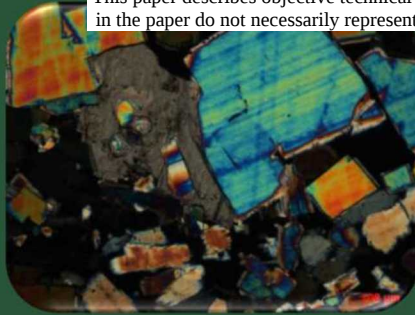


SEM image showing a cross-section of a polymer film. The film exhibits a porous, cellular structure. Technical data at the bottom: SED-TO: 15.0 kV, WD: 10.00 mm, X10.0K, 1.00 μm, Det: SE, 20 μm, VEGA1 TESCAN, Secondary Electron Lens.



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Outline

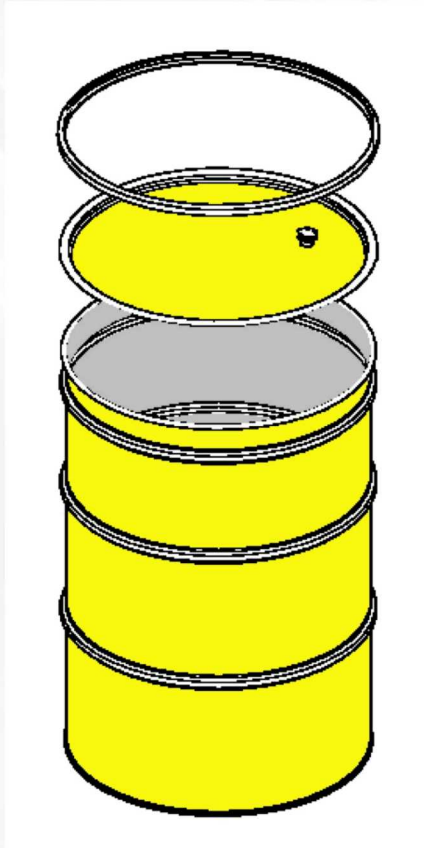
- Background
- Model Setup
 - Numerical Approach
- Results
 - Sensitivity to Canister Behavior
 - Sensitivity to Clay Seam Behavior
- Summary and Potential Future Work



Background

Standard Canisters

Schematic



Park, B.Y. and Hansen, F. D., "Determination of the Porosity Surfaces of the Disposal Room Containing Various Waste Inventories for WIPP PA", 2005, SAND2005-4236

Photo
(with surrogate waste)

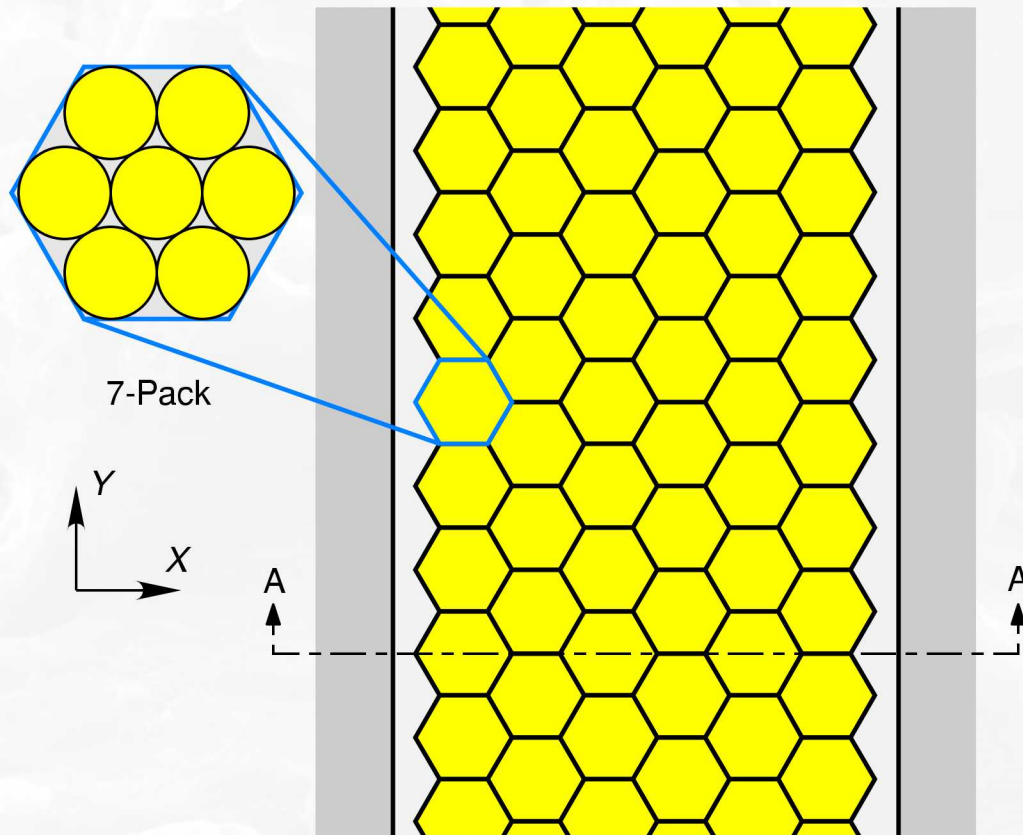


Broome, S.T., Ingraham, M.D., Flint, G.M., Hileman, M.B., Barrow, P.C., and Herrick, C.G., "Laboratory Testing of Surrogate Non-degraded Waste Isolation Pilot Plant Materials", 2016, American Rock Mechanics Assoc., ARMA 16-120

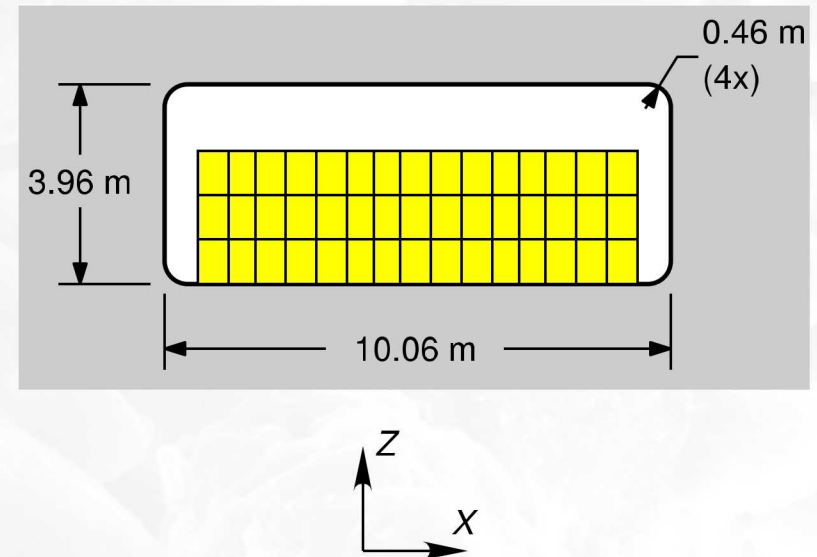
Canister Emplacement



Plan View



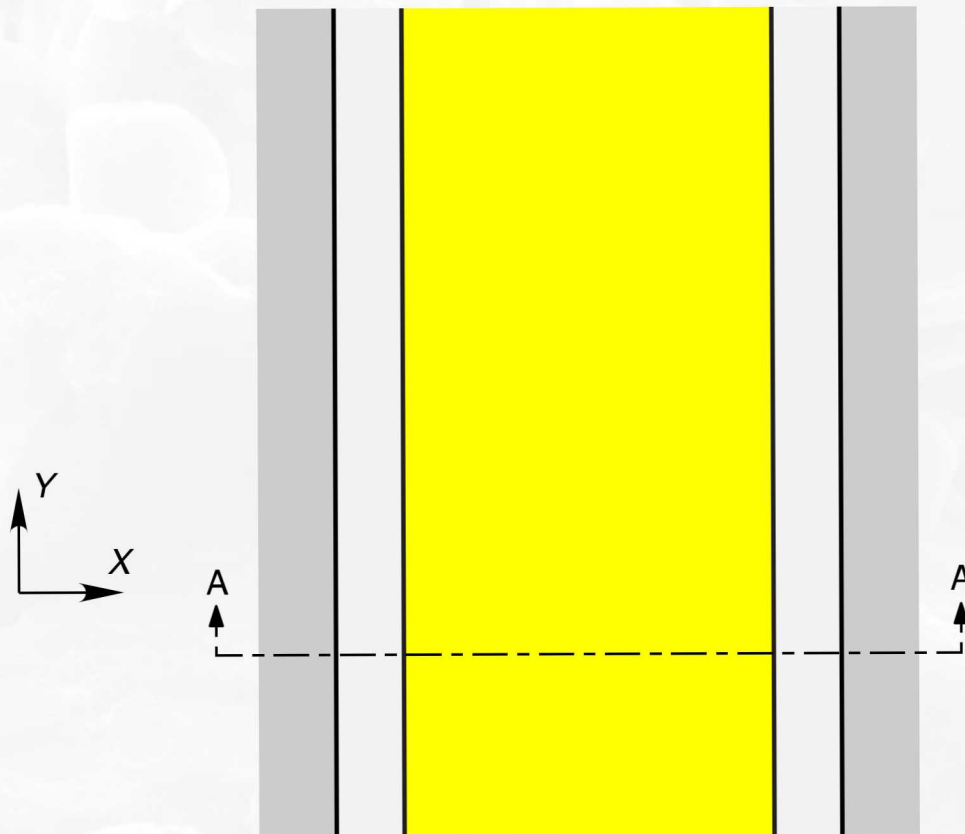
Section A--A



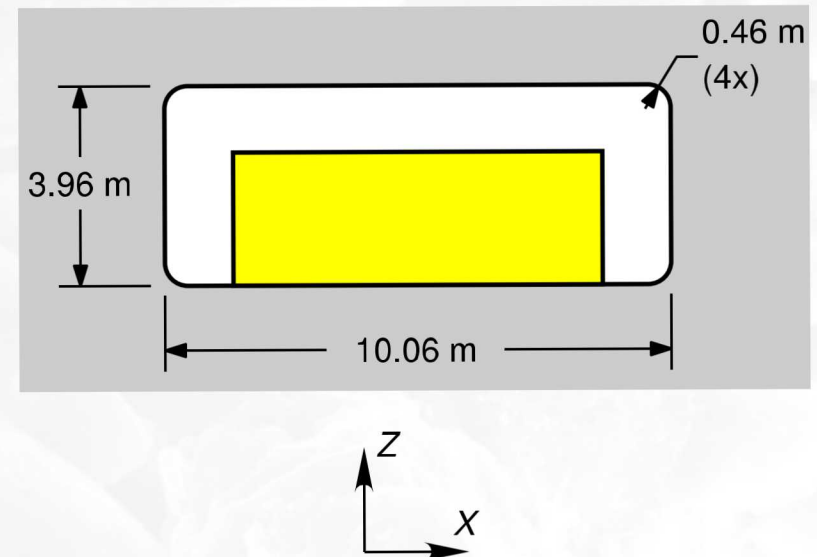
Idealized Model



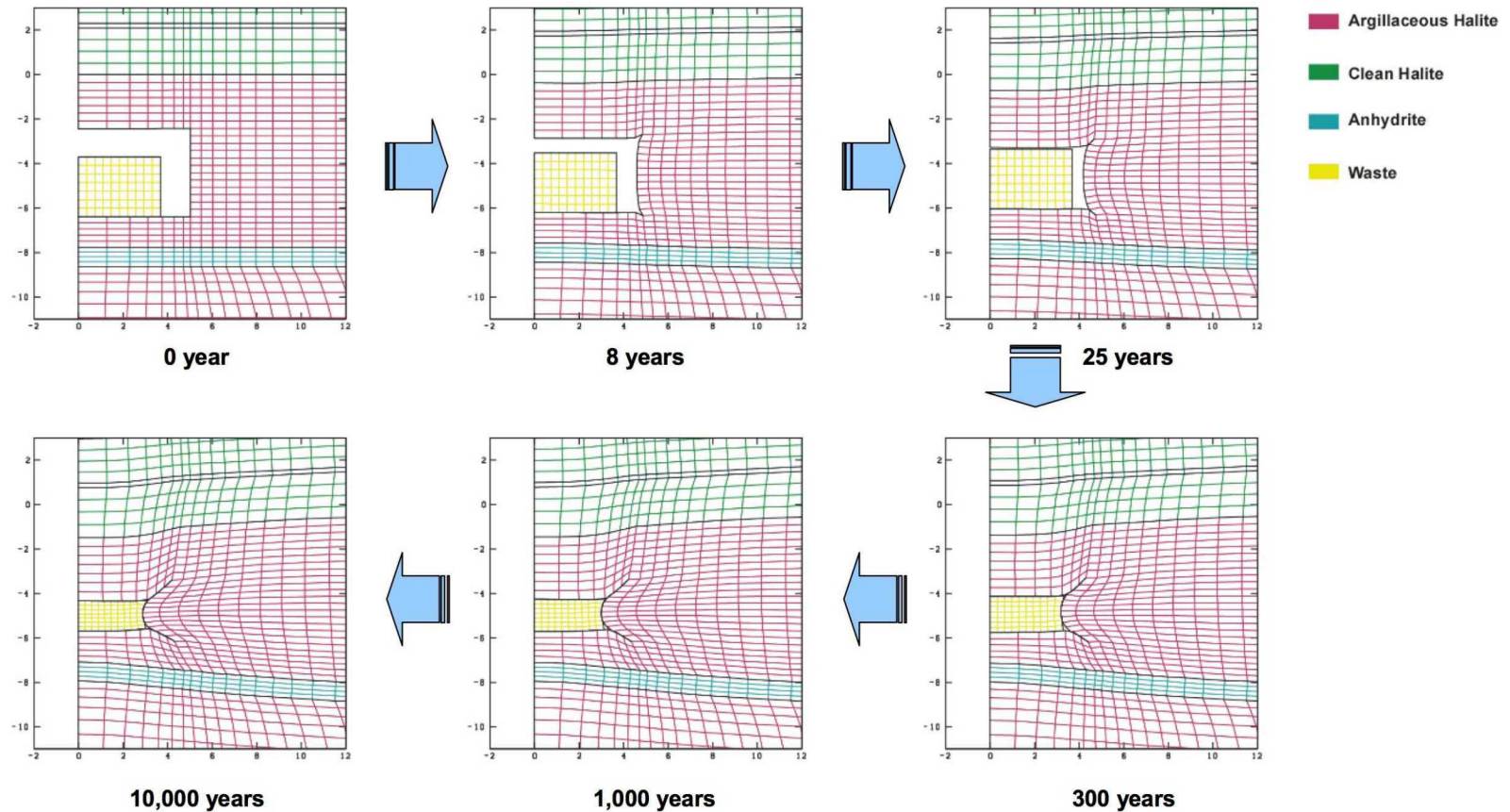
Plan View



Section A-A



Idealized Model Results



Park, B.Y. and Hansen, F. D., "Determination of the Porosity Surfaces of the Disposal Room Containing Various Waste Inventories for WIPP PA", 2005, SAND2005-4236

New Canister Design



Schematic

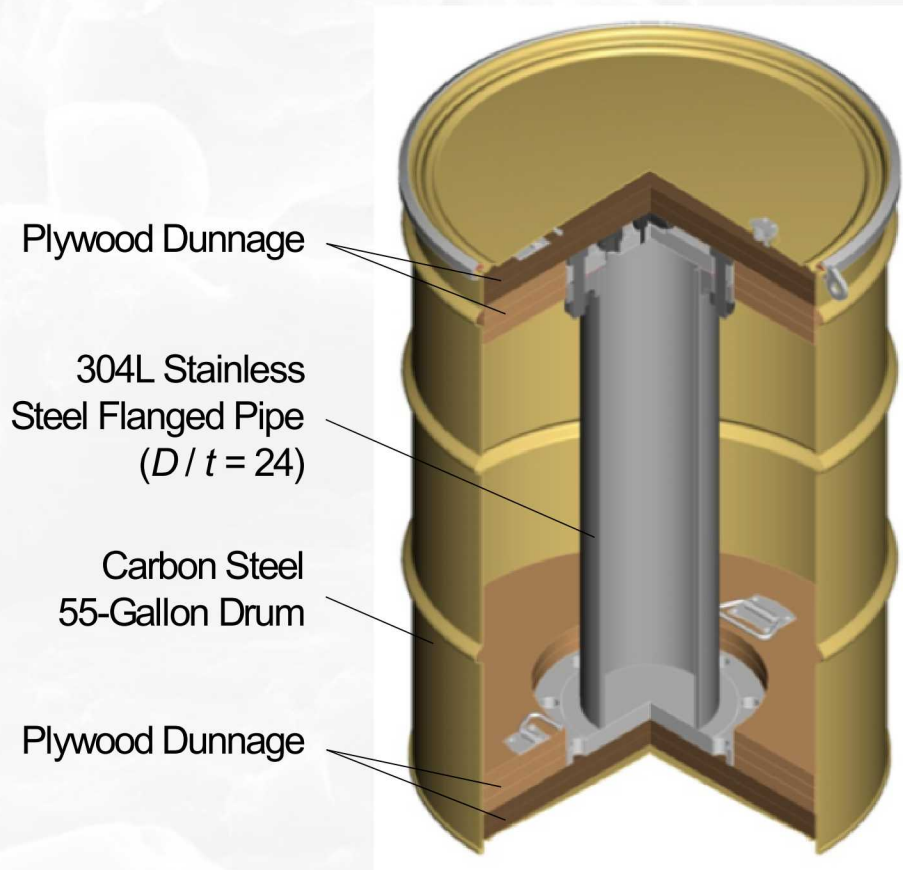
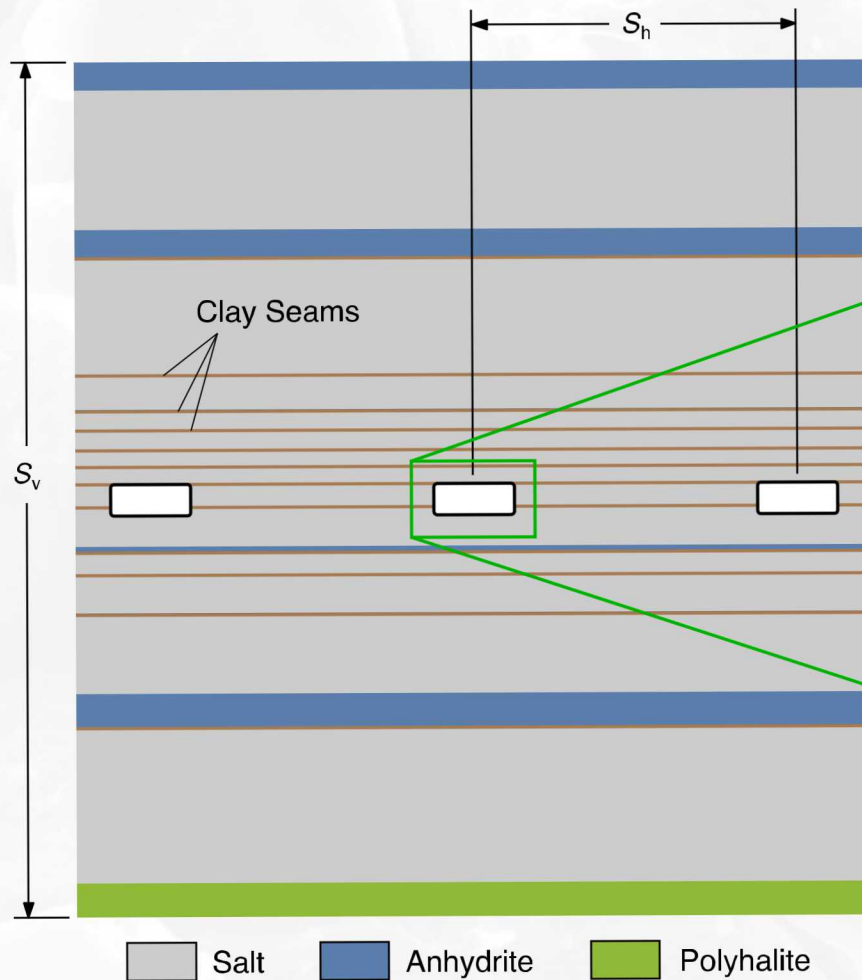


Photo
(lid and upper dunnage removed)

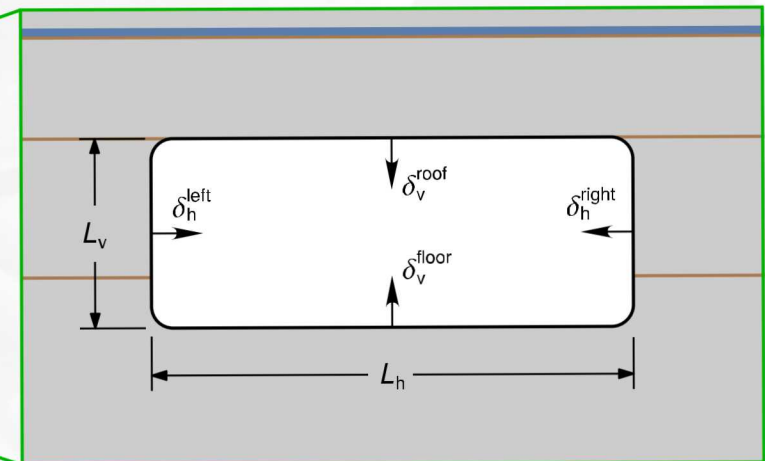


Model Description

Idealized Stratigraphy



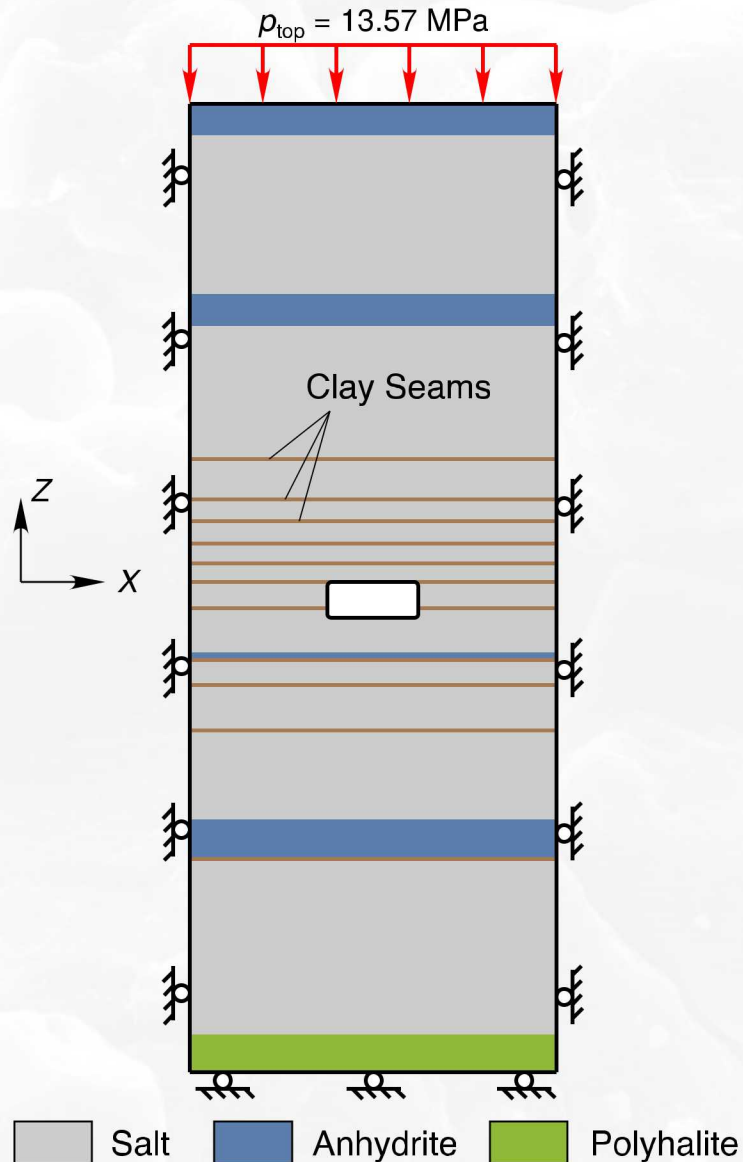
Disposal Room (Upper Horizon)



$$\delta_h = \delta_h^{\text{left}} + \delta_h^{\text{right}}$$

$$\delta_v = \delta_v^{\text{floor}} + \delta_v^{\text{roof}}$$

Boundary Conditions and Geomaterial Models

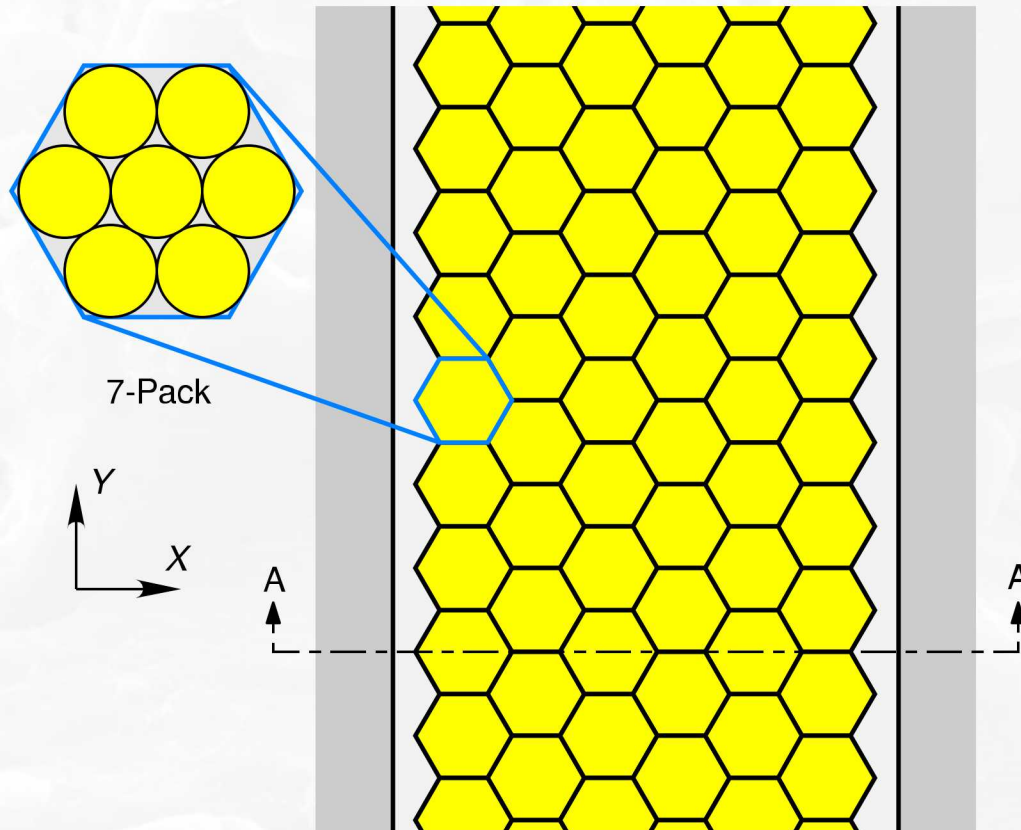


- Salt
 - Munson-Dawson Model
 - Calibration 3B (most recent)
- Anhydrite and Polyhalite
 - Elastic-Perfectly Plastic
 - Drucker-Prager Plasticity
- Clay Seams
 - Coulomb Friction

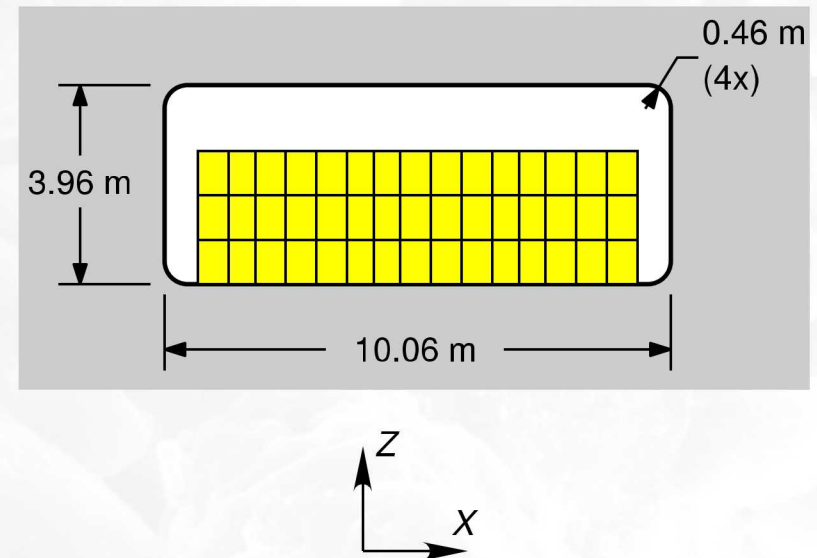
Canister Configuration and Boundary Conditions



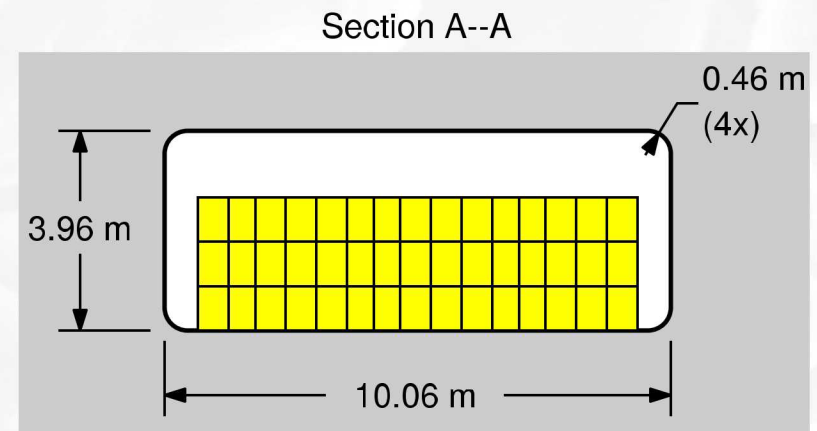
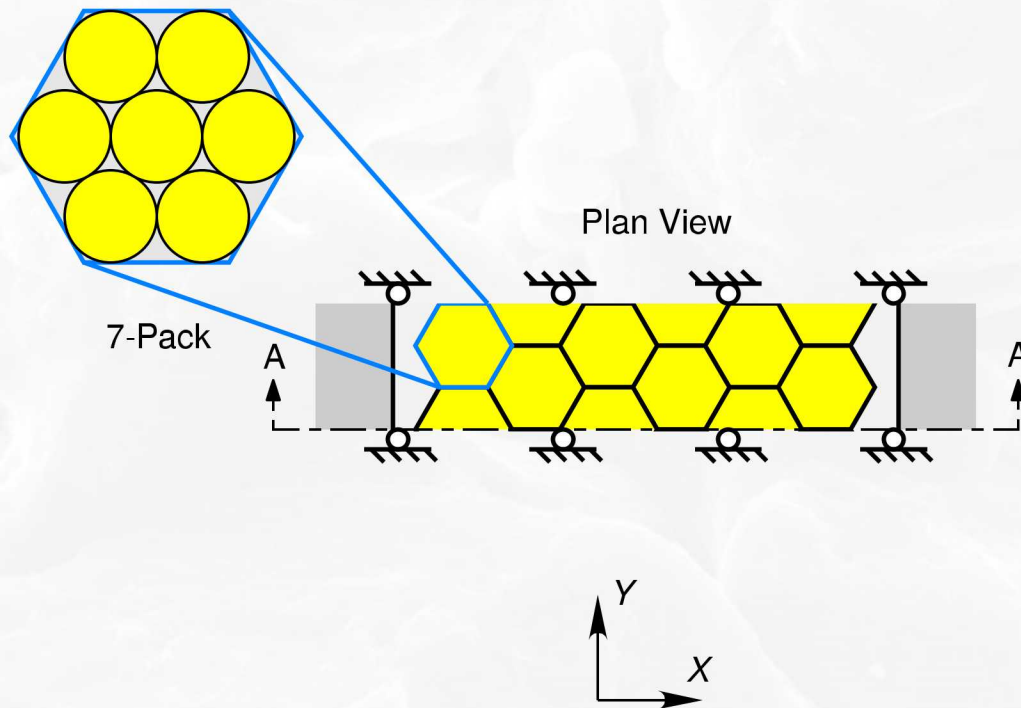
Plan View



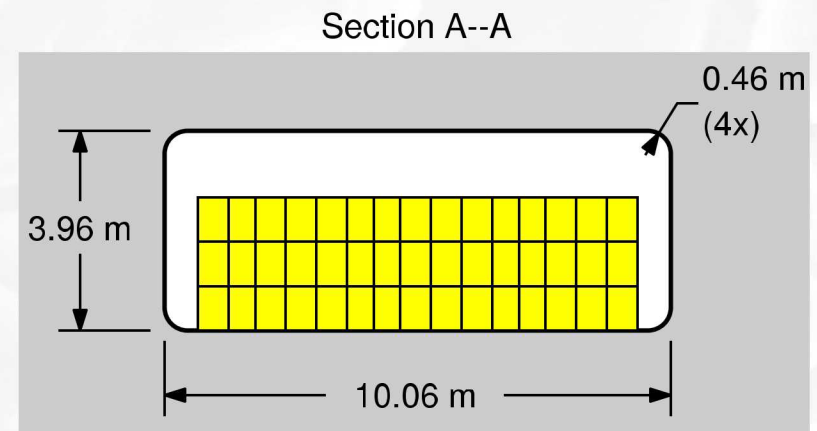
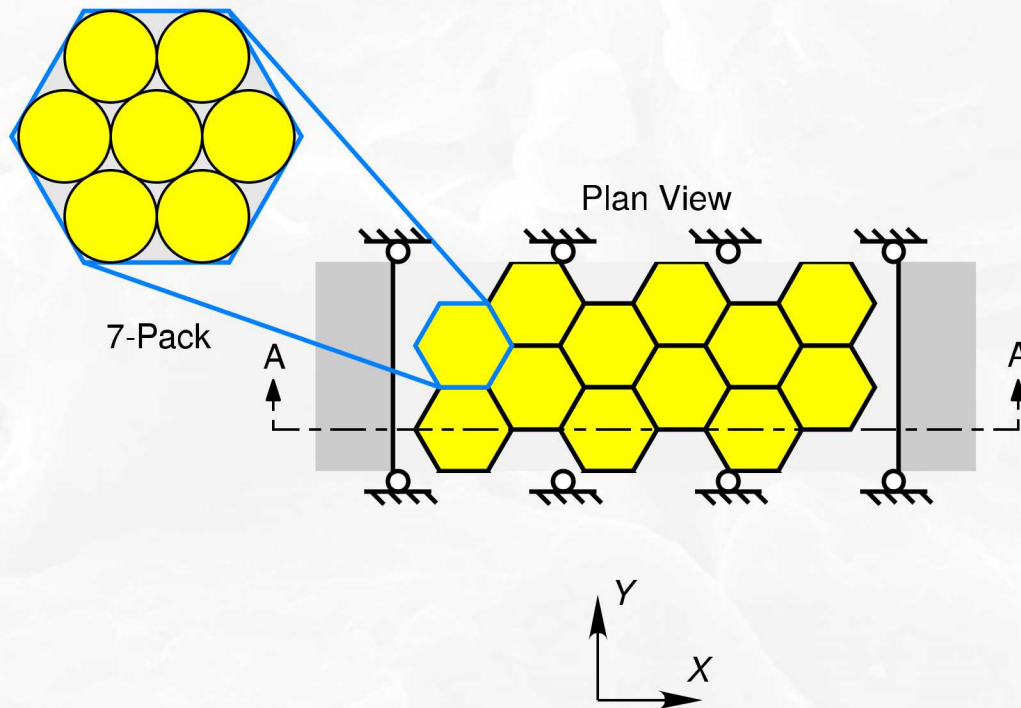
Section A--A



Canister Configuration and Boundary Conditions



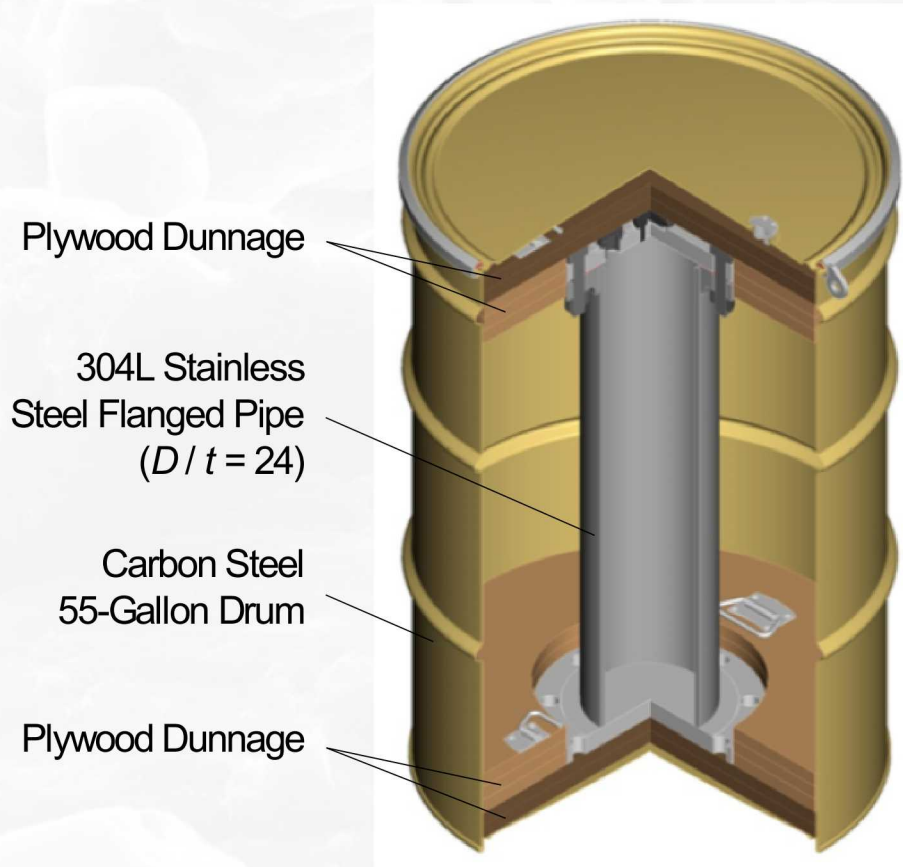
Canister Configuration and Boundary Conditions



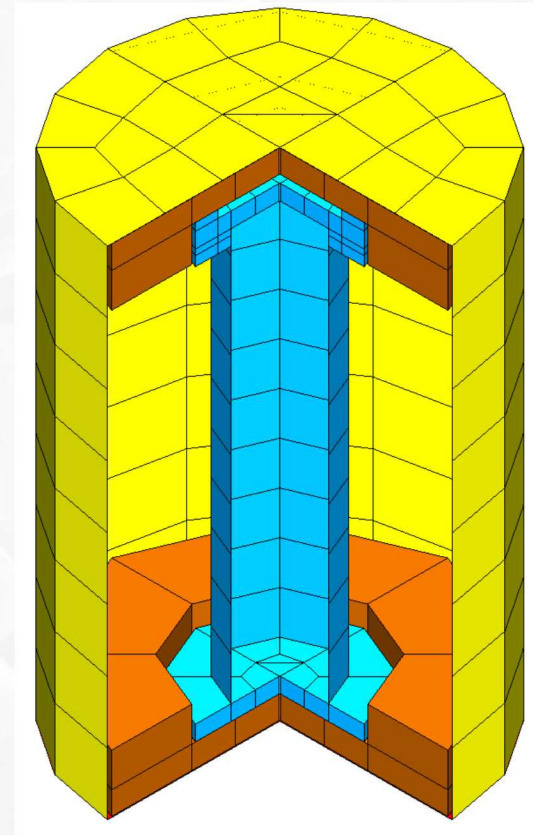
Canister Finite Element Model



Schematic



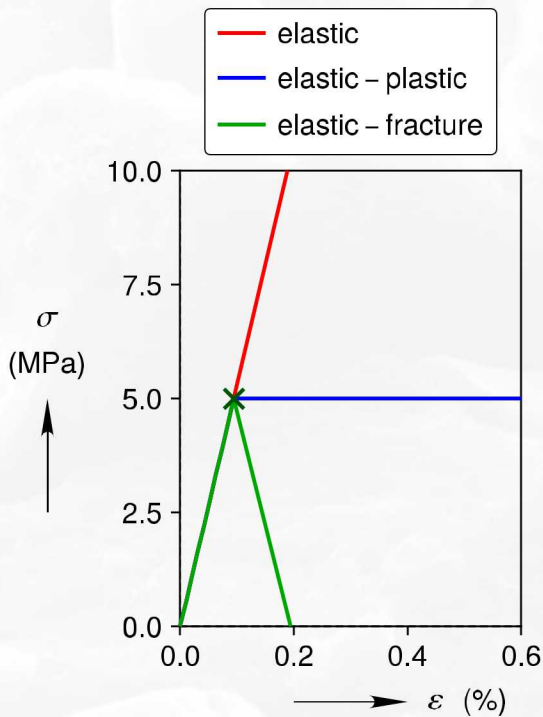
Finite Element Mesh



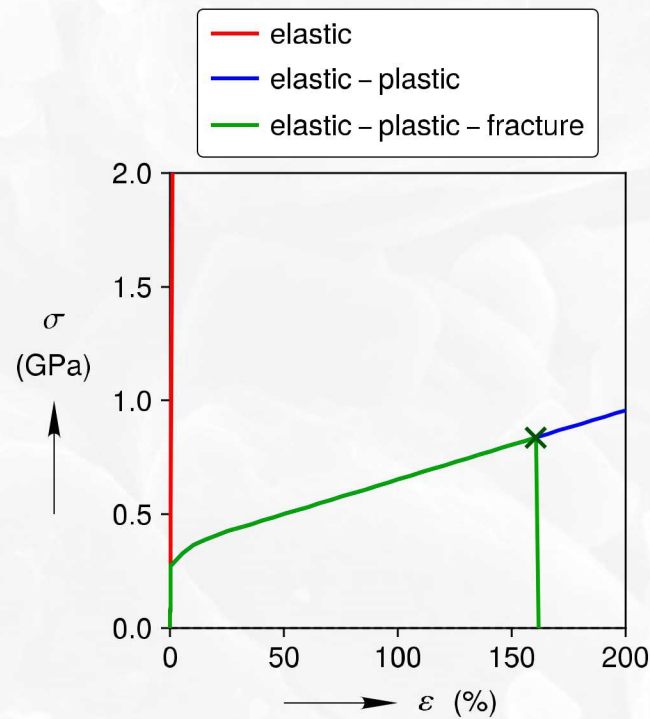
Canister Material Models: Uniaxial Tension



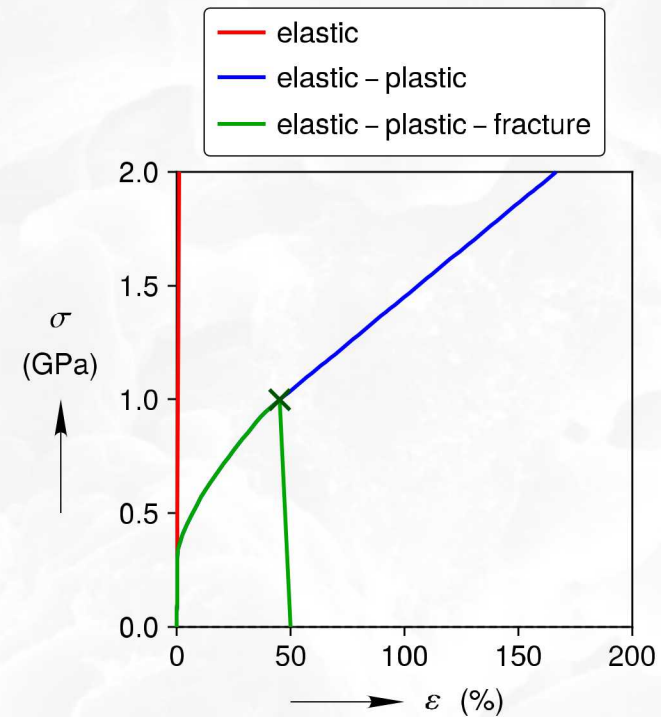
Plywood
Dunnage



Carbon Steel
55-Gallon Drum



Stainless Steel
Flanged Pipe



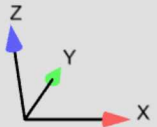
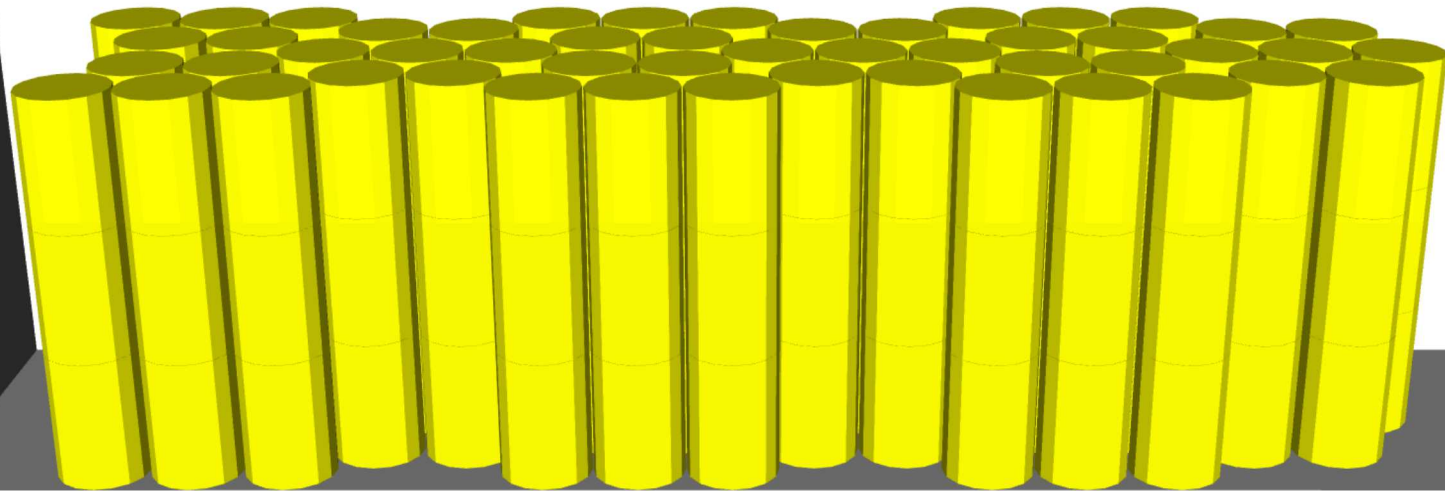
Potential Numerical Approaches



- Standard approaches:
 - Explicit Dynamics
 - Robust
 - Issue: time step is $\sim 1 \mu s$
 - Implicit Quasi-statics
 - Relatively robust, arbitrarily large time steps
 - Issue: solver cannot converge due to rigid body translations
 - Implicit Dynamics
 - Relatively unused, arbitrarily large time steps
 - Issue: contact and implicit dynamics do not play nice together
- Innovative Approaches:
 - Uncouple geomechanics from canister deformation
 - Enables explicit dynamics
 - Issue: difficult to determine final state
 - Speed up salt viscoplasticity
 - Enables explicit dynamics
 - Issue: cannot go too fast

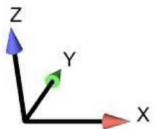
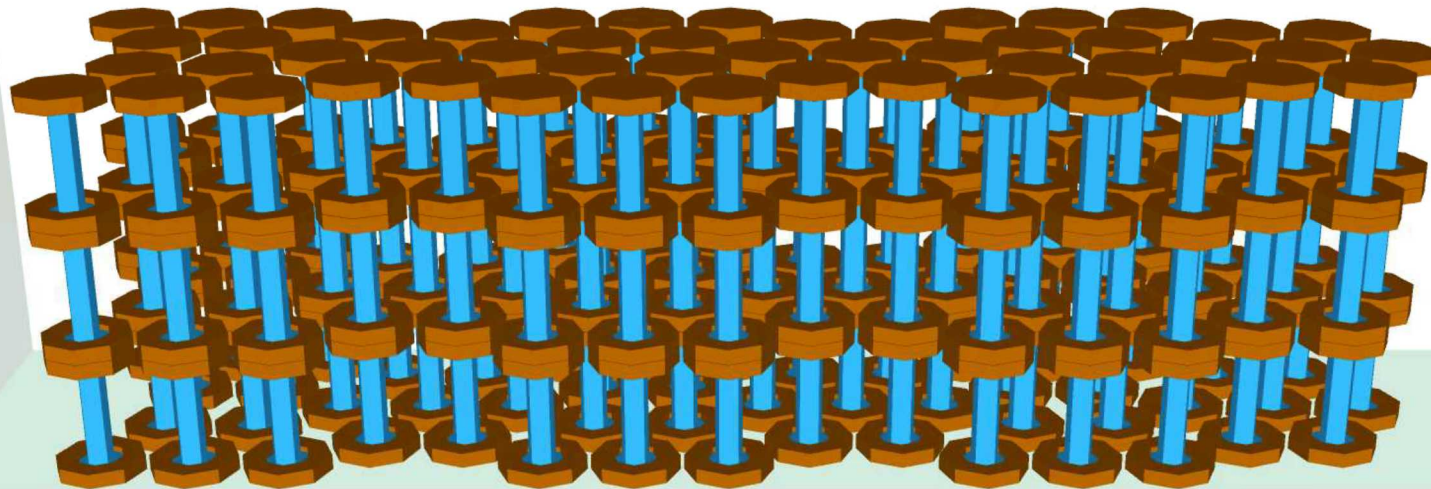
Results

Elastic Canisters



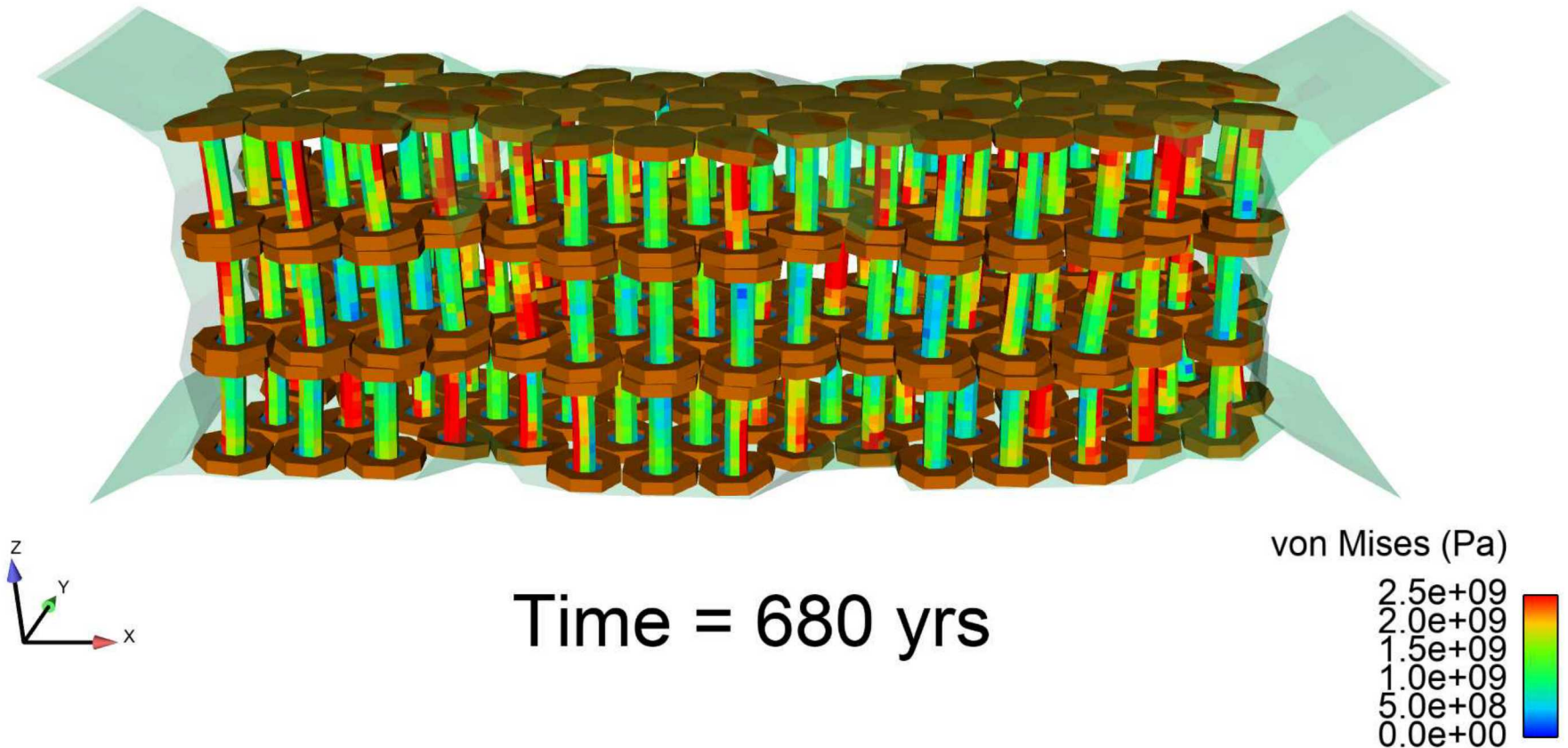
Time = 0 yrs

Elastic Canisters

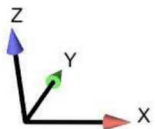
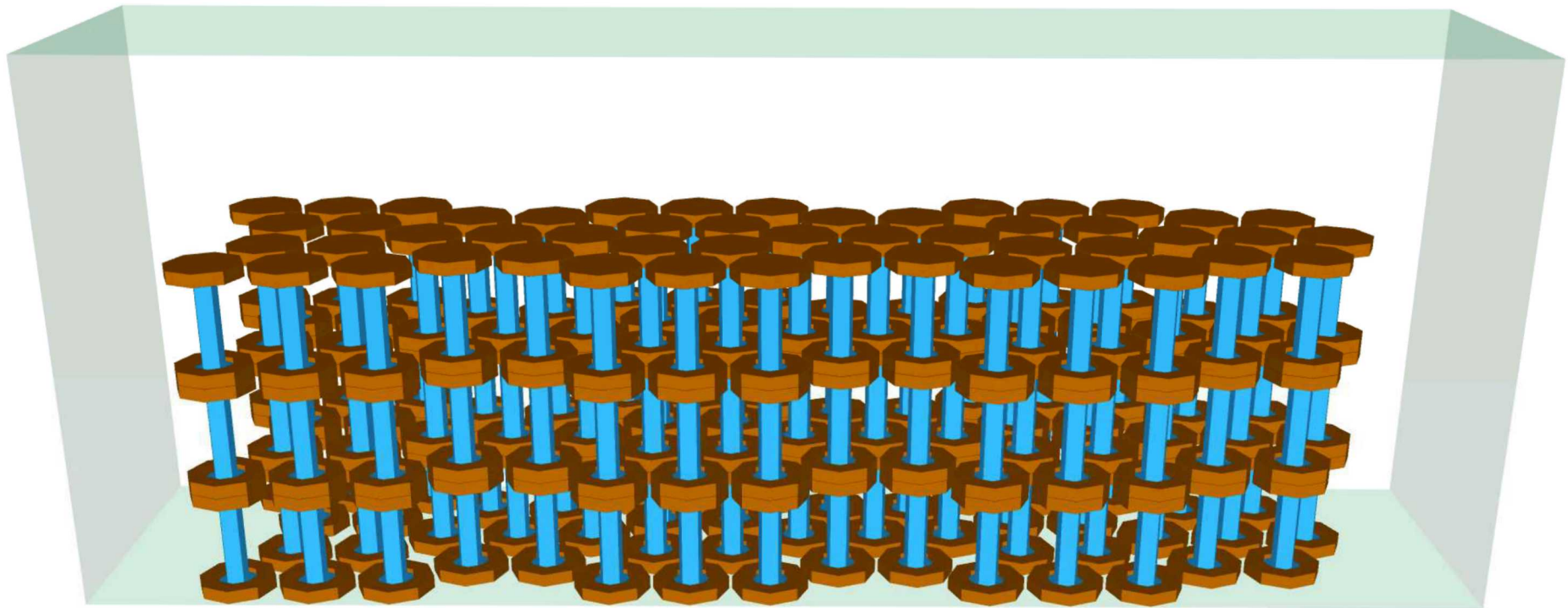


Time = 0 yrs

Elastic Canisters

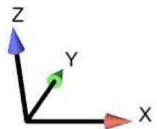
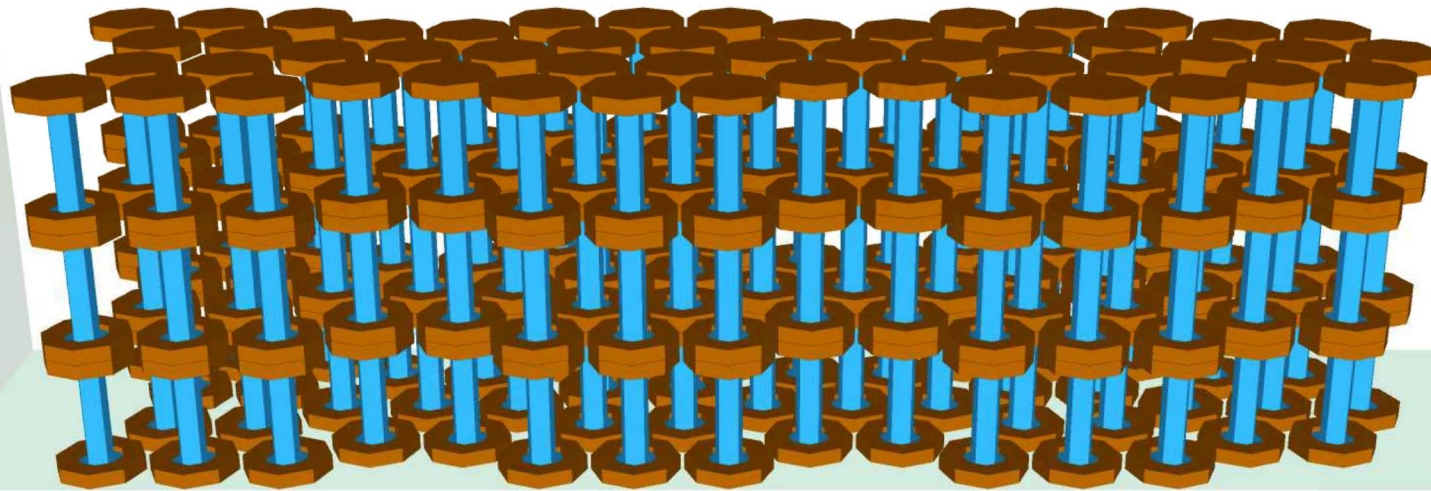


Elastic-Plastic Canisters



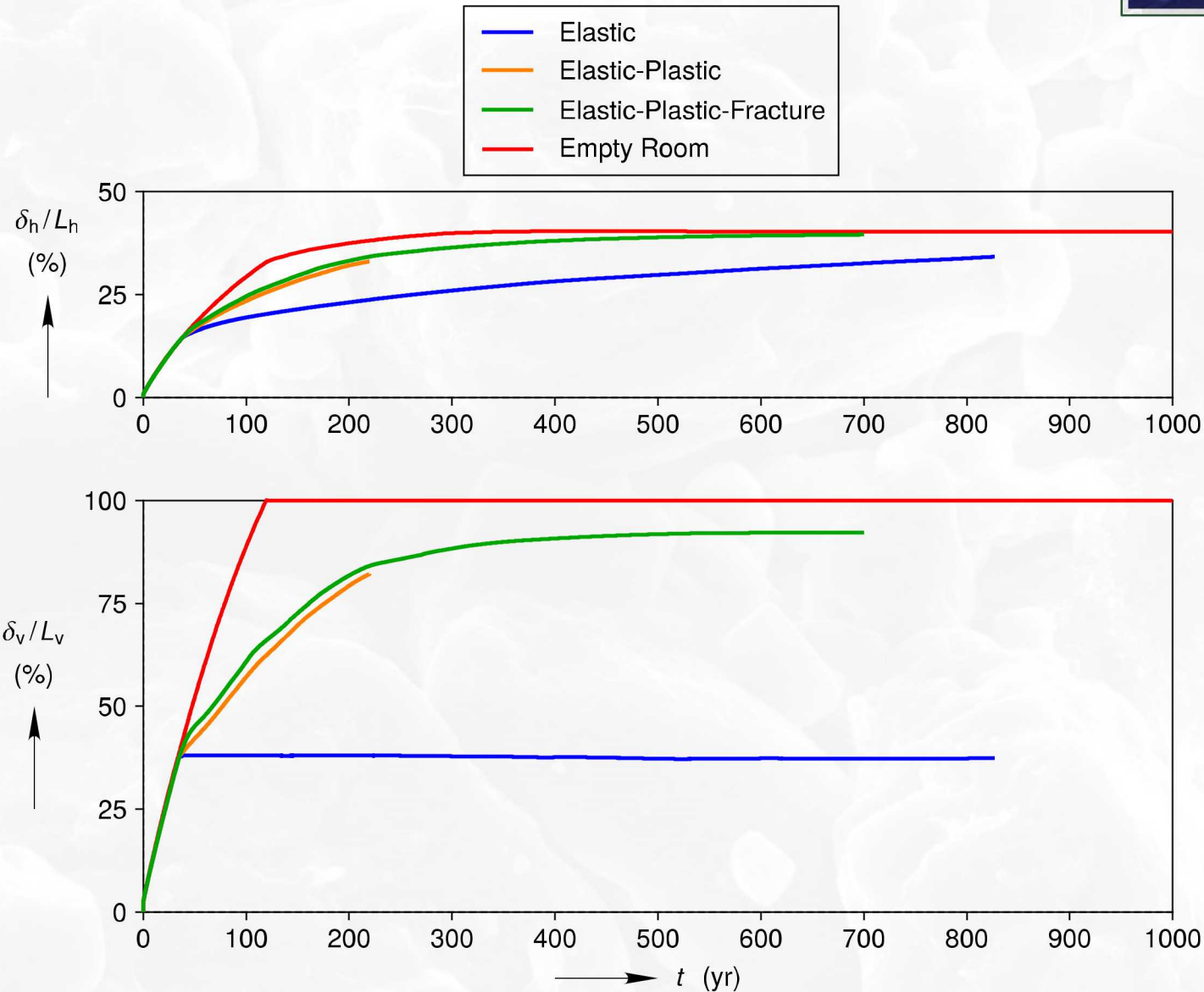
Time = 0 yrs

Elastic-Plastic-Fracturing Canisters

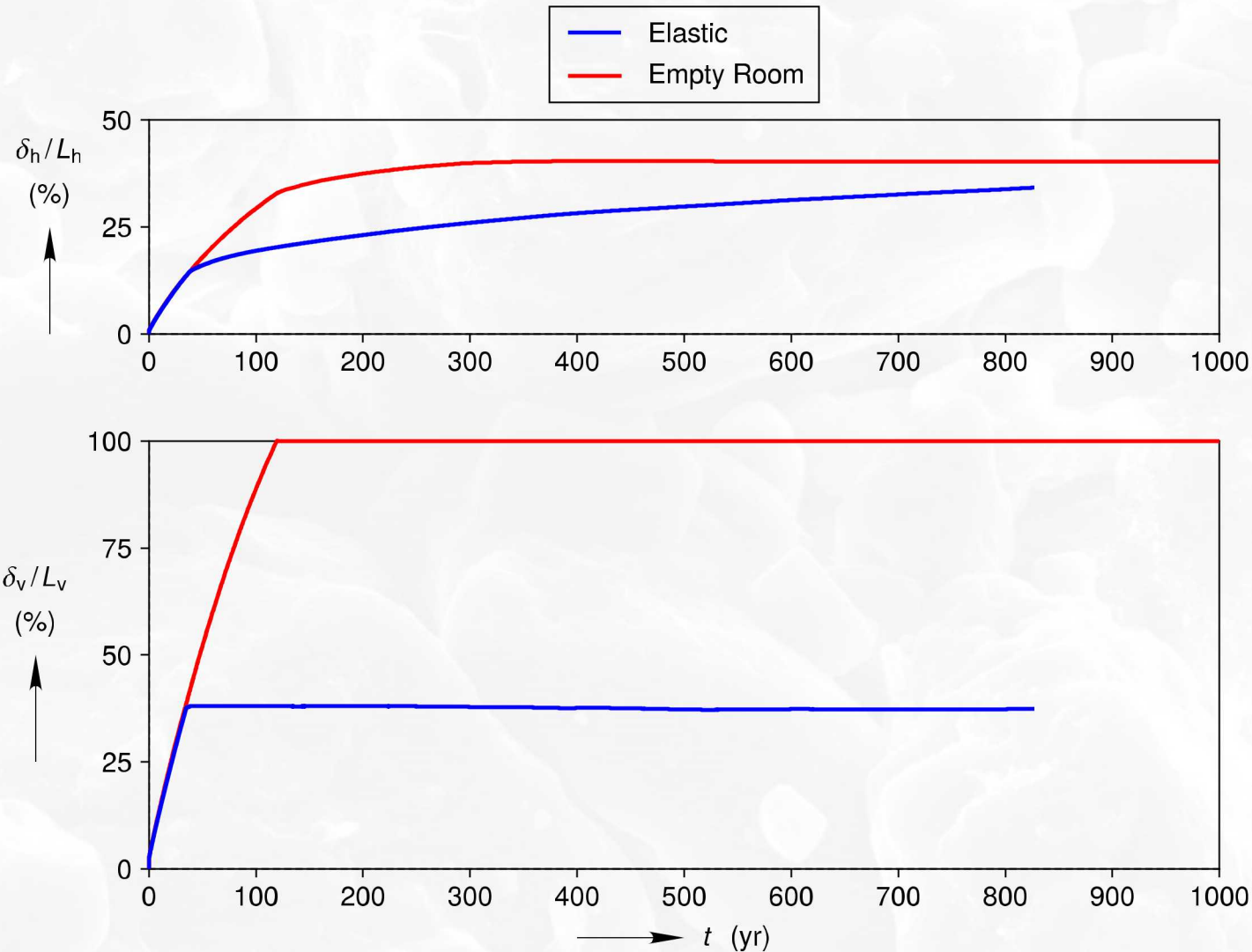


Time = 0 yrs

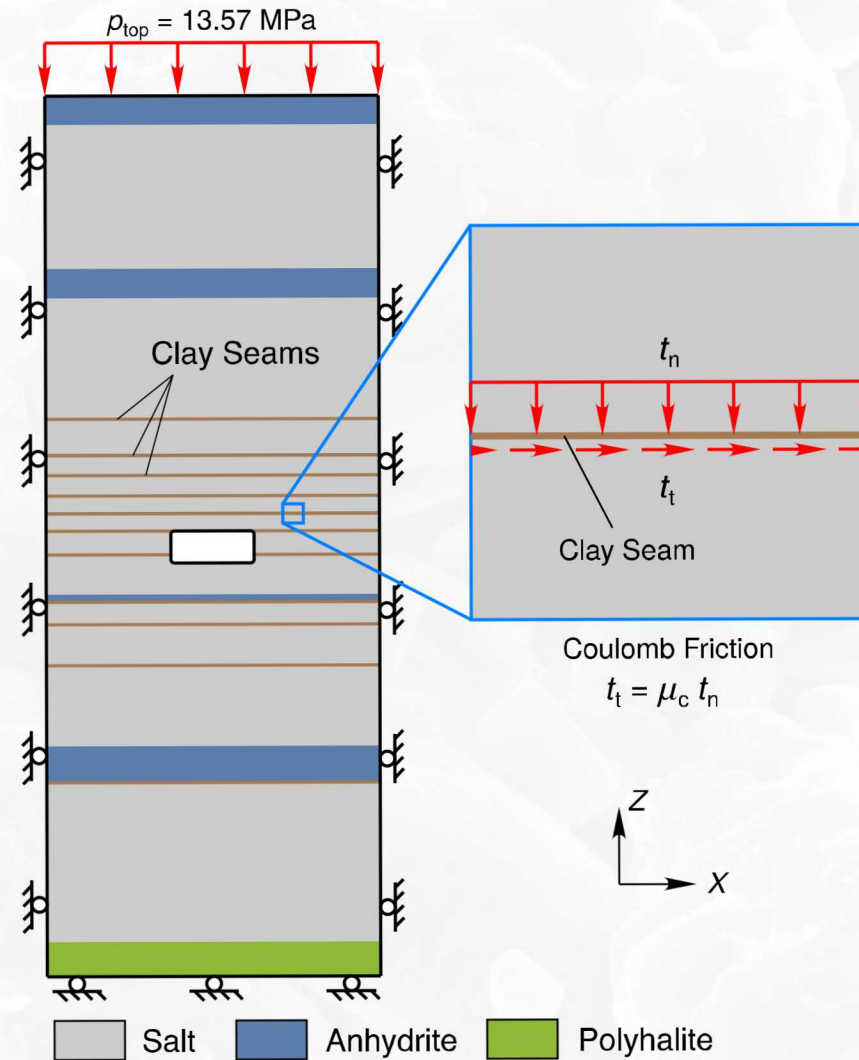
Quantitative Comparisons



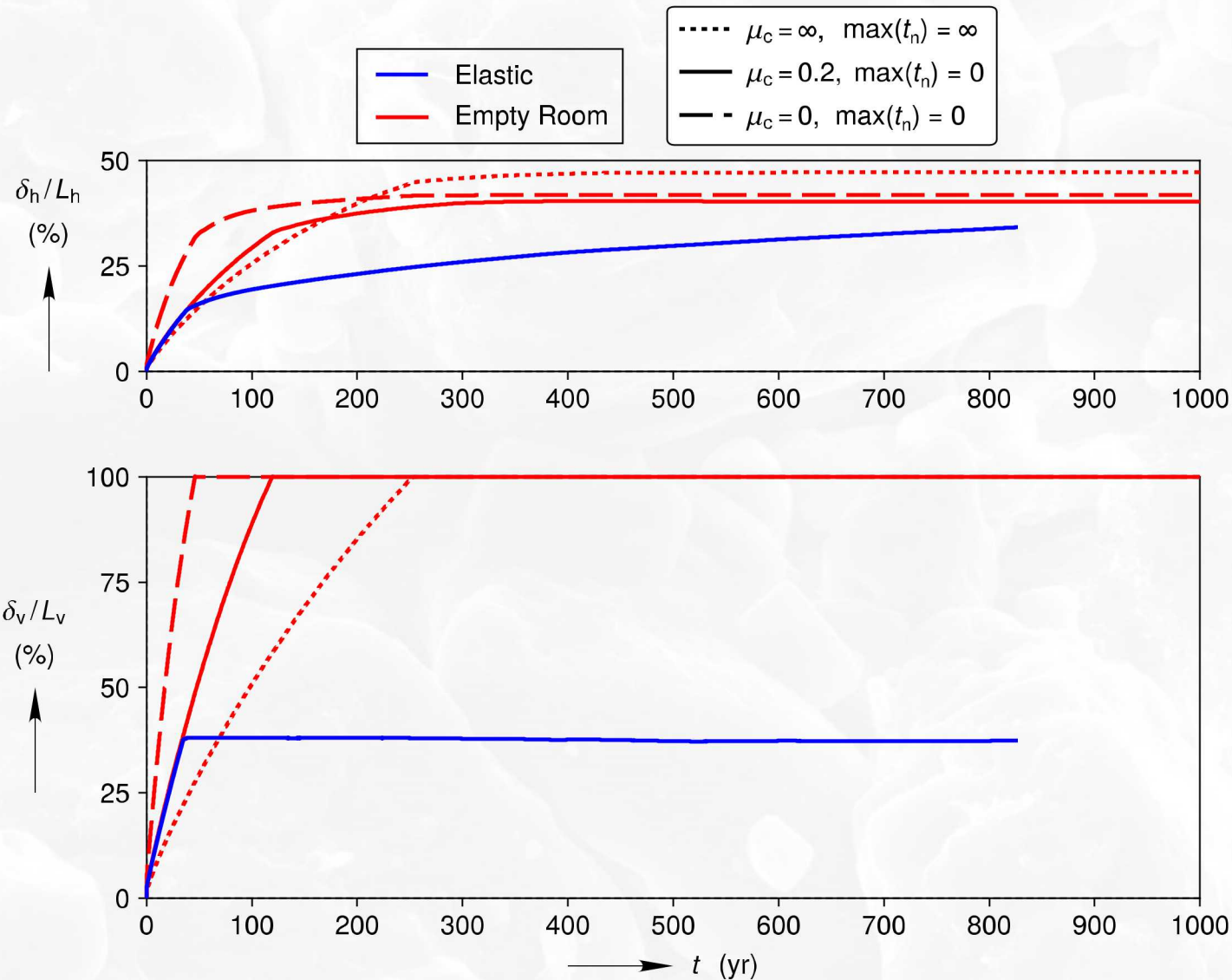
Quantitative Comparisons



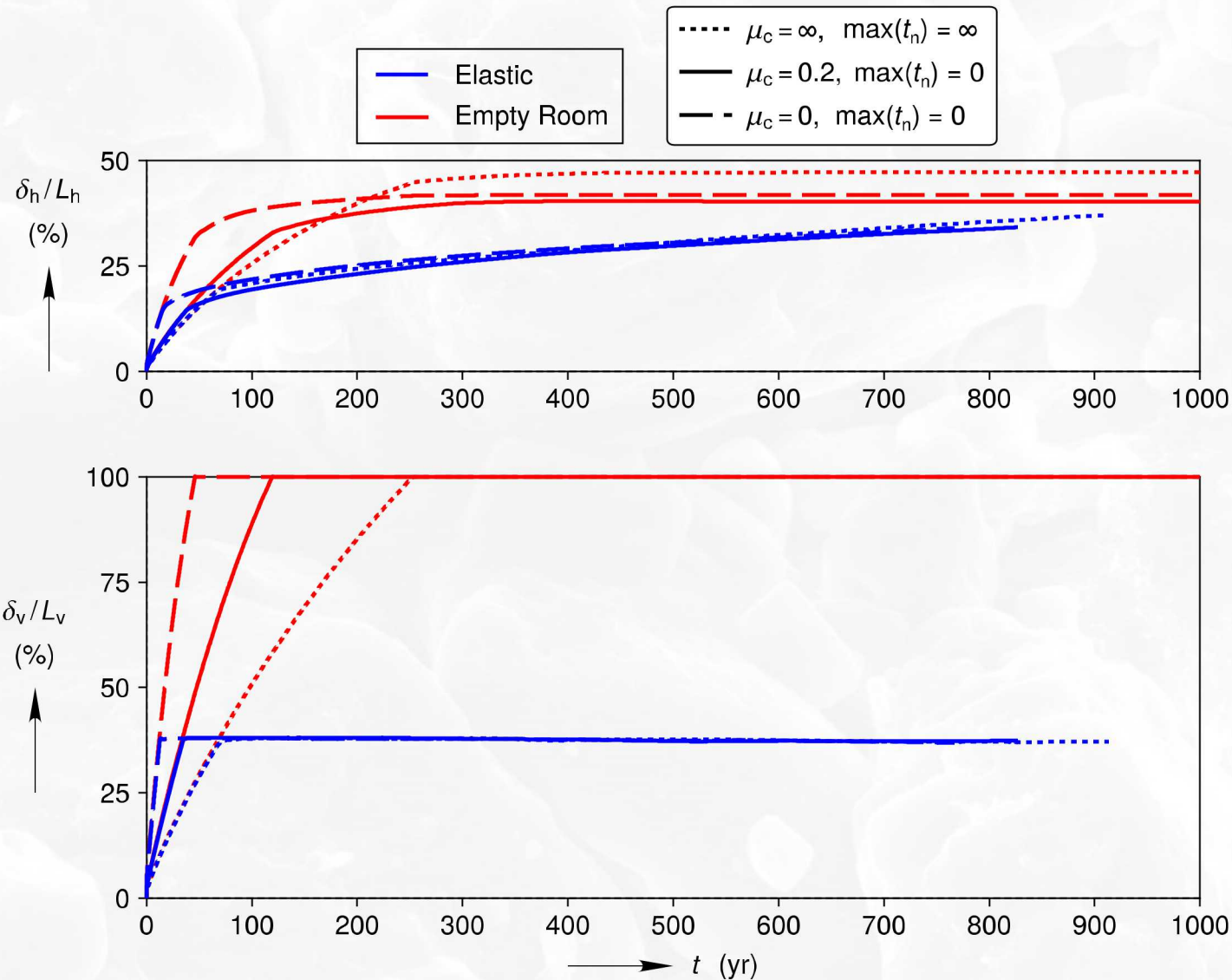
Impact of Clay Seams



Impact of Clay Seams



Impact of Clay Seams



Summary and Potential Future Work

Summary



- Explicitly modeled each canister and sped up the salt viscoplasticity to squeeze 1000's of years into seconds
- Elastic canisters had highest horizontal closure rate at 800 yr, but the stresses were unreasonably high.
- Elastic-Plastic canisters deformed in a highly heterogeneous manner, calling homogenization into question.
- Elastic-Plastic-Fracturing canisters were almost identical to Elastic-Plastic canisters and similar to an empty room.
- Glued clay seams produce most empty room horizontal closure, but elastic canisters are fairly insensitive to clay seams.
- More than 50 % horizontal closure appears unlikely.

Potential Future Work



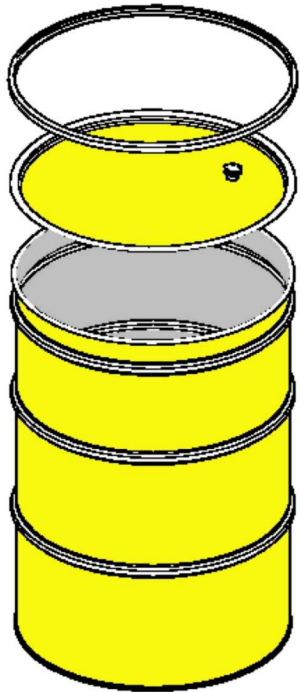
- Numerics
 - Investigate why plywood disappears
 - Stop half canisters from penetrating the walls
 - Refine mesh
- Geomechanics
 - Switch to lower horizon and/or rooms near edges of panels
 - Attempt to include roof falls
- Canisters
 - Adjust stainless steel parameters to match published data
 - Build a homogenized canister model to compare against
 - Vary frictional behavior
 - Add viscous effects to stainless steel and plywood
 - Add MgO sacks
 - Include gas pressure due to degradation
 - Include more canister rows
 - Stack canisters off-center
 - Allow canister materials to corrode and rot

Extra Slides

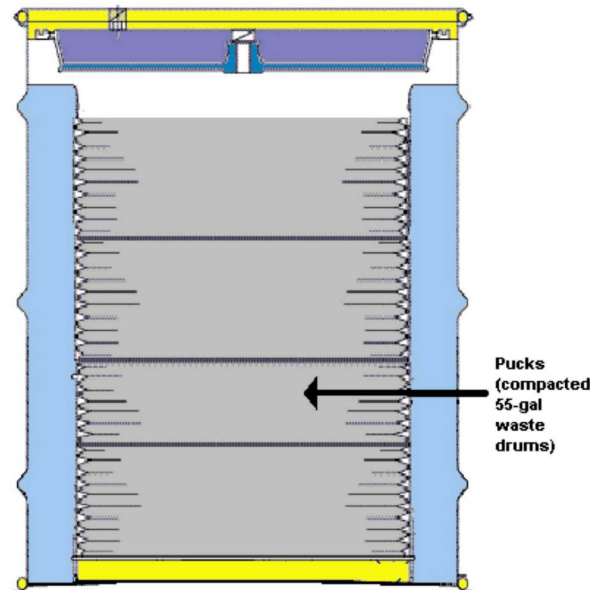
Current Canister Design Examples



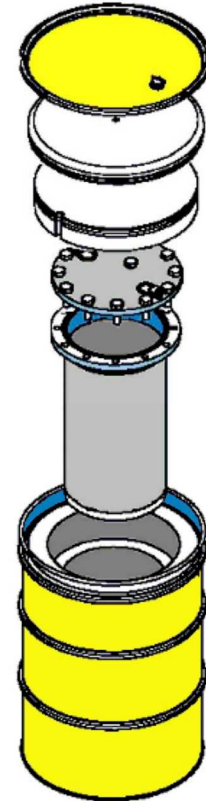
Standard



Supercompacted



Pipe Overpack



Park, B.Y. and Hansen, F. D., "Determination of the Porosity Surfaces of the Disposal Room Containing Various Waste Inventories for WIPP PA", 2005, SAND2005-4236

Speeding Up the Viscoplasticity

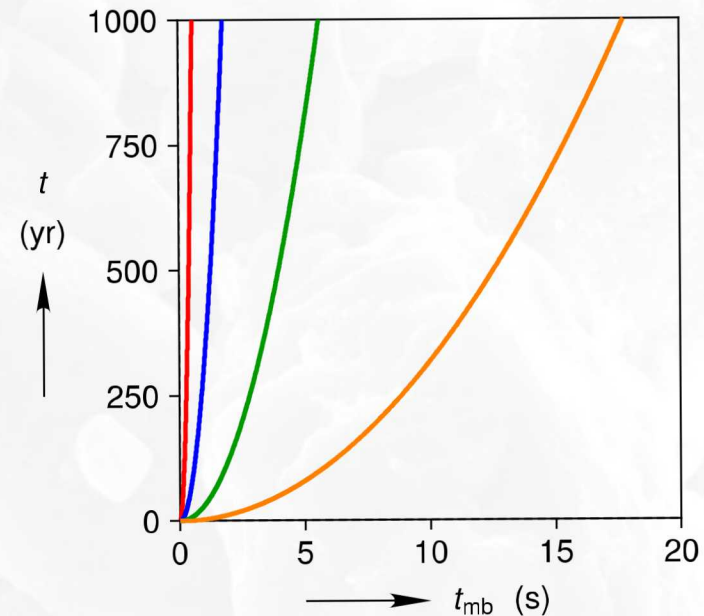
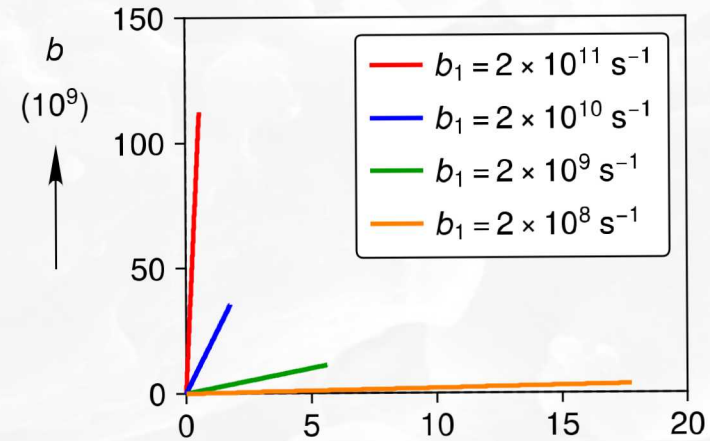


$$\dot{\epsilon} = \dot{\epsilon}^{\text{el}} + \dot{\epsilon}^{\text{vp}} + \dot{\epsilon}^{\text{th}}$$

$$\dot{\epsilon}^{\text{vp}} = A \exp\left(-\frac{Q}{RT}\right) \exp\left(-\frac{b}{\dot{\epsilon}}\right)$$

$$dt = b dt_{\text{mb}}$$

$$b = b_0 + b_1 t_{\text{mb}}$$



Speeding Up the Viscoplasticity

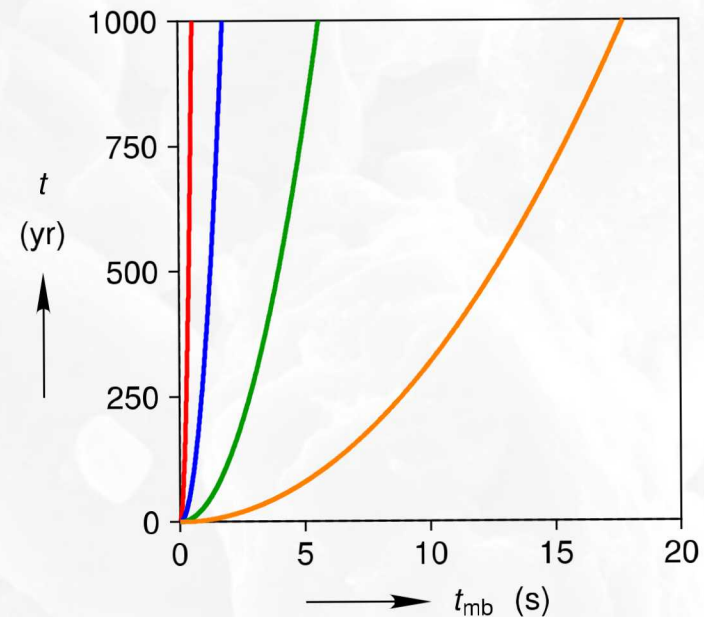
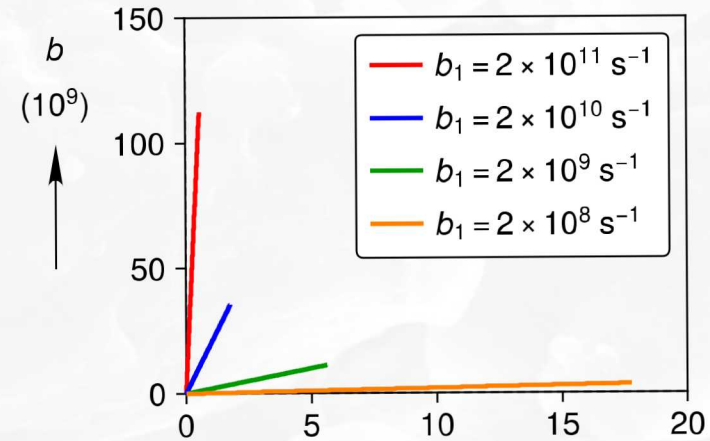


$$\dot{\epsilon} = \dot{\epsilon}^{\text{el}} + \dot{\epsilon}^{\text{vp}} + \dot{\epsilon}^{\text{th}}$$

$$\dot{\epsilon}^{\text{vp}} \propto A b \exp\left(-\frac{Q}{RT}\right) \bar{\sigma}^n$$

$$b = \frac{dt}{dt_{\text{mb}}}$$

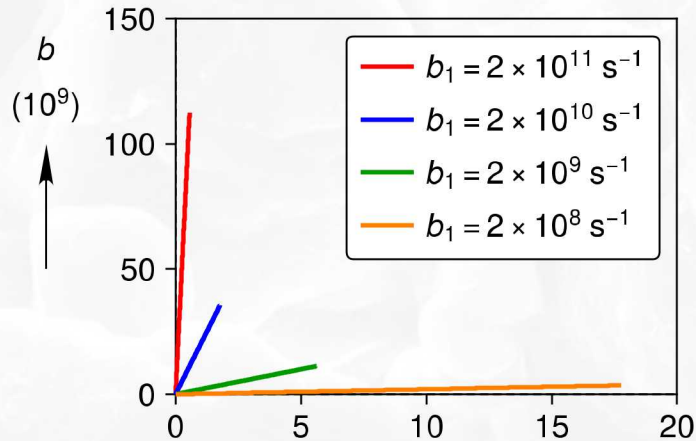
$$b = b_0 + b_1 t_{\text{mb}}$$



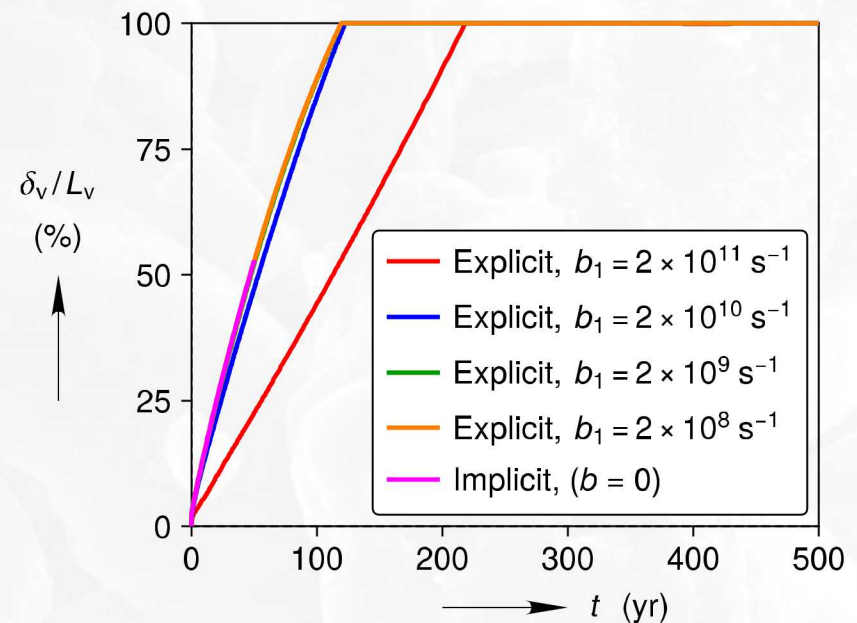
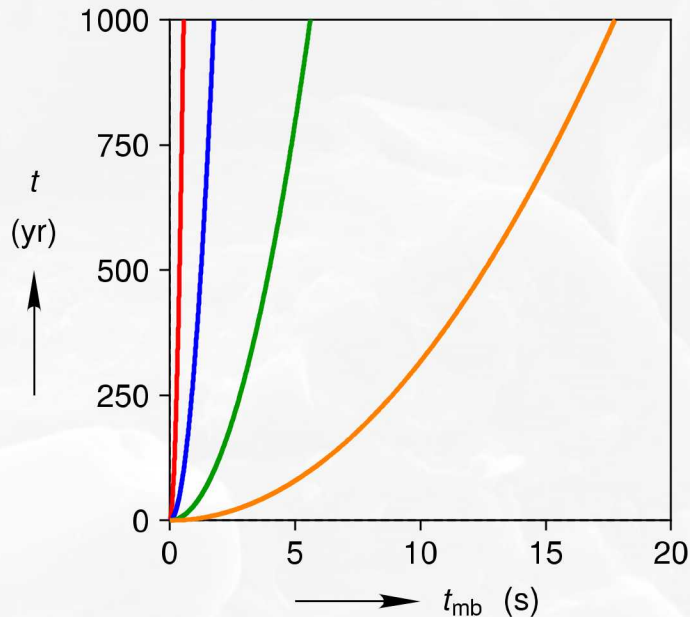
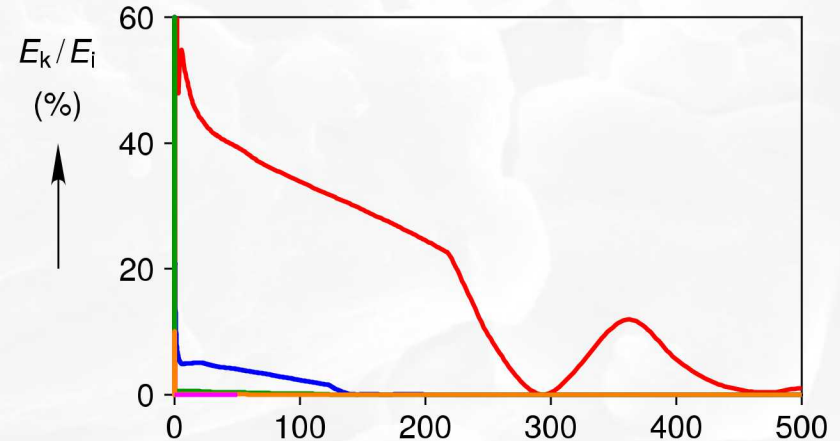
Scaling Ramp Rate Selection



$$b = b_0 + b_1 t_{mb}$$



Empty Room Sims



Empty Room Mesh Convergence Study

