

Contraband Detection using Materials Identification by Resonance Attenuation (MIRA)^{SAND2013-8663P}

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Acknowledgements

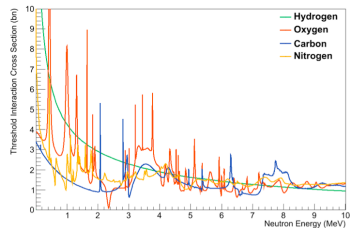
Many have contributed to this work at SNL, including:
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Stan Mrowka, Aaron Nowack, and Dan Throckmorton

Outline

- ▶ Explosives Detection with Fast Neutrons - Summary
- ▶ Material Identification through Resonant Attenuation - Overview and Methods
- ▶ Prototype results with two block setup
- ▶ Detector development for six block setup
- ▶ Simulation and algorithm development
- ▶ Path forward

Explosives Detection Methods

- ▶ X-ray screenings only sensitive to variations in density
- ▶ Techniques based on neutrons are sensitive to nuclear structure
 - ▶ Thermal Neutron Analysis looks at gamma particles resulting from thermal neutron capture (e.g. 2.2 MeV gamma from capture on Hydrogen, 10.8 MeV from capture on Nitrogen-14)
 - ▶ Fast Neutron Analysis techniques use neutron attenuation to do tomographic imaging and look at resonance absorptions



The Time-Resolved Integrative Optical Neutron (TRION) Detector

- ▶ Fast Neutron Analysis technique, looking at resonances in neutron absorption and doing tomographic imaging
- ▶ Interrogates sample with 1-2 MHz pulse neutron beam
- ▶ Uses TOF to determine energies in 1-10 MeV range
- ▶ Scintillation light focused onto time gated optics: gate only allows certain energies to pass
- ▶ Drawbacks are complexities of pulsed neutron beam and only discrete energy measurements



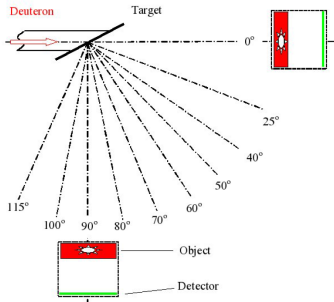
Fig. 28c Camera 2, $E_n = 7.3$ MeV



Fig. 28d Camera 3, $E_n = 3.1$ MeV

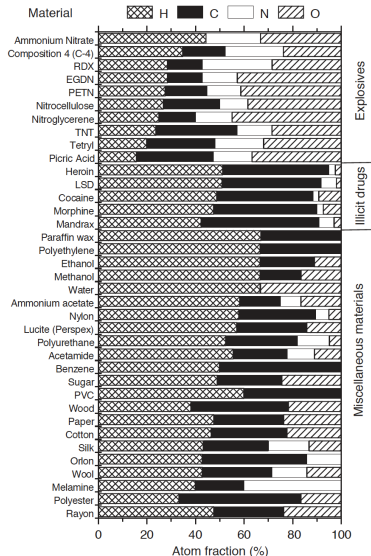
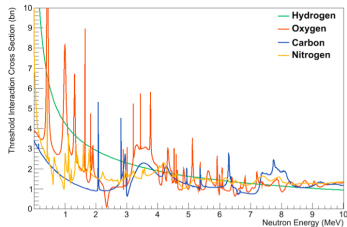
G. Chen and R. Lanza's Method

- ▶ Similar to TRION detector, but does not use TOF to determine neutron energy
- ▶ Accelerate deuterium/protons onto a deuterium/Lithium target \rightarrow neutrons with energies dependent on the angle between the beam and detector
- ▶ Similar drawbacks to TRION

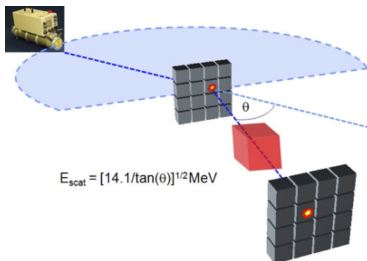


Contraband Detection with MIRA

- ▶ Light elements such as O, C, N have resonant features in the neutron cross section
- ▶ The energy-dependent attenuation of 1-10 MeV neutrons leaves a “fingerprint” of the material’s elemental composition



Why is MIRA Different

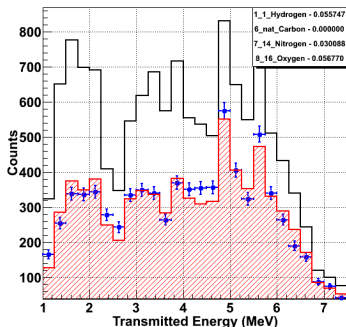
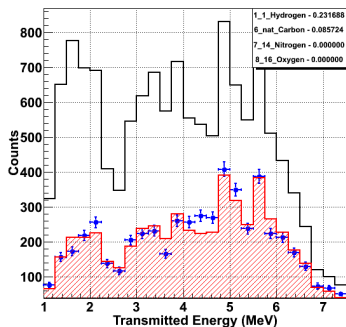


- ▶ Down scatter in first detector provides range of energies in one scan
- ▶ Down scatter in first detector provides time tag for TOF energy measurement/windowing to reject backgrounds
- ▶ Competitors often have schemes involving one energy per scan
 - ▶ Gated electronics coupled with pulsed neutron accelerator for TOF measurement
 - ▶ Angular dependent neutron generator (deuterium/protons on deuterium/lithium target) with sample and detector rotating with respect to beam

Two Methods of Energy Calculation - TOF Method

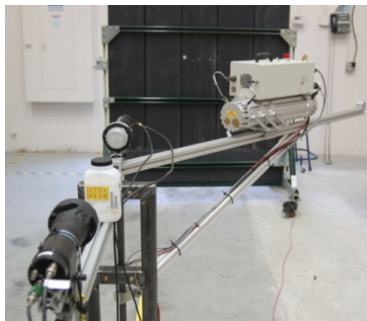
- ▶ $E_i = \frac{m}{2} \left(\frac{d}{t} \right)^2$ where
 - ▶ E_i is the energy before passing through the sample
 - ▶ d is the distance between two detectors on either side of the object to be interrogated,
 - ▶ t is the time-of-flight
 - ▶ m is the mass of the neutron
- ▶ $\sigma_{E_i} = \sqrt{\left(\frac{\partial E_i}{\partial d} \right)^2 \sigma_d^2 + \left(\frac{\partial E_i}{\partial t} \right)^2 \sigma_t^2} = 2E_i \sqrt{\frac{\sigma_d^2}{d^2} + \frac{\sigma_t^2}{t^2}}$
- ▶ With 1 ns timing resolution and 1 cm depth resolution, we can expect 7% energy resolution at 3 MeV (1 ns requires a change in scintillator/electronics)

Previous Results - 2 Block Setup



| Sample | H (M/cc) | | C (M/cc) | | N (M/cc) | | O (M/cc) | |
|--------|----------|------|----------|------|----------|------|----------|------|
| | exp. | mea. | exp. | mea. | exp. | mea. | exp. | mea. |
| HDPE | 0.23 | 0.23 | 0.11 | 0.09 | 0.00 | 0.00 | 0.00 | 0.00 |
| Water | 0.22 | 0.22 | 0.00 | 0.04 | 0.00 | 0.02 | 0.11 | 0.10 |
| AN | 0.06 | 0.08 | 0.00 | 0.00 | 0.03 | 0.03 | 0.05 | 0.04 |

Lessons Learned

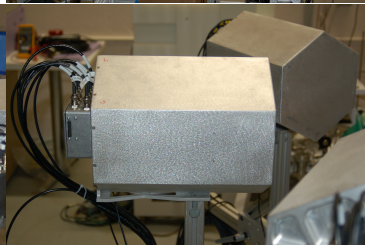
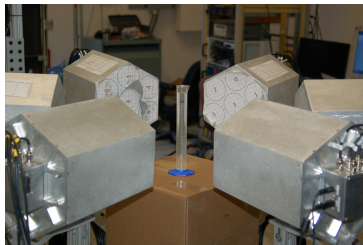
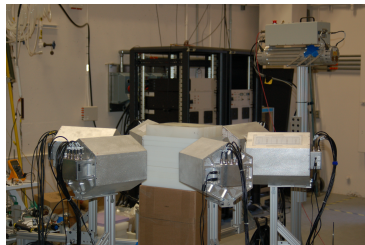
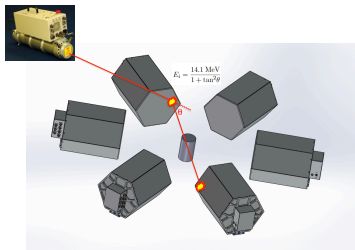


- ▶ Resolution Matters! - both timing and position
- ▶ Scan time matters - more blocks allow for only one scan, and a faster one
- ▶ With more blocks we have bonus information on scattered neutrons (more on that in a bit)

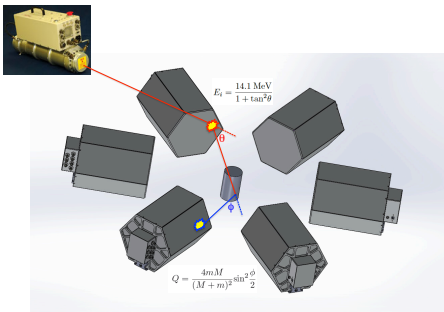
Two Methods of Energy Calculation - Trajectory Method

- ▶ $E_i = \frac{14.1 \text{ MeV}}{1+\tan^2\theta}$ where
 - ▶ E_i is the energy before passing through the sample
 - ▶ $\theta = \tan^{-1}\left(\frac{z}{x}\right)$ is the deflection angle
 - ▶ α is the angle defined by the angular extent of the (d-T) generator's emission region
- ▶
$$\sigma_{E_i} = \sqrt{\left(\frac{\partial E_i}{\partial \theta}\right)^2 \sigma_\theta^2 + \left(\frac{\partial E_i}{\partial \alpha}\right)^2 \sigma_\alpha^2}$$
$$= 2\sqrt{2}E_i \tan\theta \sqrt{\left(\frac{z}{x^2+z^2}\right)^2 \sigma_x^2 + \left(\frac{-x}{x^2+z^2}\right)^2 \sigma_z^2 + \sigma_\alpha^2}$$
- ▶ With 5 mm spatial resolution, we can expect 5% energy resolution at 3 MeV

Current Detector - Six Block Setup



Bonus Mode of Operation - Elastic Scattering

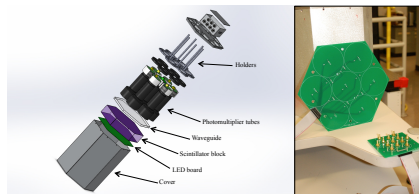


- ▶ Assuming $m \ll M^1$ the neutron energy lost in collision with sample nuclei is
$$Q = \frac{4mM}{(M+m)^2} \sin^2 \frac{\phi}{2}$$
- ▶ If we get the energy before and after a collision, Q , along with the trajectory information, the mass of the nuclei, M , in the sample is uniquely determined:

$$M = \frac{2m}{Q} \sin^2 \frac{\phi}{2} \left(1 \pm \sqrt{1 - \frac{Q}{\sin^2 \frac{\phi}{2}}} \right) - m$$

¹For the special case of $m=M$ (i.e. scattering on Hydrogen), the two particles scatter at right angles to each other and the energy loss is $Q = E_0 \cos^2 \phi$

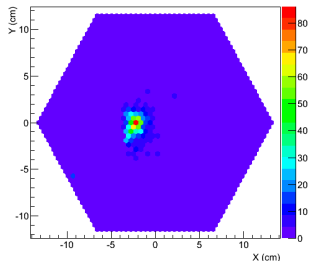
The Block Detectors



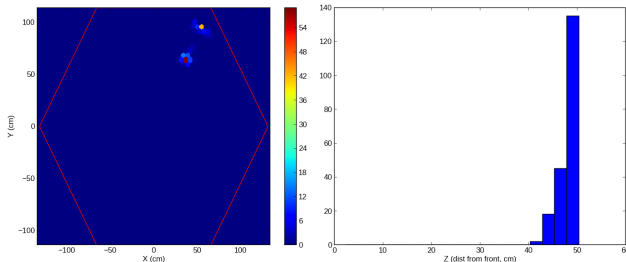
- ▶ Designed to be fast: EJ-200 plastic scintillator, ET model 9821KB PMTs
- ▶ Digitized by Struck SIS3320 eight-channel 250 MHz digitizers

- ▶ LED board for calibration: intended to use ^{60}Co calibration for center tubes, then use equidistant LEDs to gain match
- ▶ Wave guide is there for better position reconstruction (failure at recoils close to PMT faces)
- ▶ White paint on front of scintillator, black on sides for better position reconstruction

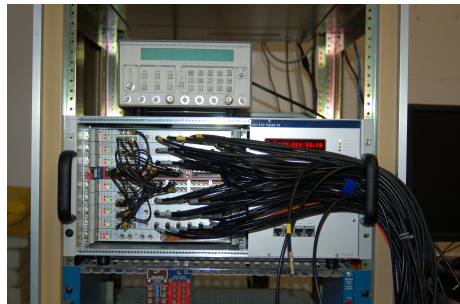
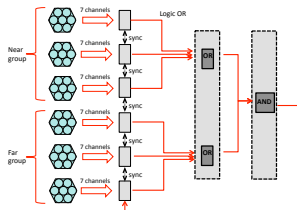
Position Reconstruction



- ▶ Maximum-likelihood with optical transport model
- ▶ Model has some regions where position is ambiguous, getting worse at positions closer to PMT faces
- ▶ Outside this region, position is reconstructed with ~ 5 mm resolution



Trigger Scheme

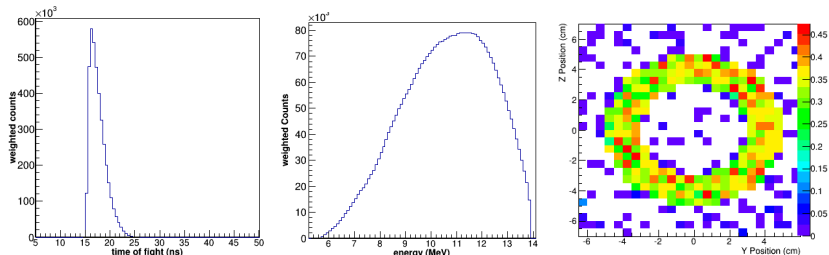


- ▶ Looking for 250 ns coincidence between front and back block groups
- ▶ Not set up to take advantage of elastic scattering

Algorithm Development

- ▶ In order to reconstruct the material distribution and elemental composition, we need the attenuation at every
 - ▶ (x,y,z) position and every detector combination
 - ▶ for every element (HCNO)
 - ▶ and every target voxel
 - ▶ for a range of energies
- ▶ Due to memory and CPU restrictions
 - ▶ (x,y) position broken into ~ 1 inch bins, z position 1 cm bins
 - ▶ either assume material and reconstruct image or
 - ▶ assume sample spatial extent and reconstruct material

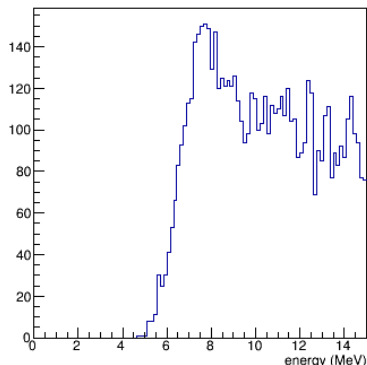
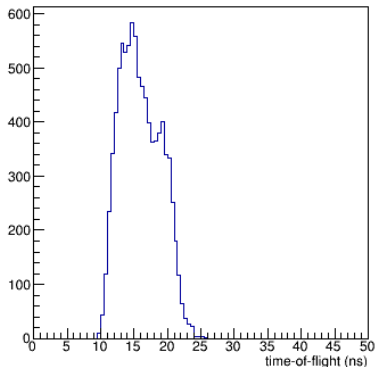
Algorithm Development - Polyethylene test object, 2 blocks



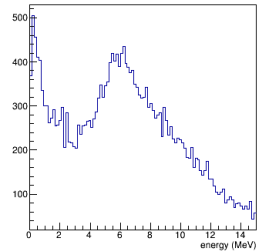
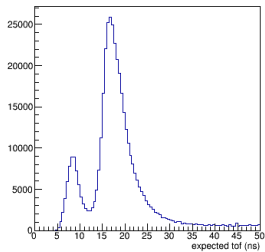
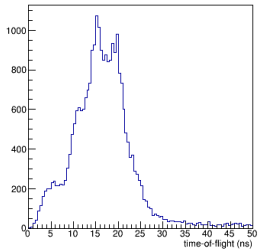
- ▶ Position, time, energy of each detector hit is smeared, assigned pixel and detector ID
- ▶ Time-of-flight is calculated, required to be within 5 ns of the expected for that pixel/detector ID
- ▶ Energy is calculated from trajectory method
- ▶ Maximum-likelihood expectation maximization (MLEM) algorithm is used against Hydrogen and Carbon elemental attenuation lengths to reconstruct image

Status

- ▶ We have a couple of scans with nothing, a polyethylene block, water, hydrogen peroxide, and polyethylene comb-like test object (imaging)
- ▶ The scans might not be enough stats
- ▶ Backgrounds are high (better timing resolution could solve this)



Status



Path Forward - Detector Upgrades

- ▶ Modifications to detectors:
 - ▶ PSD plastic or liquid scintillator - background discrimination and improved timing resolution
 - ▶ Improved calibration scheme
 - ▶ Improved position reconstruction - thicker light guide or change in PMT placement
 - ▶ New enclosure or modifications to existing (thicker light guide will require more room than is available)
- ▶ Alternative to hardware modifications:
 - ▶ Attempt to reject events that reconstruct a small depths
 - ▶ Re-bin the pixelization such that we have fine resolution toward the center and coarse resolution on the outer layers (each depth could be different guided by optical simulation)

Path Forward - Simulations

- ▶ Geant4 simulations to explore effect on observation space (will scattering be a problem?)
- ▶ Optics simulation (what is the optimum thickness? Does it improve small depth ambiguities?)
 - ▶ Better understanding of the optical model with LED scan along PMT faces for each block
- ▶ Use MC simulated data to bypass difficulties in position reconstruction and test ResponseBuilder model and unfolding
- ▶ Make predictions about minimum detectable quantities and time to detection
- ▶ Scaling study to larger system

Path Forward - Algorithm Development and Data Taking

- ▶ Algorithm Development
 - ▶ How do we handle large detector response matrices? Borrow from medical imaging?
 - ▶ How do we speed up the analysis? GPUs?
- ▶ Data taking
 - ▶ PMT angular and position dependence
 - ▶ Lab tests at SNLL
 - ▶ Field tests at SNLA with real explosives