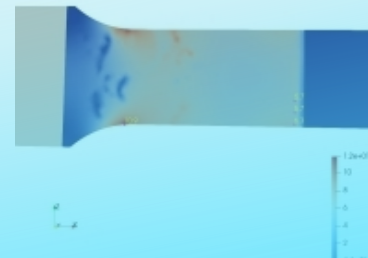
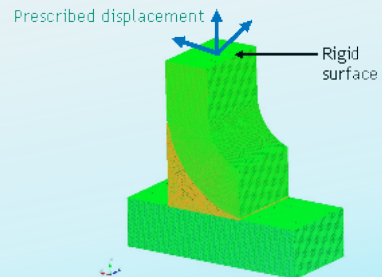




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Comparison of Weld Fatigue Methods and the Use of a Multi-Scale Method



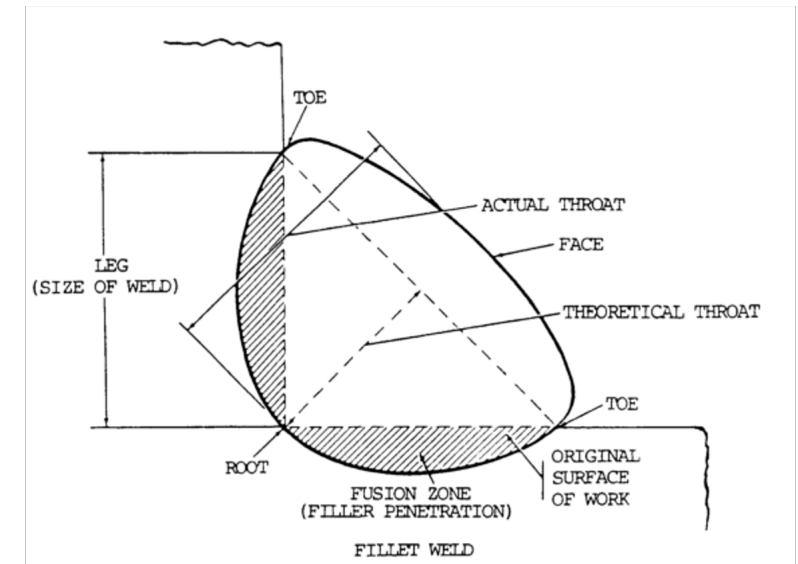
David Najera-Flores², Adam Brink¹, James Freymiller² and Michael Ross¹

Submission #74358
IDETC-CIE 2021 Conference
August 17-20, 2021

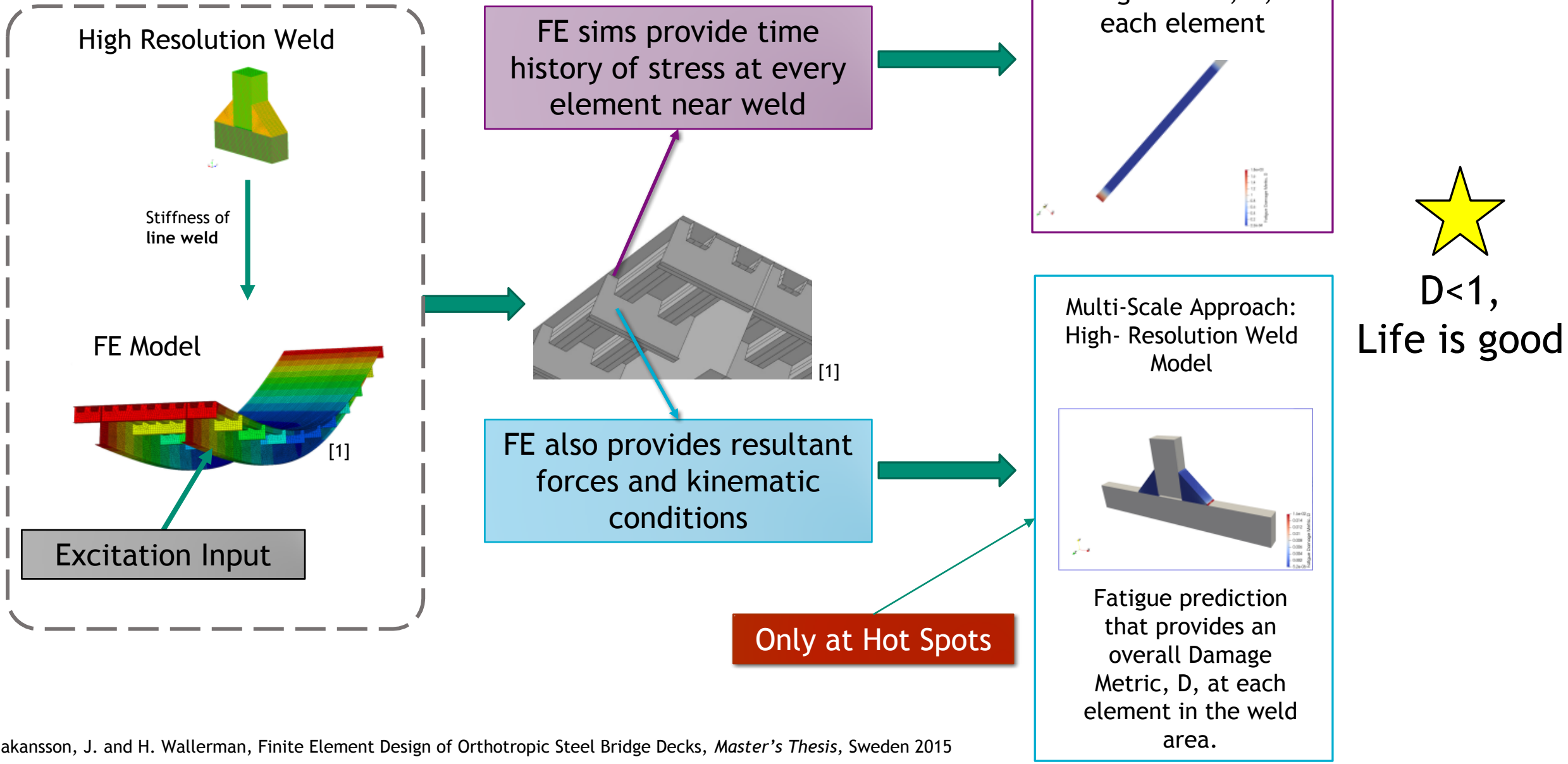
Overview



- Given a large model with several welds, we are asked to determine the fatigue/service life requirement.
- The environments are general transportation environments for the system
 - Random Vibration & Shock
- A *Line Weld* element is used to represent the stiffness of the weld
 - A multi-scale method is used to develop the stiffness for the low-resolution model of the system
- Generally weld failure is seen at the toe of the weld
 - We use ASME Boiler Pressure Vessel Code, Elastic-Plastic fatigue method for the elements at the toe of the weld
- Failure is checked in the weld with a multi-scale method to represent the weld with a high-resolution model and boundary conditions passed to the high-resolution model
- A simple fillet weld example is explored in this talk

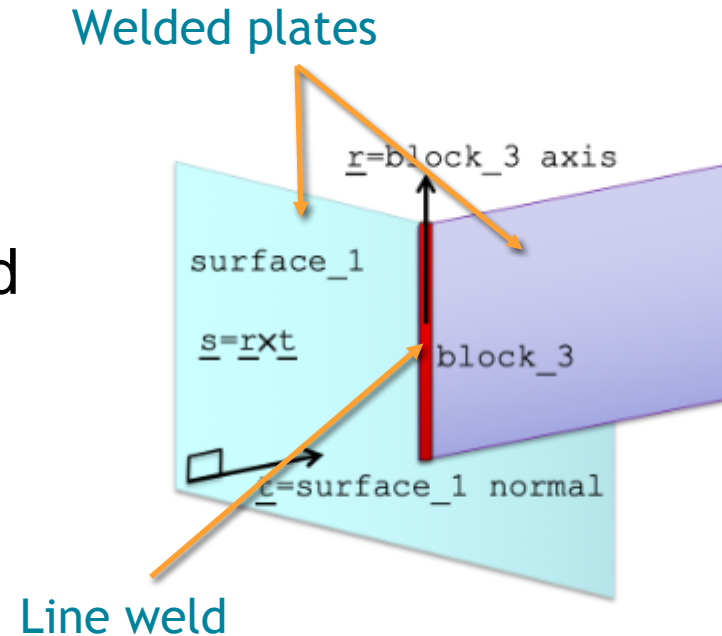


3 Fatigue Analysis Workflow



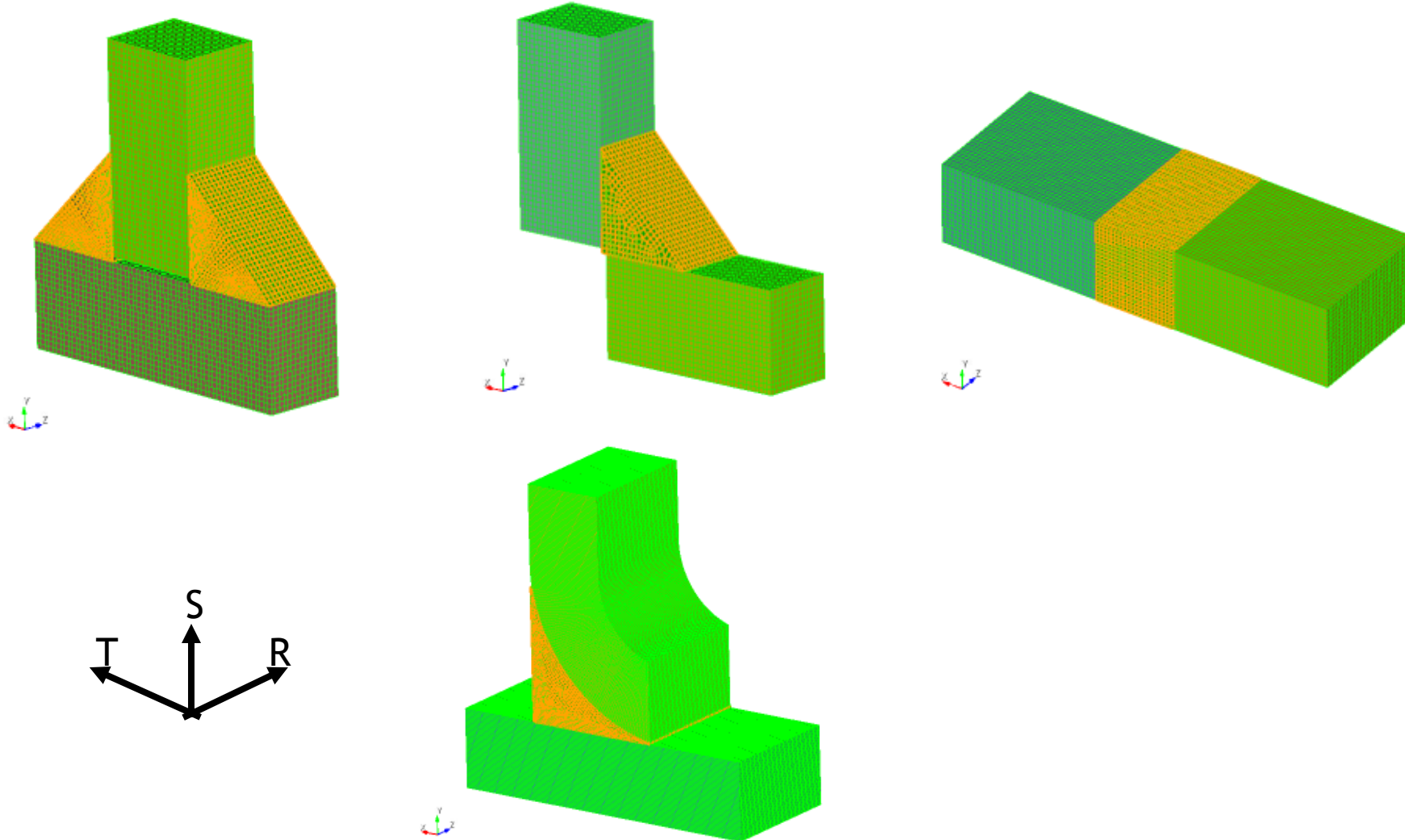
Weld Stress Calculations: Line Load Forces

- Force orientation
 - R force along weld (aligned with 1D element)
 - T force normal to sideset used in line weld definition
 - S right hand rule
 - R moment (torsion along length of weld)
- All forces are force/length



Line weld is contiguously meshed to purple plate.

Development of High Fidelity Weld Submodels

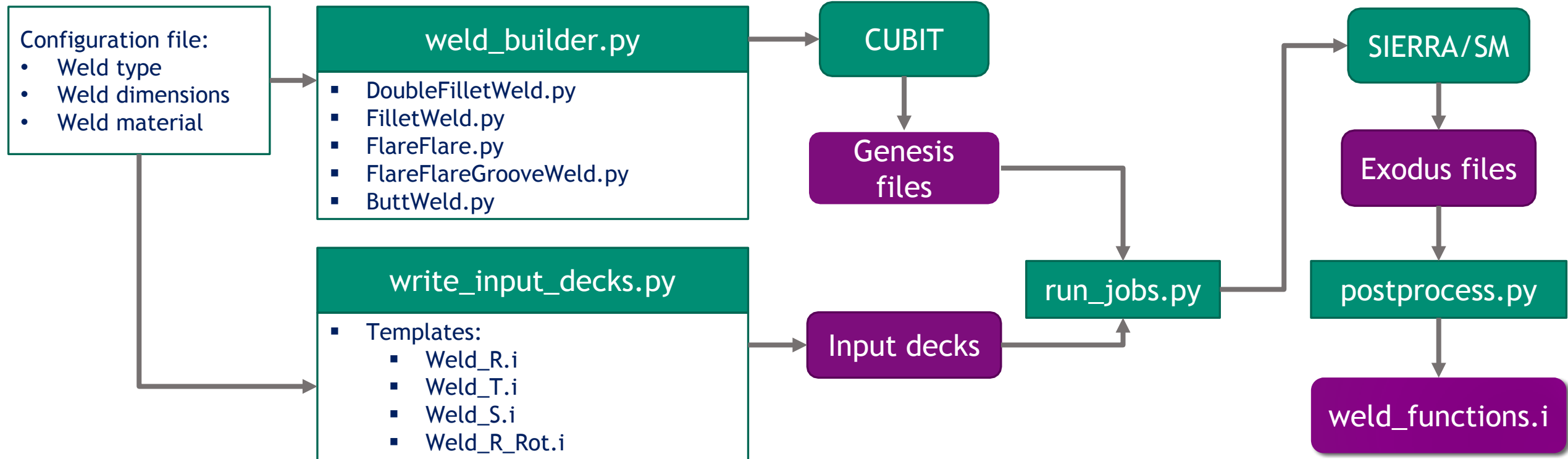


High-fidelity weld submodels were created to apply loads in Sierra/SM and determine the weld stiffness to define *line weld* stiffness functions in Sierra/SM.

The weld had a minimum of 20 elements across the weld depth.

A 0.1 inch section was modeled to reduce runtime.

Model Development Process

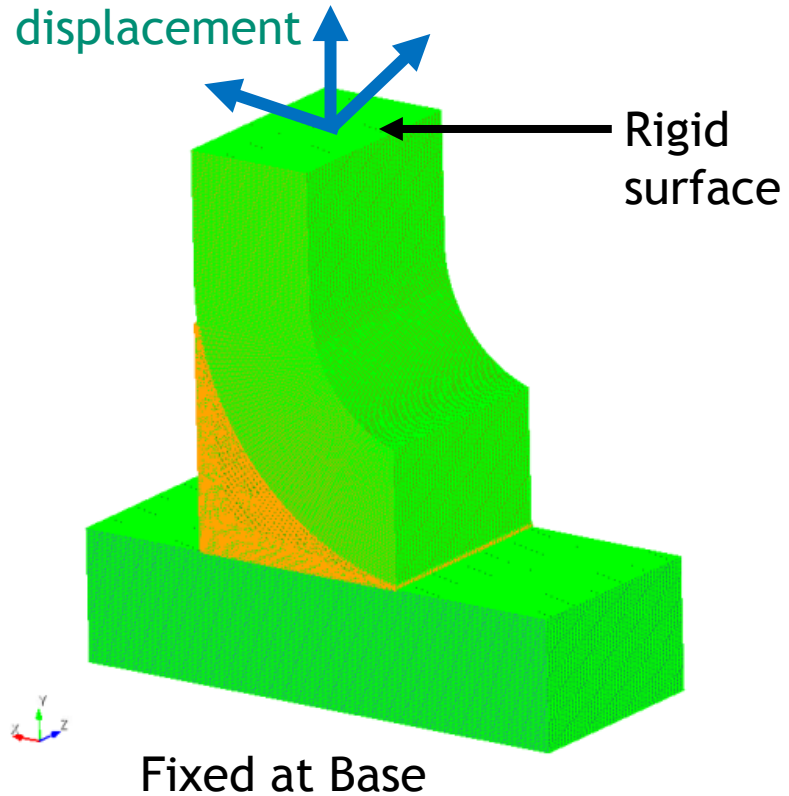


The weld model generation workflow was scripted in Python to automate the mesh and input deck generation, job submission, and postprocessing.



Loads Applied to High Fidelity Weld Models

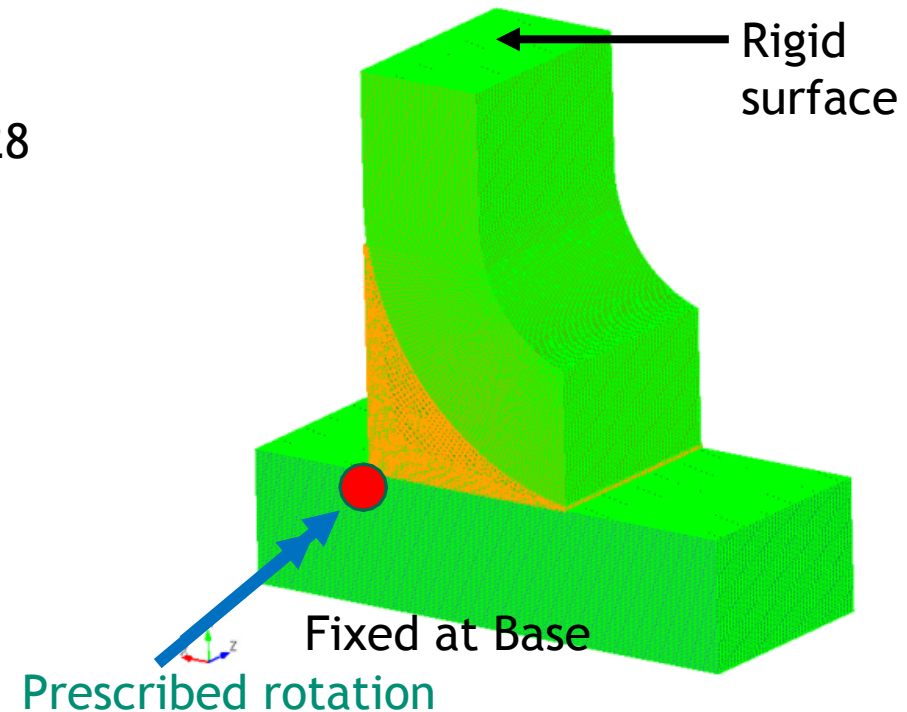
Prescribed displacement



Fixed at Base

Force recovered from rigid body reaction force.
Prescribed displacement = weld size
Prescribed rotation = 45 degrees

228



Fixed at Base

Prescribed rotation

The reaction force/moment was multiplied by 10 to obtain the stiffness of a 1.0 inch long section.

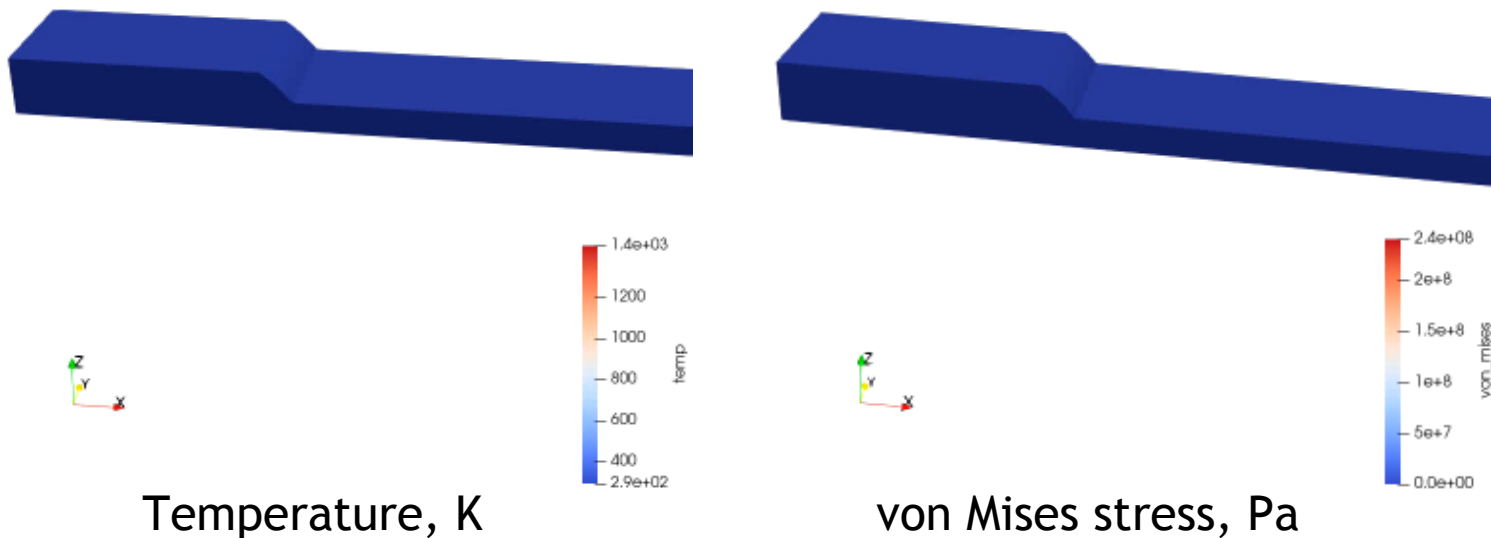
High-Resolution Coupon Model – Residual Stresses



To account for residual stresses, a thermal simulation was conducted to represent the welding process. The thermal simulation was followed by a stress analysis to determine the resulting residual stresses.

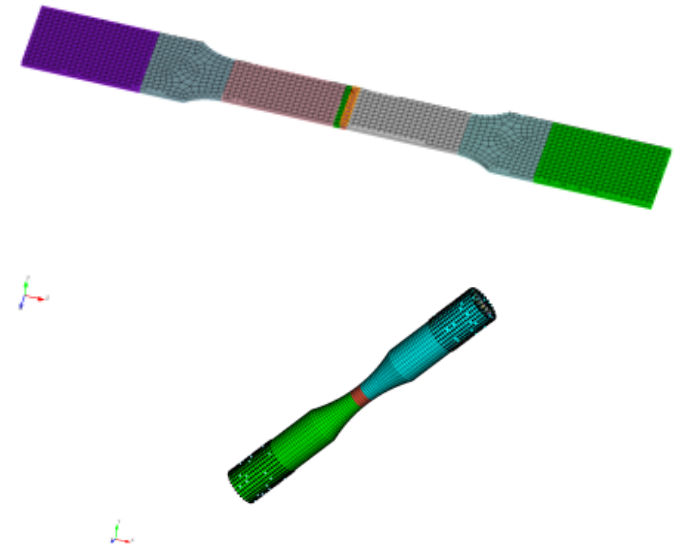
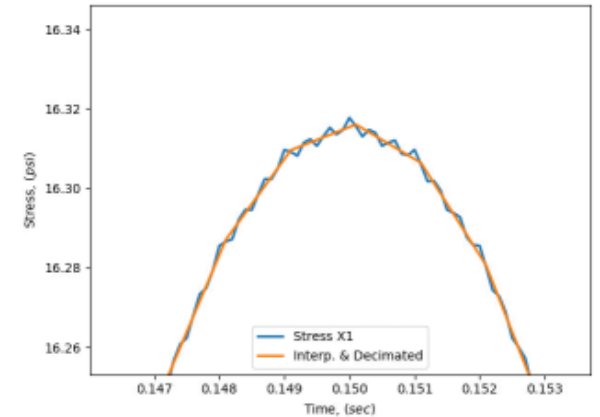
The Bammann-Chiesa-Johnson (BCJ) isotropic elasto-viscoplastic internal state variable model is used for the constitutive SS304L material model.

Notional values were used for the laser properties since that information was not available.



Fatigue Methodologies for Welds

- We have 3 implemented fatigue methods for the weld
 - ASME BPVC fatigue methodology: Elastic-Plastic, and Weld Hot Spot
 - Signed von Mises Approach
- With all these methods we implement a filter to remove numerical high frequency chatter above the input Nyquist frequency
- We account for non-zero mean stress with Goodman or Smith-Watson-Topper methods
 - Working on paper for this is novel given the positiveness of von Mises
- We establish credibility in this post processing step with simple regression tests of the codes and comparing to test data
- There are several factors that influence weld fatigue strength: penetration, cold lap size, inner lack of fusion, weld toe transition, porosity, undercut size, heat effected zone, mis-alignment, etc.
 - Without x-ray these have to be accounted for in the S-N data or fatigue reduction factor.
 - We attempt to simulate the heat effected zone



- $\frac{1}{4}$ symmetry high-resolution model
- Low-resolution shell model

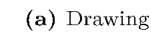
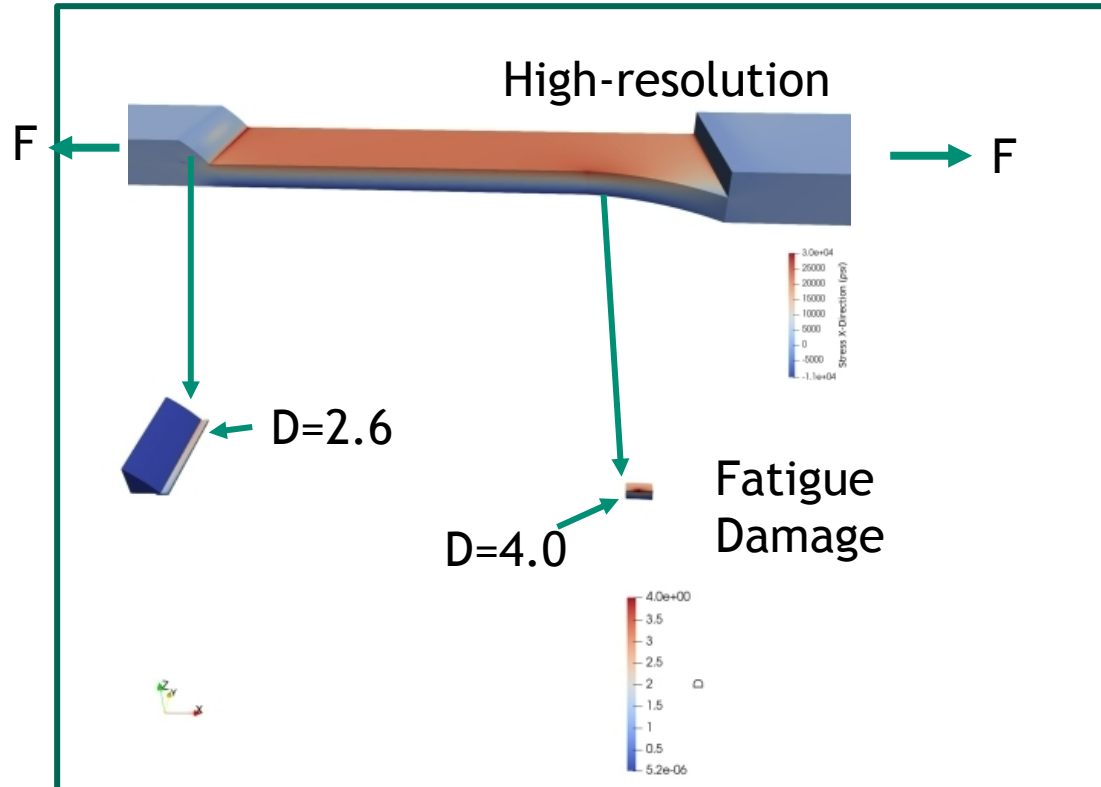


Figure 2: Fillet weld joint specimen.

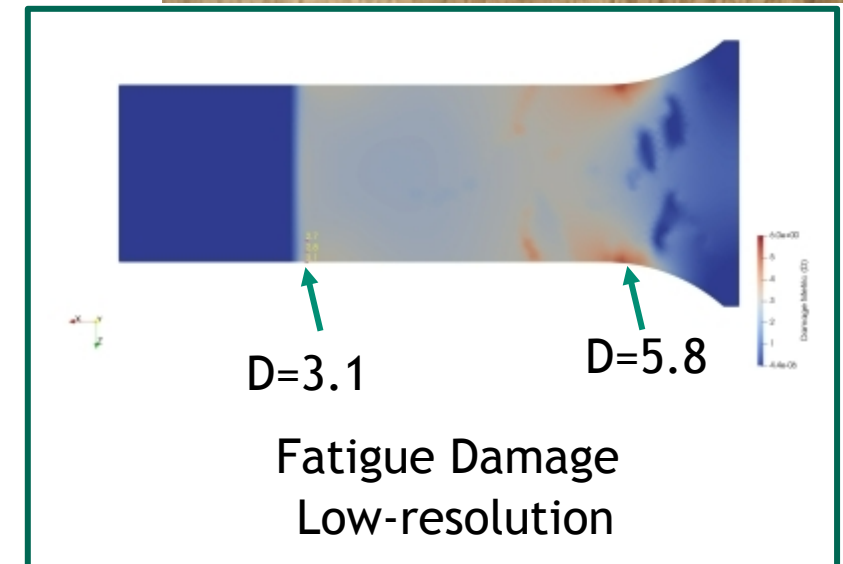
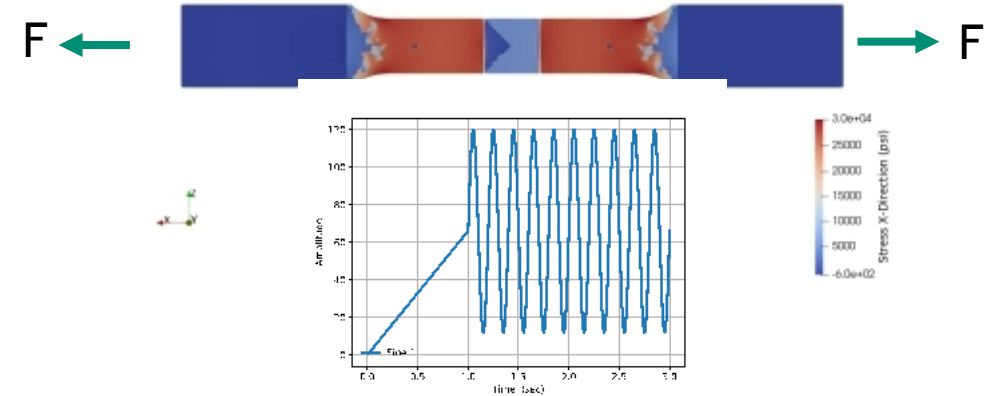


Fillet Weld: Axial Load

- Apply load to get 30ksi at weld in transient stress state with $R = 0.1$
- $K_f = 1.7$
- 429,941 cycles
- No fatigue Damage in Actual Weld, but at toe

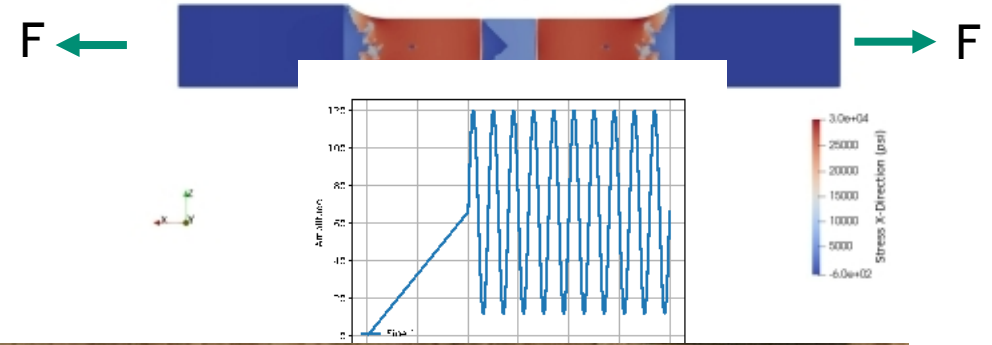


Using S/N curve for Welds throughout



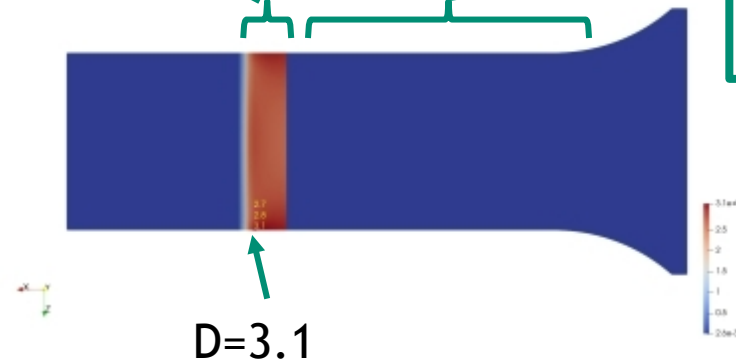
Fillet Weld: Axial Load

- Apply load to get 30ksi at weld in transient stress state with $R = 0.1$
- $K_f = 1.7$
- 429,941 cycles
- No fatigue Damage in Actual Weld, but at toe
- Question comes where do we stop using the S/N curve for the weld and transition to the S/N of the parent material



Using S/N
curve for
Welds

Using S/N
curve for
Parent
Material

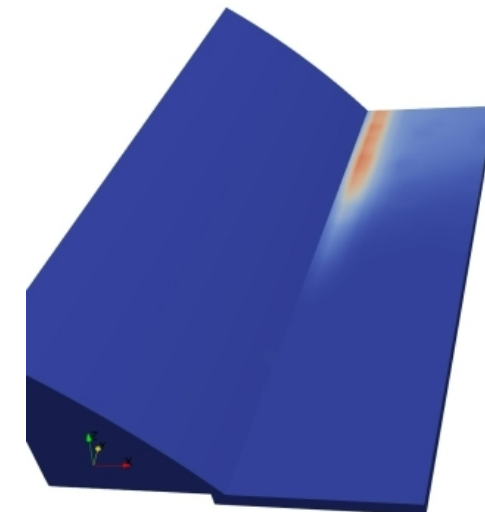
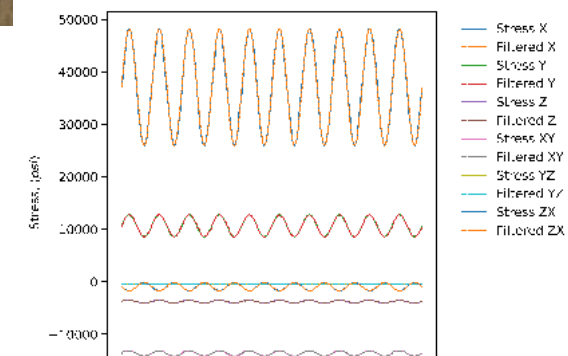


D=3.1

Residual Stress Fatigue Predictions



- Superimpose residual stresses on to load stresses
- Use S/N of Parent material
- Need an additional factor of 1.5 multiplying to stresses to get damage to be seen
 - There is roughly a factor of 4 difference between parent material S/N curve and Weld S/N curve
 - Thus, we think 2.5 is due to residual stress and the other 1.5 is potentially due to "weld defects"
- Heat affected zone is roughly the length of the



Conclusions



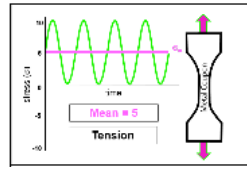
- In this particular example, we observe that the failure of the weld is near the toe of the weld
- The heat affected zone extends from the toe of the weld outwards about the length of the weld in the particular example we looked at.
 - Several factors (material, intensity of heat, etc.) influence this
- Multi-scale process for checking low-resolution model predictions at areas of concern
 - Uses a *line weld* implemented in the SIERRA software
- Future work: Try include other weld defect issues in model



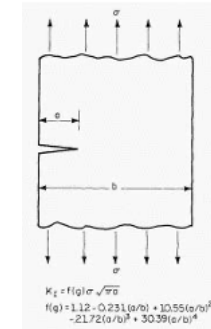
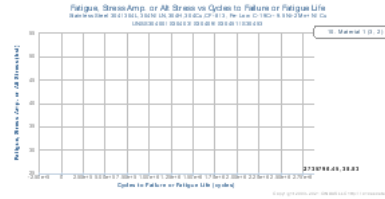
BACK-UPS



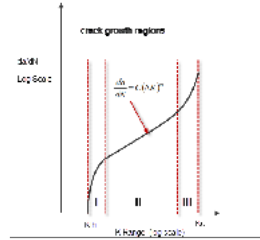
Fatigue Lectures



Stress-Life Cycle (S-N) Approach (Also Strain)



LEFM



Session 1 - Fatigue and Fracture Mechanics

Introduction to Fatigue analysis

High Cycle Fatigue methods

S-N Curve

- Definition and Usage
- Endurance Limit
- Data Sources

Mean Stress Effects

Fatigue Correction Factors

Loading Environment

- Miner's Rule

Low Cycle Fatigue methods – overview

- Strain Life
- True Stress and Strain
- Cyclic Stress Strain history

FEA application of Fatigue Analysis

Homework

Session 2 – Fatigue and Fracture Mechanics

Homework Review

Notch Effects in High Cycle Fatigue

Low cycle fatigue

- Notch Effects
- Neuber Method
- Peterson Method
- Stress Gradient Method
- Worked example
- True stress strain definitions
- Mean Stress Effects

Loading History definition

- Cycle Counting Methods

More FEA implications

Workshops and homework

Session 3 - Fatigue and Fracture Mechanics

Homework Review

Multiaxial Fatigue

- Proportional Loading
- Non-Proportional Loading
- Solution Methods
- Checking Methods

Vibration fatigue

- Review of Random Vibration Analysis
- Apparent Frequency and RMS values
- Stress components
- Von Mises results – caution
- Damage calculation methods

Workshops

Session 4 - Fatigue and Fracture Mechanics

Introduction to Fracture Mechanics methods

Fracture mechanics

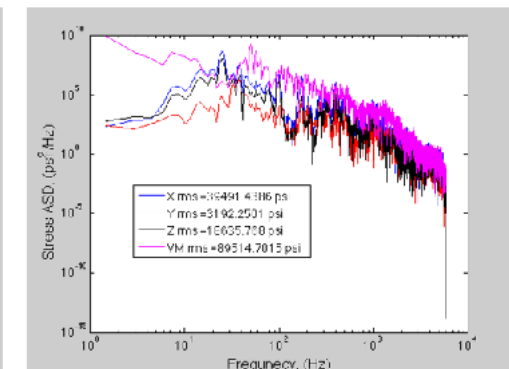
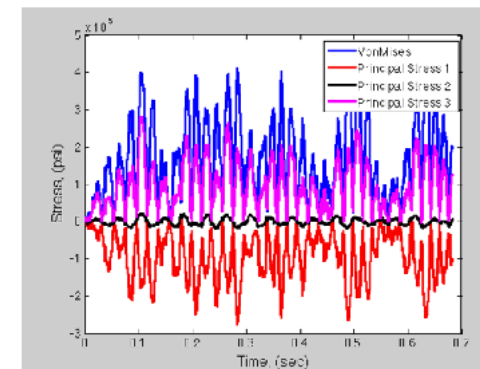
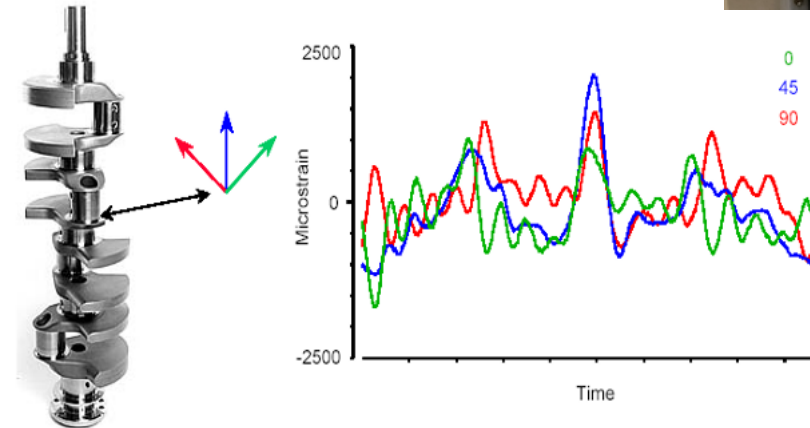
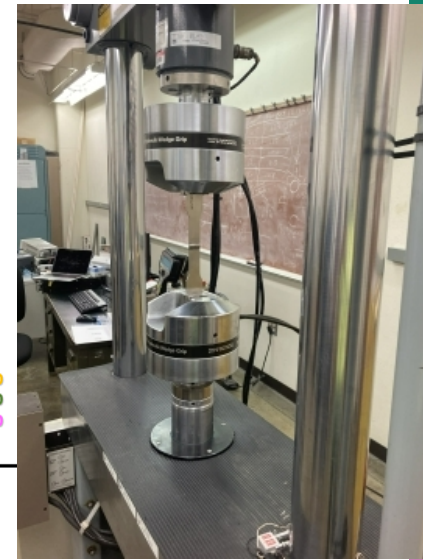
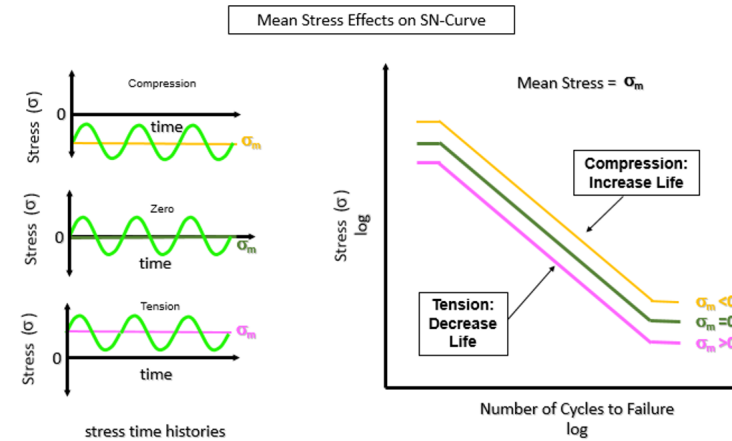
- Crack Loading Modes
- Stress Intensity Factor
- FEA Implementation Methods
- Virtual Crack Closure Method
- Crack growth and re-meshing

Fatigue in Composites

- Overview of Fatigue in Composites
- Micro-mechanical behavior
- Fatigue Prediction
- Practical Applications

Fatigue Stress-Life Approach

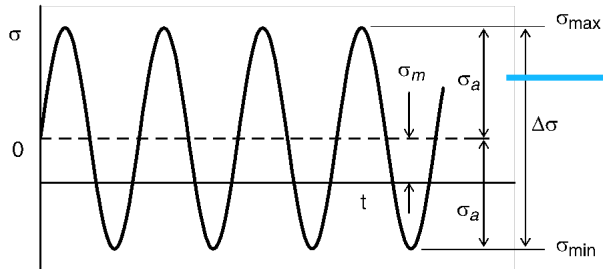
- If the loading was simple and sinusoidal then I could easily compare stress to experiment
- The trick though is with complicated (multi-axial) loading, how do I relate the stress tensor (6 components) to a simple tension fatigue test
 - *Equivalent Stress*
- Get's more complicated with a stochastic process of random vibration.



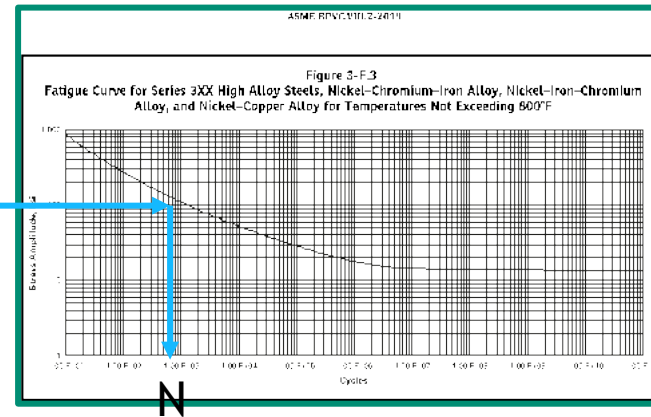
Fatigue Stress-Life Approach



- Ultimately, in some manner we will relate a stress tensor history, $\sigma_{ij}(t)$, in an element to tensile experiment S-N curve.



[6]



- Each cycle gives an *equivalent stress*, Using S-N curve I pick off the number of cycles that *equivalent stress* could last (N),
- Using Miner's Rule we can ultimately form a Damage metric

$$D_{total} = \sum_{k=1}^M \frac{n_k}{N_k}$$



$D < 1$, Life is good