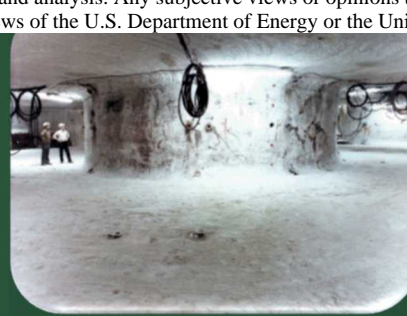
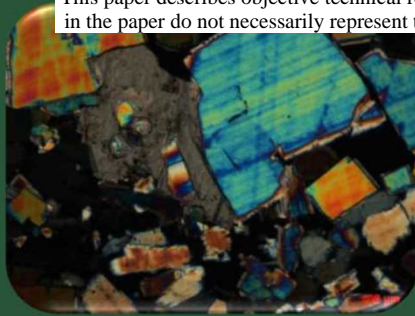
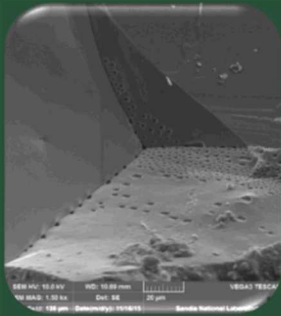


This paper describes objective technical results and analysis. Any subjective views or opinions that might be expressed in the paper do not necessarily represent the views of the U.S. Department of Energy or the United States Government.



Reinvestigation into Closure Predictions of Room D at the Waste Isolation Pilot Plant

Benjamin Reedlunn
Sandia National Laboratories

Washington, DC
September 7-9, 2016



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SAND2016-XXXX.

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Outline



- Background
 - WIPP Room B and D
 - Munson-Dawson Model
 - Legacy Simulations

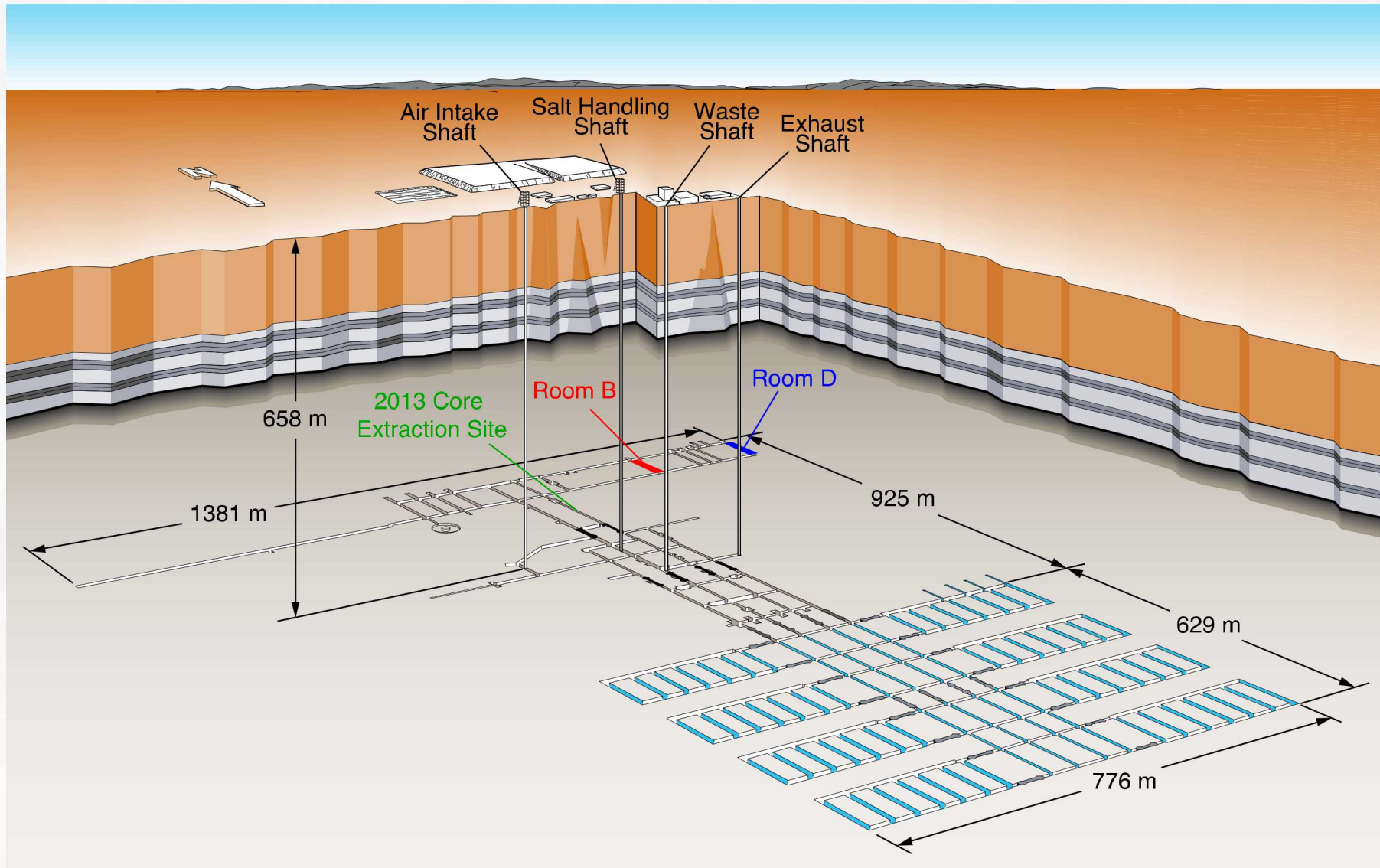
- Reinvestigation
 - Resolving the numerics
 - Munson-Dawson Model Recalibration
 - New predictions

- Summary

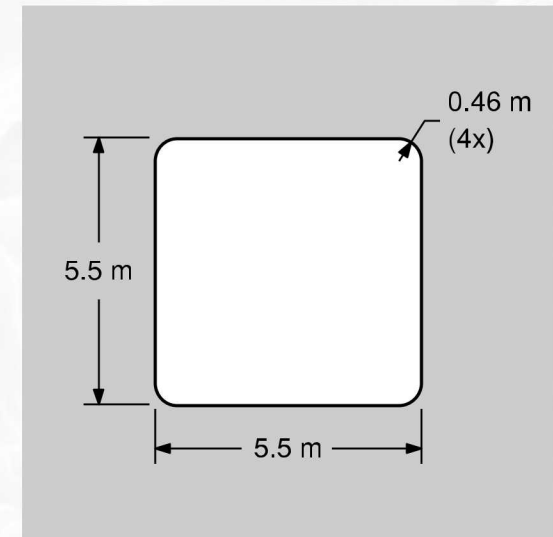
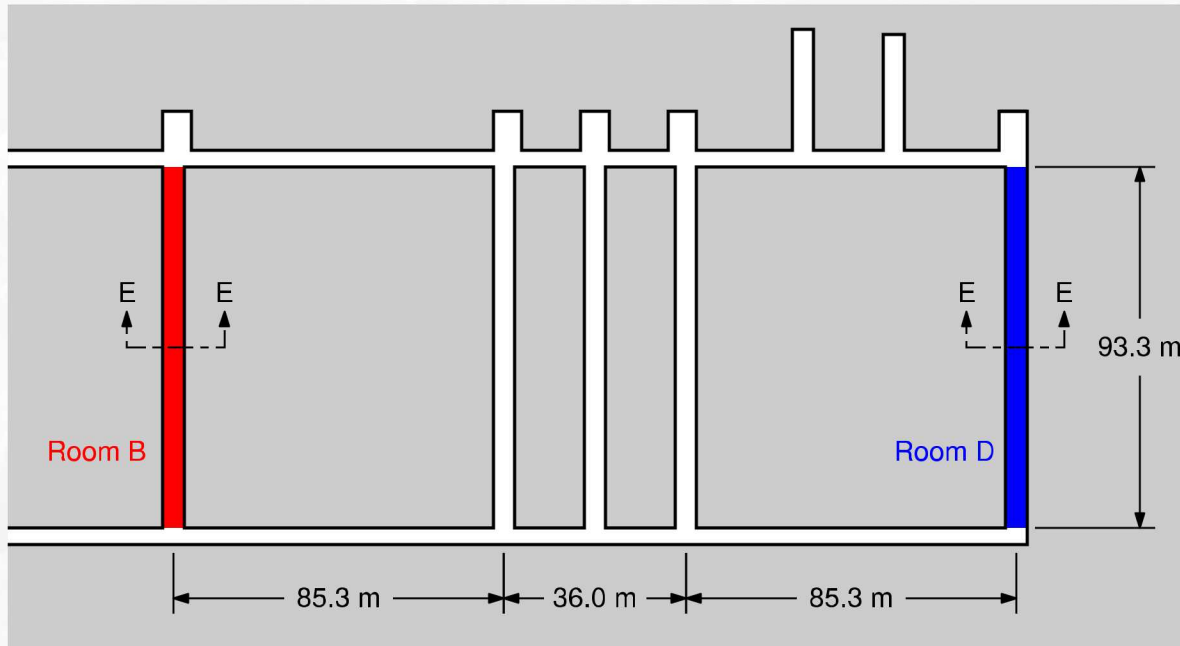


WIPP Room B and D

Rooms B and D at WIPP



Room B and D Dimensions



Photos of Room B and D



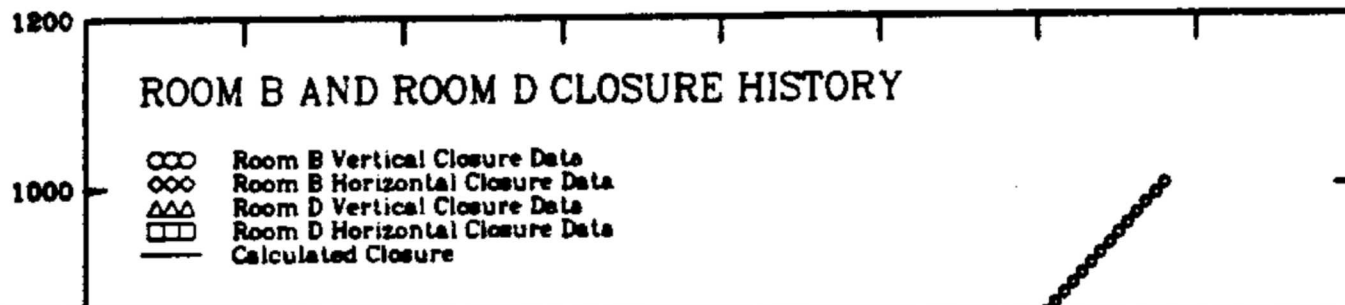
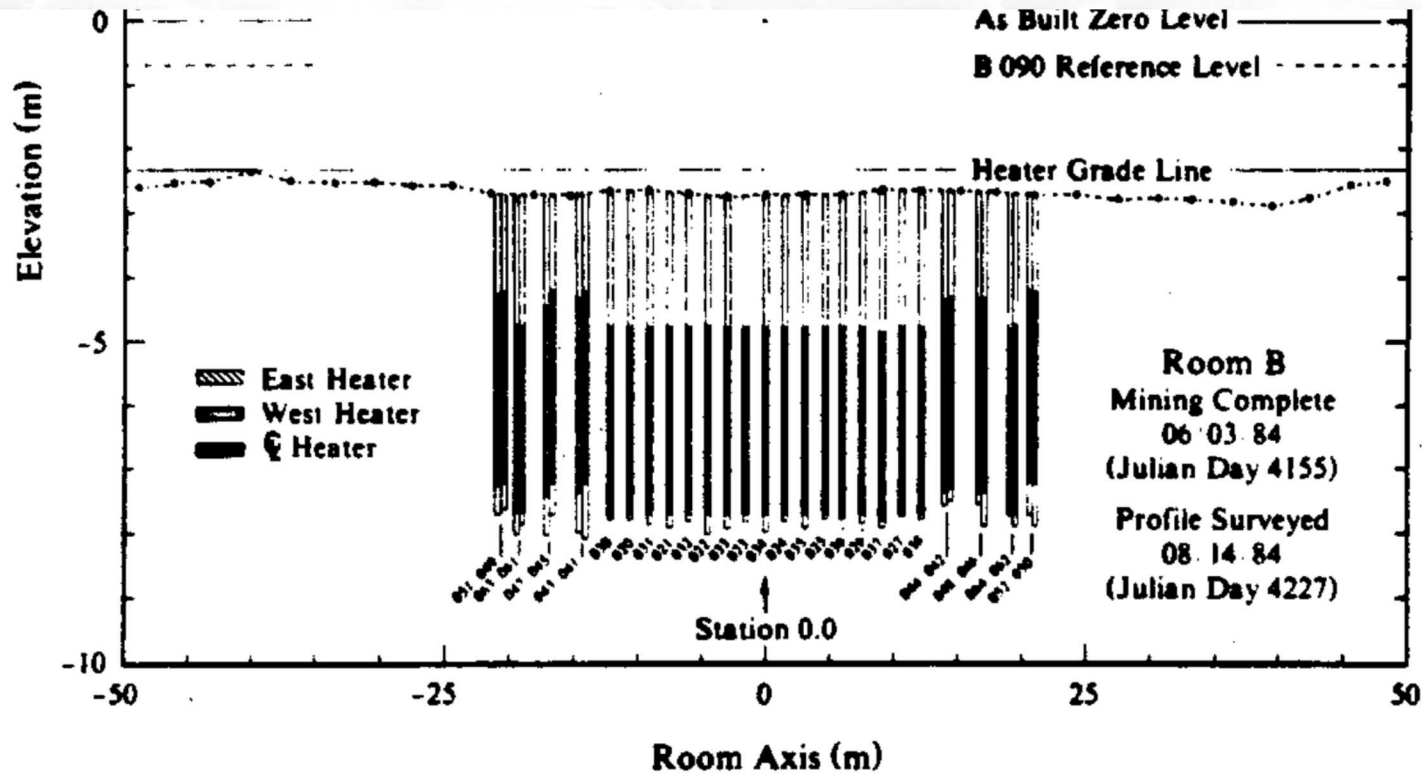
Room B



Room D



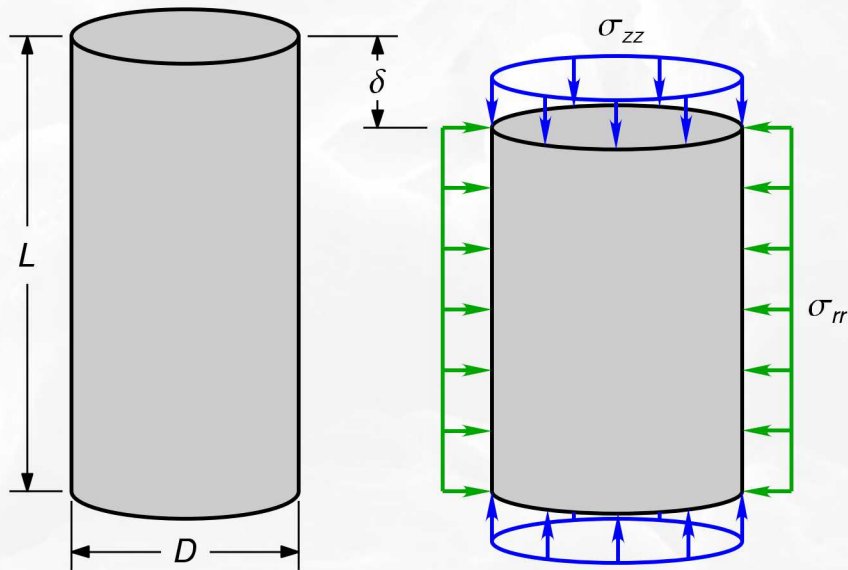
In-Situ Closure Measurements





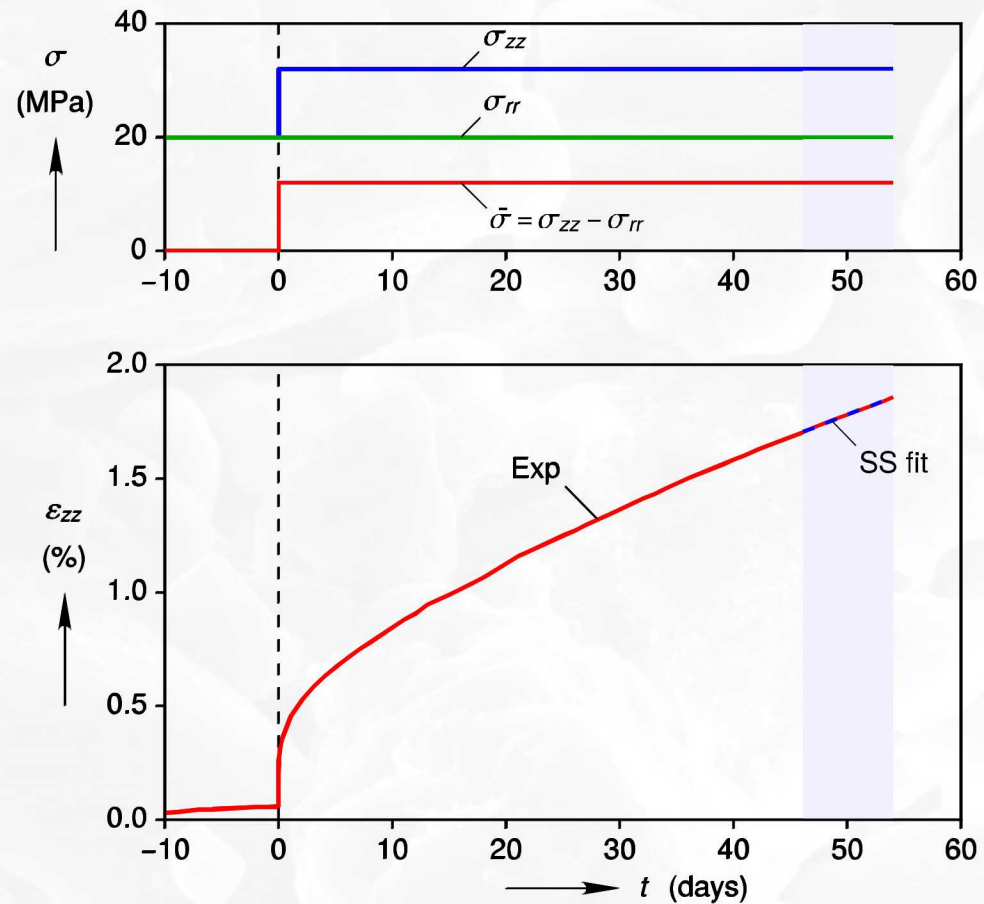
Munson-Dawson Model

Triaxial Creep Tests

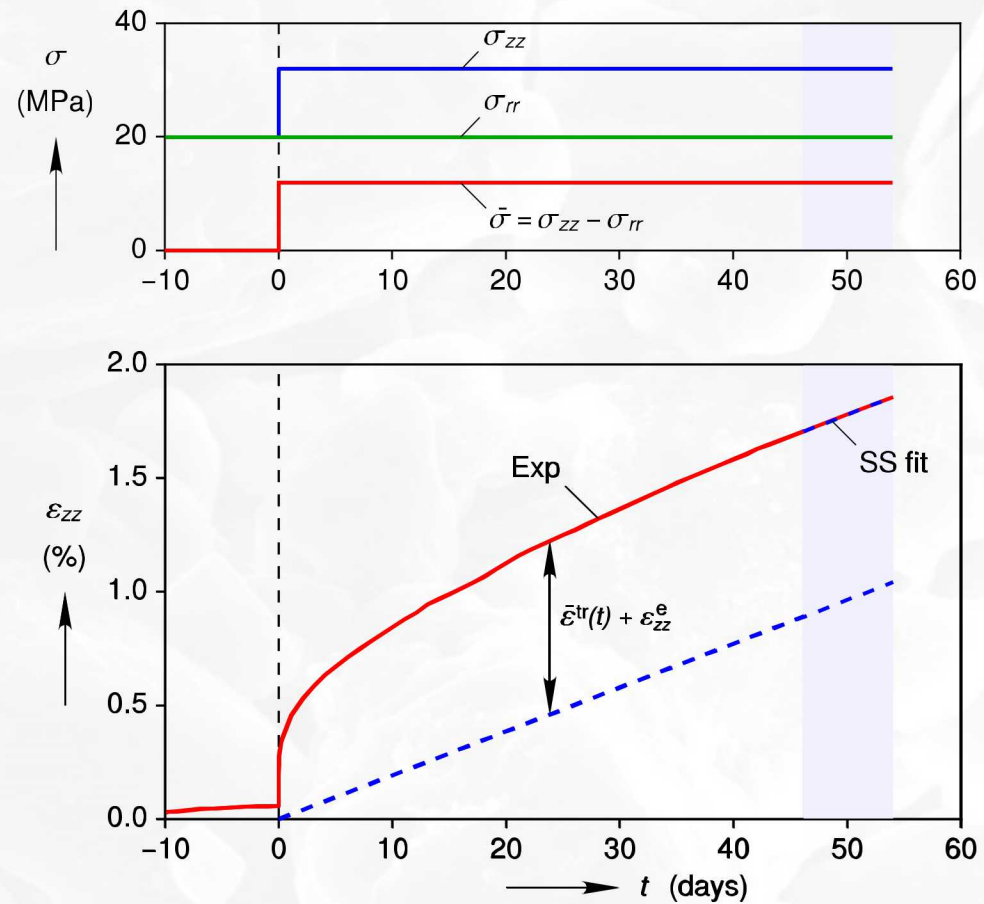
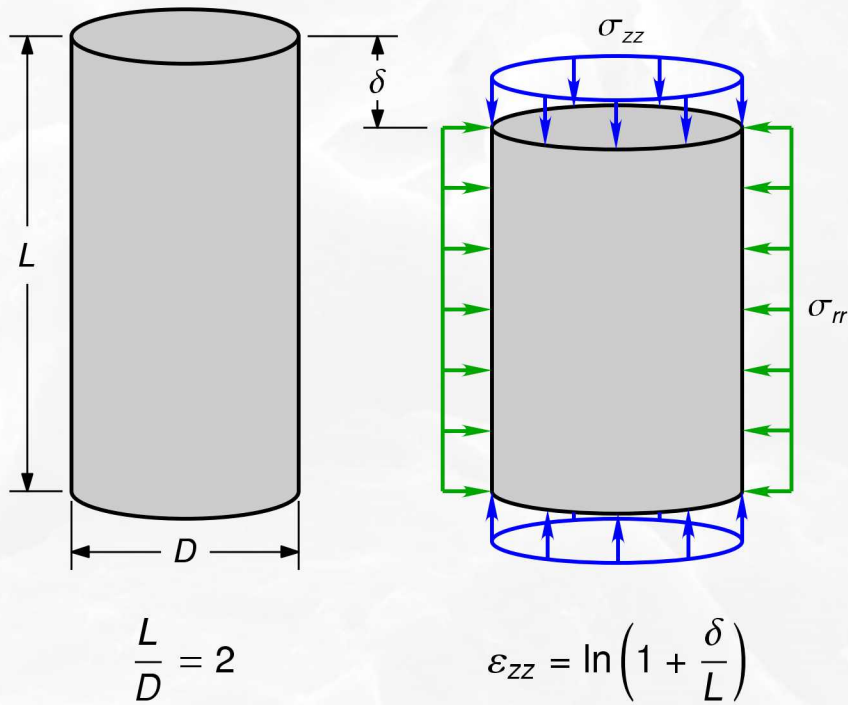


$$\frac{L}{D} = 2$$

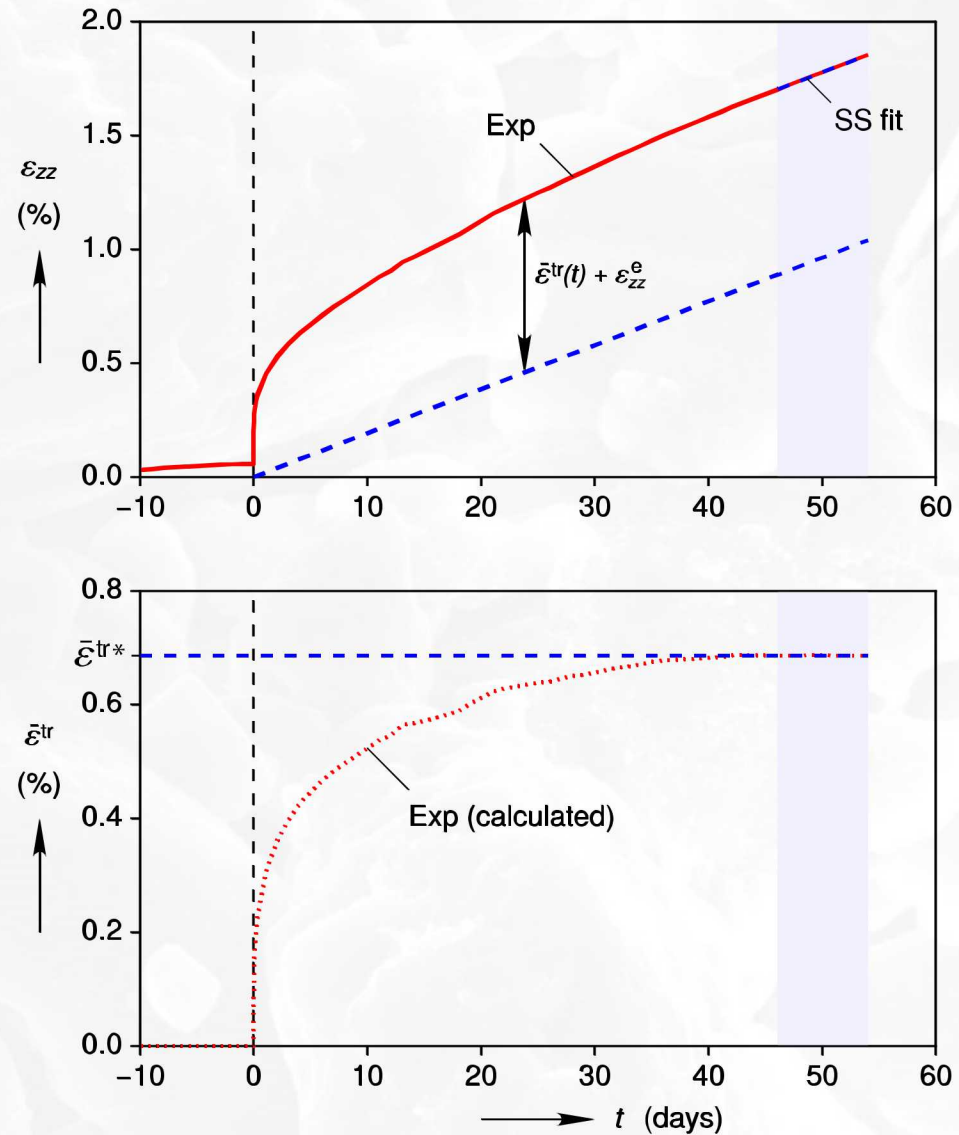
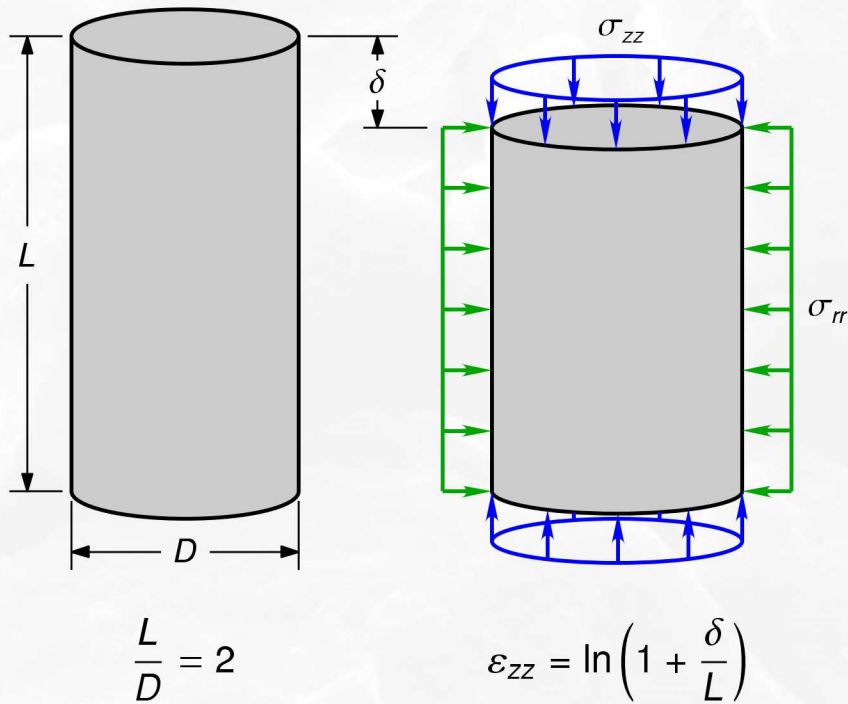
$$\epsilon_{zz} = \ln\left(1 + \frac{\delta}{L}\right)$$



Triaxial Creep Tests



Triaxial Creep Tests

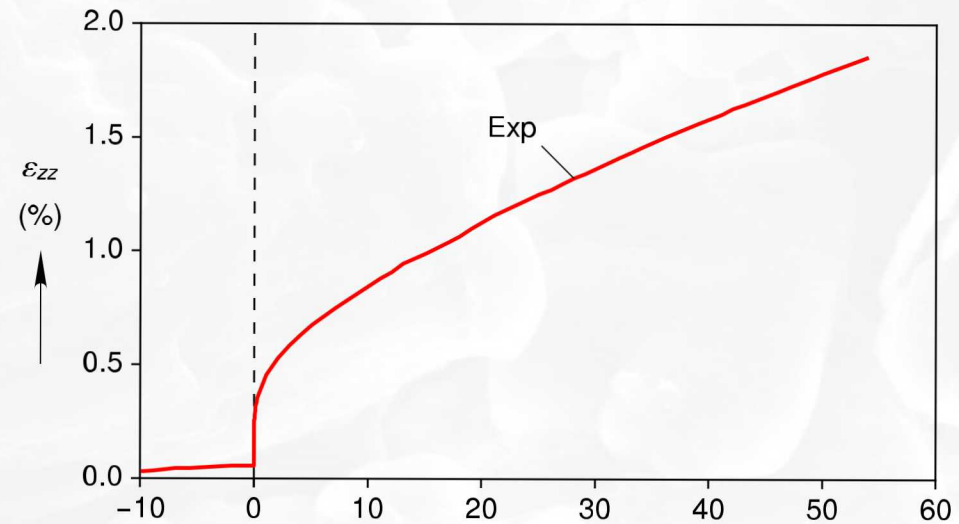


Munson-Dawson Calibration



Transient Creep ODE

$$\dot{\bar{\epsilon}}^{\text{tr}} = \exp \left[\delta_h \left(1 - \frac{\bar{\epsilon}^{\text{tr}}}{\bar{\epsilon}^{\text{tr}*}} \right)^2 \right] \dot{\bar{\epsilon}}^{\text{ss}} - \dot{\bar{\epsilon}}^{\text{ss}}$$

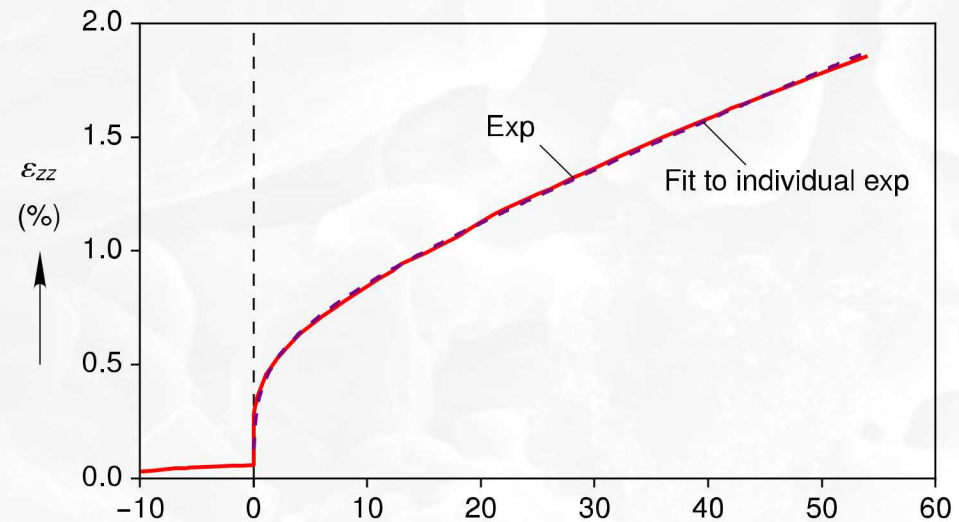


Munson-Dawson Calibration



Transient Creep ODE

$$\dot{\bar{\epsilon}}^{\text{tr}} = \exp \left[\delta_h \left(1 - \frac{\bar{\epsilon}^{\text{tr}}}{\bar{\epsilon}^{\text{tr}*}} \right)^2 \right] \dot{\bar{\epsilon}}^{\text{ss}} - \dot{\bar{\epsilon}}^{\text{ss}}$$

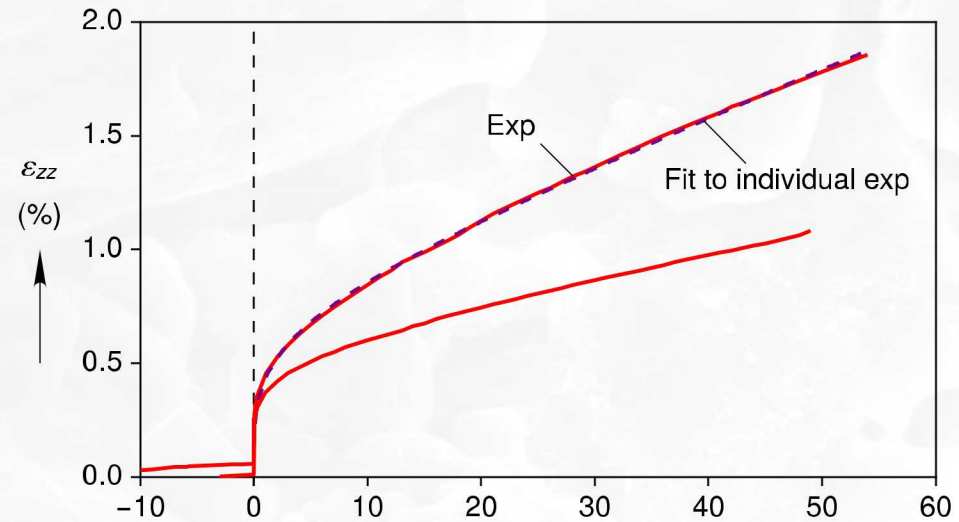


Munson-Dawson Calibration



Transient Creep ODE

$$\dot{\epsilon}^{\text{tr}} = \exp \left[\delta_h \left(1 - \frac{\bar{\epsilon}^{\text{tr}}}{\bar{\epsilon}^{\text{tr}*}} \right)^2 \right] \dot{\epsilon}^{\text{ss}} - \dot{\epsilon}^{\text{ss}}$$

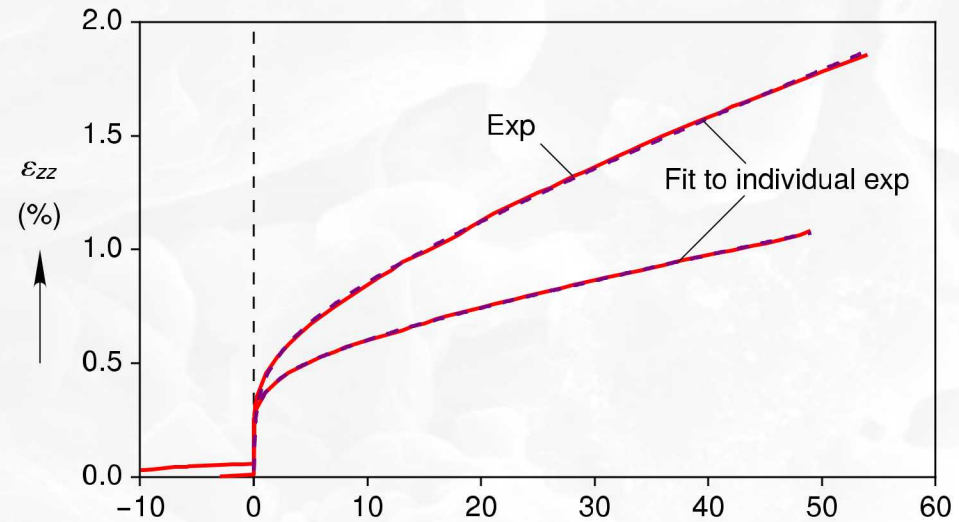


Munson-Dawson Calibration



Transient Creep ODE

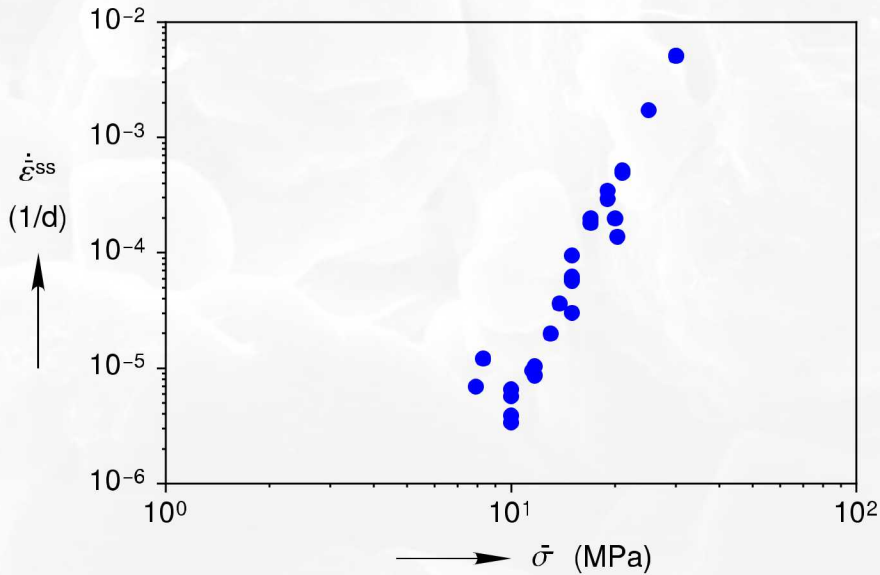
$$\dot{\epsilon}^{\text{tr}} = \exp \left[\delta_h \left(1 - \frac{\bar{\epsilon}^{\text{tr}}}{\bar{\epsilon}^{\text{tr}*}} \right)^2 \right] \dot{\epsilon}^{\text{ss}} - \dot{\epsilon}^{\text{ss}}$$



Munson-Dawson Calibration



Steady State Rate

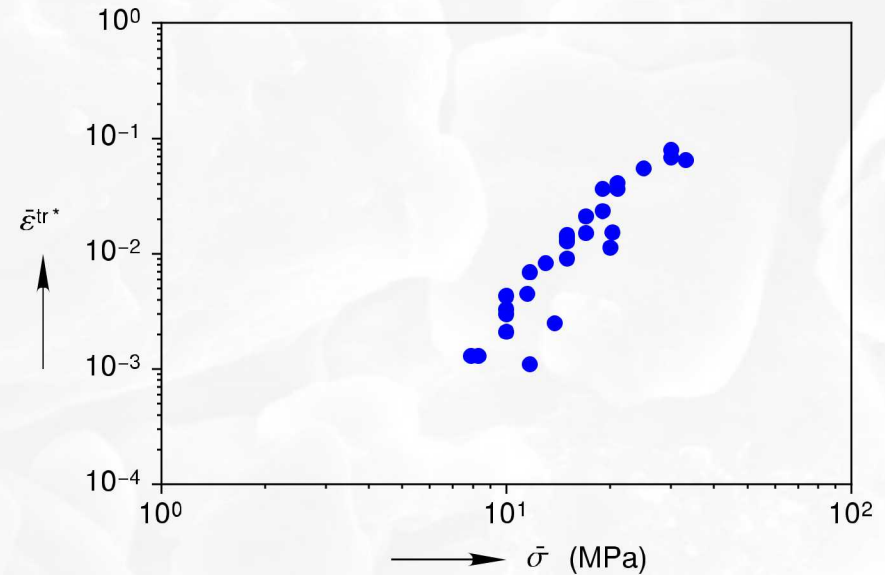


$$\dot{\epsilon}^{ss} = A \exp\left(-\frac{Q}{RT}\right) \left(\frac{\bar{\sigma}}{\mu}\right)^n$$



$$\log_{10} [\dot{\epsilon}^{ss}] = \log_{10} \left[\frac{A}{\mu^n} \exp\left(-\frac{Q}{RT}\right) \right] + n \log_{10} \bar{\sigma}$$

Transient Limit



$$\bar{\epsilon}^{tr*} = K_0 \exp(c T) \left(\frac{\bar{\sigma}}{\mu}\right)^m$$

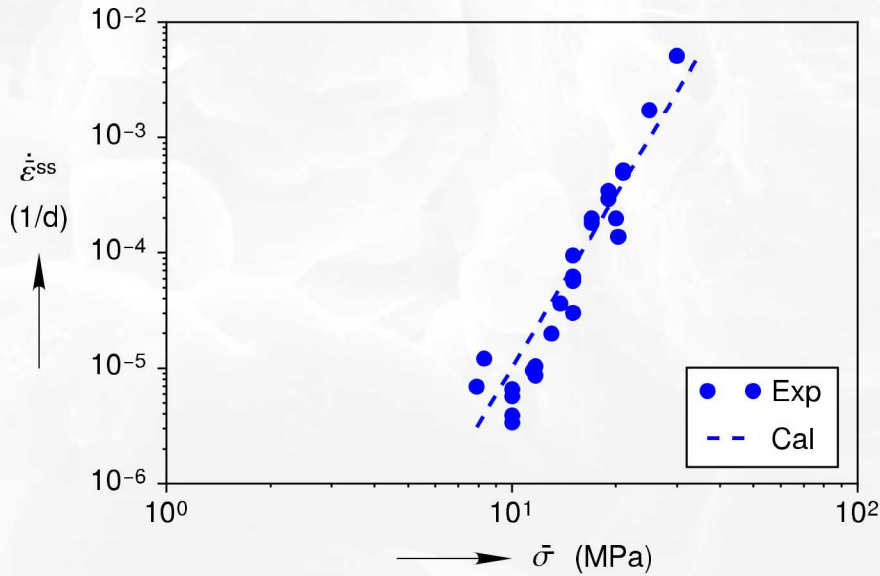


$$\log_{10} [\bar{\epsilon}^{tr*}] = \log_{10} \left[\frac{K_0}{\mu^m} \exp(c T) \right] + m \log_{10} \bar{\sigma}$$

Munson-Dawson Calibration



Steady State Rate

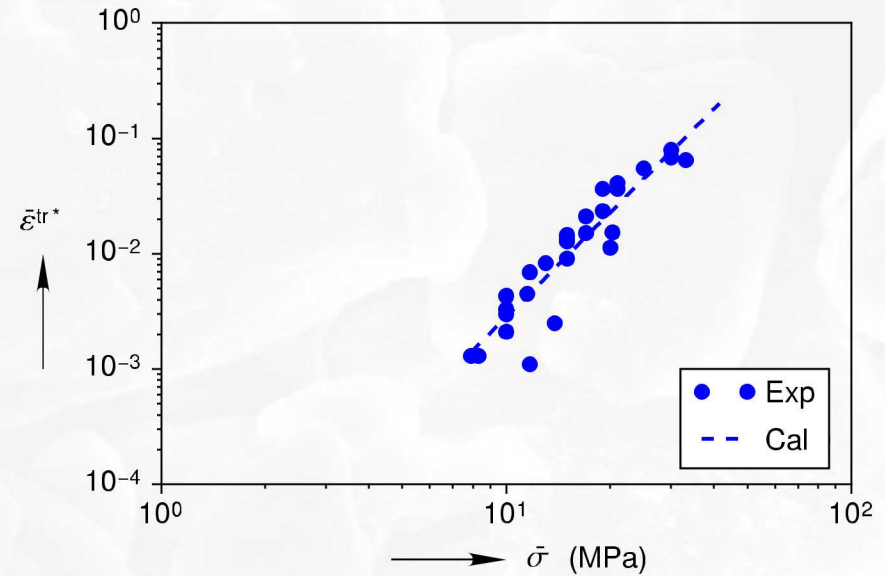


$$\dot{\epsilon}^{ss} = A \exp\left(-\frac{Q}{RT}\right) \left(\frac{\bar{\sigma}}{\mu}\right)^n$$



$$\log_{10} [\dot{\epsilon}^{ss}] = \log_{10} \left[\frac{A}{\mu^n} \exp\left(-\frac{Q}{RT}\right) \right] + n \log_{10} \bar{\sigma}$$

Transient Limit



$$\bar{\epsilon}^{tr*} = K_0 \exp(c T) \left(\frac{\bar{\sigma}}{\mu}\right)^m$$

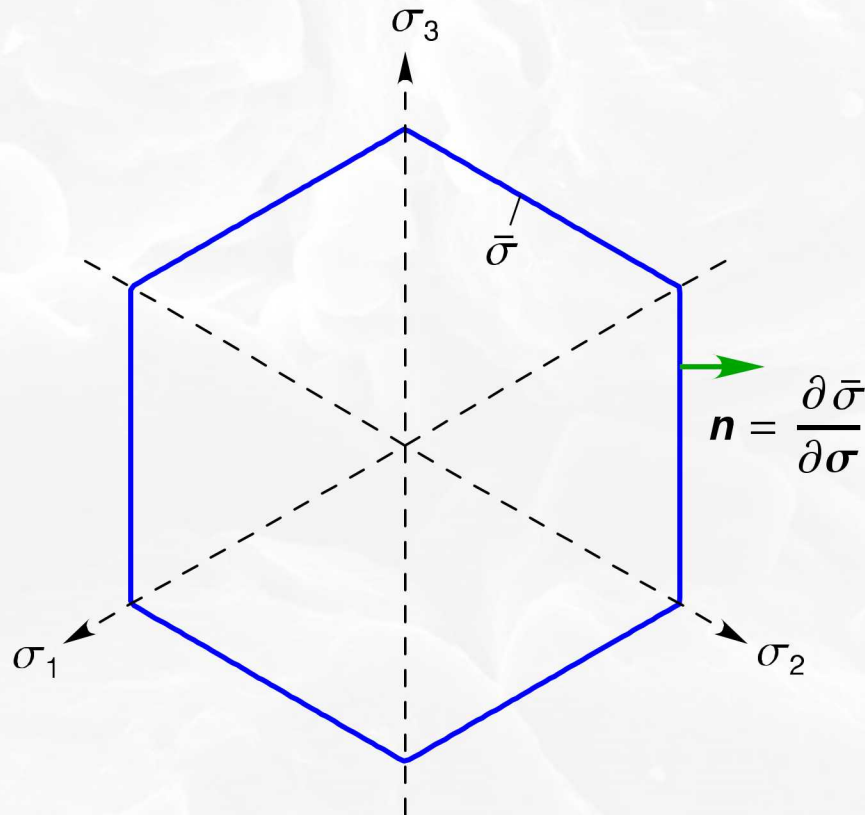


$$\log_{10} [\bar{\epsilon}^{tr*}] = \log_{10} \left[\frac{K_0}{\mu^m} \exp(c T) \right] + m \log_{10} \bar{\sigma}$$

Munson Dawson: 3D Generalization



Tresca Effective Stress



Additive Decomposition

$$\dot{\boldsymbol{\varepsilon}} = \dot{\boldsymbol{\varepsilon}}^e + \dot{\boldsymbol{\varepsilon}}^{\text{in}}$$

Associated Flow Rule

$$\dot{\boldsymbol{\varepsilon}}^{\text{in}} = \left(\dot{\boldsymbol{\varepsilon}}^{\text{ss}} + \dot{\boldsymbol{\varepsilon}}^{\text{tr}} \right) \mathbf{n}$$

Generalized Hooke's Law

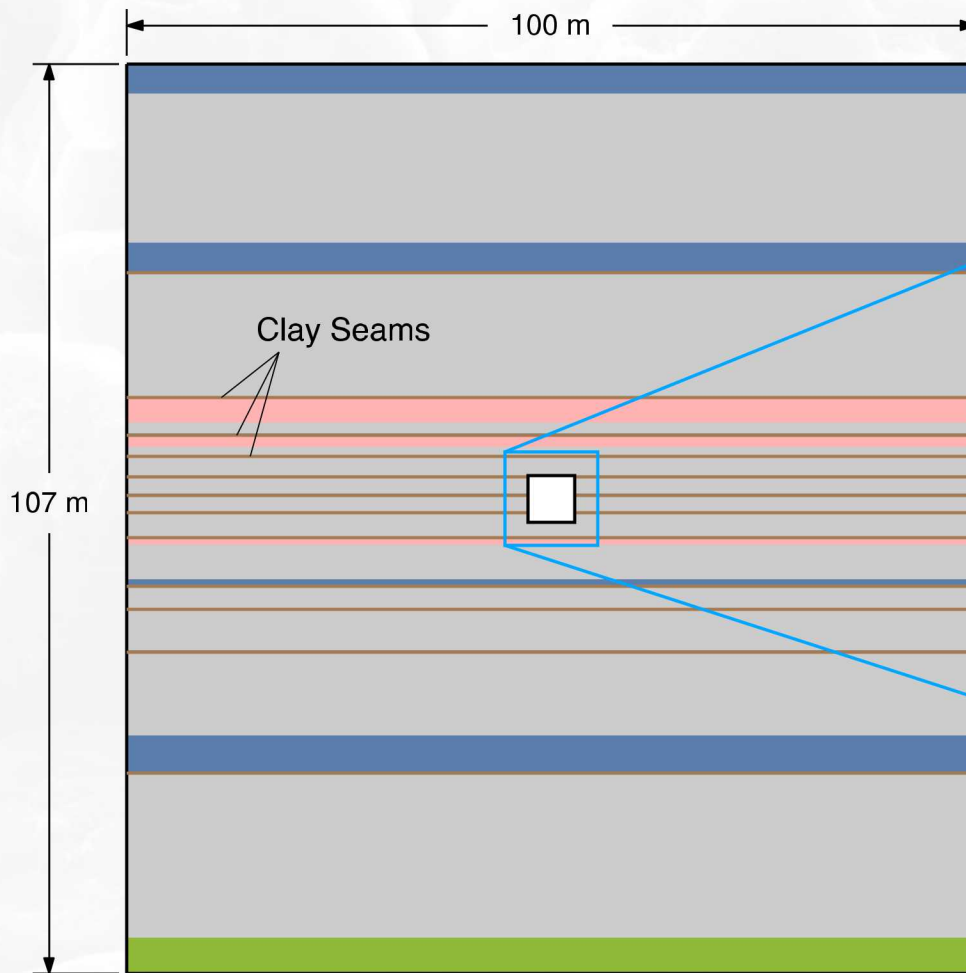
$$\dot{\boldsymbol{\sigma}} = \mathbb{C} : \dot{\boldsymbol{\varepsilon}}^e$$

$$\bar{\sigma} = \max (|\sigma_1 - \sigma_2|, |\sigma_2 - \sigma_3|, |\sigma_3 - \sigma_1|)$$

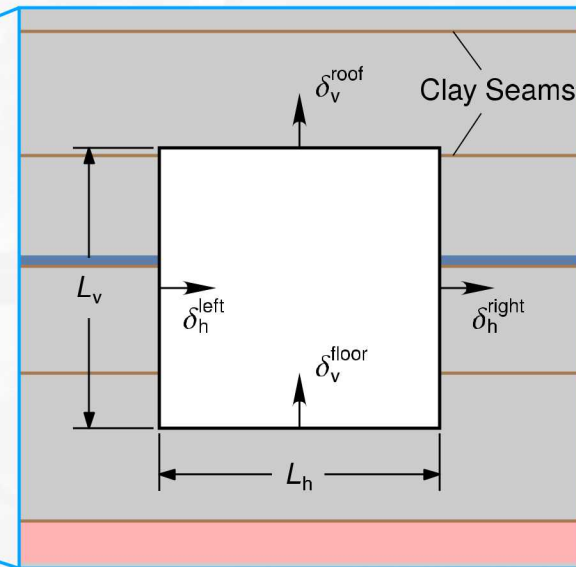


Legacy Simulations

Idealized Stratigraphy



Room D

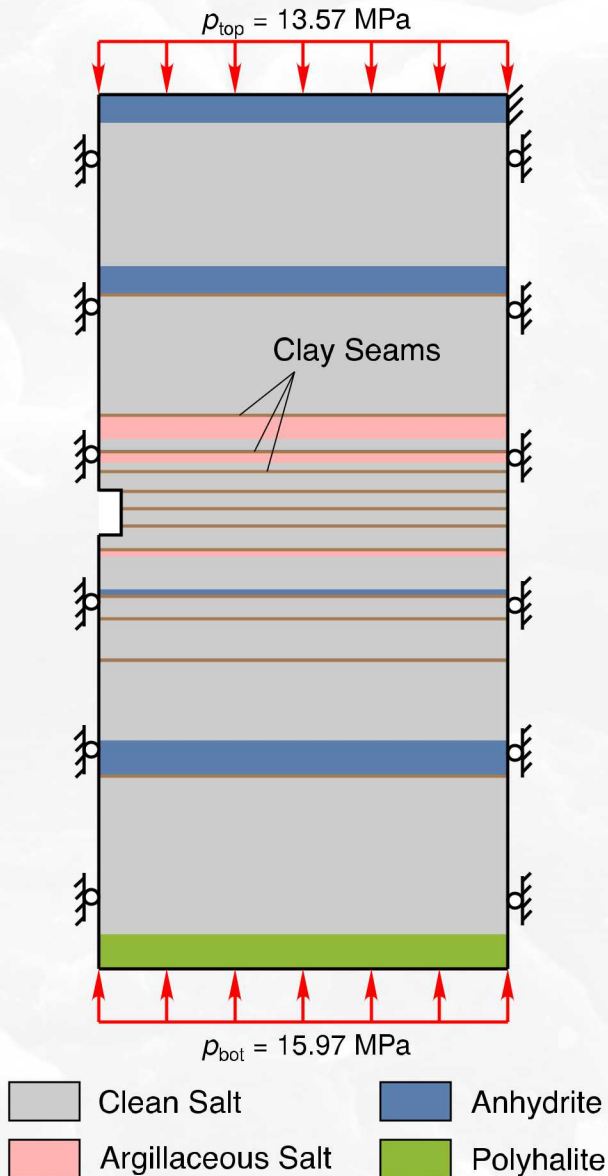


$$\delta_h = \delta_h^{\text{left}} - \delta_h^{\text{right}}$$

$$\delta_v = \delta_v^{\text{floor}} - \delta_v^{\text{roof}}$$

- | | |
|---|--|
|  Clean Salt |  Anhydrite |
|  Argillaceous Salt |  Polyhalite |

Model Setup



- Clean and Argillaceous Salt
 - Munson-Dawson model
 - Separate parameter sets
- Anhydrite and Polyhalite
 - Drucker-Prager model
 - Elastic perfectly plastic
 - Separate parameters sets
- Clay Seams
 - Coulomb friction

Legacy Simulations

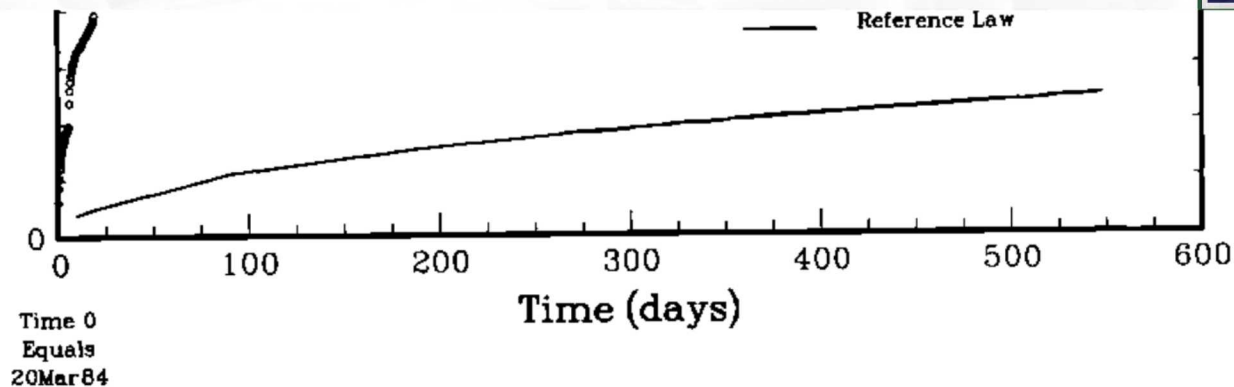
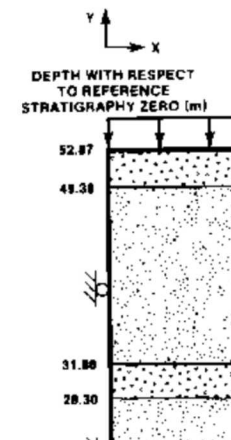


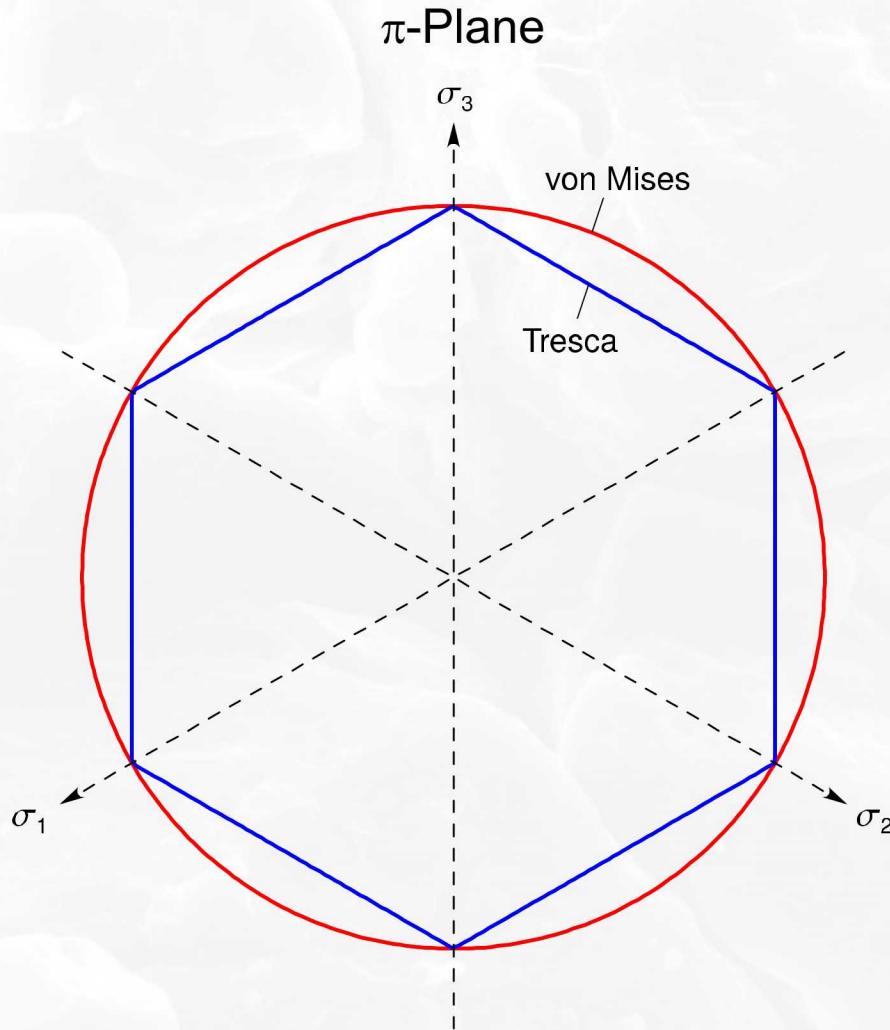
Figure 8. Manual and Remote Vertical Closure Data for Room D (and Reference Law Calculation)

instrument hole drilling. By preplanning the locations of the gages, manual and remote, it was reasonable to combine the plots, and maintain a continuous record of room closure. The zero station mining sequence measurements just described were located within 0.6 m of the remote measurements for room closure. In Figure 8 these two data sets are combined. It is important to emphasize that the data acquisition systems for the manually read mining sequence closure and the remotely read closure measurements were each made independently. Although a match between the two



Munson, DE, Torres, TM, & Blankenship, DA. 1986. Early results from the thermal/structural in situ test series at the WIPP. In: The 27th US Symposium on Rock Mechanics (USRMS). American Rock Mechanics Association.

Changed the Equivalent Stress



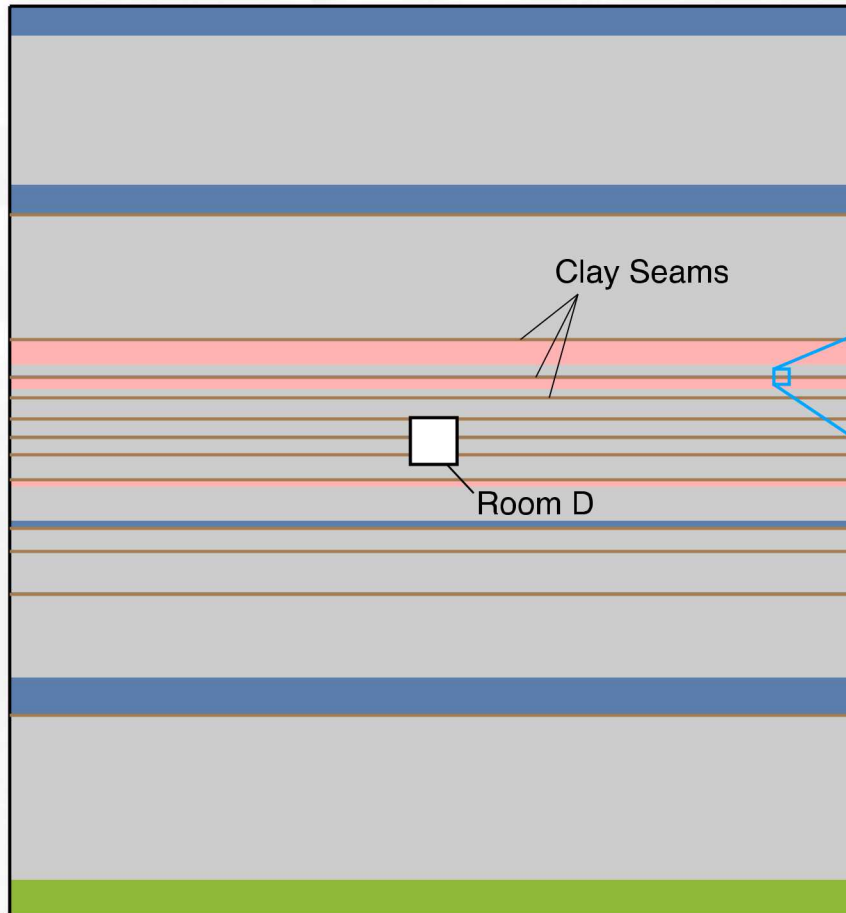
Steady State
Creep Rate

$$\dot{\bar{\epsilon}}^{ss} \propto \left(\frac{\bar{\sigma}}{\mu} \right)^n$$

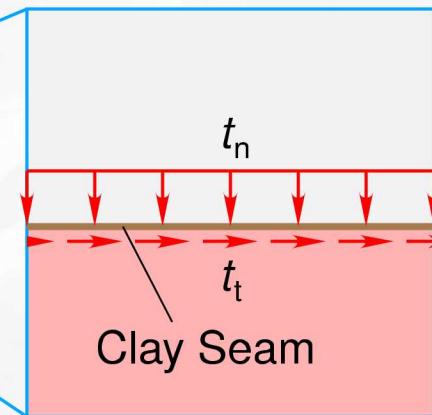
Transient Creep
Strain Limit

$$\bar{\epsilon}^{tr*} \propto \left(\frac{\bar{\sigma}}{\mu} \right)^m$$

Changed the Friction Coefficient



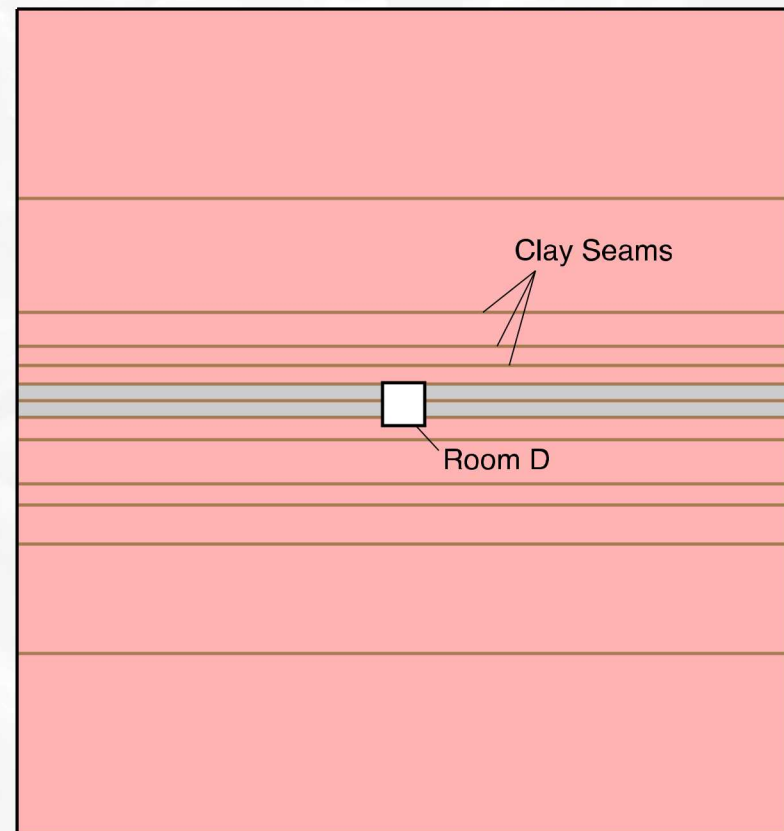
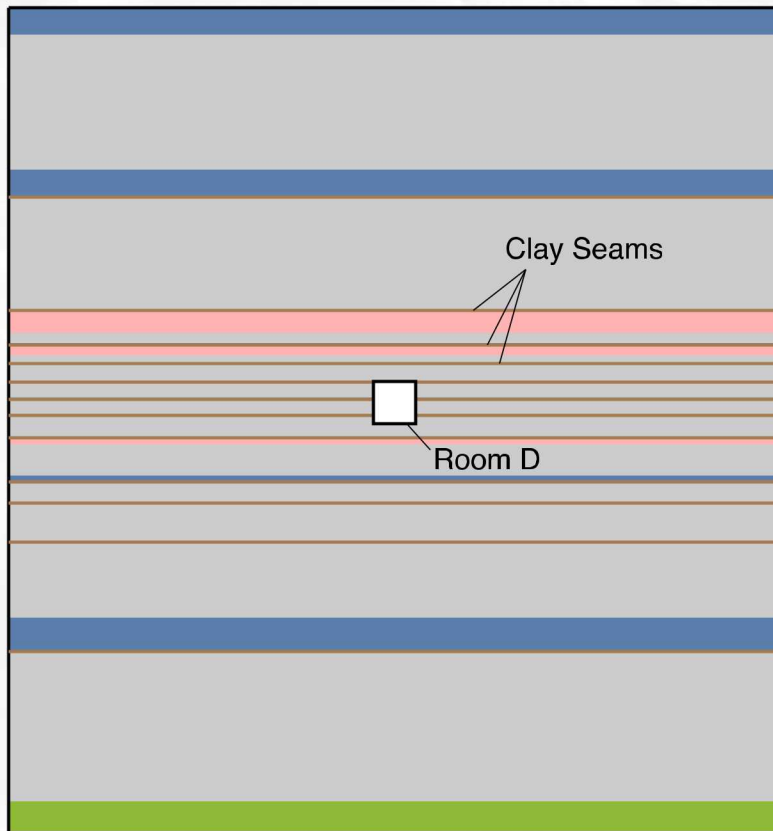
- Clean Salt
- Anhydrite
- Argillaceous Salt
- Polyhalite



Coulomb Friction
 $t_t = \eta t_n$

Friction coefficient treated as a free parameter
 $\eta = 0.4 \rightarrow 0.2$

Changed the Stratigraphy



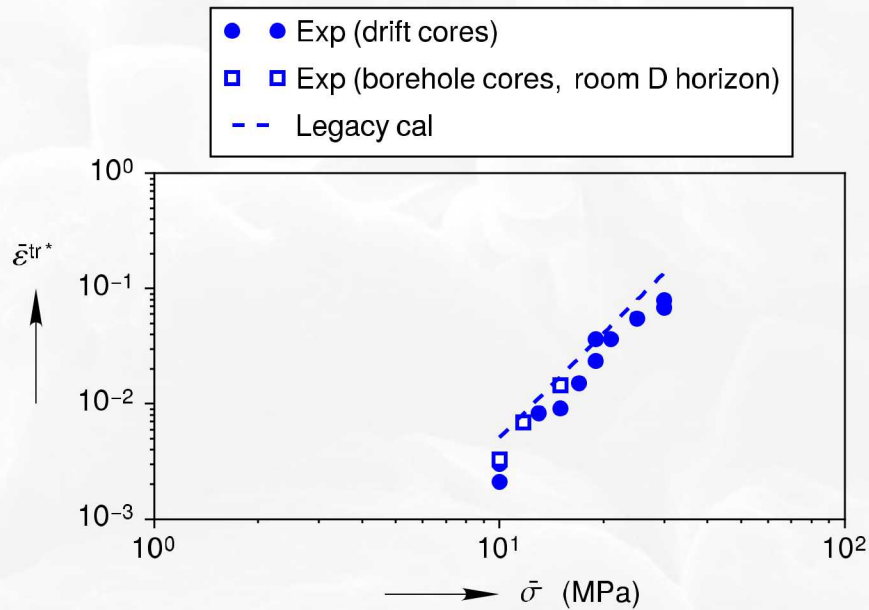
- Clean Salt
- Anhydrite
- Argillaceous Salt
- Polyhalite

- Clean Salt
- Argillaceous Salt

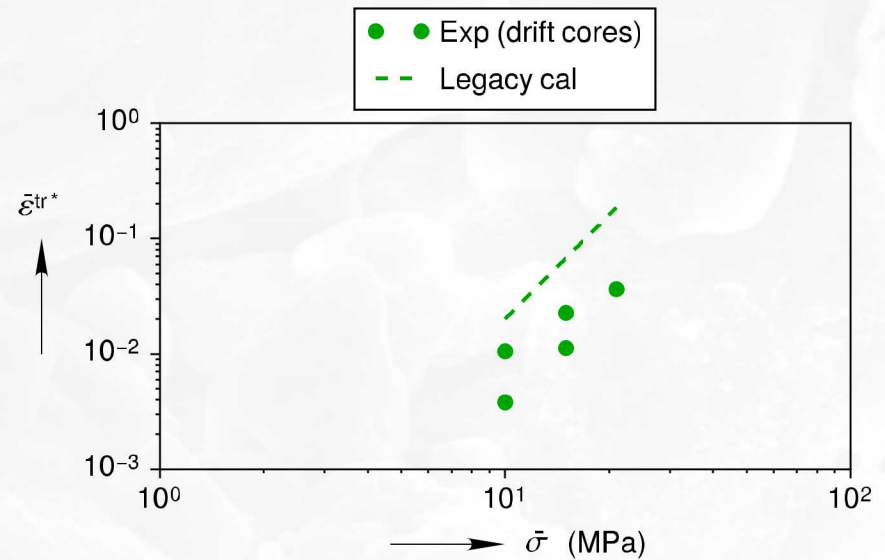
Changed the Material Parameters



Clean Salt



Argillaceous Salt

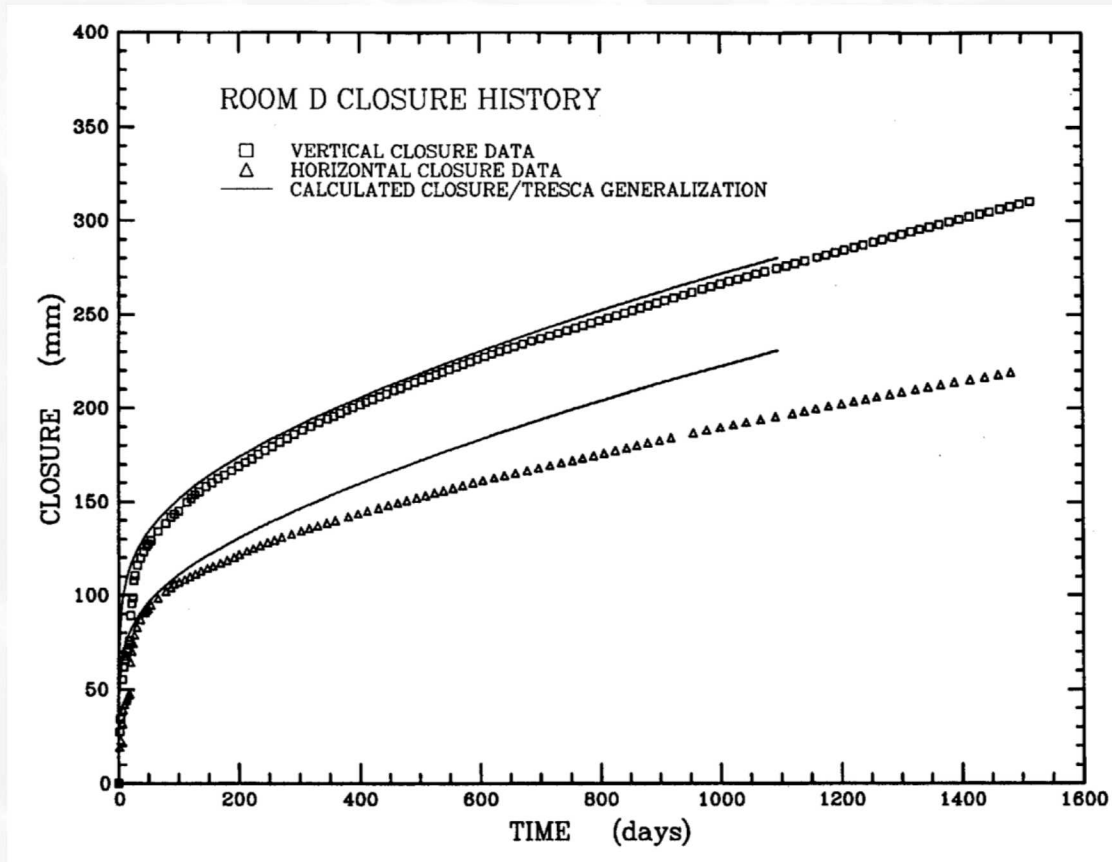


Argillaceous transient strain limit treated as a “free parameter”.

Legacy Predictions



- Changed from von Mises to Tresca equivalent stress
- Changed the clay seam friction coefficient from 0.4 to 0.2
- Changed from mostly clean salt to mostly argillaceous salt
- Changed the material model calibrations
 - Argillaceous strain limit treated as a free parameter



Munson, D., Fossum, A. Senseny, P., Advances in Resolution of Discrepancies Between Predicted and Measured In Situ WIPP Room Closures, SAND88-2948, 1988

Legacy Predictions



- Tuning of model parameters is common industry practice
 - Tune against one *in-situ* measurement
 - Compare against other *in-situ* measurements
- Our goal is to predict **solely** from laboratory test data
 - Requires a stronger scientific basis
 - Allows one to predict what will happen in a new repository



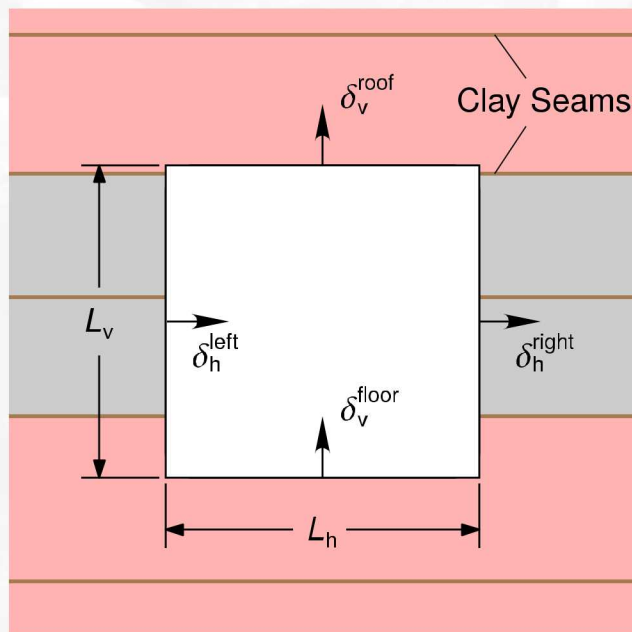
Updating the Legacy Simulations

Recreation of Legacy Simulations

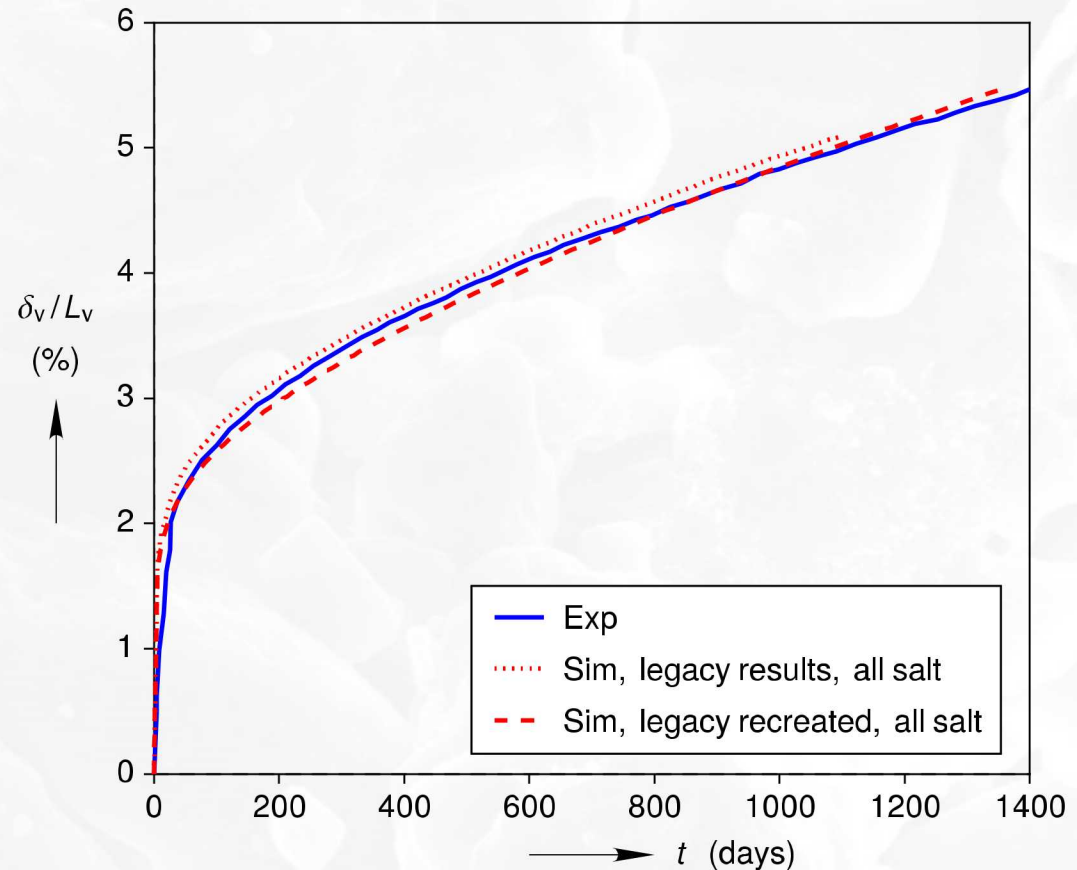


$$\delta_h = \delta_h^{\text{left}} - \delta_h^{\text{right}}$$

$$\delta_v = \delta_v^{\text{floor}} - \delta_v^{\text{roof}}$$



- Halite
- Argillaceous Halite

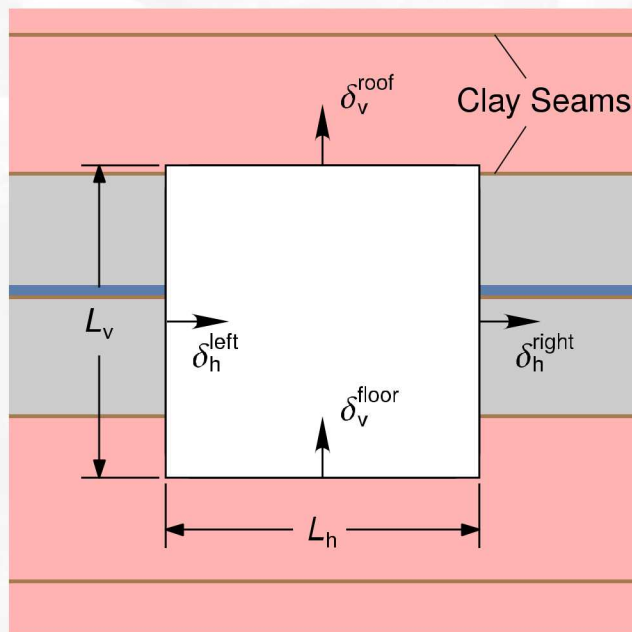


Recreation of Legacy Simulations

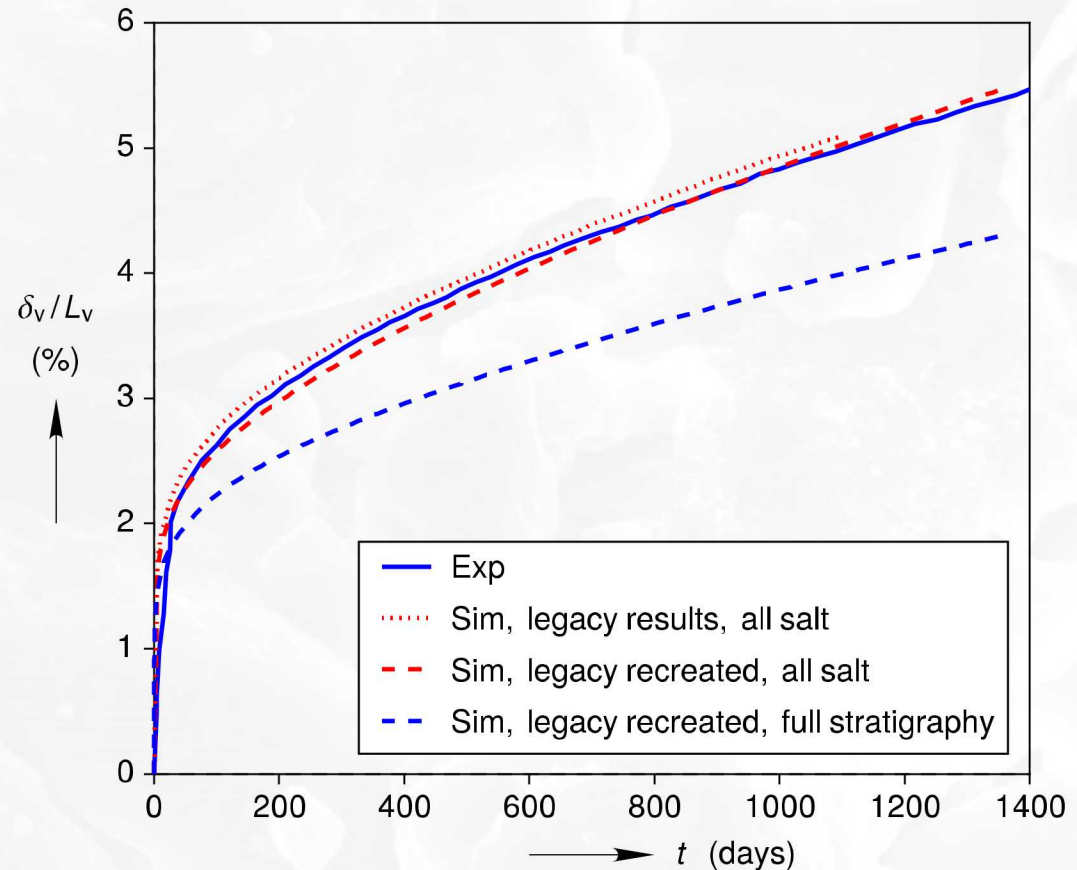


$$\delta_h = \delta_h^{\text{left}} - \delta_h^{\text{right}}$$

$$\delta_v = \delta_v^{\text{floor}} - \delta_v^{\text{roof}}$$

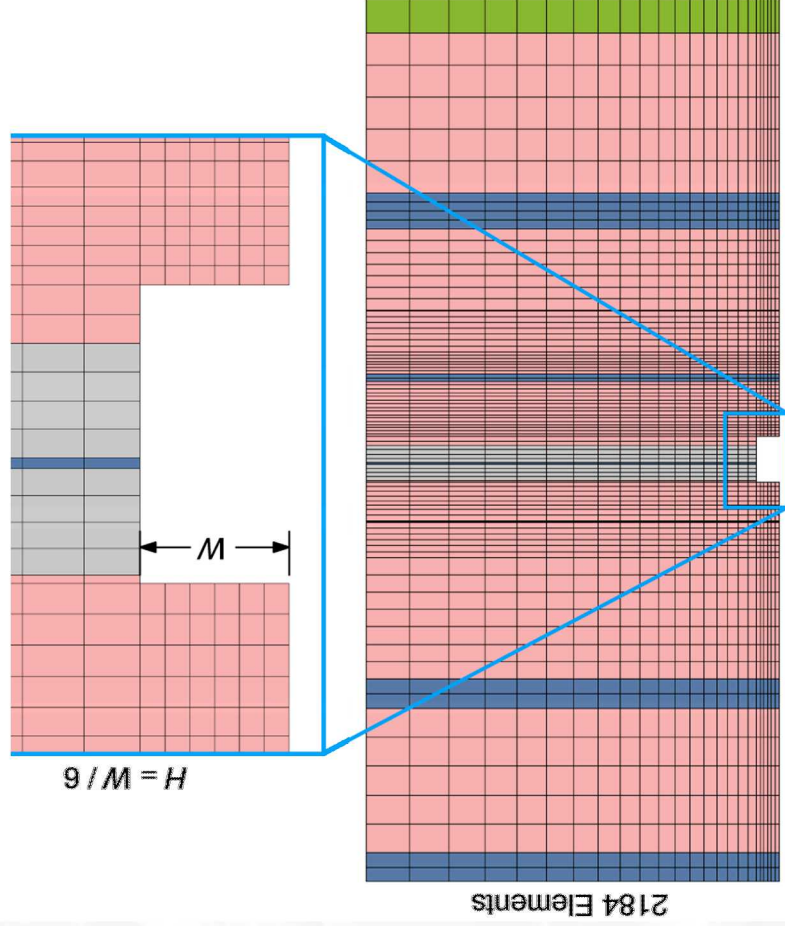


- Halite
- Anhydrite
- Argillaceous Halite

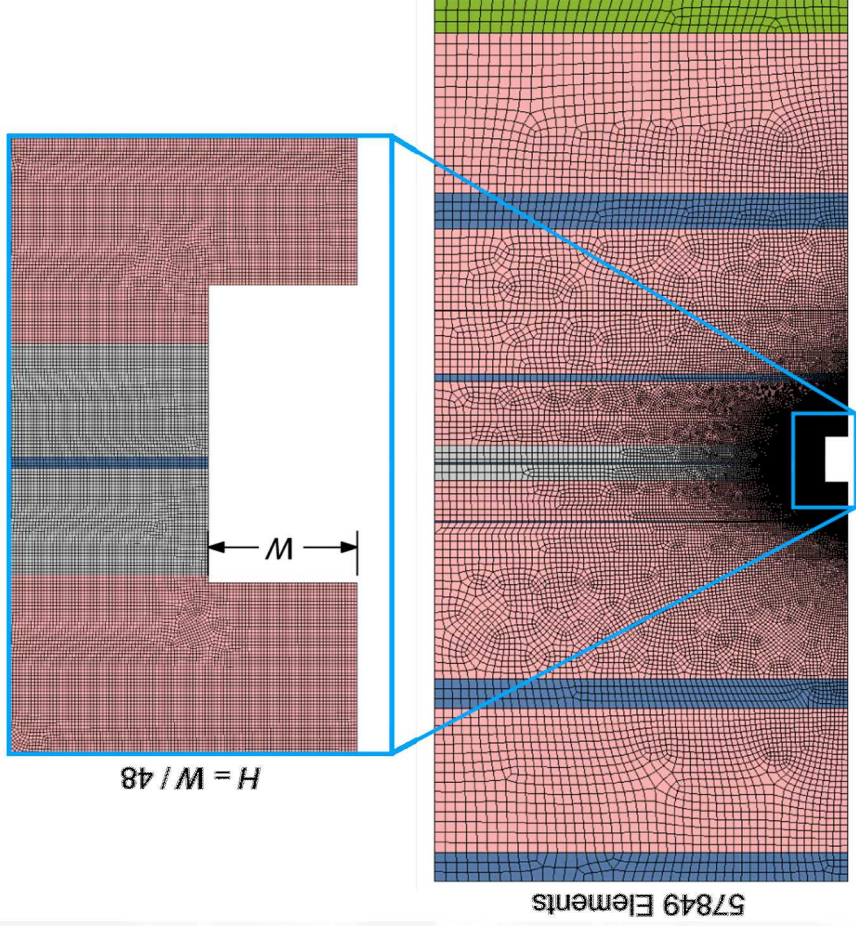


Changed the Mesh

Legacy Mesh



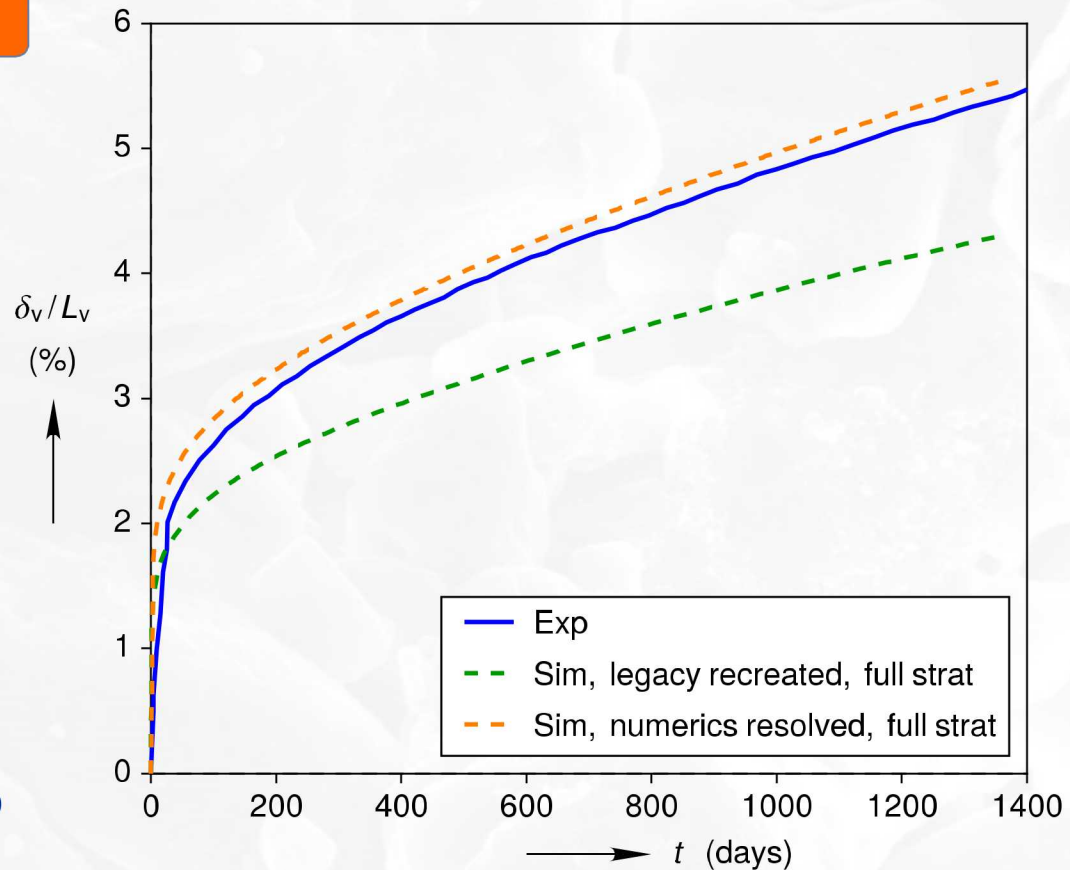
Current Fine Mesh



Resolving the Numerics



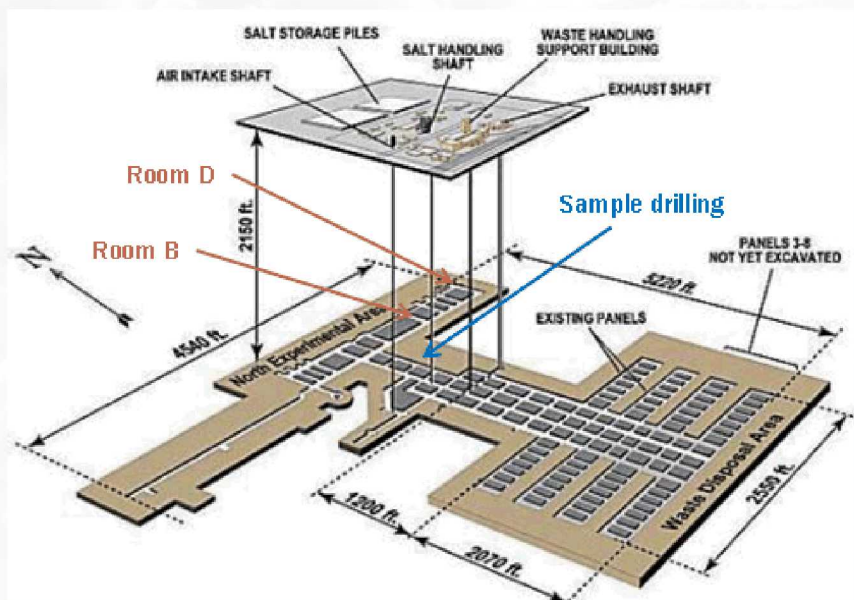
- [Redacted]
- [Redacted]
- Switched to a higher quality element type
- Changed the contact enforcement algorithm
- Switched from non-associated flow rule to an associated flow rule for the anhydrite
- Added a pressure ramp down to ease into the instantaneous excavation





Munson-Dawson Model Recalibration

New Cores Extracted in 2013

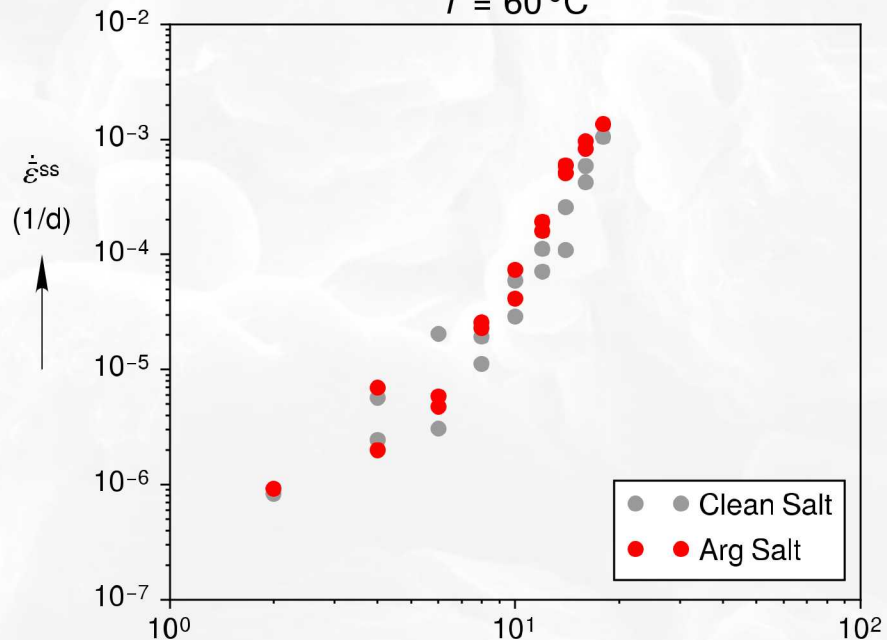


Clean vs. Argillaceous



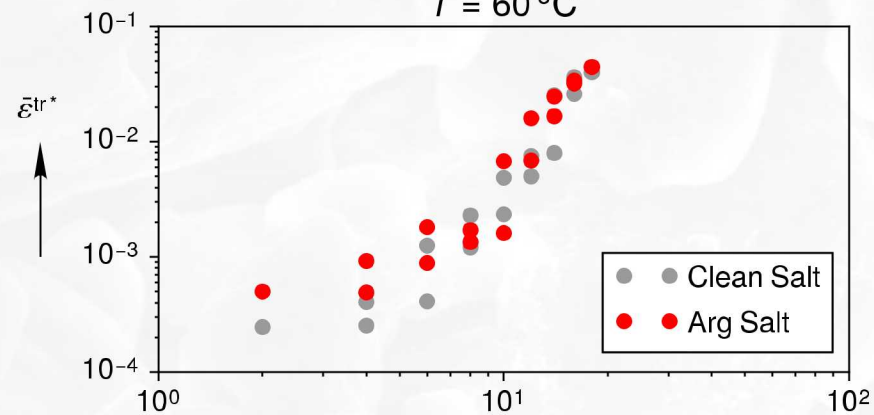
Steady State Rate

$T = 60^\circ\text{C}$

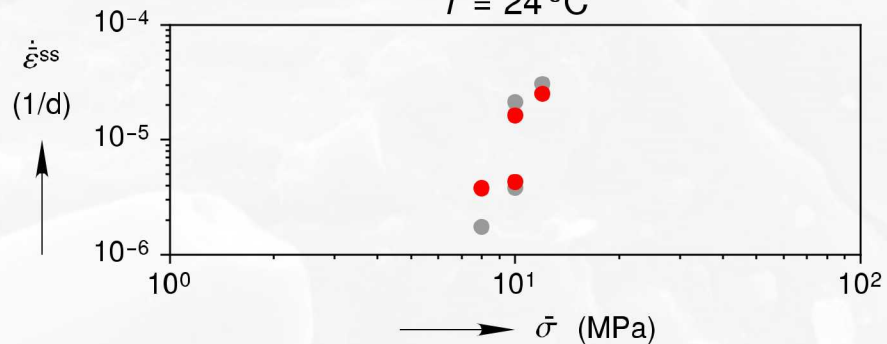


Transient Limit

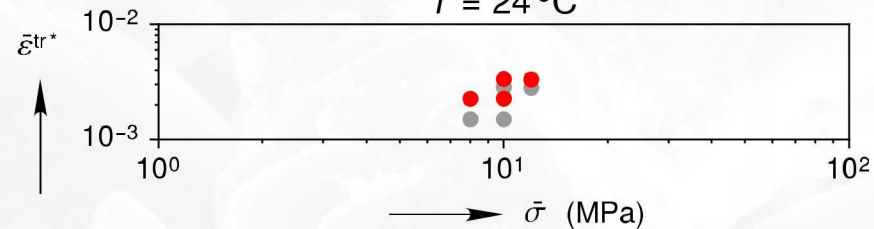
$T = 60^\circ\text{C}$



$T = 24^\circ\text{C}$



$T = 24^\circ\text{C}$

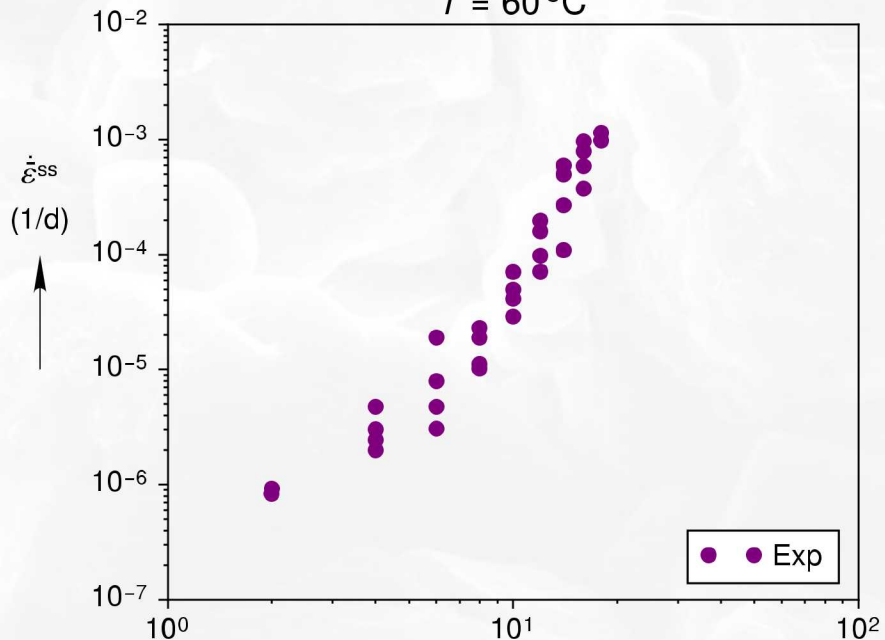


New Munson-Dawson Calibration



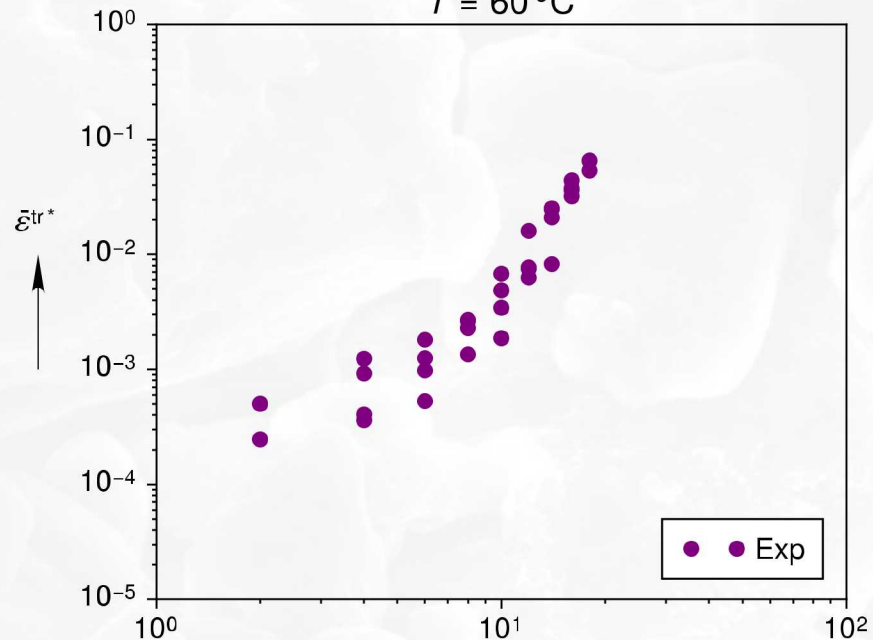
Steady State Rate

$T = 60^\circ\text{C}$

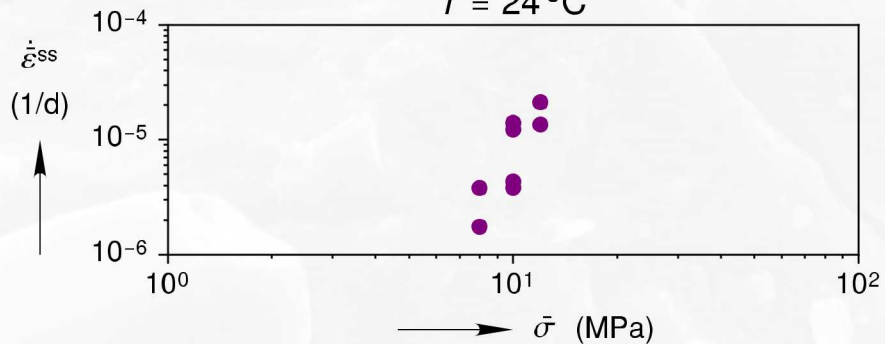


Transient Limit

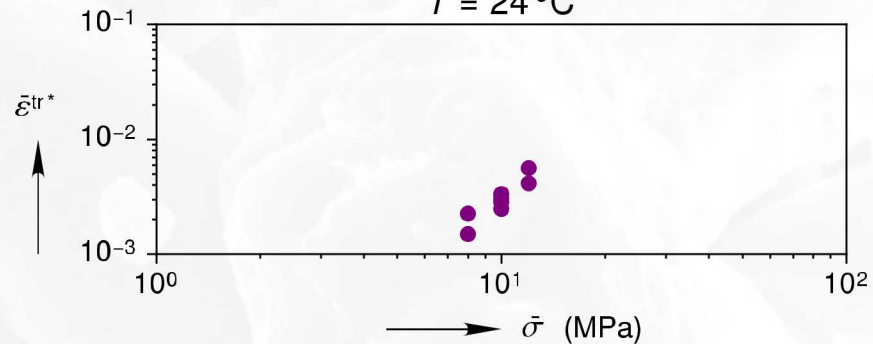
$T = 60^\circ\text{C}$



$T = 24^\circ\text{C}$



$T = 24^\circ\text{C}$

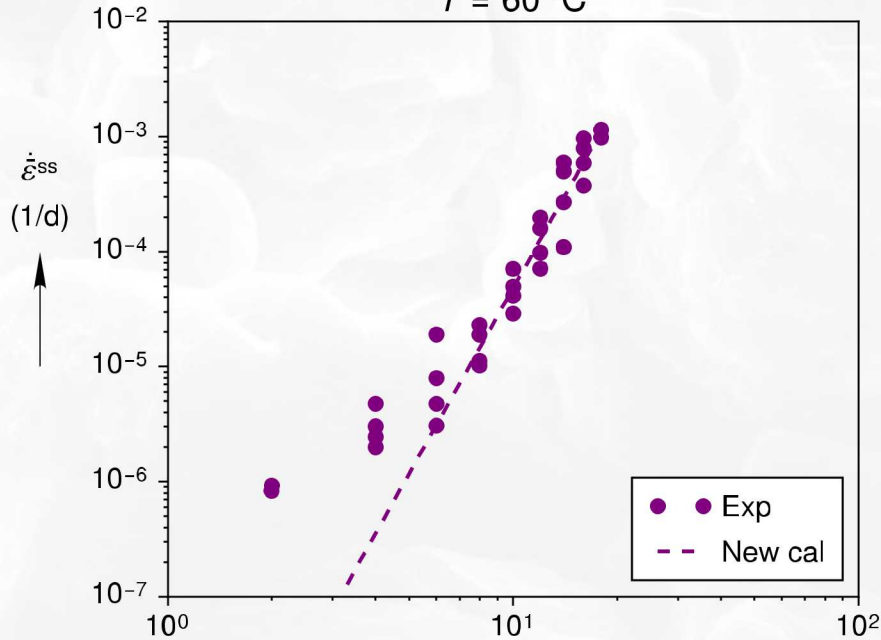


New Munson-Dawson Calibration



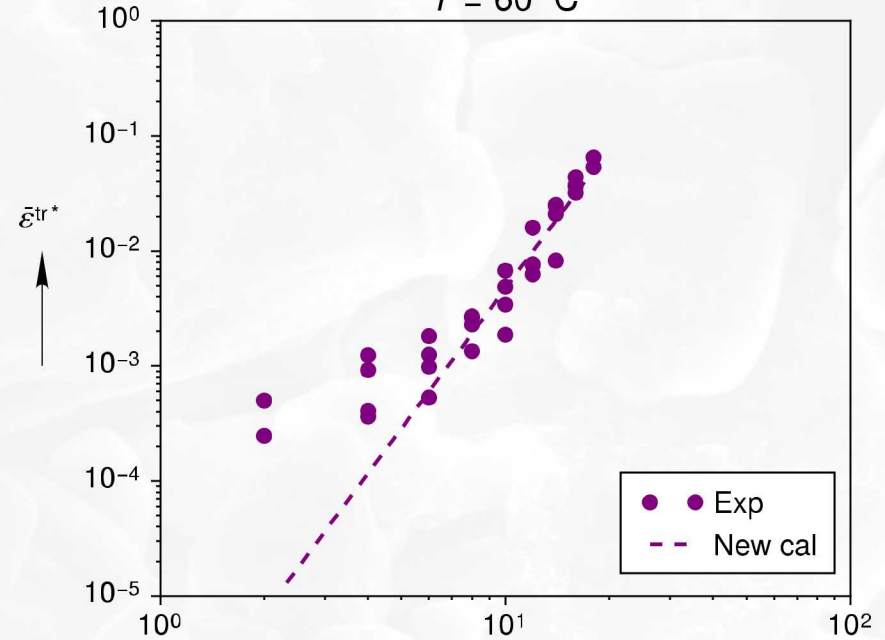
Steady State Rate

$T = 60^\circ\text{C}$

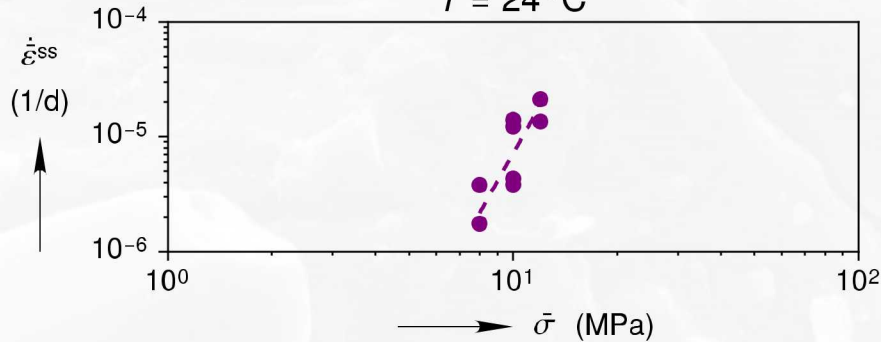


Transient Limit

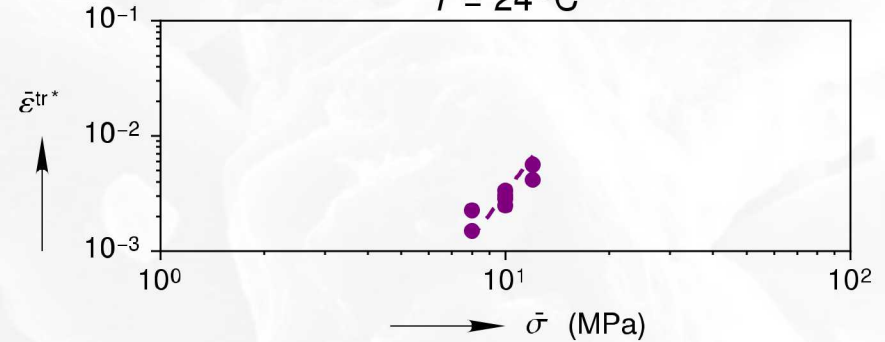
$T = 60^\circ\text{C}$



$T = 24^\circ\text{C}$



$T = 24^\circ\text{C}$

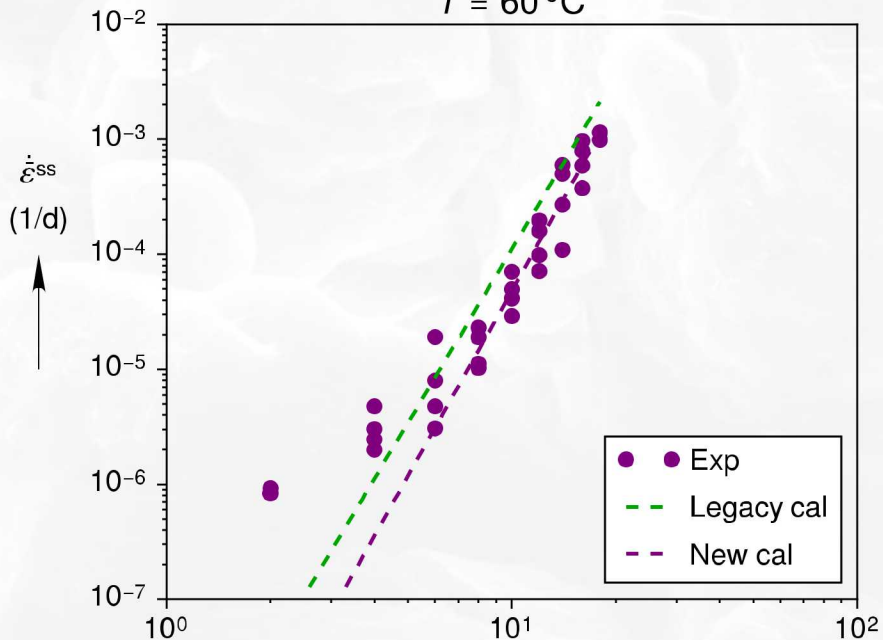


New Munson-Dawson Calibration



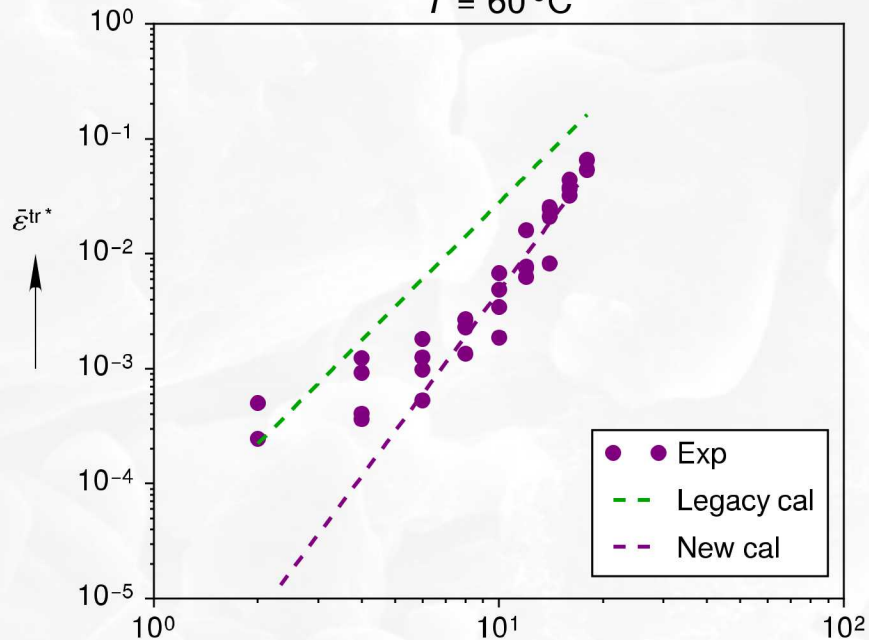
Steady State Rate

$T = 60\text{ }^{\circ}\text{C}$

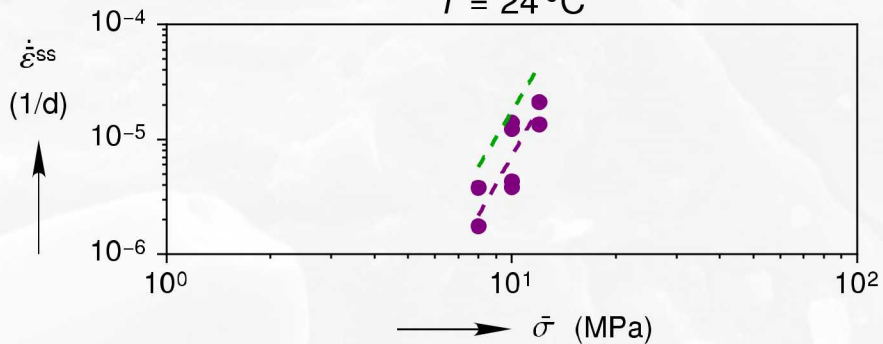


Transient Limit

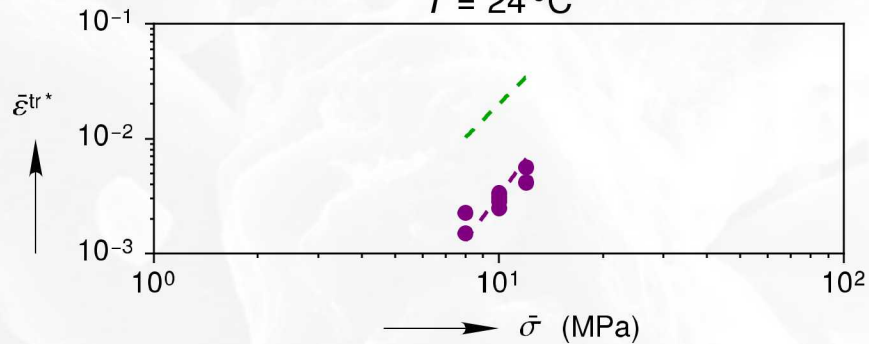
$T = 60\text{ }^{\circ}\text{C}$



$T = 24\text{ }^{\circ}\text{C}$



$T = 24\text{ }^{\circ}\text{C}$

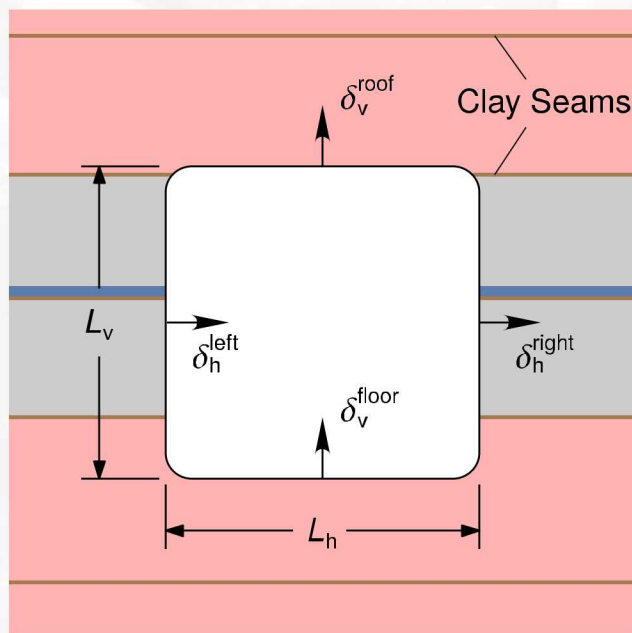


Closure Prediction with New Calibration

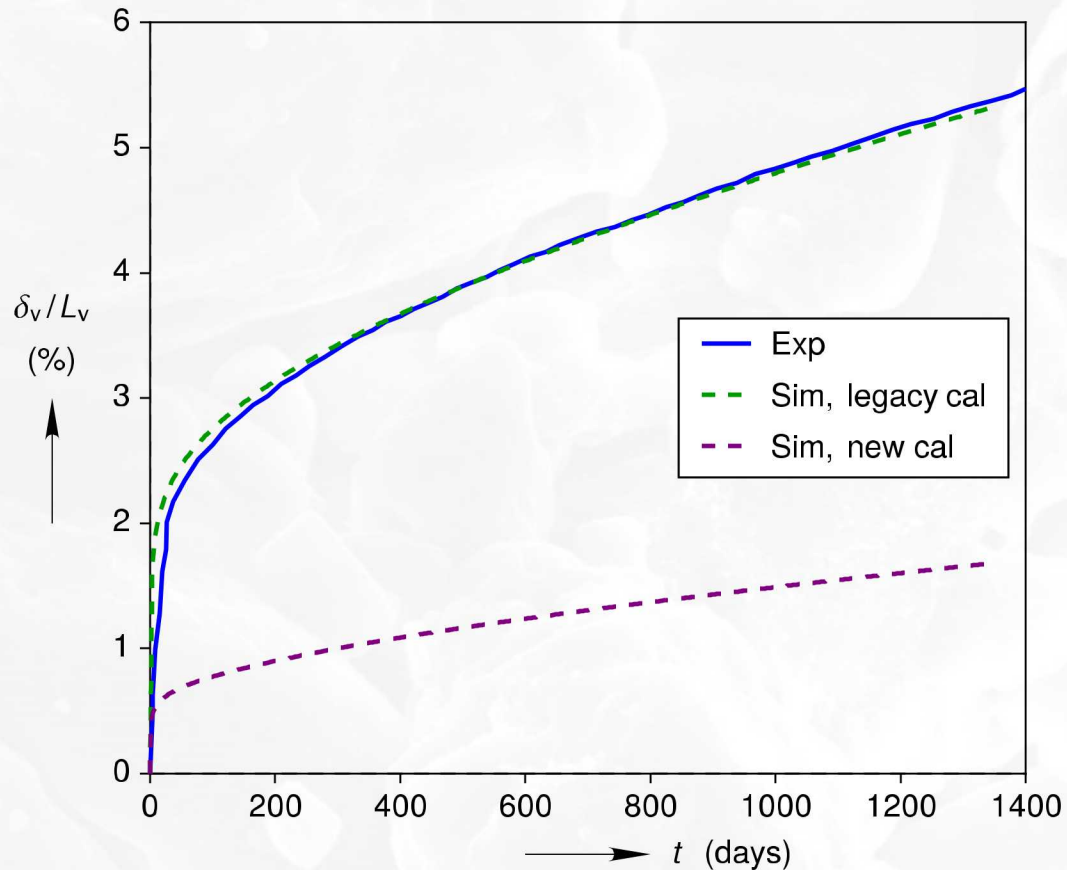


$$\delta_h = \delta_h^{\text{left}} - \delta_h^{\text{right}}$$

$$\delta_v = \delta_v^{\text{floor}} - \delta_v^{\text{roof}}$$



Halite
 Anhydrite
 Argillaceous Halite



List of Open Questions



- Creep at low equivalent stresses
- Extent of simulation boundary
- Lost transient strains
- Creep of argillaceous vs. clean salt
- Sliding at clay seams
- Anhydrite material model
- Salt moisture content
- Reconstruction of closure measurements



Summary

Summary



- In 1987, the simulations under-predicted the room closure by roughly 4X. In 1989, Darrell Munson adjusted the model to match the experiments.
- After including the anhydrite and resolving the numerics, the predictions match the experiments.
- New, laboratory based, salt calibration under-predicts the room closure by roughly 3X.
- Open questions remain
 - Creep at low equivalent stresses
 - Extent of simulation boundary
 - Lost transient strains
 - Creep of argillaceous vs. clean salt
 - Sliding at clay seams
 - Anhydrite material model
 - Salt moisture content
 - Reconstruction of closure measurements

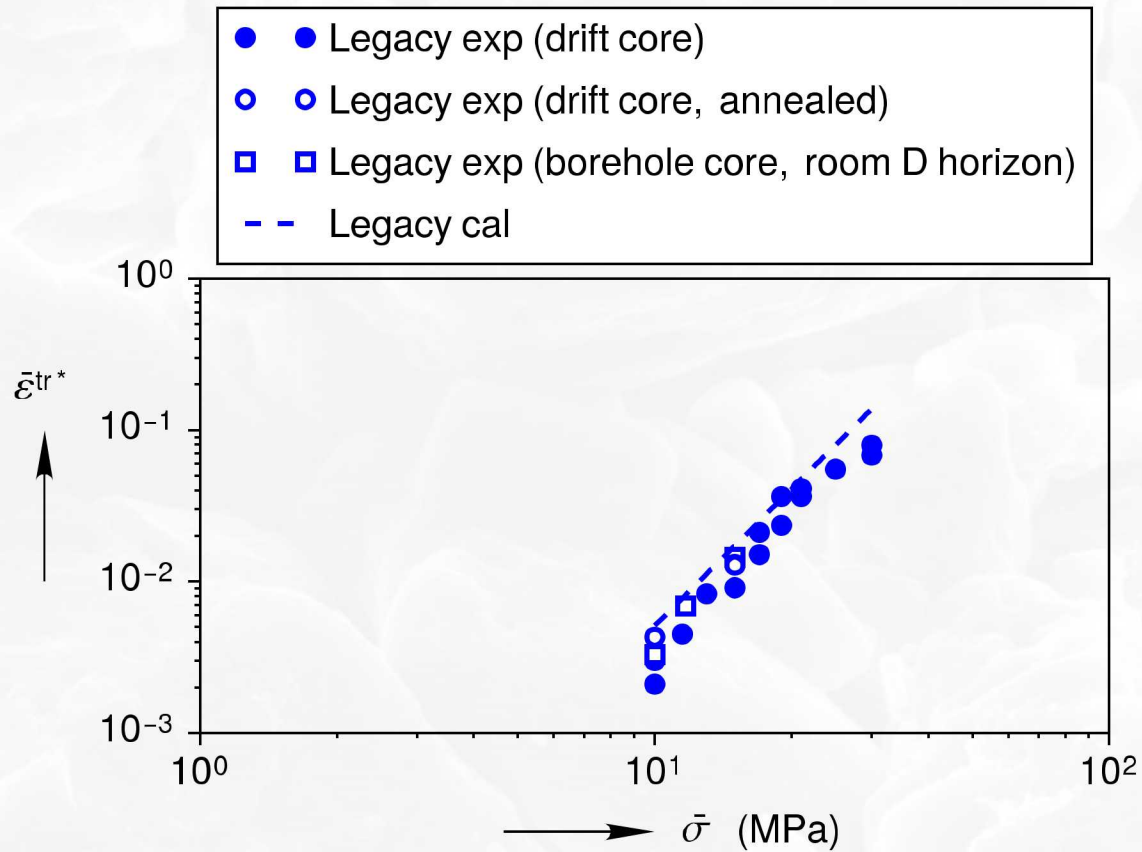


Thank you for your attention.

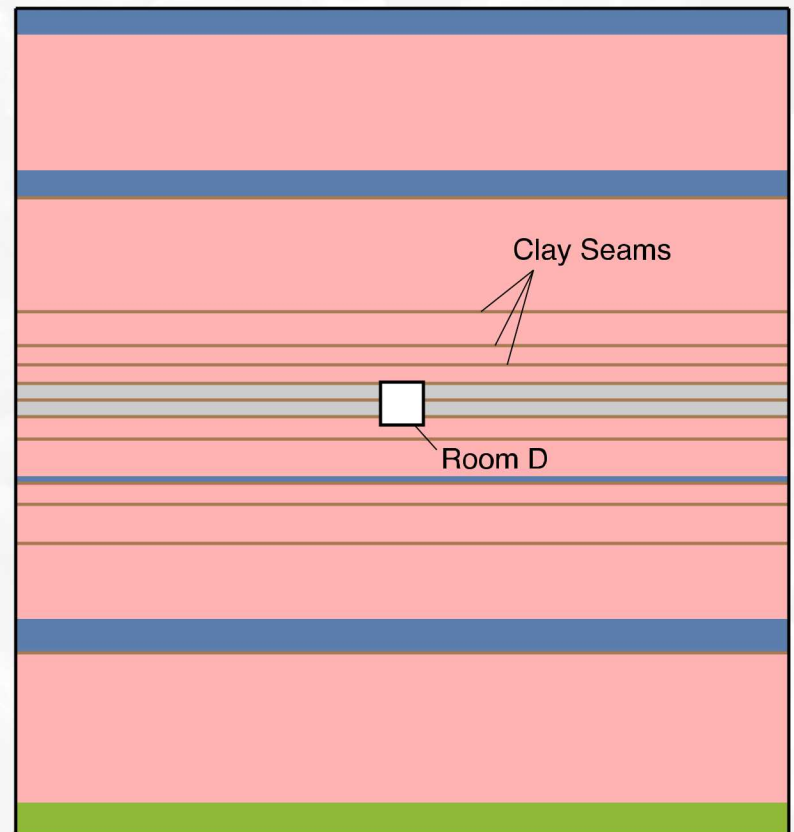
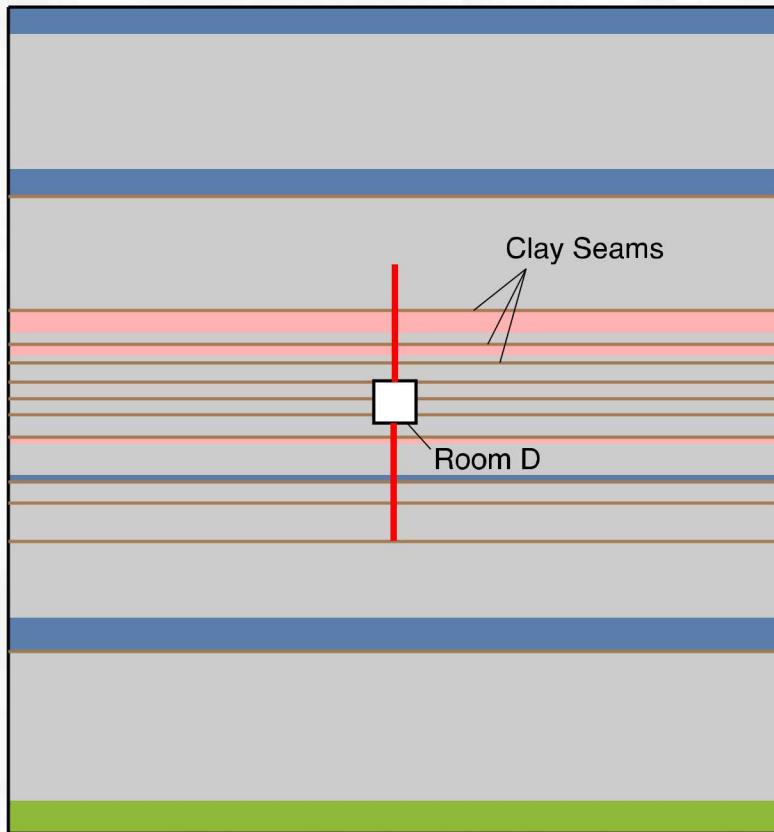


Extra Slides

Lost Transient Strains



Changed the Stratigraphy



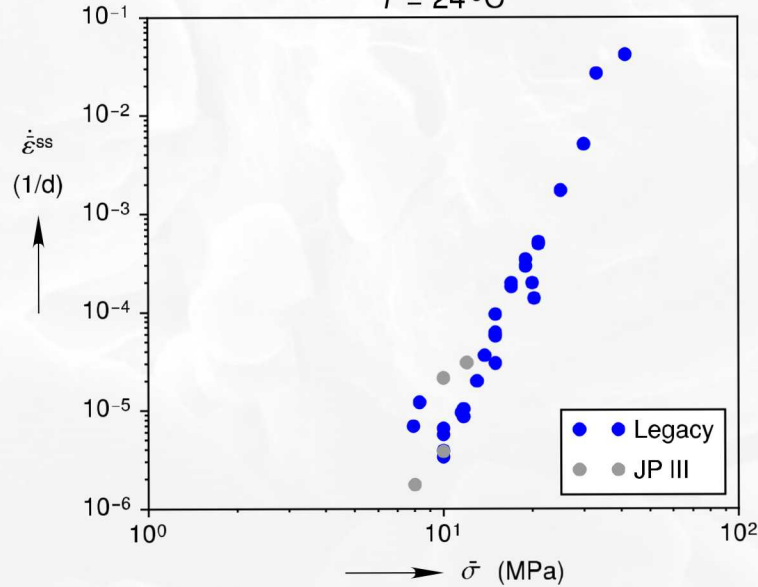
- Clean Salt
- Anhydrite
- Argillaceous Salt
- Polyhalite

- Clean Salt
- Anhydrite
- Argillaceous Salt
- Polyhalite

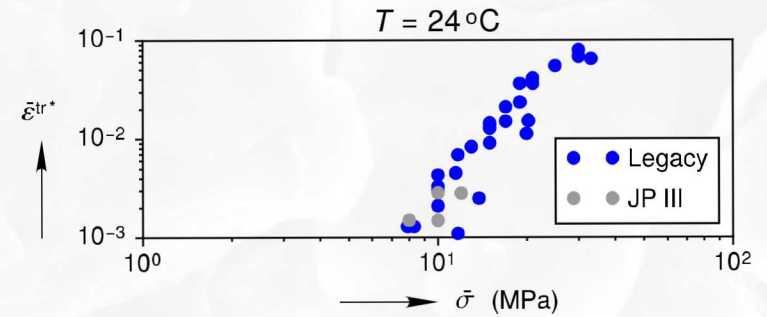
Argillaceous vs Clean Salt



Steady State Rate
 $T = 24^\circ\text{C}$

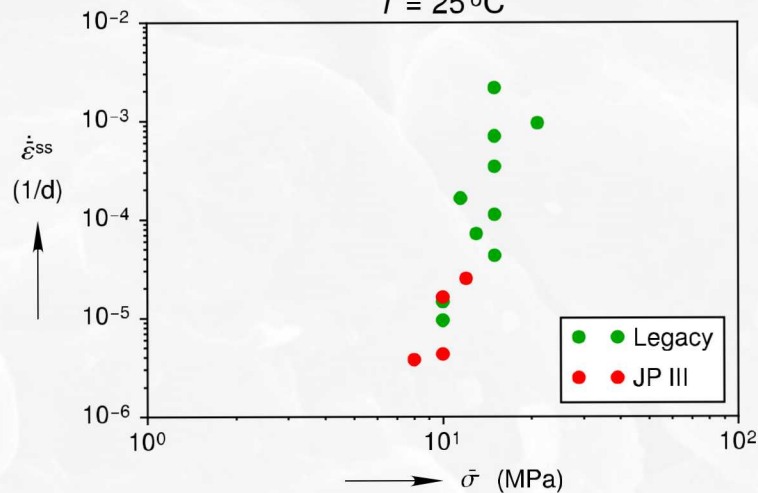


Transient Limit

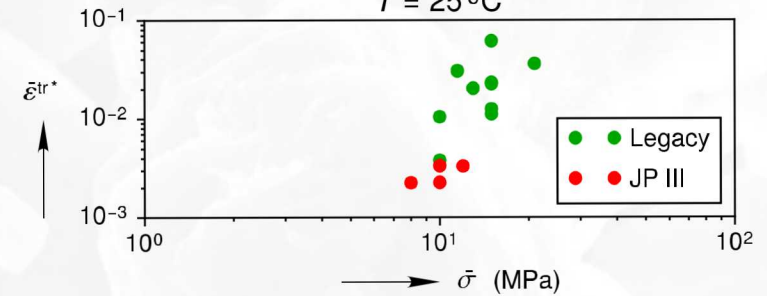


$T = 25^\circ\text{C}$

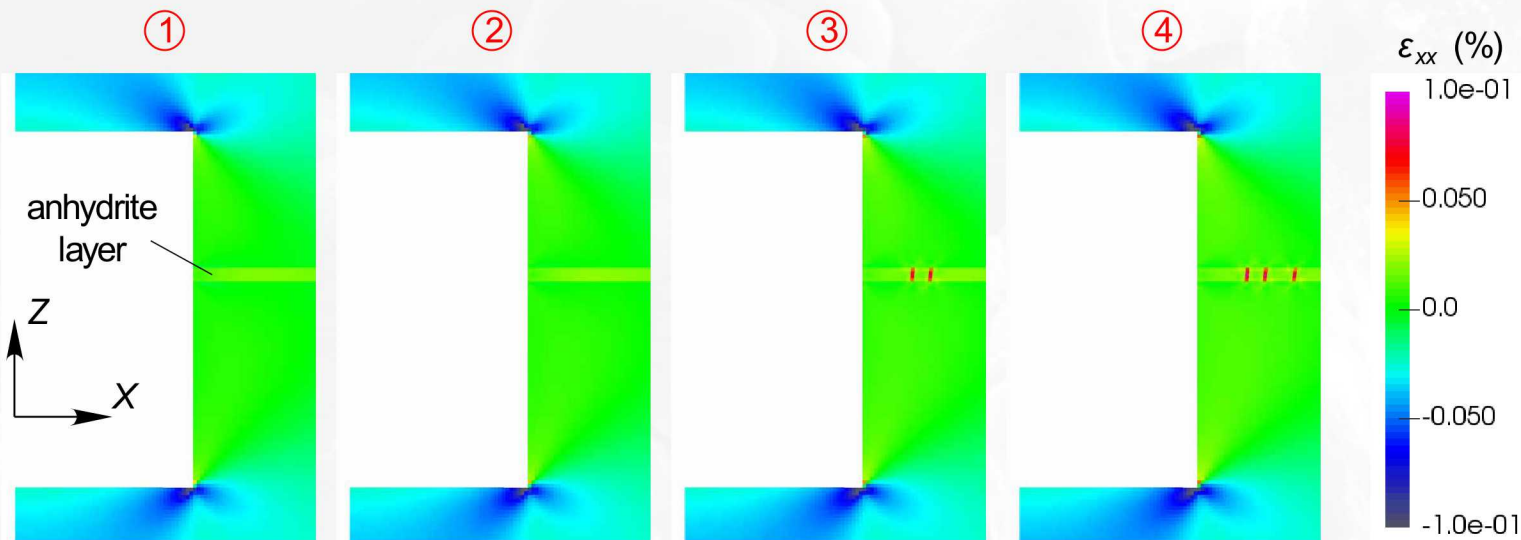
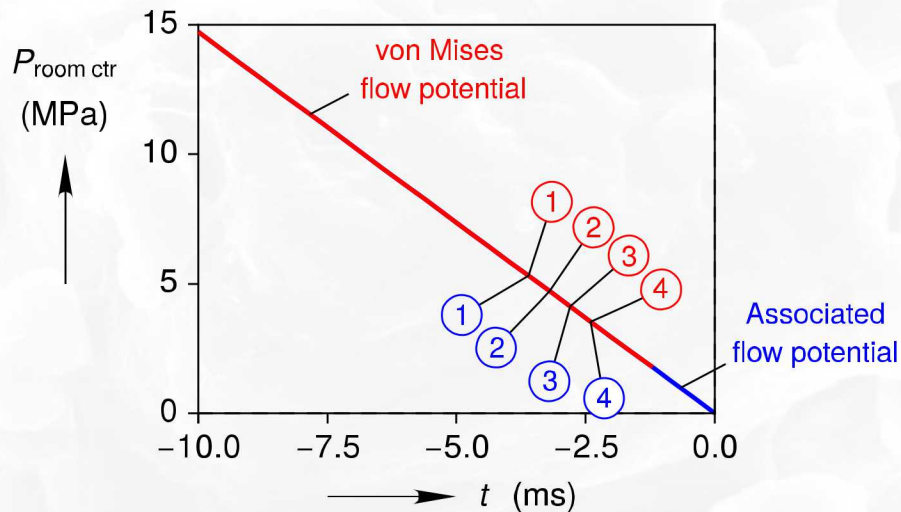
Argillaceous Salt



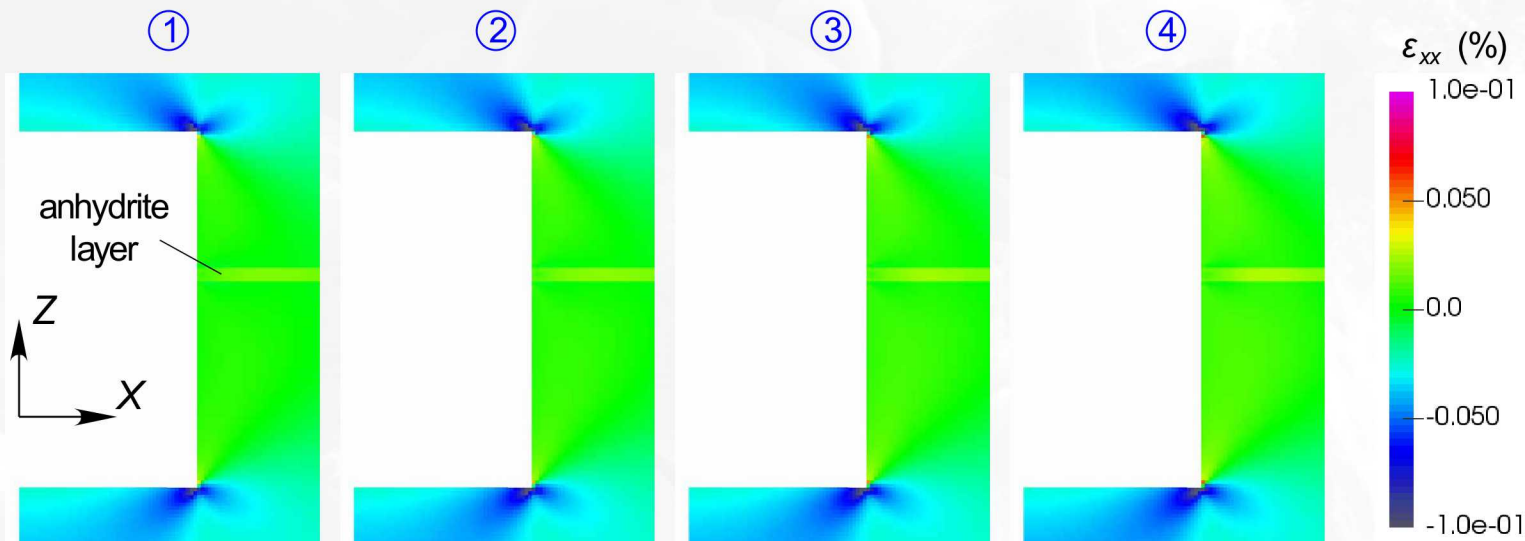
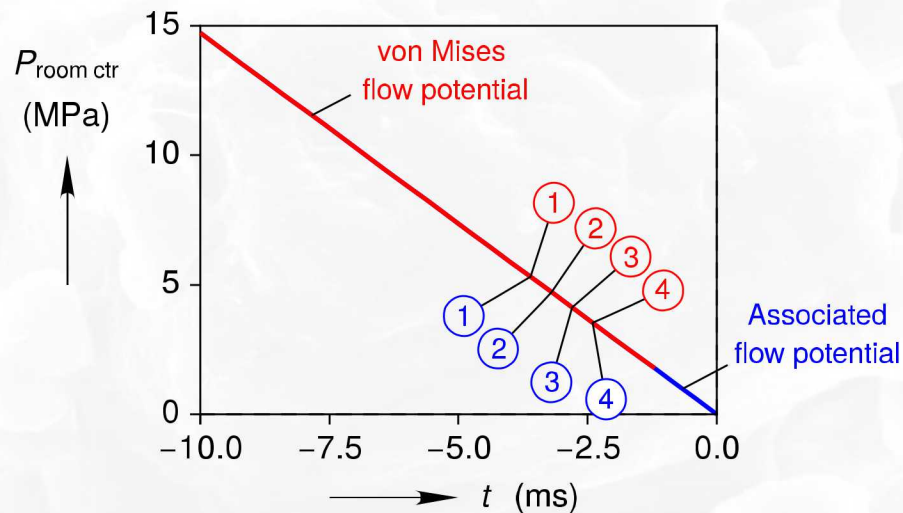
$T = 25^\circ\text{C}$



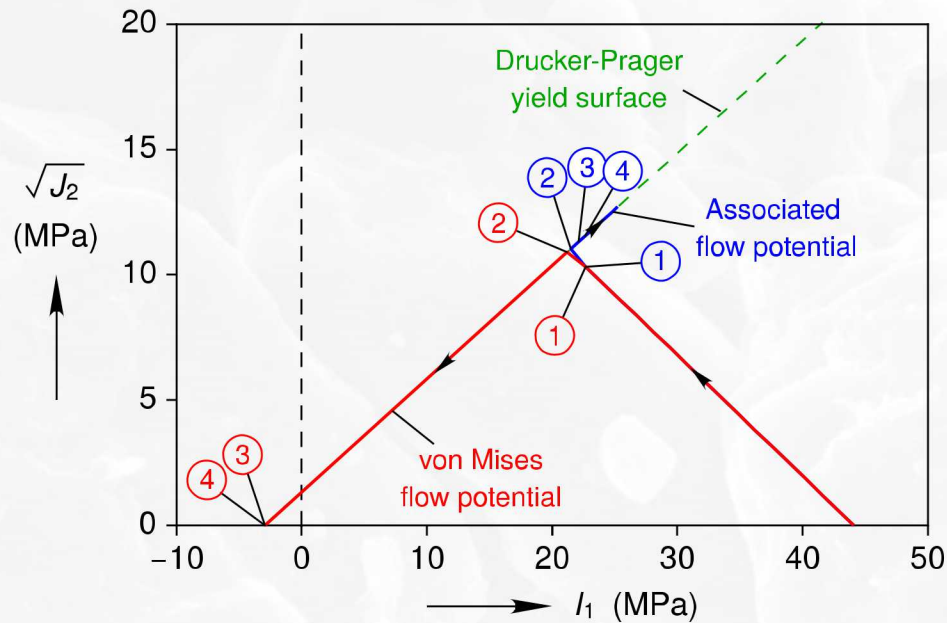
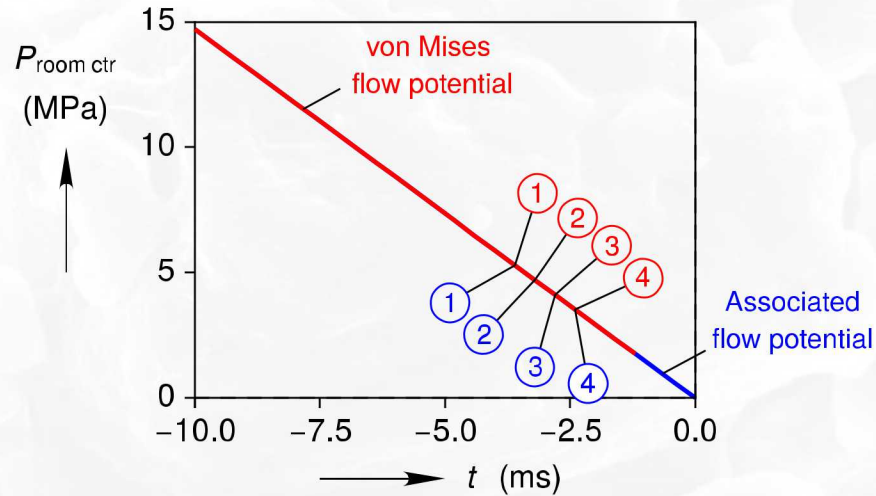
Anhydrite Issue



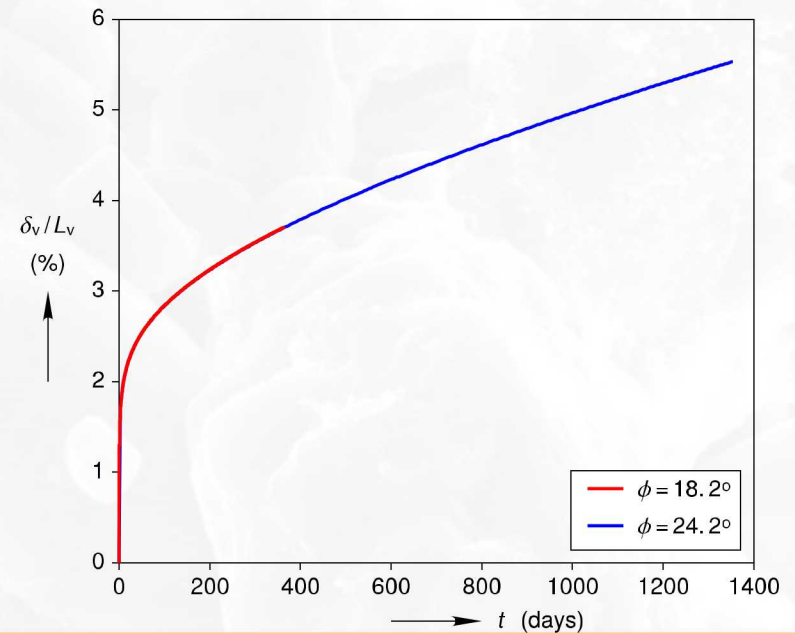
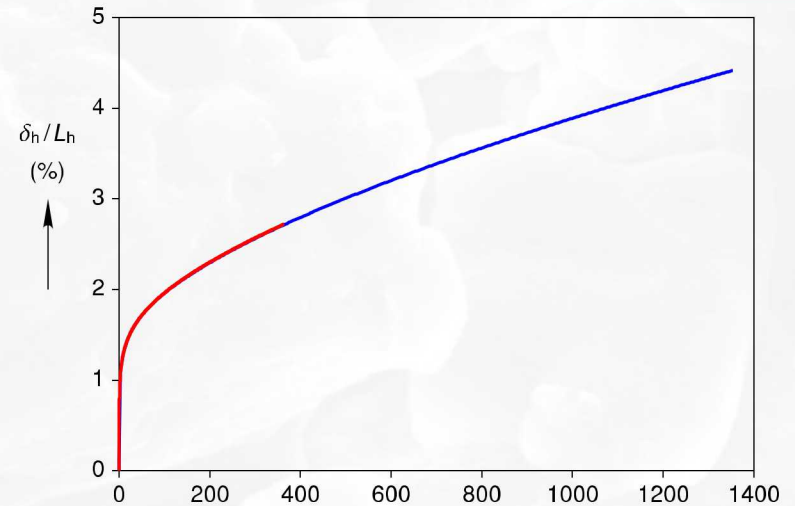
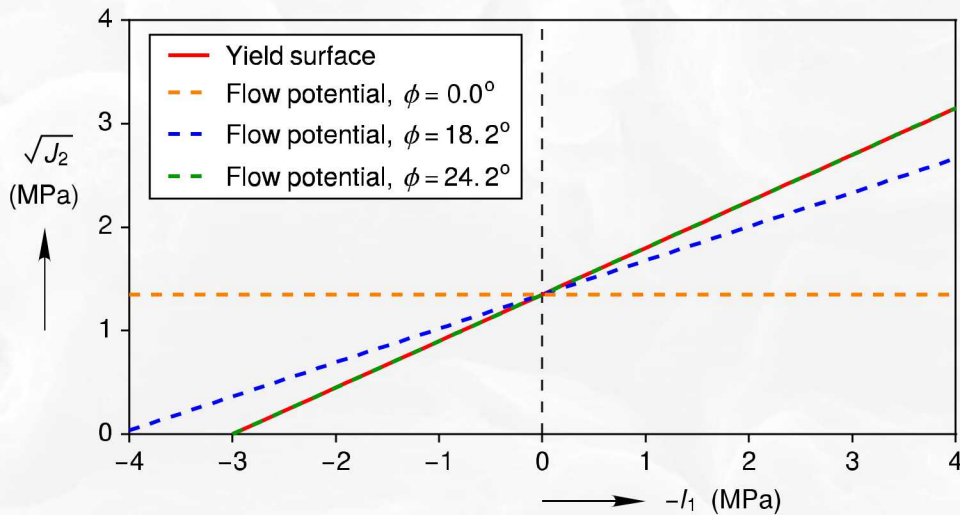
Anhydrite Issue



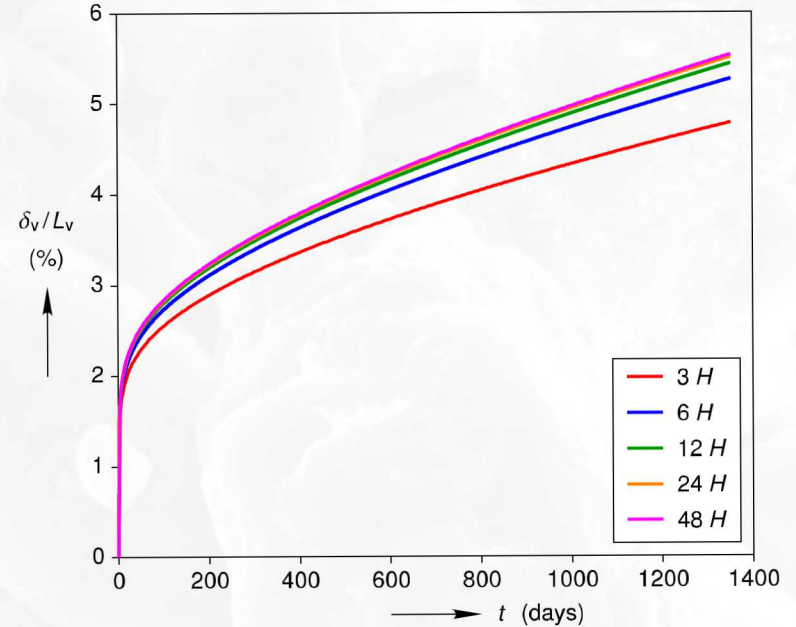
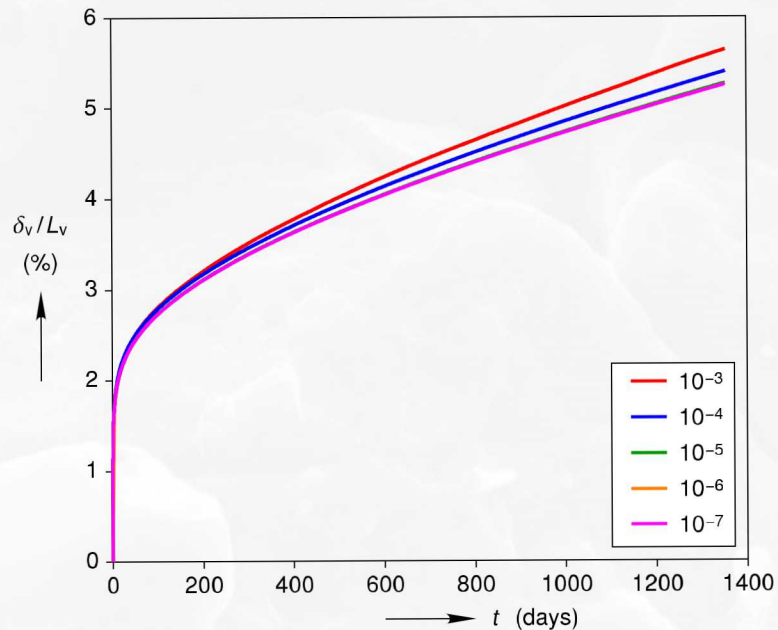
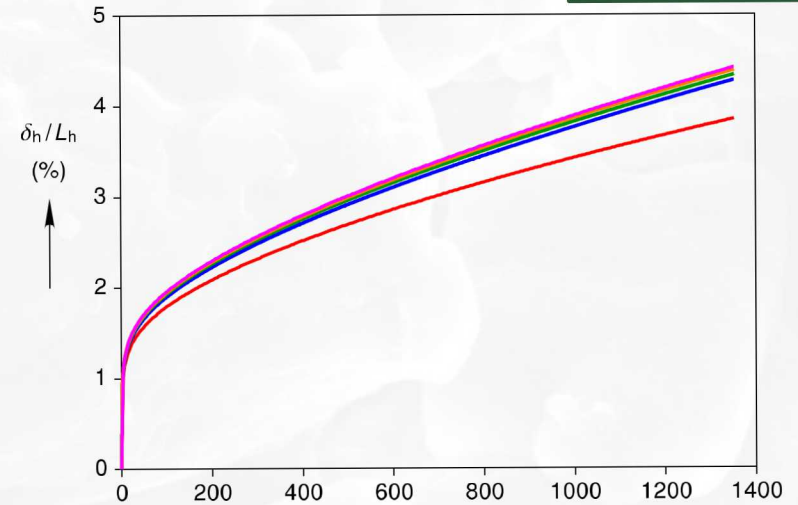
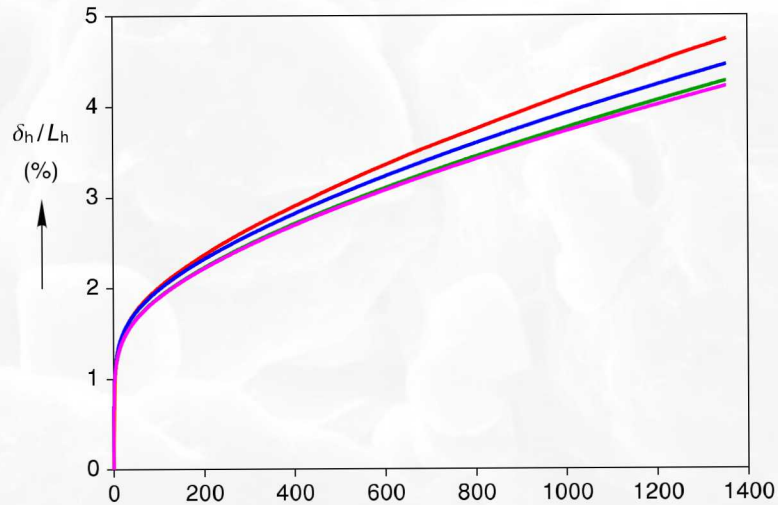
Anhydrite Issue



Anhydrite Dilatation Angle Sensitivity



Residual and Mesh Convergence

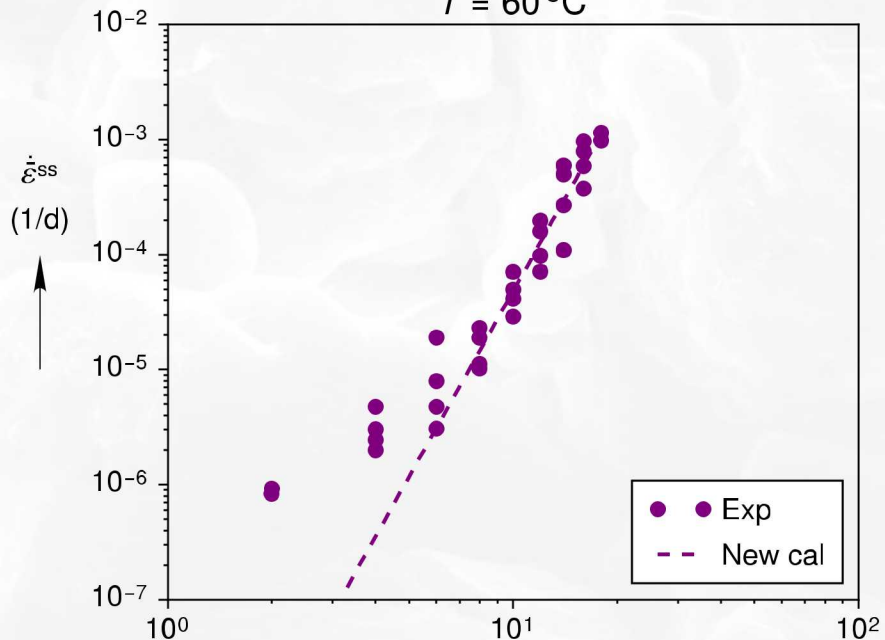


Creep at Low Equivalent Stresses



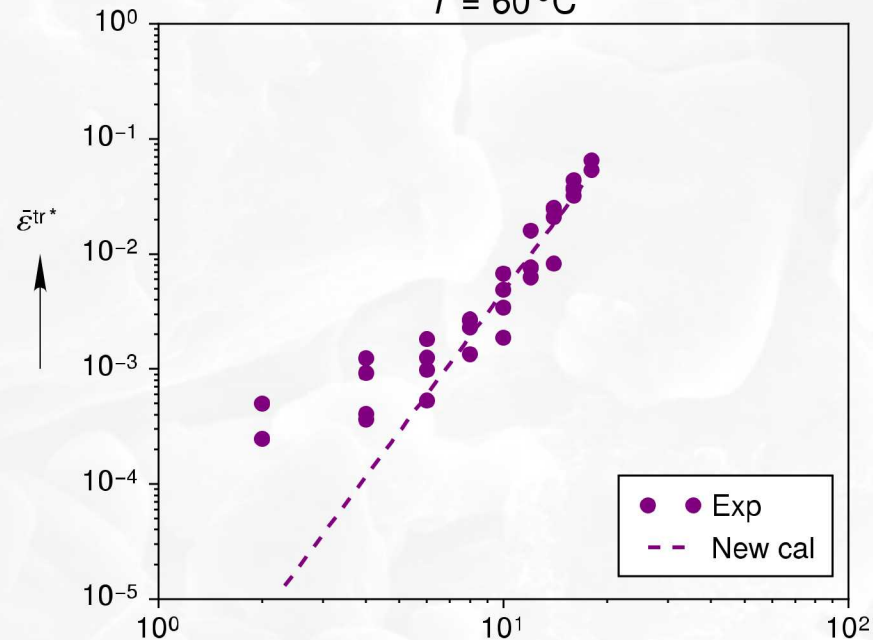
Steady State Rate

$T = 60^\circ\text{C}$

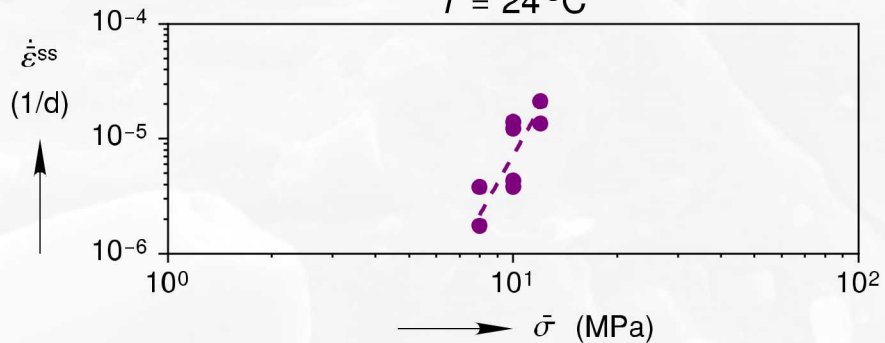


Transient Limit

$T = 60^\circ\text{C}$



$T = 24^\circ\text{C}$



$T = 24^\circ\text{C}$

