

# Search for Majorana Particles in Dirac Semimetal $\text{Cd}_3\text{As}_2$

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# **Why Quantum Computer?**

**Quantum computer (QC) can**

**“... solve problems that classical computers cannot crack....”**

**(News: Q&A article in Nature)**

**Modern encryption** is based on the assumption that it is impossible to prime-factorize a large digit number within a reasonable time frame.

Classical computer: Factorizing a 200-digit RSA-200 semiprime required 75 CPU-years (Wikipedia).

Peter Shor in 1994, algorithm for prime factorization

using a *quantum computer*

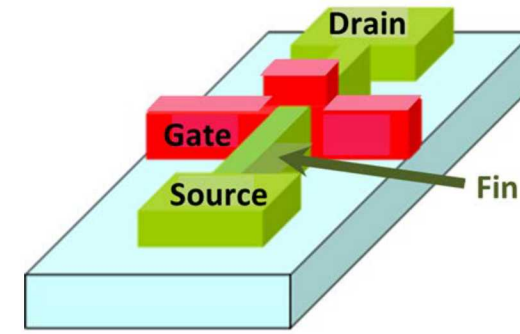
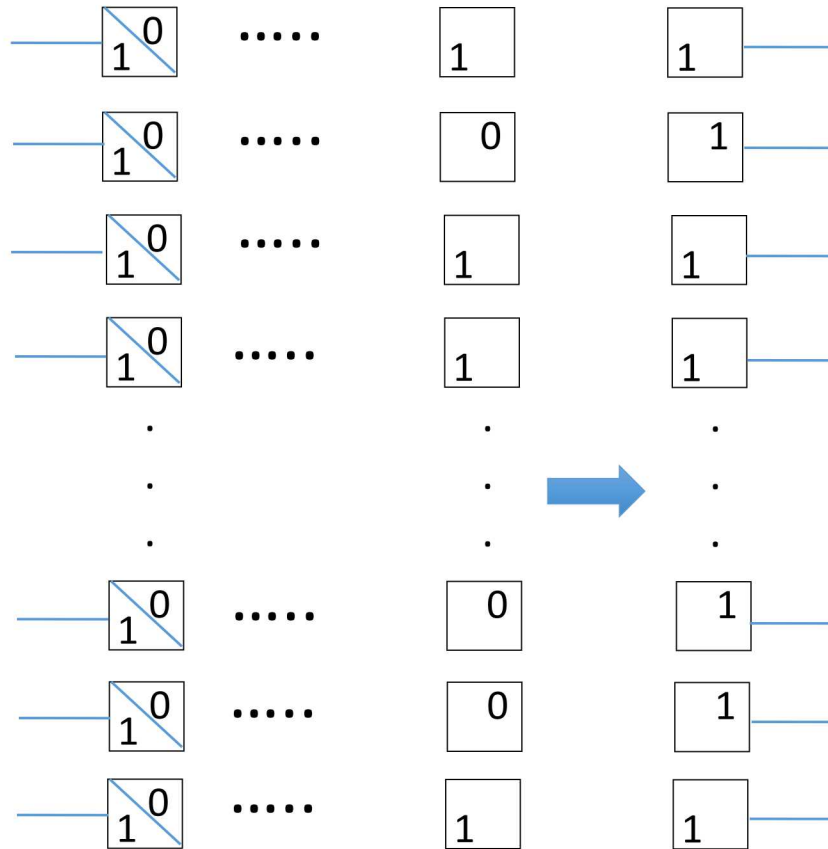
**A 300-digit number can be prime-factorized in a few hours!**

Peter Shor



# Issues with quantum computation

- large error rate
- many extra bits for error correction



However, this is extremely difficult, if not **impossible**, to implement many extra quantum bits!

Feature | Computing | Hardware

15 Nov 2018 | 16:00 GMT

# The Case Against Quantum Computing

The proposed strategy relies on manipulating with high precision an unimaginably huge number of variables

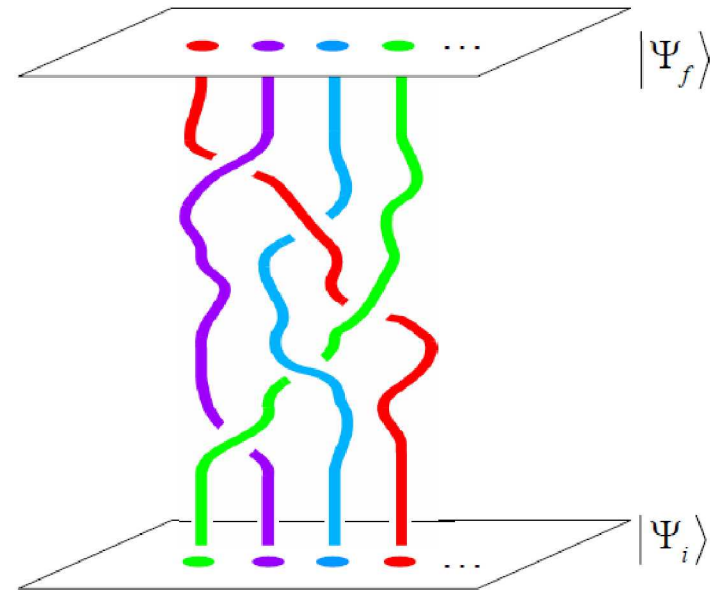
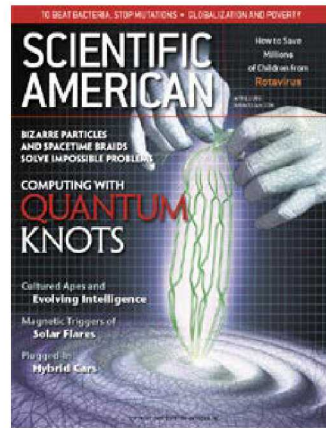
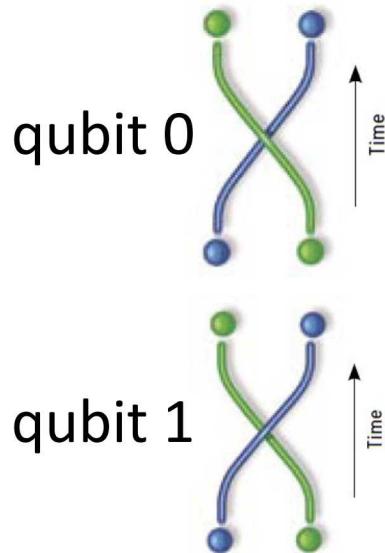
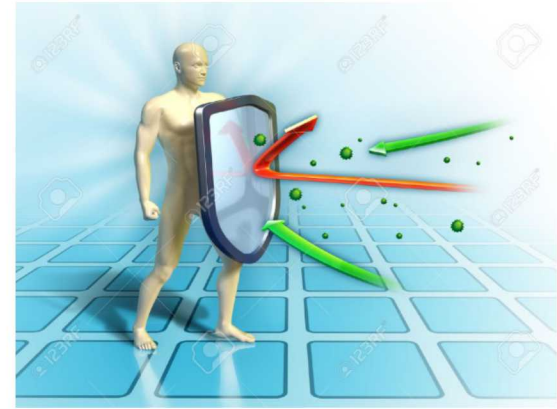
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By **Mikhail Dyakonov**

To repeat: A useful quantum computer *needs to process a set of continuous parameters that is larger than the number of subatomic particles in the observable universe.*

# Topological quantum computation to rescue

- global operation of braiding Majorana fermions, thus robust against local decoherence processes.
- topological quantum computation: error rate  $< 10^{-30}$ .



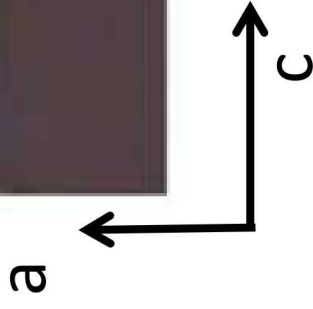
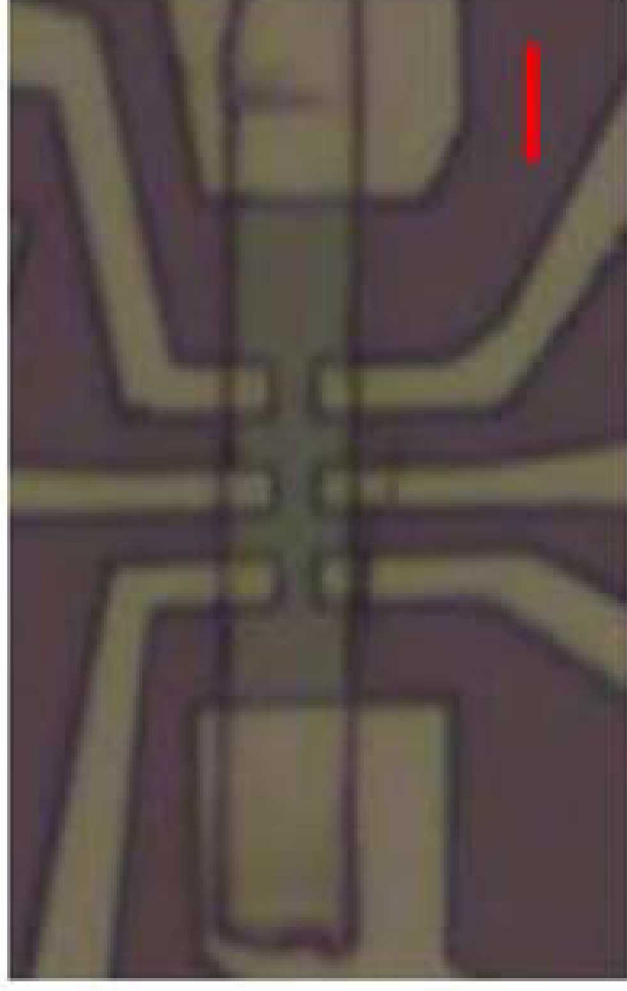
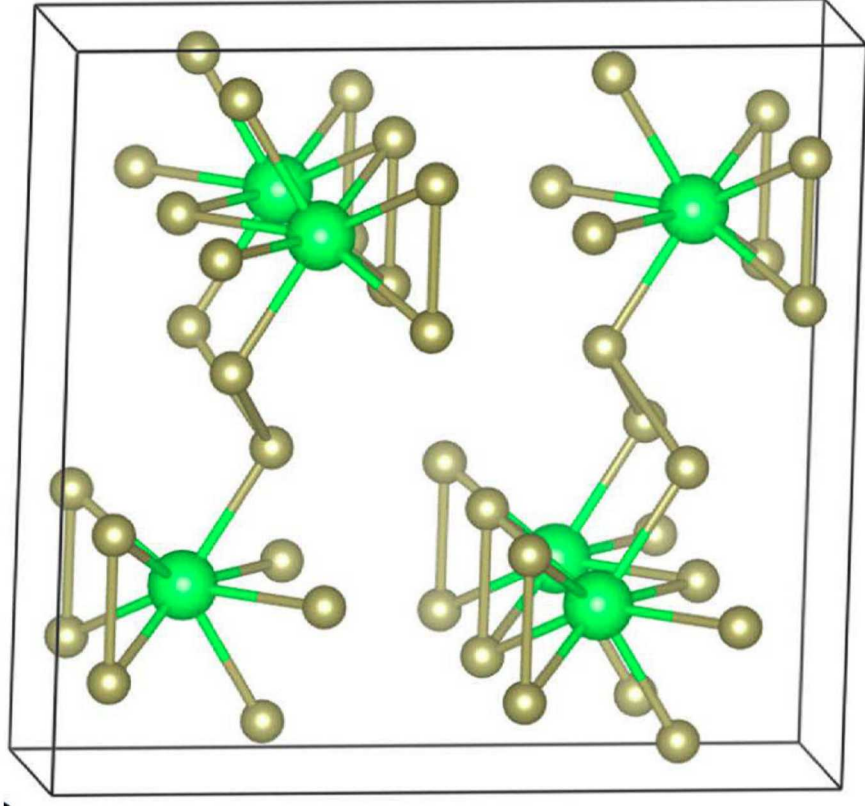
However....

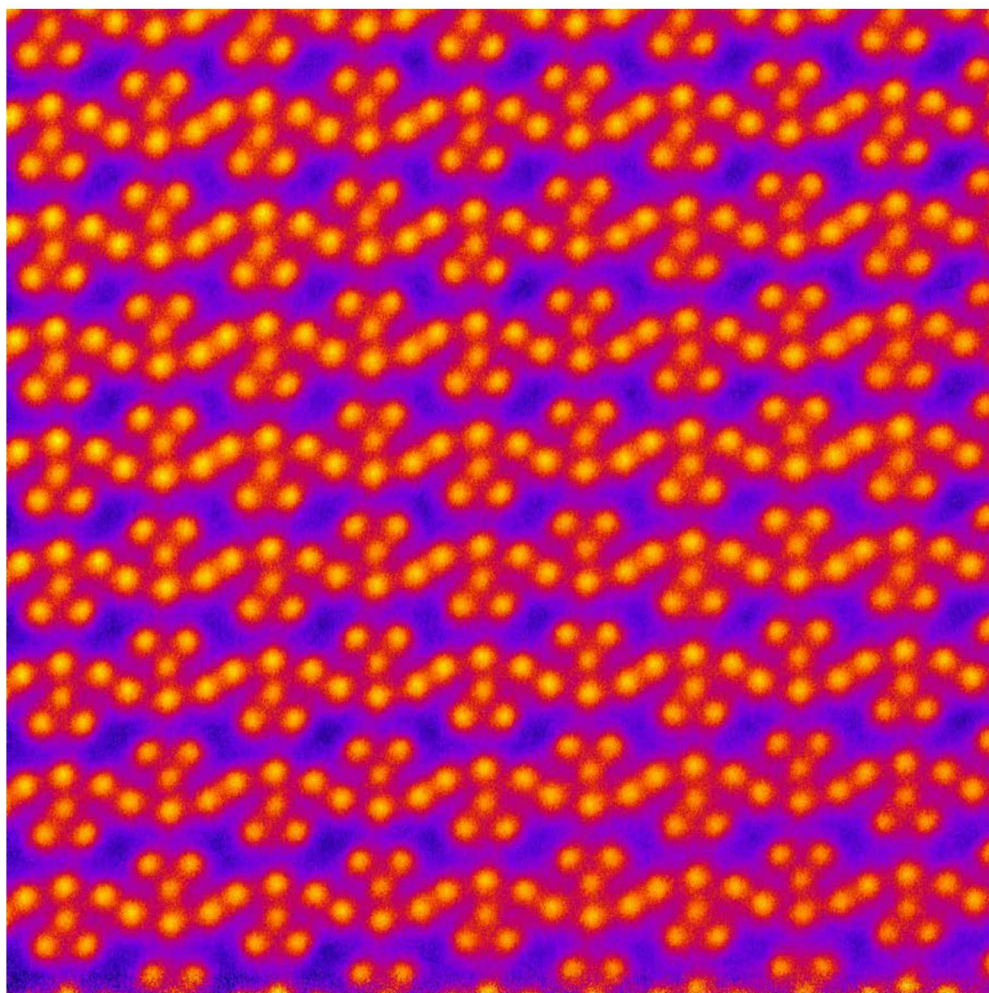
**Existence of Majorana fermions  
has not been confirmed yet!**

# Topological quantum materials project at Sandia

- S.R. Lee, P.A. Sharma, A.L. Lima-Sharma, W. Pan, and T.M. Nenoff, CHEMISTRY OF MATERIALS (2019).
- D.L. Medlin, N. Yang, C.D. Spataru, L.M. Hale, and Y. Mishin, Nature Communications (2019).
- F. Zhang and W. Pan, Nature Materials (2018).
- G. Kunakova, L. Galletti, S. Charpentier, J. Andzane, D. Erts, F. Leonard, C.D. Spataru, T. Bauch, and F. Lombardi, Nanoscale (2018).
- W. Yu, W. Pan, D. Medlin, M.A. Rodriguez, S.R. Lee, Z.-q. Bao, and F. Zhang, Phys. Rev. Lett. (2018).
- F. Leonard, W. Yu, K.C. Collins, D.L. Medlin, J.D. Sugar, A.A. Talin, and W. Pan, ACS Applied Materials & Interfaces (2018).

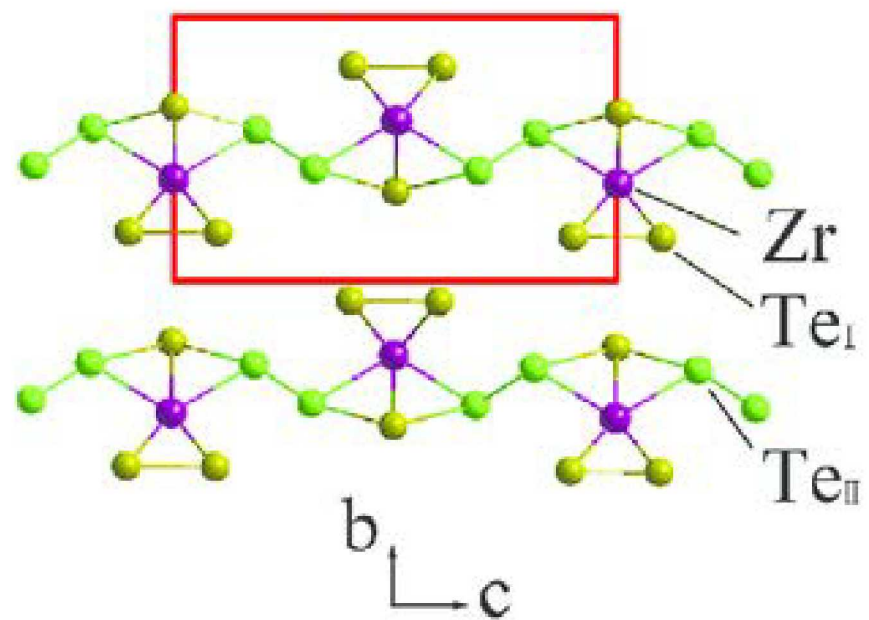
ZrTe<sub>5</sub>

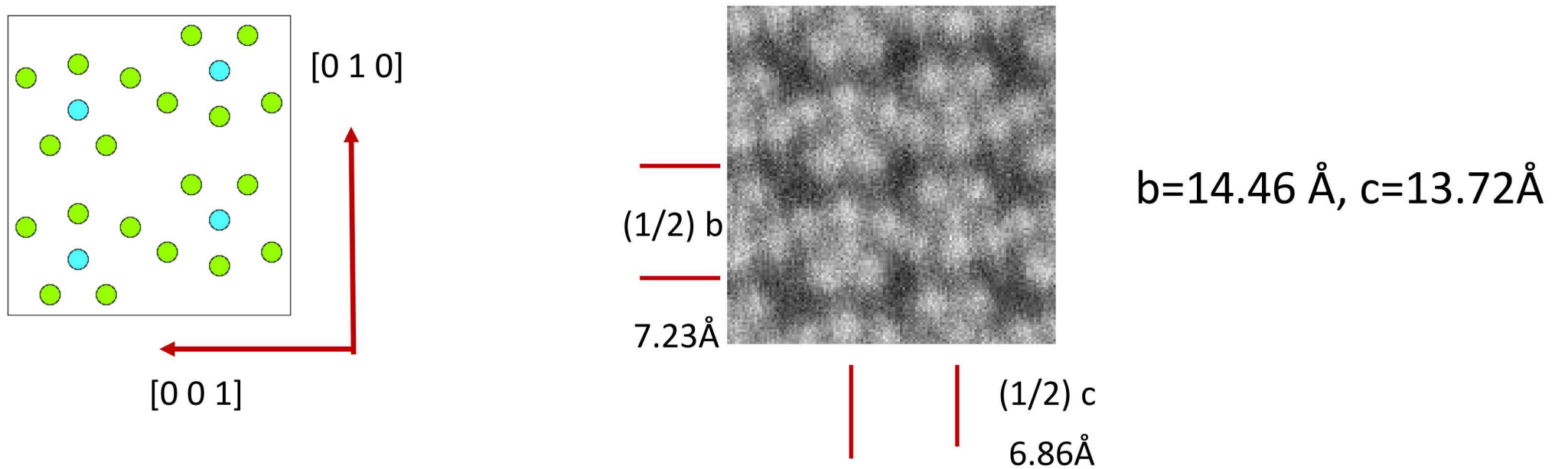




(D. Medlin)

1 nm



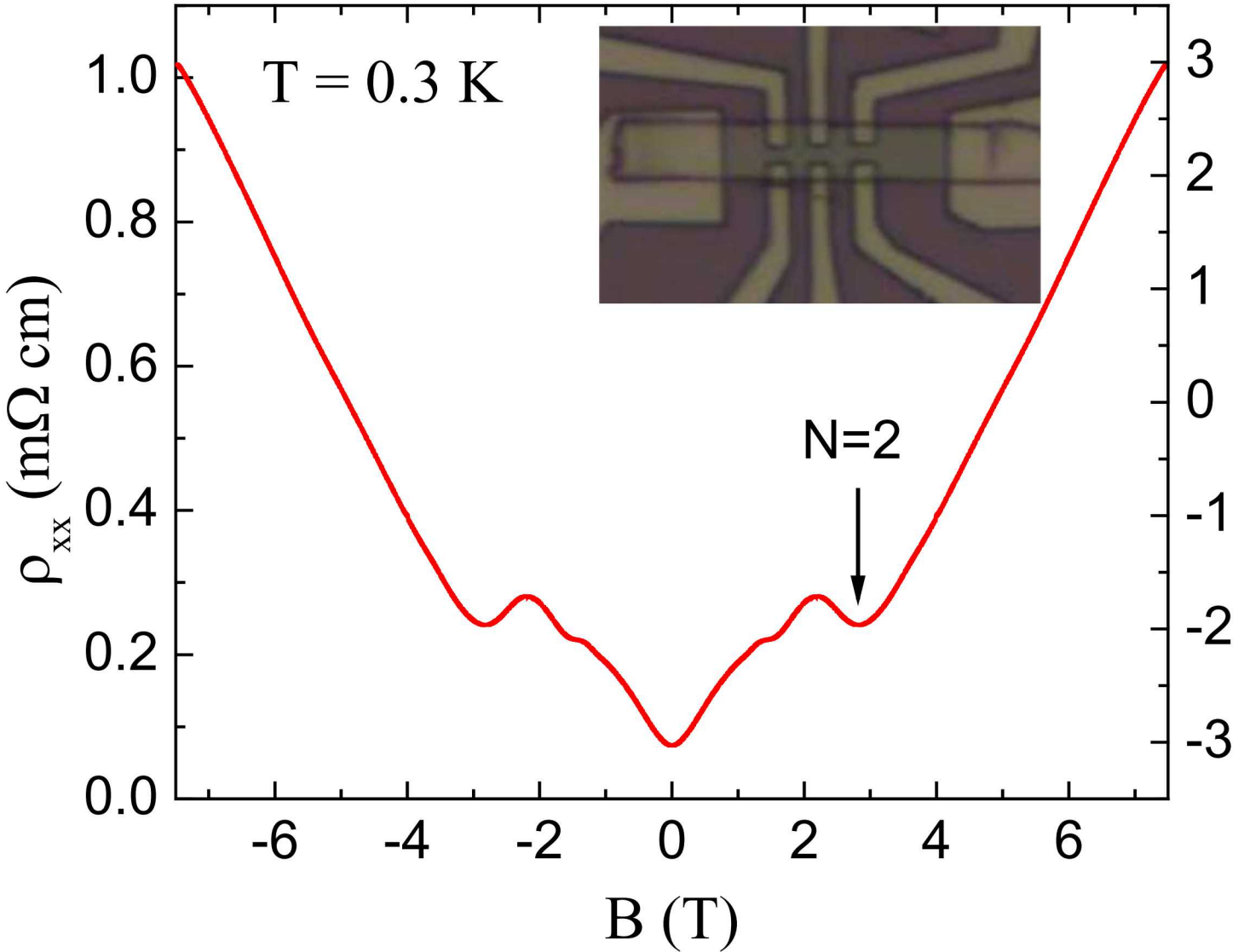


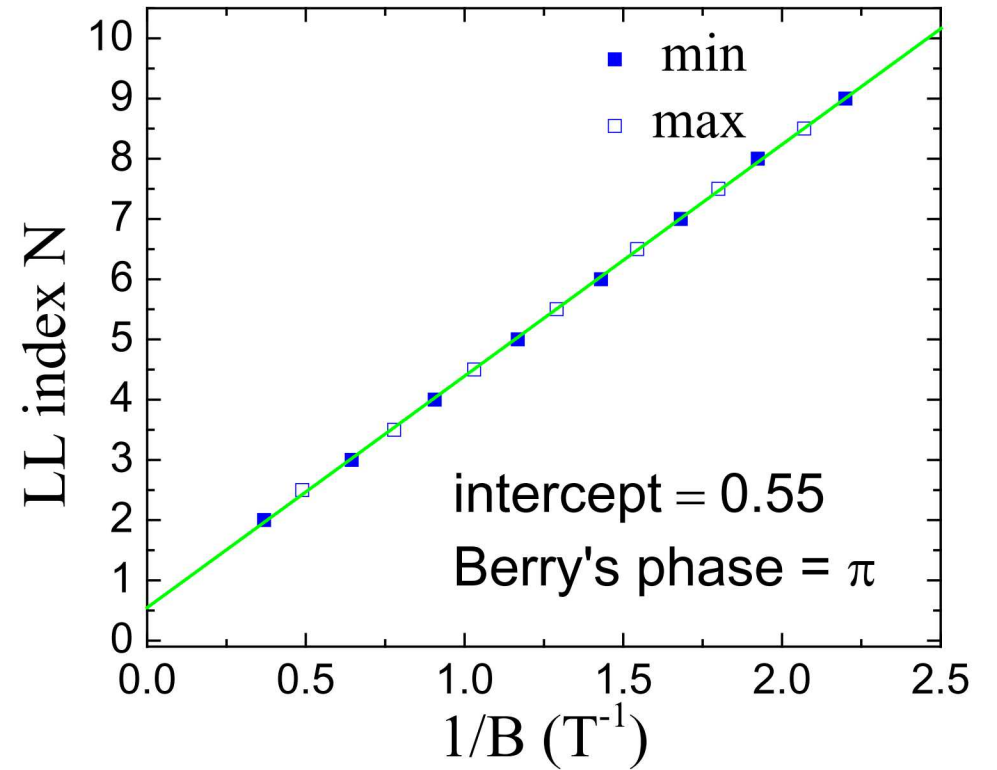
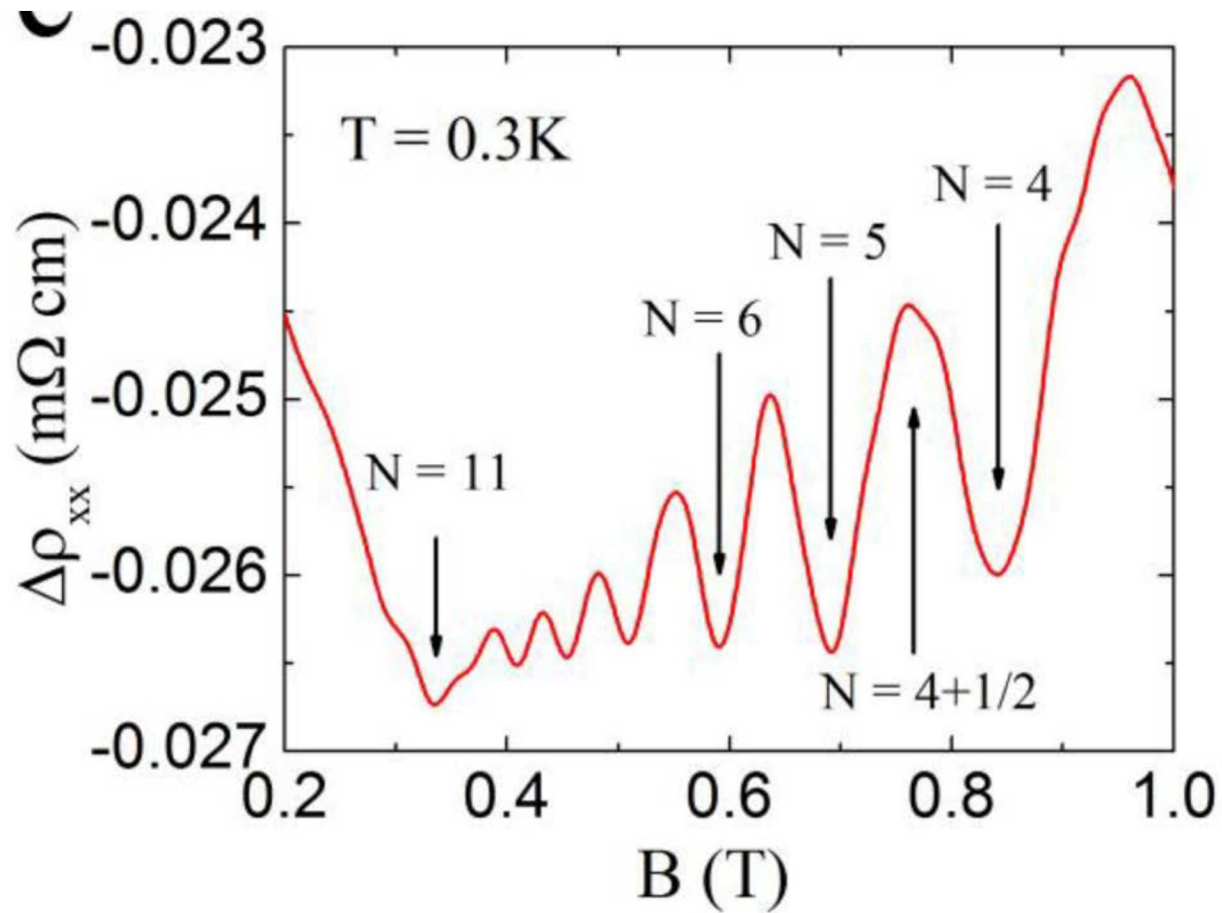
Spacegroup: Cmcm (#63)

$a=3.9875\text{\AA}$ ,  $b=14.530\text{\AA}$ ,  $c=13.724\text{\AA}$

H. Fjellvåg, A. Kjekshus, Solid State  
 Communications, 60 (2) (1986) 91-93

# Quantum oscillations in ZrTe5

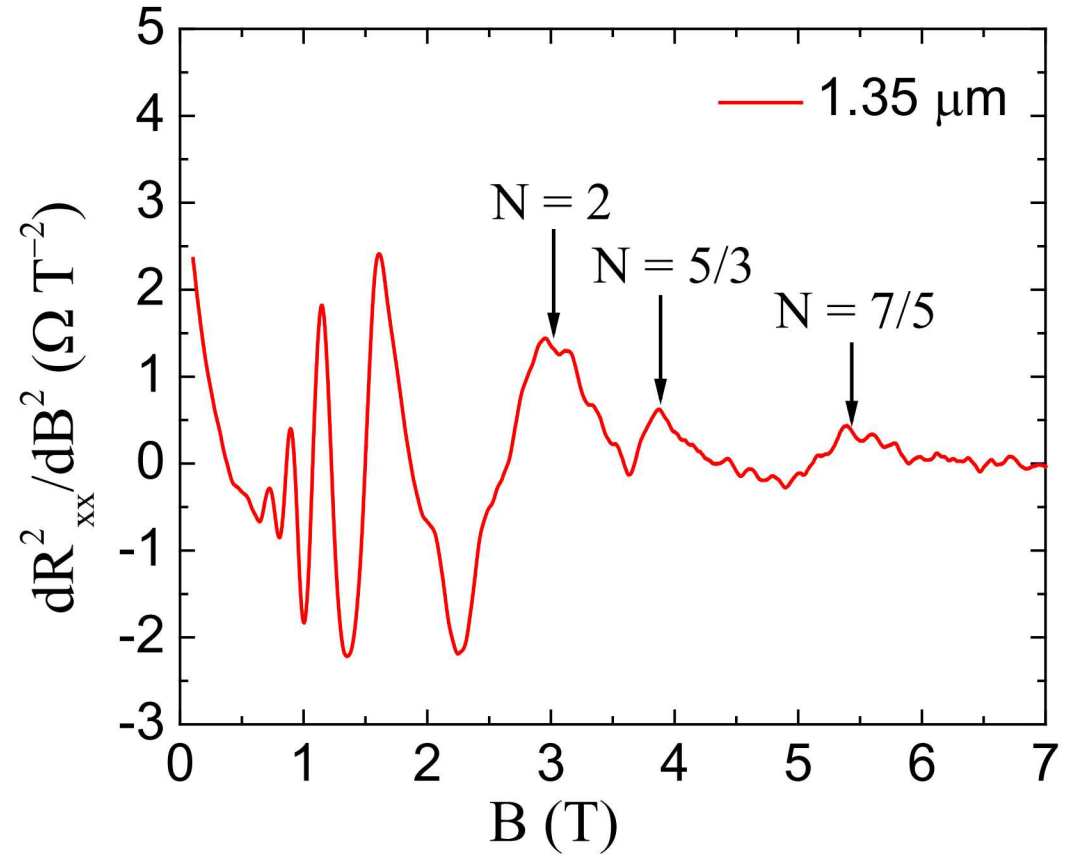
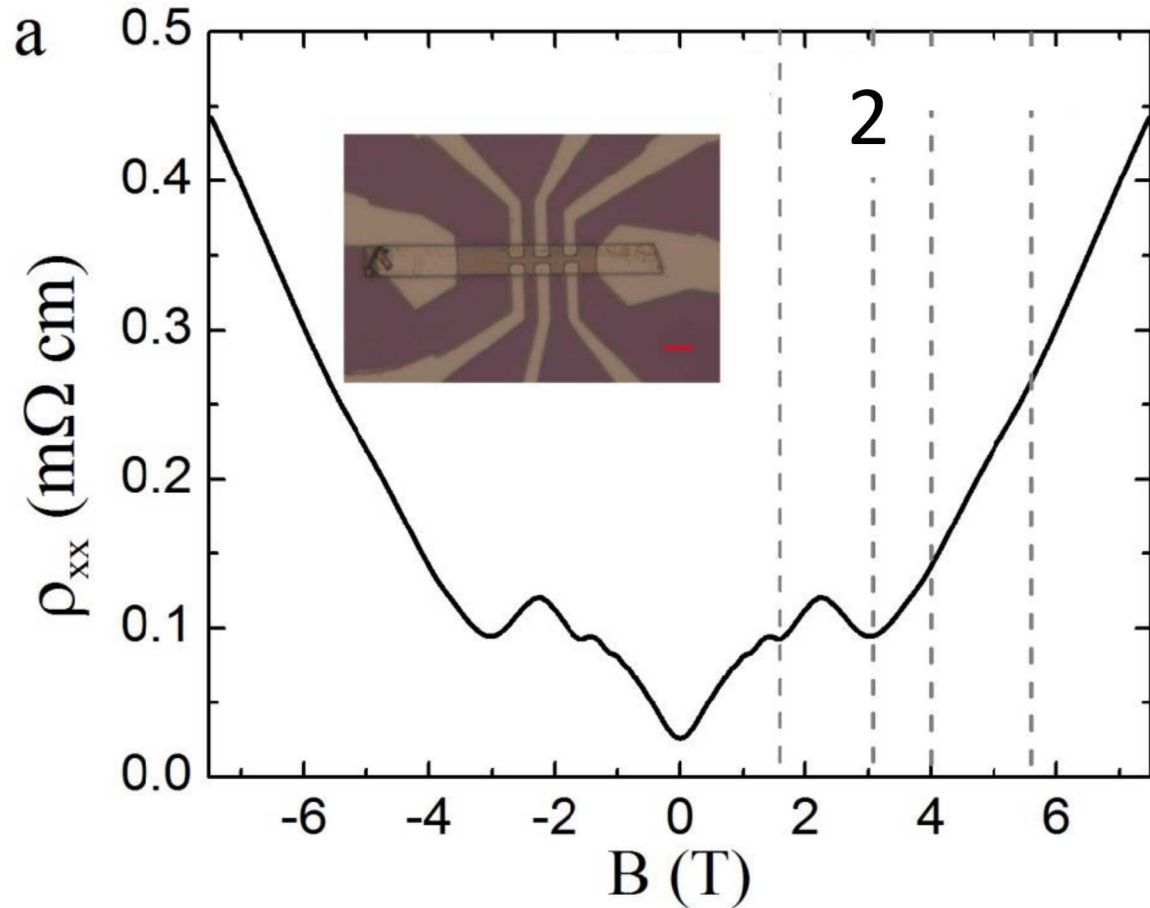


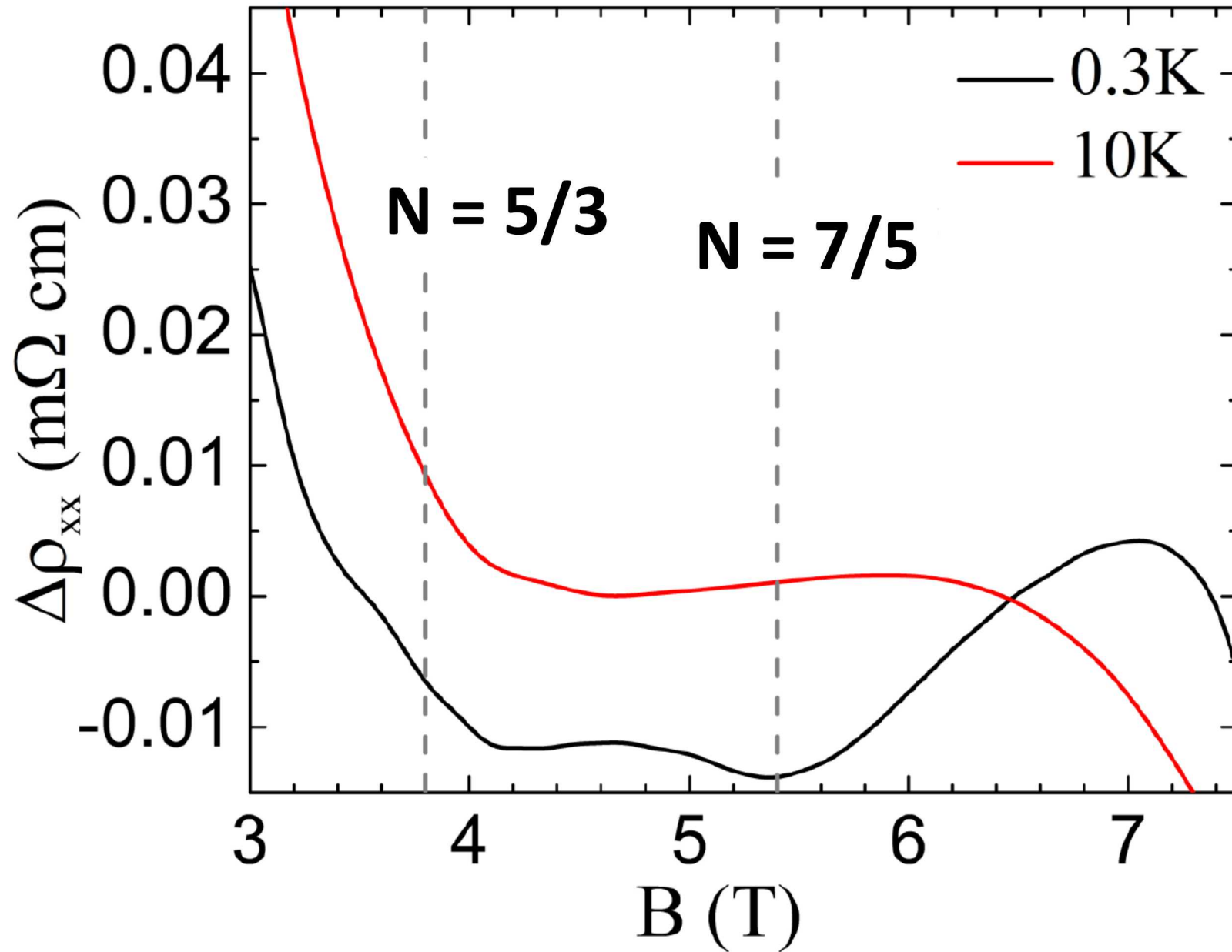


- $\mu_q = 1/B = 2.5 \times 10^4 \text{ cm}^2 \text{V}^{-1} \text{s}^{-1}$

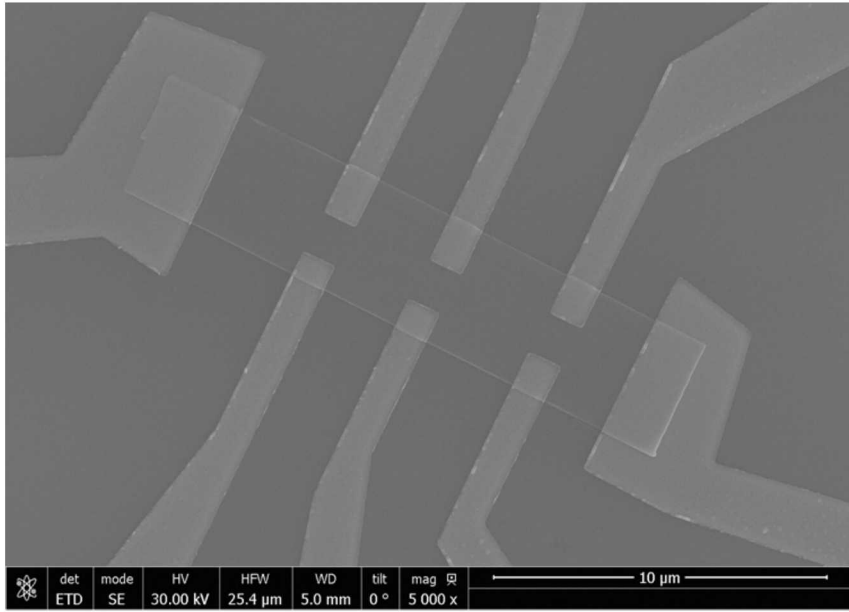
- $n^{\text{SdH}} = \frac{2e}{h} \frac{N}{1/B} = 1.86 \times 10^{11} \text{ cm}^{-2}$

# Quantum Oscillations at Fractional Landau levels

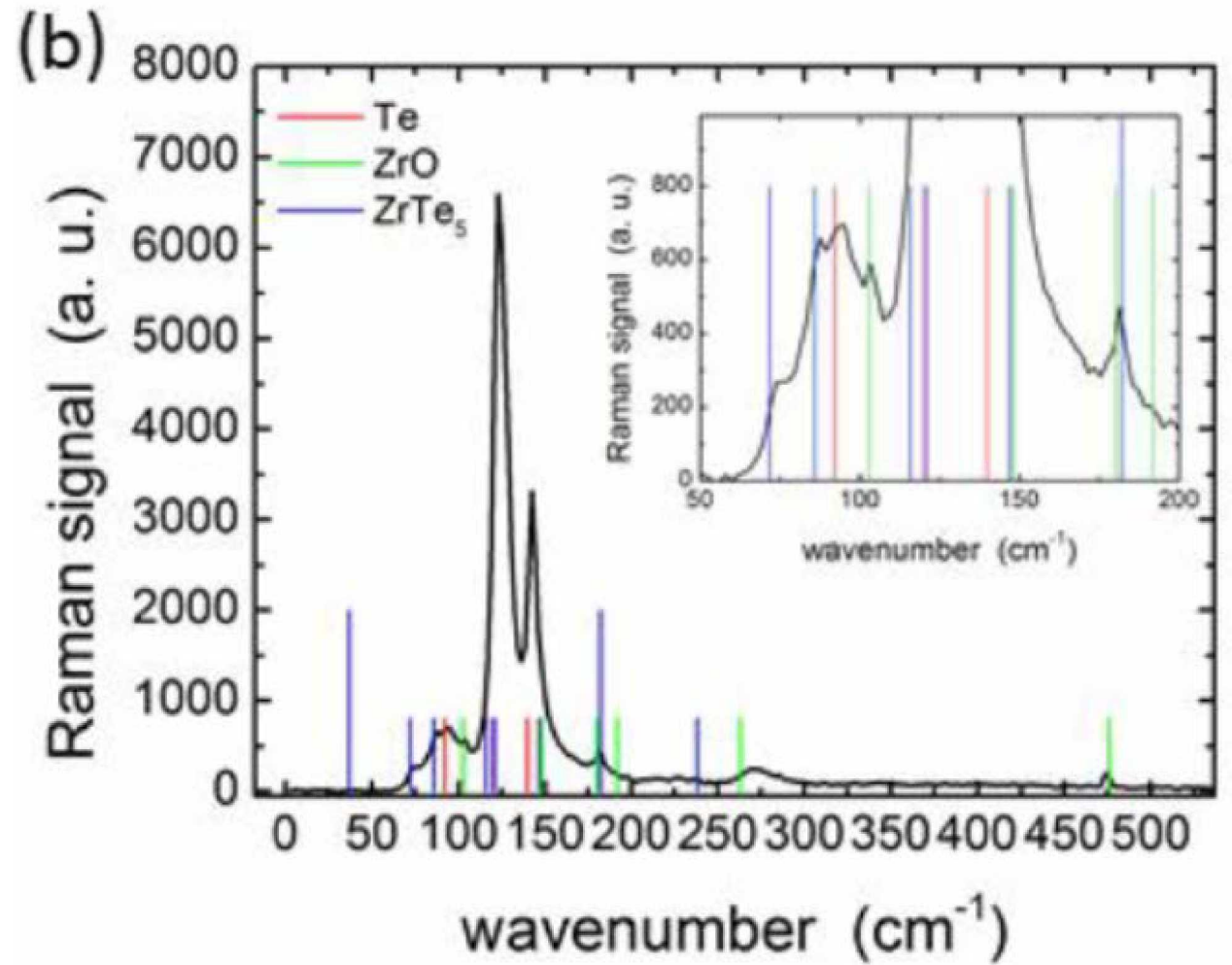
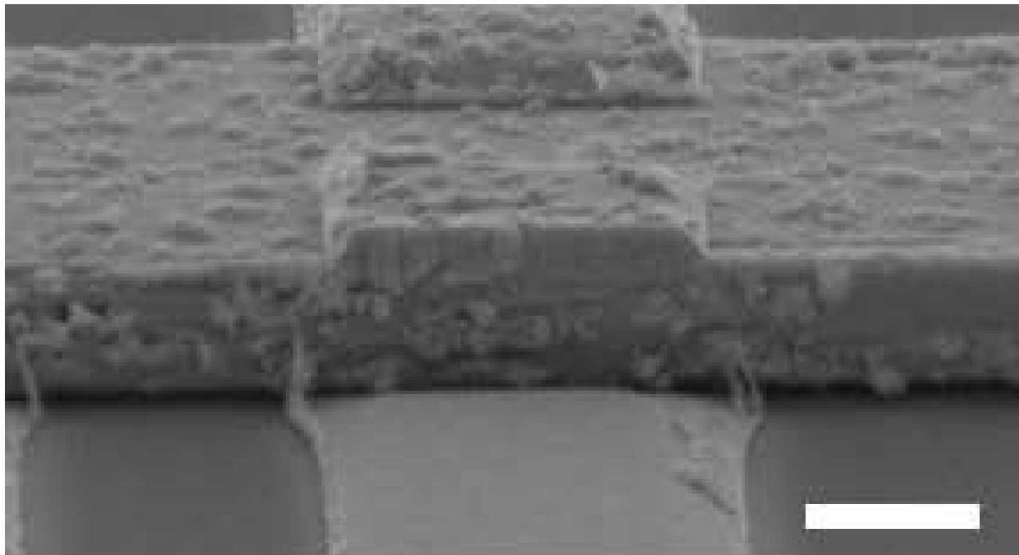




freshly fabricated device



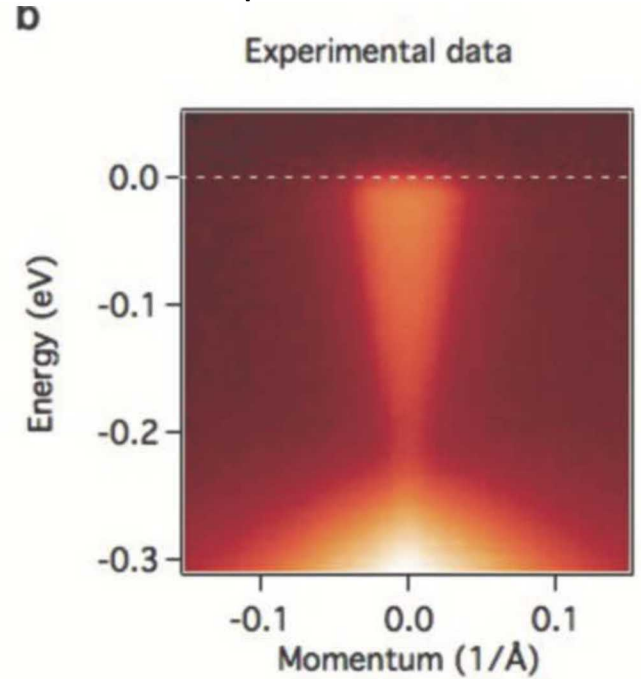
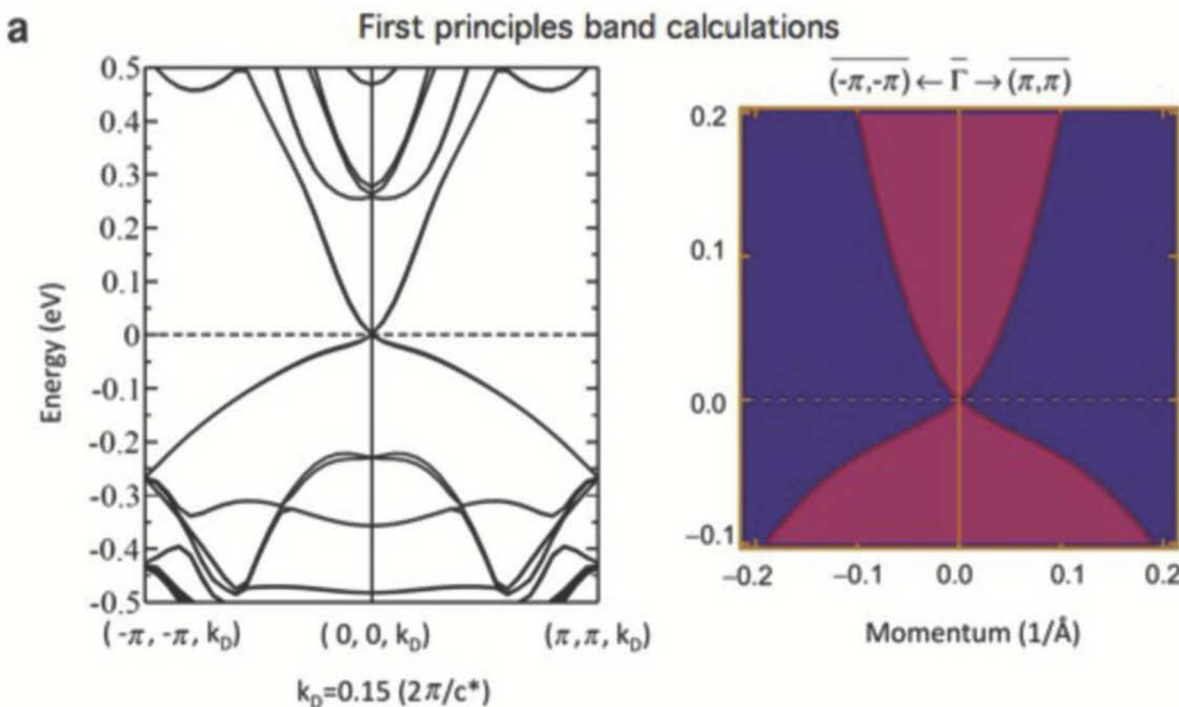
after a few days in air



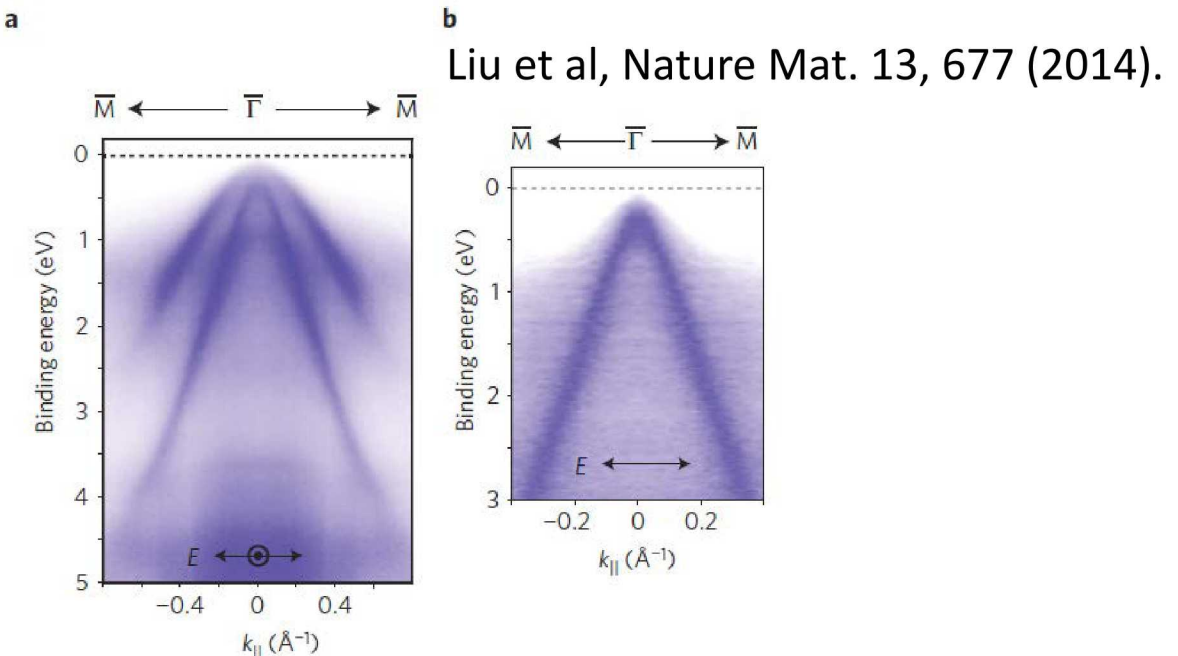
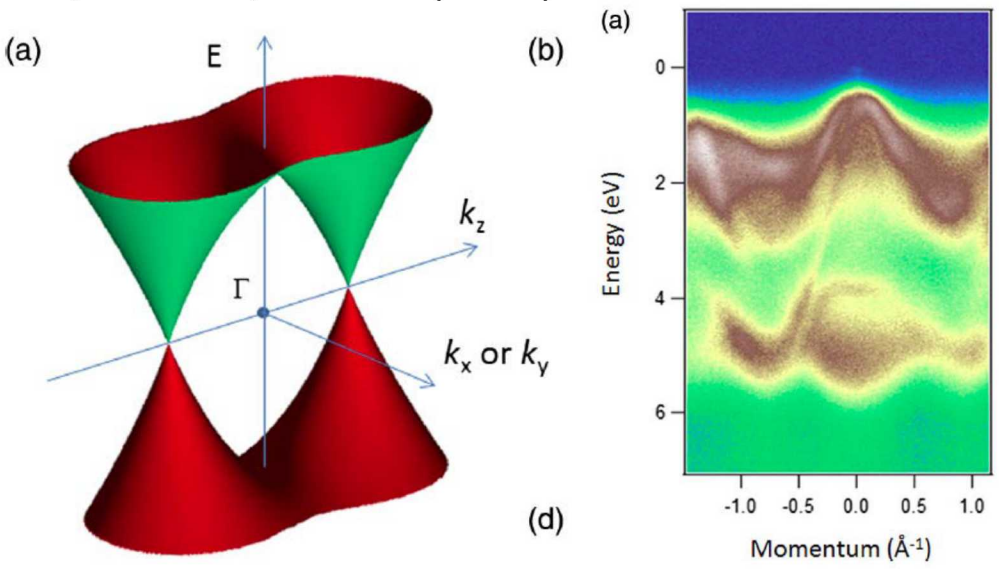


Wang et al. Three-dimensional Dirac semimetal and quantum transport in Cd<sub>3</sub>As<sub>2</sub>. Phys. Rev. B 88, 125427 (2013).

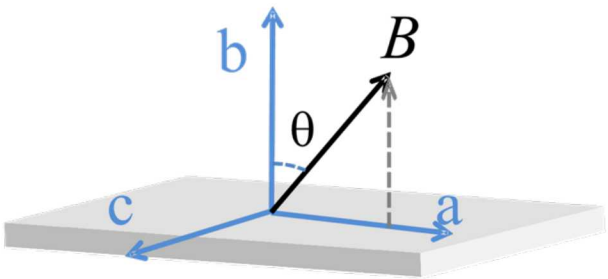
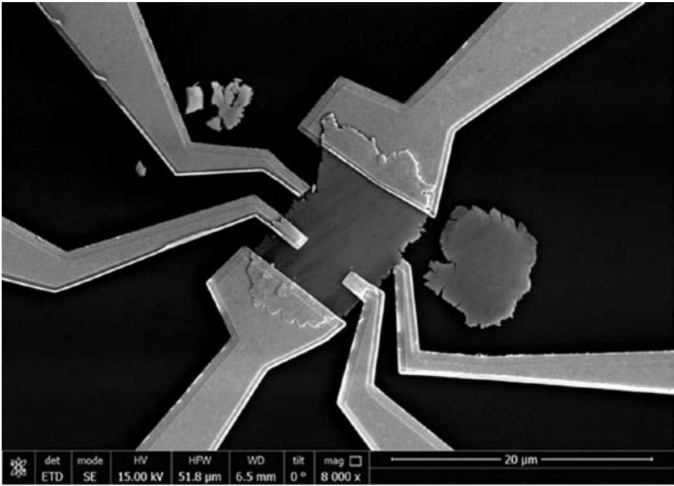
Cd<sub>3</sub>As<sub>2</sub> is a 3D Dirac semimetal, protected by the C<sub>4</sub> symmetry and spin-orbit coupling.



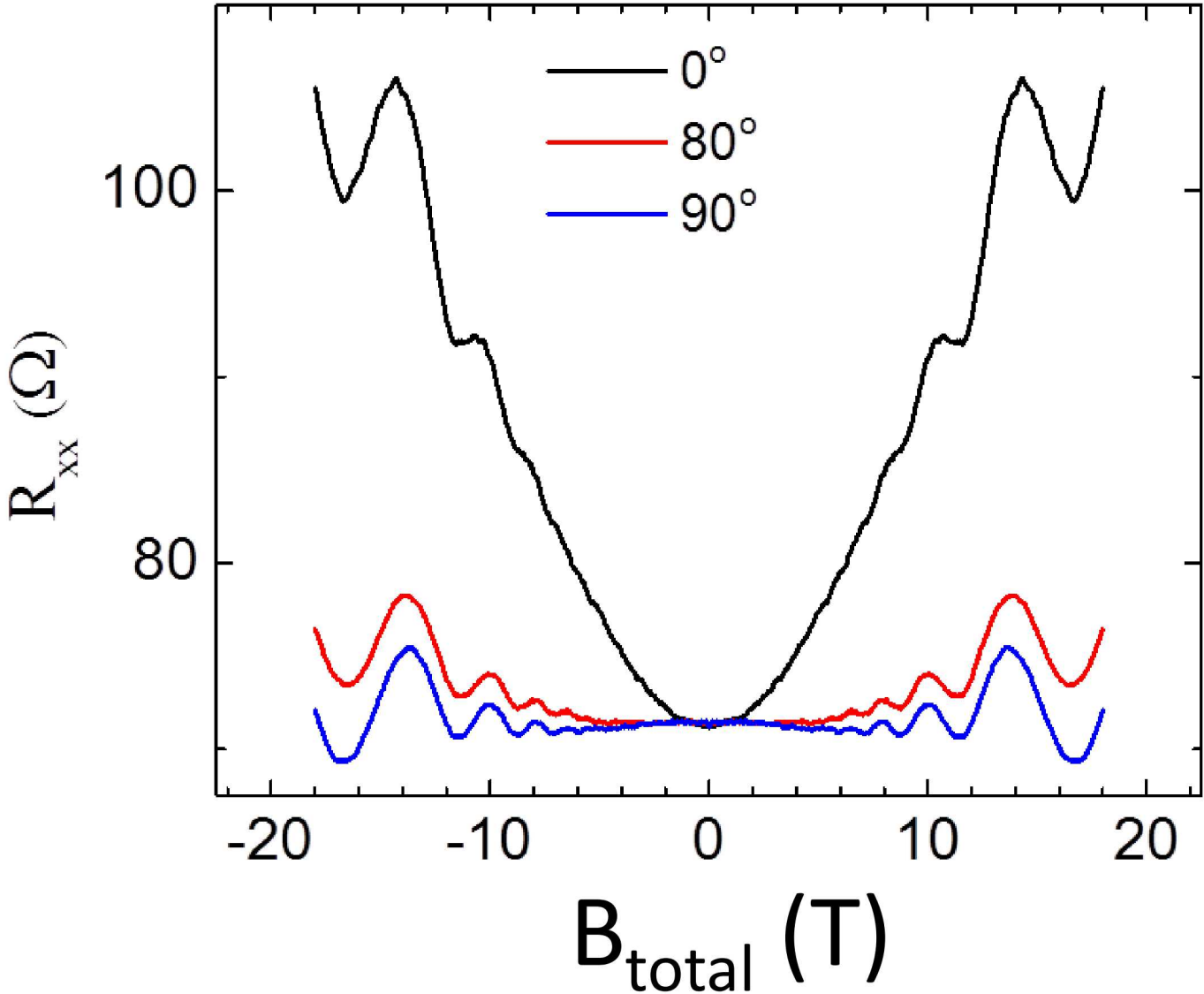
Borisen et al, PRL 113, 027603 (2014)

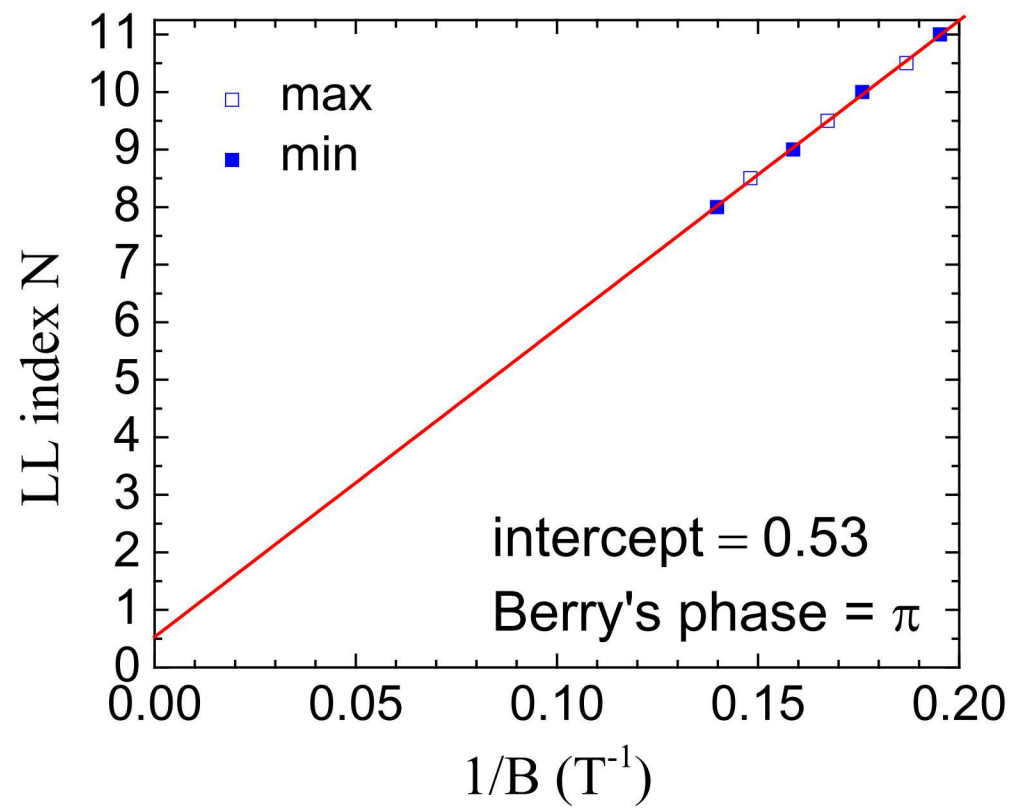
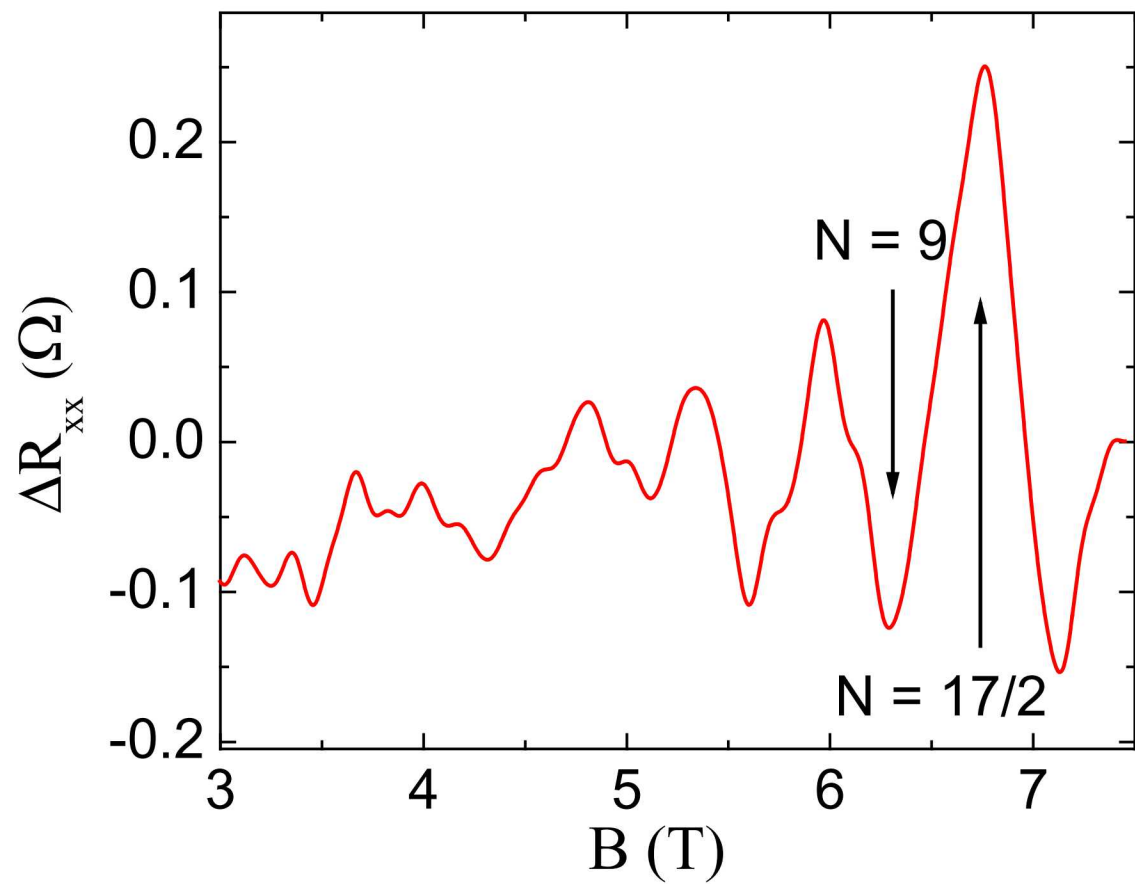


# 3D nature



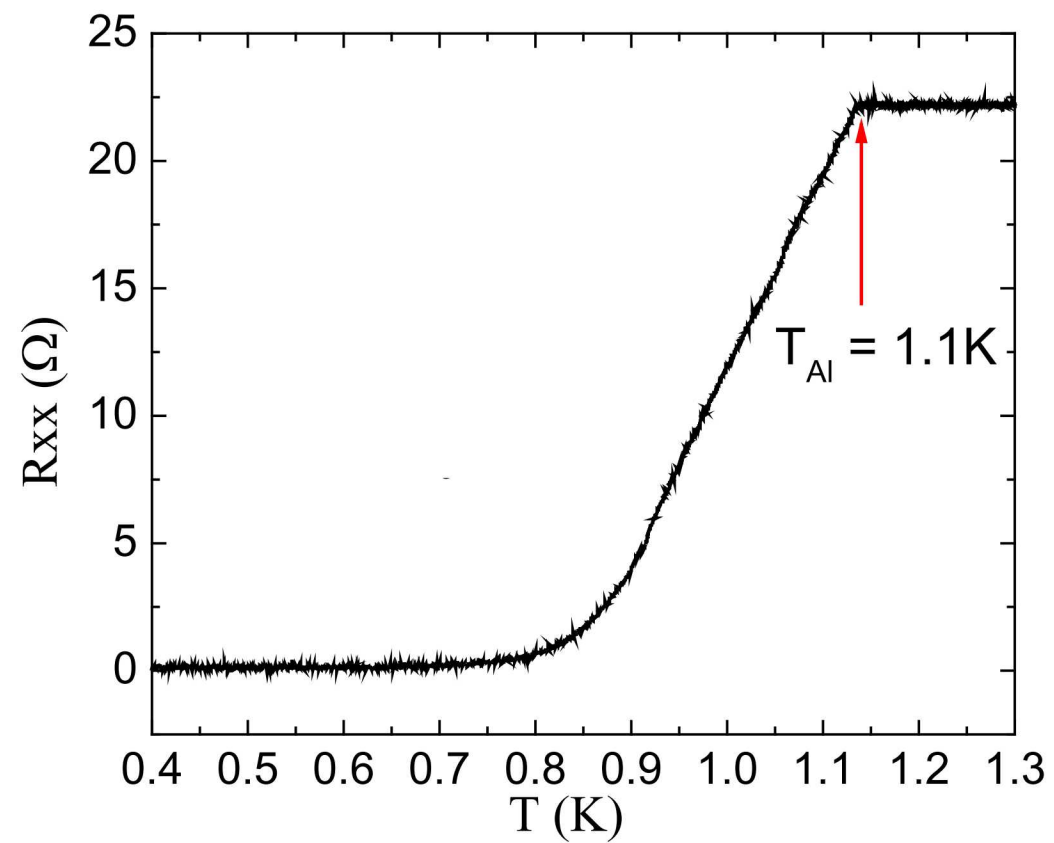
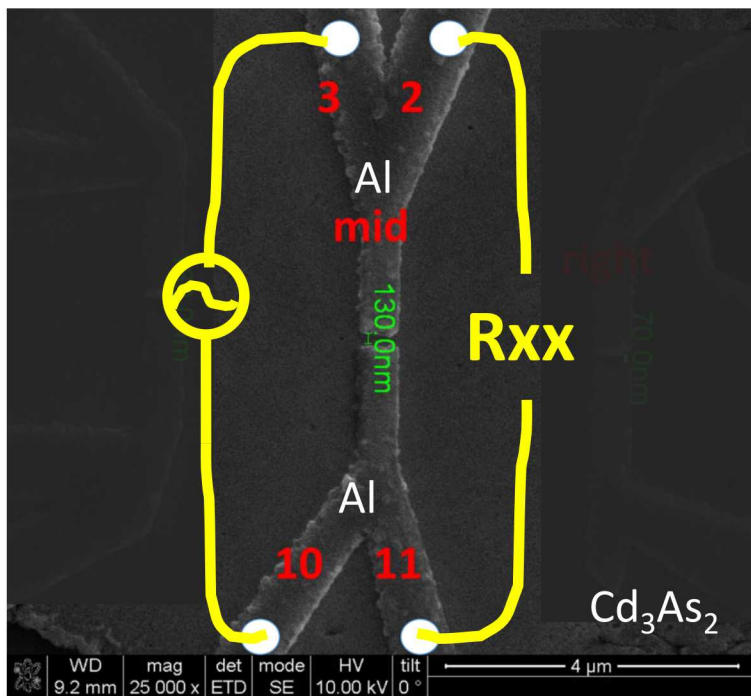
$$B_{\perp} = B * \cos(\theta)$$

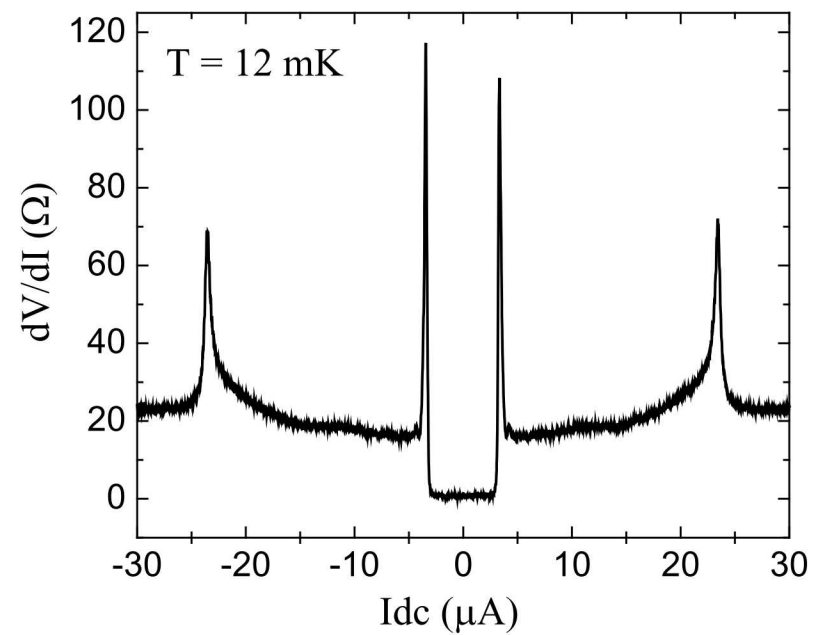
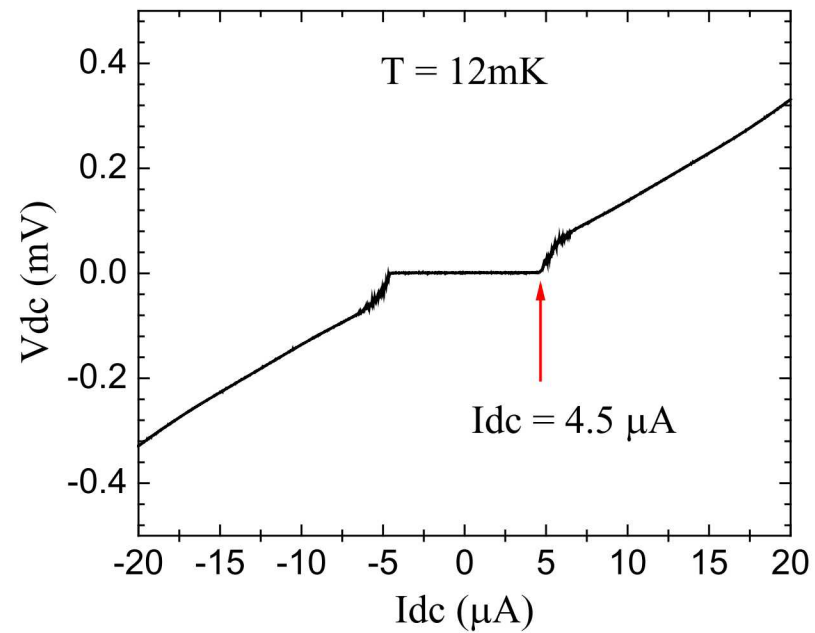
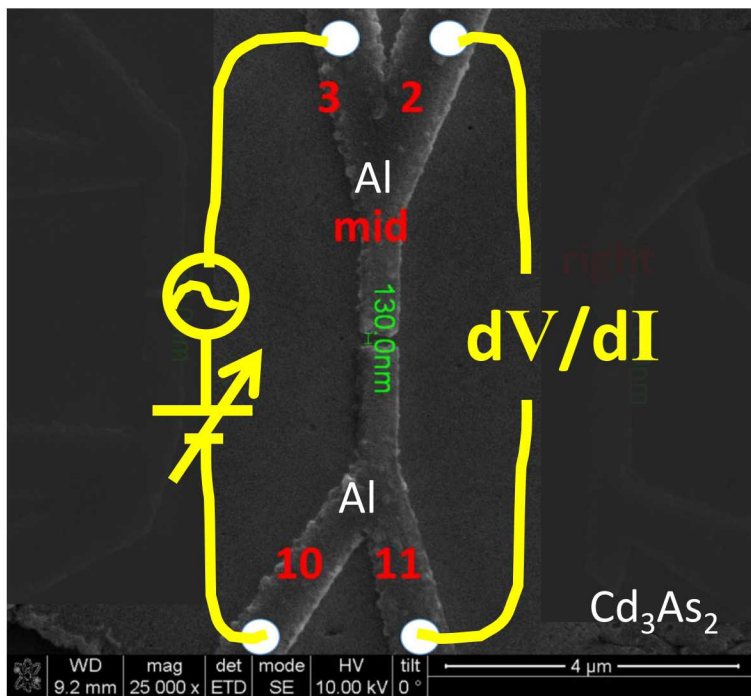


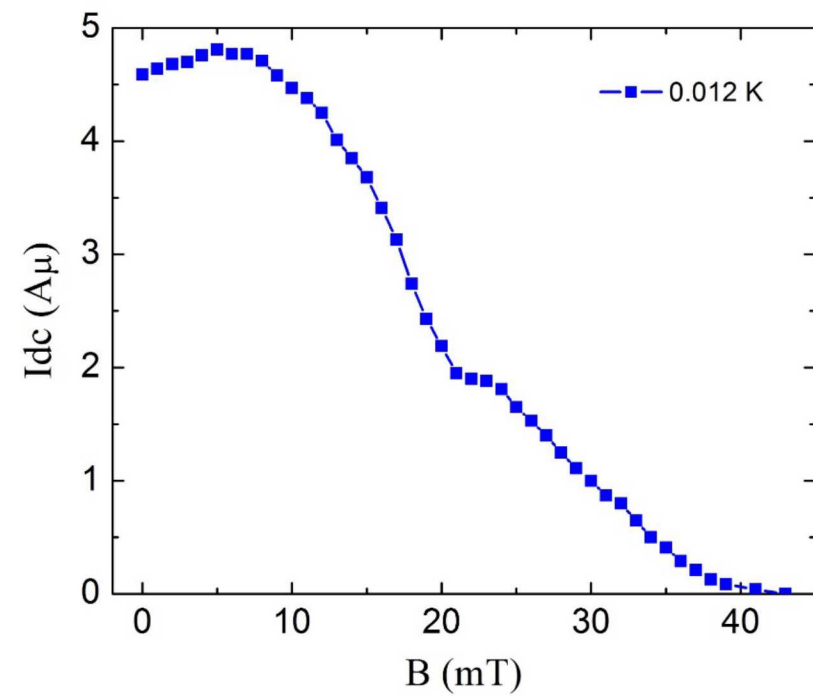
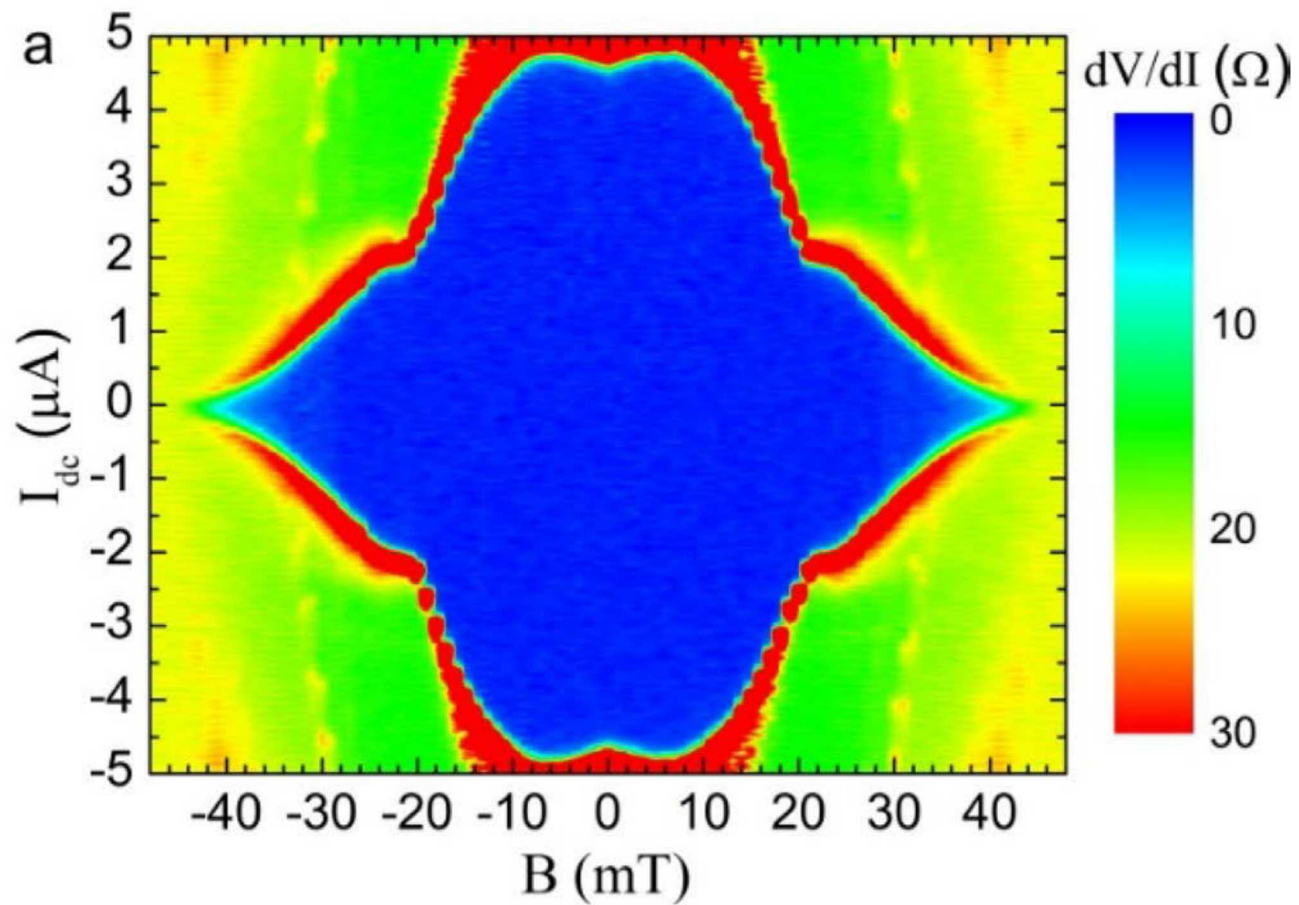


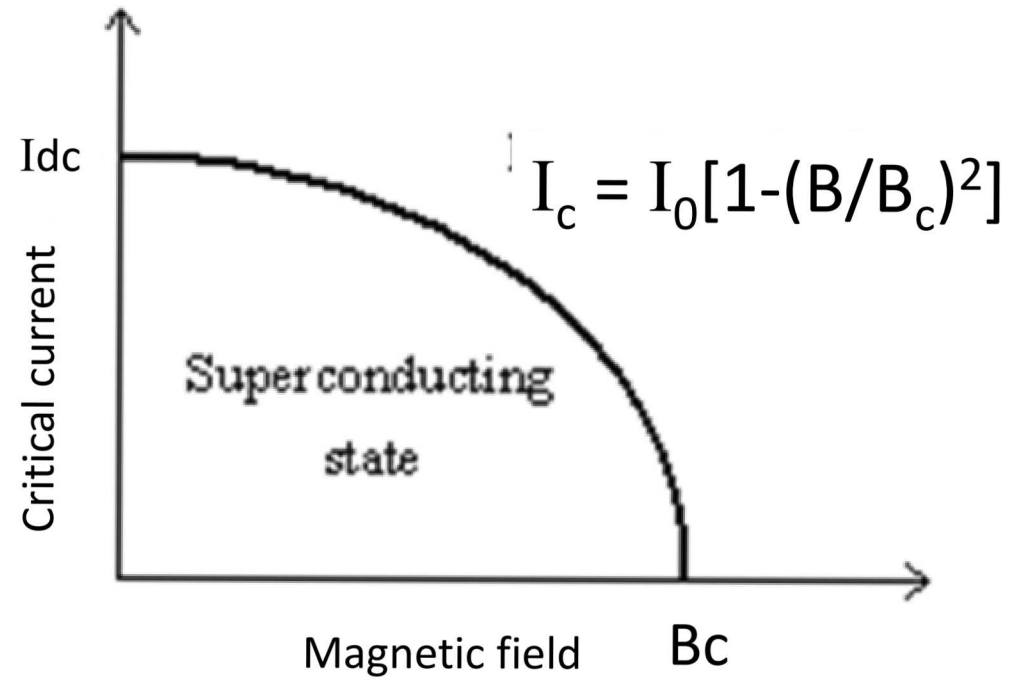
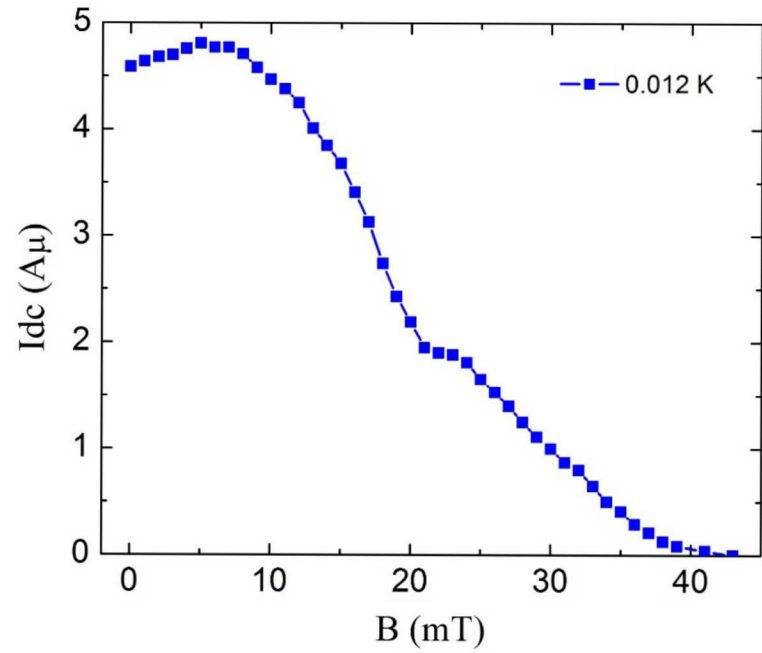
# Proximity induced superconductivity in $\text{Cd}_3\text{As}_2$

(W. Yu, W. Pan, D.L. Medlin, M.A. Rodriguez, S.R. Lee, Z.Q. Bao, F. Zhang, Phys. Rev. Lett, 2018)

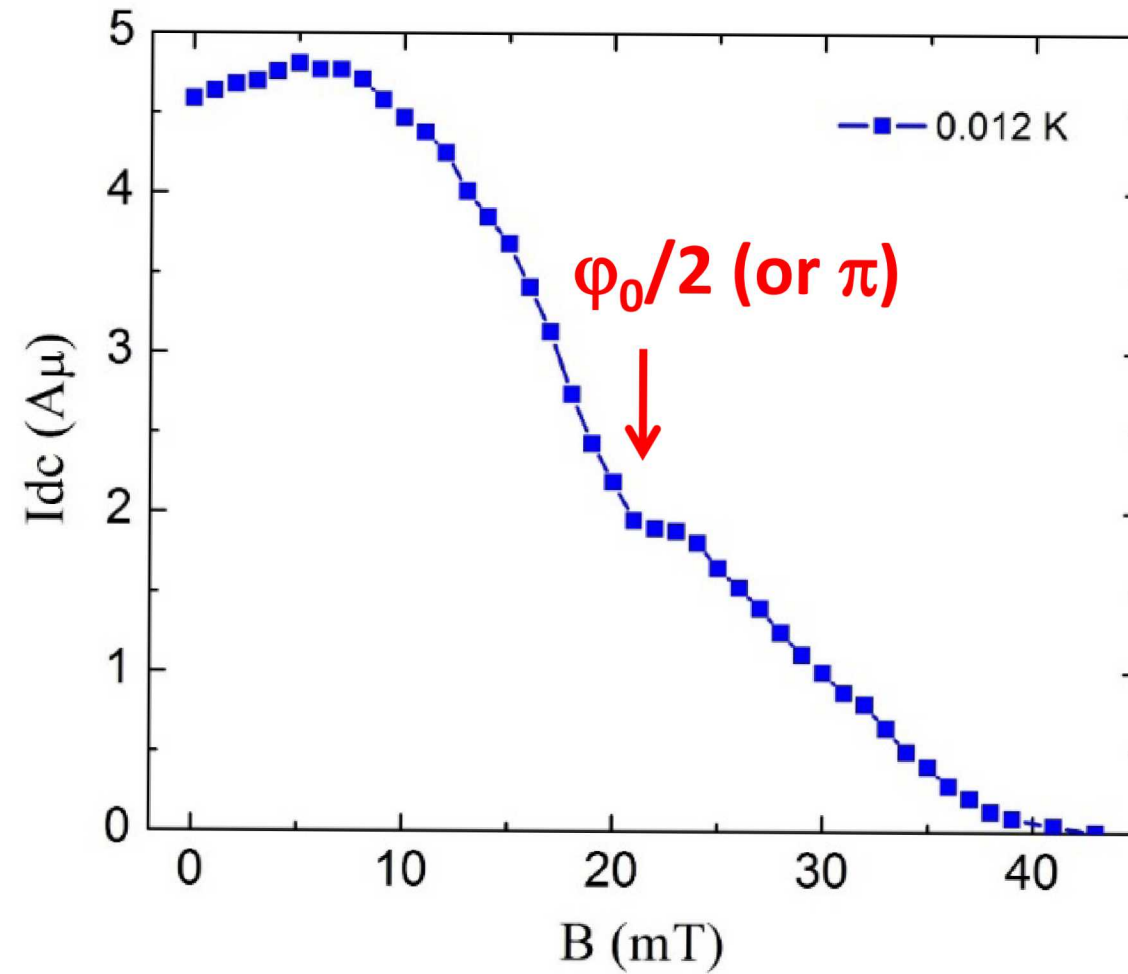






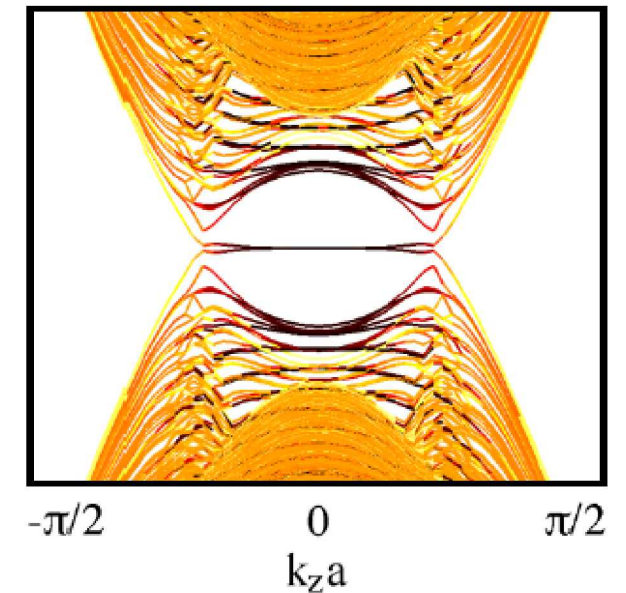
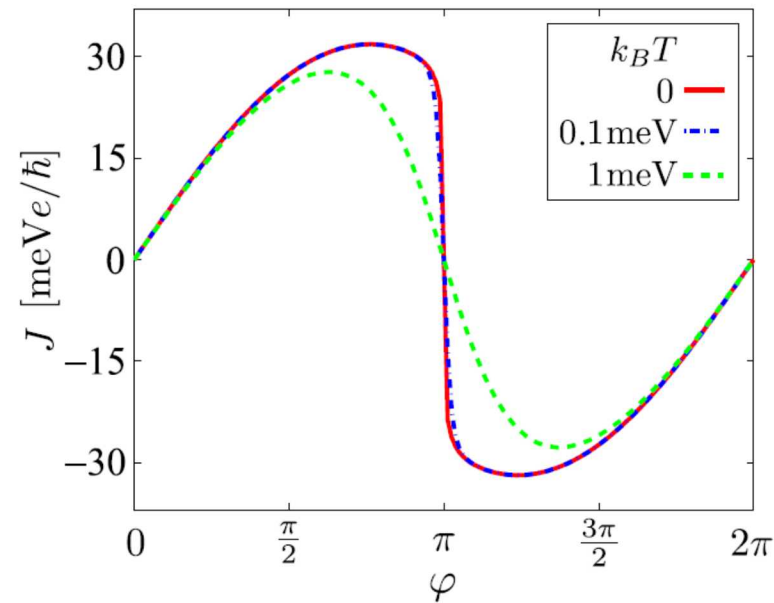
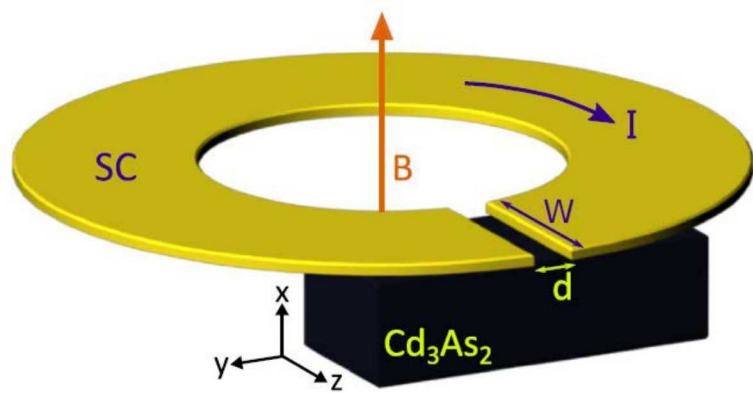


# $\pi$ anomaly



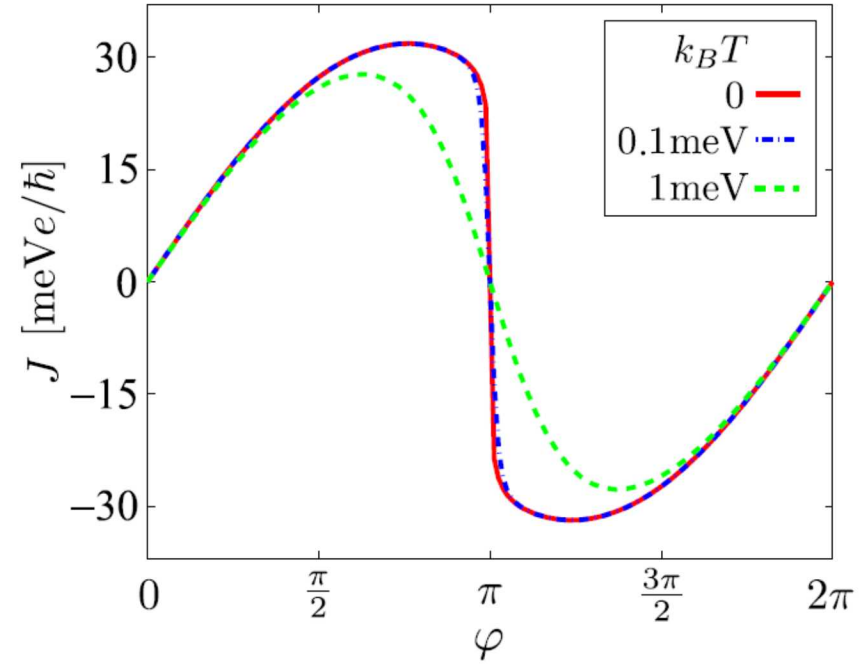
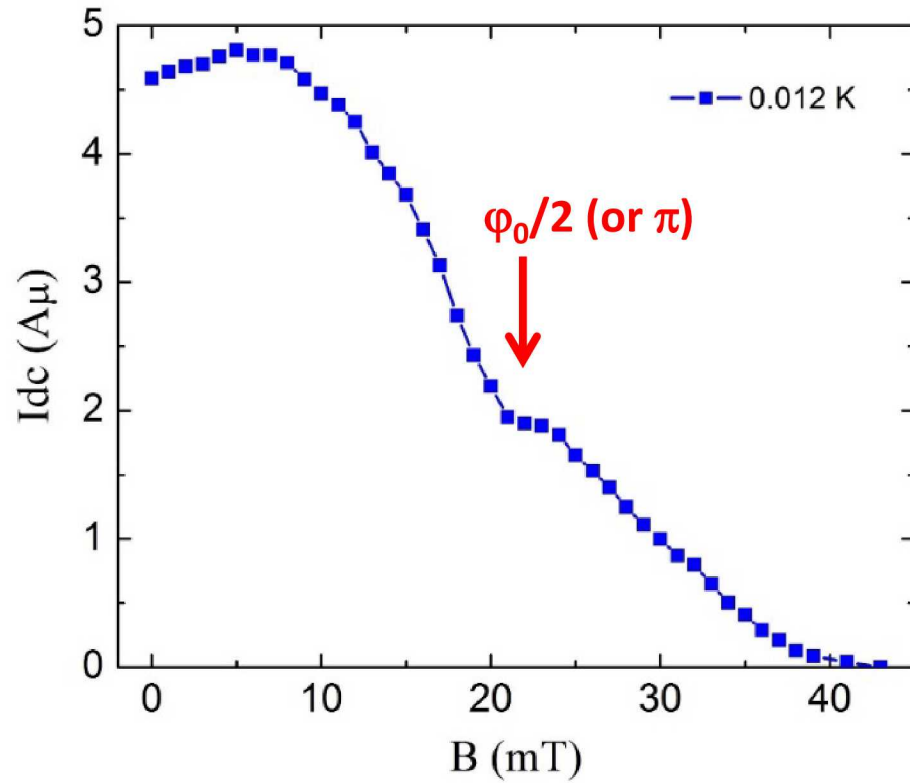
# Josephson current signatures of Majorana flat bands on the surface of time-reversal-invariant Weyl and Dirac semimetals

Anffany Chen,<sup>1,2</sup> D. I. Pikulin,<sup>1,2,3</sup> and M. Franz<sup>1,2</sup>

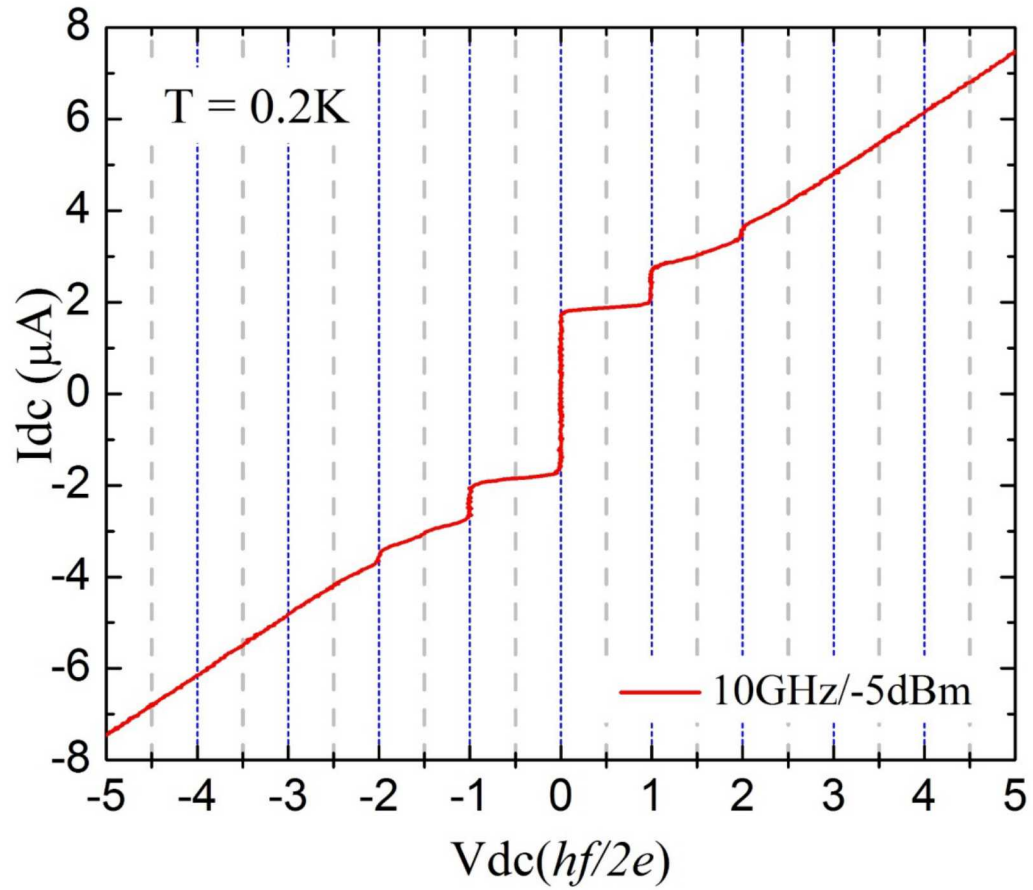
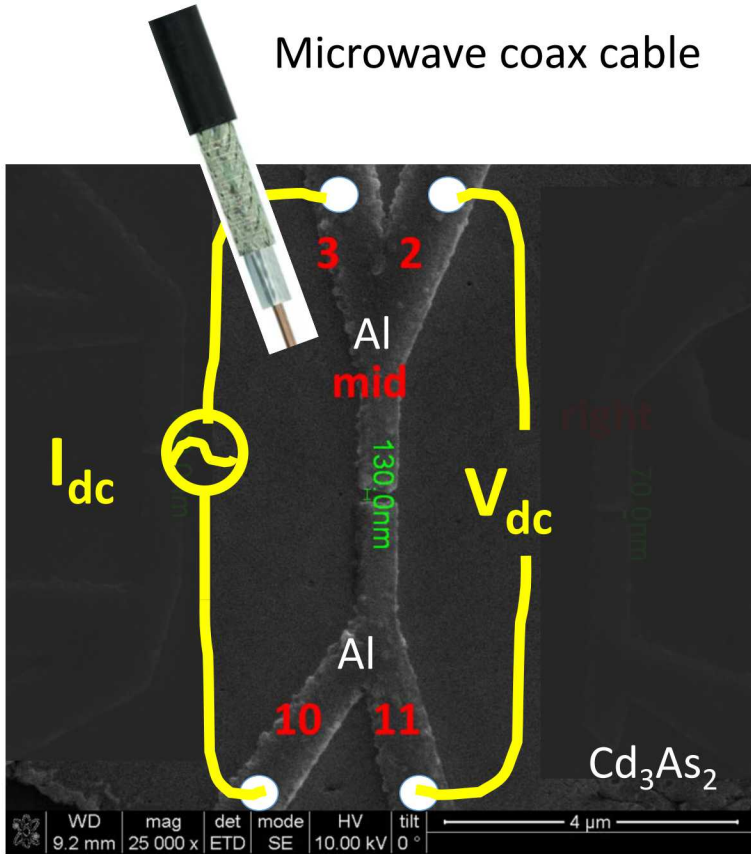


Majorana flat bands

# Formation of Majorana flat bands



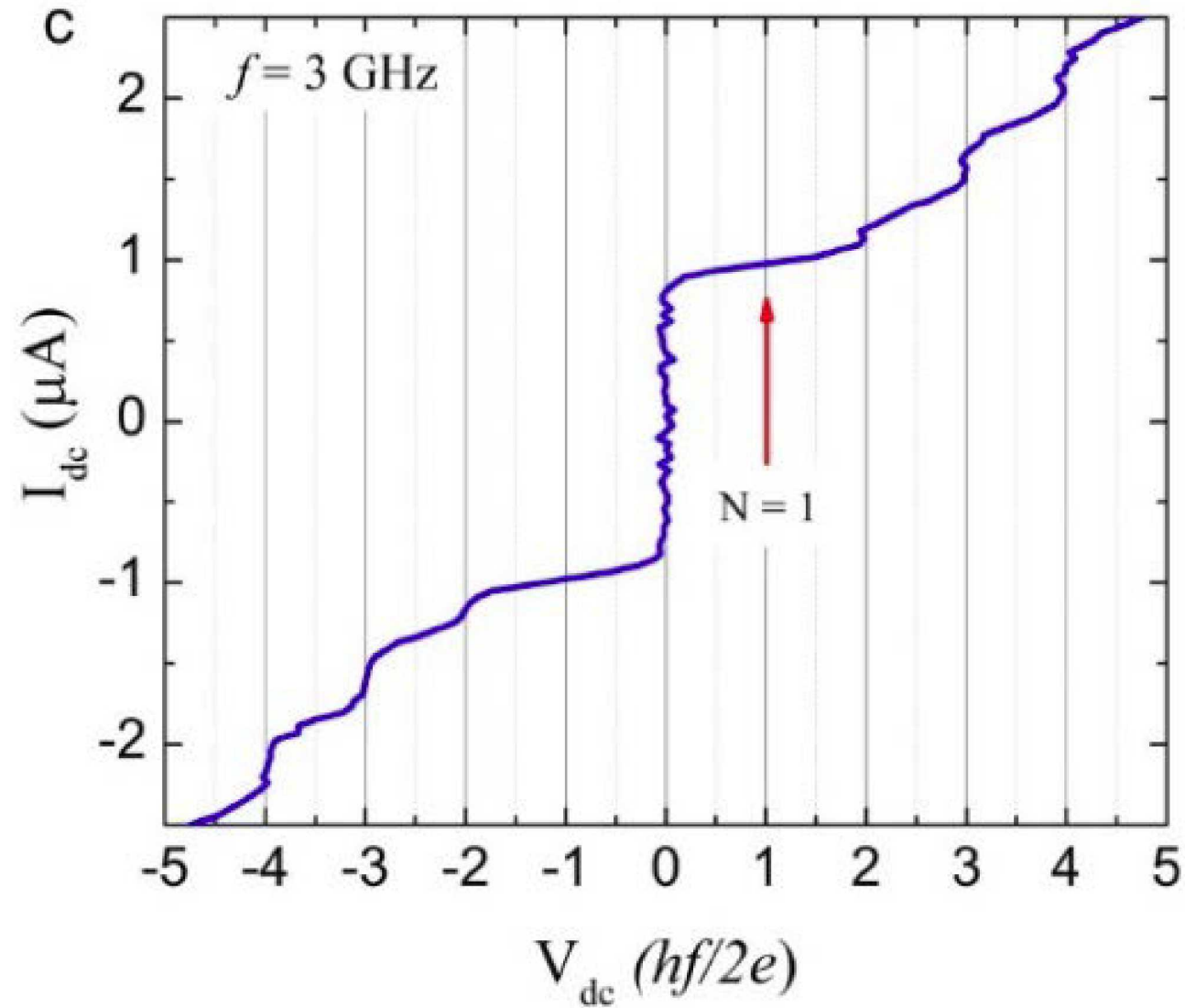
# AC Measurements



Shapiro steps:

$$V_n = nhf/2e$$

$N = +/- 1$  Shapiro steps missing



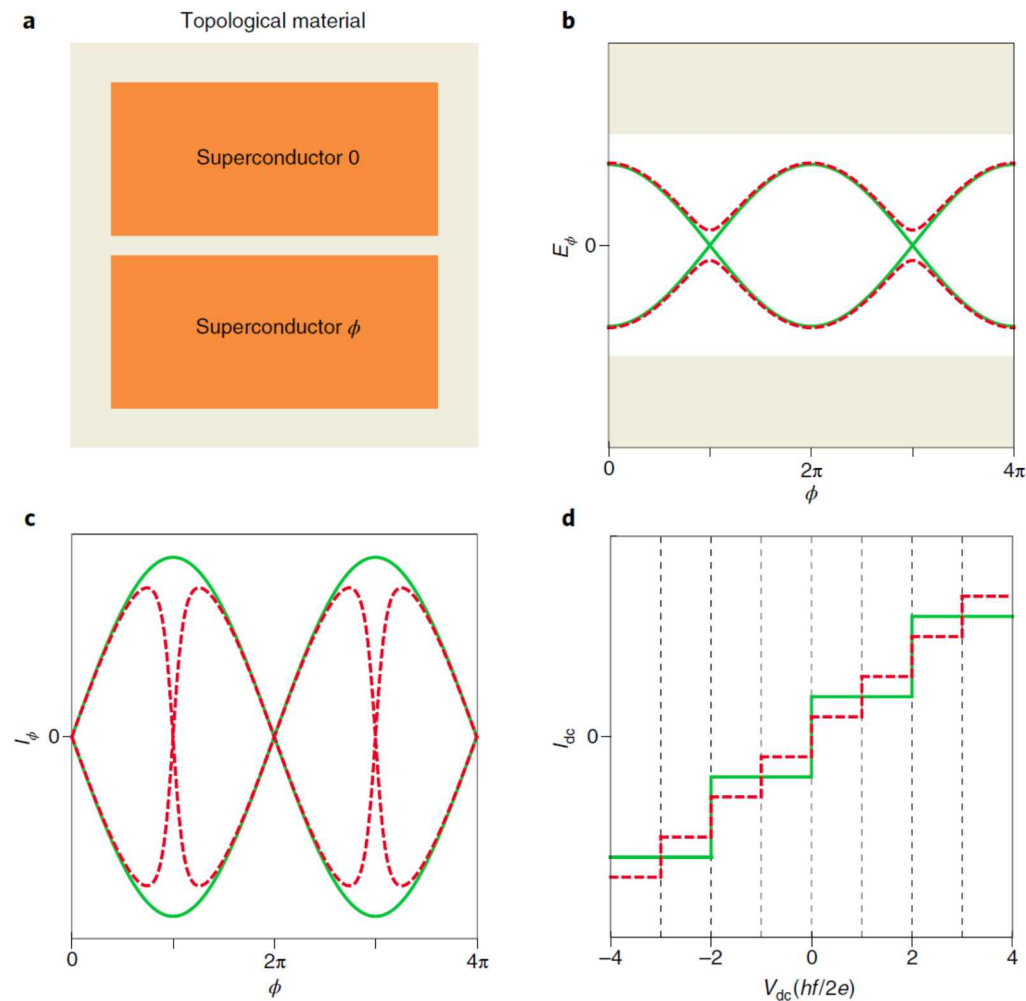
## FRACTIONAL JOSEPHSON EFFECT

## A missing step is a key step

Zhang and Pan, Nature Materials 17, 851–852 (2018)

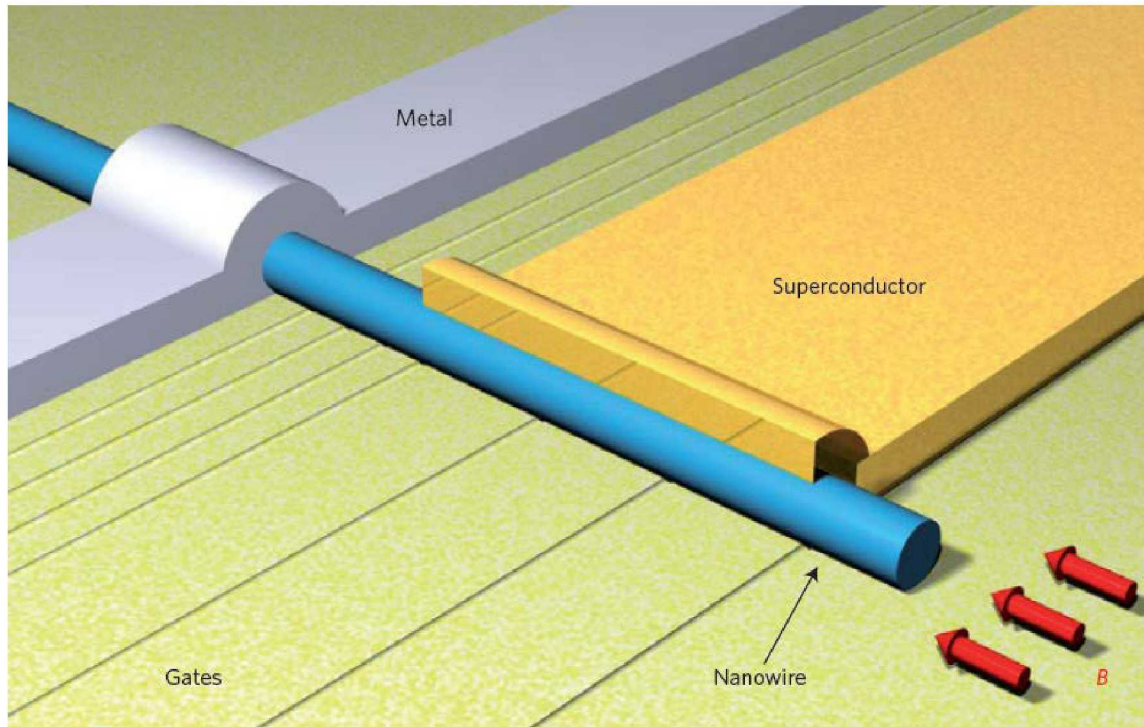
Physicists are searching for superconducting materials that can host Majoranas. New evidence for these elusive particles is provided by missing Shapiro steps in a Josephson effect mediated by an accidental Dirac semimetal.

Fan Zhang and Wei Pan

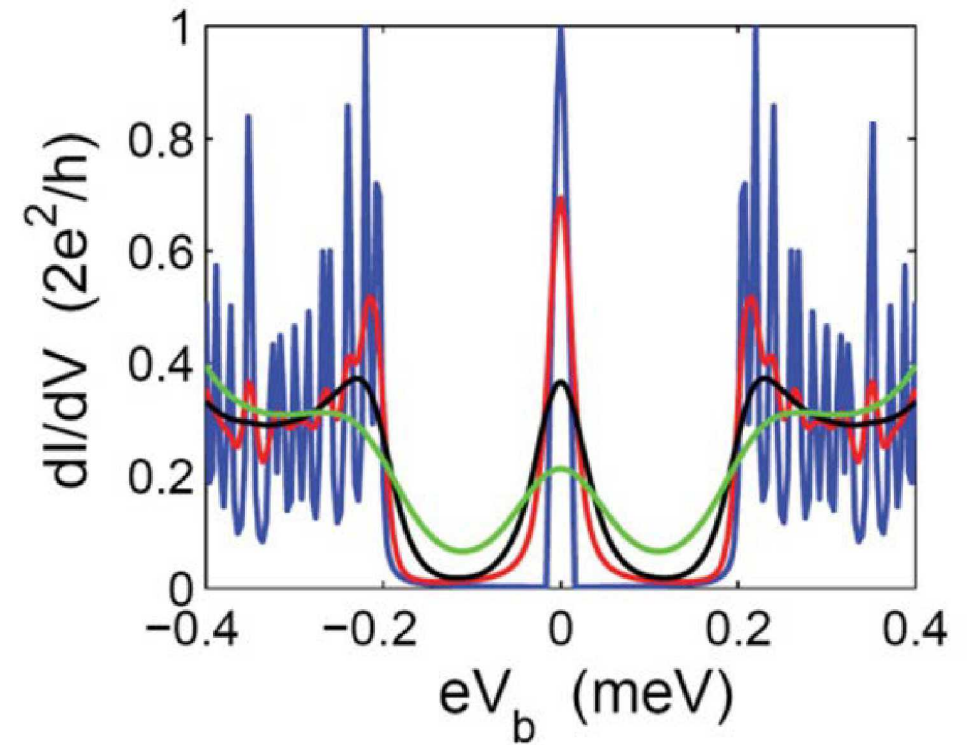


In the presence of Majorana particles, the current is  $4\pi$  periodic, and only even Shapiro steps are visible.

# Search for Majorana Zero modes: **zero bias peak**

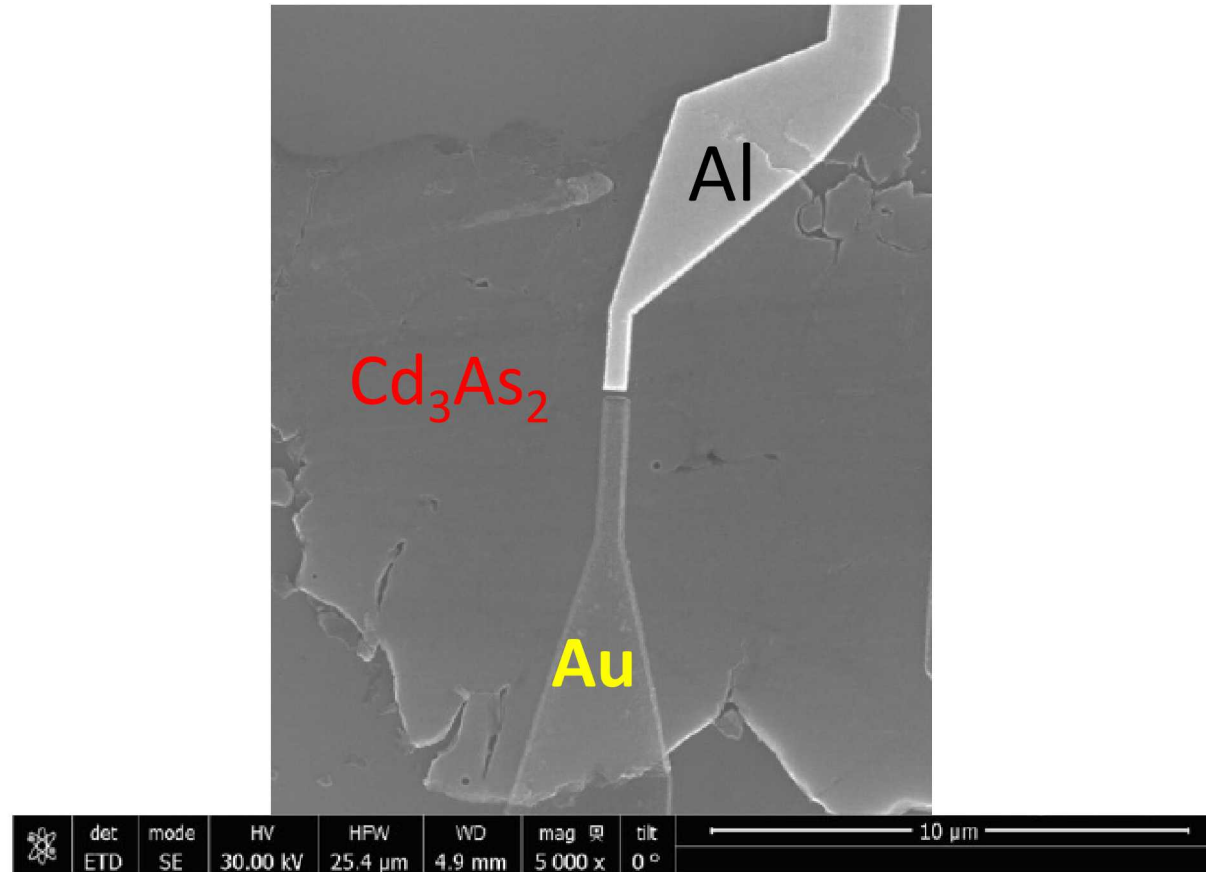


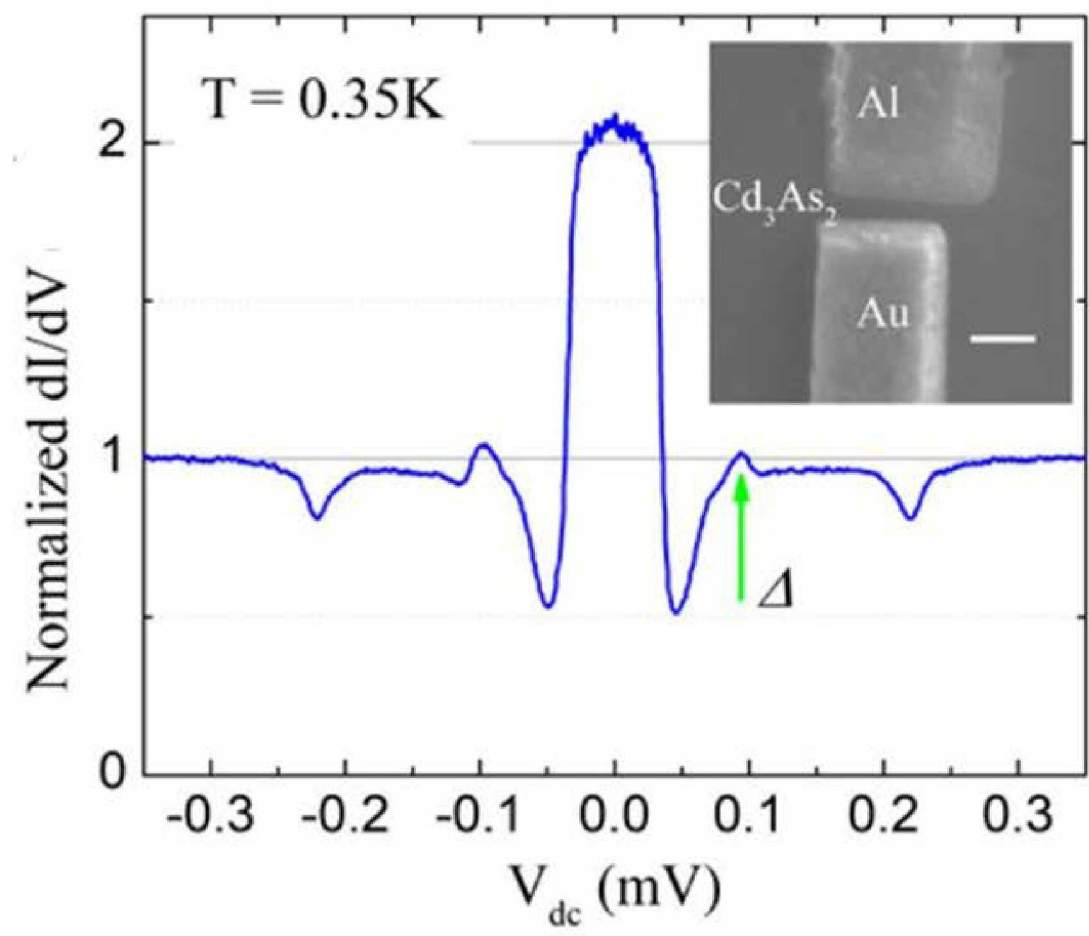
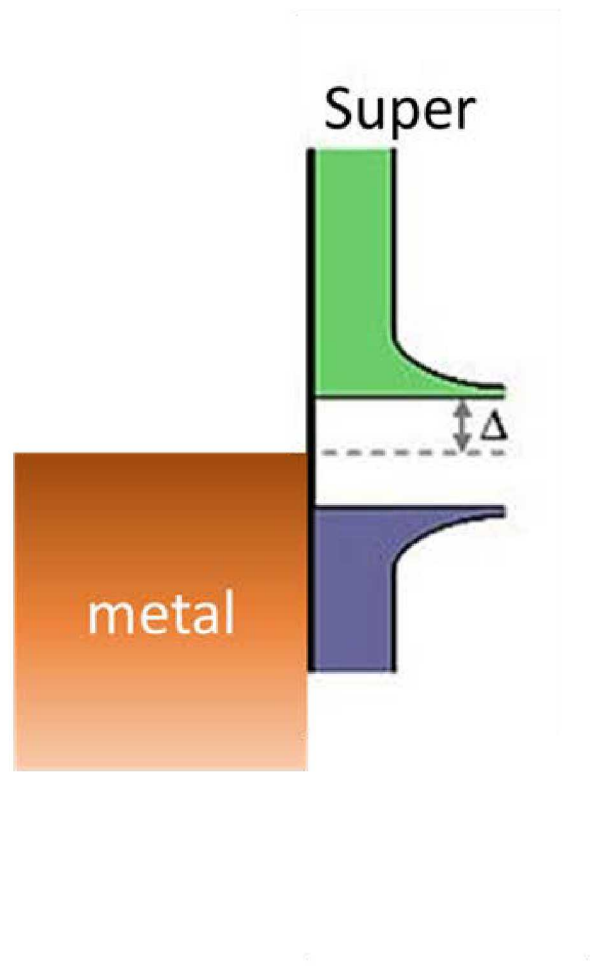
V Mourik et al, Science 336, 1003 (2012)



R.M. Lutchyn, J.D. Sau, and S. Das Sarma, PRL (2010)

# Au-Cd<sub>3</sub>As<sub>2</sub>-Al tunnel junctions

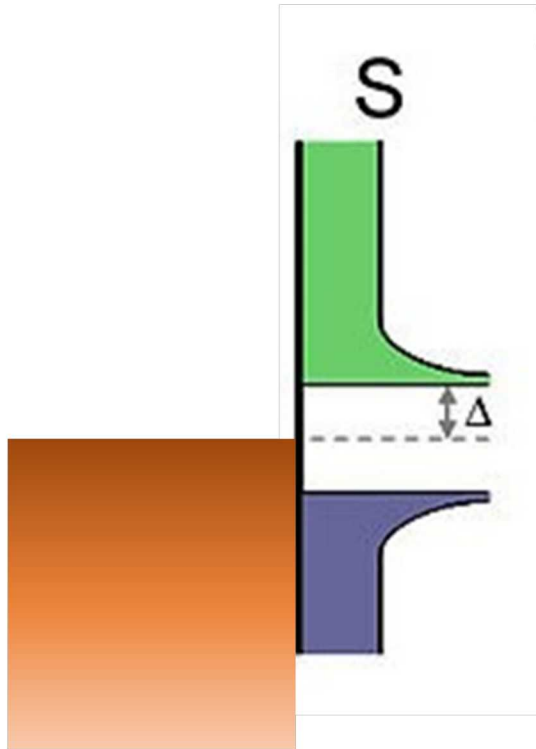




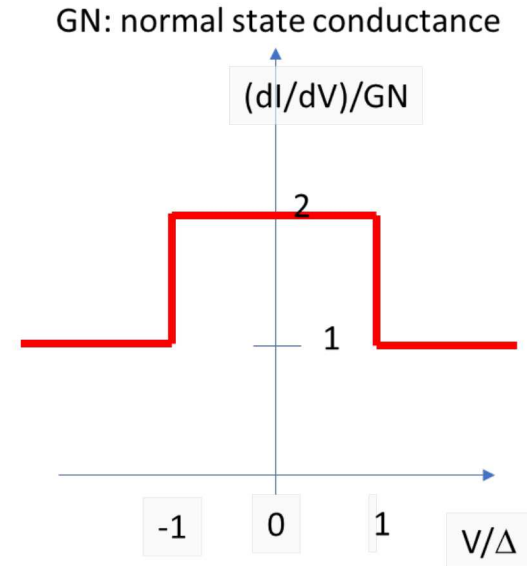
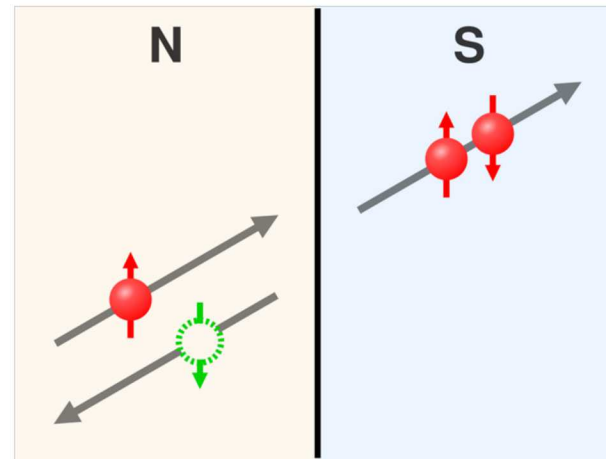
# Andreev reflection

Metal + superconductor(SC) junction

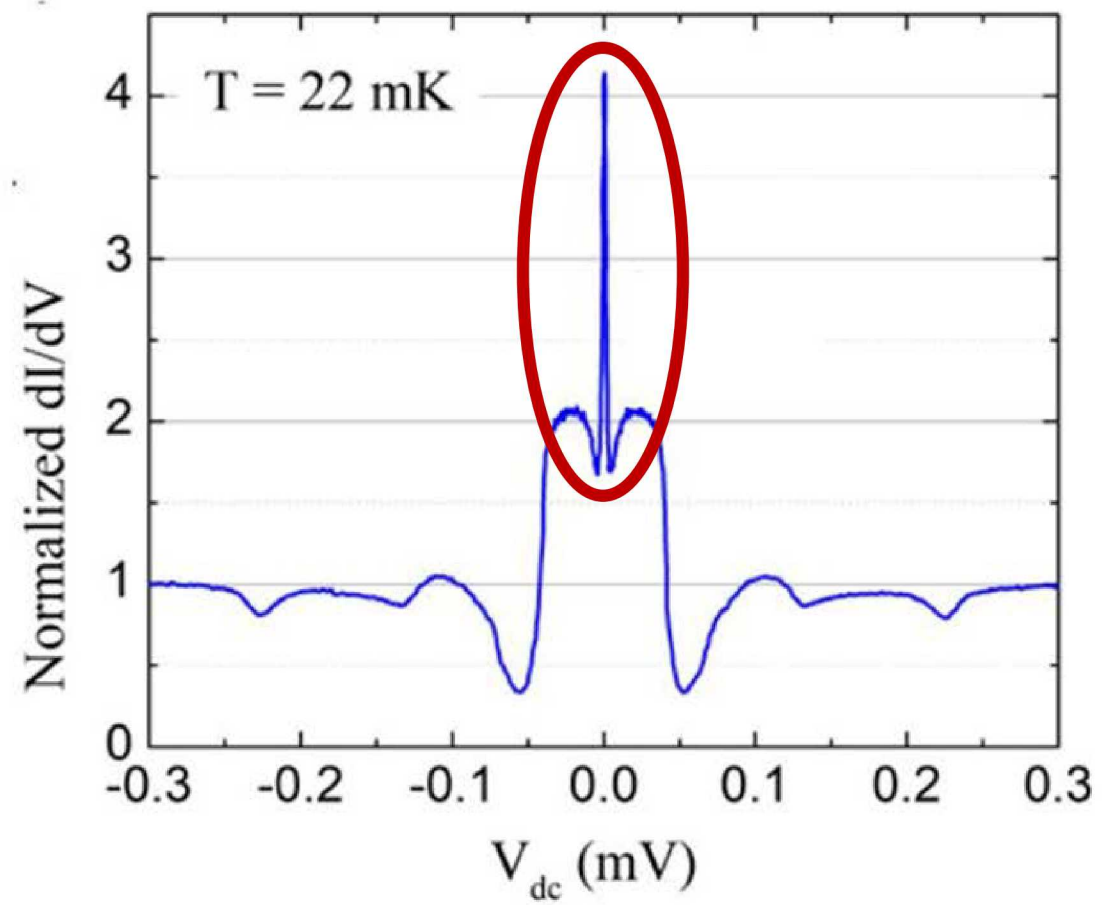
**Assuming Andreev reflection:**

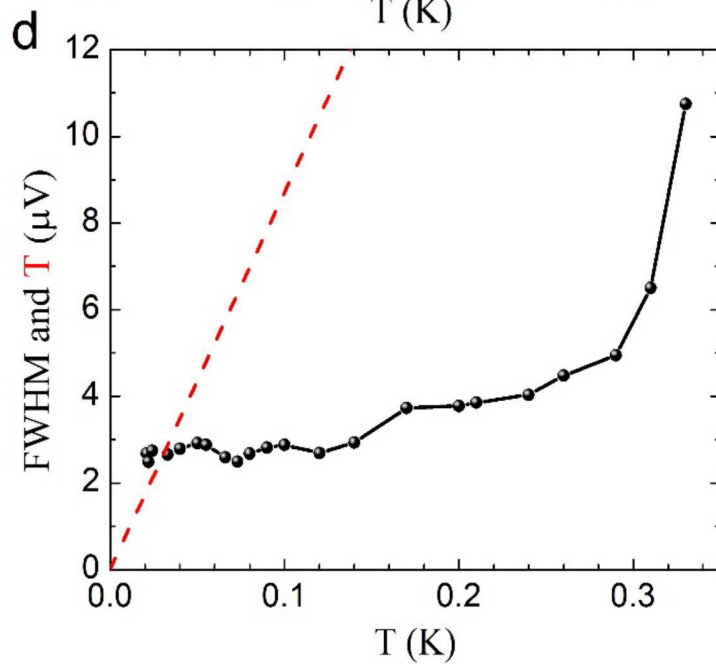
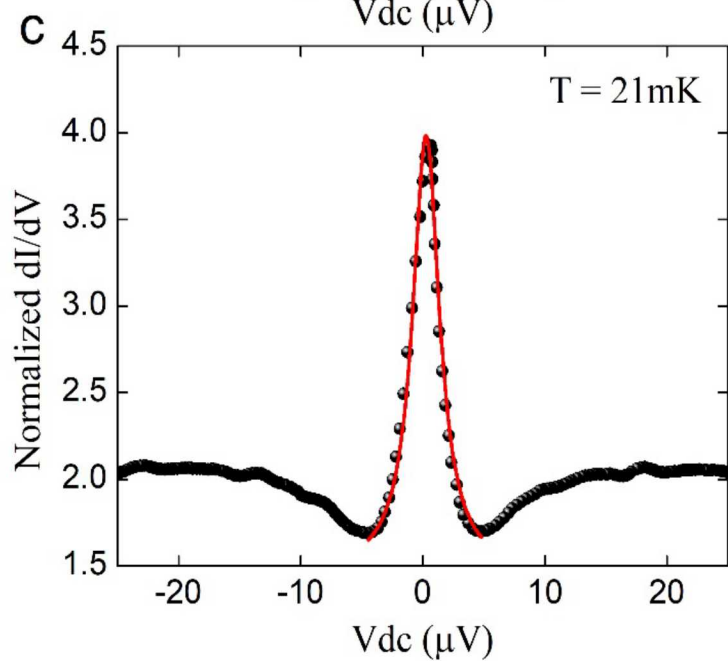
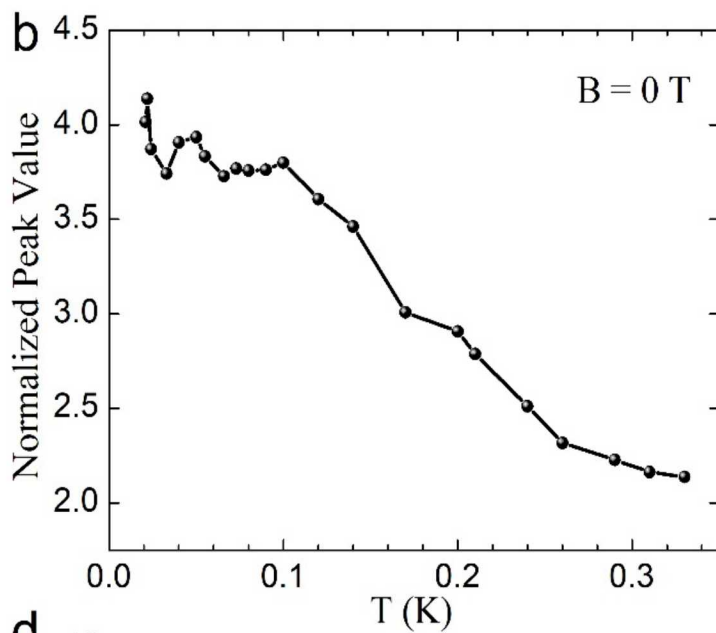
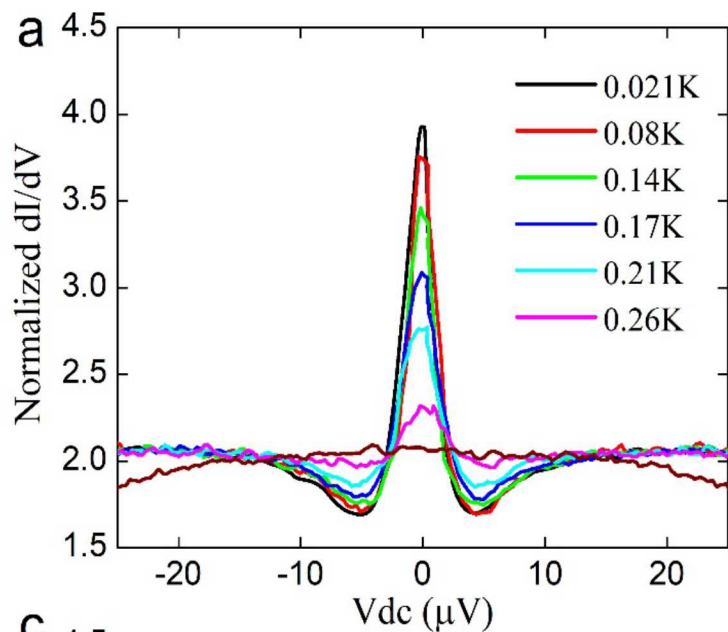


Andreev reflection process involves an electron incident on the interface from the normal metal at energies less than the superconducting energy gap. The incident electron forms a Cooper pair in the superconductor with the retroreflection of a hole of opposite spin and velocity but equal momentum to the incident electron, as seen in the figure. (from wiki)



Because of Andreev reflection, there is a finite conductance even when  $V$  is smaller than  $\Delta$ . Due to two conducting processes, electron tunneling from metal into SC and reflection of hole, the conductance actually is doubled.

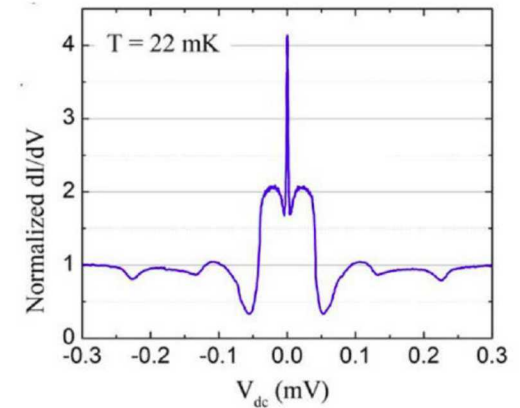
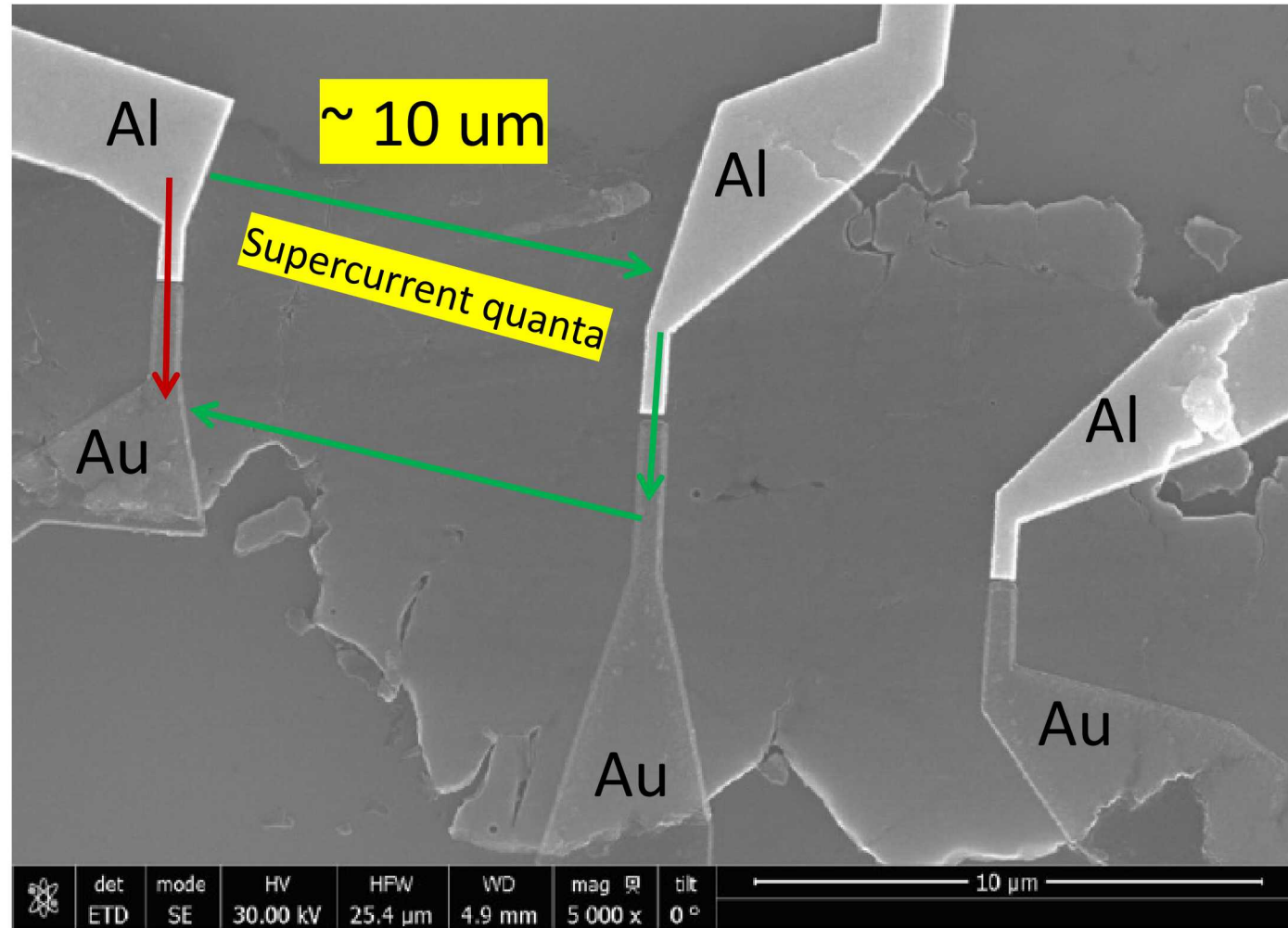




For MZMs:  
 $FWHM \sim 3.5 k_B T$

# A possible Ivanchenko and Zil'berman (1968) origin

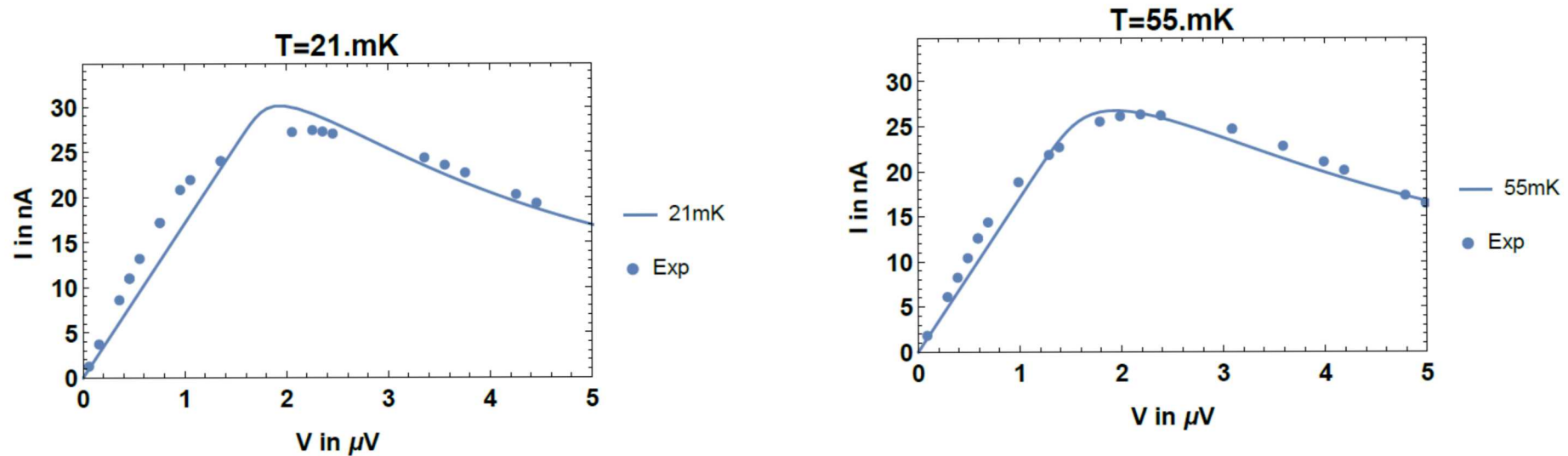
(JETP Lett. 8, 113 (1968))



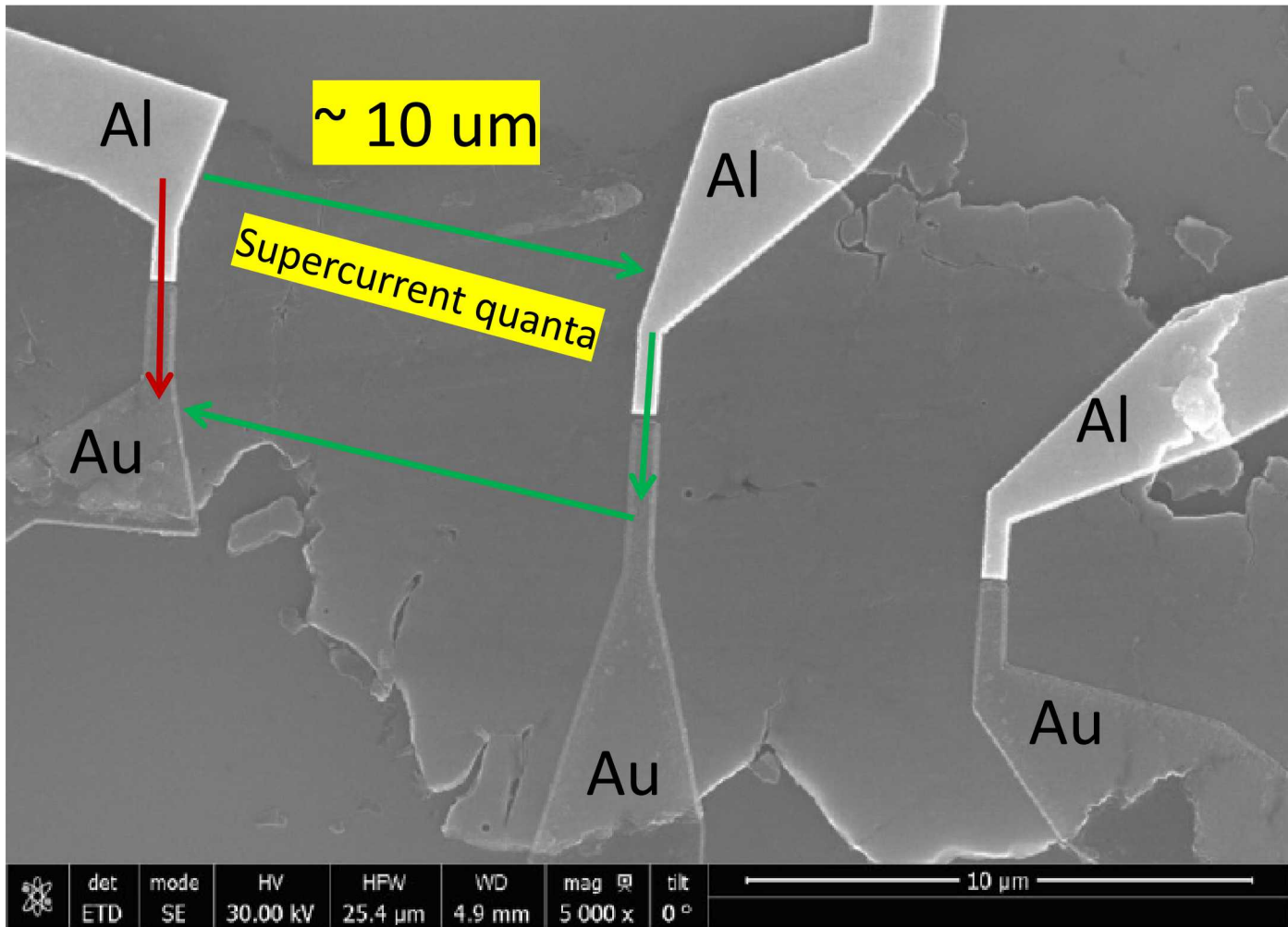
In collaboration with Dima Pikulin at Microsoft Station Q,  
and Rafael Haenel and Marcel Franz at UBC

# Ivanchenko and Zil'berman 1968

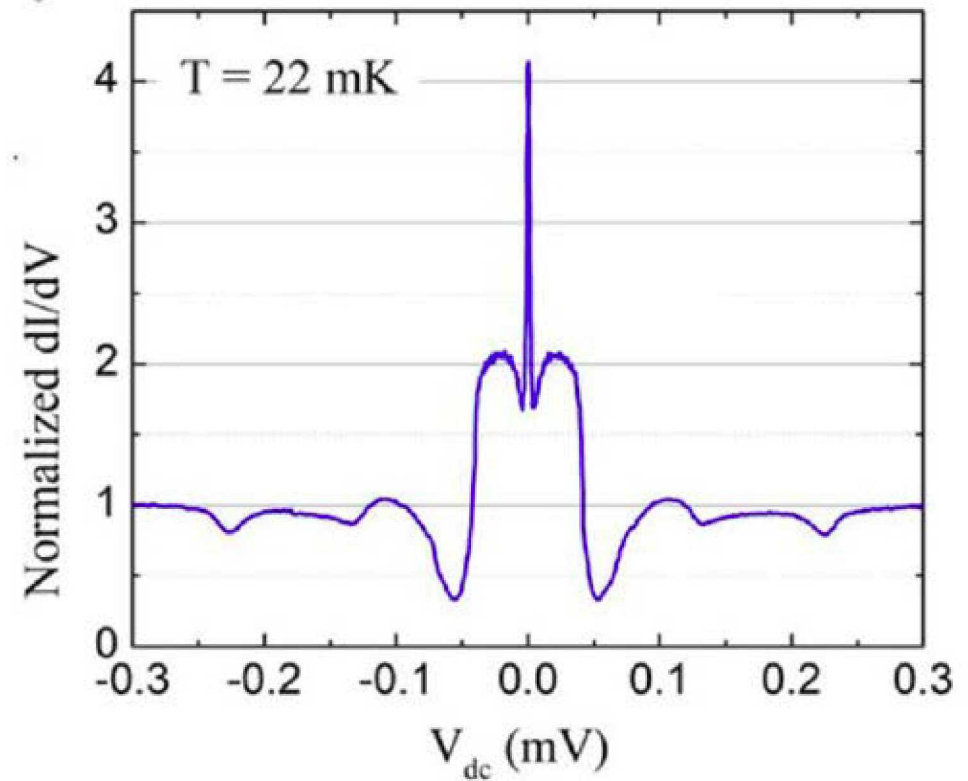
$$I(V) = I_0 \operatorname{Im} \left[ \frac{I_{1-2i\beta(V+R_2I)\hbar/(2e(R_1+R_2))} \left( \beta \frac{\hbar}{2e} I_0 \frac{\Delta(T)}{\Delta(0)} \right)}{I_{-2i\beta(V+R_2I)\hbar/(2e(R_1+R_2))} \left( \beta \frac{\hbar}{2e} I_0 \frac{\Delta(T)}{\Delta(0)} \right)} \right]$$



In collaboration with Dima Pikulin at Microsoft Station Q,  
and Rafael Haenel and Marcel Franz at UBC



However, the phase coherence length of  $\text{Cd}_3\text{As}_2 \sim 0.6 \mu\text{m}$  (obtained from weak anti-location fitting) is much less than  $10 \mu\text{m}$ !



The origin of the zero bias peak in our Au- $\text{Cd}_3\text{As}_2$ -Al tunnel junctions remains puzzling !

Sandia team:

Stan Chou

Steve Lee

Francois Leonard

Doug Medlin

Normand Modine

Tina Nenoff

George Wang

Joel Wendt

External collaborators:

Fan Zhang (UT Dallas)

Dima Pikulin (Station Q)

Marcel Franz (UBC)

Thank you!