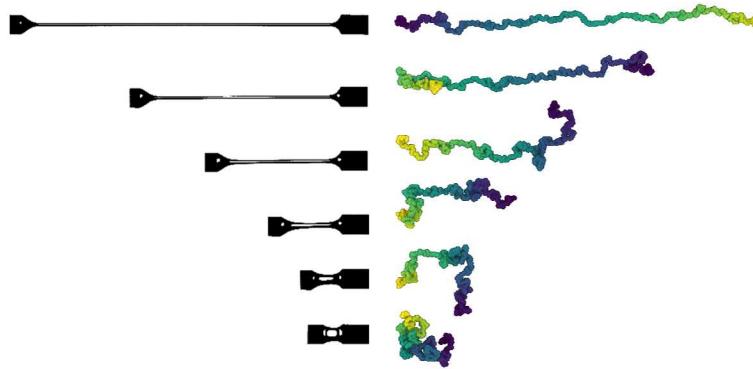


Unexpected Extensional Rheology in Ring Polymer Melts



PRESENTED BY

Thomas C. O'Connor

Harry S. Truman Fellow

Sandia National Laboratories

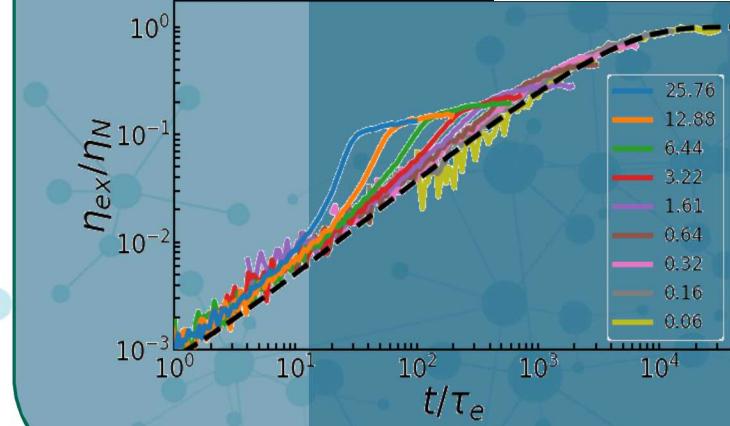


Gary S. Grest (SNL),

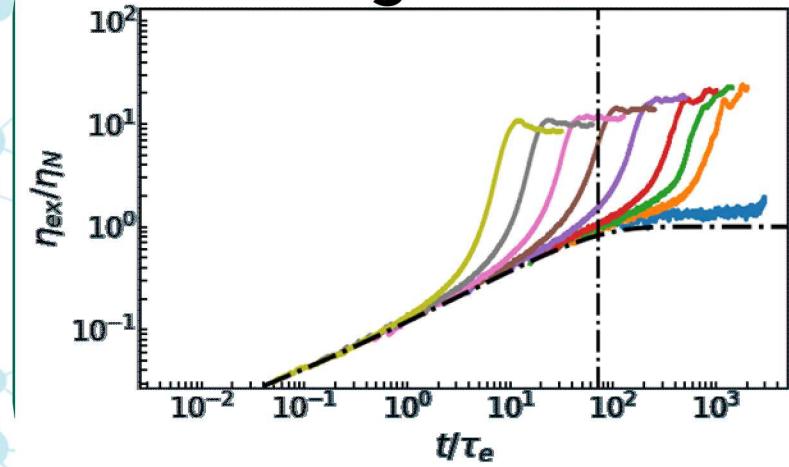
Ting Ge, Michael Rubinstein (DUKE)

Linear Melts

SAND2019-2214C



Ring Melts



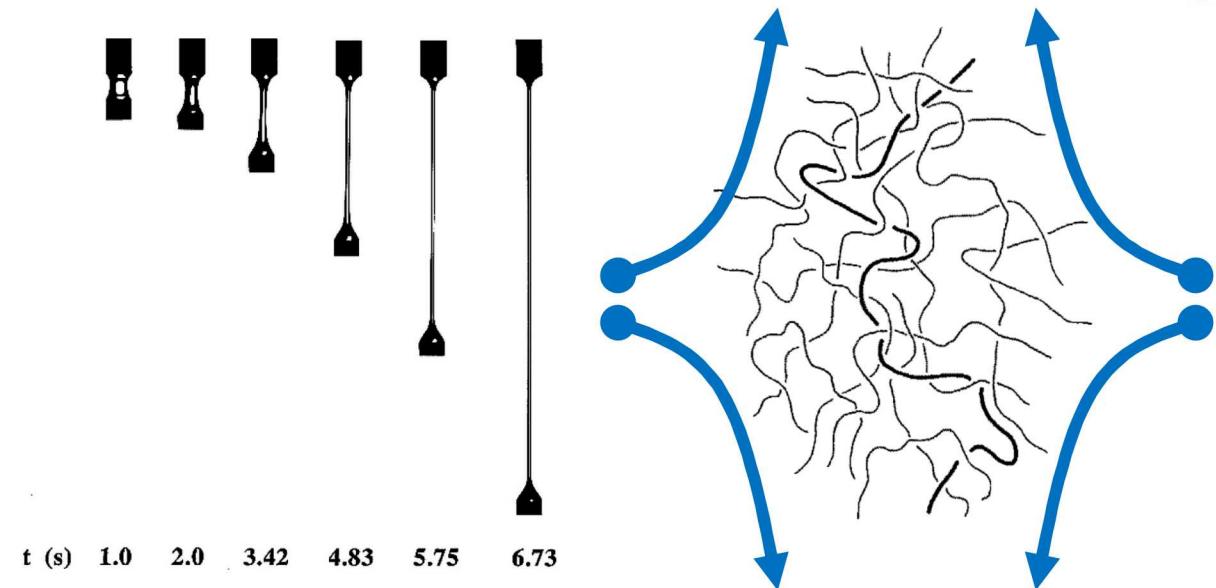
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Nonlinear Extensional Flows Alter Chain Conformation



Los Alamos
NATIONAL LABORATORY
EST. 1943

Uniaxial extension flows stretch liquids exponentially in time. Rate of elongation set by the strain rate $\dot{\epsilon} \equiv \frac{\partial \log(\lambda)}{\partial t}$



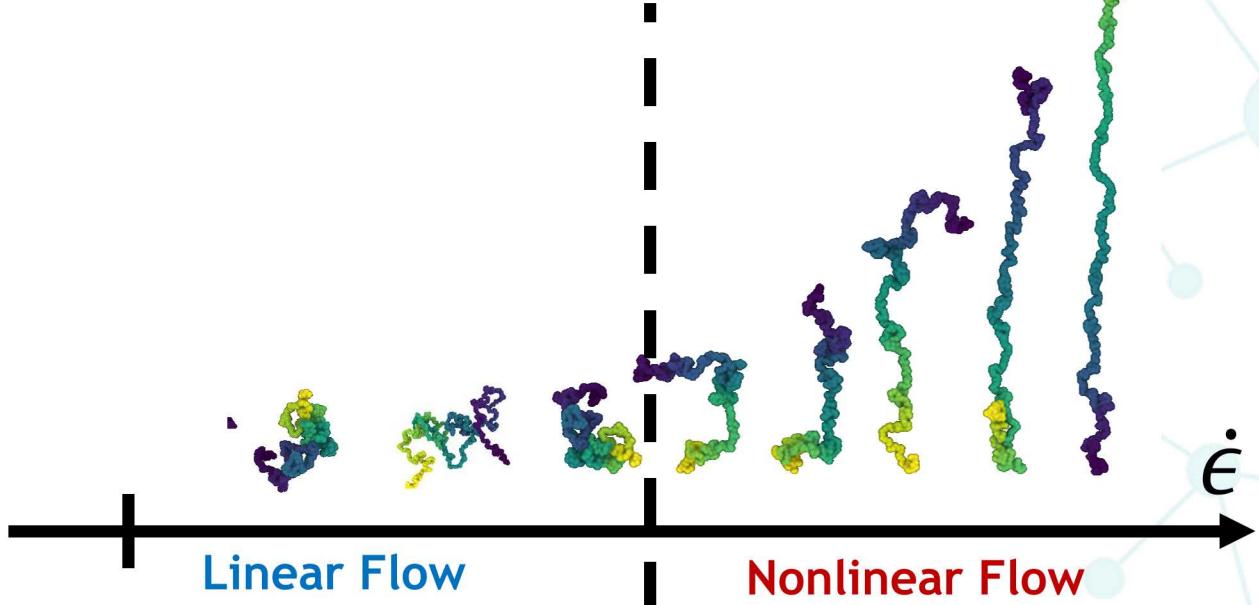
Measure flow strength with a Weissenberg number:

$$Wi_R = \dot{\epsilon} \tau_R$$

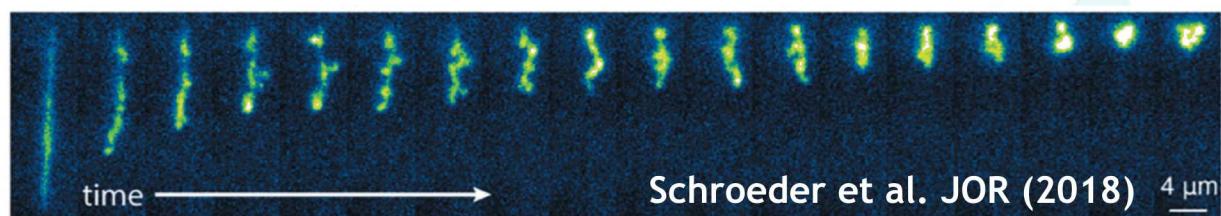
$Wi_R \rightarrow 0$ Newtonian

$Wi_R > 1$ Elongation

Nonlinear behavior occurs when $\dot{\epsilon}$ is faster than the characteristic relaxation times of polymers

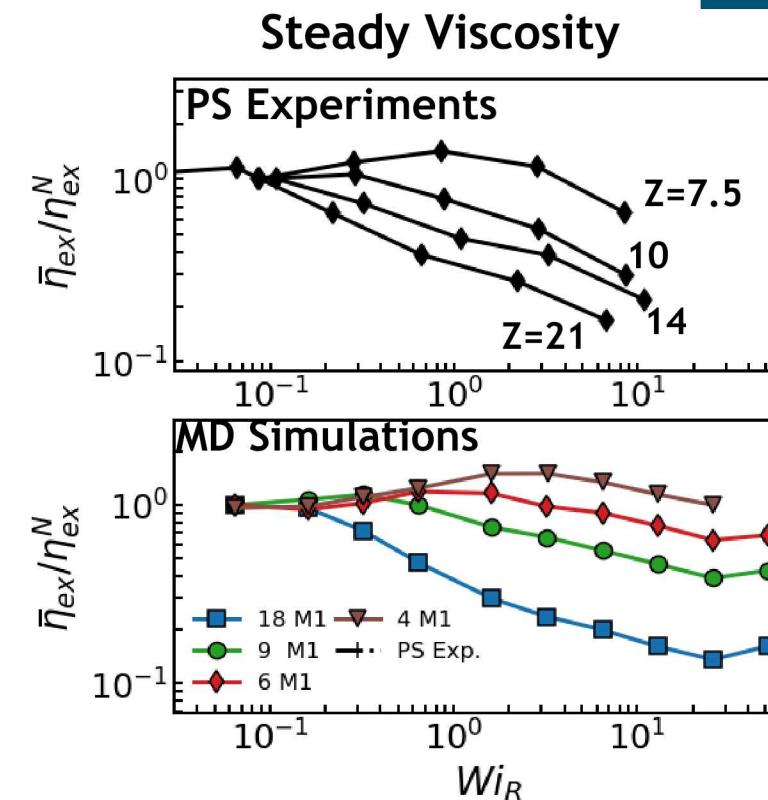
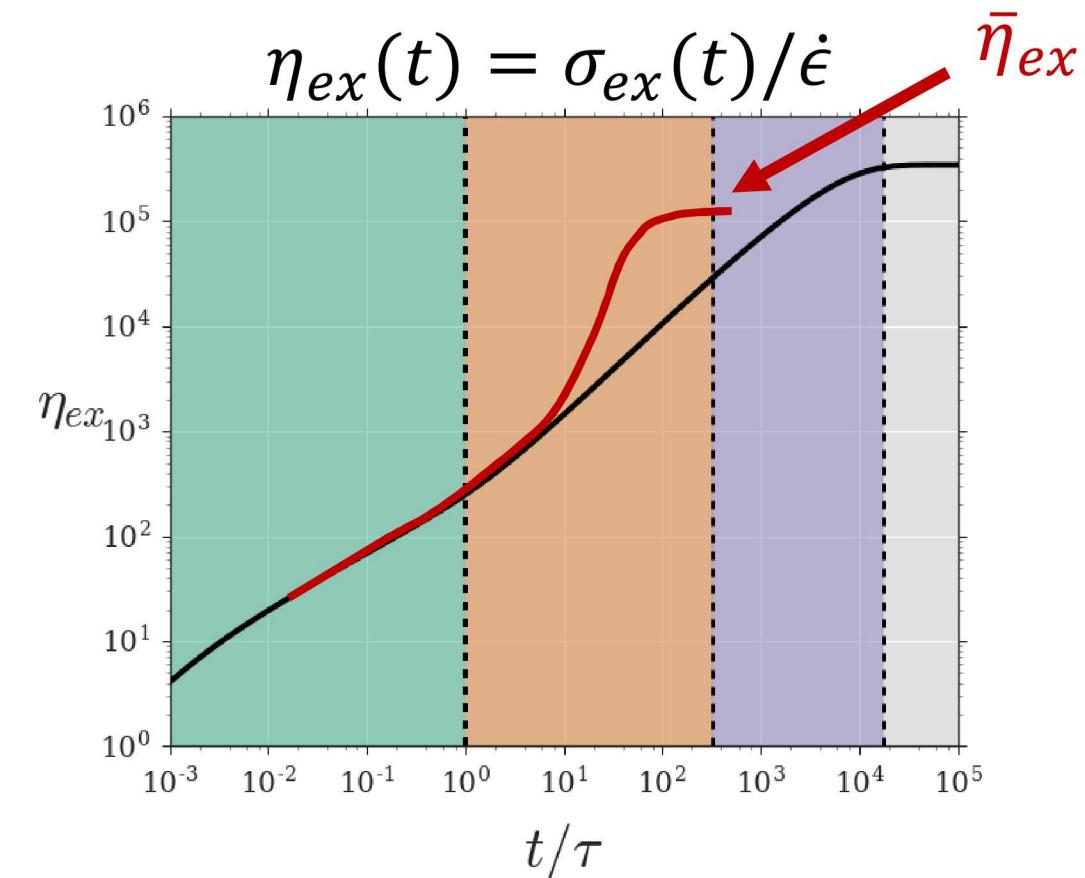


Linear chains relax stretch over the Rouse time $\tau_R \sim N^2$



Schroeder et al. JOR (2018) $4 \mu\text{m}$

MD Captures Nonlinear Dynamics and Rheology



O'Connor, Alvarez, Robbins, PRL (2018)

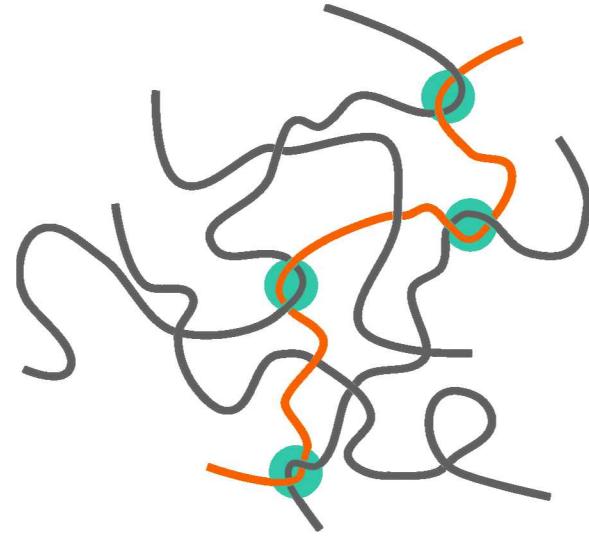
Weak Linear Flows ($w_i \rightarrow 0$):

- Viscosity evolves along a limiting curve (LVE), and plateaus to Newtonian viscosity.
- Controlled by equilibrium chain dynamics - very different for linear & ring polymers.

Strong Nonlinear Flows ($Wi > 1$):

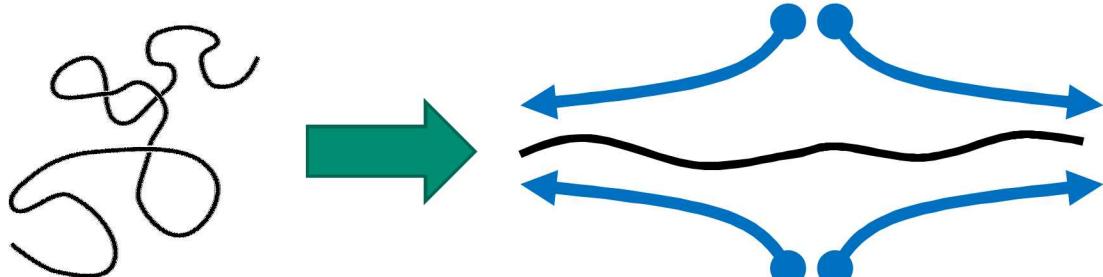
- Viscosity increases more rapidly than the LVE and plateaus to a nonlinear value $\eta_{ex}(\dot{\epsilon})$.
- MD reproduces nonlinear rate-dependence and relates to chain conformations: O’Connor

Comparing Linear Melts and Ring Melts In Extensional Flow

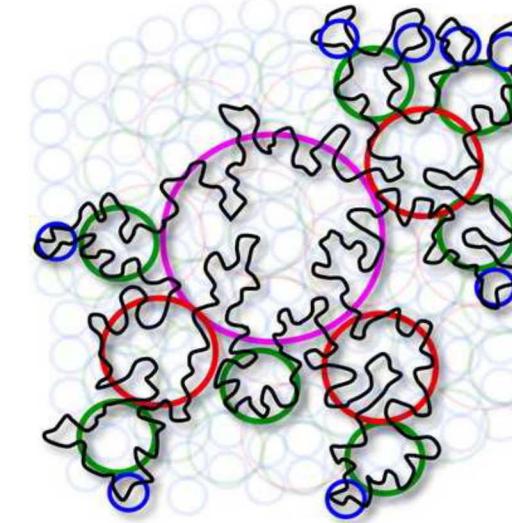


Entanglements confine chains to a primitive path, & create a hierarchy of exponential relaxation times.

Longest relaxation time $\tau_d \sim N^{3.4}$



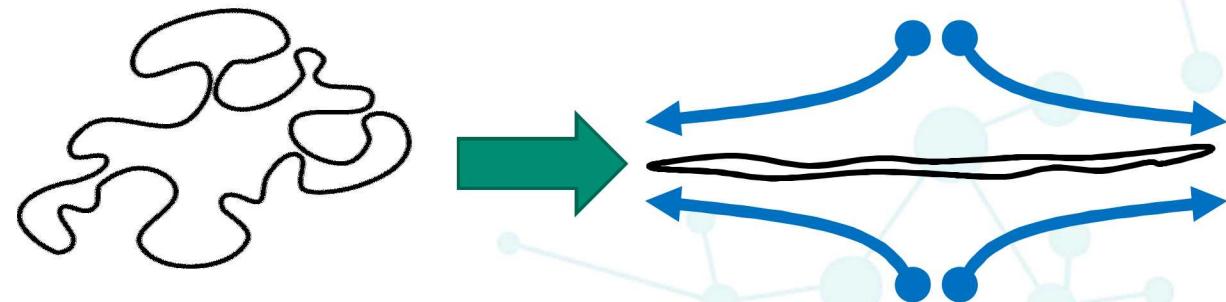
Equilibrium dynamics are very different, but elongated states are similar. Ring to linear crossover? 4



T. Ge, M. Rubinstein,
Macromol. (2016)

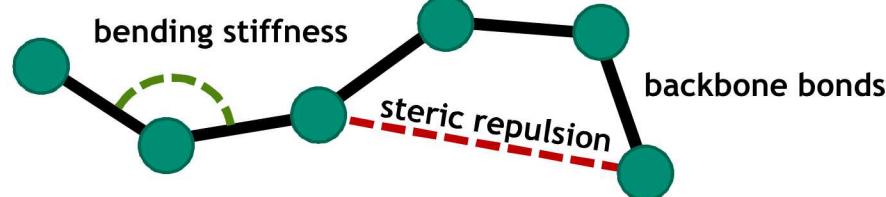
Fractal hierarchy of interpenetrating loops that gives a power-law viscoelastic relaxation

Longest relaxation time $\tau \sim N^{2.33}$

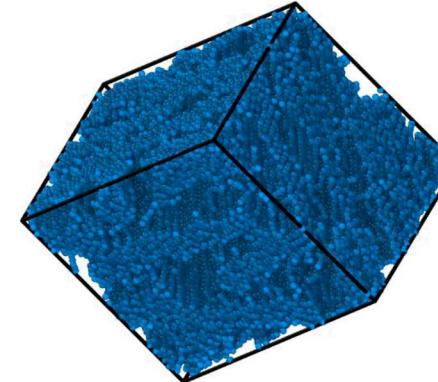


Nonlinear Elongation of Ring Polymer Melts

Model: Semiflexible bead-spring model



- linear properties well known ($N_e \approx 28$ beads)
- Rings with $N=200, 400, \& 800$ beads
- Compare to linears with $N=100, 200, \& 400$ beads
- Same contour length at full extension



Constant-rate uniaxial extensional flows

- Elongate to strain $\epsilon > 6.0 \rightarrow$ resolve steady-state
- Vary $Wi = \dot{\epsilon}\tau = 0.16 - 0.25$
- Linear: $Wi = \dot{\epsilon}\tau_R$ Ring: $Wi = \dot{\epsilon}\tau$
- Relate rate-dependence to chain dynamics

Rate dependence - do highly extended rings behave like linear chains?

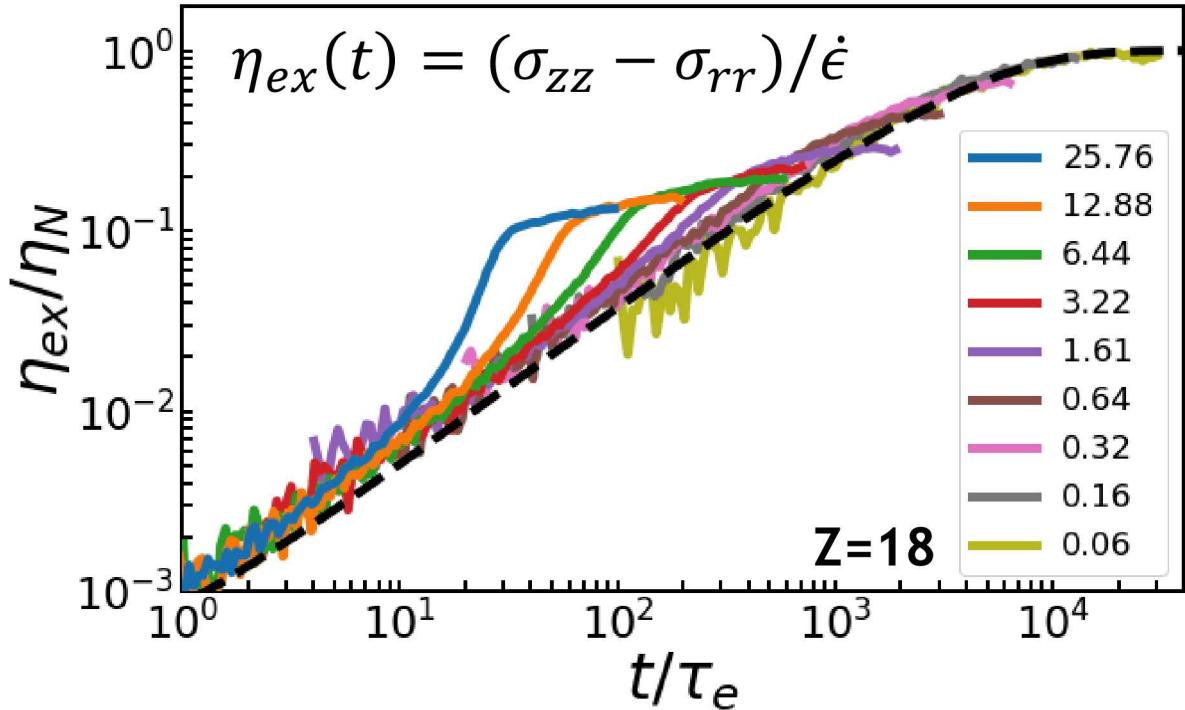
Dynamics - how do rings elongate in the absence of entanglements?

Massive and Delayed Viscosity Rise During Ring Extension



Los Alamos
NATIONAL LABORATORY
EST. 1943

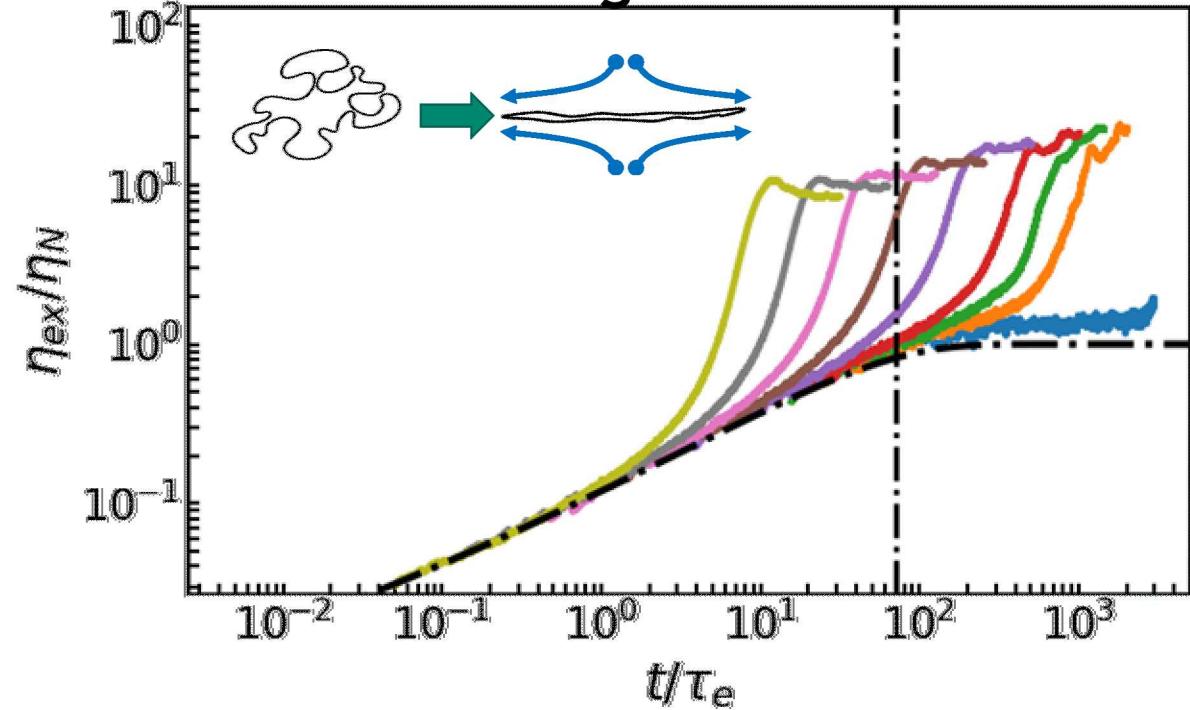
N=200 Linear Melt Extension



η_{ex} collapses onto LVE (dashed) as $Wi \rightarrow 0$

Steady viscosity decreases with increasing Wi , typical of well-entangled melts.

N=400 Ring Melt Extension

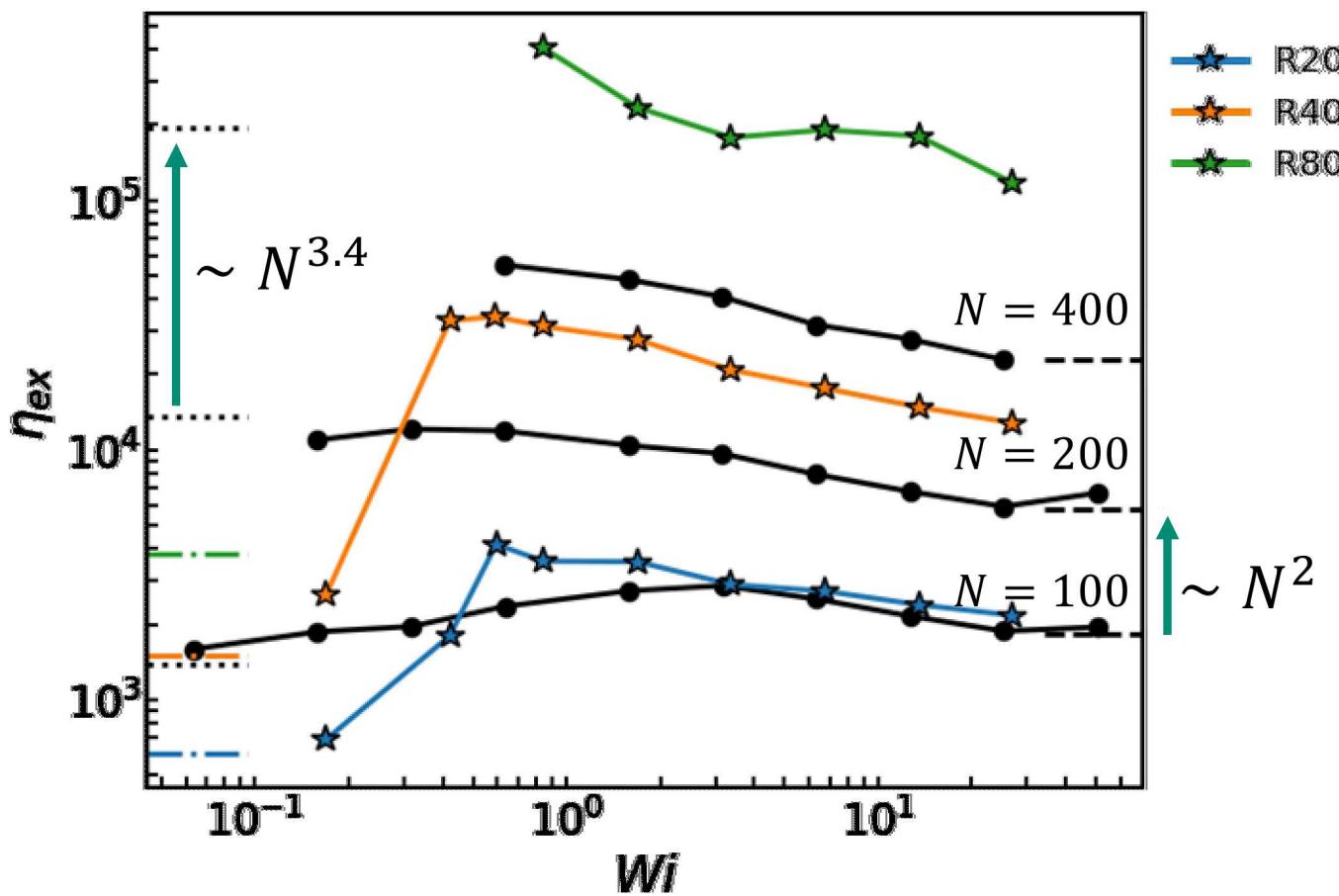


Rise at low Wi *delayed* for many ring relaxation times (vertical dashed line)

Is dramatic viscosity rise due to elongated rings behaving like slower linear chains? 6

Steady Viscosities For Different Molecular Weights

Steady-State Extensional Viscosity



Linear melts with $N=100, 200, 400$

Newtonian viscosity $\sim N^{3.4}$ tube theory

High Wi viscosity set by drag on highly extended chains $\eta_{ex} \sim \zeta N^2$.

O'Connor, Alvarez, Robbins, PRL (2018)

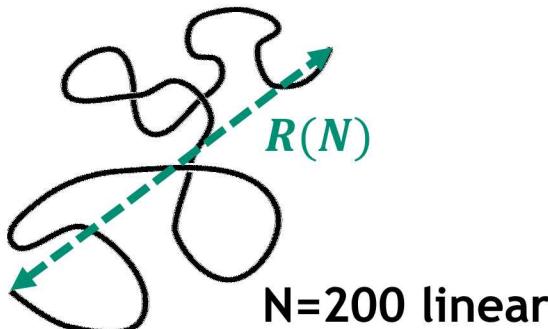
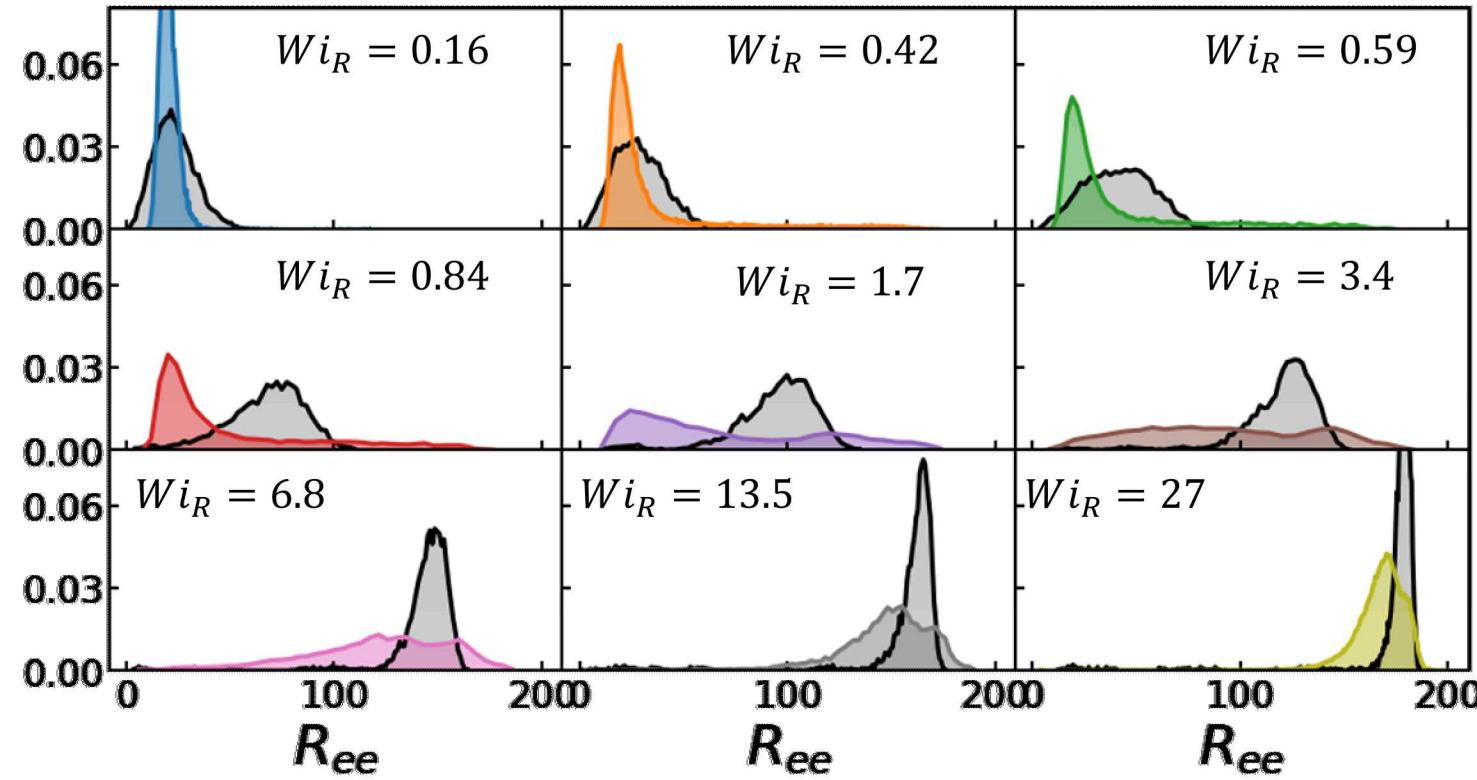
Ring melts with $N=200, 400, 800$

$N=200$ ring viscosity appears to follow $N=100$ linear melt for $Wi > 1$.

Agreement breaks down as N increases.

Ring viscosity grows faster with N than it does for linear chains.

Steady-State End-End Distributions



Network Stretches Linear Chains ~Affinely

Chains stretch uniformly with single peak captured by average stretch λ in models

Rings Dominated By Large Fluctuations

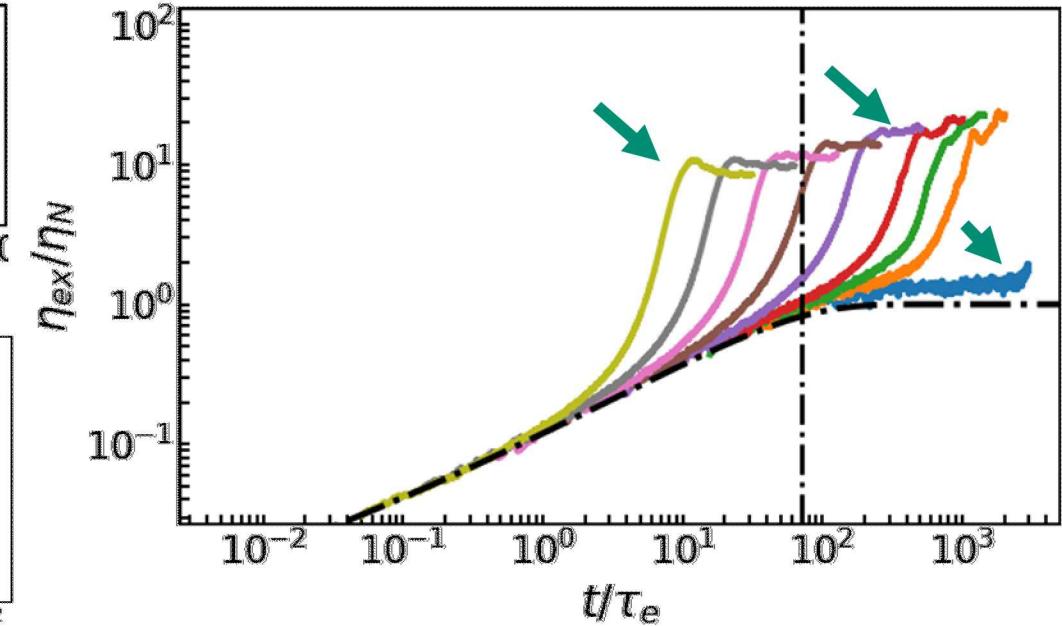
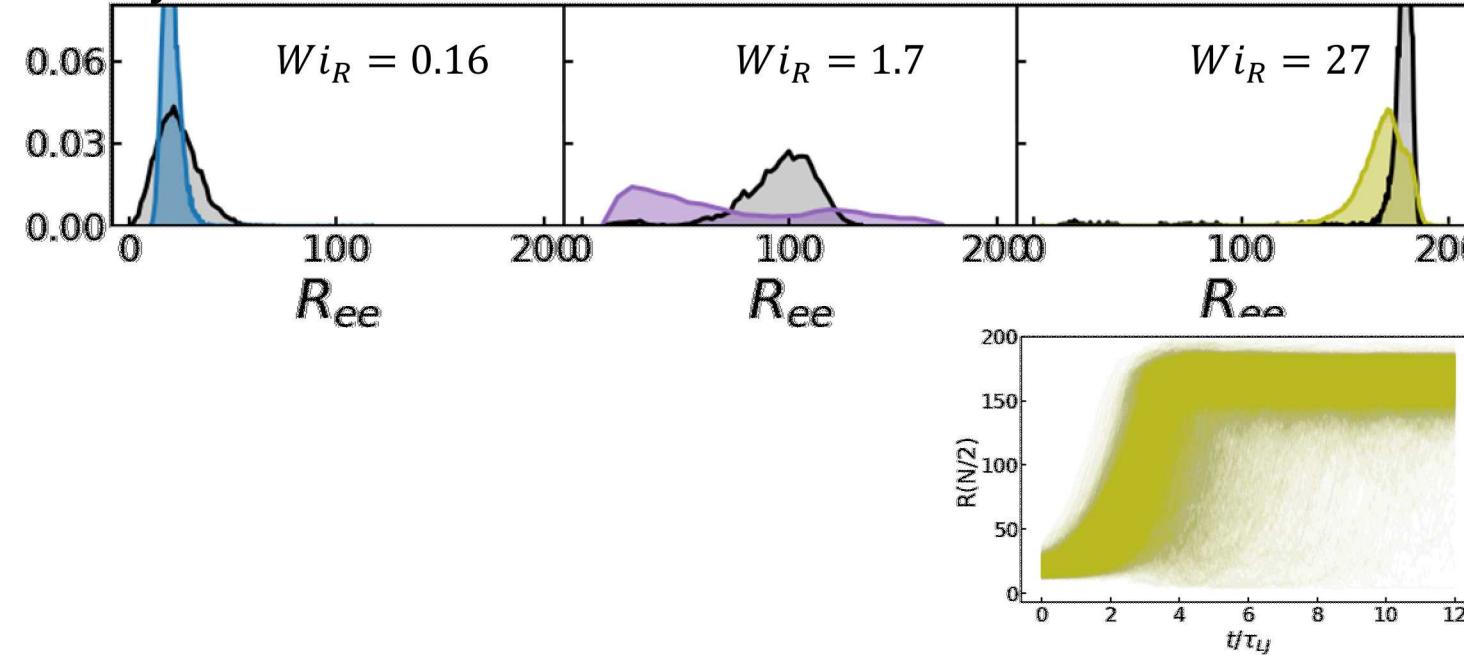
Develop long tail at low Wi of few highly stretched and retracting rings

Grows into a broad distribution of highly fluctuating rings at $Wi \sim 1$

Large fluctuations cannot be described by averages

Individual Chains Fluctuate Between Extended & Retracted

Steady-State End-End Distributions



Individual chains only remain stretched at the highest $Wi \sim 27$

$Wi=0.16$: small fraction of highly stretched chains produce larger η_{ex} than fully stretched $Wi=27$

Low & high Wi have qualitatively different distributions but similar nonlinear η_{ex}

$Wi=0.16$: small fraction of highly stretched chains produce larger η_{ex} than fully stretched $Wi=27$

Acknowledgements & Conclusions



Collaborators:

Ting Ge, Michael Rubinstein (Duke)

Gary S. Grest (SNL)

Funding:

Harry S. Truman Fellowship (SNL)

1. Simulations reveal unique extensional rheology for rings
2. Rings exhibit a massive and delayed rise in η_{ex} , even for $Wi \ll 1$
3. $Wi \ll 1$: large η_{ex} from small # of stretched chains
4. $Wi \sim 1$: broad distributions, chains stretch and retract regularly
5. Large fluctuations cannot be captured by mean-field models

