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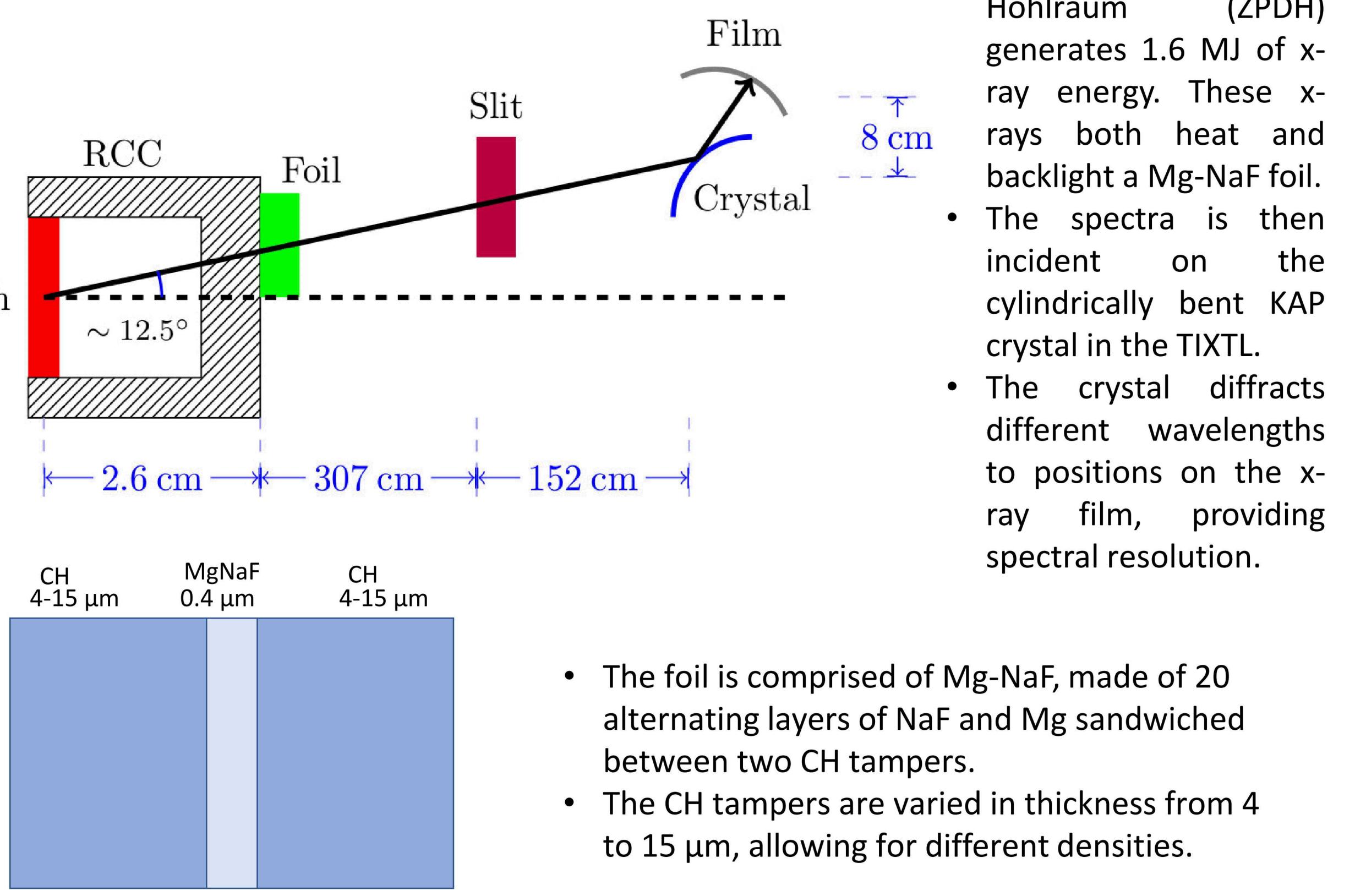
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## Abstract

The interpretation of spectral line shapes for plasma characterization is well established as a diagnostic technique for determining number density and electron temperature, essential parameters for predicting radiation dynamics, local thermodynamic equilibrium, and atomic kinetics in laboratory and astrophysical environments. Specifically, Stark broadening is often used to diagnose a plasma's electron density via a tracer element. We are interested in testing whether Stark broadening models can predict the plasma density from multiple elements within the same plasma, and whether this is done self-consistently. In order to do so, we diagnose transmission spectra through  $\sim 0.4\text{-}\mu\text{m}$ -thick Mg-NaF foil on Sandia's Z facility. This foil is tampered with varying amounts of CH, allowing for electron densities between  $1\times 10^{21}$  and  $1\times 10^{22}\text{ cm}^{-3}$  to be reached. The foil is heated such that He-like charge states were reached for all three elements, allowing for investigation of Stark broadening of those lines. The amount of broadening found from different elements, and different tamper thicknesses will be discussed further.

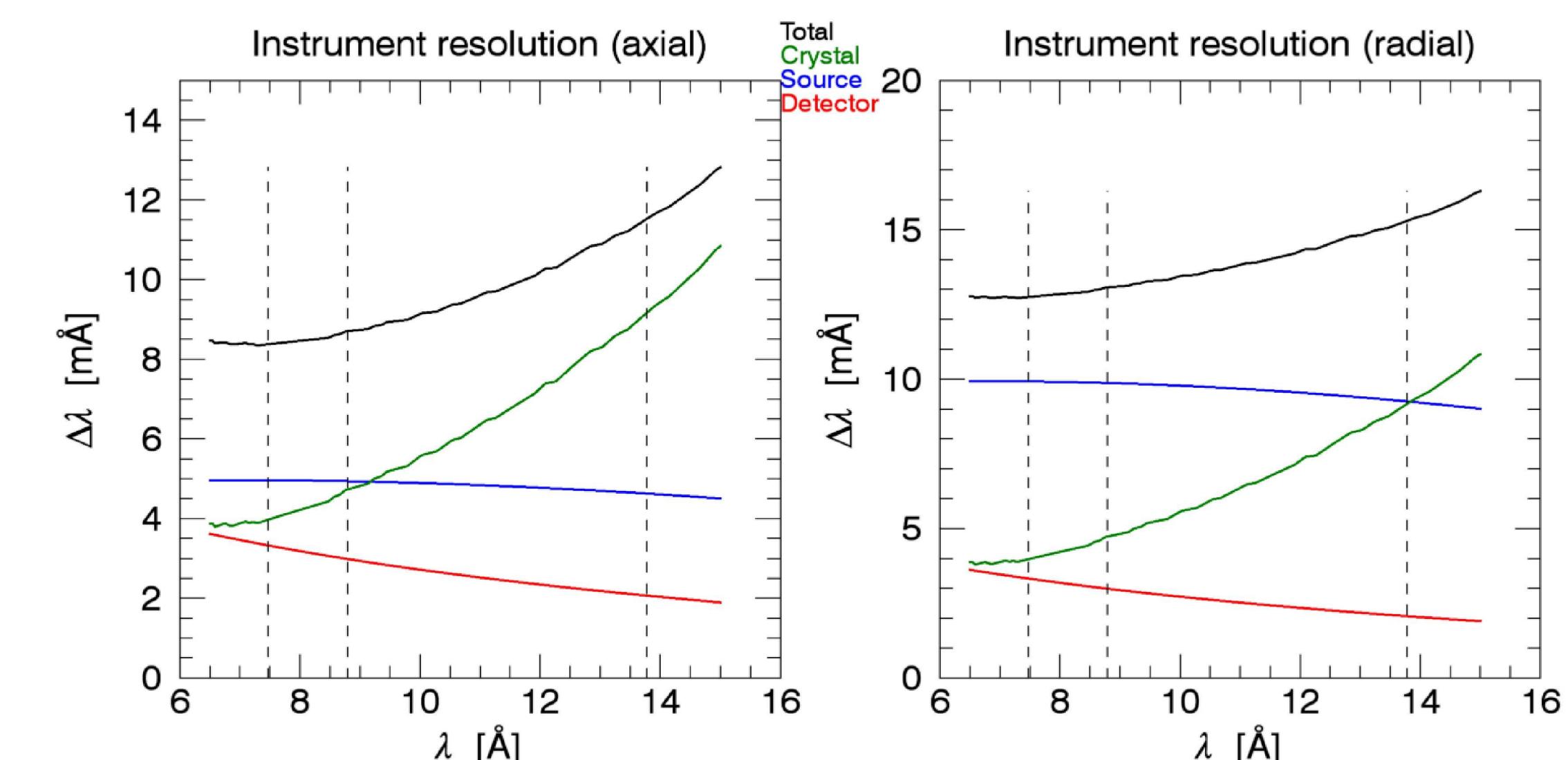
## Z facility provides excellent test bed for multi-element stark broadening



## In order to resolve Stark broadening, instrument broadening must be known

Source of broadening	Distribution Function	Average $\lambda/\Delta\lambda$	$\Delta\lambda [\text{m}\text{\AA}]$ at 11 $\text{\AA}$
Source Size	Based on Spatial distribution	2000	5.5
Rocking Curve	Lorentzian	1700	6.47
Detector (Film)	Gaussian	4000	2.75

- These sources of broadening are due to the geometry of our experimental setup, and therefore are not affected by varying plasma parameters. Below is graphical representation of the instrument broadenings.



## It is important to take into account broadenings in the plasma as well, such as Doppler broadening and Intrinsic line width

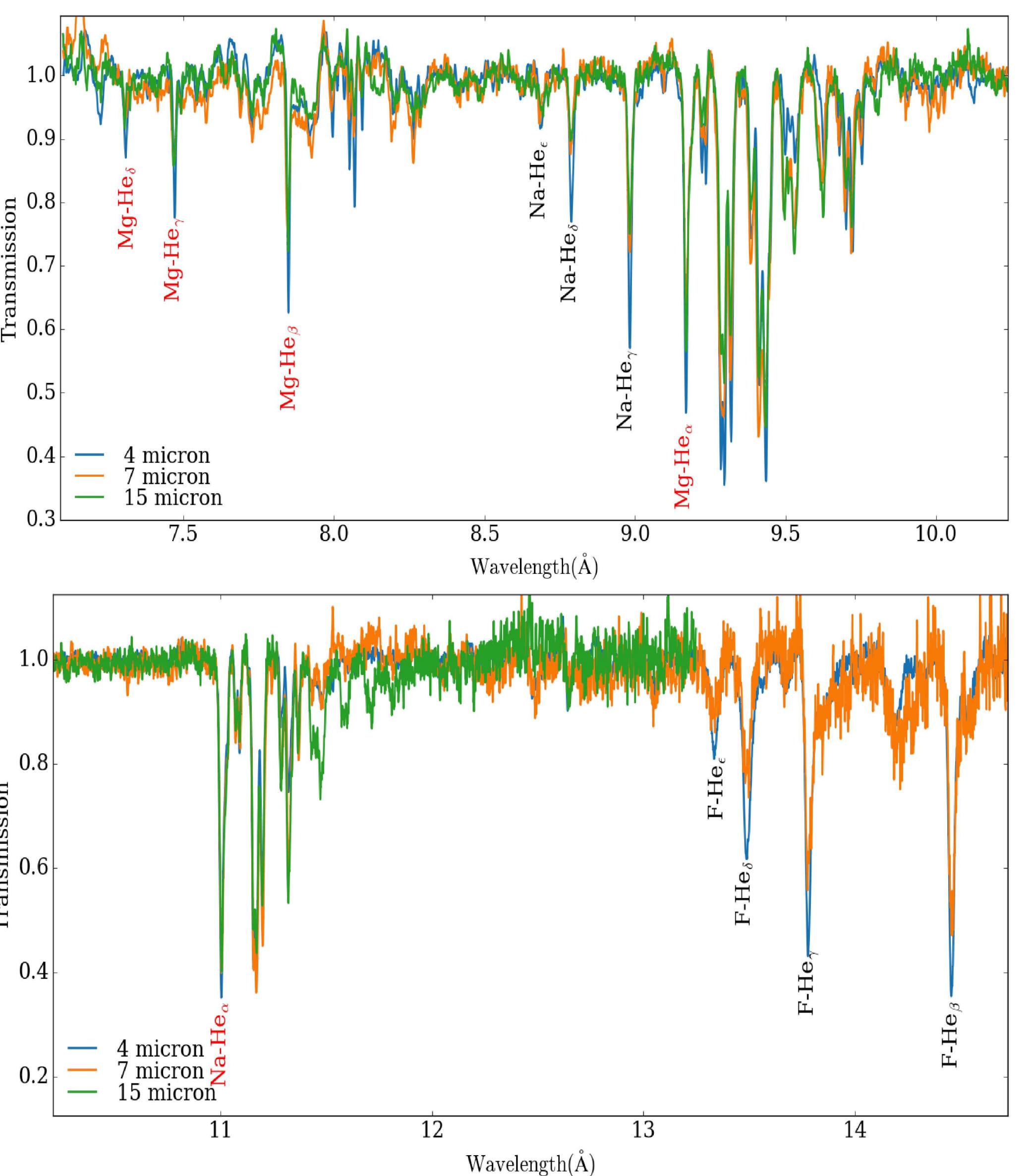
- Plasma temperature and species mass can be used to determine random thermal motions effect on lines within the spectra, known as Doppler broadening (Salzman, 2009).

	F	Na	Mg
$\lambda/\Delta\lambda$	6700	7400	7600

- Intrinsic line width derives from the Heisenberg Uncertainty equation. Therefore it is generally very small. A nominal value for our  $\Delta E$  is  $\sim 0.0007\text{ eV}$ , or a  $\lambda/\Delta\lambda$  of  $\sim 1.5\times 10^6$

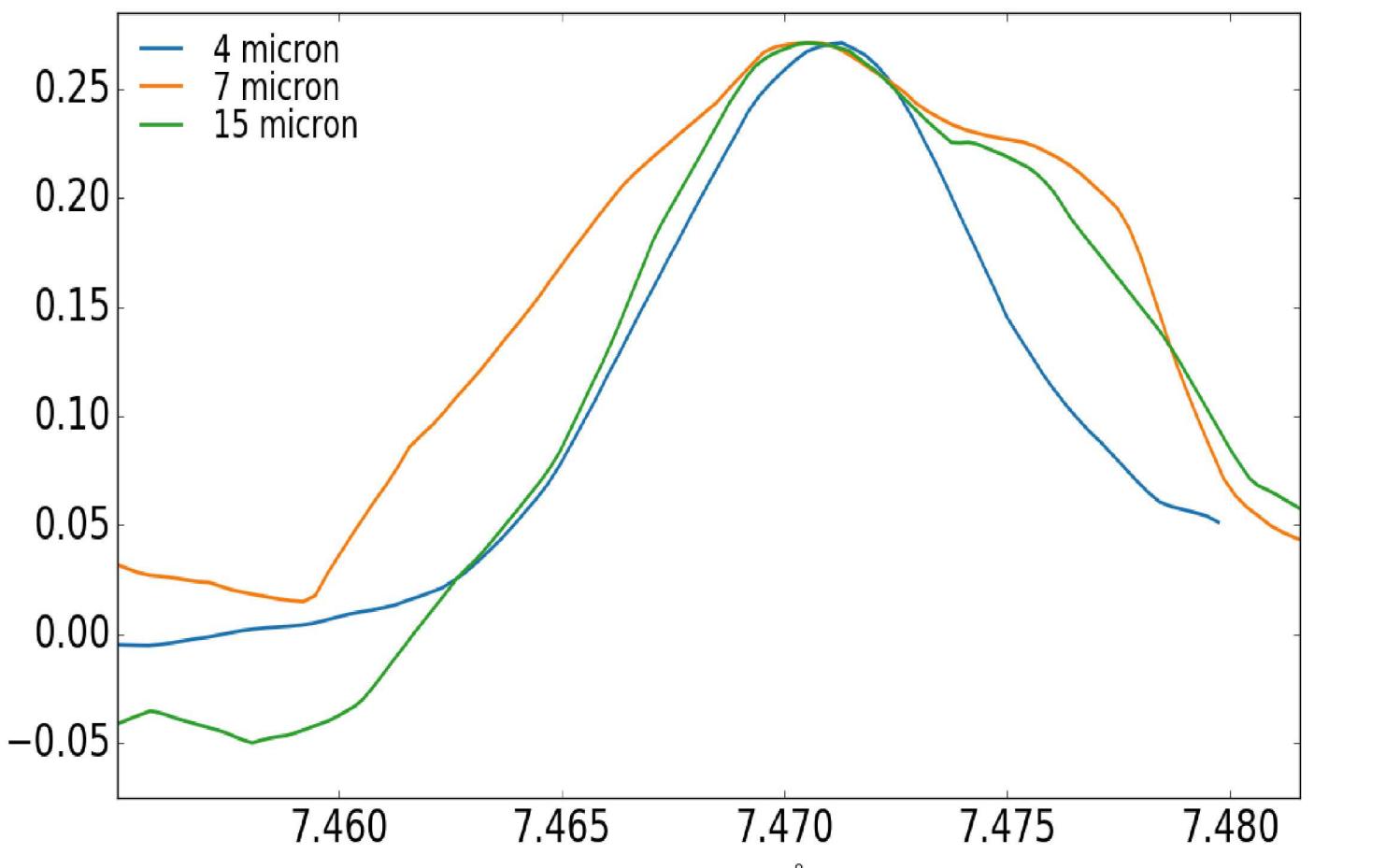
$$\Delta E = \frac{\hbar}{2} A_{ij}$$

Spectra from all three tamper thicknesses show a multitude of lines, including He-like charge states.

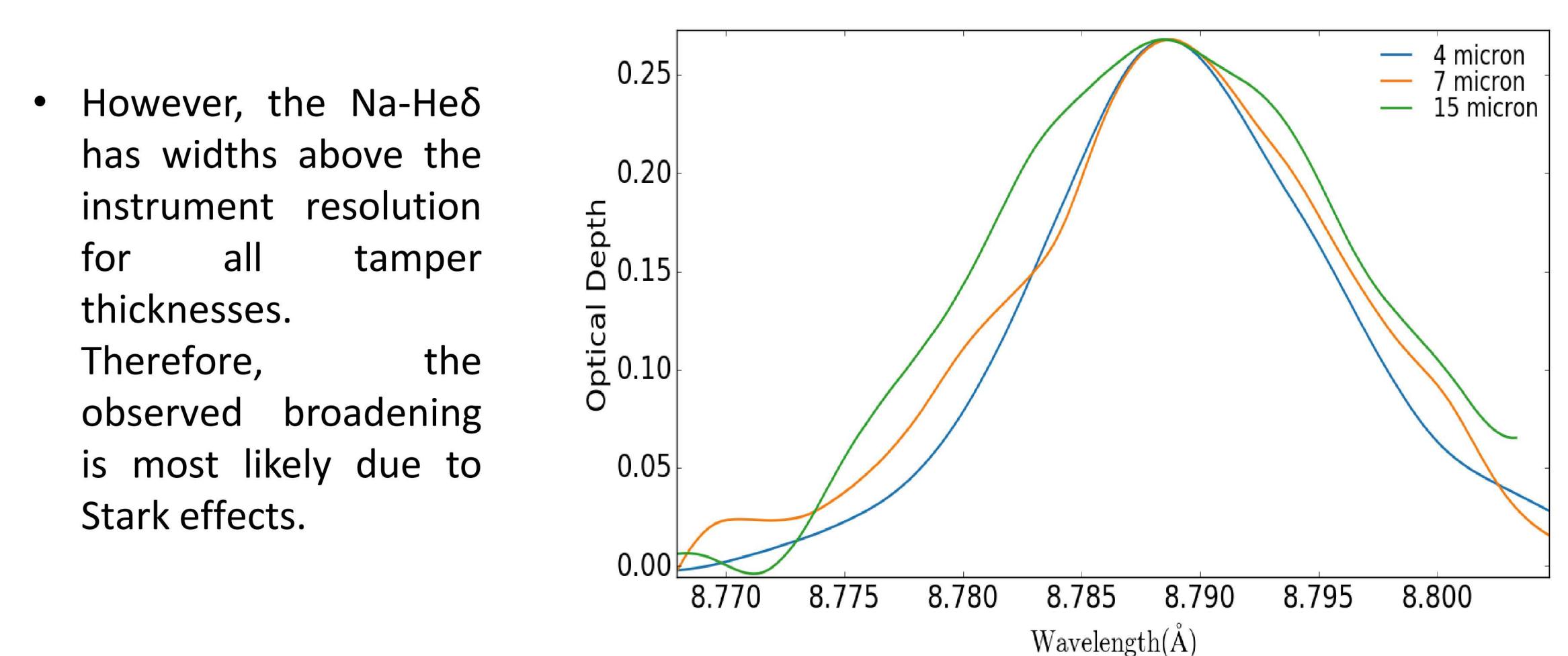


- He-like lines are observed for both Mg and Na for all three tamper cases.
- He-like F is not seen in the 15  $\mu\text{m}$  tamper case, since CH attenuates more at these wavelengths.

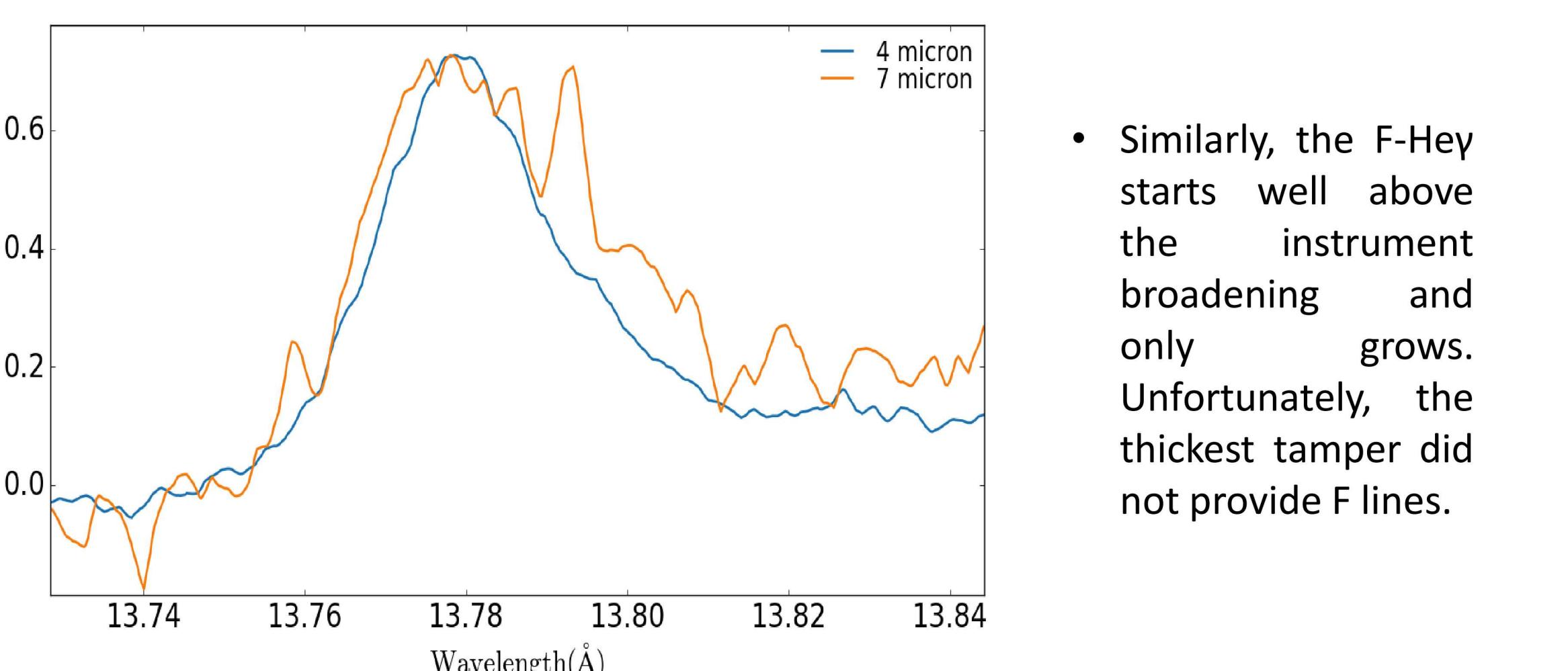
A normalized signal shows apparent stark broadening



- The Mg-Heδ appears to be broadening as tamper thickness is increased, but after a more in-depth analysis, this is largely due to the instrument's maximum resolution (values provided in the table below). This could be fixed by using the second order reflection from the KAP crystal.

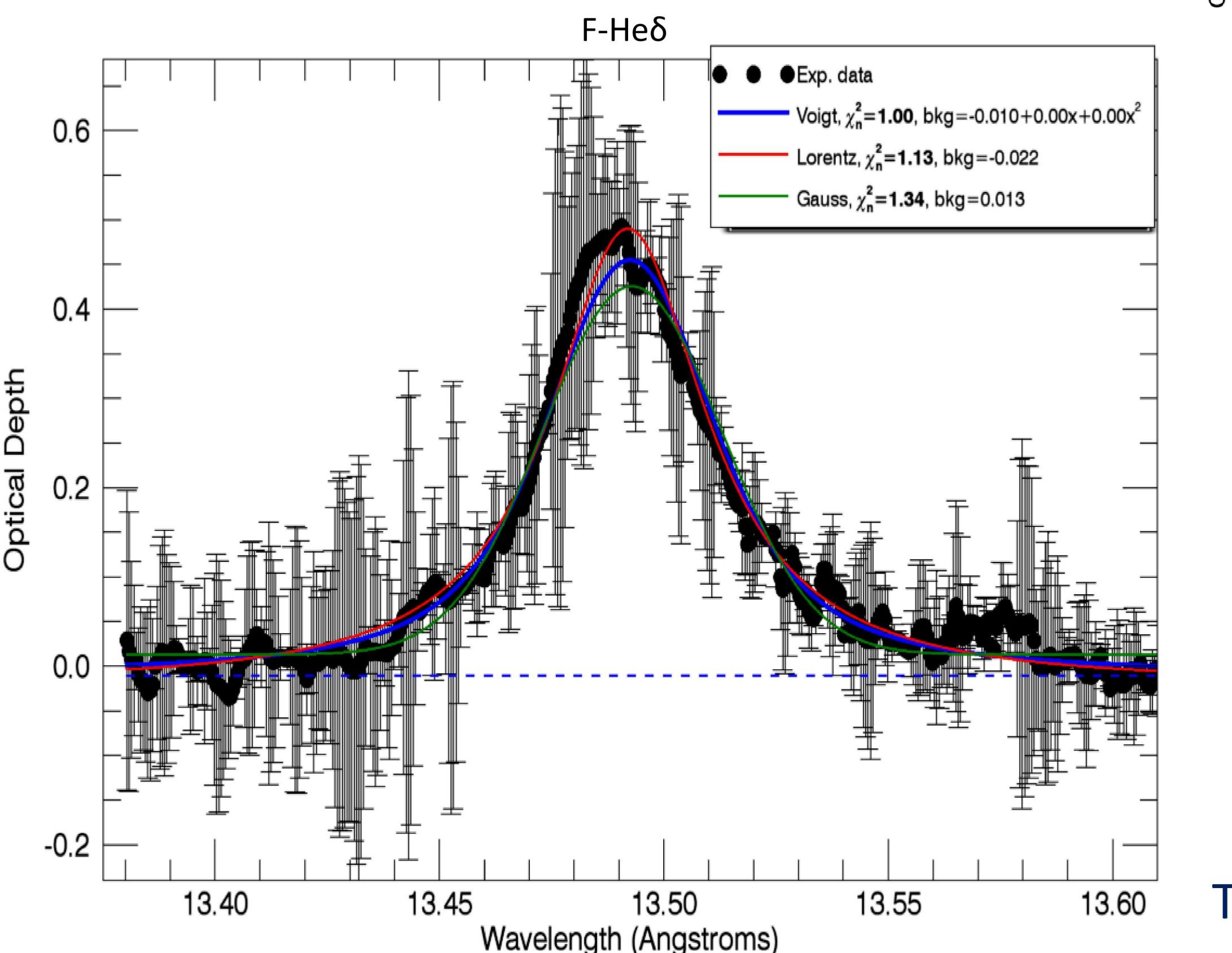


- However, the Na-Heδ has widths above the instrument resolution for all tamper thicknesses. Therefore, the observed broadening is most likely due to Stark effects.

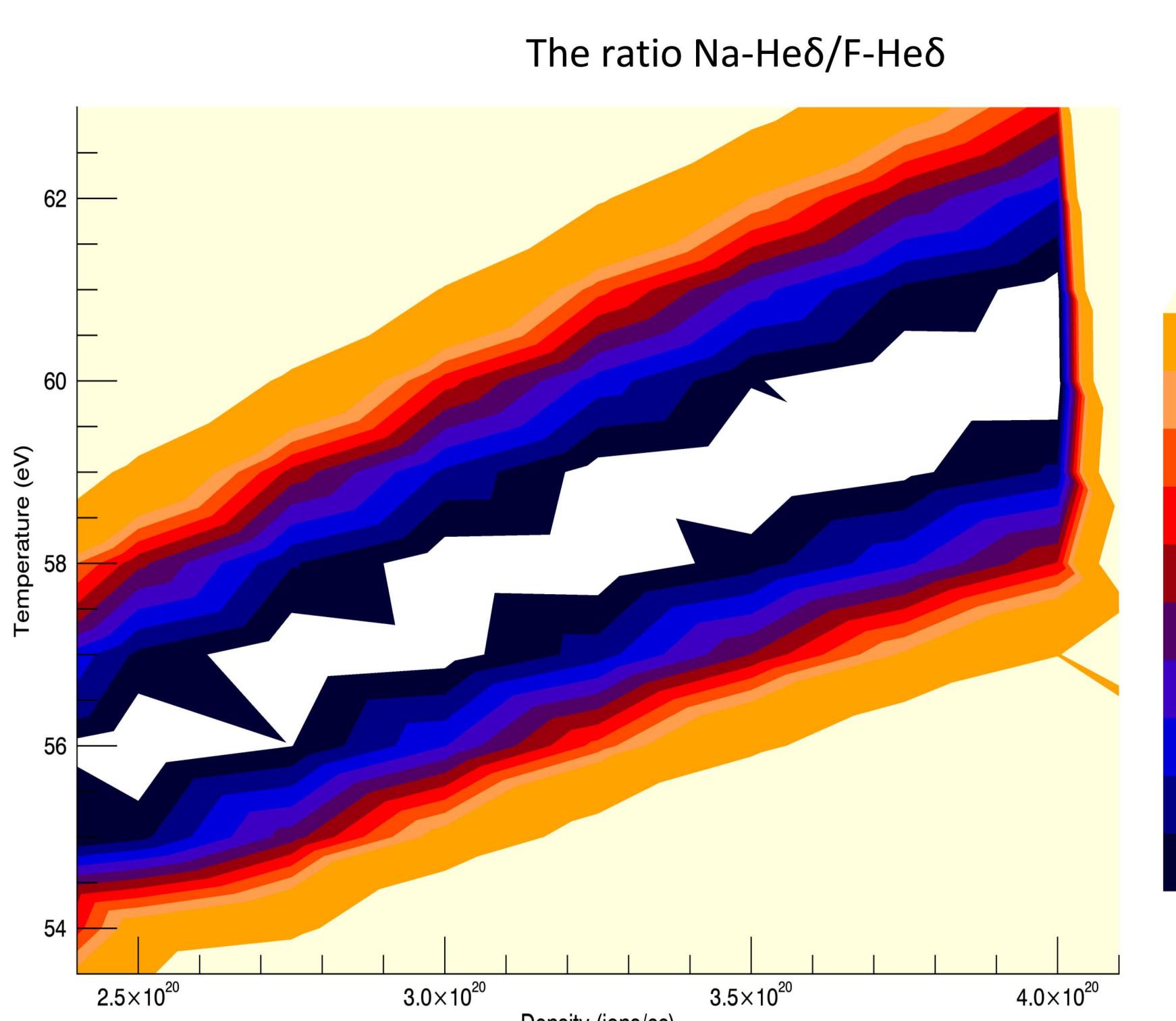


- Similarly, the F-Heδ starts well above the instrument resolution and only grows. Unfortunately, the thickest tamper did not provide F lines.

Converting transmission into optical depth allows for more accurate line fitting.

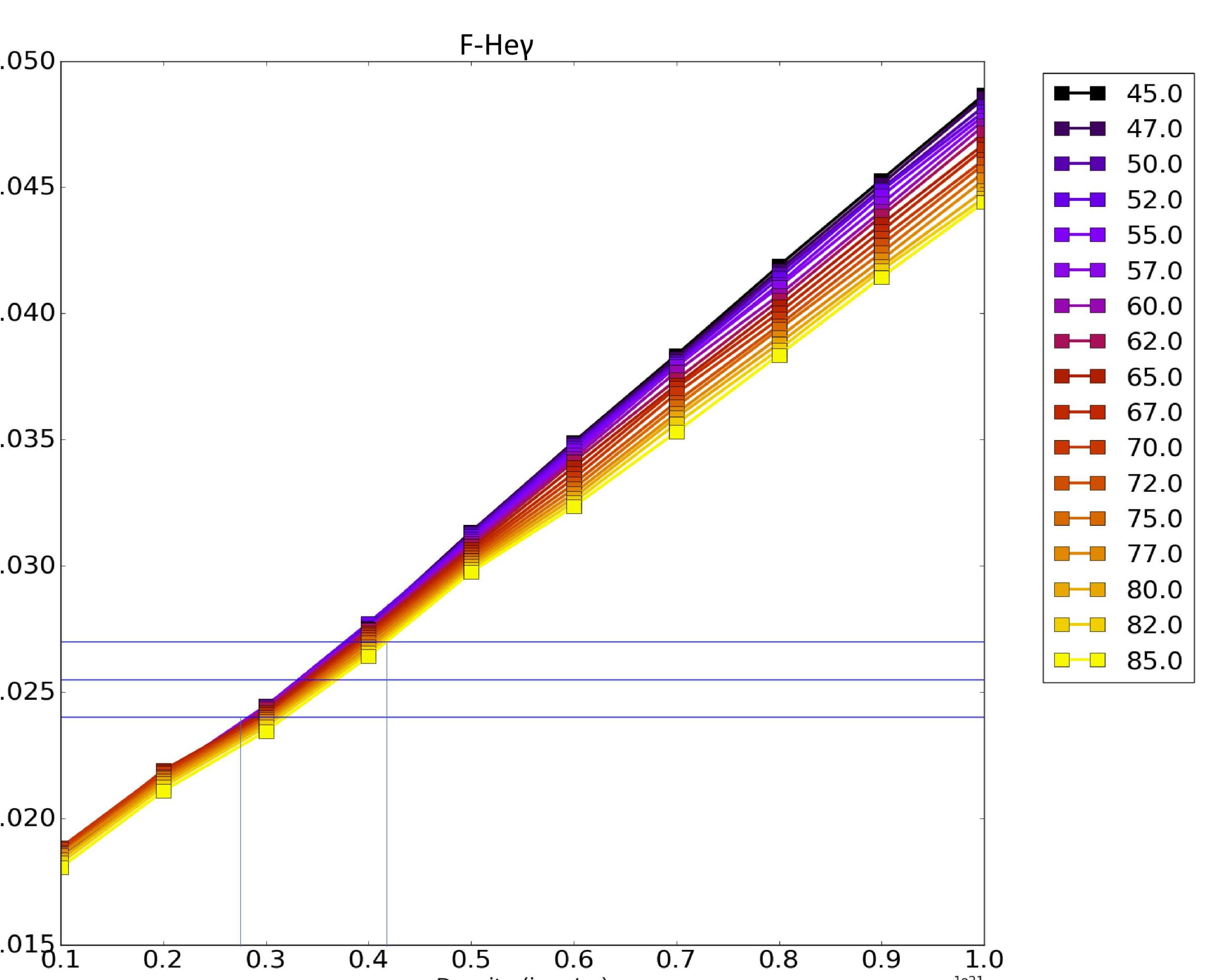


A Chi-squared analysis of line ratios provides a confidence interval for determining the temperature of the plasma

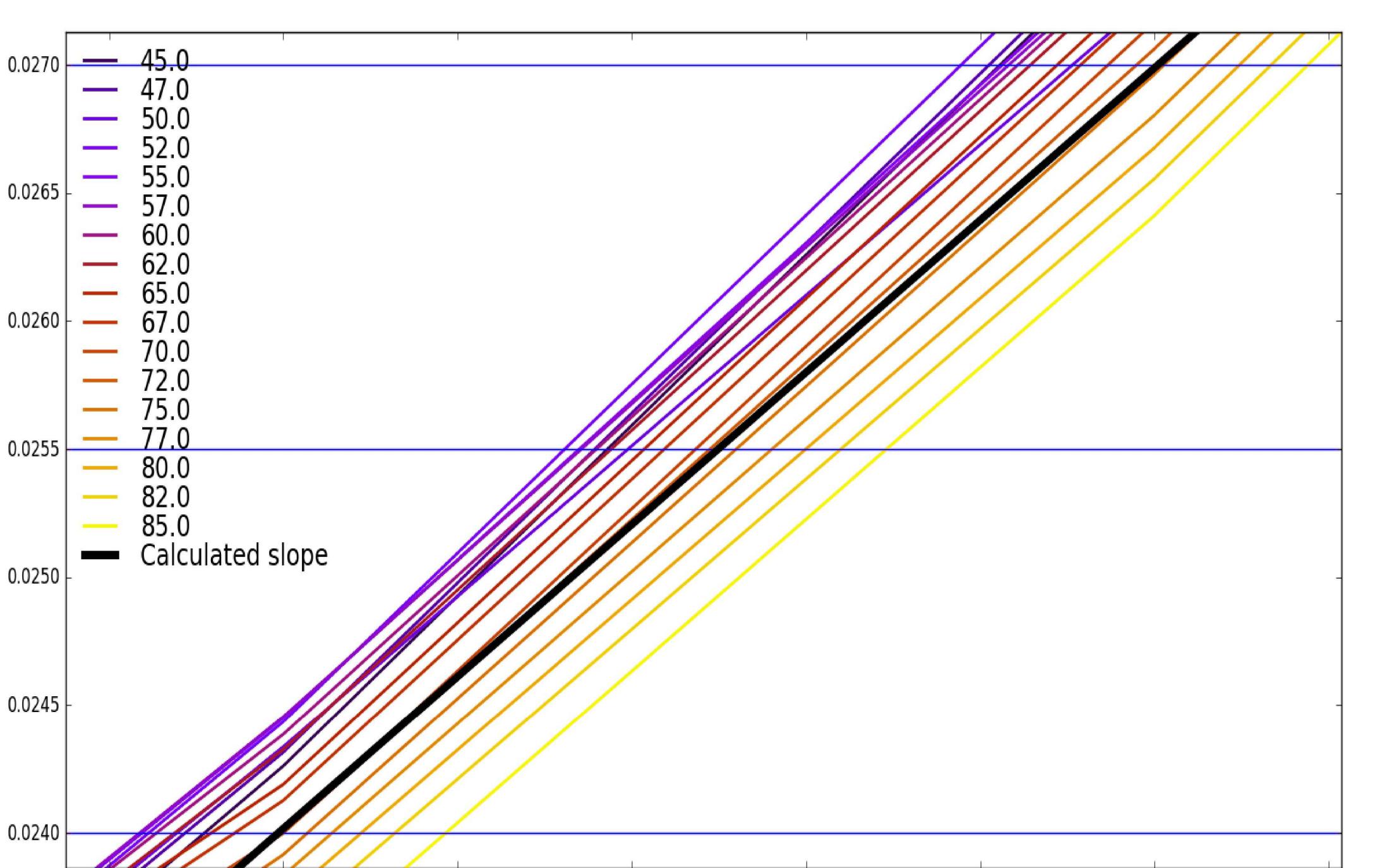


- A fitting and analysis algorithm was developed at WVU called HADHES, which allows for simulated line ratios to be calculated efficiently from PrismSPECT simulated spectra.
- Using the ratio values and errors found from the experimental data, we can create a chi-squared map in temperature-density space, giving us estimates of the temperature and density.

The predicted widths of He-like lines can be fit across a range of temperatures and densities, allowing for a comparison with the data.

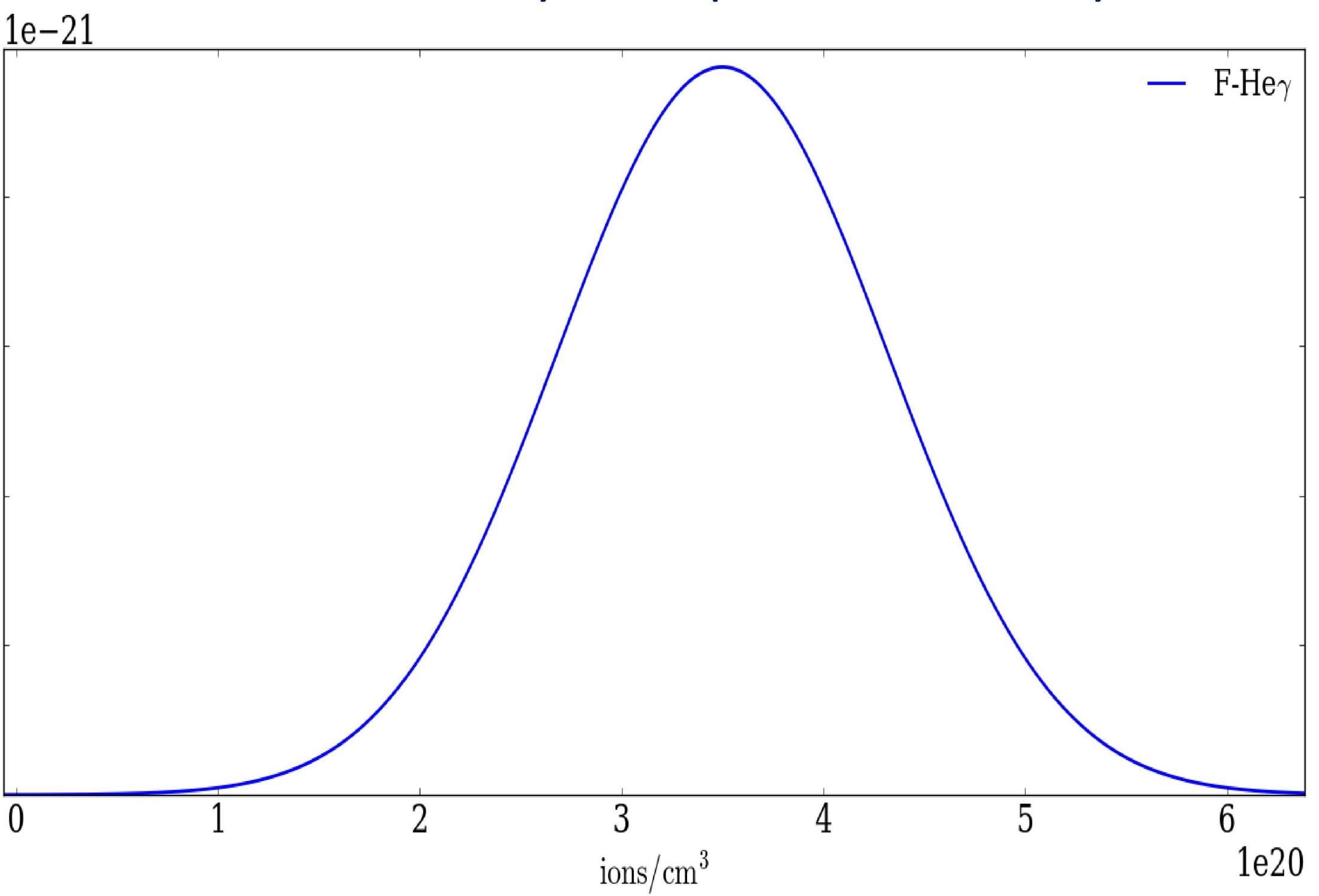


By fitting the observed trends with a line, the link between width and density becomes more obvious.



- A linear equation relates a line's width and the plasma's density.
- The slope of the line can be varied to indicate a gradient within the plasma.
- The y-intercept can vary based on the temperature of the plasma.
- This calculated line used an average of the different temperatures, with the spread in values taken as the error.

Assuming a Gaussian distribution for the error in the density, the linear relation between width and density can be used to more accurately show predicted density.



- Since a Gaussian error distribution is assumed, the linear transformation yields another Gaussian. This can be used moving forward to determine agreement between predicted densities from different lines. This can be shown by whether or not all the predicted values fall within  $2\sigma$  of each other, showing a 95% agreement.

## Conclusions/Future Work

- We have a platform that is poised to measure Stark broadening effects on He-like lines across two different elements, with a third coming soon.
- Our next shot series will be using an axially resolving spectrometer. All three tamper thicknesses will be measured.
- Second order reflection of KAP crystals is an option for helping resolve broadening in He-like Mg lines. This may be used in our next shot series as well.
- Once experiments are completed, line widths found in experiment will be compared to those produced by various codes to see if they can replicate a singular density using three elements.

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