

Summary of Two Applications of ALEGRA:

CN-III Flux Compression Generator and Pegasus Stabilized Liner

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ALEGRA Simulations of the CN-III Flux Compression Generator

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- **Simulations are part of a feasibility study for a Fragment-Producing Chemical-Electrical Launcher (FP-CEL).**
- **This is a Work-for-Others project for Washington State University.**
- **The purpose is to investigate the use of explosively driven magnetic loading techniques to launch controlled fragments in a predictable manner.**
- **The first phase established the feasibility of the concept.**
- **The second (and present) phase is to determine the actual efficiency of such a concept.**

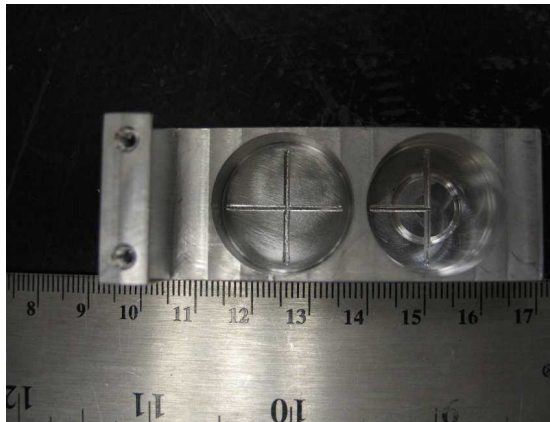
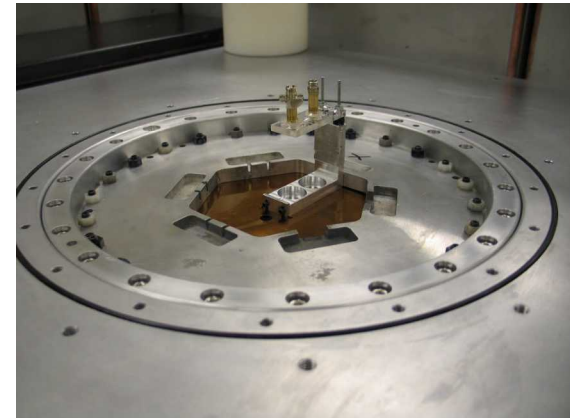
FP-CEL Feasibility Study

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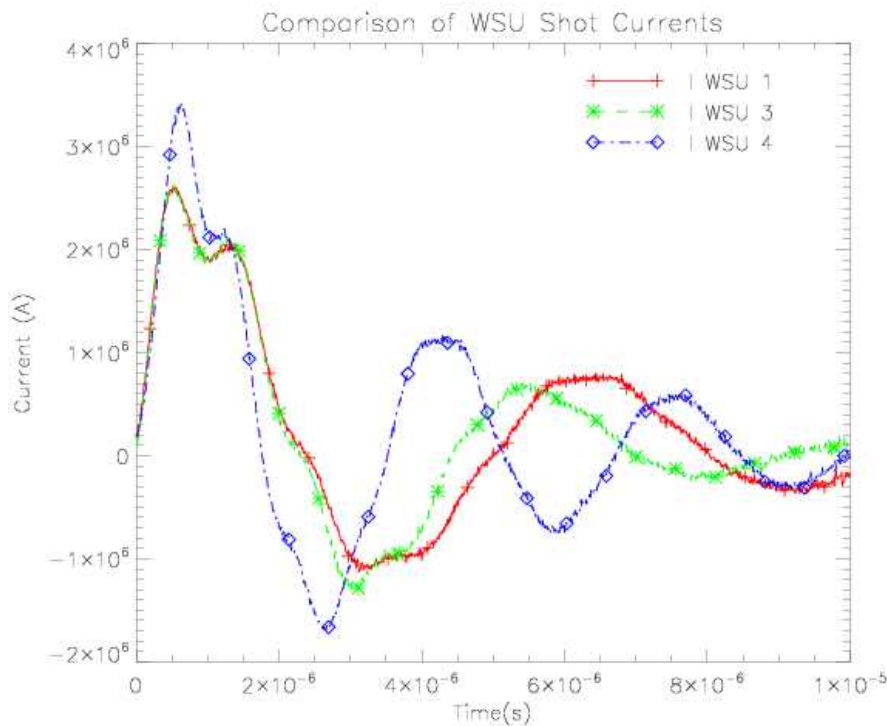
Consisted of:

- Experiments on 3 MA WSU pulser
- Al flyer plates
- Composite flyer plates (Al backed with Lexan)
- Scored flyer plates with various patterns
- 3D and 1D ALEGRA simulations
- Scaling study to 90 MA
- Results were presented at the PPPS 2007 conference in June.



Comparison of Currents on WSU Pulser

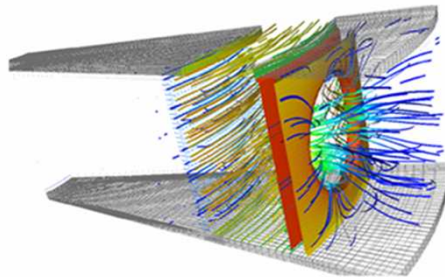
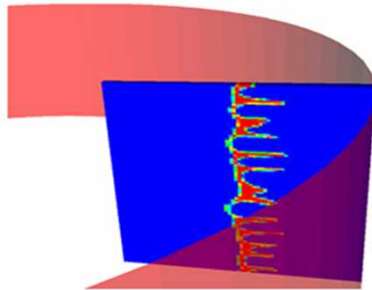
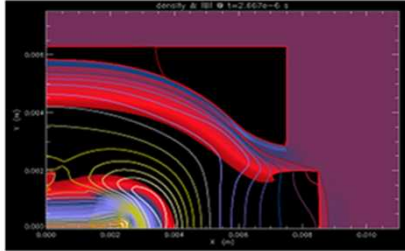
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- Simulations based on data from 3 WSU shots
 - WSU shot #1
 - WSU shot #3
 - WSU shot #4
- 2.5 to 3.5 MA total current
- 3.0 to 4.0 μs total period
- 0.7 to 1.0 mm thick Al flyers

Physics Models in ALEGRA - a 3D/2D Radiation Magneto-Hydrodynamics code

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- 2D (RZ & XY) and 3D (XYZ)
- Unstructured Finite-Element Based
- Eulerian/Lagrangian/ALE
- Object Oriented
- Massively Parallel
- Multi-Material
- Coupled Physics
 - Hydrodynamics
 - Magnetics
 - Thermal Conduction
 - Radiation (Multi-Group Diffusion & IMC)
- Material Models
 - LANL Sesame & other EOS
 - Lee-More-Desjarlais (LMD) Conductivity
 - XSN & Propaceos Opacities

The HEDP Equations

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$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \vec{V}) = 0$$

Hydrodynamics

$$\rho \left(\frac{\partial \vec{V}}{\partial t} + (\vec{V} \cdot \nabla) \vec{V} \right) = -\nabla \cdot \tilde{T} + [\rho_q \vec{E}] + \vec{J} \times \vec{B}$$

$$\rho \left(\frac{\partial e}{\partial t} + (\vec{V} \cdot \nabla) e \right) = -\tilde{T} : \nabla \vec{V} + \eta (\vec{J} \cdot \vec{J}) - \nabla \cdot \vec{Q} - \int \kappa (4\pi B_v - c E_v) dv$$

$$\nabla \times \vec{E} = -\frac{\partial \vec{B}}{\partial t} \quad \text{Magnetics}$$

$$\nabla \times \vec{H} = \vec{J} + \left[\frac{\partial \vec{D}}{\partial t} \right]$$

$$\nabla \cdot \vec{B} = 0$$

$$[\nabla \cdot \vec{D} = \rho_q]$$

$$\eta \vec{J} = \vec{E} + \vec{V} \times \vec{B}$$

$$\vec{B} = \mu \vec{H} \quad [\vec{D} = \epsilon \vec{E}]$$

$$\vec{Q} = -k \nabla T \quad \text{Conduction}$$

$$\rho C_v \frac{\partial T}{\partial t} = \nabla \cdot (\vec{Q}) = -\nabla \cdot (k \nabla T)$$

$$\frac{1}{c} \frac{\partial I_v}{\partial t} = -\hat{n} \cdot \nabla I_v + \kappa (B_v - I_v)$$

$$c E_v = \int_{4\pi} I_v d\Omega$$

Radiation

ALEGRA Material Models

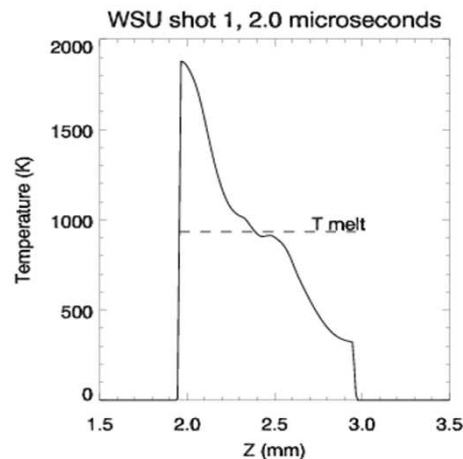
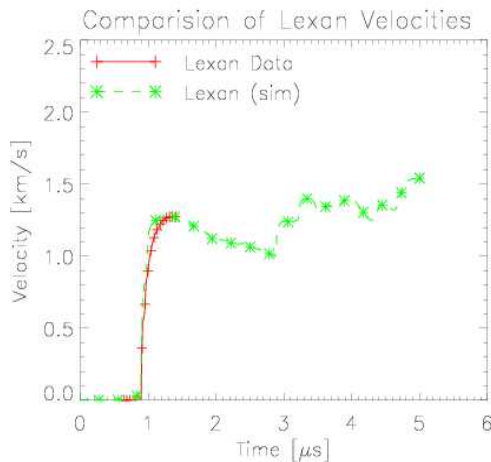
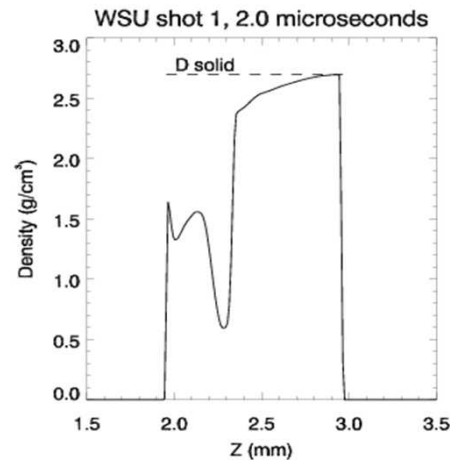
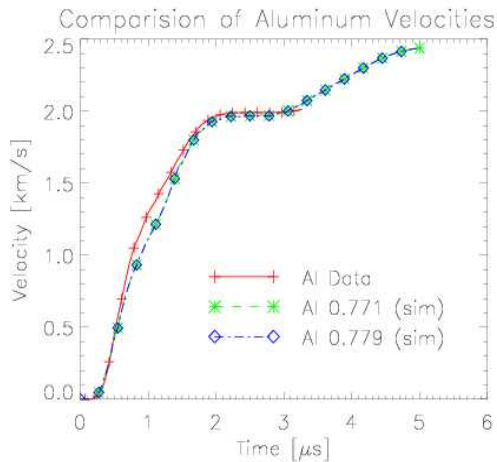
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- **Equation of State**
 - **Tabular EOS**
 - Kerley Sesame
 - LANL Sesame
 - **Mie-Gruneisen EOS**
 - **Us-Up EOS**
- **Strength**
 - **Steinberg-Guinan-Lund**
 - **Elastic-Plastic**
- **Fracture**
 - **Pressure Dependent**
- **Electrical/Thermal Conductivity**
 - **LMD**
 - **Spitzer**
- **Opacity**
 - **XSN**
 - **PrOpacEos**
 - **Planck & Rosseland**

1D Simulation of WSU shot #1

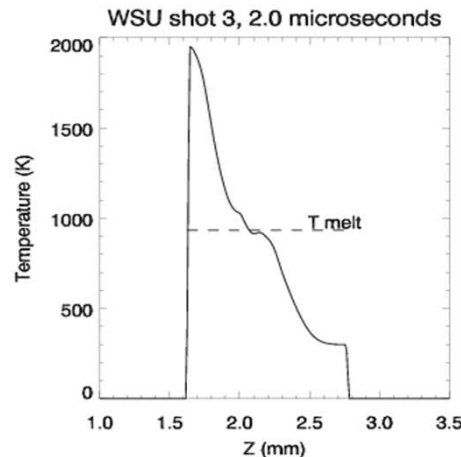
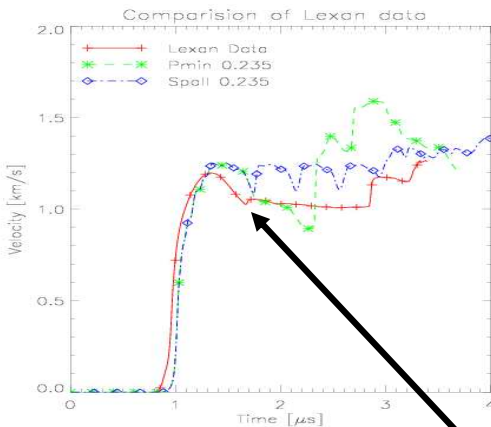
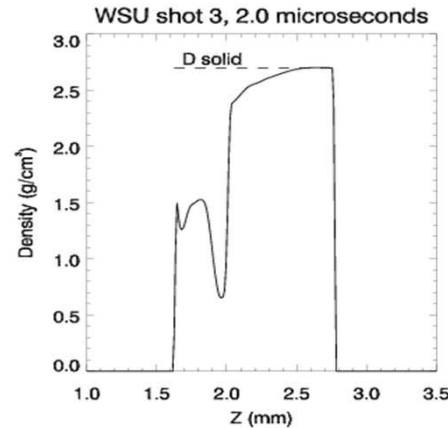
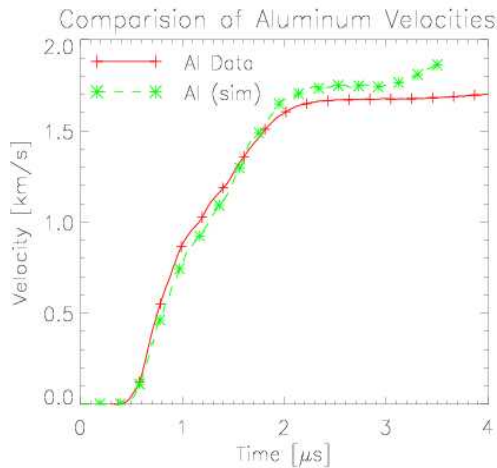
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- **Flyers**
 - Al only
 - 0.771 or 0.779 mm thick
 - Al and Lexan
 - 0.771 and 1.532 mm thick
- **Scaled B field at gap**
 - 0.75 times nominal value
- **Peak current**
 - 2.6 MA
- **Corresponding velocity**
 - 2.0 km/s
- **About 12% of Al flyer solid**
- **About 25% of Al flyer melted**
- **About 63% in between**

1D Simulation of WSU shot #3

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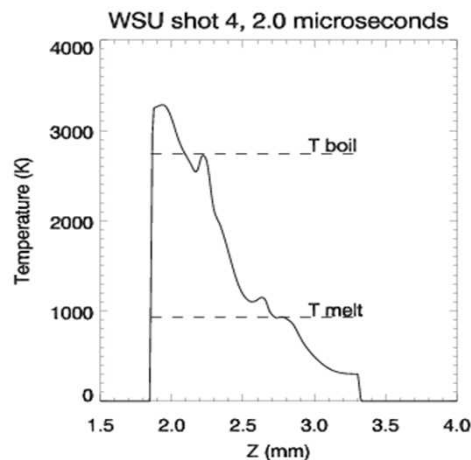
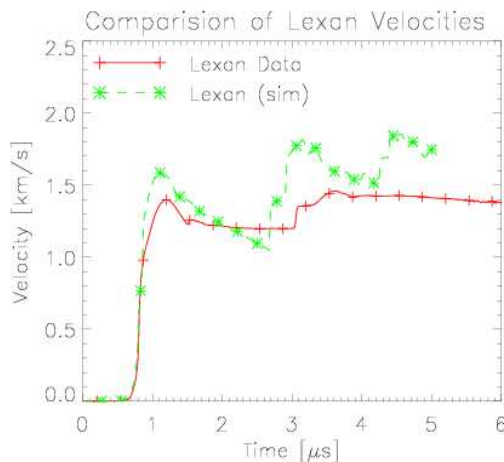
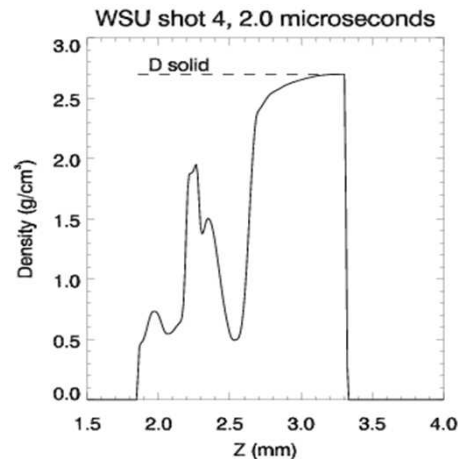
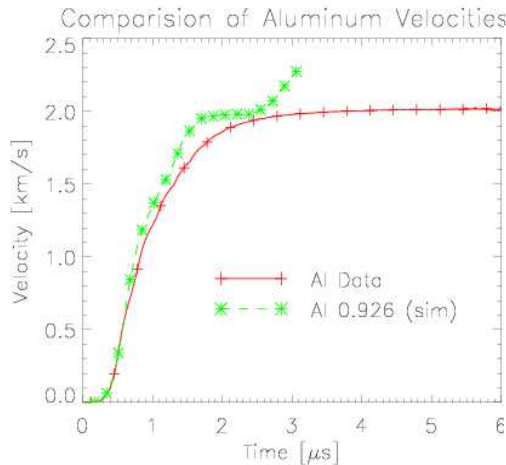


- **Flyers**
 - **Al**
 - 0.919 mm thick
 - **Al and Lexan**
 - 0.923 and 0.944 mm thick
- **Scaled B field at gap**
 - 0.75 times nominal value
- **Peak current**
 - 2.6 MA
- **Corresponding velocity**
 - 1.7 km/s
- **About 25% of Al flyer solid**
- **About 25% of Al flyer melted**
- **About 50% in between**
- **Pullback in Lexan data**
 - $\rho_0 = 1.196 \text{ g/cm}^3$
 - $C_l = 2.18 \text{ km/s}$
 - $\Delta V = 0.18 \text{ km/s}$

$$P_{spall} = -0.5 \cdot \rho_0 \cdot C_l \cdot \Delta V = -0.235 \text{ kbar}$$

1D Simulation of WSU shot #4

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- **Flyers**
 - Al
 - 0.926 mm thick
 - Al and Lexan
 - 0.920 and 0.946 mm thick
- **Scaled B field at gap**
 - 0.75 times nominal value
- **Peak current**
 - 3.4 MA
- **Corresponding velocity**
 - 2.0 km/s
- **About 25% of Al flyer solid**
- **About 33% of Al flyer melted**
- **About 42% is in between**
- **Pullback in Lexan data**
 - P_{\min} model used

Scaling to 90 MA

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- The magnetic field scales according to:
- The magnetic force per area acting upon the panel is:
- Applying Newton's Law, we have:
- Combining these expressions, the velocity could scale according to:
- Averaging over a half-period results in an additional factor of $\frac{1}{2}$:

$$B = f \frac{\mu_0 I}{w}$$

$$\frac{F}{A} = \frac{B^2}{2\mu_0} = f^2 \frac{\mu_0 I^2}{2w^2}$$

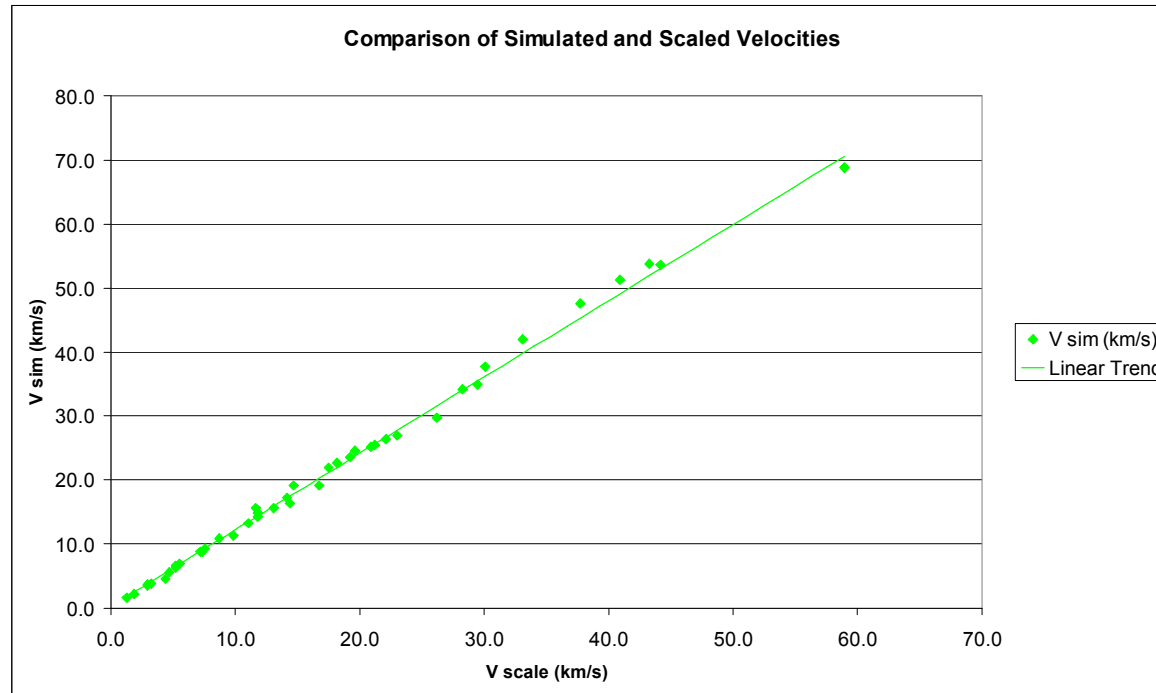
$$F = \rho A d \frac{V_{scaled}}{\tau}$$

$$V_{scaled} = \frac{1}{2} f^2 \frac{\mu_0 I^2}{w^2} \frac{\tau}{\rho d}$$

$$V_{scaled} = \frac{1}{4} f^2 \frac{\mu_0 I^2}{w^2} \frac{\tau}{\rho d}$$

Scaling Study to 90 MA

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- The scaled and simulated velocities are proportional, indicating the scaling formula is valid for the range of parameters chosen.

At this stage of the project we can make a number reasonable conclusions regarding overall feasibility.

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- **Small-scale experiments demonstrate the feasibility of magnetically launching and fragmenting flyers in a controlled and predictable manner.**
- **Fully coupled, multi-dimensional, magneto-hydrodynamic calculations help to guide the experiments, and demonstrate the capabilities of numerical modeling for simulating the relevant phenomena, both at small scale, and potentially at full scale.**
- **Preliminary estimates of overall energy-scaling efficiencies suggest the an FP-CEL system is comparable with other advanced concepts that are under active investigation else where.**
- **The consensus seems to be that coaxial FCGs (for efficiency and Δt requirements) will be the best choice for FP-CEL systems. The most significant issues are:**
 - **pulse conditioning for FP-CEL applications**
 - **generation of the appropriate seed current.**

Future Goals of a Comprehensive Efficiency Study

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- **Model Ranchero or other FCG with ALEGRA**
 - Benchmark code against existing data
- **Develop FCG model consistent with load**
 - **Determine efficiency**
 - Output magnetic energy / input chemical energy
 - Output load current / input seed current
 - Compare to non-FCG systems
- **Develop prototype FP-CEL load**
 - Power using current from Ranchero generator
 - Ensure launched fragments meet requirements
 - **Determine efficiency**
 - Fragment kinetic energy / input magnetic energy
 - Compare to non-FCG systems
- **Consider merits of other FCG configurations**
 - Disk explosive magnetic generator (DEMG)
 - Compare to efficiency for Ranchero

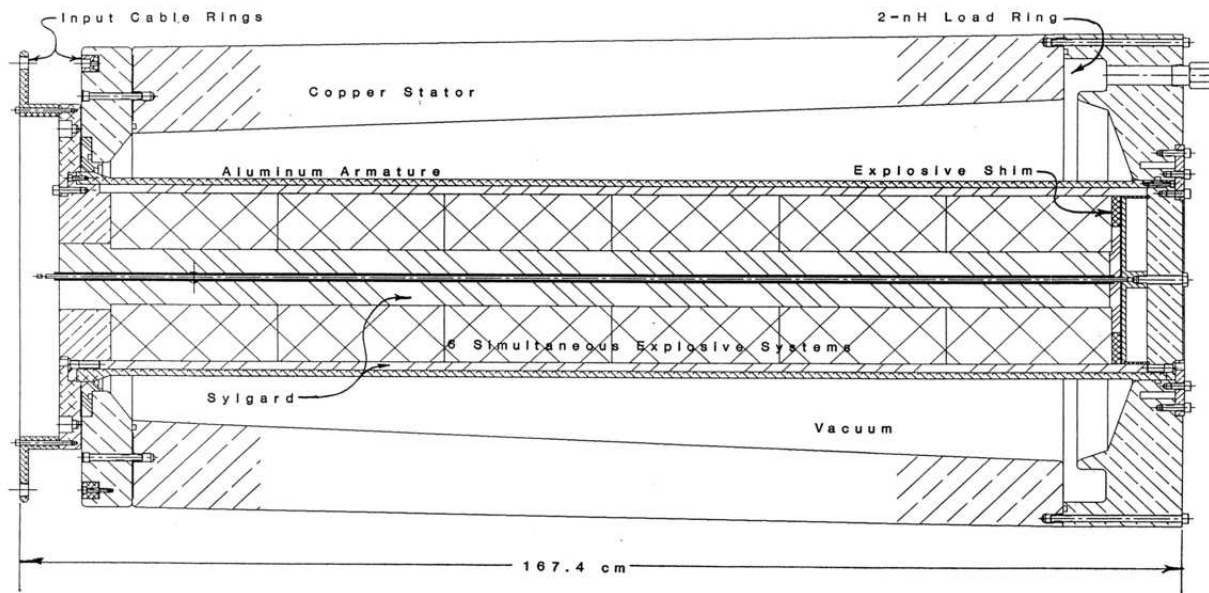
Preliminary results of CN-III simulations

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PHYSICS TEST

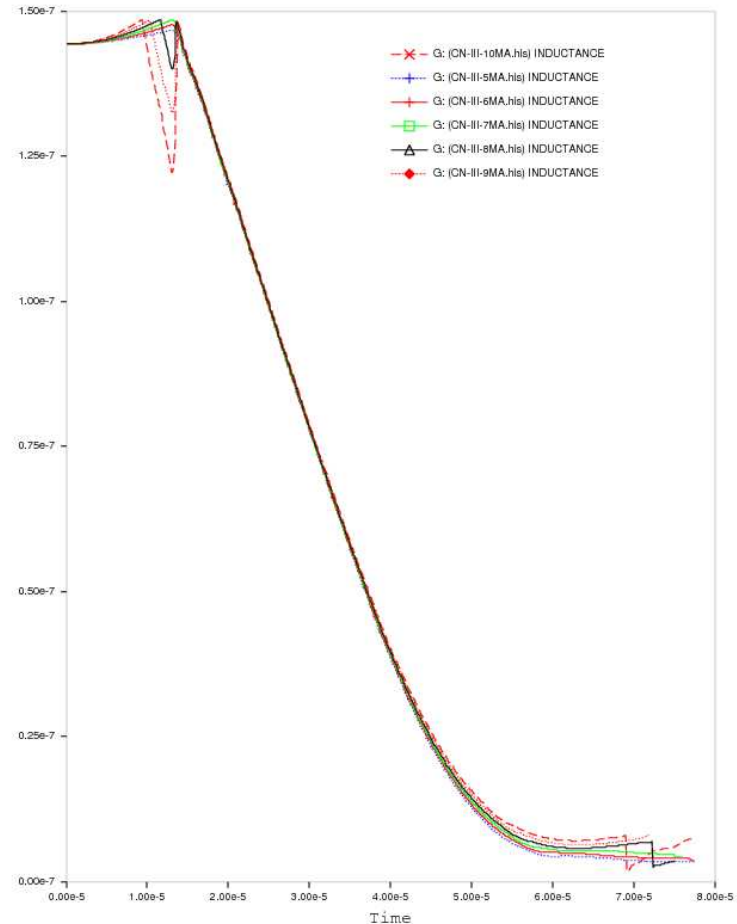
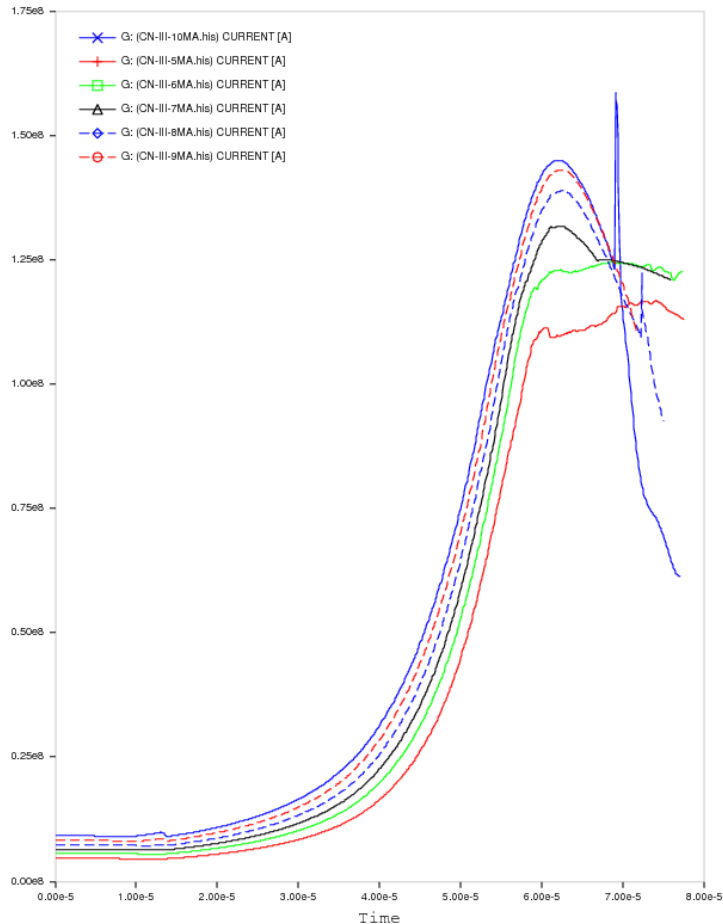
CN-III HIGH-CURRENT EXPLOSIVE GENERATOR



LOS ALAMOS

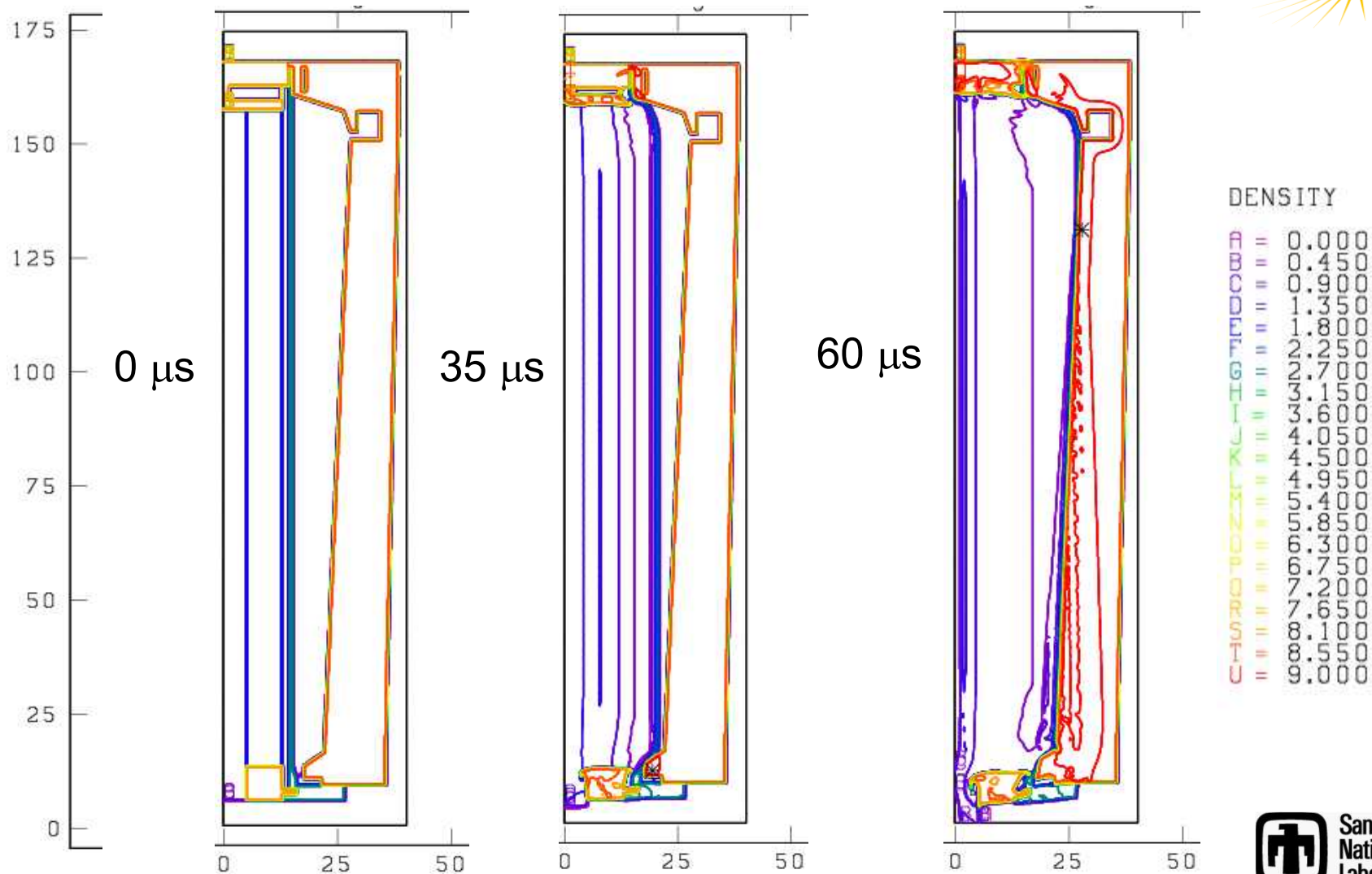
Current and Inductance changes of CN-III

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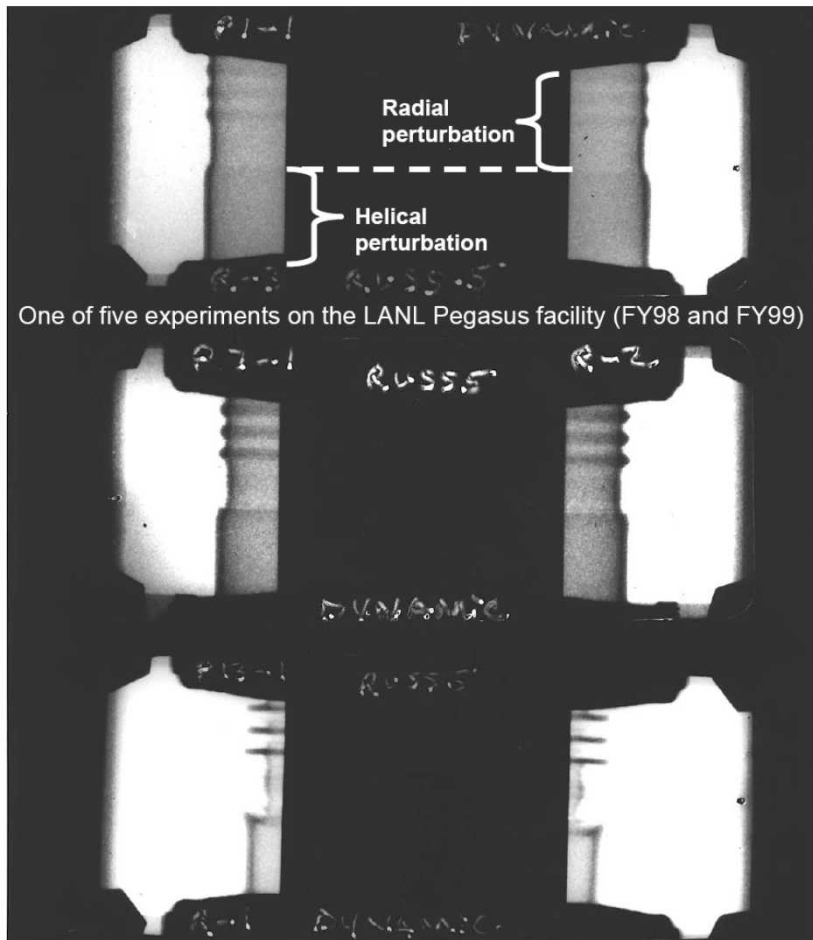
Evolution of CN-III Density Contours

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ALEGRA Simulations of the Pegasus Stabilized Liner Implosion

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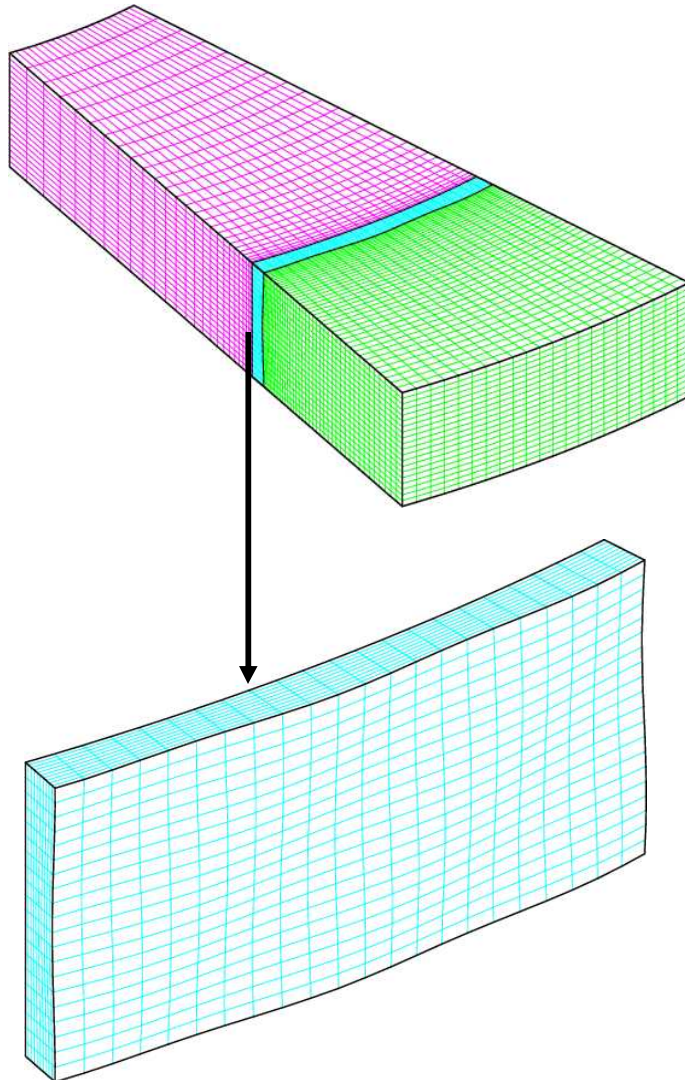


- Joint LANL-VNIIEF liner implosions on Pegasus demonstrated helical perturbation suppression of RT instability.
- Two perturbations were machined into a common sample, with a nearly uniform section inbetween.
- Radiographs showed the growth of the parallel (azimuthally symmetric) perturbation, but showed no discernable growth for the imposed helical perturbation.
- Reference:
 - E.G. Harris, Phys. Fluids, v. 5, no. 9, p. 1057 (1962)

Courtesy of R. Reinovsky, LANL

Initial and boundary conditions

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- Full 360° simulation
 - Run on 24 processors
 - 1/24 of mesh shown to left
 - Periodic top to bottom
- Perturbation on outer liner surface
 - 47 mm diameter
 - 0.5 mm thick
 - $\lambda = 2$ mm wavelength
 - $\delta = 0.05$ mm amplitude
 - $\alpha = 45^\circ$ perturbation pitch
- Simulation driven by measured Pegasus current profile
- ~ 72 hours on Linux cluster

Time evolution of helical perturbation shows no significant growth

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