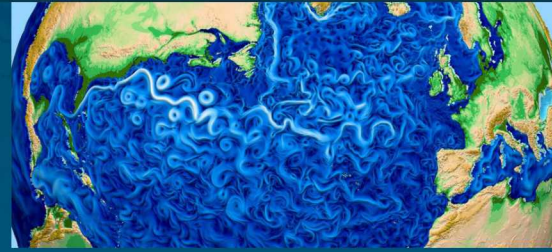
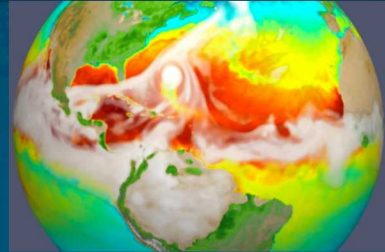
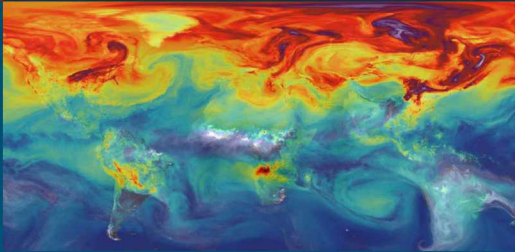
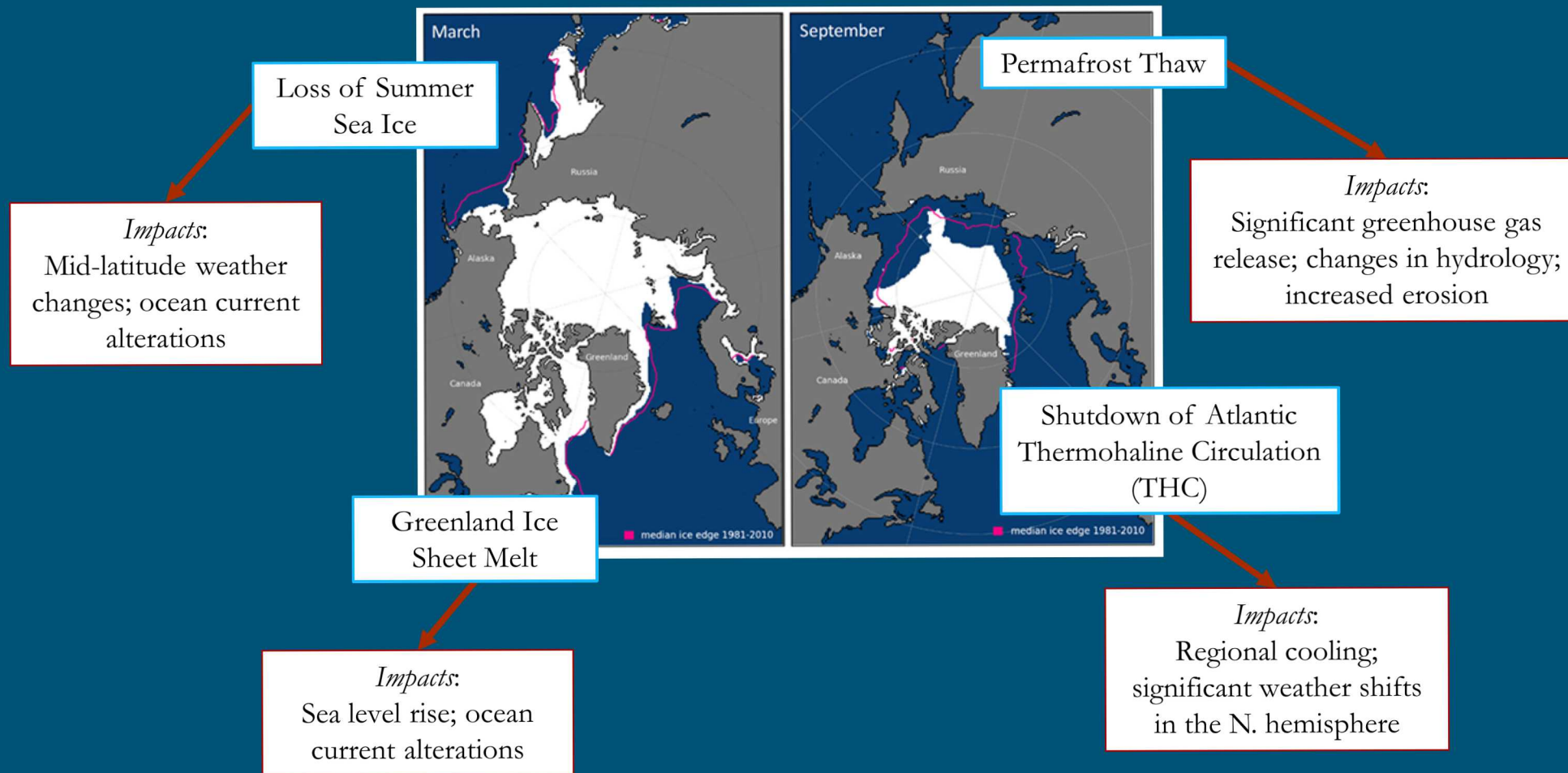


Machine Learning to Compare Arctic Simulations With Observed Data

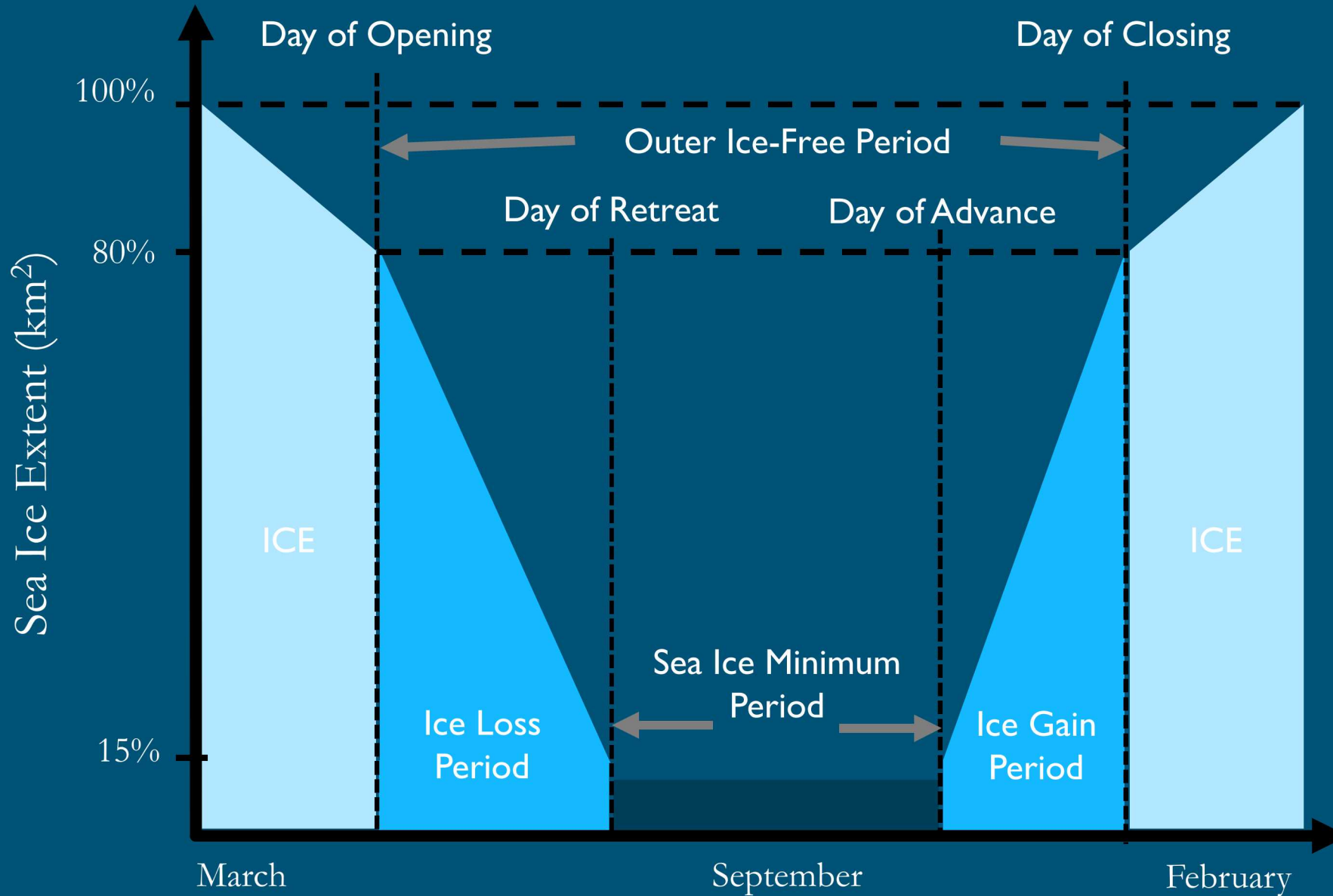


*J. Jake Nichol, Matthew Peterson, Kara Peterson,
David Stracuzzi, G. Matthew Fricke*

Problem: Arctic sea ice minimums impact the full Earth system



Problem: predicting the minimum extent (km^2) each year



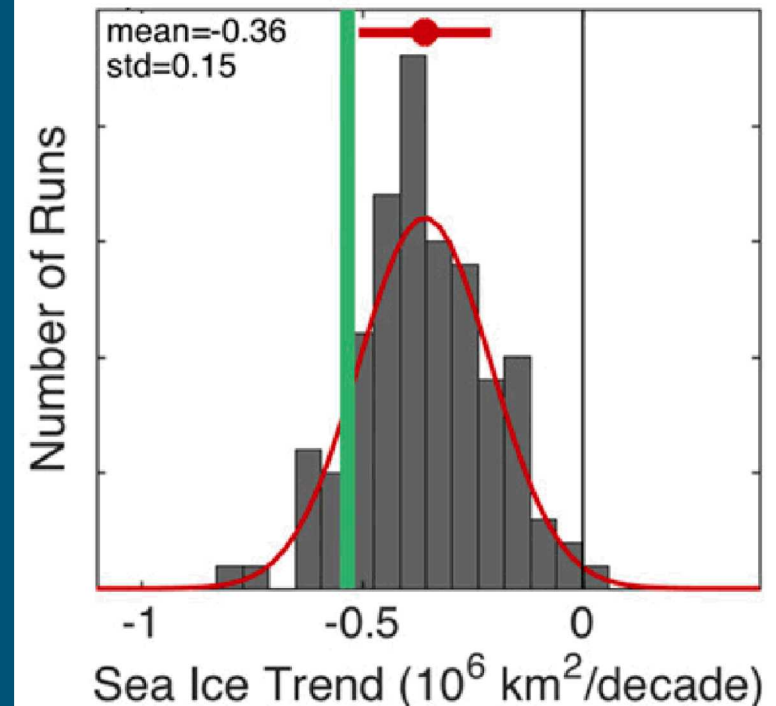
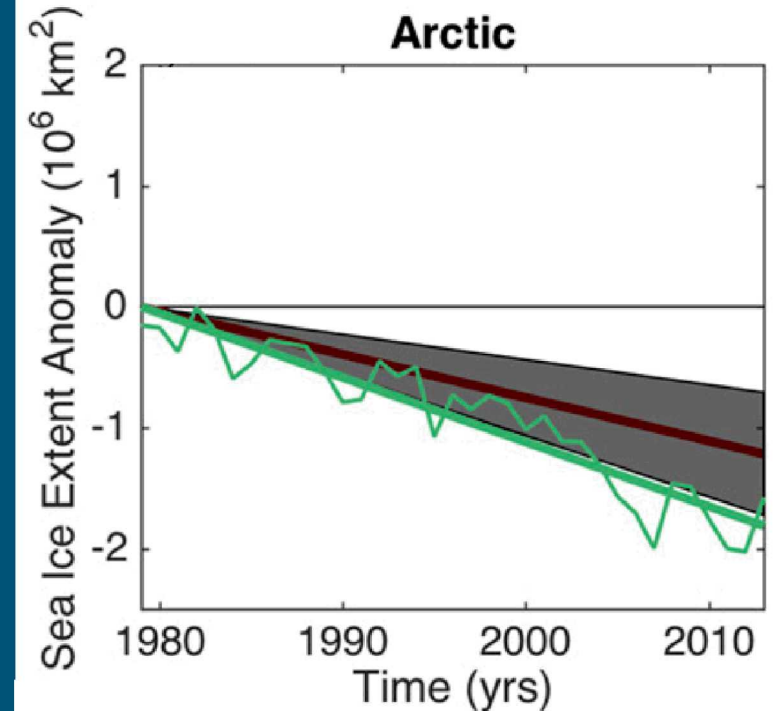
Problem: most CMIP5 models underestimate sea ice decline

In a study [1] of Arctic sea ice predictions from the World Climate Research Programme's Coupled Model Intercomparison Project 5 (CMIP5):

- 118 simulations run using 40 models in CMIP5
- **Only 11%** of model runs agree with the observed trend

This work examines the Energy Exascale Earth System Model (E3SM)

- Not in CMIP5 but E3SM is derivative of a model in CMIP5



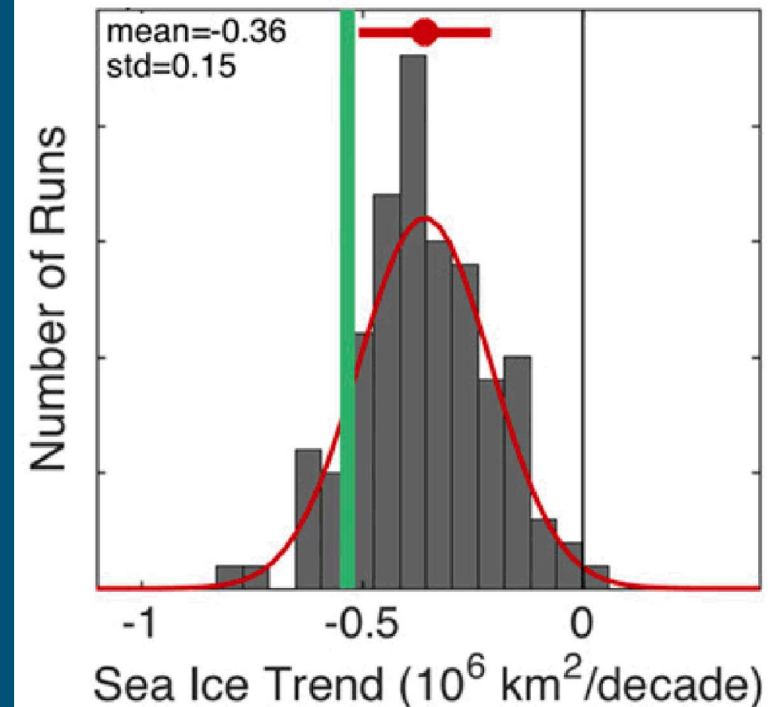
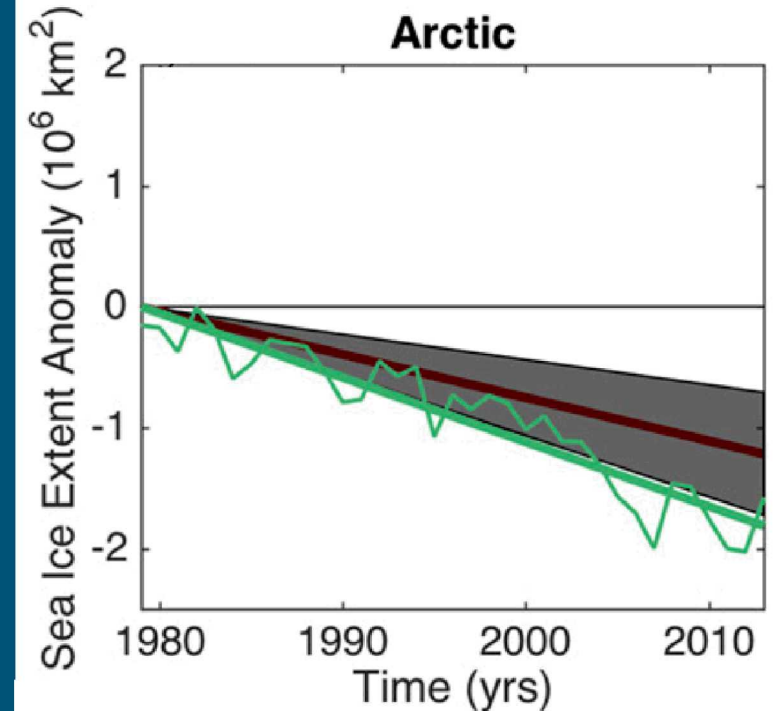
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First Steps

Identify features in June that are the most impactful for sea ice extent in September

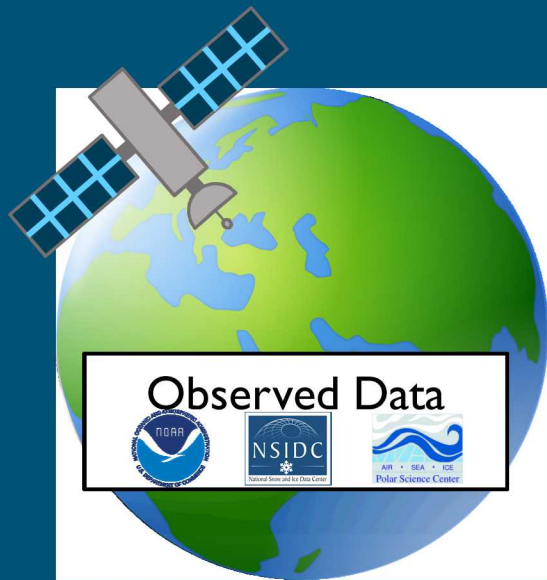
- Conduct a feature analysis on observed climate data in the Arctic
- Feature analysis can be conducted on any trained model.
- Compare results with a feature analysis on simulated data



Final Goal

Improve both physics-based and data-driven models of the Arctic climate

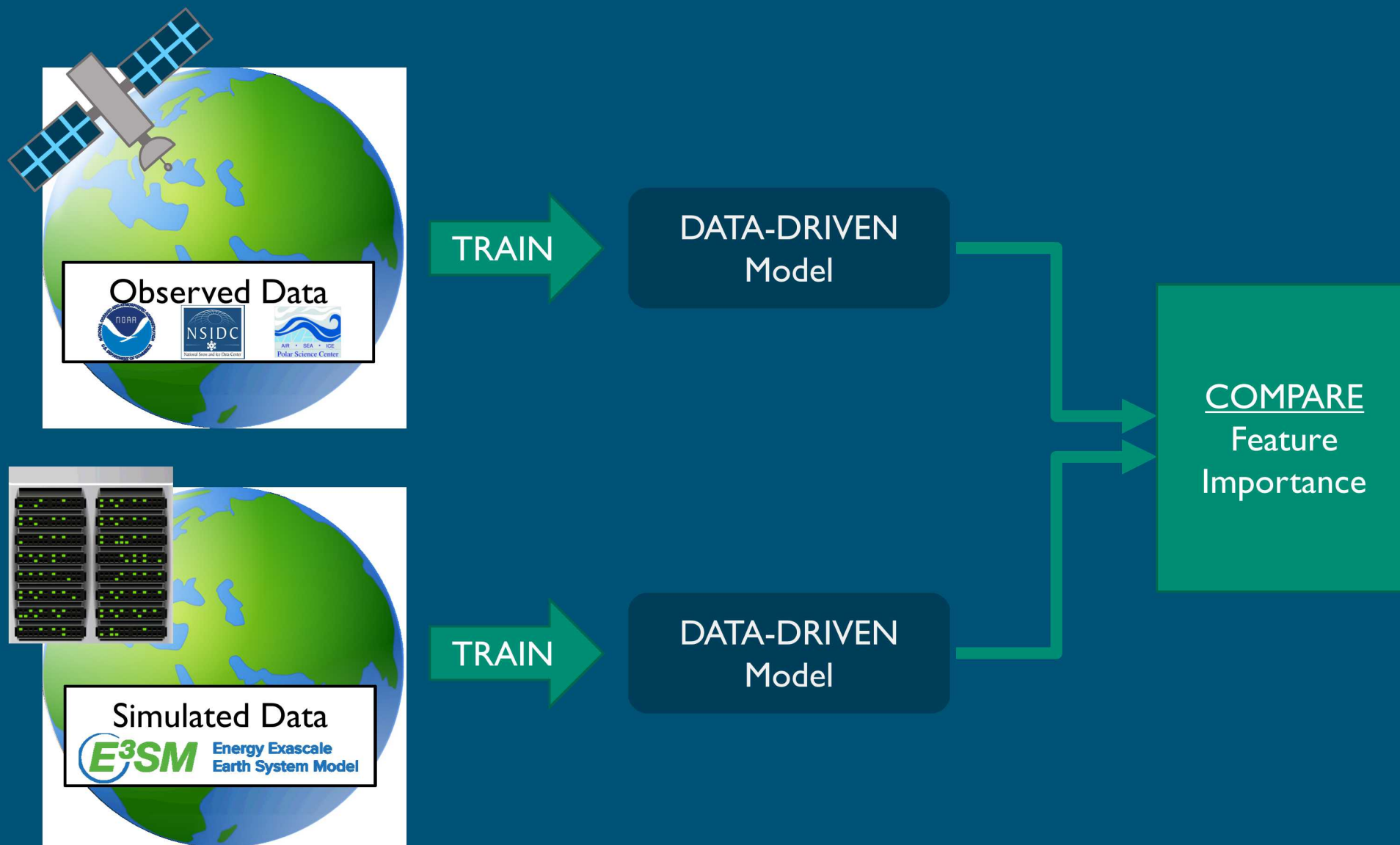
- Make adjustments to physics-based models to adapt for inconsistencies with observed data
- Evaluate newly tuned physics-based model for change in accuracy



TRAIN

DATA-DRIVEN
Model

Feature
Importance





6 Datasets

Observed

- NOAA 
- NSIDC 
- Polar Science Center 

5 E3SM Ensembles

- Separate 165-year runs with differing initial conditions
- 165 years allows initial model chaos to settle
- Last 35 years extracted for datasets

Each Year's June Data

Sea Ice Extent - Arctic

Downward Longwave Flux at Surface (FLWS) - Arctic/Global

Surface Pressure - Arctic/Global

Air Temperature - Arctic

Near-Surface Specific Humidity (SSH) - Arctic/Global

Meridional Wind (Vwind) - Arctic

Zonal Wind (Uwind) - Arctic

Surface Temperature - Global/Arctic

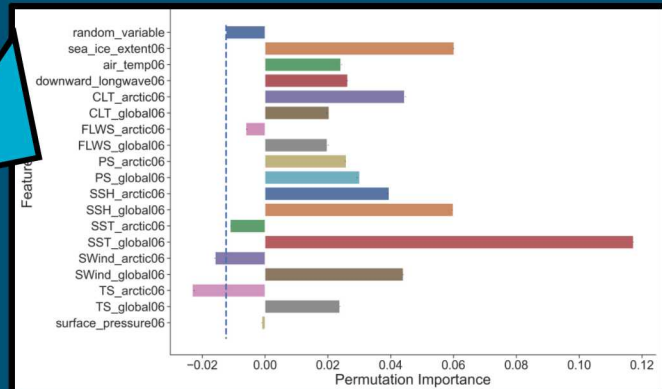
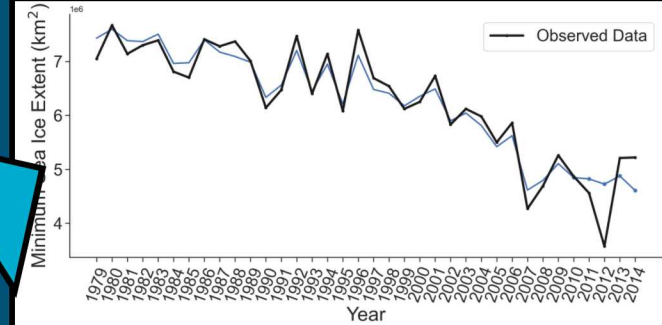
Sea Ice Volume (SIV) - Arctic

Sea Surface Temperature - Global/Arctic

Each Year's September
Sea Ice Extent

ML Model

Regression



Importance

Methods

Each Year's June Data

Sea Ice Extent - Arctic

Global

Downward Longwave Flux at Surface (FLWS) - Arctic/Global

Surface Pressure - Arctic/Global

Air Temperature - Arctic

Near-Surface Specific Humidity (SSH) - Arctic/Global

Meridional Wind (Vwind) - Arctic

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Surface Temperature - Global/Arctic

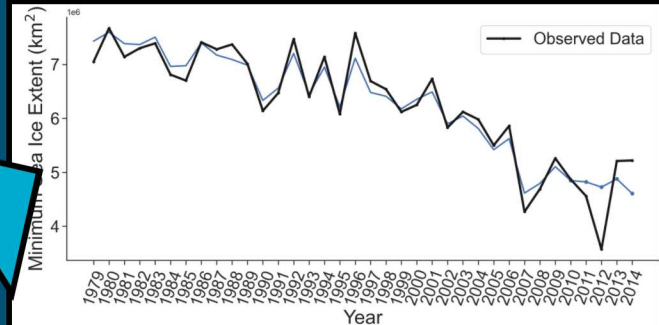
Sea Ice Volume (SIV) - Arctic

Sea Surface Temperature - Global/Arctic

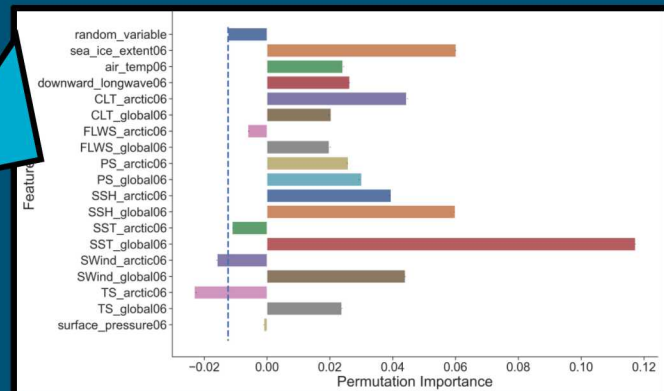
Each Year's September
Sea Ice Extent

Random Forest
Regression
Model

Regression



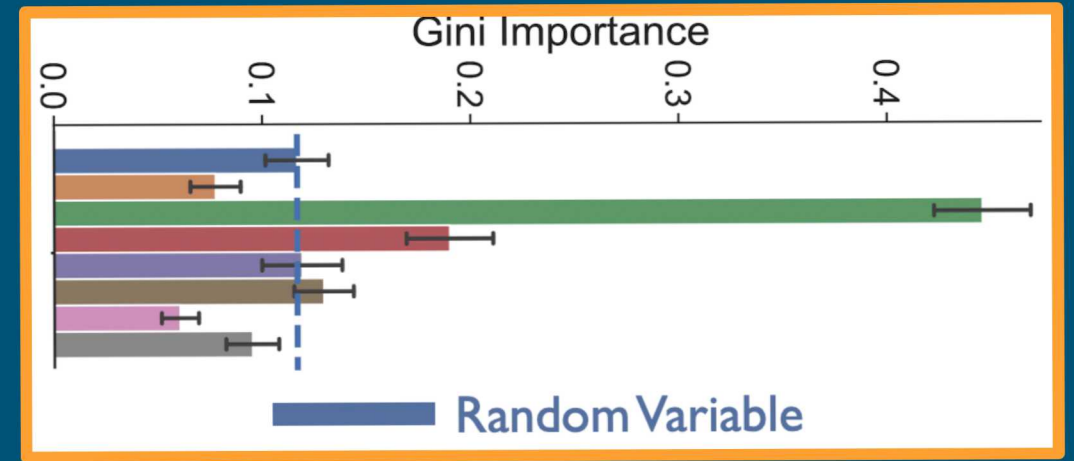
Importance



Methods: Feature Importance

Gini Importance – default for R and Python's scikit-learn

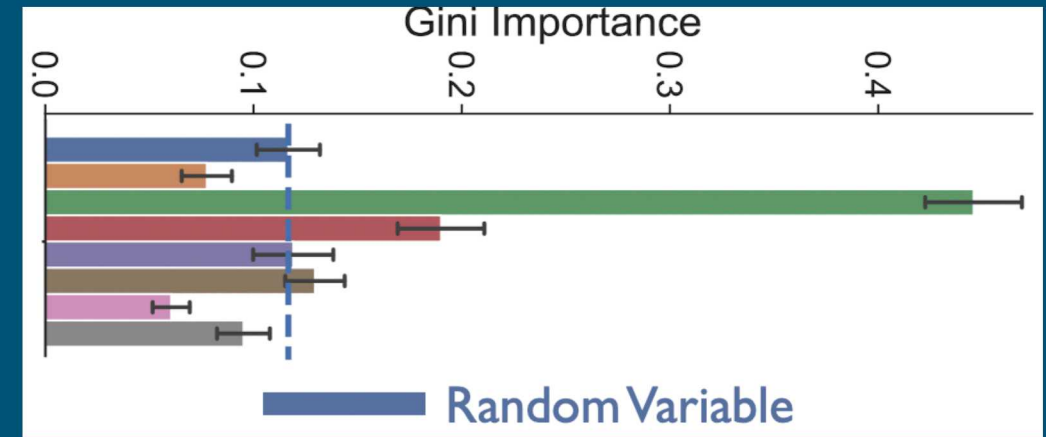
- Measures how each feature reduces variance
- Fast
- Highly biased for data with many unique values



Methods: Feature Importance

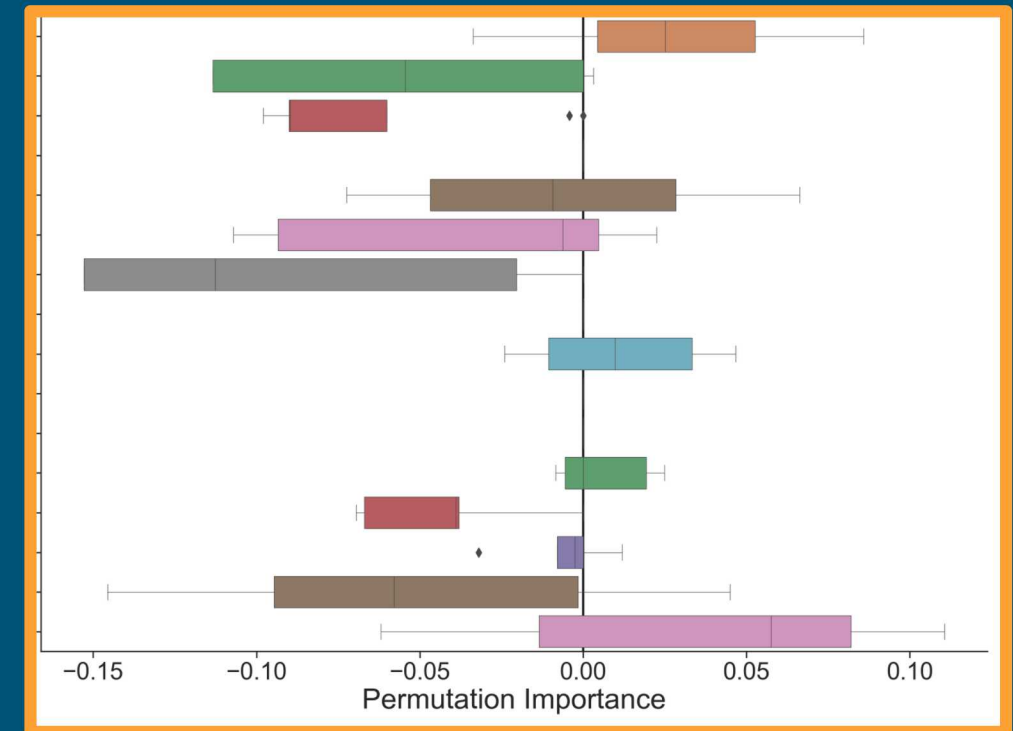
Gini Importance – default for R and Python's scikit-learn

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Permutation Importance – stochastic

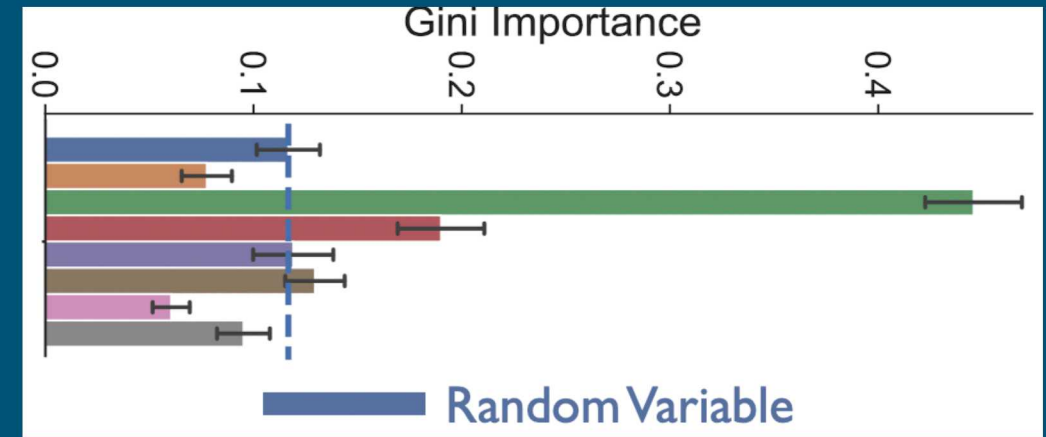
- Permutes each feature and measures the changed in error
- Fast
- Results can depend on the specific permutation of each feature
- Cannot be run on training data alone



Methods: Feature Importance

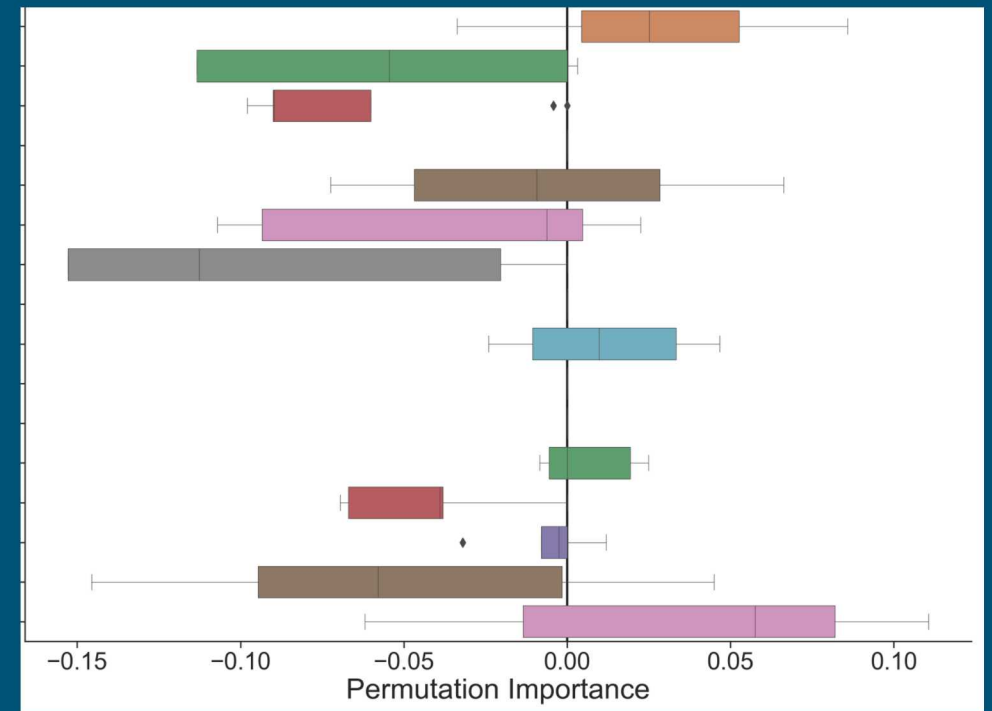
Gini Importance – default for R and Python's scikit-learn

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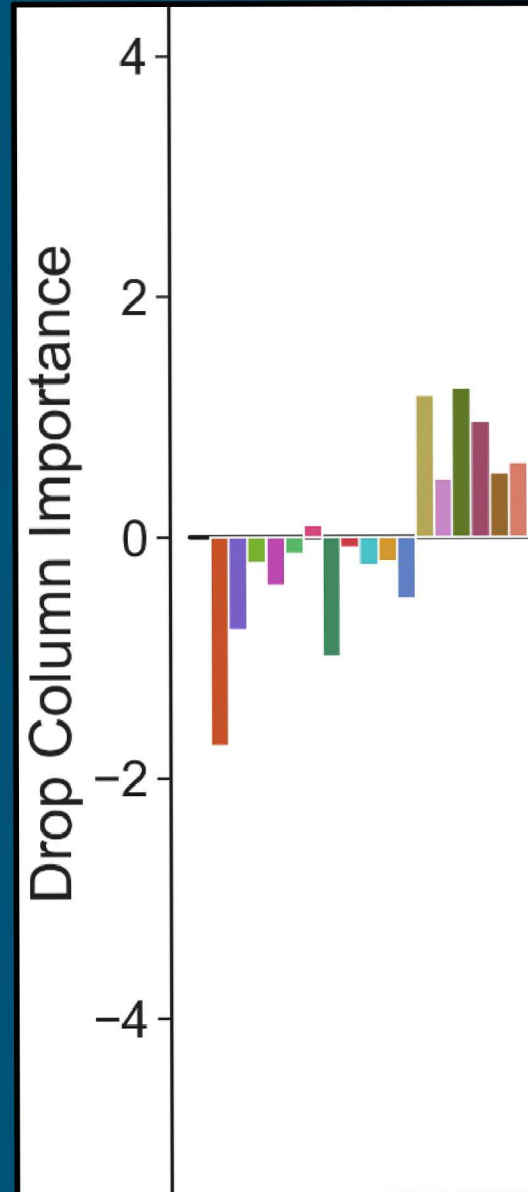


Drop-column Importance – deterministic

- Drops each feature from the data set one at a time and retrains the model each time
- Very slow
- Returns repeatable, objective results

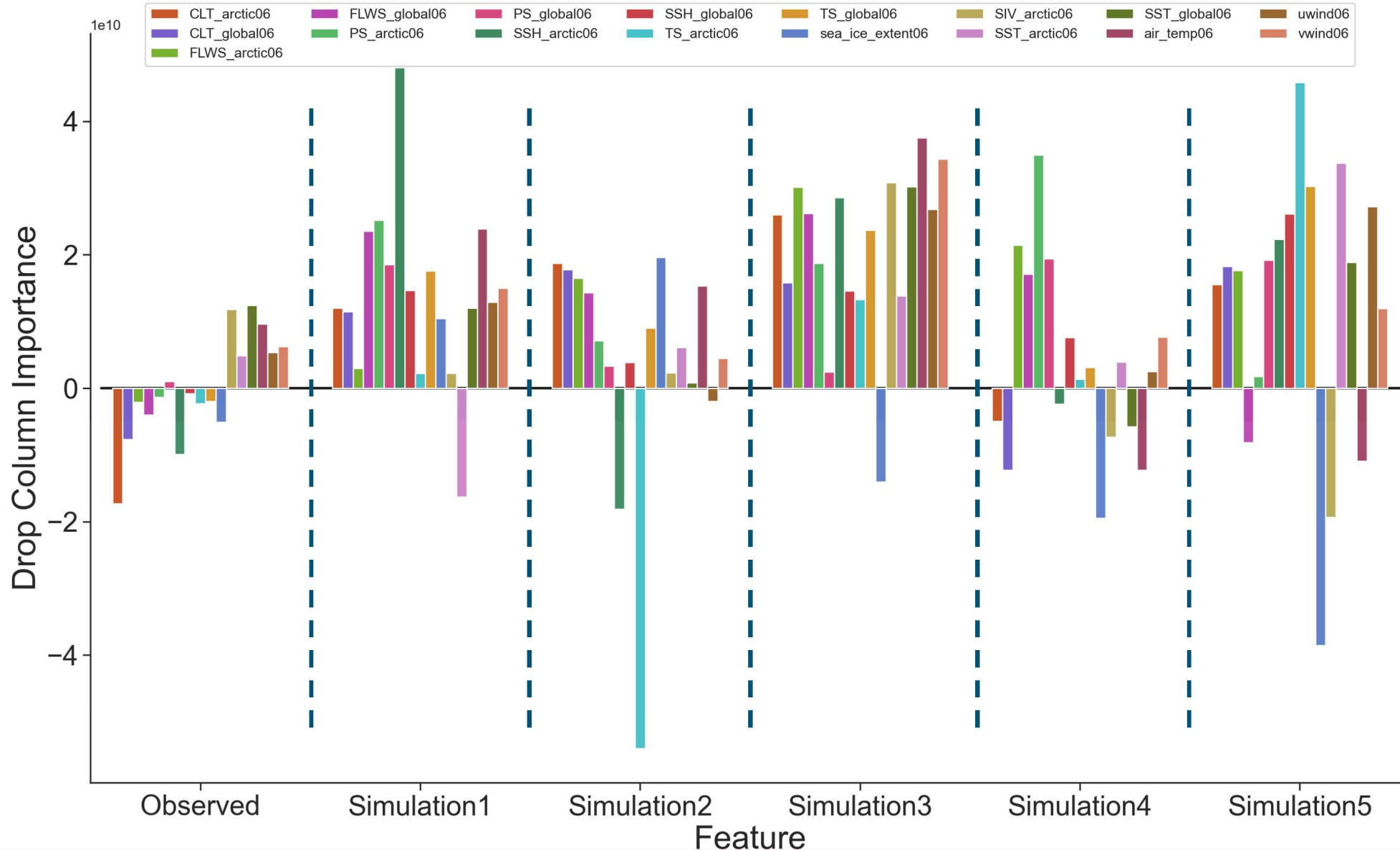
Results

- 0, 1, and 5 year forecast results
- Feature importance values for each data set
- Error metrics for each data set's regression



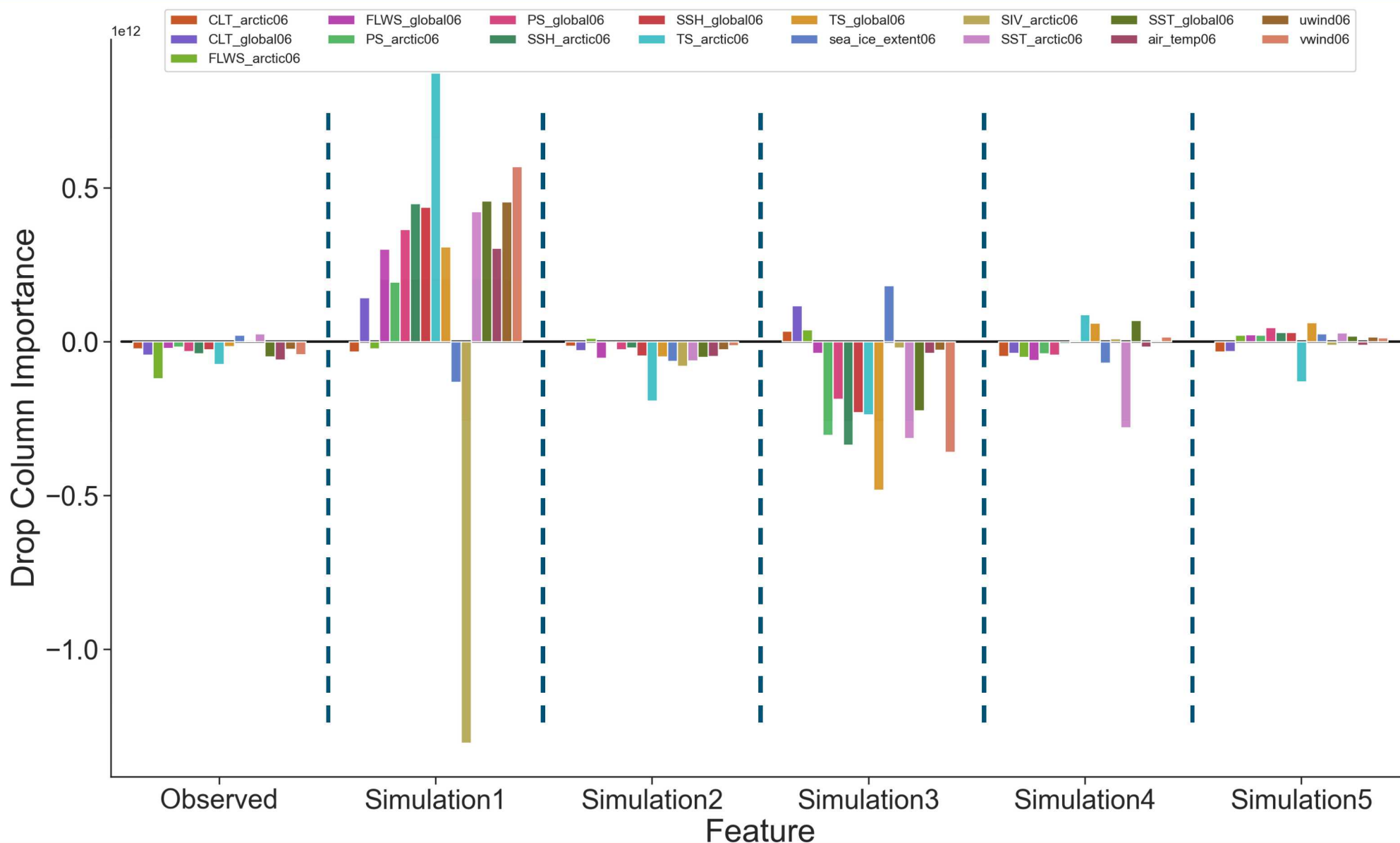
Observed	
R2: 0.9384	-0.1504
RMSE: 0.2057	0.6533
MAE: 0.1335	0.4622

Results: 0 Year Forecasts



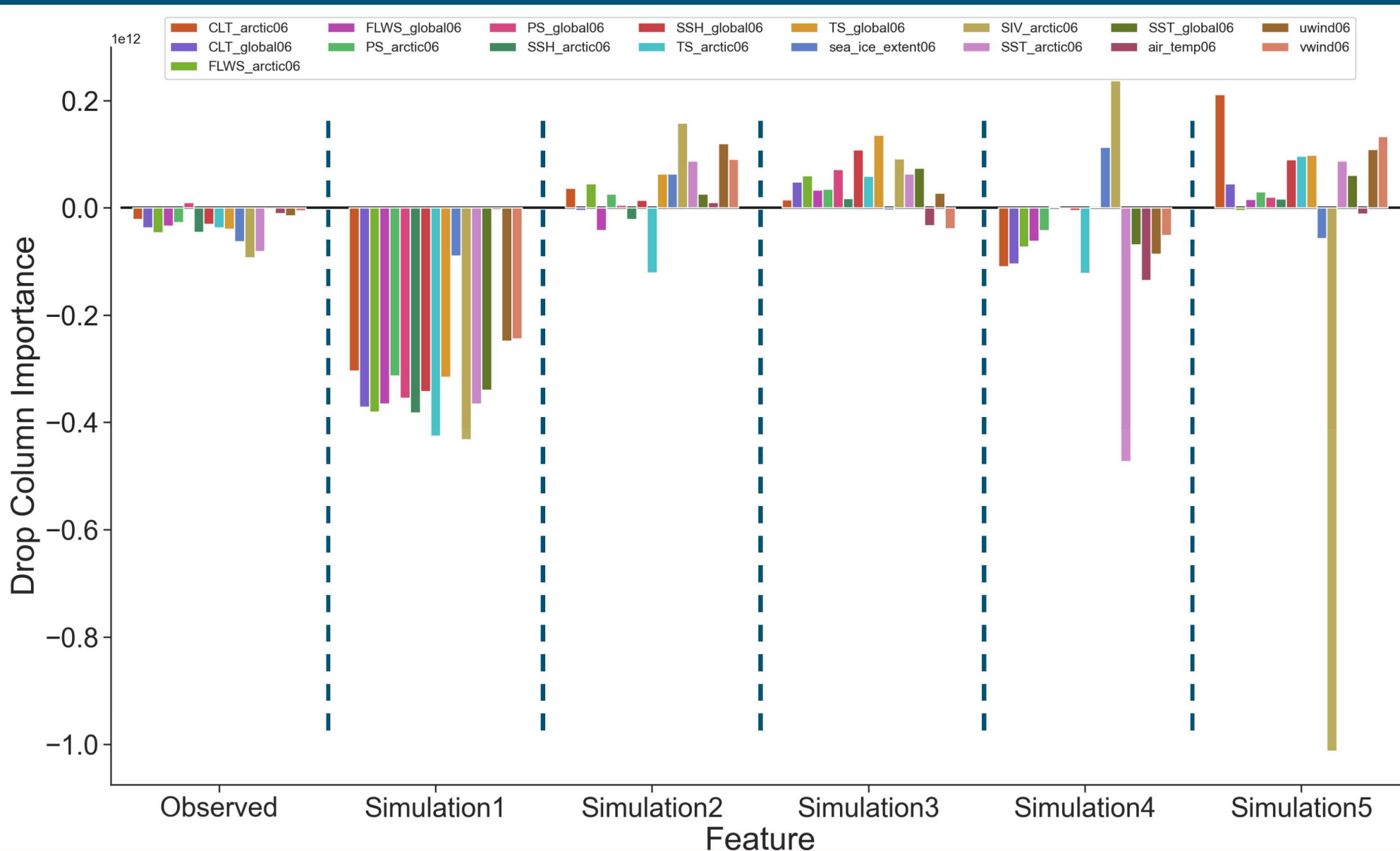
Train	Test
Observed	
R2: 0.9714	0.0000
RMSE: 0.1729	0.0000
MAE: 0.1342	0.0000
Simulation1	
R2: 0.9869	0.0000
RMSE: 0.2141	0.0000
MAE: 0.1351	0.0000
Simulation2	
R2: 0.9850	0.0000
RMSE: 0.1741	0.0000
MAE: 0.1518	0.0000
Simulation3	
R2: 0.9708	0.0000
RMSE: 0.2830	0.0000
MAE: 0.1367	0.0000
Simulation4	
R2: 0.9650	0.0000
RMSE: 0.2899	0.0000
MAE: 0.1369	0.0000
Simulation5	
R2: 0.9786	0.0000
RMSE: 0.2781	0.0000
MAE: 0.2162	0.0000

Results: 1 Year Forecasts

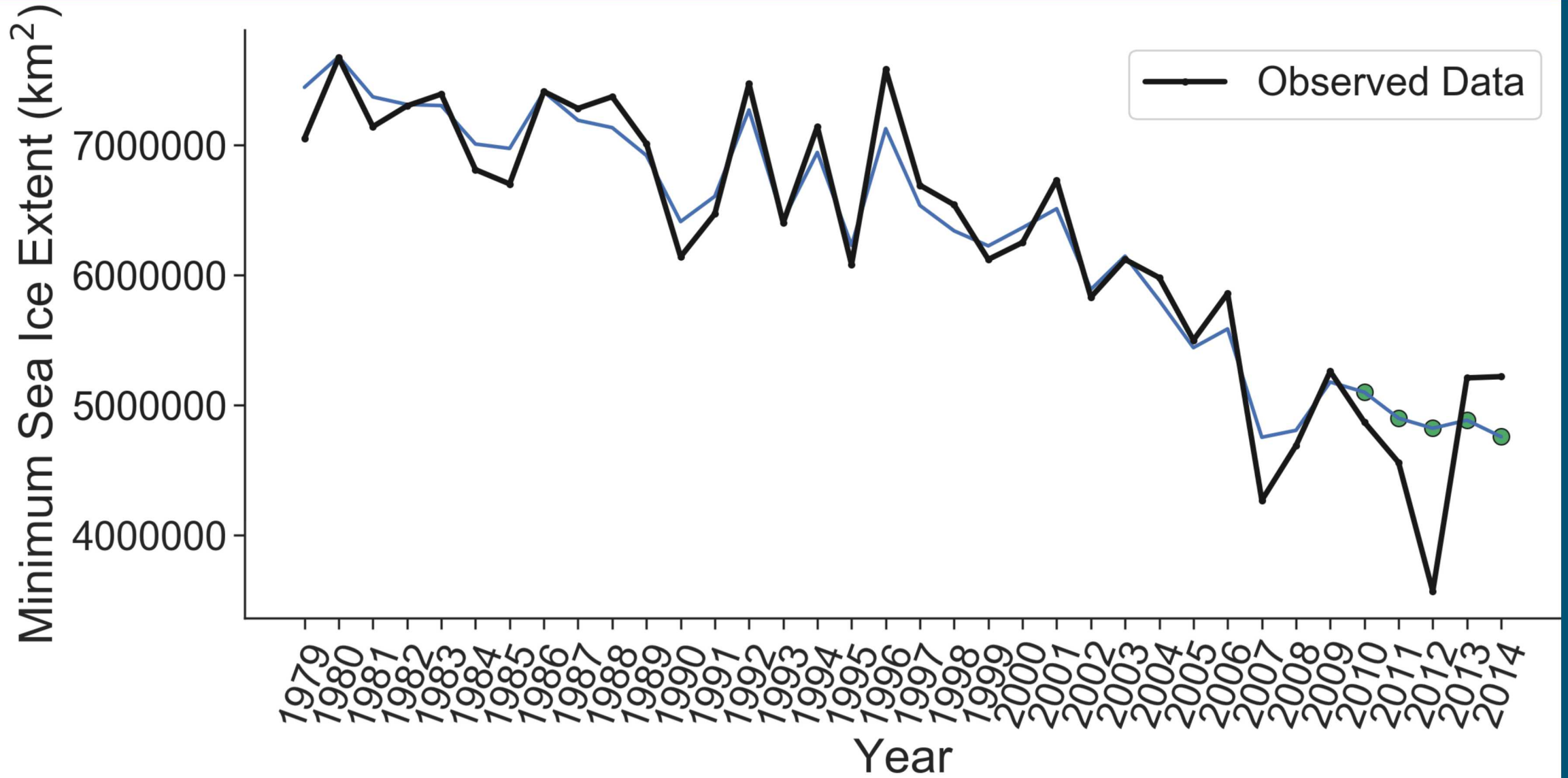


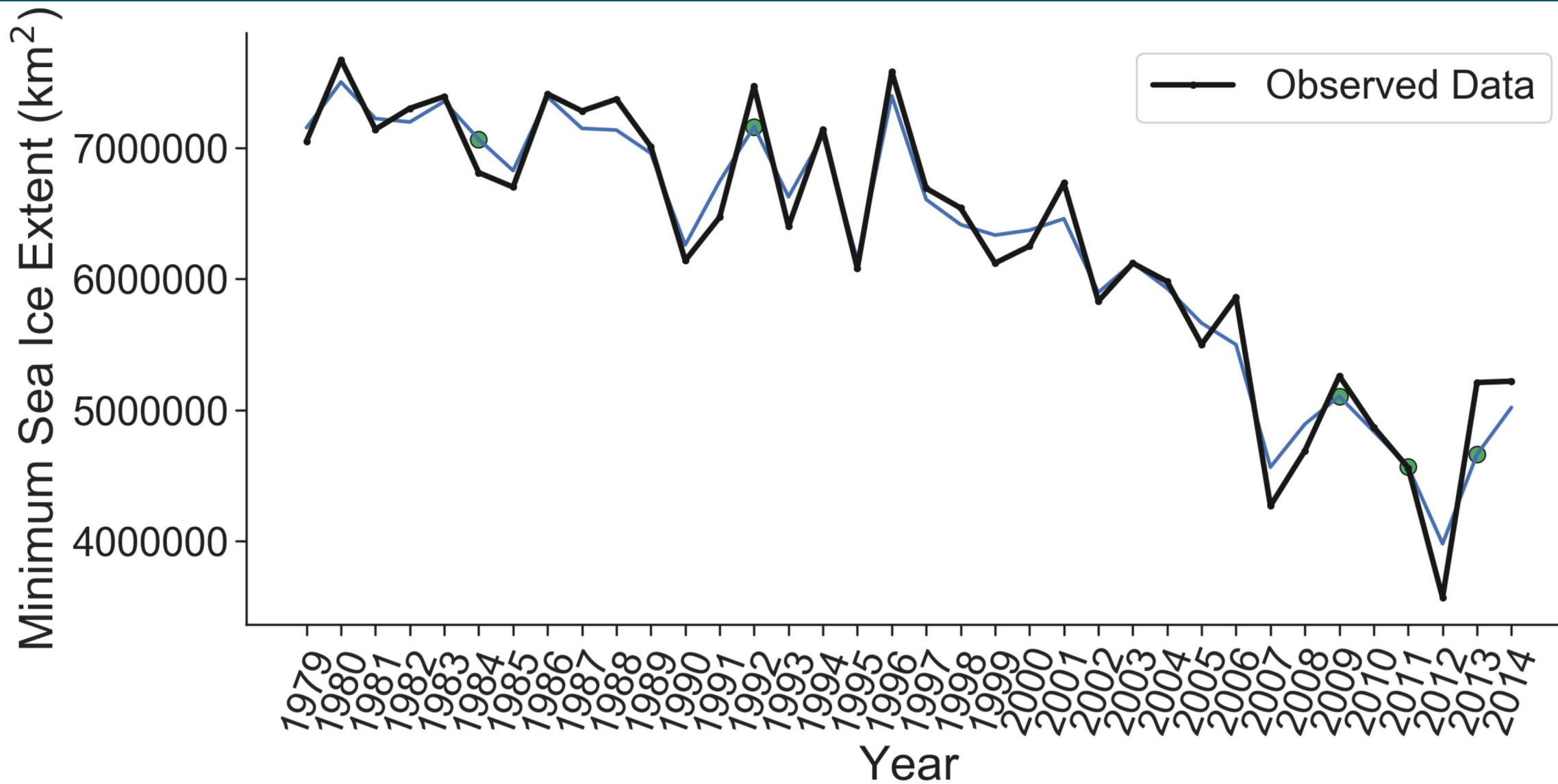
Train	Test
Observed	
R2: 0.9484	-inf
RMSE: 0.2322	0.6966
MAE: 0.1650	0.6966
Simulation1	
R2: 0.9708	-inf
RMSE: 0.3214	2.1728
MAE: 0.1665	2.1728
Simulation2	
R2: 0.9541	-inf
RMSE: 0.2930	0.2326
MAE: 0.1906	0.2326
Simulation3	
R2: 0.9578	-inf
RMSE: 0.3229	0.4385
MAE: 0.1743	0.4385
Simulation4	
R2: 0.9451	-inf
RMSE: 0.3568	0.1227
MAE: 0.2517	0.1227
Simulation5	
R2: 0.9626	-inf
RMSE: 0.3598	0.8067
MAE: 0.2440	0.8067

Results: 5 Year Forecasts

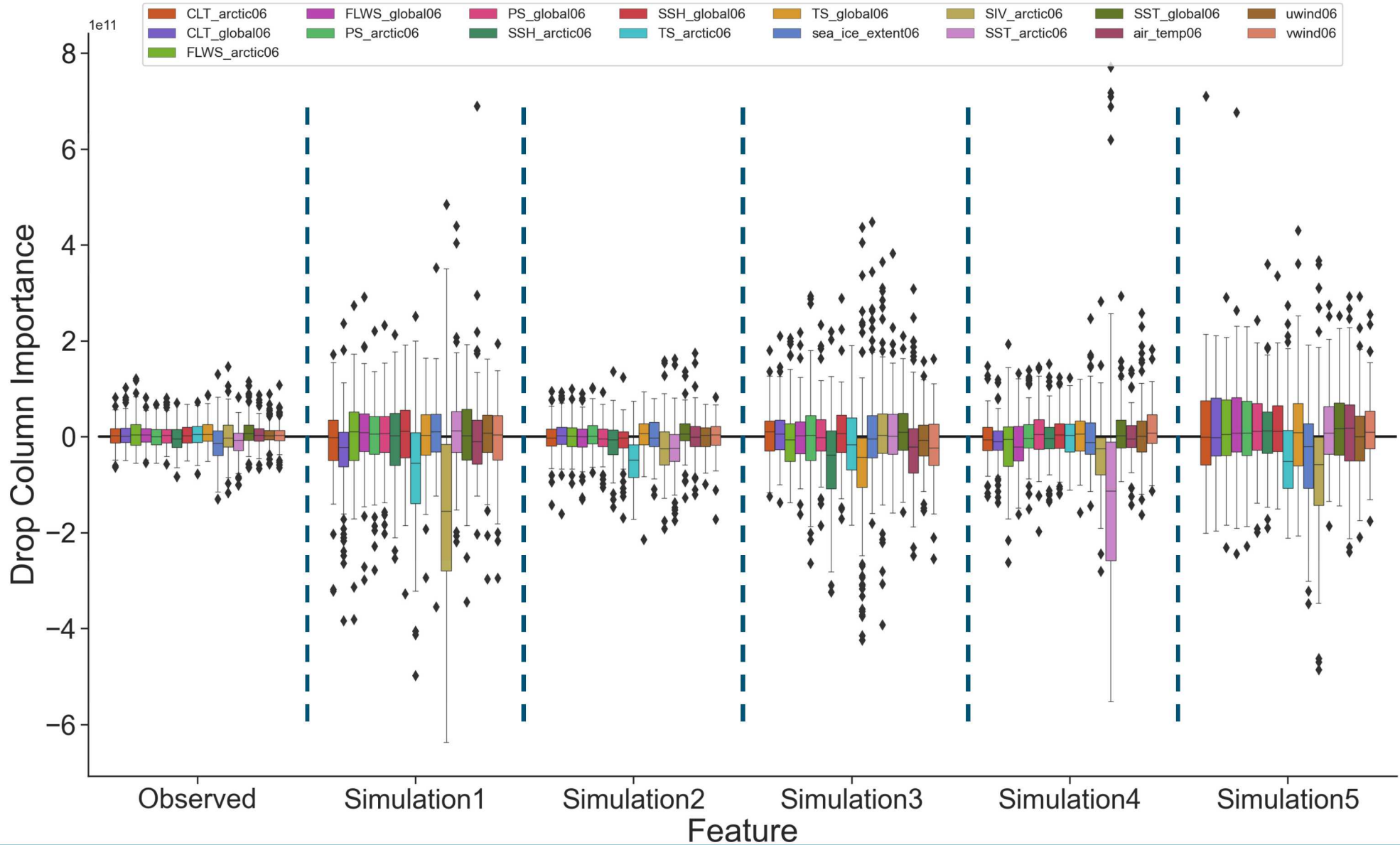


Train	Test
Observed	
R2: 0.9384	-0.1504
RMSE: 0.2057	0.6533
MAE: 0.1335	0.4622
Simulation1	
R2: 0.9805	-0.5267
RMSE: 0.2257	1.7192
MAE: 0.1359	1.4005
Simulation2	
R2: 0.9457	-10.1855
RMSE: 0.2207	1.7393
MAE: 0.1222	1.3753
Simulation3	
R2: 0.9641	-0.1832
RMSE: 0.2848	1.0340
MAE: 0.1505	0.4803
Simulation4	
R2: 0.9500	-0.8285
RMSE: 0.3412	0.8835
MAE: 0.1409	0.5806
Simulation5	
R2: 0.9692	-0.4969
RMSE: 0.2874	1.1687
MAE: 0.2384	1.0980





Results: 5 Random Test Years

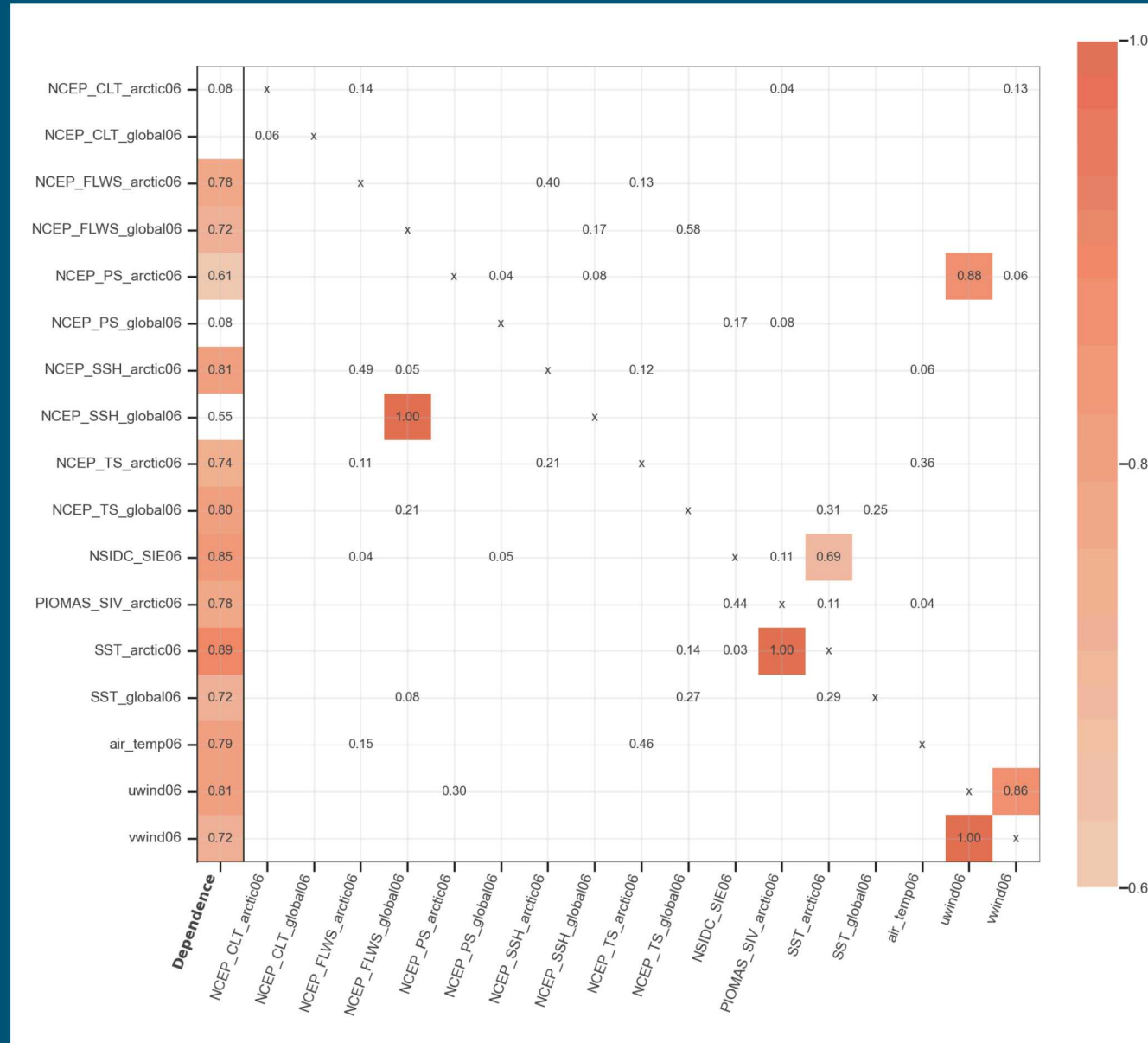


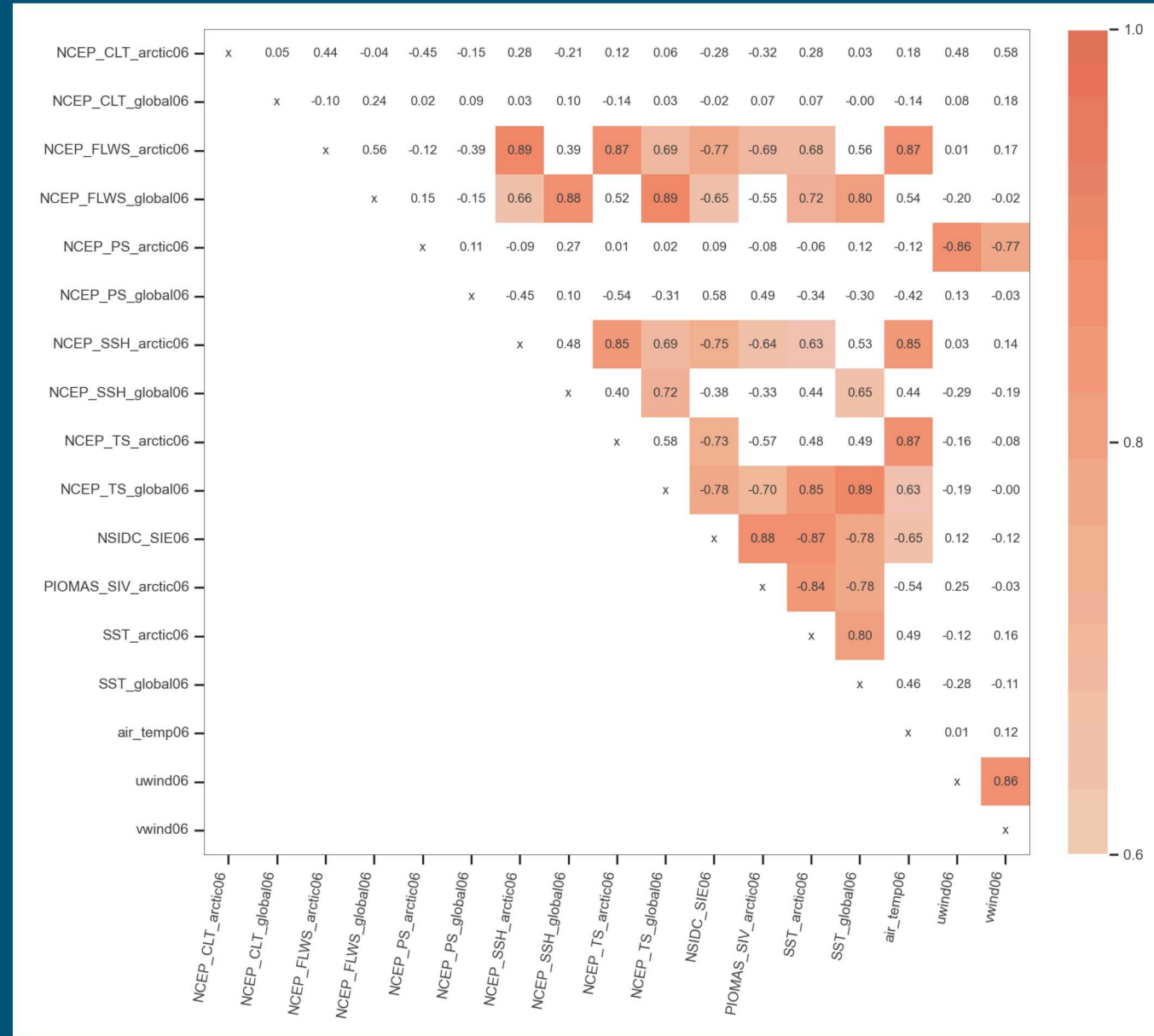
Train	Test
Observed	
R2: 0.9648	0.4939
RMSE: 0.1903	0.508
MAE: 0.1234	0.3691
Simulation1	
R2: 0.9744	0.5423
RMSE: 0.2968	0.8438
MAE: 0.1889	0.6332
Simulation2	
R2: 0.9786	0.5289
RMSE: 0.2024	0.6095
MAE: 0.1395	0.4942
Simulation3	
R2: 0.9649	0.2872
RMSE: 0.3069	0.8401
MAE: 0.1942	0.6301
Simulation4	
R2: 0.9595	0.5483
RMSE: 0.3078	0.8127
MAE: 0.1702	0.5527
Simulation5	
R2: 0.9697	0.5733
RMSE: 0.3272	0.9756
MAE: 0.2151	0.778

Next Steps

- ❑ Investigate high variance of results
 - ❑ Likelihood of multicollinearity
 - ❑ Use principal component analysis and feature selection techniques to eliminate features
- ❑ Retrieve more features from E3SM that can be measured in nature
- ❑ Obtain domain expertise to determine relevant features

Multicollinearity: Dependency Matrix



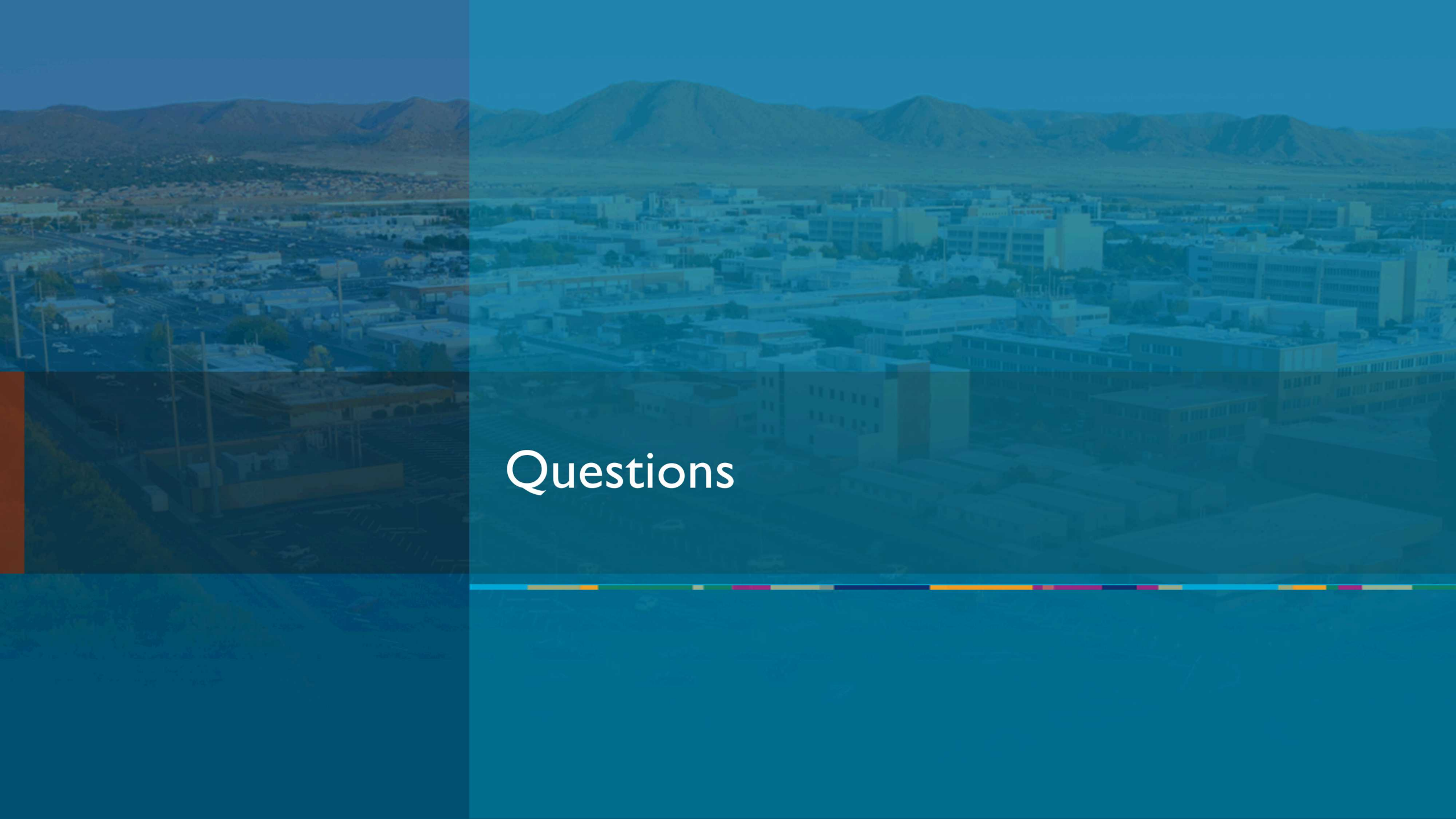


Inconsistency between data sets at all forecast intervals.

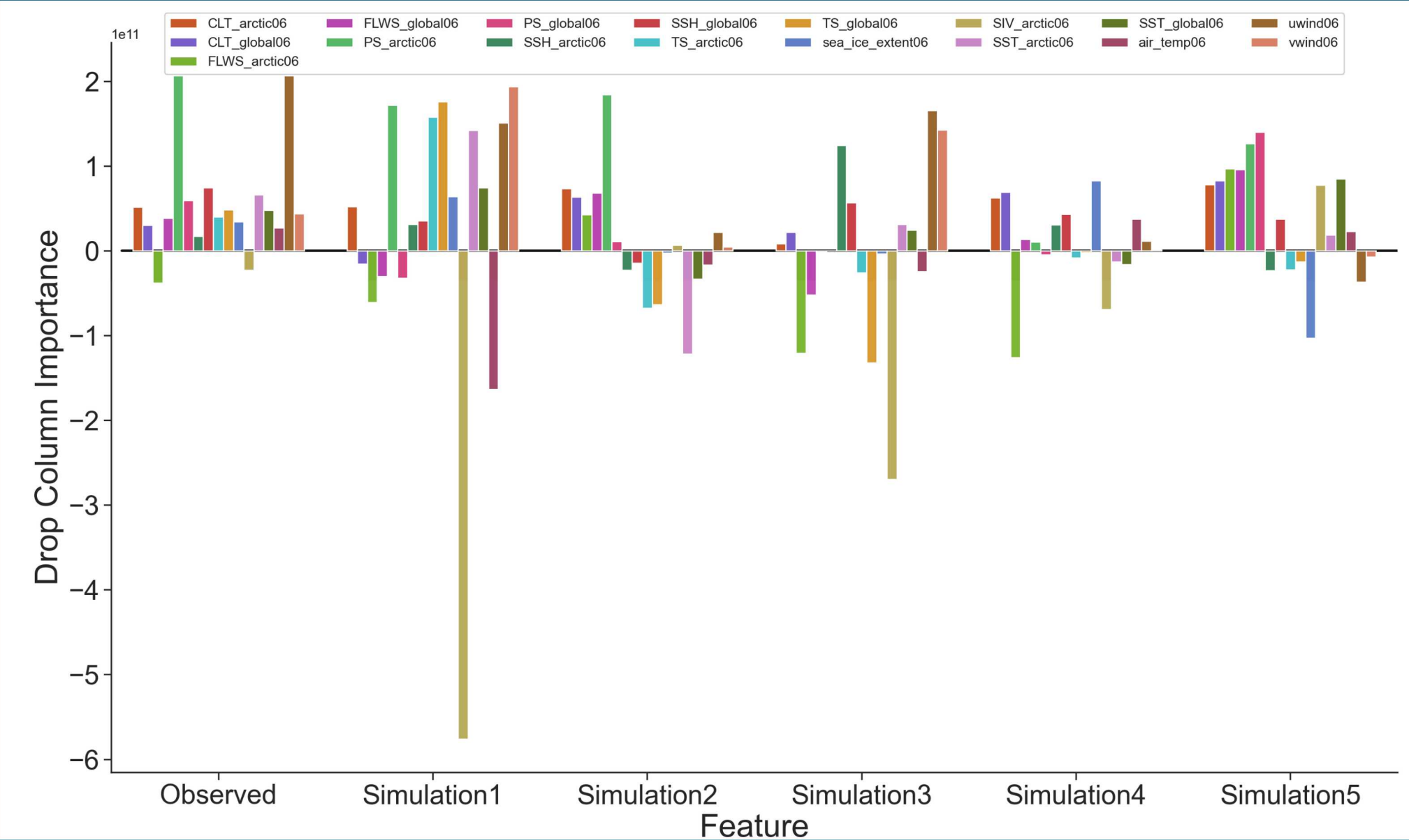
Model accuracy increases when it can train on more years but feature importance values do not become more consistent.

Choosing a random set of test years is ideal but introduces large variance in feature importance results.

Multicollinearity is likely the culprit as indicated by the correlation and dependency matrices.



Questions



Train	Test
Observed	
R2: 0.9051	-3.3662
RMSE: 0.1691	1.3109
MAE: 0.1280	0.9818
Simulation1	
R2: 0.9706	-4.0025
RMSE: 0.1901	2.3922
MAE: 0.1042	2.3208
Simulation2	
R2: 0.9434	-2.1010
RMSE: 0.1779	1.7757
MAE: 0.0983	1.5042
Simulation3	
R2: 0.9595	-8.0864
RMSE: 0.1758	2.5147
MAE: 0.1307	2.5485
Simulation4	
R2: 0.9217	-3.2620
RMSE: 0.2972	1.6320
MAE: 0.1637	1.2468
Simulation5	
R2: 0.9431	-5.9398
RMSE: 0.2328	2.5439
MAE: 0.1951	2.4189