

# TARP Benchmarks for Detection Problems

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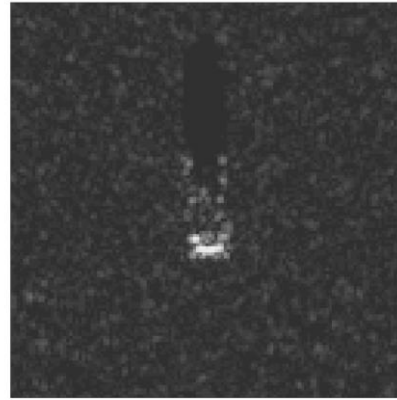
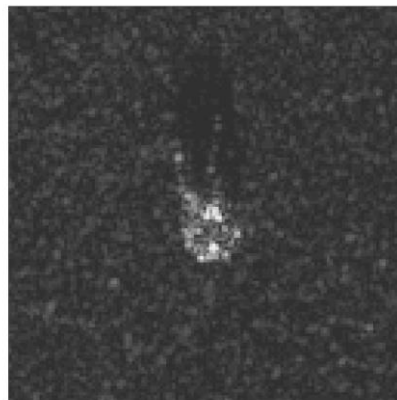
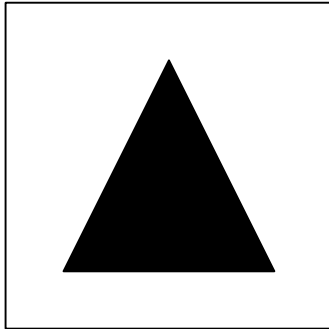
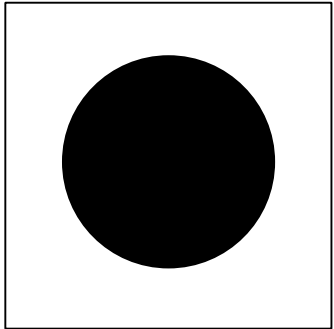
# Introduction

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- Let's say you develop an object detection or classification algorithm. How do you determine success?
  - Download a data set
  - Train and test your algorithm
  - Compare your results to others'
  - OR build your own data set, define acceptable results, and test your algorithm
- Is your solution significant?

# Problem

- Intuitive feel for difficulty of classification task



- Can we tell if a data set is “inherently separable?”

# Previous Work

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- Previous work suggests:
  - Real data has structure (*Han & Boutin, 2015*)
  - Random projections can reveal structure (*Kaski, 1998; Bingham & Mannila, 2001*)
- TARP (Thresholding After Random Projections) (*Yellamraju et. al, 2015*)
  - Use series of random projections to develop benchmarks

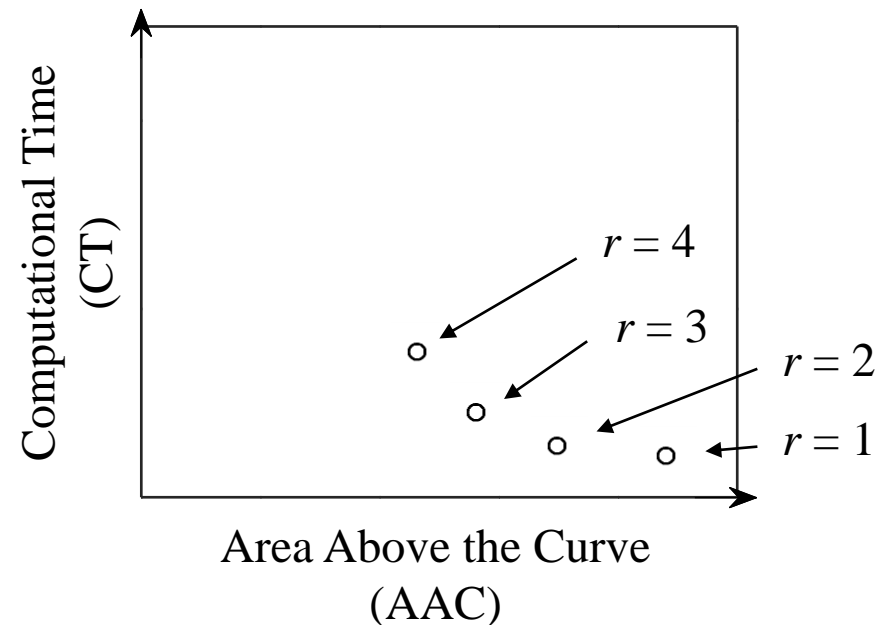
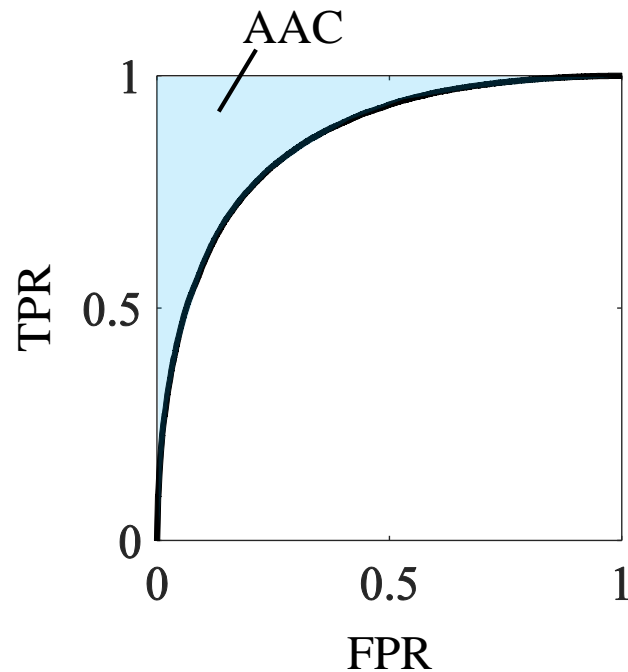
# Proposed Solution

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- TARP (Thresholding After Random Projections)
  - Randomly project data to 1-D  $r$  times
  - Classify with sliding threshold
  - Build ROC curve
  - Find the “best” projection – the one with the lowest AAC (area above the ROC curve)
  - Measure elapsed time (complexity)
  - Repeat for  $r = 1, 2, 3, \dots$

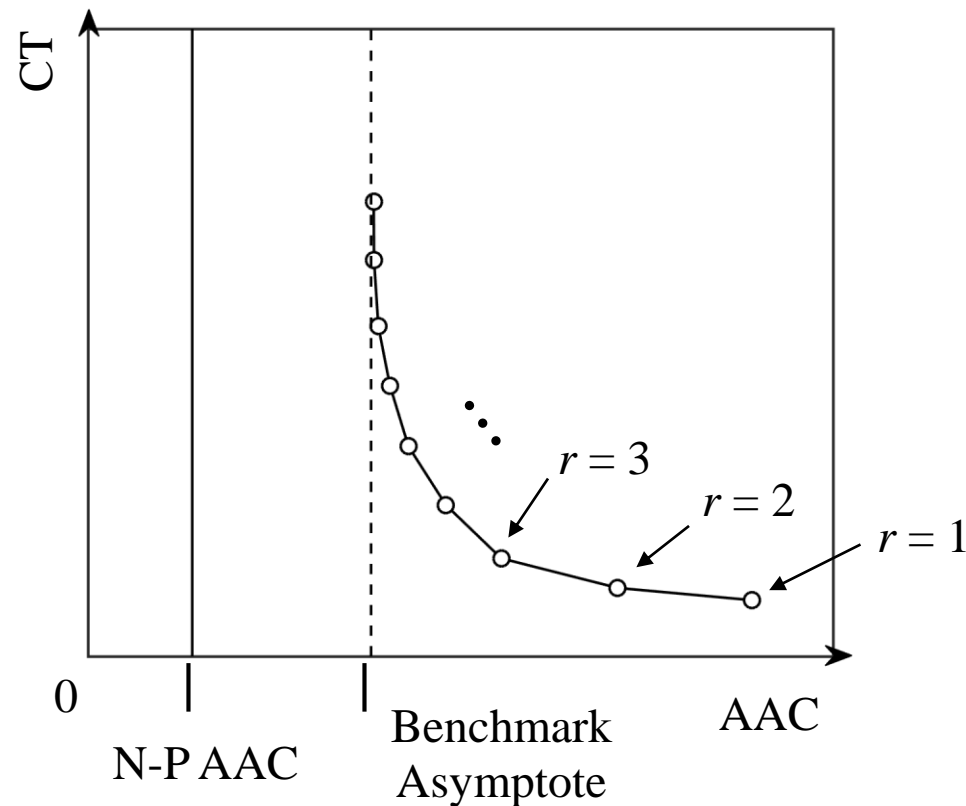
# Proposed Solution

- Use expected results as series of benchmarks
  - Threshold average approximates expected best ROC curve
  - The AAC of the expected best ROC vs. the expected elapsed computational time (CT) for each  $r$  is considered a benchmark



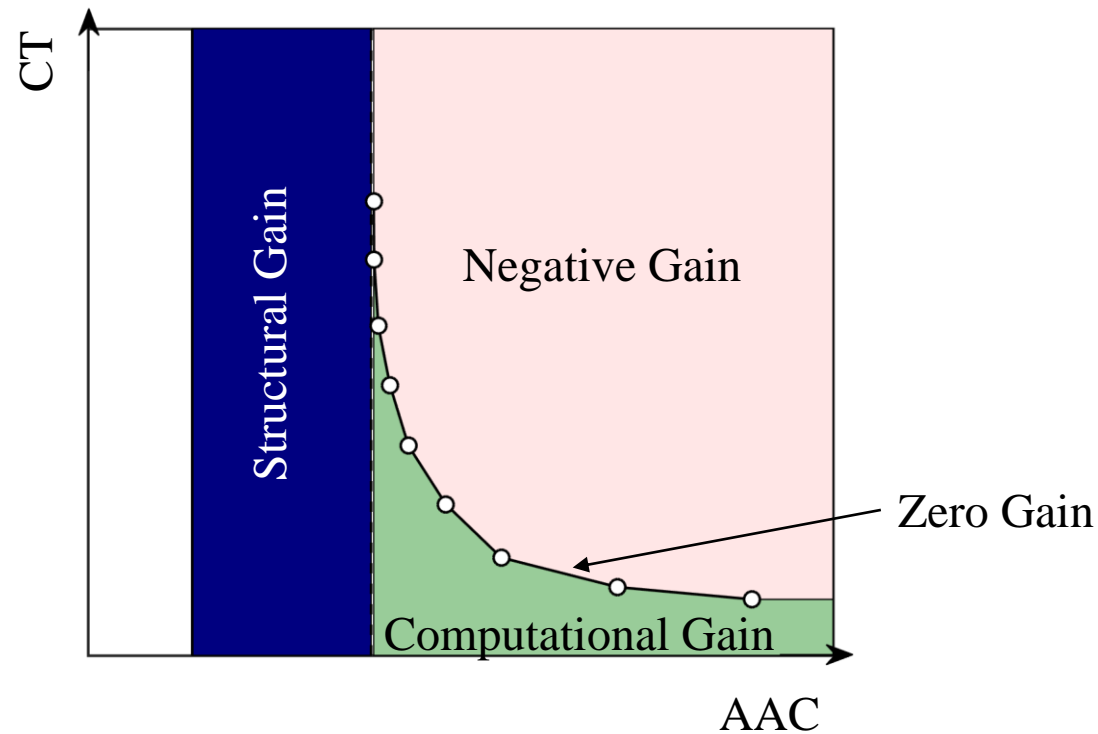
# Proposed Solution

- Plotting the benchmarks yields a curve on AAC-CT plane:
  - Neyman-Pearson (N-P) test for theoretical maximum separability



# Proposed Solution

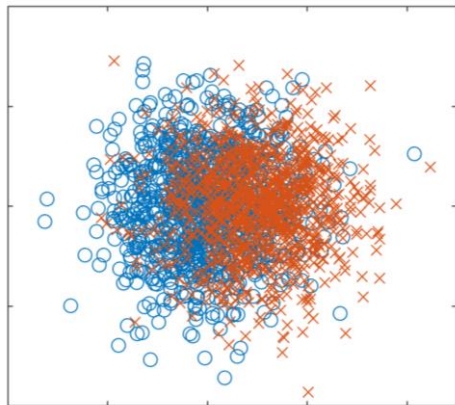
- The AAC-CT space is divided into regions
  - The regions characterize other detection methods



# Experimental Results

- Selected results from different data sets:

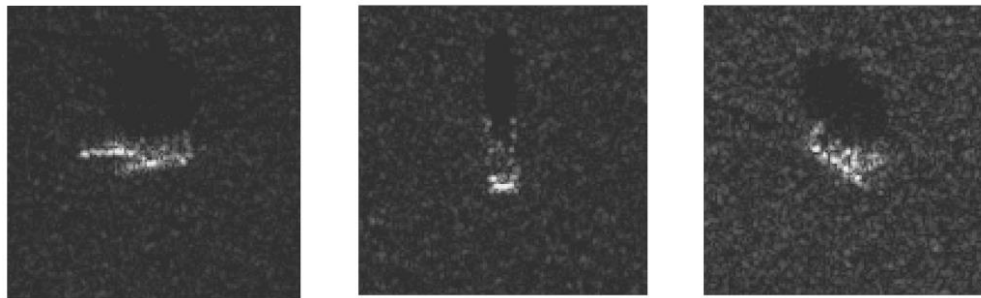
Synthetic 2-D normal



MFEAT handwritten digits (*Duin, 1998*)

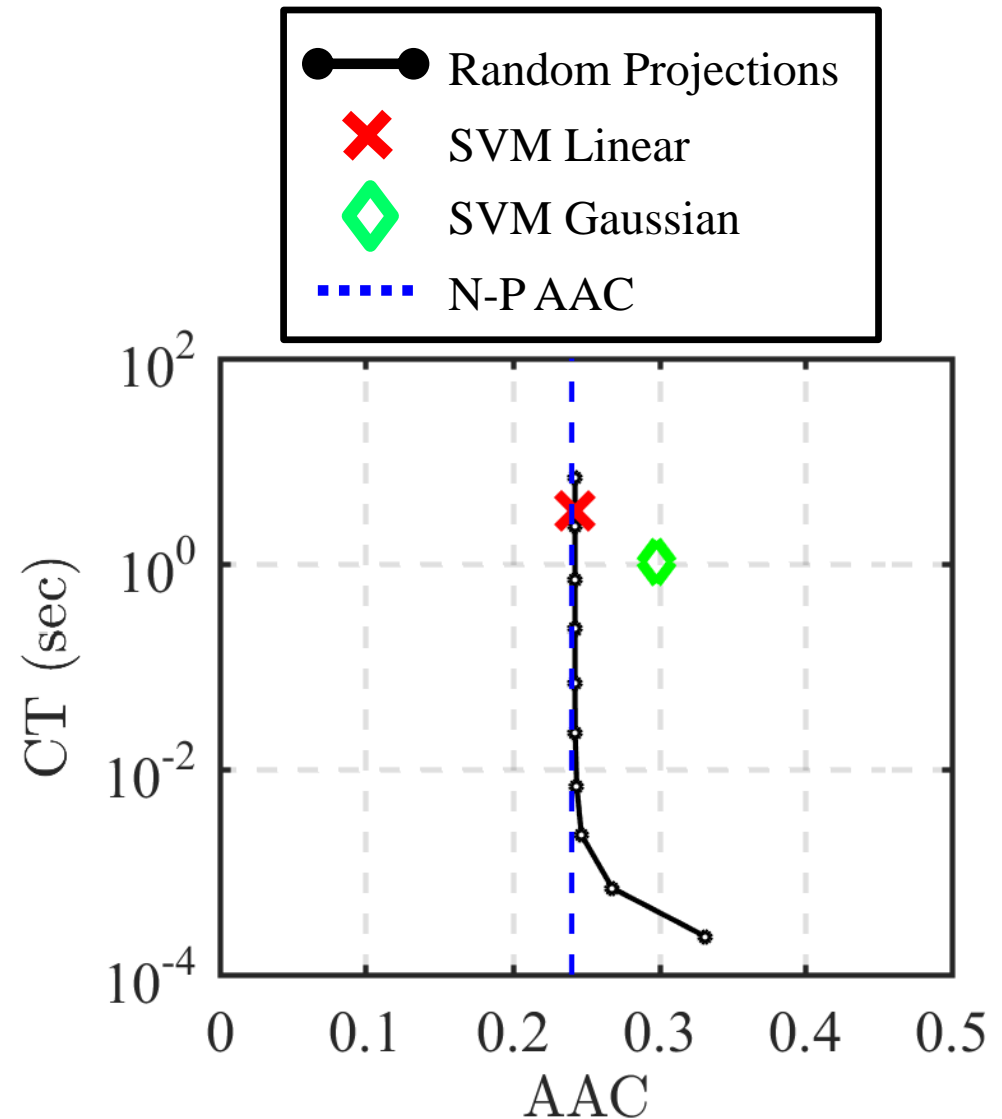


MSTAR SAR  
(radar) targets  
(*SDMS, 1995*)



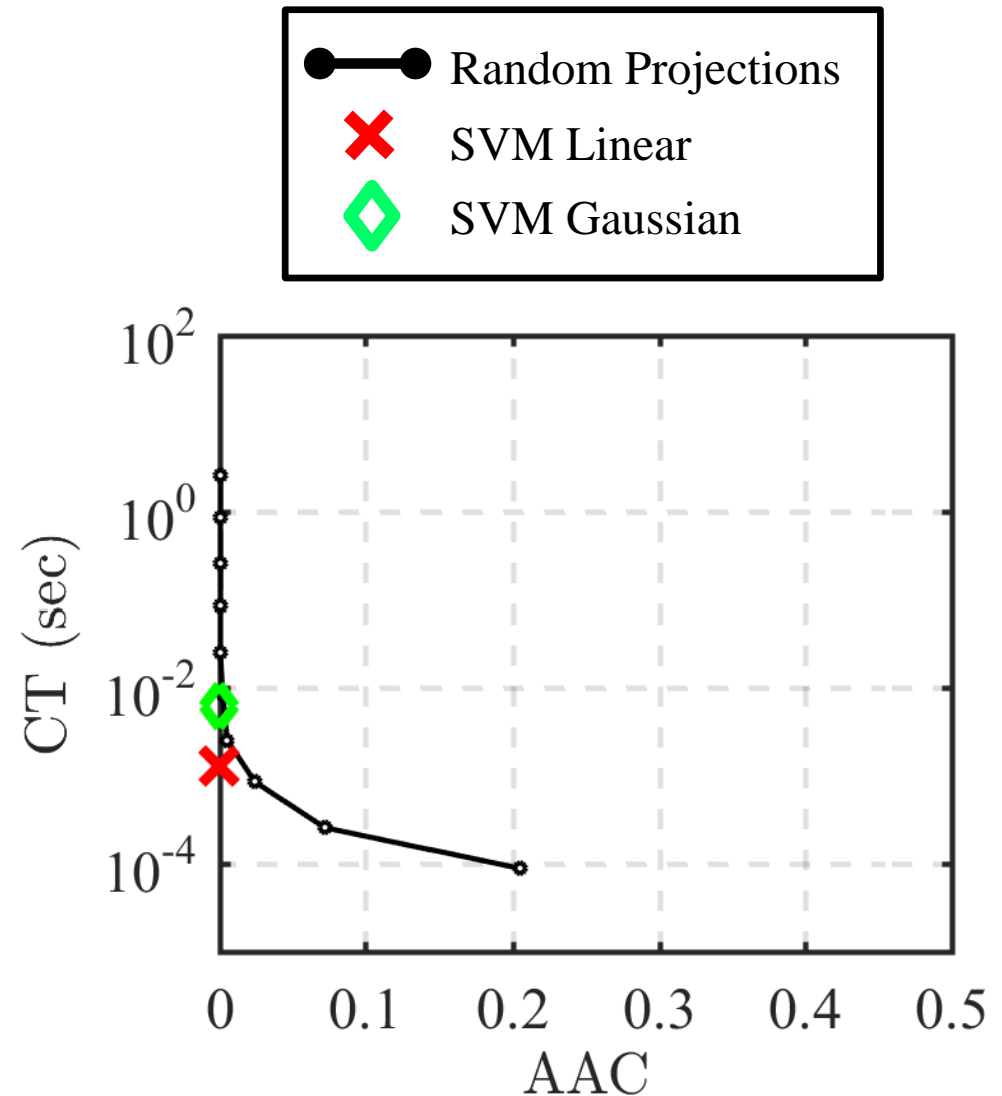
# Experimental Results

- Synthetic 2-D normal
  - Covariance I
  - Class means (0, 0) and (0, 1)
  - 4,000 samples



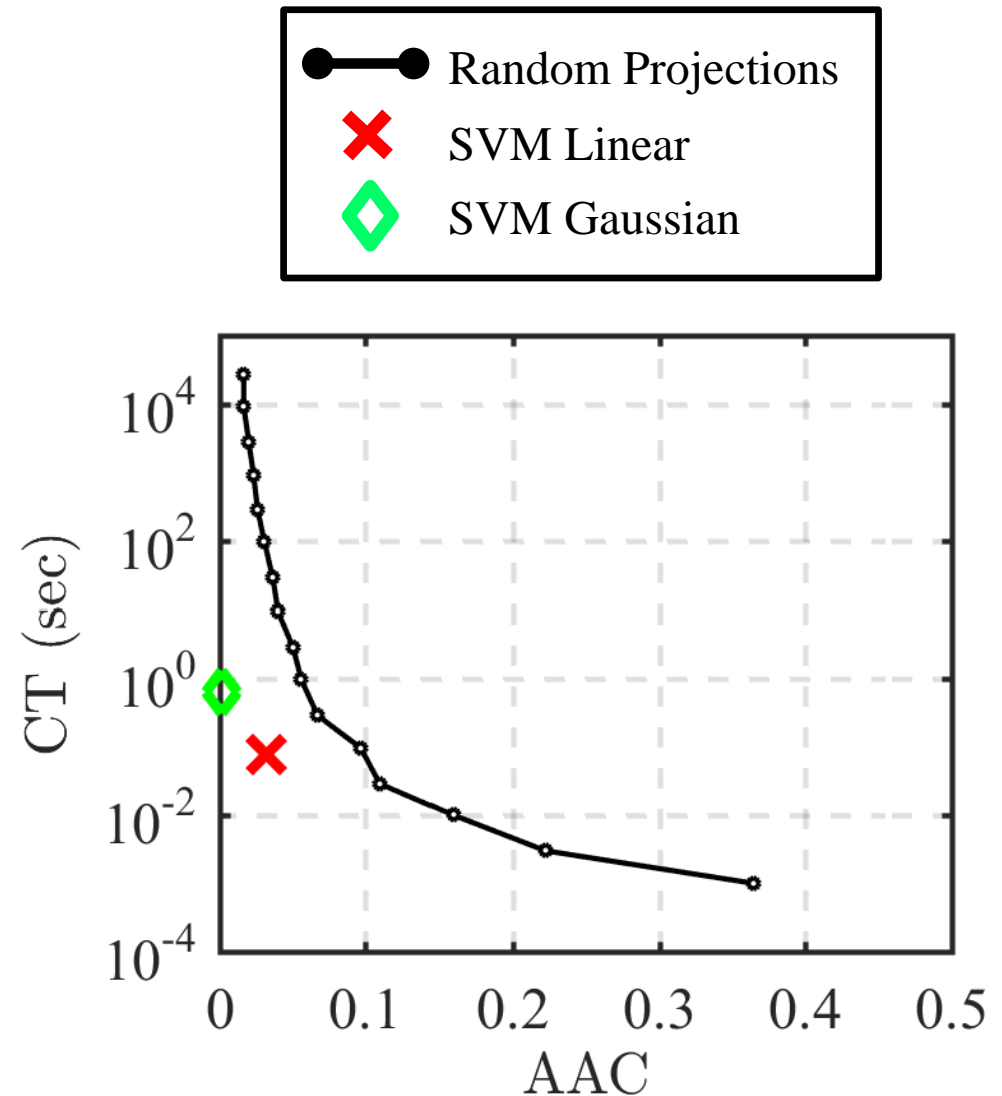
# Experimental Results

- MFEAT 0 vs. 1
  - Fourier coefficients
  - 76-D
  - 400 samples



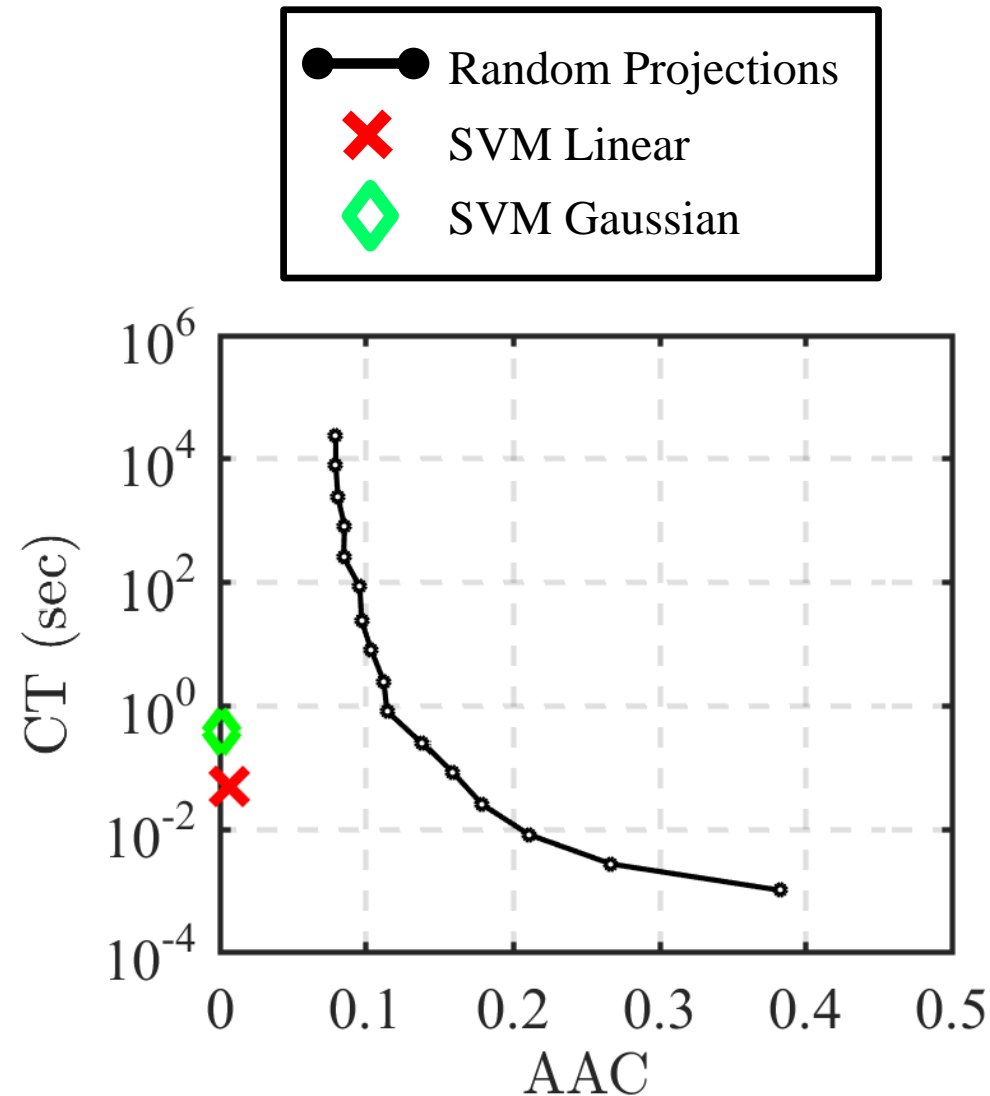
# Experimental Results

- MFEAT even vs. odd
  - Profile correlations
  - 216-D
  - 2,000 samples



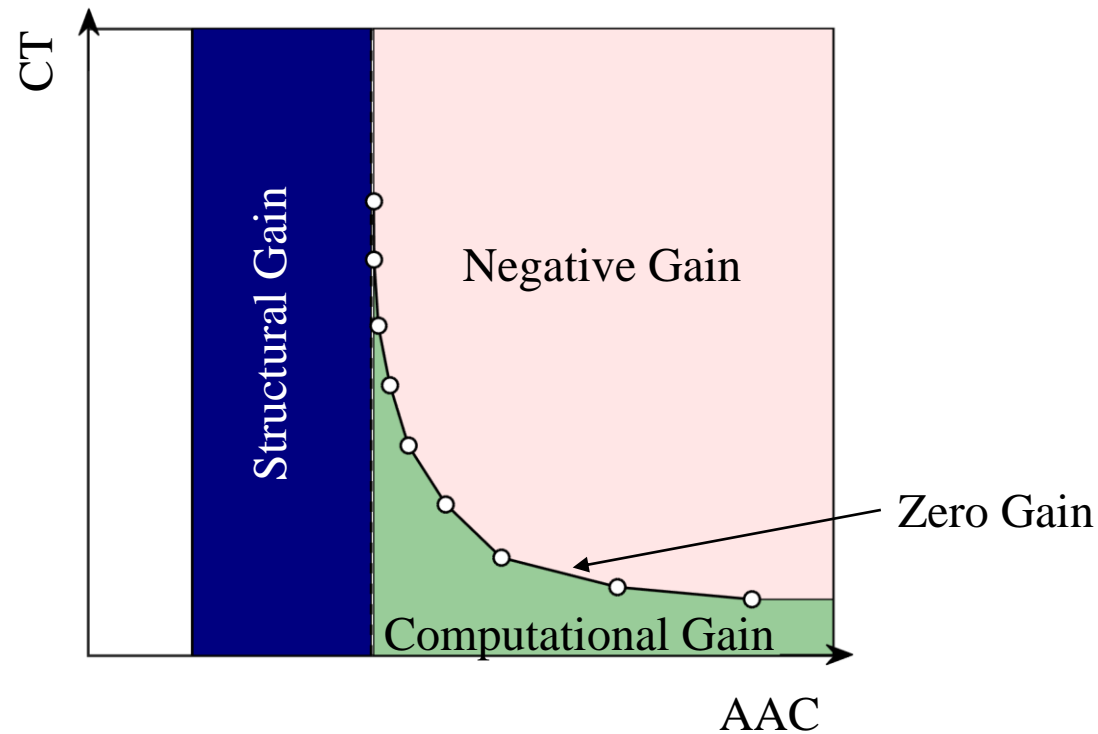
# Experimental Results

- MSTAR BTR70 vs. T72
  - PCA coefficients
  - 358-D
  - 1,556 samples  
(392 BTR70/1,164 T72)



# Conclusion

- Detection problems have different difficulties
- Investigated benchmark curve



# References

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- T. Yellamraju, J. Hepp, and M. Boutin, “Benchmarks for Image Classification and Other High-Dimensional Pattern Recognition Problems,” Submitted, 2017.

# Acknowledgements

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**For more information:**

K. Larson and M. Boutin, “TARP Benchmarks for Detection Problems,” in *Proceedings of the 2016 IEEE Global Conference on Signal and Information Processing*, November 2017.

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# Extra Slides

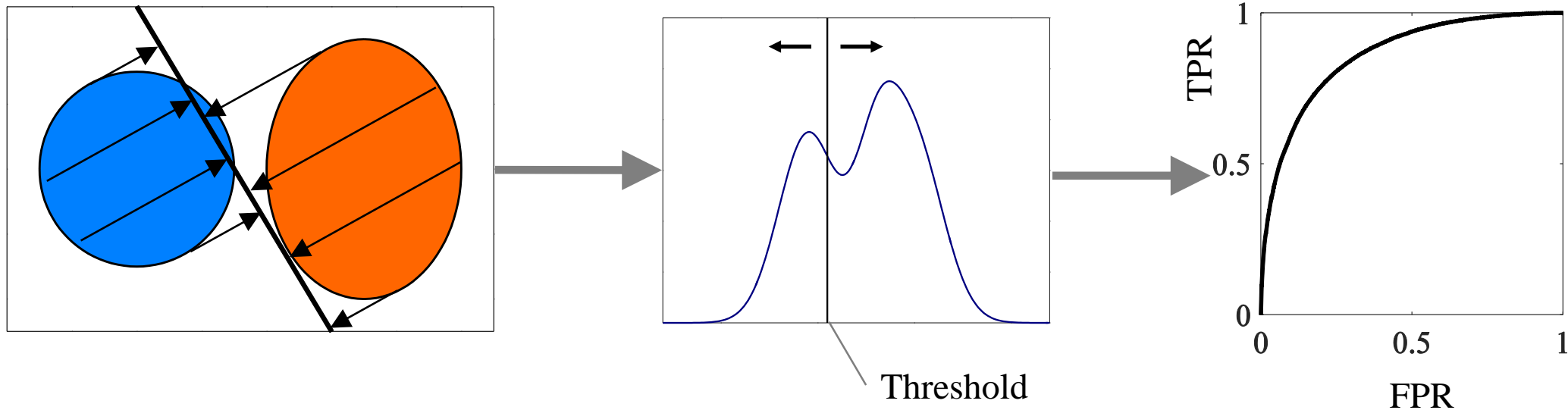
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Demonstration for  $r = 2$

# Extra Slides

$r = 2$  demo

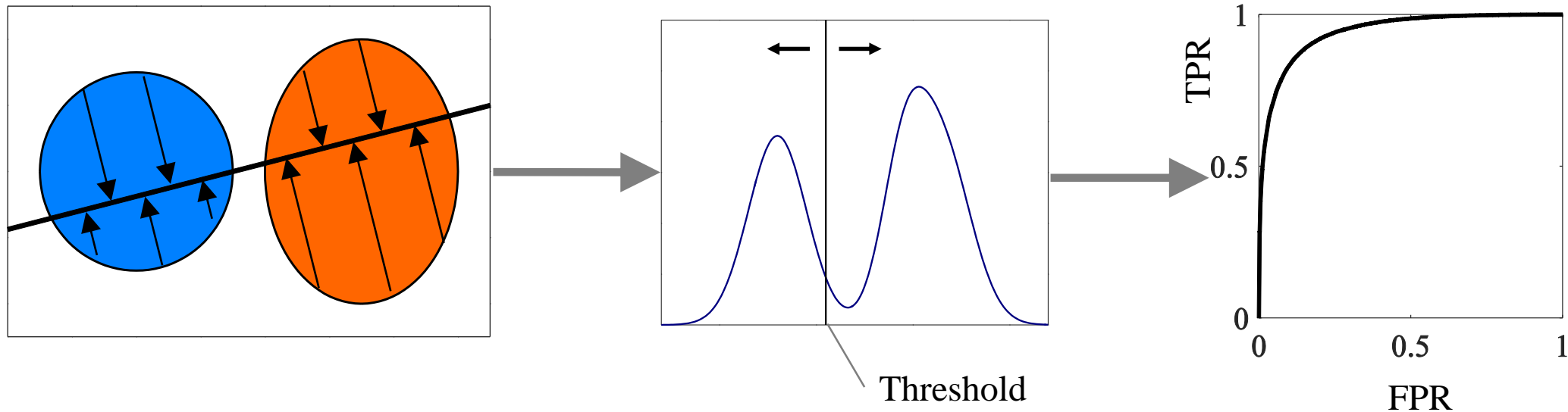
## First random vector projection



# Extra Slides

$r = 2$  demo

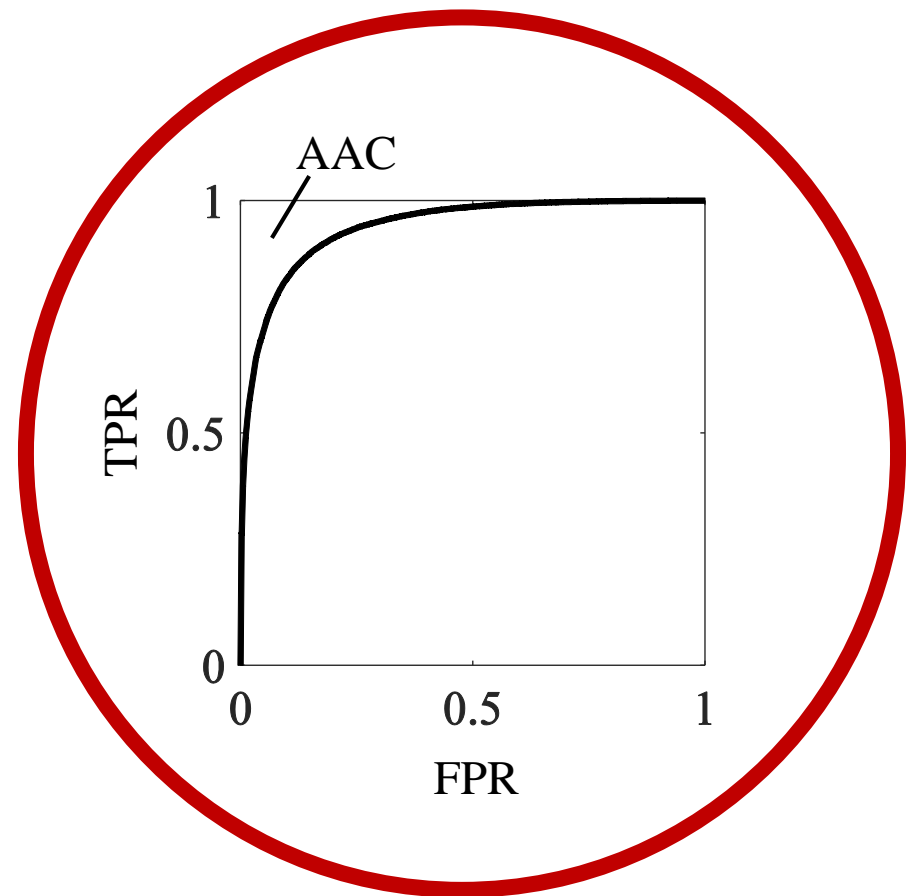
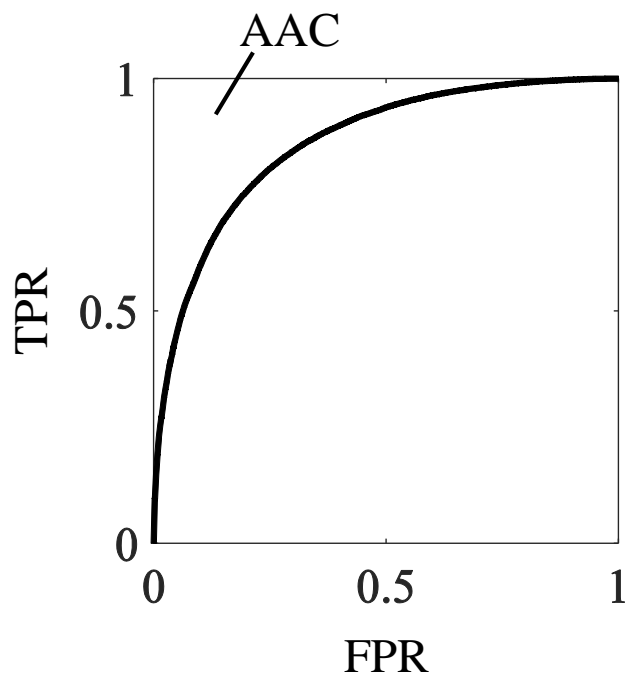
## Second random vector projection



# Extra Slides

$r = 2$  demo

Choose the best ROC curve out of 2

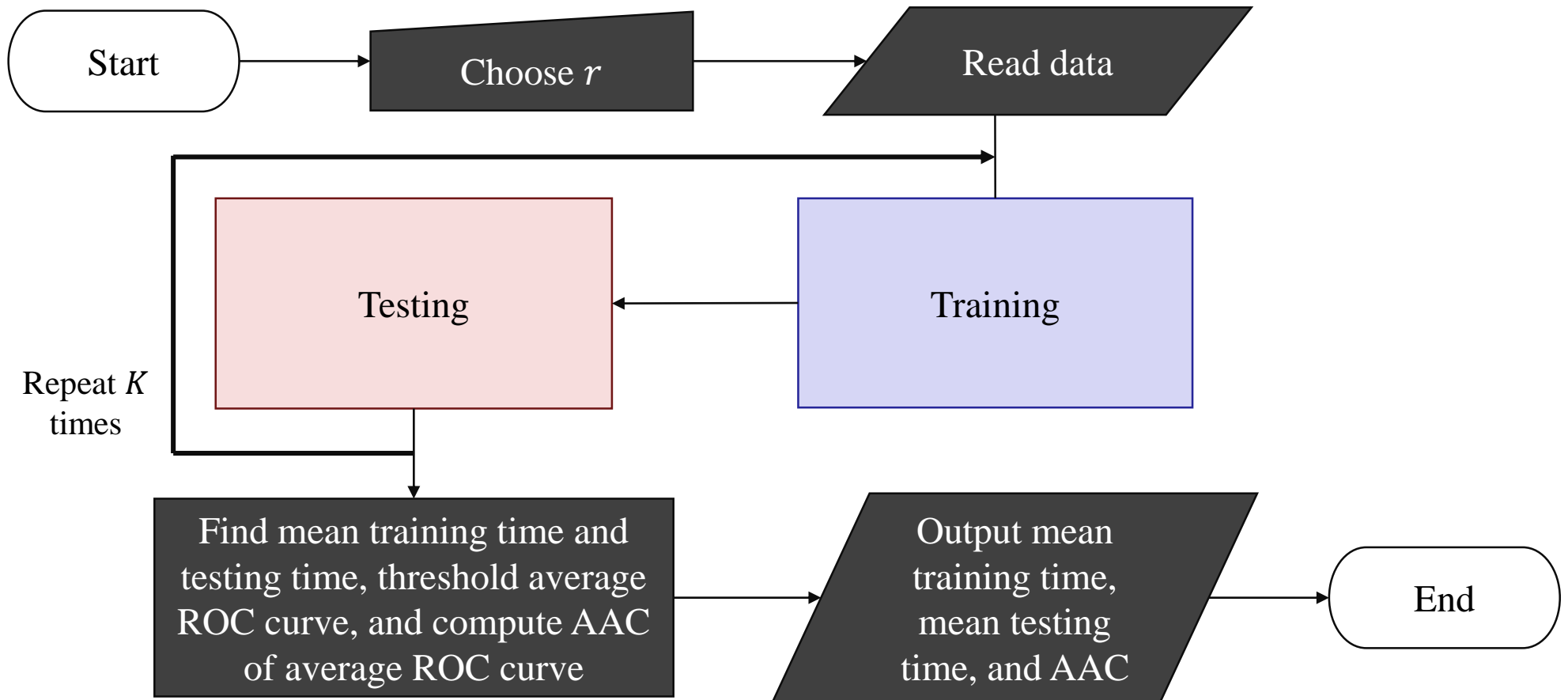


# Extra Slides

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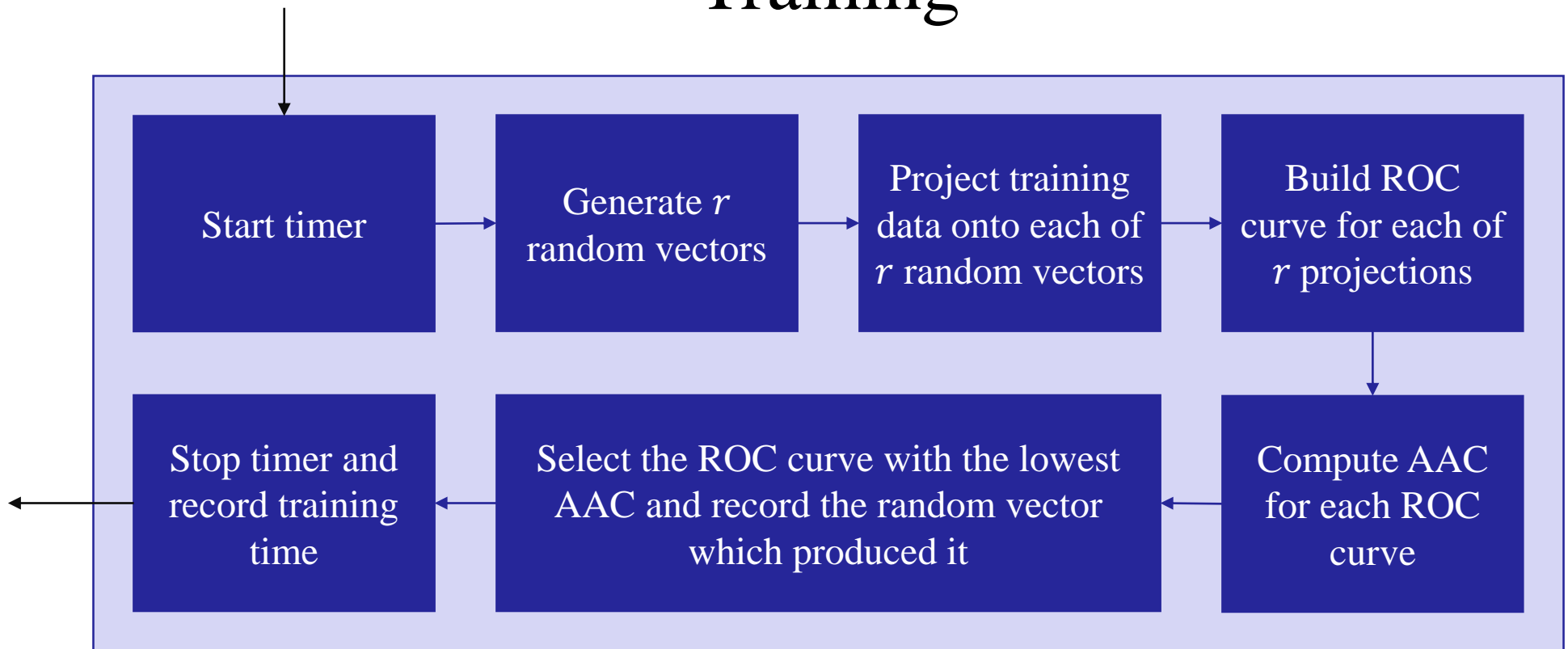
## Algorithm Flowchart

# Extra Slides



# Extra Slides

## Training



# Extra Slides

## Testing

