



Leveraging a Machine Learning Approach to Solve an Inverse Problem Performance Query

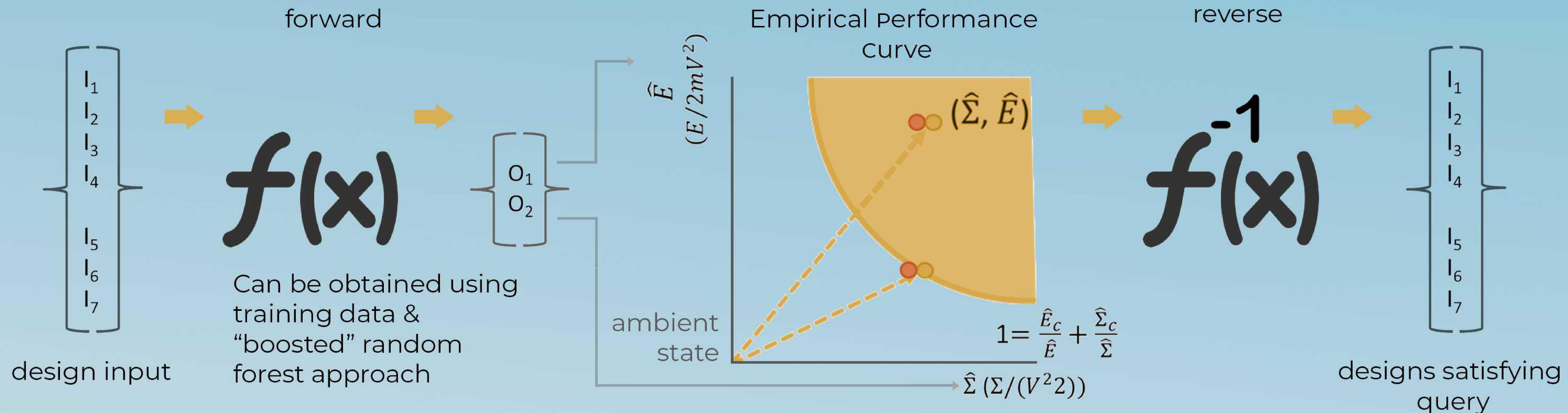
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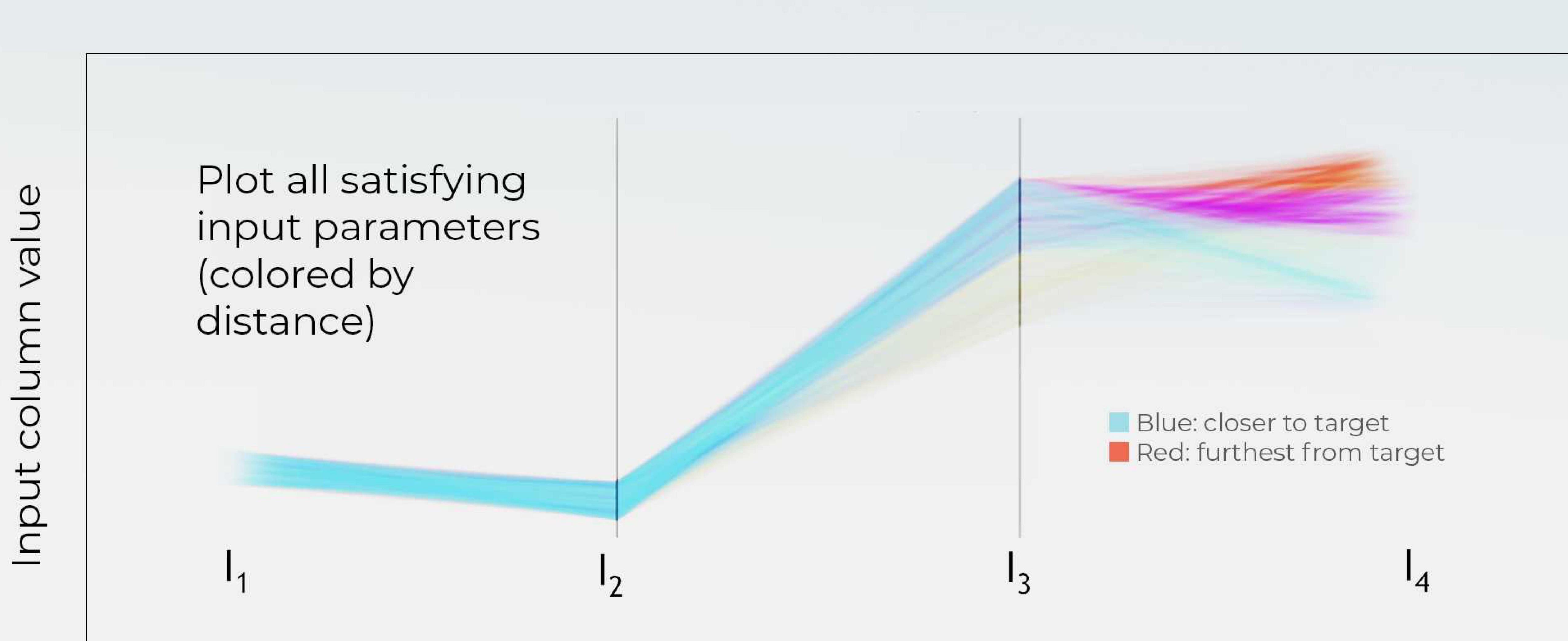
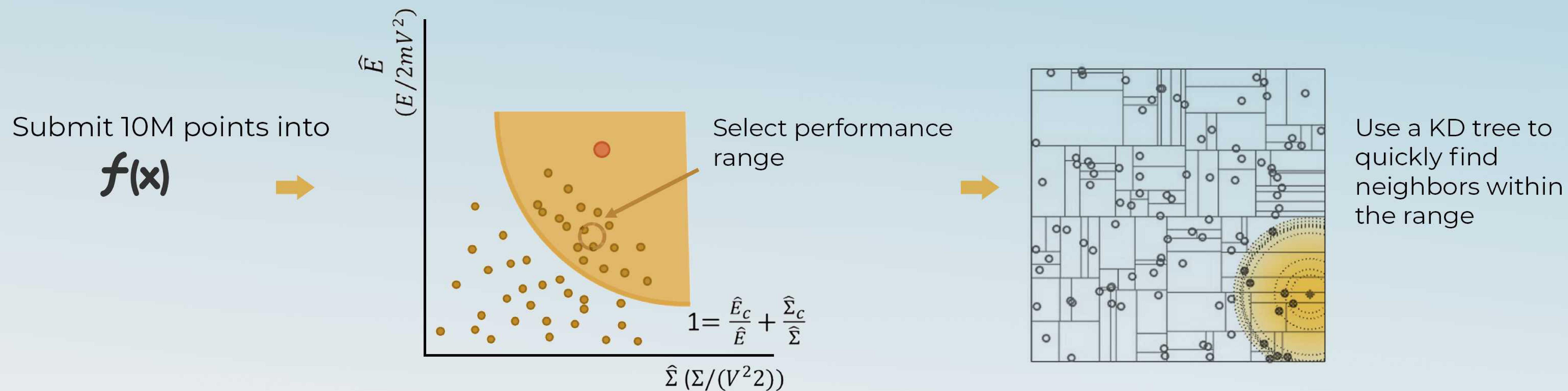
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This method avoids the inverse analytical problem in high-dimensional input spaces by uniformly sampling the input space and then clustering combinations of inputs based on a predicted proximity to a desired result.

A designers dream



How do you solve the reverse problem using $f(x)$?



Jupyter Notebook

Inverse problem

Given a set of desired output variables, try to find an appropriate set of input variables that will produce it.

Naively thought we could just interchange the roles of X and y in the above forward mapping exercise, but there is a problem. The data in `mvary.mv` illustrates a function from $\mathbb{R}^7 \rightarrow \mathbb{R}^4$, but this mapping is too general, and the conditions for an inverse function to exist are not satisfied:

<https://www.mathsisfun.com/sets/injective-surjective-bijective.html>

Inverse mapping method

Use the generalization learned by the forward prediction model to fill in the gaps in the point based reverse mapping. Create a dense grid of the space represented by the input columns of the actual data. Restrict this generated set of points to all lie within the boundary of the space defined by the input columns, as defined by the min and max values for each column.

Create representative input data points, sampling uniformly from each column's min to max values.

Create 10 million rows.

Retrain the model using all of the available data

Best practice before deploying a model is to leverage all available data.

After evaluating the performance of the model on the held out test set, retrain the model (but the exact same hyperparameters; the `max_depth` parameter should be chosen to minimize the MSE) on all available data: