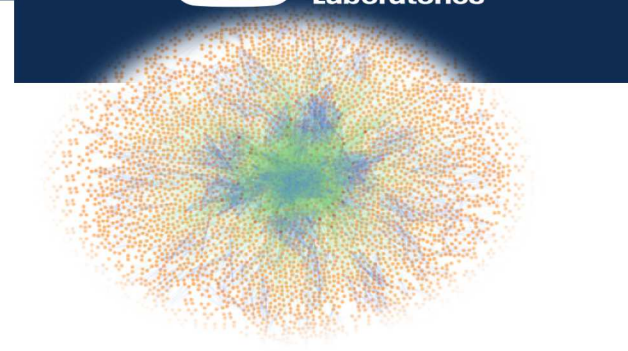


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Programming Model Tradeoffs for Global vs Local Recovery: Algorithm Based Fault Tolerance

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Outline: Talk of Two Halves

1. Programming models for scalable resilience.
2. Algorithm Based Fault Tolerance: Global vs Local recovery.

Outline

1. Programming models for scalable resilience.
2. Algorithm Based Fault Tolerance: Global vs Local recovery.

Motivations and Background

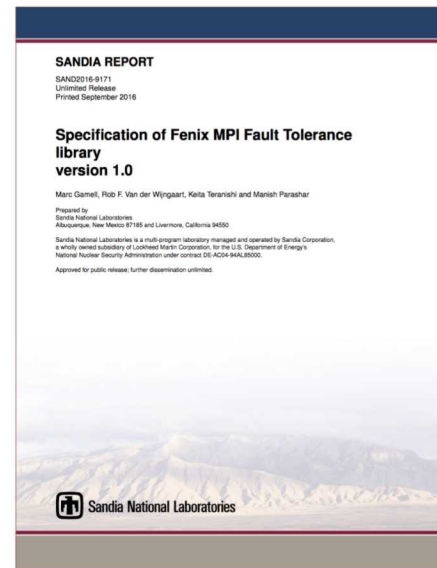
- Reliability has become a major concern of large scale computing systems
 - Complexity of hardware and software (number of components)
 - Overhead for reliability enhancement (20% penalty in power and performance)
 - Performance variability across cores, accelerators and nodes
- System level approach is expensive and C/R cannot resolve all resilience issues.
- Need better programming model support
 - Extension of Fault Tolerant MPI Proposal (Fenix)
 - On-node parallel computing
 - Asynchronous Many Task (AMT)
 - Resilience Extension of Kokkos
 - Distributed (AMT)

Fenix: Extending MPI-ULFM

- MPI-ULFM has been proposed for the fault tolerance APIs of the MPI standard (hard errors and failures)
- Survived processes continues after MPI rank failures
- New MPI functions for fixing MPI communicator
 - `MPI_Comm_agree` --- Sanity check (resilient collective)
 - `MPI_Comm_revoke` --- Invalidate MPI Communicator
 - `MPI_Comm_shrink` --- Fix MPI Communicator removing dead process
- User is responsible for the recovery after `MPI_Comm_shrink`

Fenix:

- Fault Tolerant Programming Framework for MPI Applications
 - Separation between process and data recovery
 - Allows third party software for data recovery
 - Multiple Execution Models
 - **Process recovery**
 - Extend **MPI-ULFM**
 - Process recovery through **hot spare process pool**
 - Process failure is checked at **PMPI layer** and recovery happens automatically under the cover
 - **Data recovery**
 - In-memory data redundancy
 - Multi-versioning (similar to GVR by U Chicago & ANL)



Application

Fenix

MPI-ULFM

Fenix – Process Recovery Interface

```
void Fenix_Init (MPI_Comm comm,  
                MPI_Comm *newcomm,  
                int *role,  
                int *argc, int ***argv,  
                int num_spare_ranks,  
                int spawn,  
                MPI_Info,  
                int *error);
```

If **newcomm** is NULL, Fenix tacitly replaces **comm** everywhere with resilient communicator

App should use **resilient communicator** (newcomm) instead of comm

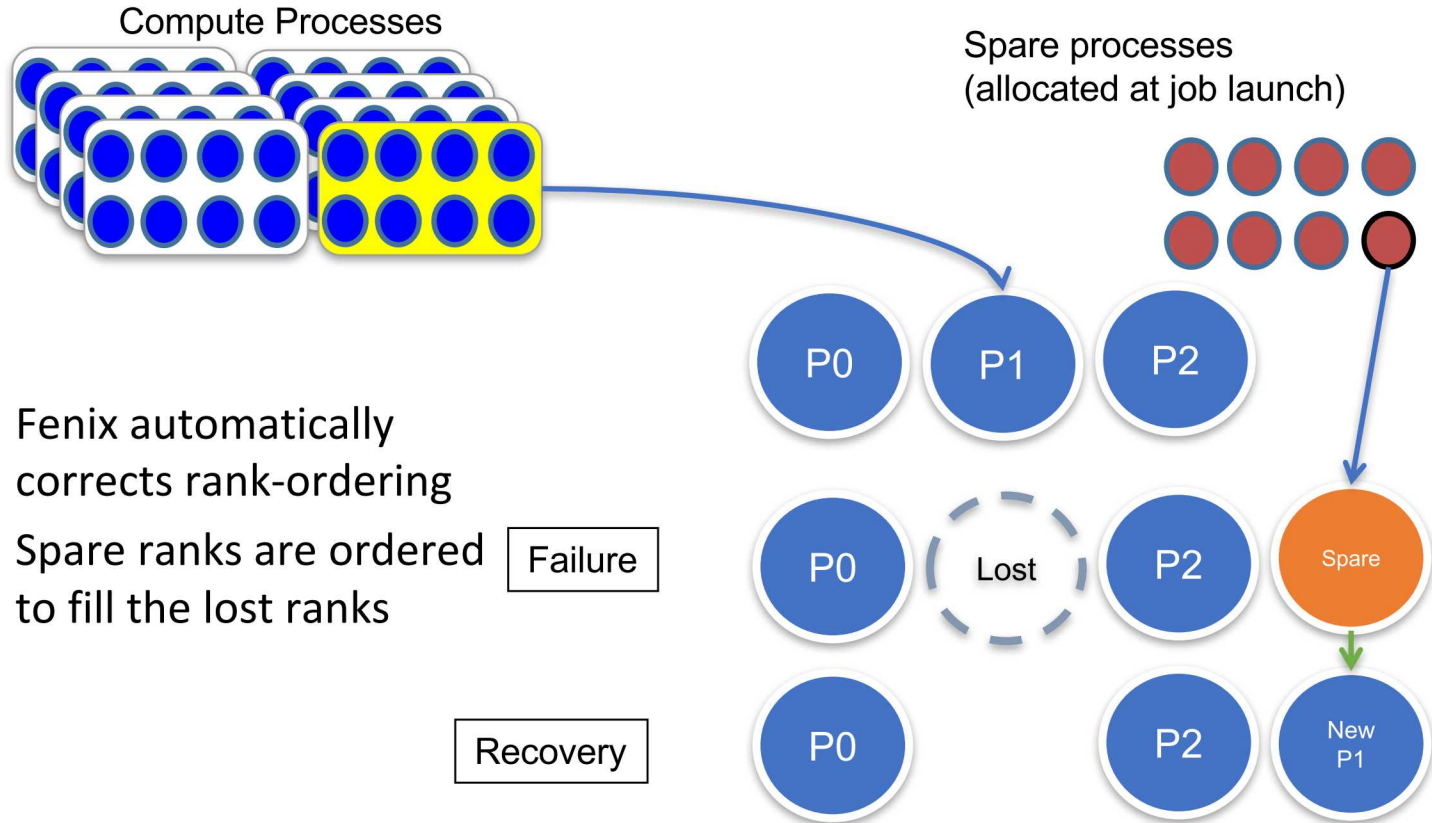
FENIX_ROLE_INITIAL_RANK
FENIX_ROLE_RECOVERED_RANK
FENIX_ROLE_SURVIVOR_RANK

0:NO_SPAWN
1:SPAWN

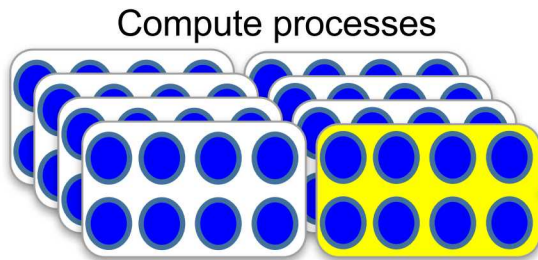
Process failure triggers process recovery and long-jump to Fenix_init

```
void Fenix_Finalize ( );
```

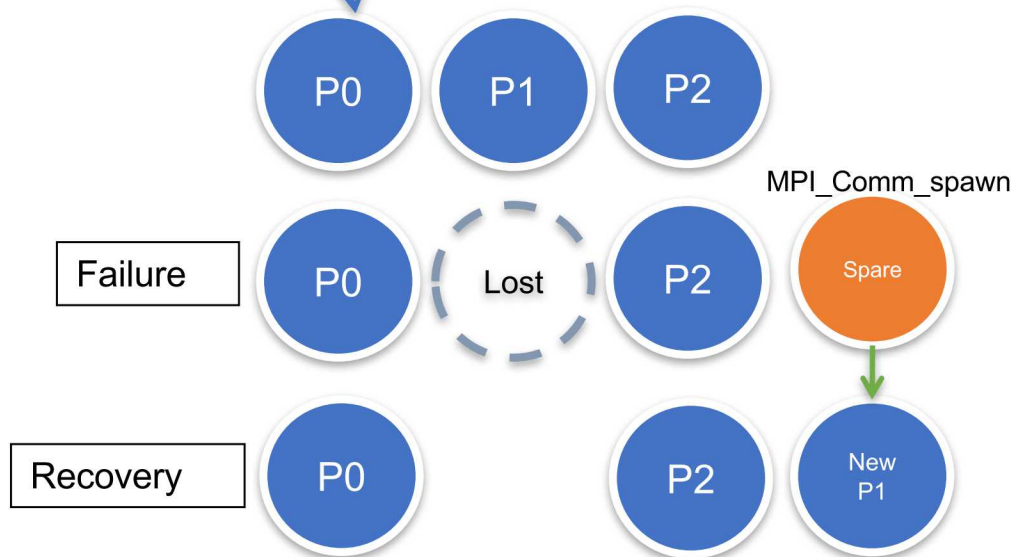

Non-Shrinking Model (with spare processes)



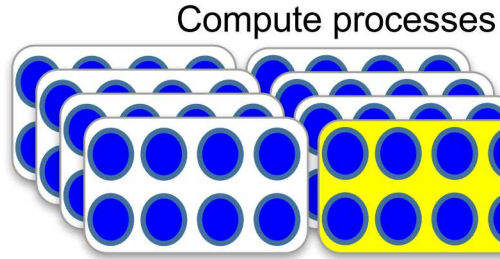
Non-Shrinking Model (Spawn)



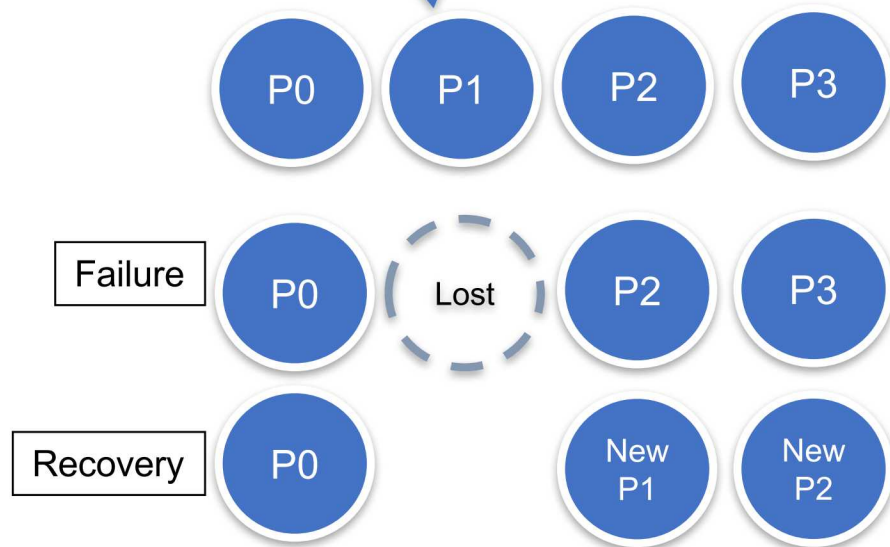
- Fenix automatically correct rank-ordering
- Spare ranks are order to fill the lost ranks
- Depends on the support of MPI_Comm_spawn



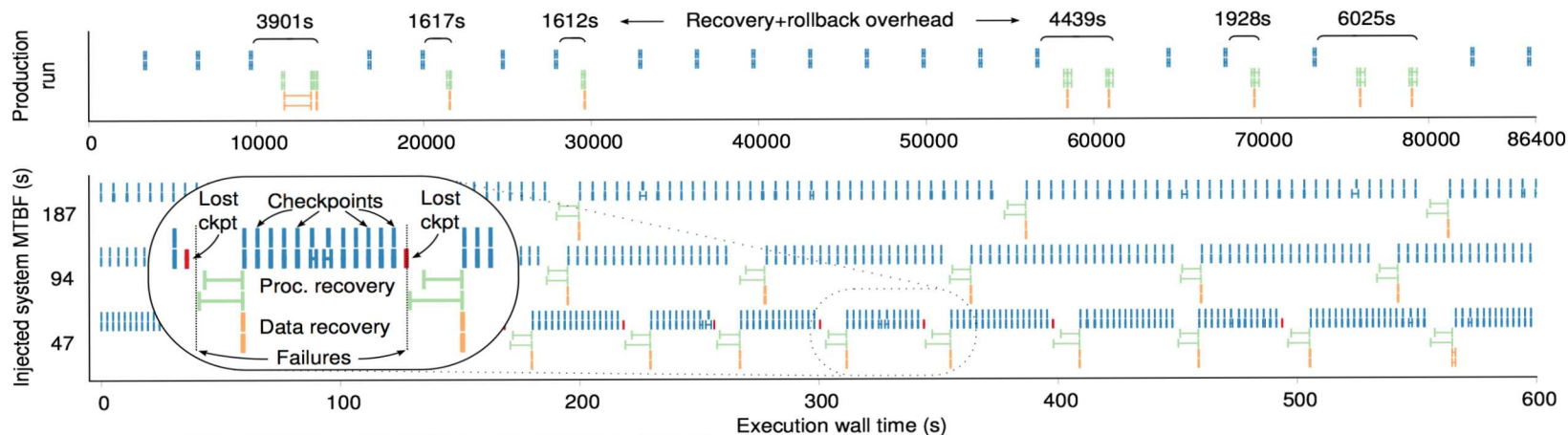
Shrink Model



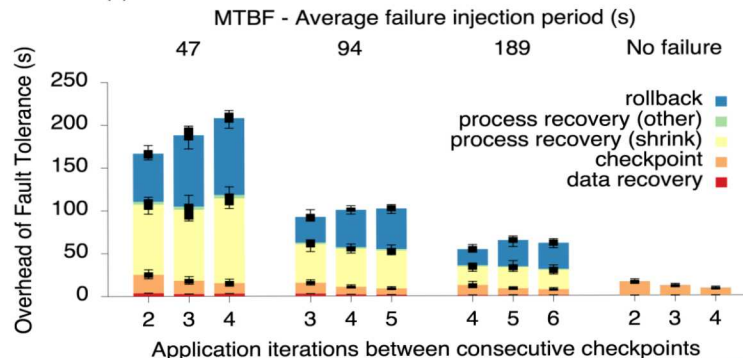
- Rank ordering after the failure is determined by MPI-ULFM.
- Fenix returns the program to the beginning.
 - User is responsible for reconstruct the state



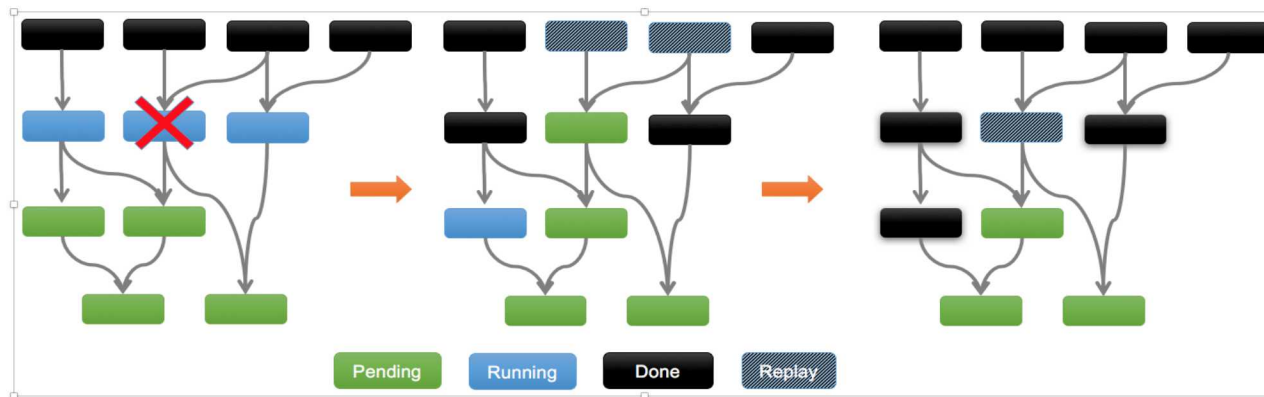
FENIX can recover from frequent failures



- Online recovery allows the usage of in-memory checkpointing, $O(1s)$.
- Efficient recovery from high frequency node failures, as exascale compels.
- **With failures injected every 189, 94 and 47 seconds, the total job run-time penalty is as low as 10%, 15% and 31%, respectively.**
- This can dramatically improve by optimizing ULFM shrink.



Node Level Parallel Programming Model Sandia National Laboratories



- Abstraction of computation and data objects allows automatic resilience support
 - Runtime scheduler orchestrates computations encapsulated by Task and parallel_for
 - Data abstractions to describe dependencies, data layout and access patterns (Read/Write/RW)
- Simple extension to the existing API provides knobs to the users to selectively apply resilience

Resilient AMT Prototype

- Resilience Extension of Habanero C++
 - AMT programming Interface by Vivek Sarkar
- Simple extension allows the user to introduce 3 major resilient program execution patterns
 - Task Replication Interface
 - Task Replay Interface
 - ABFT Interface

Original Task Launch

```
hclib::async_await ( lambda,  
hclib_future_t *f1, ..,  
hclib_future_t *f4);
```

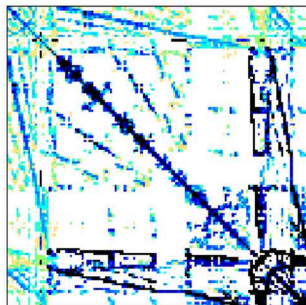
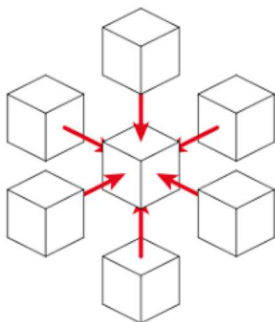
Task Launch with Replication

```
diamond::async_await_check<N> (  
lambda, hclib::promise<int>  
out, hclib_future_t *f1, ..,  
hclib_future_t *f4);
```

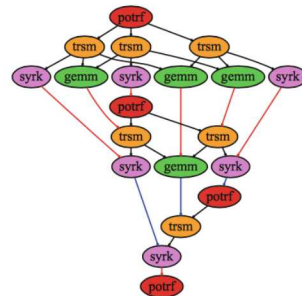
Task Launch with Replay

```
replay::async_await_check<N>(  
lambda, hclib::promise<int>  
out, std::function<int(void*)>  
error_check_fn, void * params,  
hclib_future_t *f1, .. ,  
hclib_future_t *f4);
```


Performance



	T	G	T	T	A	C	G	G
G	0	0	0	0	0	0	0	0
G	0	0	3	1	0	0	0	3
T	0	3	1	6	4	2	0	1
T	0	3	1	4	9	7	5	3
G	0	1	6	4	7	6	4	8
A	0	0	4	3	5	10	8	6
C	0	0	2	1	3	8	13	11
T	0	3	1	5	4	6	11	10
A	0	1	0	3	2	7	9	8



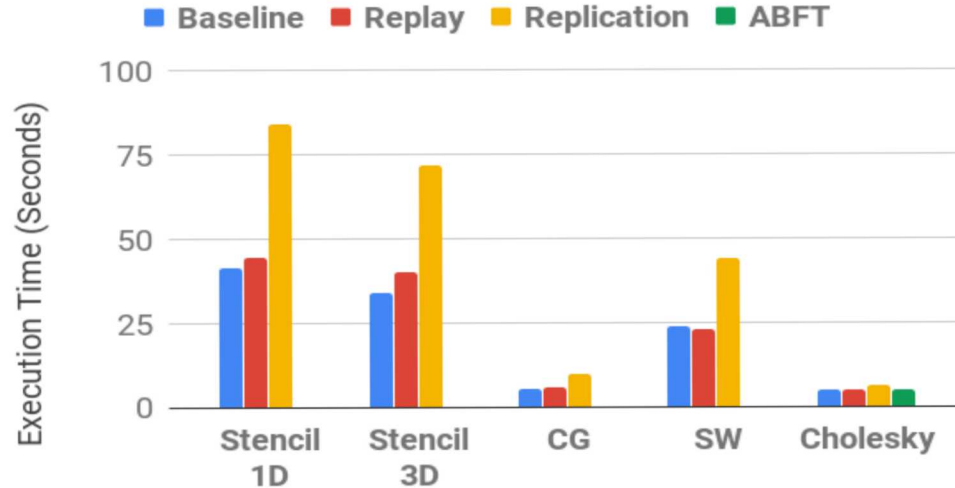
- On 2 Haswell CPU node (16x2 cores)
- 1D and 3D stencil code
- Conjugate Gradient with crank_1 sparse matrix
- Smith-Waterman (SW) algorithms
- Task-parallel Fault-Tolerant Cholesky Factorization
 - Based on the Cao and Bosilca (IPDPS2016)
- The application data is **over-decomposed**.
 - 4 way for stencil and CG
 - 64x64 for SW and Cholesky

Replay and replication do not double the memory overhead

	Synthetic	Stencil 1D				
	vanilla	vanilla	Replay	Replication	Mix Replay	Mix Replication
1 worker	0.19 GB	0.67 GB	1.02 GB	0.98 GB	1.08 GB	1.05 GB
32 workers	6.19 GB	6.67 GB	7.02 GB	6.99 GB	7.08 GB	7.05 GB

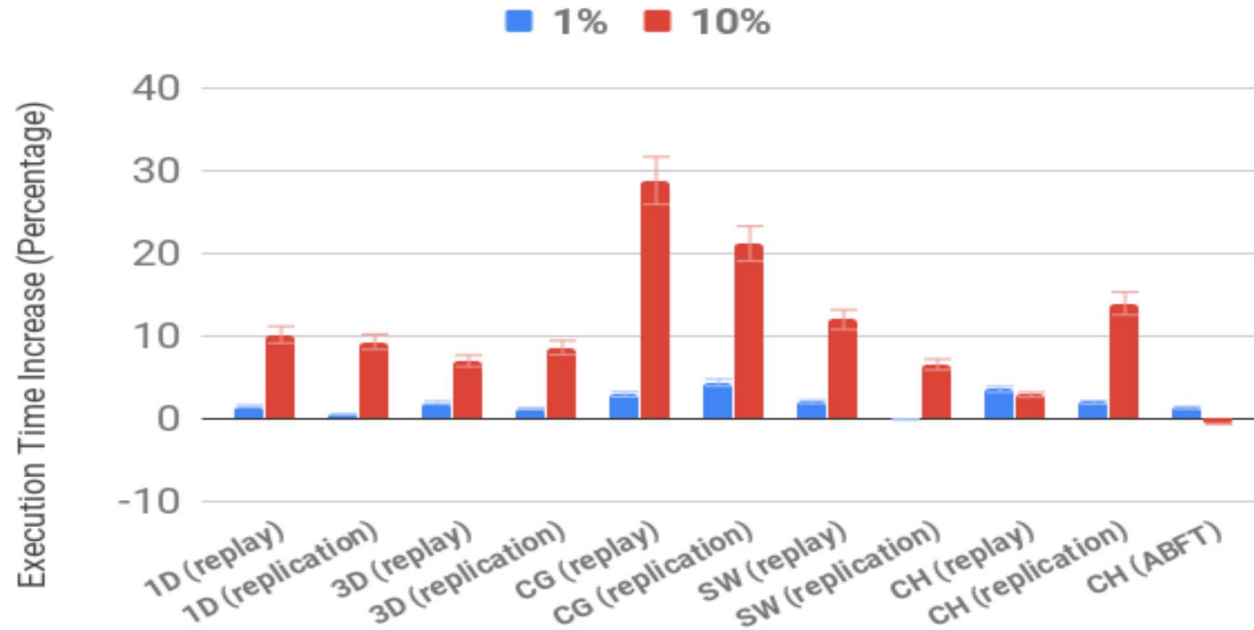
- Synthetic benchmark just launch empty tasks iteratively
- Resilient 1D stencil code execute 128 tiles (16K points per tile) per iteration (**4 tasks per worker**)
- Executed 1M iterations
- Tested on NERSC's Cori (2 Haswell CPUs, 32 cores total, 2.3GHZ) system

Performance without faults

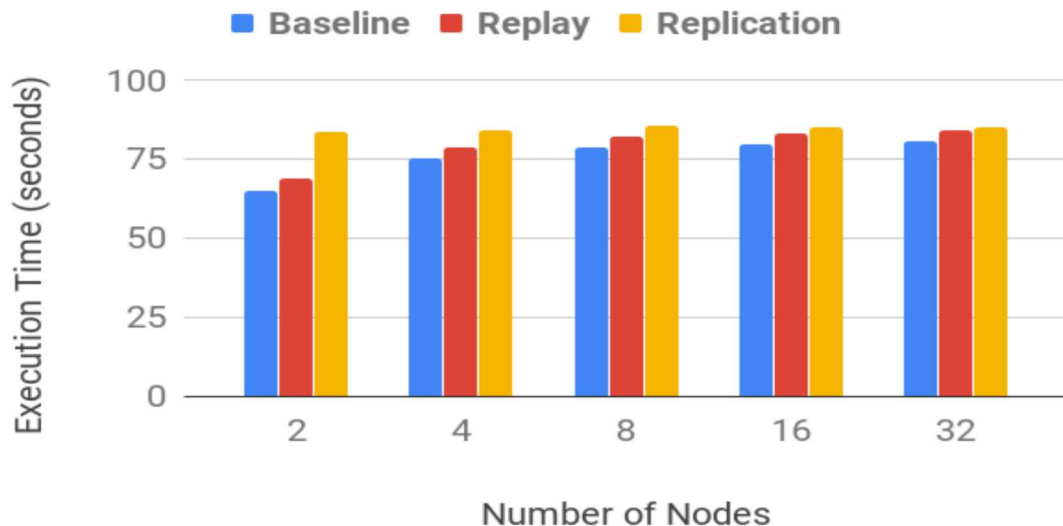


- Replication is expensive for 1D stencil, CG and SW.
- Observed some cache hits with 3D stencil
- High cache hits and critical path in task-base Cholesky suffers less replication overhead

Application delay is proportional to the # of failures

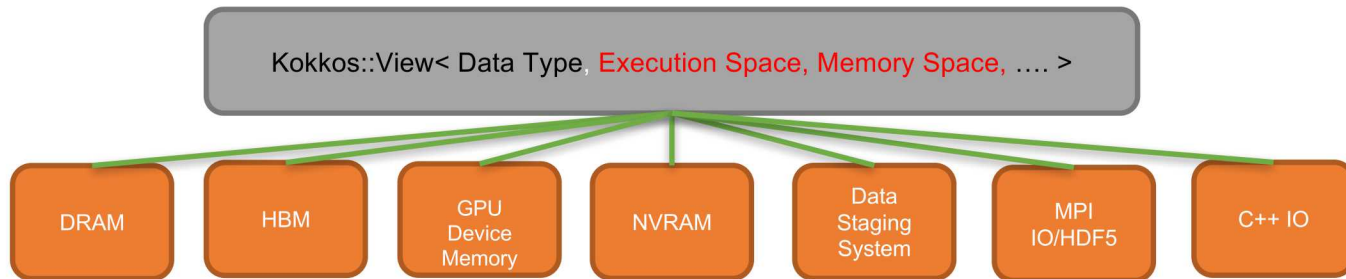


Scalability of 3D stencil code (MPI+Reslinet HCLIB)



- MPI-HCLIB implementation (1D, weak scaling, over-decomposed)
 - MPI (2-sided) calls are running on special worker (thread-funnel).
 - Preliminary results indicate replication overhead are masked by MPI overhead

Ongoing Work: Resilient Kokkos



- Kokkos provides abstraction of data and (on-node) parallel program execution
 - Kokkos::View provides an array with a variety of tunable parameters through template
 - **Execution Space and Memory Space** to provide performance portability over multiple node architecture
 - Exploit C++ Lambda to support parallel program execution
- Kokkos' abstraction to enable resilient parallel computation!
 - **Resilient Execution Space** for redundant program execution
 - **Resilient Memory Space** for checkpointing and data redundancy

Parallel Programming with Kokkos

Serial

```
for (size_t i = 0; i < N; ++i)
{
    /* loop body */
}
```

OpenMP

```
#pragma omp parallel for
for (size_t i = 0; i < N; ++i)
{
    /* loop body */
}
```

Kokkos

```
parallel_for (( N, [=], (const size_t i)
{
    /* loop body */
}));
```

- Provide parallel loop operations using C++ language features
- Conceptually, the usage is no more difficult than OpenMP. The annotations just go in different places.

Resilient Kokkos enables resilient data parallel computation with ease

```
Kokkos::View<double*, ..., ResilientSpace> A(1000);  
parallel_for( RangePolicy<>(0, 100), KOKKOS_LAMBDA(  
const int i)  
{  
    A(i)=...;  
});
```

Replication

```
parallel_for( RangePolicy<>(0, 100), KOKKOS_LAMBDA(  
const int i)  
{  
    A(i)=...;  
});
```

```
Kokkos::View< ... > a( "a", ... );  
Kokkos::View< ... > b( "b", ... );  
Kokkos::View< ... > c( "c", ... );
```

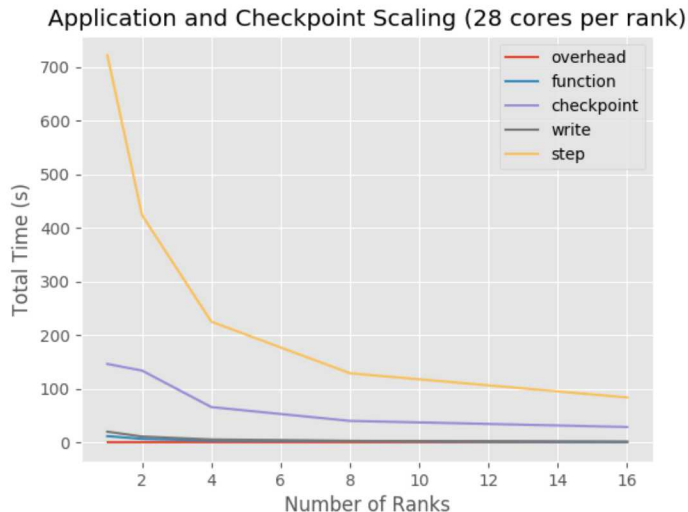
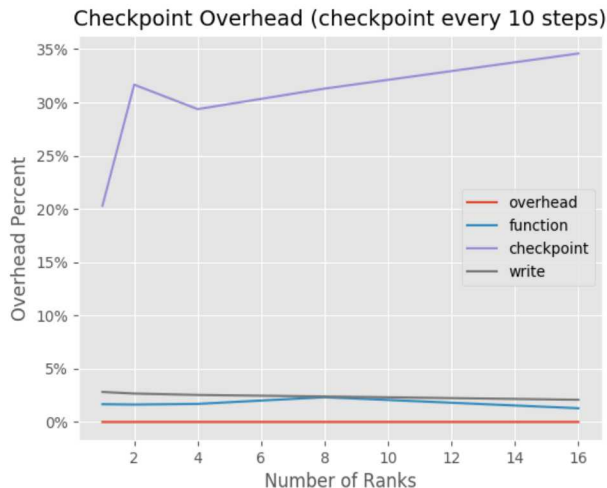
Lambda captures all Kokkos::View instances

```
for ( int iter = 0; iter < 100; ++iter )  
{  
    // Will generate "compute_stuff/<view>.<iter>.bin" for all captured views  
    Kokkos::checkpoint( "compute_stuff", iter, true, KOKKOS_LAMBDA {  
        Kokkos::parallel_for( N, KOKKOS_LAMBDA( int i ) {  
            // Some computation with a and b  
        } );  
  
        Kokkos::parallel_for( N, KOKKOS_LAMBDA( int i ) {  
            // Some other computation with a and c  
        } );  
    } );  
}
```

Automatic Checkpointing

Checkpoint
"loop_1_A_B_C"

Performance of MiniMD



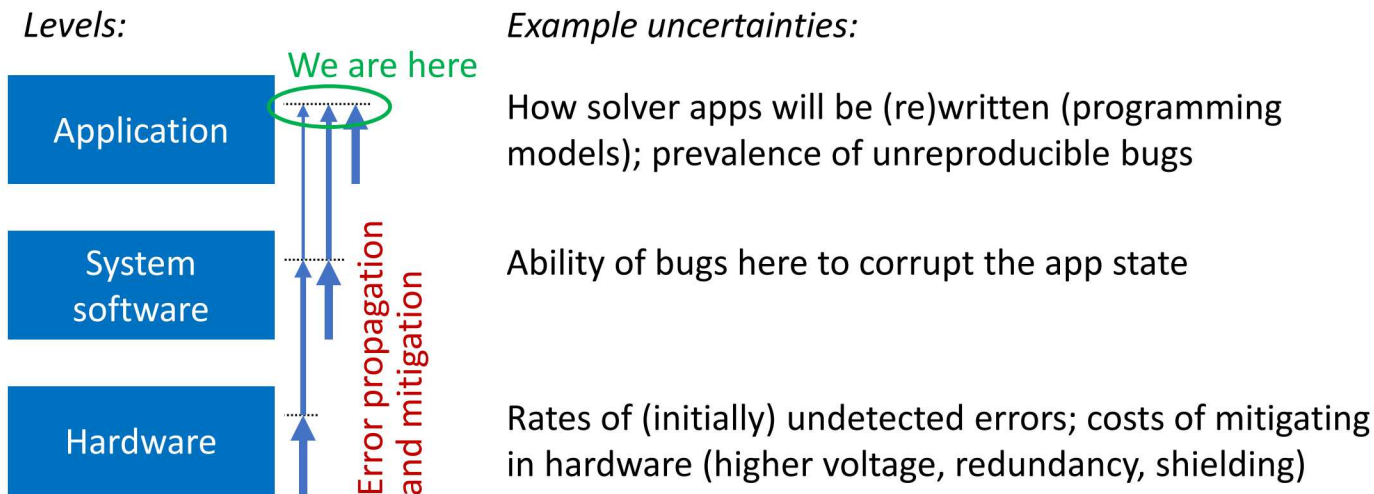
- Molecular Dynamics App: 32M atoms in 200x200x200 cells
- Strong scalability on 2CPUs/Node Haswell Cluster with FDR IB
- Checkpoint every 10 time steps
- Resilient Memory Space interfaced to VeloC (using the file-based checkpointing)
- **Negligible overhead for Kokkos runtime**

Outline

1. Programming models for scalable resilience.
2. Algorithm Based Fault Tolerance: Global vs Local recovery.

Algorithm Based Fault Tolerance (ABFT)

- Handling hard failures is not enough for resilience.
 - An error does not always cause a crash, but leads to a “wrong” answer.
 - Physics of the problem could be leveraged to detect an error, before wide spread failure.
- Application-level detection can be a powerful complement to resilient programming models

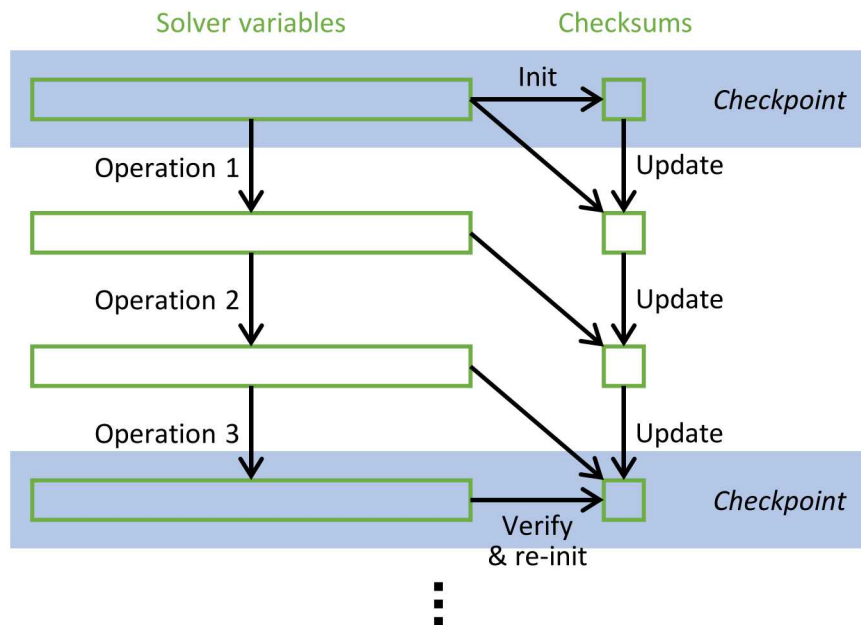


Generalizing ABFT: Physics Based Checksums

- Leverage existing work on ABFT for linear algebra, but incorporate physics.
- **Key idea:** Focus only on detection of silent errors, treat them same as hard failures.
- Enabling assumptions:
 - Failures are locally rare (component MTBFs are long, if not system MTBFs).
 - Checkpoint/restart in some form will be used/available.
 - Keep resilience overhead small.
 - Applications are solving physics equations that satisfy conservation laws.
 - Silent hardware errors and software anomalies will typically violate conservation.

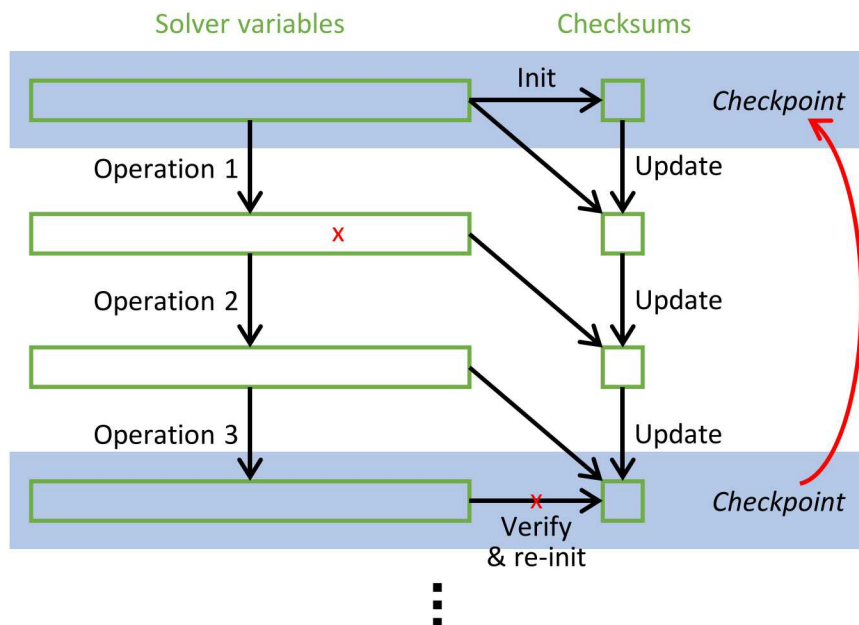
Checksums for Efficient Redundancy

- Introduce a smaller side computation that remains consistent with solver state if no errors.
- Verify consistency intermittently, just before each checkpoint



Checksums for Efficient Redundancy

- Introduce a smaller side computation that remains consistent with solver state if no errors.
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Checksums from Conservation Laws

- General local conservation law (density ρ , flux \mathbf{J}): $\frac{\partial \rho}{\partial t} = -\nabla \cdot \mathbf{J}$
- Conserved quantity in a region R (e.g., a computational subdomain): $Q(R) = \int_R dV \rho$
- Integrated conservation law: $\frac{dQ(R)}{dt} = - \oint_{\partial R} d\mathbf{S} \cdot \mathbf{J}$
- $Q(R)$ changes only by flux through boundary, which is much faster to compute than $Q(R)$ itself:
 - When discretized form of this conservation law holds, $Q(R)$, is a local physics-based checksum that can be updated efficiently and verified intermittently.
 - No global communication beyond what solver already performs; flux in each subdomain can be computed from data already being communicated between processes.

Application: 1D Linear Advection Equation

- 1D linear advection equation $\frac{\partial \phi}{\partial t} + \nu \frac{\partial \phi}{\partial x} = 0$

- Consider the Lax-Wendroff stencil (with $c = \nu \Delta t / \Delta x$):

$$\phi_j^{n+1} = \frac{1}{2}c(c+1)\phi_{j-1}^n + (1-c^2)\phi_j^n + \frac{1}{2}c(c-1)\phi_{j+1}^n$$

- The discretized conserved quantity on each local subdomain is $Q(\phi) = \sum_i \phi_i$
- The conserved quantity, checksum, can be updated independently of local state:

$$Q(\phi^{n+1}) = Q(\phi^n) + \frac{c(c+1)}{2}(\phi_{-1}^n - \phi_{N-1}^n) + \frac{c(c-1)}{2}(\phi_N^n - \phi_0^n)$$

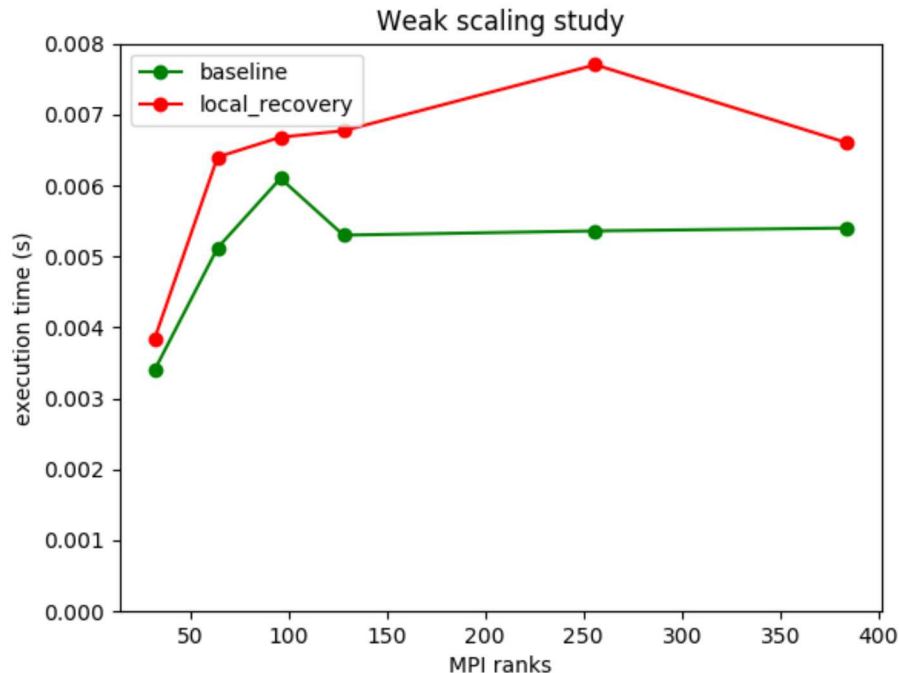
- Checksum update requires only neighbouring (ghost) points.

Local vs Global Recovery

- The physics based checksum allow an efficient, purely local error detection mechanism.
- Upon detection, suitable resilience mechanisms can be deployed.
- Checkpoint/Rollback is most common; but global rollback recovery is a disproportionate response for a purely local detection mechanism.
- We examined “local” and “global” recovery using Fenix:
 - An MPI-based fault tolerance library for distributed resilience.
 - Primary design is for hard failure (process loss); built on top of MPI-ULFM.
 - Provides APIs for data “store”/ “restore” operations to recover from process loss.
 - Extended to provide purely local recovery (no MPI process loss, no communication for store/restore).

Results: Weak scaling study

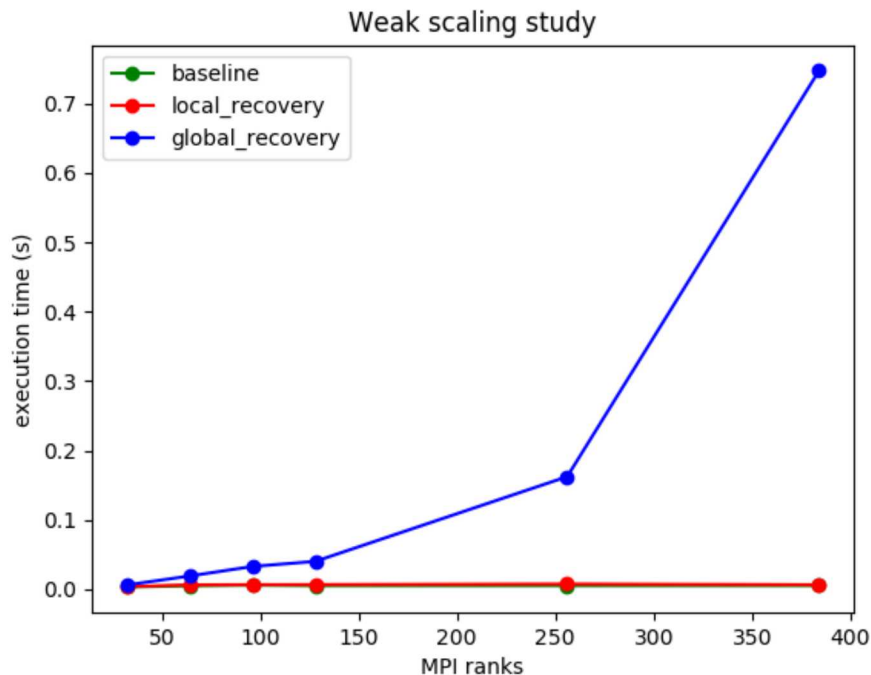
- Weak scaling study of baseline, local_recovery and global_recovery versions of 1D stencil.
- Emulated silent error rate of 0.01, 1000 grid points per rank, 1000 iterations, runs on Cori.



- Local checkpoint/restart adds marginal overhead.
- Does not disrupt weak scalability of the baseline code.
- Problem size is cache friendly.

Results: Weak scaling study

- Weak scaling study of baseline, local_recovery and global_recovery versions of 1D stencil.
- Emulated silent error rate of 0.01, 1000 grid points per rank, 1000 iterations, runs on Cori.



- Global recovery involves an global agreement (anyone fails, everyone rolls back).
- Not scalable, recovery cost scales with number of ranks.
- Cascading cost of recovery (some ranks stuck in an endless loop of restarts).