

Robust quantum logic in neutral atoms via adiabatic Rydberg dressing

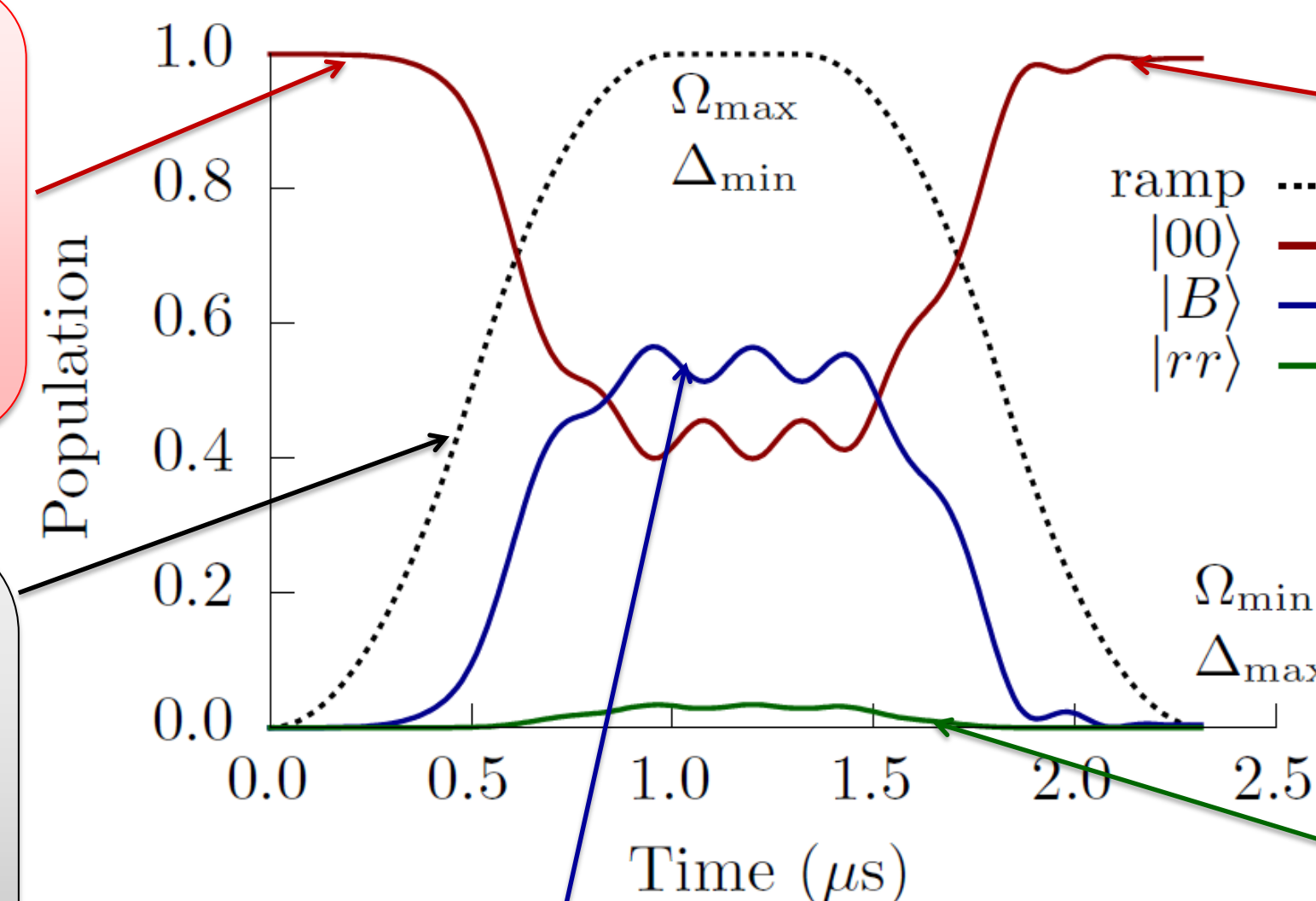
Tyler Keating*, Robert L. Cook*, Aaron M. Hakin*†, Yuan-Yu Jau†, Grant W. Biedermann*†, Ivan H. Deutsch*

(*CQULC, University of New Mexico; †Sandia National Laboratories)

Motivation

- The Rydberg blockade effect is a promising tool for quantum logic gates in neutral atom qubits.
- In experimental efforts to produce such a gate, errors arising from the atoms' thermal motion have been primary limiting factors to the achievable fidelity.
- Adiabatic processes are known to be robust against some types of noise – might we be able to use adiabaticity to suppress these motional errors?

Gate Architecture



5. When the desired phase is accumulated, the laser is ramped back down and swept far off resonance. This returns the atoms to stable ground states while preserving entanglement.

4. The Rydberg dipole interaction “blockades” the $|rr\rangle$ state, strongly suppressing double-excitation.

3. The two atom ground state $|00\rangle$ is now “dressed” by significant admixture of the entangled bright state $|B\rangle$. This dressing causes it to accumulate an entangling phase over time.

1. Both atoms start in electronic ground states. Specifically, the logical basis states $\{|0\rangle, |1\rangle\}$ are hyperfine states in the atomic ground manifold.

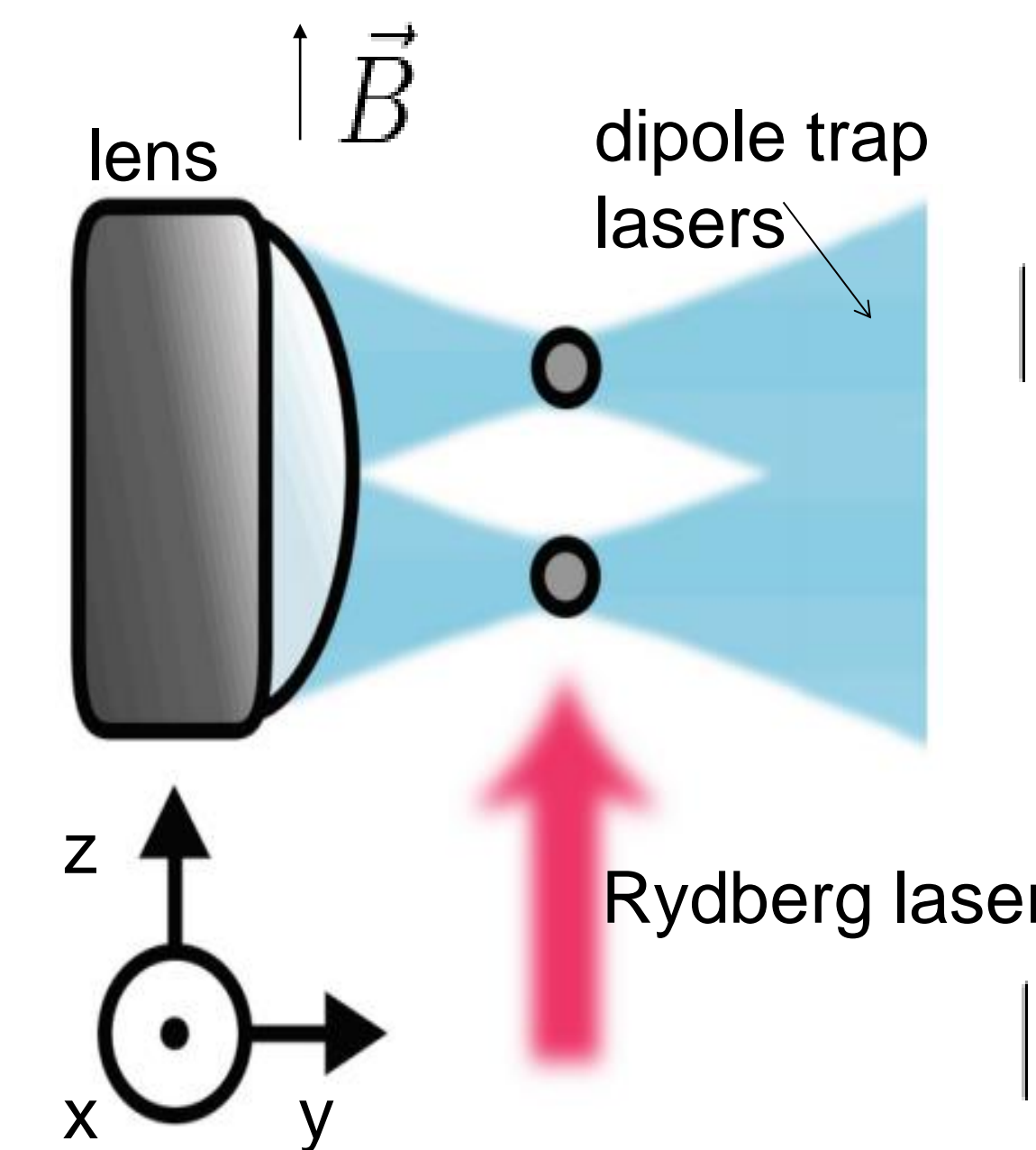
2. A 319 nm laser, couples the $|0\rangle$ state to a high-lying Rydberg state $|r\rangle$. The laser power is slowly, smoothly turned up to maximum, while its detuning is swept onto resonance.

Quantitatively, Rydberg-dressing a single atom imparts a light shift energy $E_{LS}^{(1)}$, while dressing two atoms at once imparts an energy $E_{LS}^{(2)}$. Because of the blockade interaction, the two-atom collective light shift will be less than the total shift for two atoms dressed separately. The “differential light shift” between these two cases can be used to generate entanglement:

$$J = E_{LS}^{(2)} - 2E_{LS}^{(1)}$$

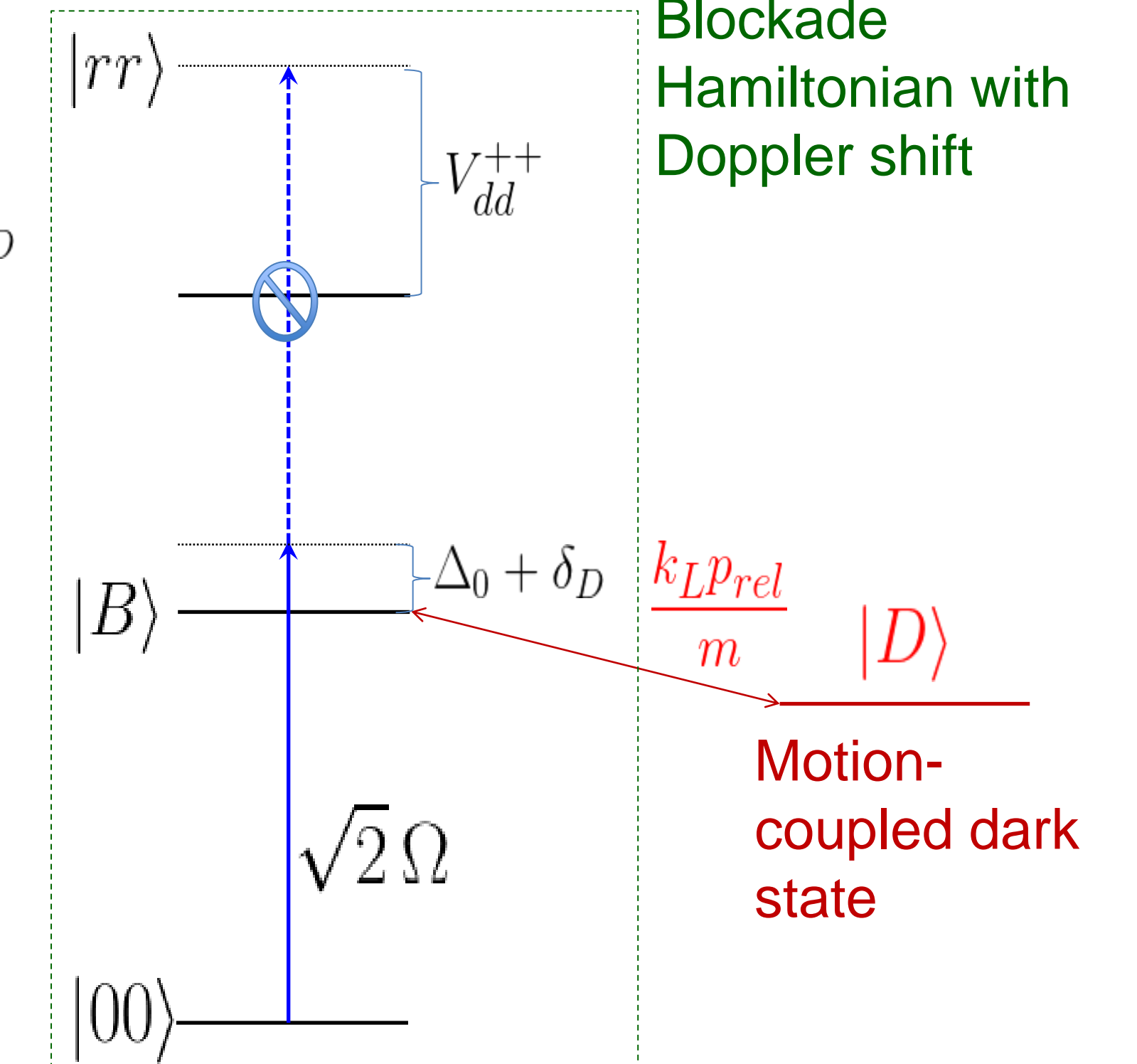
See Yuan-Yu Jau's talk in Session 7 for the latest on producing J experimentally!

Single-beam design



The trapped atoms are illuminated by a single laser, with wavenumber k_L , to drive Rydberg excitations.

Each atom's logical $|0\rangle$ state is coupled to the Rydberg state, with a base detuning Δ_0 and a Doppler shift $\delta_D = k_L * p$.



In the 2-atom basis, $|00\rangle$ is light shifted off the entangled bright state:

$$|B\rangle = \frac{1}{\sqrt{2}}(|0r\rangle + |r0\rangle)$$

while the double-Rydberg state is blockaded. The atoms' center-of-mass motion leads to a Doppler shift, while their relative motion couples them to a dark state outside the ideal subspace.

Since the dark state lies outside the subspace of the ideal Hamiltonian, population transfer can be suppressed through adiabatic following. Residual errors from p_{rel} are small. ✓

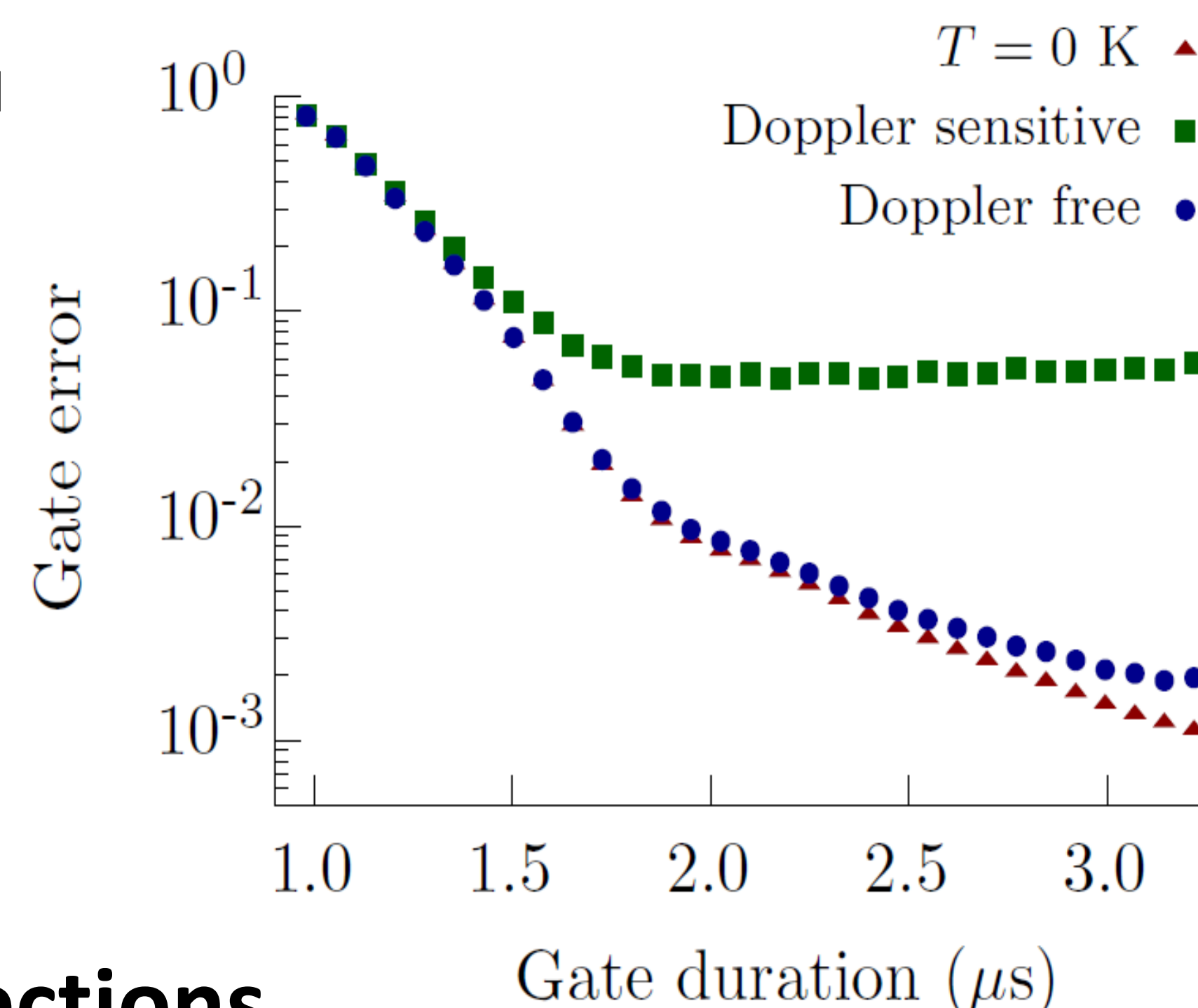
The Doppler shift modifies the Hamiltonian within the ideal subspace, so adiabatic following cannot protect against its effects. Fluctuations in the light shift strength due to center-of-mass motion are a primary error source, even at low temperatures. ✗

In particular, by choosing parameters to generate a total phase of π , we can make a controlled-X gate, which can be turned into a controlled-NOT with only single-atom controls.

$$\int J(t) dt = \pi \rightarrow U_{gate} = |11\rangle\langle 11| + |10\rangle\langle 10| + |01\rangle\langle 01| - |00\rangle\langle 00|$$

Simulated Performance

- Simulated gate fidelities with Rabi rate $\frac{\Omega}{2\pi} = 3$ MHz and dipole interaction strength $\frac{V_{dd}}{2\pi} = 6.4$ MHz, at 16 μ K.
- For gate durations less than ~ 2 μ s, the ramp is too fast to be adiabatic, and both gate designs perform poorly.
- For longer durations, the single-beam design is limited by Doppler noise and bottoms out at $\sim 96\%$ fidelity.
- The Doppler-free design suppresses Doppler noise by more than an order of magnitude; fidelity is now at $\sim 99.8\%$, limited mainly by finite blockade strength.
- These fidelities are close to those from photon scattering alone, which set a fundamental limit on this architecture independent of temperature.



Future Directions

This scheme exploits a two-body instance of the Rydberg blockade, but the blockade can be a many-body effect. With 3 atoms, for instance, the coupled bright state becomes:

$$|B^{(3)}\rangle = \frac{1}{\sqrt{3}}(|r, 0, 0\rangle + |0, r, 0\rangle + |0, 0, r\rangle)$$

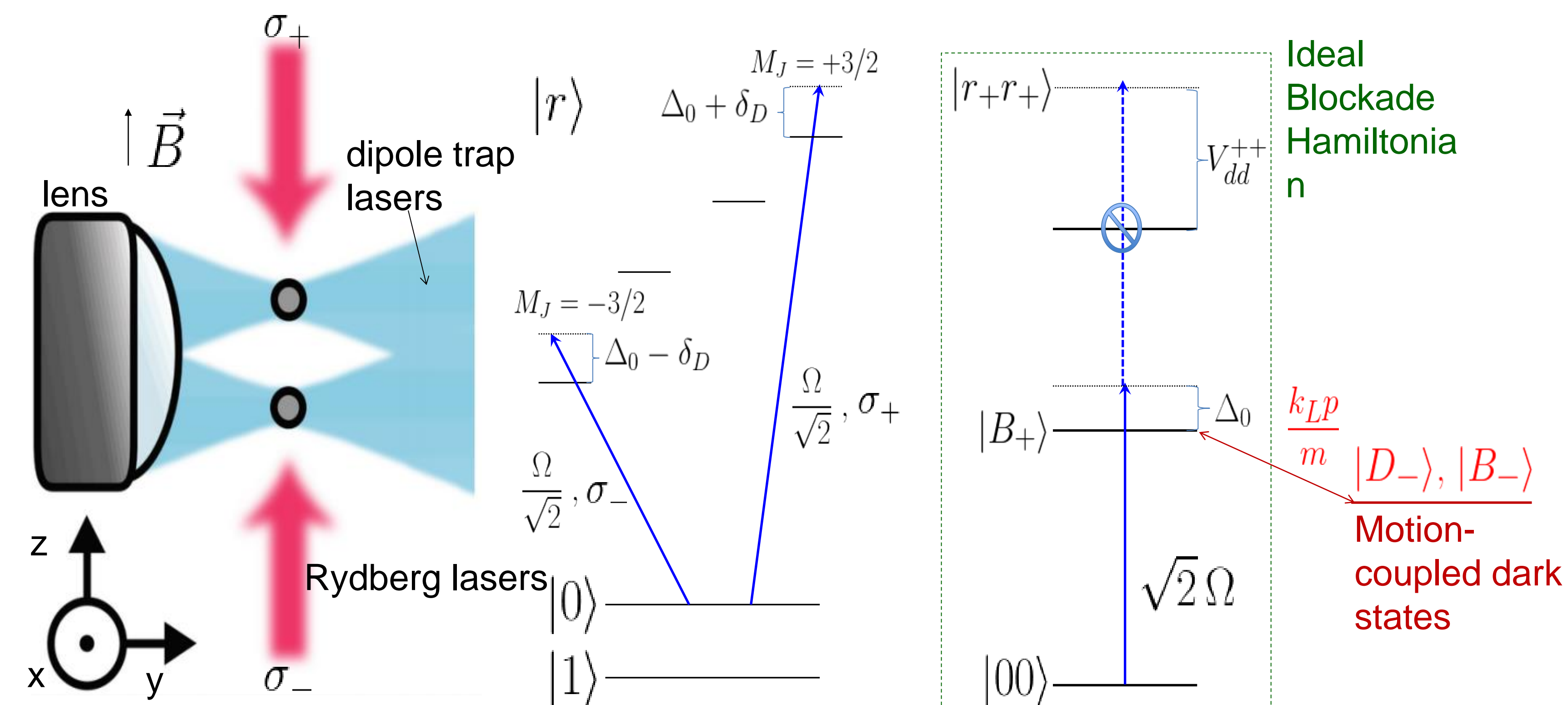
Just as dressing off the 2-atom $|B\rangle$ made something equivalent to a CNOT gate, dressing off $|B^{(3)}\rangle$ could produce a Toffoli gate, and it could do so in just one step.

If each trap site is allowed to hold a small ensemble of N atoms, the blockade will still only allow one Rydberg excitation per ensemble. This means each ensemble can act as a collective qubit, with enhanced coupling to the laser:

$$\Omega_{eff} = \sqrt{N}\Omega$$

A gate with ensemble qubits could be easier to set up and faster than its single-atom counterpart, but statistical variations in N mean the gate must be robust to variations in Ω .

“Doppler-Free” Design



The trapped atoms are illuminated by two counter-propagating lasers, with equal frequencies but opposite circular polarizations.

Each laser couples the atom's $|0\rangle$ state to a different magnetic sublevel of $|r\rangle$. These transitions have equal base detunings but opposite Doppler shifts.

In the 2-atom basis, $|00\rangle$ is coupled to a more complicated bright state, $|B_+\rangle = \frac{1}{2}(|0r_1\rangle + |r_1 0\rangle + |0r_2\rangle + |r_2 0\rangle)$. The opposite Doppler shifts cancel out for this collective state, and all motional error now takes the form of coupling to dark states.

Both relative and center-of-mass motion now couple to states outside the ideal subspace, so adiabatic evolution suppresses both of them. ✓

By evolving sufficiently slowly, motional errors can be reduced by more than an order of magnitude, to the point where photon scattering and imperfect blockade strength become more significant. ✓