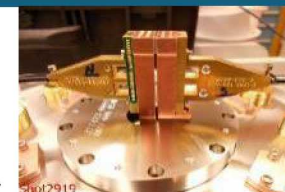
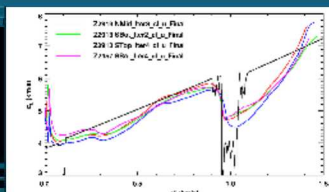
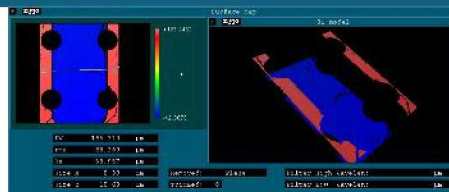
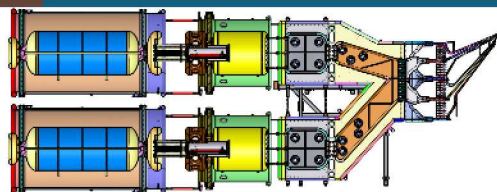


Non-Classified Research Program under the CEA-NNSA Agreement on Cooperation in Fundamental Science Supporting Stockpile Stewardship



Kickoff for Project P204: Kinetics of phase transformations in metals under dynamic compression



PRESENTED BY

Jean-Paul Davis

P204 Collaboration Kickoff Meeting
26-28 November 2018 in Albuquerque, NM, USA



Sandia National Laboratories is a multission laboratory managed and operated by National Technology and Engineering Solutions of Sandia LLC, a wholly owned subsidiary of Honeywell International Inc. for the U.S. Department of Energy's National Nuclear Security Administration under contract DE-NA0003525.

Overarching goal of collaboration P204

share knowledge and experience in all areas relevant to performing and analyzing experiments on phase transformation kinetics in metals, including:

- experiment design for both pulsed-power and gun drivers
- temperature, X-ray diffraction (XRD), and other diagnostics
- pre-heating (and maybe pre-cooling?) of samples
- analysis of experimental data
- materials modeling of phase transformations with kinetics

Additional goals for this kickoff meeting

- define specific collaboration projects for continuing work
- experiments either newly proposed, or already part of lab's program
- plan future in-person and remote-video meetings to ensure continuity

NNSA:

Jean-Paul Davis

Dan Dolan, Tom Hartsfield (pyrometry)

Tom Ao, Patricia Kalita (dynamic XRD)

Justin Brown (pre-heating)

CEA:

Camille Chauvin

Thierry d'Almeida

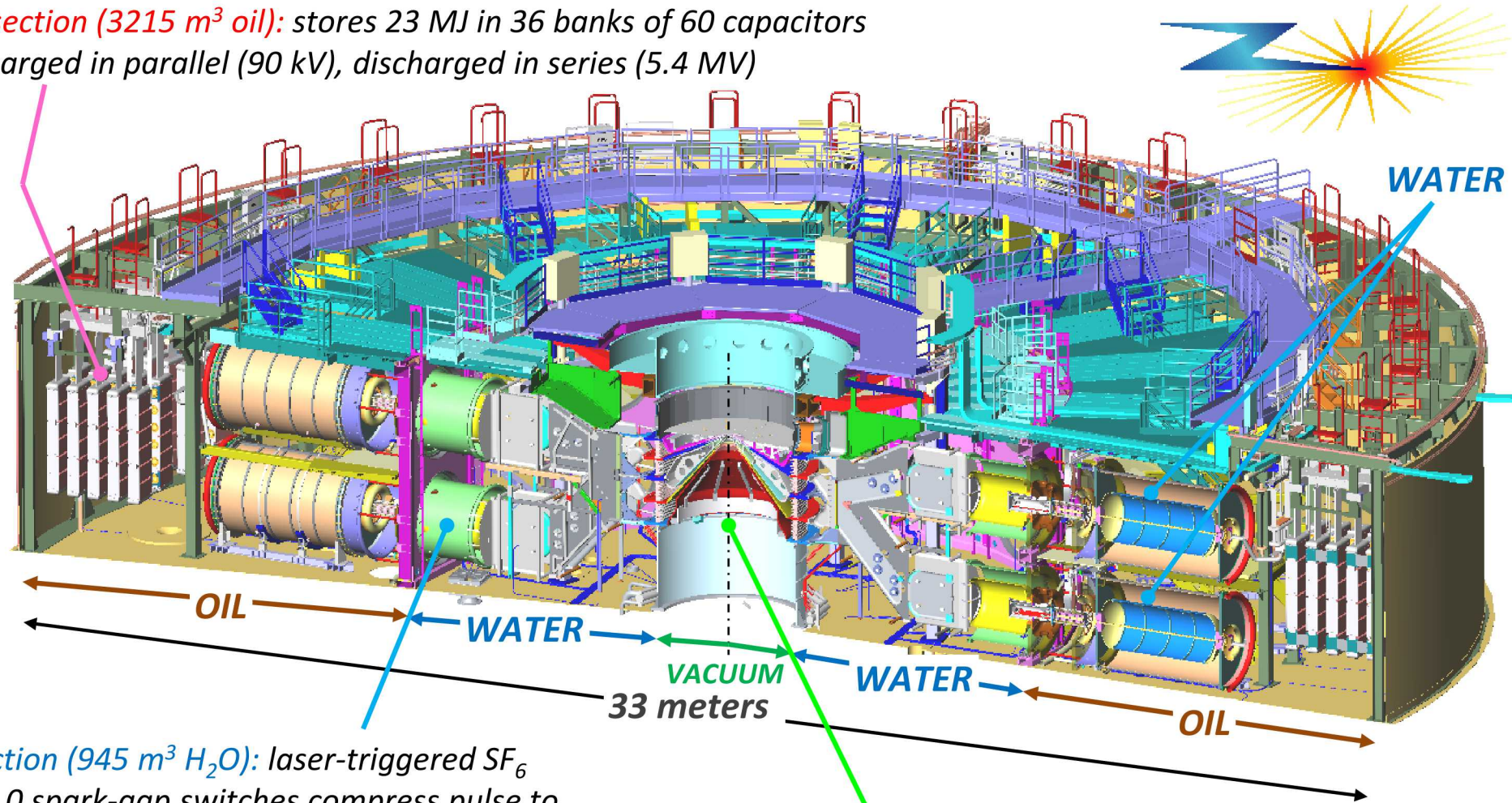
Frédéric Zucchini

François Lassalle

The Z Machine, refurbished in 2007, saw subsequent upgrades of Laser-Triggered Gas Switches and Pulse-Forming Lines



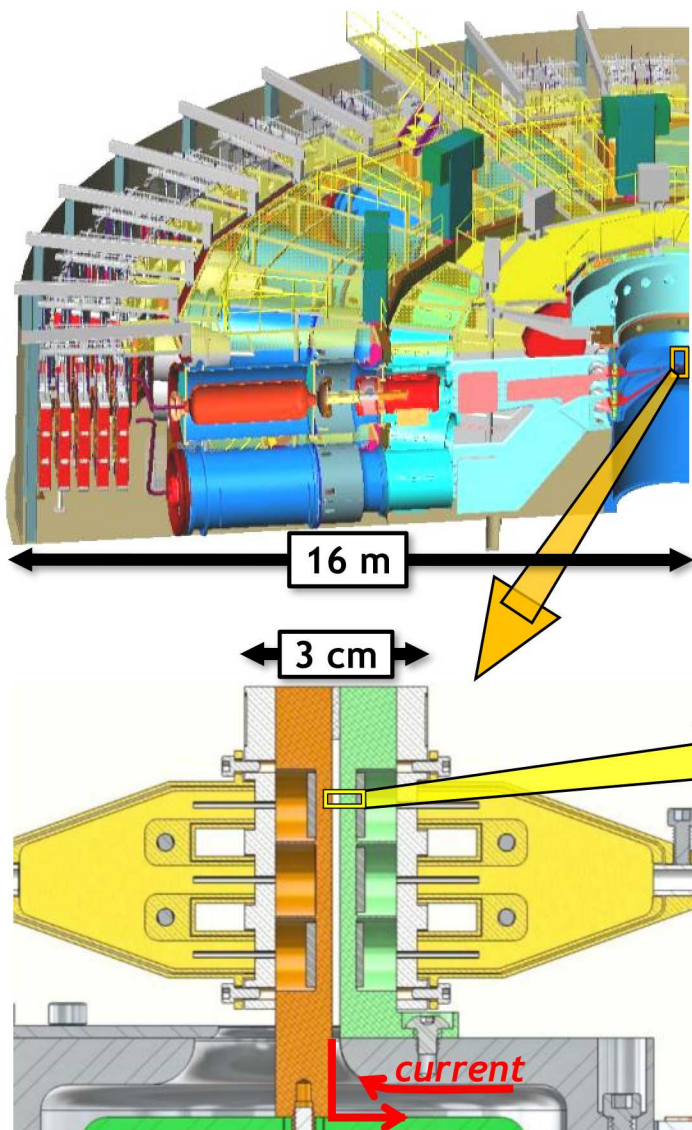
energy storage section (3215 m³ oil): stores 23 MJ in 36 banks of 60 capacitors (each 2.3 μ F), charged in parallel (90 kV), discharged in series (5.4 MV)



pulse-forming section (945 m³ H₂O): laser-triggered SF₆ gas switches & H₂O spark-gap switches compress pulse to 100 ns rise time, tri-plates reduce 36 lines to 18, convolute reduces further to 4 radial feed gaps

center section (1.5 mPa vacuum): magnetically insulated transmission lines deliver up to 26 MA pulse to load, convolute reduces 4 feed gaps to 1

Planar shockless (and shock-ramp) compression to 400+ GPa is possible on the Z machine using stripline short-circuit loads

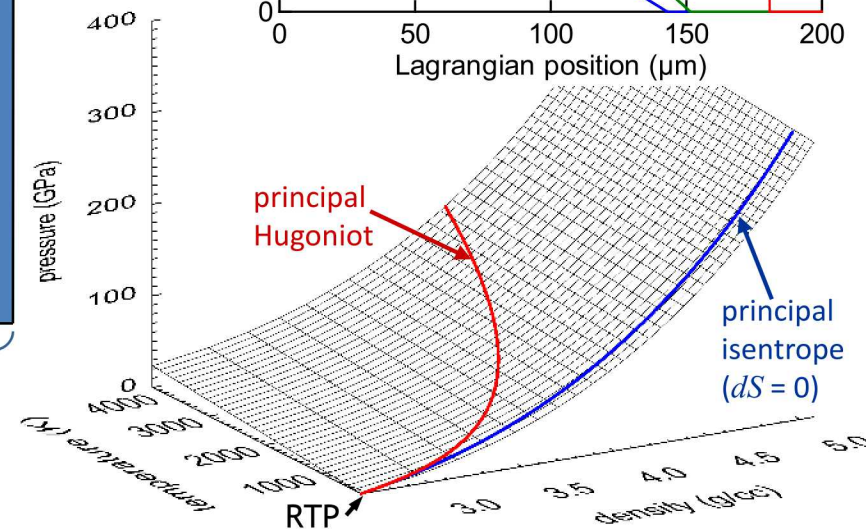
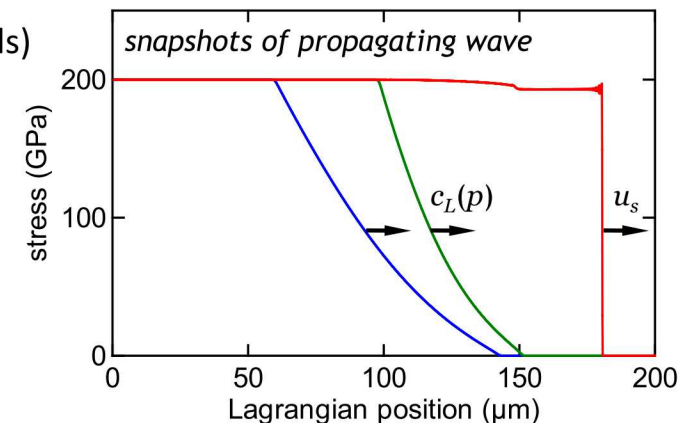
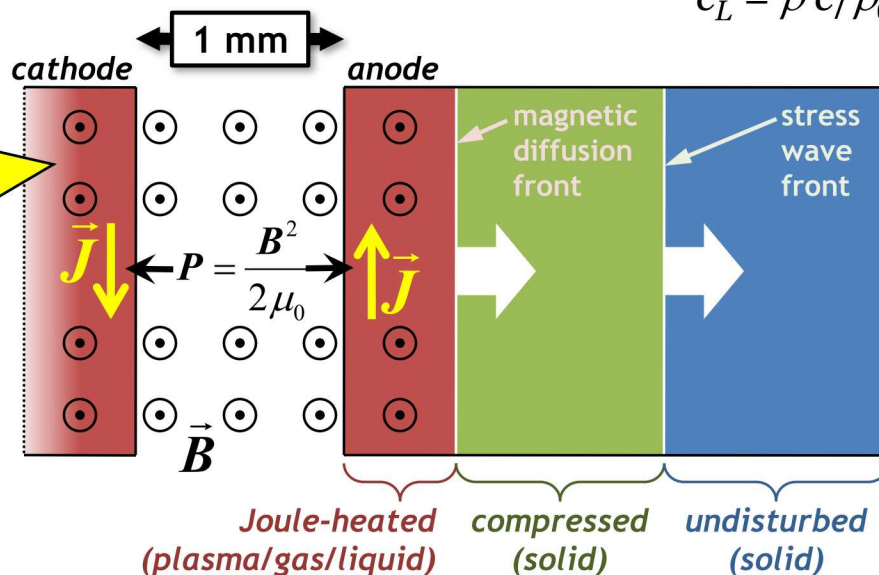


- current pulse of 7-26 MA delivered to load
- controllable pulse shape, rise time 100-1500 ns
- stripline = parallel flat-plate electrodes shorted at one end, identical loading of sample pairs
- magnetic ($\mathbf{J} \times \mathbf{B}$) force induces ramped stress wave in electrode material
- stress wave propagates into ambient material, de-coupled from magnetic diffusion front

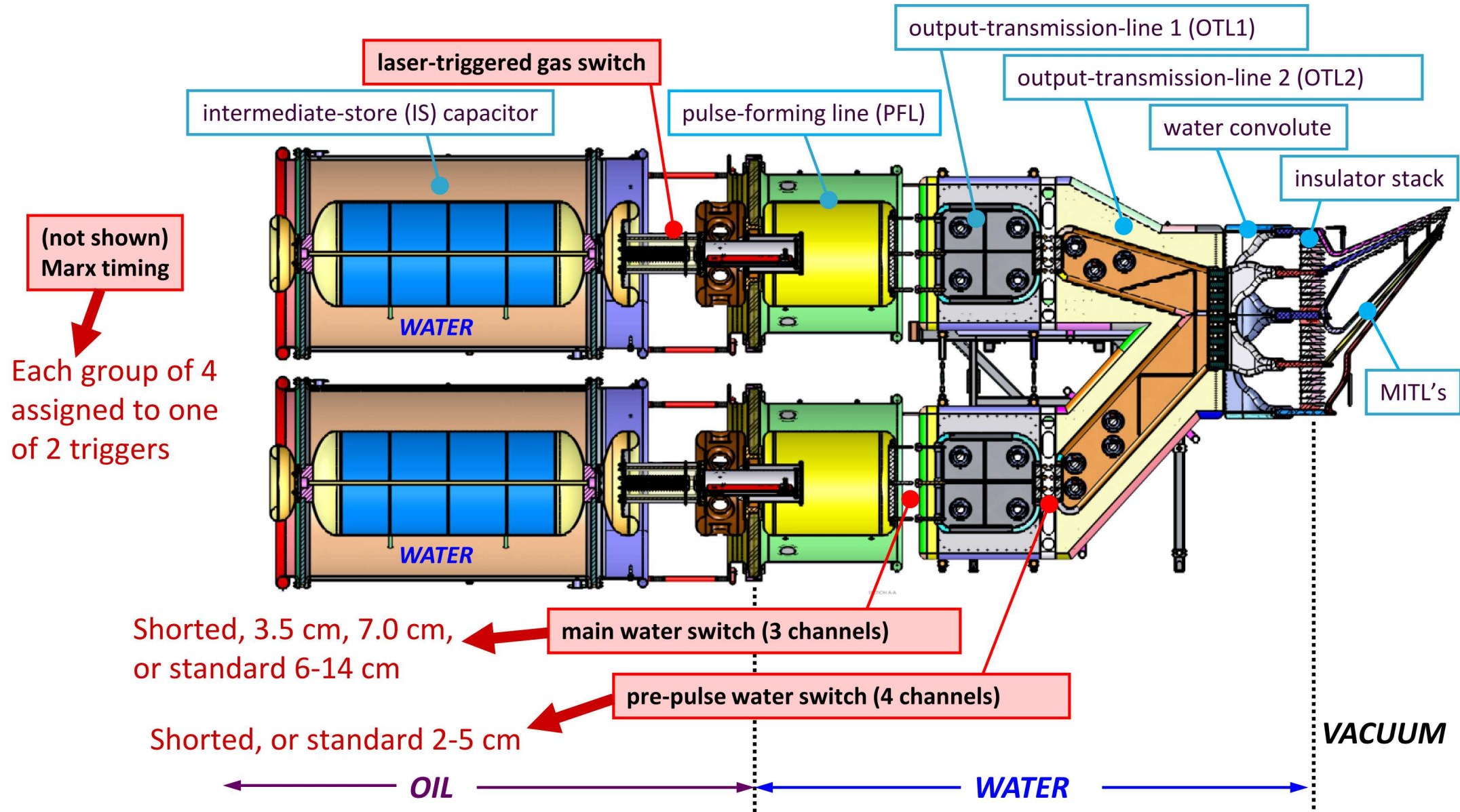
- sound speed c increases with pressure (normal materials)
- ramp steepens into a shock

$$c^2 = (\partial P / \partial \rho)_s$$

$$c_L = \rho c / \rho_0$$



Switch settings on 36 pulse lines control the pulse shape



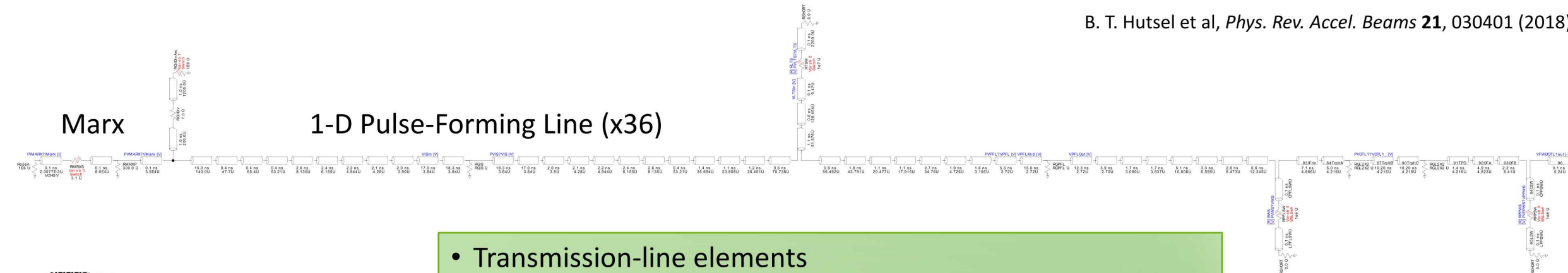
Transmission-line circuit model of Z used to determine desired machine settings



B. T. Hutsel et al, *Phys. Rev. Accel. Beams* **21**, 030401 (2018)

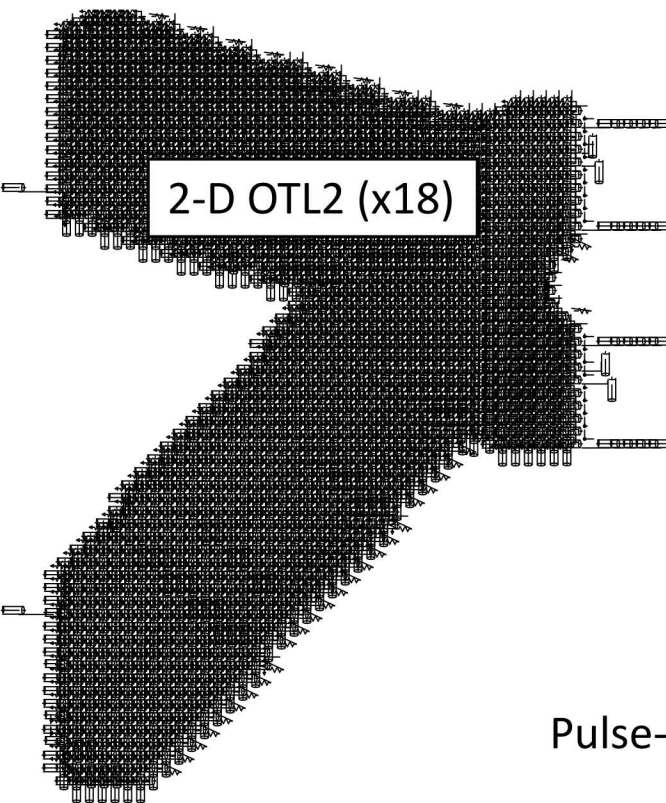
Marx

1-D Pulse-Forming Line (x36)



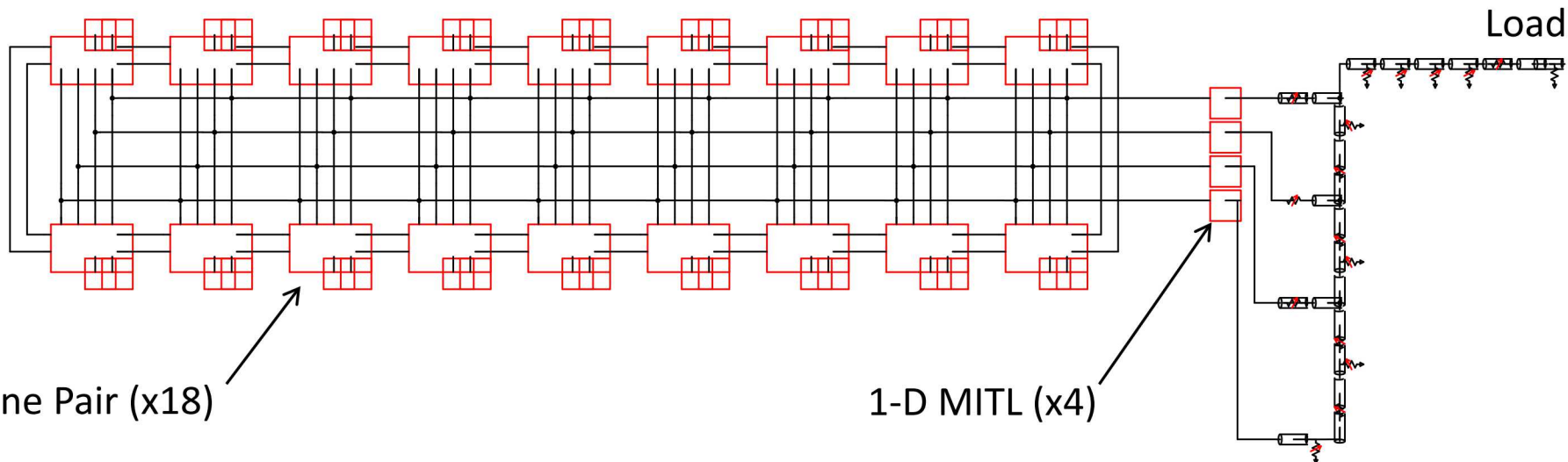
- Transmission-line elements
 - Defined by impedance Z , length (time) τ
 - Have capacitance $C = \tau / Z$, inductance $L = \tau Z$
- Specialized routines for switches, losses, time-dependent L

2-D OTL2 (x18)



Pulse-Line Pair (x18)

1-D MITL (x4)

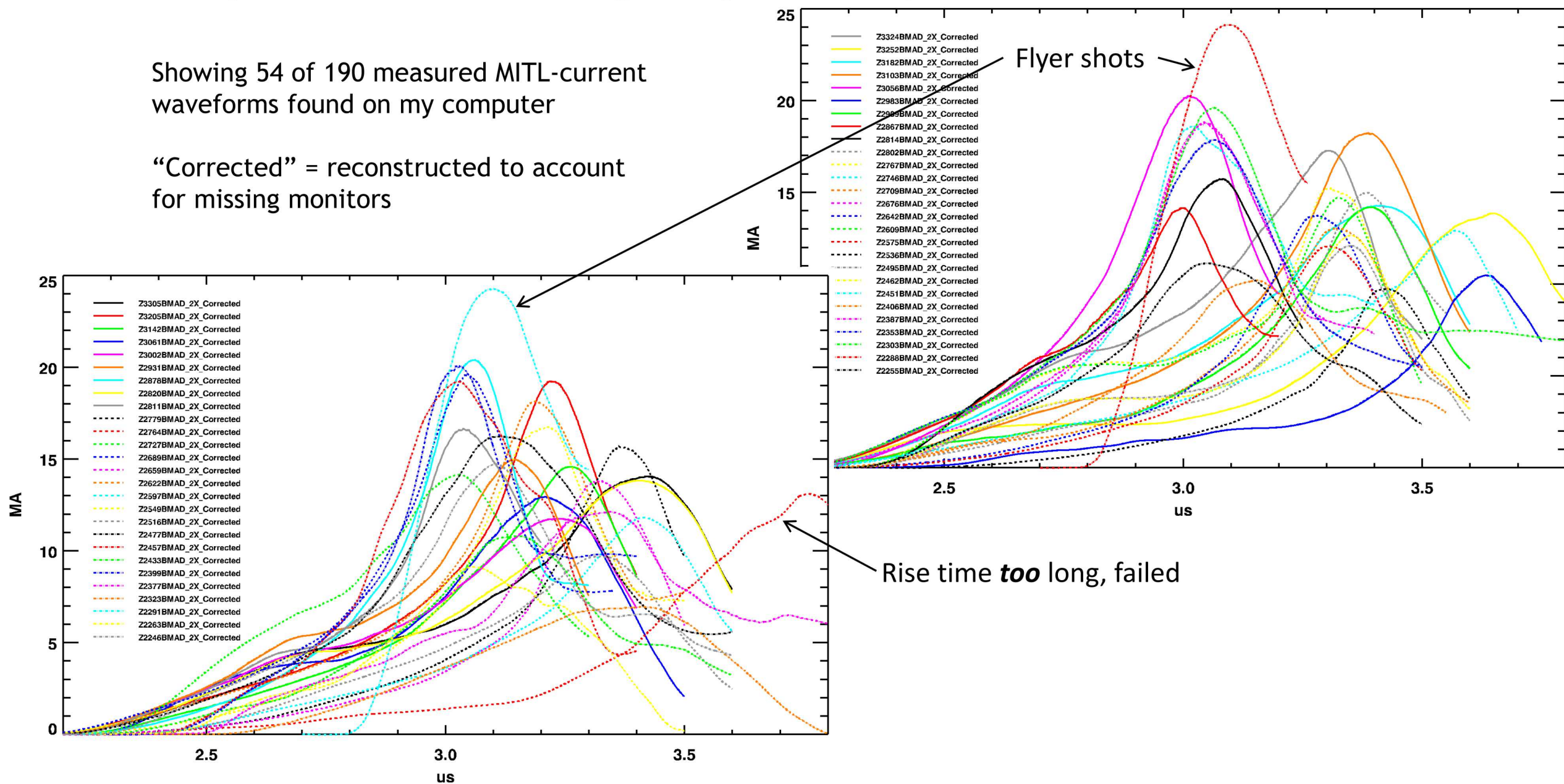


Z can produce a wide range of pulse shapes

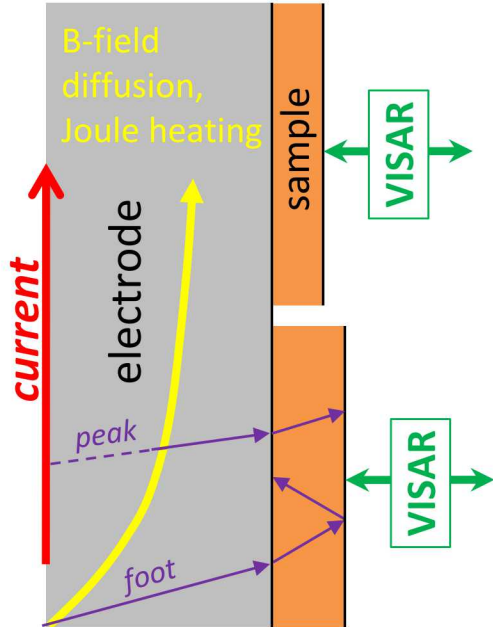


Showing 54 of 190 measured MITL-current waveforms found on my computer

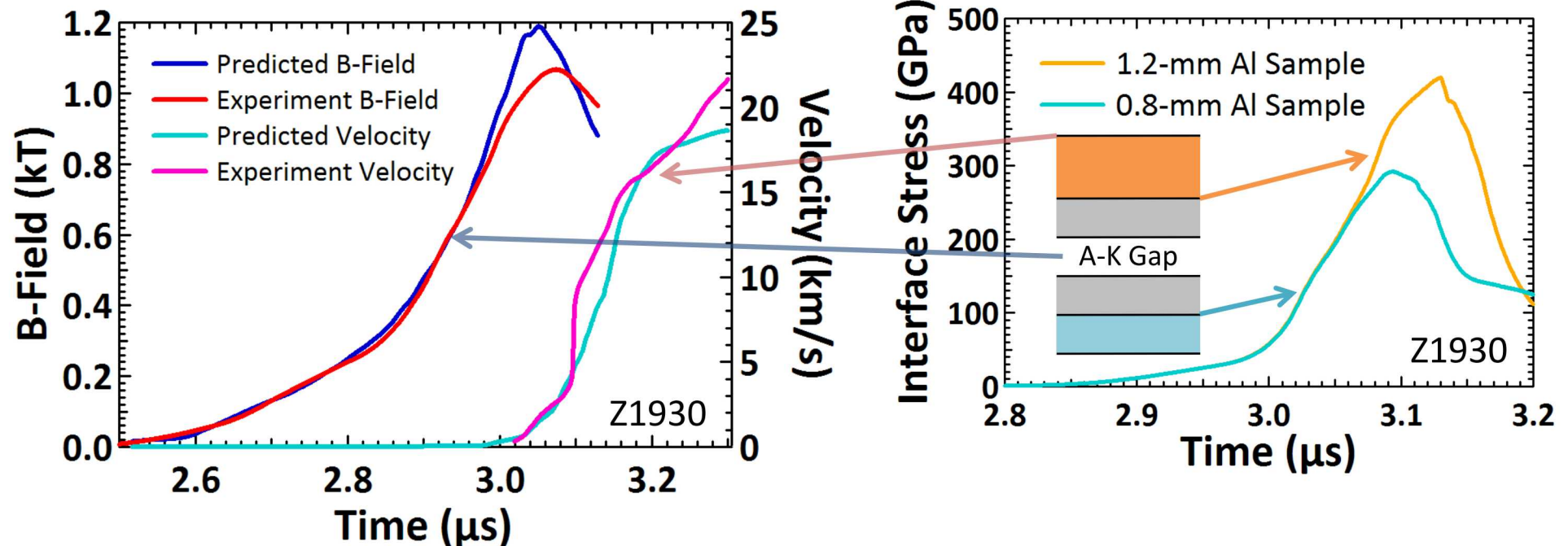
“Corrected” = reconstructed to account for missing monitors



Sample thickness constrained by reverberation and pulse shaping

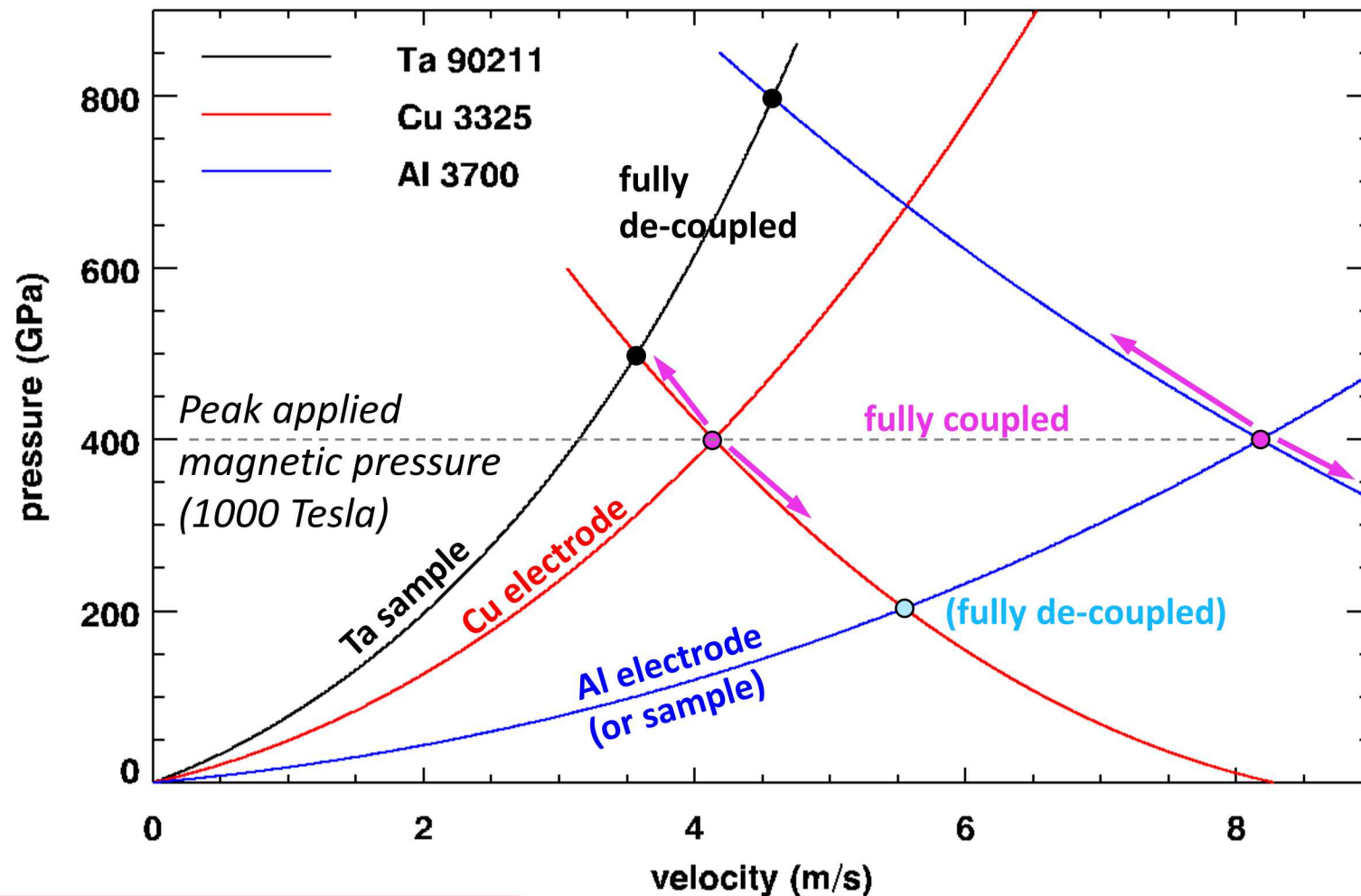
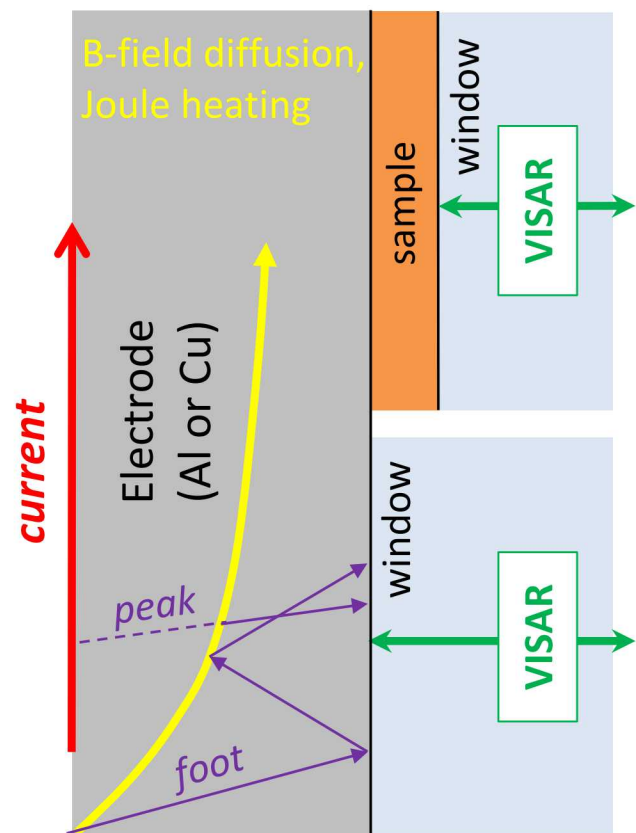


- uncertainty in $c_L = \Delta X / \Delta t$ depends on relative uncertainty in thickness difference
 - must maximize difference in thickness between samples
- requirement for 1-D shock-free loading limits **maximum thickness**
 - imprecision in pulse shaping makes ideal shock-up distance difficult to attain
- arrival of back-surface reflection at sample's front surface (*reverberation*) limits **minimum thickness** to achieve desired stress state
- increasing rise time to delay shock formation in thick sample reduces peak stress at front surface of thin sample



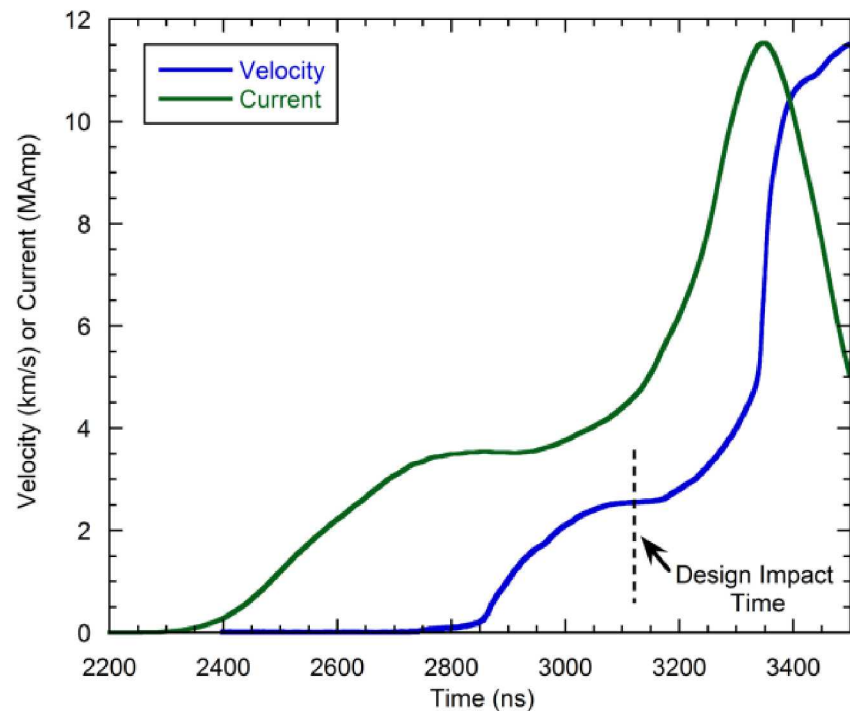
Narrow (highest pressure) stripline is ~11 mm wide, samples 6-8 mm wide: edge waves & pulse shape constrain maximum thickness

Electrode thickness constrained by desired MHD coupling (reverberation inside the electrode)

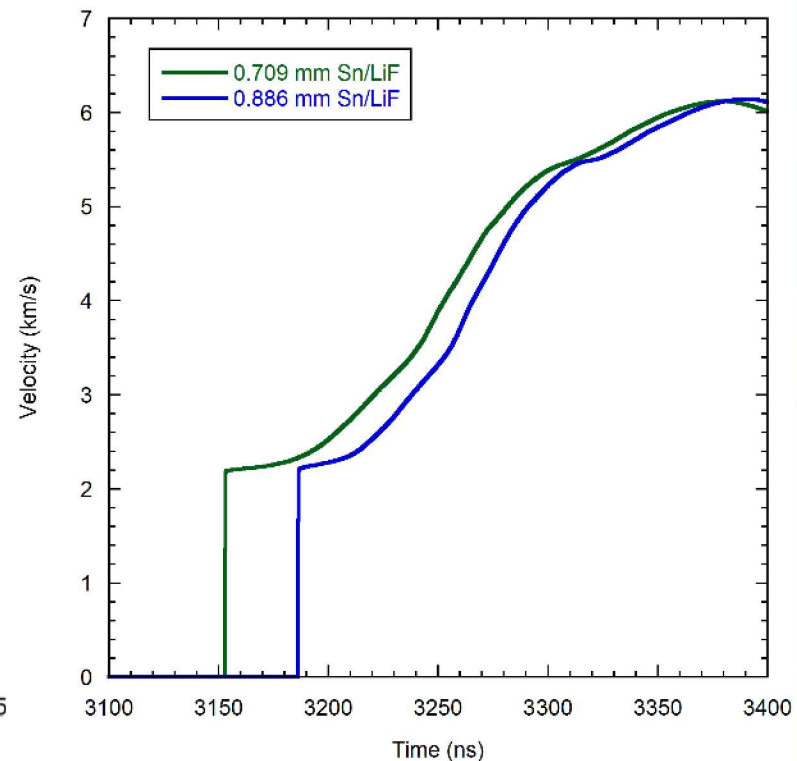
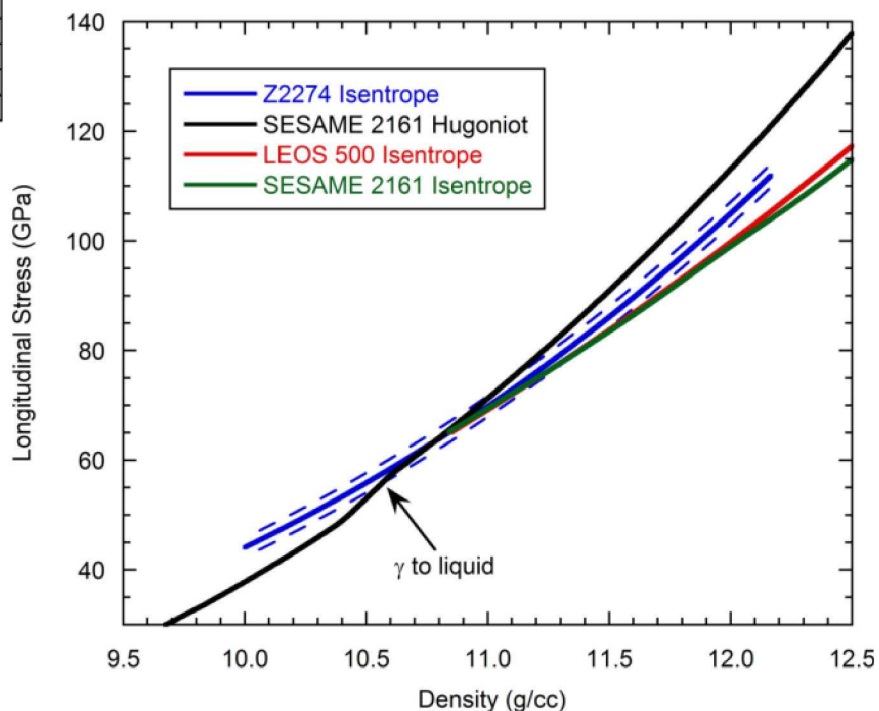
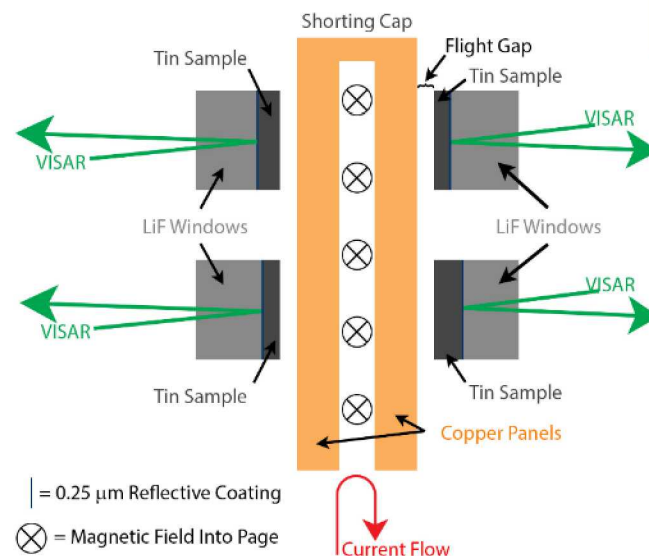
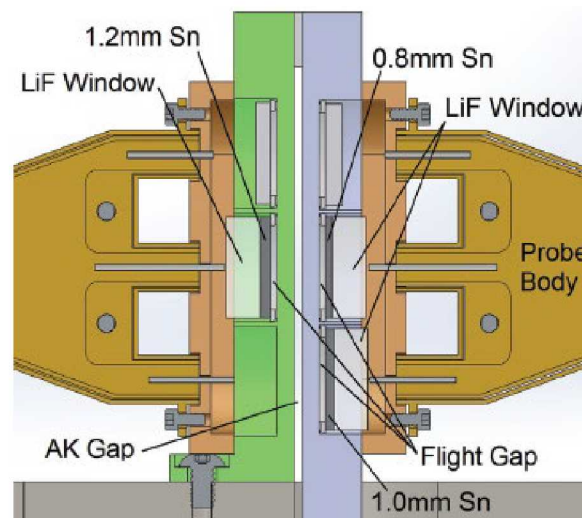


- **minimum thickness** to avoid “burn-through” of B-field to sample
- **maximum thickness** to decouple MHD, ramp-load sample

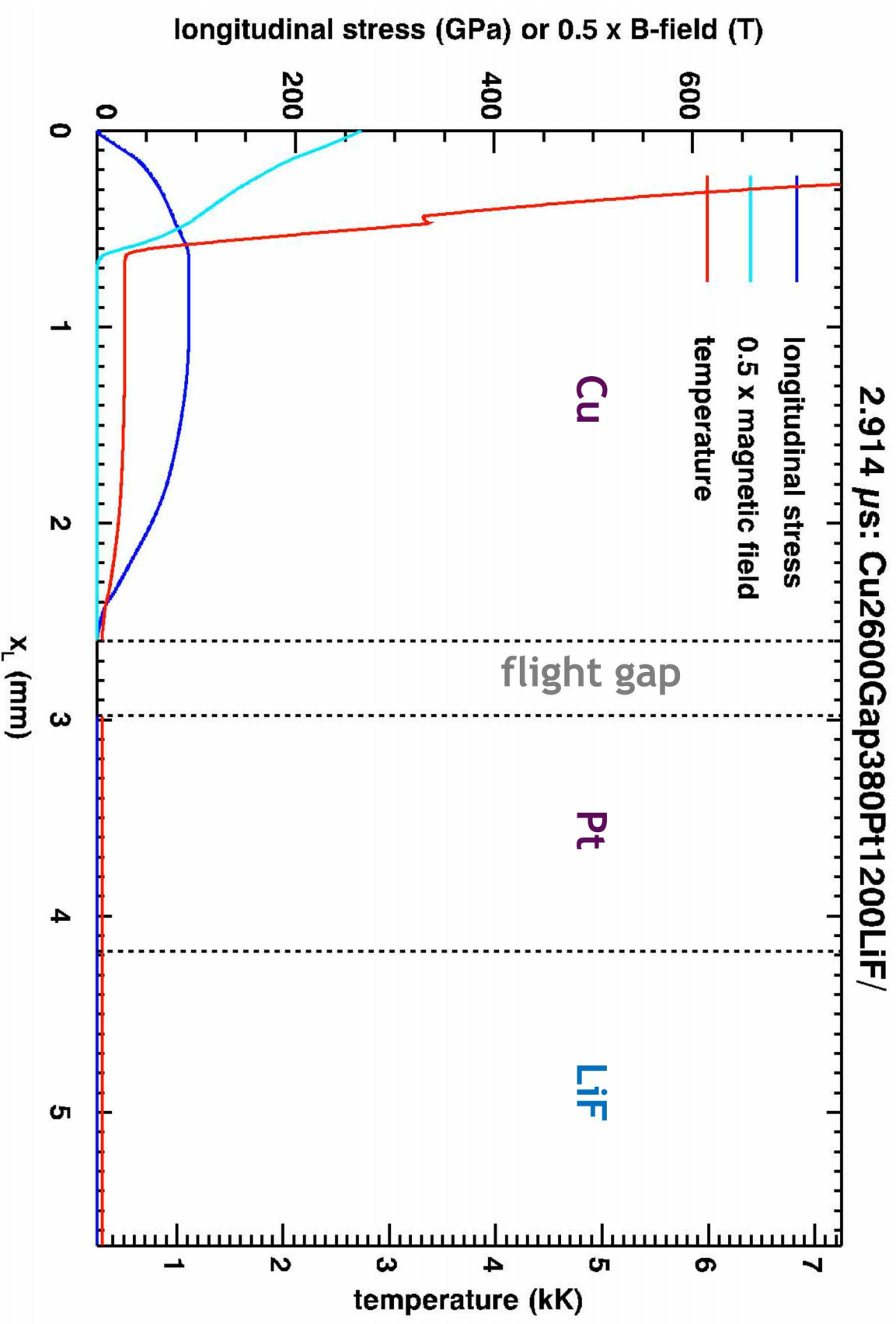
Shock-ramp loading: double-ramp pulse shape “holds” a Hugoniot state in the sample before ramping



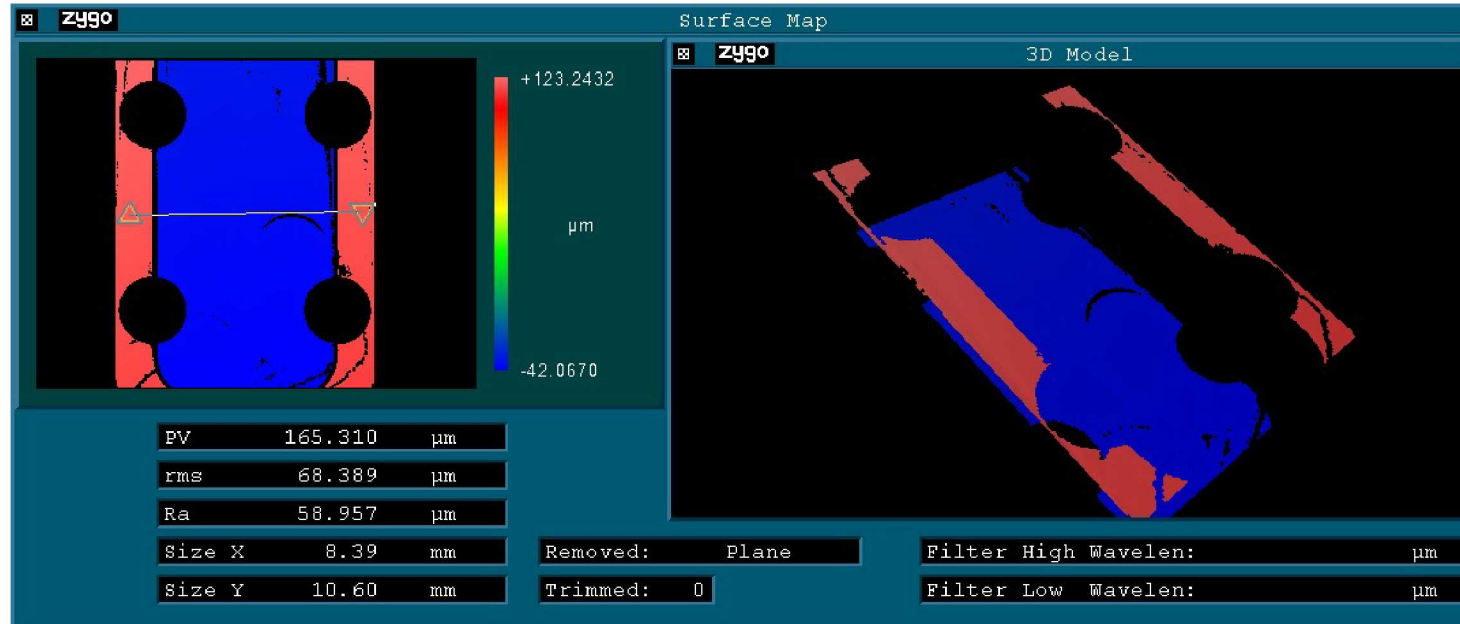
- Small flight gap causes shock, then ramp in sample
- Analysis assumes shock state is known
- Tin shocked to liquid phase (?), then isentropically compressed



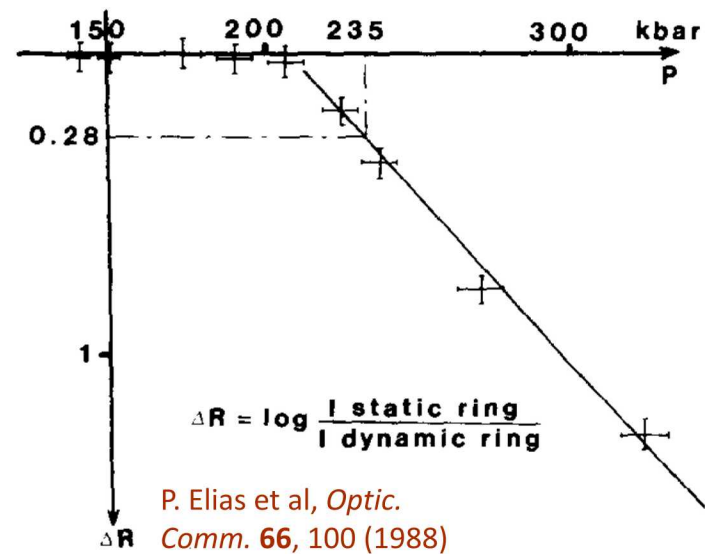
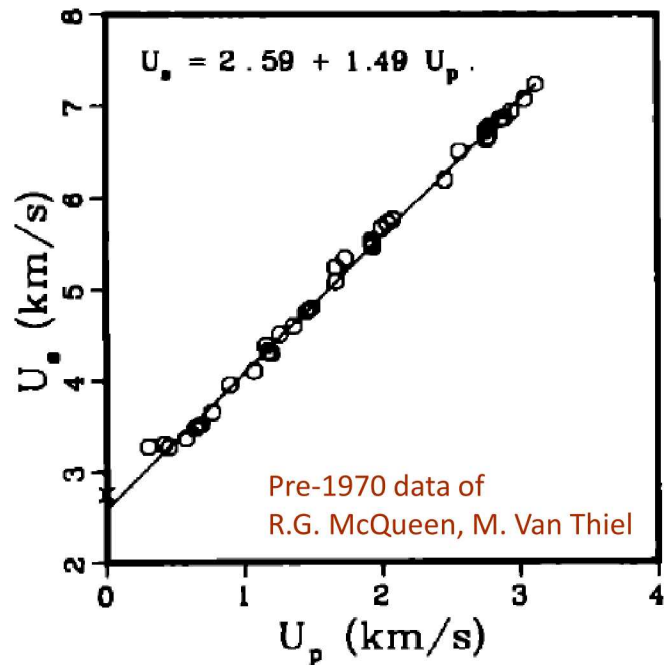
Reverberation across sample and MHD coupling across electrode can be even more important in shock-ramp design



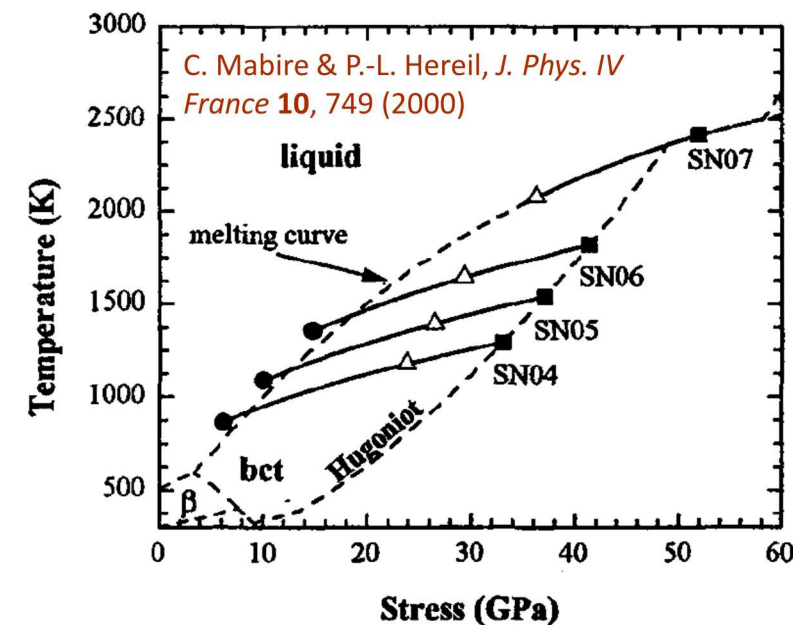
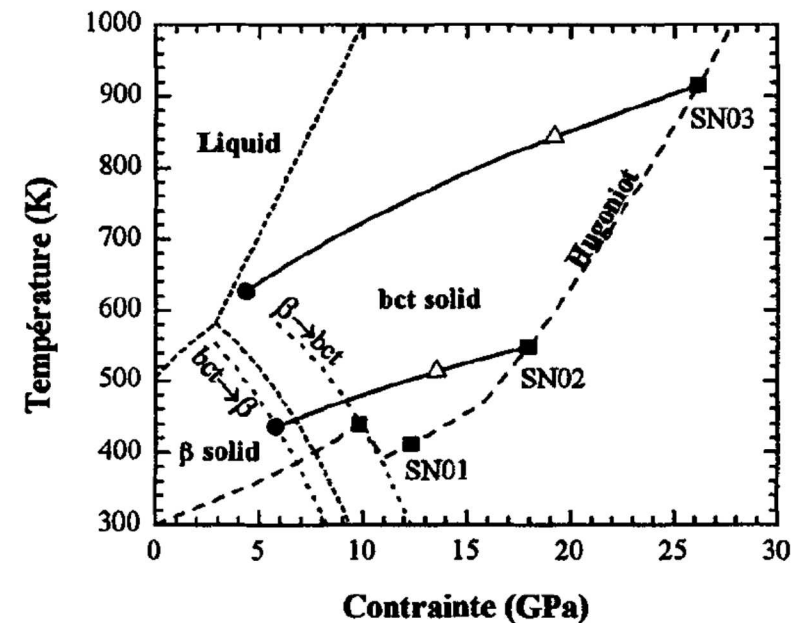
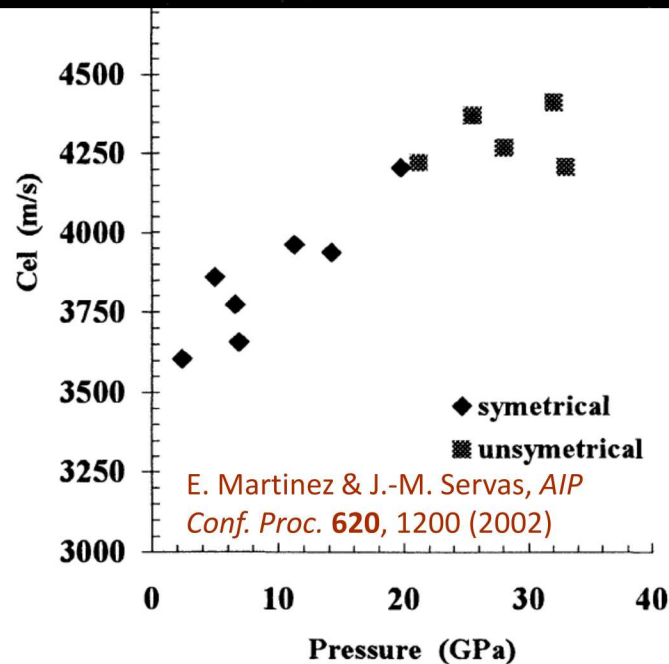
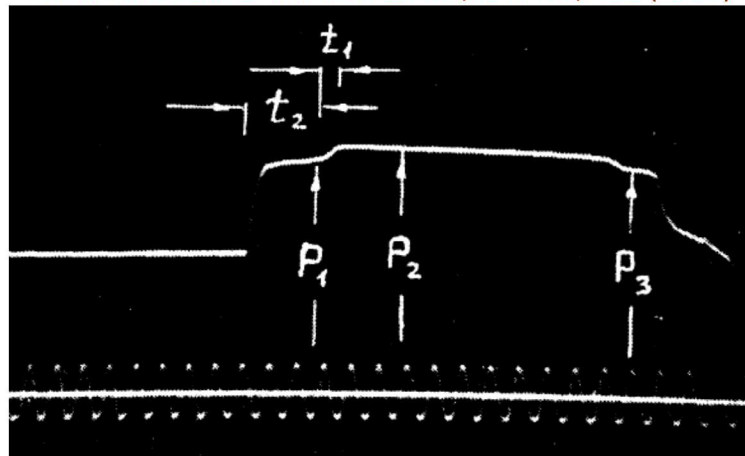
Precise, uniform, repeatable shock-ramp flight gap obtained by diamond-tool milling the electrode panel itself



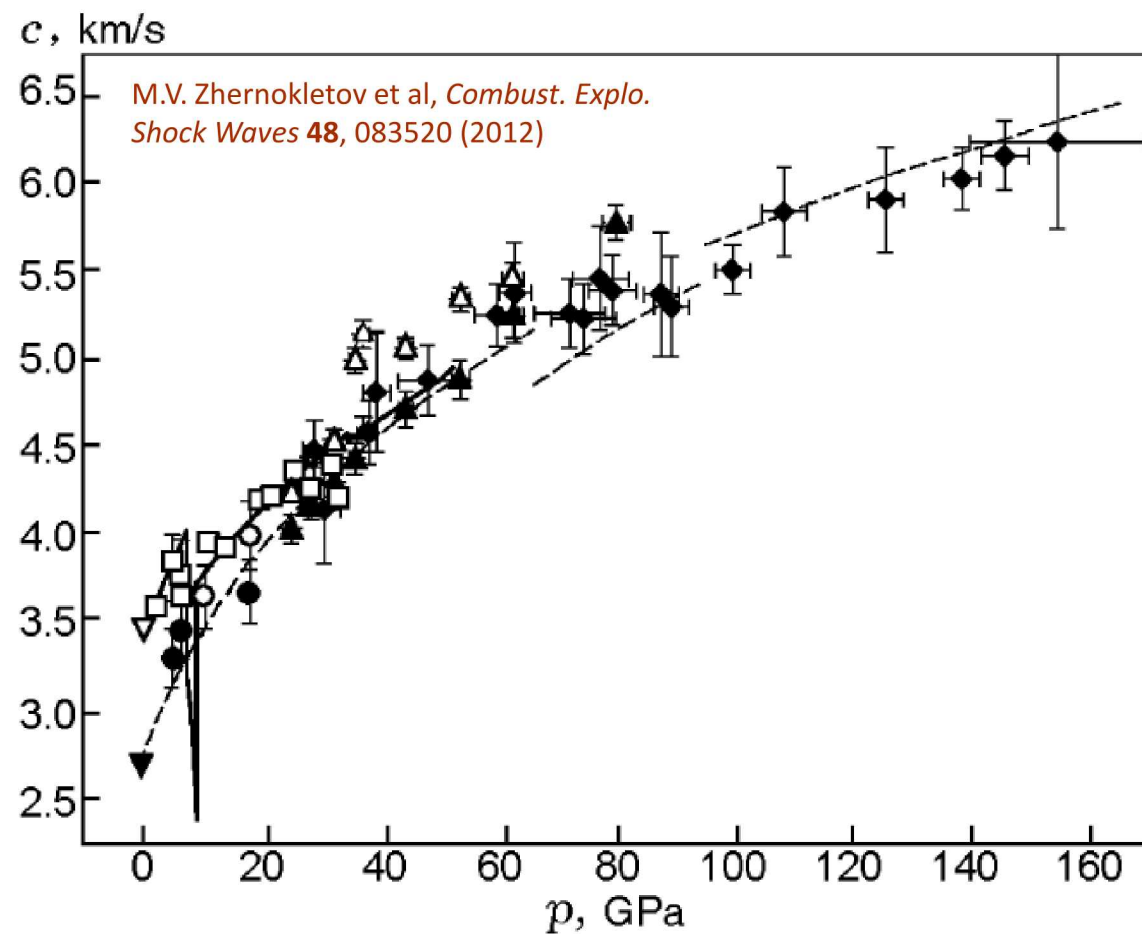
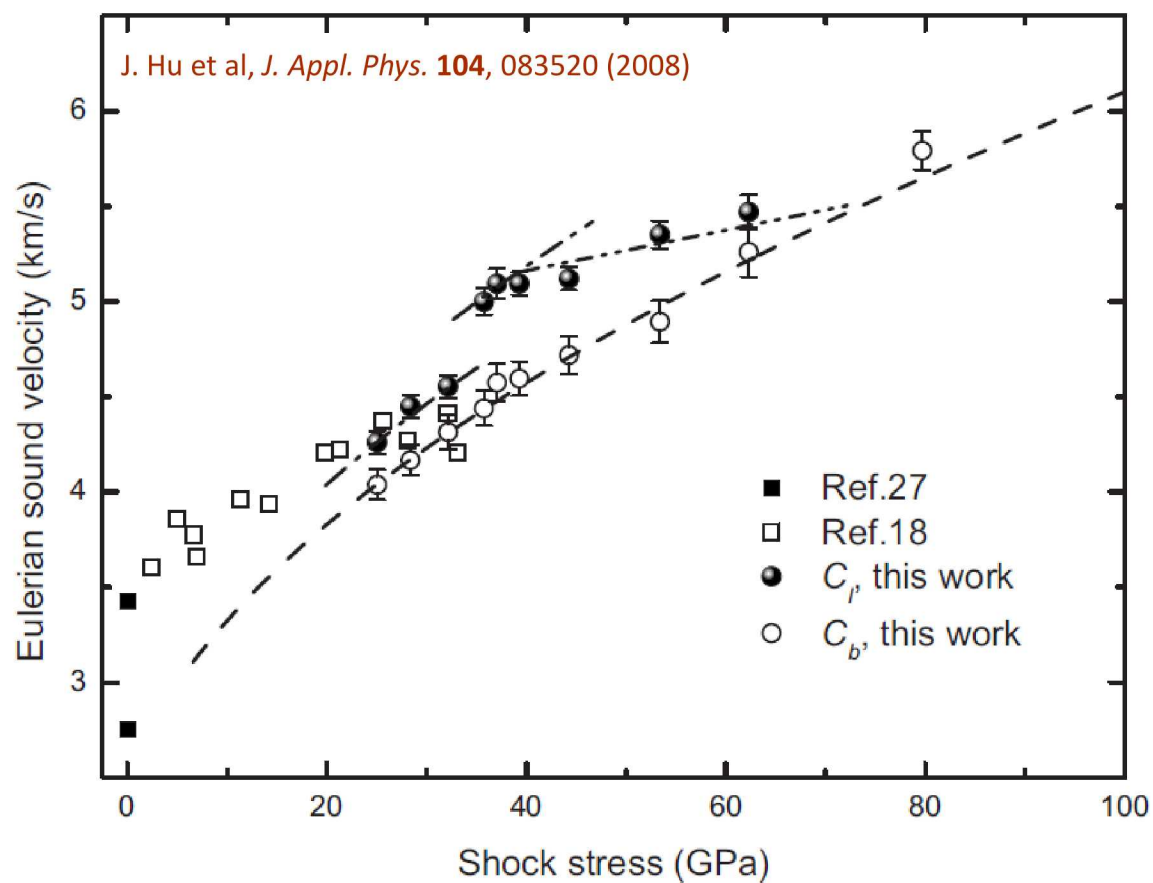
Existing data on Sn: shock



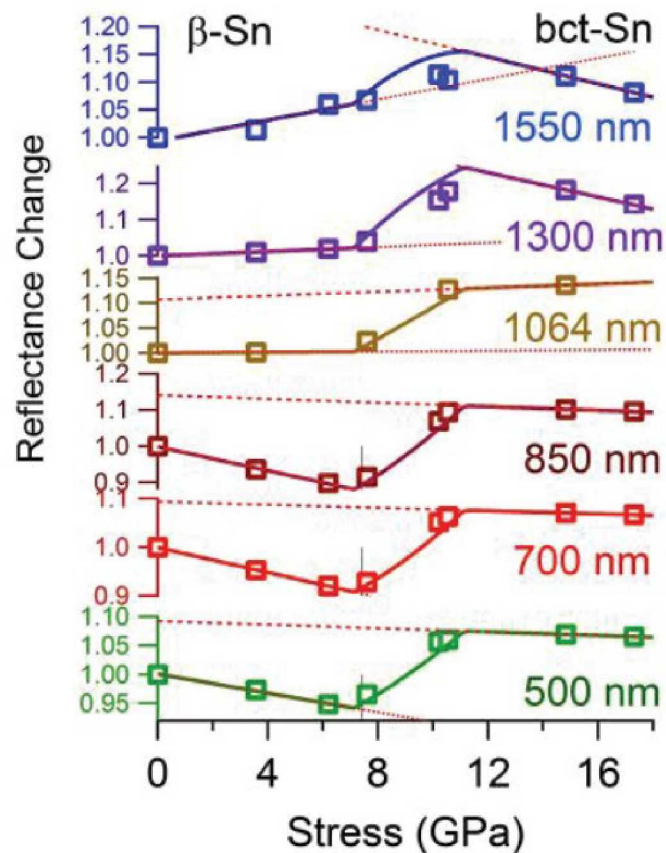
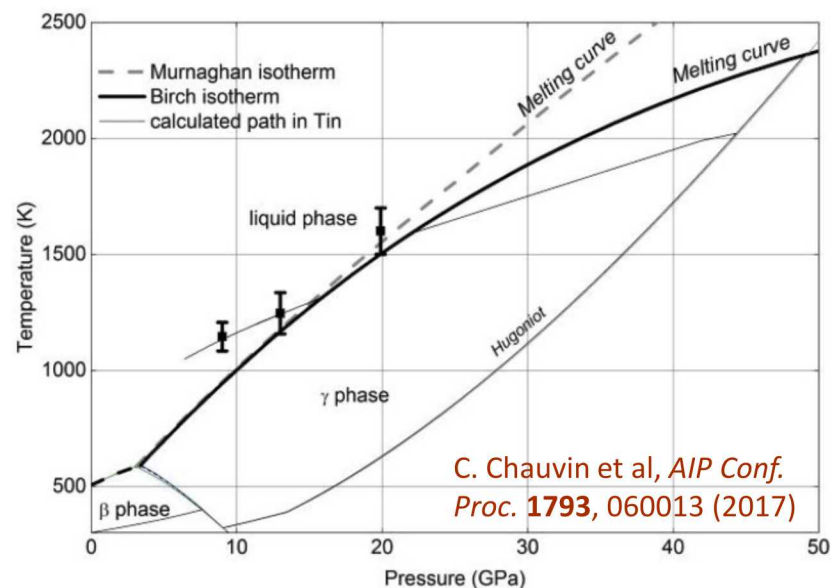
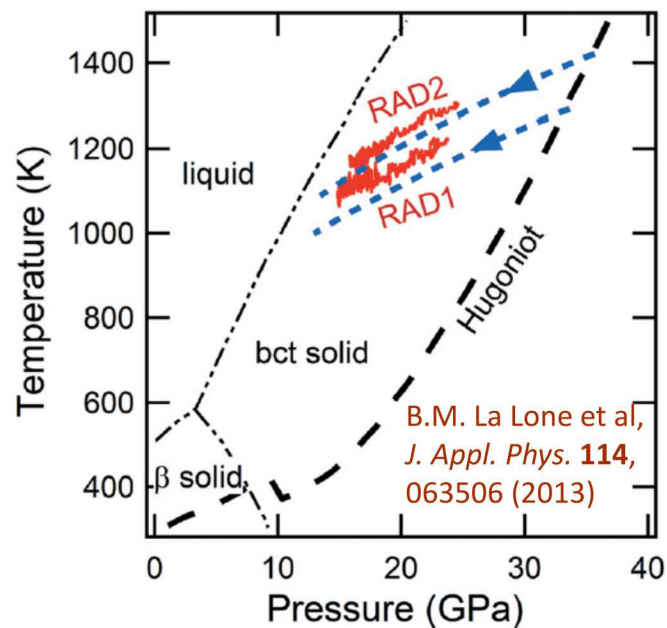
M.N. Pavlovskii & V.V. Komissarov, *JETP* **71**, 981 (1990)



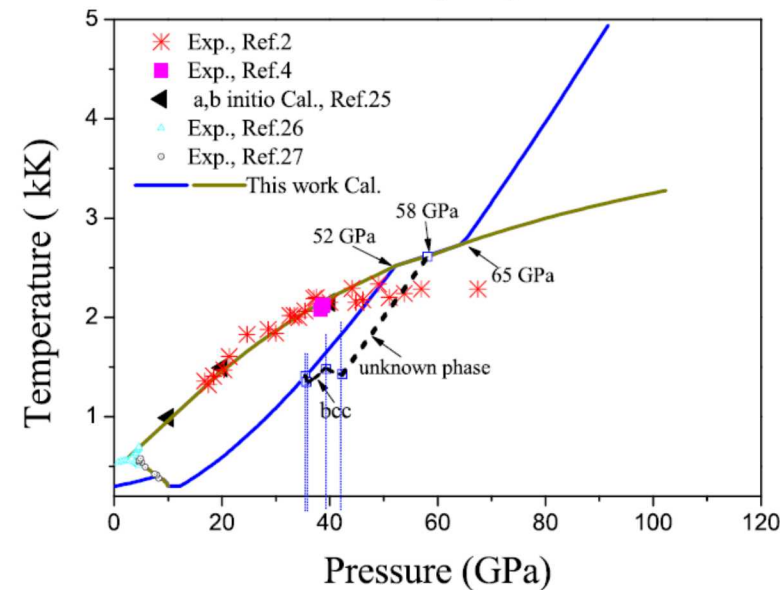
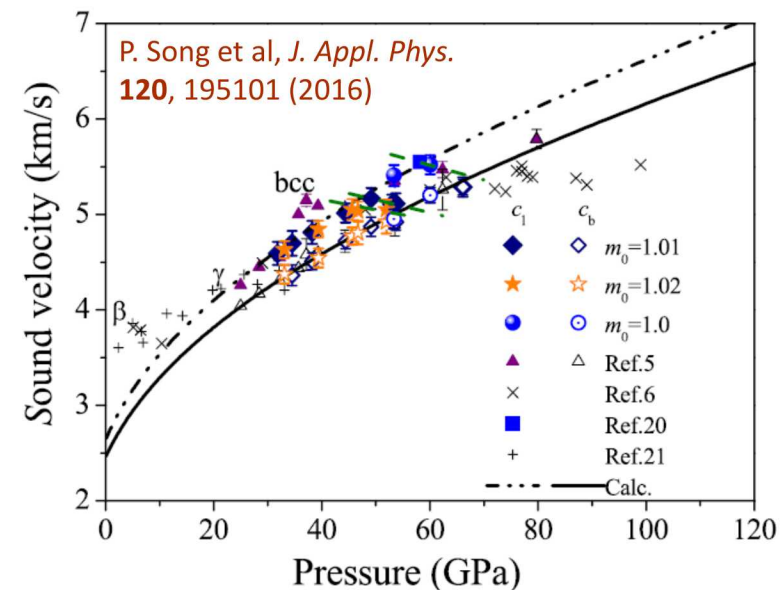
Existing data on Sn: more shock



Existing data on Sn: even more shock

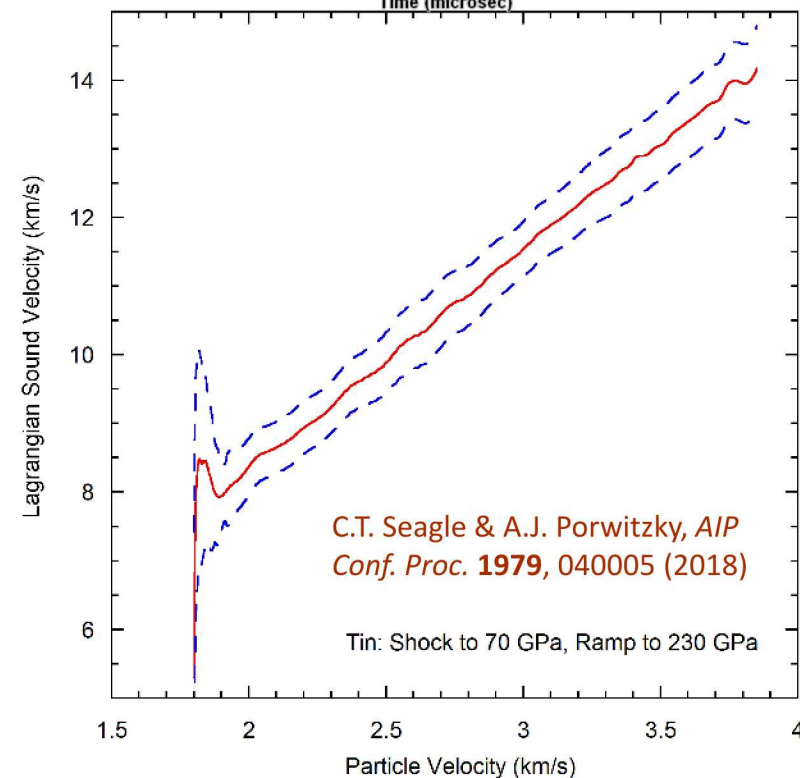
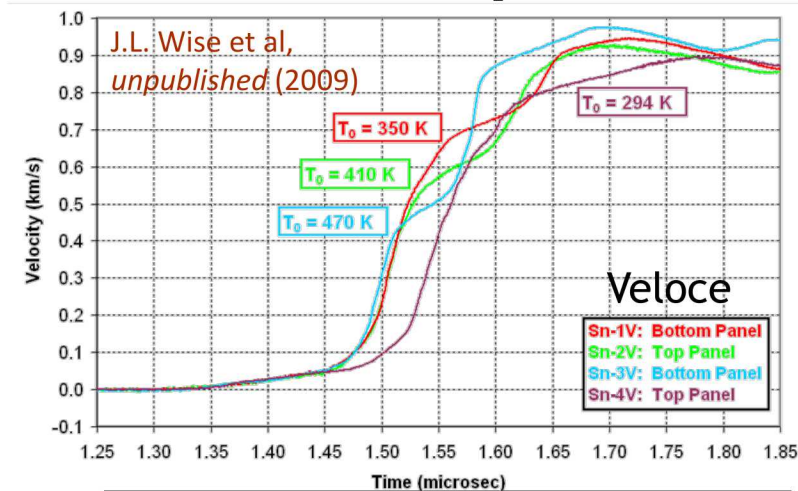
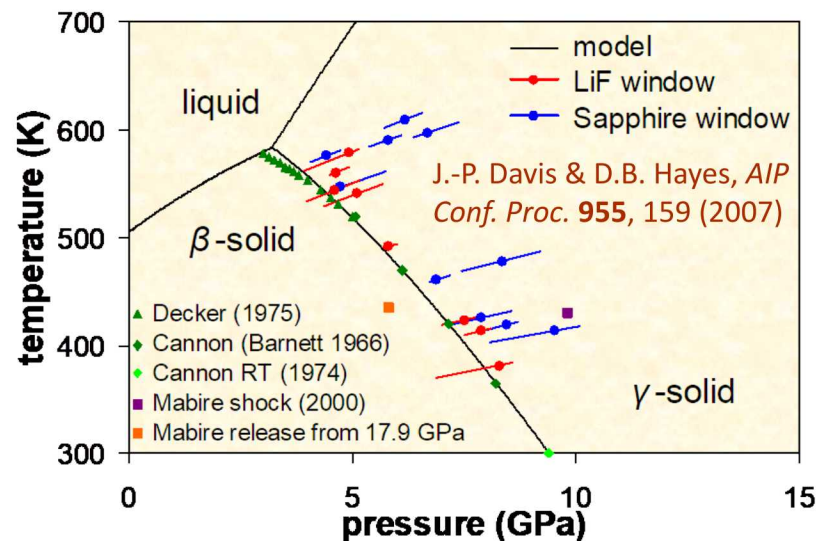
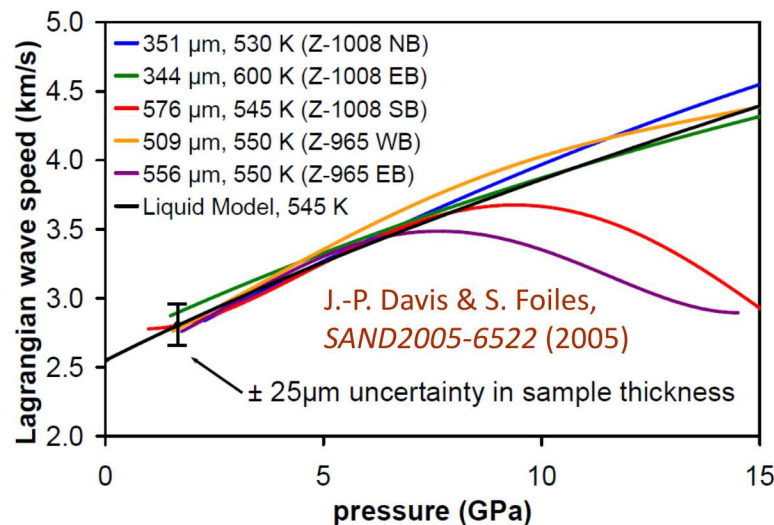
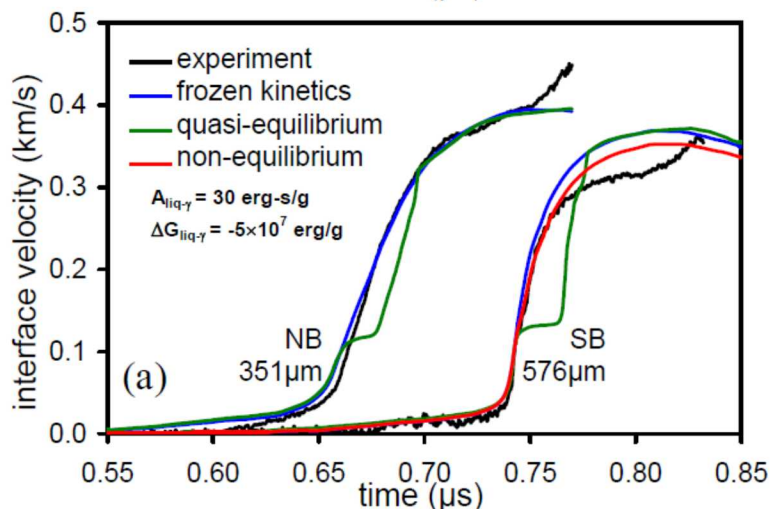
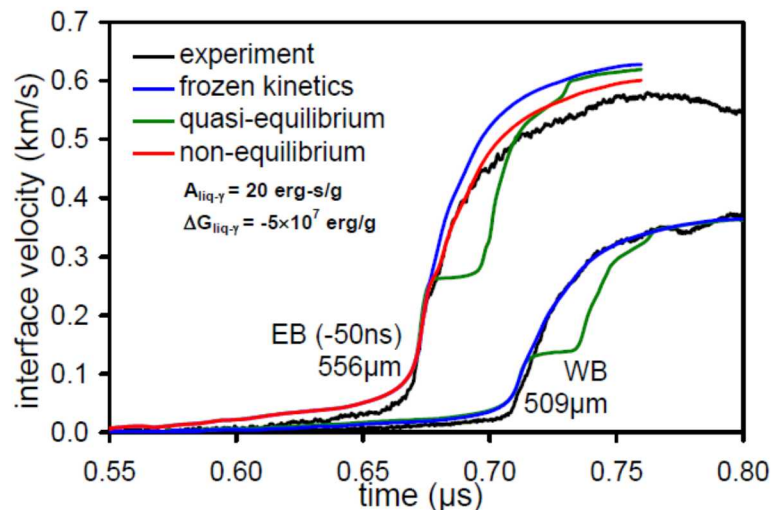


G.D. Stevens et al, *AIP Conf. Proc.* **1793**, 130002 (2017)

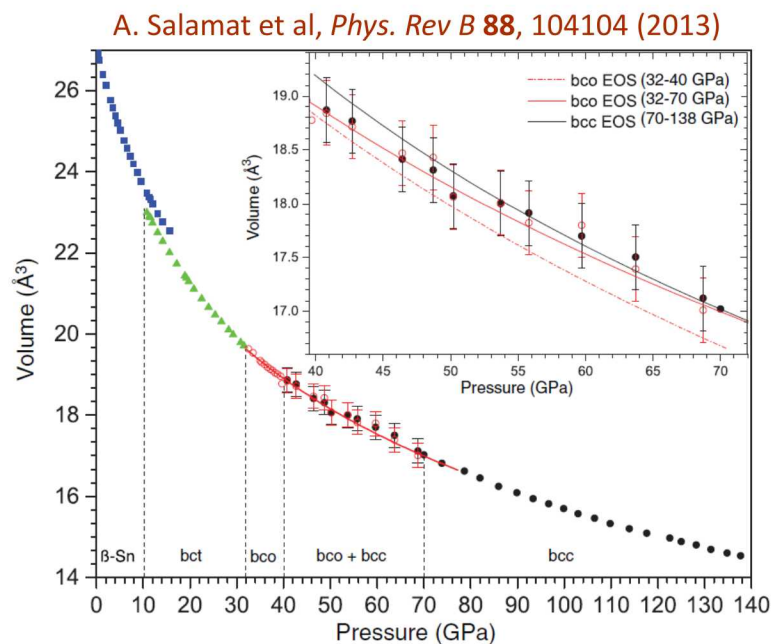
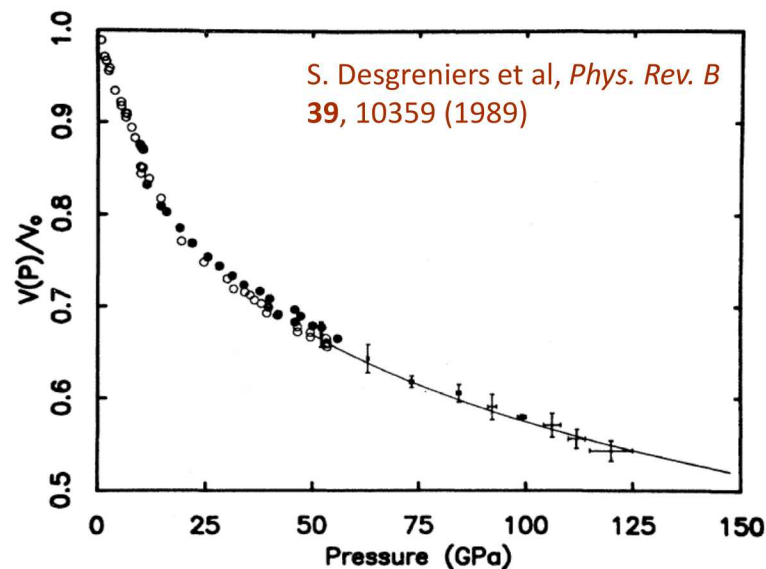


Existing data on Sn: ramp (including pre-heat) and shock-ramp

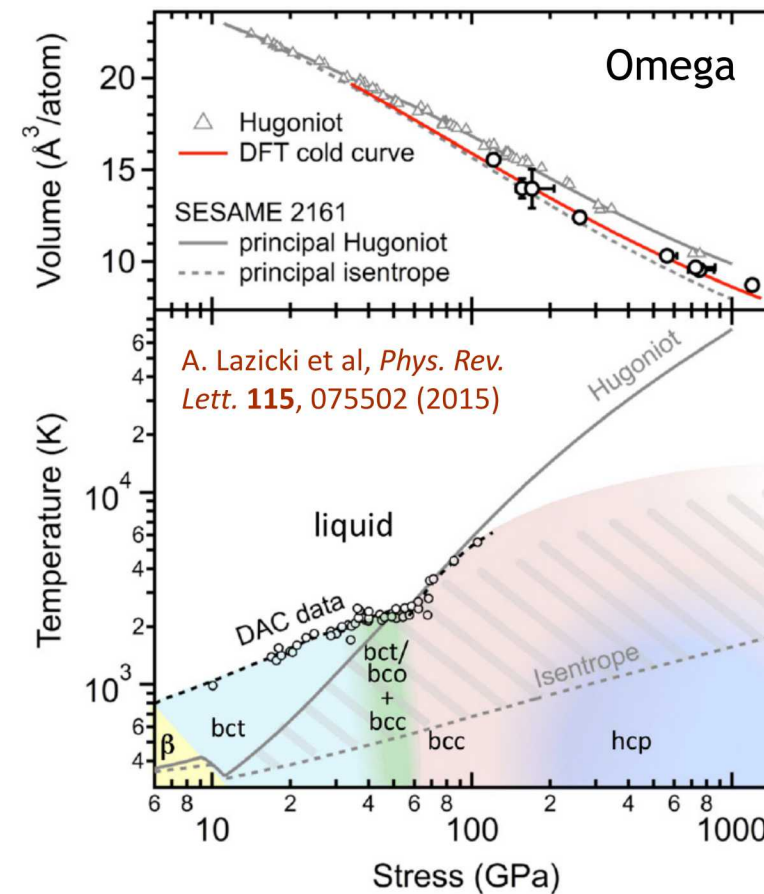
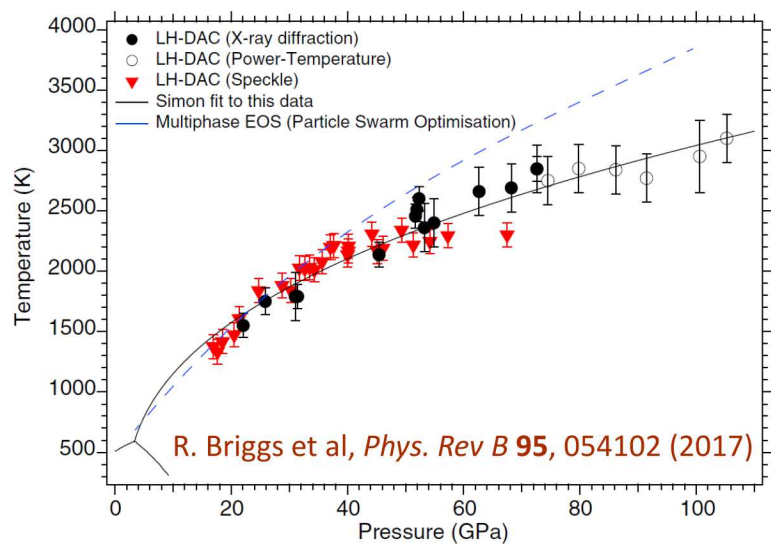
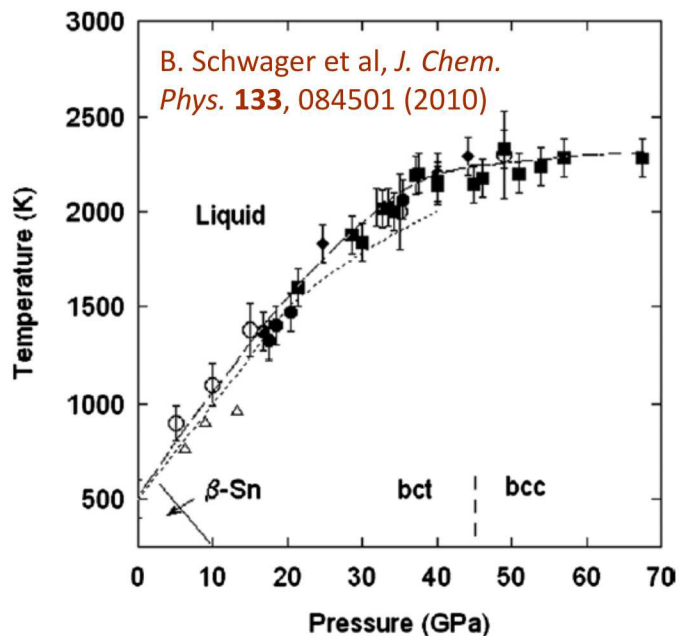
J.-P. Davis & D.B. Hayes, *AIP Conf. Proc.* **706**, 163 (2004)



Existing data on Sn: static and dynamic XRD



Older data not shown: Liu (1986),
Kington (1980), Barnett (1966)



LASLO (Lagrangian Analysis and Simulation of Loading in One dimension) is a 1-D research hydro-code for experiment design/analysis



Originally developed c2010 in C++ by Josh Robbins, now maintained by John Carpenter

Replaces venerable WONDY code that was written in pre-77 Fortran (!)

Major goal is ease of development/implementation of material models, physics, etc.

Generalized 1-D: velocity, stress, etc. are 3-D but vary only in one direction

Includes 1-D MHD physics for simulation of magnetic loading, electromechanics for PZT

Features:

- Central-differencing time integration, will soon have more accurate predictor multi-corrector
- Many options for non-uniform element spacing
- Non-uniform initial conditions, graded-property materials
- Initial gaps between Lagrangian mesh blocks close naturally (e.g., for shock-ramp)
- Choice of tracking isotropic or anisotropic stress state (two versions of many strength models)
- New material models or derived variables can be written in Python, used without re-compiling Laslo
- Relatively simple to integrate new and existing models written in Fortran or C++

Does **NOT** (yet) include thermal conduction, spall/fracture, non-cartesian coordinates

The list of material models available in Laslo is extensive and growing



Equations of State

- Ideal Gas
- Mie-Gruneisen (U_s - U_p , power-law, arbitrary)
- Extended Vinet
- Tabular (Sesame, UTri)
- piezo- & ferro-ceramics
- Hayes' Wondy STAT5 multi-phase w/ kinetics

Plasticity

- Radial return
- Linear elastic
- Arbitrary (anisotropic) plastic
- Quasi-elastic (Johnson's pinned-loop model)

Electrical Conductivity

- Linear conductor
- Lee-More-Desjarlais
- Tabular (Sesame)

Strength (yield stress)

- Linear plastic, elastic-plastic
- Johnson-Cook
- Steinberg-Guinan-Lund
- Mechanical Threshold Stress
- Preston-Tonks-Wallace

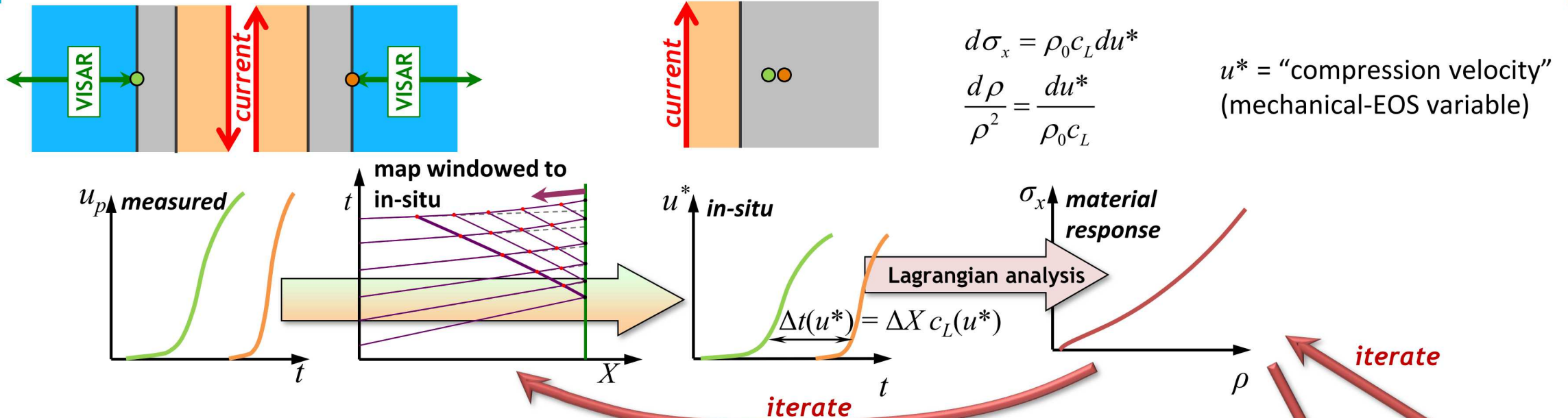
Meta-models

- Kinetics Phase Transition (Greeff kinetics)
- Reuss/Voigt mixtures
- P-lambda porosity

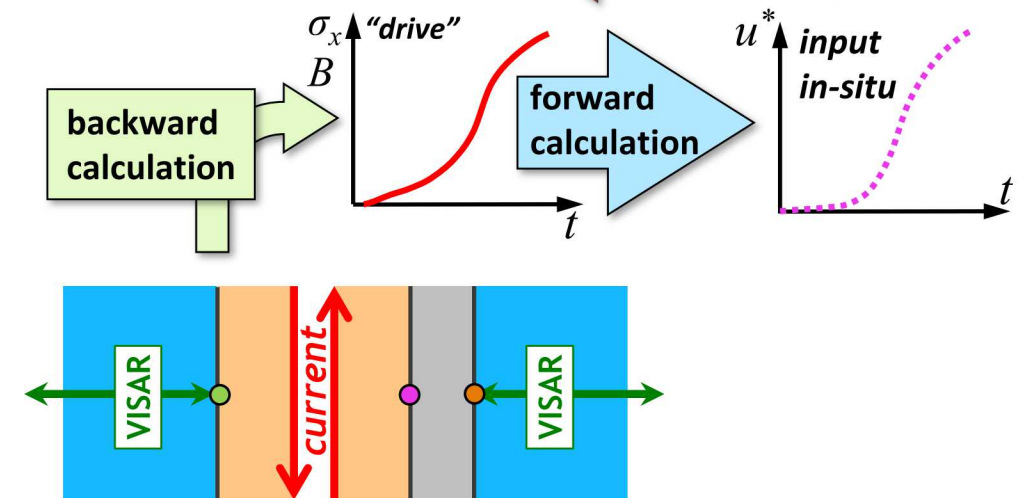
Python derived variable

- Apparent velocity through window

Lagrangian analysis can extract compressibility from velocimetry



- in-situ measurements → Direct Lagrangian Analysis (DLA)
- real measurements are free-surface or window-interface
 - **map measured $u(t)$ into in-situ $u^*(t)$** , then apply DLA
 - **shockless compression:** map by iterative characteristics technique¹
 - referred to as Iterative Lagrangian Analysis (ILA)
 - **shock-ramp:** map by backward integration with minimization
 - *both of these assume single-valued material response*
 - *both encompass dual-sample and single-sample approaches*
 - **strength in release:** map by simulation-based transfer function²

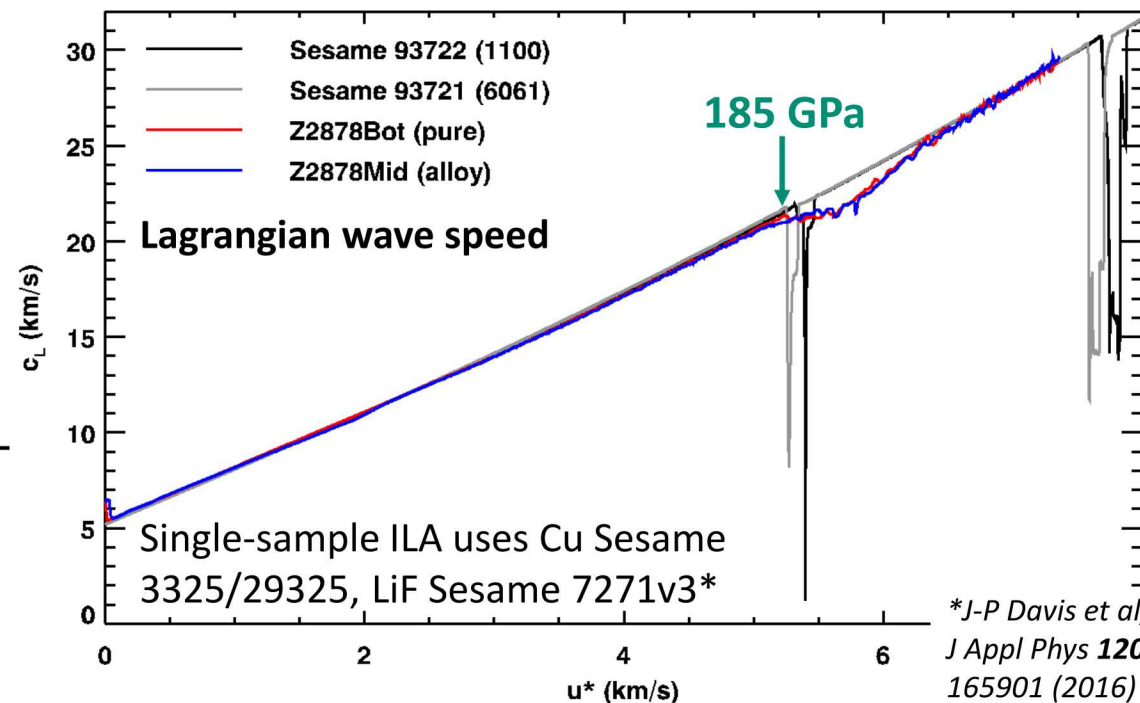
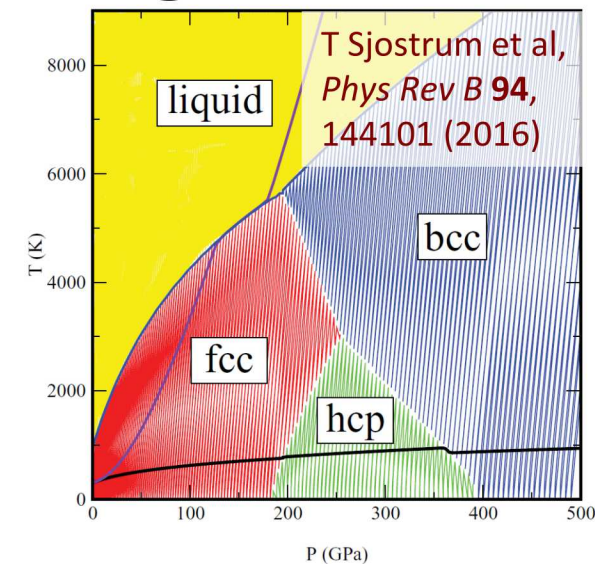
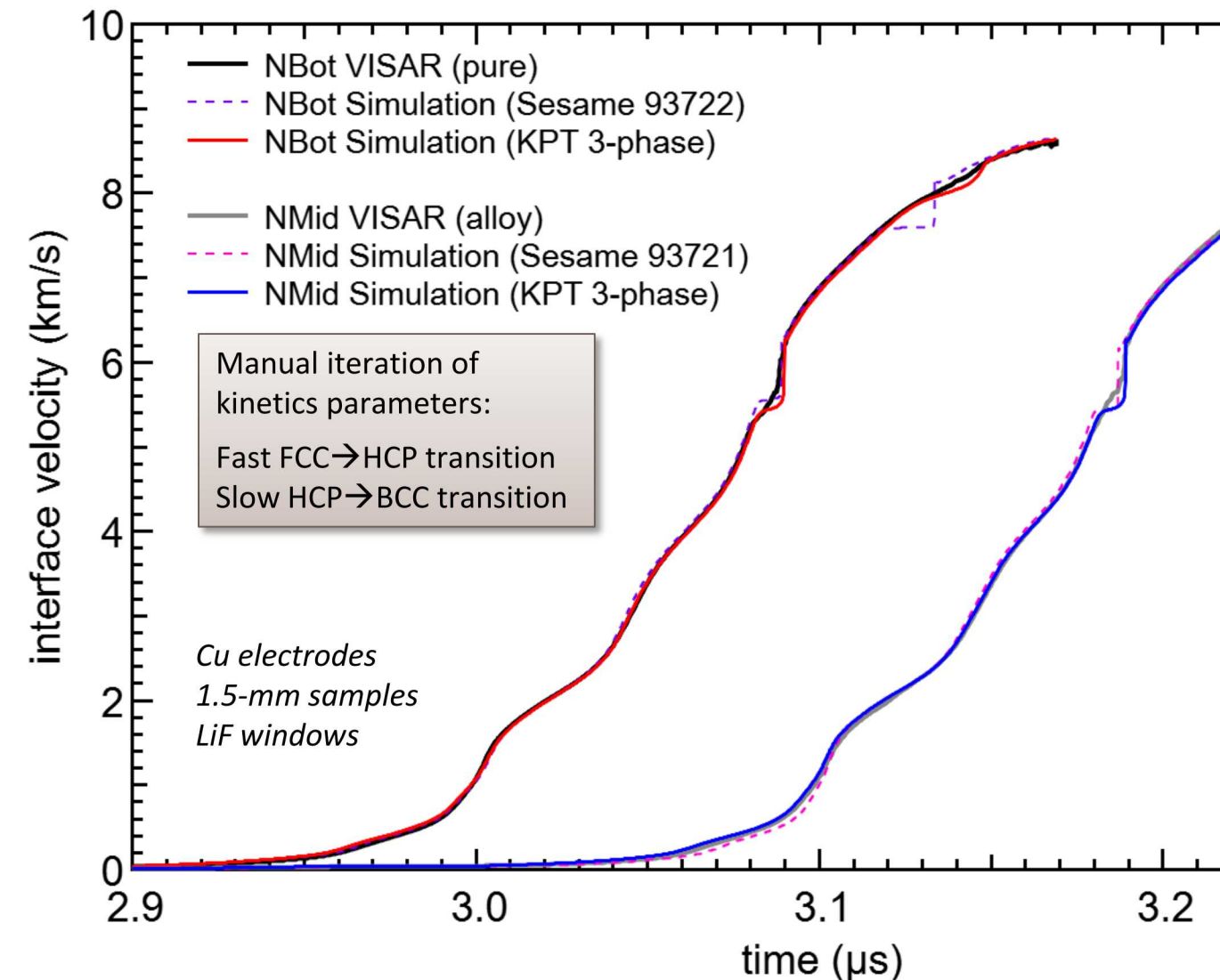


Single-sample approach

¹ S. D. Rothman & J. Maw, *J. Physique IV* **134**, p745 (2006)

² J. L. Brown et al, *J. Appl. Phys.* **114**, 223518 (2013)

Iterative Lagrangian analysis (ILA) can recover second-phase wave speed above fast transition of small volume change



More generally, when ILA converges post-transition, the apparent wave speed is not related to material sound speed

