

December 2020 ECP ST Project Review

ECP Project WBS 2.3.3.13 (Clover)



Business Sensitive Information

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Clover/PEEKS-Trilinos: Exascale readiness

- Linear solves is a large fraction of the time in many applications
- Our focus: sparse solvers at large scale
- In particular, Krylov solvers (Trilinos/Belos)
- Reduce communication (CA, pipeline methods)
- Application-specific preconditioners are beyond scope of PEEKS
- Broader Trilinos functionality on exascale architectures will be addressed in Sake (new proj.)

- Major challenges:
 - Overlapping communication and computation
 - Problematic when there are both global collectives and point-to-point
 - GPU-aware MPI, performance is lacking
- Critical dependencies:
 - Kokkos, KokkosKernels
 - Tpetra

- Worked on pre-exascale platforms:
 - Cori: Multicore CPU
 - Summit: Multi-GPU (Nvidia)
- Just getting started:
 - Tulip: AMD accelerators

- Implemented and deployed several new communication-reducing solvers in Trilinos/Belos
 - S-step and pipelined CG/GMRES
 - Single-reduce CGS/MGS orthogonalization
- Low-synch Householder (in progress)
- Polynomial preconditioning (in progress)

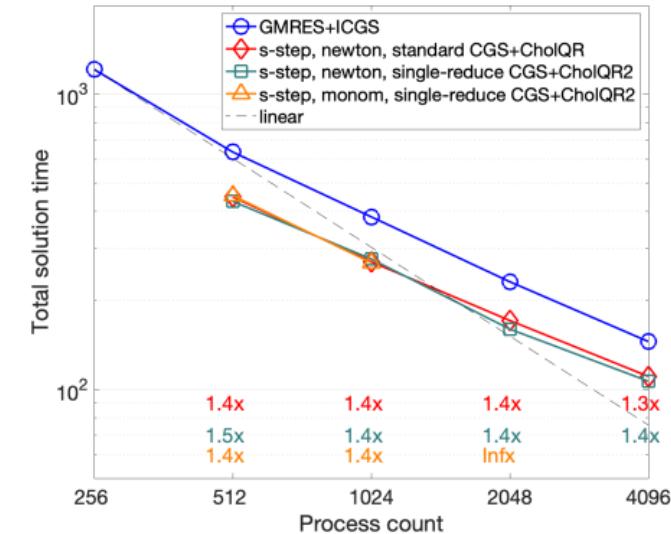
Clover/PEEKS-Trilinos: Capability integration

- ExaWind: Integrated new Belos solvers to reduce communication in linear solves
- ExaGraph: Integrating polynomial preconditioning in spectral partitioner (LOBPCG eigensolver)
- ATDM/SNL: Discussions with Empire and Sparc application teams, already using Trilinos solvers
- xSDK: Any improvements in Trilinos benefit xSDK

- Challenges:
 - Get software stack running on new platforms
 - AD teams currently not using Trilinos are reluctant to try (high startup cost?)

- New s-step GMRES on ExaWind NaLu-Wind problem show 1.4X speedup on up to 4096 cores (Cori)

- KPP-3 values
 - Passing value: 4
 - Present value: 1 (ExaWind)
 - Coming soon: ExaGraph/Sphynx



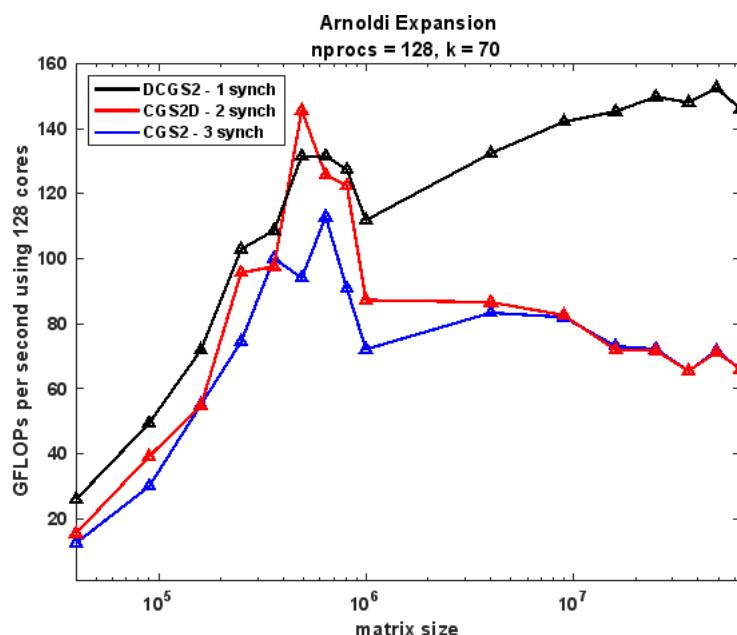
Clover/PEEKS-Trilinos: Portability, performance

- We rely on Kokkos/KokkosKernels for performance portability: CPU, Nvidia GPU, AMD GPU, Intel accelerators
- “Write once, run anywhere” – minimal code changes for new platforms
- Saves valuable human resources (software development time)

- Collaboration with Daniel Bielich & Julien Langou (CU Denver) on low-synch QR/ortho.
- Currently CPU, GPU in progress

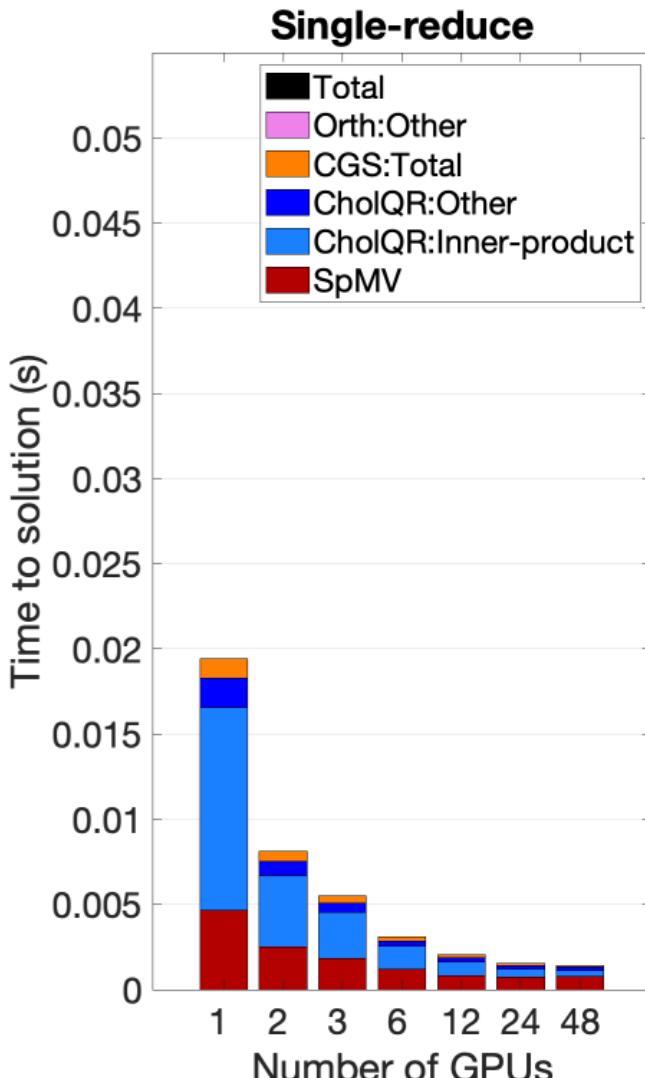
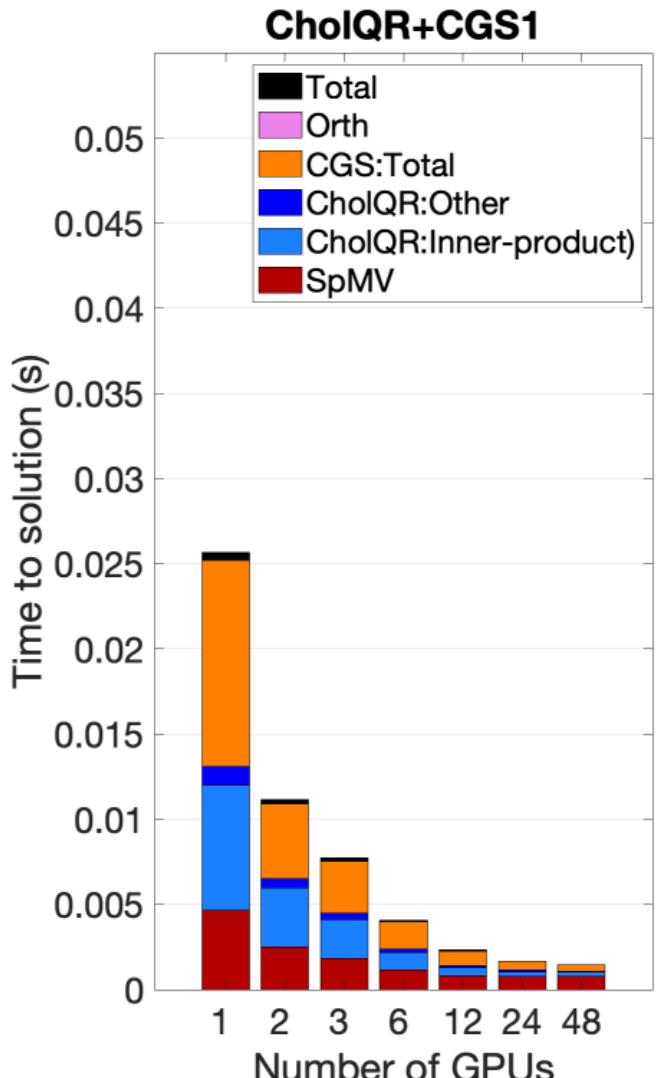
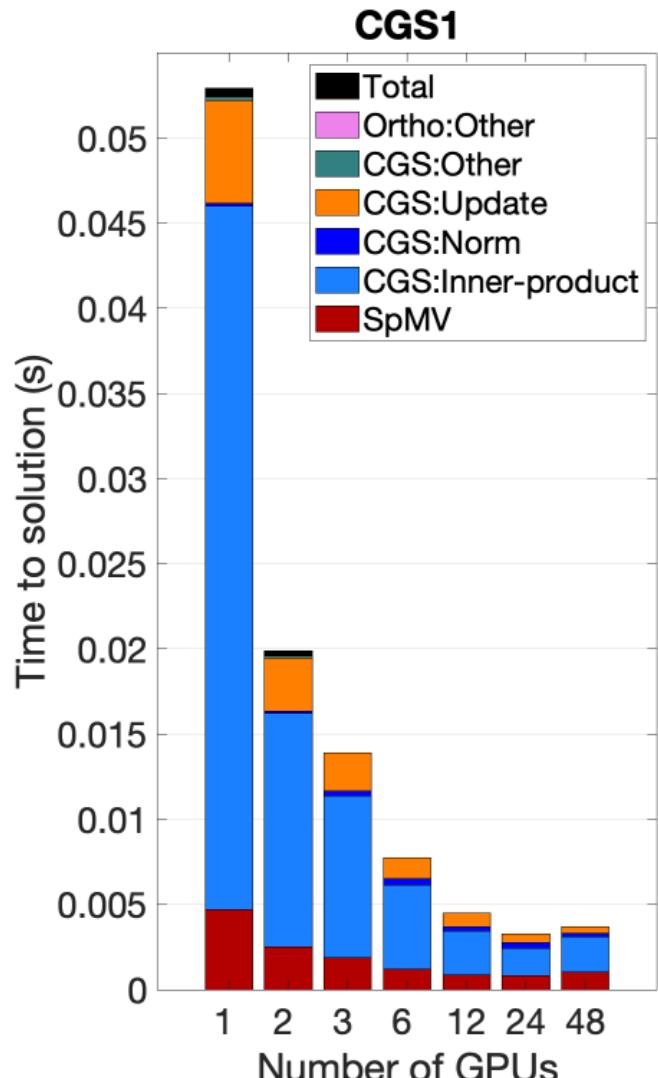
- Focus performance on these areas
 - Reduce inter-node communication
 - Overlap communication and computation
 - Use optimized kernels on node (KokkosKernels, BLAS)
- For Krylov methods, most flops are in orthogonalization (Gram-Schmidt)
 - This can benefit from accelerators

- Future challenges
 - Porting code is not enough
 - Algorithm research is crucial to get optimal performance

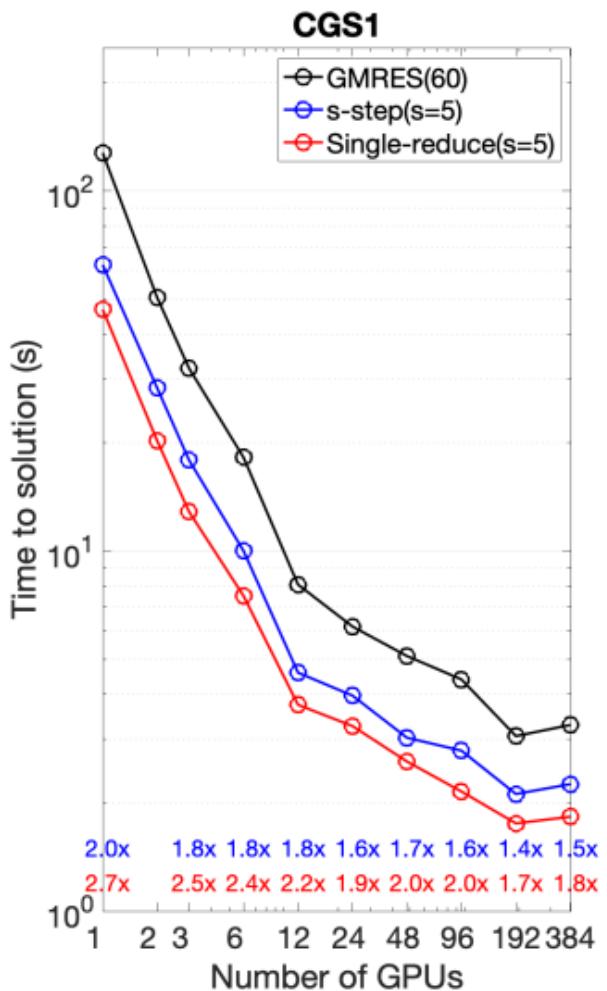
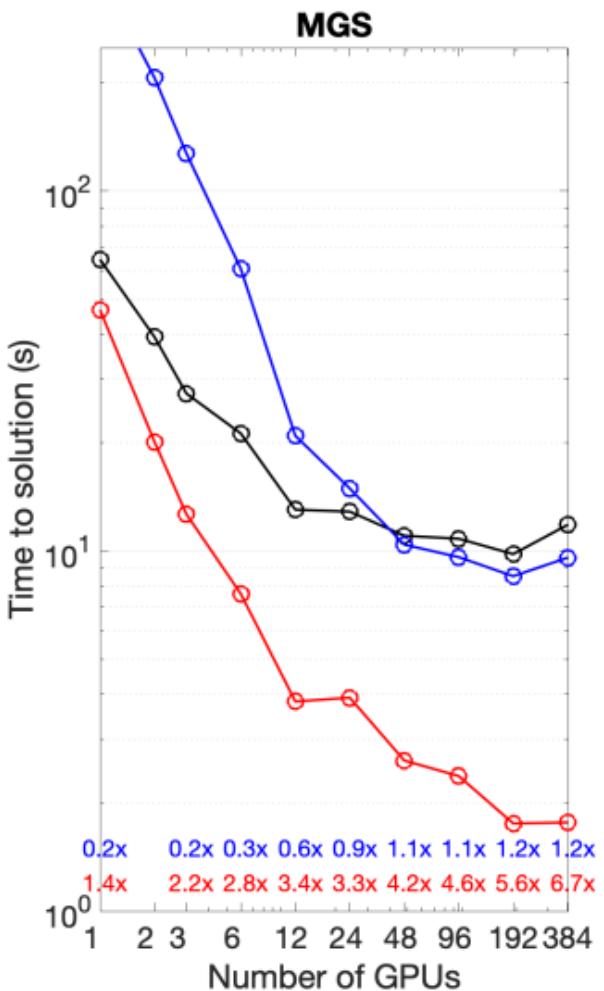
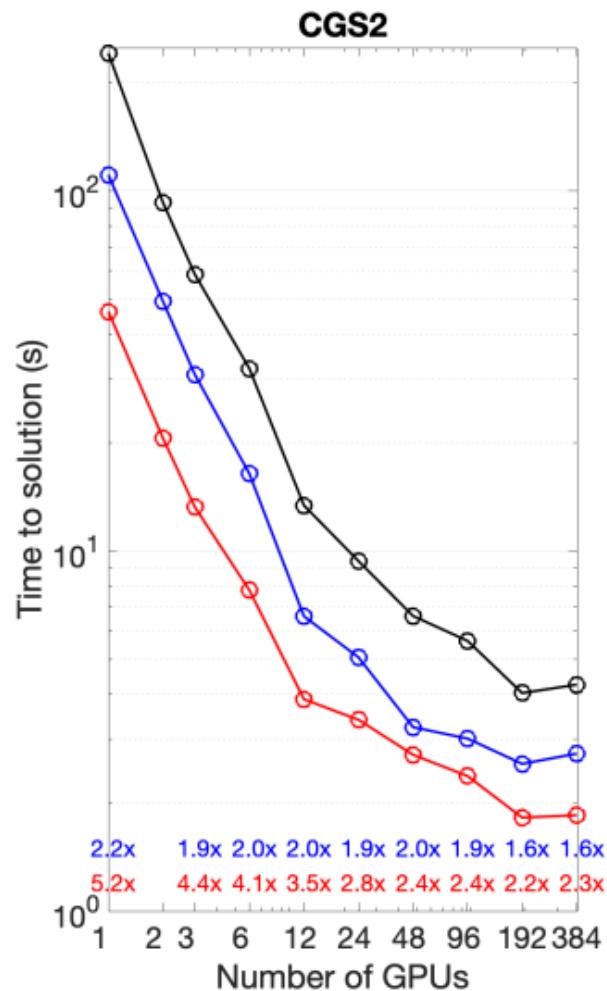


Backup slides

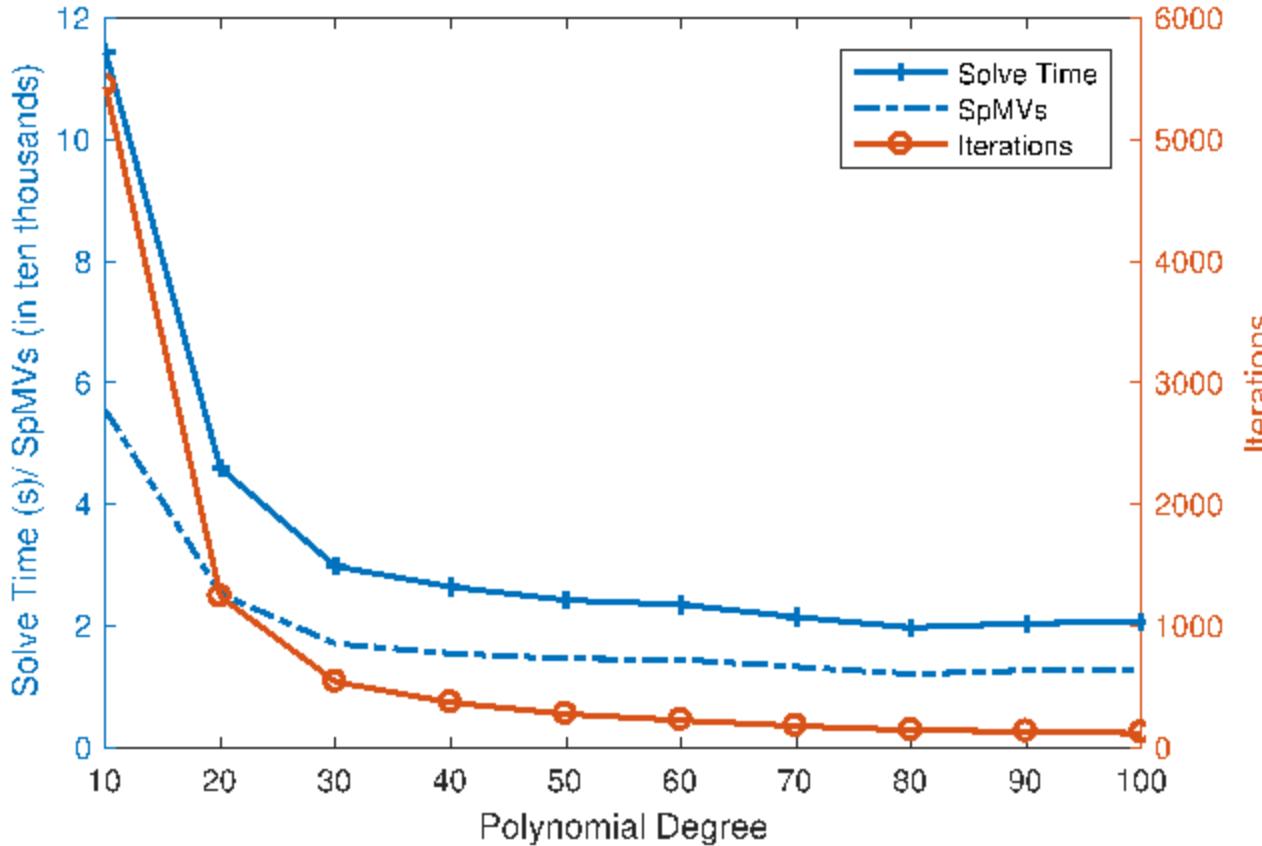
GMRES timing breakdown (GPU)



CA-GMRES on Summit



8 Polynomial Preconditioning



Matrix is cfd2, $n=123440$. Running GMRES(50) with random right-hand side. 32 MPI processes over 1 node.

**For details, see:

Jennifer Loe, Erik Boman, and Heidi Thornquist. *Polynomial Preconditioned GMRES in Trilinos: Practical Considerations for High-Performance Computing* In Proceedings of the 2020 SIAM Conference on Parallel Processing for Scientific Computing, pages 40–45.

$$Ax = b \rightarrow p(A)x = p(A)b$$

General polynomial preconditioner based upon the GMRES polynomial.**

Root-adding makes it stable for very high degrees.

Can reduce SpMVs, iterations, and solve time- less time in orthogonalization kernels.

Stand-alone or combine with other standard preconditioners, such as ILU.

Available now in the Trilinos linear solvers package Belos!

For this example, degree 80 polynomial gives 57x speedup over no preconditioning, with over 14x reduction in SpMVs.