

# National Infrastructure Simulation and Analysis Center (NISAC)

American Fuel & Petrochemical Manufacturers Visit  
November 14, 2017



Sandia National Laboratories is a multimission laboratory managed and operated by National Technology and Engineering Solutions of Sandia, LLC, a wholly owned subsidiary of Honeywell International, Inc., for the U.S. Department of Energy's National Nuclear Security Administration under contract DE-NA0003525.

# NISAC History

- The National Infrastructure Simulation and Analysis Center (NISAC) is
  - A program of the DHS Office of Cyber Infrastructure Analysis (OCIA)
  - Established under The USA PATRIOT Act of 2001
  - A collaboration between national laboratories
    - Sandia National Laboratories
    - Los Alamos National Laboratory
    - Pacific Northwest Laboratory (added in 2015)

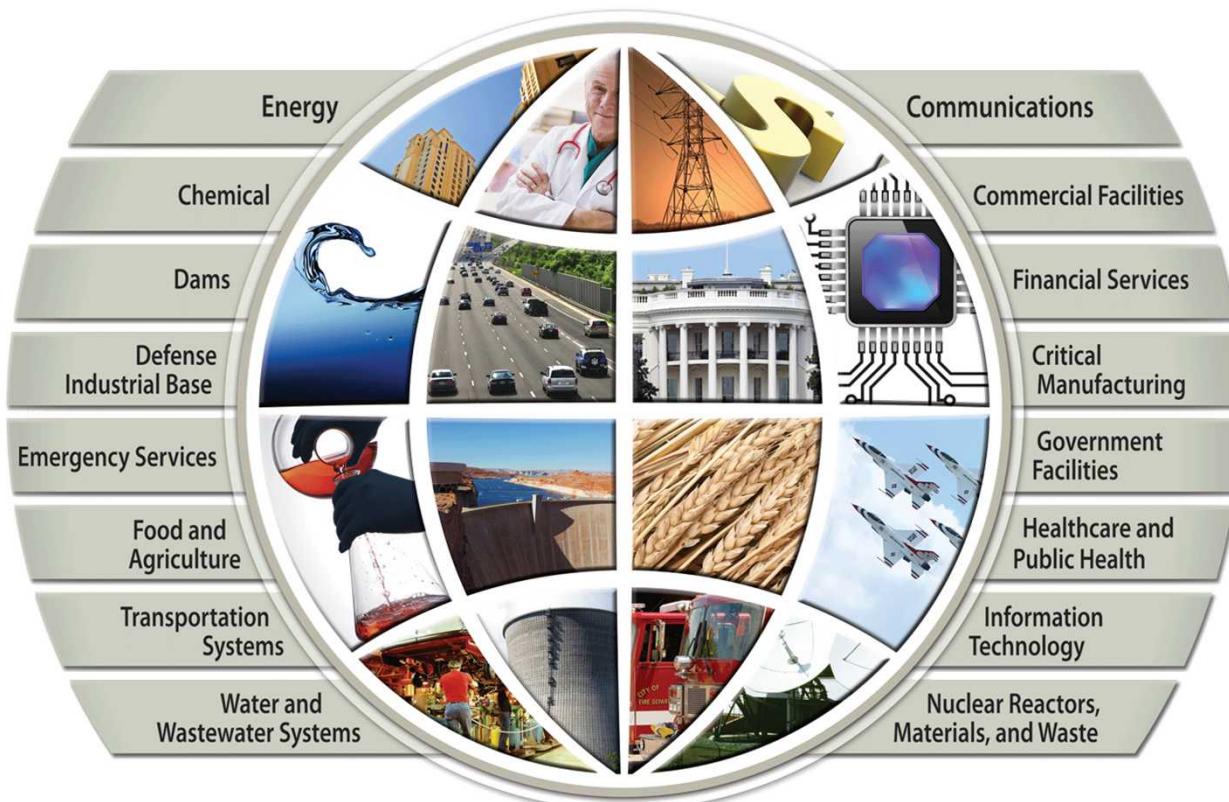


# NISAC Modeling and Analysis Goals

Provide fundamentally new modeling and simulation capabilities for the analysis of critical infrastructures, their interdependencies, vulnerabilities, and complexities

Aiding decision makers with

- policy assessment
- mitigation planning
- education & training
- near real-time assistance to crisis response organizations



# RESILIENT INFRASTRUCTURE ANALYSIS

# Resilience Science at Sandia

## Presidential Policy Directive 21:

The term "resilience" means the ability to **prepare for** and **adapt** to changing conditions and **withstand** and **recover** rapidly from disruptions. Resilience includes the ability to withstand and recover from deliberate attacks, accidents, or naturally occurring threats or incidents.

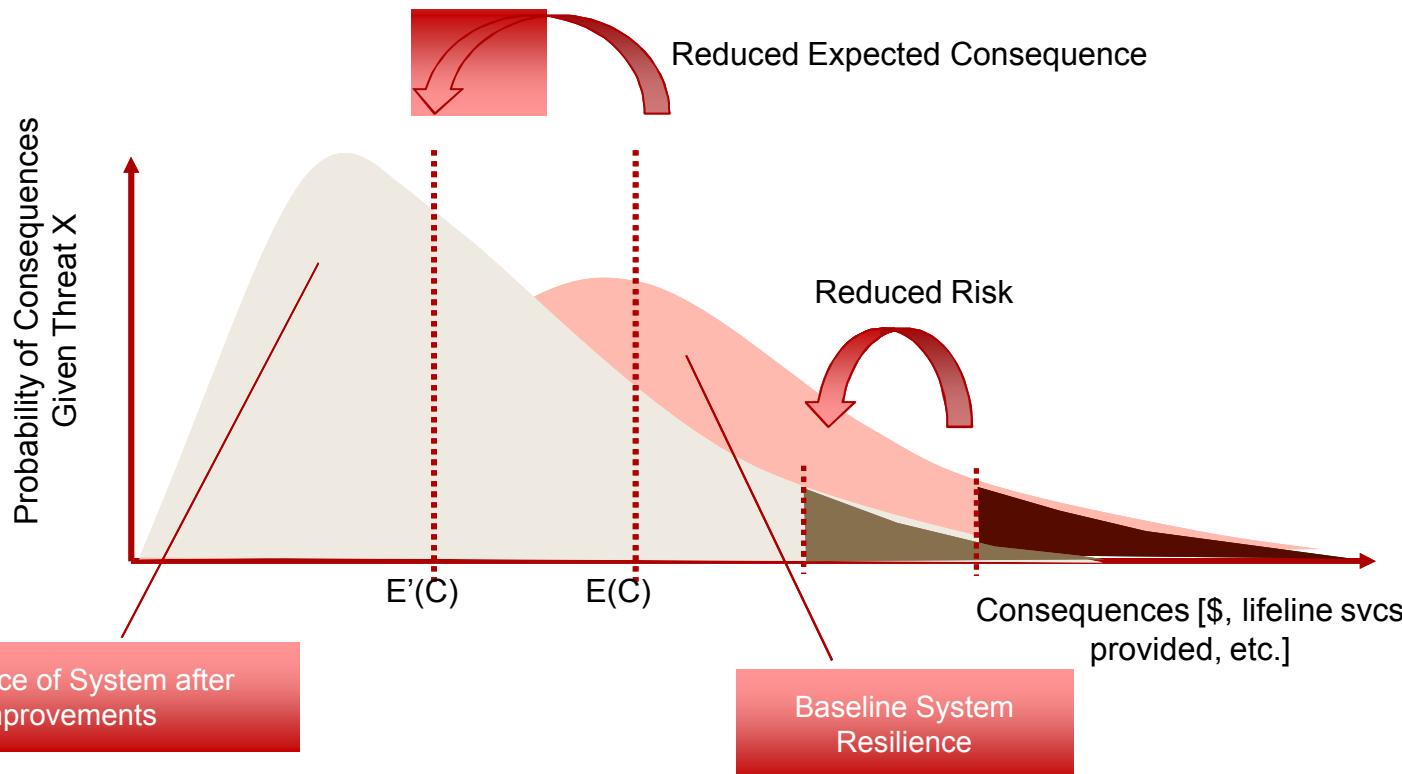
## Disaster Resilience A National Imperative, National Academy of Sciences:

"without some numerical basis for assessing resilience, it would be impossible to monitor changes or show that community resilience has improved. At present, no consistent basis for such measurement exists..."

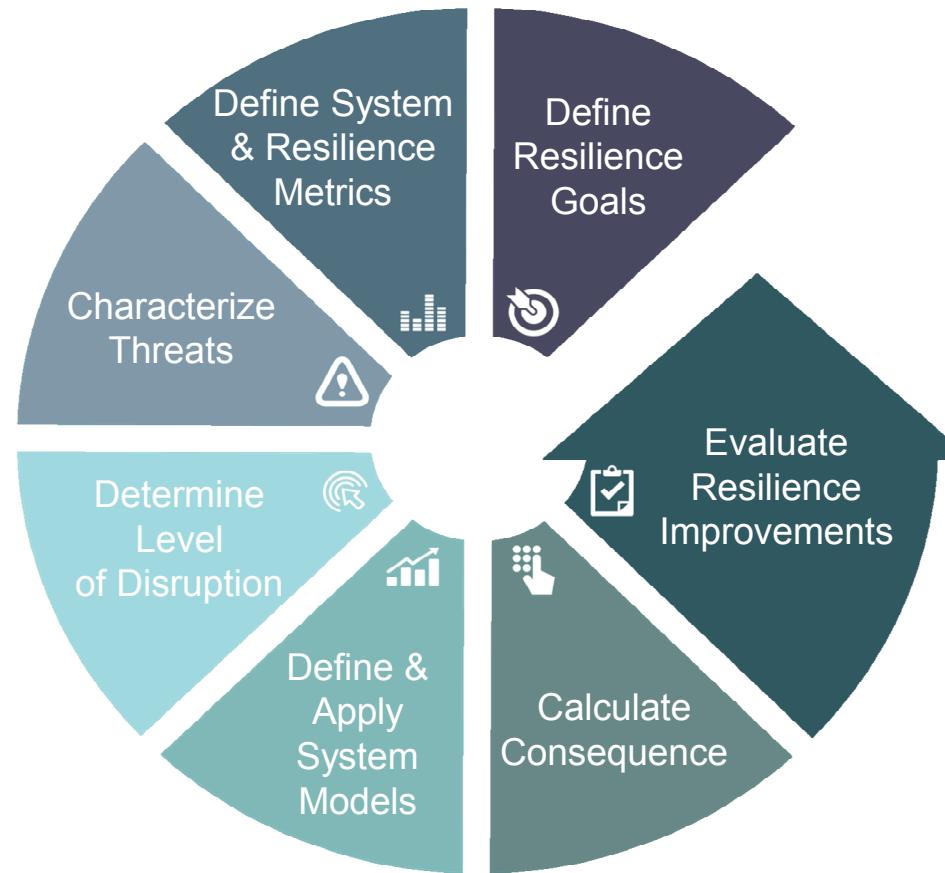
$$SI = \int_{t0}^{tf} [TSP(t) - SP(t)] dt. \quad TRE = \int_{t0}^{tf} [RE(t)] dt.$$

# Resilience Quantification Incorporating Uncertainty

The following framework was developed for the Quadrennial Energy Review and supports decision making to obtain demonstrable resilience improvements



# Resilience Analysis



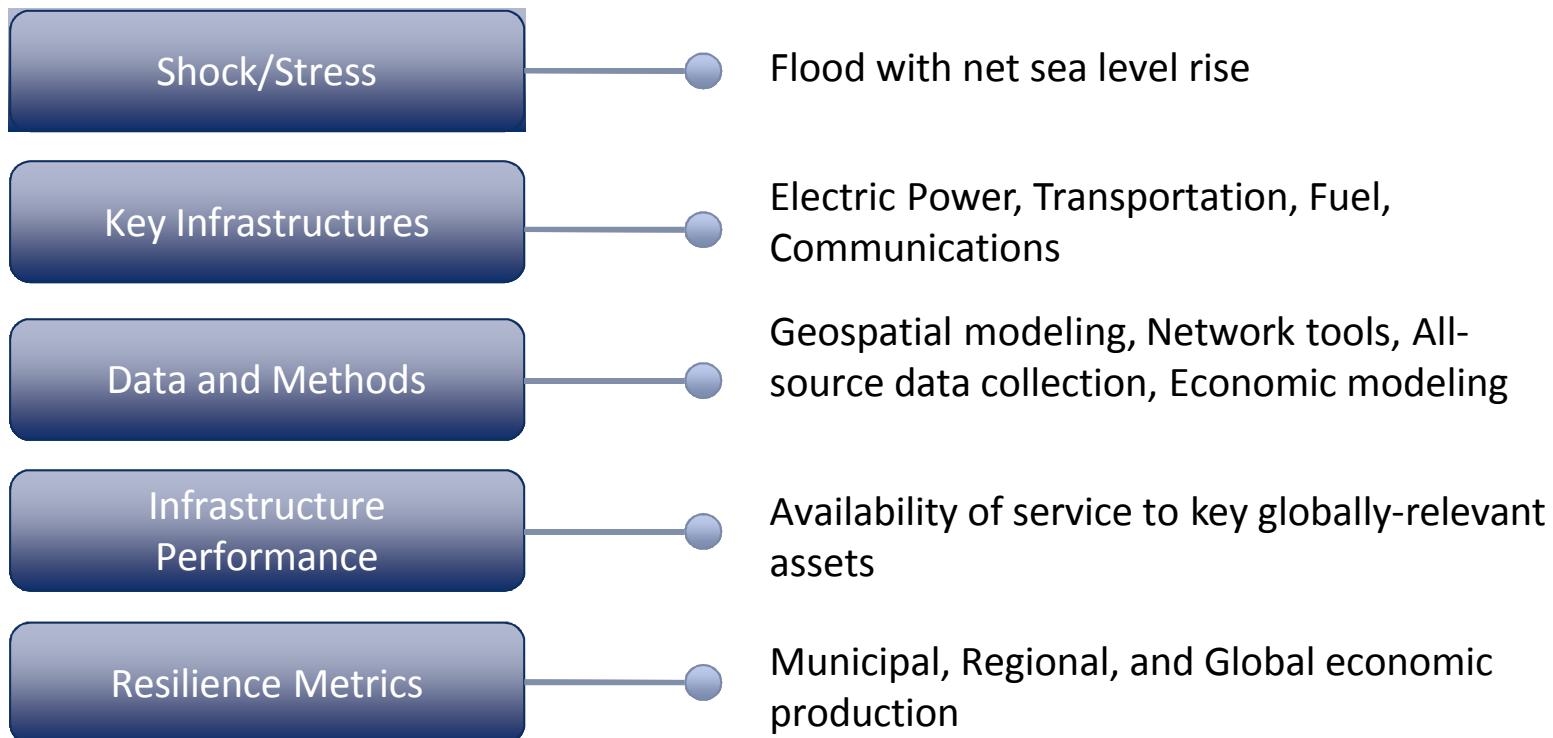
With stakeholders at the core, Sandia is using a multidisciplinary, science-based approach to quantify and improve resilience across infrastructures.

Case Study

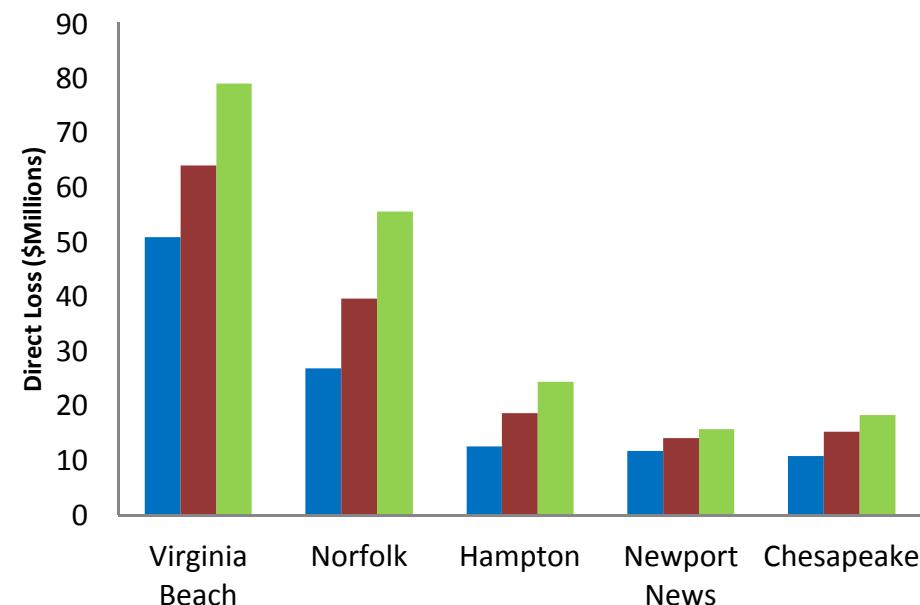
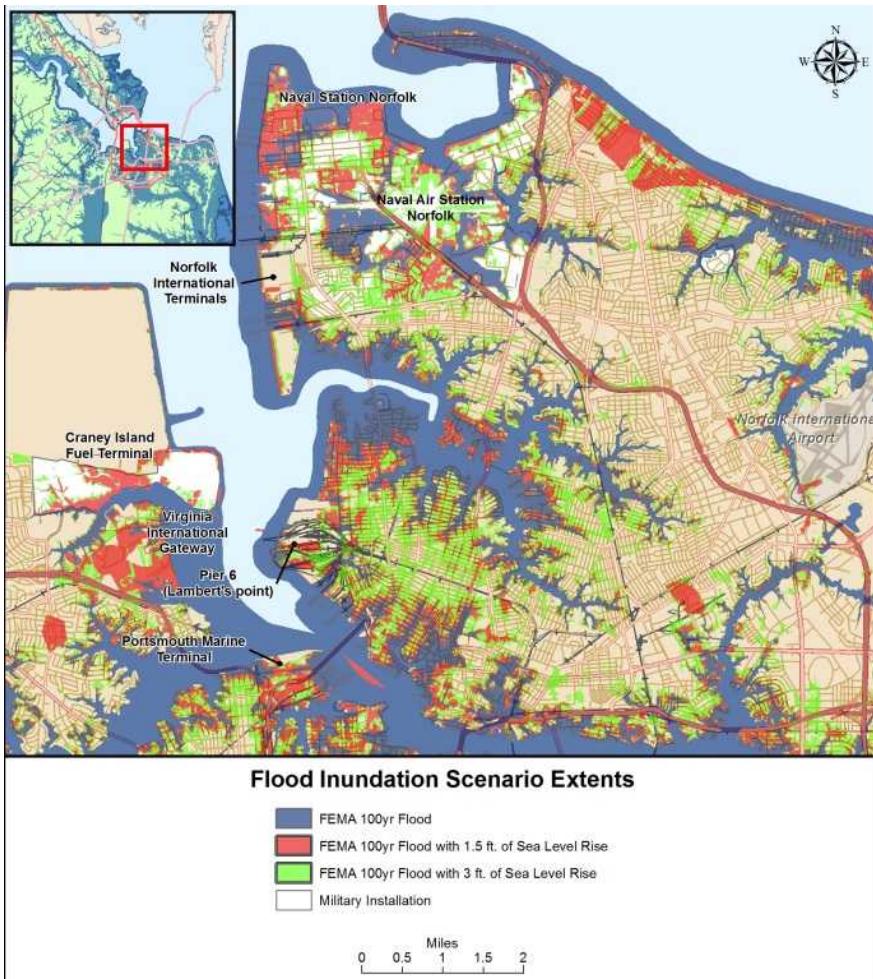
# **NORFOLK, VA**

# Case Study: Norfolk, VA

- What will the flood of the future look like in Norfolk?
- When Norfolk floods, who feels it?



# Case Study: Norfolk, VA



**Summary of four day direct and indirect losses for three flooding scenarios**

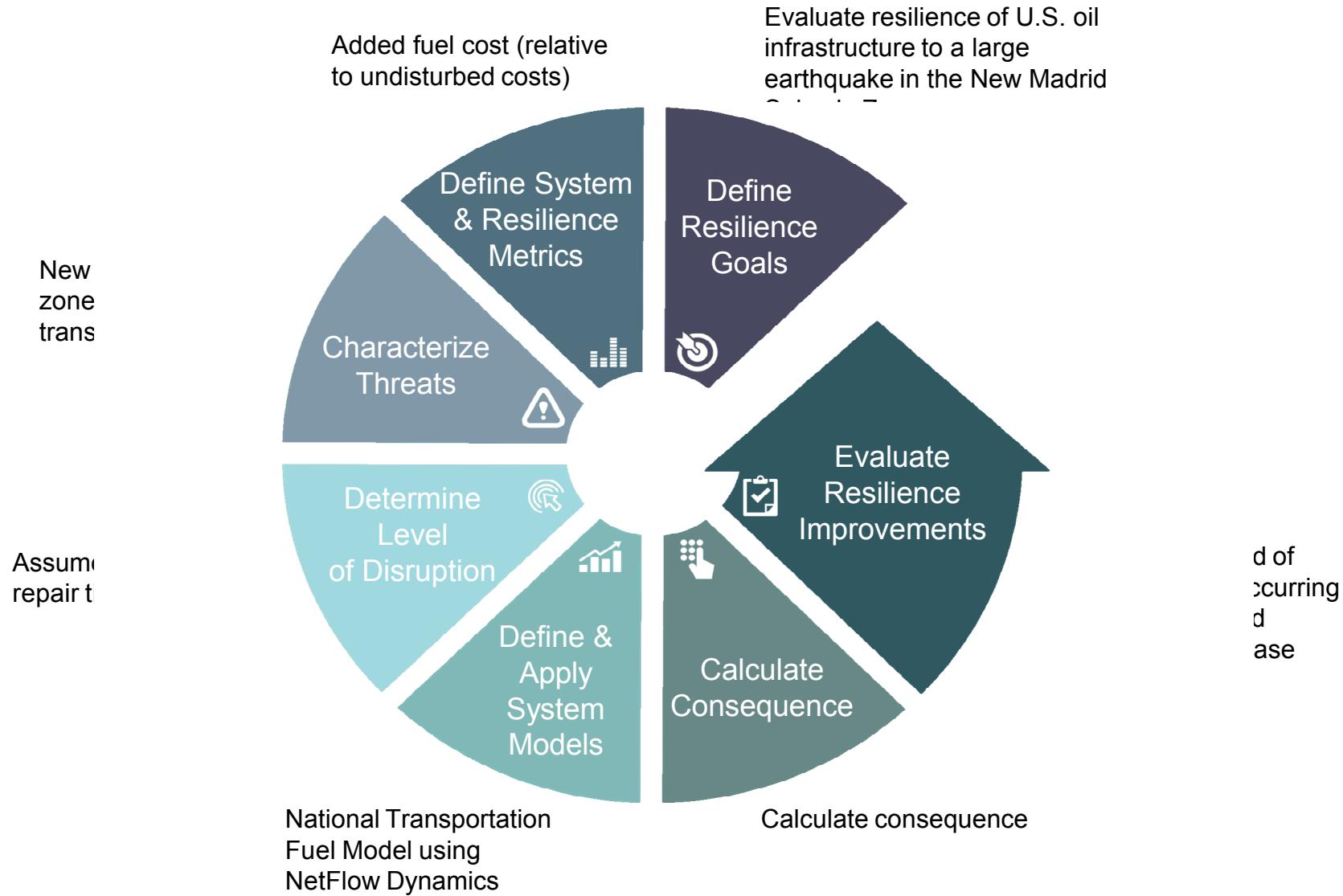
	100yr+0ft	100yr+1.5ft	100yr+3.0ft
Annual Direct Losses	\$135 M	\$182 M	\$231 M
Annual Indirect Losses	\$219 M	\$296 M	\$375 M
<b>Total</b>	<b>\$354 M</b>	<b>\$478 M</b>	<b>\$606 M</b>

Sandia quantified the economic consequences of increased flooding due to net sea level rise for Norfolk, VA.

Case Study

# RESILIENCE OF U.S. OIL INFRASTRUCTURE

# Resilience of U.S. Oil Infrastructure



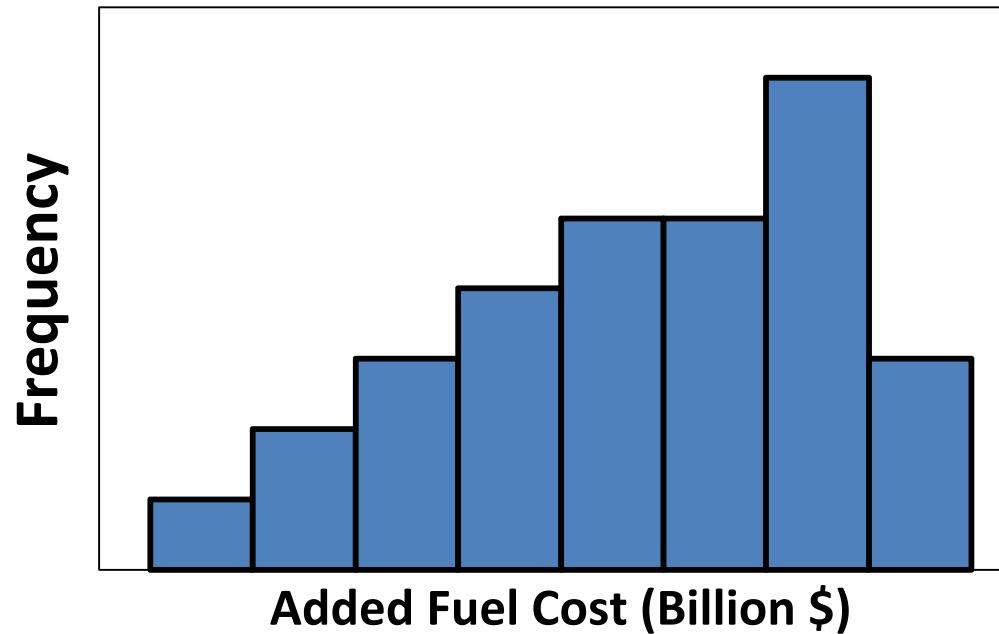


# Define Resilience Goals

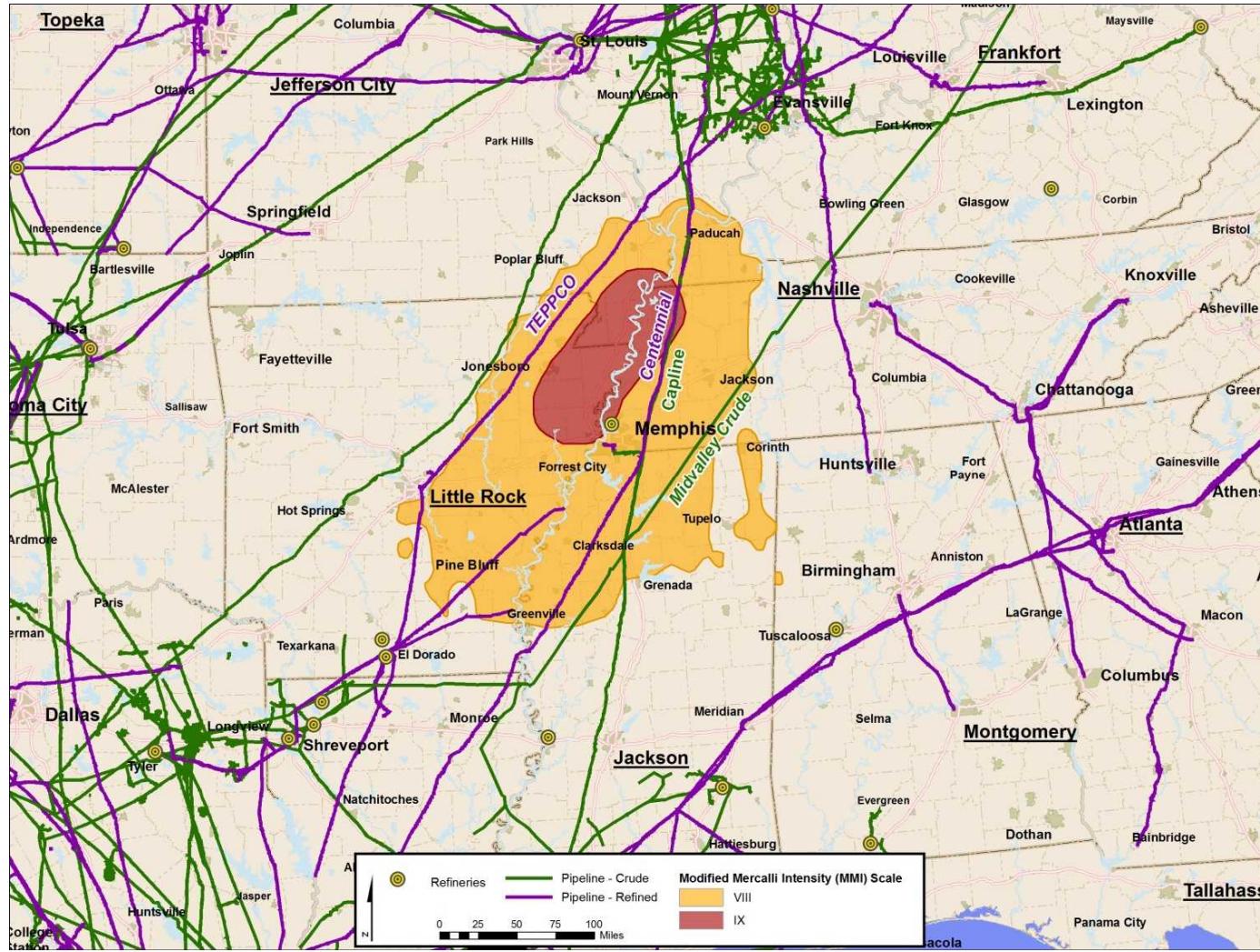
- Evaluate the resilience of U.S. oil infrastructure to a large earthquake in the New Madrid Seismic Zone
- Demonstrate use of the process to:
  - Identify potential actions to increase resiliency
  - Measure the increase in resilience due to implementing these options
- Specifically, we will calculate the increase in resilience gained by re-engineering two major pipelines to decrease down time after a New Madrid earthquake

# Define a Resilience Metric

- Added fuel cost to consumers (relative to undisturbed costs)
  - Amount of fuel consumed decreases, but fuel prices increase

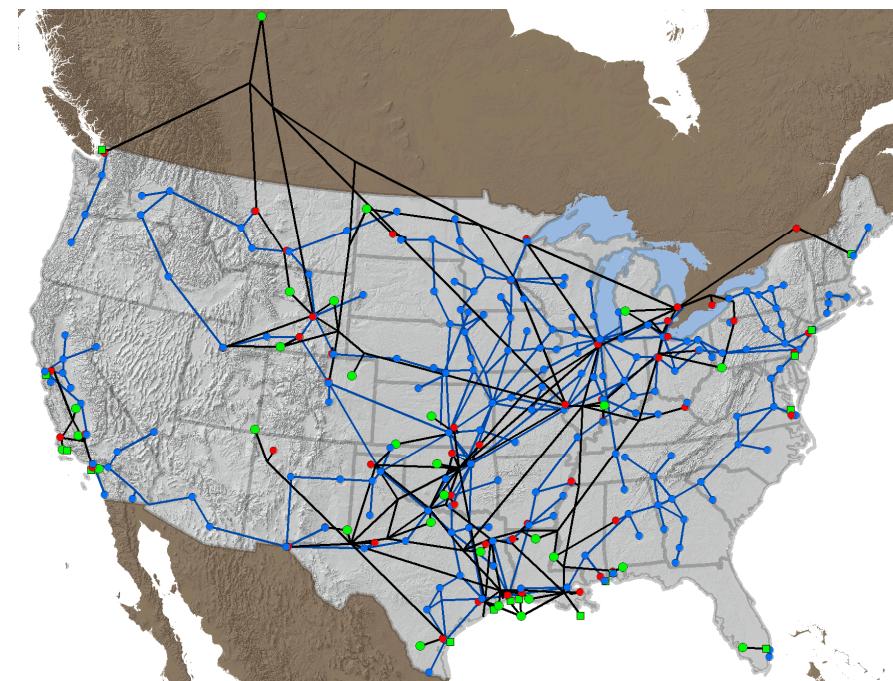


# Four Transmission Pipelines could be Damaged by a New Madrid Earthquake



# National Transportation Fuel Model

- Designed to answer questions of the form:
  - Which regions of the United States would experience **shortages** of transportation fuel after a specified disruption to one or more components of the fuel infrastructure?
  - What would be the **duration** and **magnitude** of the shortages?

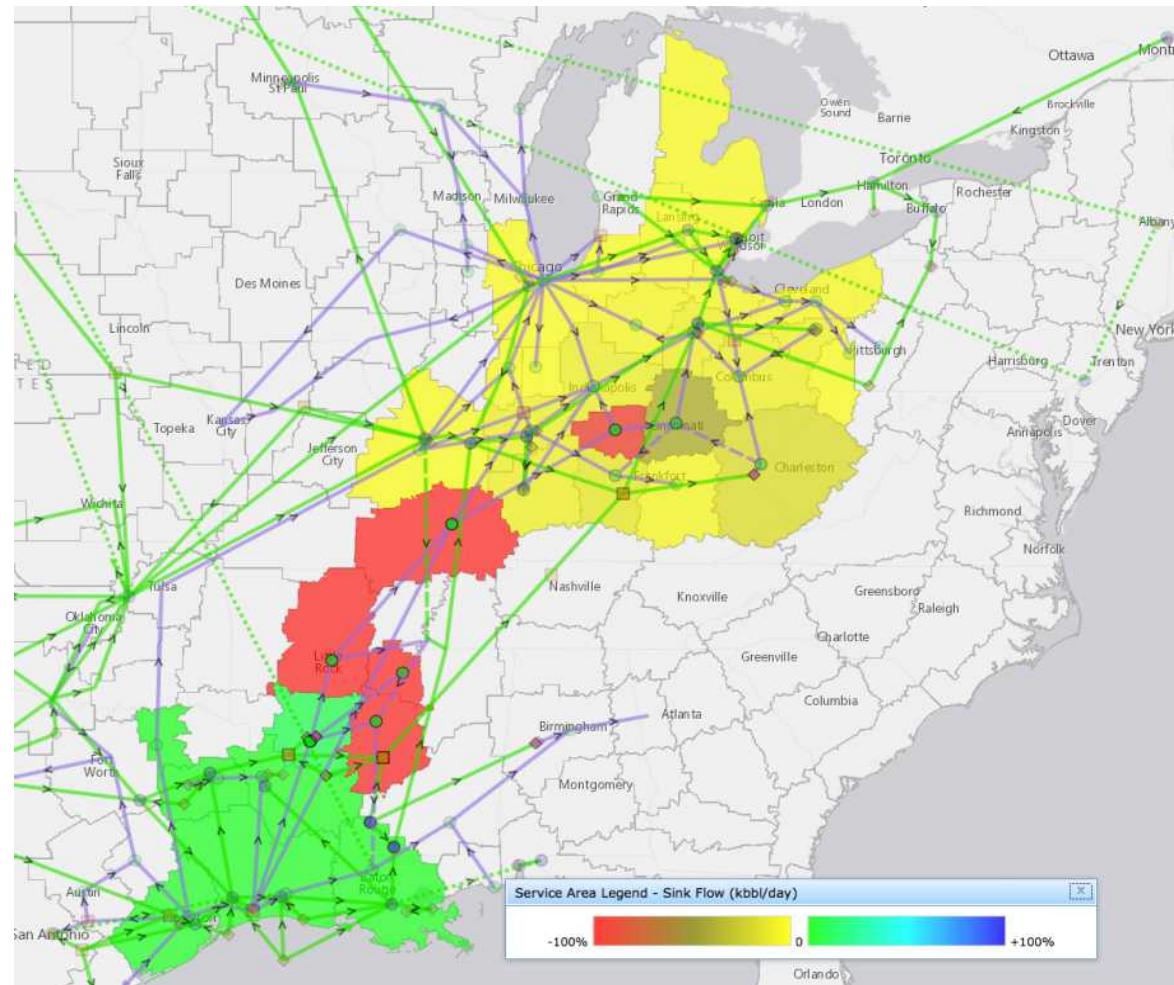


# Network Model Description

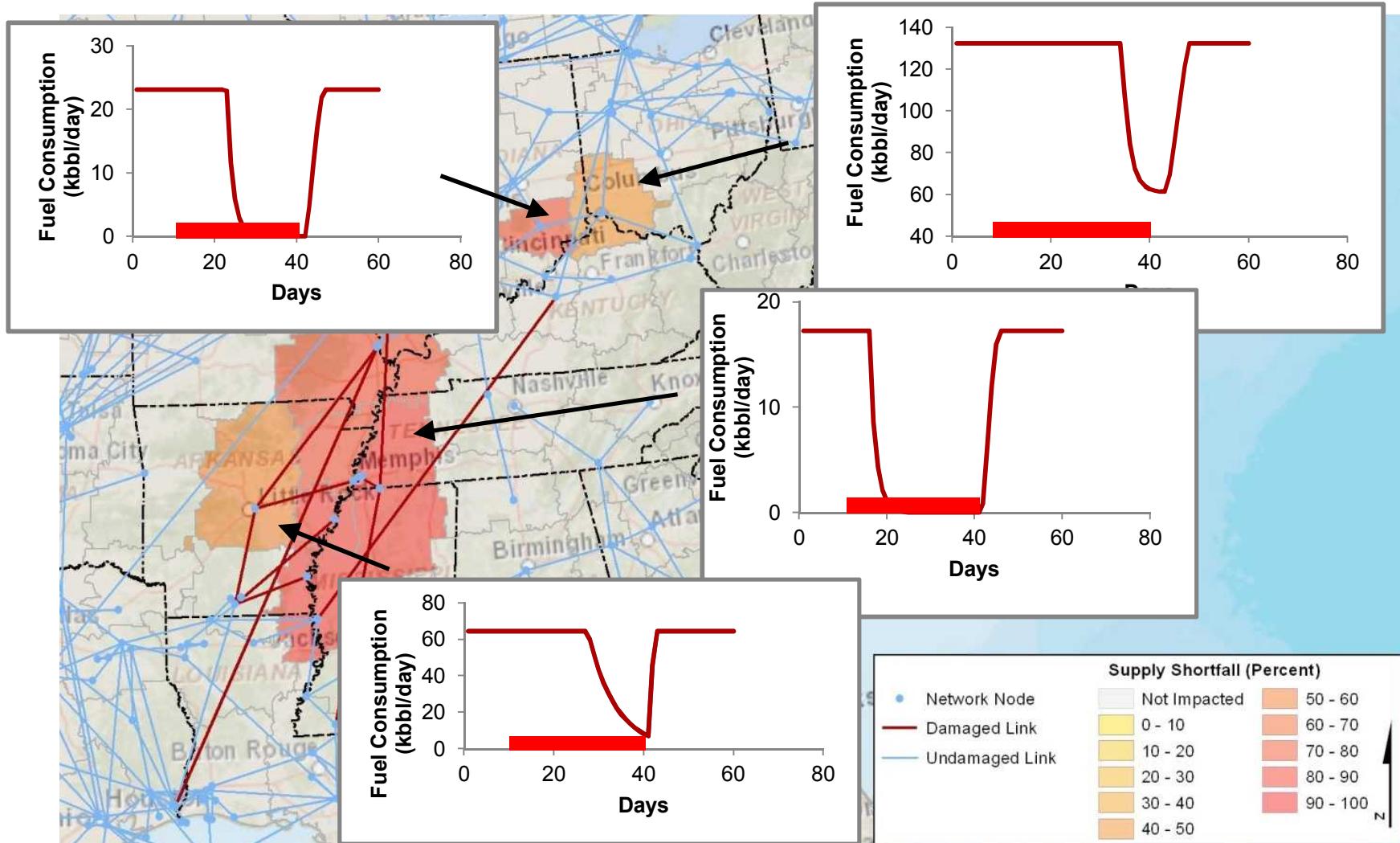
- Market-driven Resilience Attributes minimize fuel shortages
  - Re-routing shipments
  - Drawdown of inventory
  - Use of surge capacity
  - Increasing imports
  - Reducing consumption
- Constrained by connectivity of the system and capacity of individual system components:
  - Pipeline flow
  - Refinery throughput
  - Tank farm storage
  - Import terminal throughput



# Simulated Impacts of New Madrid Earthquake on Availability of Transportation Fuels

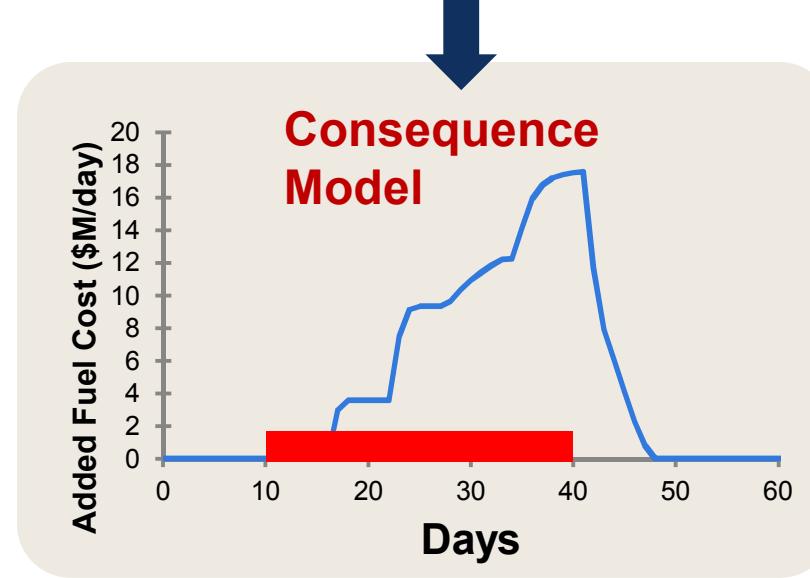
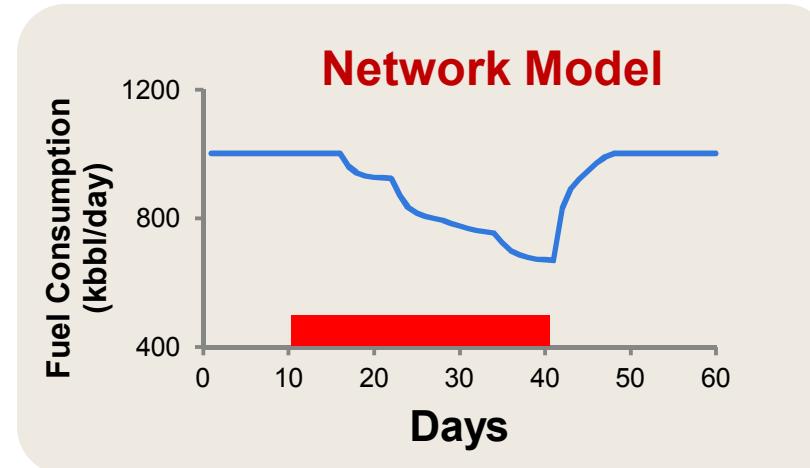


# Calculated Consumption Shortfall of Fuel Due to a New Madrid Earthquake



# Use Models to Calculate Metric

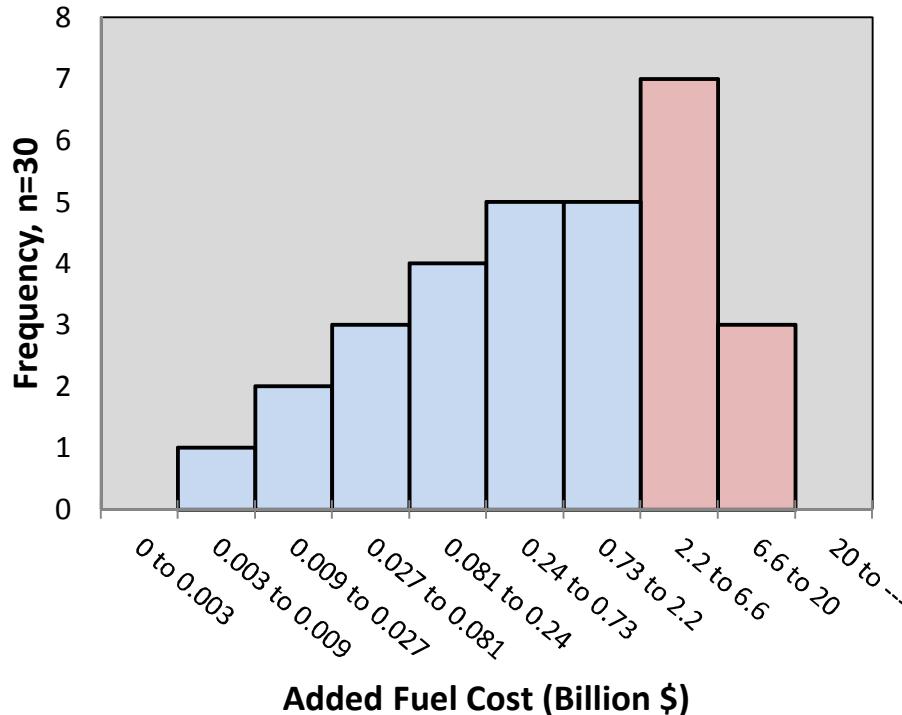
Damage Repair  
Duration



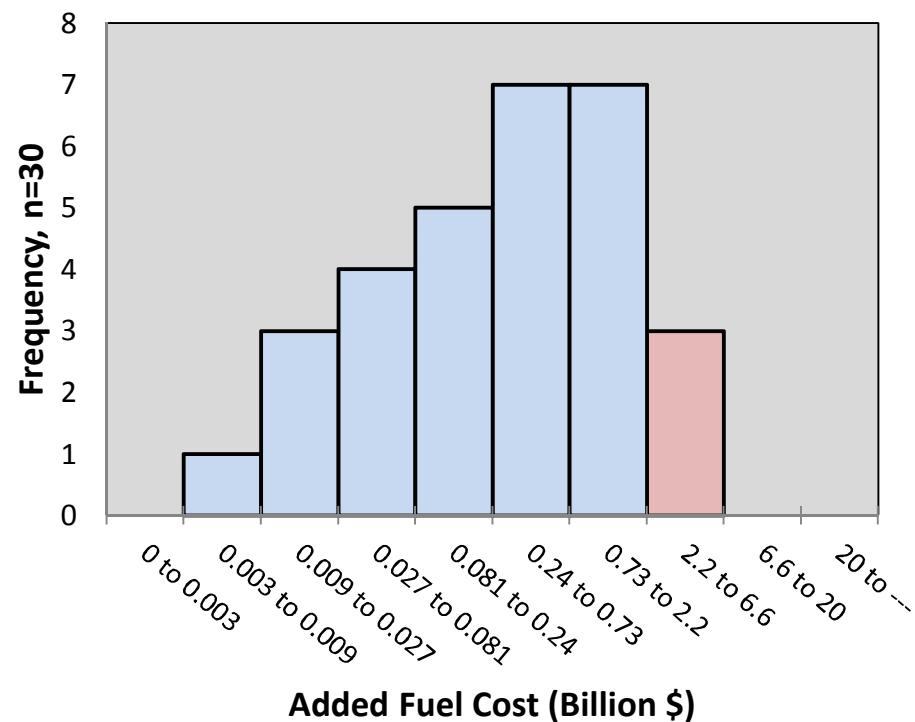


# Evaluating Investment to Increase Resilience

Current State



Re-engineered Pipelines



Histograms show the likelihood of cost >\$2.2B drops from 1/3 to 1/10

# Summary

- Applied the metric development process to evaluate the resilience of U.S. oil infrastructure to a large earthquake in the New Madrid Seismic Zone
- Calculated the increase in resilience gained by re-engineering two major pipelines to decrease down time after a New Madrid earthquake

# NEXT STEPS DISCUSSION

# BACKUP SLIDES

# NTFM Assumptions and Limitations

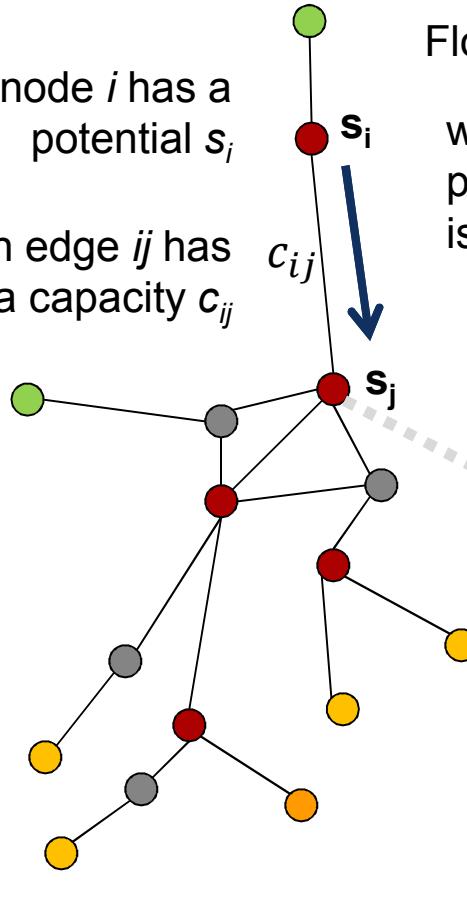


- Includes transmission system (pipelines, rail, water), but not distribution (trucks)
  - For example, the model does not know that fuel can't be delivered because roads are damaged
- Market behavior is based on fuel availability
  - No hoarding behavior (by consumers or suppliers)
  - No price increases until inventories decline

Minimize shortages while balancing mass and not exceeding capacities

Each node  $i$  has a potential  $s_i$

Each edge  $ij$  has a capacity  $c_{ij}$



Flow rates are given by :

$$q_{ij} = c_{ij} f((s_i - s_j)u_{ij}) \quad (1)$$

where  $u_{ij}$  is a utilization parameter and the function  $f(x)$  is:

$$f(x) \equiv 1 - e^{-x} \quad (2)$$

In equilibrium, the net flow at each node  $i$  is 0:

$$\sum_j q_{ji} + q_{si} - d_i = 0 \quad \forall i \quad (3)$$

The equilibrium solution  $\{\hat{s}_i\}$  is obtained by solving equations

1-3)

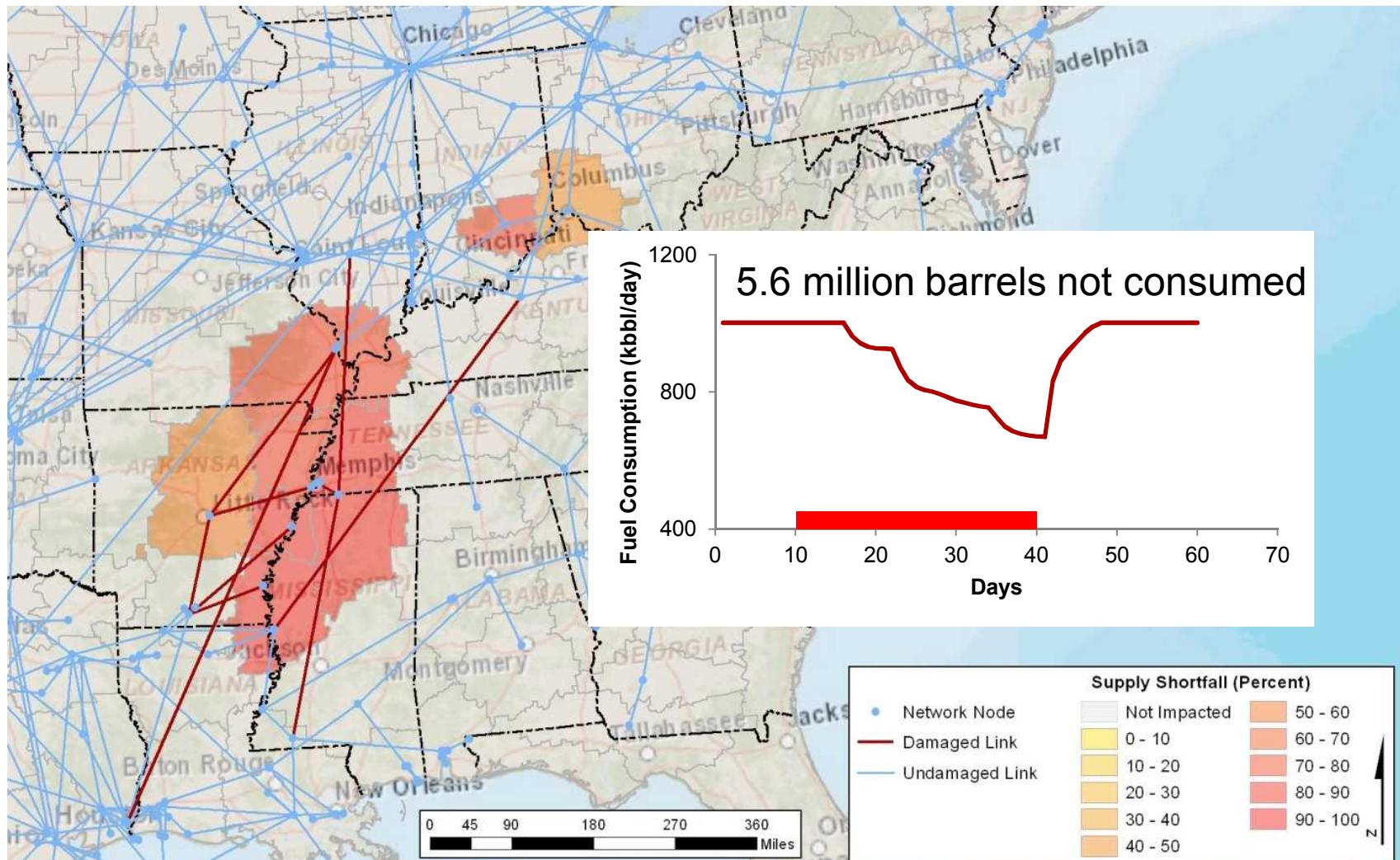
In the transient case, net inflow into a node results in the accumulation of stored fluid:

$$\sum_i q_{ji} + q_{si} - d_i = \frac{d v_i}{dt} = r_i \left[ 1 + \left( \frac{s_i - a_i}{b_i} \right)^2 \right]^{-3/2} \frac{ds_i}{dt} \quad \forall i$$

where  $r_i$ ,  $a_i$  and  $b_i$  are storage parameters

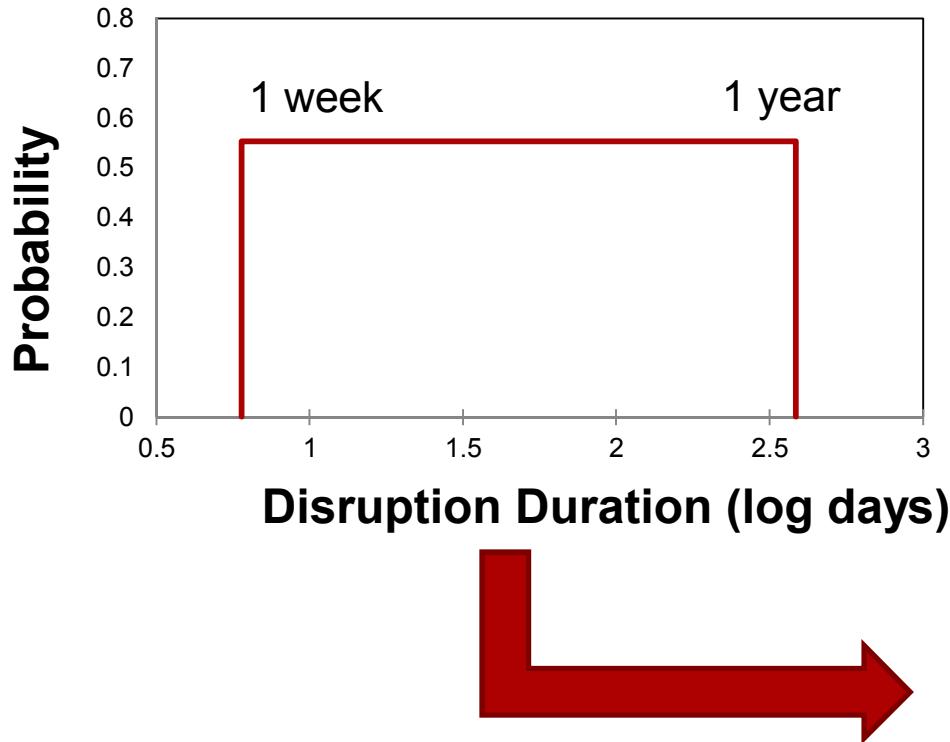
# Calculated Consumption Shortfall of Fuel Due to a New Madrid Earthquake

Calculate  
Consequence



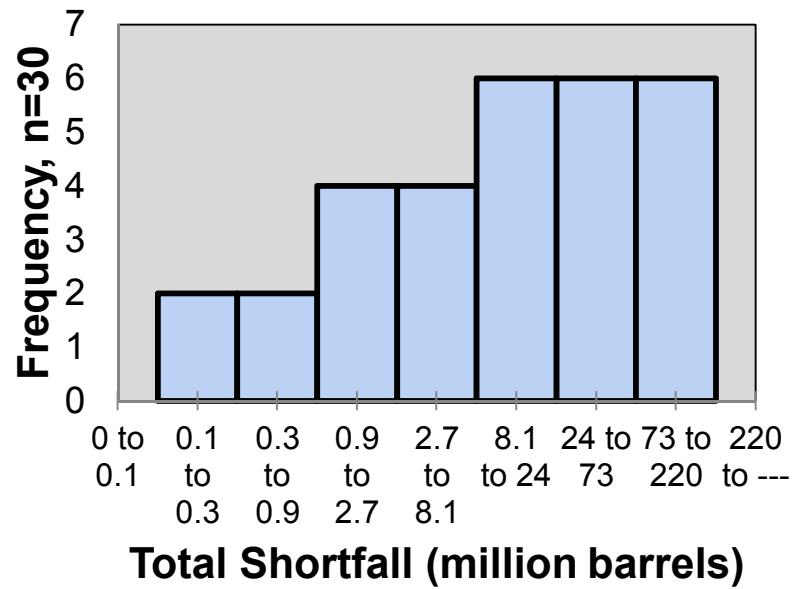
# Uncertainty of Repair Time

## Assumed Probability of Repair Times

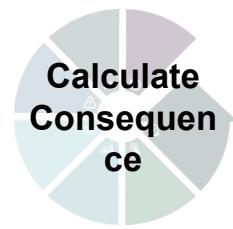


Network Model

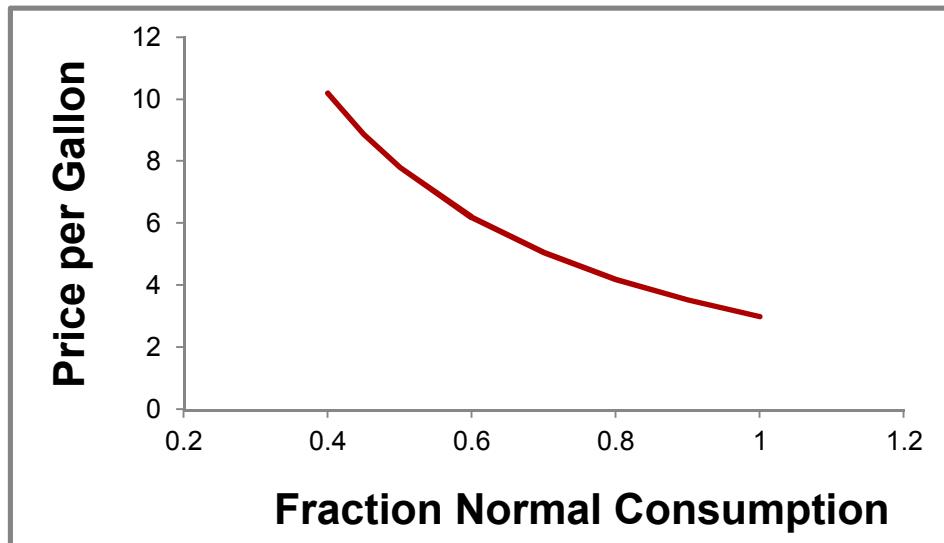
## Histogram of Performance Indicator (barrels fuel not consumed)



# Consequence Model



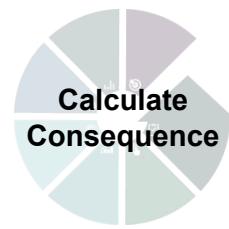
- Main Assumptions:
  - During a fuel shortage that is expected to be temporary (weeks) services, businesses, and individuals will try to maintain normal output despite fuel shortages
  - Market behaviors will act to decrease fuel consumption by raising prices



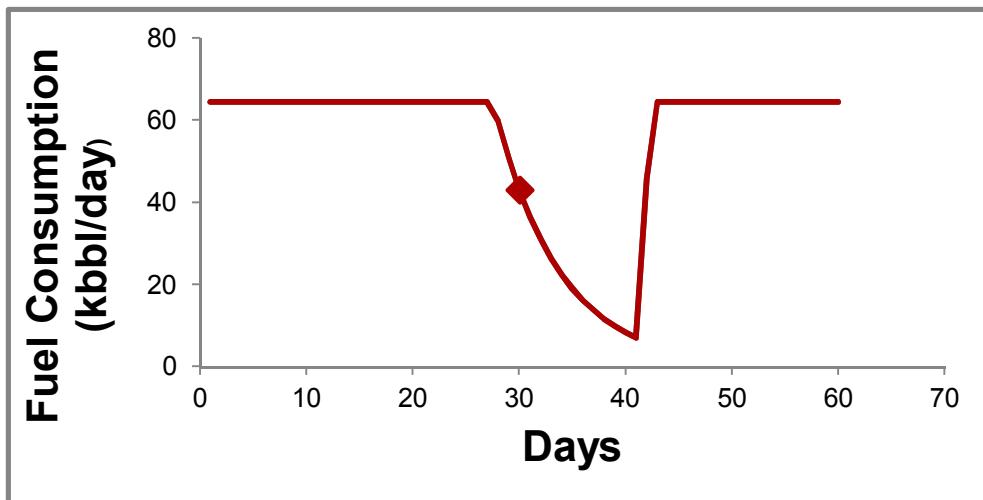
Assumed Demand Curve

Informed by price data from the 2004 Phoenix fuel disruption\*\*

# Calculate Additional Cost of Fuel Consumed



1. For each impacted distribution terminal, calculate the daily price of fuel (using the calculated consumption fraction and the assumed demand curve)
2. Multiply the price times the amount consumed to get the daily cost of fuel
3. Subtract the undisturbed daily cost of fuel



At day 30 in Little Rock:

Consumption = 43,125 bbl/day  
Consumption fraction = 0.67  
Price = \$5.36/gal  
Cost = \$9,708,300

Undisturbed:

Consumption = 46,400 bbl/day  
Price = \$3.00/gal  
Cost = \$8,114,400

Added cost = \$1,593,900