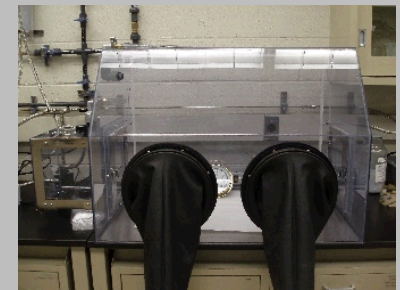


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Closed Vessel Deflagrations and Resulting Overpressures

Tomas M. Sanchez, P.E.

Introduction

- Reasons for Performing Analysis
- Computer Based Models
- TNT Method
- Closed Vessel (Cooper's Methodology)
- Example
- Detonation
- Deflagration-to-Detonation Transition
- Questions

Title page – left photo: U.S. CSB. 2011. Bayer CropScience Pesticide Waste Explosion, Retrieved from <http://www.csb.gov/bayer-cropscience-investigative-photos/>

Title page – left photo: U.S. CSB. 2011. Williams Olefins Plant Explosion, Retrieved from <http://www.csb.gov/williams-olefins-incident/>

Reasons for Performing

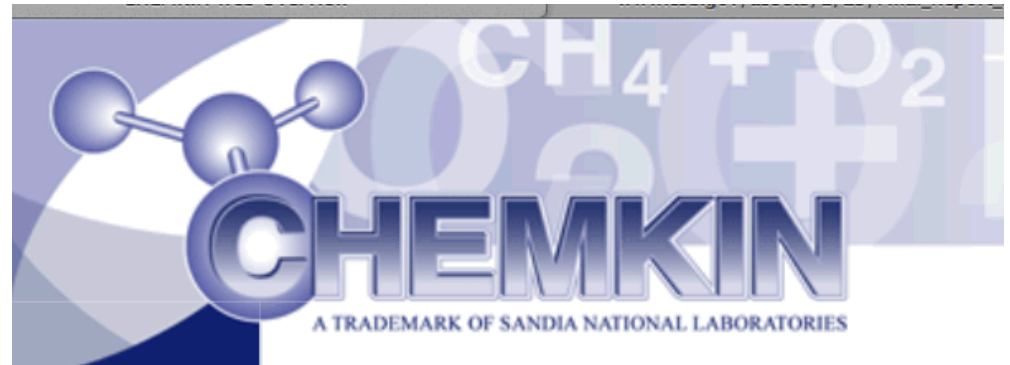
- Internal deflagrations involving flammable gases/vapors/dust
 - Natural gas leak in a CUB
 - Processes involving flammable gas mixtures
 - Impacts of unmitigated scenarios
 - Accident investigation
- Facility/Equipment Design
- Deflagration Detonation Transitions



U.S. CSB. 2008. Imperial Sugar Investigative Photos, Retrieved from <http://www.csb.gov/imperial-sugar-investigative-photos/>

Computer Based Models

- STANJAN – no longer supported
- Commercial CFD packages
- HPFLAME
- UVFLAME



Colorado State University

Bioanalytical
Microfluidics
Program

Chemical and Biological Engineering



Chemical Equilibrium Calculation



GLENN RESEARCH CENTER

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Chemical Equilibrium
with Applications



Safety Software

DOE O 414.1D/ASME NQA-1

verification – validation – inventory – configuration management –
documented training

TNT Method

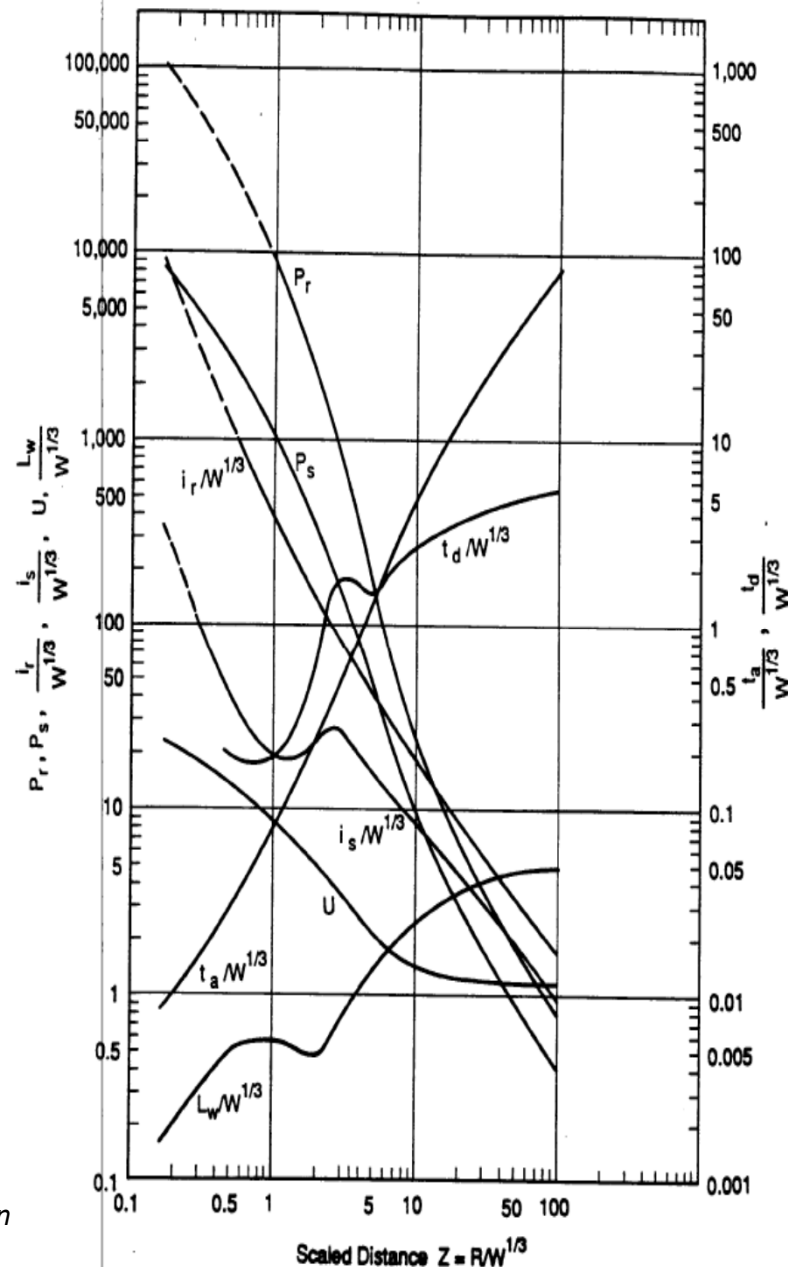
$$m_{TNT} = \frac{\eta m \Delta H_c}{E_{TNT}}$$

Where

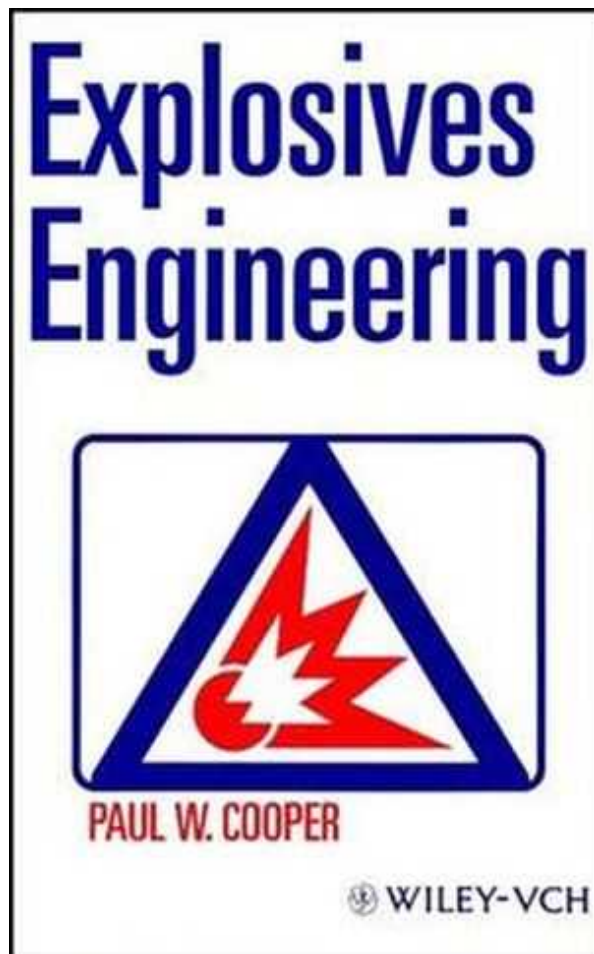
- m_{TNT} = equivalent mass of TNT
- η = empirical explosion efficiency (unitless)
- m = mass of hydrocarbon
- ΔH_c = combustion or energy of explosion
- E_{TNT} = is the energy of explosion of TNT

Empirical explosion efficiency is one of major problems for method. Reported values range from 1 to 15%.

Only considers explosion



Closed Vessel Overpressure



- Cooper provides a great description/example
- SFPE Handbook 4th Edition
 - Expands on impulse
- Simple analysis to perform
 - Adiabatic flame temperature
 - Find static pressure
 - Ideal gas law
 - Flame temperature
 - Moles of product
 - Adjust pressure for constant volume constraint

Example

- Problem
 - Propane gas fills fume hood that lost its ventilation
 - Assumptions
 - 48 in. w x 36 in. d x 59 in. h
 - Ambient Temp = 20 C
 - Ambient Pressure = 1 atm
 - Propane (C_3H_8)
 - MW = 44 g/mol
 - ΔH_c = 620 kcal/mol
 - LFL = 2.1%
- Determine Hood Volume – $1.67m^3$



Labconco. 2014. 4' Protector XStream Laboratory Hood
<http://www.labconco.com/product/4-protector-xstream-laboratory-hood-5/3748>

Example (continued)

- Propane is at LFL
- Moles of gas

$$n_{gas} = \frac{PV}{RT} = 70$$

- Moles of constituents

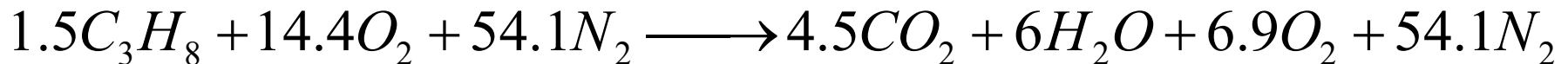
$$n_{C_3H_8} = 0.021n_{gas} = 1.5$$

$$n_{air} = n_{gas} - n_{C_3H_8} = 68.5$$

$$n_{O_2} = 0.21n_{air} = 14.4$$

$$n_{N_2} = 0.79n_{air} = 54.1$$

- Chemical balance



- Total moles after reaction = 71.5

Example (continued)

- Temperature of the gases

Heat produced = Heat absorbed by products $Q = n \int_{T_0}^{T_a} C_p dT$

Heat produced $Q = (1.5 \text{ mol}) (530.6 \text{ kcal/mol}) = 796 \text{ kcal}$

Specific heat is a function of temperature

$$C_p = a + bT + cT^2$$

$$\bar{a} = \sum_i n_i a_i$$

$$x_{CO_2} = 4.5 / 71.5 = 0.063$$

$$x_{H_2O} = 6 / 71.5 = 0.084$$

$$x_{O_2} = 6.9 / 71.5 = 0.100$$

$$x_{N_2} = 54.1 / 71.5 = 0.76$$

Example (continued)

Table 8.2 Empirical constants for molal heat capacities of gases at constant pressure ($p = 0$) $C_p = a + bT + cT^2$, where T is in degrees Kelvin; (g cal) / (g mole) (K); temperature range 300 to 1500 K

Gas	a	$b(10^3)$	$c(10^6)$
H ₂	6.946	-0.196	+0.4757
N ₂	6.457	1.389	-0.069
O ₂	6.117	3.167	-1.005
CO	6.350	1.811	-0.2675
NO	6.440	2.069	-0.4206
H ₂ O	7.136	2.640	+0.0459
CO ₂	6.339	10.14	-3.415
SO ₂	6.945	10.01	-3.794
SO ₃	7.454	19.13	-6.628
HCl	6.734	0.431	+0.3613
C ₂ H ₆	2.322	38.04	-10.97
CH ₄	3.204	18.41	-4.48
C ₂ H ₄	3.019	28.21	-8.537
Cl ₂	7.653	2.221	-0.8733
Air	6.386	1.762	-0.2656
NH ₃ ^a	5.92	8.963	-1.764

Example (Continued)

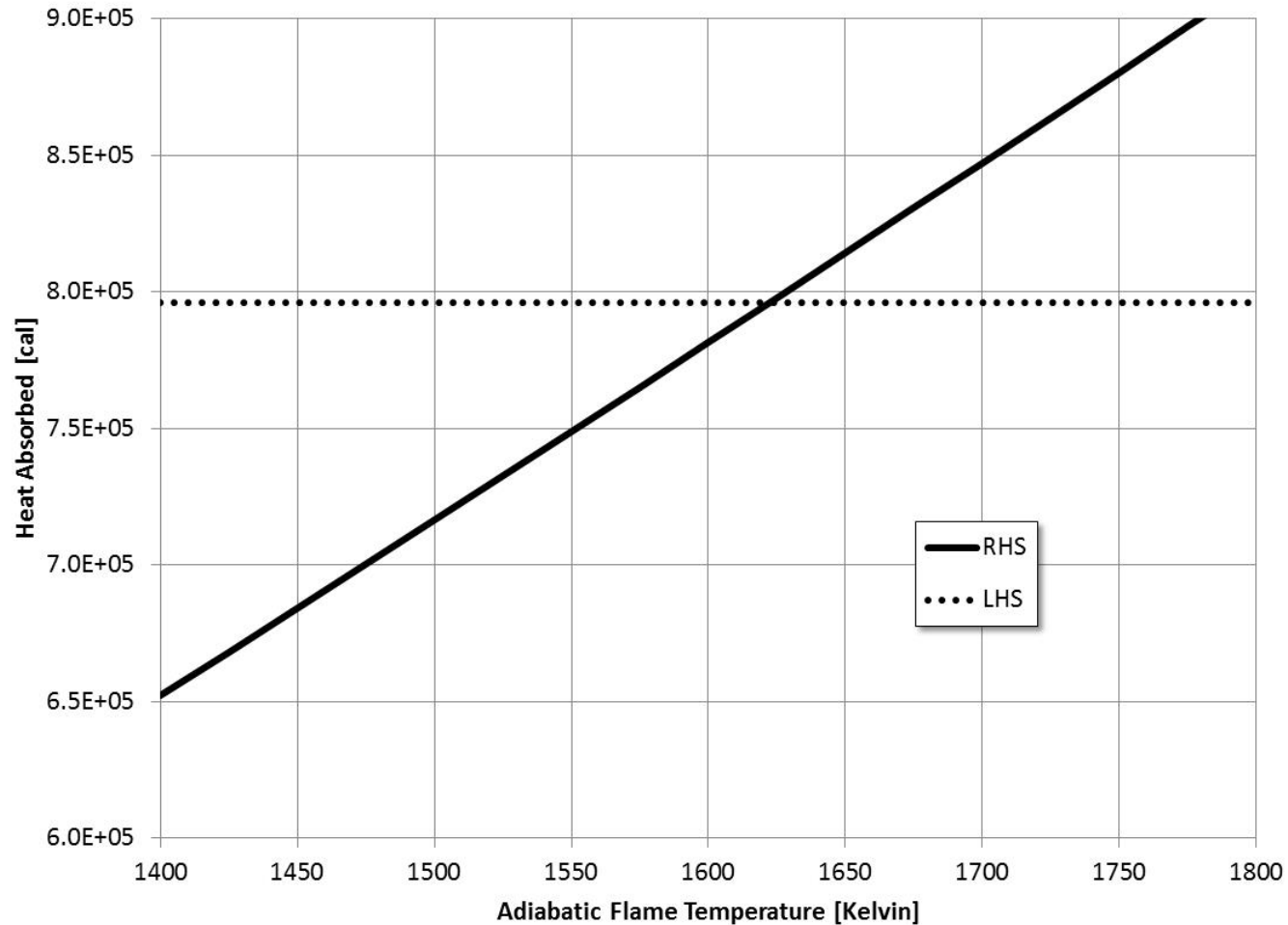
- Temperature of the gases (continued)

$$Q = n \int_{T_0}^{T_a} (6.517 + 2.2333 \times 10^{-3} T - 3.642 \times 10^{-7} T^2) dT$$
$$Q = n \left[6.517(T_a - T_0) + \frac{2.233 \times 10^{-3}}{2} (T_a^2 - T_0^2) - \frac{3.642 \times 10^{-7}}{3} (T_a^3 - T_0^3) \right]$$

How to solve??

Example Continued

- Temperature of the gases (continued)



Example (continued)

- Deflagration Pressure

$$P_D = \frac{nRT}{V} = \frac{(71.5 \text{ mol})(8.314 \text{ J/mol} \cdot \text{K})(1625 \text{ K})}{1.67 \text{ m}^3}$$

$$P_D = 578.4 \text{ kPa}$$

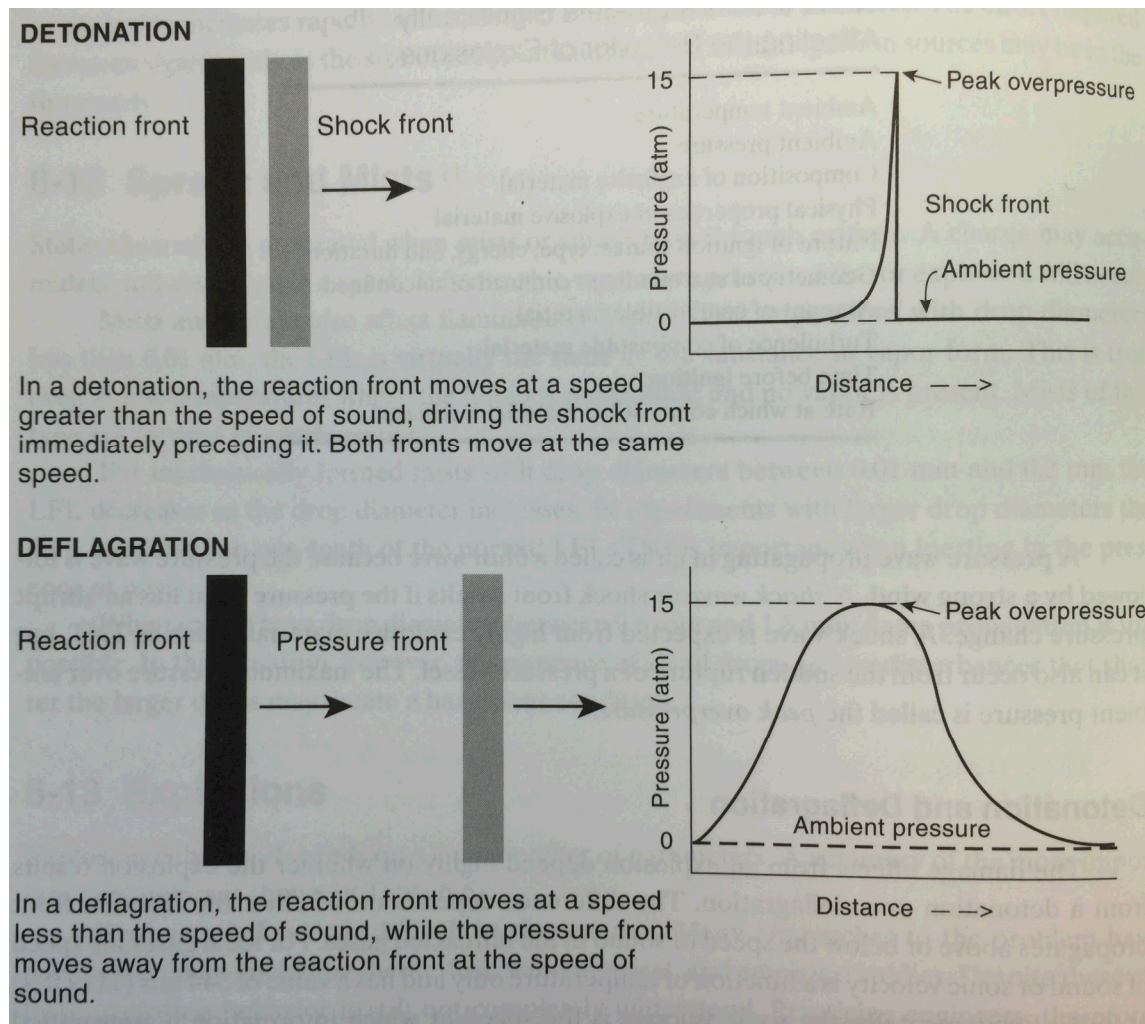
Correct for constant volume condition – ratio of specific heats

$$P_{\max} = \gamma P_D$$

$$\bar{\gamma} = \sum_i x_i \gamma_i \quad P_{\max} = 1.4(578.4 \text{ kPa}) = 809.8 \text{ kPa}$$

Detonation

- Chapman-Jouguet (C-J)
Pressure $\sim 2P_{\max}$
 - SFPE Handbook
- Reflected shock $\sim 2.76P_{C-J}$
- Rough estimates



Crowl, D.A., and Louvar, J.F. (2002). *Chemical Process Safety: Fundamentals with Applications*. Prentice-Hall

Deflagration-to-Detonation Transition

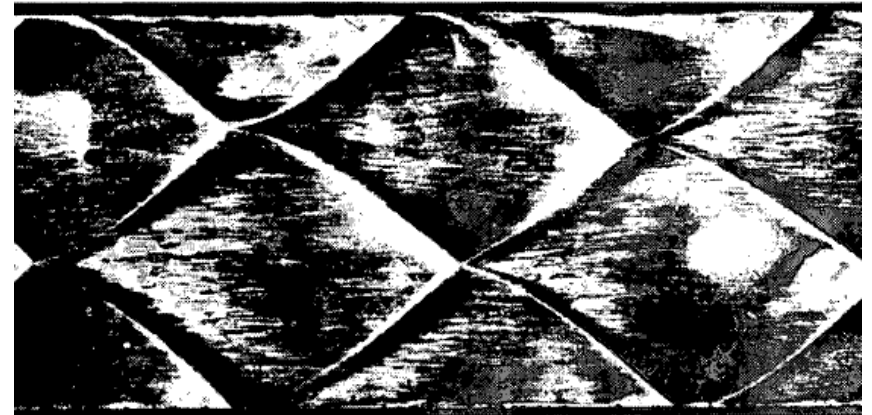
- Depends on
 - Mixture reactivity
 - Enclosure roughness/obstructions
 - Pipes – $Sc/3$
 - Open pipe end – $13Sc$

for Stoichiometric Gas-Air Mixtures

Gas	C-J Mach Number	Cell Width (cm) ²¹
Acetylene	5.46	0.98
<i>n</i> -Butane	—	5.0–6.2
Ethane	—	5.4–6.2
Ethylene	—	2.8
Hydrogen	4.89	1.5
Hydrogen sulfide	—	10
Methane	5.17	28
Propane	5.38	6.9
Propylene	—	5.4

Top: Zalosh, R (2008). *Explosion Protection*. *SFPE Handbook of Fire Protection Engineering*, Society of Fire Protection Engineers, Bethesda, MD

Bottom: Tieszen, S.R., et. al. (1987). *Detonability of H₂-Air-Diluent Mixtures*, NUREG/CR-4905, U.S. Nuclear Regulatory Commission



Questions

