



Thermally Activated Friction in MoS₂

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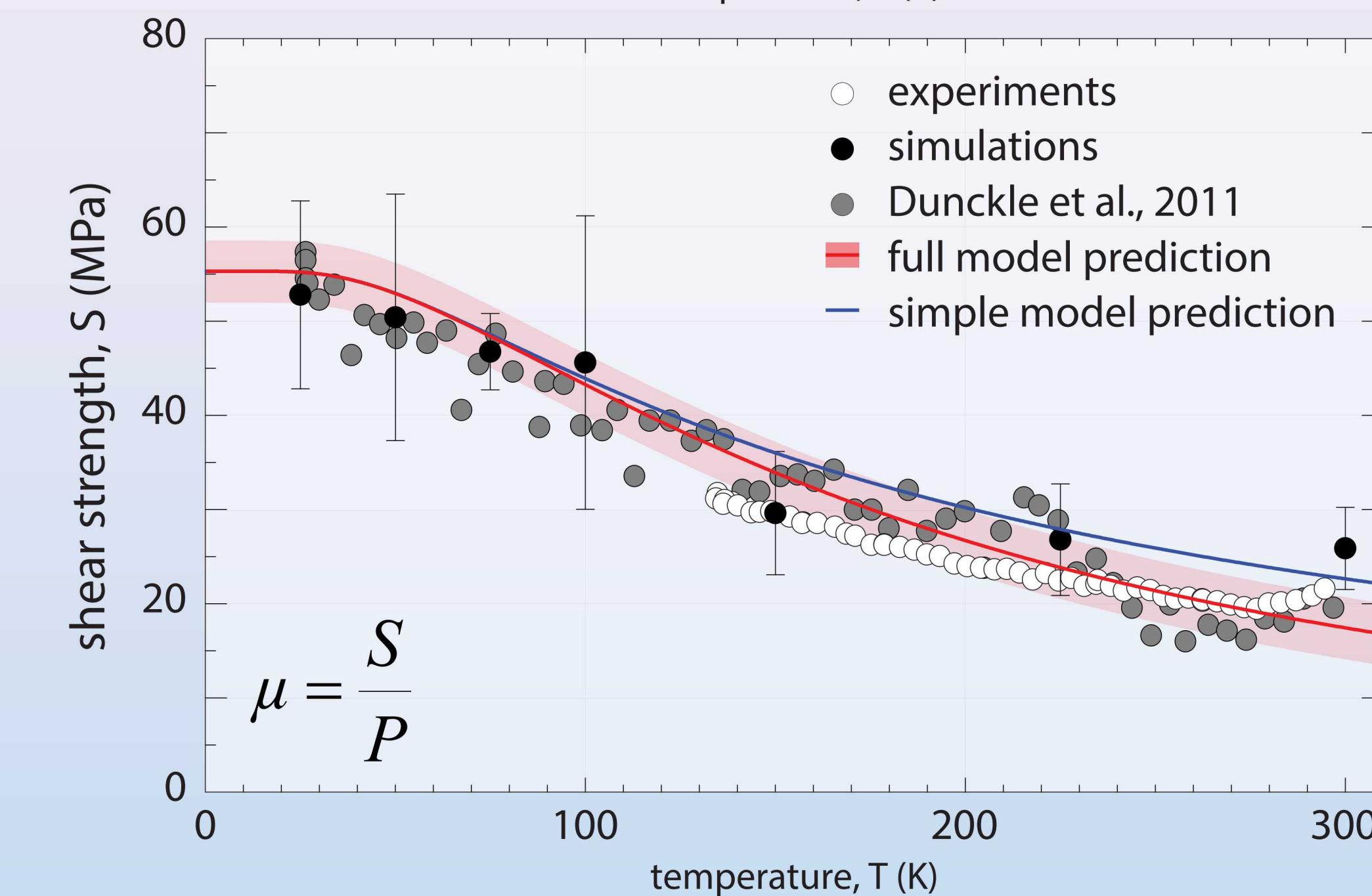
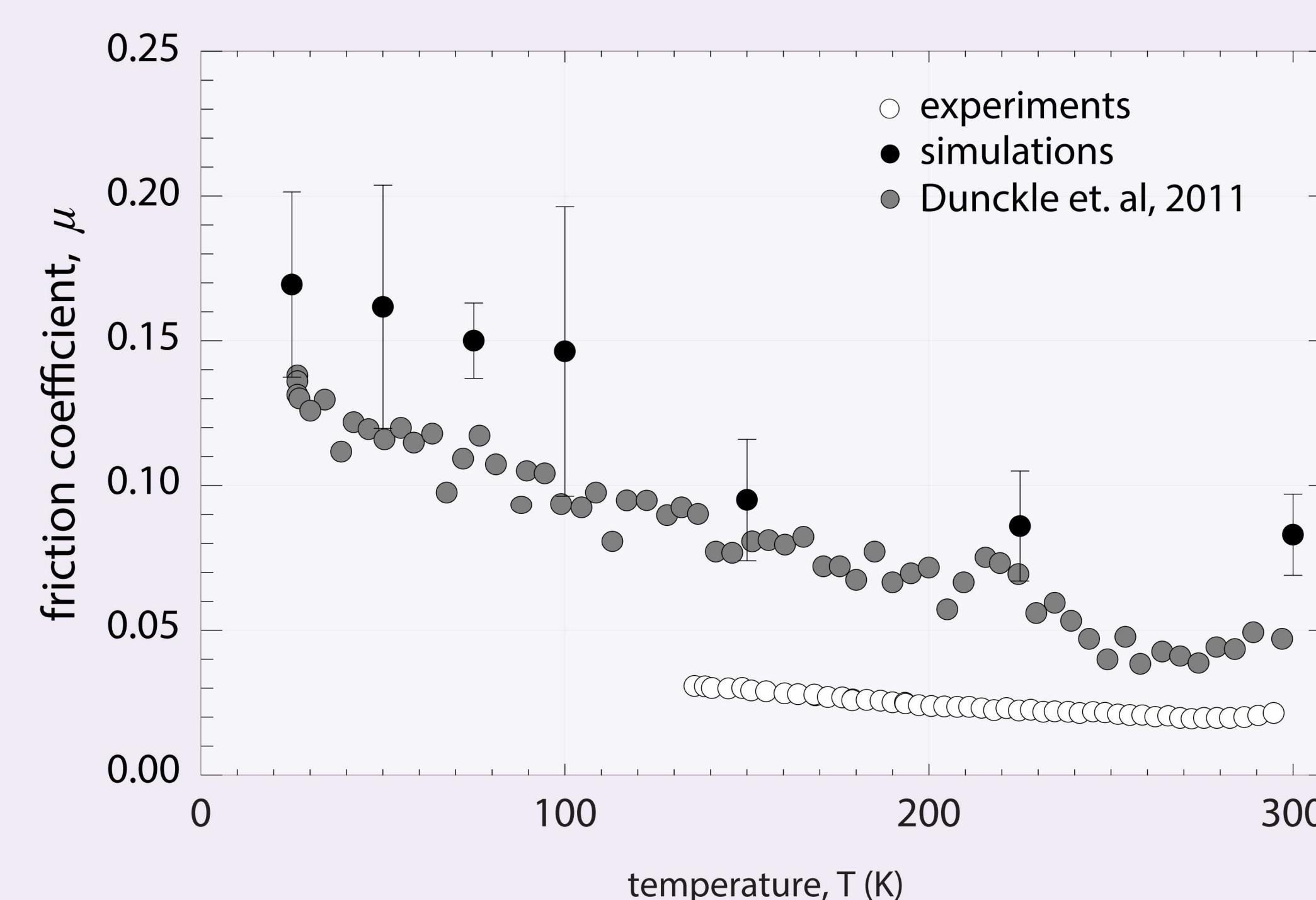
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Abstract

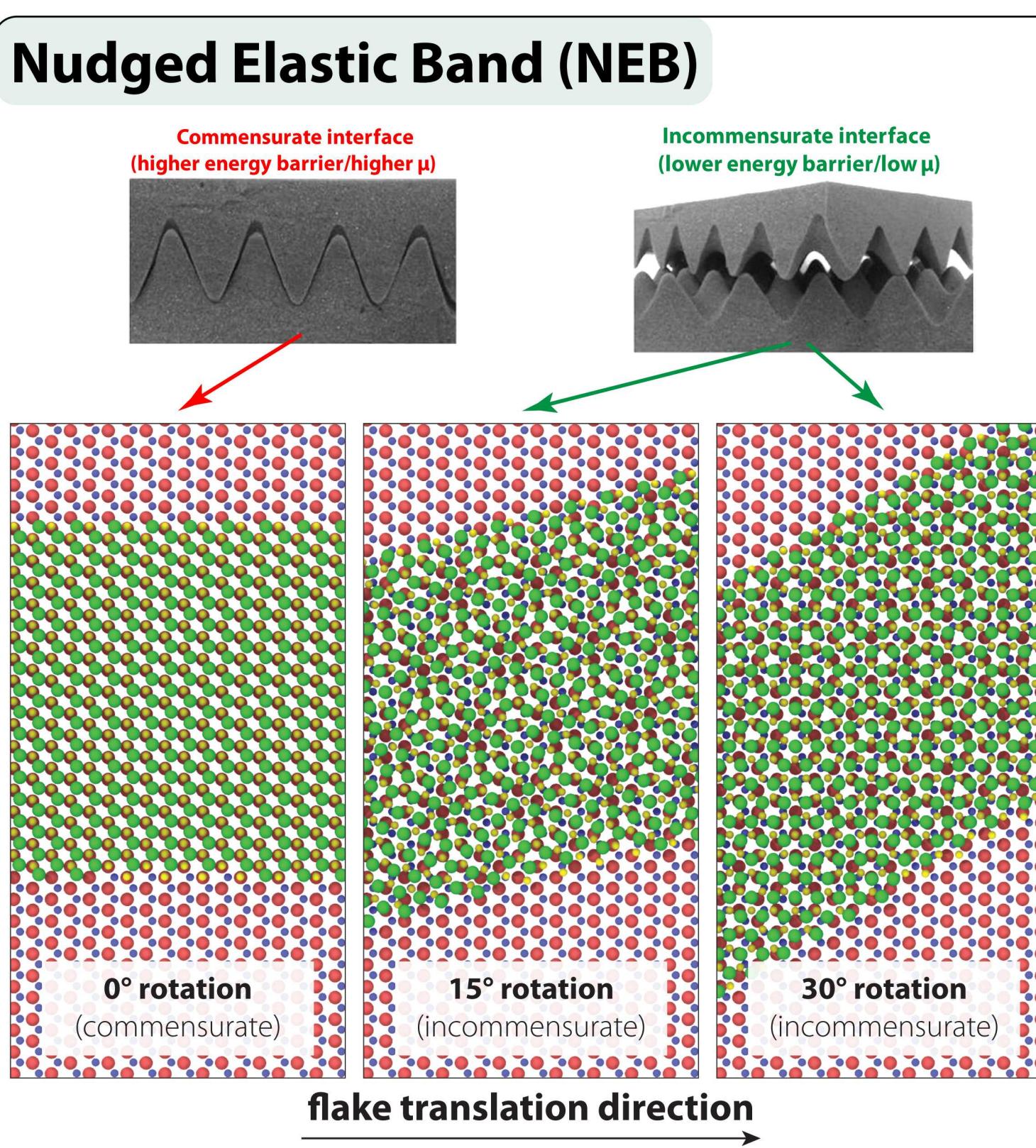
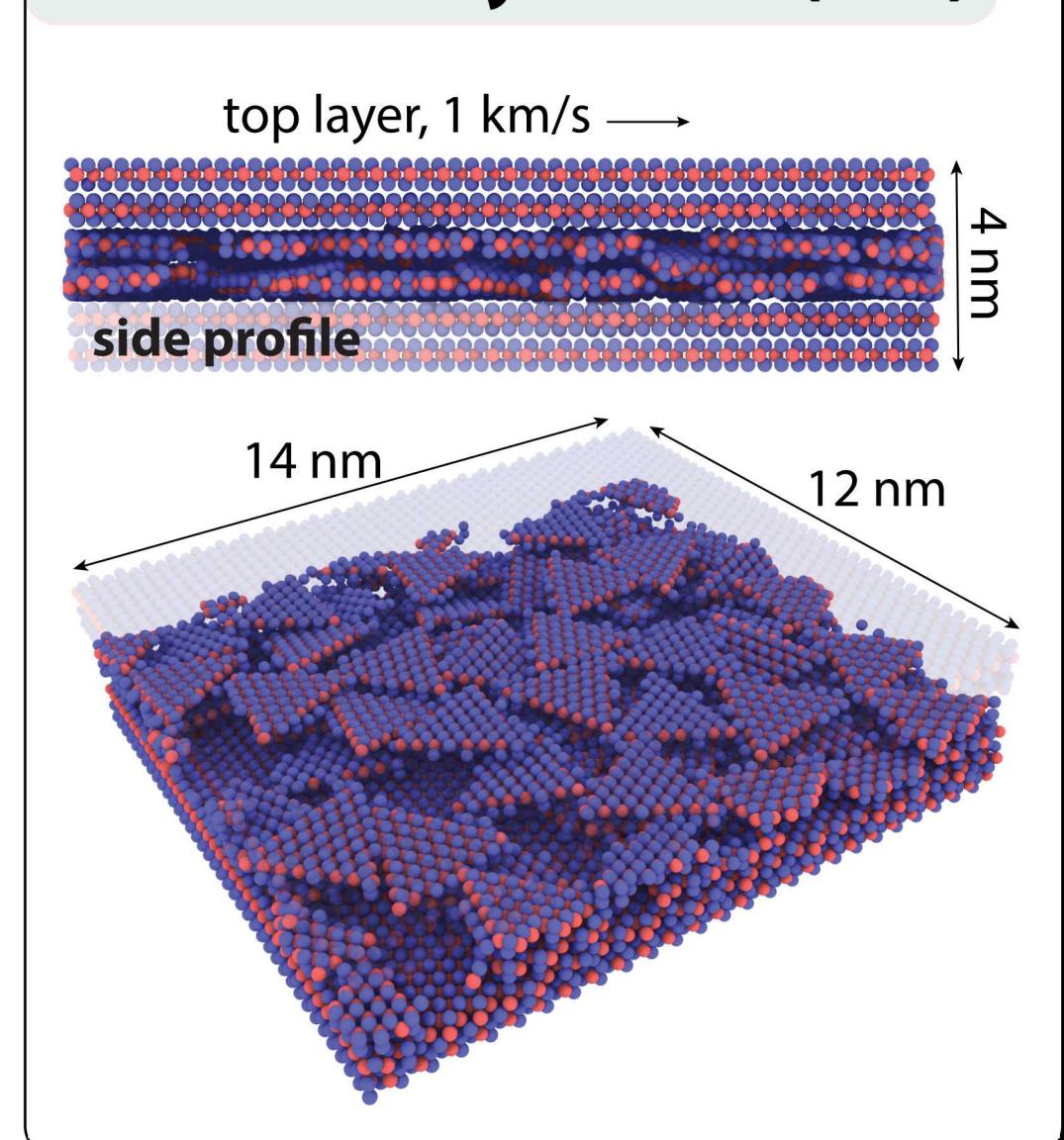
We present a model that predicts the macro-scale temperature-dependent interfacial shear strength of 2D materials like MoS₂ based on atomistic mechanisms and energetic barriers to sliding. Atomistic simulations were used to systematically determine the lamellar size-dependent rotation and translation energy barriers to accurately predict a broad range of experimental data. This framework provides insights about the origins of characteristic shear strengths of 2D materials.

Temperature Dependent Shear Strength



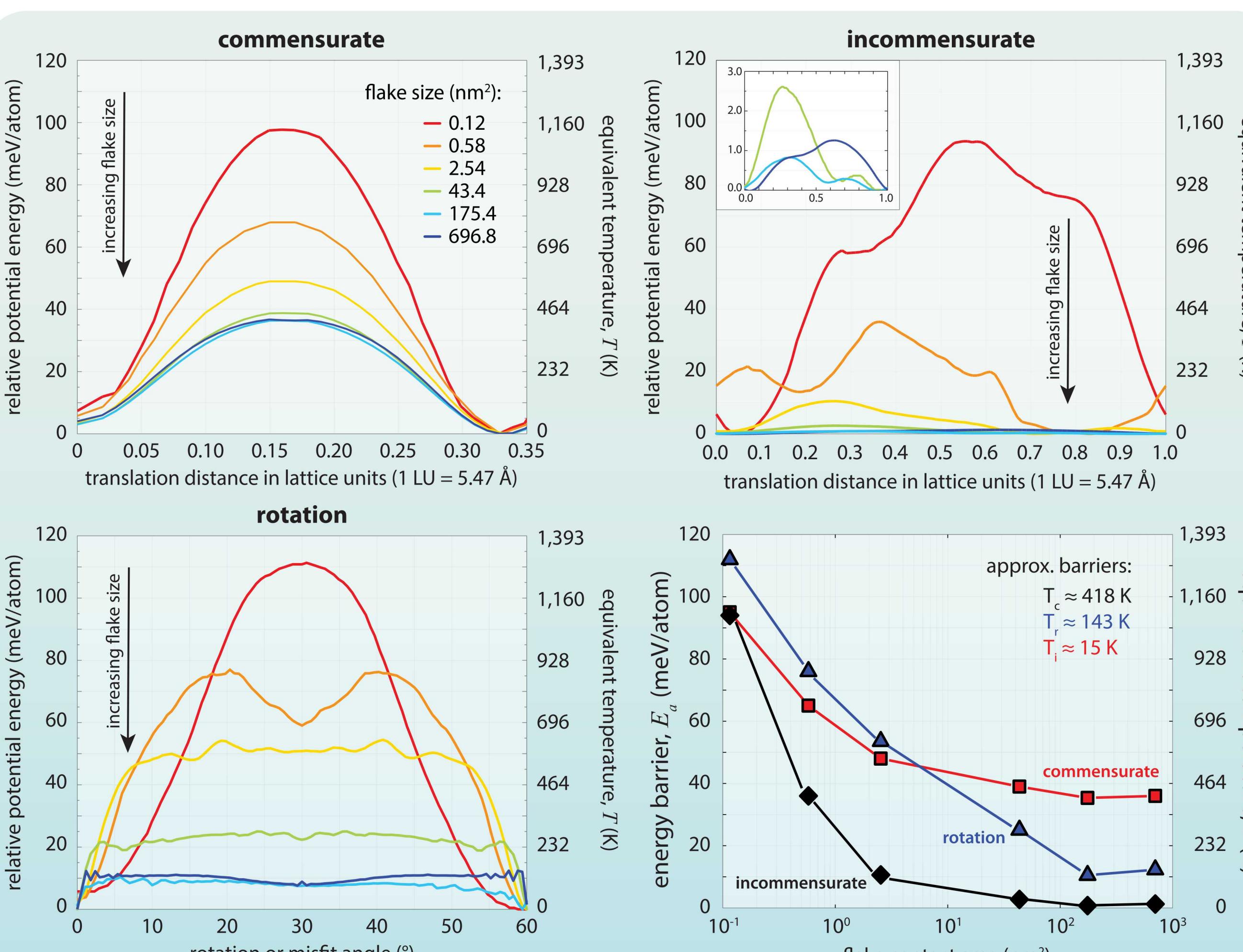
Simulation Methods MD & NEB

Molecular Dynamics (MD)



Barriers to Translation & Rotation

Run-in processes form large flakes of MoS₂ from initially amorphous states, as such it is useful to understand dependence of these barriers on flake size.



Predicting S(T) with Energy Barriers

The probability (p_n) and failure (f_n) to overcome a barrier:

$$p_n = A \exp\left(-\frac{\Delta E_n}{k_B T}\right)$$

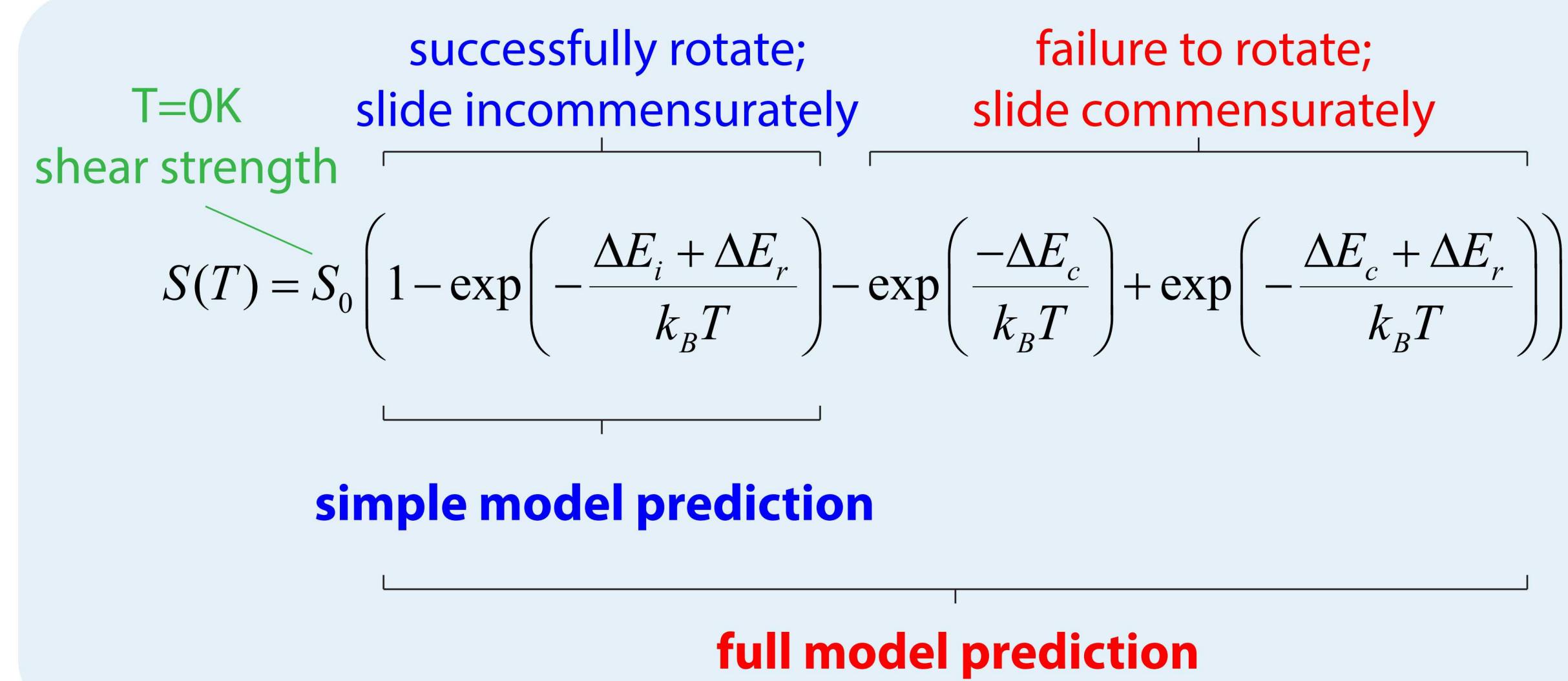
$$f_n = 1 - p_n$$

The probability to slide and fail to slide (friction):

$$p_{slide} = p_r p_i + f_r p_c$$

$$f_{slide} = 1 - p_{slide}$$

$$= 1 - (p_r p_i + f_r p_c)$$



Converged barriers (Fig. 4) infer model based on two routes of accommodating shear: incommensurate and commensurate translation. Typical Arrhenius describes probability of lamella sliding diffusively - friction, however, is associated with application of stress to induce sliding, so we consider failure to slide thermally (1-exp). Fit of simplified model (Fig. 1) also suggest incommensurate translation is most important factor.

Wear & Thermally Activated Processes

Wear rates measured in the temperature range 100-300 K [3] were low, with specific wear rates in the range $K = 1 \times 10^{-6}$ to 1×10^{-5} mm³/Nm, indicating monolayer removal rates. Above room temp, wear increases, representing an upper bound of our model.

