



WIP Presentation



Modeling of Natural Gas Networks for Consequence Analysis

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0:00-0:30

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Problem Statement

- What are the consequences of a disruption to one or more components of a natural gas infrastructure network?
 - Examples
 - Victoria AU, September 1998
 - New Mexico & Arizona, February 2011
 - Texas, February 2021
 - Concerns
 - Integrated (multi-organizational) networks with contractual requirements for delivery
 - Different classes of consumers that depend on that network, with defined priorities for delivery
 - Duration and magnitude
 - Hopes
 - Multi-organizational structure can create opportunities to reduce impact

Approach

- Leverage the processes employed by Corbet et al, 2018* for petroleum infrastructure
 - Develop a reduced-form network relative to the entire natural gas network
 - Nodes with a potential s_i (injection rate q_{si} , demand rate d_i)
 - Edges with a capacity c_{ij}
 - Satisfy demand subject to mass balance and capacity constraints

$$q_{ij} = c_{ij} f((s_i - s_j)u_{ij}) \quad (1)$$
 - Flow rates given by $f(x) \equiv 1 - e^{-x} \quad (2)$
where u_{ij} is a utilization parameter and
 - In equilibrium, net flow at each node i is 0:

$$\sum_j q_{ji} + q_{si} - d_i = 0 \quad \forall i \quad (3)$$
 - The equilibrium solution is obtained by solving equations (1) – (3).
 - Treat nodal storage as variation in line pack of compressible gas in connected

*Corbet, TF, W Beyeler, ML Wilson, and TP Flanagan (2018). A model for simulating adaptive, dynamic flows on networks: Application to petroleum infrastructure. Reliability Engineering & System Safety 169: 451-465.

Approach

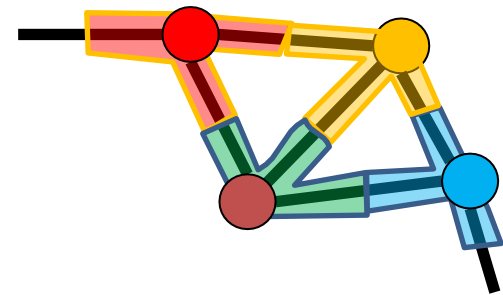
- Transient case: Net inflow into a node results in accumulation of stored fluid:

$$\sum_j q_{ji} + q_{si} - d_i = \frac{dv_i}{dt}$$

$$= \frac{v_i^T p}{2b} \left[\frac{1}{2} \left\{ 1 + \frac{(\frac{s-a}{b})}{\left[1 + (\frac{s-a}{b})^2 \right]^{\frac{1}{2}}} \right\} \right]^{p-1} \left[1 + (\frac{s-a}{b})^2 \right]^{-3/2} \frac{ds_i}{dt} \quad \forall i$$

(where p , a , and b are storage parameters)

- Responsiveness and customer utilization parameters allow examination of a range of operator responses
- But gas is compressible!
 - Treat nodal storage as variation in line pack of compressible gas in connected pipelines



Progress, Insights & Questions

- Applied to the February 2011 “Big Chill” case
 - Modeled using data from multiple sources (FERC Form 567, FERC/NERC Report, NMPRC report) – primarily EPNG network impacted
 - Balanced to FERC Form 567 coincident day data
 - Receipt and delivery information on a single day at all points on the network used to ensure network structure was correct and model reproduced that result
 - Analyzed to compare results at demand points downstream of disruption in TX



NetFlow Dynamics Natural Gas Network for TX/NM/AZ

- Thoughts, feedback and questions welcome

3:30-5:00