

Atomistic details of metal additive manufacturing in powder beds

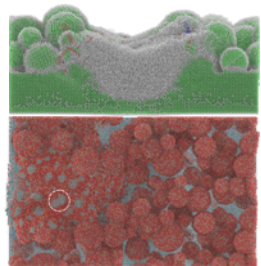
Mark Wilson and Michael Chandross

Computational Materials and Data Science

AM Modeling at SNL

Codes
LAMMPS, SPPARKS,
Sierra/Aria,
Sierra/Adagio

Powder Behavior
Mark Wilson



10^{-8}

10^{-6}

10^{-4}

10^{-2}

1

Length Scale (m)

2

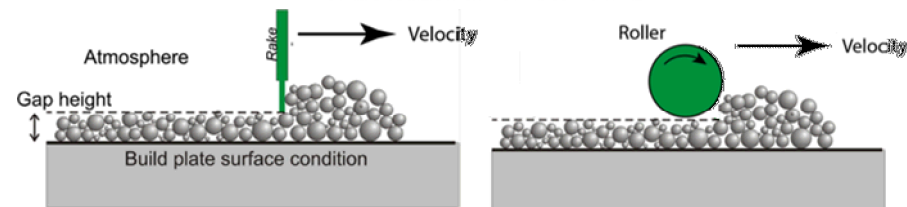
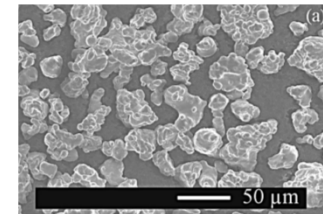
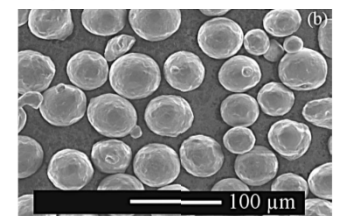
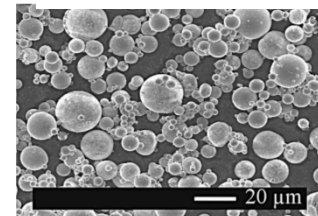
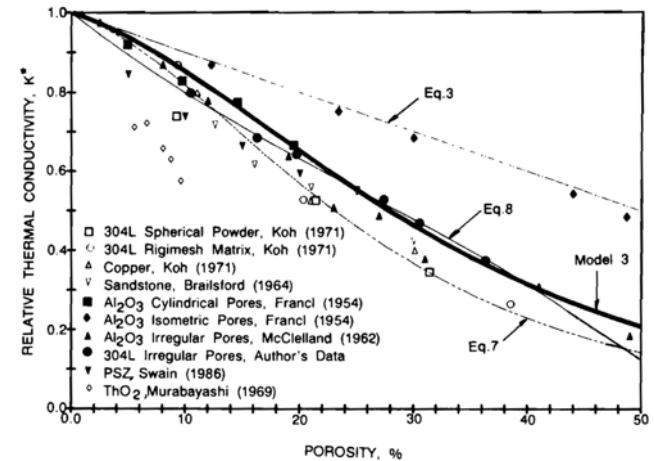
Motivation

Characterization of powder properties is critical in developing process-structure relationships

Multiple contributions to thermal conductivity within powder bed environments

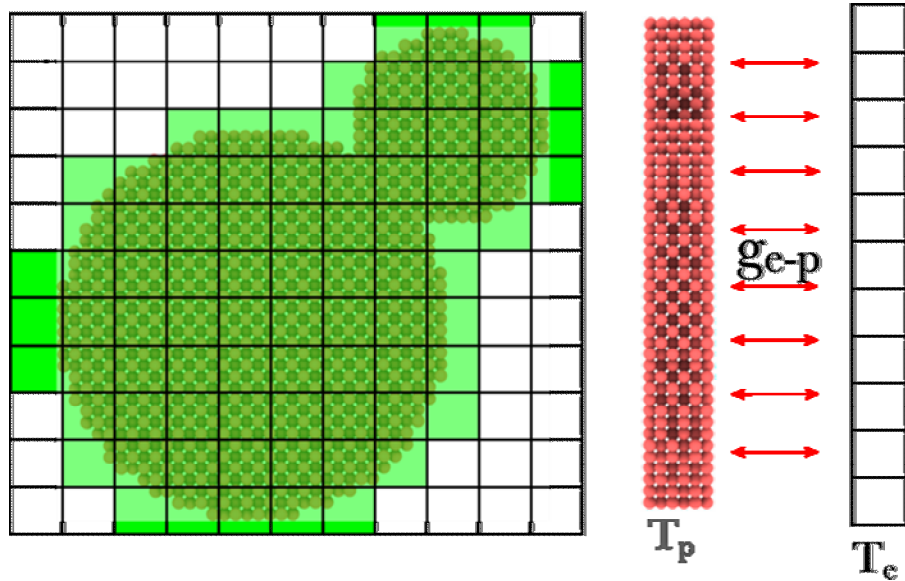
- Packing fraction – porosity/topology
- Chemical composition
- Particle morphology – contact area
- Environment: convection and radiative
- Radial size
- Poly-disperse size distribution

GOAL: explore relative contributions to thermal conductivity at the atomistic scale



Agapiou et al. *J Heat Trans* (1989)
Rombouts et al. *J. Appl. Phys* (2005)

Computational model



$$C_e(T_e) \rho_e \frac{\partial T_e}{\partial t} = \nabla(\kappa_e(T_e) \nabla T_e) - g_{e-p}(T_e - T_p) + g_s T_a'$$

Heat equation

electron-
phonon
coupling

electron
stopping
energy

Parameterization

Heat capacity:

$$C_e \rho_e$$

estimated from free electron
density, electronic DOS

Lin et al., Phys. Rev. B. (2008)

Conductivity:

$$\kappa_e$$

Franz-Wiedemann law (electronic),
direct method MD (phonon)

Electron-phonon coupling:

$$g_{e-p}$$

DFT calculations of electronic DOS,
pump-probe experiments

Damping coefficient:

$$\gamma_i = \gamma_p + \gamma_s$$

frictional contributions, electron-
ion interaction, electron stopping

Material approximation

304L SS

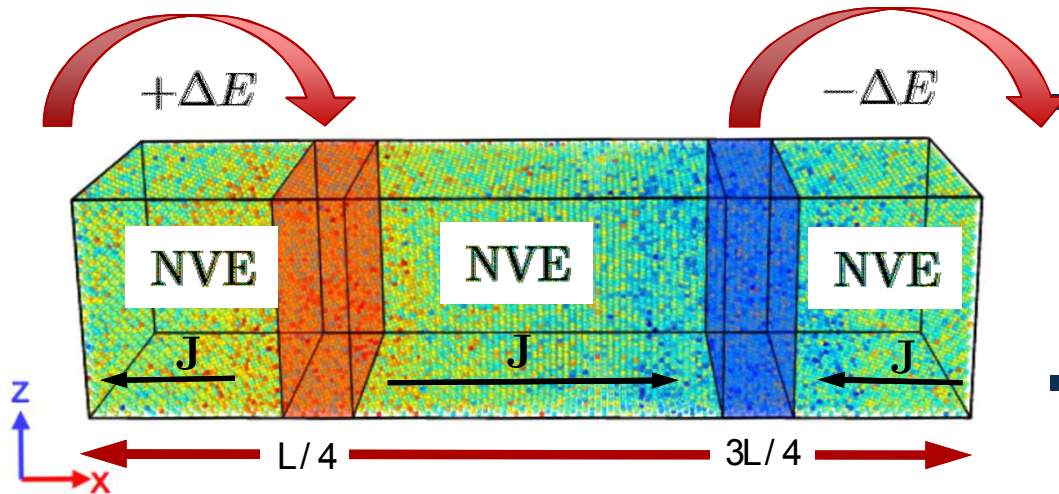
Inconel 718

$\text{Fe}_{0.7}\text{Cr}_{0.18}\text{Ni}_{0.12}$

$\text{Fe}_{0.3}\text{Cr}_{0.2}\text{Ni}_{0.50}$

Rutherford and Duffy, *J. Phys. Condens. Matter* (2007)
Jones R., *Int. J. Num. Meth. Engin* (2010)

Thermal conductivity via the “direct” method

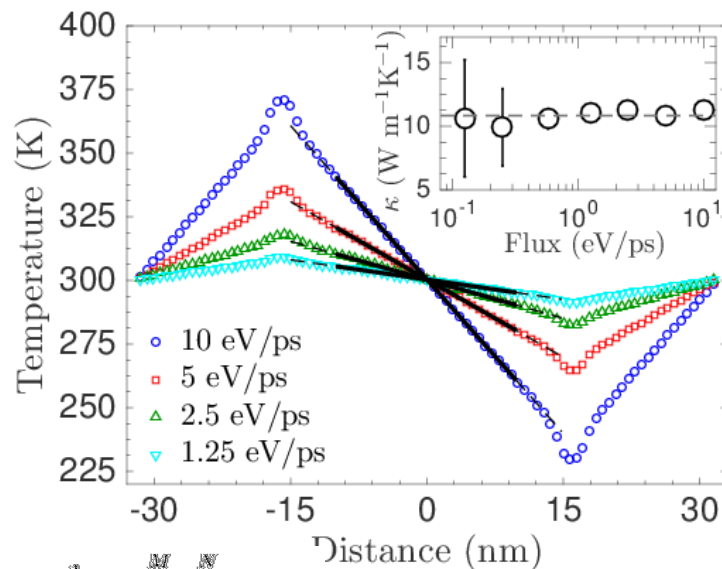


Fourier's law of thermal conduction for small temperature gradients $\mathbf{J} = -\kappa \nabla T$

- Heat flux is applied through a velocity renormalization method, conserving net linear momentum

$$\kappa = -\frac{J/A}{\partial T / \partial L} \quad J = \frac{\Delta E}{\Delta t 2A} [\text{W/m}^2]$$

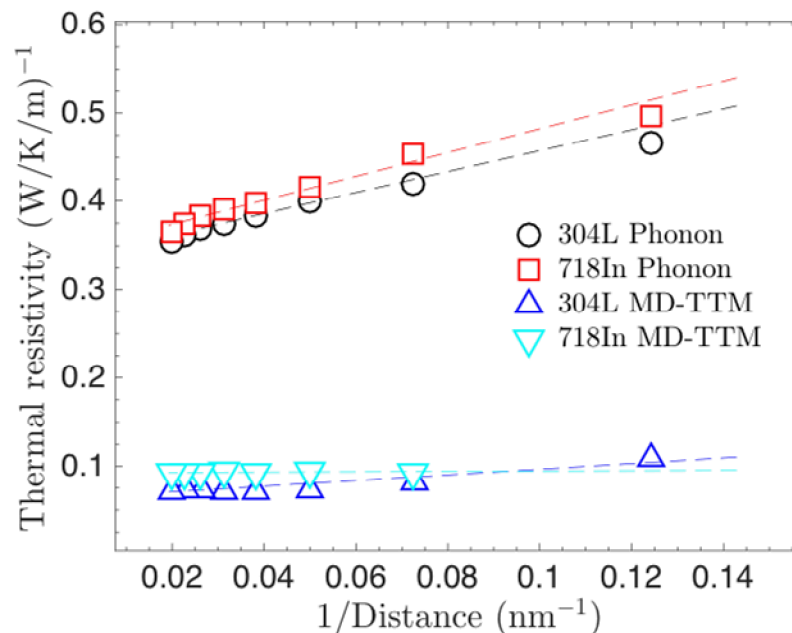
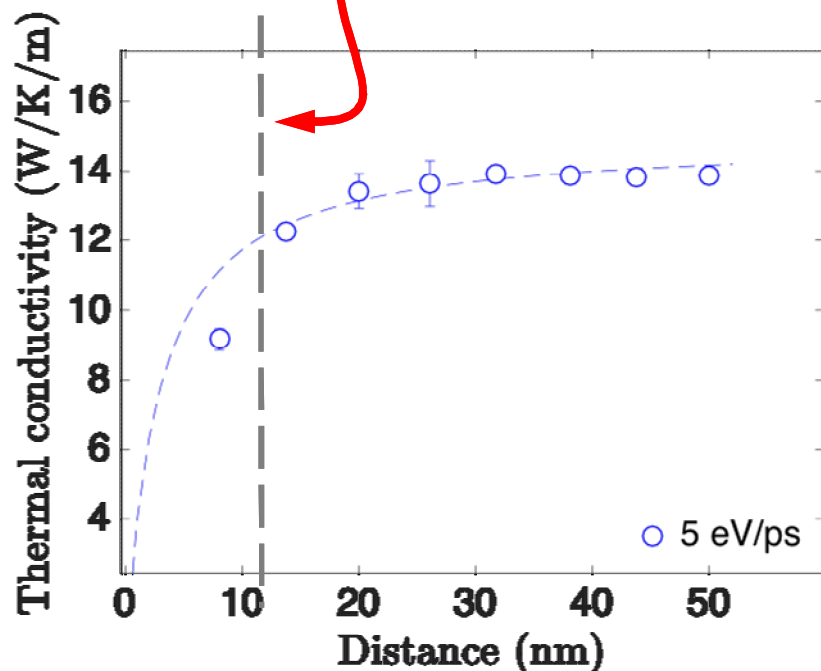
- System undergoes Newtonian dynamics through an NVE ensemble, embedded atom methods



$$\langle T_{\text{stat}} \rangle = \frac{1}{3NMk_B} \sum_{i=1}^M \sum_{j=1}^N m_i \mathbf{v}_i^2$$

Finite system size effects

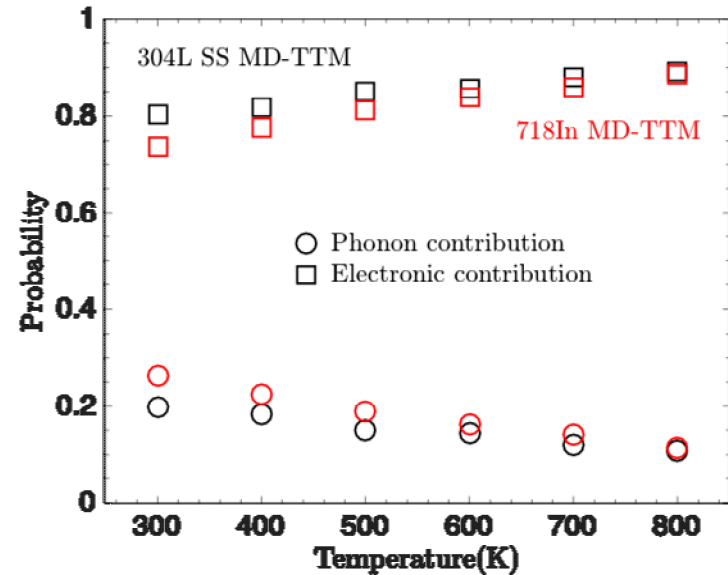
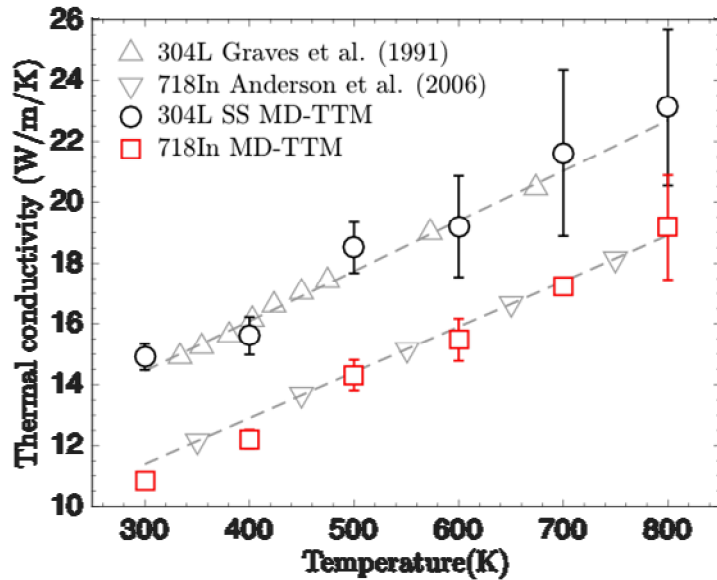
Phonon mean free path: ~10 nm



- Extrapolate to bulk properties – Matthiessen rule
- Mean free path, group velocity of acoustic phonon can be determined under a simple model

$$\frac{1}{\kappa} = \frac{2}{nk_B v} \left(\frac{1}{\ell_{\text{MFP}}} + \frac{4}{L} \right)$$

Single crystal - temperature dependence

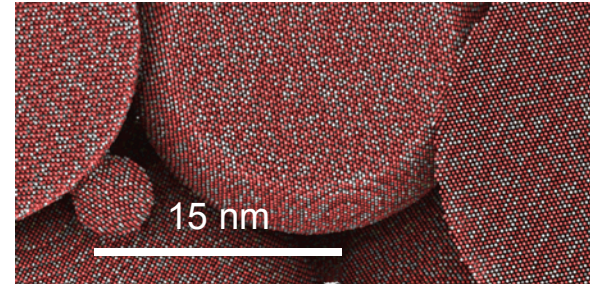
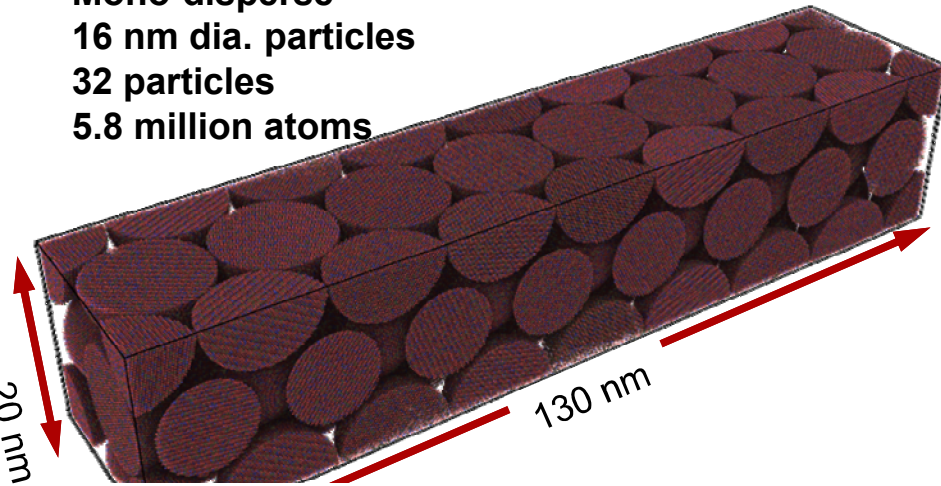


- Verification of parameterization for both 304L SS and 718 Inconel show agreement with experimentally determined bulk values
- Both materials, energy transport is dominated by electronic contributions, behavior increases with higher temperatures

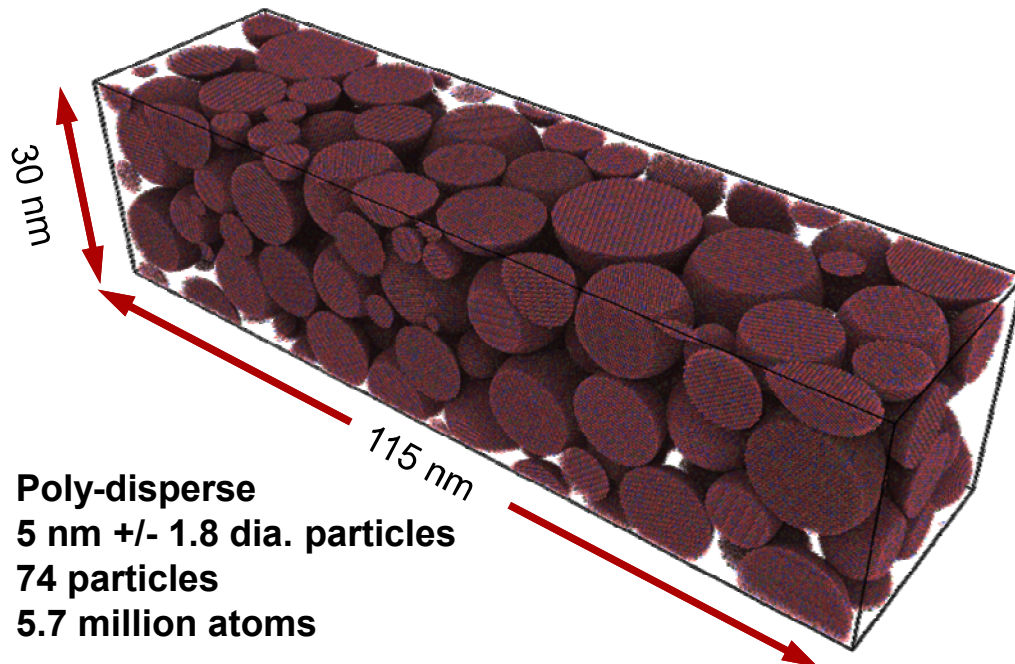
Graves, et al. *Int. J. Thermophysics* (1991)
Anderson, *Int. J. Machine Tools and Manuf.* (2006)

Nanoparticle powder beds

Mono-disperse
16 nm dia. particles
32 particles
5.8 million atoms



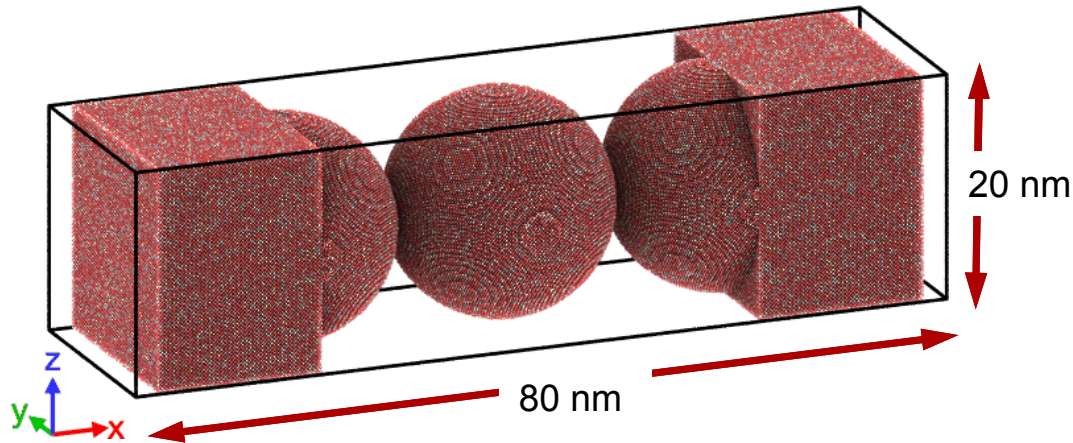
- Packed particle configurations are generated from DEM simulations
- Interstitial regions between particles are modeled as vacuum
- Particles are mobile, results in variations in contact area



Poly-disperse
5 nm +/- 1.8 dia. particles
74 particles
5.7 million atoms

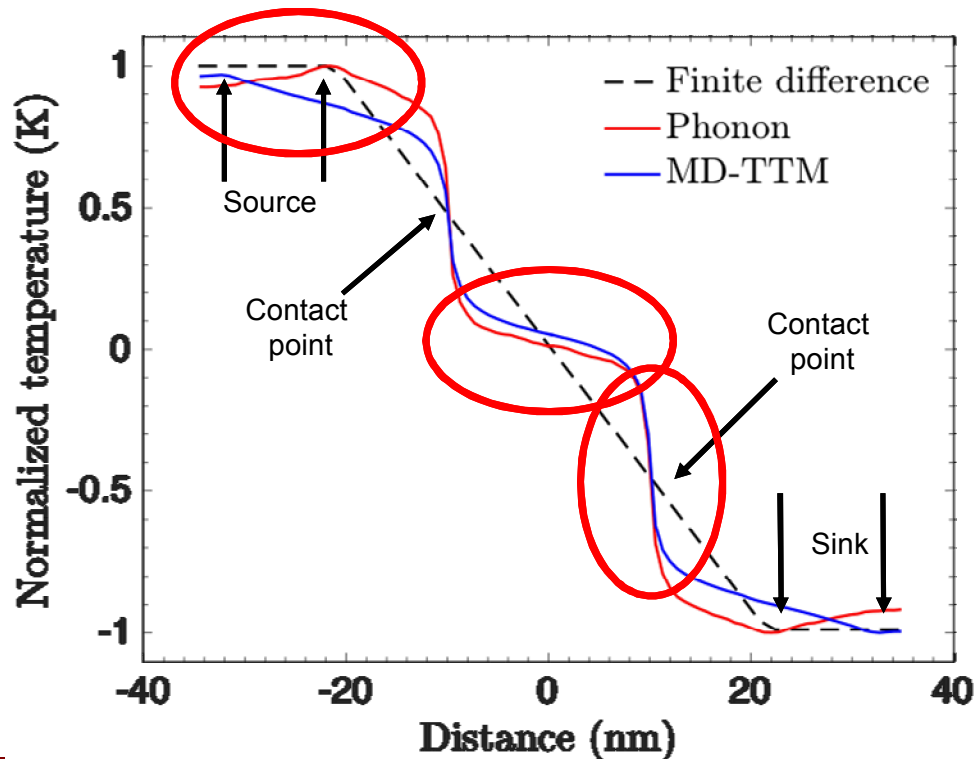
Using a similar approach to the determination of bulk conductivity properties, investigate size and distribution dependence on thermal conductivity

“Ideal” example of particle contact



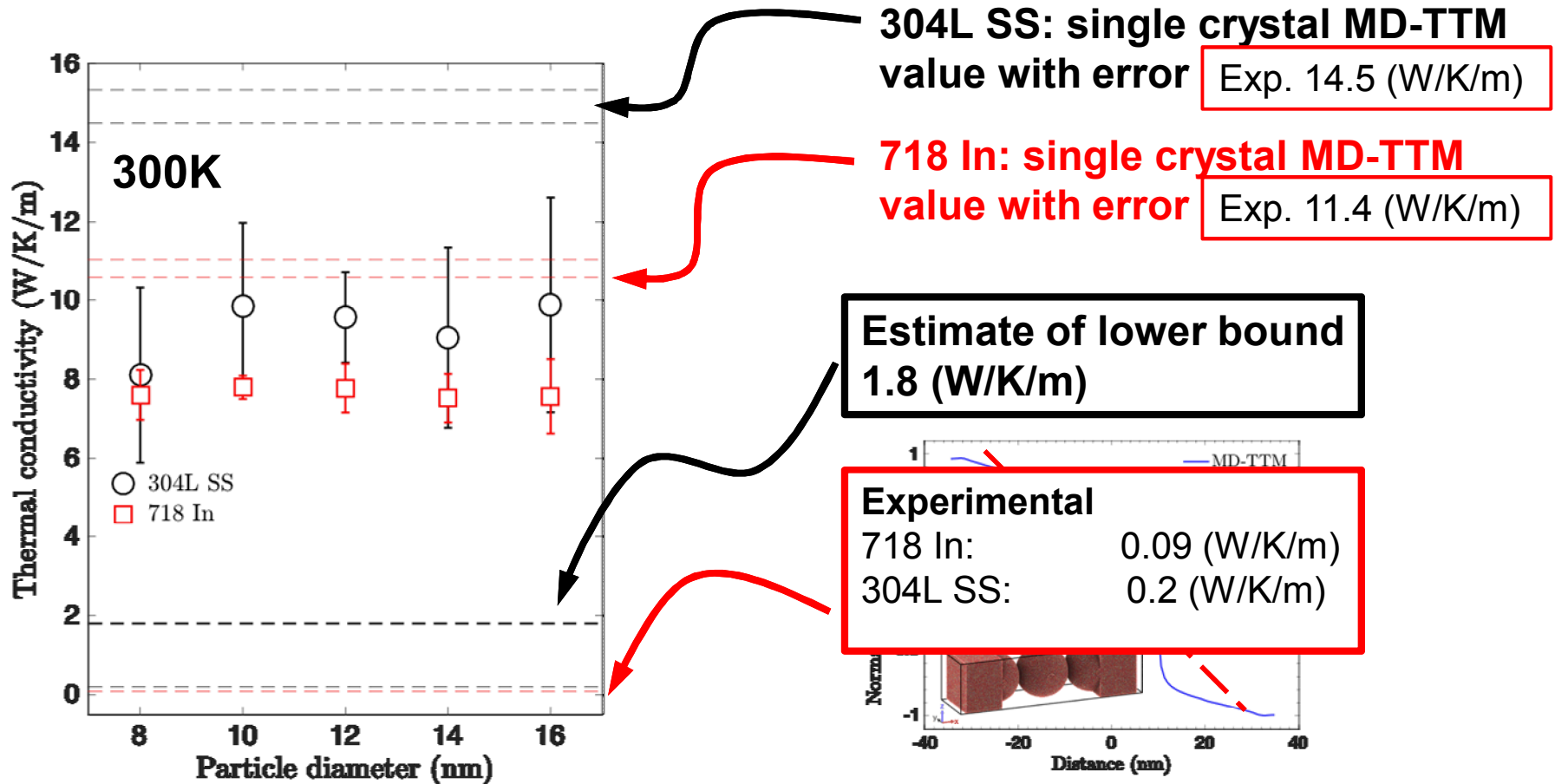
- Diffuse energy transmission within finite difference approach leads to linear profile within steady state

- Reflective phonon, phonon-phonon, and phonon-source/sink interactions give rise to topological information contained in profile



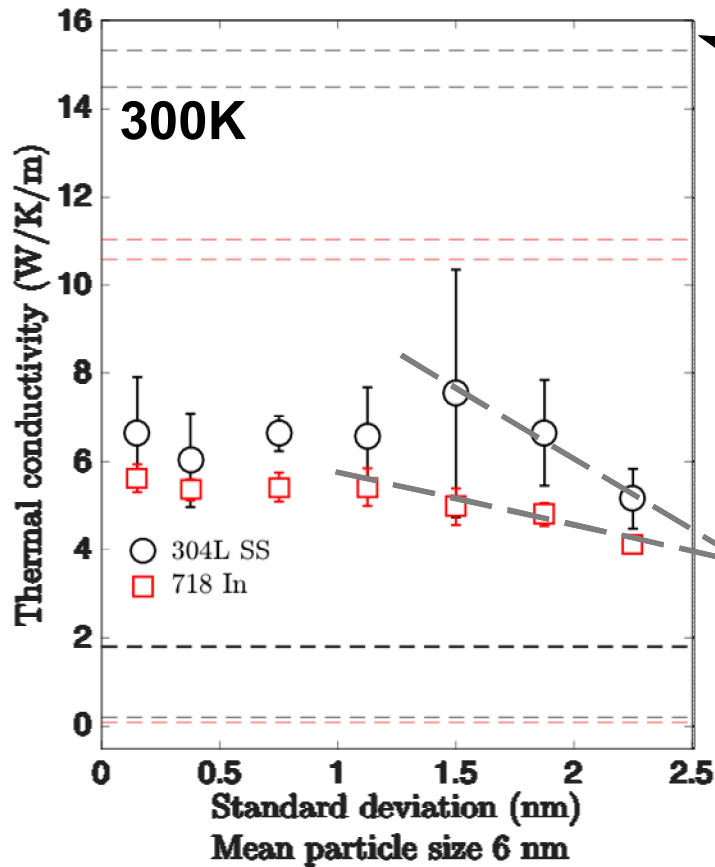
MD-TTM exhibits thermal profile consistent with present topology

Mono-disperse size dependence



- Mono-disperse beds exhibit a conductivity nearly a factor of 1.5 less than single crystal

Distribution dependence

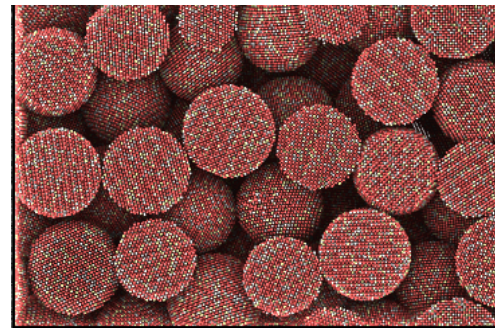


304L SS: single crystal MD-TTM value with error Exp. 14.5 (W/K/m)

718 In: single crystal MD-TTM value with error Exp. 11.4 (W/K/m)

- Poly-disperse beds exhibit a conductivity nearly a factor of 2 less than single crystal

Trending behavior?



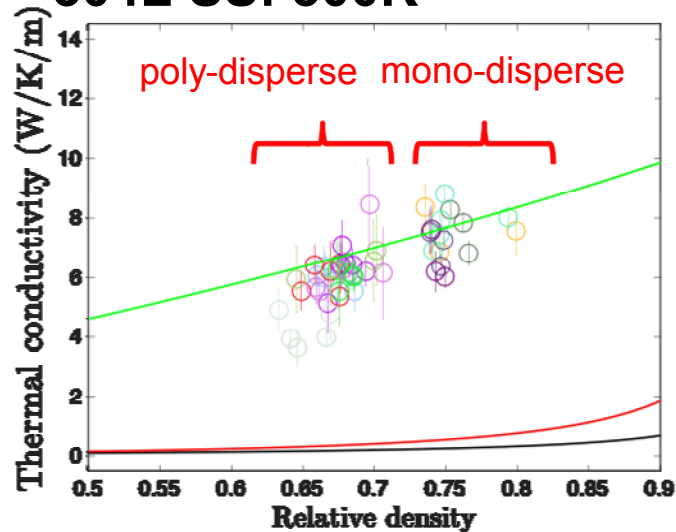
Lots of pathways



Fewer pathways

Relative density and analytical results

304L SS: 300K



Gonzo (2002)

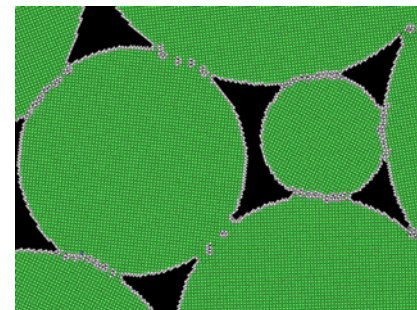
$$\frac{k_{\text{eff}}}{k_1} = \alpha \frac{[1 + 2\beta'(1 - \phi)]}{[1 - \beta'(1 - \phi)]}$$

Chiew (1980)

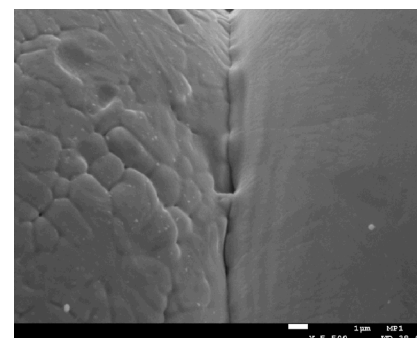
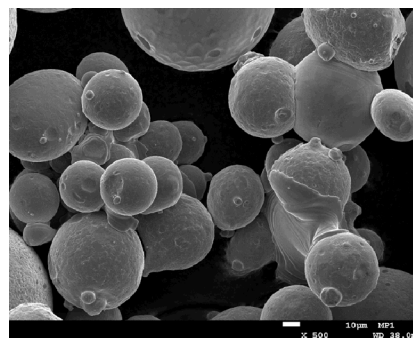
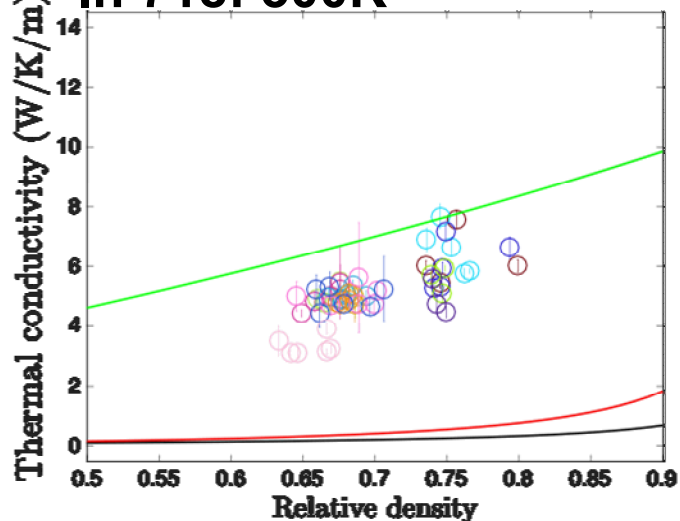
$$\frac{k_{\text{eff}}}{k_1} = \frac{1 + 2\beta\phi + (K_2 - 3\beta^2)\phi^2}{1 - \beta\phi}$$

Maxwell (1874)

$$\frac{k_{\text{eff}}}{k_1} = \frac{1 + 2\beta\phi}{1 - \beta\phi}$$

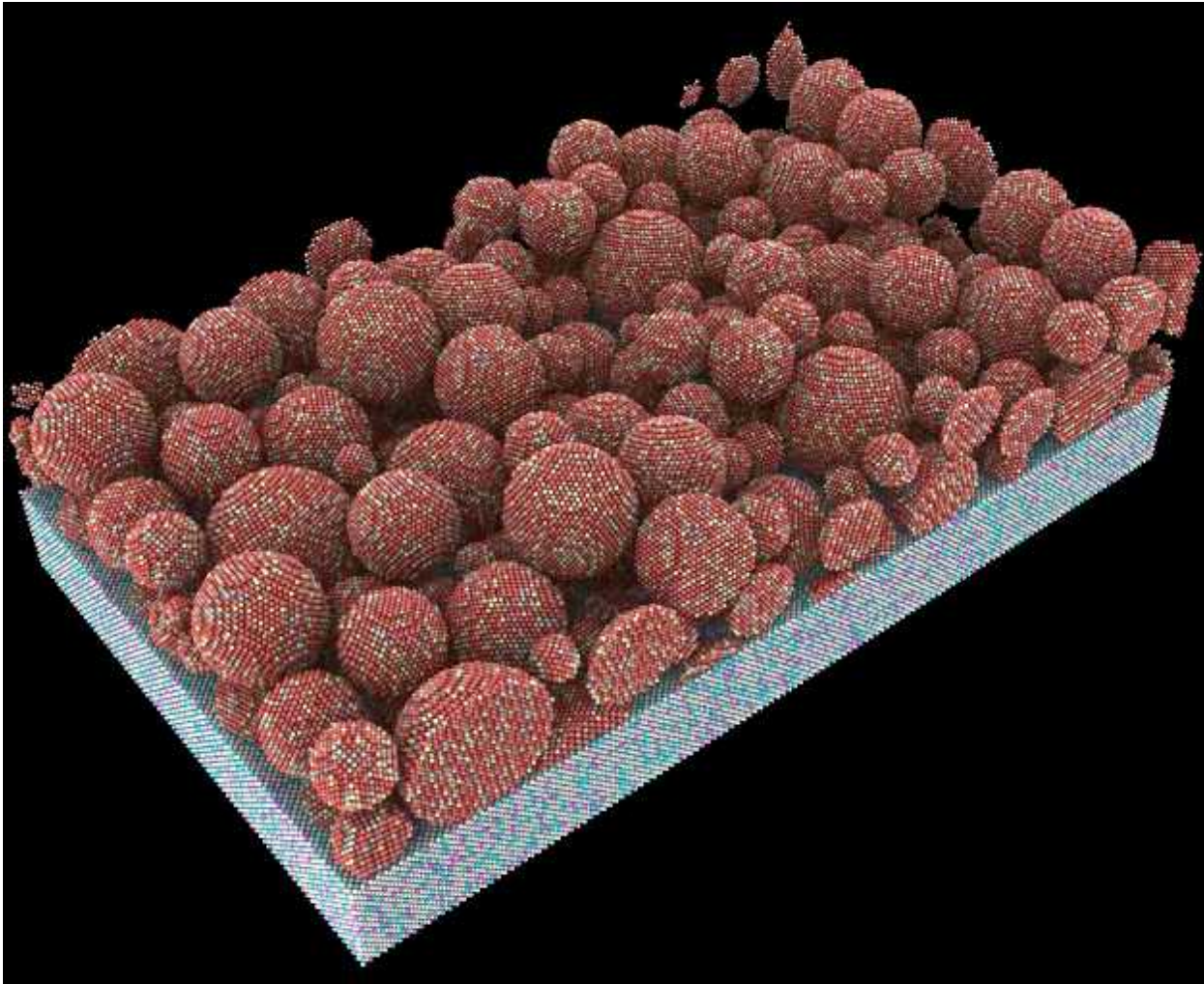


In 718: 300K



Slotwinski, J. of Research of the NIST (2014) 12

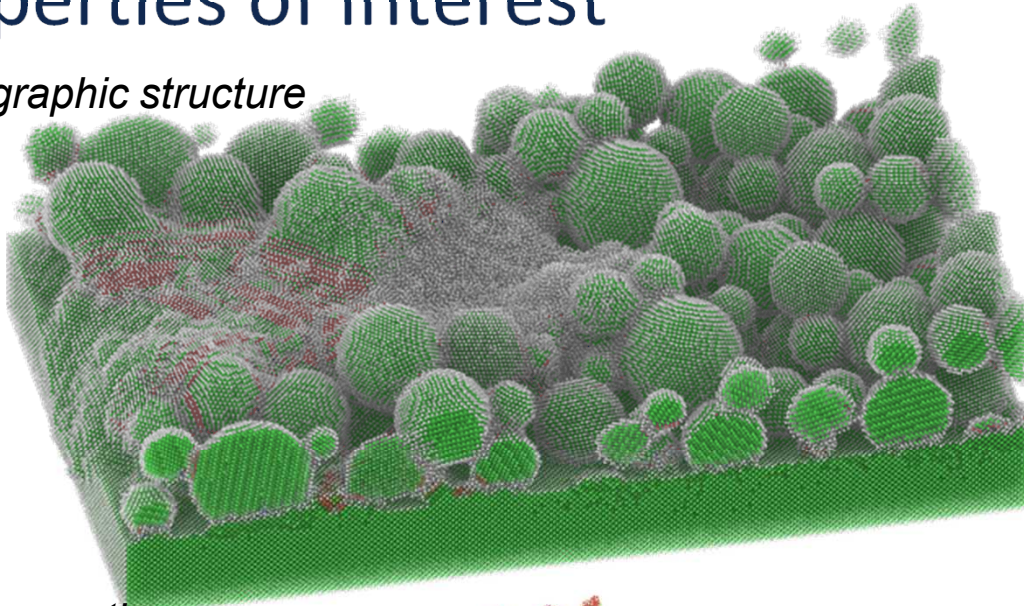
SLM in nanoparticle powder beds



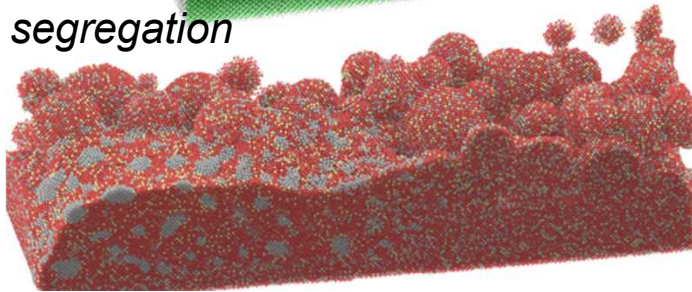
- ~200 W laser source
- Scan velocity: 10m/s
- Longest dimension ~100 nm

Properties of interest

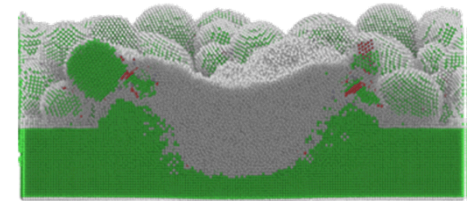
Crystallographic structure



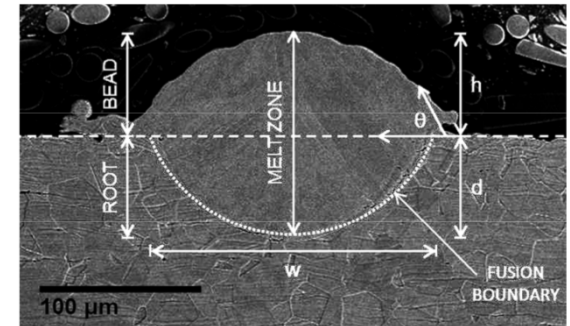
Solute segregation



Scan direction:
Into page

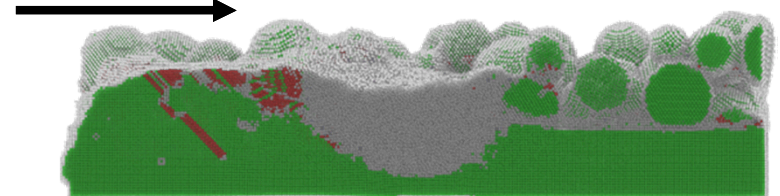


Defect nucleation and incomplete melting of powder

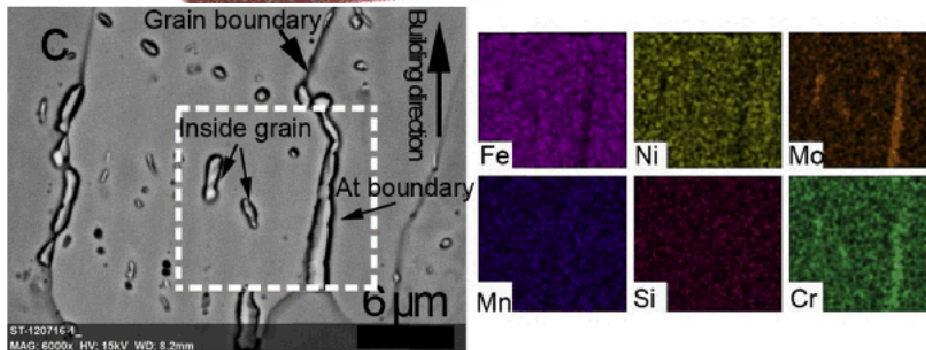


Roehling et al. Acta Materialia (2017)

Scan direction

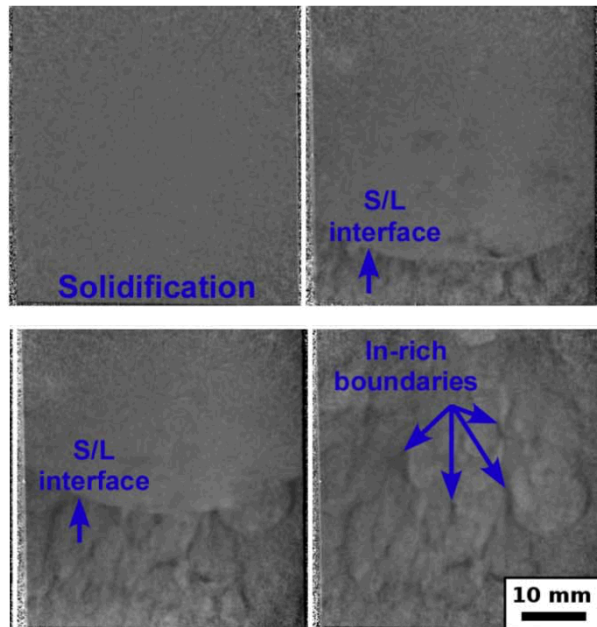


Powder size and distribution dependent melt pool geometries

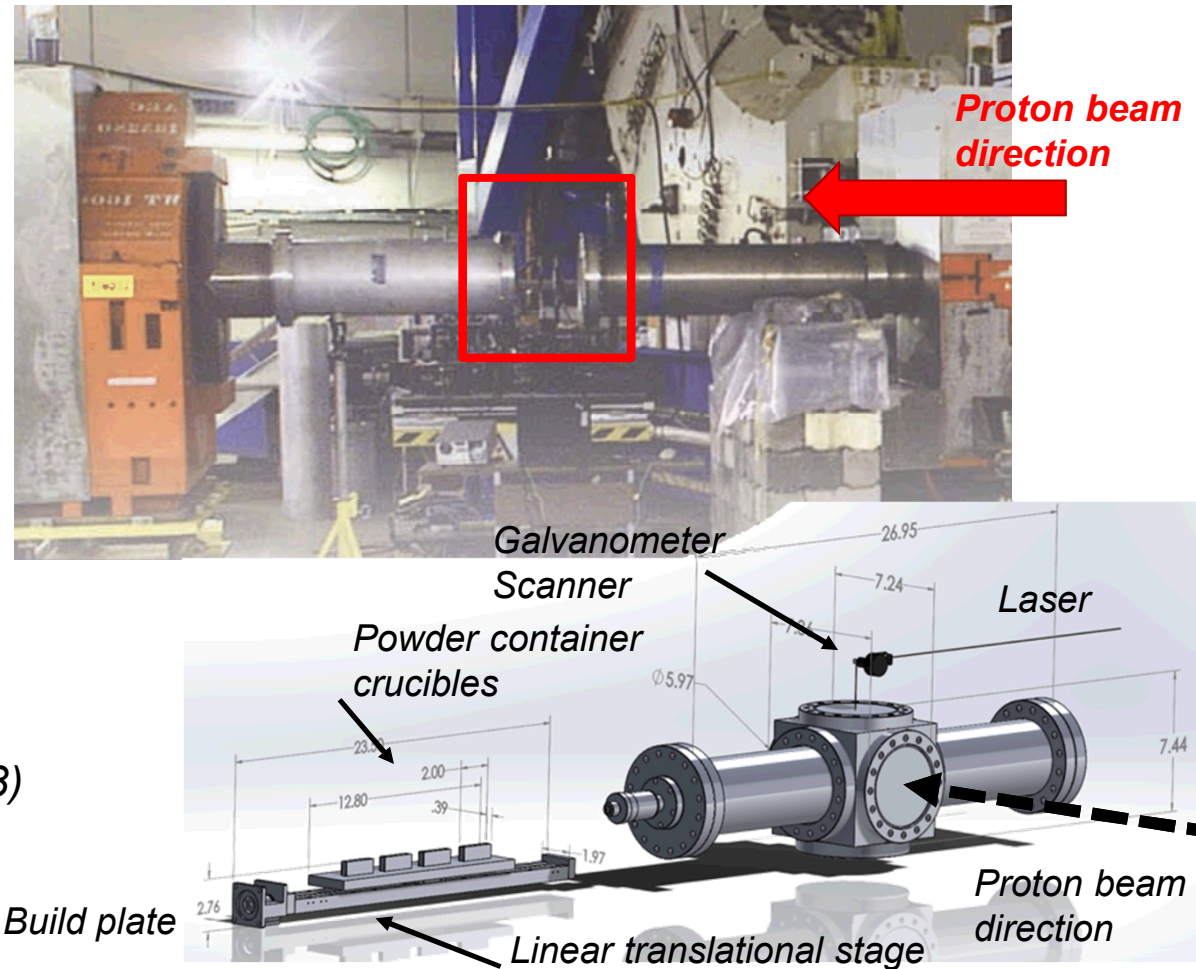


Model Validation

- Proposal to utilize LANSCE proton radiography facility at LANL
- Establish an *in situ* **through material** observation of melting and solidification
- Rapid 160 ns imaging frame rate



Clarke A., et al. *Sci. Rep.* (2013)



Summary

- Multiscale MD and continuum level model is utilized to study metal alloy particle systems. Determination of thermal conductivity and a single SLM laser pass is modeled in nano-scale powder beds.
- Model predicts conductivity values which extrapolate to bulk system properties accurately. Poly/mono-disperse results showed conductivity values near a factor of 2 lower than single crystal values, lacking size dependence, with decreasing trends with increasing width of distribution.
- “Direct method” indicates the importance of structural topology when features of interest are on the order of the MFP (particle contacts).
- Atomistic SLM process provides opportunity to investigate defect nucleation, solute segregation and melt pool geometry.

