

Strength of tantalum under high ramp compression

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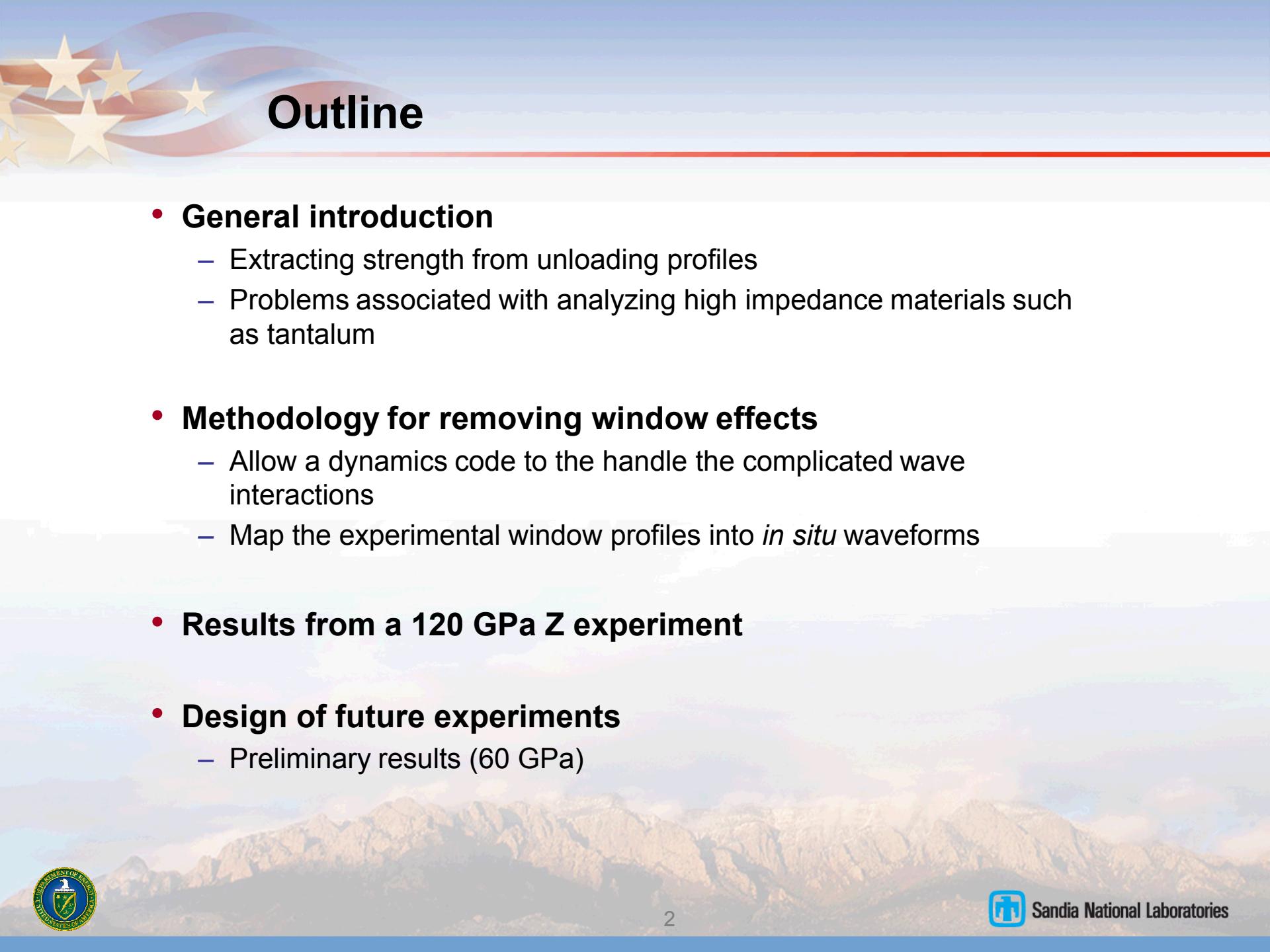
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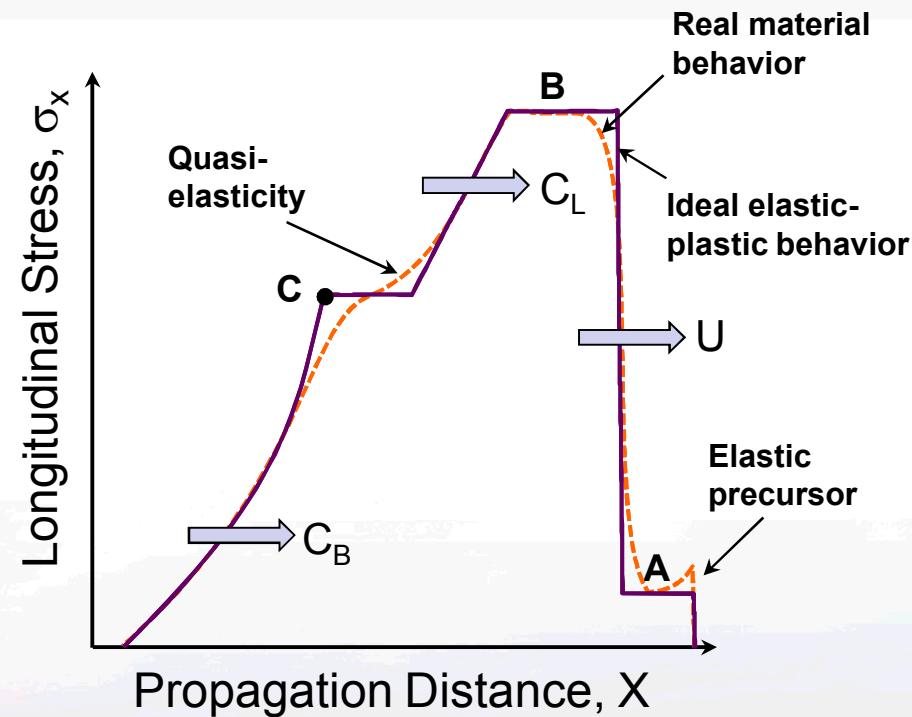
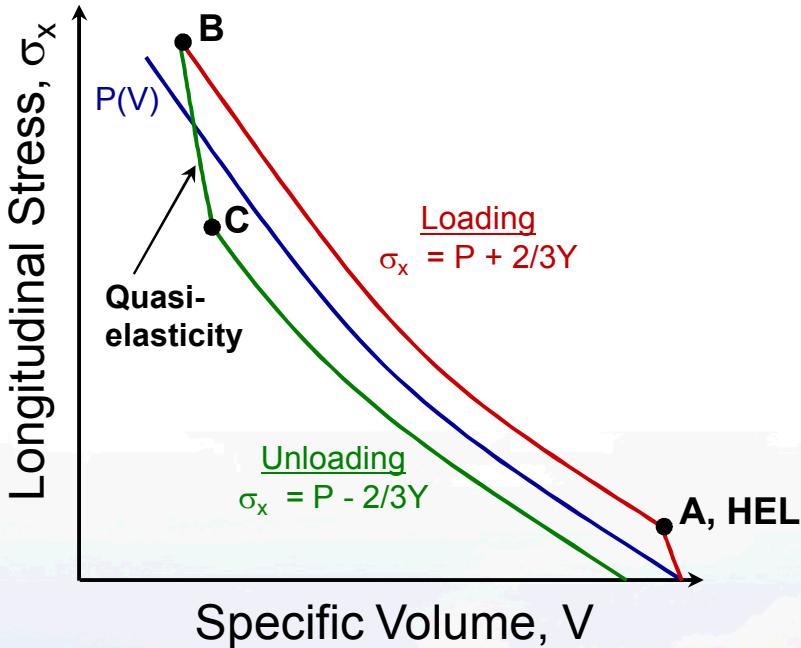




Outline

- **General introduction**
 - Extracting strength from unloading profiles
 - Problems associated with analyzing high impedance materials such as tantalum
- **Methodology for removing window effects**
 - Allow a dynamics code to handle the complicated wave interactions
 - Map the experimental window profiles into *in situ* waveforms
- **Results from a 120 GPa Z experiment**
- **Design of future experiments**
 - Preliminary results (60 GPa)

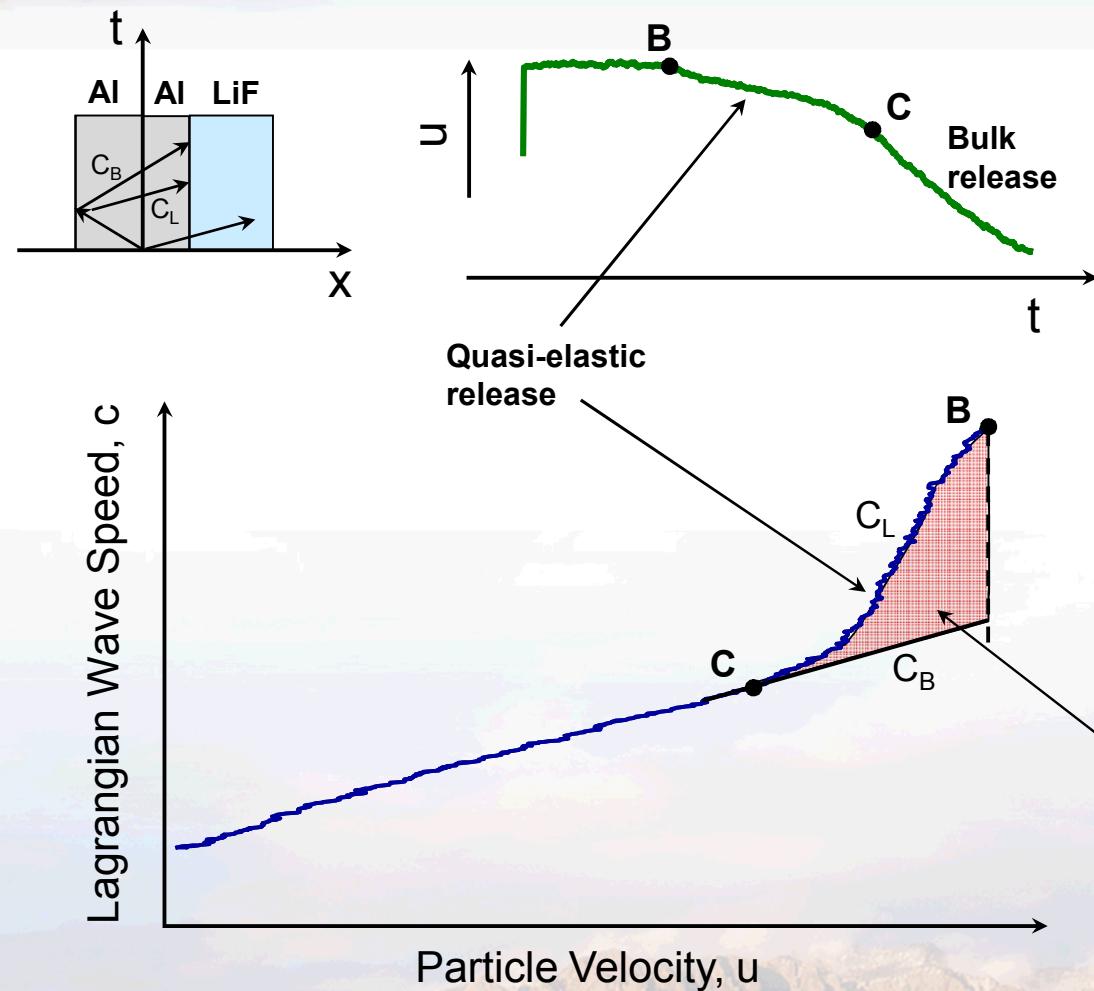
Analysis of unloading profiles for strength is based on the elastic-plastic model



- Measurement of the quasi-elastic unloading response provides information on yield strength at peak stress



Measured unloading wave velocities may be used to estimate the strength



Assumptions

- Elastic-plastic model

$$d\sigma(\varepsilon) = dP(\varepsilon) + \frac{4}{3}d\tau(\varepsilon)$$

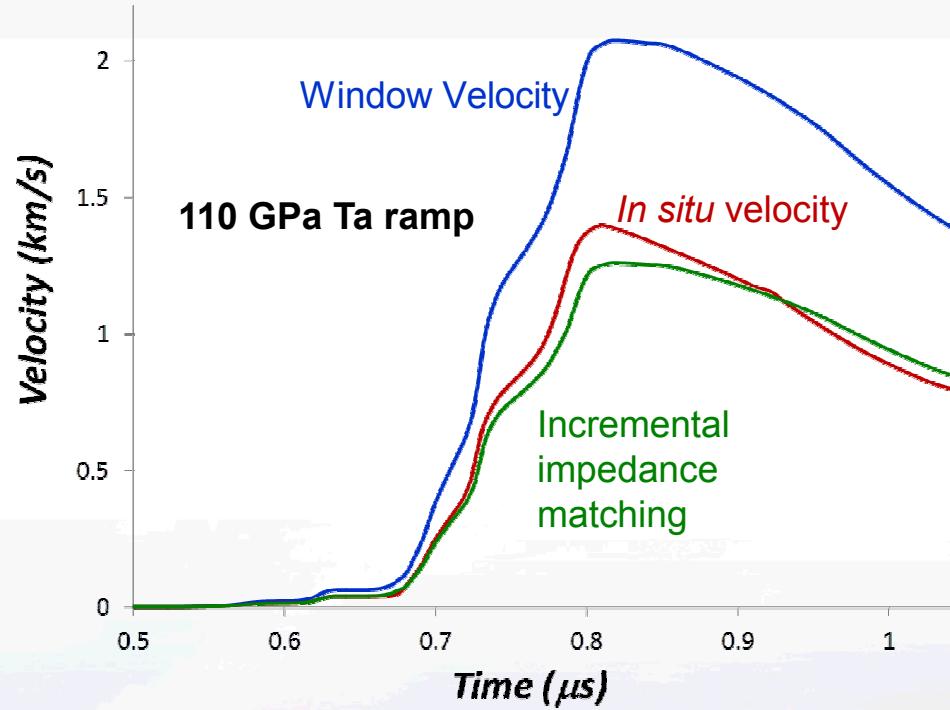
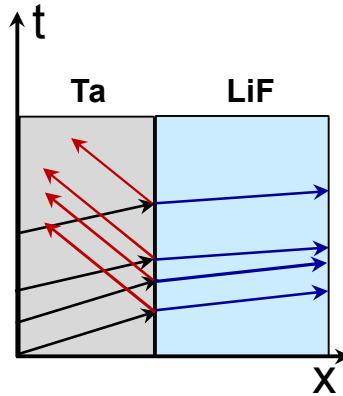
$$\frac{d\tau}{d\varepsilon} = \frac{3}{4}\rho_0 \left[c_{\text{exp}}^2 - c_B^2 \right]$$

- Rate independent response
- von Mises yield surface
- Flow strength determined from quasi-elastic unloading

$$Y = \frac{3}{4}\rho_0 \int [c^2 - c_B^2] \frac{du}{c}$$



Window effects on ramp loading



- **Poor impedance match is difficult to account for**
 - Release waves are constantly generated at the window interface which interact incoming ramp
 - Produces non-uniform stress state in the sample
 - Incremental impedance matching can be a poor approximation, particularly at higher stresses



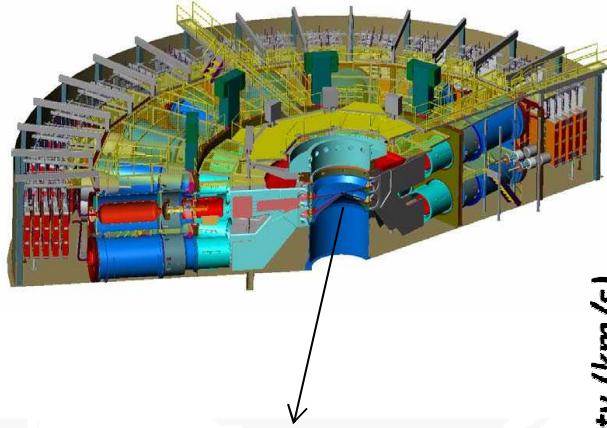
Strategy for removing window effects

- **Use simulations to account for the wave interactions**
 - LASLO: A lightweight 1-D Lagrangian wave dynamics code with MHD
 - Standard EOS (tabular, Mie-Gruneisen, etc.)
 - Strength using a rate-independent Steinberg-Guinan formulation, modified to include quasi-elasticity
- **Use an optimization package to generate a best fit of the experimental window profiles and estimate the correction**
 - Perform forward simulations of both waveforms to determine the optimal B-Field, EOS, and strength parameters
 - Run the forward *in situ* simulations to determine the response when the LiF is replaced by Ta
 - Use the simulated window and *in situ* velocities to determine the transfer function between the two
 - Apply the transfer function to the experimental data to determine its *in situ* response

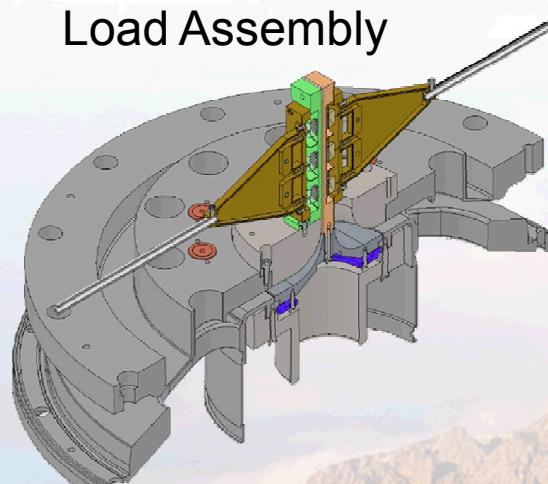


Analysis of Z1904

Z Accelerator

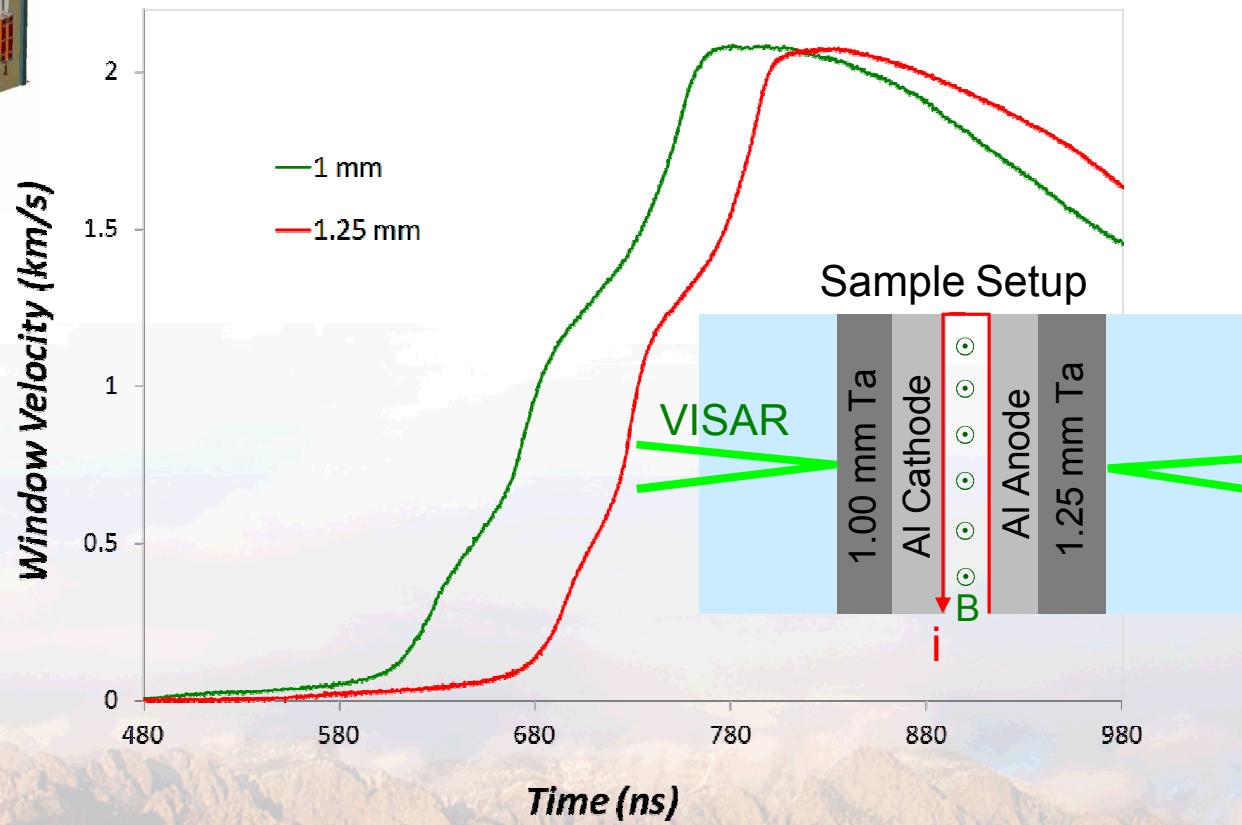


Load Assembly



- **20 mm stripline to 110 GPa**

- Commercial Ta samples, LiF windows



Quasi-elastic strength model

- Rate-independent Steinberg-Guinan quasi-elastic strength model

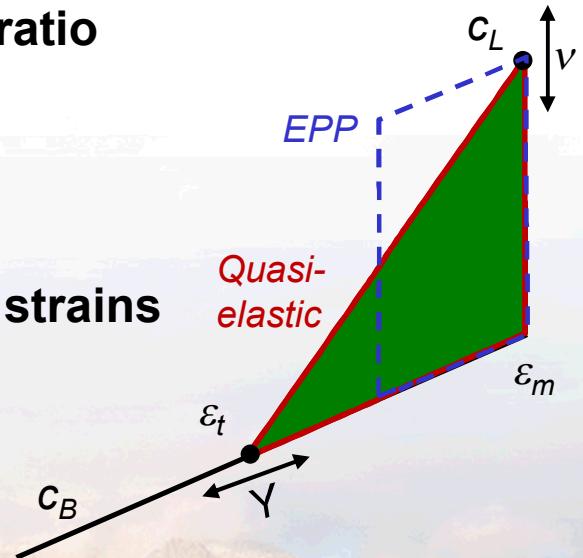
$$Y = Y_0 \left[1 + \beta(\varepsilon + \varepsilon_i) \right]^n \left[1 + A \frac{P}{\eta^{1/3}} + B(T - 300) \right]$$

- Determine shear modulus from EOS and Poisson's ratio

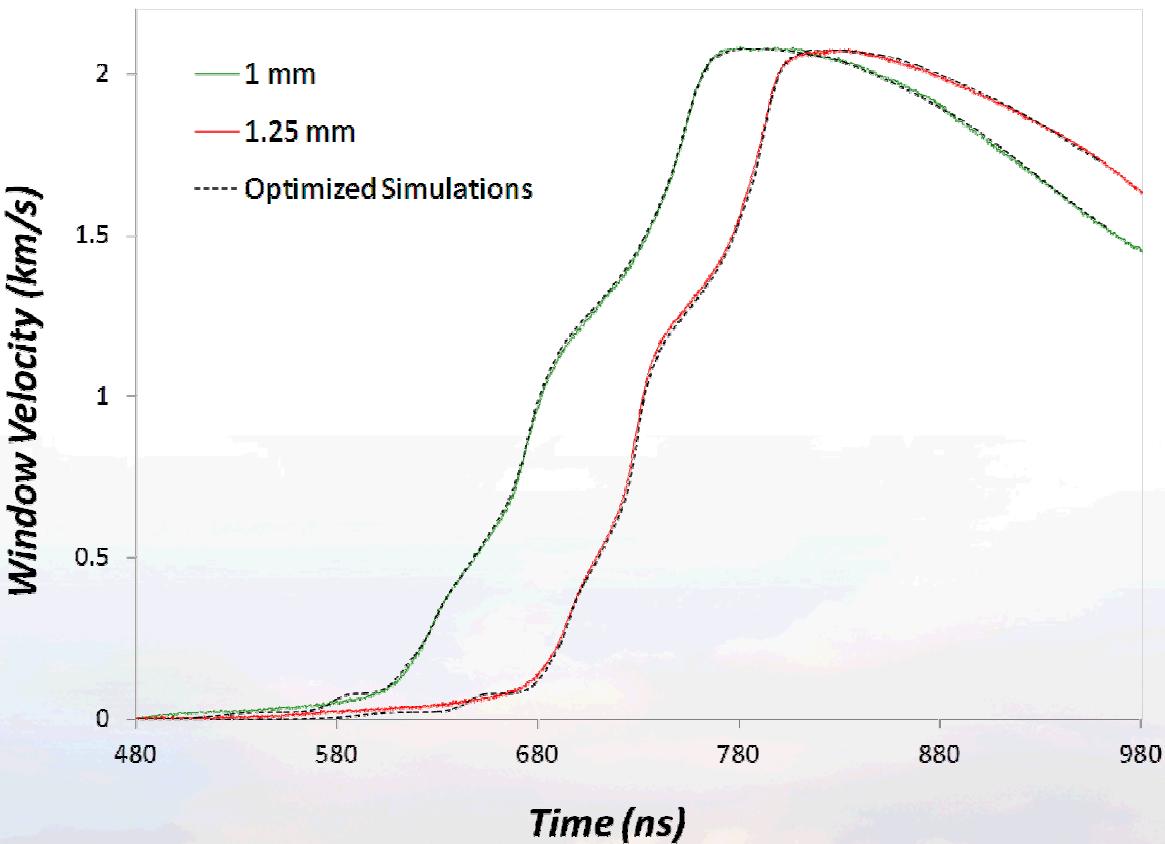
$$G = \frac{3K(1-2\nu)}{2(1+\nu)}$$

- Vary shear modulus linearly from peak to transition strains

$$G_{eff} = G \left(1 - \frac{\varepsilon - \varepsilon_m}{\varepsilon_m - \varepsilon_t} \right)$$



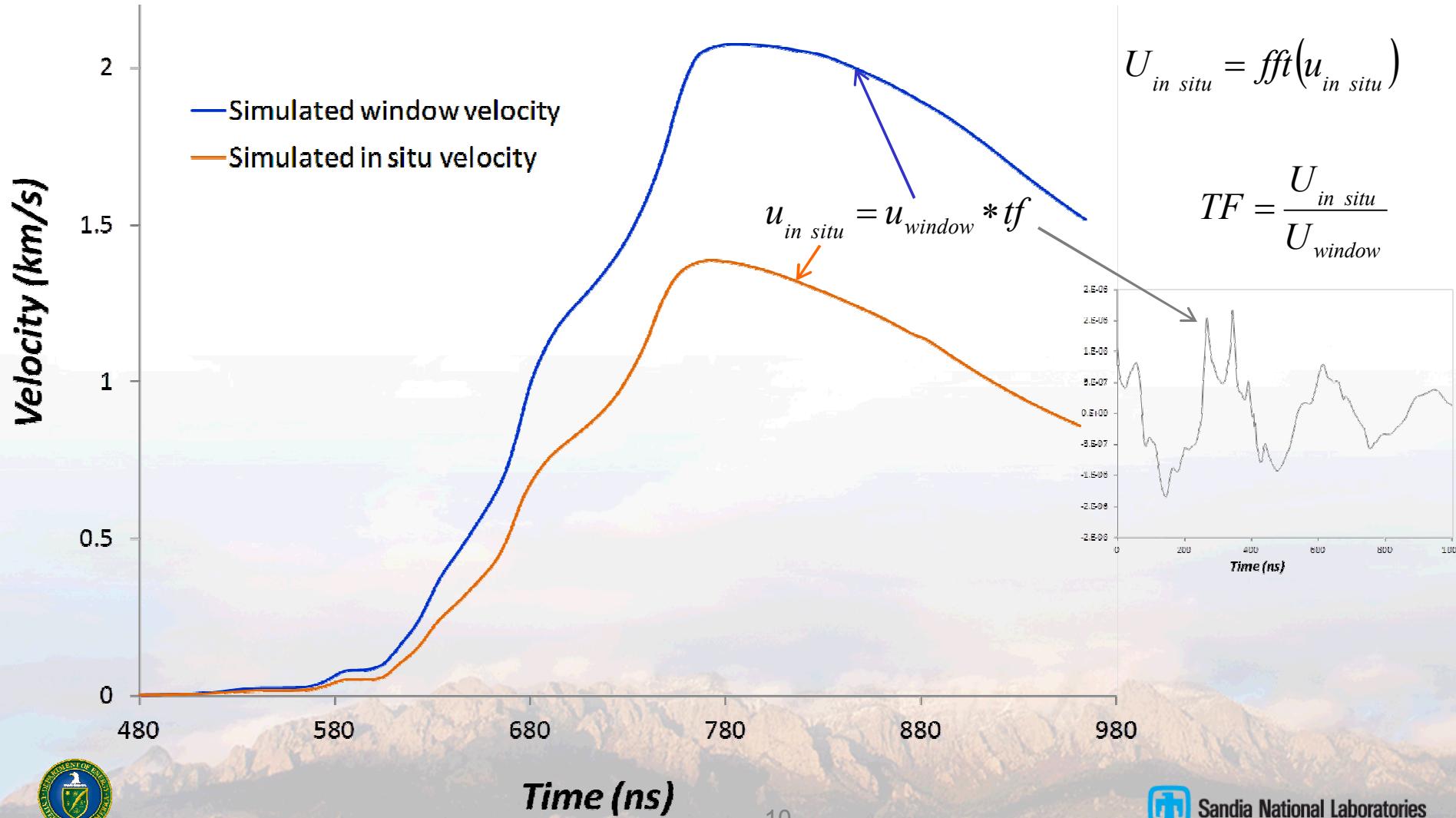
1) Optimized simulations



- **50 control points to define the 1-D current**
 - Interpolation scheme coupled with low pass filter
- **Independent time shifts of up to 0.5 ns**
- **Mie-Gruneisen EOS**
 - Small changes to c_0 and s
- **Quasi-elastic strength model**
 - Optimize v and strength parameters

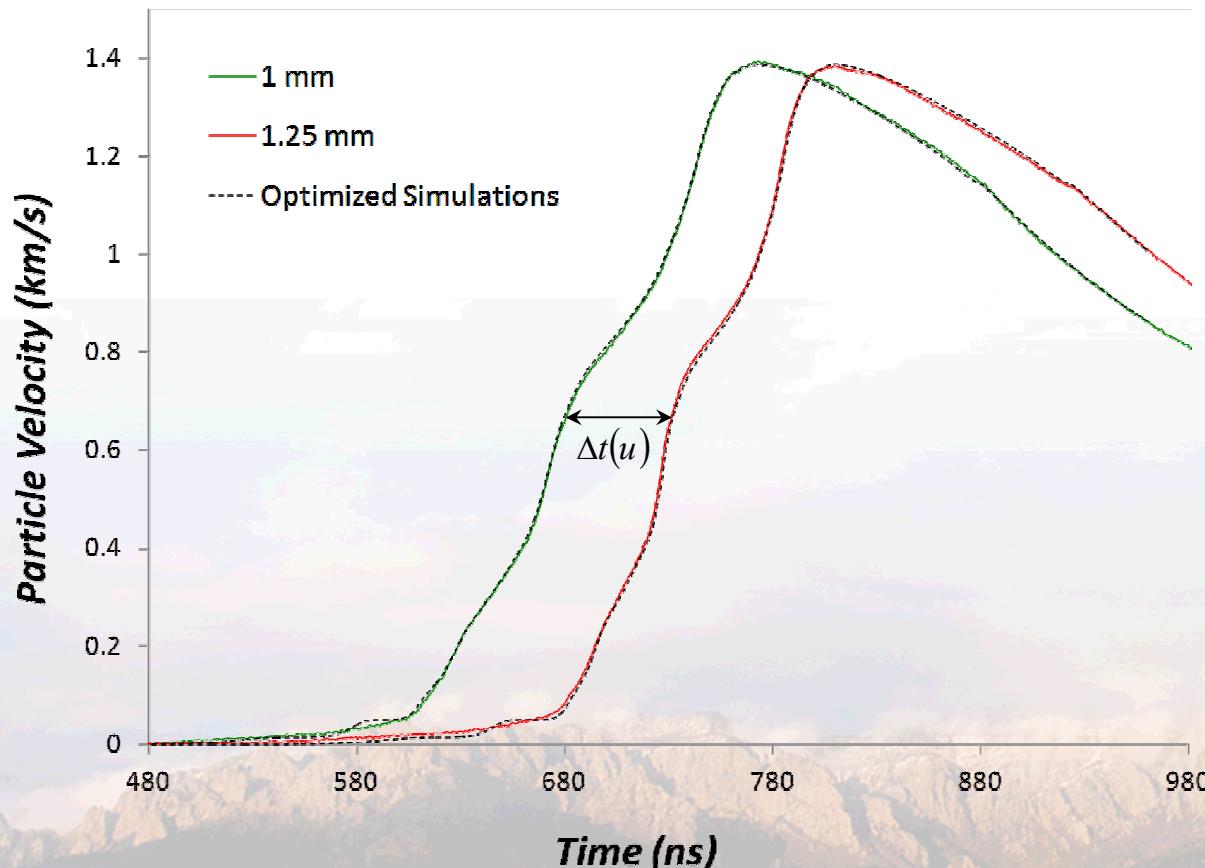


2) Run *in situ* simulation and 3) determine the transfer function



4) Use the transfer function to determine the *in situ* experimental profiles

- Features not captured in the optimized simulations are transferred through to the *in situ* profiles
 - Can now perform standard Lagrangian analysis

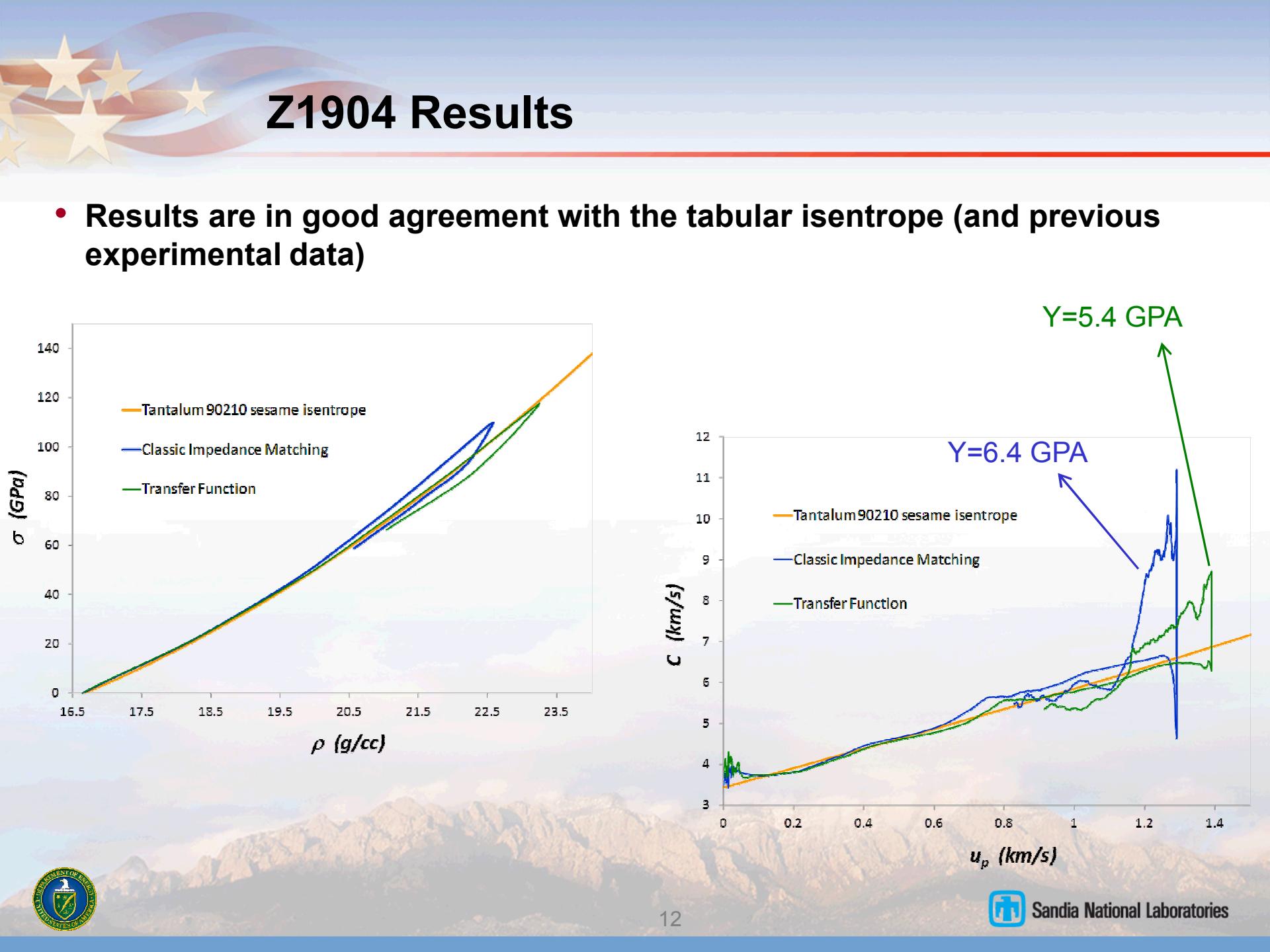


$$c(u) = \frac{\Delta x}{\Delta t(u)}$$

$$d\sigma_x = \rho_0 c d u_p$$

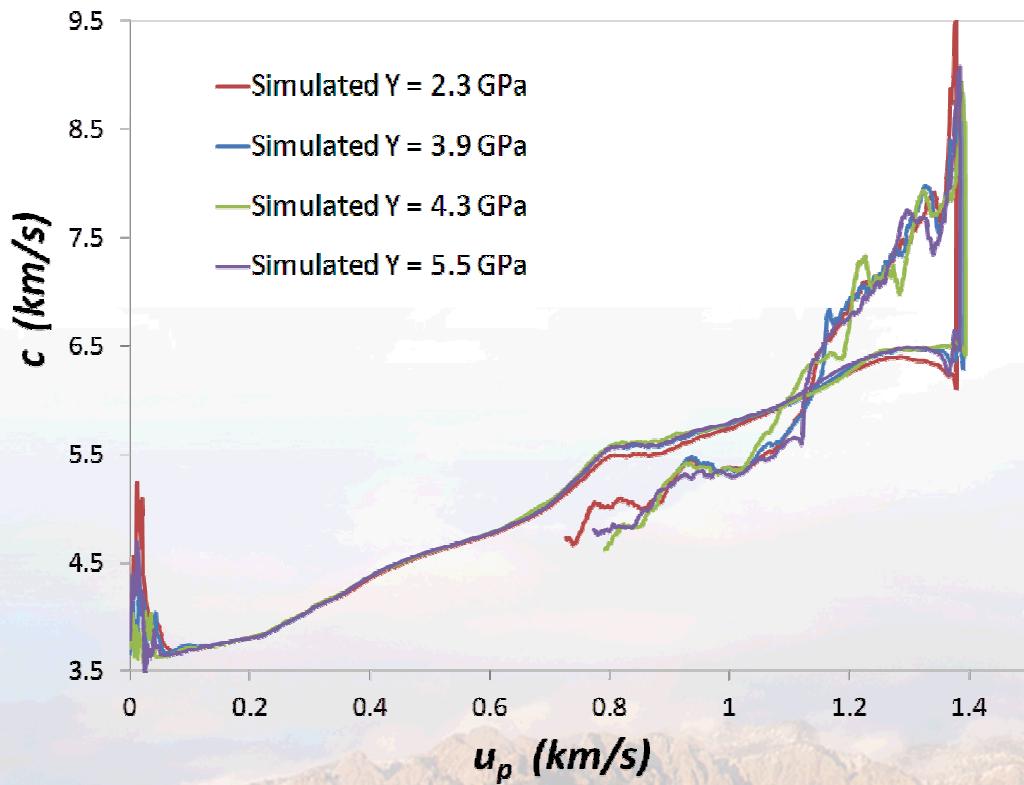
$$d\varepsilon_x = \frac{c}{d u_p}$$





Analysis appears to be model independent

- As long as the optimized simulations are “close”, the experimental data seems to dictate the response

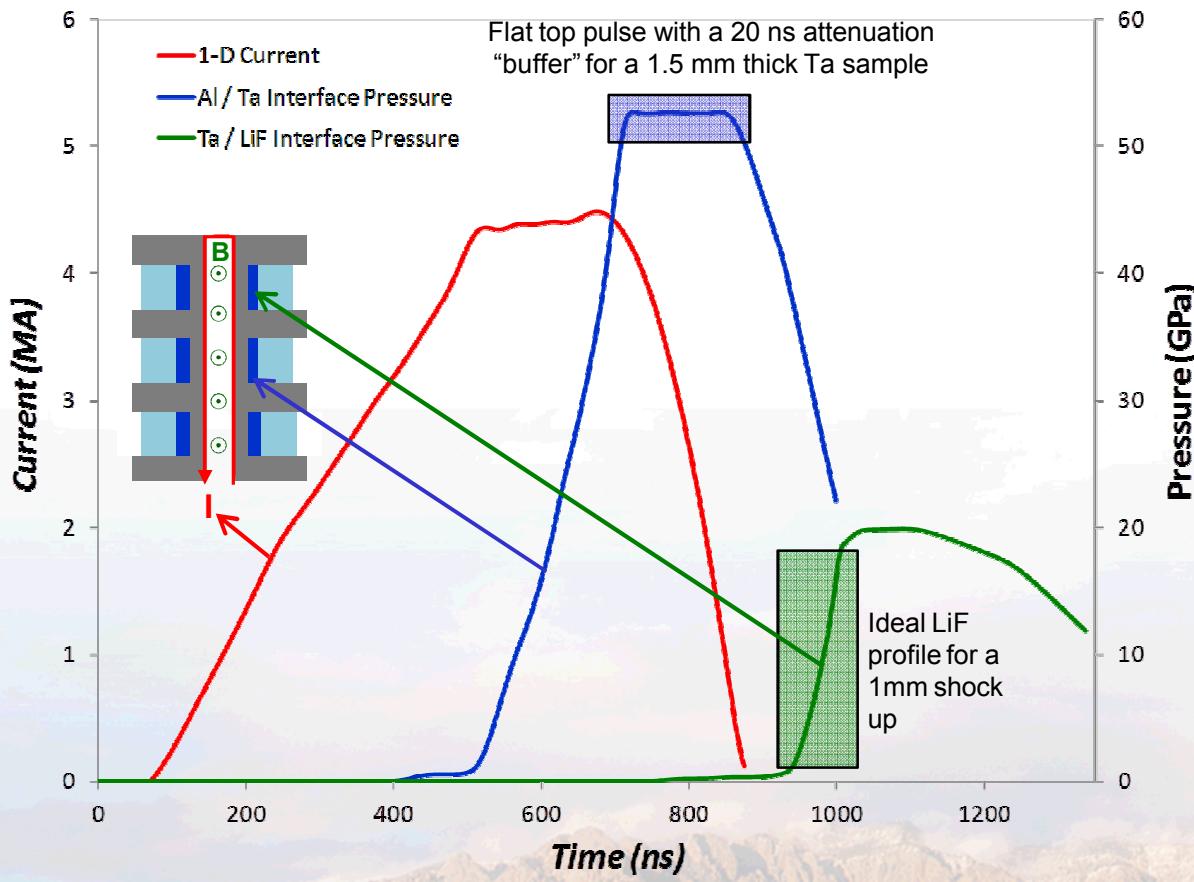


Mean Y :
5.3 GPa

Standard Deviation:
0.2 GPa (4%)



Design of new experiments

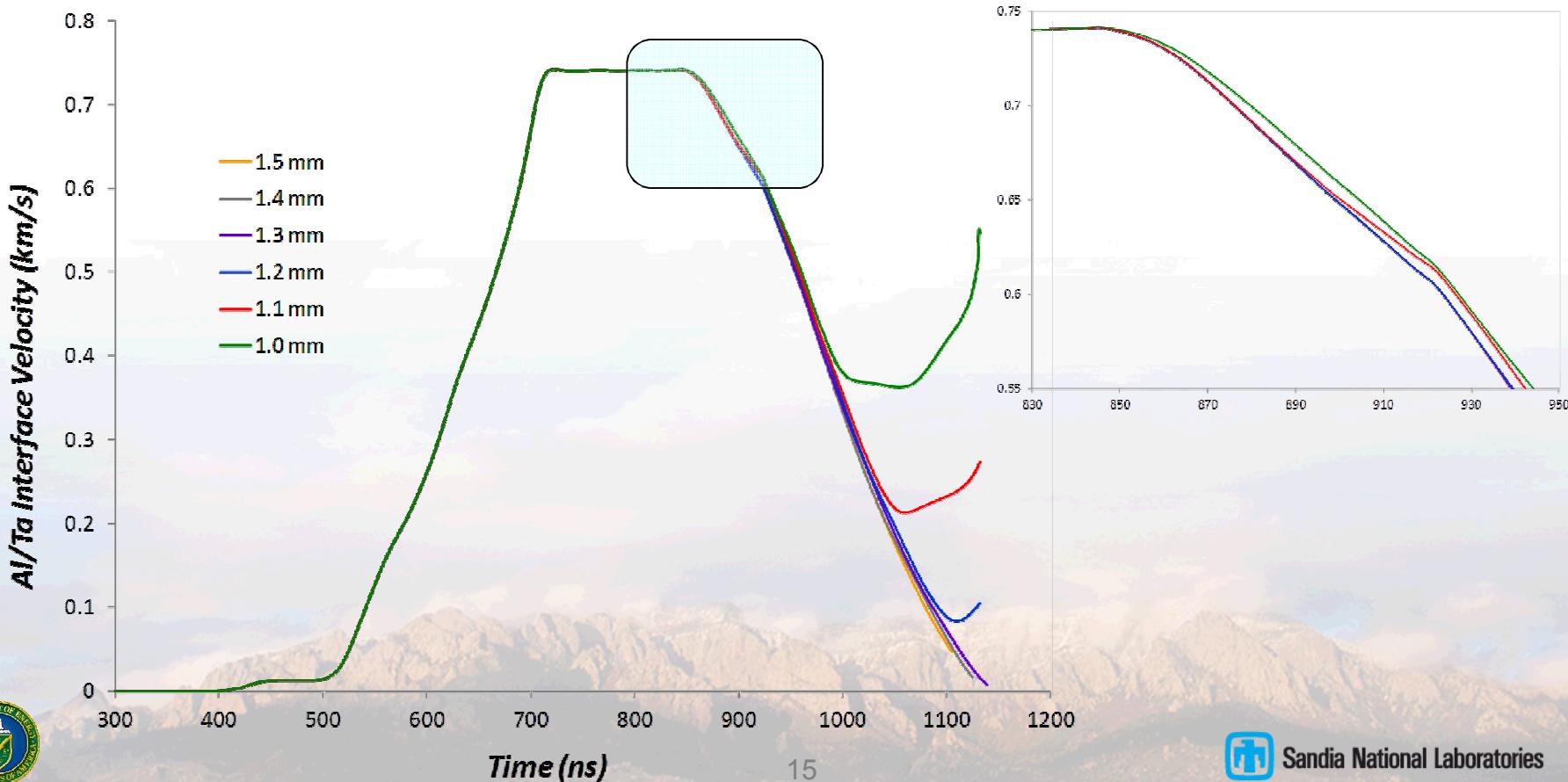


- **50 GPa peak stress in 1.5 mm thick Ta**
- **Used optimized simulations to generate a drive current such that:**
 - Flat top pulse such that there is 0 attenuation in the in-situ case
 - 1 mm shock up distance in the window
 - Tried to pick a realistic tail current fall off



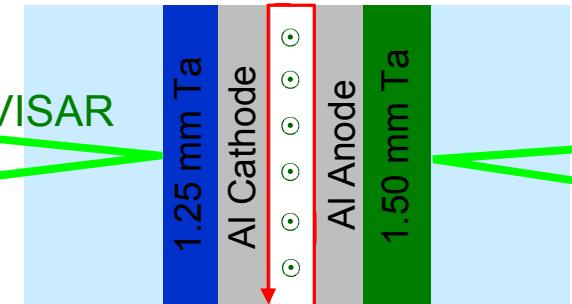
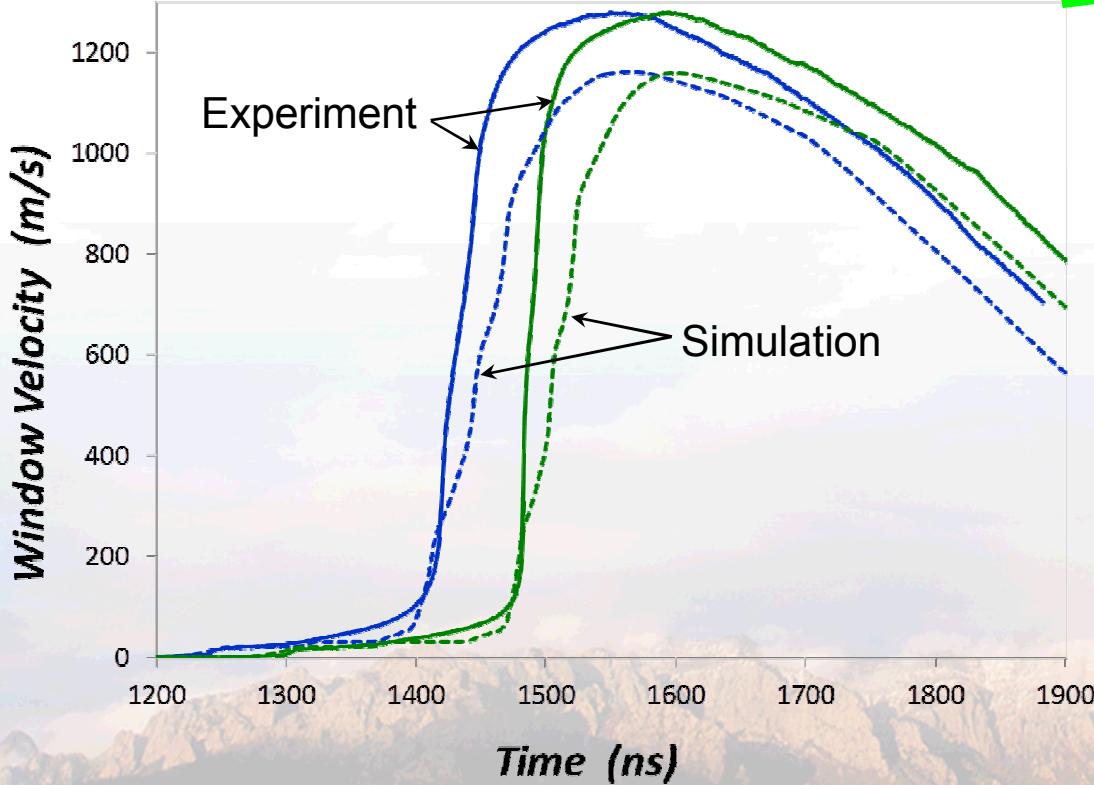
Reverberation is taken into account

- Sample thicknesses can then be chosen to avoid corruption of the unloading wave (reverberation)
 - 1.2 mm is the minimum thickness to maintain consistency through the quasi-elastic unload

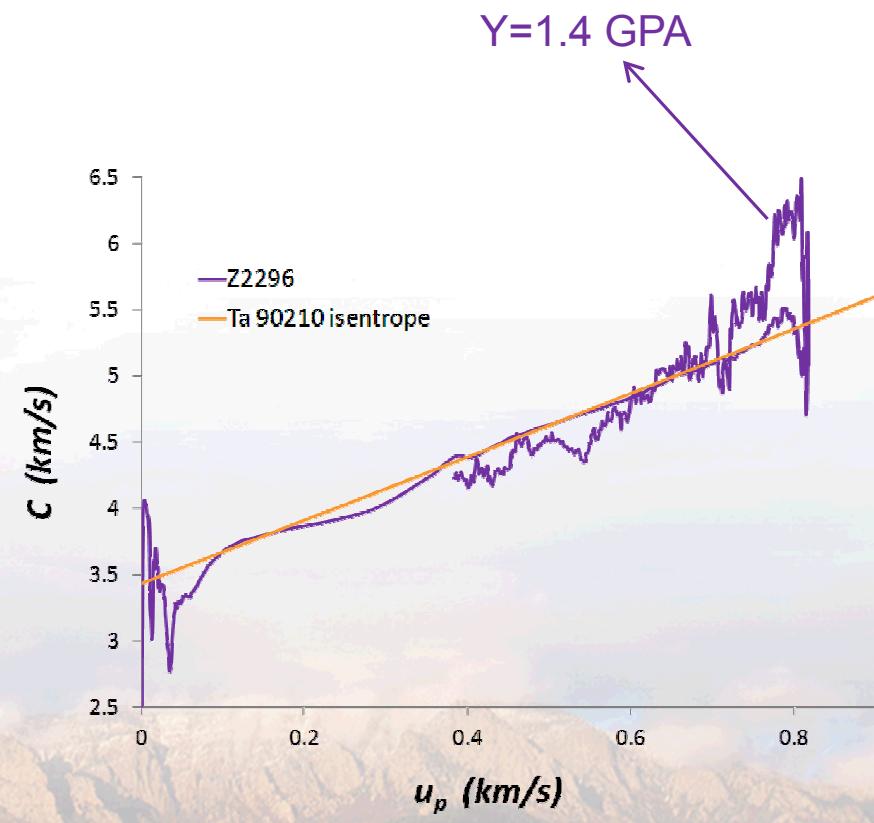
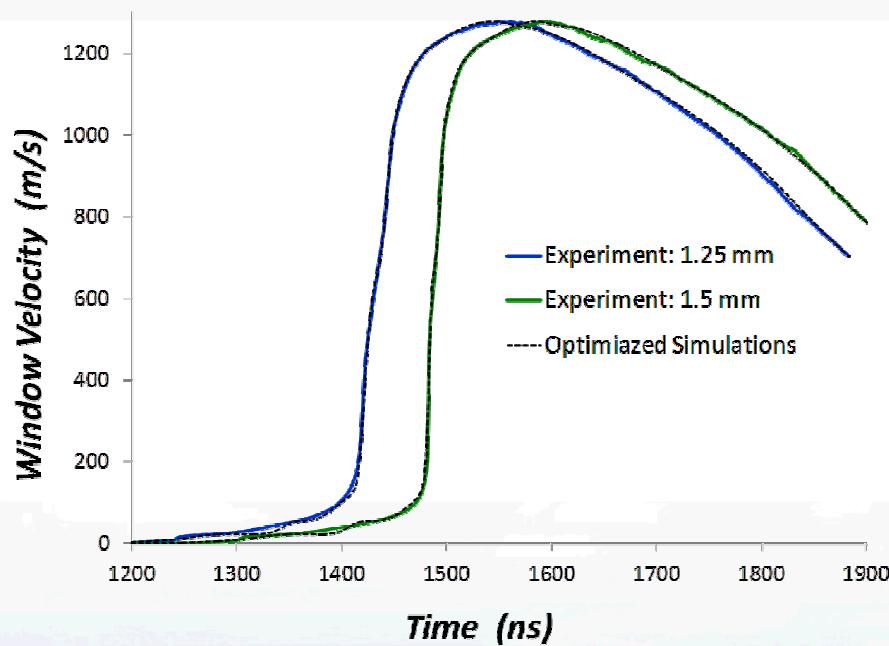


Preliminary Z2296 shot results

- Current was higher than predicted
 - Steeper waveforms
 - Attenuation is negligible

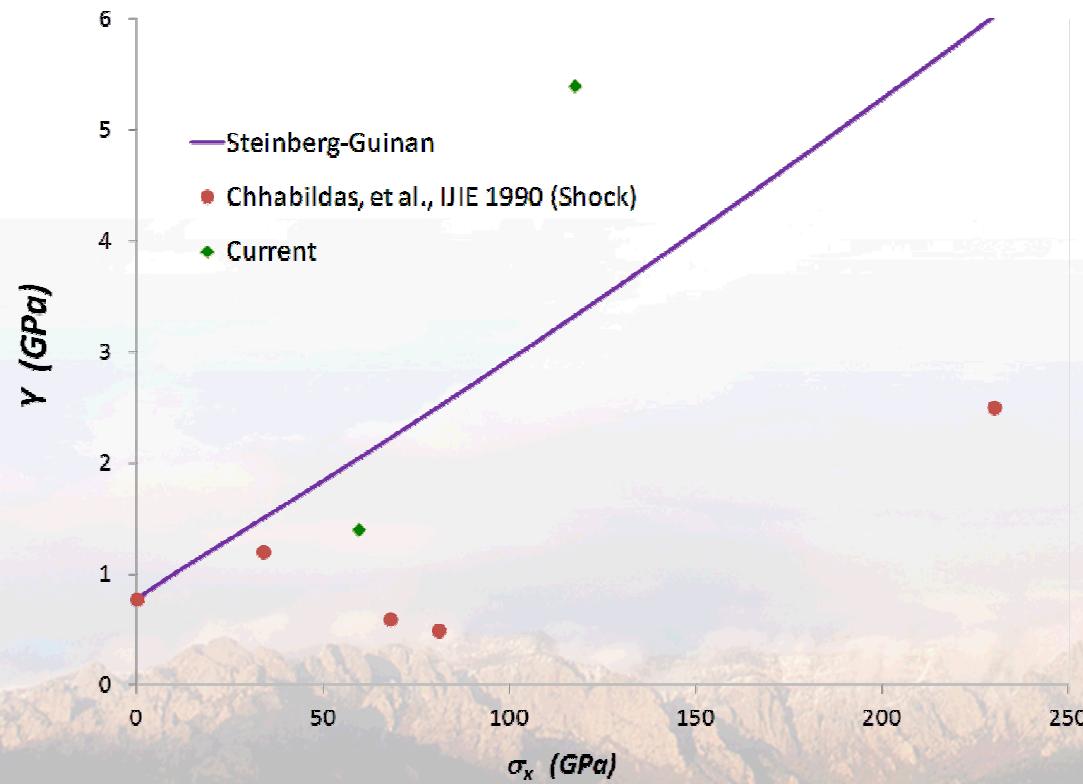


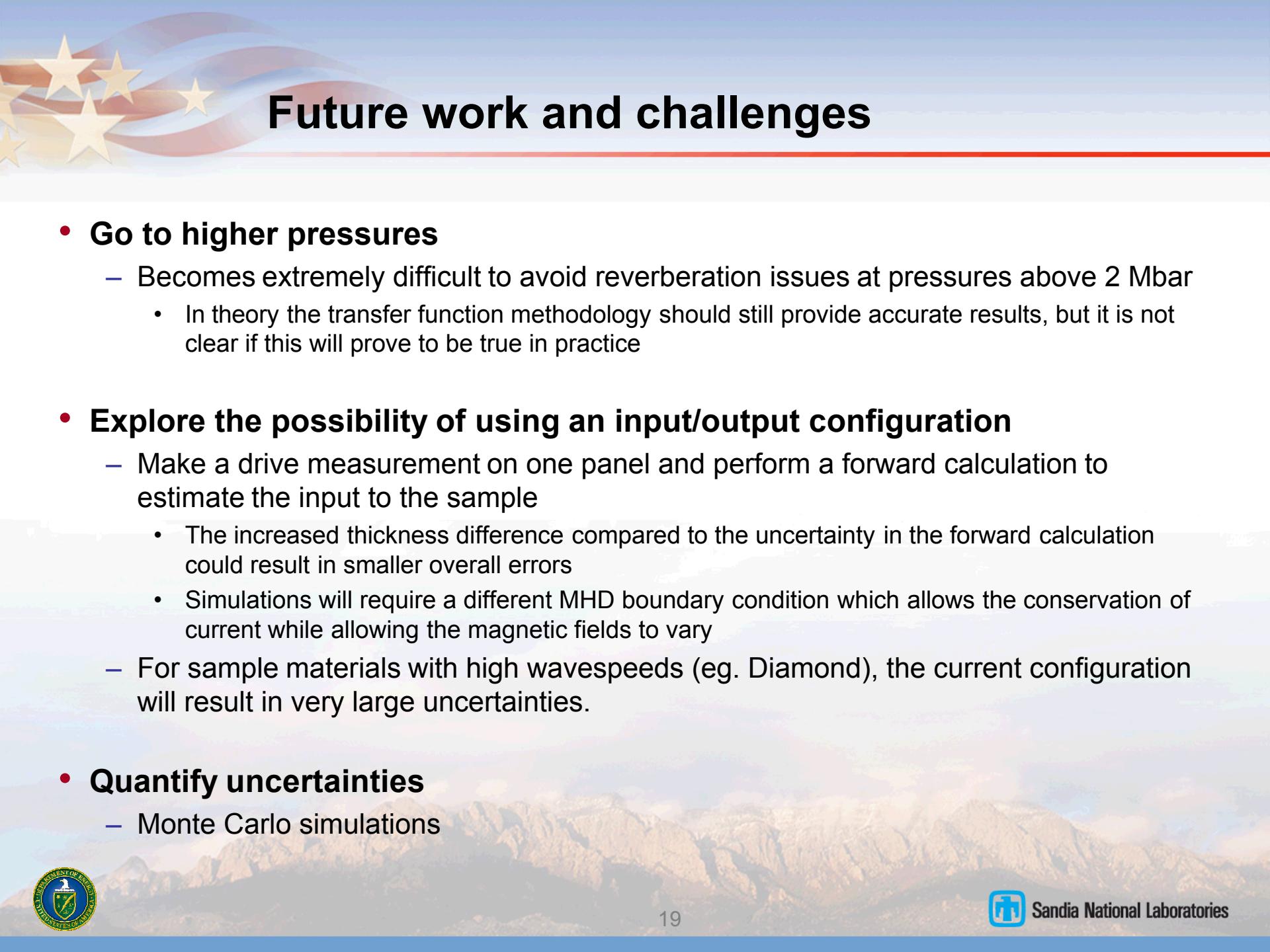
Optimization and Lagrangian analysis



Measured strength

- Lower pressure point (60 GPa) is in reasonable agreement with shock data
- Higher pressure point (120 GPa) suggests tantalum is significantly stronger under ramp compression





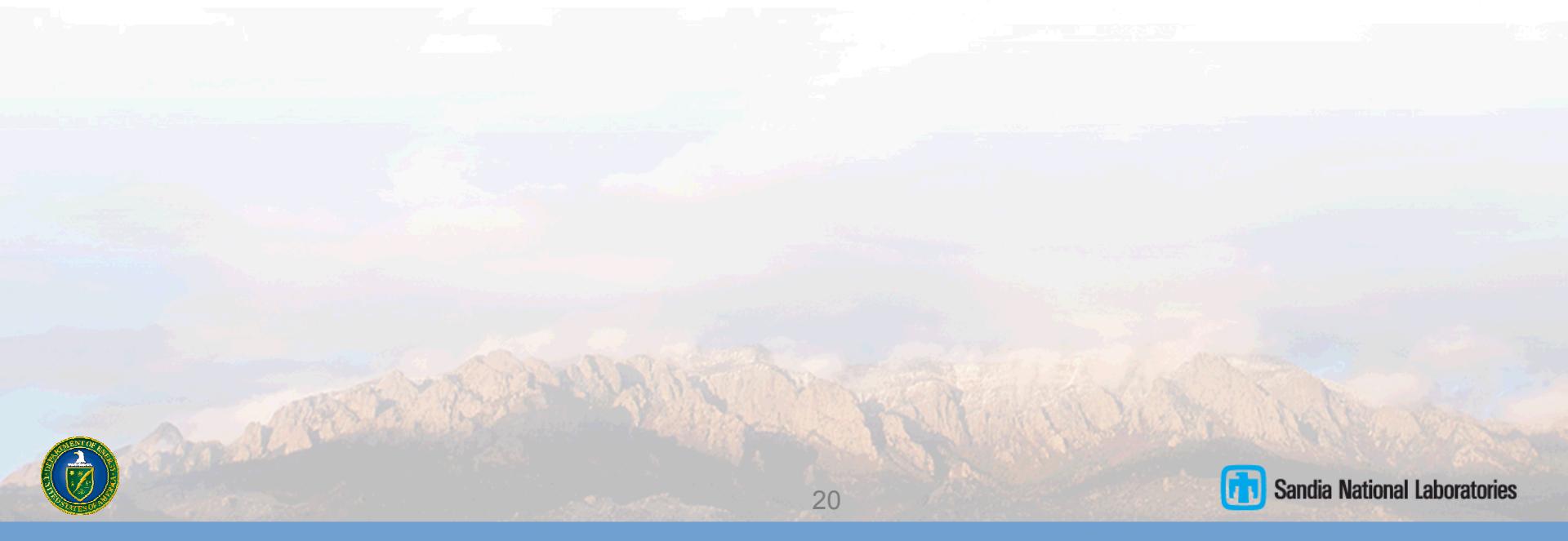
Future work and challenges

- **Go to higher pressures**
 - Becomes extremely difficult to avoid reverberation issues at pressures above 2 Mbar
 - In theory the transfer function methodology should still provide accurate results, but it is not clear if this will prove to be true in practice
- **Explore the possibility of using an input/output configuration**
 - Make a drive measurement on one panel and perform a forward calculation to estimate the input to the sample
 - The increased thickness difference compared to the uncertainty in the forward calculation could result in smaller overall errors
 - Simulations will require a different MHD boundary condition which allows the conservation of current while allowing the magnetic fields to vary
 - For sample materials with high wavespeeds (eg. Diamond), the current configuration will result in very large uncertainties.
- **Quantify uncertainties**
 - Monte Carlo simulations





Additional Slides



Pulse shaping

- Problem simultaneously maintaining the steep rise along with the “flat top” portion of the pulse.
 - Loose ~ 30 ns off of the flat top
 - An attempted correction is made by extending time at which peak current occurs

