

Fracture Toughness Measurements of Amorphous Diamond Thin Films using Acoustic Emission-Sensing Nanoindentation

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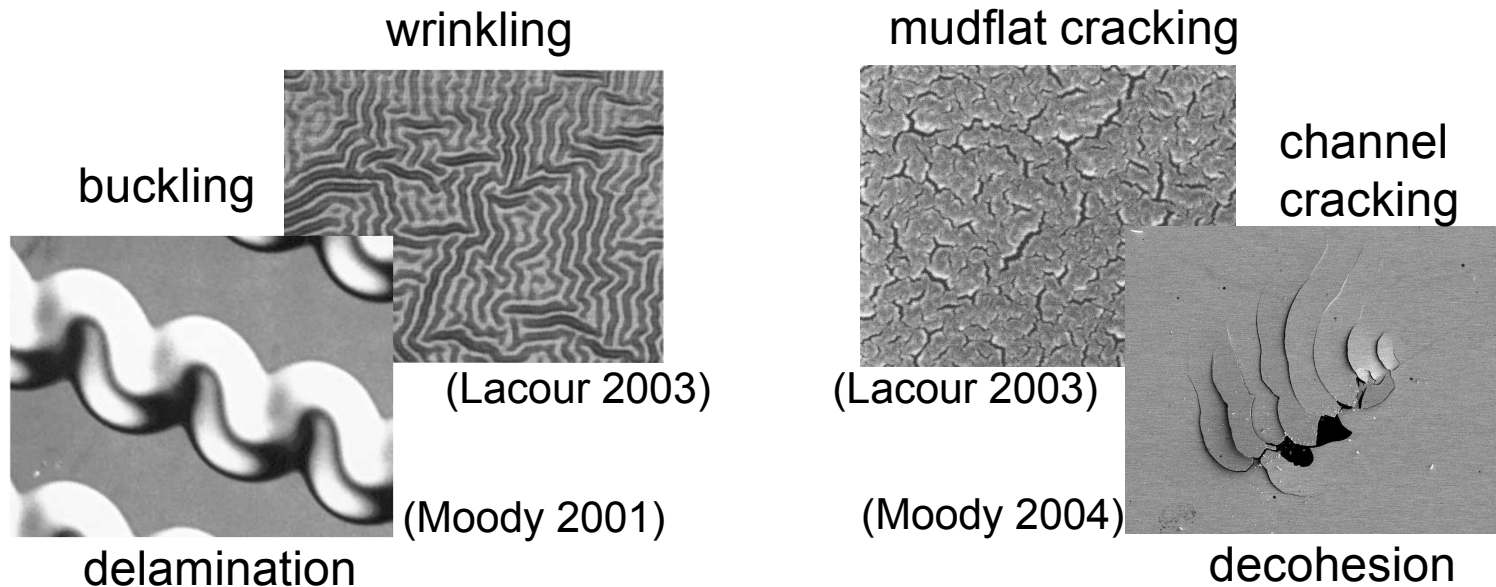
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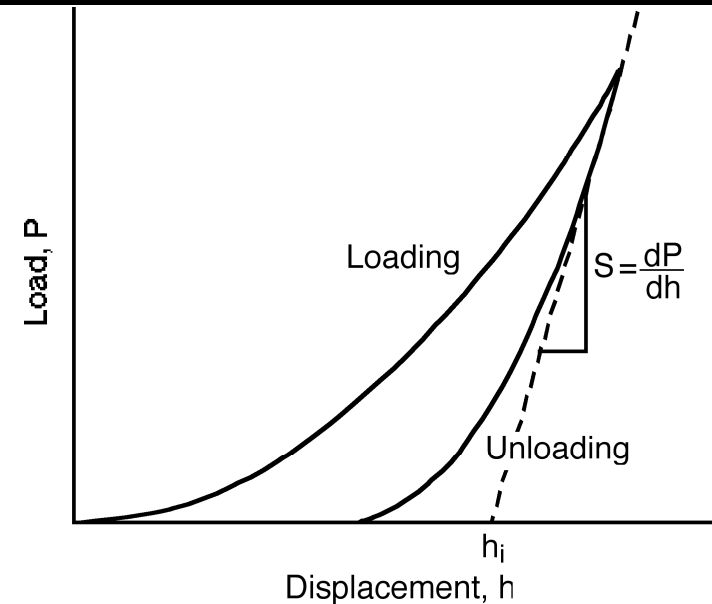
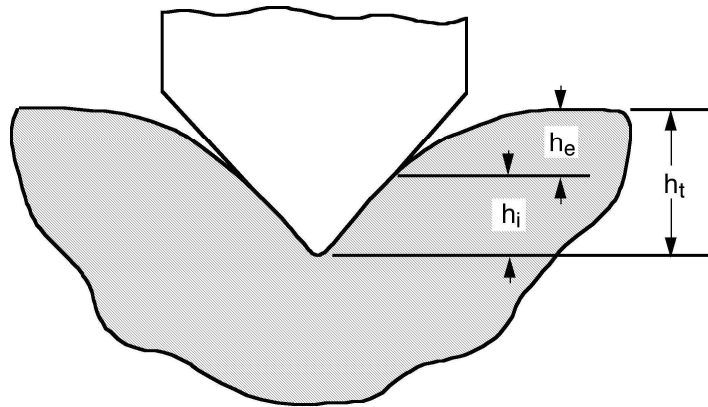


Coating Lifetime and Performance

- **Determination of mechanical properties is critical in designing modern IC and MEMS devices**
- **Understanding adhesion and fracture behavior allows for increased reliability of nanostructured materials and devices.**



Nanoindentation Technique



Stiffness is calculated from the elastic unloading curve:

$$S = \frac{dP}{dh} = \frac{2E_r \sqrt{A_i}}{\sqrt{\pi}}$$

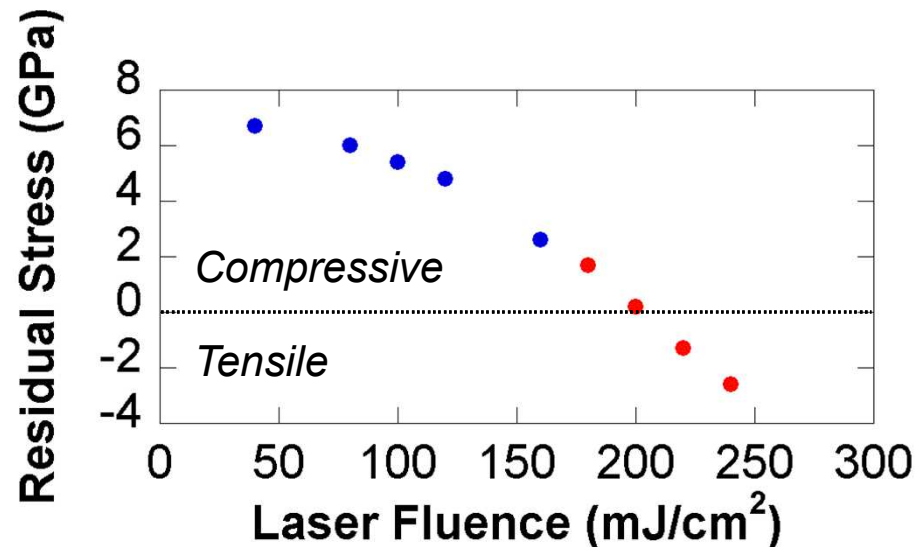
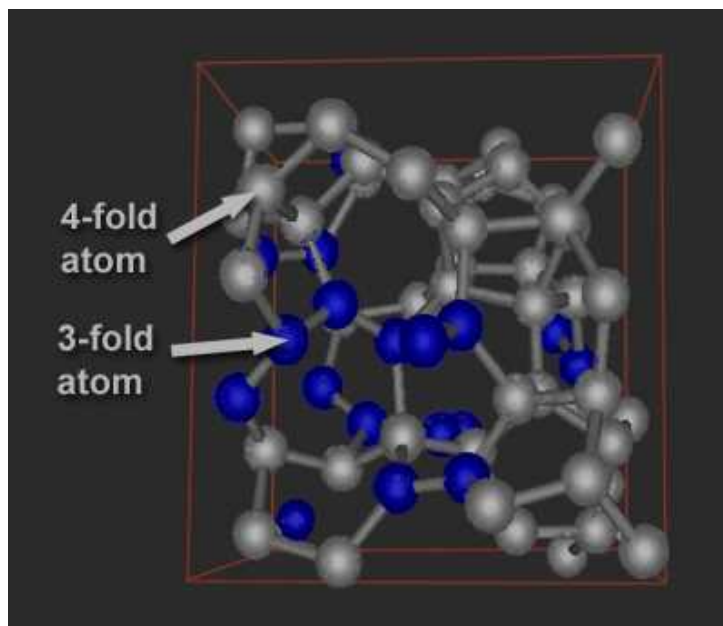
from which the sample elastic modulus can be determined as follows.

$$\frac{1}{E_r} = \frac{(1 - \nu_s^2)}{E_s} + \frac{(1 - \nu_i^2)}{E_i}$$

Furthermore, hardness can be determined as

$$H = \frac{P_{\max}}{A_i}$$

Amorphous Diamond System

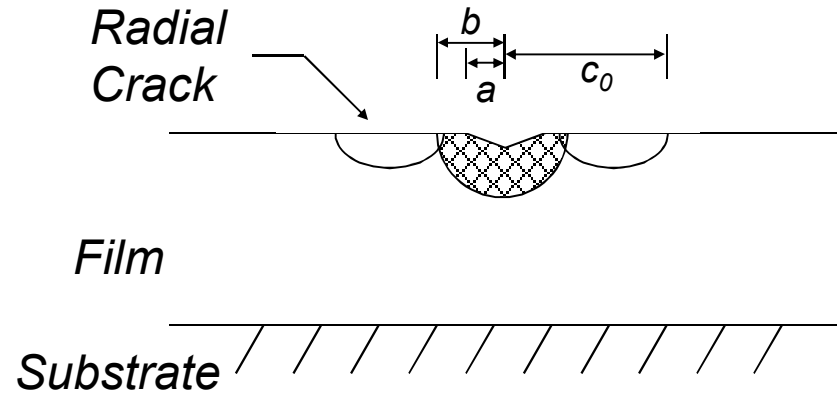


- 110 nm thick films
- 80% sp³ (4-fold) bonding
 - $E \sim 750$ GPa
 - $H \sim 43$ GPa

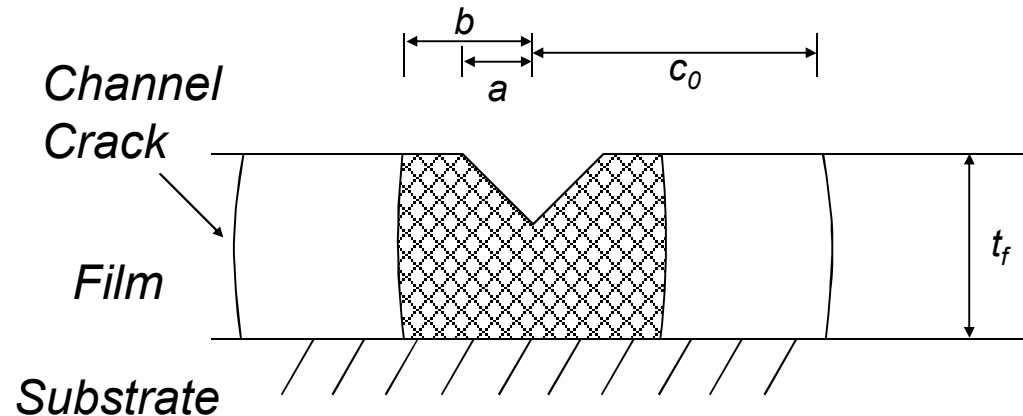
- $\sigma_R = 1.7$ GPa compressive to 2.6 GPa tensile
- Cube-corner probe

Indentation Fracture Mechanics in Thin Films

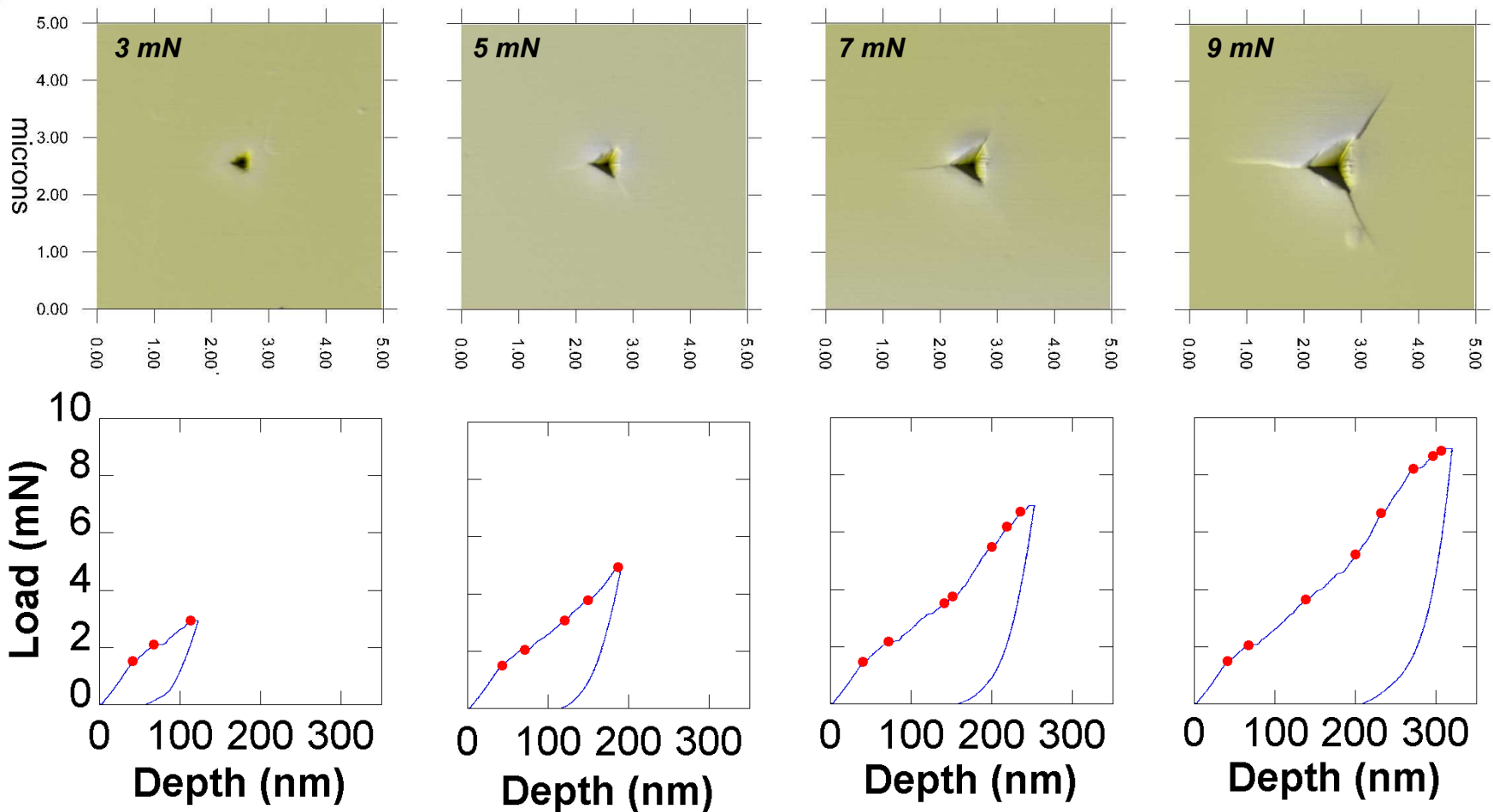
$$K = \xi \sqrt{\frac{E}{H}} \frac{P}{c^{3/2}} + \psi \sigma_f t_f^{1/2}$$



$$K = \lambda \left(\frac{E_f}{H_f} \right)^{1/3} \frac{1}{t_f} \frac{P}{c_0^{1/2}} + \psi \sigma_f t_f^{1/2}$$

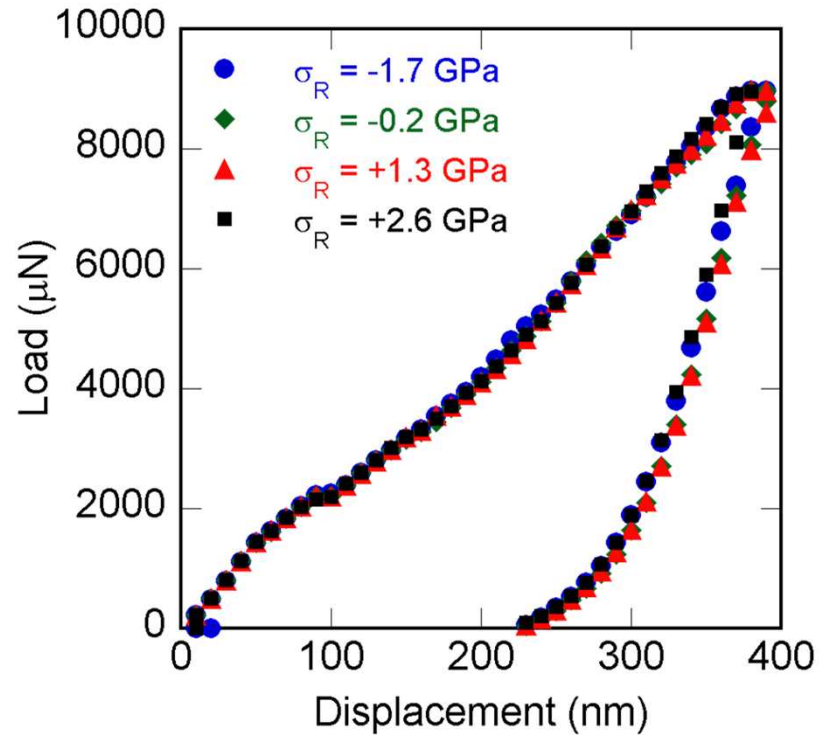
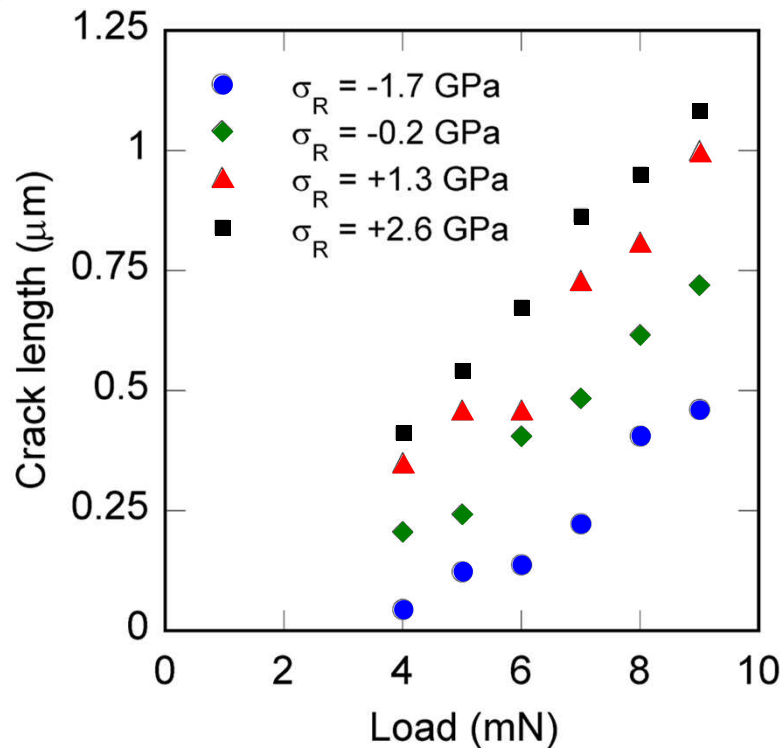


AE Indicates Fracture During Loading



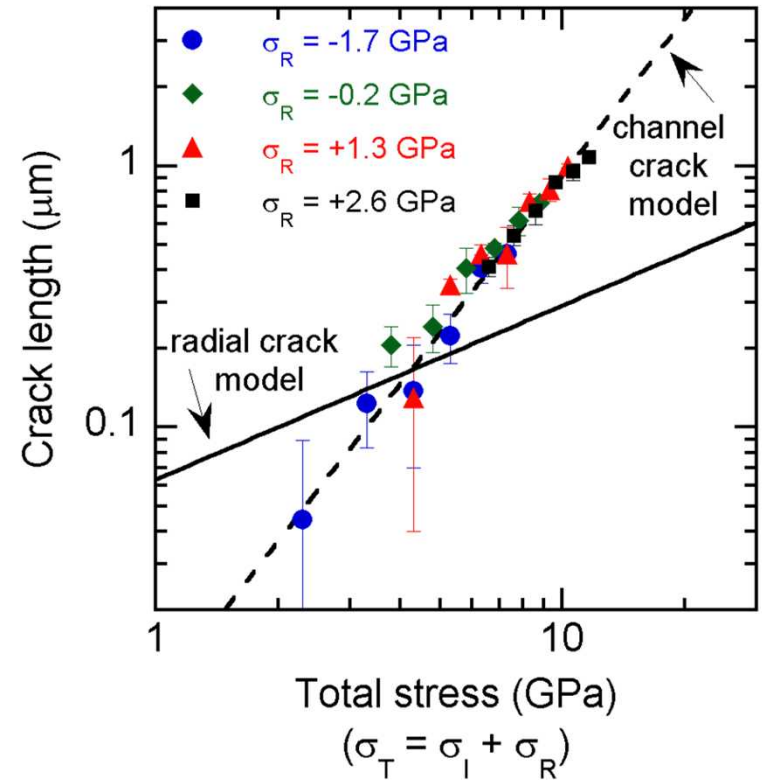
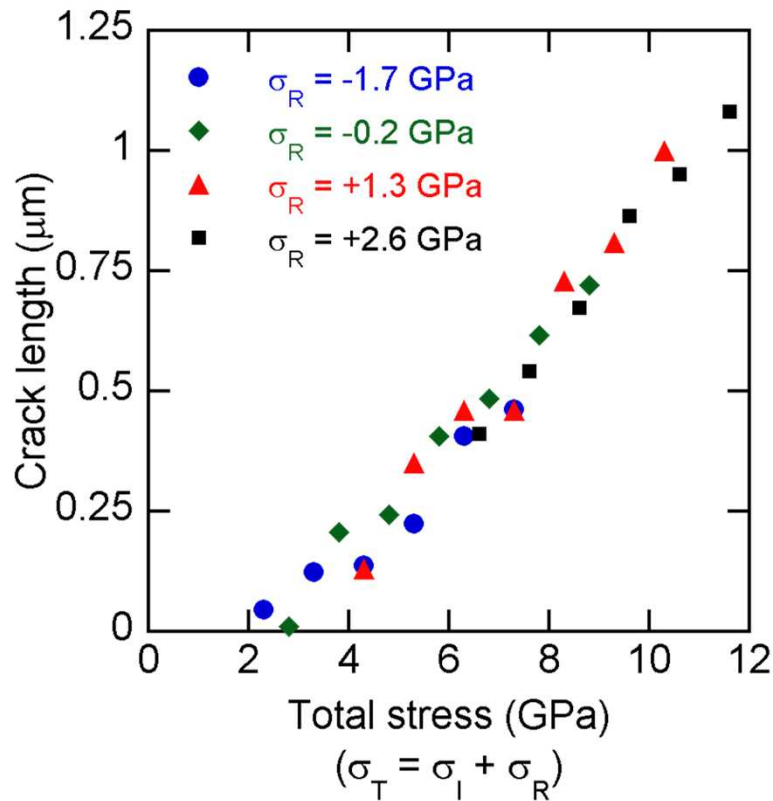
- Acoustic events imply cracking during loading

Indentation Crack Length - Load Relationship



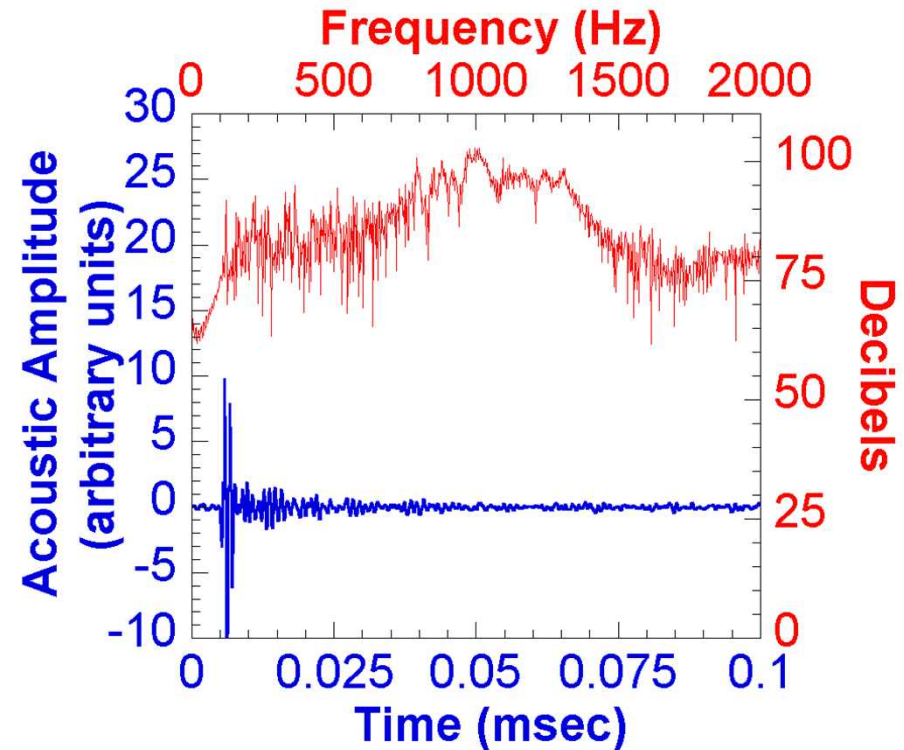
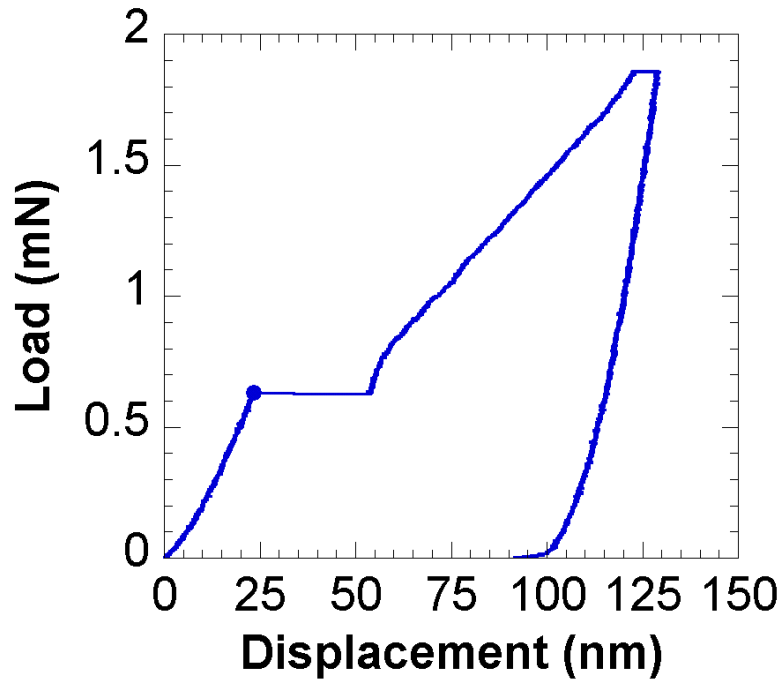
- Induced crack length is a function of both applied load and residual stress
- Load-displacement response is residual stress invariant
 - Produce a relationship between applied load and indentation stress at crack tip

Crack Length Normalization and Model Result



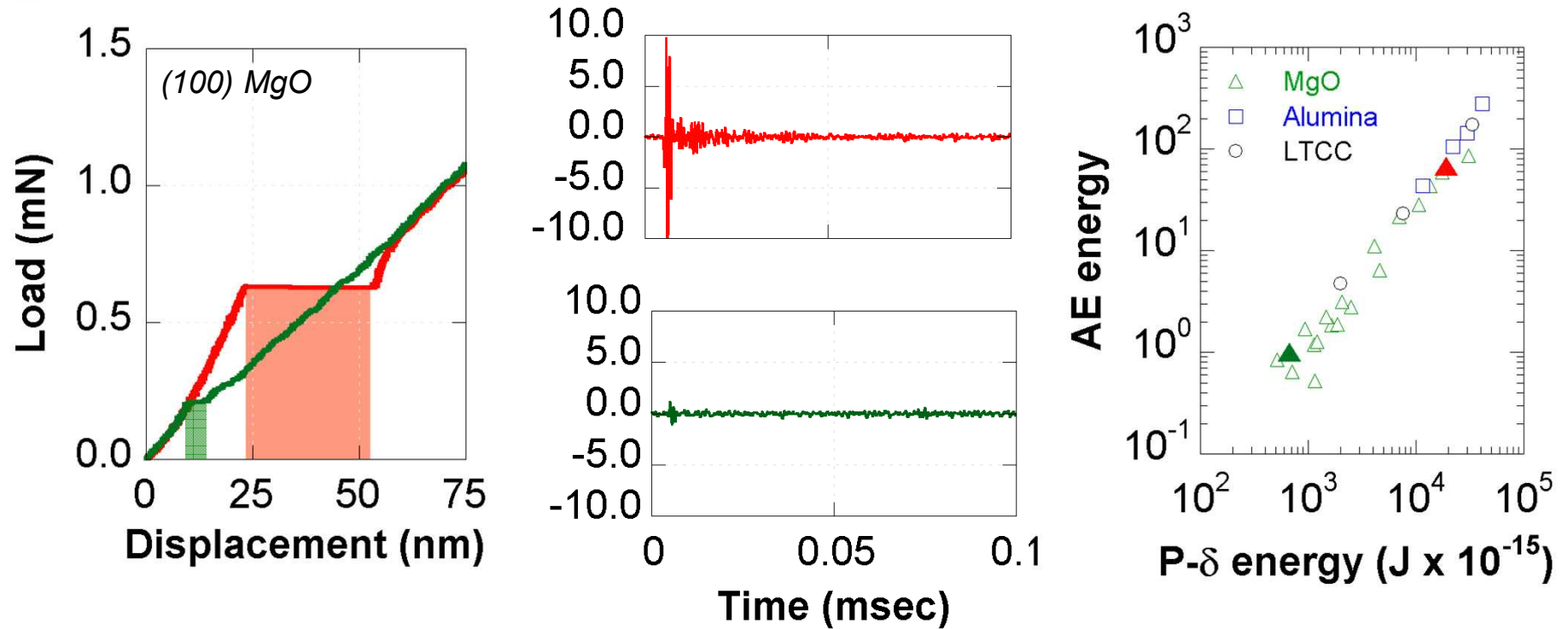
- If 1 mN = 1 GPa, then the data collapses onto a single curve
- From this curve, a good fit of the data is obtained with the channel crack model

Indentation Acoustic Emission



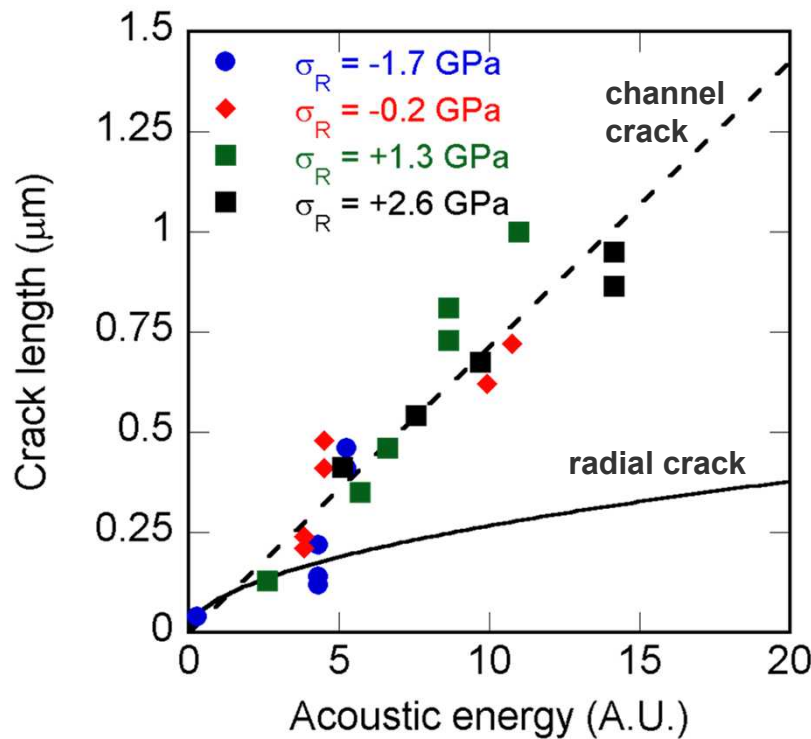
- Indentation “pop-in” or “pop-out” transients are occasionally observed
- Transients usually correspond to mechanical events
- Acoustic waveform and frequency distributions as alternate characterization

Acoustic Emission Relationships



- Good agreement between AE magnitude and tip excursion on load-displacement curve
- Linear agreement between AE energy and $P-\delta$ energy

Acoustic Energy and Fracture Toughness



$$K = \frac{\beta'' V^*}{t_f^{2/3}} \left(\frac{P^4}{\Sigma A E} \right)^{\frac{1}{3}} + \psi' \sigma_R t_f^{1/2}$$

- Observe a good correlation between released acoustic energy and measured crack length
- Implies that AE methods may be used to approximate the crack length



Measured Toughness Comparisons

Sample	Residual Stress (GPa)	K_{Indent} (MPa·m ^{1/2})	K_{AE} (MPa·m ^{1/2})
AD7	-1.7	3.7 ± 0.6	3.8 ± 0.2
AD8	-0.2	3.5 ± 0.2	3.0 ± 0.4
AD9	+1.3	3.3 ± 0.2	3.7 ± 0.1
AD12	+2.6	3.4 ± 0.2	3.4 ± 0.4

- Good agreement between measured fracture toughness and acoustically determined values



Summary and Conclusions

- Used nanoindentation to drive fracture in brittle thin films
- Related crack lengths with fracture toughness models to determine film toughness
 - $\sim 3.5 \text{ MPa}\cdot\text{m}^{1/2}$
- Used acoustic monitoring of indentation process to measure released acoustic energy
- Related acoustic energy to film fracture toughness with good agreement



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Hysitron TribolIndenter and TriboScope

