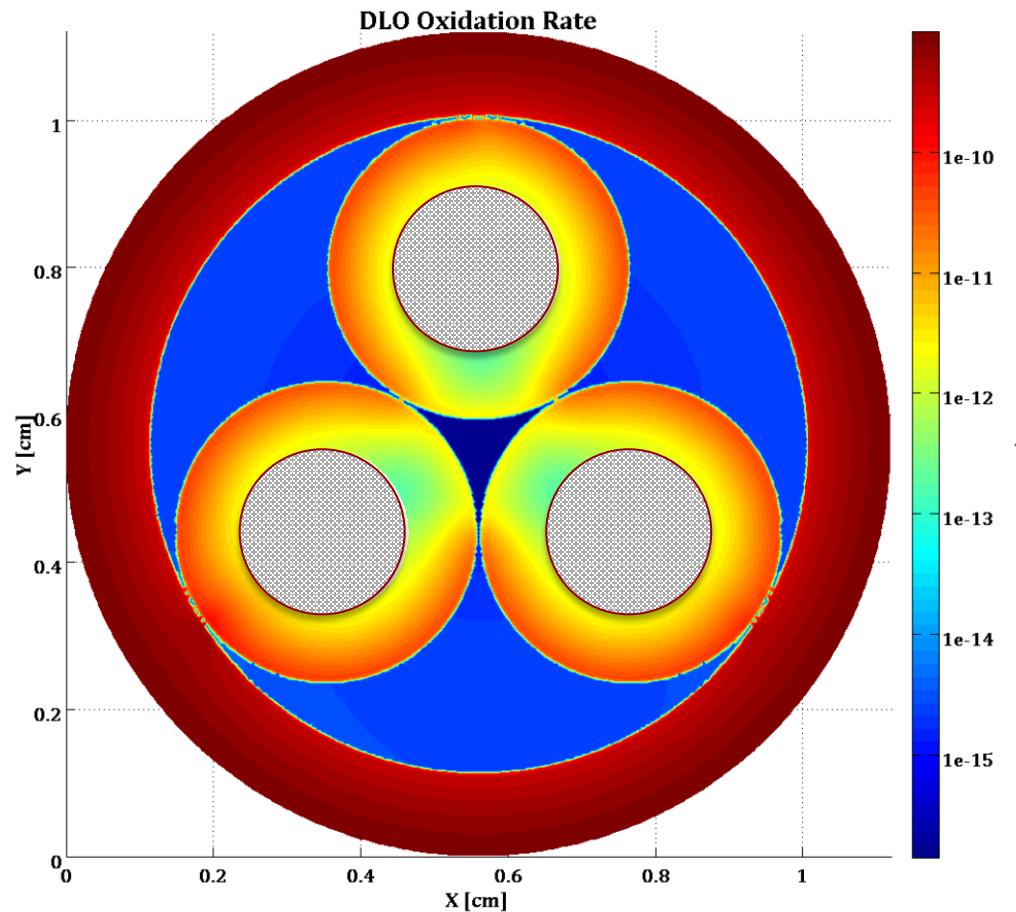
T [°C]	L1 [mm]	L2 [mm]
140	0.25	0.46
125	0.31	0.56
110	0.29	0.48
95	0.21	0.39
80	0.18	0.32





Modeling of cable assembly degradation

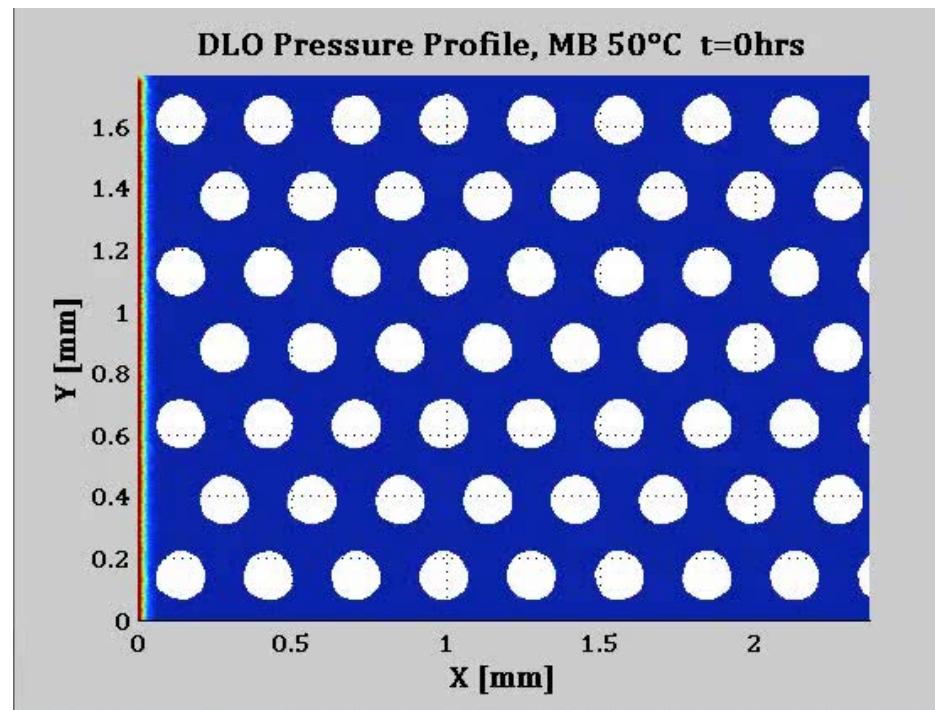
Permeability is key input into FEM codes



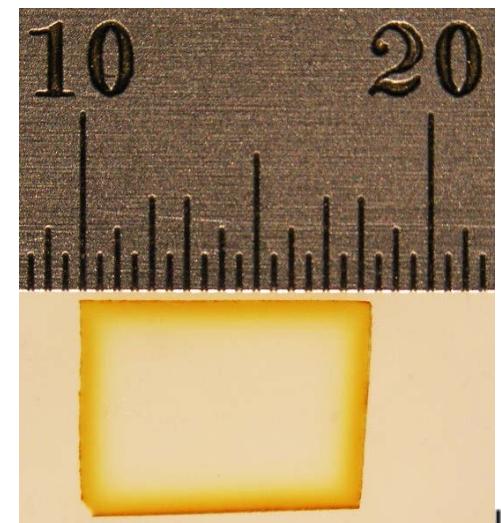
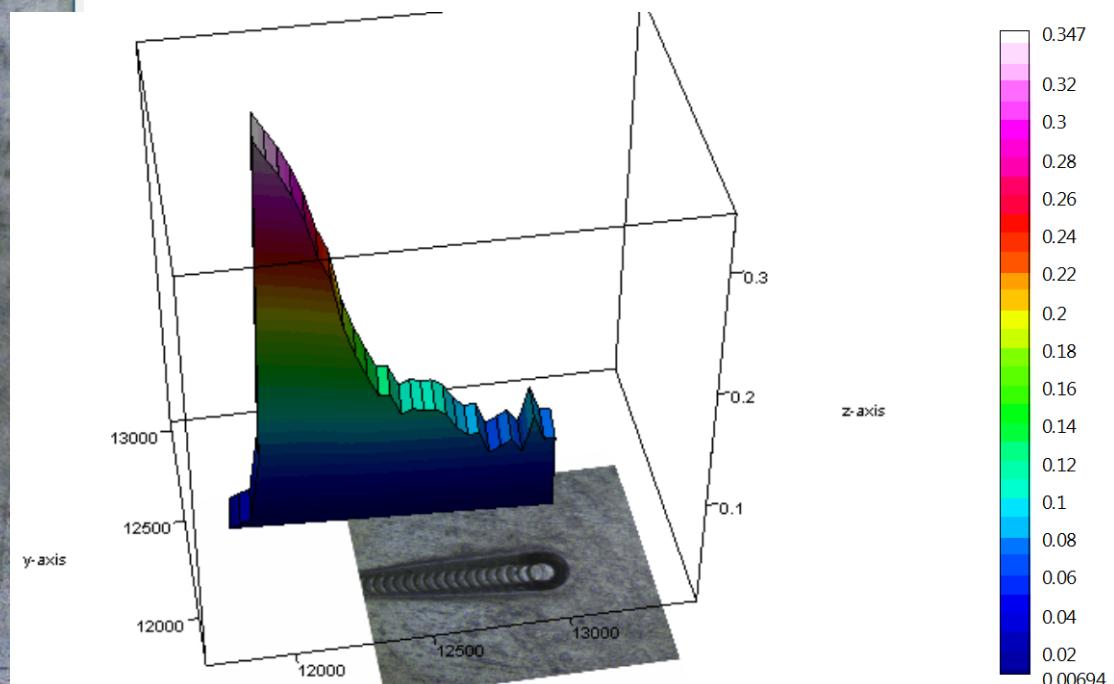
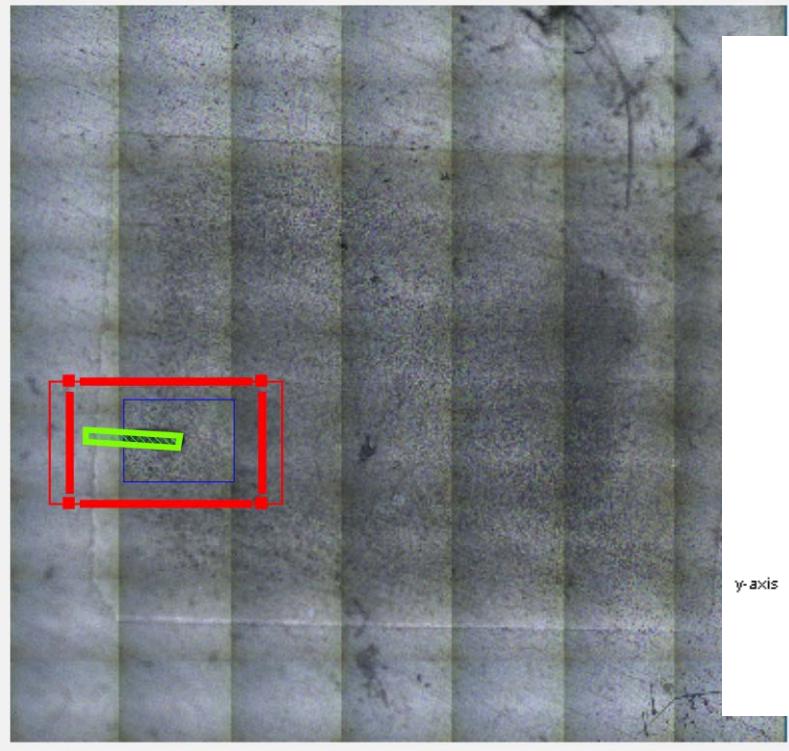


Modeling of DLO evolution

Approach towards non-equilibrium conditions



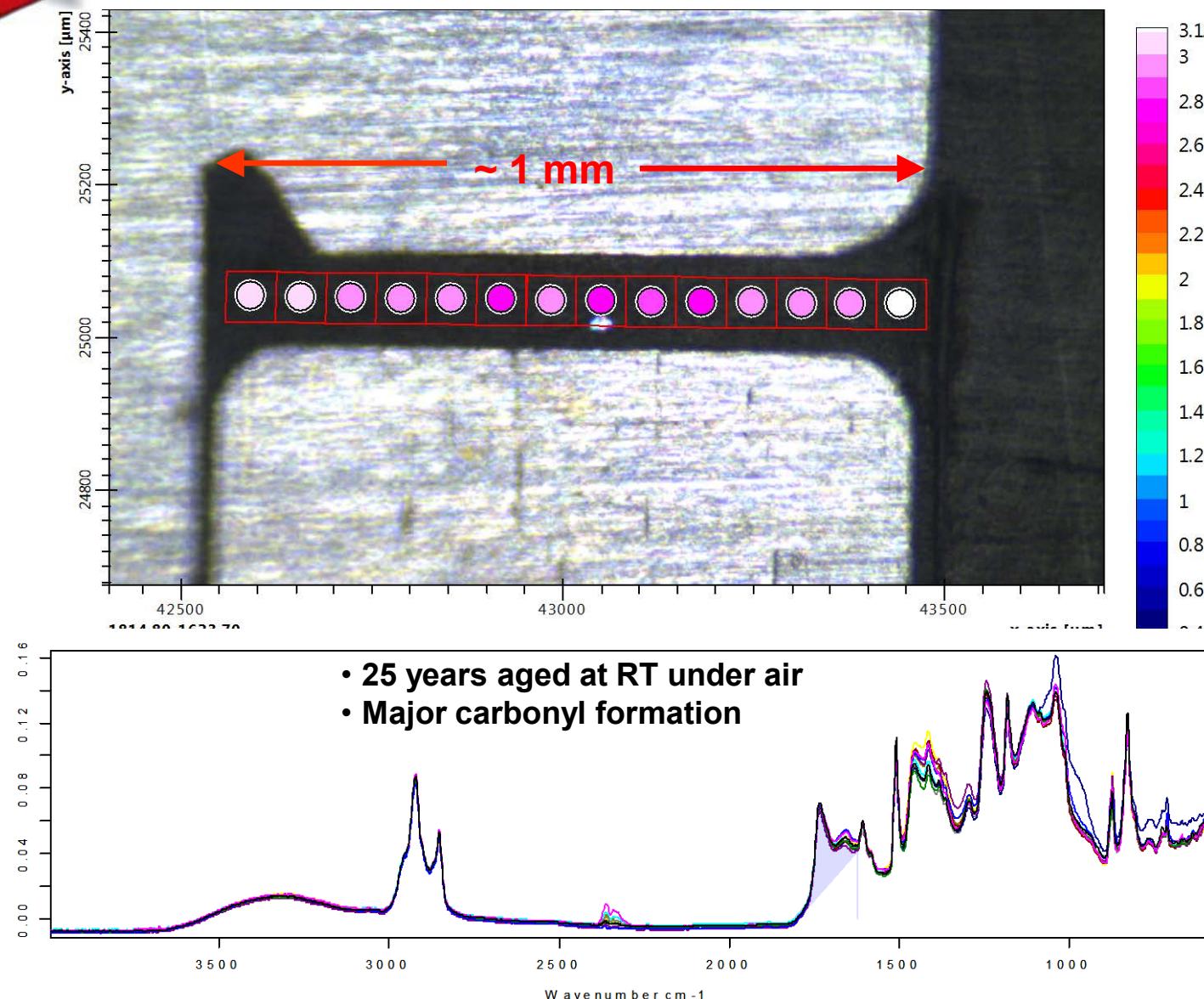
Carbonyl imaging, epoxy adhesive



- Master bond adhesive, aged 30 days at 105°C
- DLO profile less than 1mm, significant carbonyl decay in 500 micron
- IR picks up 'chemical' degradation profile which correlates with color

Thermo-oxidatively aged epoxy adhesive specimen

Carbonyl imaging of epoxy bond line



Highly aged (oxidized) epoxy adhesive at RT



Summary

- Customized commercial detector system for high T experiments
- New flux data analysis with reactive term for diffusion mathematics
- Obtained extensive P data set for multiple thermoset materials
- Extracted D and S where possible
- T_g appears to affect solubility more than diffusivity

- We have obtained input parameters for advanced DLO degradation models
- We better understand oxidative aging of thermosets

- Impact: Ability to predict material oxidation behavior in complex geometries

Instrumental range

- Detector sensitivity, film area, thickness, partial pressure
- 0.0035 ppm 1 cm² 20 µm 6.6 cmHg (0.5*air)
- 70 ppm 50 cm² 2 mm 63 cmHg (O₂)
- Factors:
20000 50 100 10
Total 10⁹
~ 9 orders of magnitude