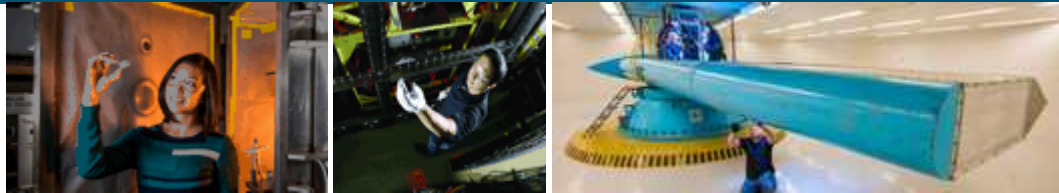
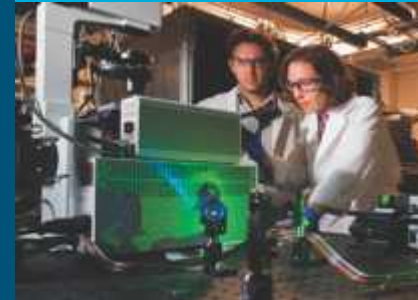


First-principles Stopping Power in Warm Dense Matter



PRESENTED BY

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APS March Meeting, Los Angeles

March 9, 2018

Session Y38: Materials in Extremes: Warm Dense Matter



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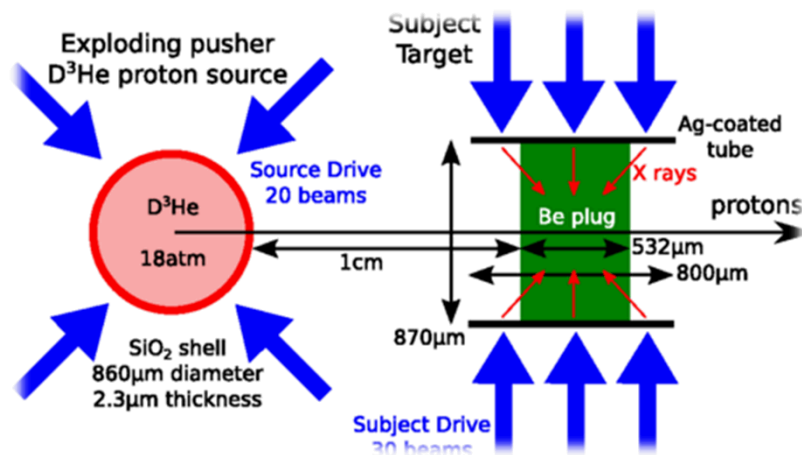
Electronic Stopping in Warm Dense Targets

Stopping mechanisms

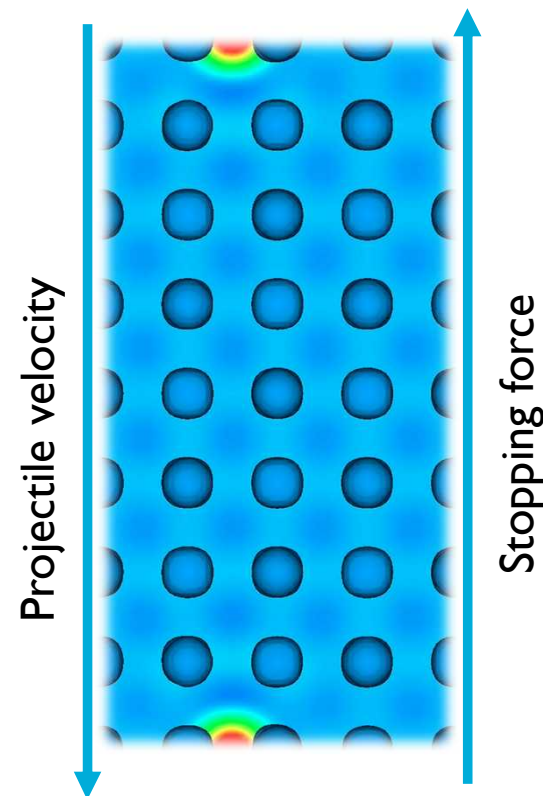
- Nuclear stopping (lattice vibrations)
- Electronic stopping (electronic excitations, quantum effects)

Large body of literature for cold targets

- Empirical approximations (*Rutherford, Thomson, Bohr, Bethe*)
- Parameter-free atomistic simulations
- Electronic structure coupled to molecular dynamics
- Cold stopping power (*Echenique, Correa, Artacho, Schleife*)



Zylstra et al., Phys. Rev. Lett. **114**, 215002 (2015).



$$\frac{\partial E}{\partial s} = \frac{1}{v} \frac{\partial}{\partial t} \left\langle \frac{\mathbf{P}^2}{2M} \right\rangle$$

Sandia implementation of TDDFT-Ehrenfest MD in VASP

- Andrew D. Baczewski et al., PRL **116**, 115004 (2016)
- Plane wave basis
- Projector-augmented wave (PAW) formalism
- Crank-Nicolson time integration (unitary)
- Generalized minimal residual method

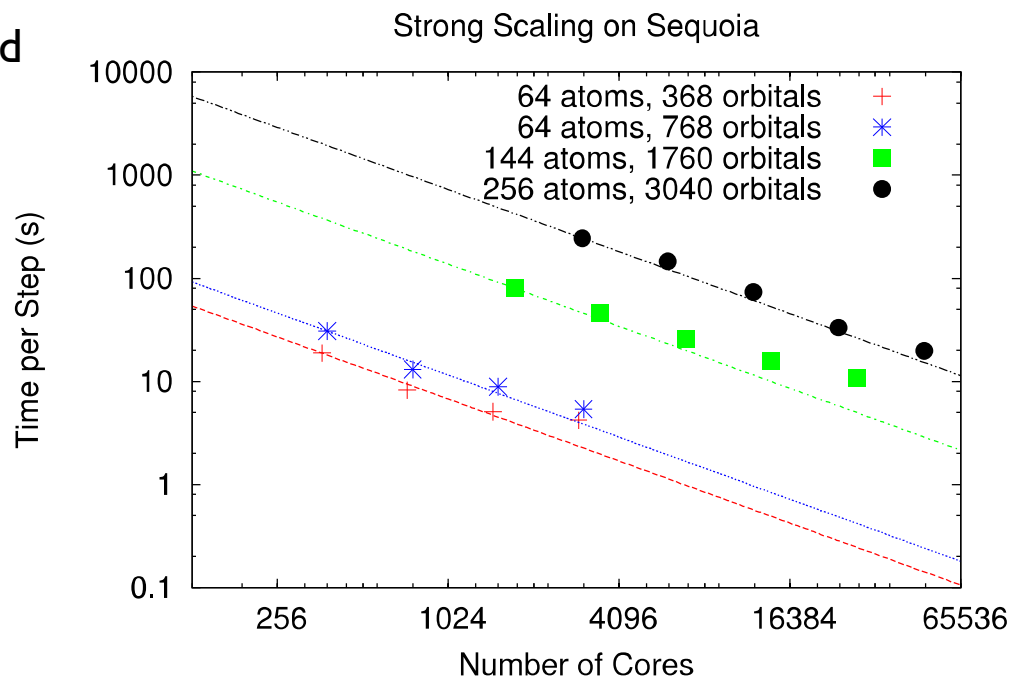
Scales well on DOE machines

- Typically 100s of cores, a few hours
- No “free” parameters
 - takes mass density
 - # of electrons
 - exchange-correlation functional

$$i \frac{\partial}{\partial t} \phi_i(\mathbf{r}, t) = \left\{ -\frac{1}{2} \nabla^2 + v_s(\mathbf{r}, t) \right\} \phi_i(\mathbf{r}, t)$$

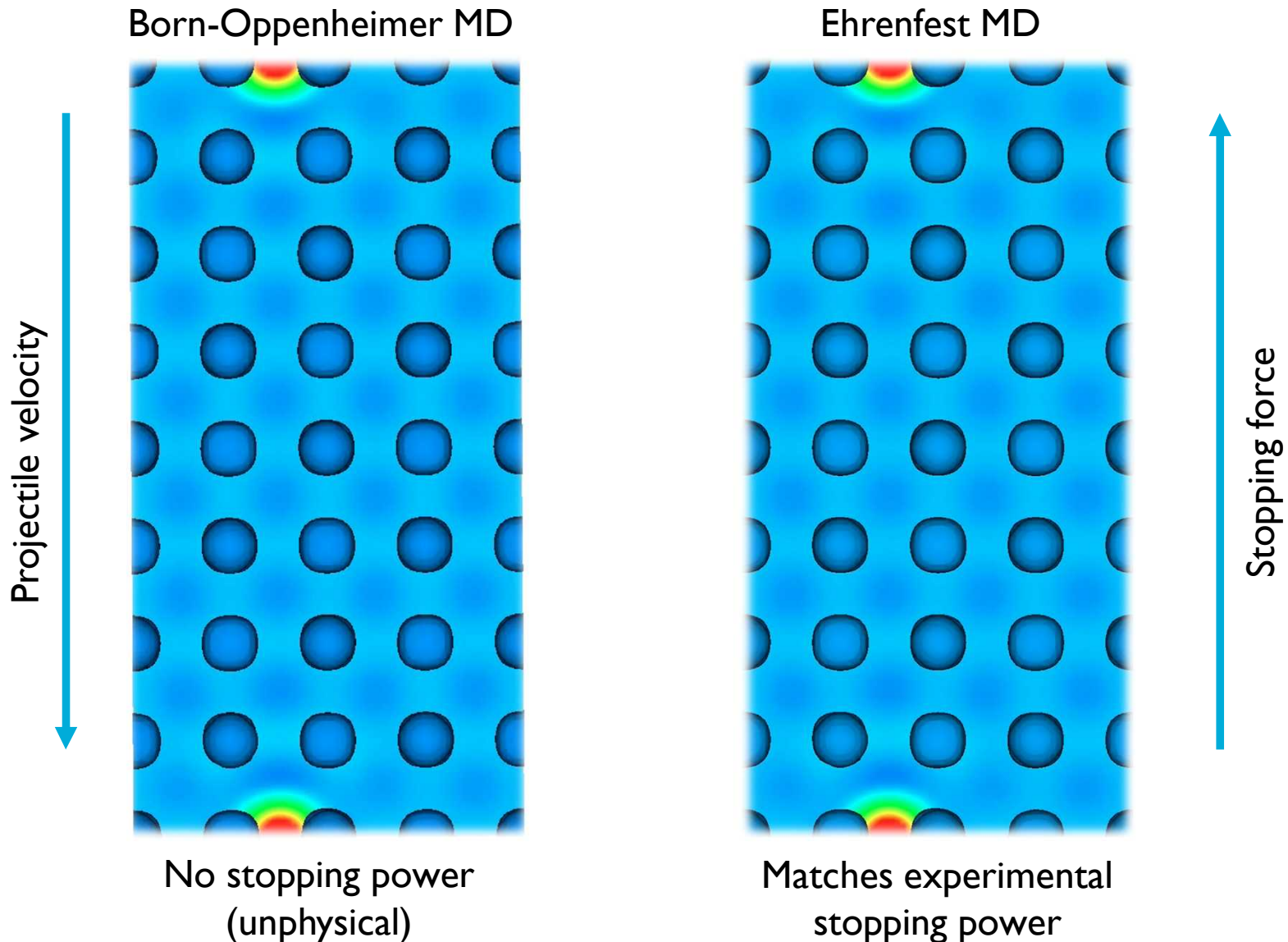
$$M_\alpha \frac{\partial^2 \mathbf{R}_\alpha}{\partial t^2} = -\nabla_{R_\alpha} E[R_\alpha, n(\mathbf{r}, t)]$$

$$\vec{F}_\alpha = \sum_{nqq'} f_n \mathbf{C}_{nq'}^*(t) [\nabla_{R_\alpha} \mathbf{H}_S - \epsilon_n \mathbf{S}] \mathbf{C}_{nq}(t)$$



Born-Oppenheimer Fails: Importance of Non-Adiabatic Effects

Hydroge moving through cold, bulk aluminum in a channeling trajectory

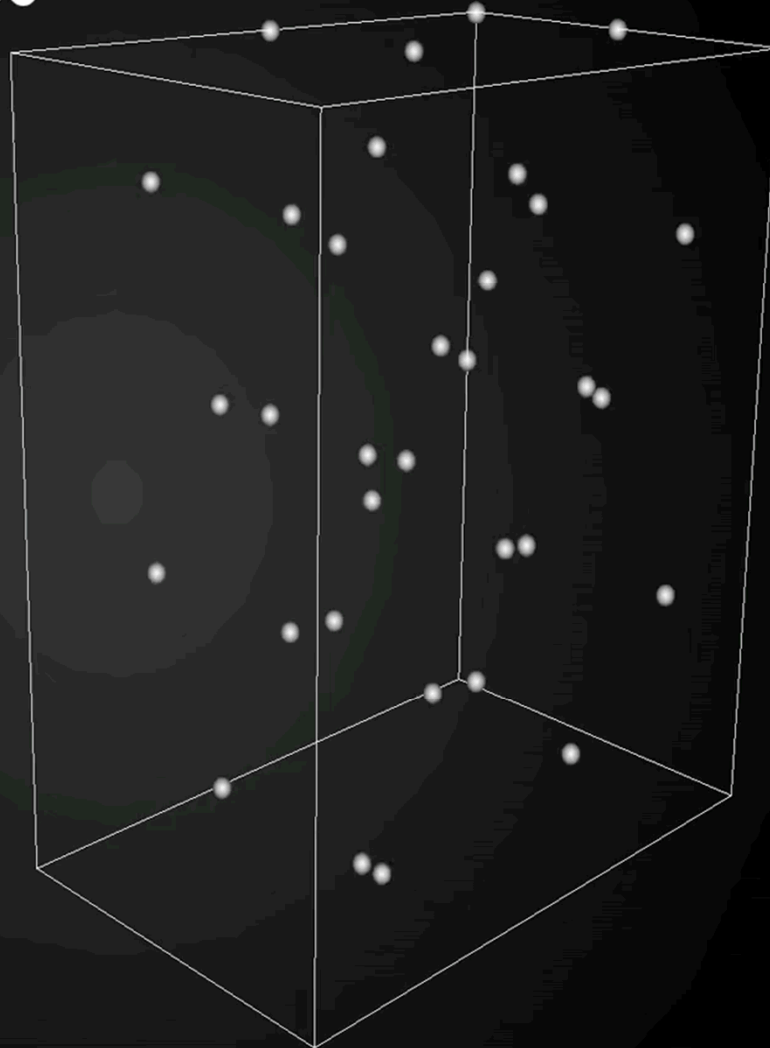


Stopping power in cold Be

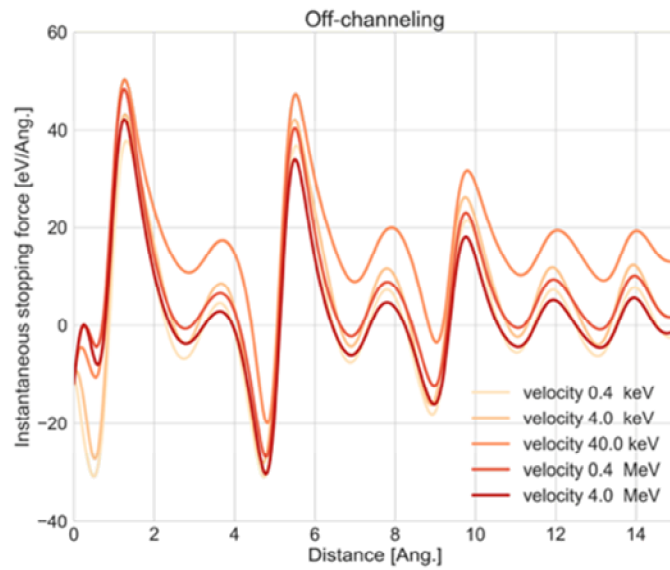
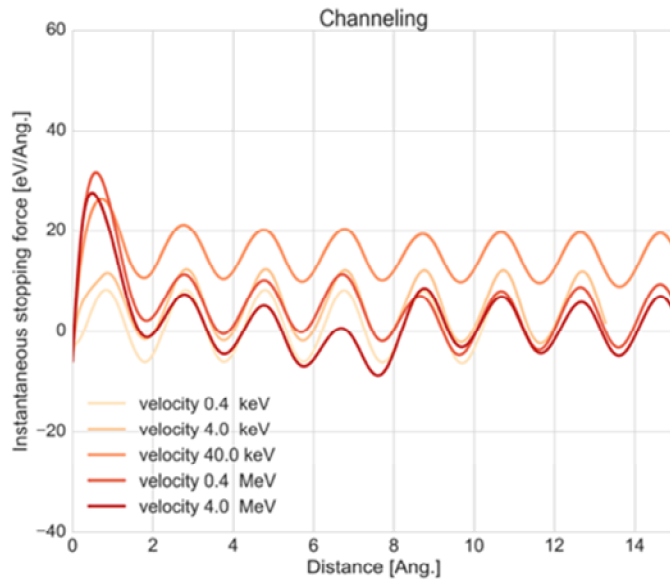
Hydrogen projectile
 $v = 40.0 \text{ keV (27.7 \text{ Angstrom/fs})}$

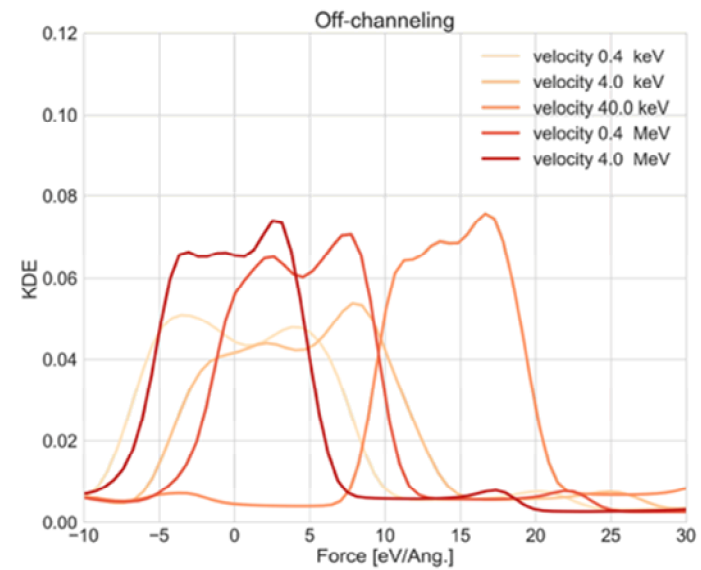
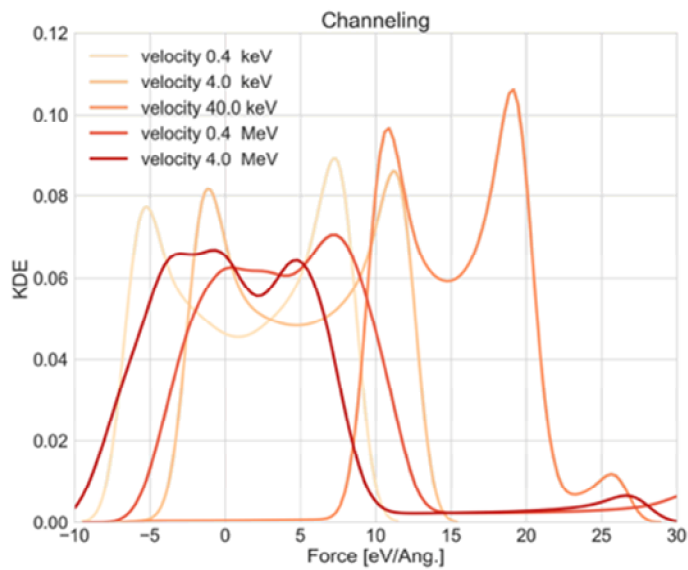
Time step: 0.13 as

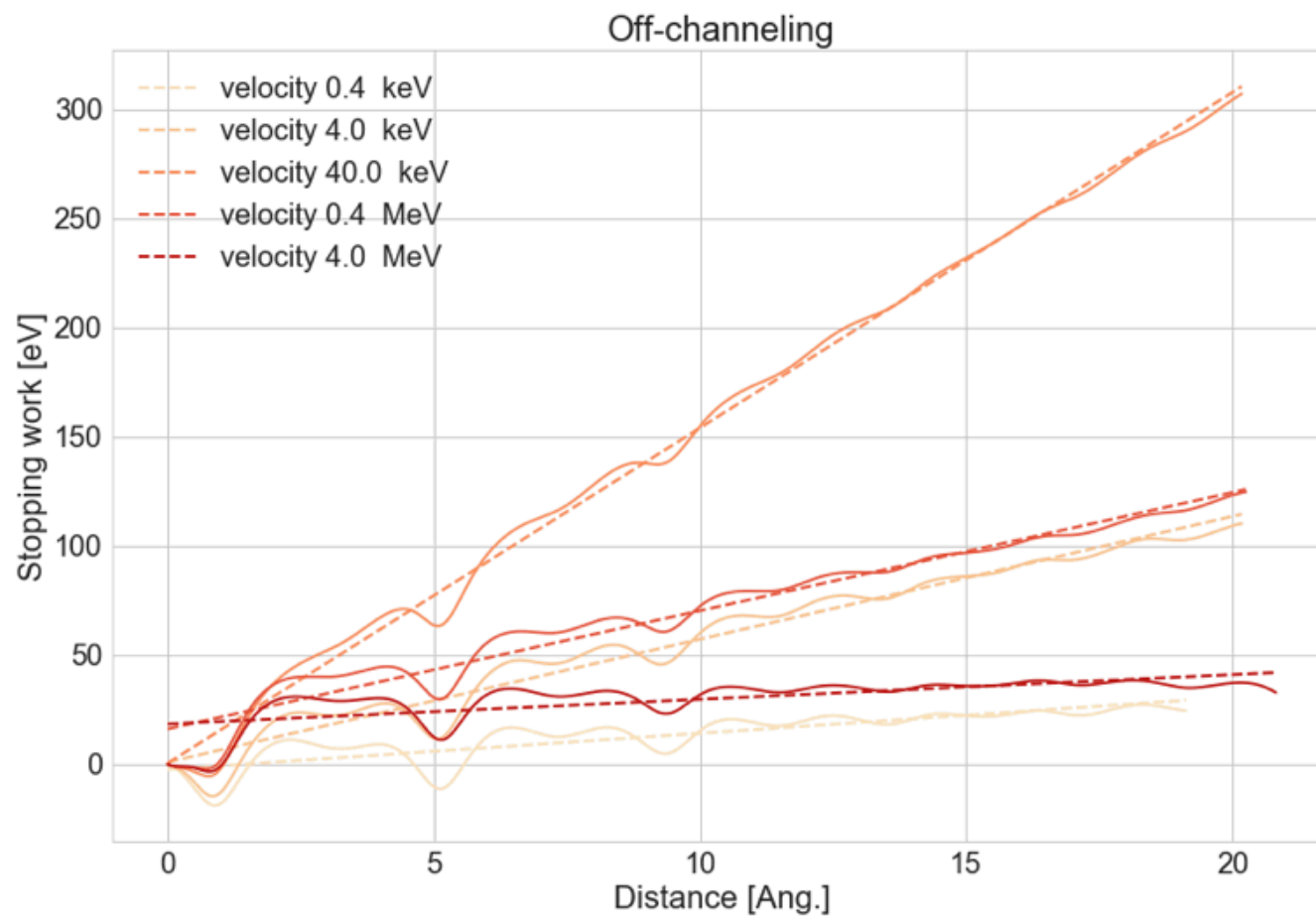
Total simulation time: 730 as



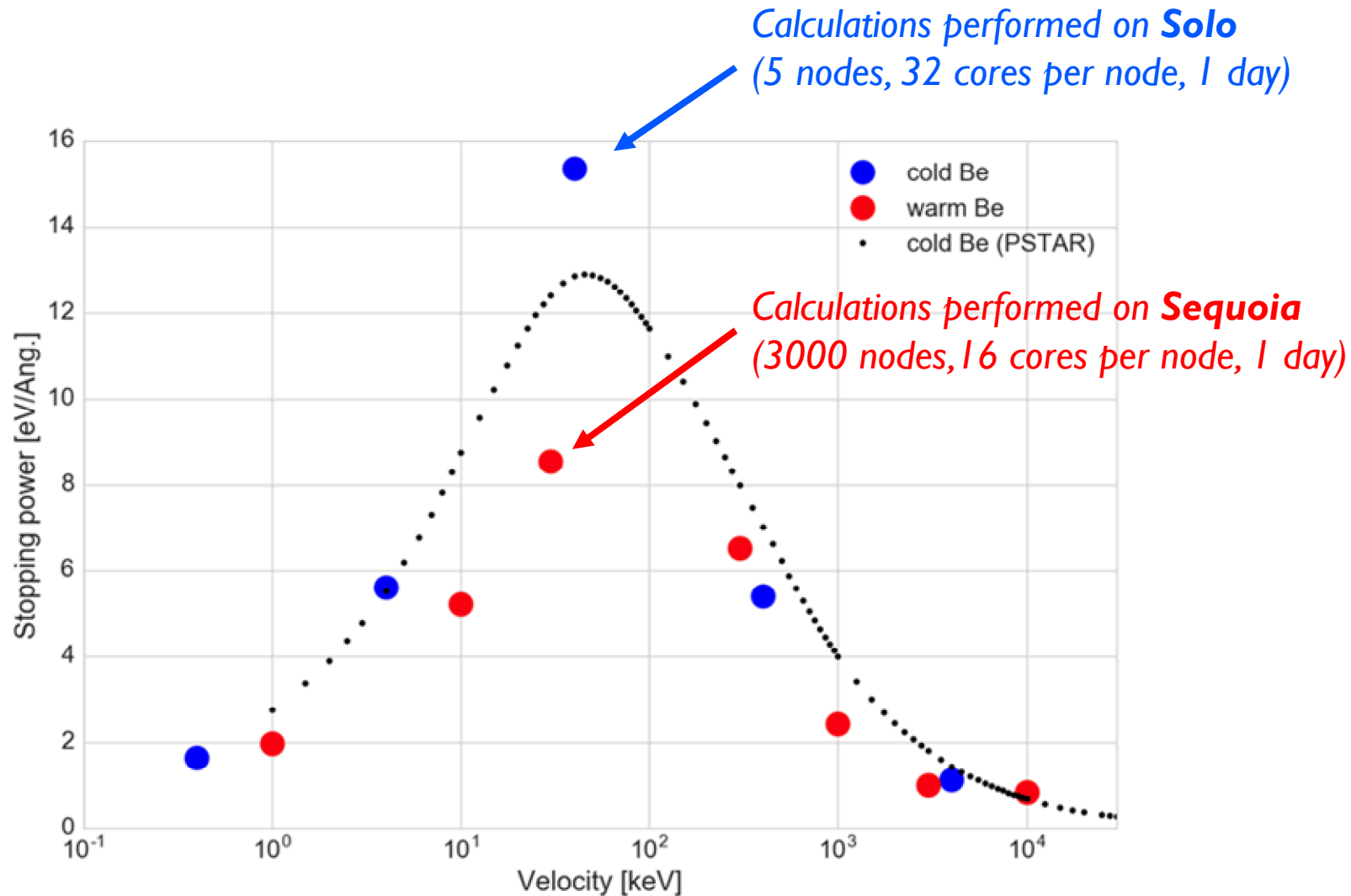
6 Electronic Stopping Force







9 Electronic Stopping Power



First-principle stopping power calculations help constrain experiments and lower level methods (empirical formulas).

Capability to improve databases of stopping curves for a wide range of warm dense targets

- Mixtures of target materials
- Different types of projectiles
- Collect statistical data

Future developments

- **Computational efficiency**
 - Stopping power from TDDFT on average-atom models
- Accuracy
 - More accurate inclusion of non-adiabatic effects from exact factorization method
 - Methods beyond TDDFT (non-equilibrium many-body perturbation theory)