

# Aerosol Characterization Study Using Multi-Spectrum Remote Sensing Measurement

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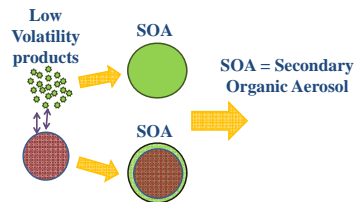
Sandia National Laboratories

Early Career R&D Program

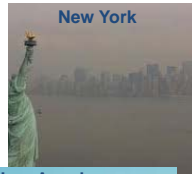
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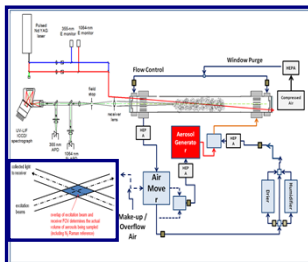
## Problem



- Atmospheric VOC oxidation may lead to nonvolatile and semi-volatile products that may condense onto existing particles or nucleate to form new particles
- Current optical measurement techniques of atmospheric particulates only involves determining size distribution and conc.
- There is an experimental gap in determining particle type and chemical composition remotely
- Also a need to measure particle specific scattering cross-sections for climate calculations



## Approach



- Laboratory based short-standoff bistatic Lidar system.
- Facilitates isolated study of aerosols with control of particle size distribution and particle concentrations.
- The bistatic configuration naturally defines a limited region in space where the laser beams and the receiver field-of-view overlap.
- The limited 2° crossing angle is similar to the direct backscatter angle used in Lidar measurements which allows for a direct comparison between laboratory and field measurements

## Results

$$S'_{Raman} = \epsilon_L C_{RCCD} \frac{d\sigma}{d\Omega_{Raman}} N_{N_2}$$

LIDAR equation for N<sub>2</sub> Raman signal

$$S'_{1064\ back} = \epsilon_L C_{1064\ back} \frac{d\sigma}{d\Omega_{1064\ back}} N_{total}$$

LIDAR equation for 1064 nm signal

$$\frac{d\sigma}{d\Omega_{1064\ back}} = \frac{S'_{1064\ back} \epsilon_{L,1064} C_{LCCD}}{S'_{N_2\ Raman} \epsilon_{L,N_2\ Raman} C_{1064\ back} \frac{d\sigma}{d\Omega_{N_2\ Raman}} \frac{N_{N_2}}{N_{total}}}$$

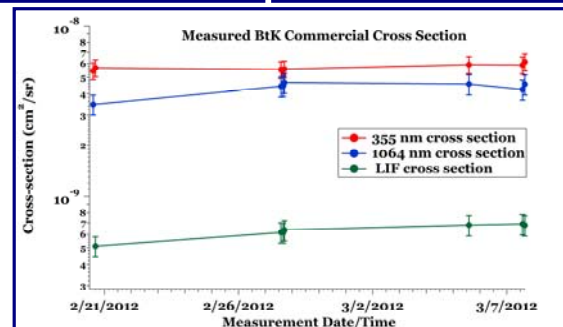
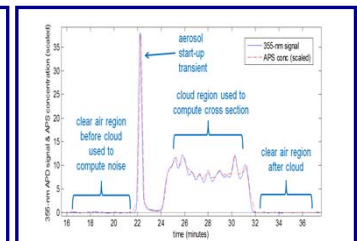
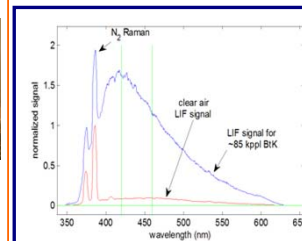
ratio of the above equations rearranged to solve for the 1064-nm elastic backscatter cross section

$$\frac{d\sigma}{d\Omega_{355\ back}} = \frac{S'_{355\ back} C_{RCCD}}{S'_{N_2\ Raman} C_{355\ back} \frac{d\sigma}{d\Omega_{N_2\ Raman}} \frac{N_{N_2}}{N_{total}}}$$

likewise for the 355-nm elastic backscatter cross section

$$\frac{d\sigma}{d\Omega_{LIF}} = \frac{S'_{LIF} C_{RCCD}}{S'_{N_2\ Raman} C_{LIF} \frac{d\sigma}{d\Omega_{N_2\ Raman}} \frac{N_{N_2}}{N_{total}}}$$

likewise for 355-nm-excited spectrally resolved laser induced fluorescence cross section



**Repeat trials show excellent reproducibility over days and weeks!**

**\*\*System is being upgraded to provide depolarization measurements, and atmospheric particulates including Ammonium Sulfate, Soot, and Mixed organics will be optically measured for discrimination capability\*\***

## Significance

Results from this study can be applied to ambient Lidar efforts for tracking and understanding the atmospheric aerosol population. Applications include monitoring influences from climate change, understanding bioaerosol (and chemical) detection in an urban atmosphere, developing methods of early detection for nuclear particles released in the atmosphere under various background aerosol concentrations and chemical composition.

$$S' = \frac{S}{E_L} = \frac{A}{R^2} T(\lambda_{laser}) T(\lambda_{signal}) \epsilon_{laser} \epsilon_{signal} \Delta L \frac{d\sigma}{d\Omega} N_{total}$$

laser-energy normalized signal, receiver solid angle, atmospheric transmission, transmitter efficiency (window loss), receiver efficiency (including electronic gain), effective length of cloud, scattering cross section, aerosol number density

$$S' = \epsilon_{laser} C \frac{d\sigma}{d\Omega} N_{total} \quad \text{where} \quad C = \frac{A}{R^2} \Delta L \epsilon_{signal}$$

overall detector calibration factor that accounts for detector gain, optical collection efficiency, and effective cloud length  
this calibration factor is directly measured during hard-target calibration

$$S'_{HT} = \epsilon_{laser} \frac{A}{R^2} \epsilon_{signal} \rho^* \quad \text{where} \quad \rho^* = \frac{\rho}{\pi}$$

signal from spectral target at a single range, R replaces  $\frac{d\sigma}{d\Omega} N_{total}$  in the aerosol form of the LIDAR equation

$$C = \sum_i \epsilon_{signal} \frac{A}{R^2} \rho^* \Delta z$$

the overall calibration factor for a given detector is equal to the integral of its response to the hard target vs. range