

# Applying two-temperature modelling to ultrafast laser ignition of reactive nanolaminates

Michael J. Aberer and David P. Adams

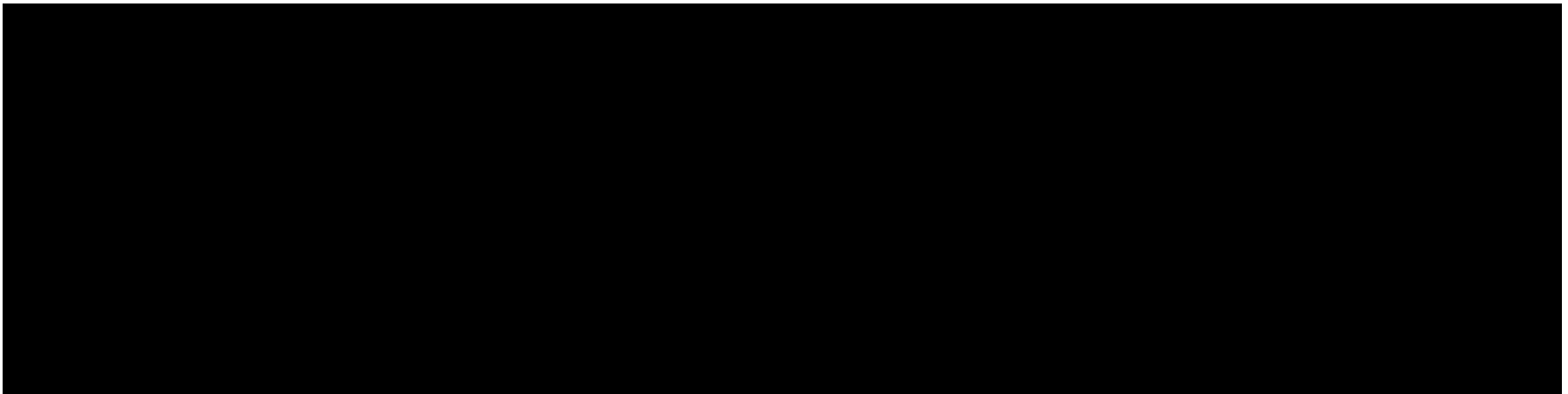
# Video of Laser Ignition and Self-Propagating Reaction in Al/Pt Multilayer

760 W/cm<sup>2</sup>

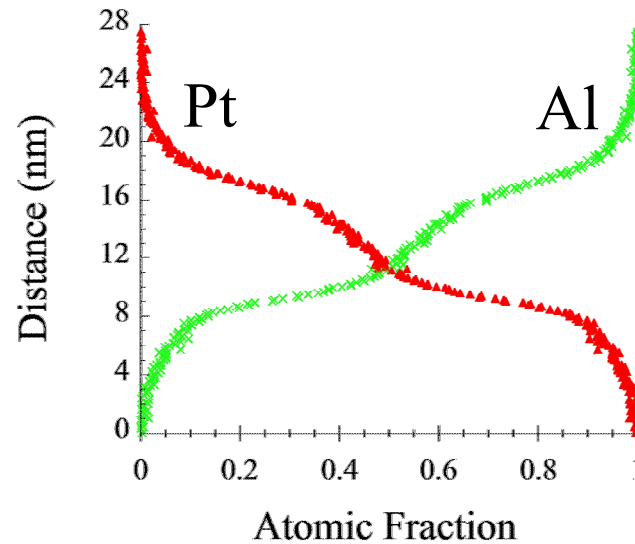
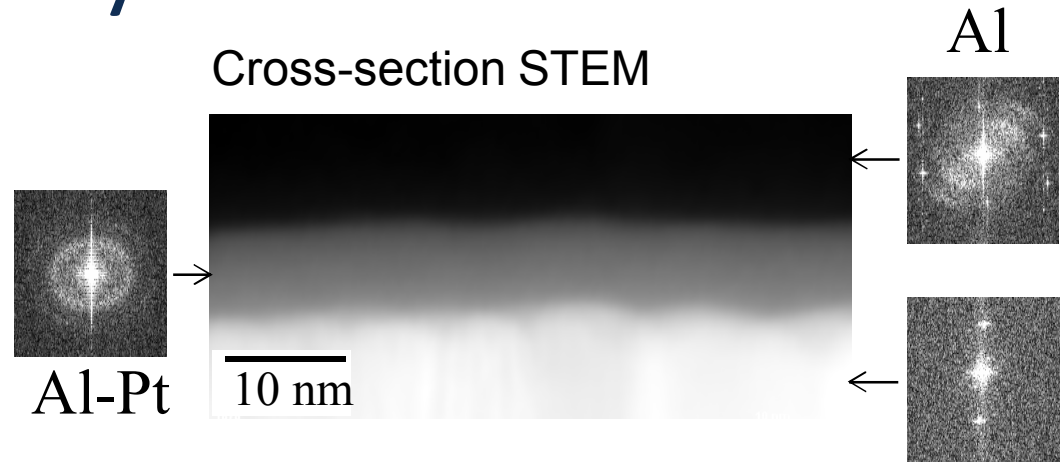
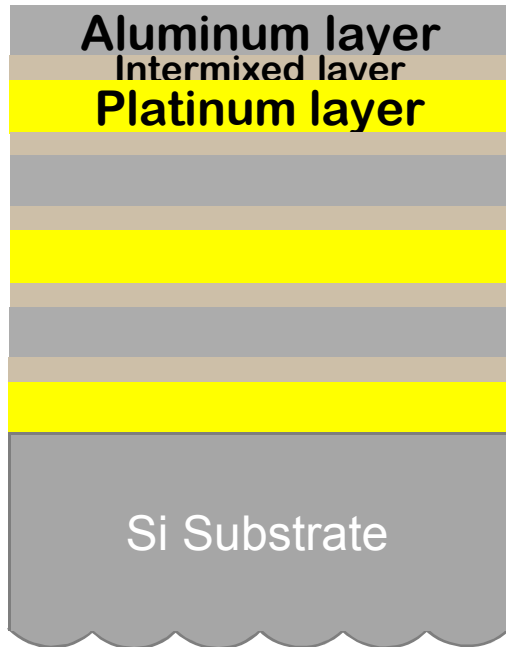
164 nm Bilayer

1.8 μs per frame, played at 4 fps

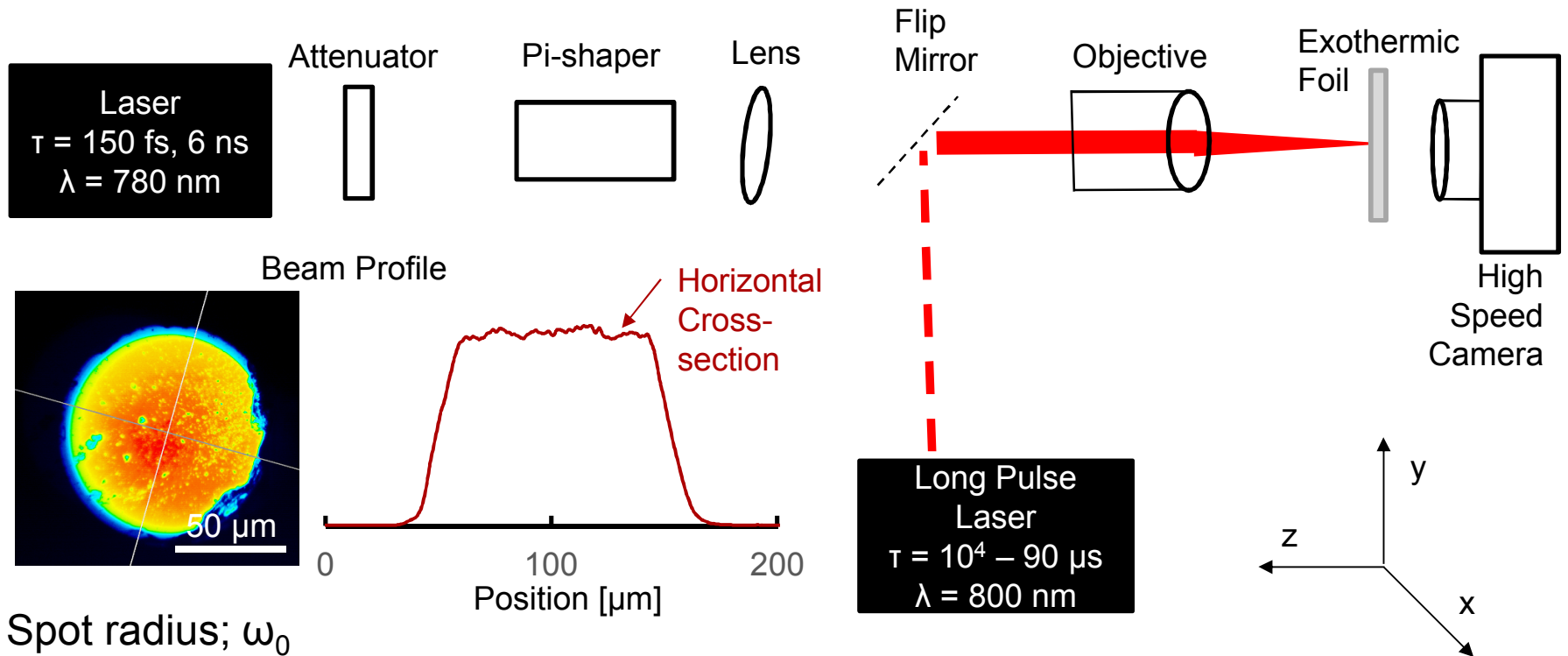
300 μm



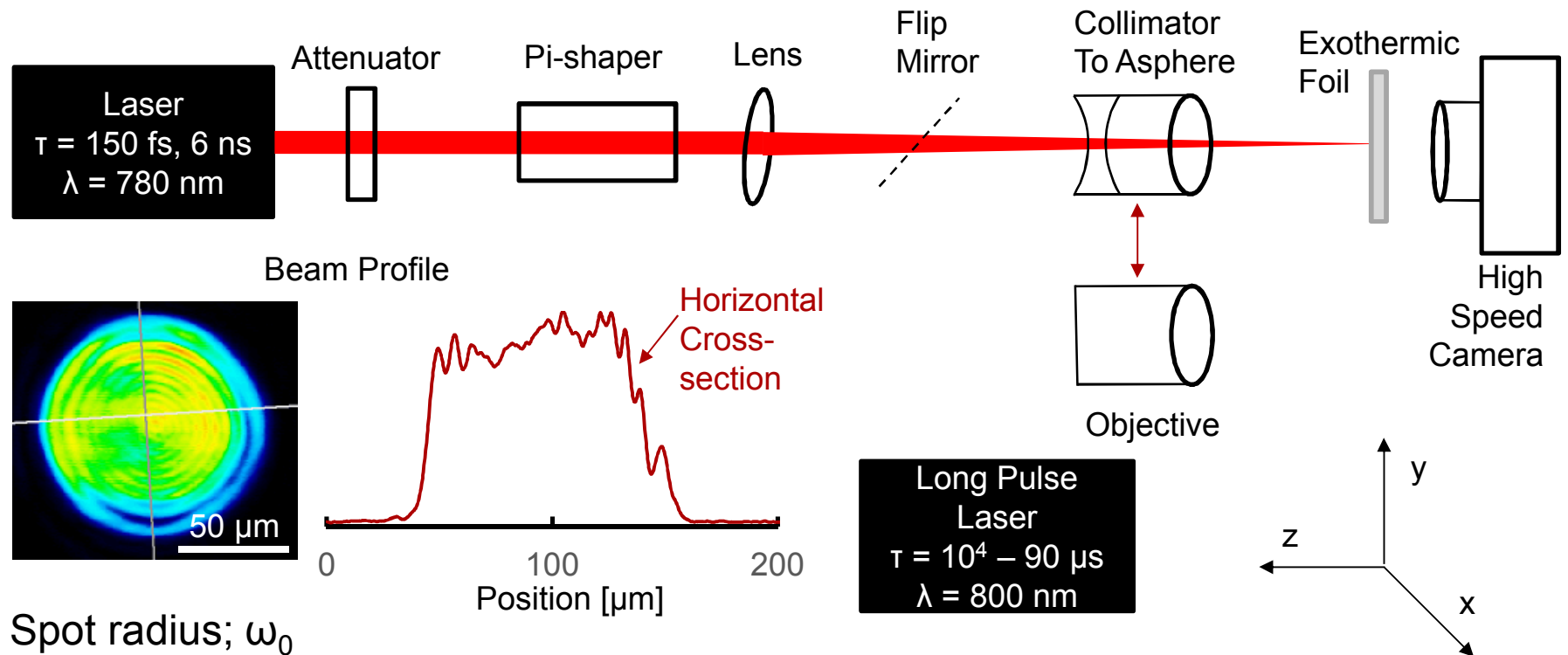
# Sputter Deposition of Reactive Multilayers



# Direct Laser Ignition Method

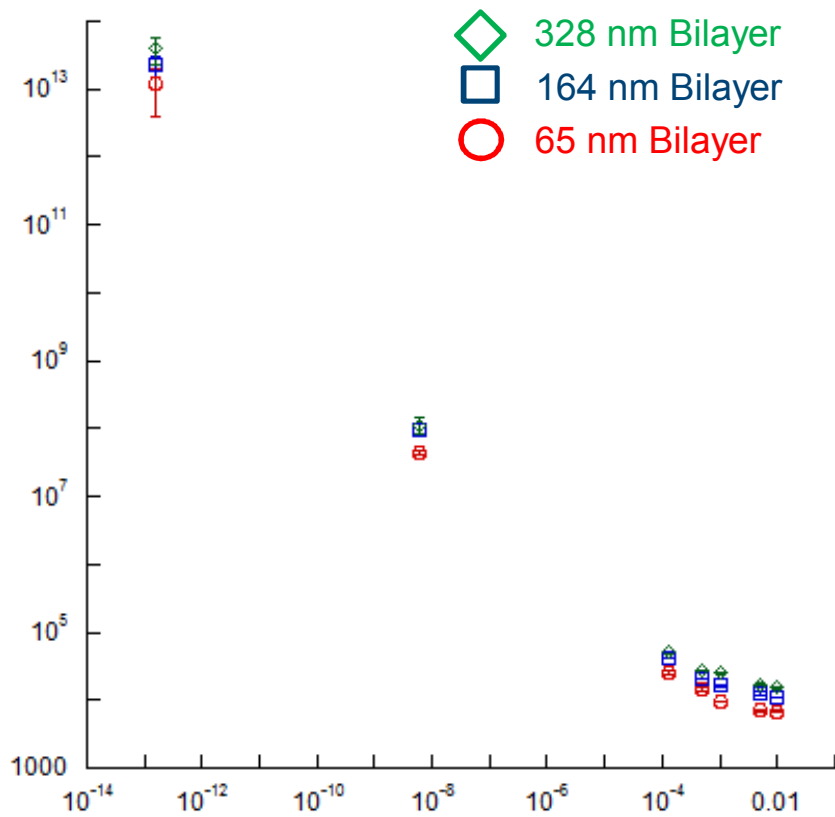


# Direct Laser Ignition Method



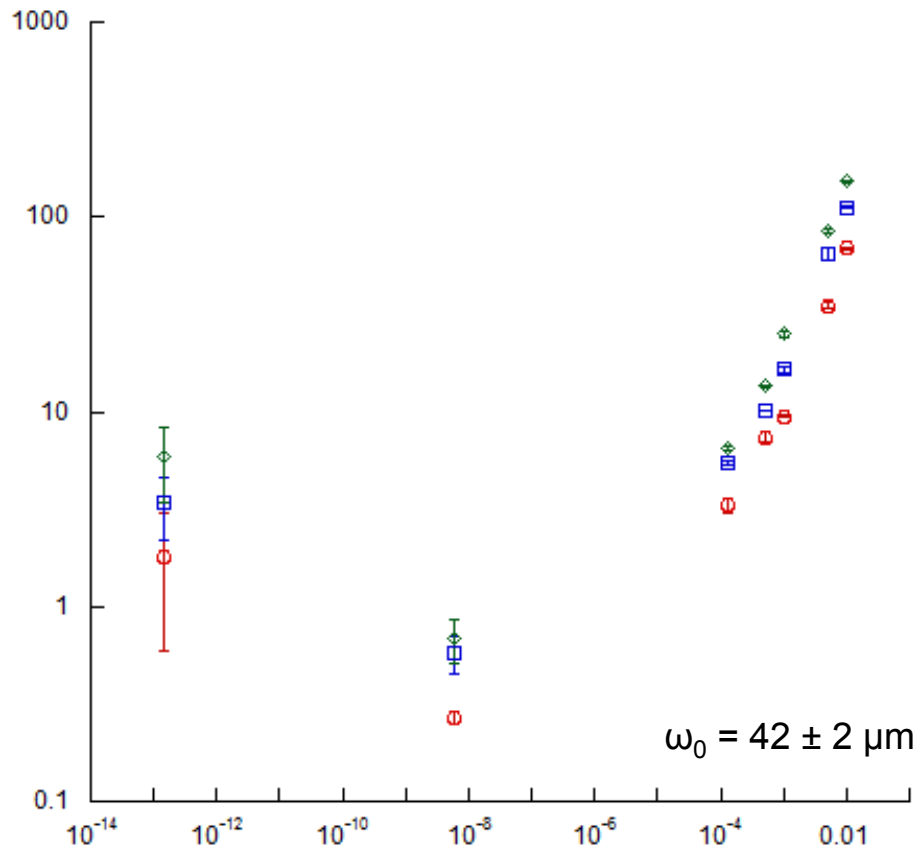
# Pulse Duration Dependence on Ignition Threshold in Al/Pt

Intensity [W/cm<sup>2</sup>]



Pulse Duration [s]

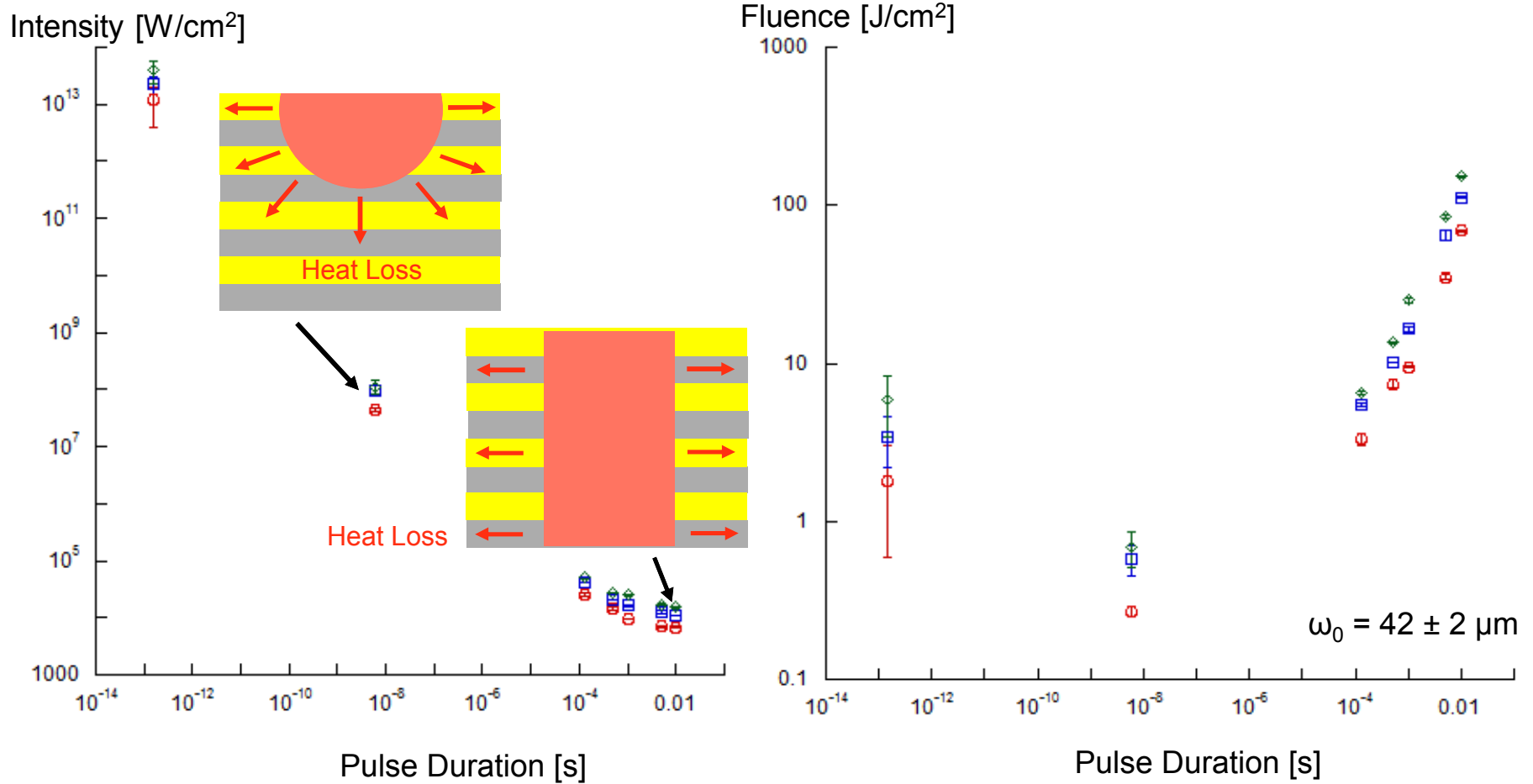
Fluence [J/cm<sup>2</sup>]



$\omega_0 = 42 \pm 2 \mu\text{m}$

Pulse Duration [s]

# Pulse Duration Dependence on Ignition Threshold in Al/Pt



◇ 328 nm Bilayer

□ 164 nm Bilayer

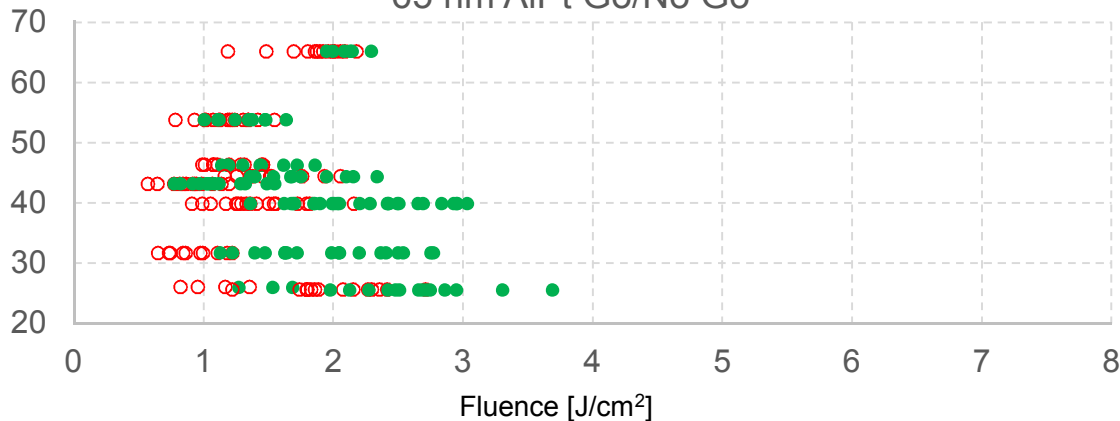
○ 65 nm Bilayer

# Femtosecond Laser Ignition

● Go ○ No Go

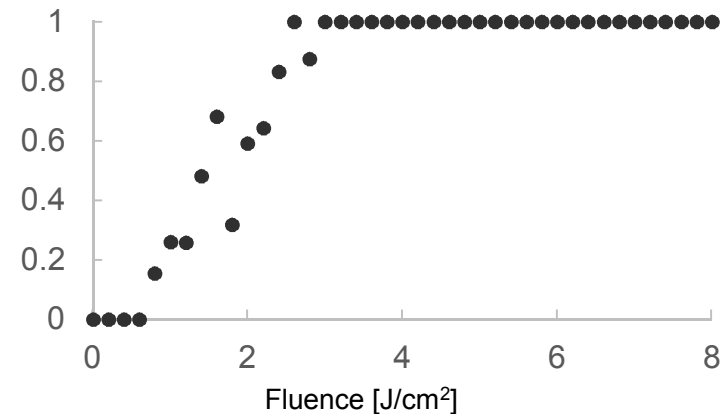
Spot Radius [ $\mu\text{m}$ ]

65 nm AlPt Go/No Go



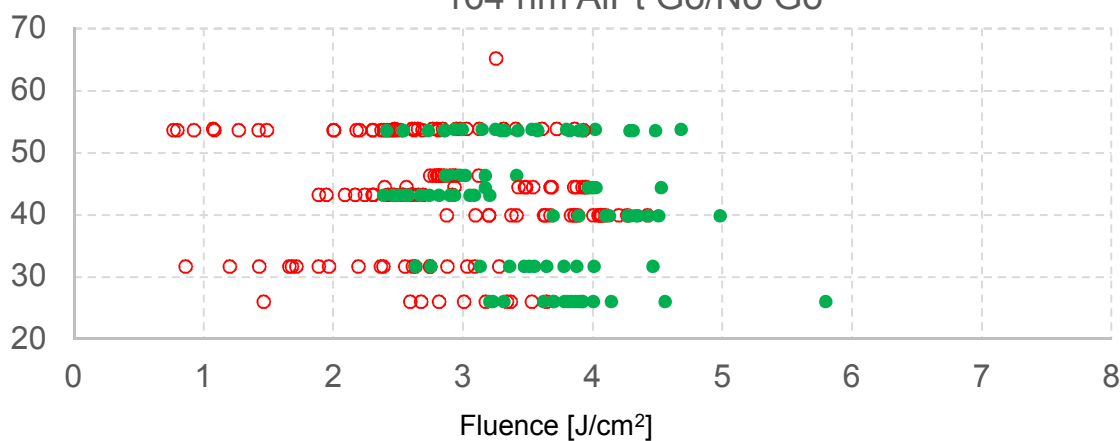
Probability

65nm AlPt Go/No Go



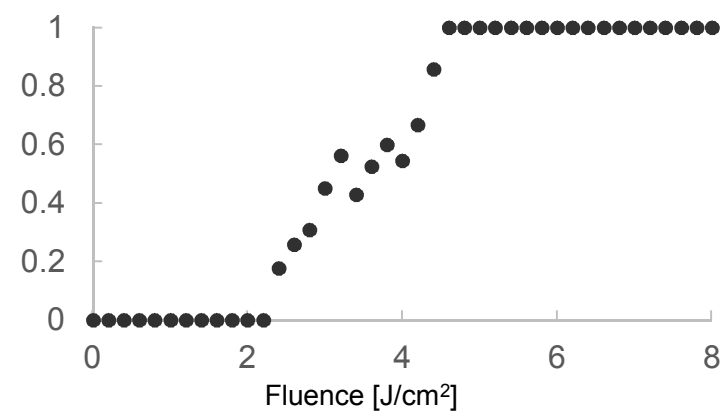
Spot Radius [ $\mu\text{m}$ ]

164 nm AlPt Go/No Go



Probability

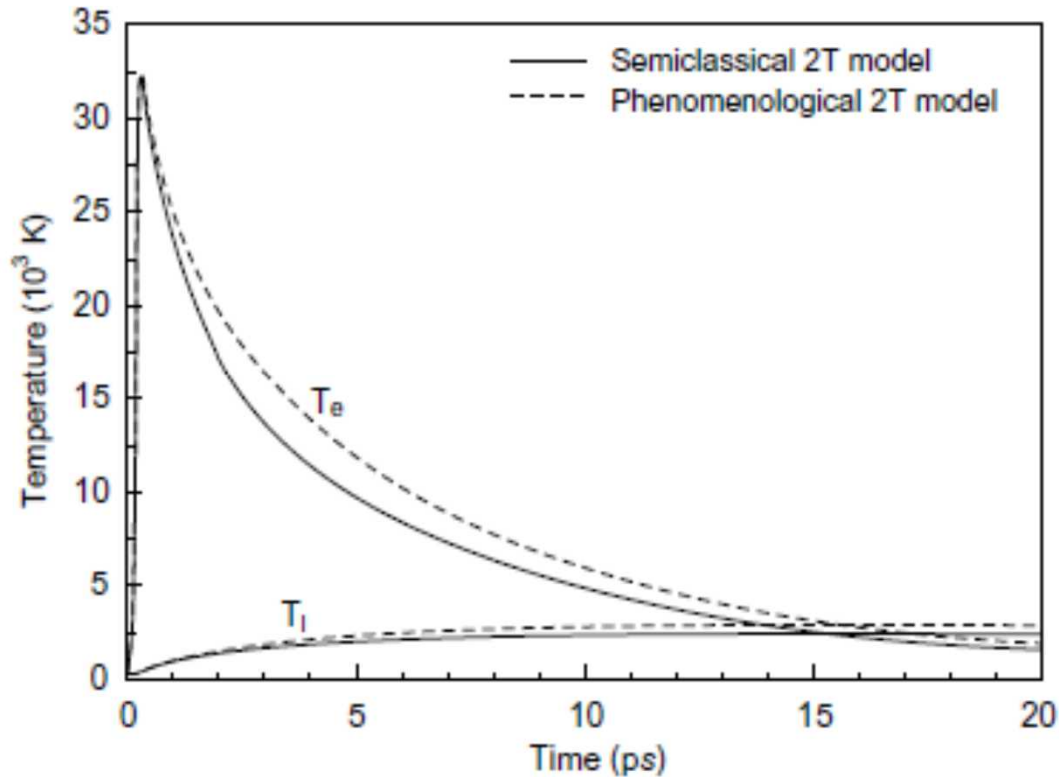
164 nm AlPt Go/No Go



150 fs Pulses

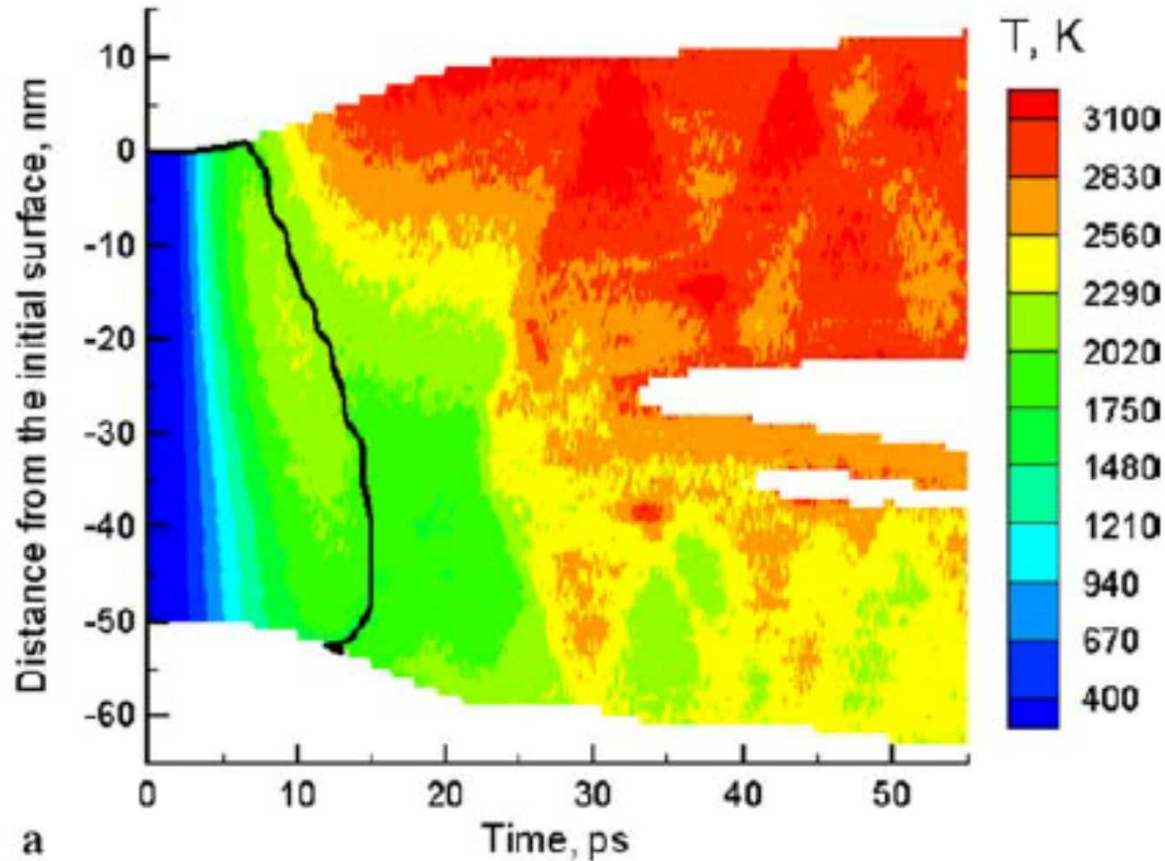
# Femtosecond laser excitation places metal into an extreme non-equilibrium condition

Electron and phonon systems at drastically different temperatures

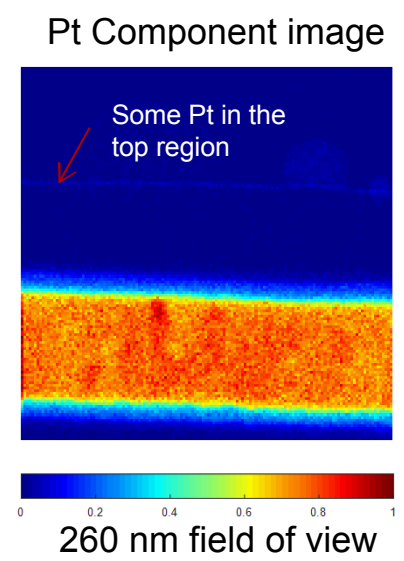
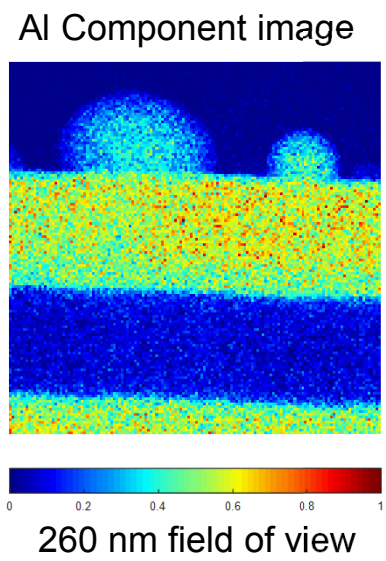
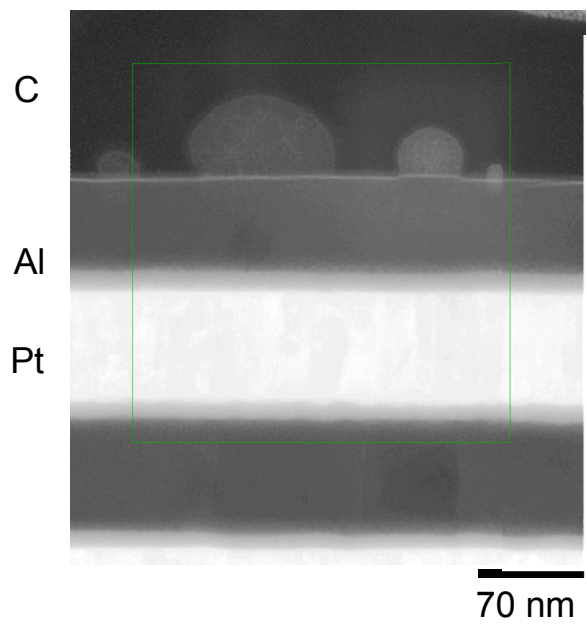
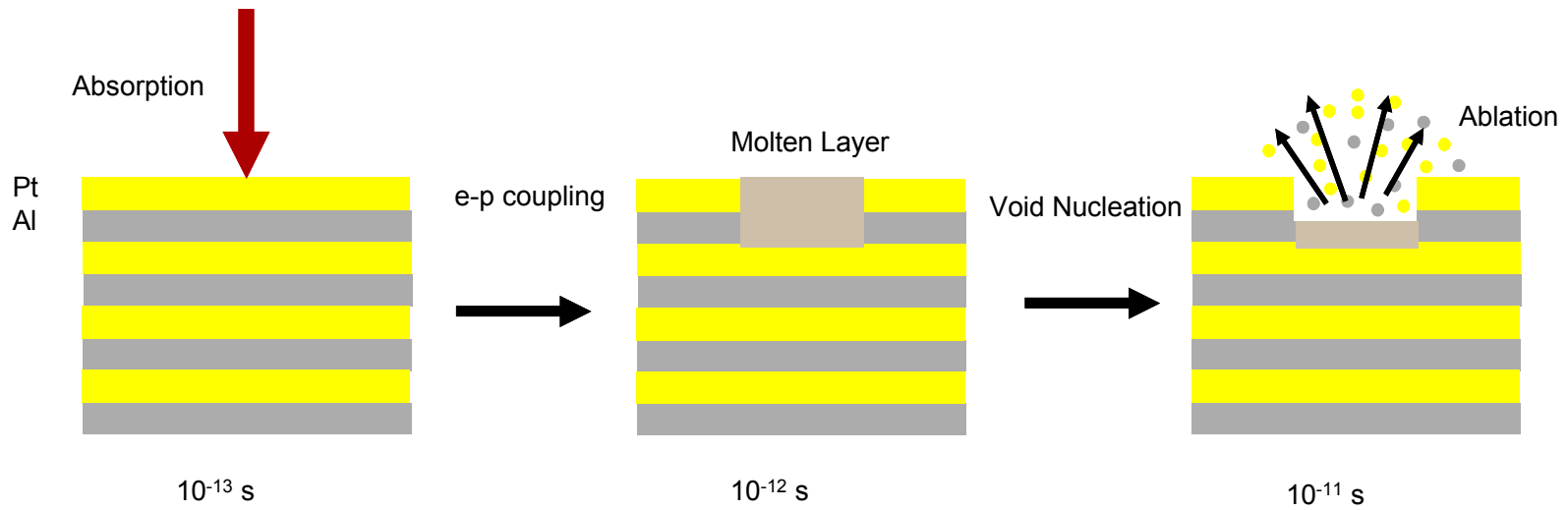


# Femtosecond laser excitation places metal into an extreme non-equilibrium condition

## Two-Temperature Model Coupled to Molecular Dynamics



# Laser Ablation Crater in cross-section TEM



# Two Temperature Model Setup

Equation 1:  
Electron System Heat Transport

$$C_e \frac{\partial T_e}{\partial t} = \frac{\partial}{\partial x} \left( k_e \frac{\partial T_e}{\partial x} \right) - G(T_e - T_l) + S(x, t)$$

Equation 2:  
Lattice System Heat Transport

$$C_l \frac{\partial T_l}{\partial t} = \frac{\partial}{\partial x} \left( k_l \frac{\partial T_l}{\partial x} \right) + G(T_e - T_l)$$

Equation 3:  
Laser Source Term

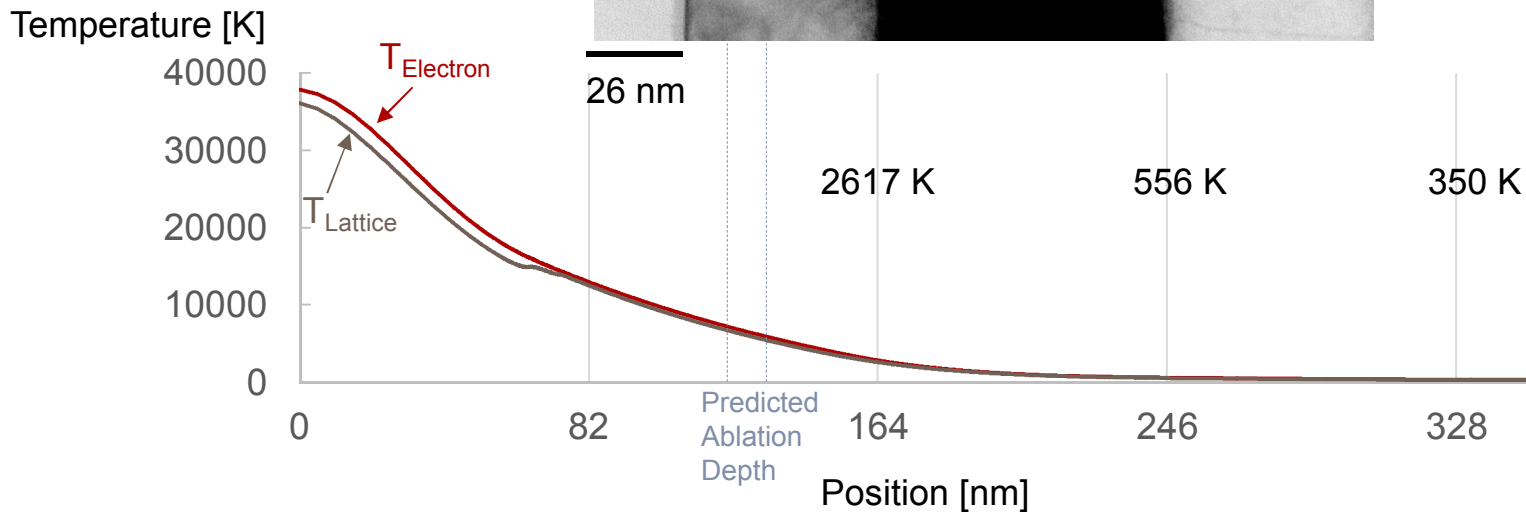
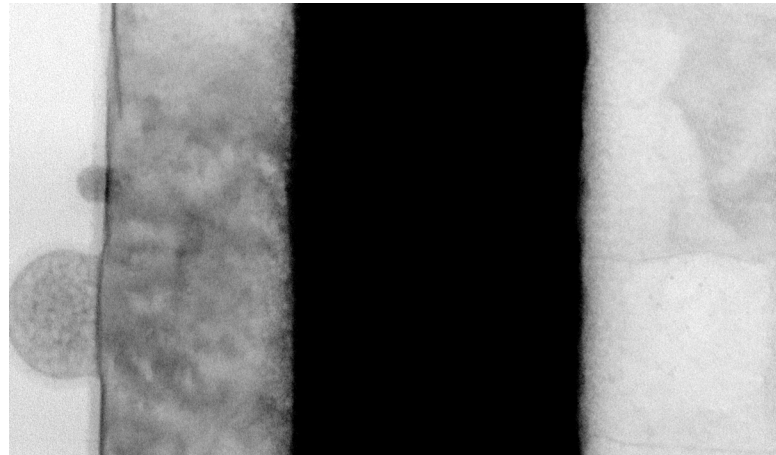
$$S(x, t) = \sqrt{\frac{4 \ln 2}{\pi}} \cdot \frac{[1 - R] \phi}{(\delta + \delta_b) t_p} \cdot \exp \left\{ \frac{-x}{(\delta + \delta_b)} - 4 \ln 2 \left[ \left( \frac{t - 2t_p^2}{t_p} \right)^2 \right] \right\}$$

Equation 4:  
Electron Thermal Conductivity  
(Room Temp to Fermi Temp)

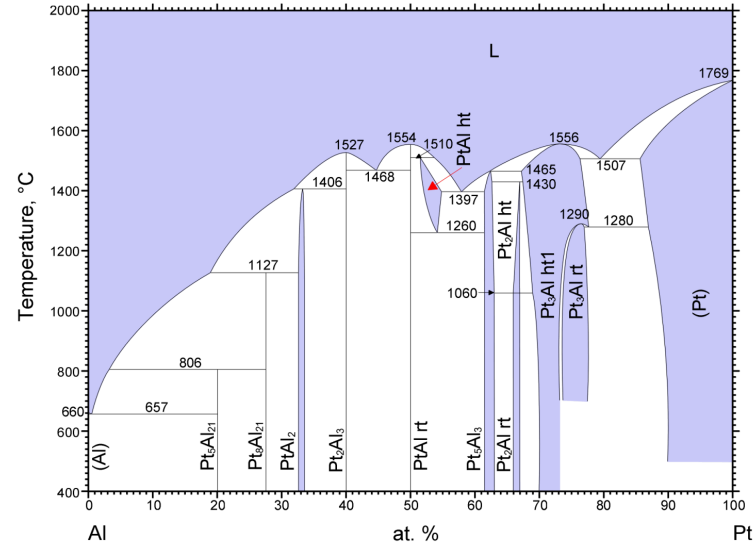
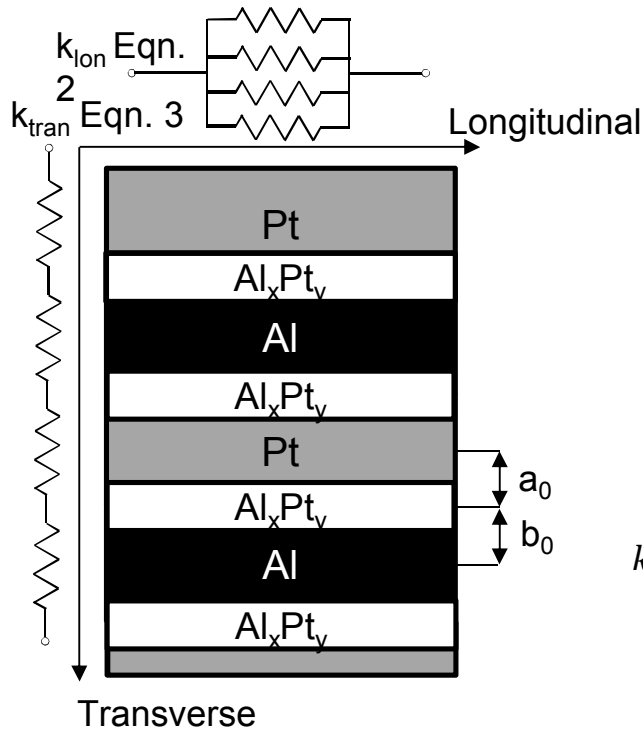
$$k_e = \alpha \frac{\left[ \left( \frac{T_e}{T_F} \right)^2 + 0.16 \right]^{5/4} \left[ \left( \frac{T_e}{T_F} \right)^2 + 0.44 \right] \left( \frac{T_e}{T_F} \right)}{\left[ \left( \frac{T_e}{T_F} \right)^2 + 0.092 \right]^{1/2} \left[ \left( \frac{T_e}{T_F} \right)^2 + \beta \frac{T_l}{T_F} \right]}$$

# Two Temperature Model of Foil Temperature at 30 ps

Irradiation at  $3.5 \text{ J/cm}^2$   
 150 fs pulse  
 $\omega_0 = 42 \text{ }\mu\text{m}$   
 164 nm Bilayer  
 ~108 nm of Ablation  
 Bright Field Image



# Mott s-d scattering model for heat transport in amorphous Al/Pt



$$k_{trans(e)} = LT_e (\sigma_{s(Al)} + \sigma_{d(Pt)})$$

$$k_{trans(e)} = LT_e \left( \frac{2e^2 v_{F(Al)}^2 N(\epsilon_F)_{Al} \tau_{Al}}{3V_{M(Al)}} + \frac{e^2 K_0^5}{12\pi^4 m_e v_{F(Pt)} \Gamma N_d(\epsilon_F)_{Al} V_{M(Pt)}} \right)$$

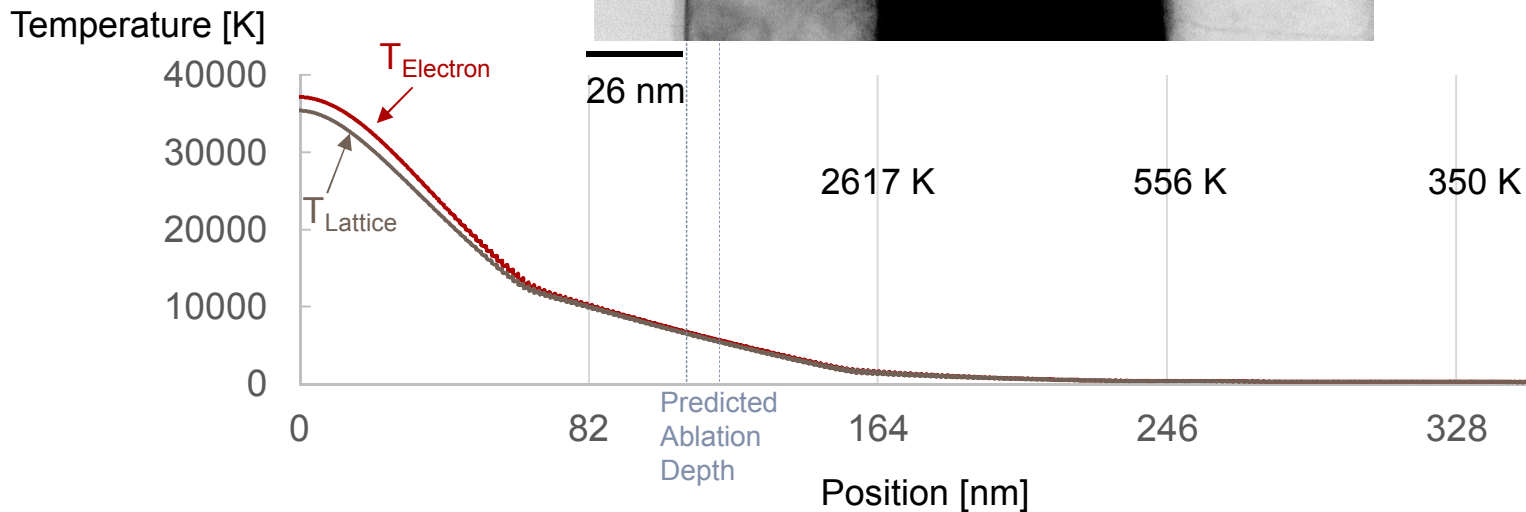
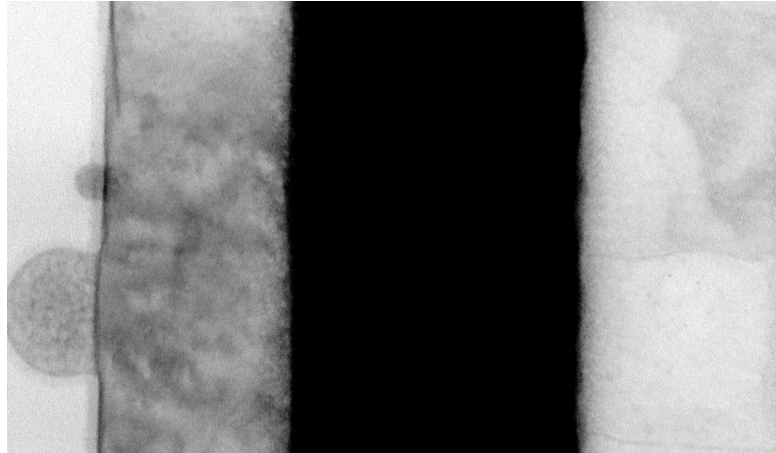
$K_0$  := Constant derived from energy levels of d-band states in Pt

$\Gamma$  := linewidth in d-band

$\tau$  := electron scattering time

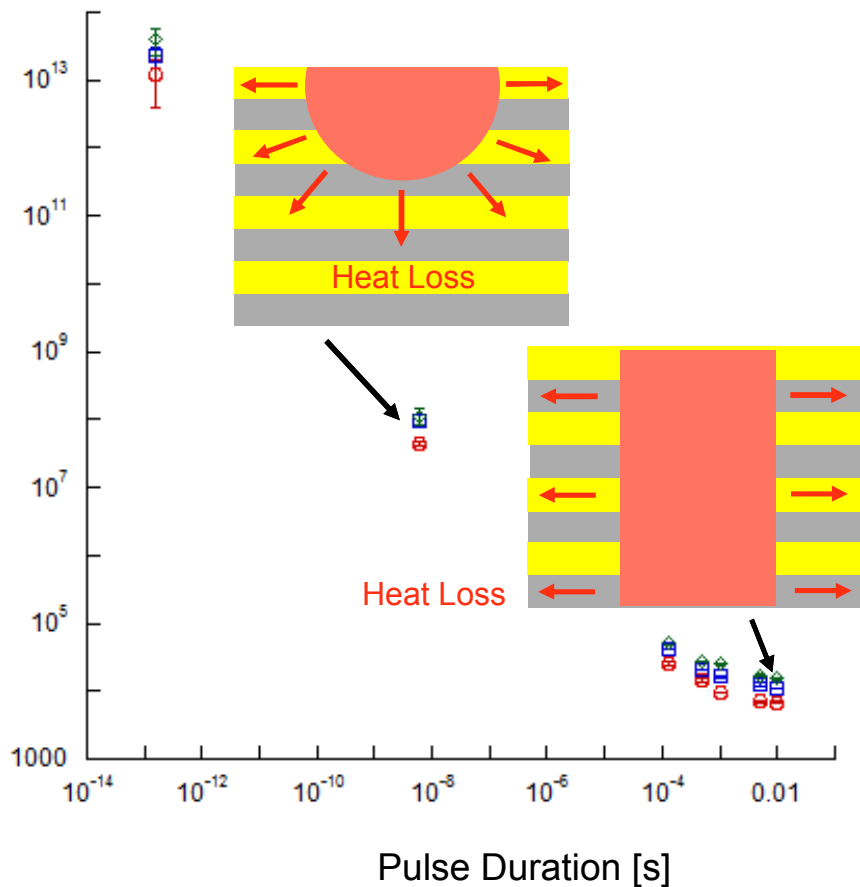
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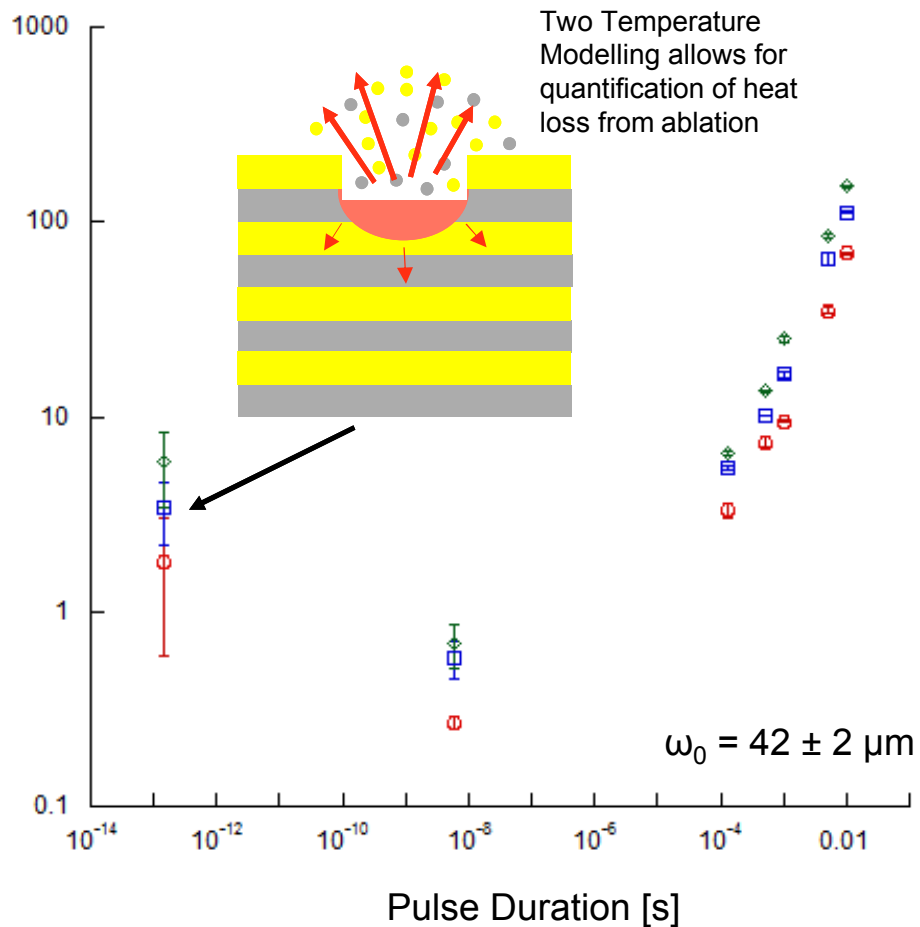


# Summary

Intensity [W/cm<sup>2</sup>]



Fluence [J/cm<sup>2</sup>]



◇ 328 nm Bilayer

□ 164 nm Bilayer

○ 65 nm Bilayer