

This paper describes objective technical results and analysis. Any subjective views or opinions that might be expressed in the paper do not necessarily represent the views of the U.S. Department of Energy or the United States Government.

# DEMSI

Discrete Element Model for Sea Ice



Sandia  
National  
Laboratories



# A Performance Portable Discrete Element Sea Ice Model



Kara Peterson, Svetoslav Nikolov, Dan Bolintineanu, Joel Clemmer  
Sandia National Laboratories  
Adrian Turner  
Los Alamos National Laboratory



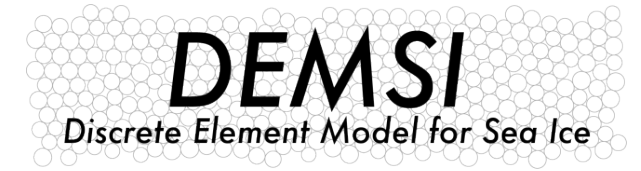
ESMD PI Meeting

October 29, 2020



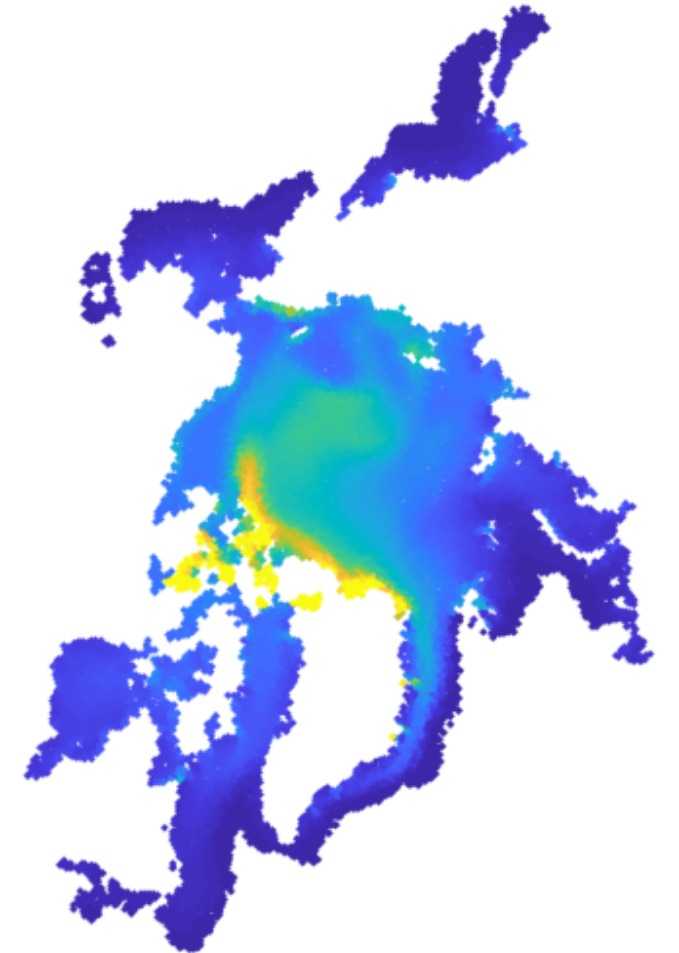
Sandia National Laboratories is a multimission laboratory managed and operated by National Technology and Engineering Solutions of Sandia LLC, a wholly owned subsidiary of Honeywell International Inc. for the U.S. Department of Energy's National Nuclear Security Administration under contract DE-NA0003525.

SAND2020-XXX



Our objective in DEMSI is to develop a computationally efficient, performance portable DEM sea ice model for Earth system modeling

- This talk is a follow-on to plenary talk on DEMSI given by Adrian Turner
- We will focus on highlights from the ASCR-funded work including
  - Particle to grid interpolation for ocean/atmosphere coupling
  - Particle to particle remap
  - Preliminary performance
  - Contact model calibration and validation



# OCEAN/ATMOSPHERE COUPLING

- Incorporating Lagrangian sea ice model in E3SM requires particle to grid remapping capability
  - Need to transfer fluxes between ice/ocean/atmosphere
  - Requires conservation and bounds preservation
- Implemented second-order moving least squares-based method with bounds preservation

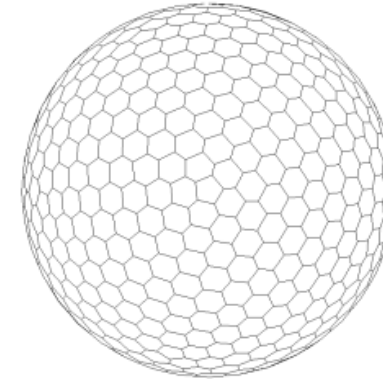
$$f(x) = \sum_{p \in N_x} \psi_p(x) f_p \quad \psi_p = b M^{-1} b^T w_p(x)$$

$$M = \sum_{p \in N_x} b b^T w_p(x) \quad b^T = [1 \quad (x - x_p) \quad (y - y_p)]$$

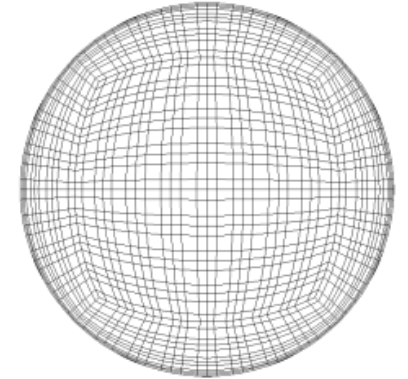
## Next Steps:

- Extend remapping capability to MPAS-O and EAM grids
- Opportunities to collaborate with CANGA project

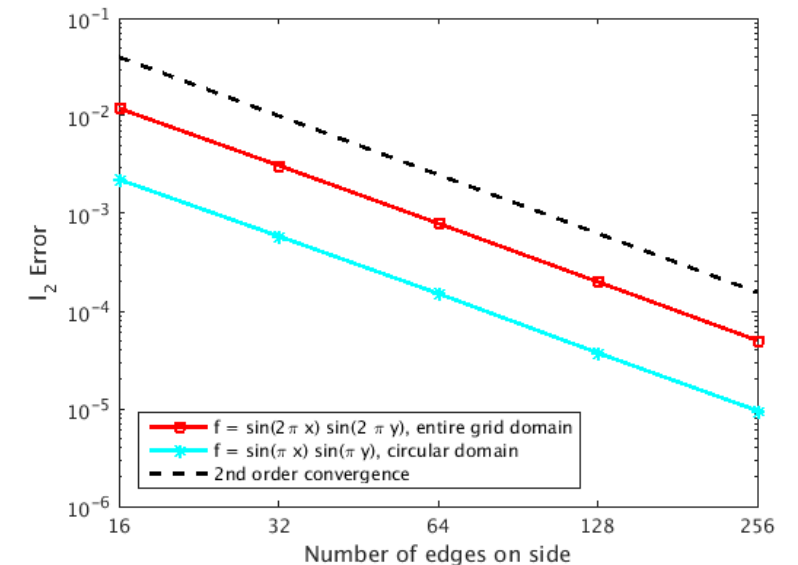
MPAS-O Grid



EAM Grid



Convergence plots for second-order MLS interpolation



# PARTICLE-TO-PARTICLE REMAPPING



- Working with LANL on high-order particle-to-particle remap implementation
  - To manage large deformations,
  - To add new particles due to thermodynamic growth.
- Requires accuracy, bounds preservation, and conservation
- Challenges
  - Gaps and overlaps for particle effective areas
  - Relationships between tracers

## Two methods:

- Geometric remap with flux-based optimization for property preservation.
- Moving least squares remap with mass-based optimization for property preservation.

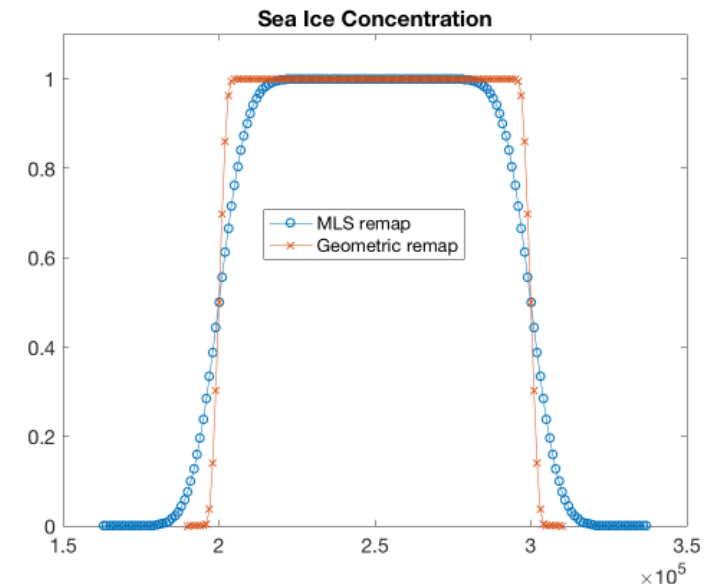
## Next Steps:

- Comparison of efficiency and accuracy for remap methods.
- Remap for bonds between particles.

### Conserved Quantities

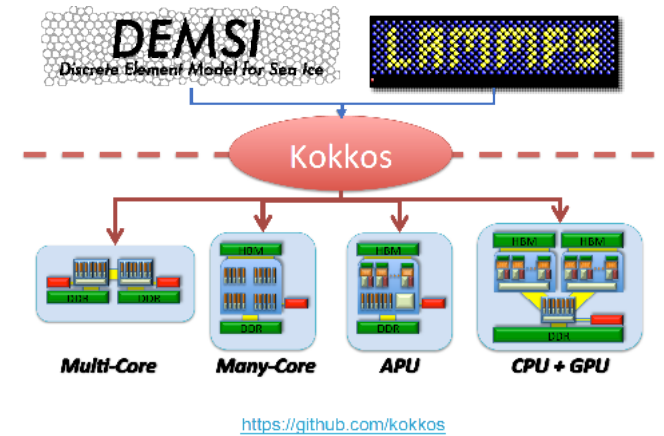
$$\begin{aligned} \text{Total ice area: } A_{ice} &= \sum c_p A_p = \sum_p \sum_i a_{ip} A_p \\ \text{Total ice volume: } V_{ice} &= \sum_p c_p h_p A_p = \sum_p \sum_i v_{ip} A_p \\ 0 \leq h_p &\leq \infty \quad 0 \leq c_p \leq 1 \\ h_p &= v_p / c_p \end{aligned}$$

Investigating both flux-based and MLS-based remap options using simple test cases for verification

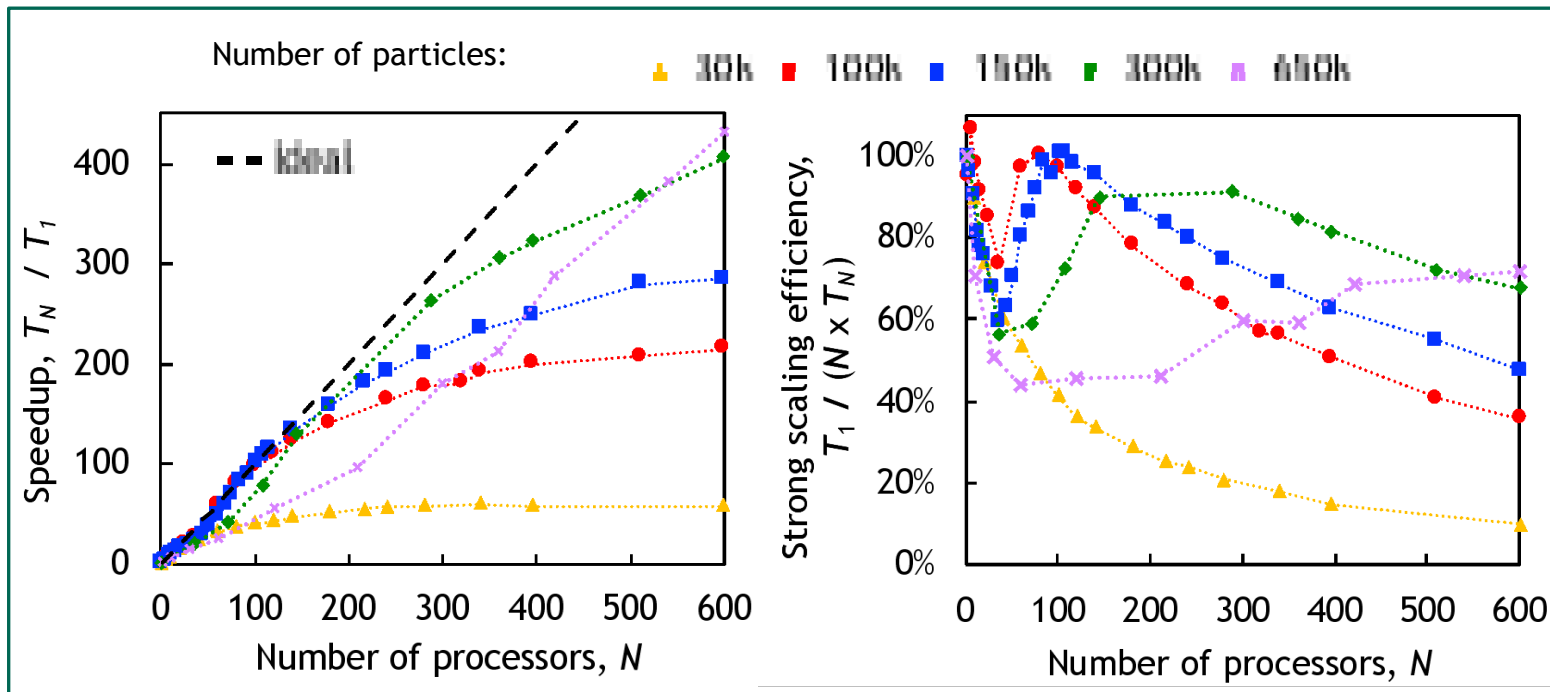


# DEMSI PRELIMINARY PERFORMANCE

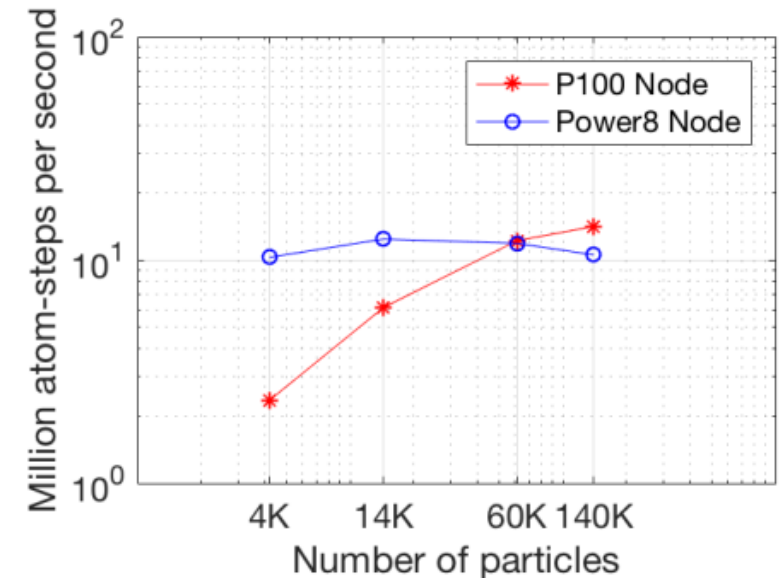
- Contact model implemented with LAMMPS (<https://lammps.sandia.gov>)
  - Computationally efficient providing high-performance baseline
- Using Kokkos for performance portability
- Performance plots for uniform stress test case with varying particle count



Strong scaling on CPU



Performance on Nvidia Tesla P100 GPU node versus Power8 node with eight Garrison dual socket cores



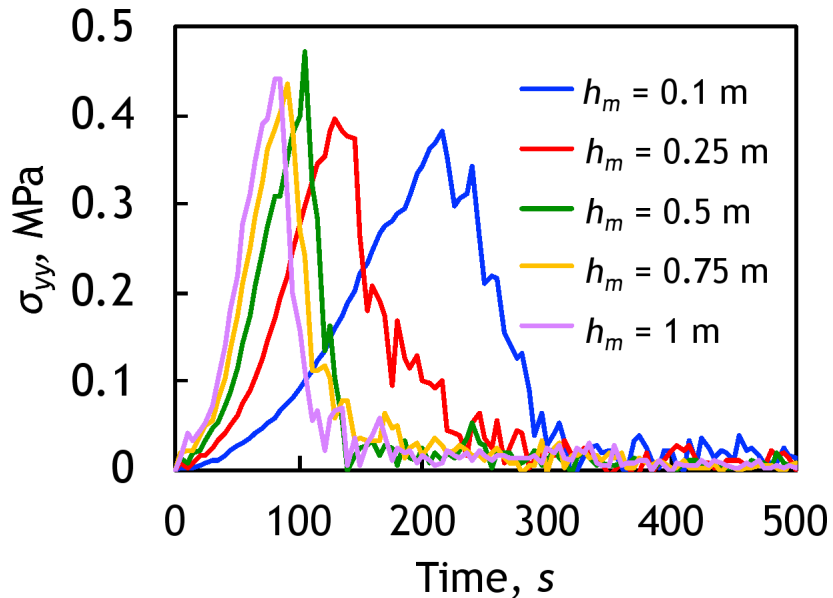
- **Next Steps:** Performance for Arctic basin test case and code optimization.



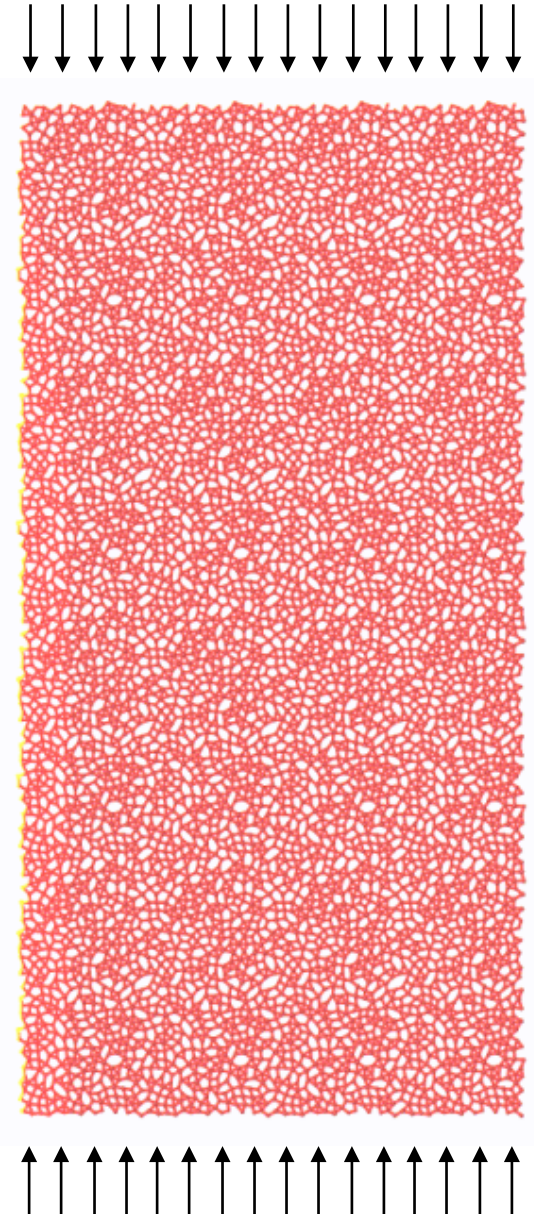
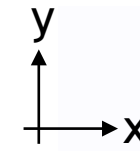
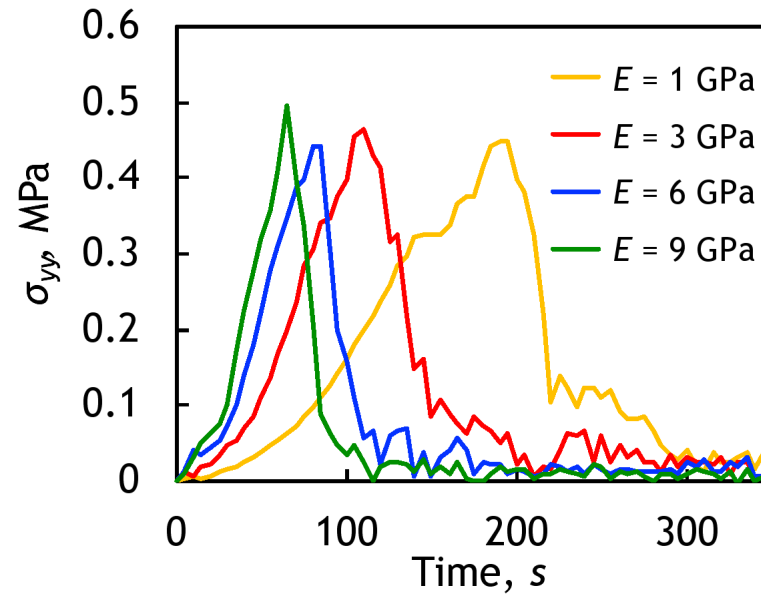
# CONTACT MODEL CALIBRATION AND VALIDATION

- Performing simple mechanical tests of sea ice contact model
  - Contact model parameter study using uniaxial compression
  - Brittle-like failure as  $E$  and  $h_m$  increase
  - Consistent with results in the literature (Herman *GMD* 2016)

Varying bond thickness  $h_m$



Varying modulus  $E$



## Next Steps:

- Parameter sensitivity and calibration with DAKOTA
- Comparison with experimental data and continuum sea ice models
- Explore data-driven (machine learning) contact model

