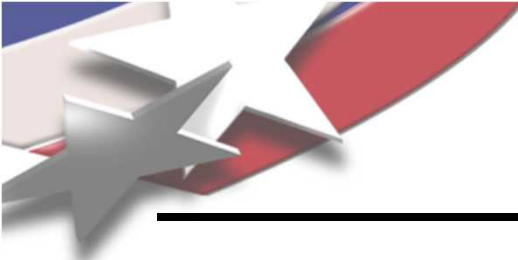


Understanding the Materials Behavior of Tetrahedral Amorphous Carbon Using MEMS Resonators

David A. Czaplewski

Acknowledgments:

This work was supported by a Laboratory Directed Research and Development Project at Sandia. Sandia is a multiprogram laboratory operated by Sandia Corp., a Lockheed Martin Co., for the United States Department of Energy's National Nuclear Security Administration under contract DE-AC04-94AL85000.



Overview

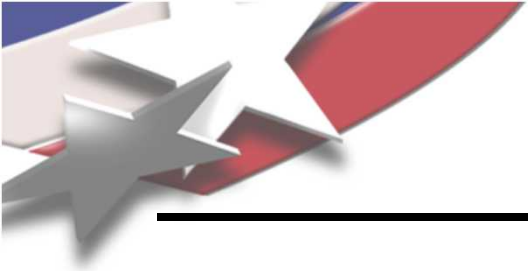
Primary work here at Sandia

- Background information on carbon and ta-C films
- Realization and measurement of MEMS oscillators
- Results
- Future work

Other Research activities (w/ primary collaborators)

- RF Switch mechanics (C. Dyck)
- Microfluidic MEMS pressure transducer (T. Michalske)
- Low-force contacting metal surfaces (M. Baker)





Motivation

MEMS structures can be applied in:

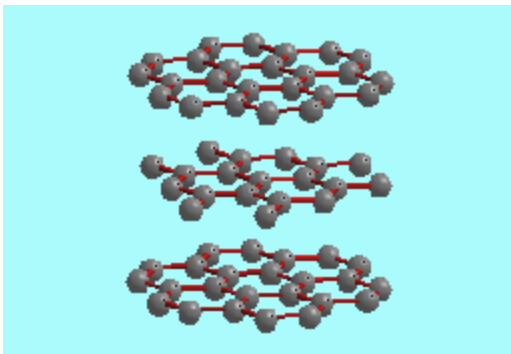
- Sensors (corrosion, biological)
- Frequency standard (LM shared vision proposal)
- Accelerometers (D. Carr)
- RF MEMS switches (C. Dyck)



Carbon

graphite

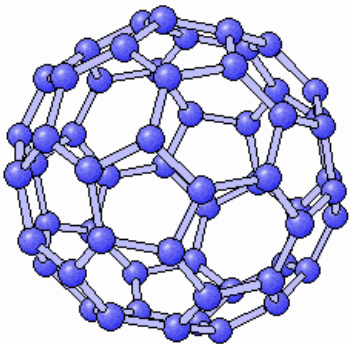
<http://www.phy.mtu.edu/~jaszczak/graphiteover.html>



100% 3-fold carbon, delocalized π electrons

C_{60}

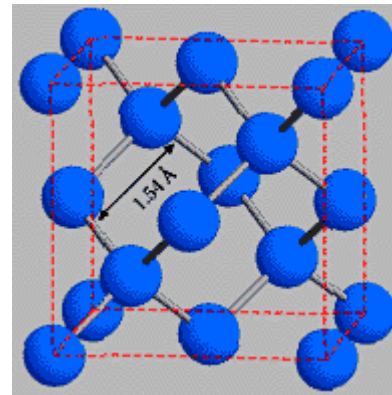
<http://www.fhi-berlin.mpg.de/th/personal/hermann/Cnclusters.gif>



100% 3-fold carbon, molecular solid

diamond

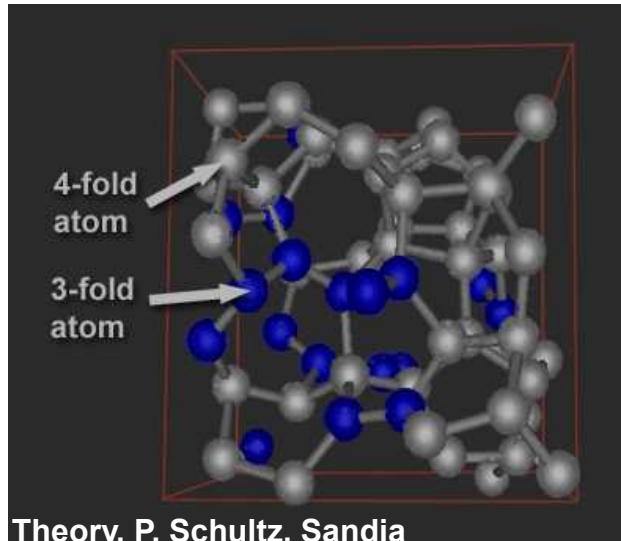
<http://www.amnh.org/exhibitions/diamonds/structure.html>



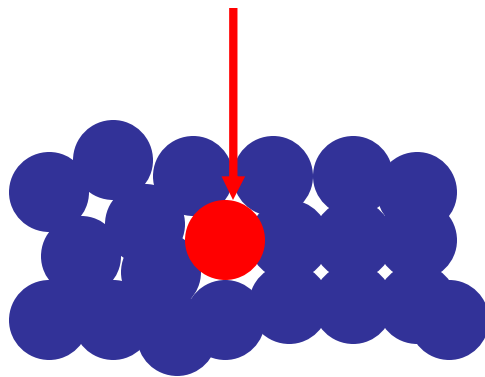
100% 4-fold carbon, wide gap semiconductor



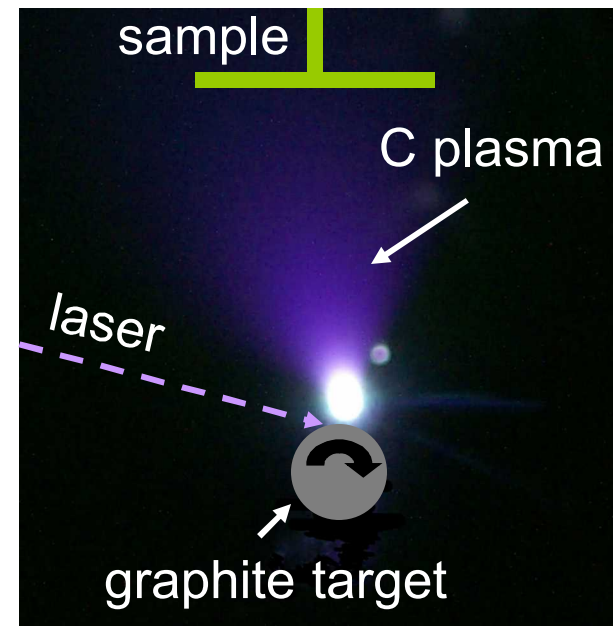
Tetrahedrally-coordinated amorphous carbon films



- ~ 80% 4-fold, 20% 3-fold
- 3-fold atoms cluster into chain-like structures (limited by kinetics)



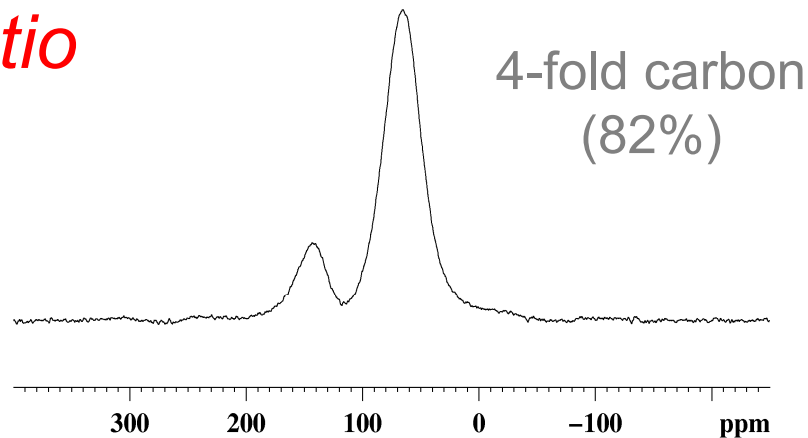
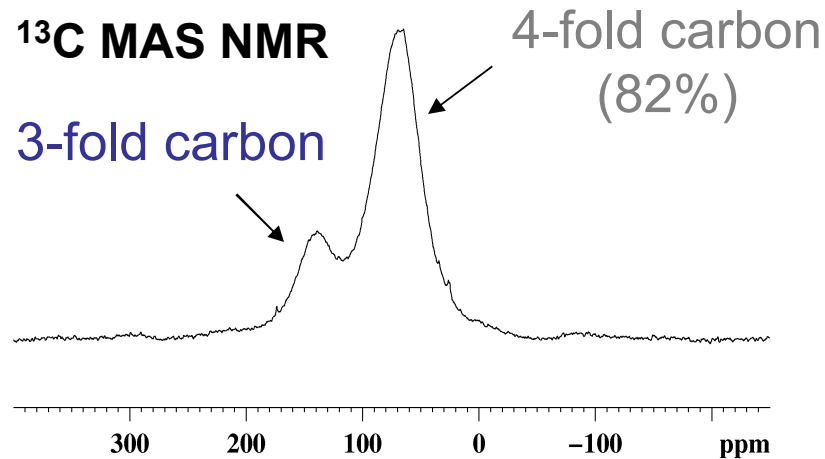
*"growth by
subplantation"*



Compositionally stable after stress relief

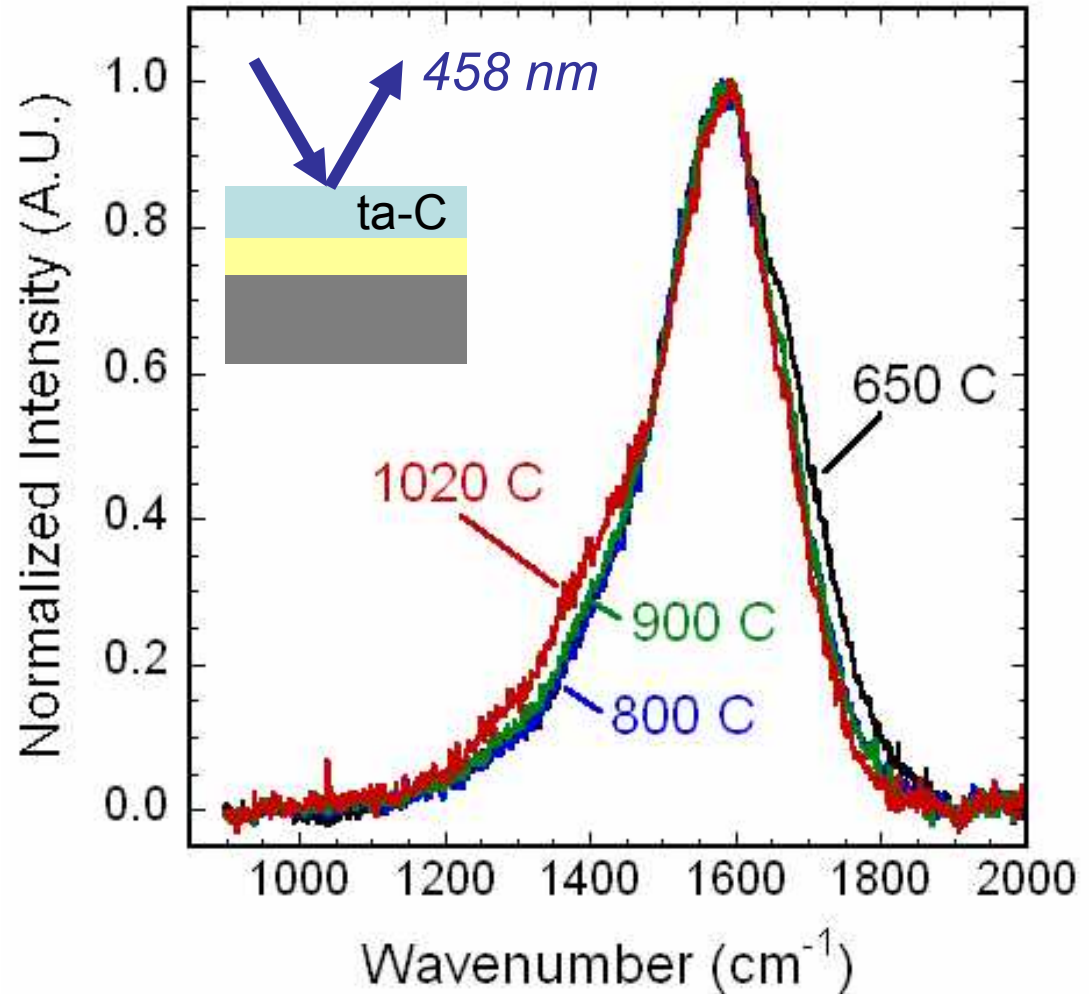
- *peaks narrow*

- *no change in ratio*



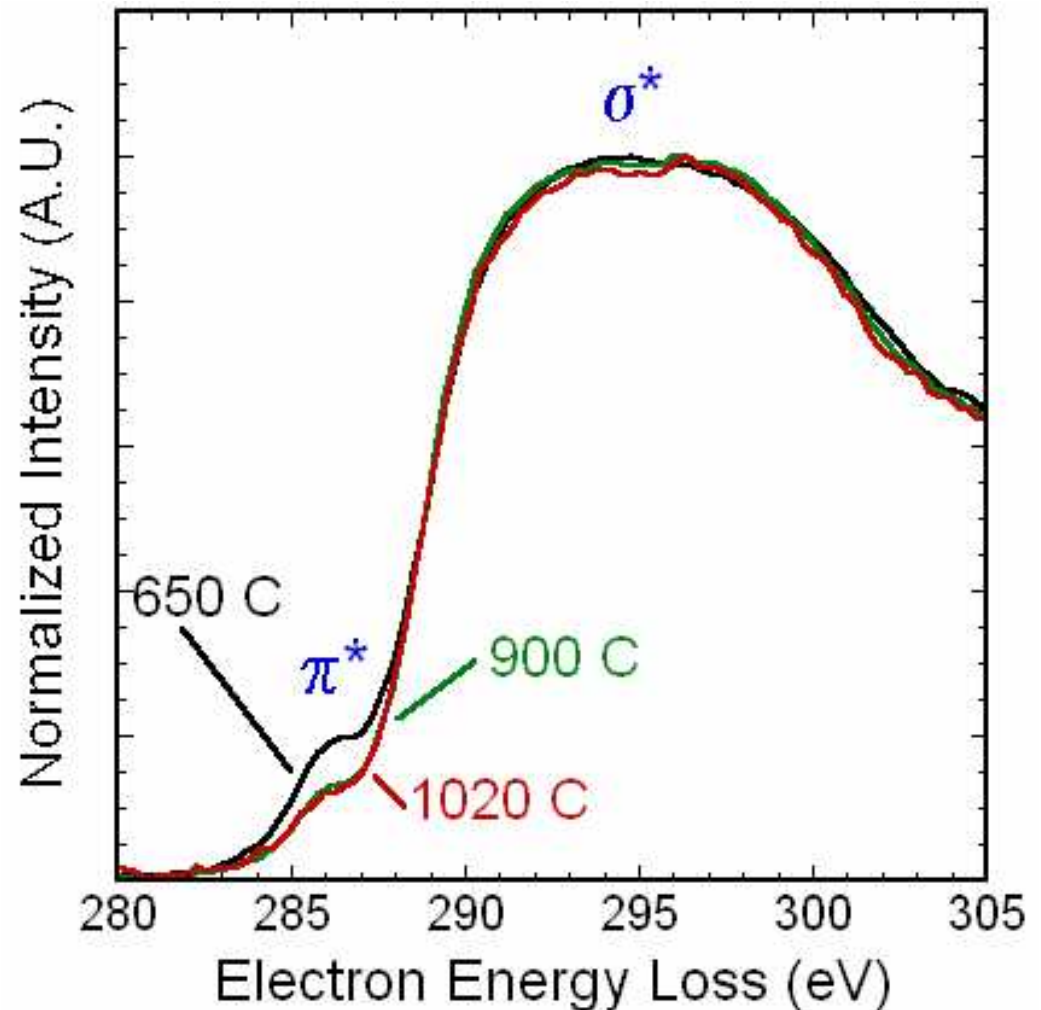
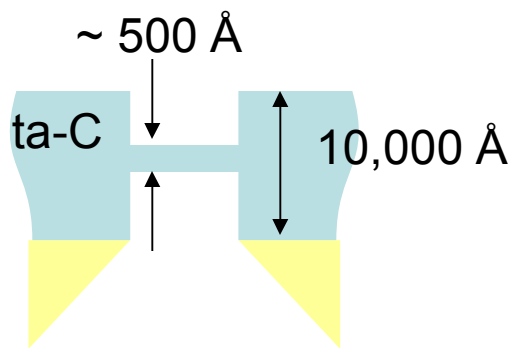
Compositionally stable after high temperature annealing

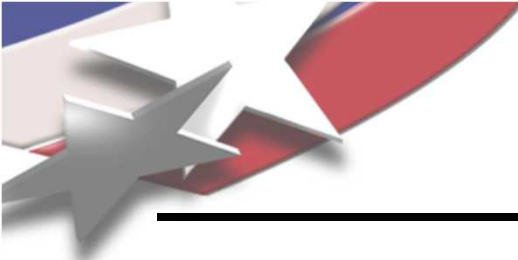
*visible Raman shows only very minor structural changes in ta-C with annealing
⇒ 4-fold/3-fold ratio is not changed*



Compositionally stable after high temperature annealing

transmission EELS shows no increase in 3-fold carbon with annealing up to 1020°C



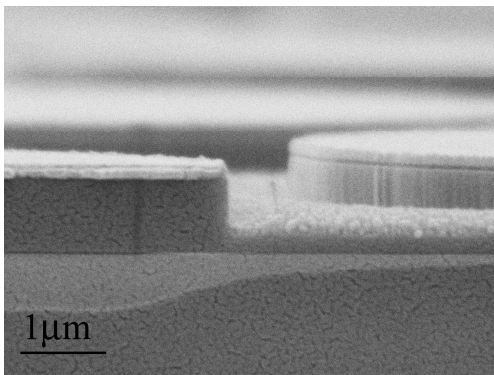
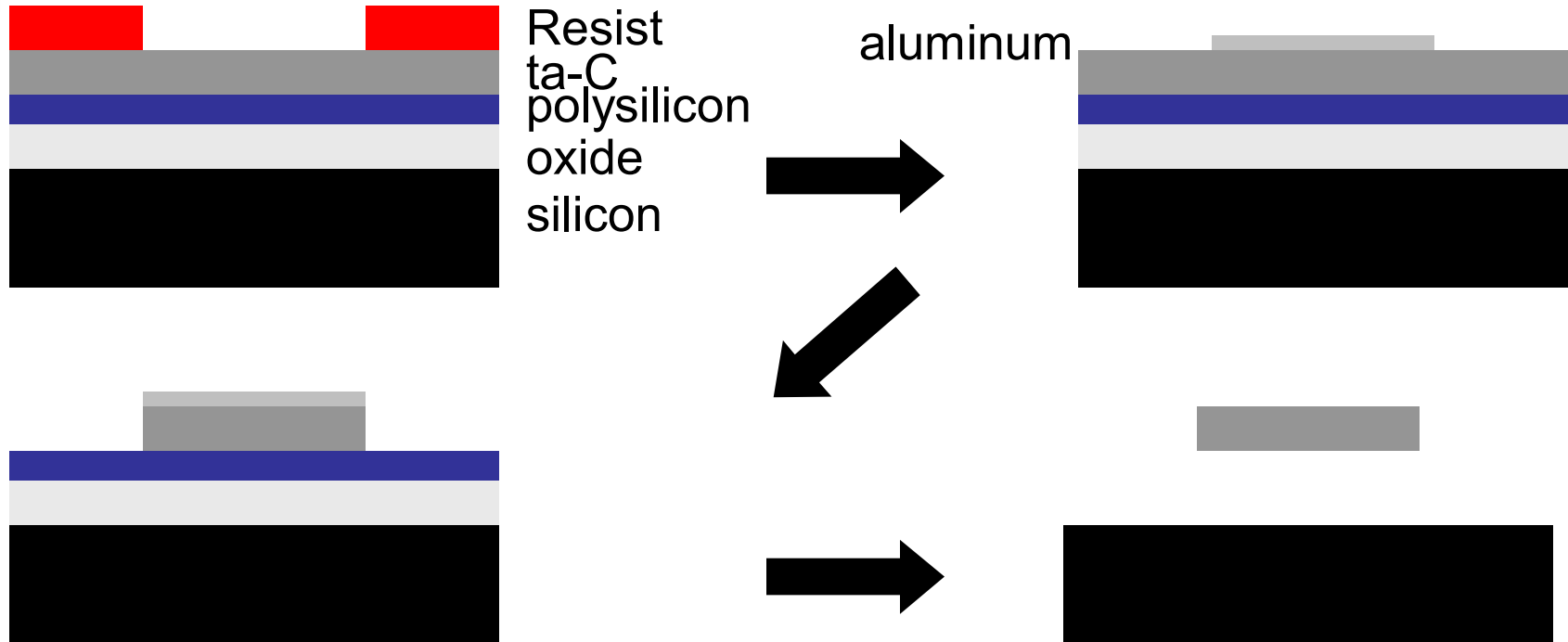


Thermal properties of ta-C films

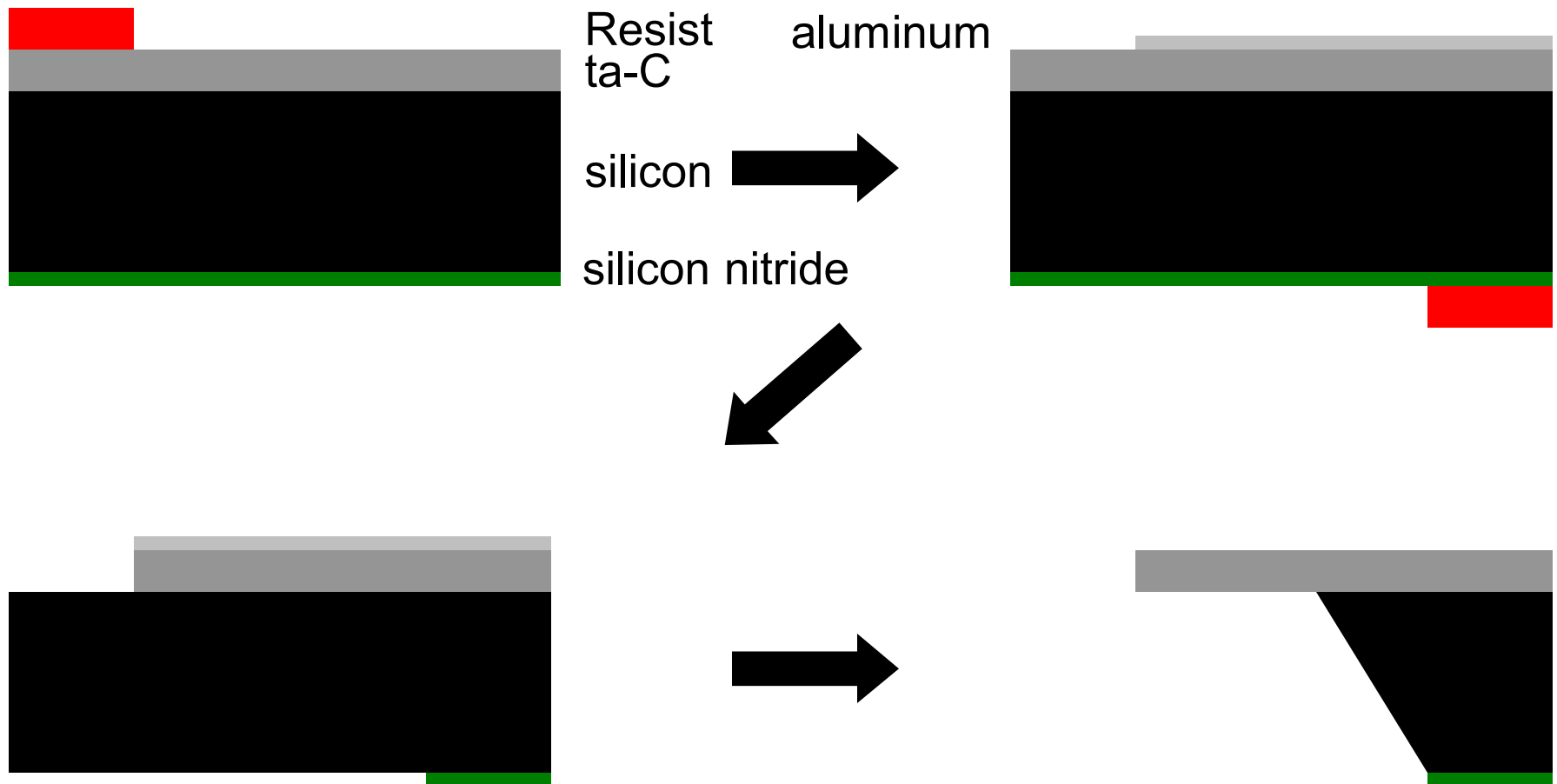
Material Property	Value	Units
Heat Capacity per unit Volume (C)	1.83×10^6	(J/m ³ K)
Thermal Conductivity (κ)	3	(W/m K)
Density (ρ)	3050	(kg/m ³)
Young's Modulus (E)	631	(GPa)
Specific Heat Capacity (Cp)	600	(J/kg K)
Gruneisen's Constant (g)	1.37	none
Thermal Expansion Coefficient (α)	1.67×10^{-6}	K ⁻¹



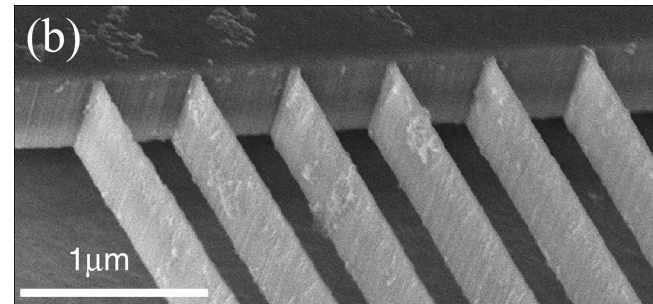
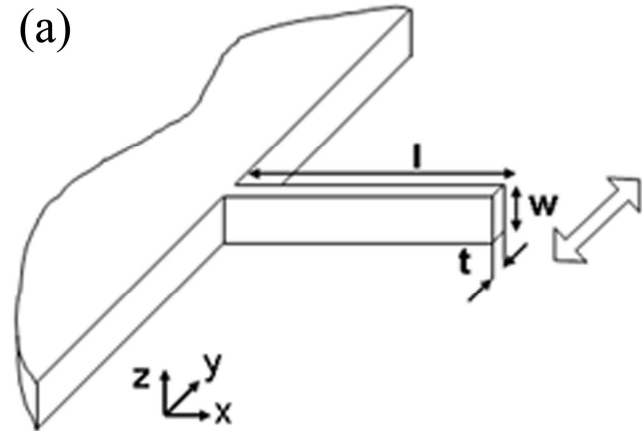
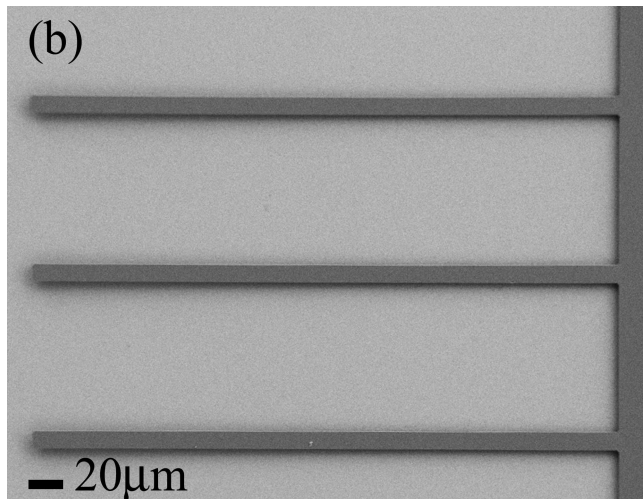
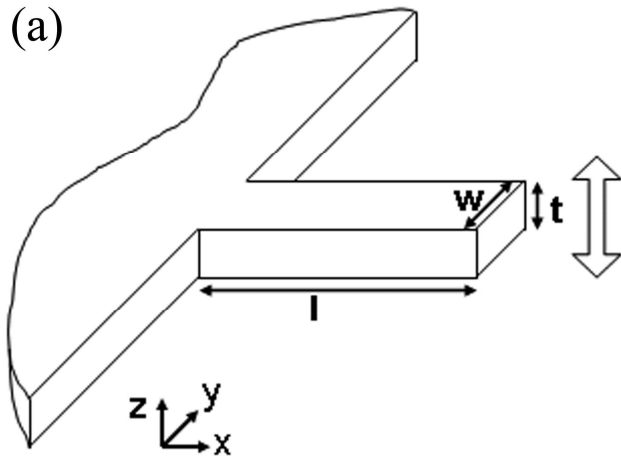
Device realization : surface micromachining



Device realization : bulk micromachining



Cantilevers

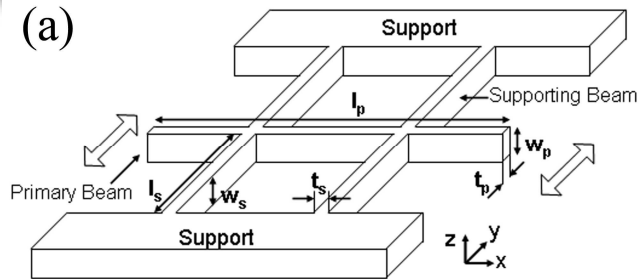


D. Carr, B.E.N. Keeler (1769)

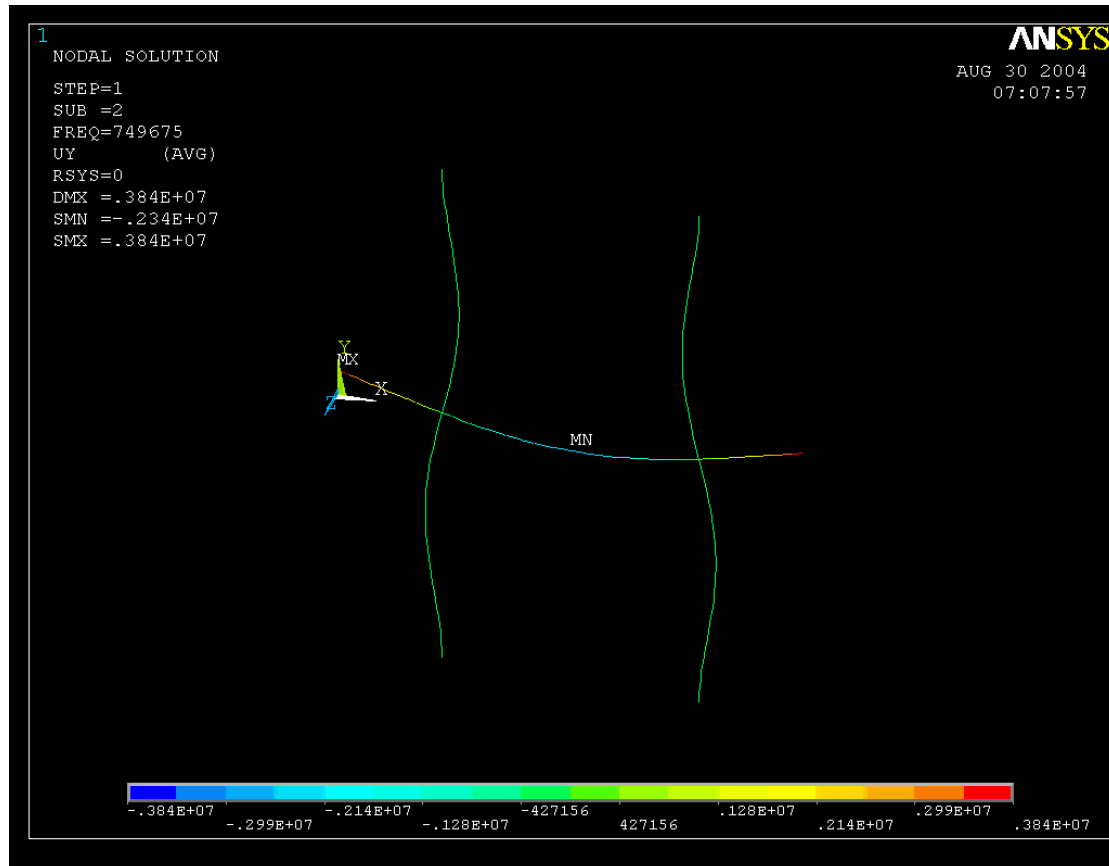
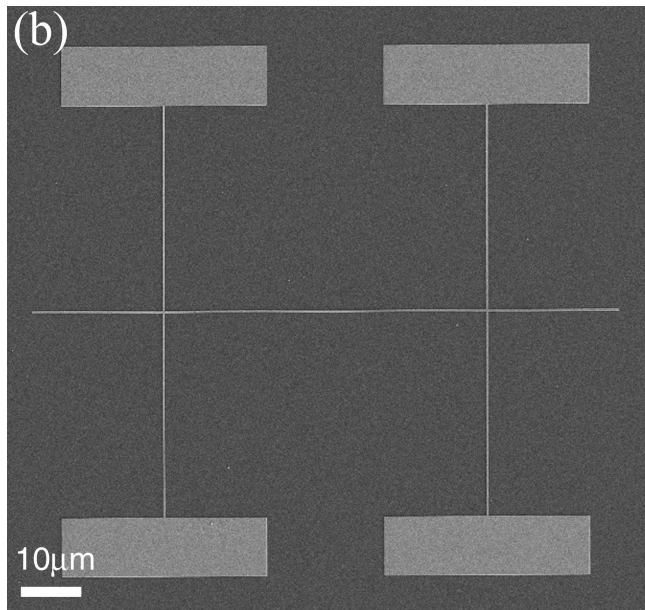
$$f_o = \frac{(1.875)^2}{2\pi} \frac{t}{l^2} \sqrt{\frac{E}{12\rho}}$$



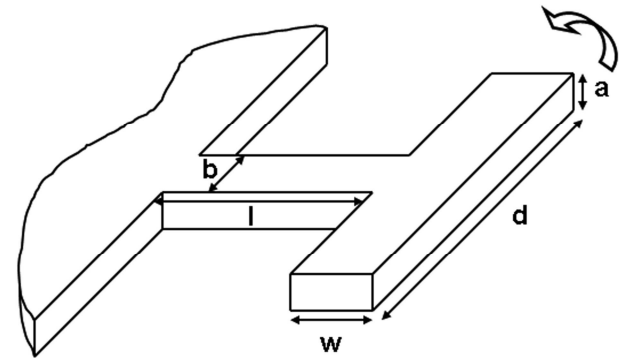
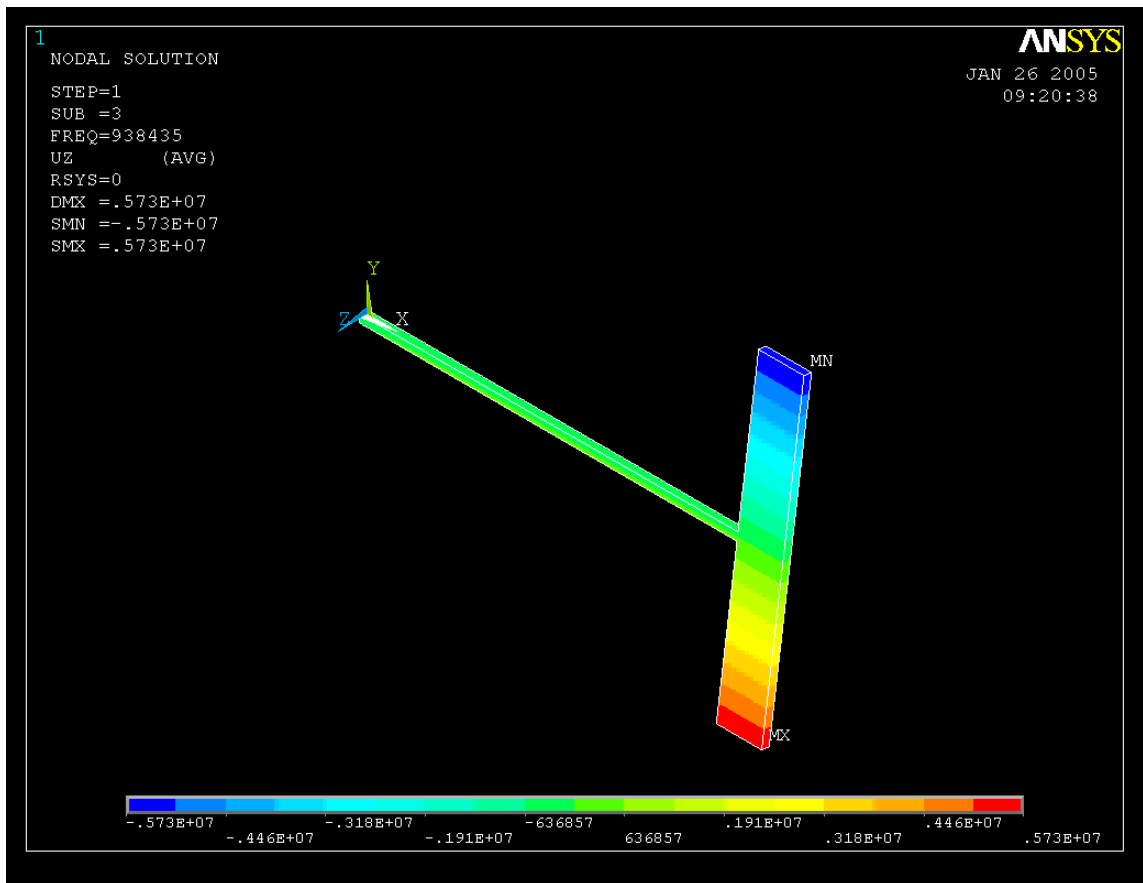
Free-Free beams



$$f_o = \frac{(4.730)^2}{2\pi} \frac{t}{l^2} \sqrt{\frac{E}{12\rho}}$$



Torsional oscillators

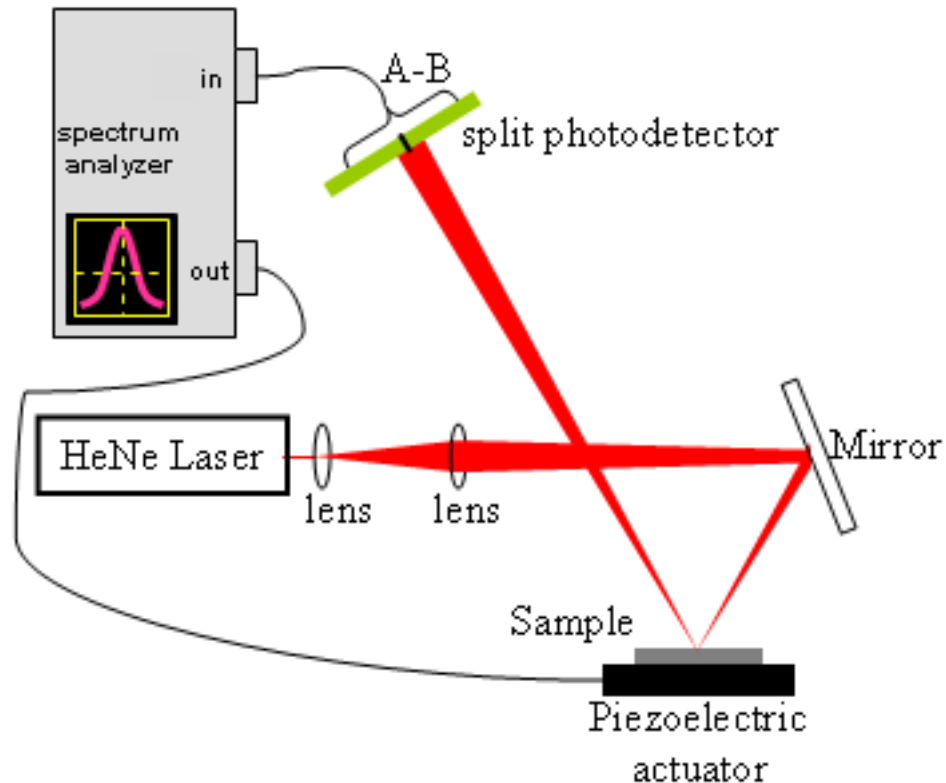


$$f_o = (0.216) \sqrt{\frac{G}{\rho} \frac{b^3}{w l d^3}}$$

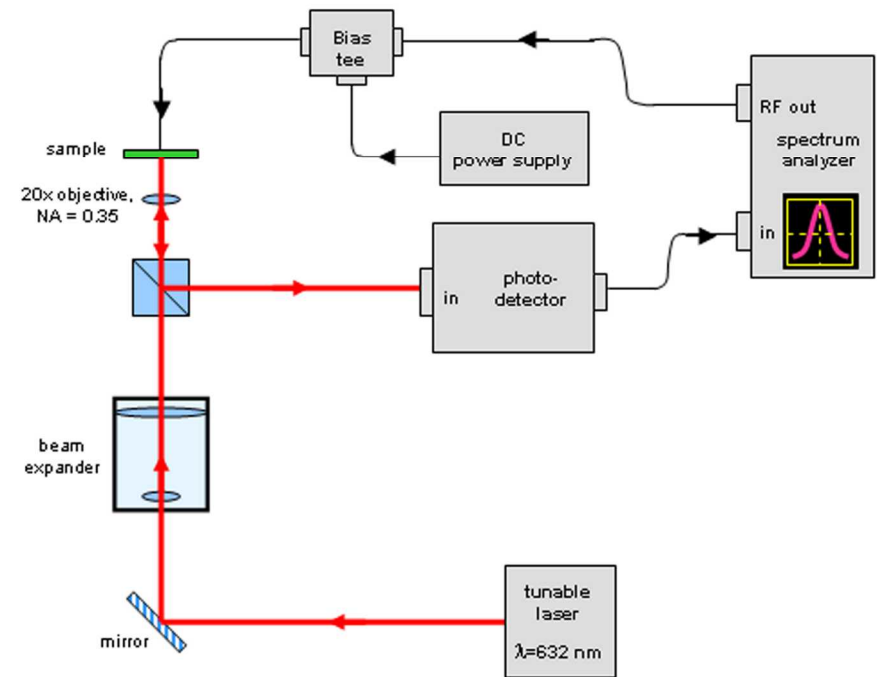


Measurement

Laser Deflection



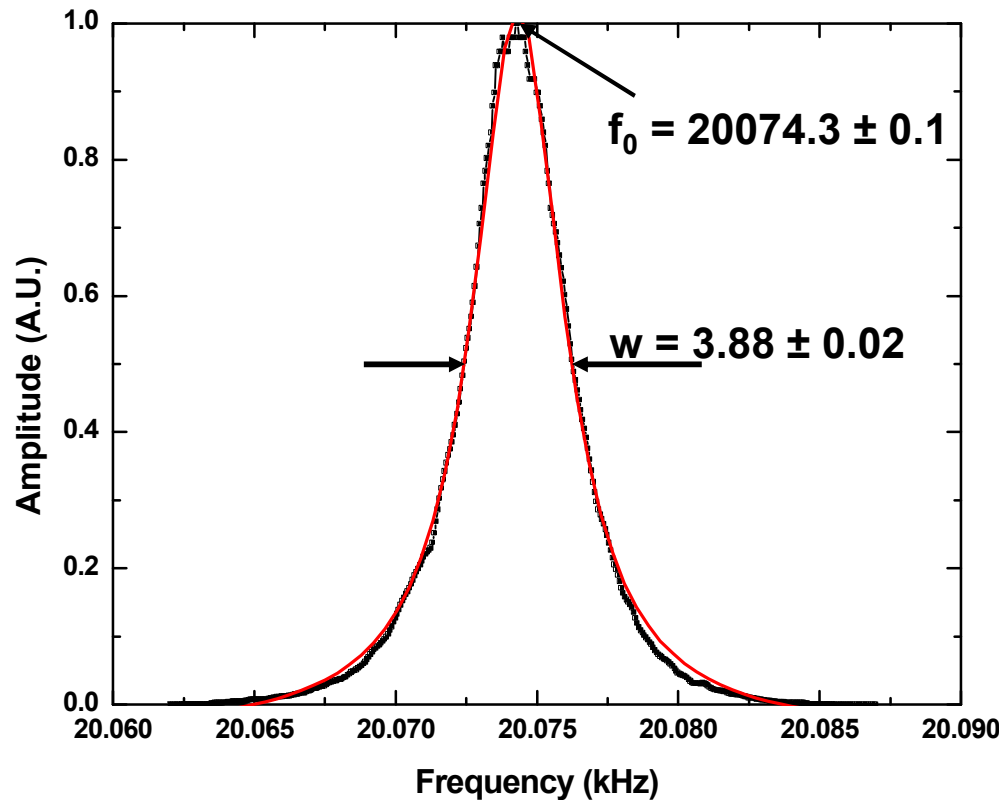
Laser Interference



D. Carr, B.E.N. Keeler (1769)



Typical spectral response and curve fitting

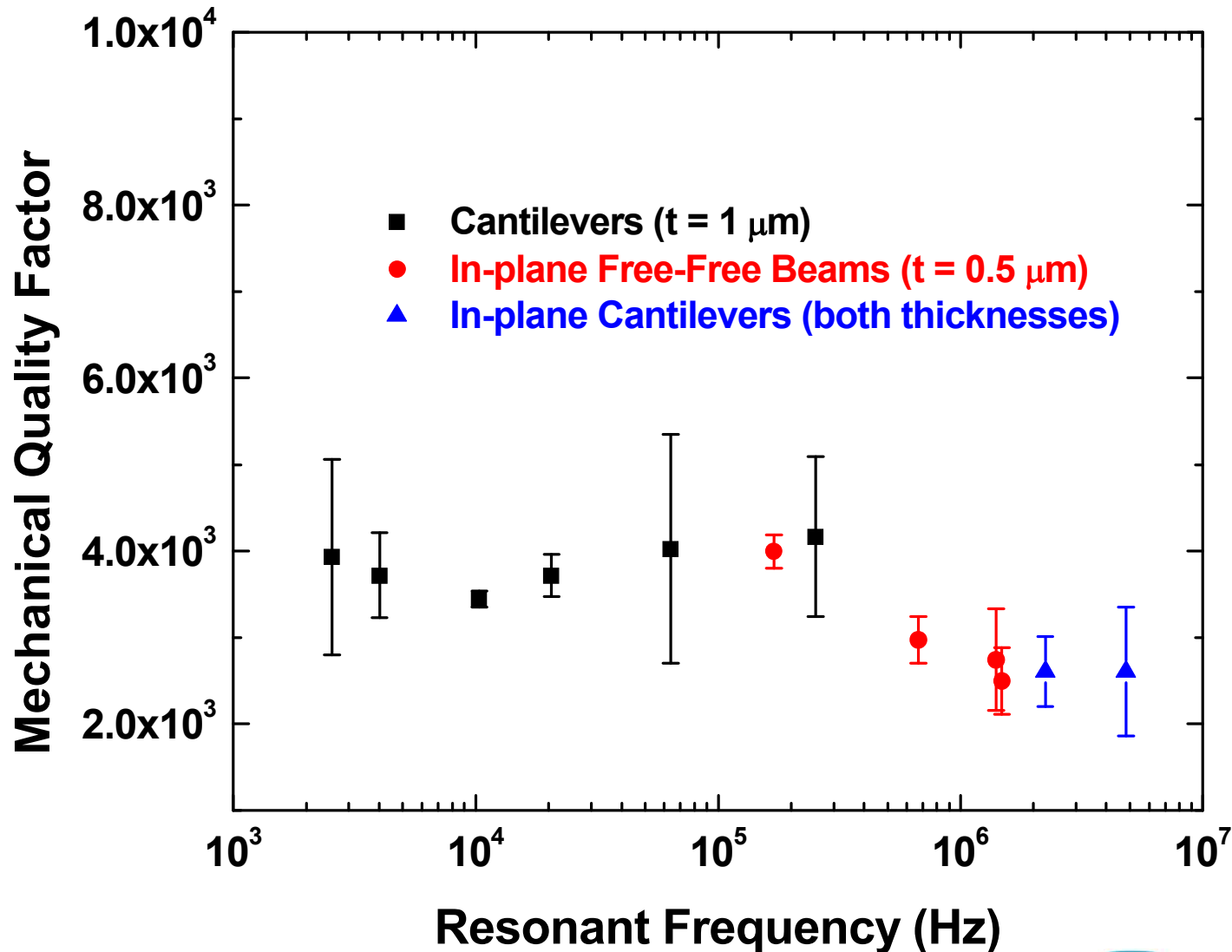


$$Q = 5172 \pm 437$$

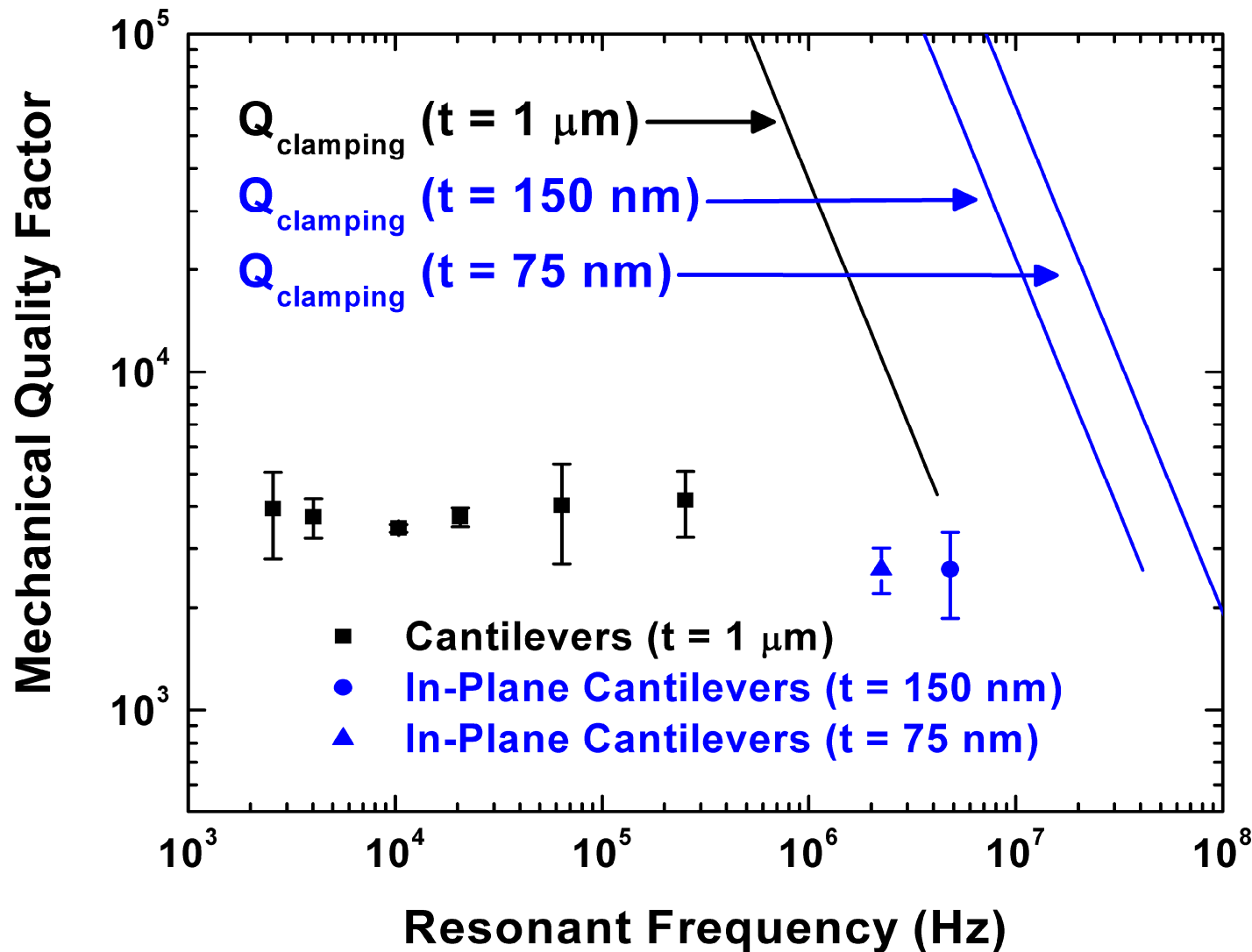
$$y = y_0 + \left(\frac{2A}{\pi} \right) \frac{w}{\left(4(f - f_0)^2 + w^2 \right)}$$



Typical quality factors



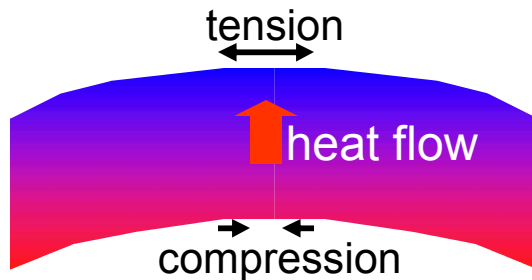
Clamping loss limited?



$$Q_{\text{clamping}} \approx 0.34 \frac{l^3}{t^3}$$

Limited by thermoelastic dissipation?

transverse mode:



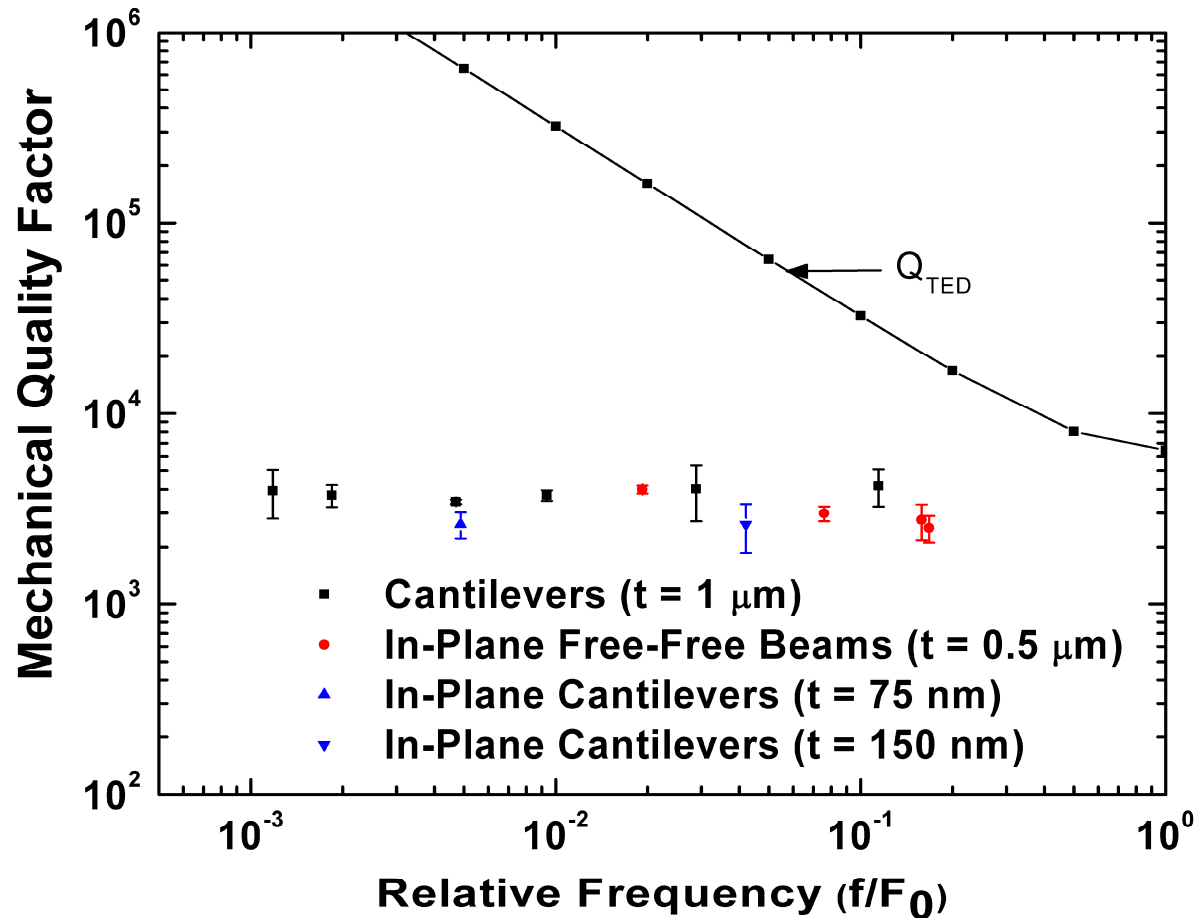
$$Q_{TED} = \frac{1}{2\Gamma(T)\Omega(f)},$$

$$\Gamma(T) = \frac{\alpha^2 TE}{4\rho C_p},$$

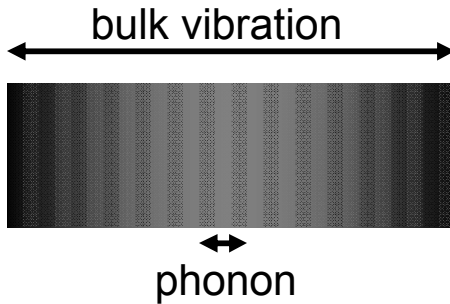
$$\Omega(f) = \frac{2f / F_0}{1 + (f / F_0)^2},$$

$$F_0 = \frac{\pi K}{2\rho C_p t^2}.$$

Limited by thermoelastic dissipation?



Limited by phonon phonon interactions?

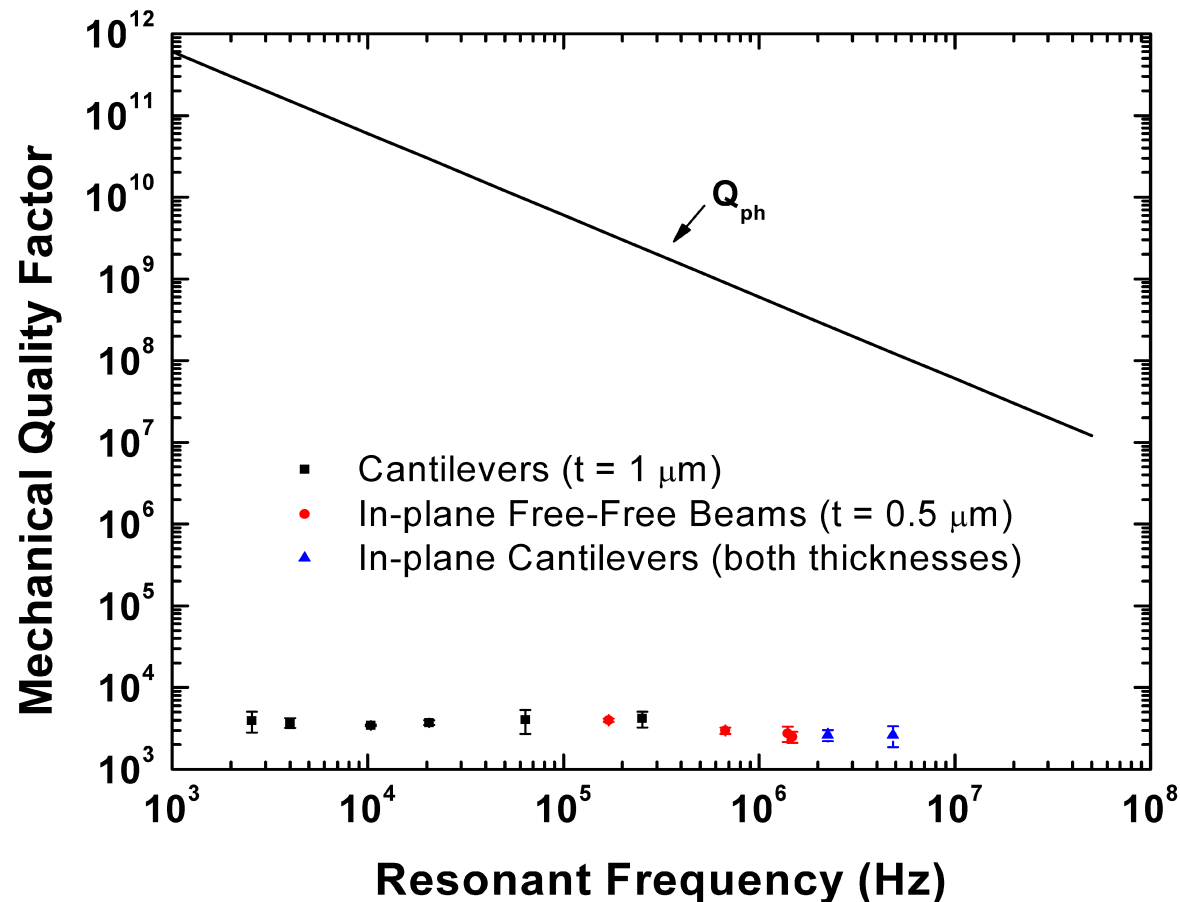


$$Q_{ph} \approx \frac{\rho v^2}{CT\gamma^2} \left[\frac{\omega\tau_{ph}}{1 + (\omega\tau_{ph})^2} \right]^{-1},$$

$$\tau_{ph} = \frac{3\kappa}{\rho C_p v_D^2},$$

$$\frac{3}{v_D^3} = \frac{1}{v_l^3} + \frac{2}{v_t^3},$$

$$v_l = \left(\frac{E}{\rho} \right)^{\frac{1}{2}} \quad v_l = 1.65 v_t$$



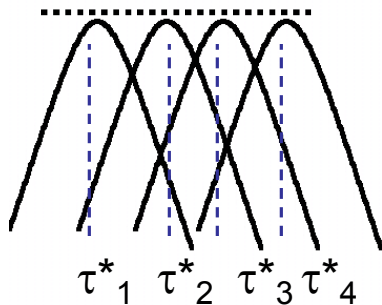
B. Braginsky, V. P. Mitrofanov, V. I. Panov, Systems with Small Dissipation



Sandia National Laboratories

Plausible explanation

spectrum of defects

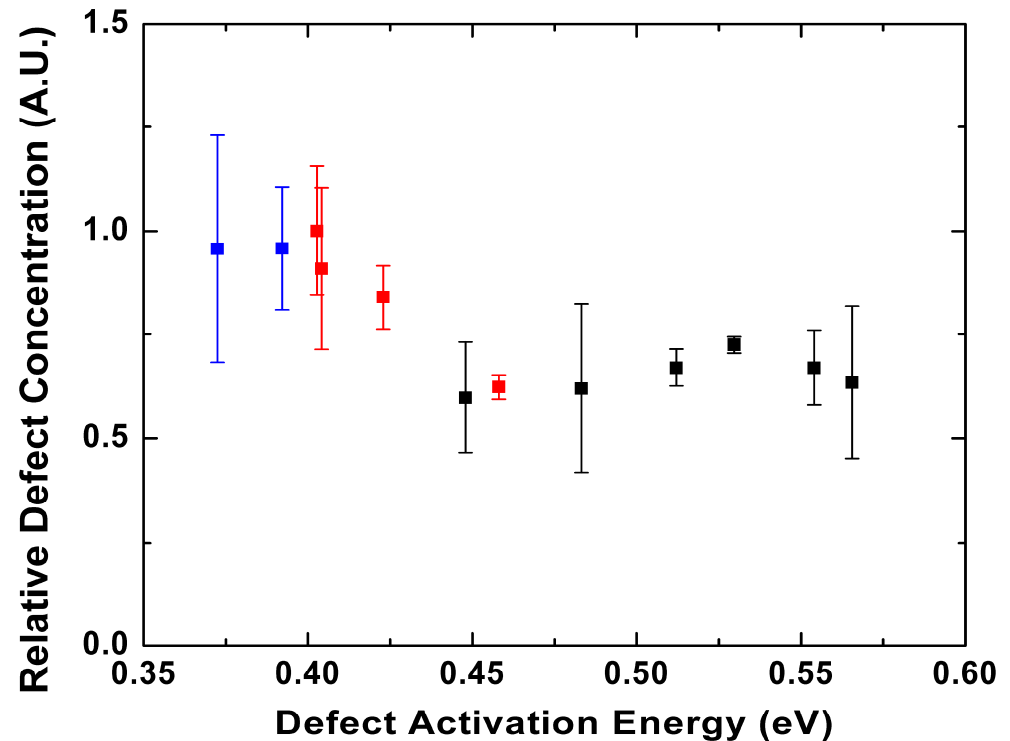


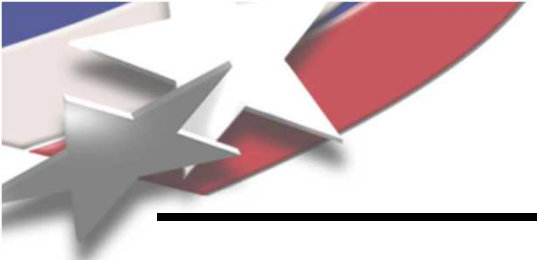
$$Q_{\text{defect}} = A \left[\frac{\omega \tau^*}{1 + (\omega \tau^*)^2} \right]^{-1}$$

$$\frac{1}{\tau^*} = \frac{1}{\tau_0} \exp\left(\frac{-E_A}{k_B T}\right)$$

Atomic attempt frequency

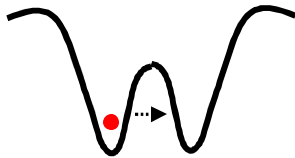
$$\tau_0 = 10^{-13} \text{ s}$$





Similar to other amorphous materials

- near universal behavior in dissipation in amorphous materials at low temperature
- described by a flat distribution of “tunneling states”

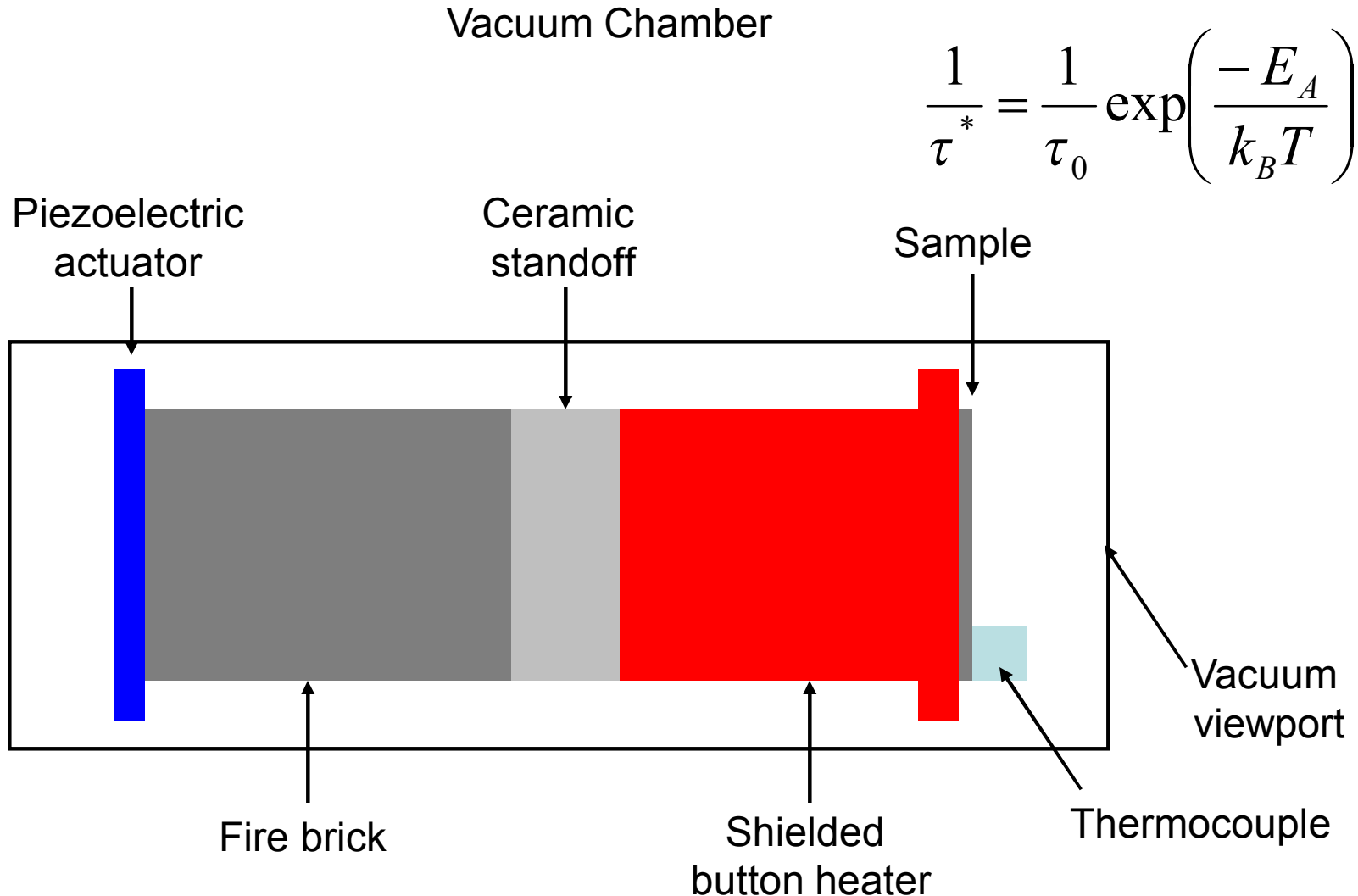


Material	Q
ta-C	3.3×10^3 (high T)
SiO ₂	1.9×10^3
GeO ₂	2.8×10^3
B ₂ O ₃	1.6×10^3
Se	1.8×10^3
As ₂ S ₃	4.5×10^3
CdGeAs ₂	5.3×10^3
Polycarbonate	2.1×10^3
Polymethylmethacrylate	1.1×10^3
Polystyrene	0.8×10^3

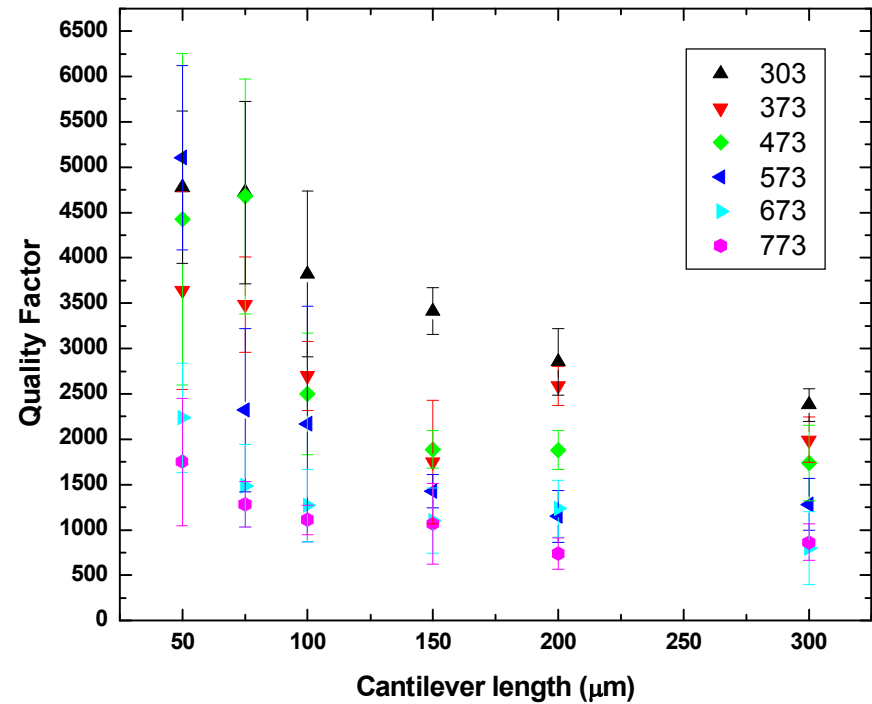
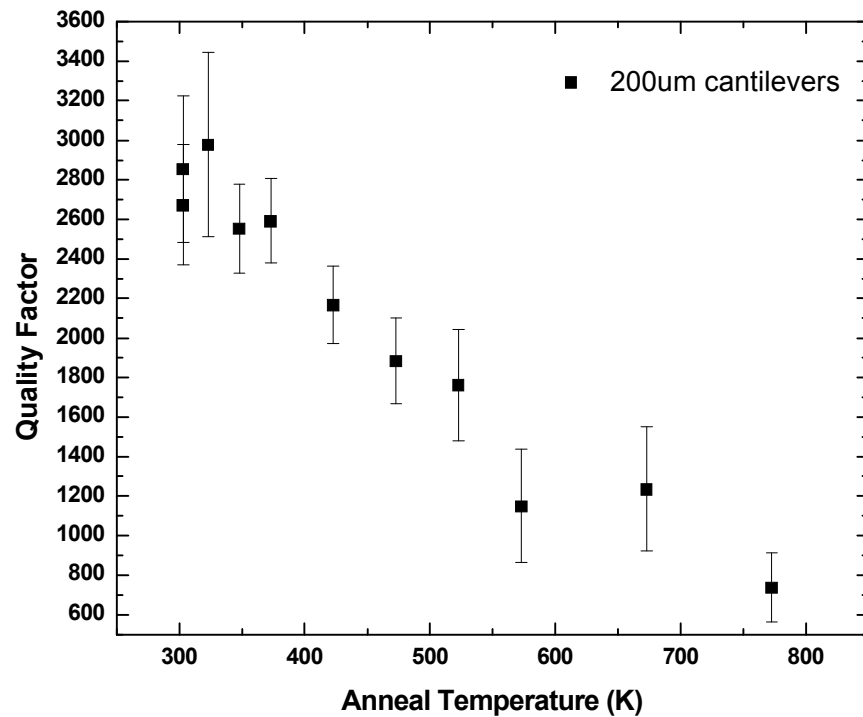
Topp & Cahill, Z. Phys. B **101**, '96; *Braginsky et al., Systems with Small Dissipation* (1985).



Explore higher E_a by measuring at higher T

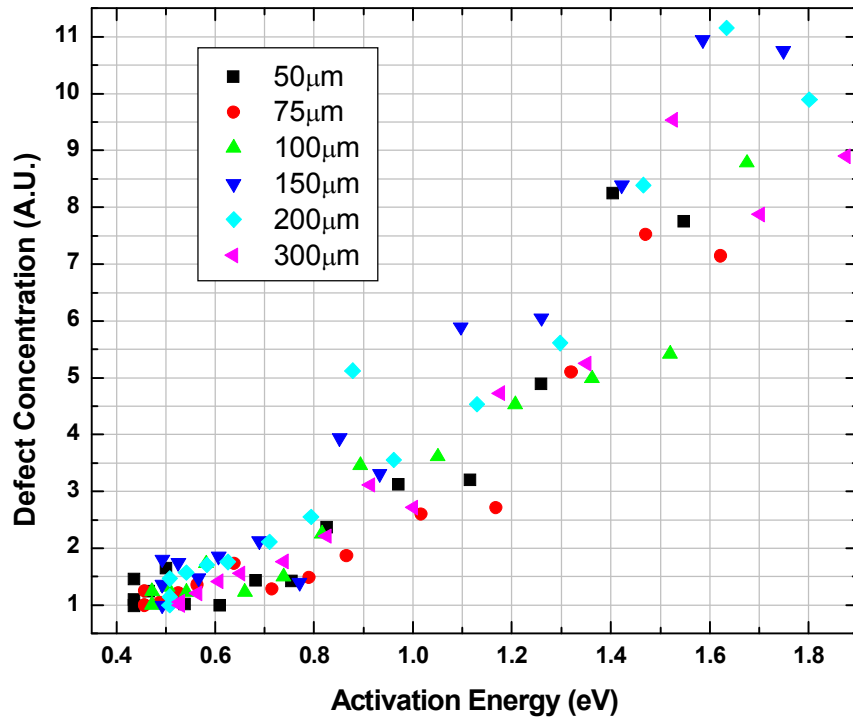


Data at elevated temperature

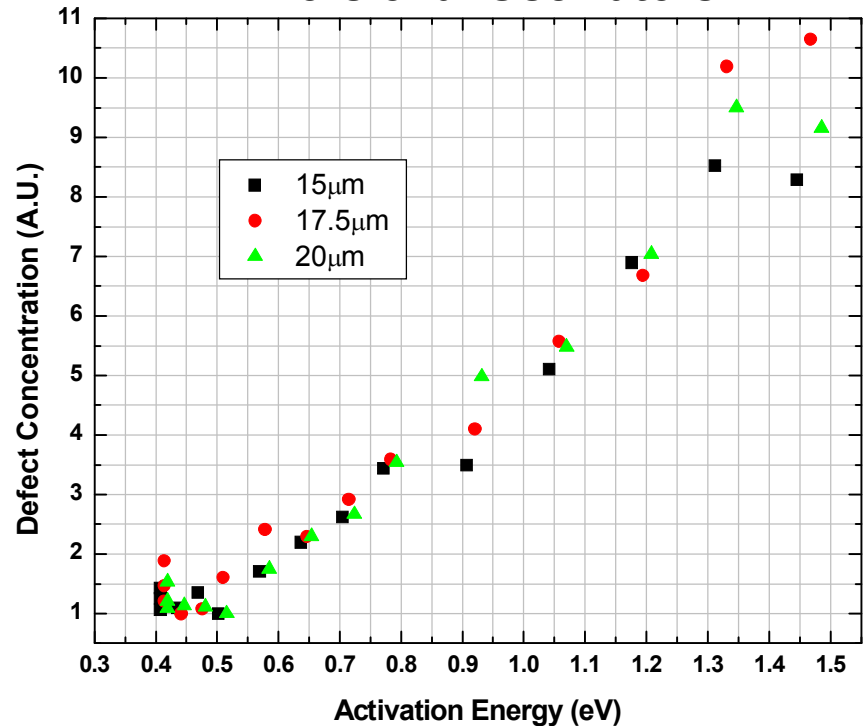


More defects with larger activation energies

Cantilevers

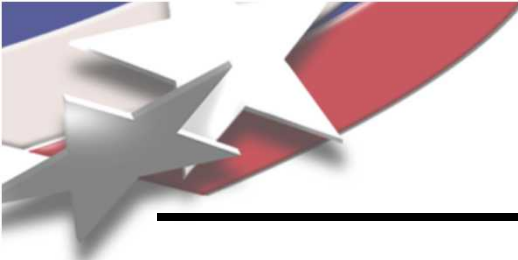


Torsional Oscillators



vacancy self-diffusion in crystalline diamond: 2.3 eV
self-interstitial diffusion in crystalline diamond: 1.3 eV





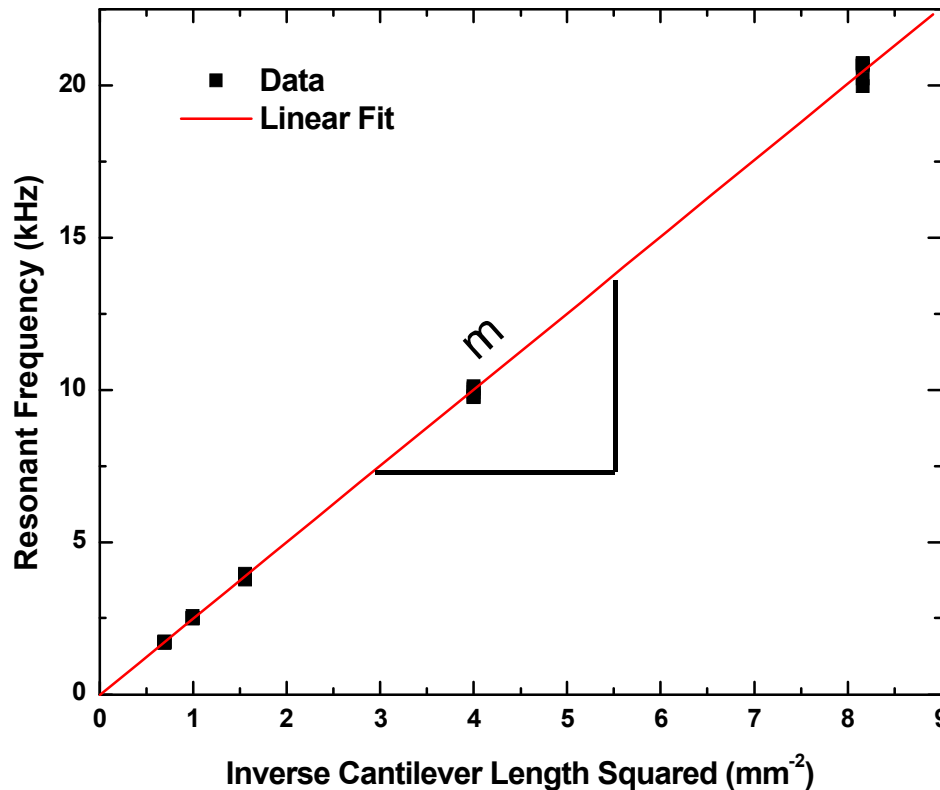
Summary of dissipation

- At room temperature, similar Q s over large frequency range
- Oscillators don't appear to be limited by:
 - Clamping losses
 - Thermoelastic Dissipation
 - Phonon-phonon interactions
- Possible broad spectrum of defects limiting Q
- Behave similar to other amorphous materials at lower temperature
- Higher concentrations of defects, limiting Q , at higher activation energies



Extract Young's modulus

Extract Young's Modulus



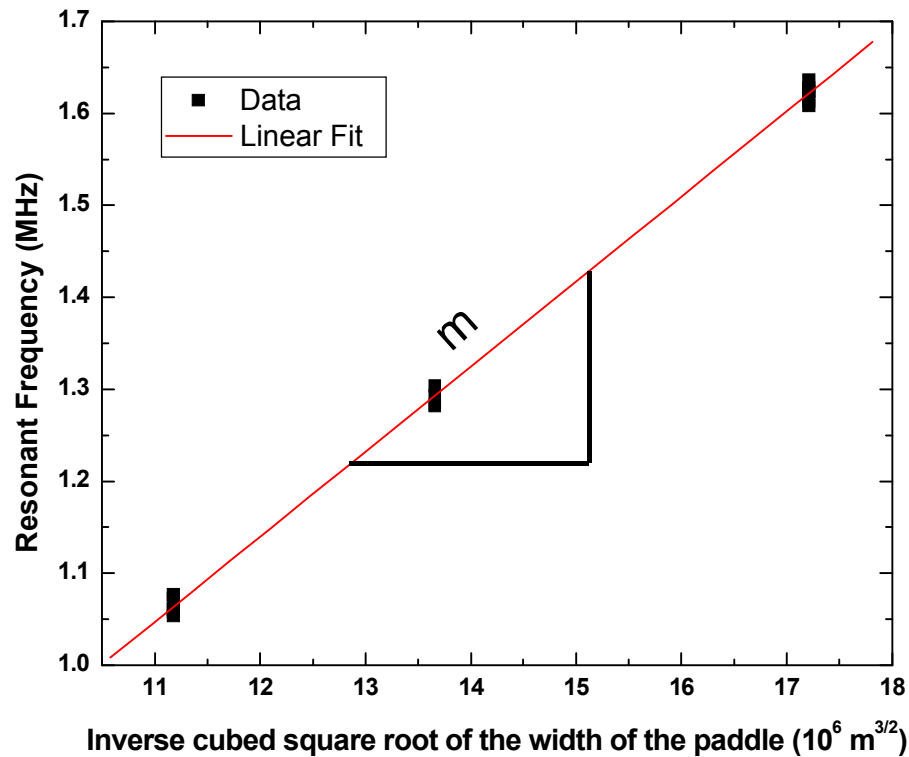
$$f_o = \frac{(1.875)^2}{2\pi} \frac{t}{l^2} \sqrt{\frac{E}{12\rho}}$$

$$E = 12\rho \left(\frac{2\pi \times 10^{-6} \text{ m}}{(1.875)^2 \frac{t}{l^2}} \right)^2$$

$$E = 655 \pm 1 \text{ GPa}$$



Extract shear modulus



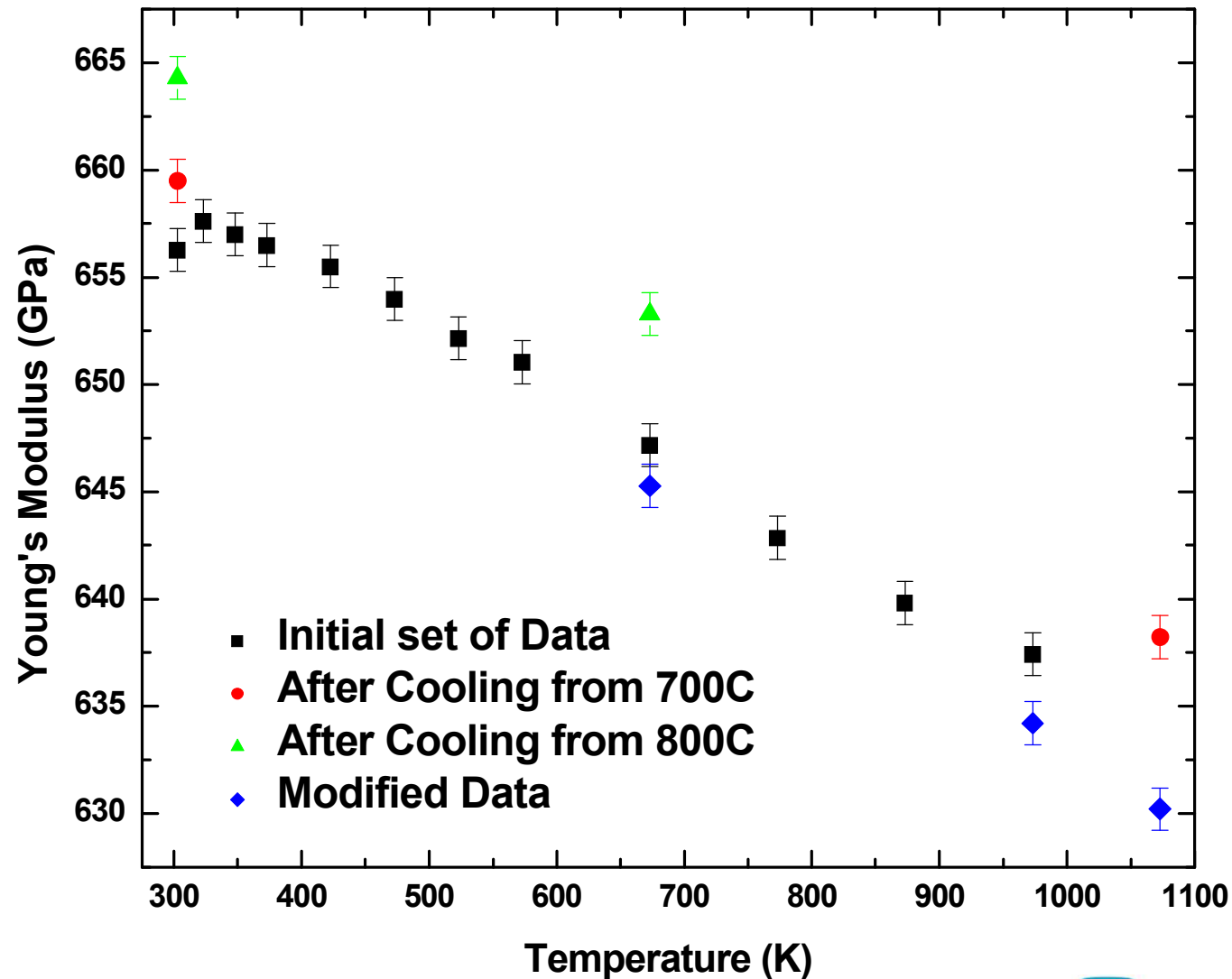
$$f_o = (0.216) \sqrt{\frac{G}{\rho} \frac{b^3}{w l d^3}}$$

$$G = \frac{m^2 \rho w l}{(0.0467) b^3}$$

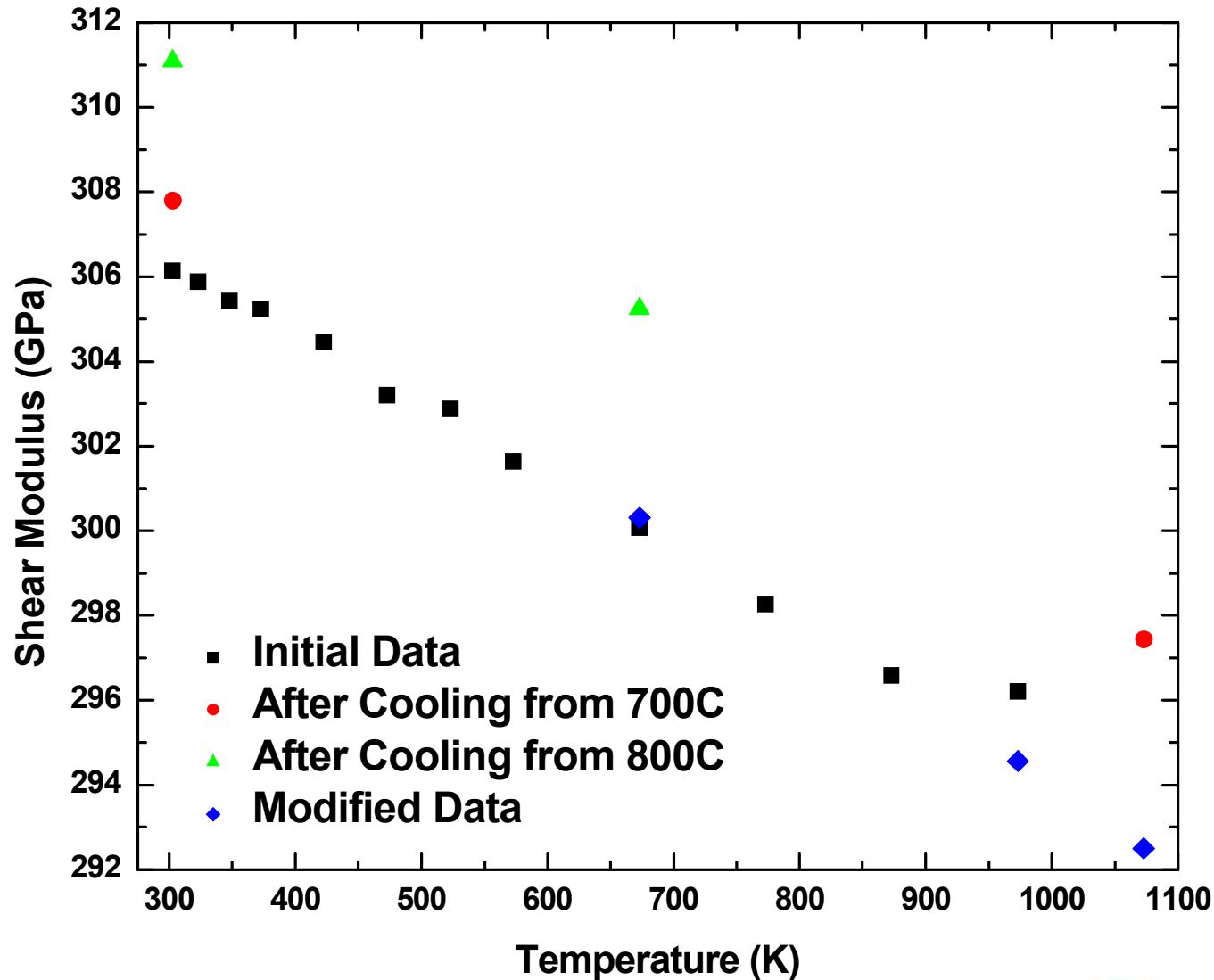
$$G = 306 \pm 2 \text{ GPa}$$



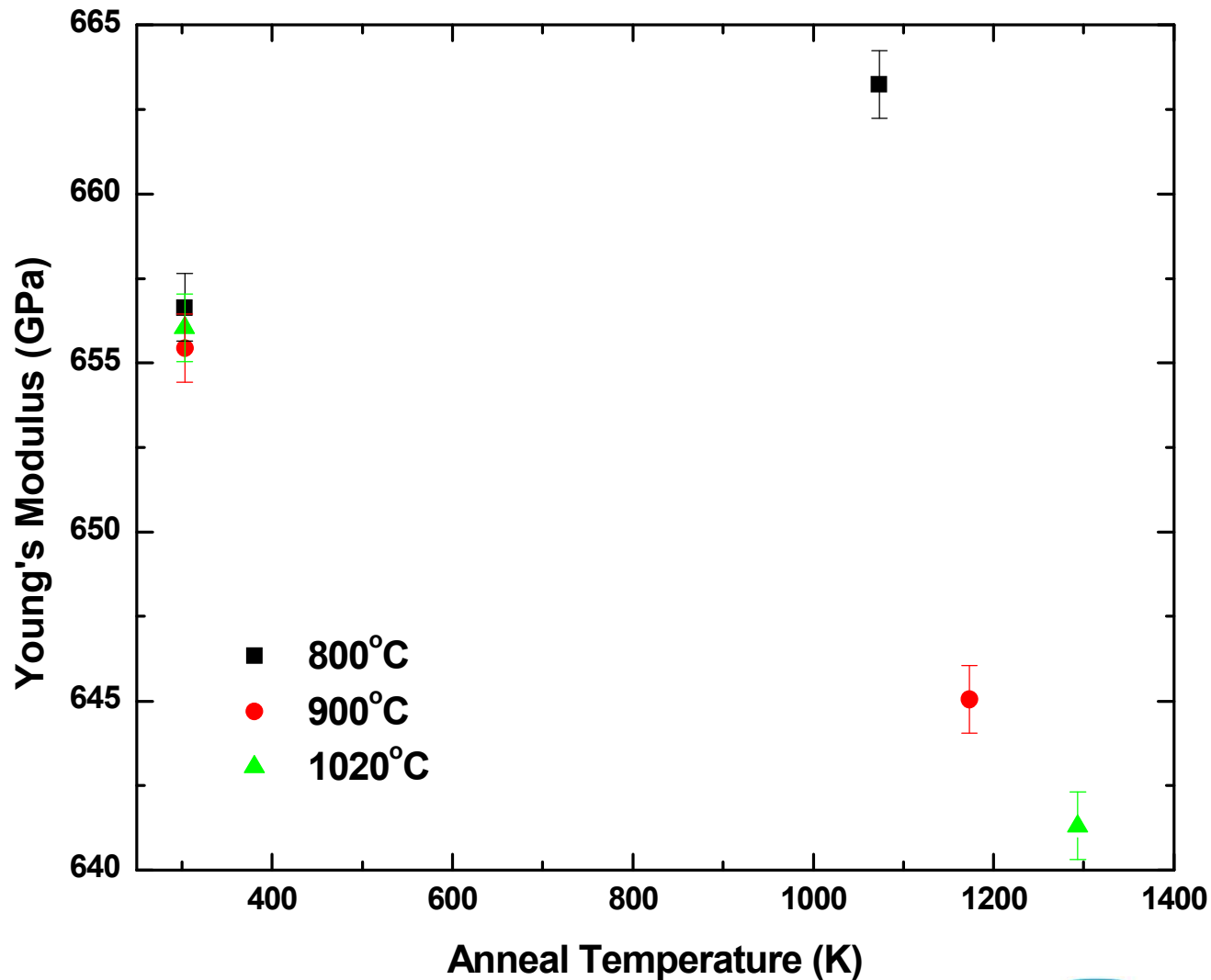
Temperature dependence of Young's modulus



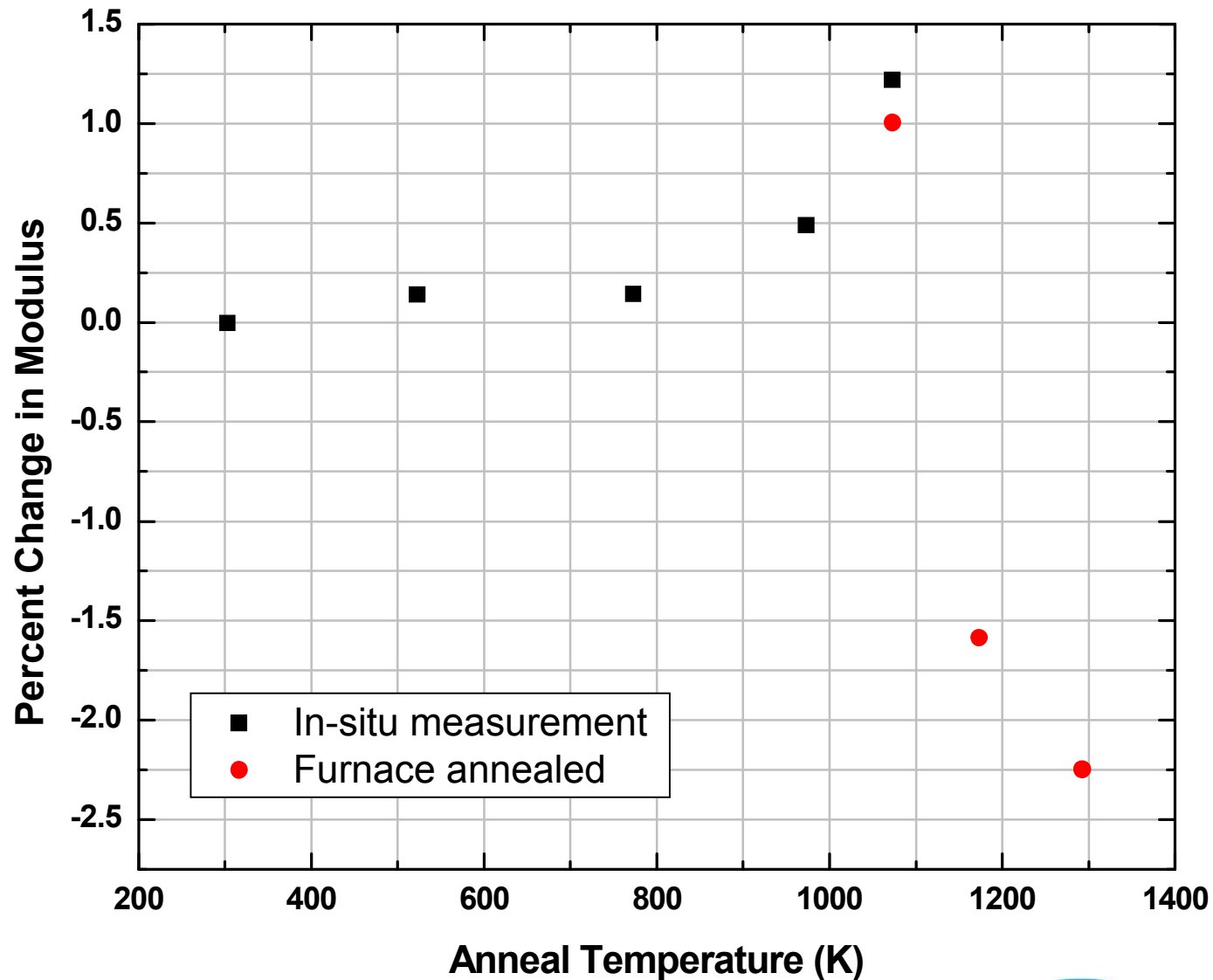
Temperature dependence of the shear modulus

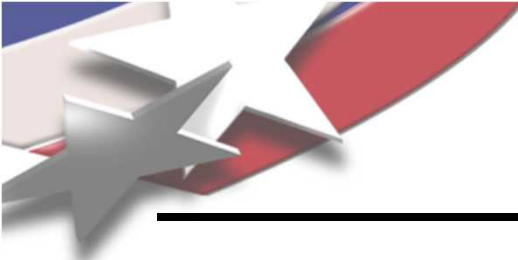


Young's Modulus after higher temperature annealing



Young's modulus after higher temperature annealing





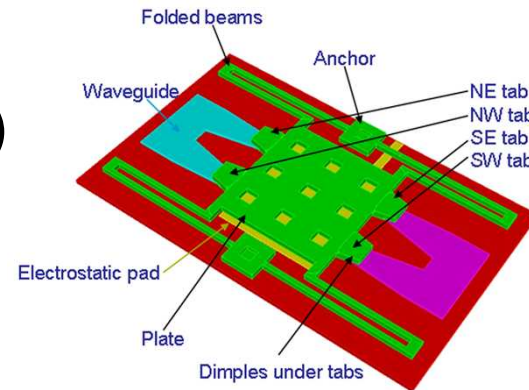
Summary of mechanical properties

- Extracted both Young's and Shear Moduli
- Determined the temperature dependence of both E and G
- The film experiences a permanent mechanical change above 700C

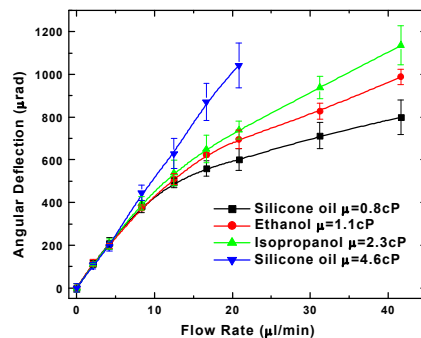


Other Research Activities

- RF Switch mechanics (C. Dyck)



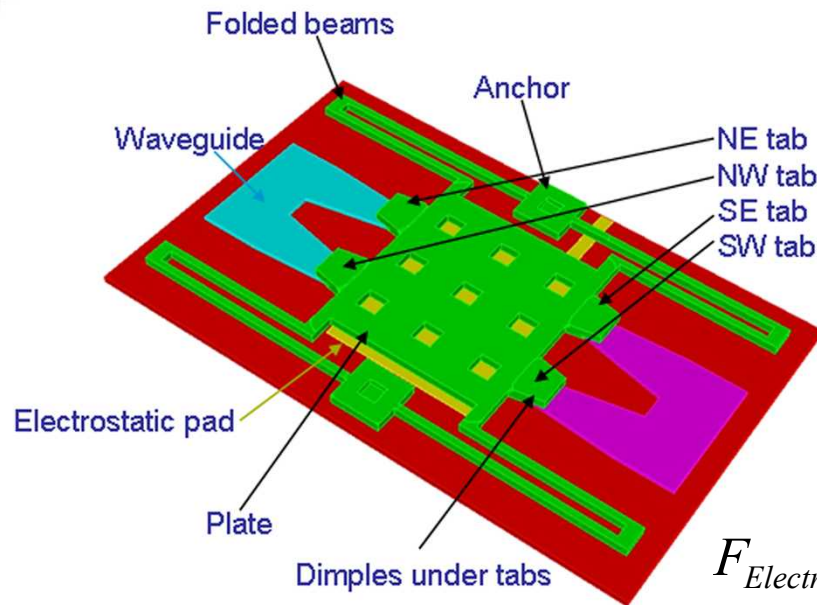
- Microfluidic MEMS pressure transducer (T. Michalske)



- Low-force contacting metal surfaces (M. Baker)

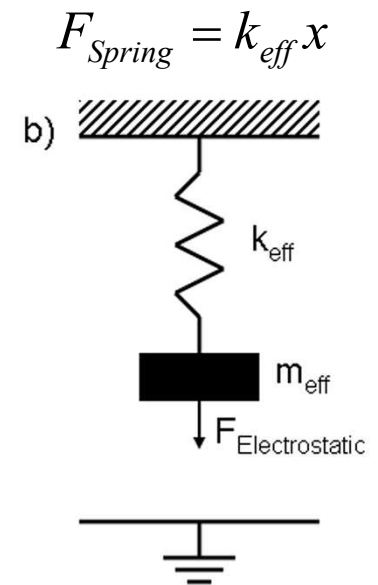
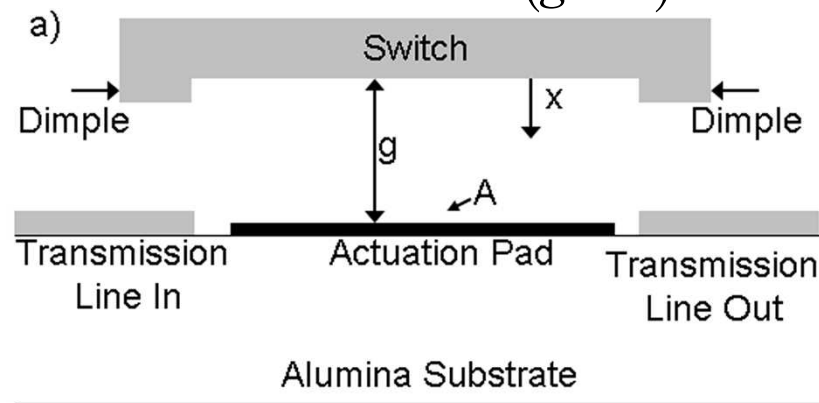


RF Switch mechanics

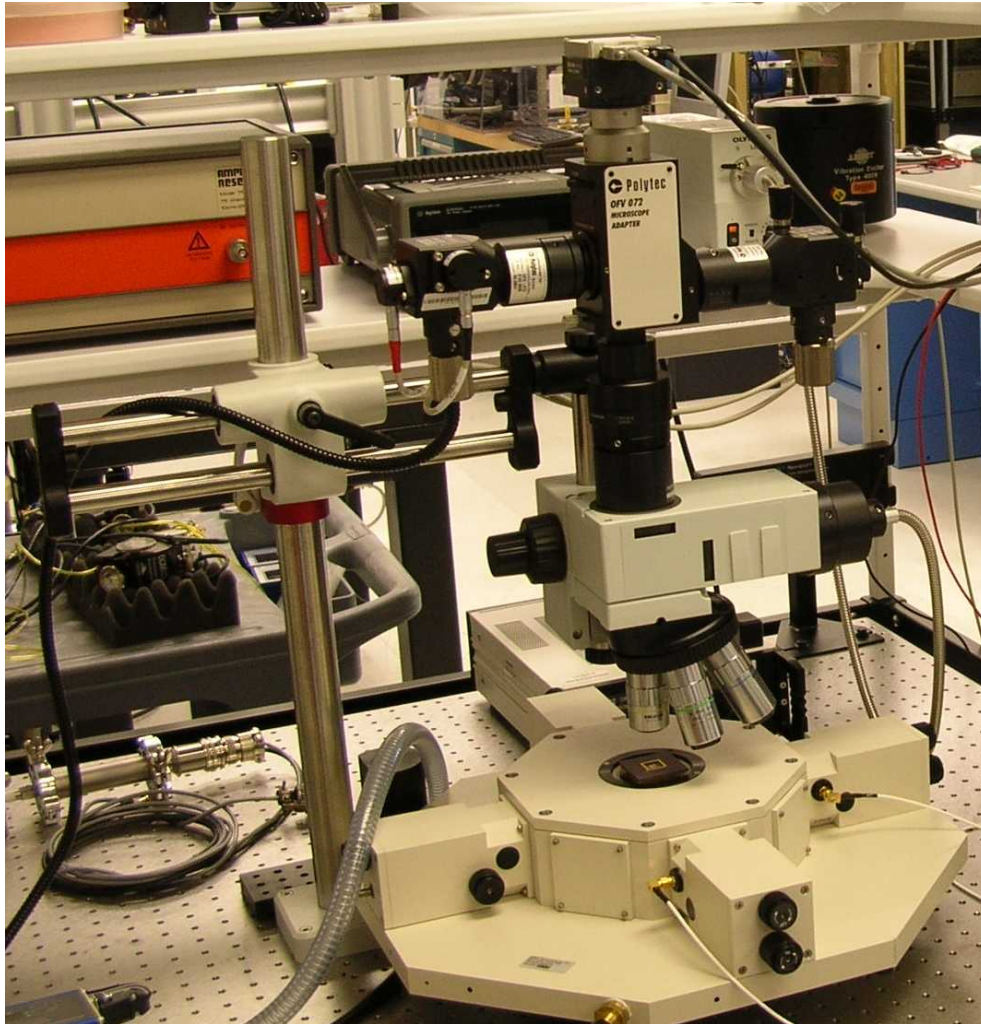


$$m_{eff} \ddot{x} = F_{Electrostatic} - F_{Spring}$$

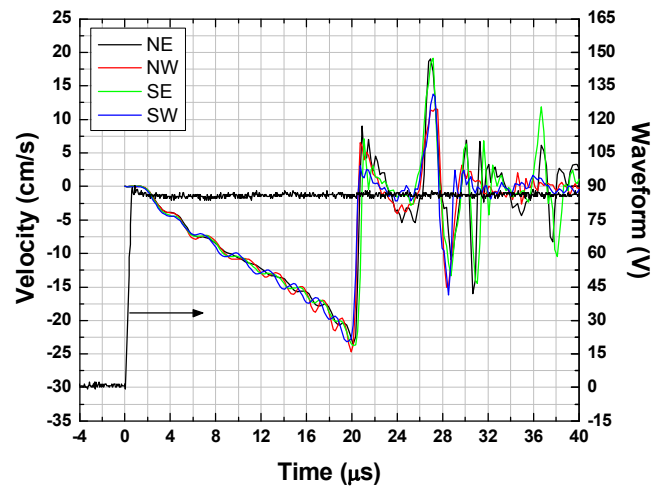
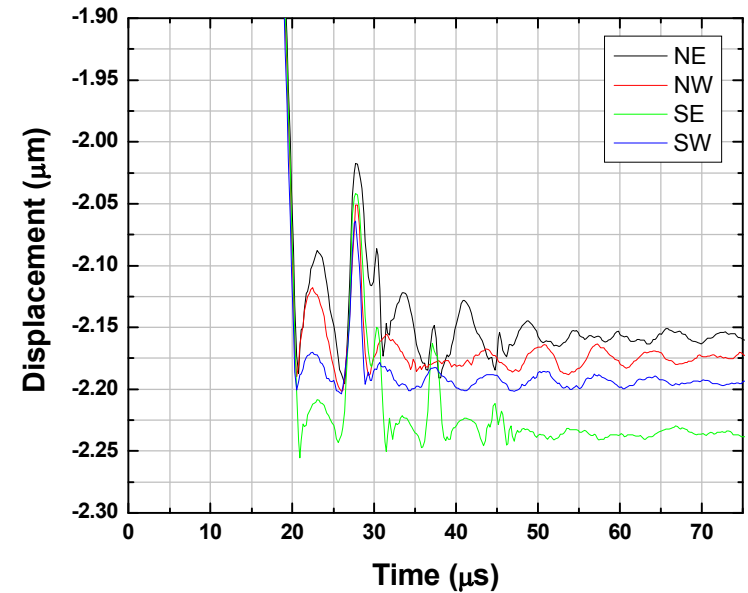
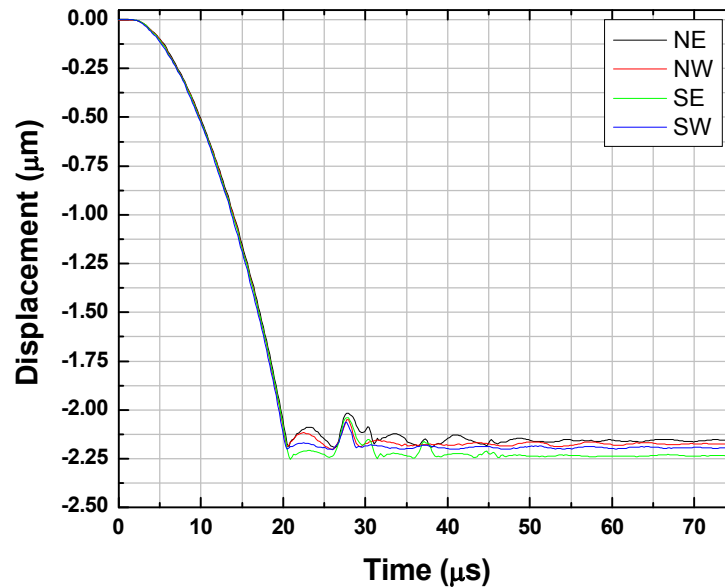
$$F_{Electrostatic} = \frac{\epsilon_o A V^2}{2(g - x)^2}$$



RF Switch mechanics



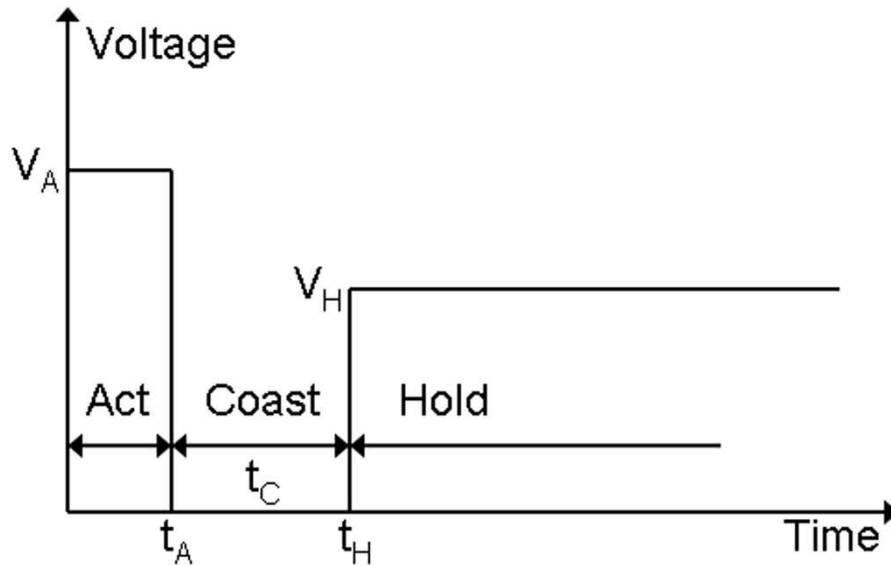
RF Switch mechanics



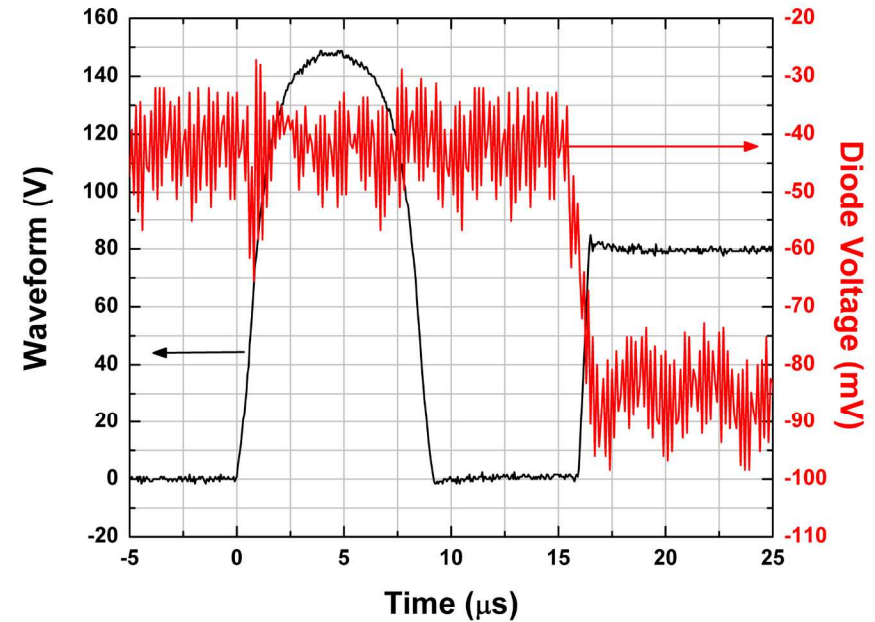
Step Voltage



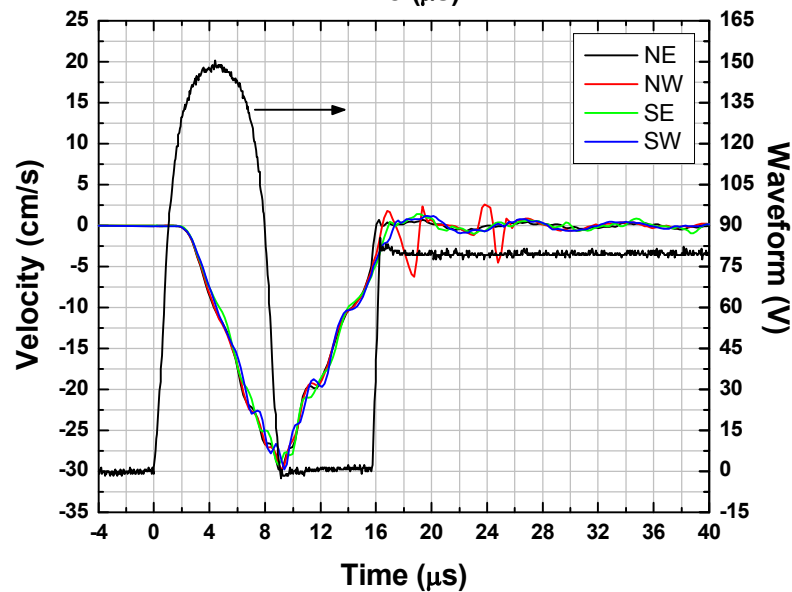
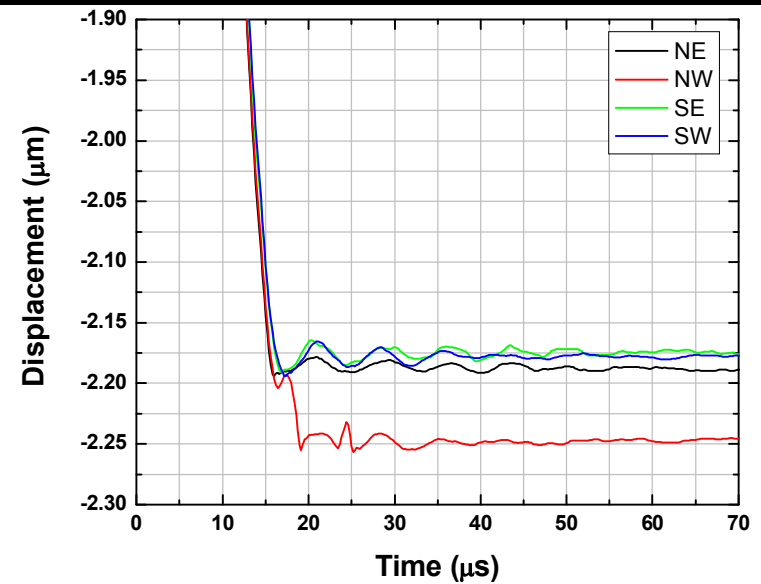
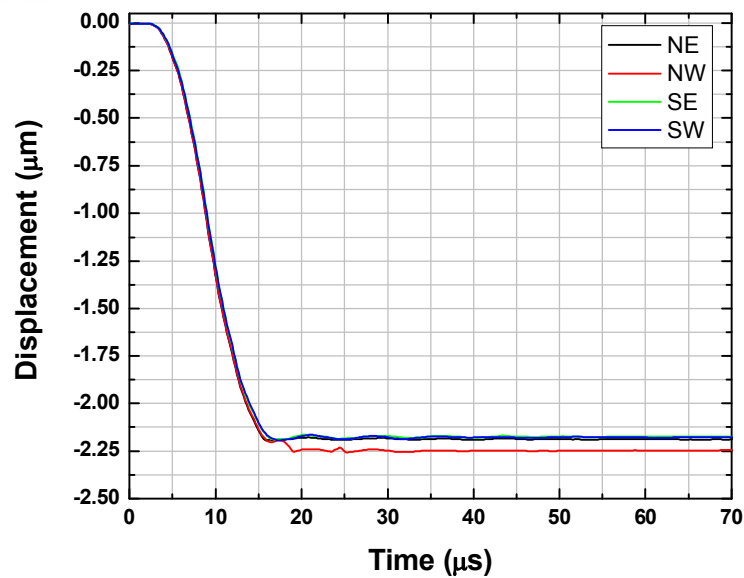
RF Switch mechanics



$$\frac{k_{eff} x_f^2}{2} = \int_0^{x_A} F_{Electrostatic} dx$$

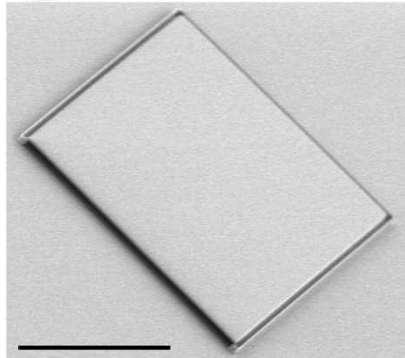


RF Switch mechanics

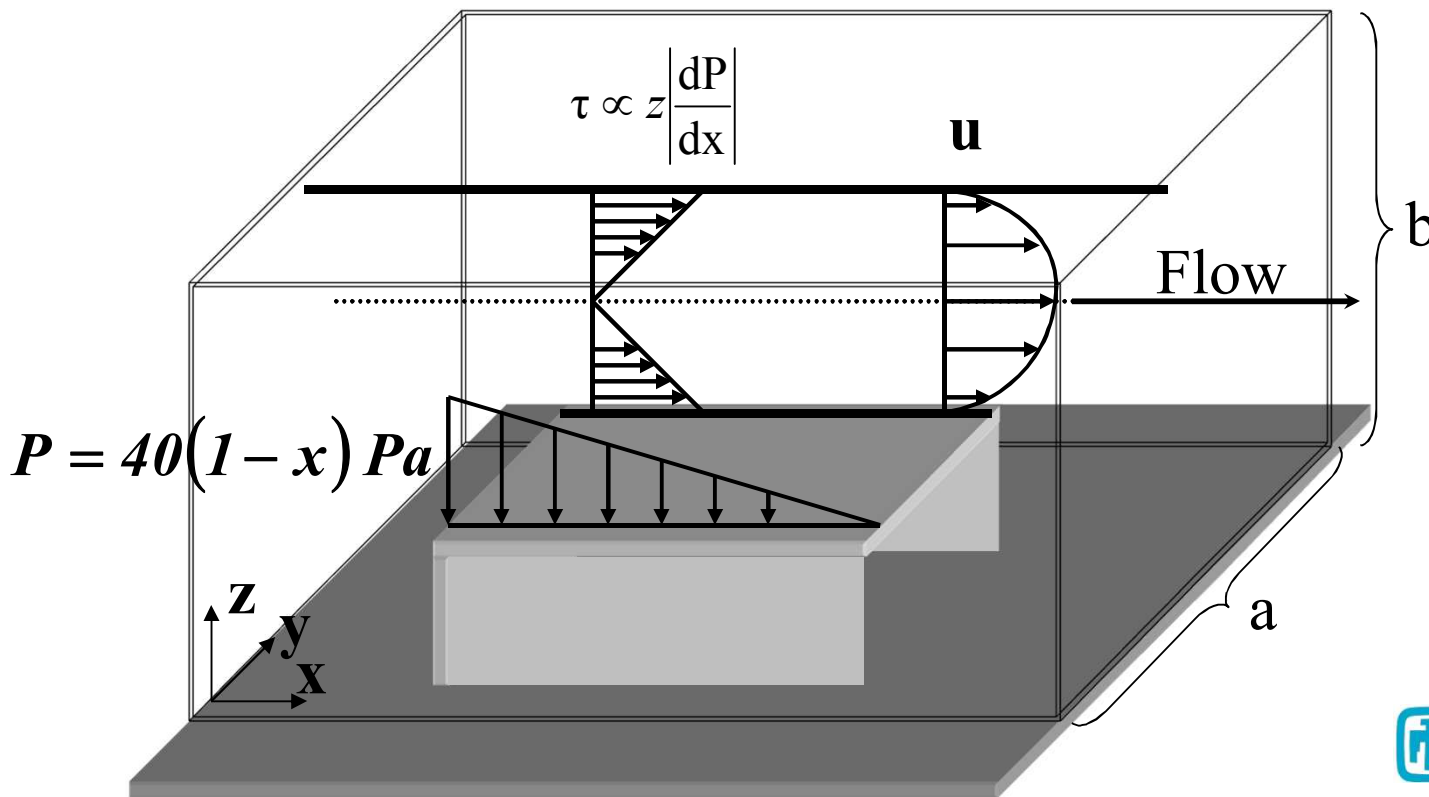
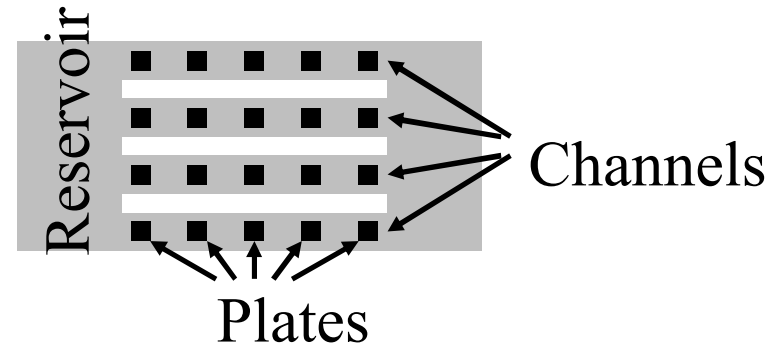


Microfluidic MEMS pressure transducer

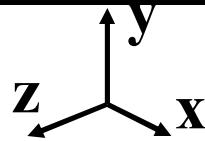
Terry Michalske (1040/CINT/etc)



Surface Shear = 9 Pa



Microfluidic MEMS pressure transducer

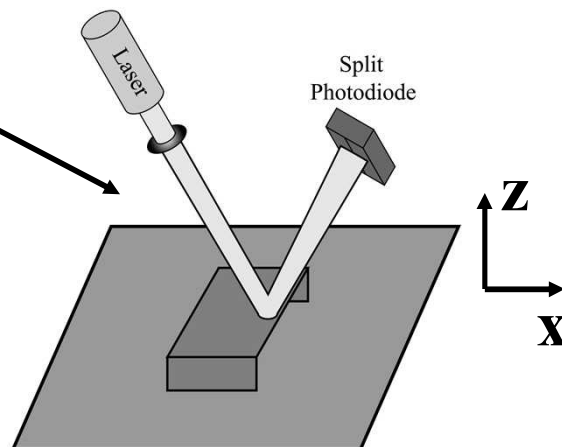
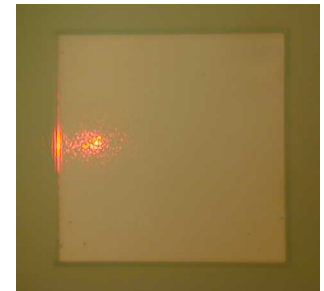
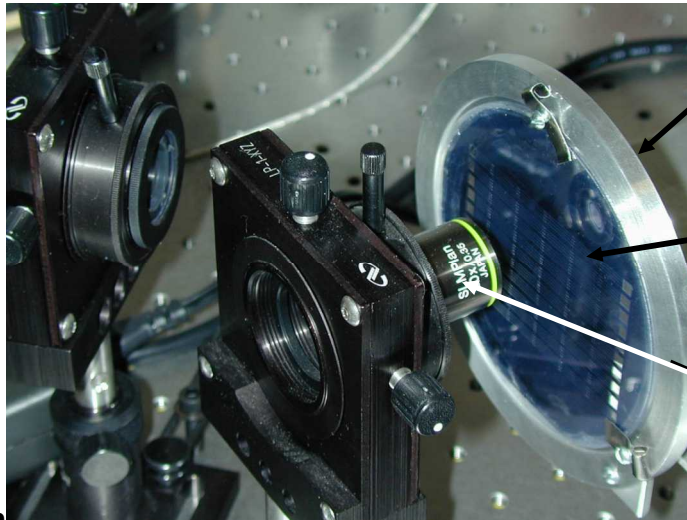


Holder for
device wafer

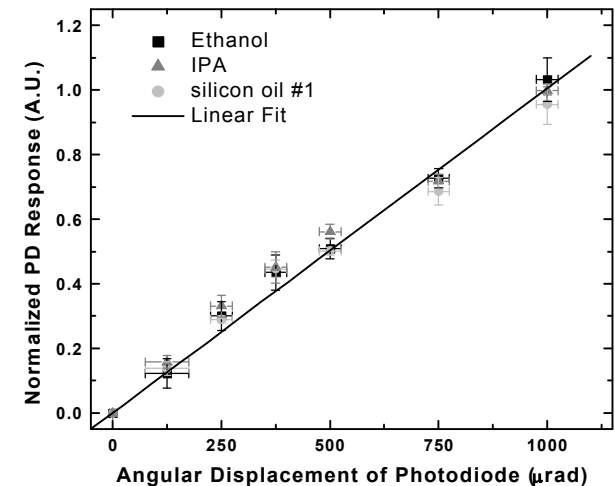
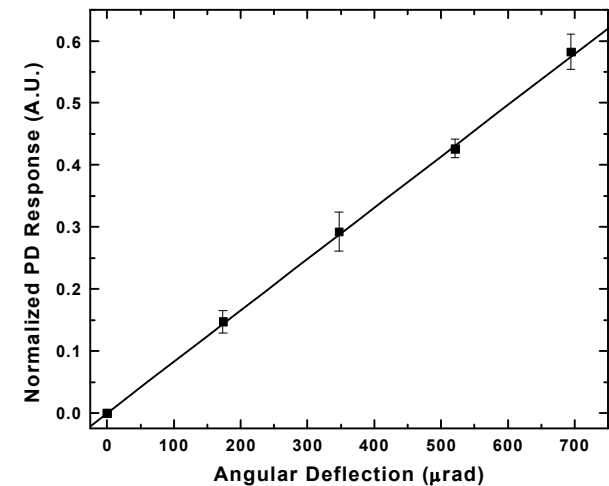
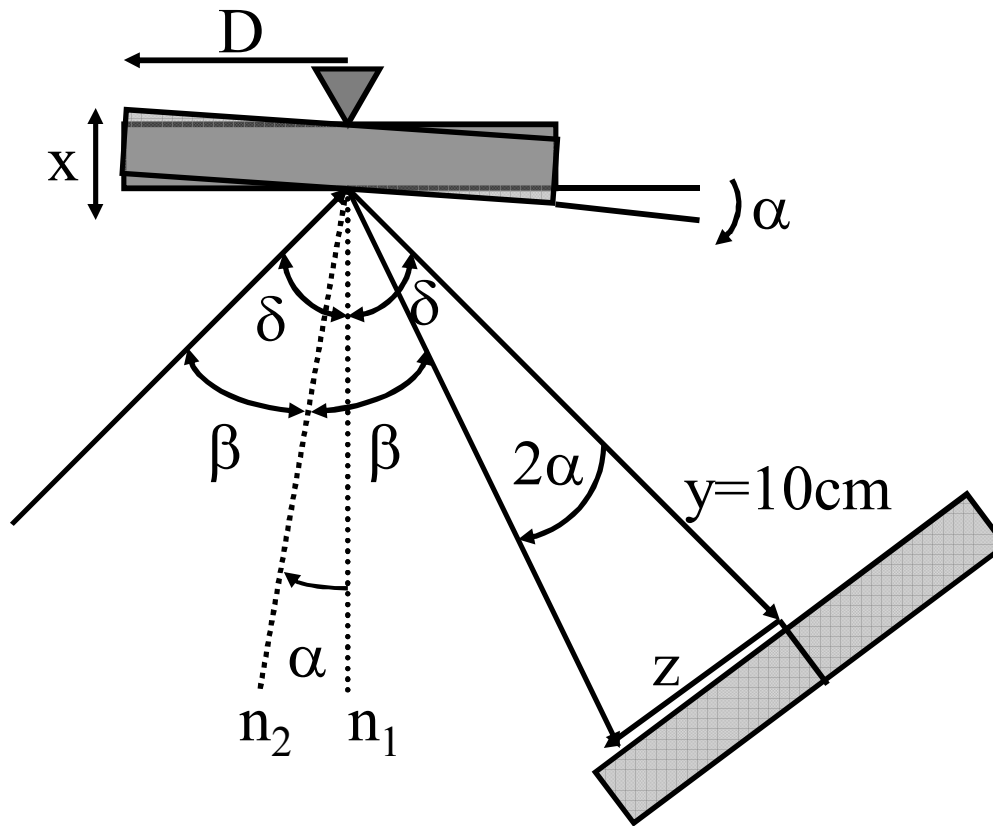
Bonded Silicon and
glass wafer stack
with devices in
microfluidic channels

Optical Interrogation
of the plate

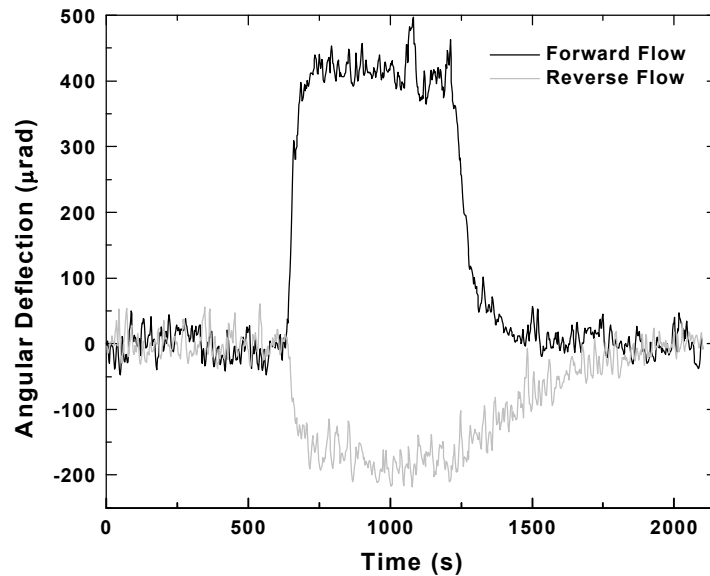
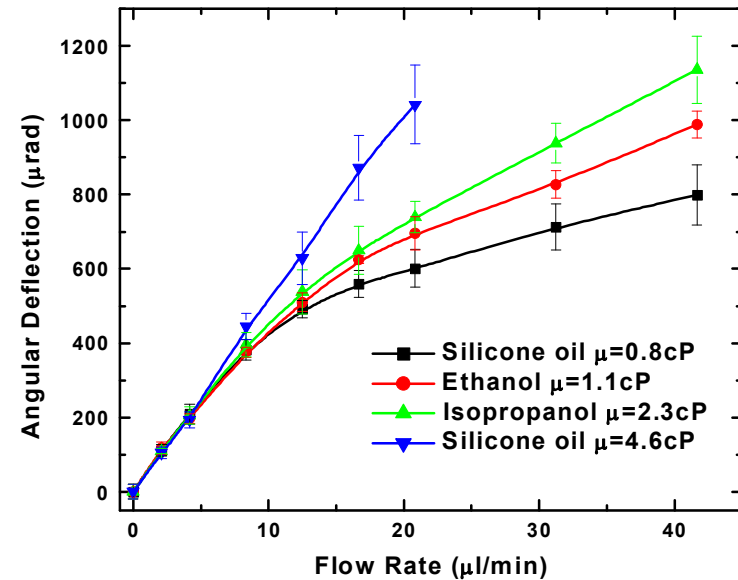
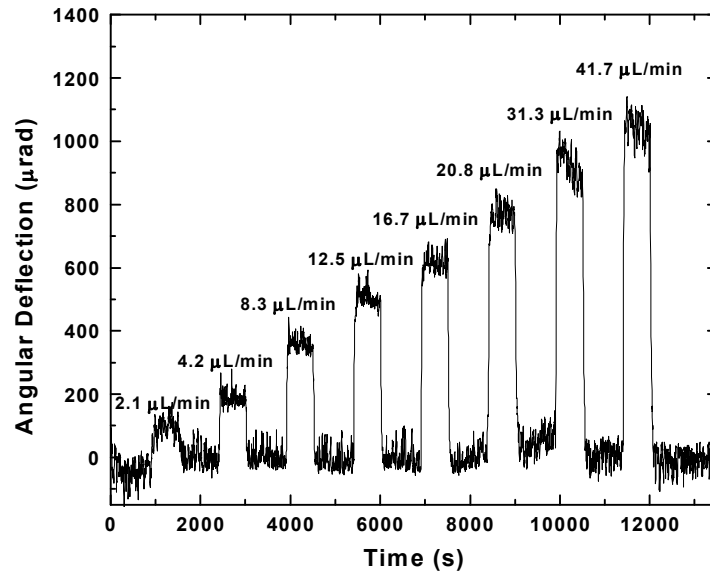
Laser Deflection



Microfluidic MEMS pressure transducer



Microfluidic MEMS pressure transducer



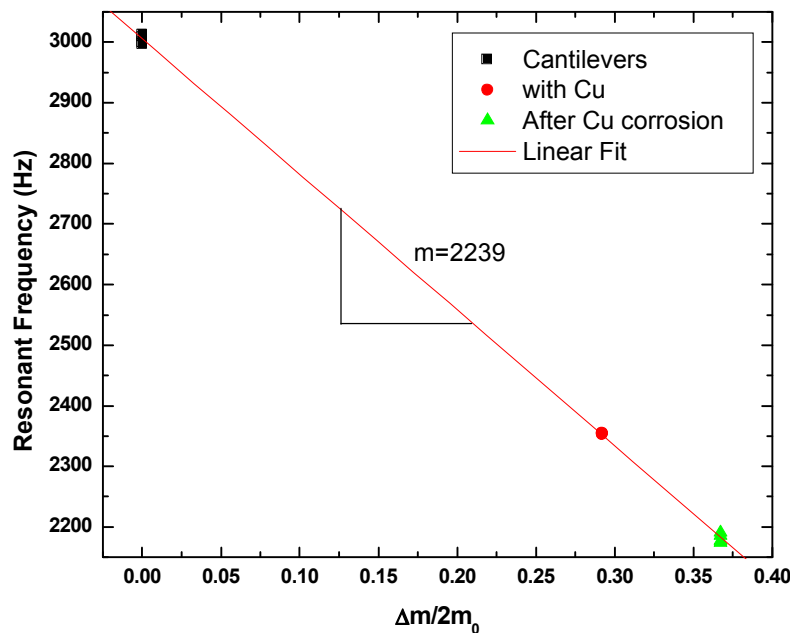
Cantilevers as Sensors

Resonant Frequency
of Cantilever

$$f_o = \frac{(1.875)^2}{2\pi} \frac{t}{l^2} \sqrt{\frac{E}{12\rho}} = c \sqrt{\frac{Et^3 w}{l^3}} m_o^{-1/2}$$

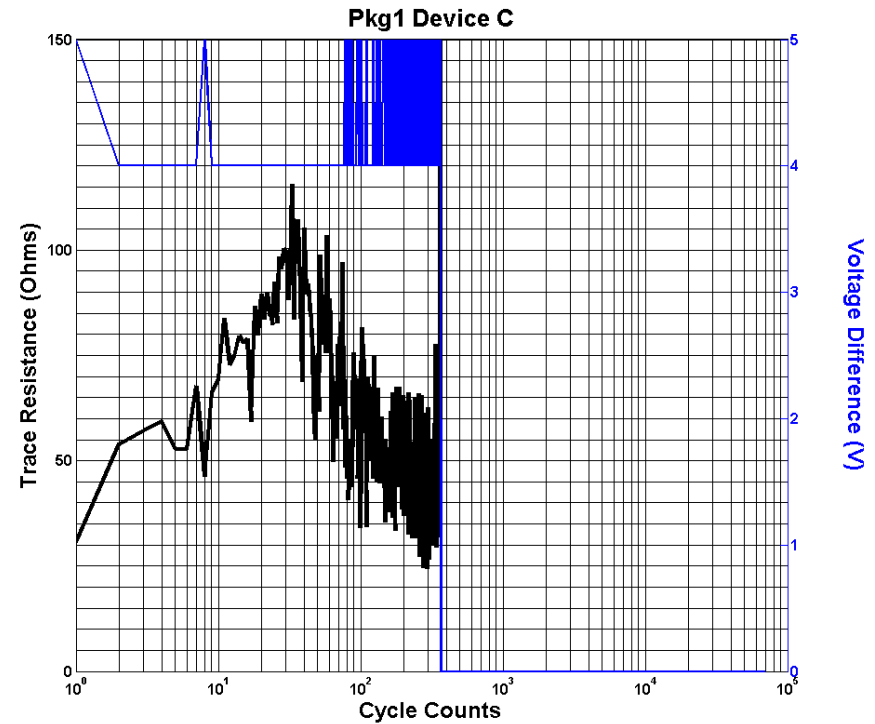
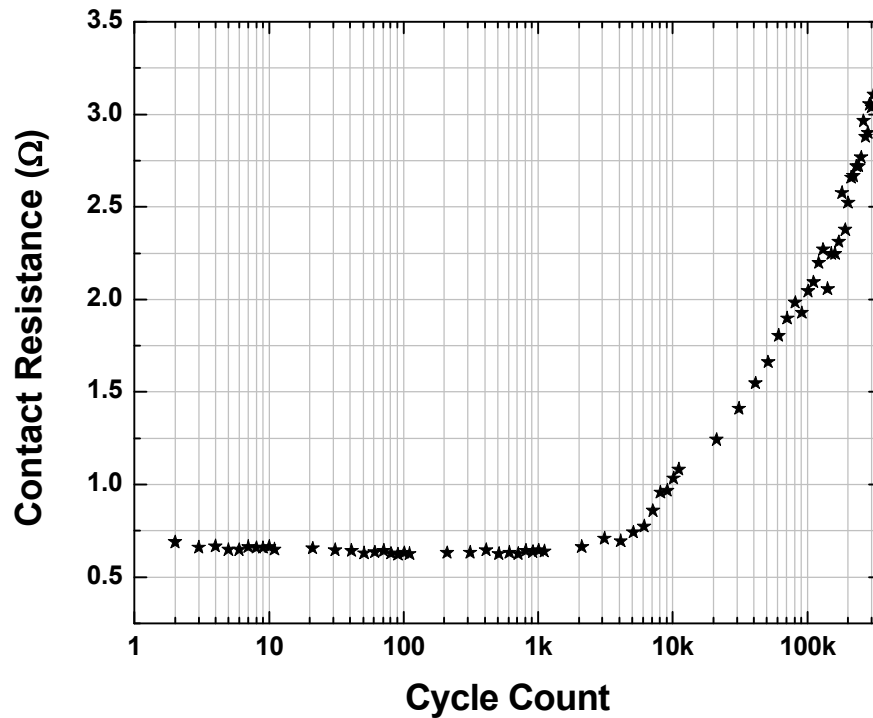
Resonant Frequency
of Cantilever with
added mass Δm

$$f = c \sqrt{\frac{Et^3 w}{l^3}} m_o^{-1/2} \left(1 + \frac{\Delta m}{m_o} \right)^{-1/2} = f_o \left(1 - \frac{\Delta m}{2m_o} \right)$$



Low-force contacting metal surfaces

Used primarily in relays

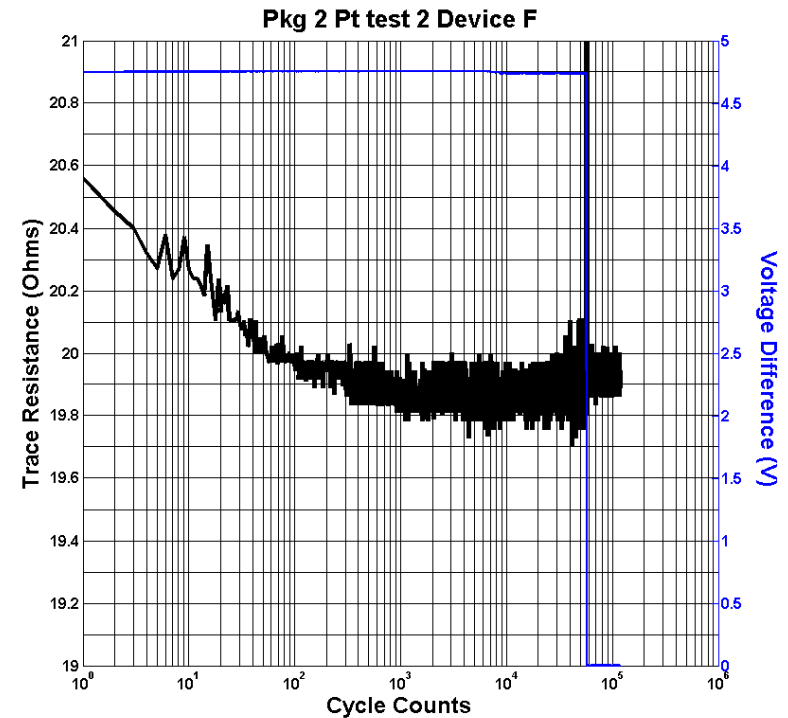
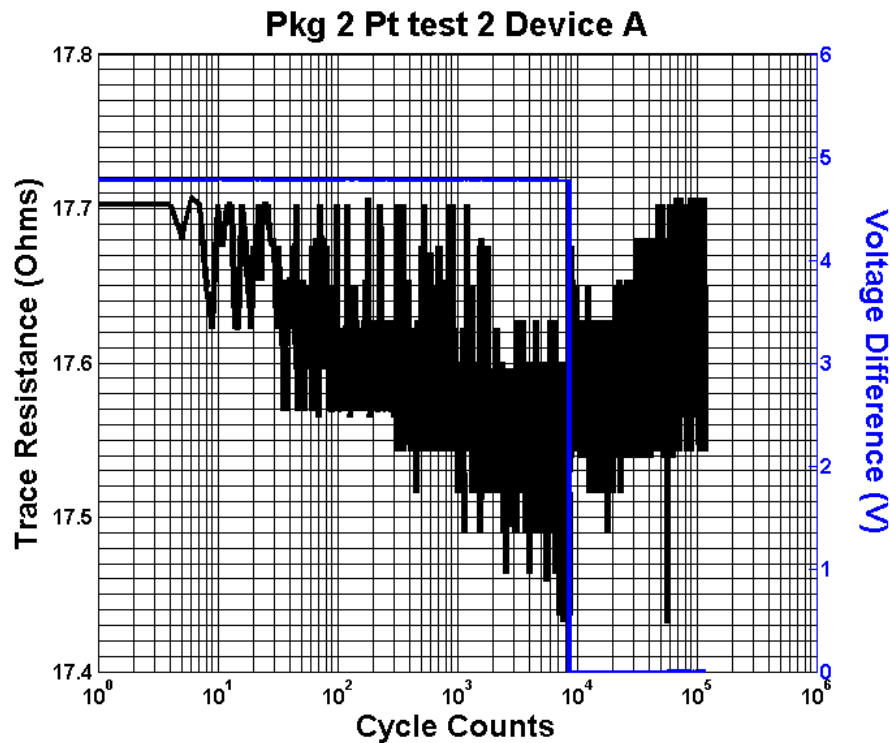


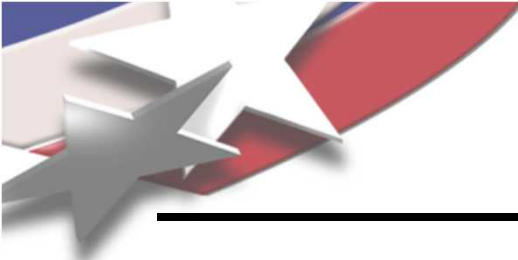
Cycled relay in Nitrogen



Low-force contacting metal surfaces

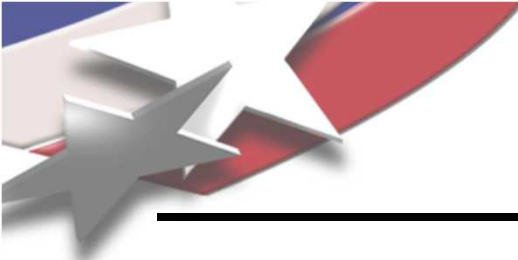
Cycled in Vacuum





Low-force contacting metal surfaces



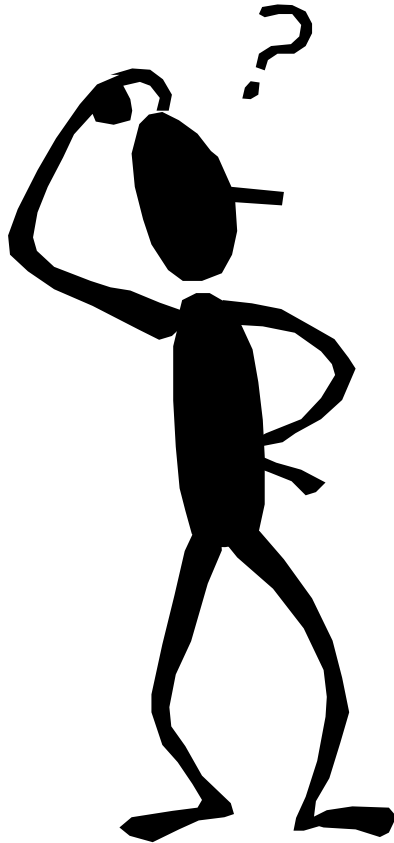


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- D. Carr, B. Keeler, and D. Sandison
- C. Dyck & J. Webster
- D. Epp & Anton Sumali
- M. Baker & D. Sandison

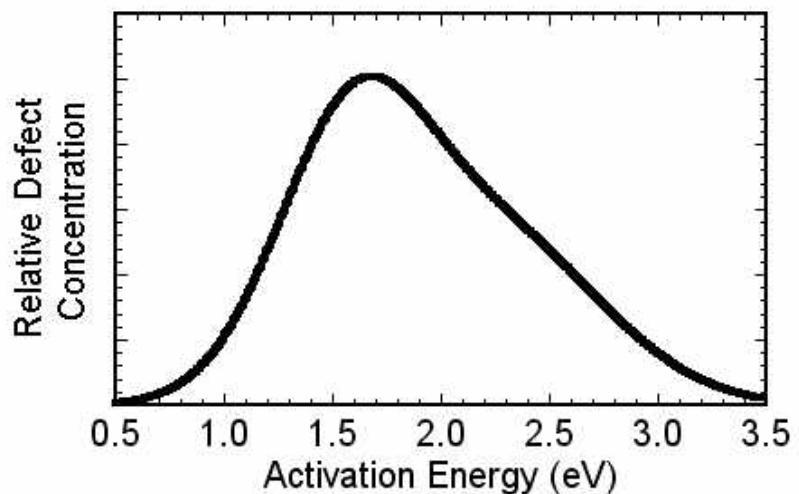
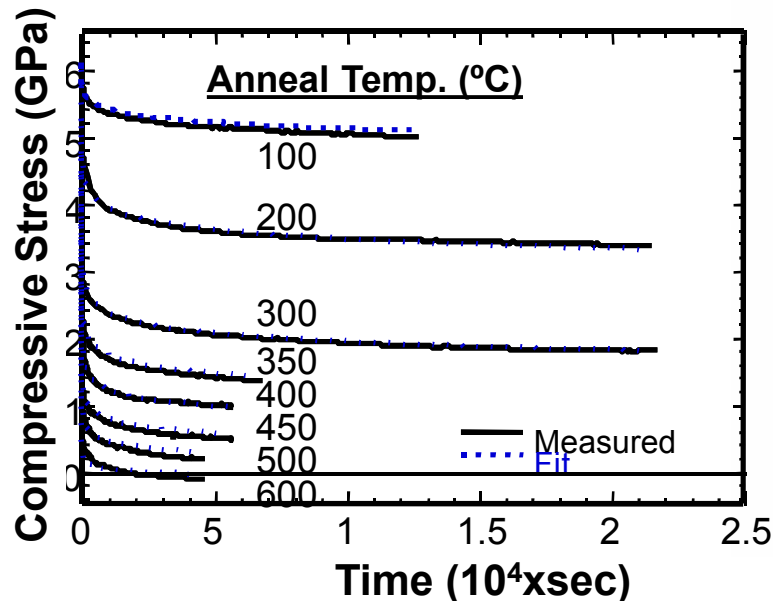


Questions?



Film deposition

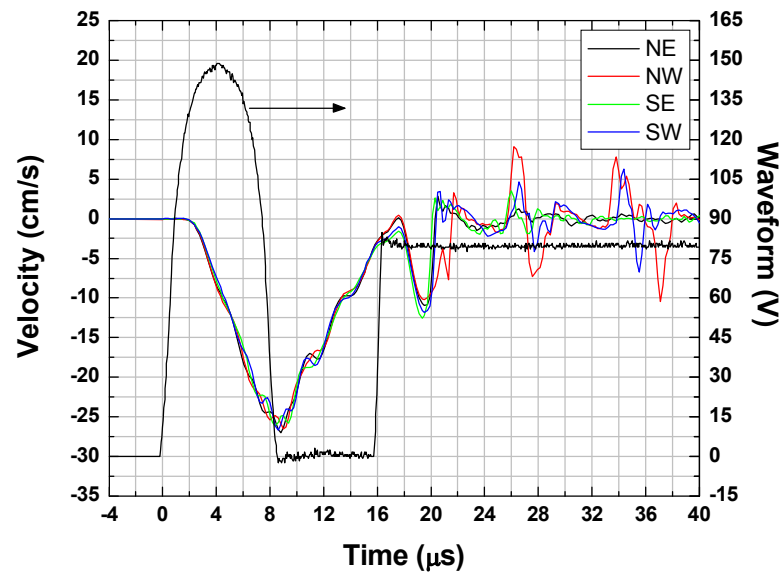
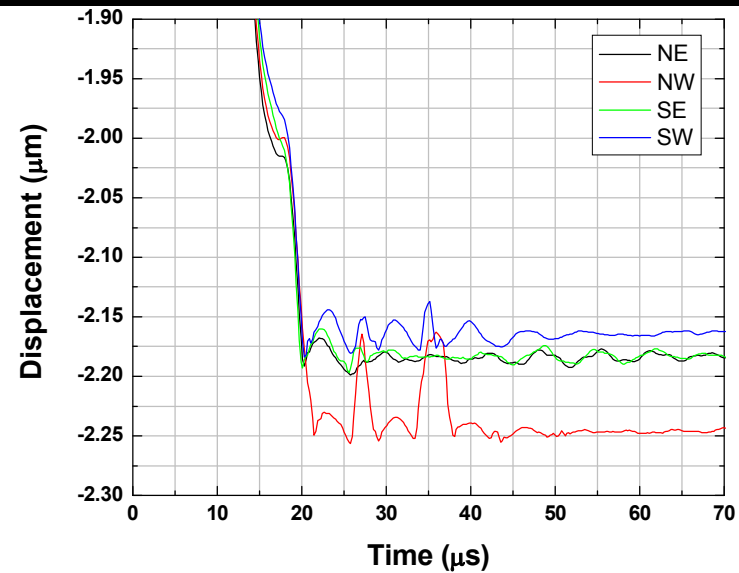
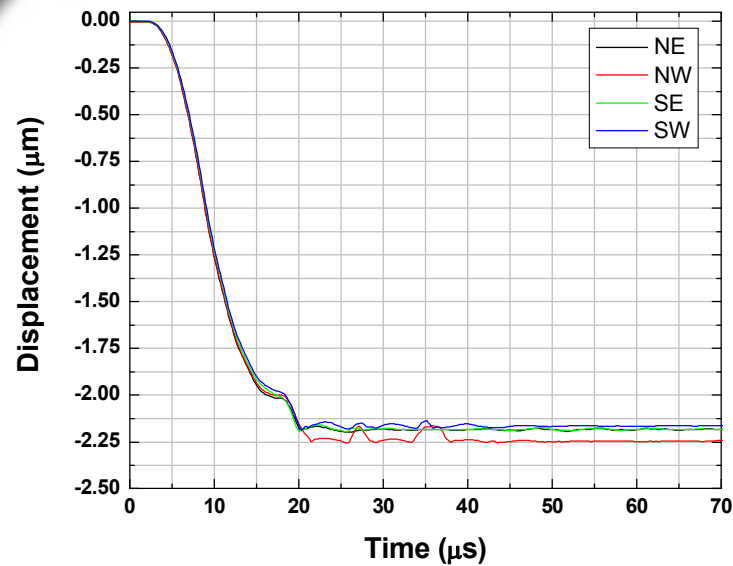
- Room temperature deposition
- Stress relief can be achieved by furnace annealing or room temperature laser annealing
- Very pure films (contaminants of H, O, N < ppm levels)



Sullivan, et al., *J. Electron. Mater.* **26**,
'97; Alam, et al., *Phys. Rev. B* **67**, '03



RF Switch mechanics



RF Switch mechanics

