

Orientational Control of Polymer Grafted Nanorods

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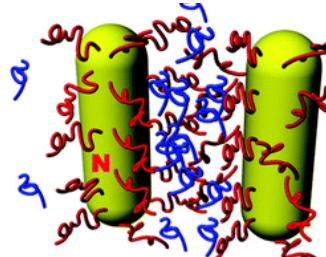


MRS Spring Meeting
March 30, 2016

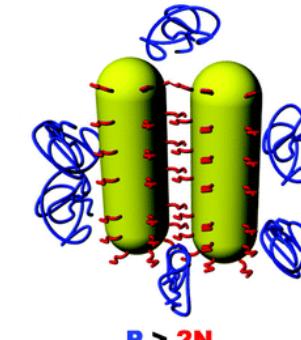
Polymer nanocomposite thin films

Goal: Integrate functional nanorods into a (functional) polymer matrix

Use polymer brush to control nanorod spacing via interactions between the brush and the polymer matrix

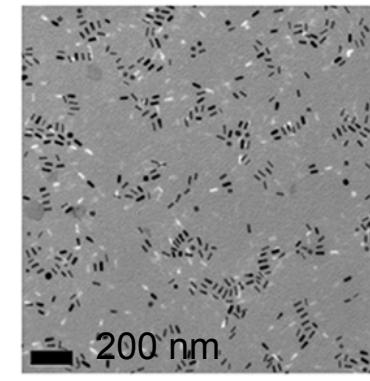
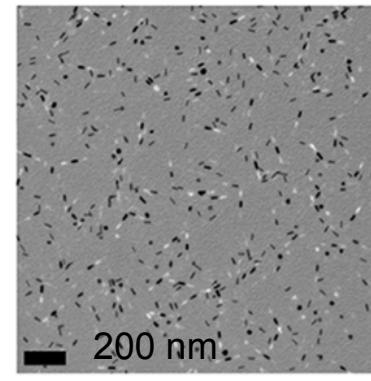
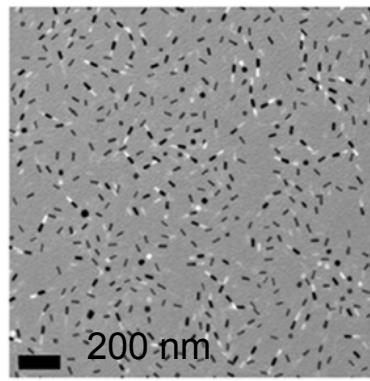


Increasing polymerization P of matrix chain

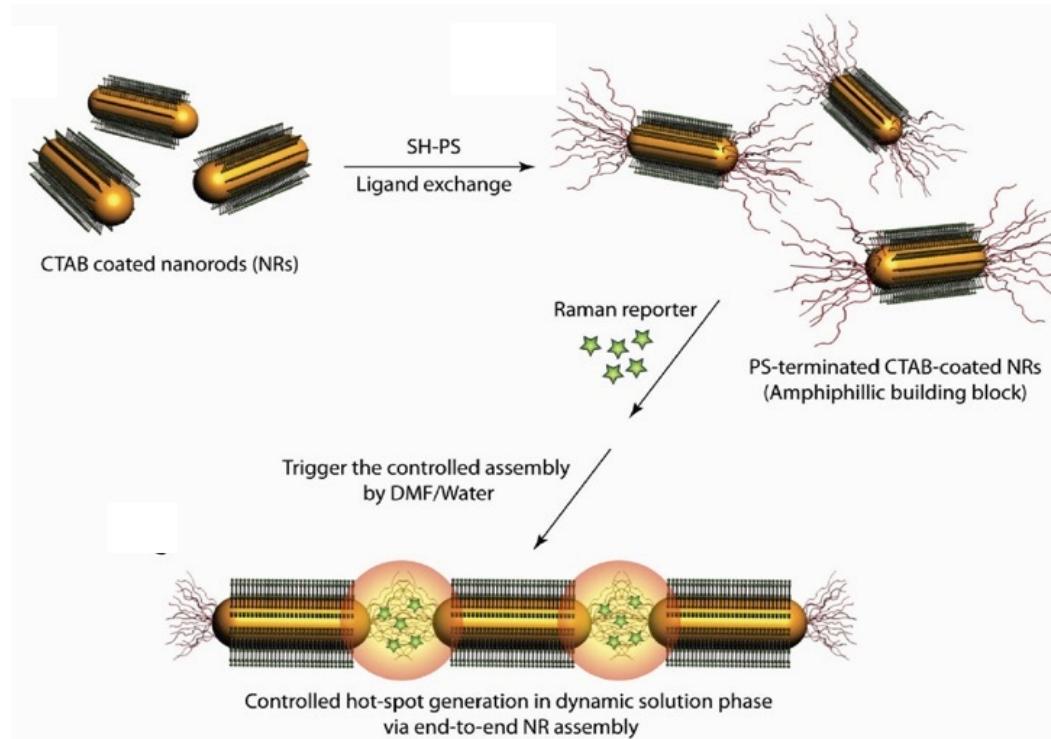


$P < 2N$
Dispersion

$P > 2N$
Aggregation



Orientational control: end-end linkage



Can we preferentially obtain end-end assembly via an entropically controlled system of chemically identical brush / matrix polymers?

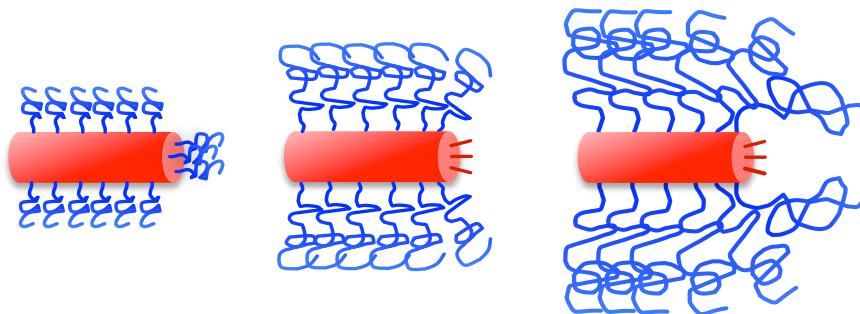
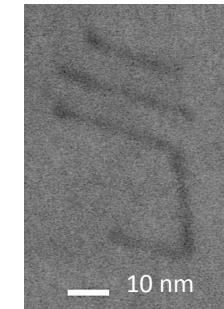
Experimental system

CdS nanorods (5 x 28 nm)

Grafted polystyrene (PS) brushes

PS homopolymer matrix

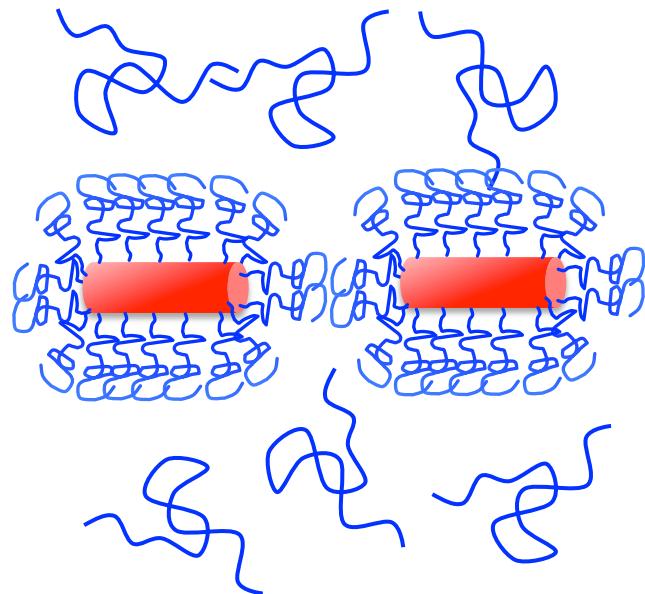
Spin-coated to an average thickness 36 nm.



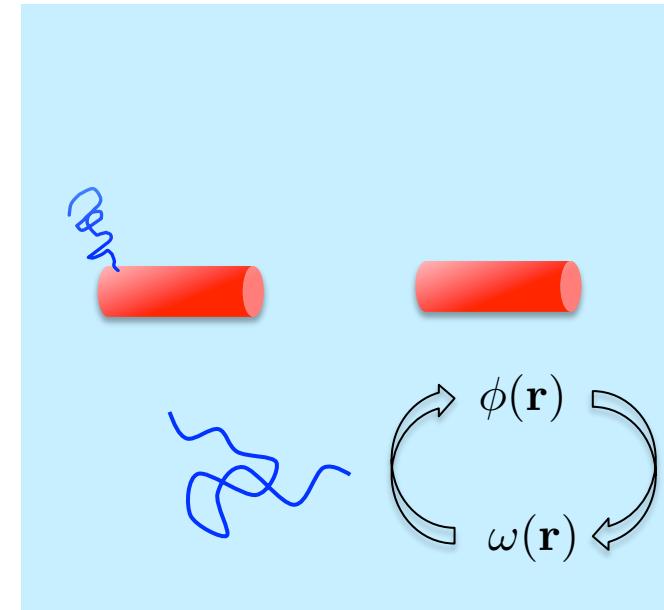
Controlling end-to-end vs side-by-side aggregation:

1. Bare nanorod ends
2. Comb-over effect
3. Brush, matrix, rod parameters

Self-consistent field theory



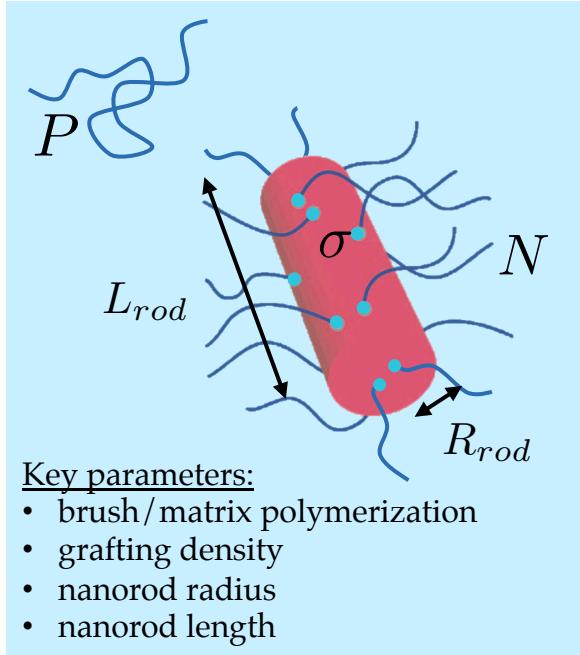
Many-body interaction



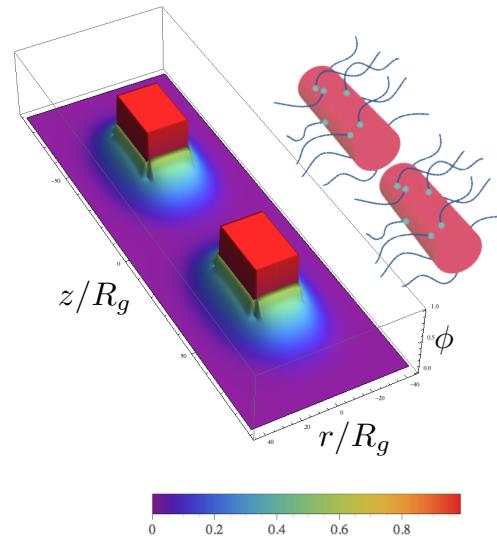
Mean-field theory

- Chain statistics determines **polymer density** $\phi(\mathbf{r})$ which determines **external field** $\omega(\mathbf{r})$ which determines chain statistics
- Mean-field approximation accurate for melts, exact as $N \rightarrow \infty$
- Free energy functional is *known*: $F[\phi^*(\mathbf{r}), \omega^*(\mathbf{r})]$

SCFT model

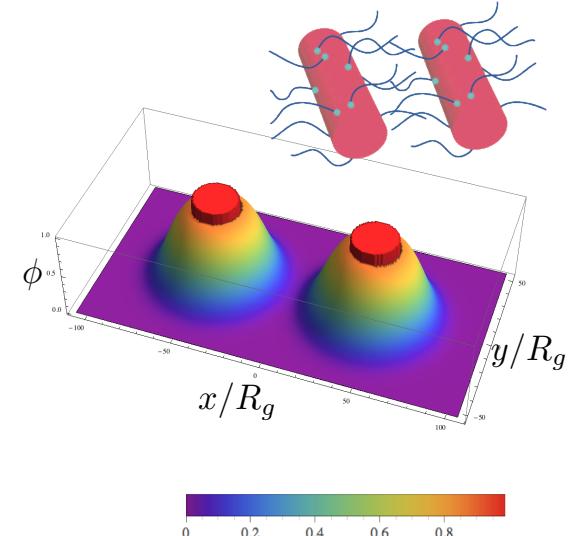


end-to-end



$$W(H) = -\frac{AR_{rod}^2}{12H^2}$$

side-by-side



$$W(H) = -\frac{AL_{rod}R_{rod}^{1/2}}{24H^{3/2}}$$

Total interaction energy is then the sum:

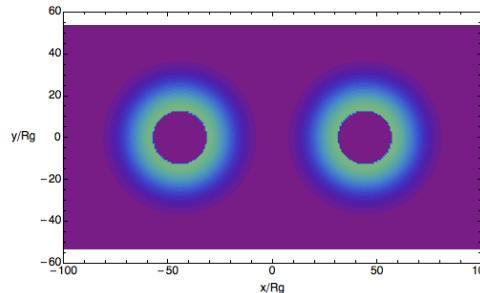
$$F_{tot}(H) = F(\phi(\mathbf{r}), \xi(\mathbf{r}); H) + W(H)$$

Side-by-side brush profiles

increasing matrix/brush
polymerization ratio

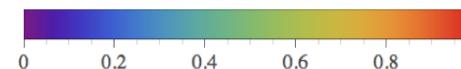
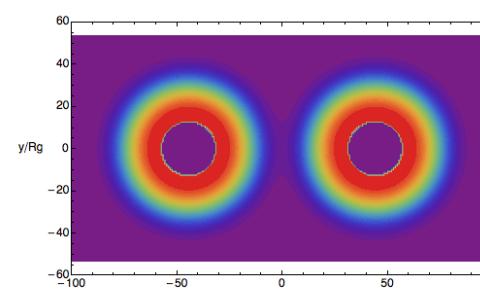
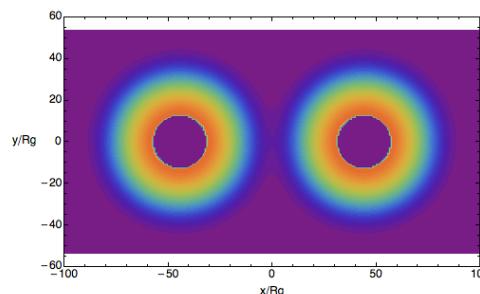
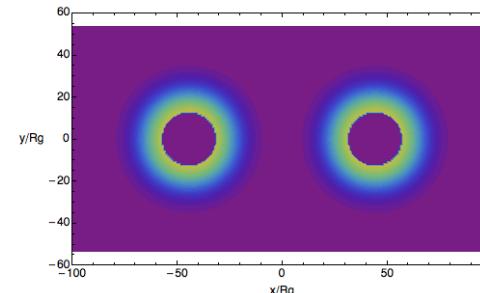
$$P/N = 0.5 \longrightarrow P/N = 5.0$$

$$\sigma^* = 1$$

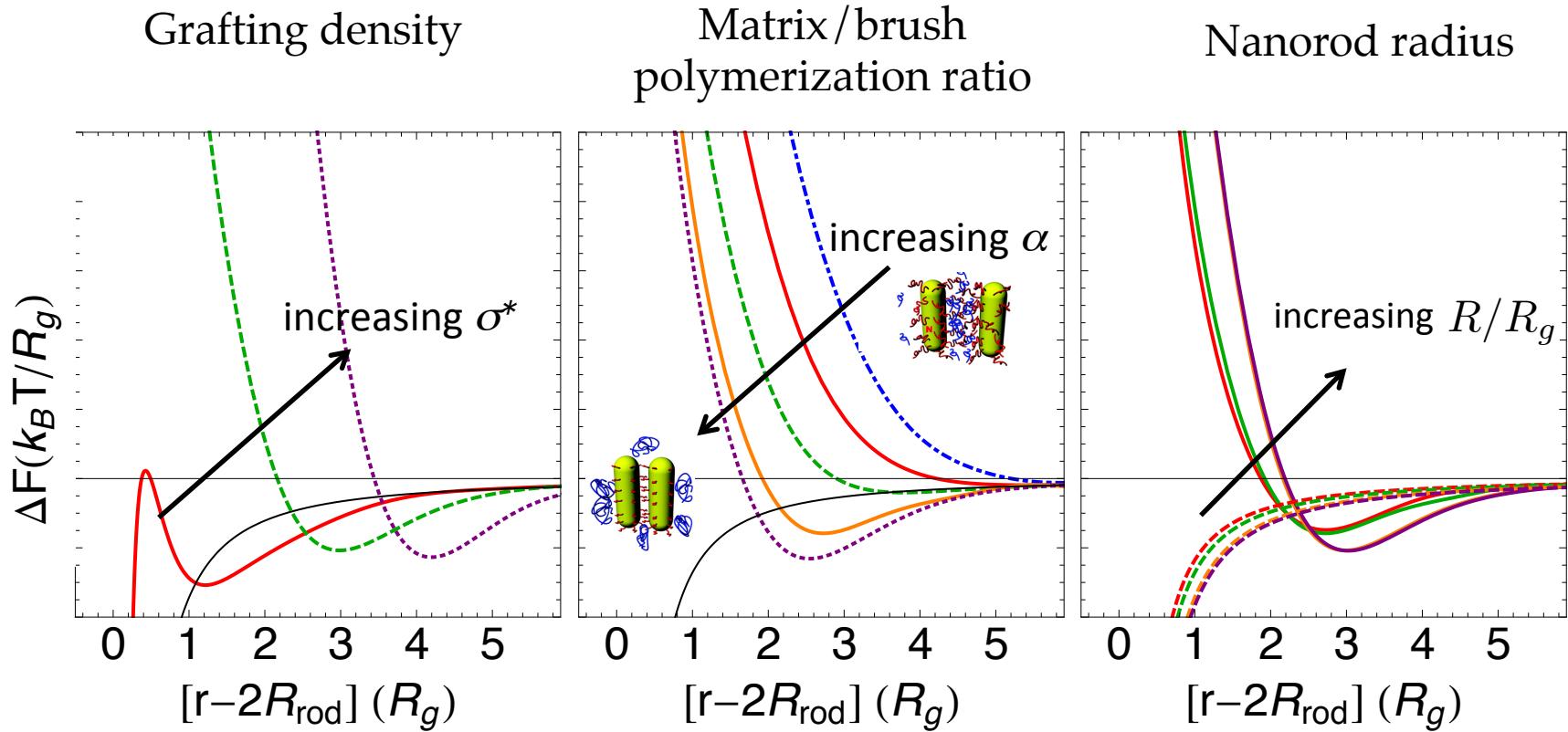


increasing
grafting
density

$$\sigma^* = 3$$

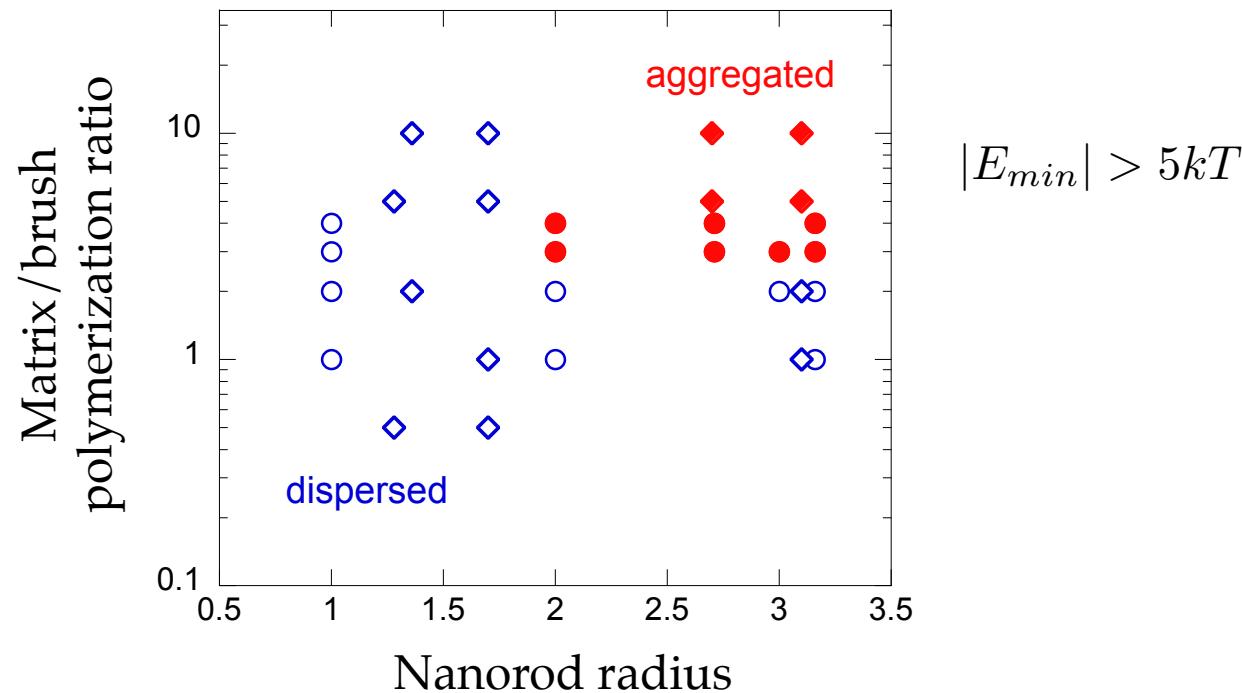


Side-by-side interaction energies



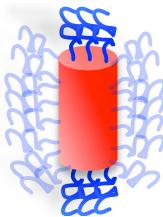
Side-by-side dispersion maps

Total interaction energy: $E_{total} = L\Delta F(H) + W_{side}(H)$

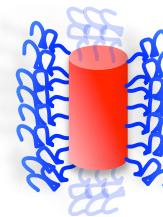


Total brush profiles

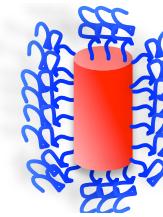
total: end + side



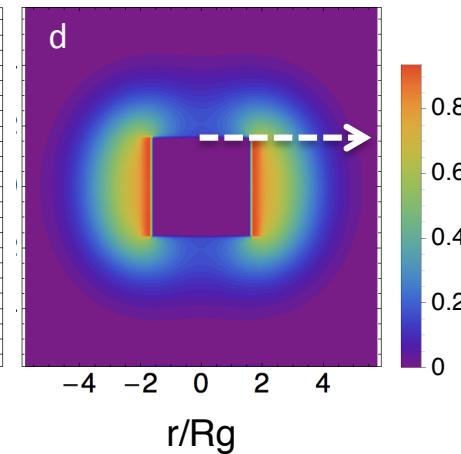
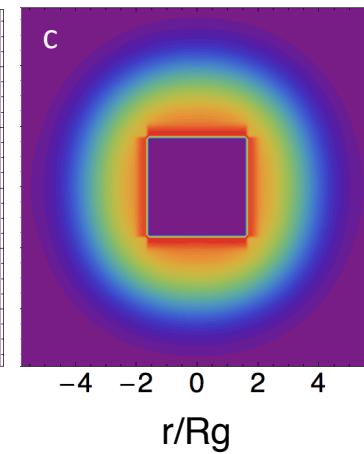
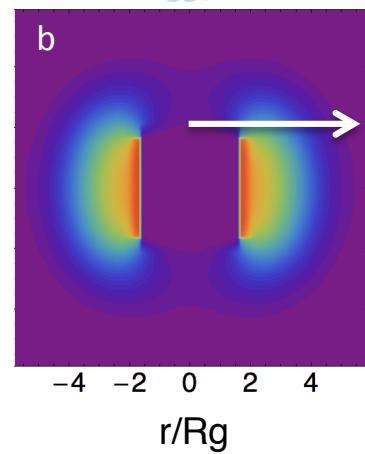
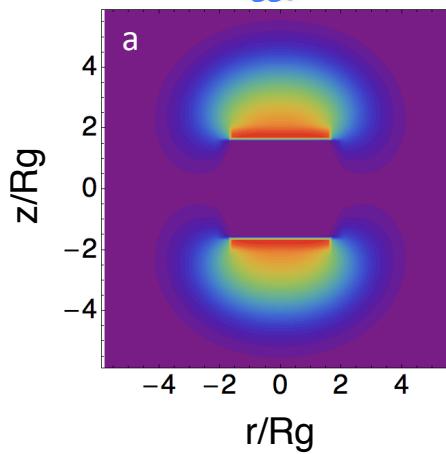
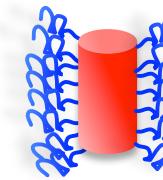
total: end + side



total: end + side



side only



End-to-end aligned nanorods

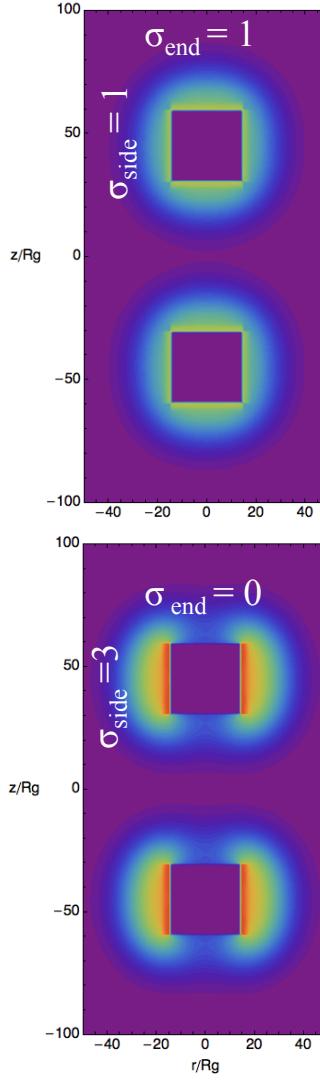
Low grafting density

$P/N = 0.5$

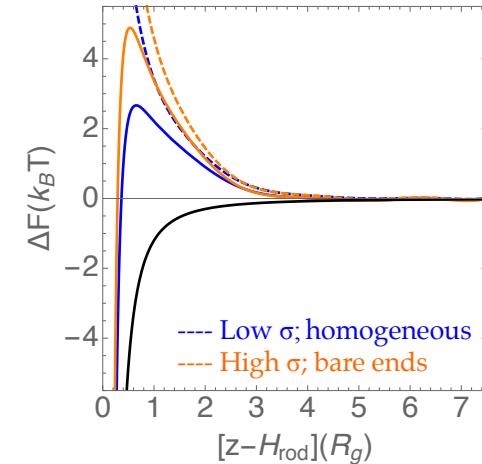
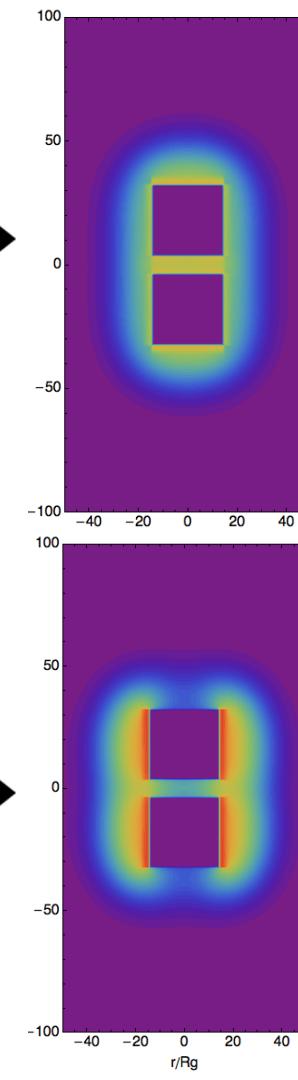
High grafting density;
bare ends

$P/N = 0.5$

non-interacting

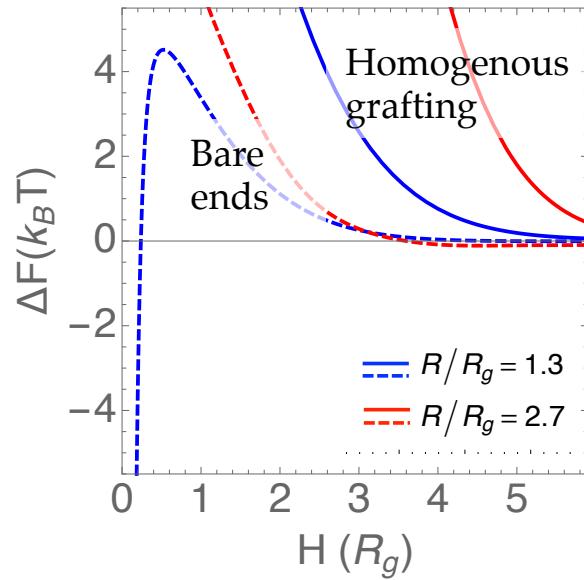


end-linked

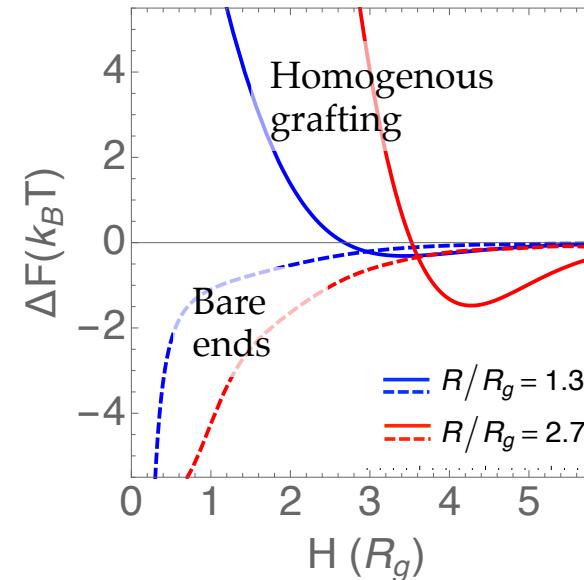


End-to-end interaction energies

P/N = 0.5: wet brush
High grafting density

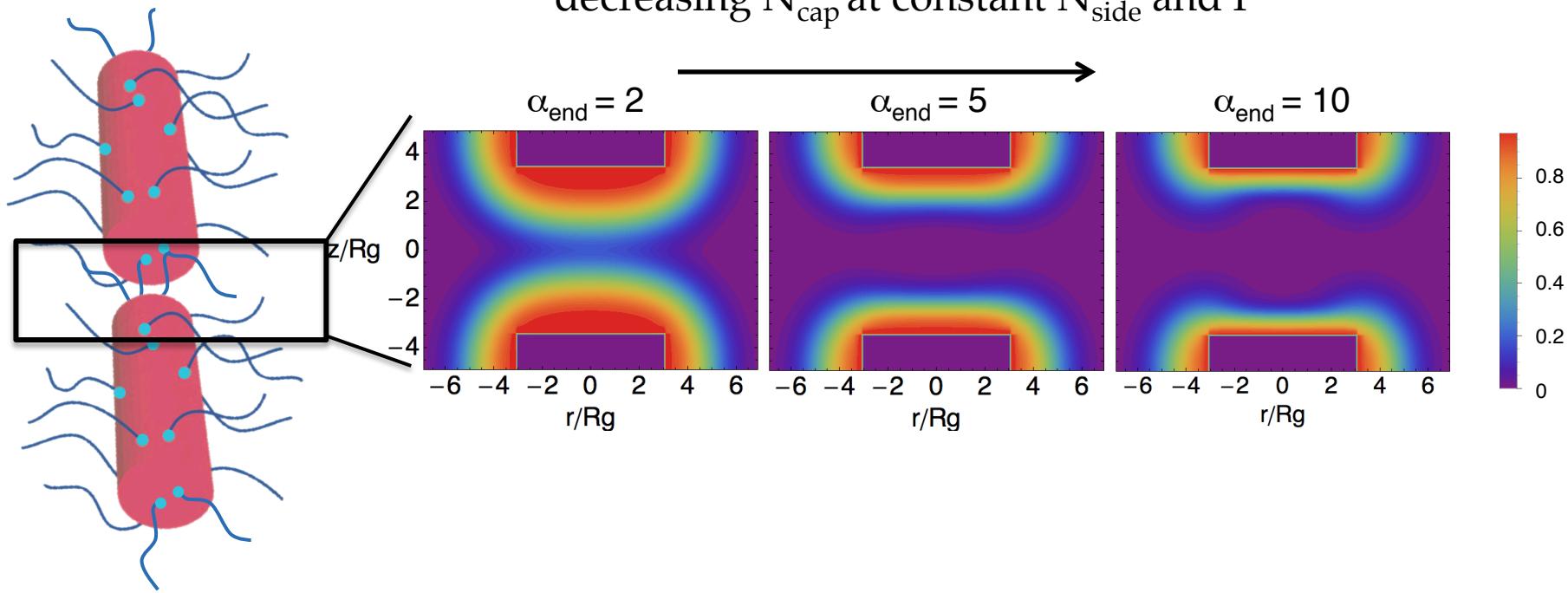


P/N = 10.0: dry brush
High grafting density



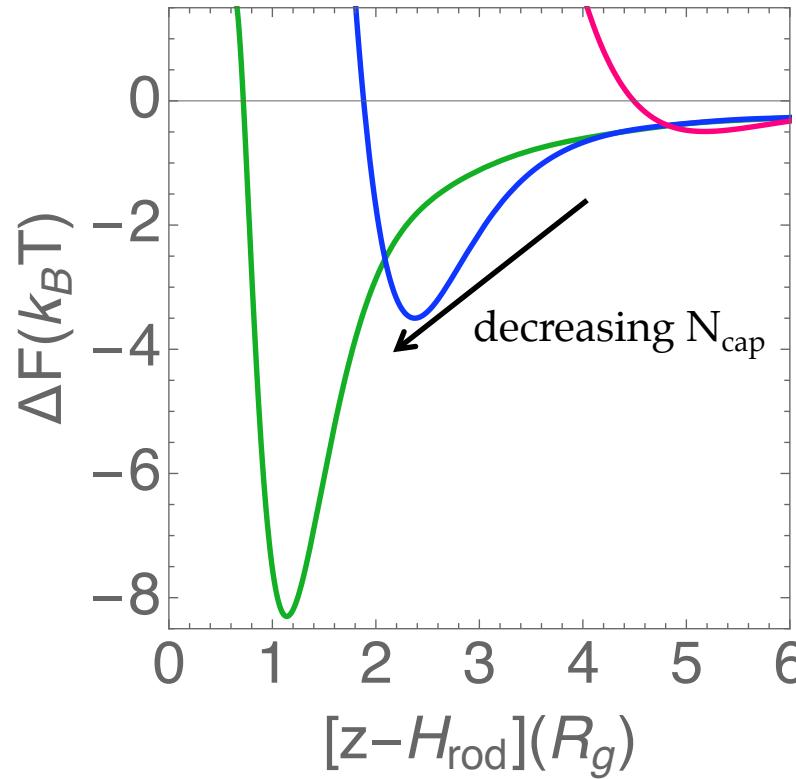
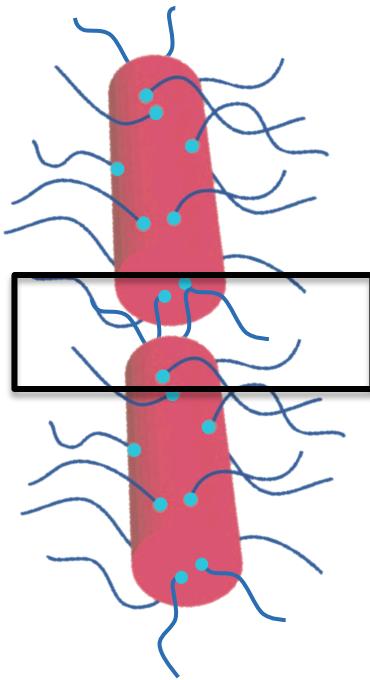
- Homogeneous grafting: side-by-side aggregation observed over end-to-end
- Nanorods with bare bare end caps: aggregation at contact predicted

Tuning end-to-end separation



High grafting density, $\sigma = 3$
 $P/N(\text{side}) = 5$
 $R_{\text{rod}}/R_g = 3.1$

Tuning end-to-end separation



High grafting density, $\sigma = 3$
 P/N (side) = 5
 $R_{\text{rod}}/R_g = 3.1$

Conclusions

- Side-by-side aggregation predicted for homogeneously-grafted nanorods
- Finite size of end caps leads to interesting combover effects and end-to-end behavior
- End-to-end linked nanorods achievable by independently varying side/end brush molecular weight
- The gap, and therefore the field enhancement, is tunable

Acknowledgements

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