



SAND2020-11894C

# Overview

- Motivation
- Detector description
- Neutron image concept
  - double-neutron scatter
  - single-bar measurements
- Position calibrations
  - with particle sources
  - with muons
- Energy calibrations
- Conclusions

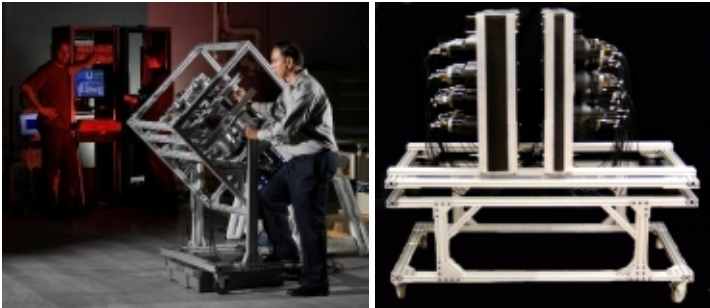
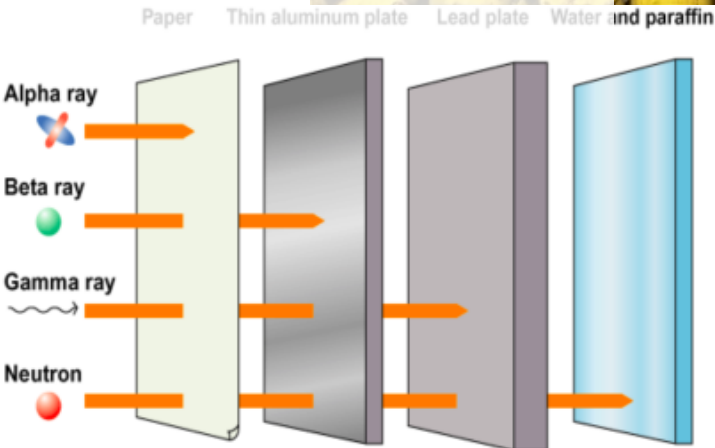
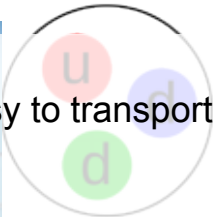
# Motivation

- Detection and imaging of neutrons
  - Special nuclear material detection
  - Nuclear waste handling
  - Fundamental particle physics
  - Astronomy

- Fast neutrons:
  - Aren't easily shielded.
  - Low natural backgrounds



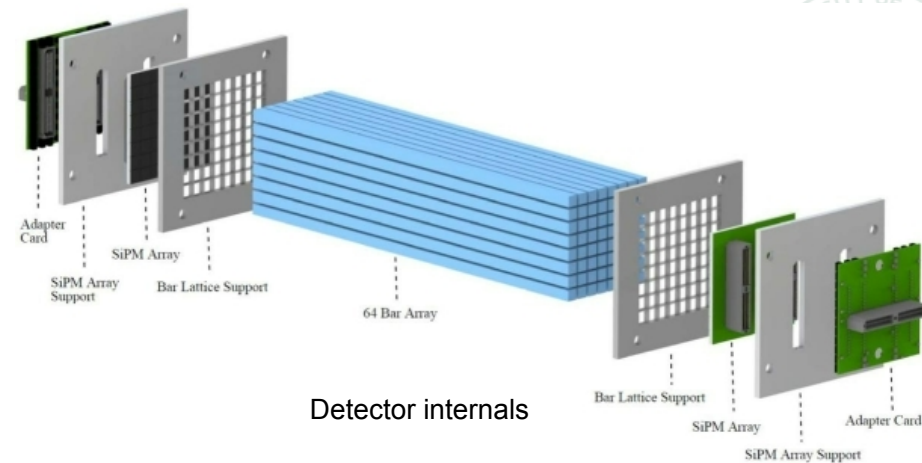
- Desirable: compact imager, easy to transport and deploy, with a high efficiency.



One of the first neutron scatter camera

# Detector description

- 64 5x5x200 mm<sup>3</sup> bars of EJ-204 plastic scintillator material, wrapped in Teflon
- Two SensL J-series 6x6 mm<sup>2</sup> silicon photomultiplier (SiPM) arrays
- Customized DAQ, which uses 16 IRS3d ASICs, developed at UH



Detector internals

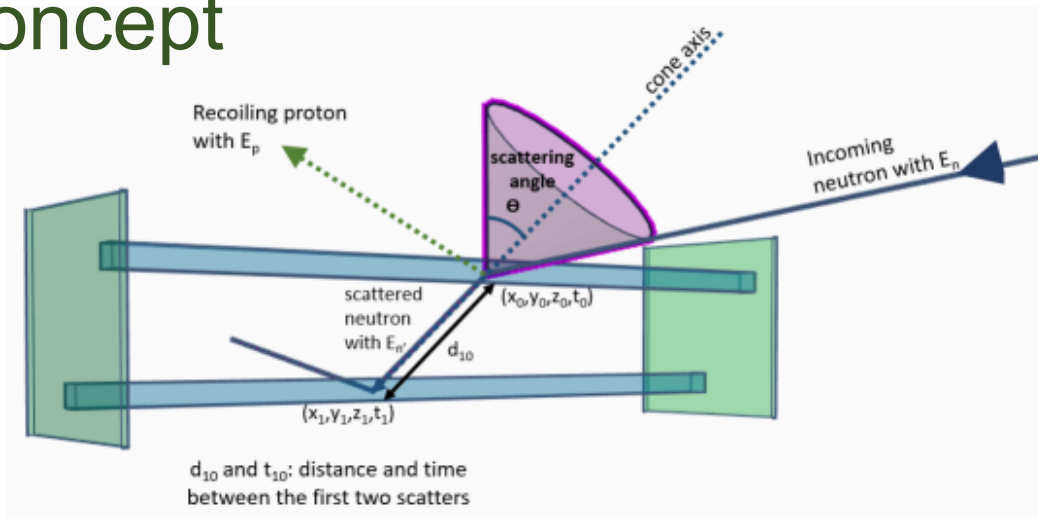


Disassembled OS-SVAC prototype

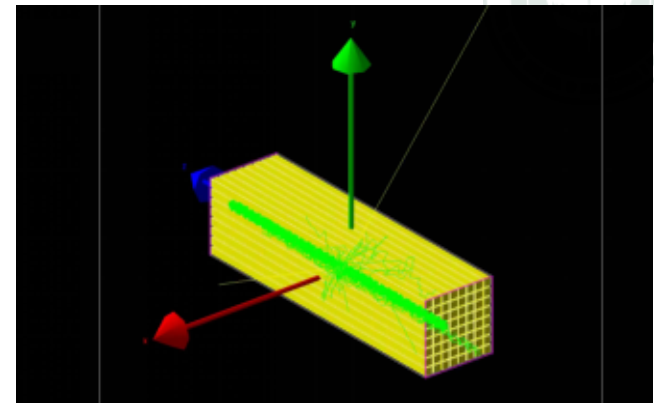
## IRS PARAMETERS

Parameter	Table Column Head
Channels	8
Sampling cells	128
Storage depth	32,786
Digitization	on-chip Wilkison
Quantization	12(9)-bits logged (effective)
Dynamic range	~ 2 V
Typical noise	~ 1 mV <sub>RMS</sub>
Sampling rate	1-4 GSa/s
Buffer time	(8-32)μs
Conversion time	>2μs

# Double-scatter neutrons image reconstruction concept



Neutron double-scatter event illustration



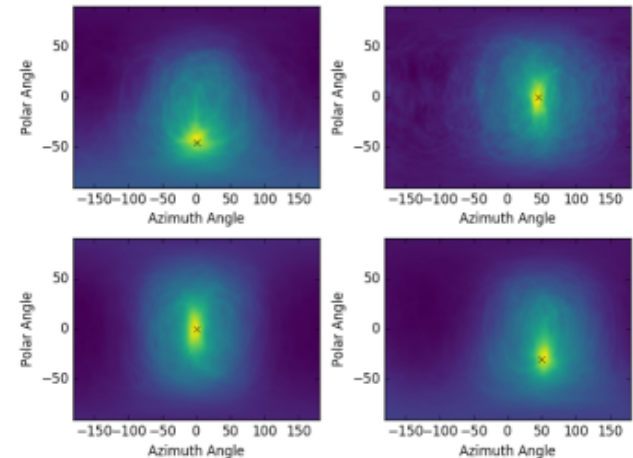
Neutron double-scatter event simulation

$$E_n = E_{n'} + E_p$$

$$E_{n'} = \frac{1}{2}m_n v^2 = \frac{1}{2}m_n \left( \frac{d}{\Delta t} \right)^2$$

Direction reconstruction via  
cone back-projection  
accurately determines  
simulated source location:

$$\cos \theta = \sqrt{\frac{E_{n'}}{E_n}}$$



# Single-bar measurements

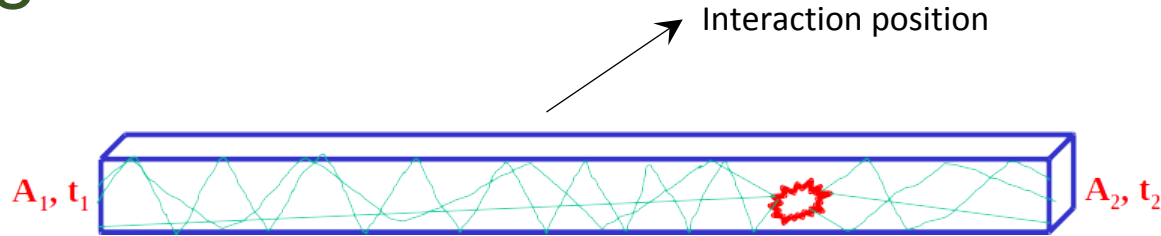


Illustration of a particle interaction in a bar

$$E \sim \sqrt{A_1 A_2}$$

$$t \sim \frac{t_1 + t_2}{2}$$

$$z \sim t_1 - t_2 \text{ or } z \sim \log(A_1/A_2)$$

$$\begin{aligned} t_1 - t_2 &= \frac{z}{v} - \frac{L - z}{v} \\ &= \frac{2z}{v} - \frac{L}{v} \end{aligned}$$

Lineal, if  $\lambda, v$  are constants in the material

$$\begin{aligned} \ln \frac{A_1}{A_2} &= \ln \frac{e^{-z/\lambda}}{e^{-(L-z)/\lambda}} \\ &= \frac{L}{\lambda} - \frac{2z}{\lambda} \end{aligned}$$

where:

$A_i$  - Pulse amplitude

$t_i$  - Pulse arrival time

$\lambda$  - attenuation length

$L$  - bar length

$v$  - speed of light in the scintillator

# Position calibrations

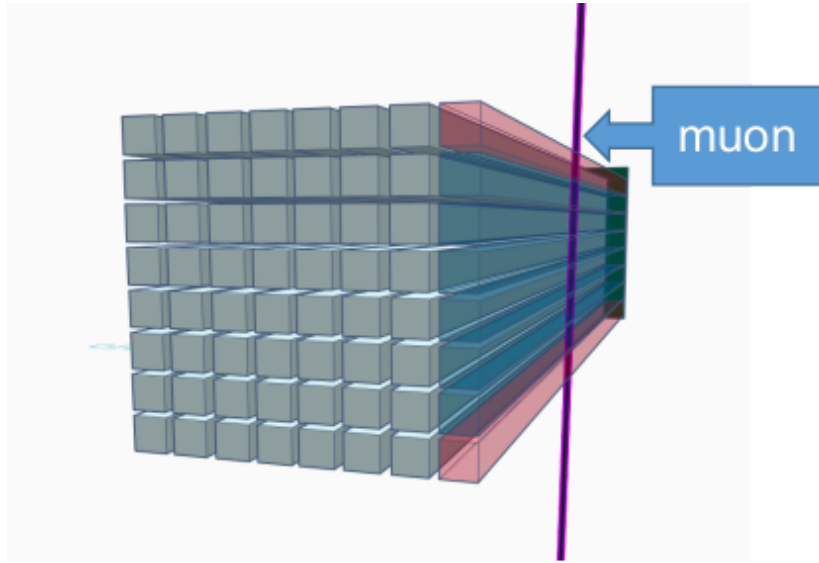
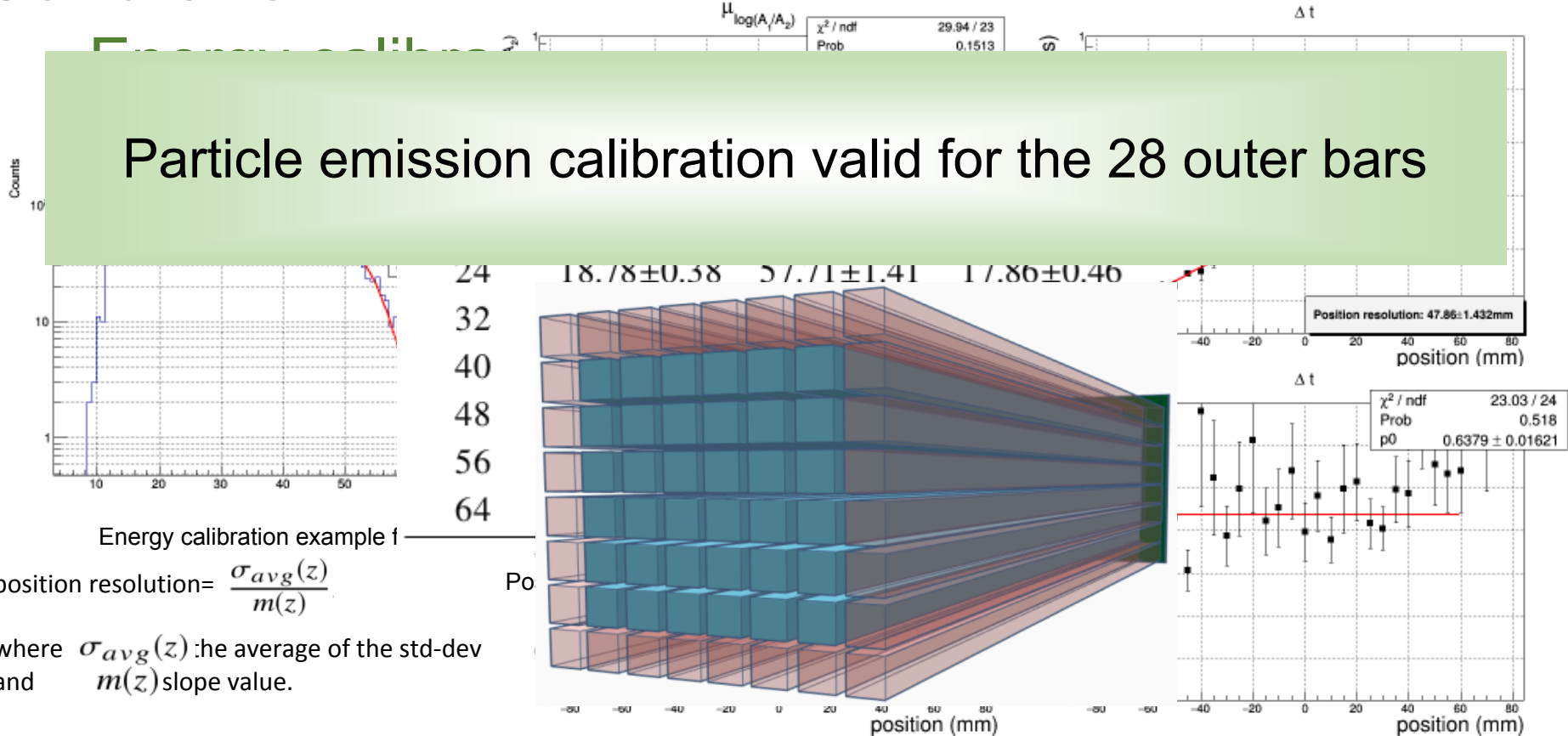


Illustration of a muon passing through a edge column of bars

- To access inner bars, we set up the prototype as a “muon telescope”.
- The interaction position of the top and bottom bars were used to recreate the muon track.
- A single row of outer bars was calibrated with both, muons and particle sources, to verify the validity of the technique

# Calibration with particle emission sources

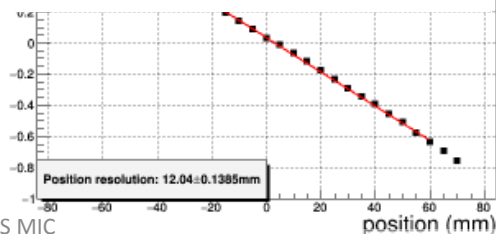
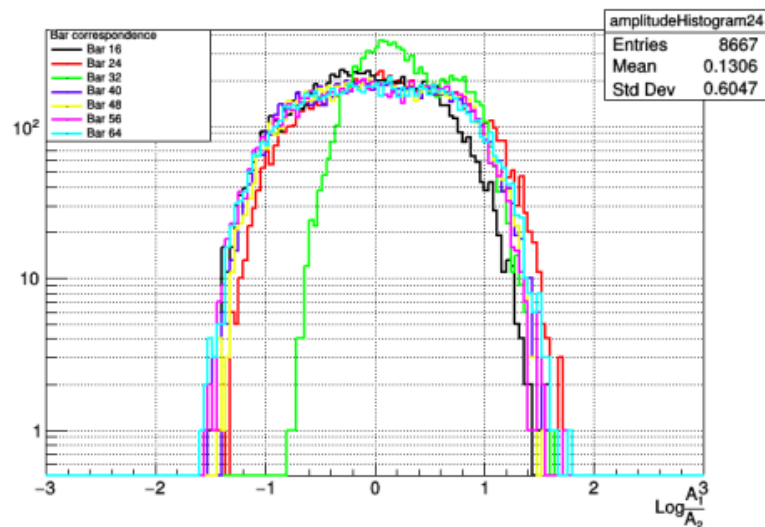
Particle emission calibration valid for the 28 outer bars



# Position calibration using muons

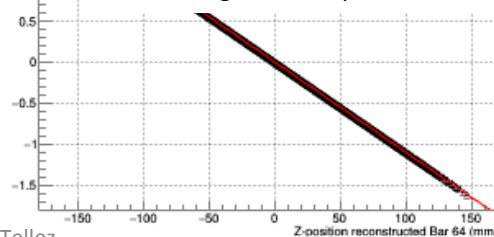
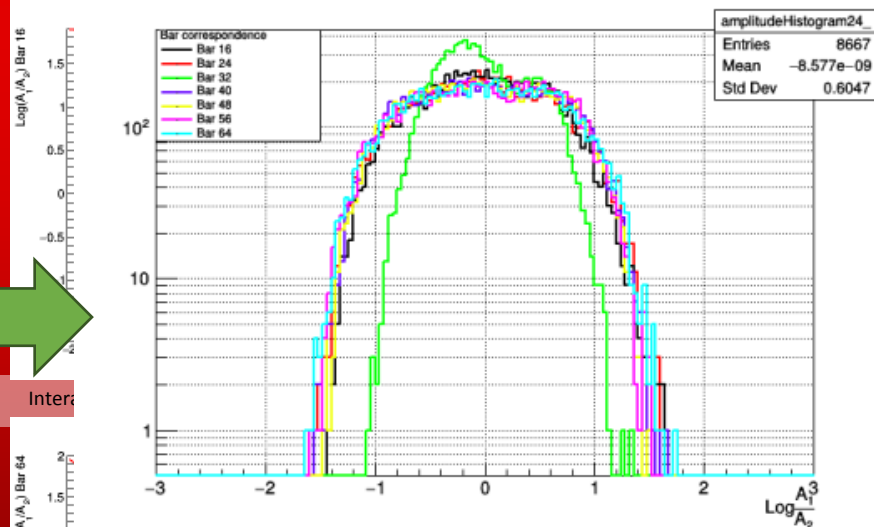
Use the values from the slopes (particle source calibration) to obtain the interaction position of **top** and **bottom** bars

## SOURCE CALIBRATIONS



Amplitude-based position calibration from bar 64 (bottom)

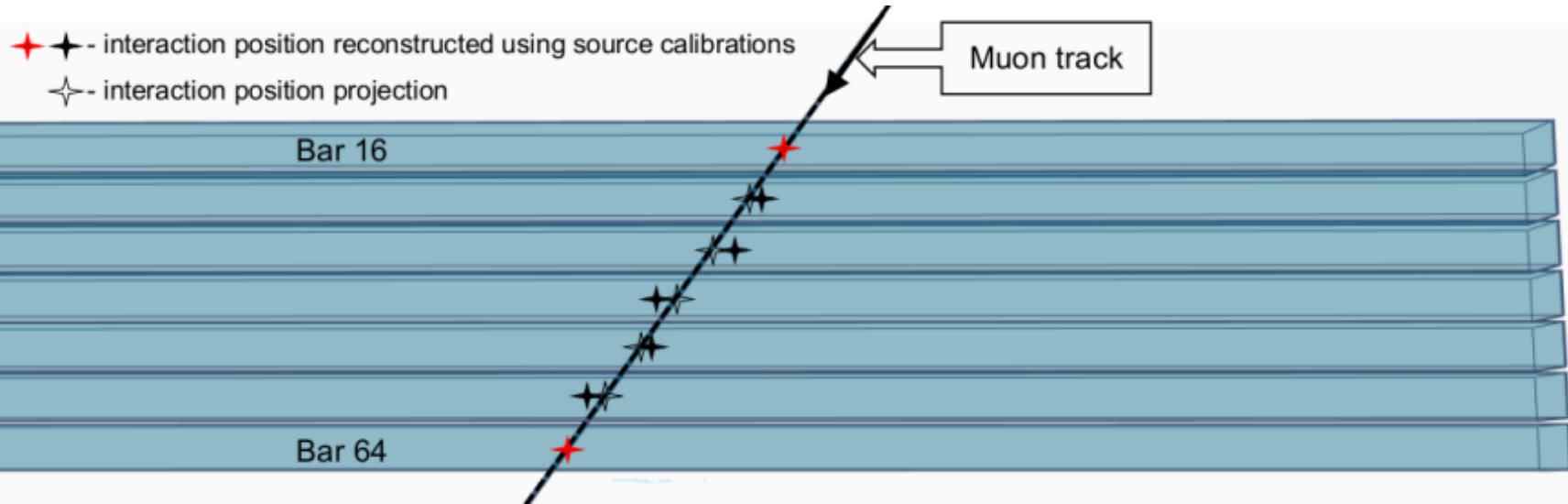
## MUONS



Interaction position reconstruction using amplitudes for bar 64

# Position calibration using muons

Utilize the two reconstruction points to fit a line and recreate the muon track. Interpolate for inner bars and relate the interaction position with the amplitude measurements



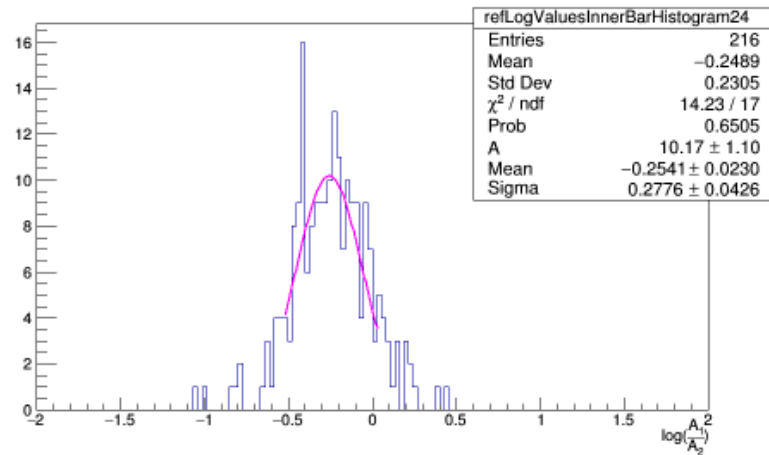
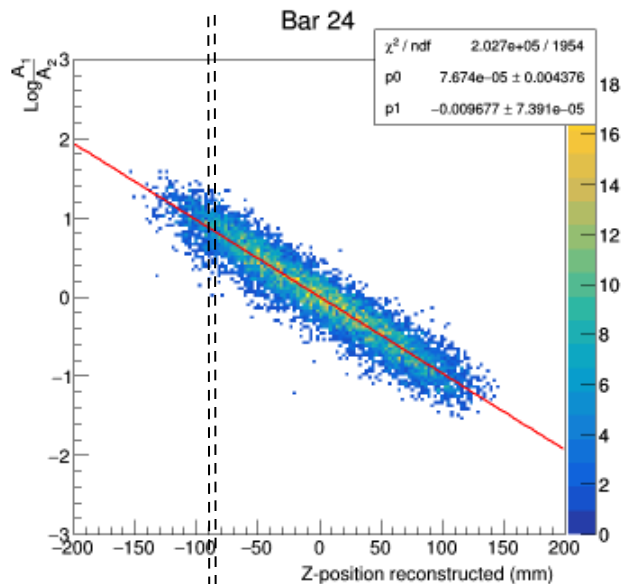
# Position calibration using amplitudes

- Relate the reconstructed position and the  $\log(A_1/A_2)$  measured values
- Group the reconstructed Z-position in bin size of 5 mm
- Obtain distributions of the  $\log(A_1/A_2)$  values.

$$\text{position resolution} = \frac{\sigma_{avg}(z)}{m(z)}$$

where  $\sigma_{avg}(z)$  the average of the std-dev and  $m(z)$  slope value.

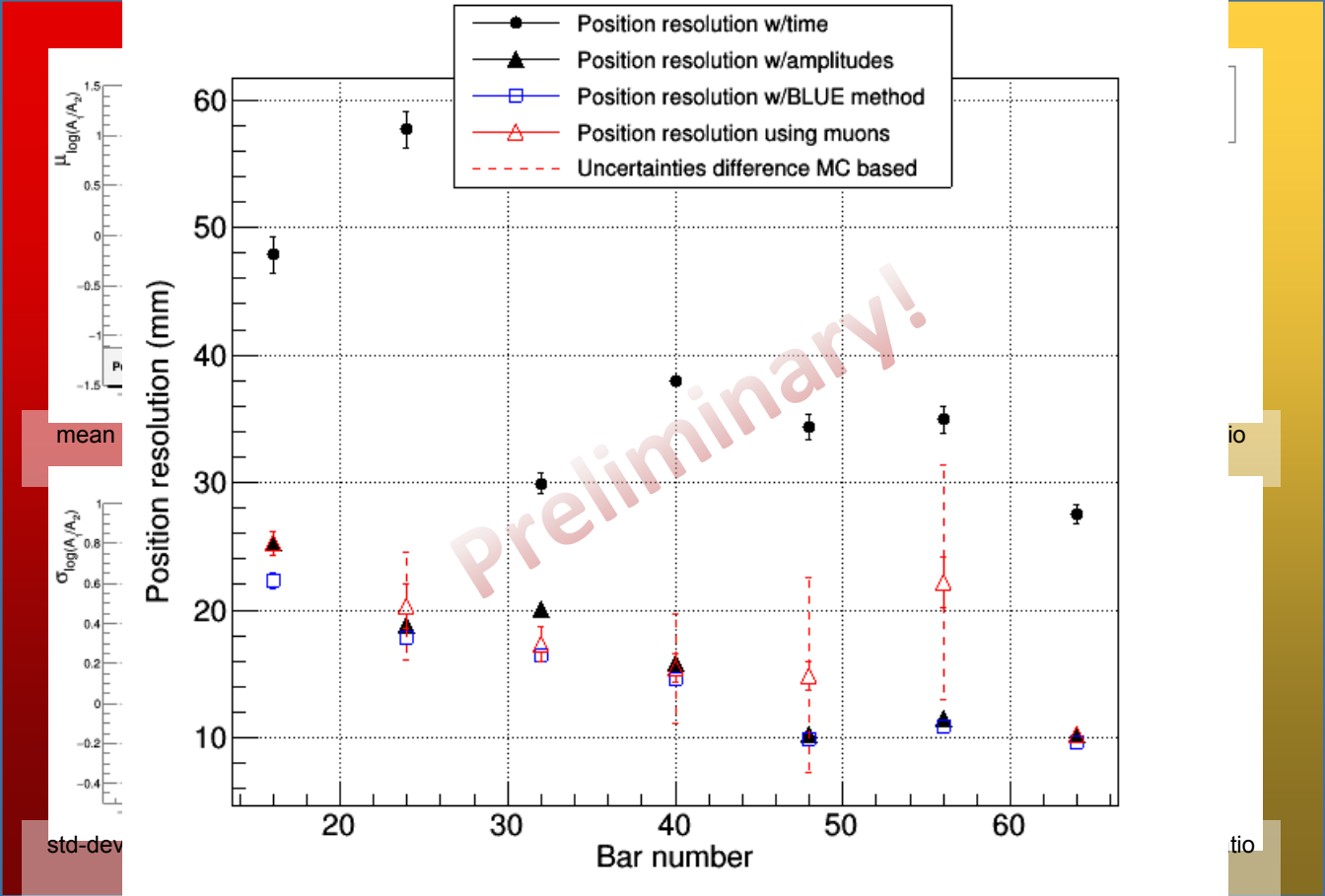
Relation between the reconstructed z-value and the  $\log(A_1/A_2)$  for bar 24



Distribution taken from a bin of the 2D histogram

# Amplitude-based position calibrations

Generate plots of the mean and std-dev for each bar

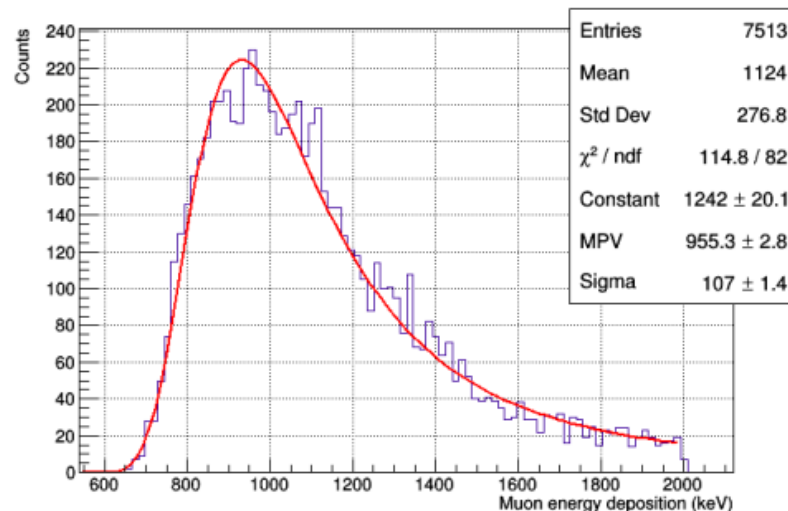
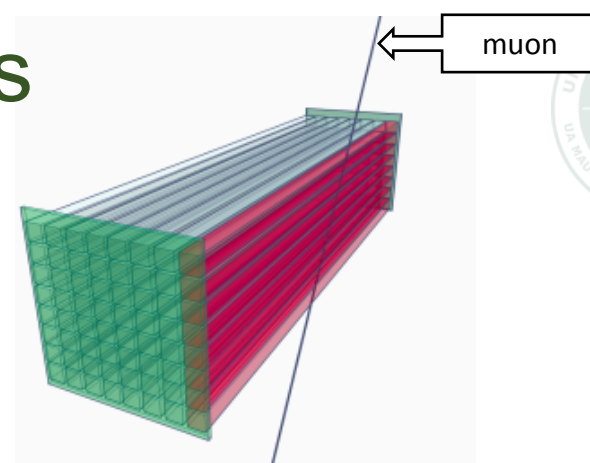


# Energy calibration with muons



## Muon acquisition

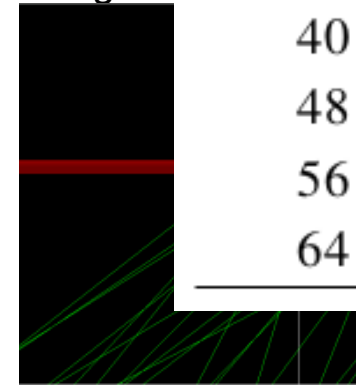
- The condition for the acquisition was to trigger the outer row of bars previously calibrated with the particle sources.
- ~8,000 muon events acquired
- Energy deposition obtained from each bar



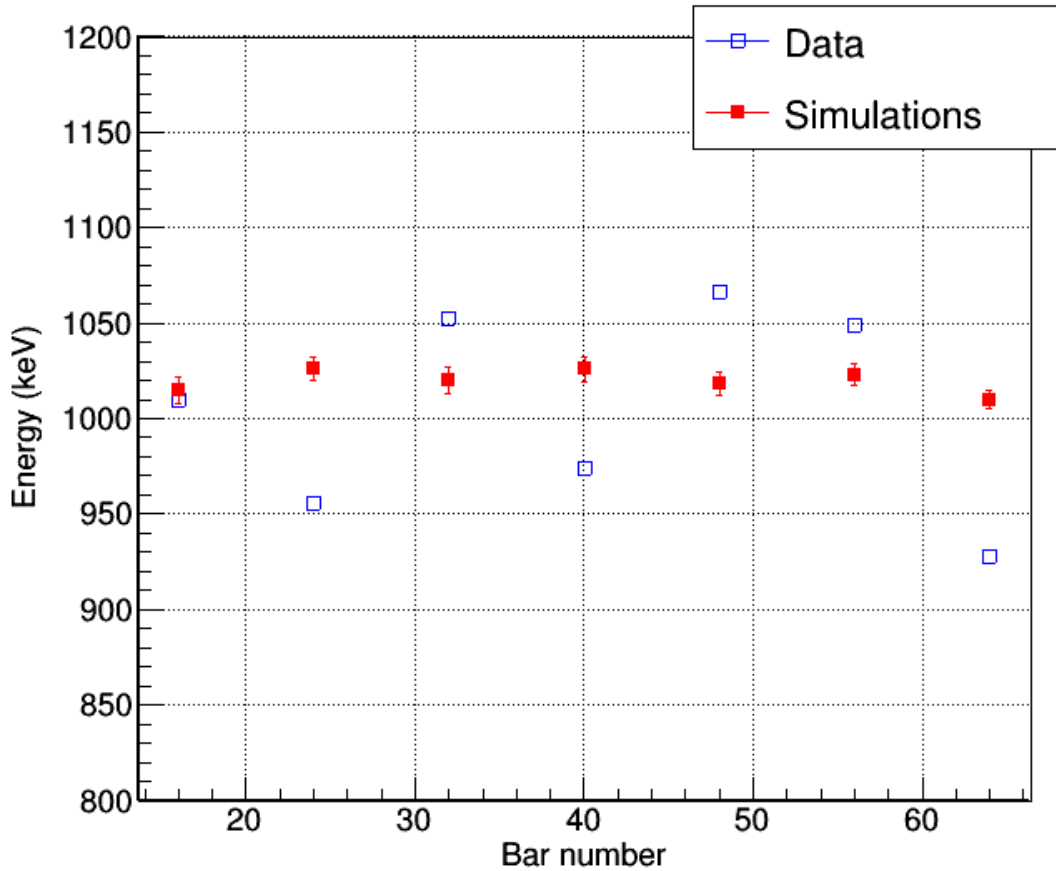
Muon energy spectra distribution for real data

# Energy calibration

- Muon simulation
- ~6,000
- random mm × 3
- 20 mm row.
- The input version zenith angle

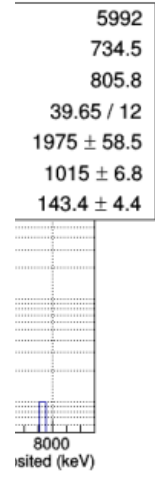


Bar number
16
24
32
40
48
56
64



eV)

1S



ca

# Conclusions

- Position calibrations using particles are, in general, worse than the results obtained in previous investigations ([doi.org/10.1016/j.nima.2019.02.063](https://doi.org/10.1016/j.nima.2019.02.063)). It may be attributed to some factors.
- Degradation for position resolutions values for muons expected due to the spreading of errors from the pre-calibrated bars.
- Consistency found between the position resolutions using particles and muon methods indicate a promising path toward full detector calibration.
- Position resolutions when using particles reported an average of  $16 \pm 0.18$  mm, when using muons reported an average of  $17.97 \pm 0.50$  mm.
- Energy calibration measurements are in good agreement, with variations of 8% or lower.
- Time, energy, and position calibrations for the rest of the bars are undergoing.
- The lessons learned from this prototype motivated design changes for our next prototype, currently under construction.

# The OS team

---



# Thank you