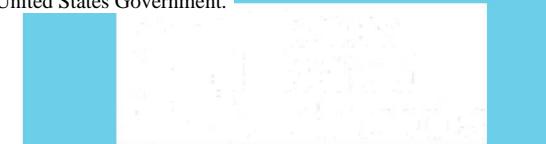
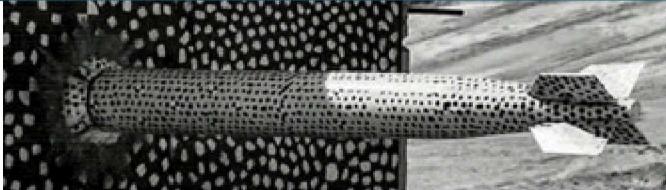


Initial Comparison to Experiments of EMPIRE Simulations with Diodes Driven by the Photoelectric Effect



PRESENTED BY

Keith L. Cartwright, Chris H. Moore, Nick Roberds, Kate S. Bell, Tim M. Flanagan, Peggy J. Christenson, Matt T. Bettencourt, Tim D. Pointon, C. David Turner, and Elaine M. Raybourn



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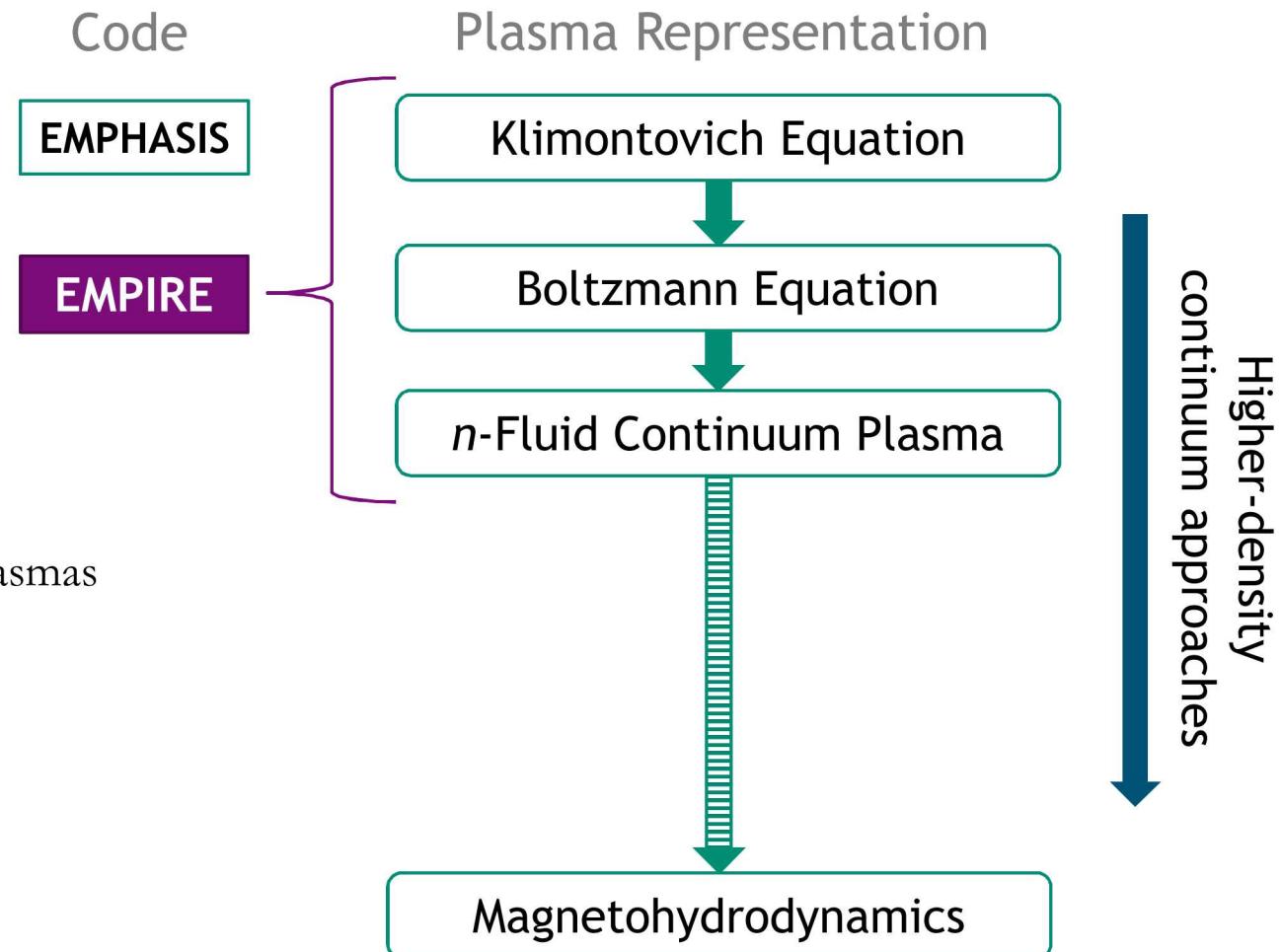
- What is EMPIRE
 - Research in Algorithms and Computer Science
- Simulations of diodes driven by photoelectric effect on Z and NIF
 - Vacuum
 - Gas filled
 - Surface Heating

EMPIRE's Grand Vision: Plasma Physics Modeling

EMPHASIS is our current production low density plasma simulation tool

EMPIRE adds new capabilities:

- Written for advanced computing architectures
 - GPGPU, Intel Phi, ARM...
- Expanded particle-based modeling regime
 - DSMC (changing background)/MCC
 - Implicit PIC in term of plasma density and magnetic field
- Full continuum fluid plasma modeling for high-density plasmas
 - Drift-Diffusion approximation
 - Local Mean Energy Approximation (LMEA)
 - Local Field Approximation (LFA)
- Hybrid particle-fluid modeling for intermediate densities



EMPIRE's Grand Vision: Integrated Suite of Capabilities

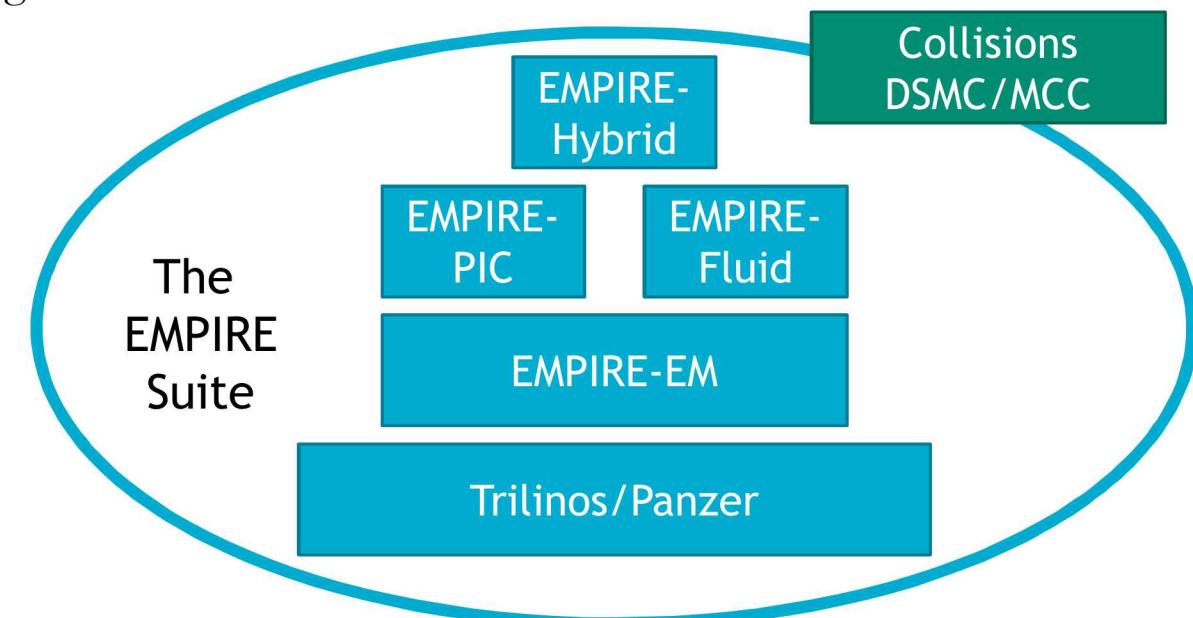
EMPIRE is being designed to be our “next-generation” “low density” plasma modeling tool

EMPIRE builds off various components to achieve performance portable physics representation

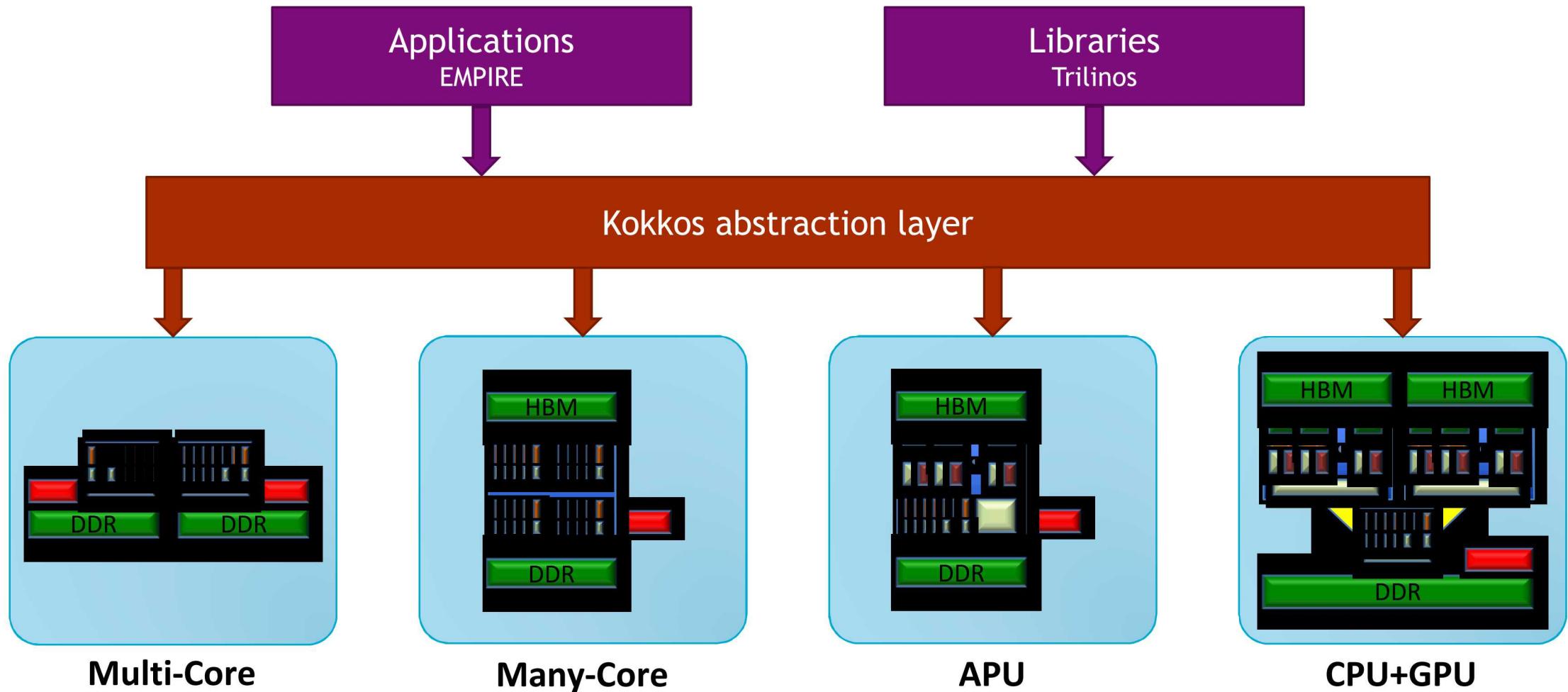
- EMPIRE-EM: Core time-domain Maxwell’s equations for electromagnetics
- EMPIRE-PIC: Particle-in-Cell plasma modeling
- EMPIRE-Fluid: Multi-species fluid plasma modeling
- EMPIRE-Hybrid: Coupled Fluid/PIC plasma modeling

EMPIRE is built upon Trilinos components:

- Panzer: FEM discretization tools
- Tempus: General time integration package
- Uses the modern Tpetra-based linear solver stack
- Kokkos: Portable threading library



Performance Portability Through Kokkos



Kokkos is the cornerstone for performance portability across next generation HPC architectures at multiple DOE laboratories and other organizations.



Maxwell's Dynamical Equations:

$$\nabla \times \mathbf{E} = -\frac{\partial \mathbf{B}}{\partial t}$$

Subject to the initial value constraints:

$$\nabla \cdot \mathbf{B} = 0$$

$$\nabla \cdot \mathbf{D} = \rho$$

$$\nabla \times \mathbf{H} = \mathbf{J} + \frac{\partial \mathbf{D}}{\partial t}$$

With the definitions for macroscopic media:

$$\mathbf{D} = \epsilon \mathbf{E} \quad \mathbf{J} = \sigma \mathbf{E}$$

$$\mathbf{B} = \mu \mathbf{H}$$

Relativistic Lorentz Force Law for relativistic velocity $u=v\gamma$:

$$\frac{d\mathbf{u}}{dt} = \frac{q}{m} \left[\mathbf{E} + \frac{\mathbf{u} \times \mathbf{B}}{\gamma} \right]$$



Relativistic Klimontovich Equation

$$\frac{\partial N_s(\mathbf{x}, \mathbf{u}, t)}{\partial t} + \mathbf{v} \cdot \nabla_x N_s + \frac{q_s}{m_s} \left(\mathbf{E} + \frac{\mathbf{v}}{c} \times \mathbf{B} \right) \cdot \nabla_u N_s = \frac{\partial N_s(\mathbf{x}, \mathbf{u}, t)}{\partial t} \Big|_c$$

$$\rho(\mathbf{x}, t) = \sum_{species} q_s \int d\mathbf{u} N_s(\mathbf{x}, \mathbf{u}, t) \quad \mathbf{J}(\mathbf{x}, t) = \sum_{species} q_s \int d\mathbf{u} \mathbf{u} N_s(\mathbf{x}, \mathbf{u}, t)$$

Maxwell's Equations

$$\nabla \cdot \mathbf{D}(\mathbf{x}, t) = \frac{\rho(\mathbf{x}, t)}{\epsilon_0}$$

$$\nabla \cdot \mathbf{B}(\mathbf{x}, t) = 0$$

$$\nabla \times \mathbf{E}(\mathbf{x}, t) = -\frac{\partial \mathbf{B}(\mathbf{x}, t)}{\partial t}$$

$$\nabla \times \mathbf{H}(\mathbf{x}, t) = \mu_0 \mathbf{J}(\mathbf{x}, t) + \mu_0 \epsilon_0 \frac{\partial \mathbf{D}(\mathbf{x}, t)}{\partial t}$$

Relativistic Klimontovich Equation

$$\frac{\partial N_s(\mathbf{x}, \mathbf{u}, t)}{\partial t} + \mathbf{v} \cdot \nabla_x N_s + \frac{q_s}{m_s} \left(\mathbf{E} + \frac{\mathbf{v}}{c} \times \mathbf{B} \right) \cdot \nabla_u N_s = \frac{\partial N_s(\mathbf{x}, \mathbf{u}, t)}{\partial t} \Big|_c$$

Fixed \mathbf{E} and \mathbf{B} , often zero


This contains the
uncertainty in the model

Fluid formulation for plasma modeling

A multi-species 5-moment model derived by taking moments of the collisional Boltzmann equation over velocity space:

$$\frac{\partial \rho_\alpha}{\partial t} + \nabla \cdot (\rho_\alpha \mathbf{u}_\alpha) = \sum_{\text{srcs}} m_\alpha \Gamma^{\text{src}} - \sum_{\text{sinks}} m_\alpha \Gamma^{\text{sink}}$$

$$\begin{aligned} \frac{\partial(\rho_\alpha \mathbf{u}_\alpha)}{\partial t} + \nabla \cdot (\rho_\alpha \mathbf{u}_\alpha \otimes \mathbf{u}_\alpha + p_\alpha I + \Pi_\alpha) &= \frac{q_\alpha}{m_\alpha} \rho_\alpha (\mathbf{E} + \mathbf{u}_\alpha \times \mathbf{B}) \\ &\quad + \sum_{\text{srcs}} m_\alpha \mathbf{u}_{\text{src}} \Gamma^{\text{src}} - \sum_{\text{sinks}} m_\alpha \mathbf{u}_\alpha \Gamma^{\text{sink}} + \sum_{\beta \neq \alpha} \mathbf{R}^{\alpha, \beta} \end{aligned}$$

$$\begin{aligned} \frac{\partial \mathcal{E}_\alpha}{\partial t} + \nabla \cdot ((\mathcal{E}_\alpha + p_\alpha) \mathbf{u}_\alpha + \mathbf{u}_\alpha \cdot \Pi_\alpha + \mathbf{h}_\alpha) &= \frac{q_\alpha}{m_\alpha} \rho_\alpha \mathbf{E} \cdot \mathbf{u}_\alpha + \sum_{\beta \neq \alpha} (\mathbf{u}_\alpha \mathbf{R}^{\alpha, \beta} + Q^{\alpha, \beta}) \\ &\quad + \frac{1}{2} \sum_{\text{srcs}} m_\alpha u_{\text{src}}^2 \Gamma^{\text{src}} - \frac{1}{2} \sum_{\text{sinks}} m_\alpha u_\alpha^2 \Gamma^{\text{sink}} \end{aligned}$$

Much faster than PIC for simulating high-density collisional plasma environments

EMPIRE Simulations of Diodes Driven by the Photoelectric Effect

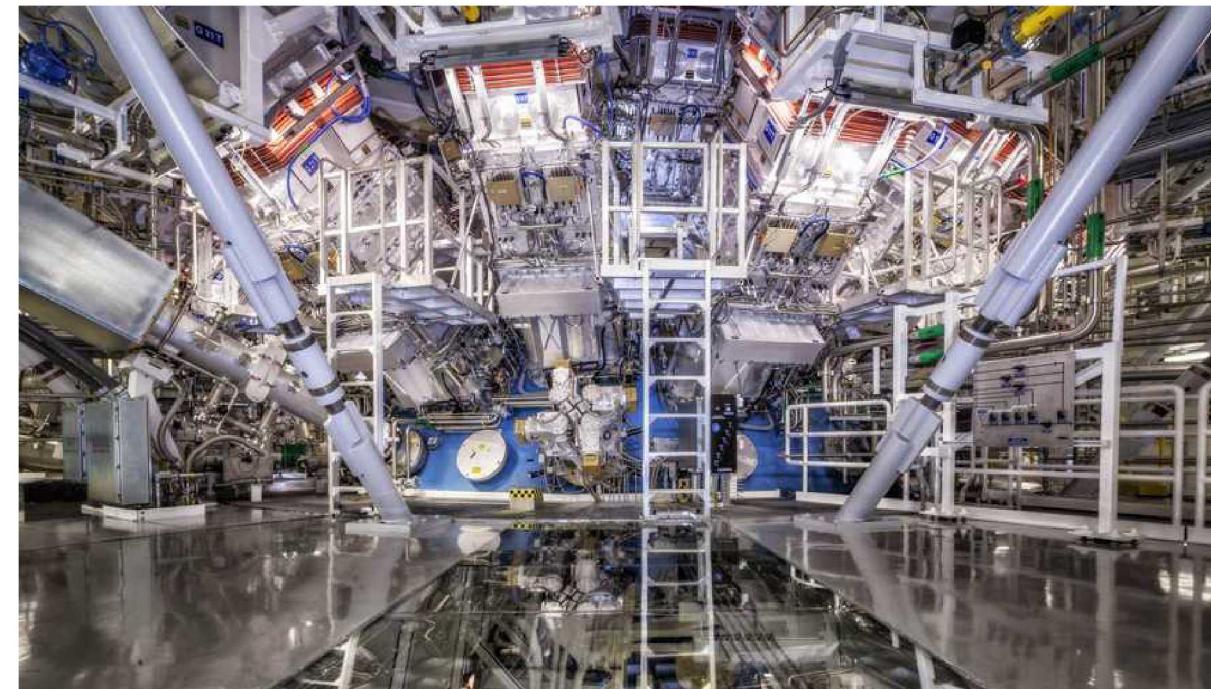


Comparison of EMPIRE Simulations with Diodes Driven by the Photoelectric Effect:

- Benchmark capability and identify missing physics in EMPIRE
- Advance capability in particle emission and collision models

Motivation:

- Drive development of necessary physics (sources, collisions, heating)
- Drive development of software capability (solvers, load balancing, particle merge algorithms)
- Use simple verification and validation problems to build confidence in physics capability
- Build understanding in simulation uncertainties
- Build understanding in experimental measurement uncertainties



Outside NIF Target Chamber

EMPIRE Simulations of Diodes Driven by the Photoelectric Effect

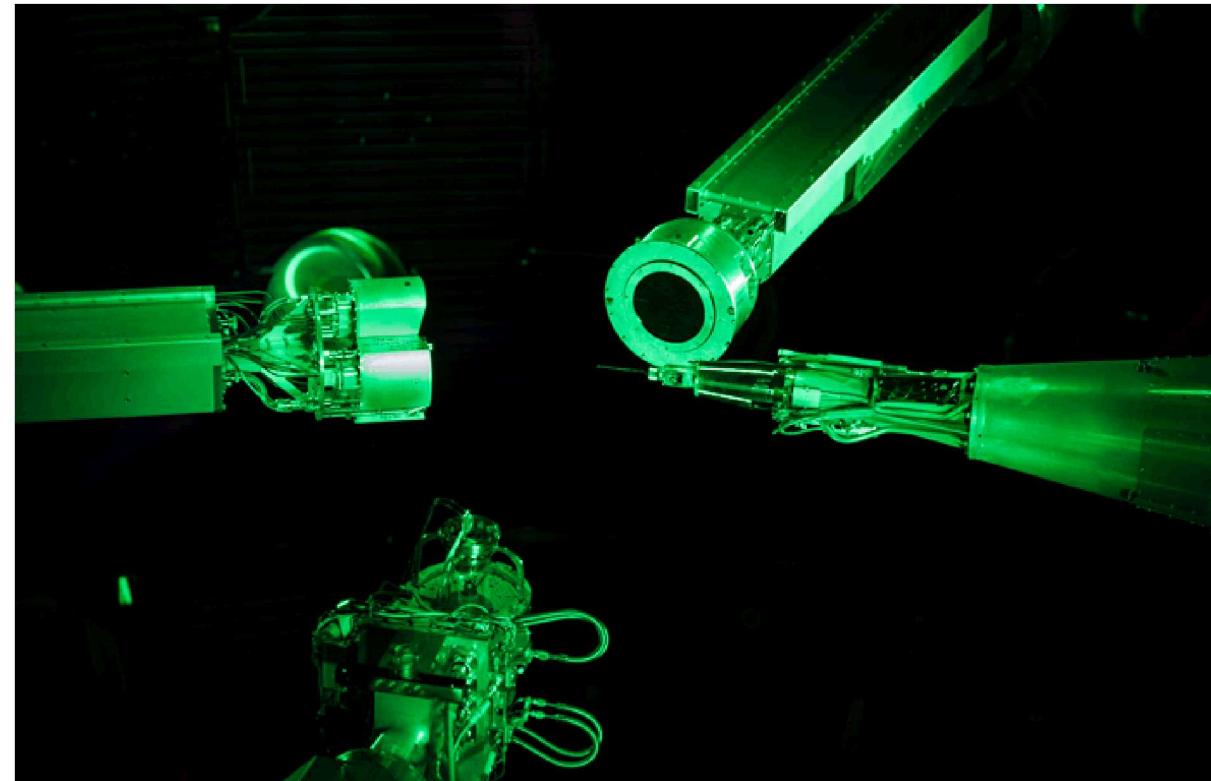


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Inside NIF Target Chamber

EMPIRE Simulations of Diodes Driven by the Photoelectric Effect

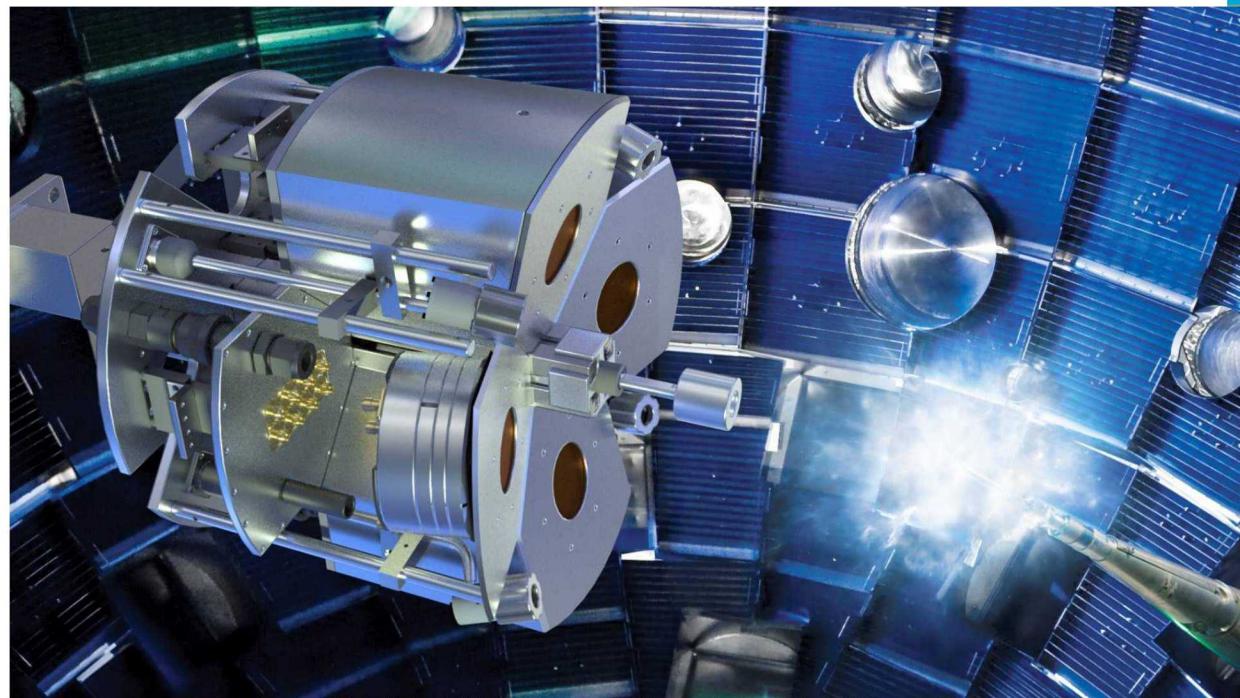


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Four cavity experiments on a diagnostic instrument manipulator

EMPIRE Simulations of Diodes Driven by the Photoelectric Effect

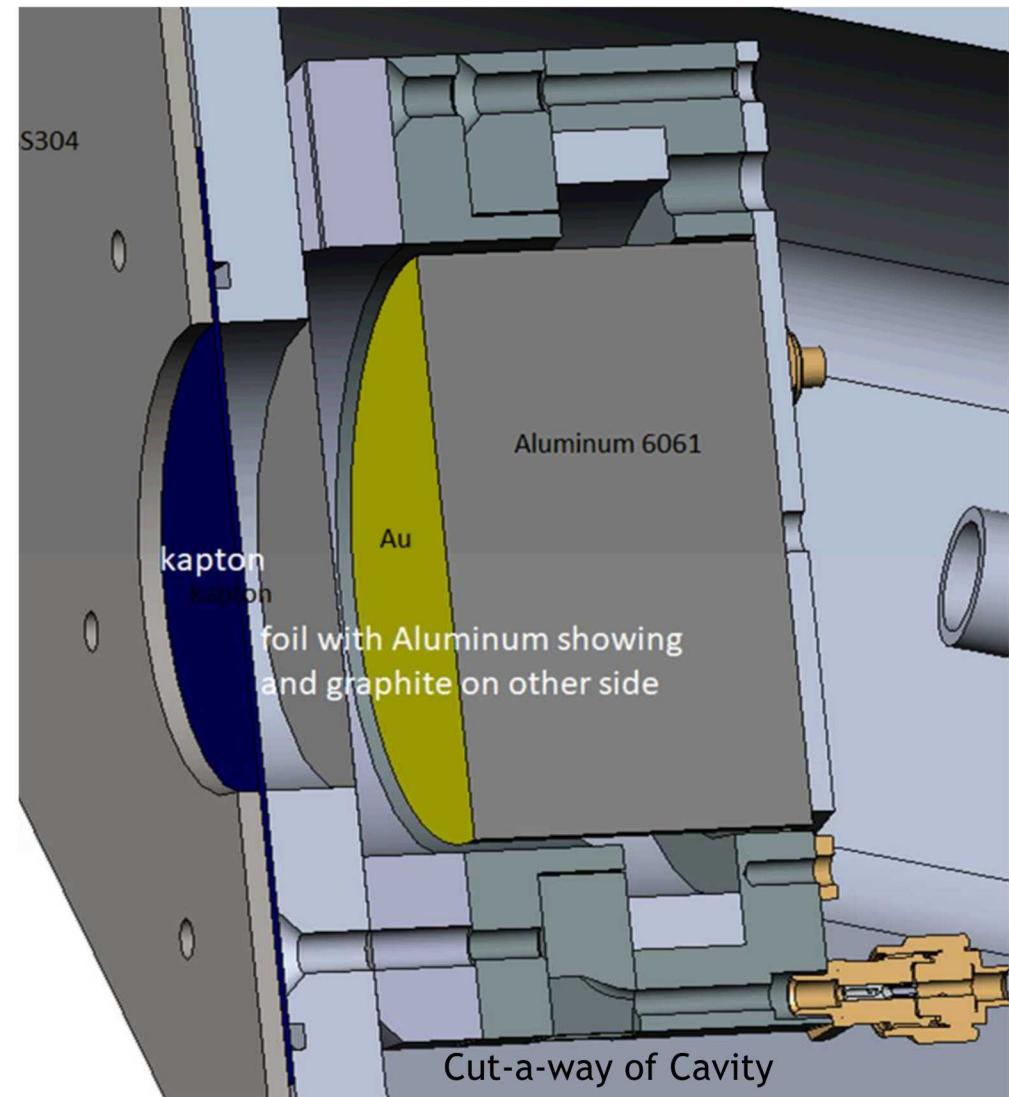


Comparison of EMPIRE Simulations with Diodes Driven by the Photoelectric Effect:

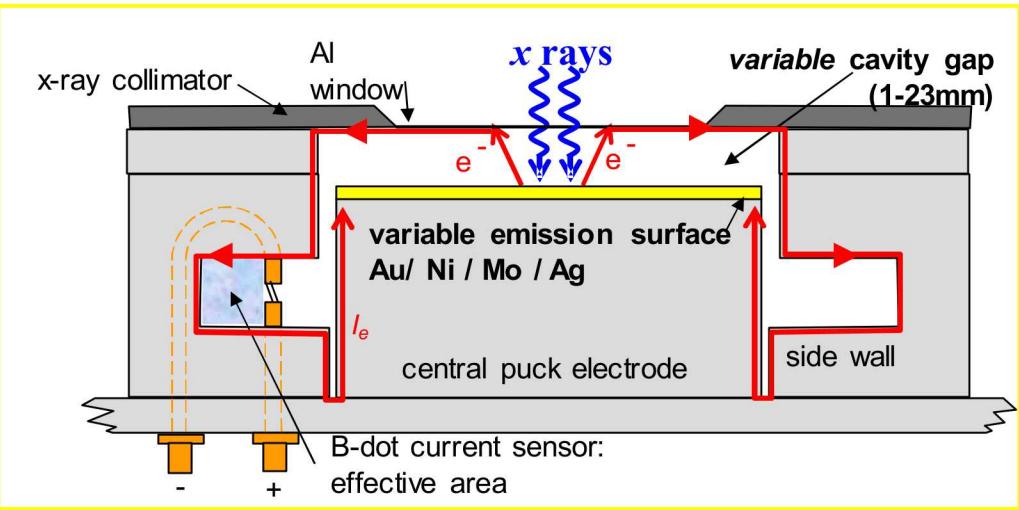
- Benchmark capability and identify missing physics in EMPIRE
- Advance capability in particle emission and collision models

Motivation:

- Drive development of necessary physics (sources, collisions, heating)
- Drive development of software capability (solvers, load balancing, particle merge algorithms)
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- Build understanding in experimental measurement uncertainties



Parameterized B-Dot Cavity



10mm Gap

Problem Parameters:

Cavity height (mm)

Background neutral pressure

Wedge angle (degrees)

Parameterized injection boundary for:

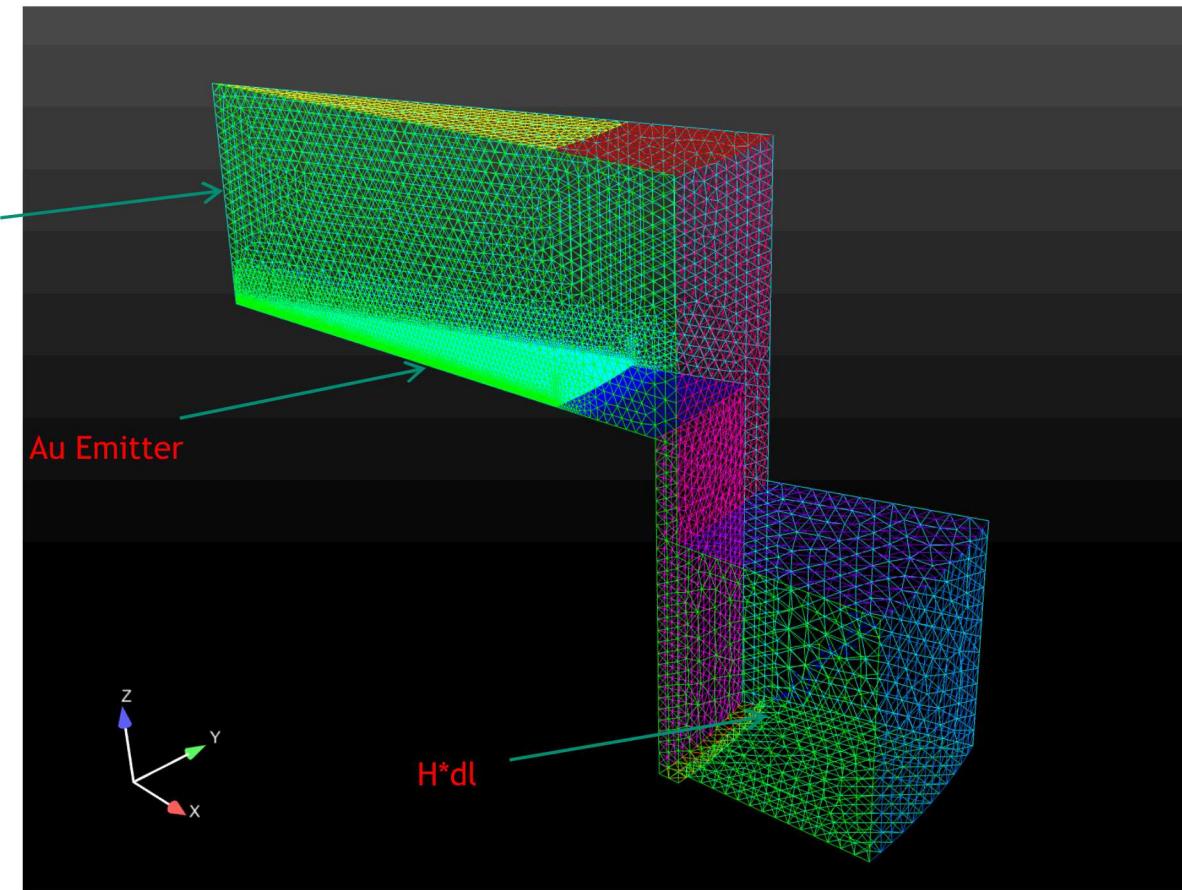
- Thermal emission energy

- ITS source
- SCL
- Neutral particle emission

Time step (s)

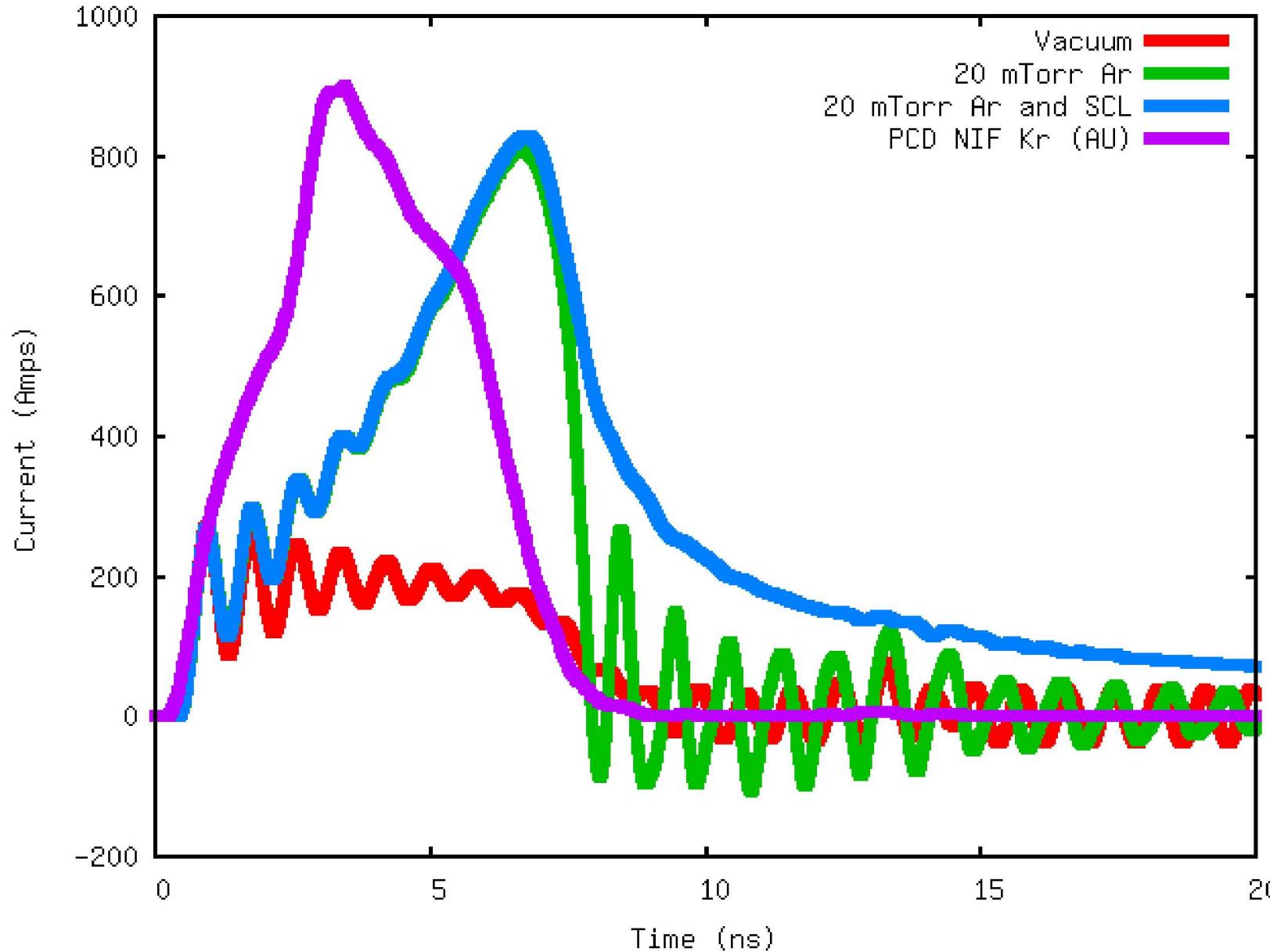
Simulation time (s)

Number of processors



B-Dot Nightly Testing: Includes a vacuum B-Dot with two vastly different currents. An argon-filled pressurized B-Dot with e-Ar collisions is under review.

Summary of Vacuum, Gas, and SCL emission

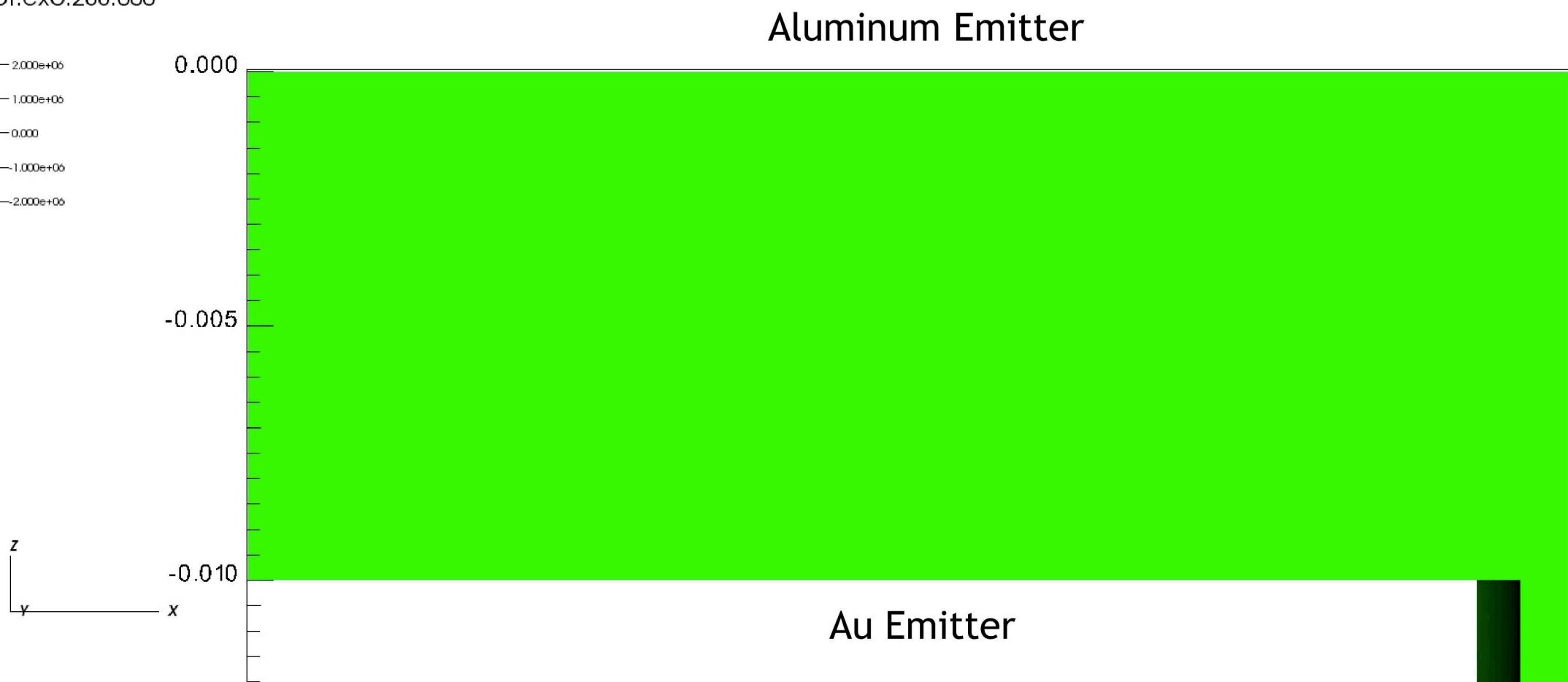
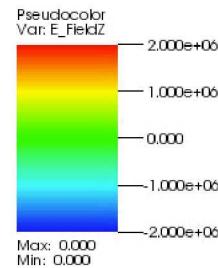


- Adding a background gas neutralizes the space charge barrier
- Adding space charge limited emission increases the tail and smooths the tail
 - Early time response is mostly ionization (collisions)
 - Late time with SCL is the SCL boundary and the inductance of the system and scattering collisions (not ionization)
 - Without SCL ionizations continue through late time
- These effects have been explored in EMPHASIS

Vacuum B-dot: Electric Field in Z

DB: BDot.exo.288.000

Time:0



17

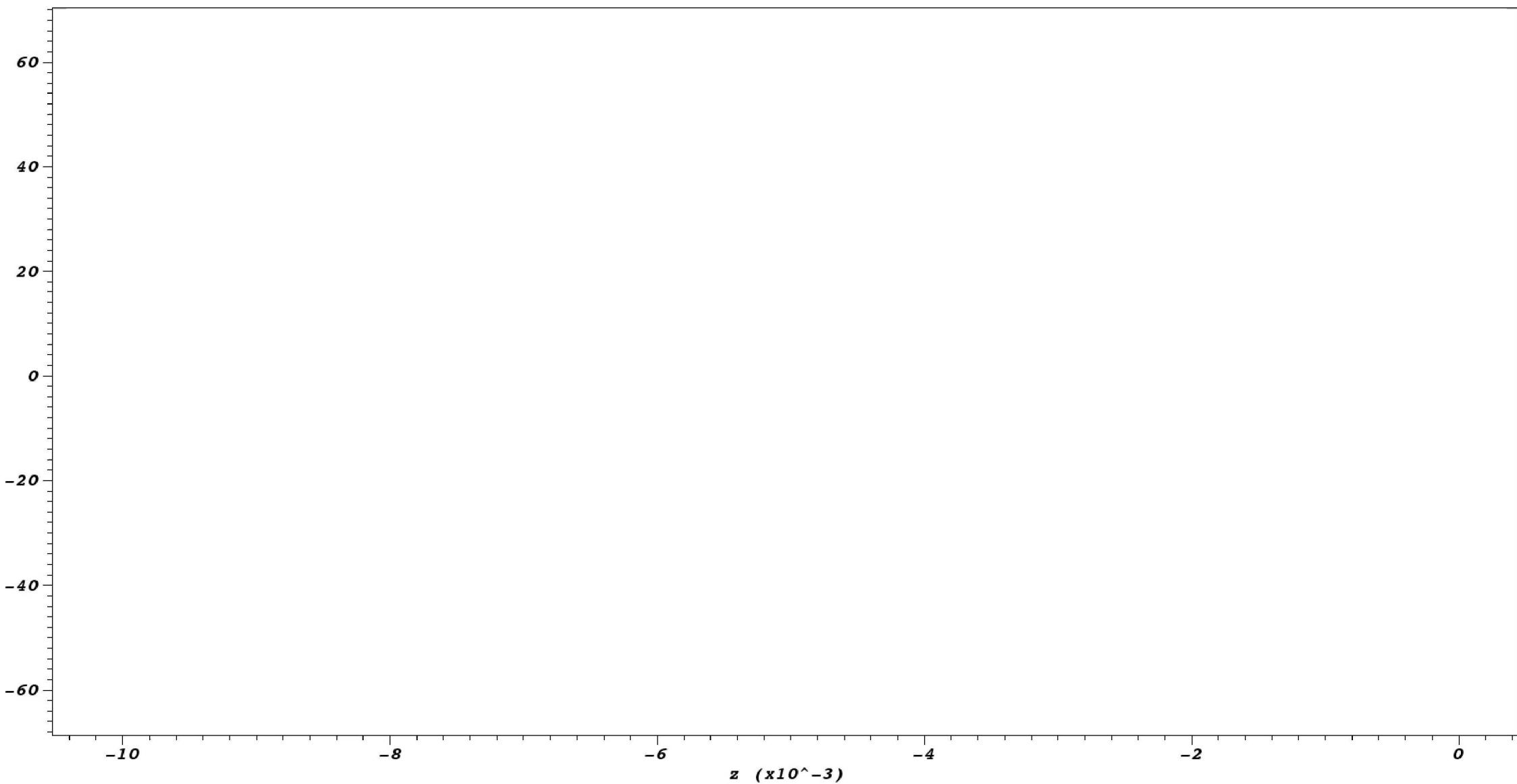
DB: BDot.h5part

Cycle: 3

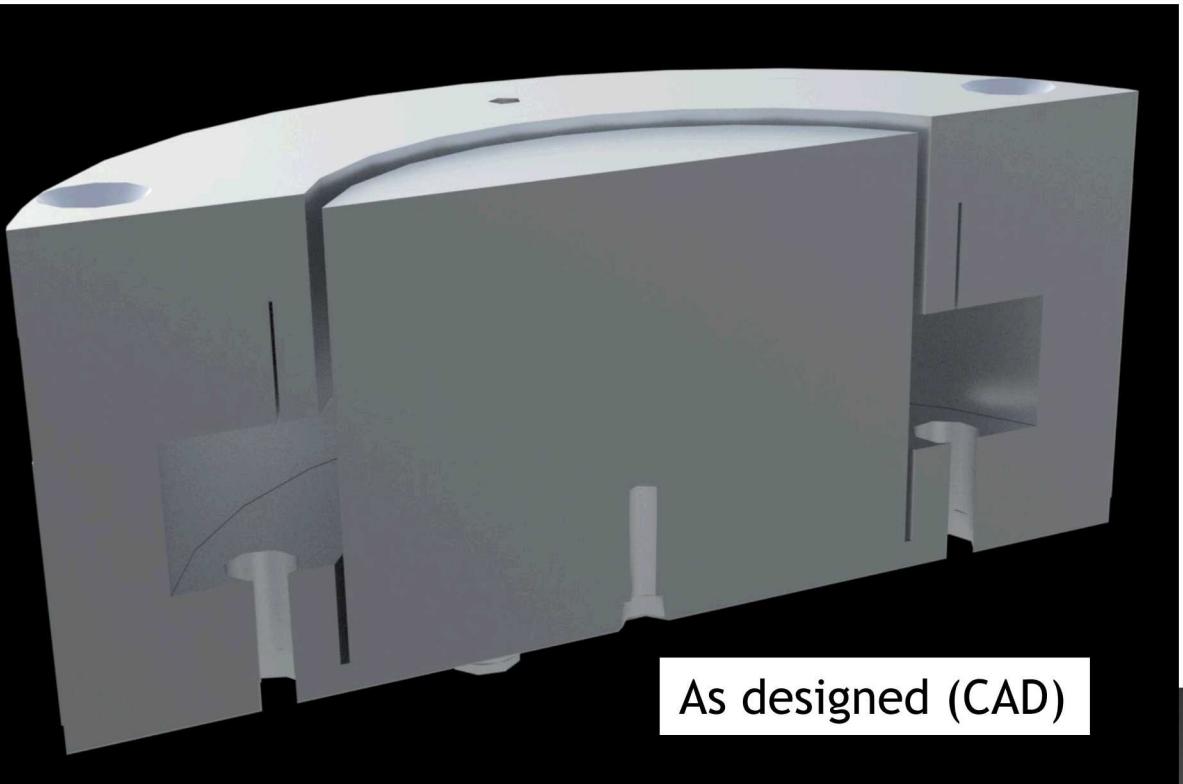
Time: 6.00415e-10

Vacuum B-dot: Phase Space

Au Emitter

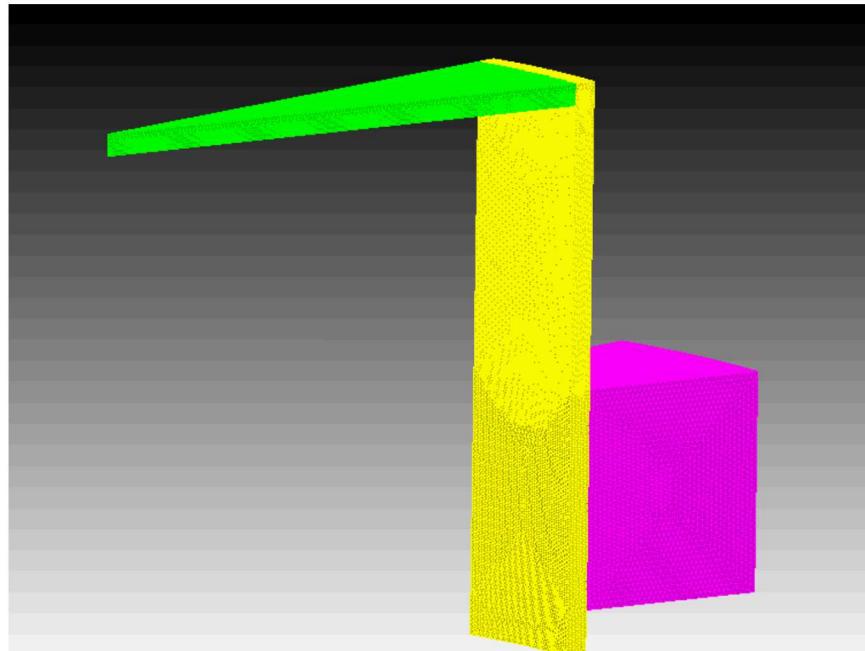


Aluminum Emitter



Below the space charge limit

- Testing photo electron emission
- Limited out gassing from surfaces

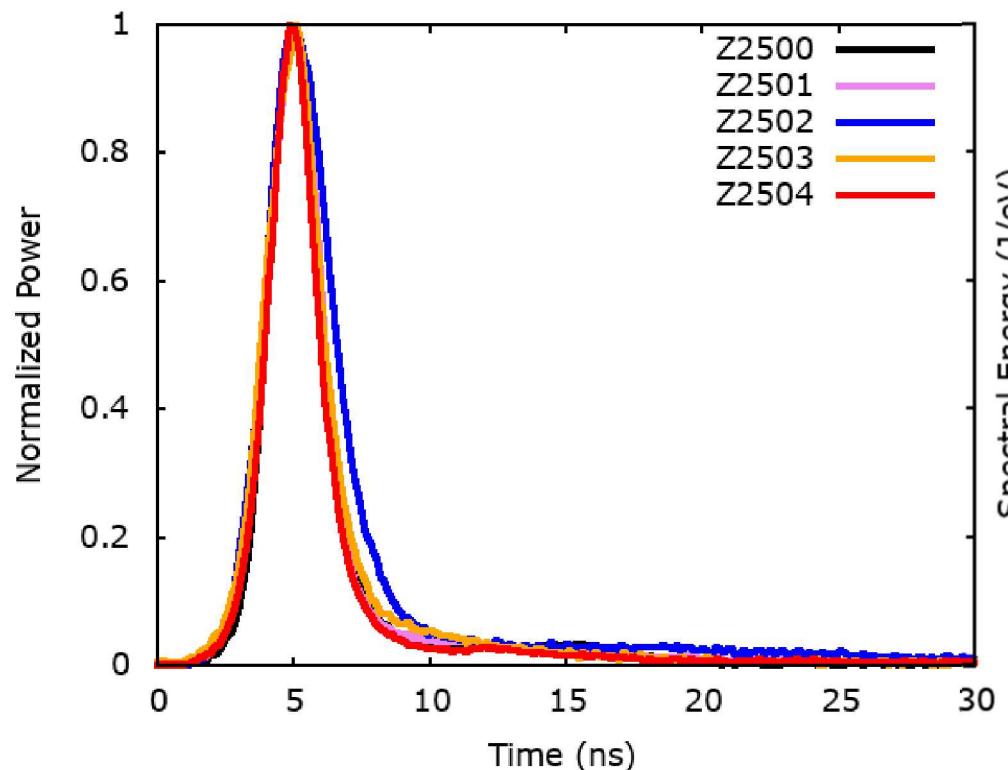


As Meshed

Input into Vacuum B-Dot Simulation



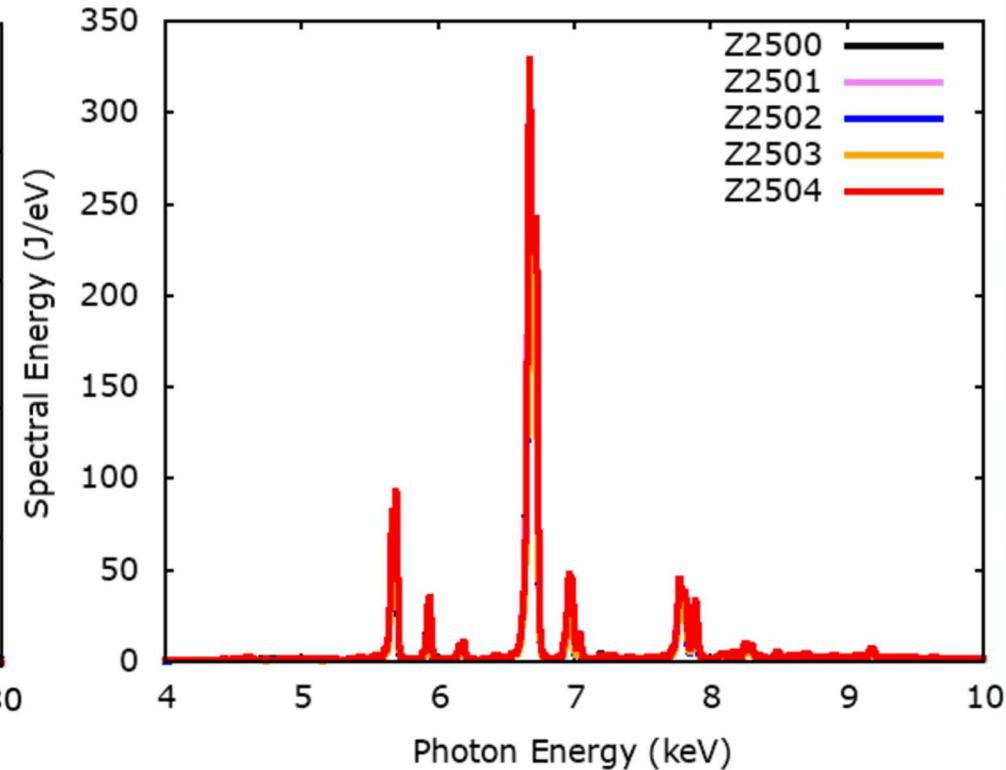
Shot	Yield (kJ)
2500	72 +/- 11
2501	89 +/- 14
2502	62 +/- 9
2503	60 +/- 6
2504	90 +/- 9



Yield is strongest driver

Pulse shape is second strongest driver

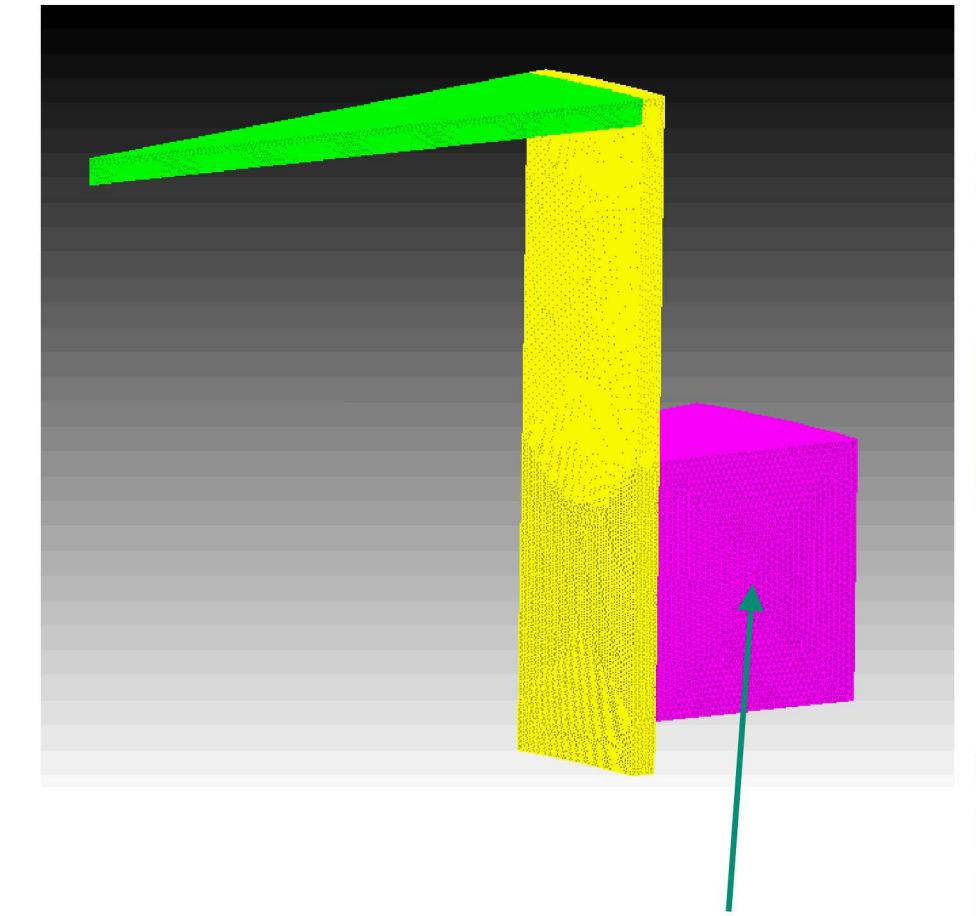
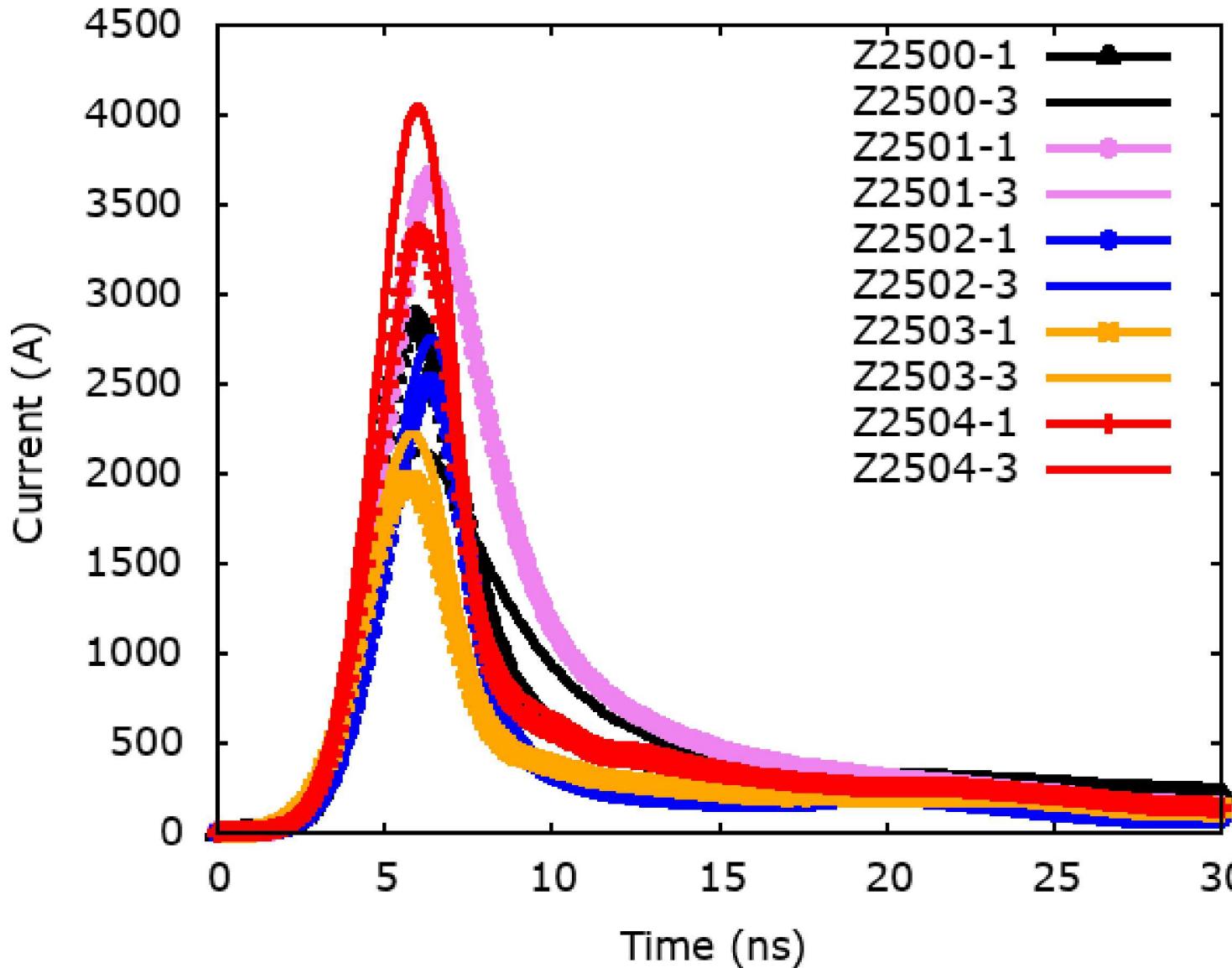
Ranking is driven by experiment variability



Spectrum is least driver

Current from Experimental

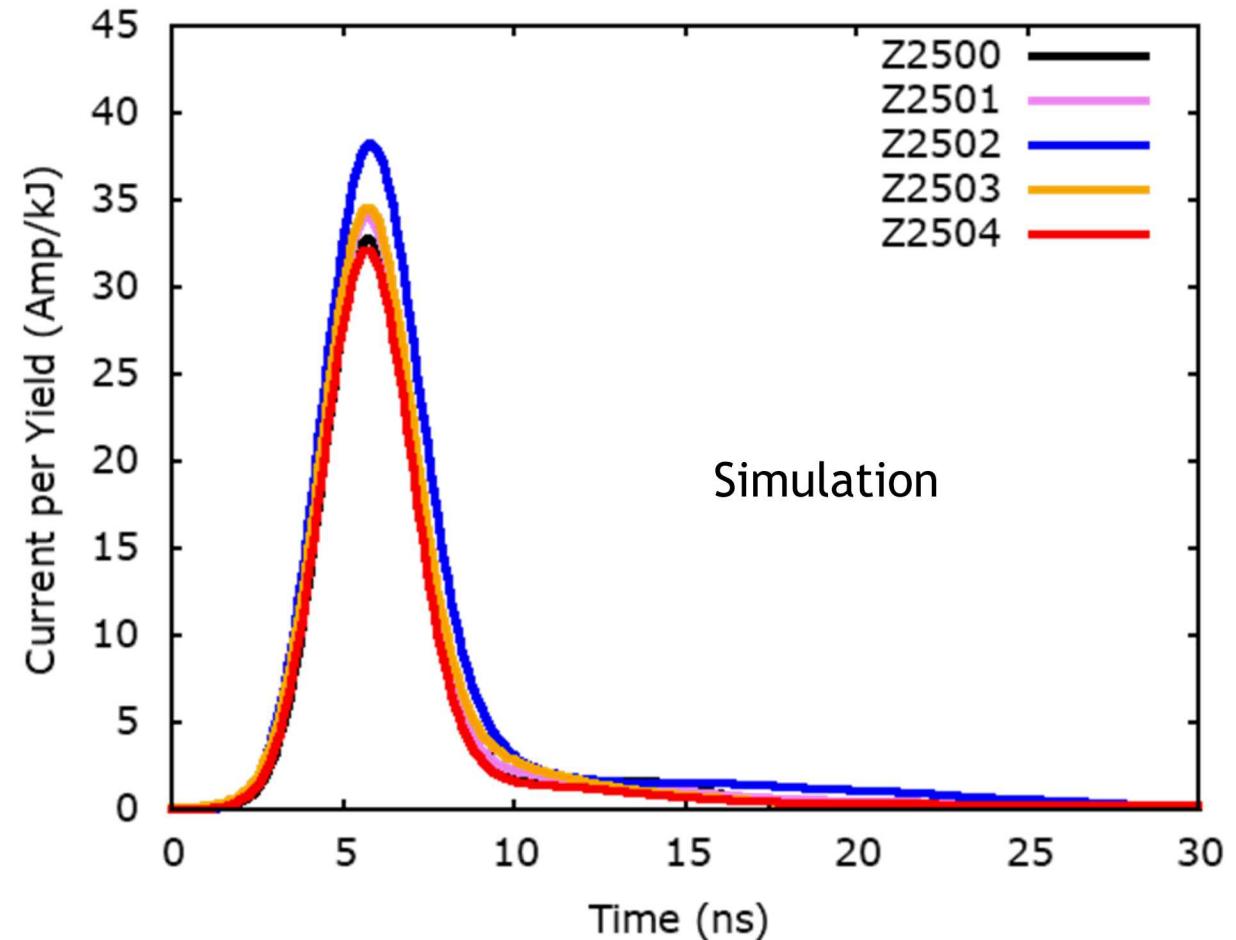
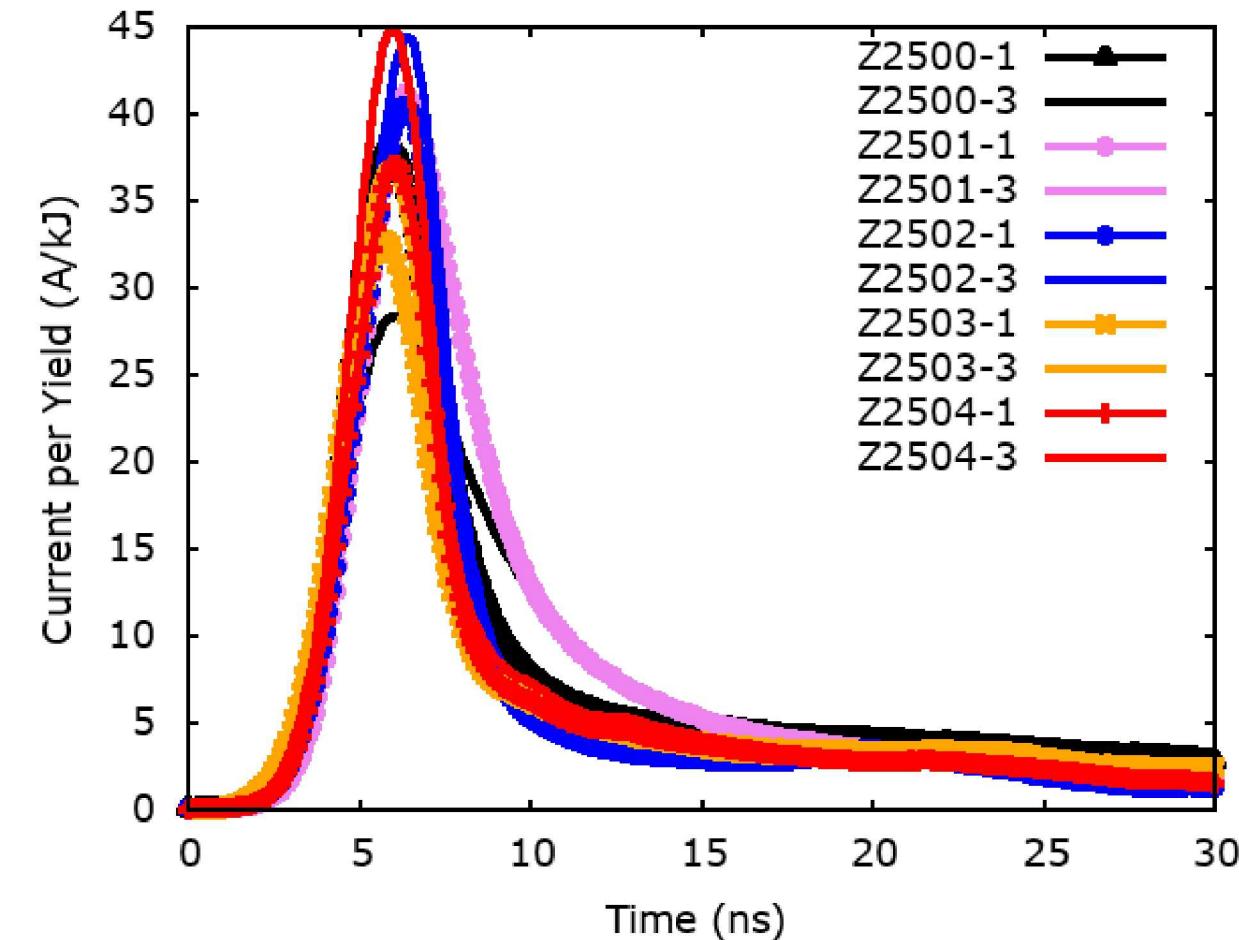
20



Current Sensor Location

Good Experimental Comparison For Low Fluence Vacuum B-Dot

21



Error Bound on Z Shot 2503: 95% Confidence Interval

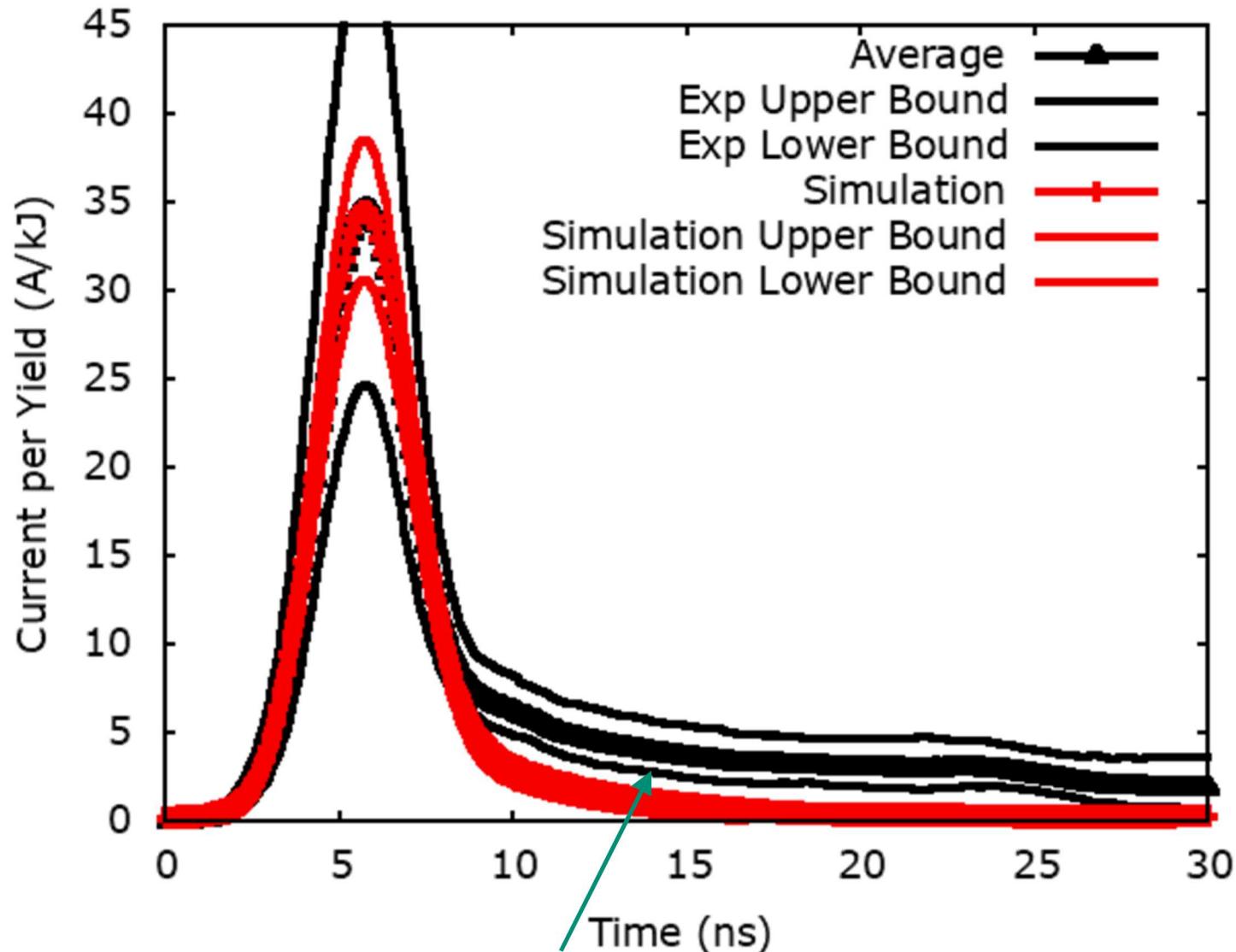
Assume 4 current sensors are independent measurements

- Use Student's t -distribution to estimate the bounds
- Yield is $60\text{kJ} \pm 12\text{kJ}$ (2 sigma)

Over estimation of the error because the environment might not be the same

Simulation error is the confidence interval assuming first order in dx , dt (CFL=6), and number of particles

- $dx = \sim \text{height}/8, \sim \text{height}/16, \text{ and } \sim \text{height}/32$



Late time current is larger in experiment could be because of outgassing

Introduction to 10mm Argon B-Dots

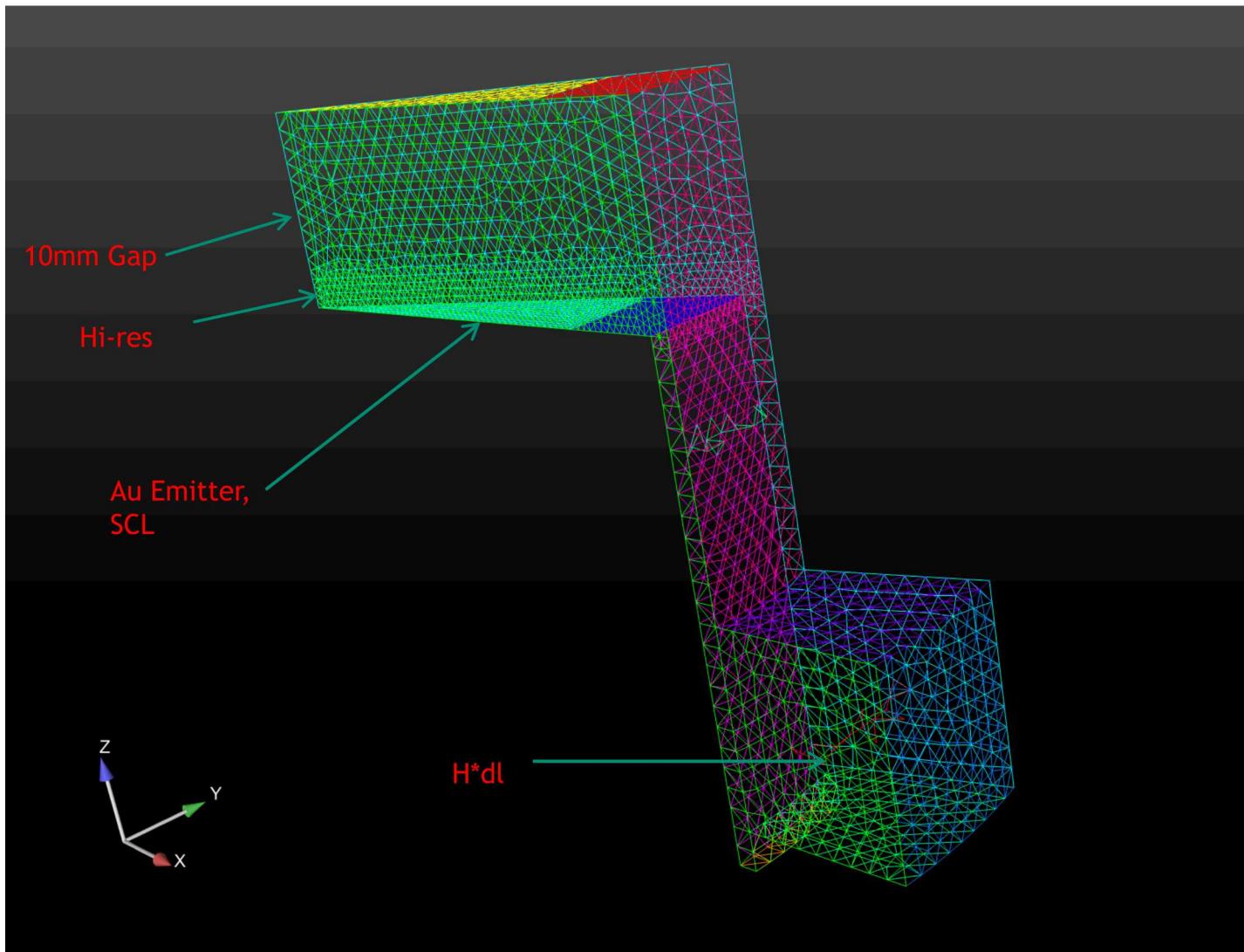


Goal of these experiment was to provide data with a simpler gas than N_2

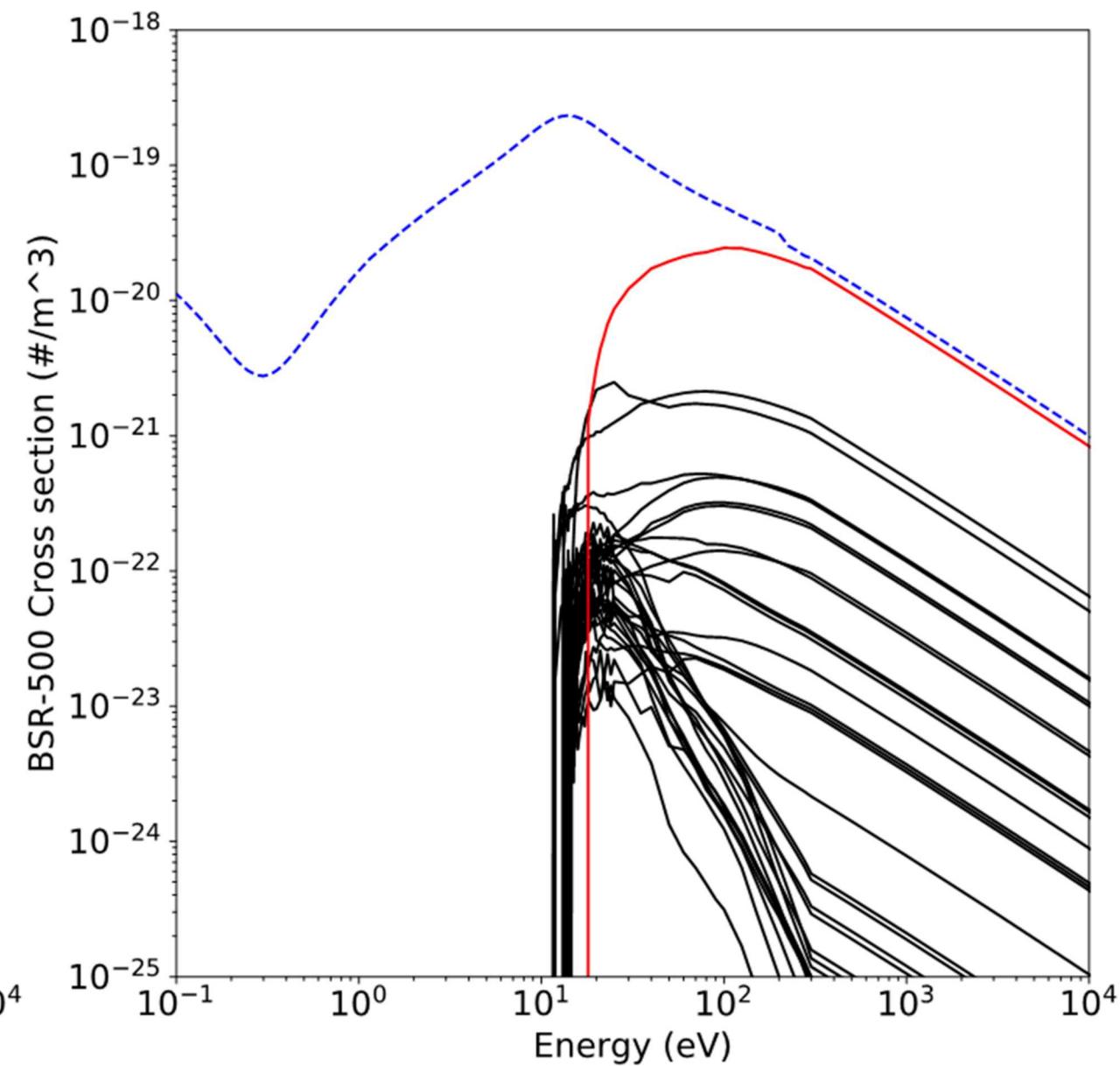
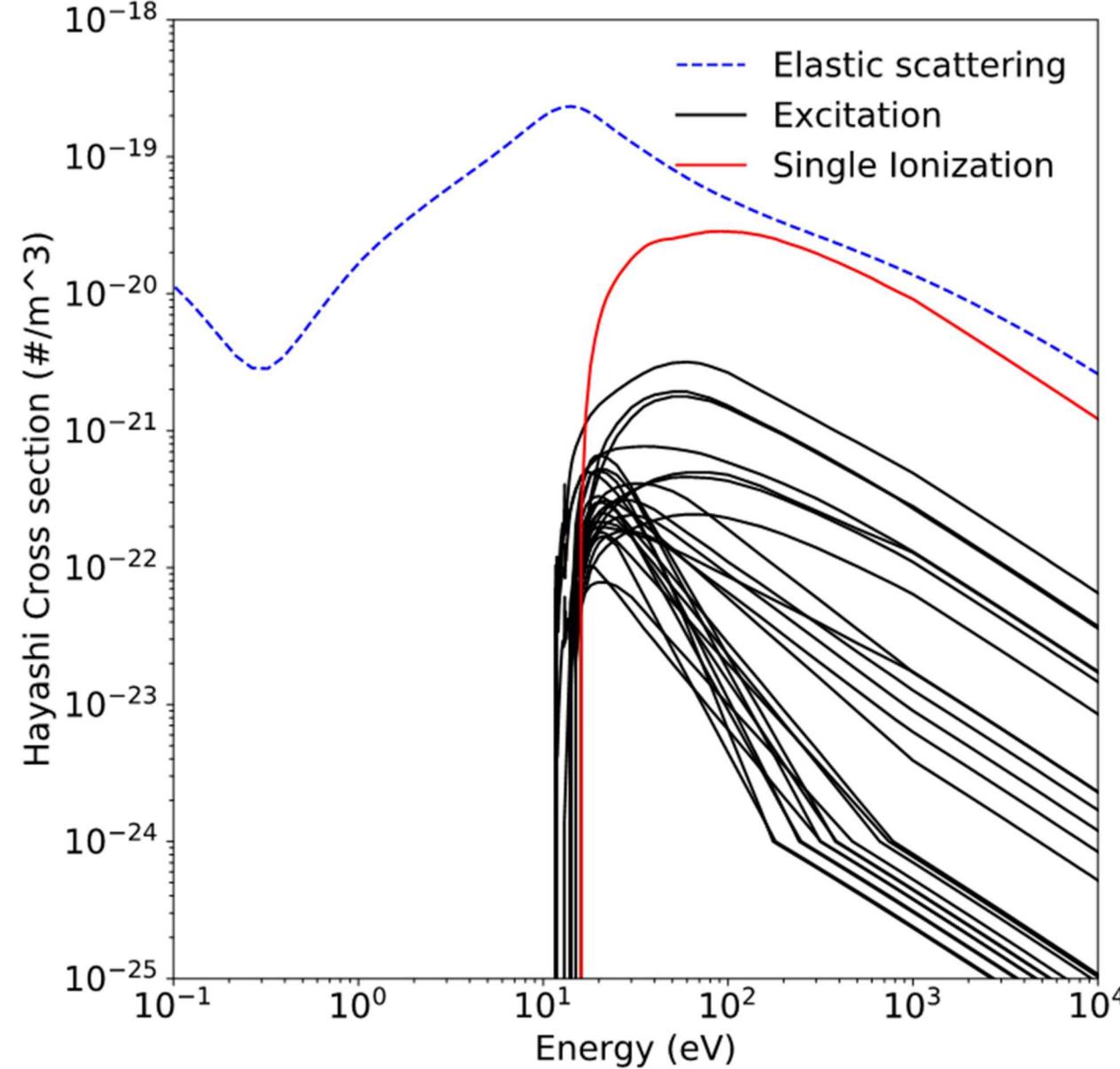
- Selecting the correct Ar set of reactions and cross-section is ongoing
- Scaling/extrapolation to higher energy

Open issues

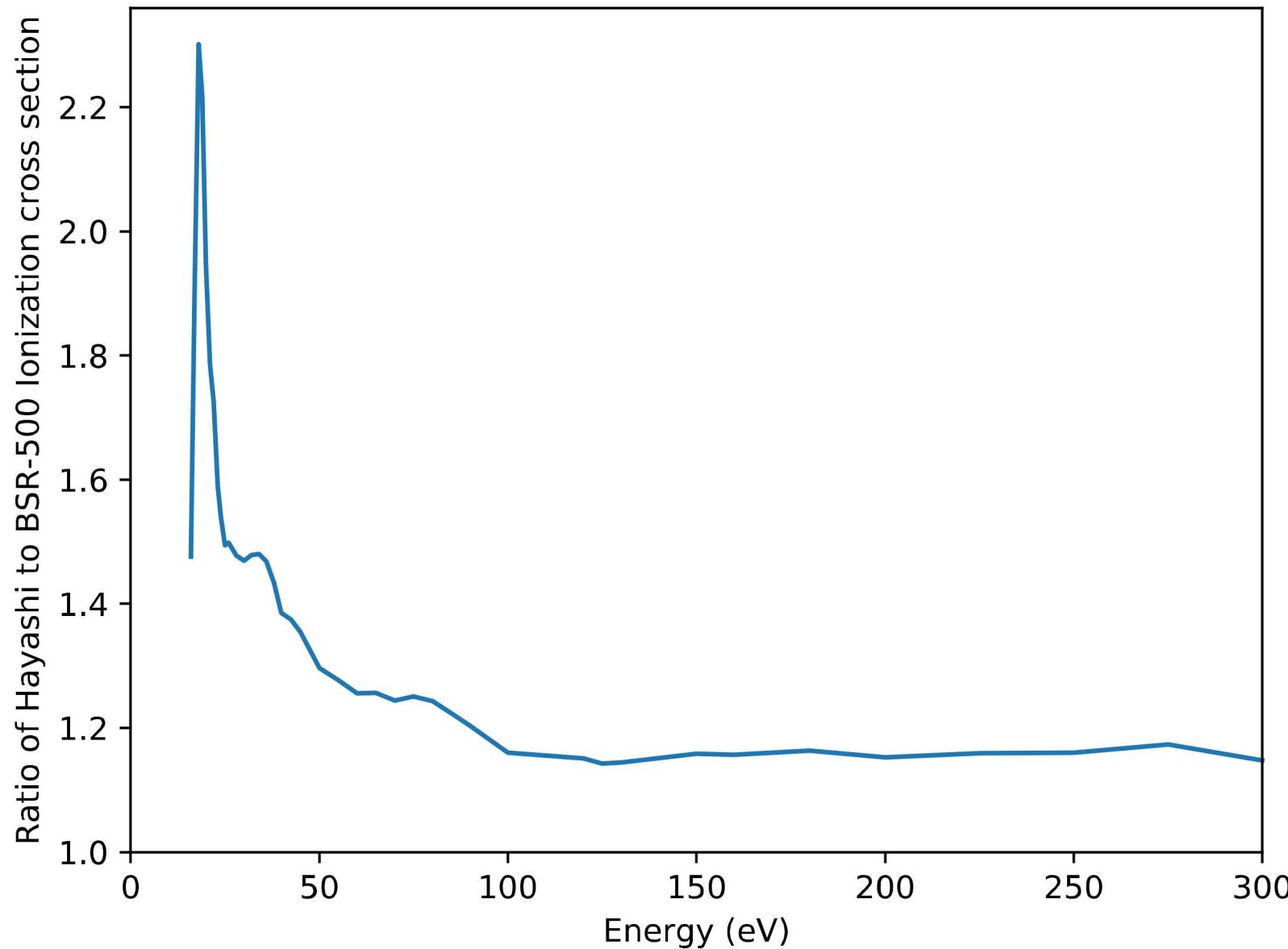
- Differential cross-section/Energy Partitioning
- Two-step ionization
- Multiply ionized ions
- Initial ionization
- Particle merge



Argon Cross Section



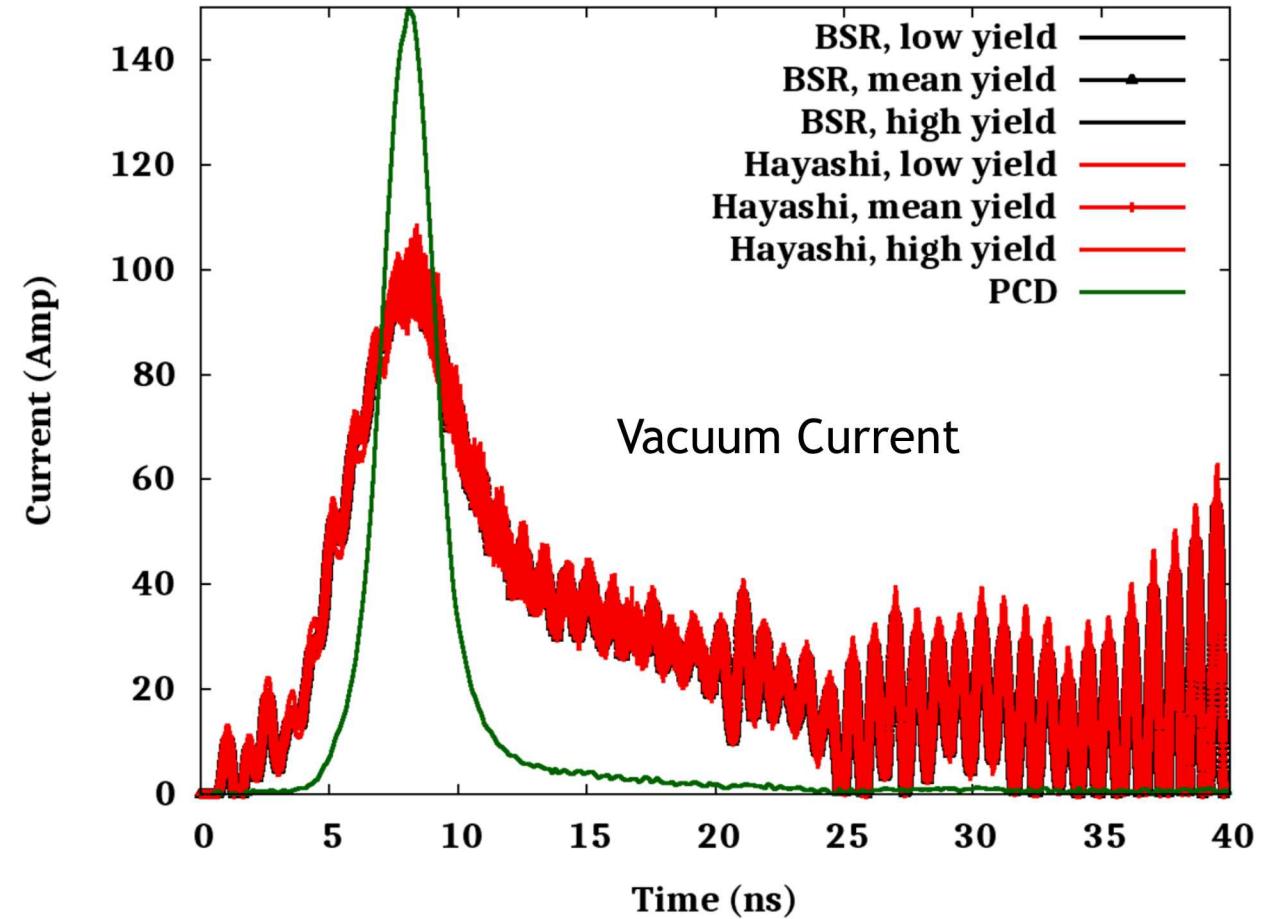
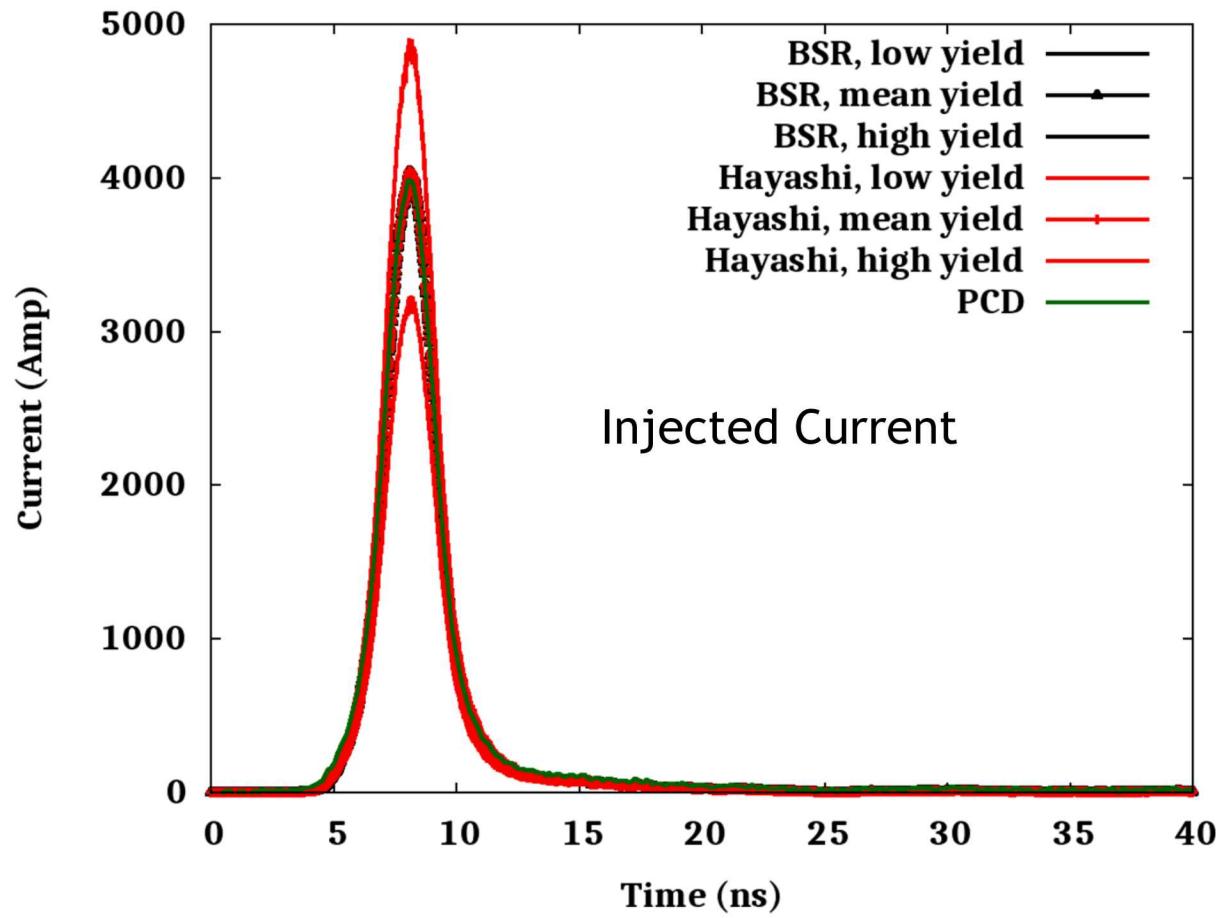
Ratio of Ionization Argon Cross Section



0mTorr Argon 10mm B-Dots



Well over the space charge limit



50mTorr Argon 10mm B-Dots

Both the Haysahi and BSR (B-spline R-matrix with pseudostates) give results lower than experiment

- Differential Cross Section
- Energy Partitioning, questionable at this energy ranges
- Two-step ionization
- Electronic excitation

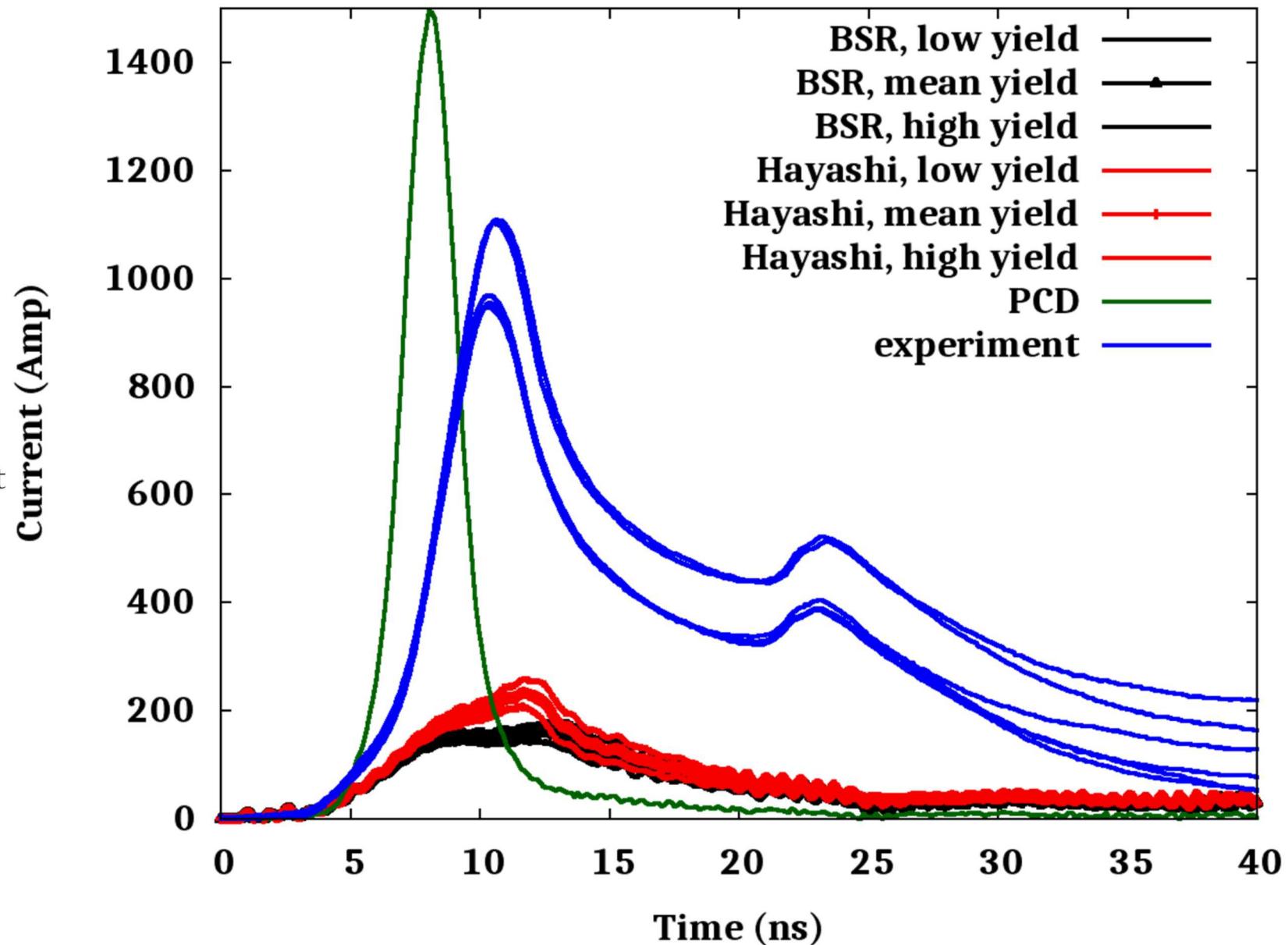
Numerical uncertainty has not been assessed

Uncertainty from yield is shown, but not gas pressure

Shape of the peak in simulations is shifted

Second peak is not seen in simulations

- Could be the PCD doesn't have enough resolution
- Could be increase gas pressure due to outgassing



100mTorr Argon 10mm B-Dots

Both the Haysahi and BSR (B-spline R-matrix with pseudostates) give results lower than experiment

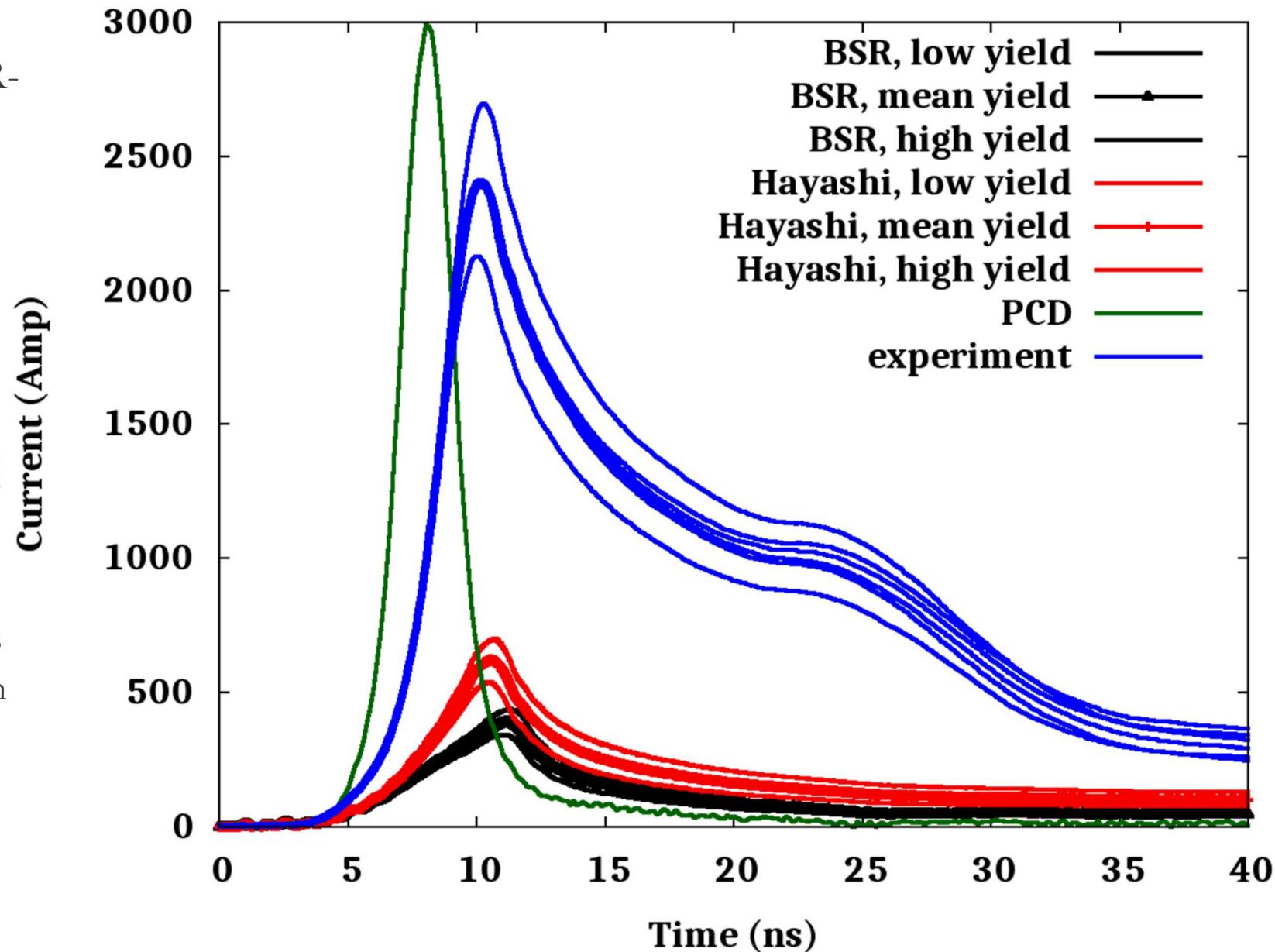
Numerical uncertainty has not been assessed

Uncertainty from yield is shown, but not gas pressure

Shape of the current with the Hayashi cross-section looks closer to experiment

Second peak is not seen in simulations

- Could be the PCD doesn't have enough resolution
- Could be increase gas pressure due to outgassing



200mTorr Argon 10mm B-Dots

Both the Haysahi and BSR (B-spline R-matrix with pseudostates) give results lower than experiment

Numerical uncertainty has not been assessed

- Numerical heating is large at late time

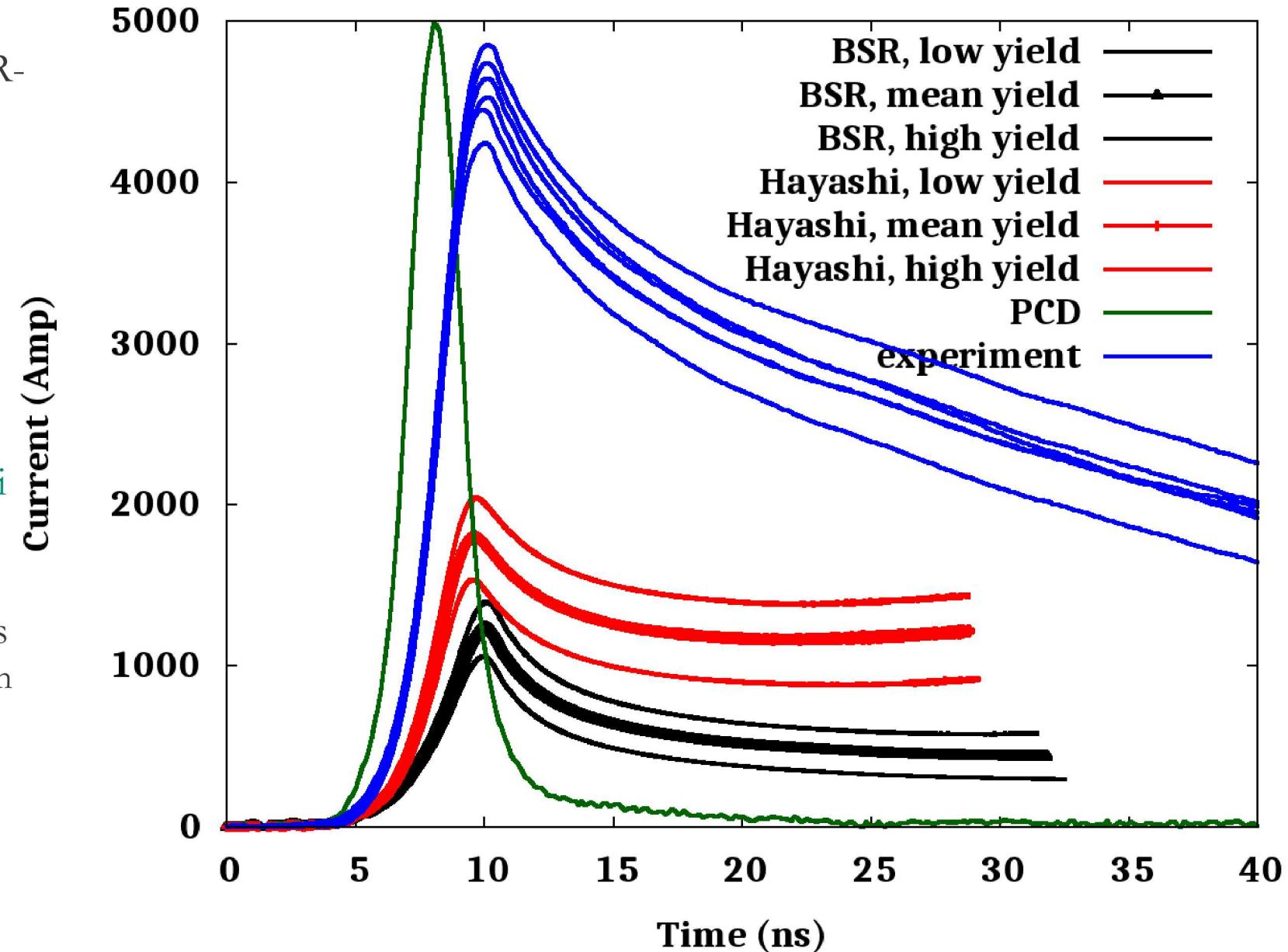
Uncertainty from yield is shown, but not gas pressure, etc.

Shape of the current with the Hayashi cross-section looks closer to experiment

Second peak is not seen in simulations

- Could be the PCD doesn't have enough resolution
- Could be increase gas pressure due to outgassing

70M Ar particles



300mTorr Argon 10mm B-Dots

Both the Haysahi and BSR (B-spline R-matrix with pseudostates) give results lower than experiment

- At 300mTorr the difference between BSR and Hayashi is less

Numerical uncertainty has not been assessed

- Numerical heating is large at late time

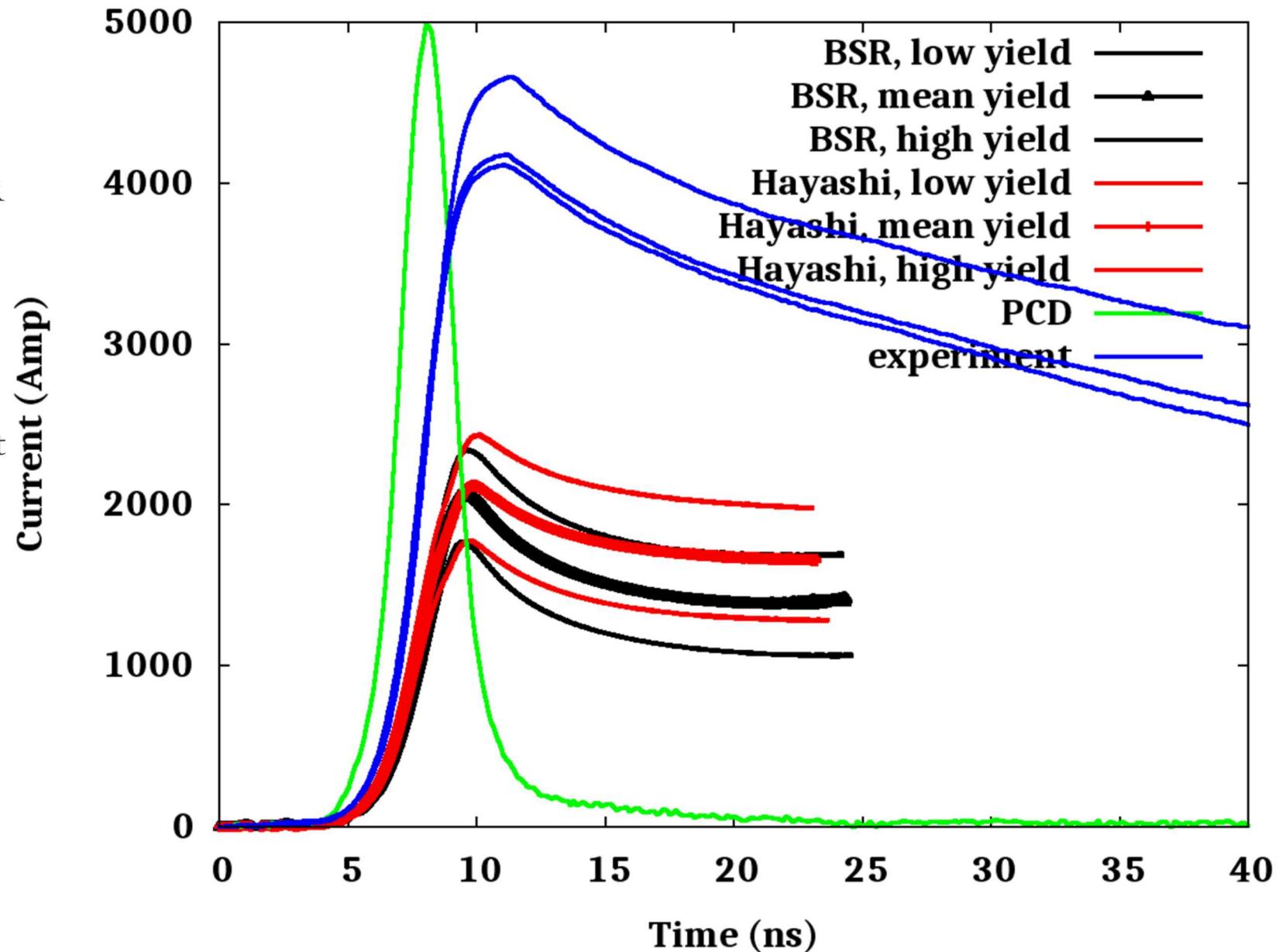
Uncertainty from yield is shown, but not gas pressure, etc.

Shape of the current with the Hayashi cross-section looks closer to experiment

Second peak is not seen in simulations

- Could be the PCD doesn't have enough resolution
- Could be increase gas pressure due to outgassing

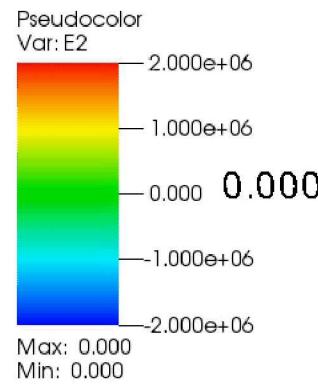
70M Ar particles



DB: BDot.exo.1152.0000

Time:0

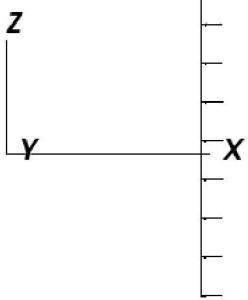
32



B-Dot with 20mTorr: Electric Field in Z

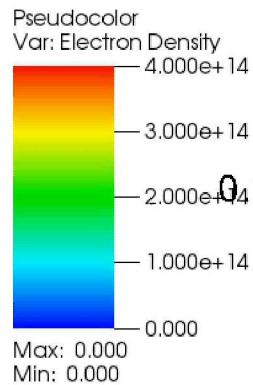
Aluminum Emitter

Au Emitter



DB: Mesh_BDot.exo.1152.0000

33
Time:0



B-Dot with 20mTorr: Electron Density

Aluminum Emitter

Au Emitter

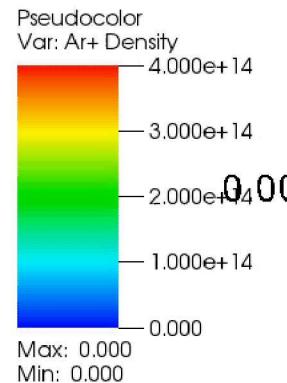
x
y
z

A 3D coordinate system with axes labeled x, y, and z. The x-axis is horizontal, the y-axis is vertical, and the z-axis is diagonal.

DB: Mesh_BDot.exo.1152.0000

Time:0

34

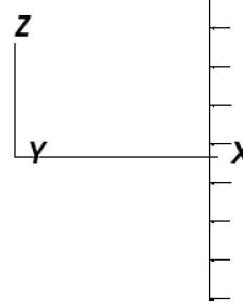


B-Dot with 20mTorr: Ar+ Density Movie

Aluminum Emitter

Au Emitter

x
y
z

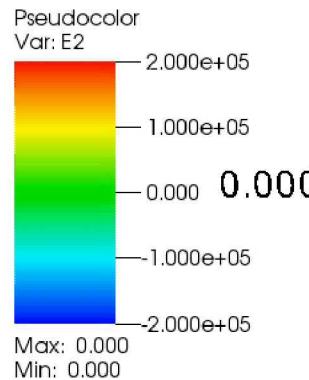


A 3D coordinate system with axes labeled x, y, and z. The x-axis points right, the y-axis points up, and the z-axis points out of the page.

DB: Mesh_BDot.exo.288.000

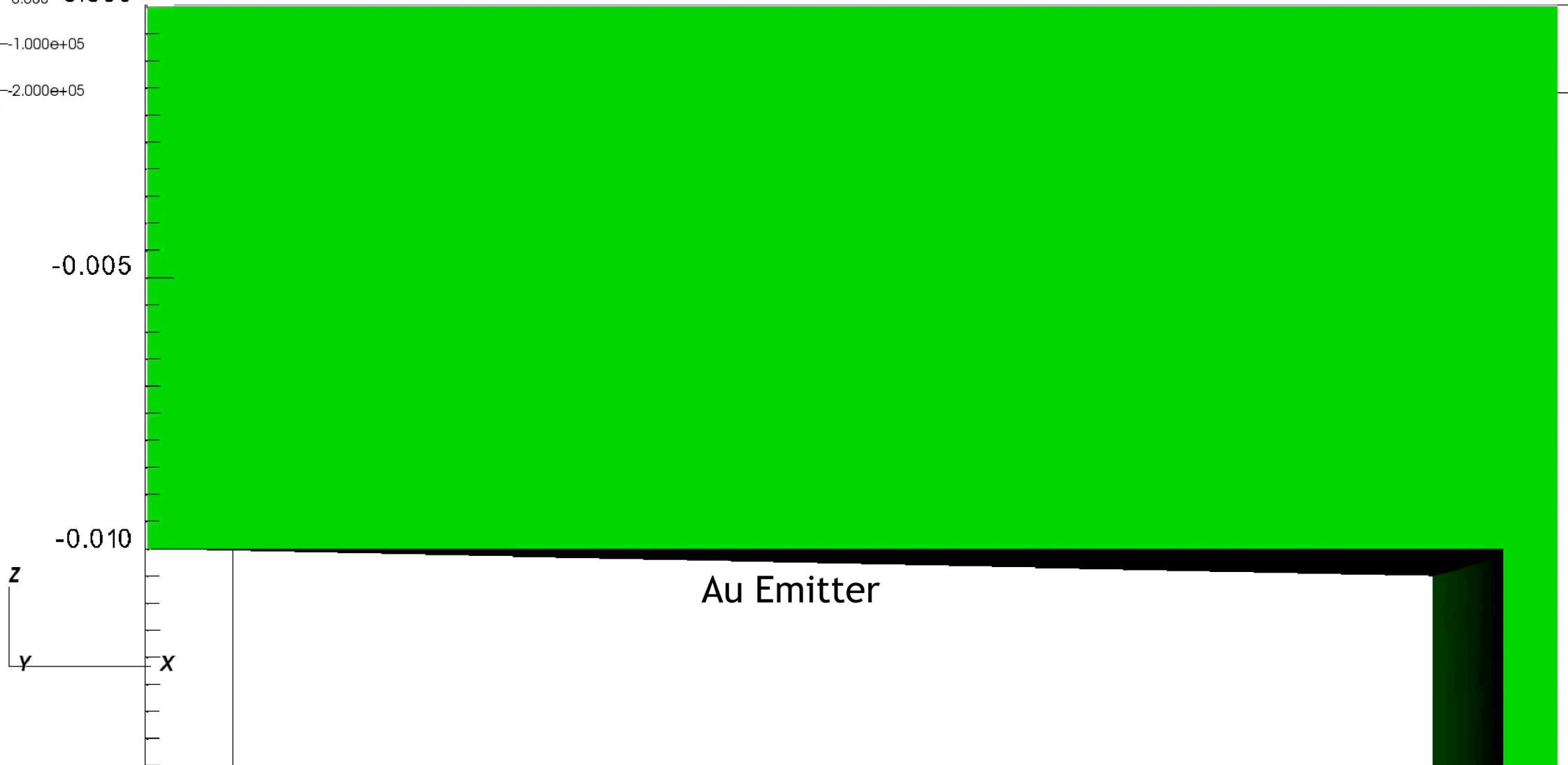
Time:0

35



B-Dot with 20mTorr and SCL: Electric Field

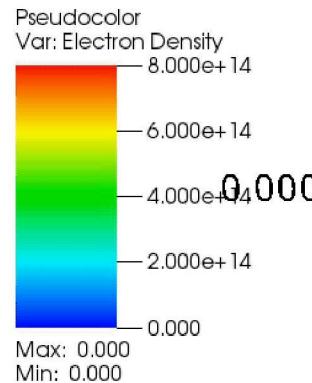
Aluminum Emitter



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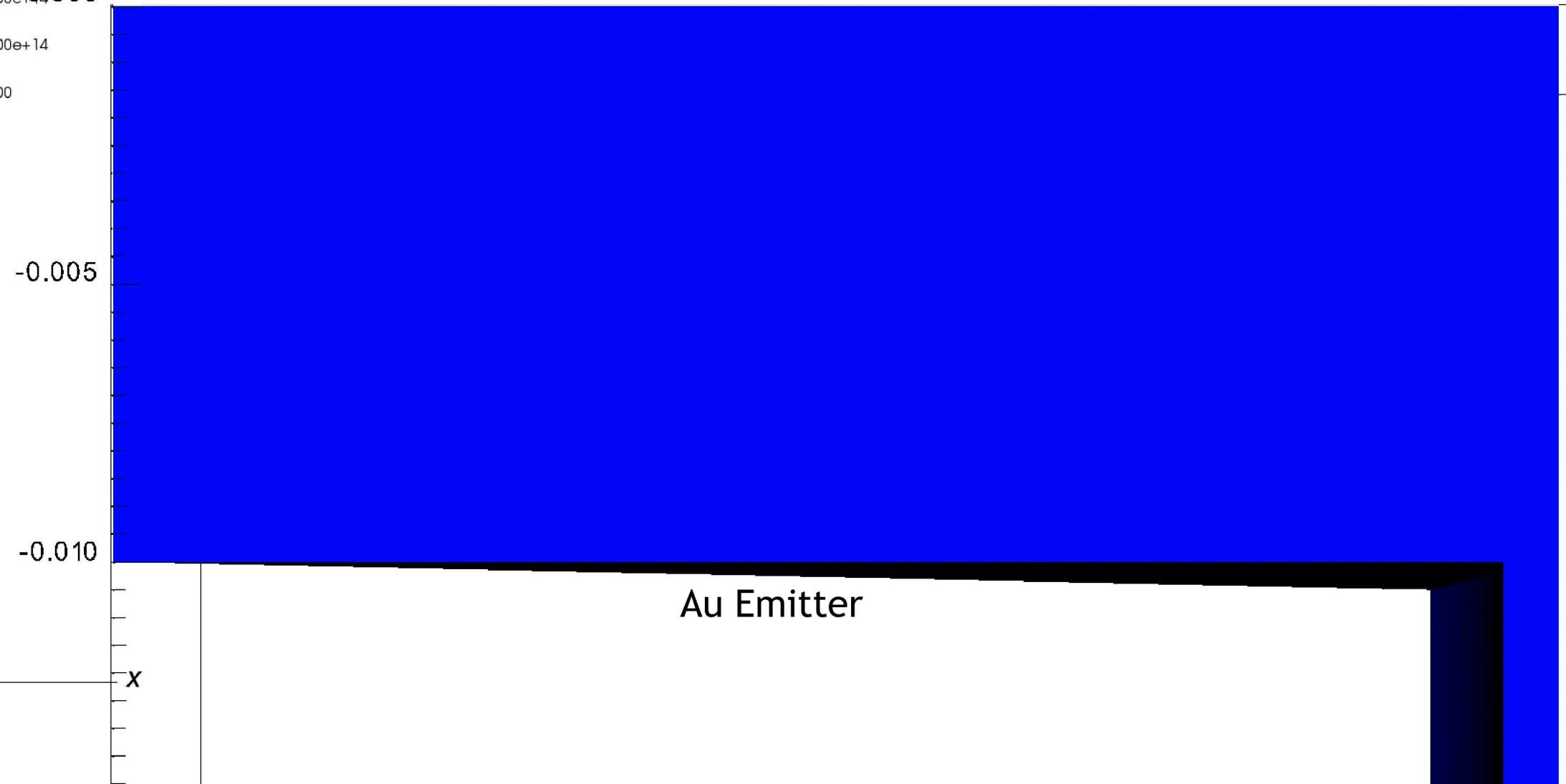
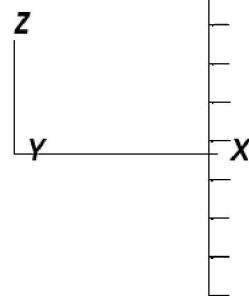
36



B-Dot with 20mTorr and SCL: Electron Density

Aluminum Emitter

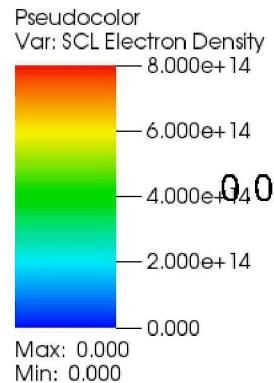
Au Emitter



DB: Mesh_BDot.exo.288.000

Time:0

37



B-Dot with 20mTorr and SCL: SCL Electron Density

Aluminum Emitter

Au Emitter

x
y
z

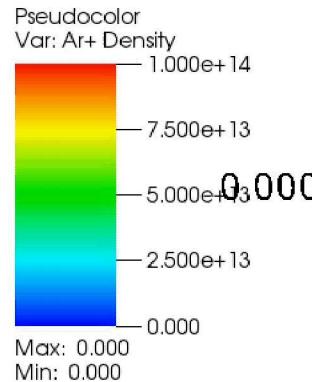
-0.005

-0.010

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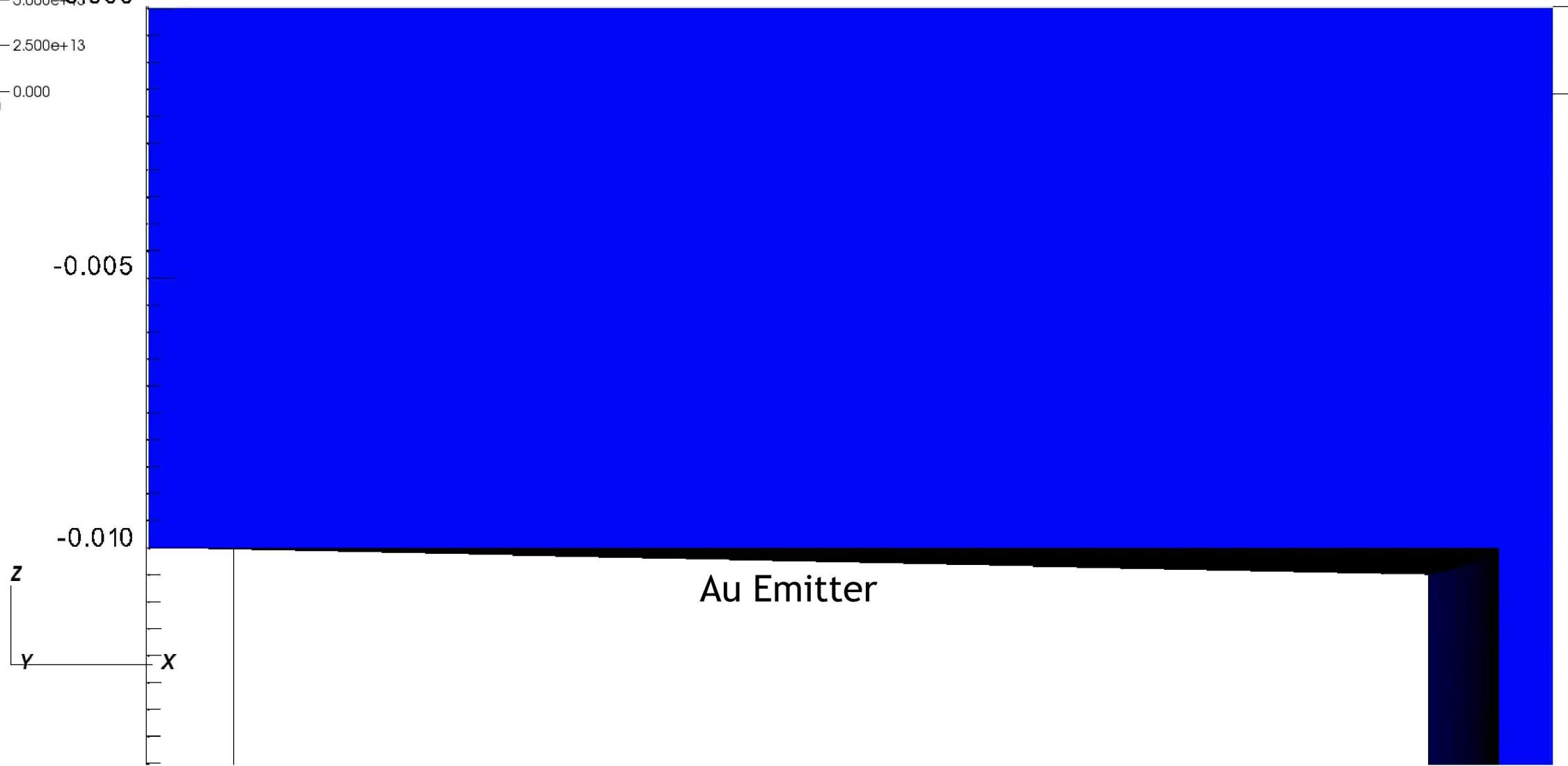
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38

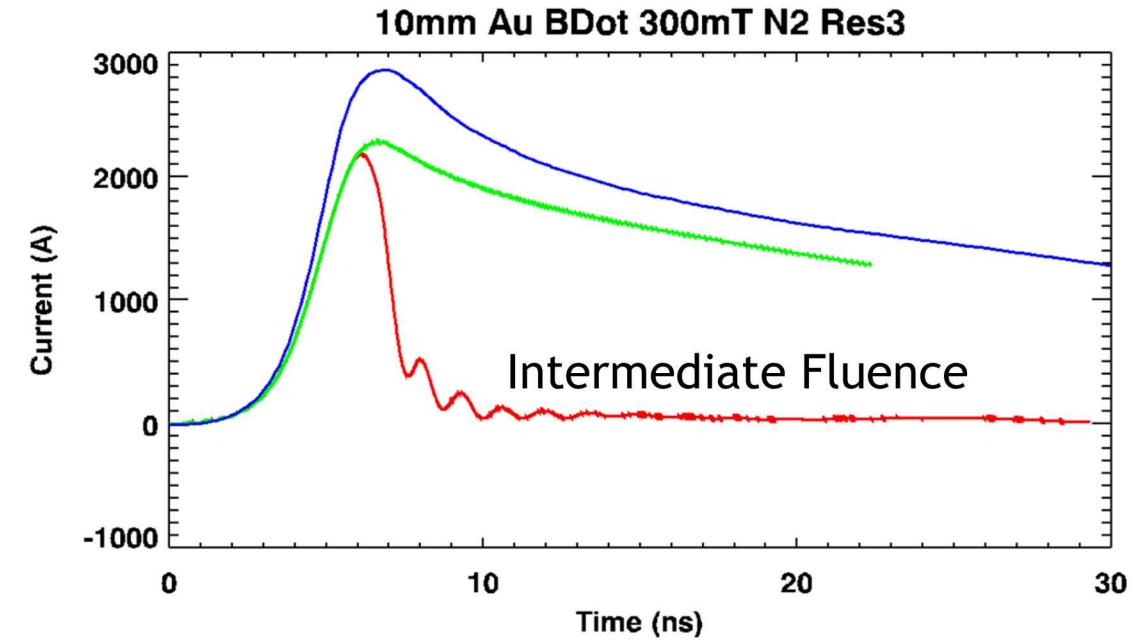
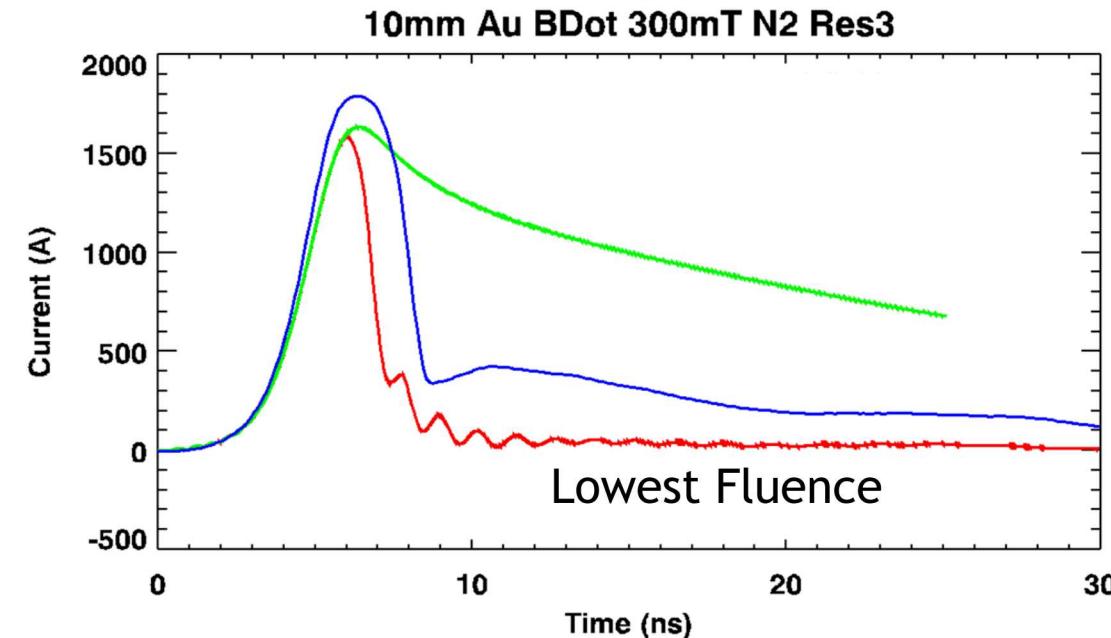
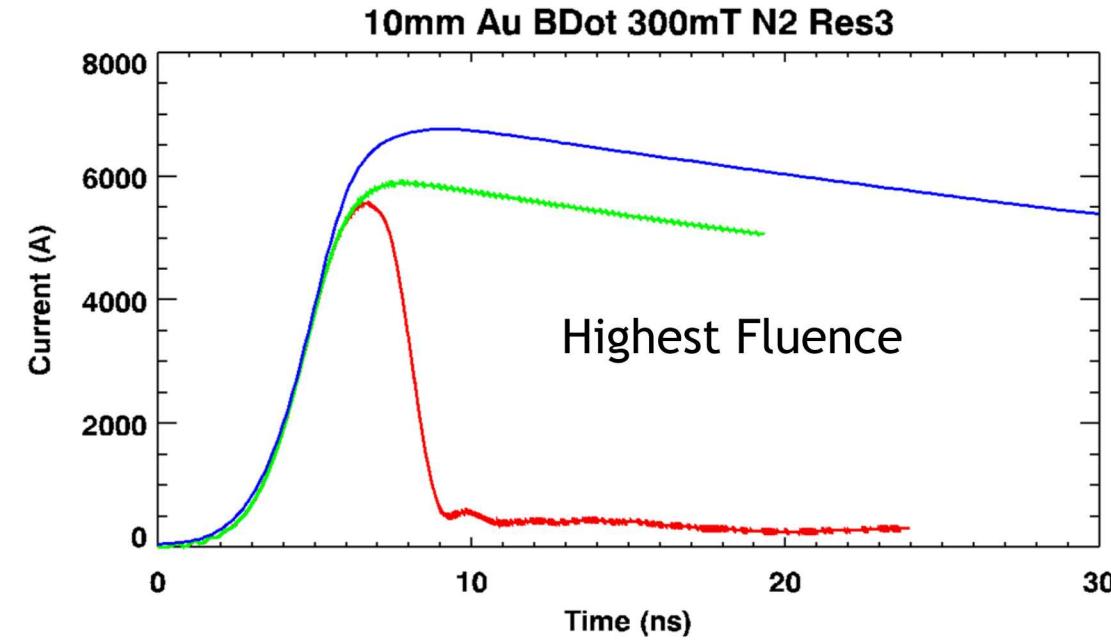


B-Dot with 20mTorr and SCL:Ar+ Density

Aluminum Emitter



Focusing on the Uncertainty of the Surface Emission



Red is simulations without SCL
 Green is simulation with SCL
 Blue is Measurement

10 mm, N2 filled, B-Dot, fluence scan

- N2 Collisions control the current ramp: **good collision set**
- Surface plasma models control the shape of the tail: **not predictive, but captures the phenomenon**



There is a lot of physics that need to come together to simulate radiation driven cavities

- Electromagnetics: Finite Element
- Chemistry/Collisions: DSMC
- Plasma Facing Surface: Heating and desorption/emission (See Nick Roberds Poster for more details)