

Comparison of Instrument Response Functions obtained
with D-T neutrons, cosmic-rays, and photons

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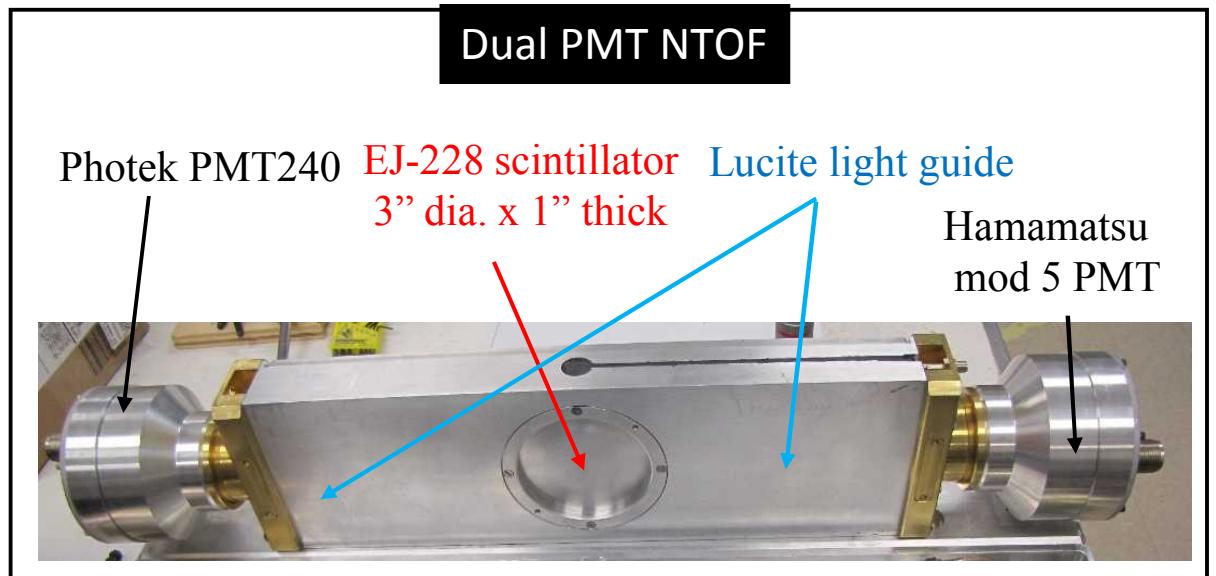
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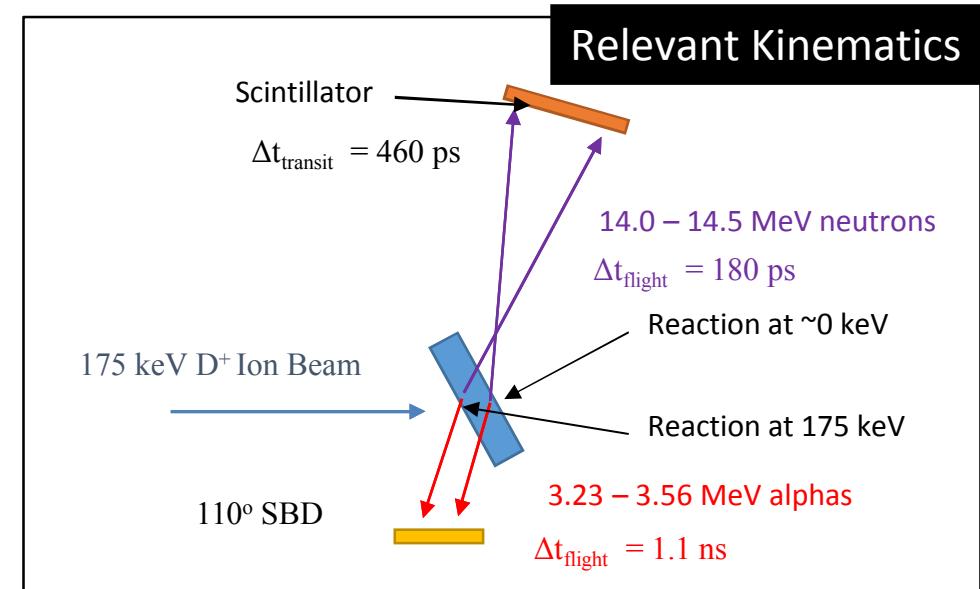
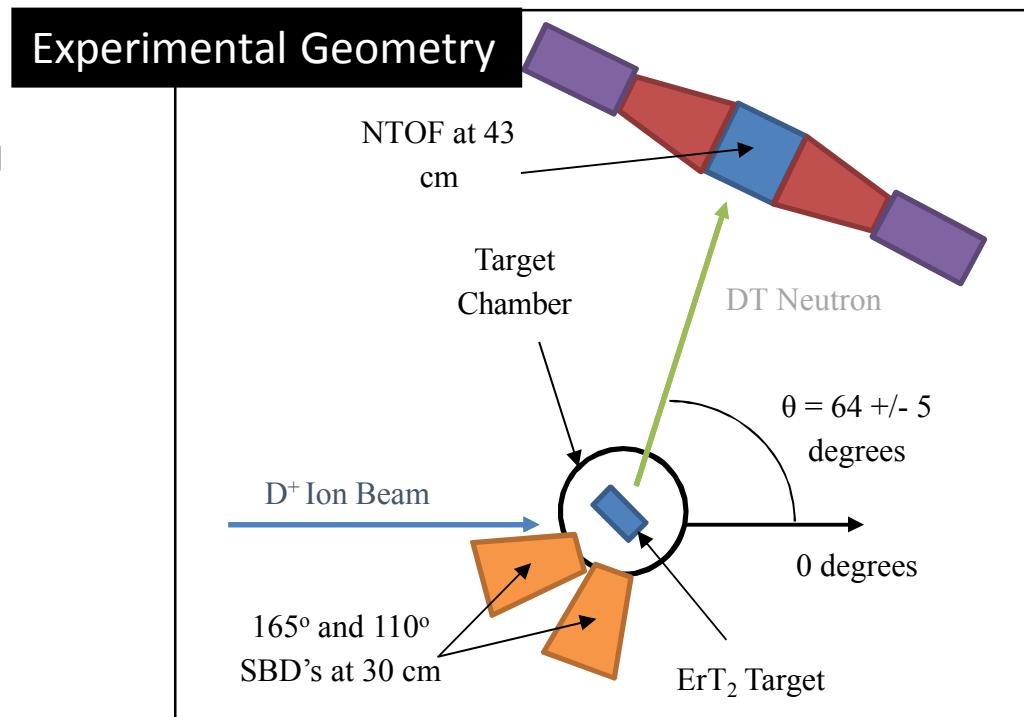
The objective of this work was to quantitatively compare the instrument response function (IRF) for D-T neutrons, cosmic-rays and photons.

- IRFs were measured using a dual-PMT NTOF design
 - Photek PMT240
 - Hamamatsu mod-5
 - EJ-228 scintillator (BC-418 equivalent)
 - 2.54 cm thick
 - 7.62 cm diameter
- IRF definition
 - Statistical properties
 - Scintillator decay
 - PMT response
 - Excludes
 - Scintillator transit time
 - PMT transit time
 - Cable delays

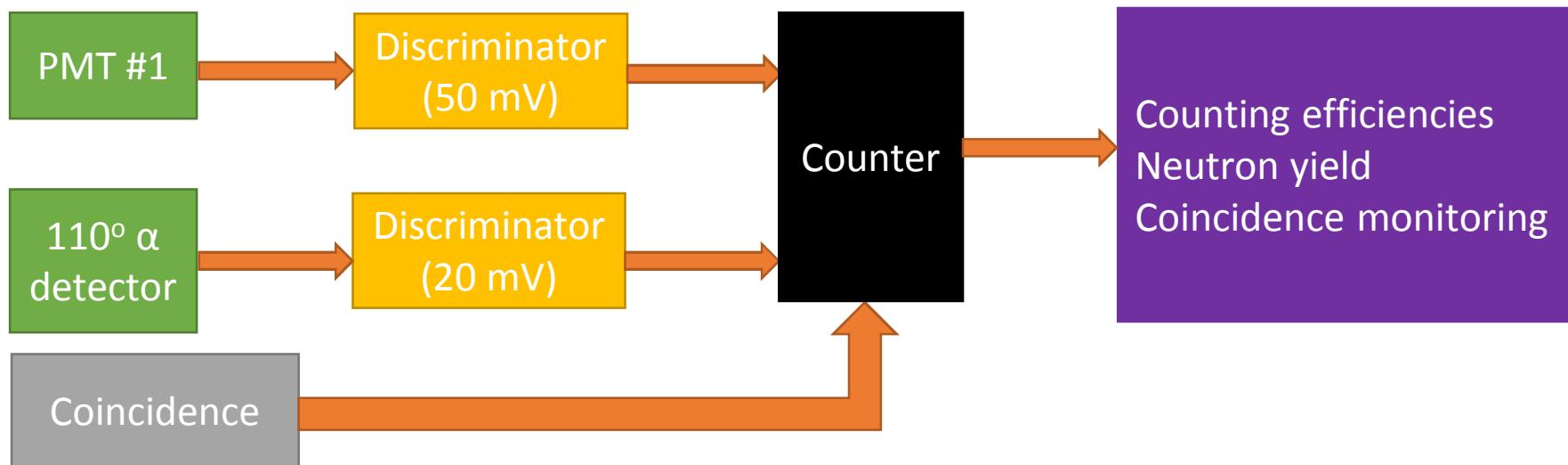
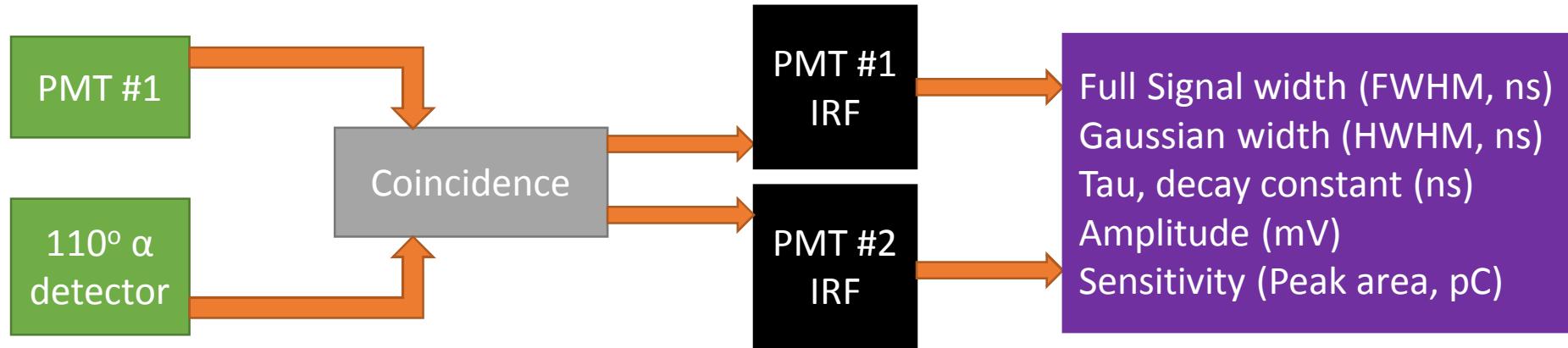


A novel IRF measurement utilizing $D(t,\alpha)n$ coincidence at the SNL Ion Beam Laboratory (IBL).

- **Experimental set-up**
 - 350 keV Cockroft-Walton Accelerator
 - 175 keV D^+ ion energy
 - 3 μm ErT_2 target
 - 2.5 μA beam current
- **Coincidence established by kinematic relationships**
 - Variability from D^+ ion dE/dx losses in the target
 - Derived from Associated Particle Method (APM)
- **Photons measured from D-T activation**

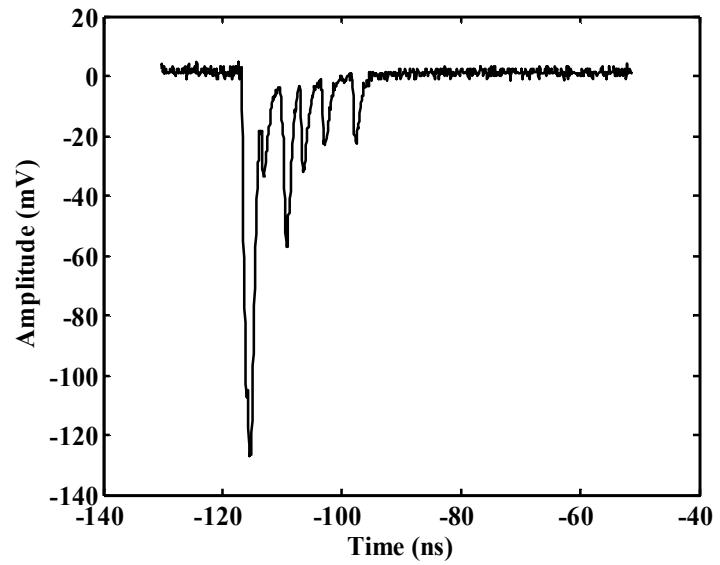
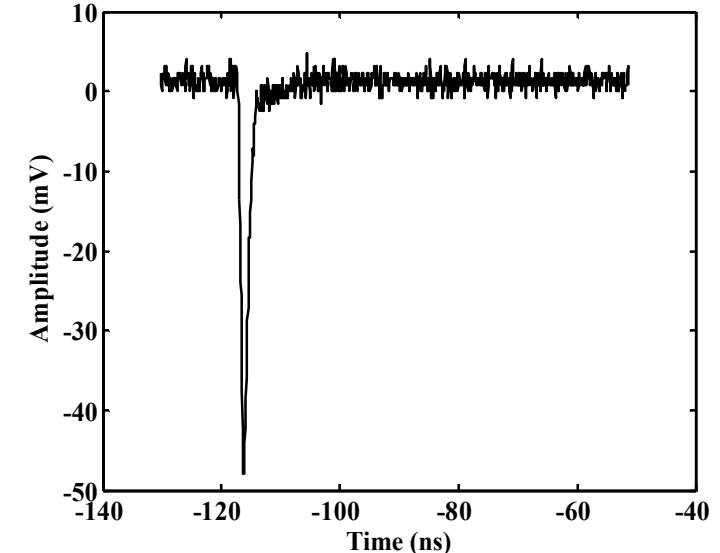
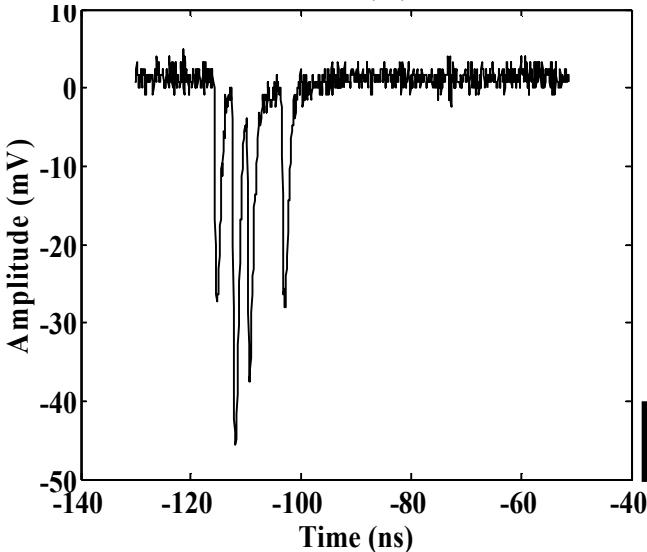
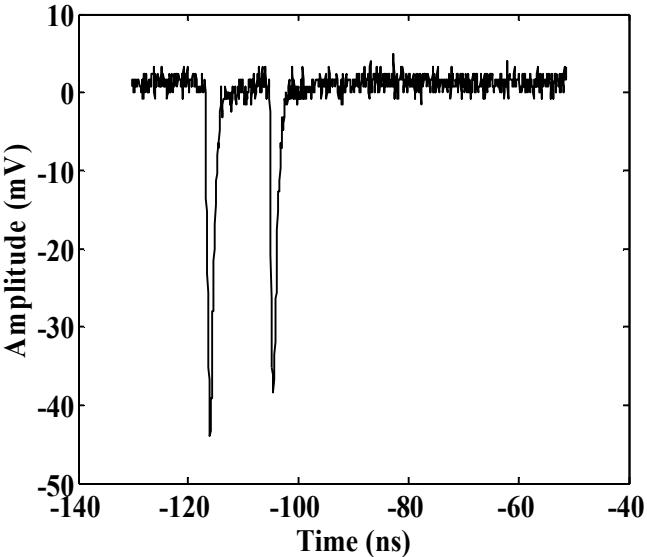


The IRF and the sensitivity (pC/n), can be extracted, individually, from a single experiment.



Data acquired from single neutron interactions produce waveforms with varying structure.

- Collected and saved 1000 waveforms
 - Post processed
- Photek PMT240
 - -3.8 to -4.6 kV
- Hamamatsu mod-5
 - -2.0 to 2.5 kV
- 100 ns window w/ 50 ps resolution at 2.5 GHz

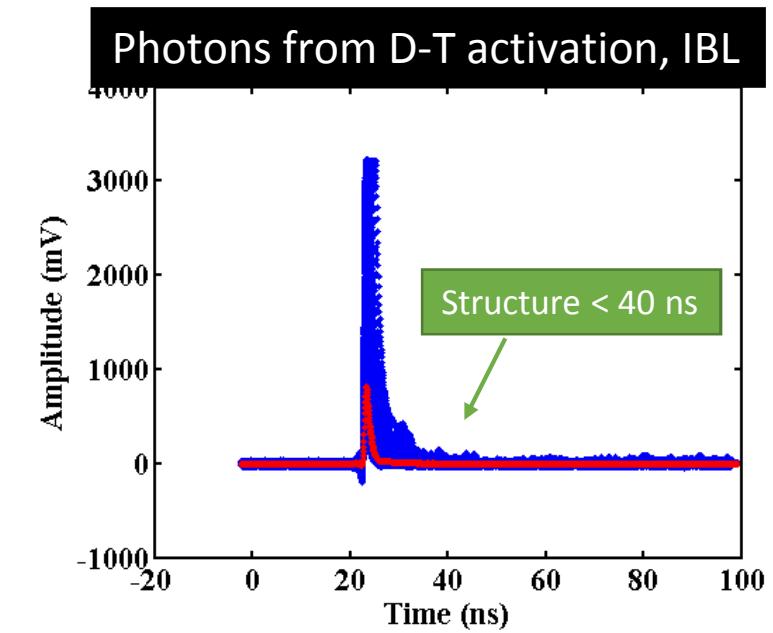
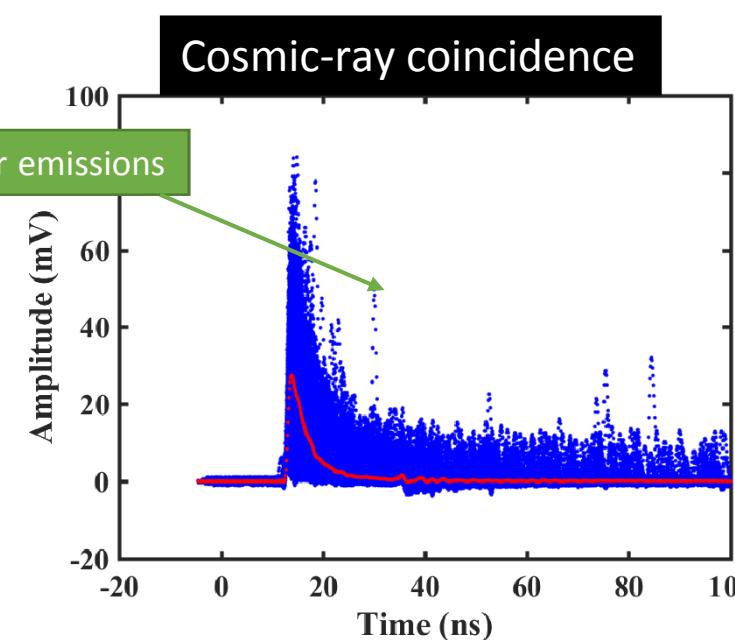
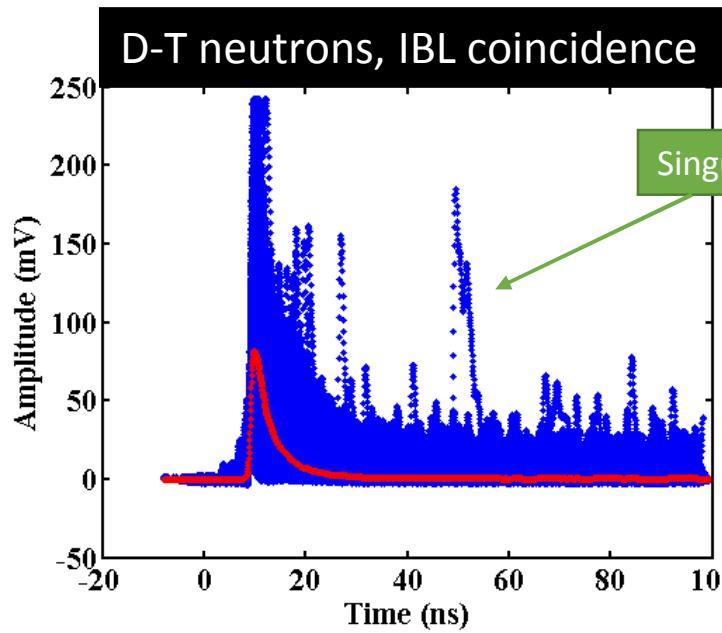


Data shown for the Photek at -4.2 kV

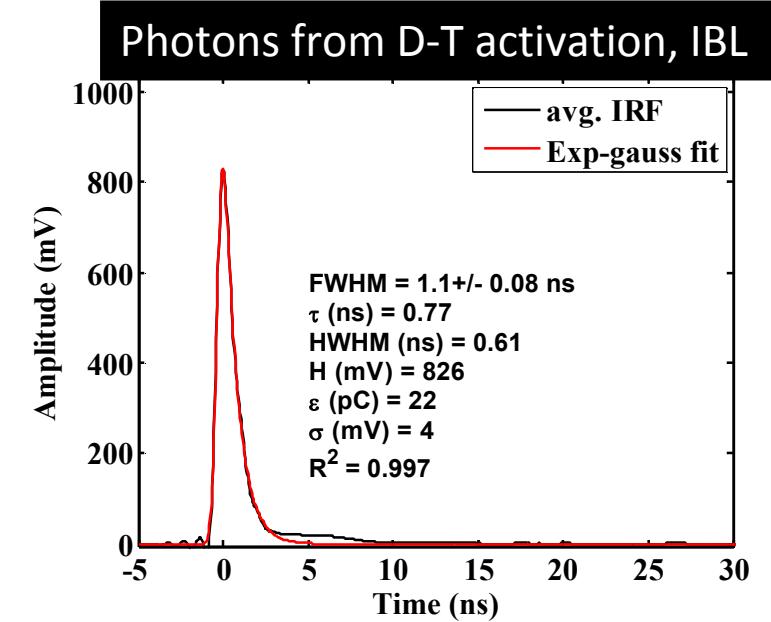
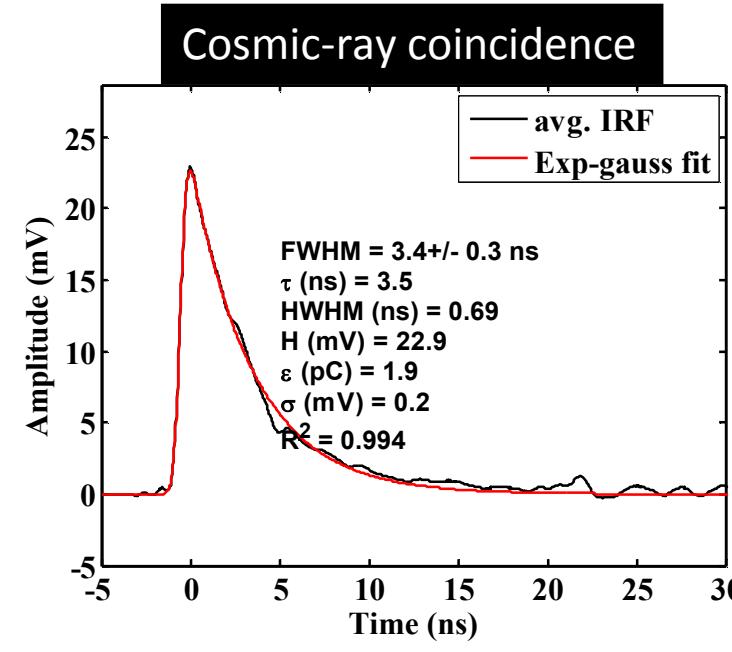
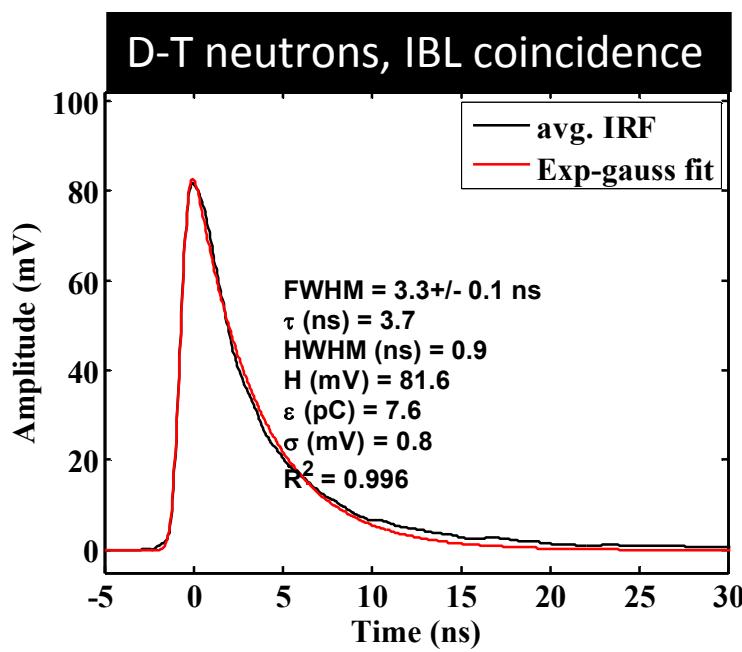
Multiple waveforms were normalized to the leading edge (10% max) and then averaged to extract the IRF.

- Average waveform fit with exponentially modified Gaussian

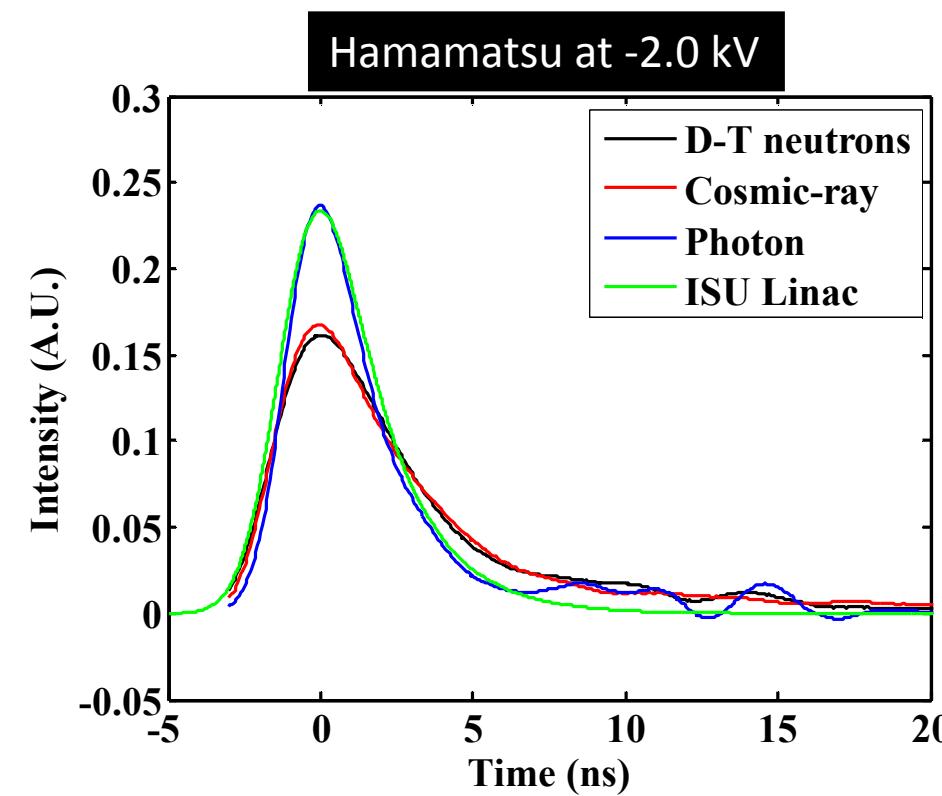
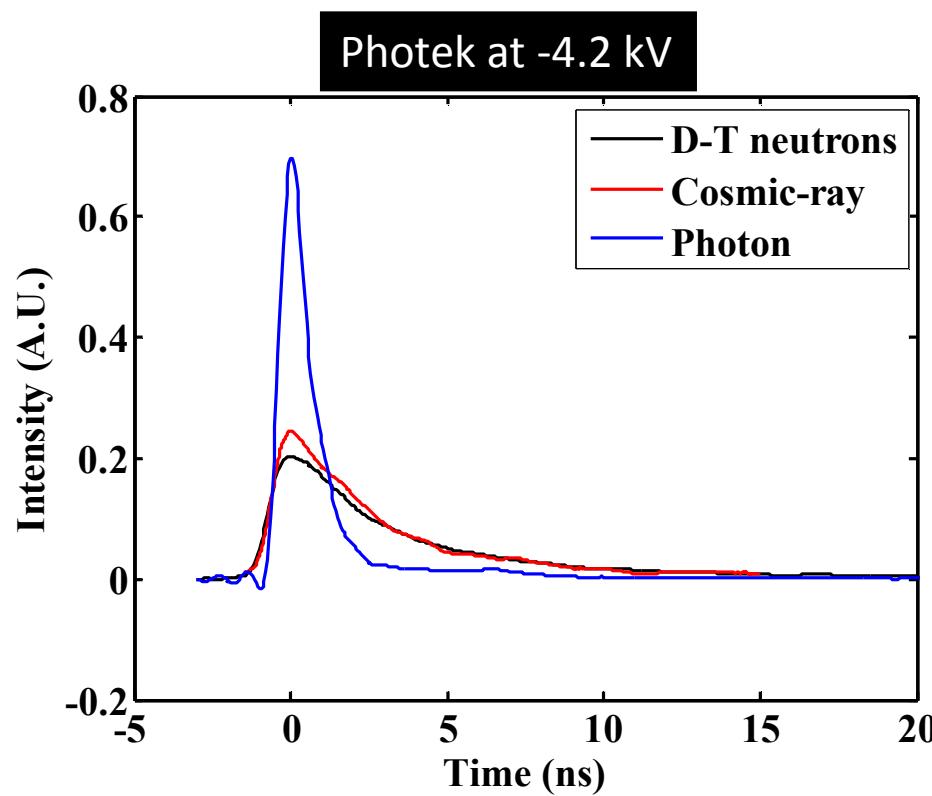
$$IRF(t, \mu, \tau, \sigma, A) = A * \exp\left(-\frac{t - \mu}{\tau}\right) * \exp\left(\frac{\sigma^2}{2\tau^2}\right) * \left(1 + \operatorname{erf}\left(\frac{t - \mu - \frac{\sigma^2}{\tau}}{\sqrt{2}\sigma}\right)\right)$$



Average IRFs obtained for the Photek PMT240 at -4.2 kV for D-T neutrons, cosmic-rays, and photons.



The IRFs generated with D-T neutrons and cosmic-rays show excellent agreement.



In conclusion...

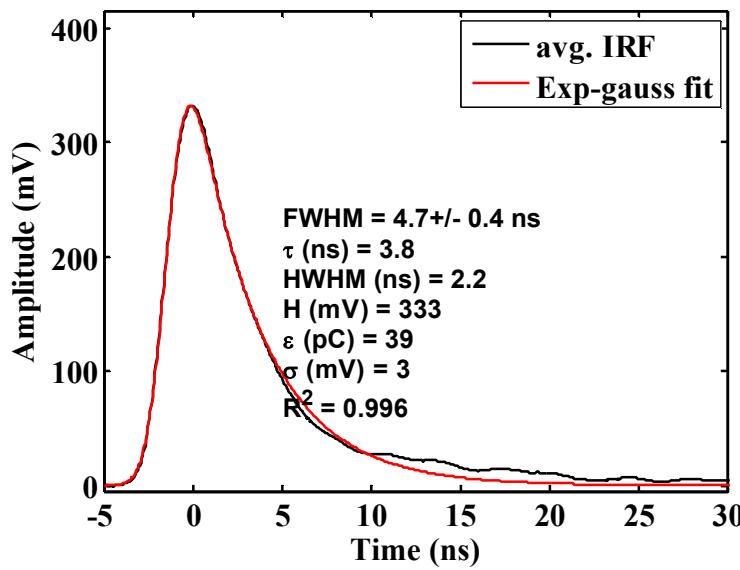
- Almost exact agreement is observed between the neutron and cosmic generated IRFs
 - Implies IRF is independent of secondary particle energy (DT IRF = DD IRF)
 - Ion Beam Laboratory is efficient
 - Cosmic-rays are free
- Excellent agreement observed in the IRFs obtained with photons and the Idaho State University LINAC
 - Suggests averaging is comparable to an intense, multi-photon source
- Photon and neutron induced IRFs are markedly different
 - Need to understand and resolve differences between methods moving forward

Questions?

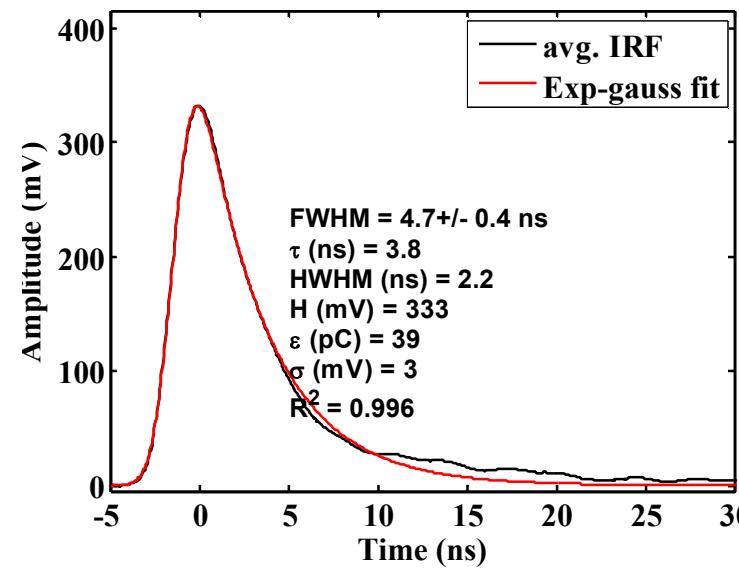
Back-up

Hamamatsu IRF

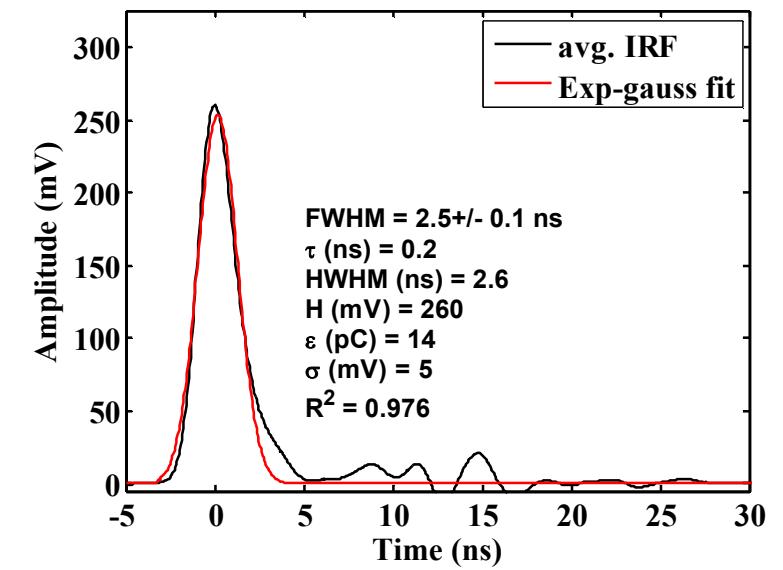
D-T neutrons, IBL coincidence



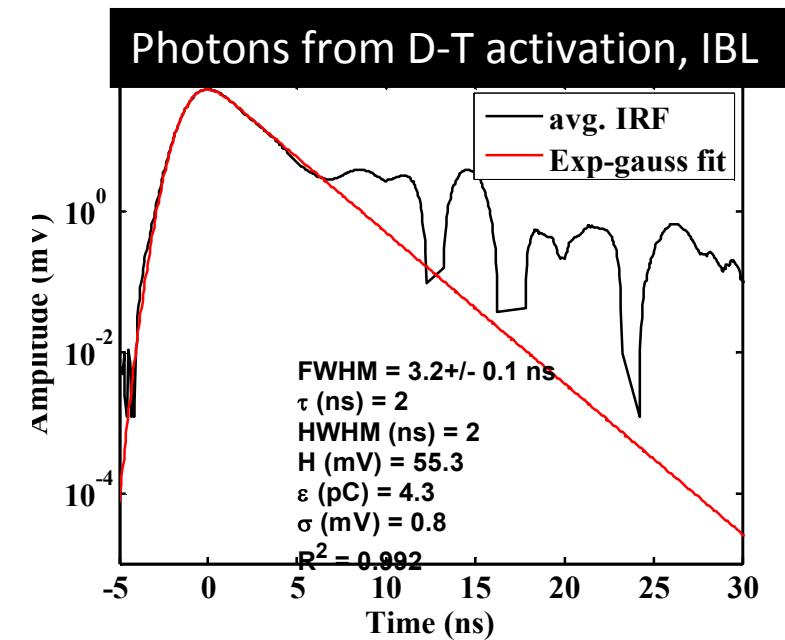
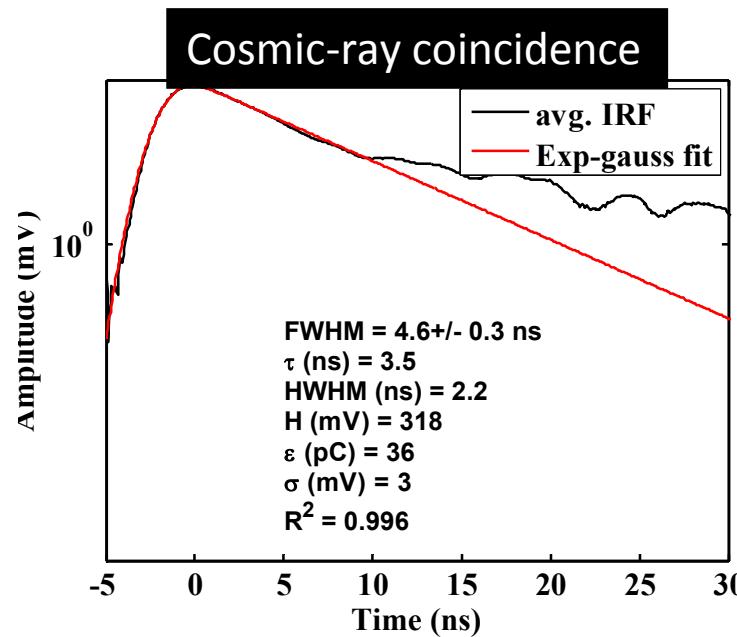
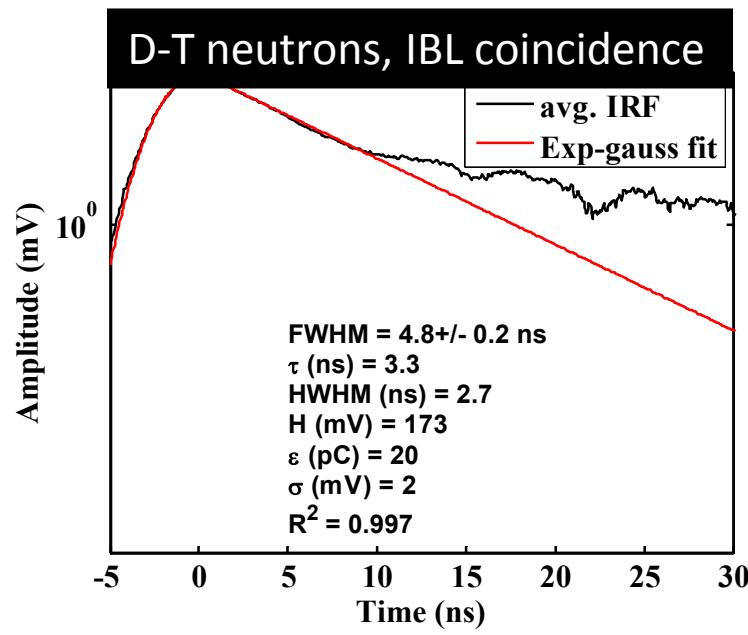
Cosmic-ray coincidence



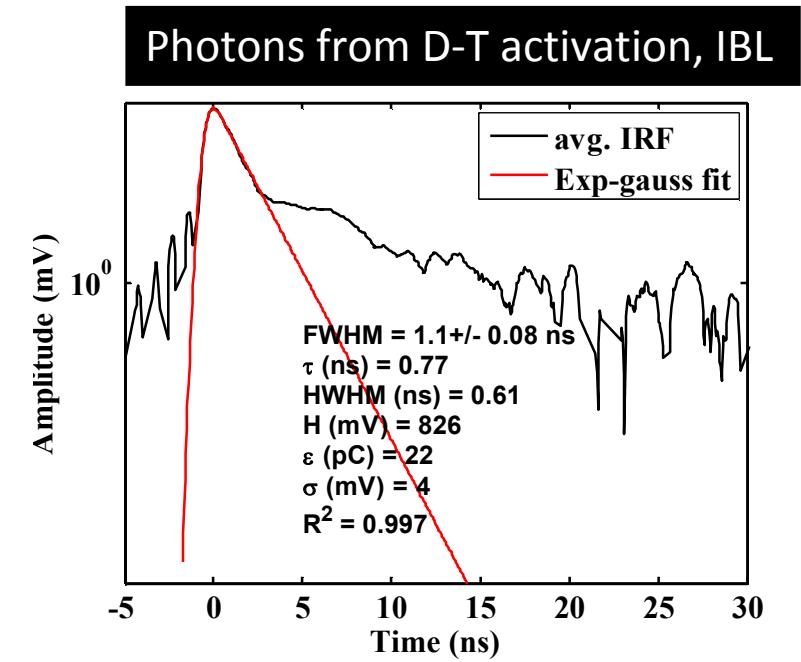
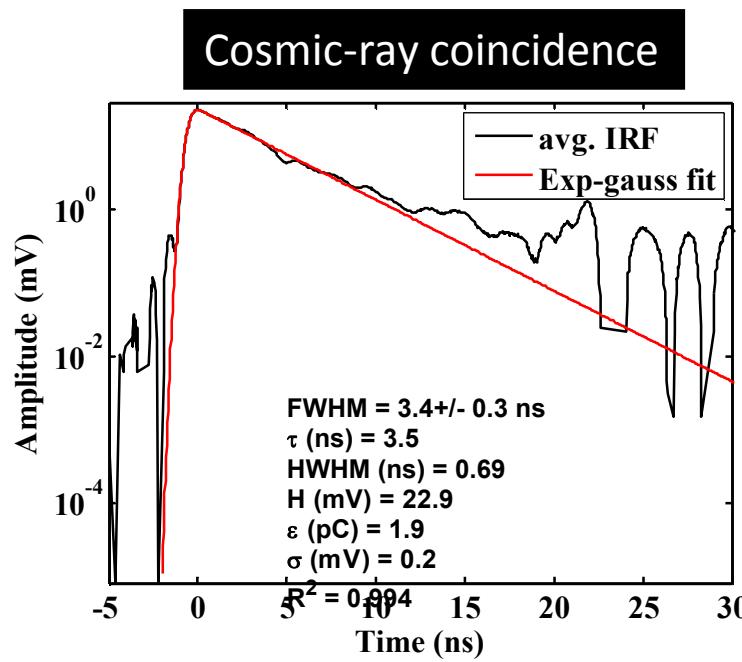
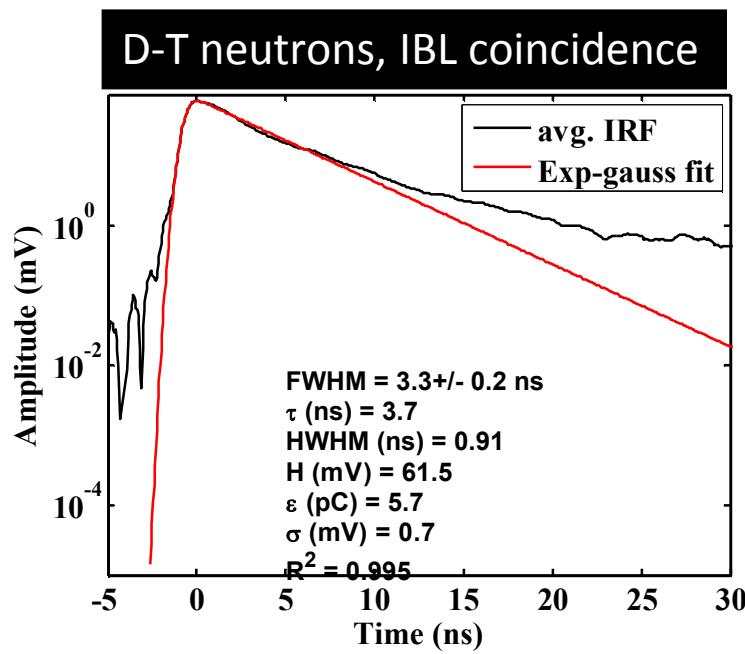
Photons from D-T activation, IBL



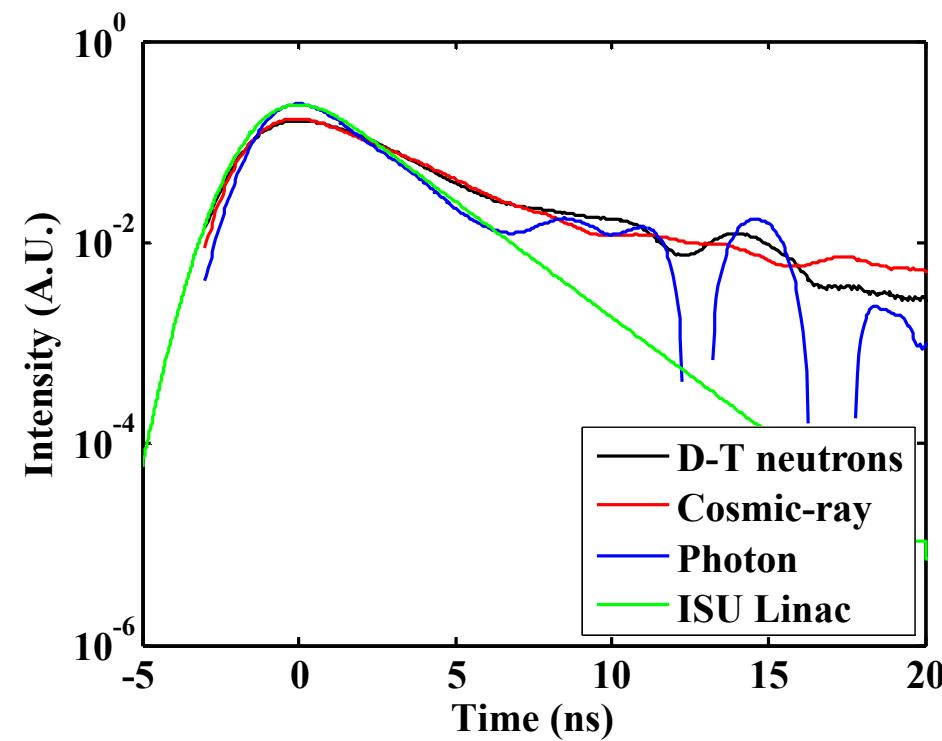
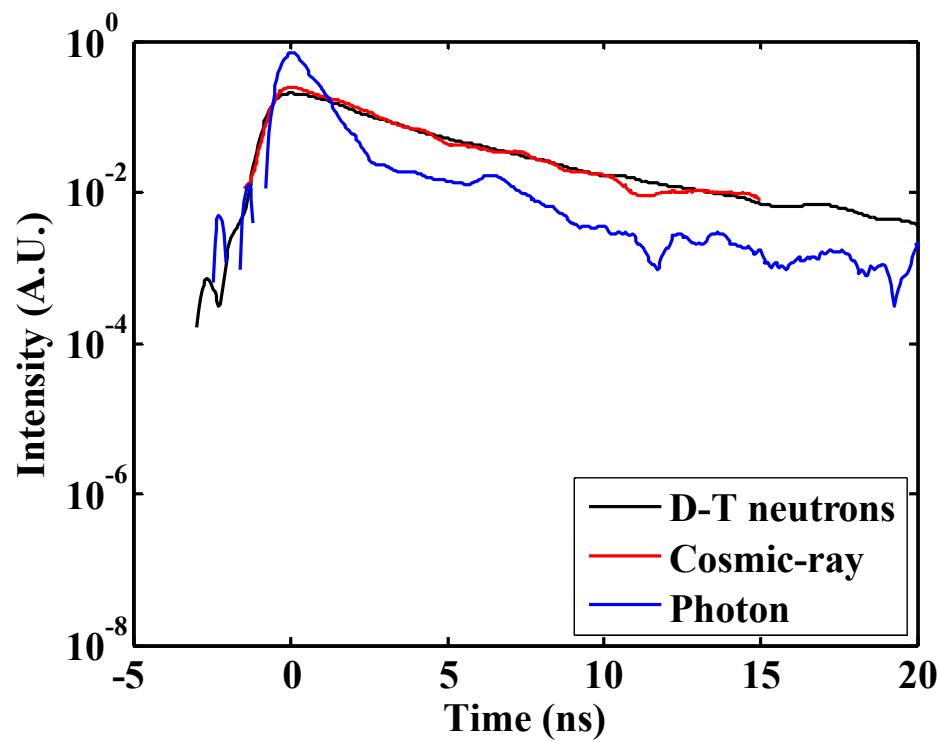
Hamamatsu IRF



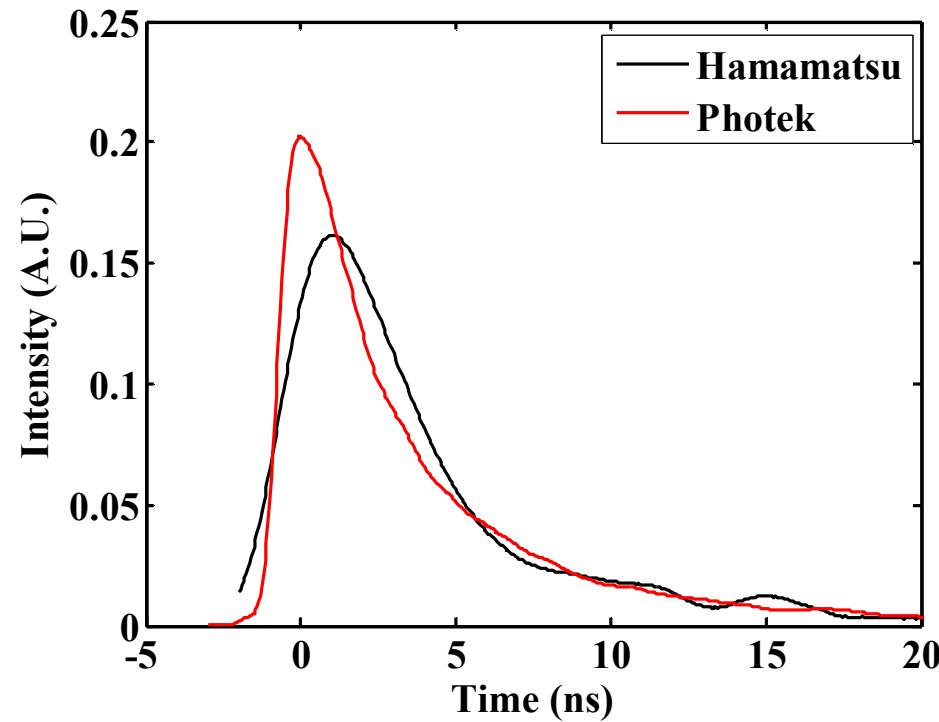
Photek IRF



Comparison of IRF methods



Hamamatsu vs. Photek



Experimental methods for extracting the instrument response function.

- Traditional characterization methods
 - High Fluence Cs-137 or Co-60 sources
 - Cosmic Rays
 - Bremsstrahlung
 - Laser Illumination
 - Cross-calibration with CVD diamond
- Neutron Characterization
 - Mono-energetic, single event sources are generally unavailable
 - Approximated by increasing source to detector distance
 - Spectral sources
 - AmBe or PuBe
 - Ion induced break-up (Accelerator)

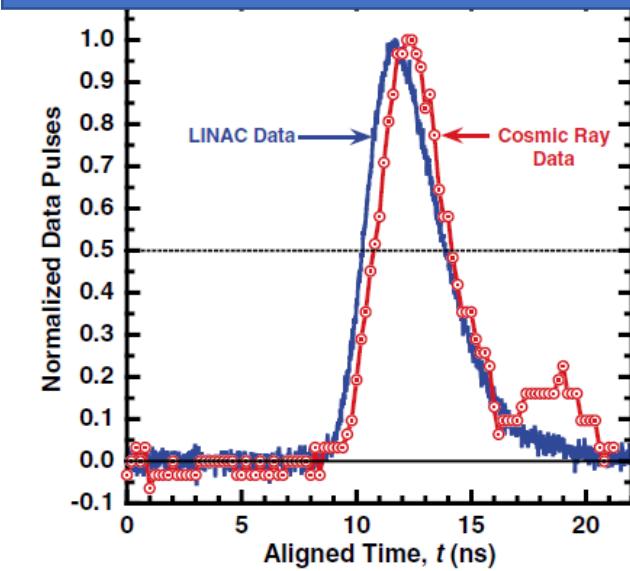
M.A. Bonura et al., Rev. Sci. Instr., **85**, (2014)

D. Klar et al., Rev. Sci. Instr., **82**, (2011)

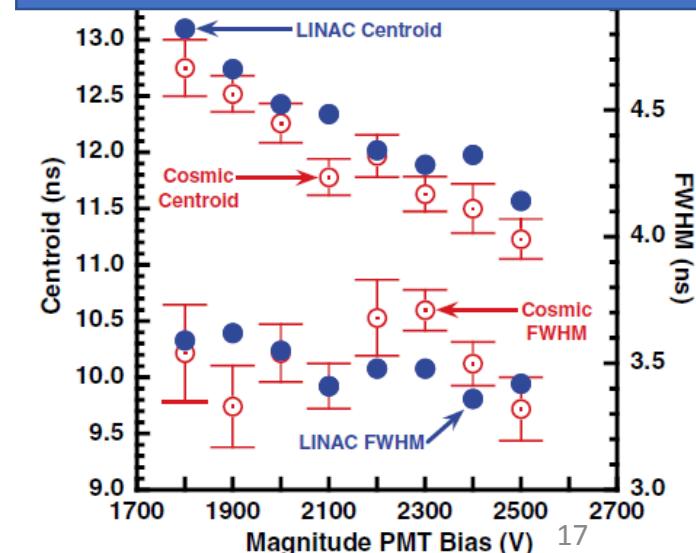
J. A. Brown et al., Jour. App. Phys., **115**, (2015)

R. Hatarik et al., Rev. Sci. Instr., **83**, (2012)

Typical IRF Waveforms
(Linac and Cosmic-ray data shown)

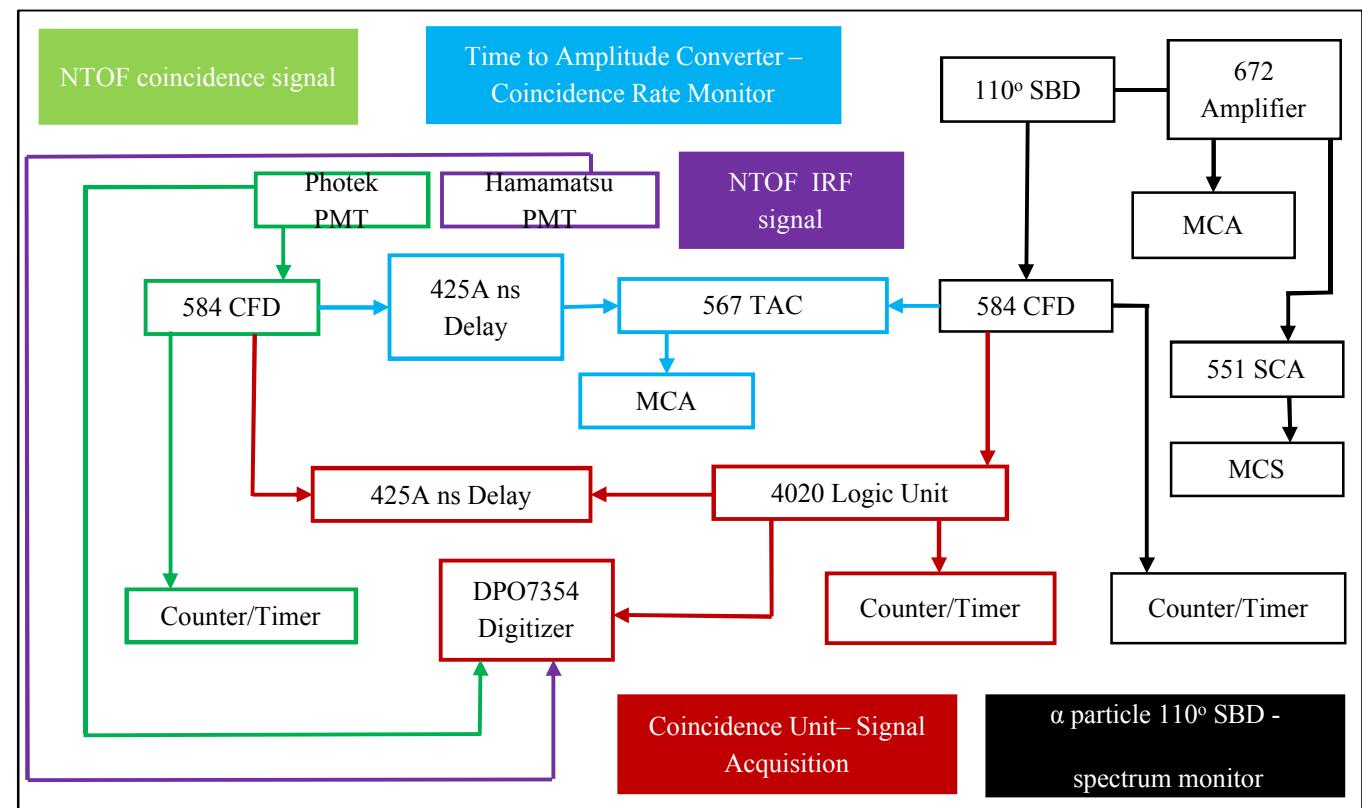


Centroid and FWHM comparison



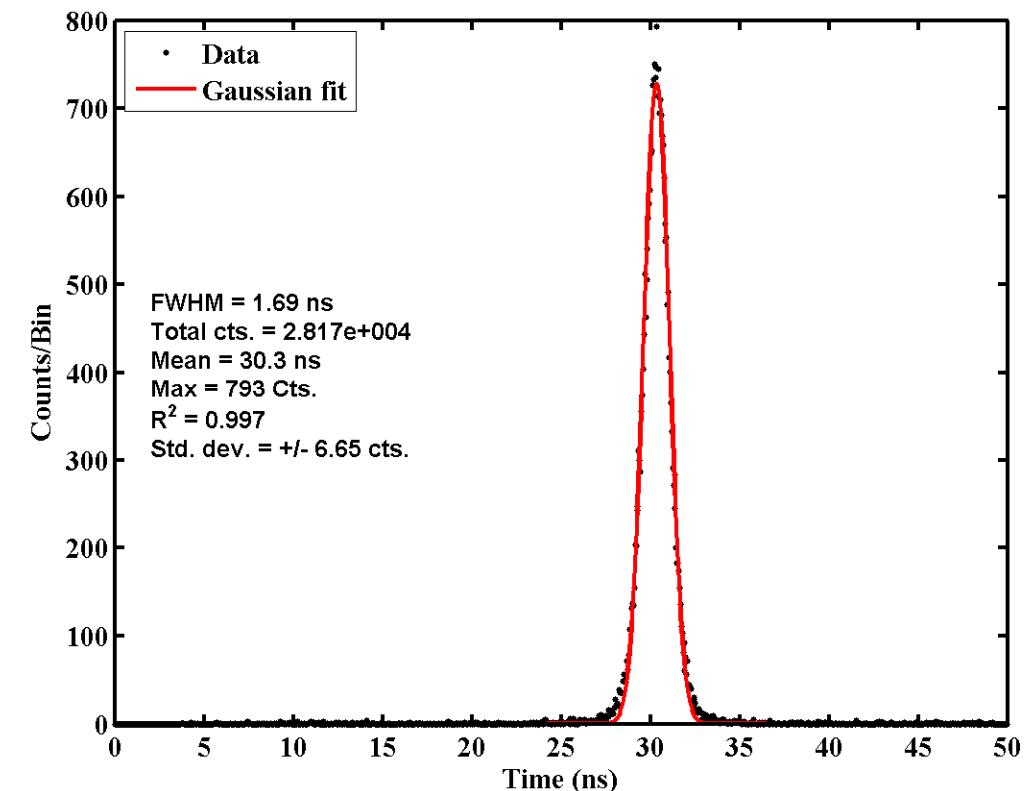
Data acquisition system for measuring IRF waveforms.

- **Variability**
 - Hamamatsu-mod 5, 1.6 to 2.4 kV
 - Photek-PMT240, 3.8-4.6 kV
 - NTOF discriminator, 8 – 50 mV (bias dependent)
 - SBD discriminator, 15 mV
 - Ion Potential, 50 keV and 175 keV
- **IRF measurement**
 - Viewed each PMT in primary and secondary coincidence modes
 - Collected and saved ~ 1000 waveforms per PMT per bias setting on the digitizer
 - Post processed data
- **Coincident measurement**
 - Established w/ 584 constant fraction and cable delay
 - Logic unit – start data acquisition
 - TAC – visual verification of coincidence curve and count rate monitor
- **Individual rates**
 - 110° α detector – infer incident neutron rate
 - Coincident PMT – infer tube counting efficiency
 - Logic unit – quality monitor of coincidence events
 - Current Integrator – monitor beam and target condition

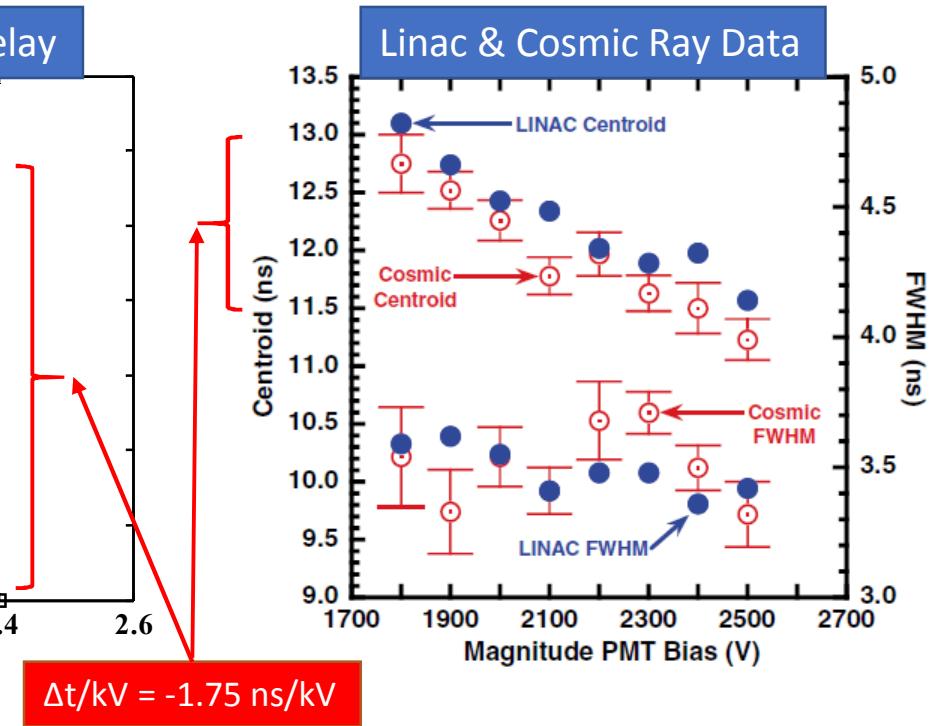
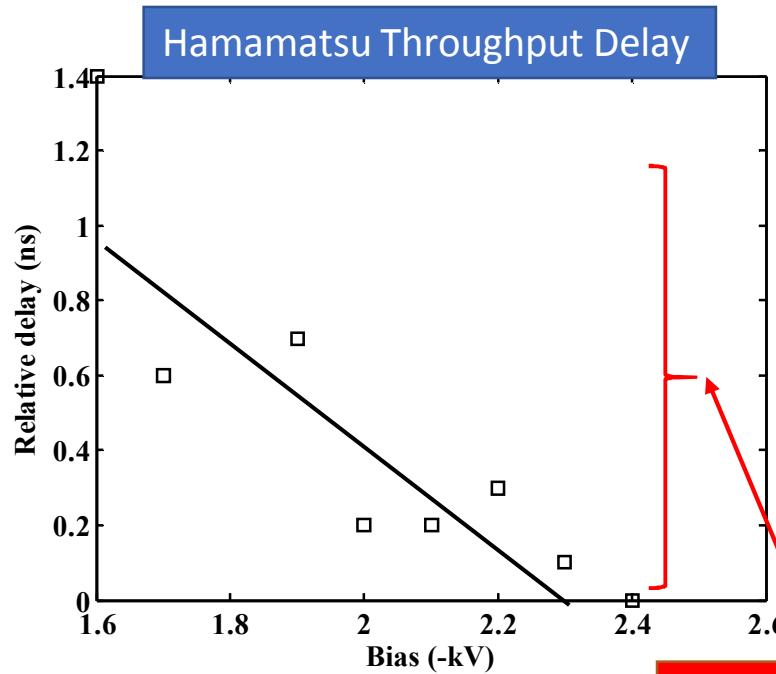
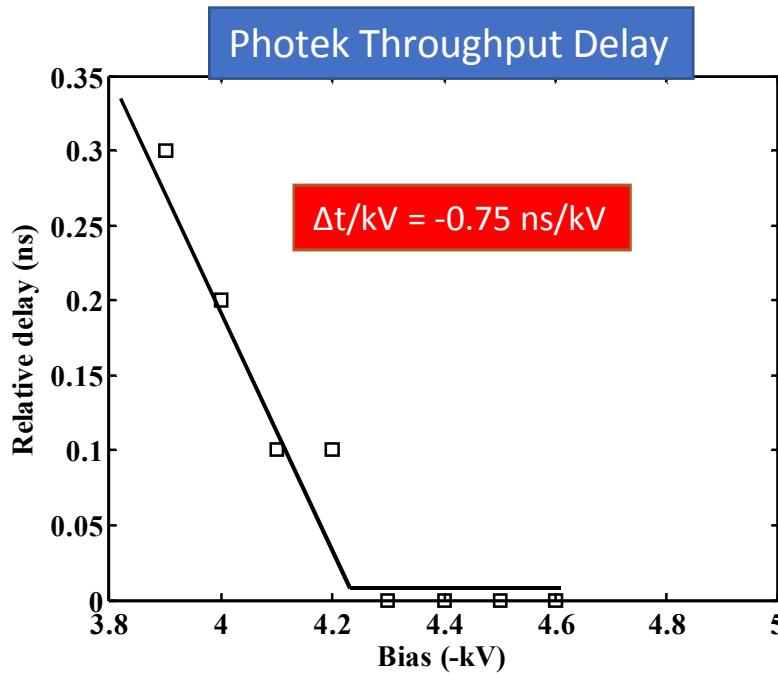


Observed coincidence curve is consistent with the timing determined from the kinematics.

- Cable delays with respect to SBD detector to establish coincidence
 - Hamamatsu – 54 ns delay
 - Photek – 63 ns delay
- Coincidence acquisition
 - 50 ns data acquisition window
 - ~ 50 ps resolution
- Observed quantities
 - 99.2% of counts are coincidence events
 - 0.8% of observed counts are random or incidental events
- Variable kinematics
 - Coincidence FWHM = 1.7 ns =
 - $1.1 \text{ ns} (\alpha) + .480 \text{ ns} (\text{scintillator}) + .18 \text{ (n)}$



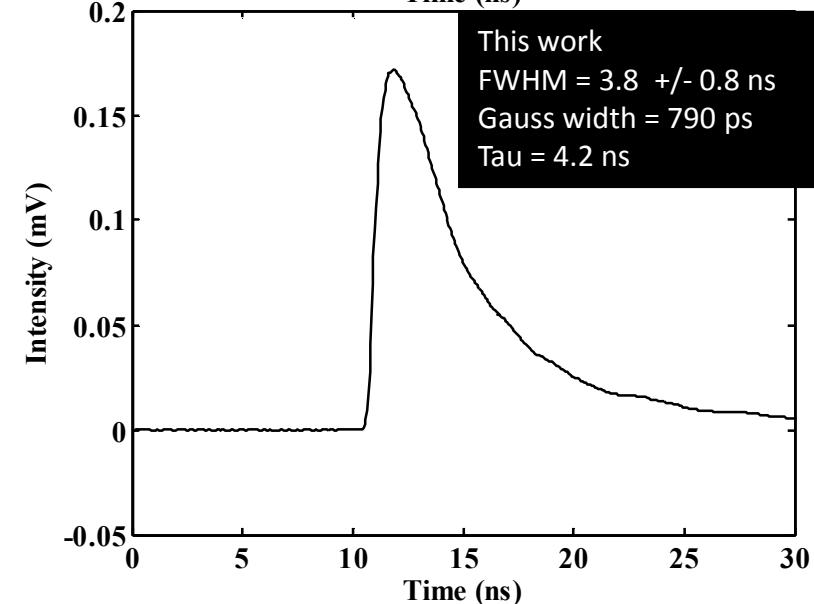
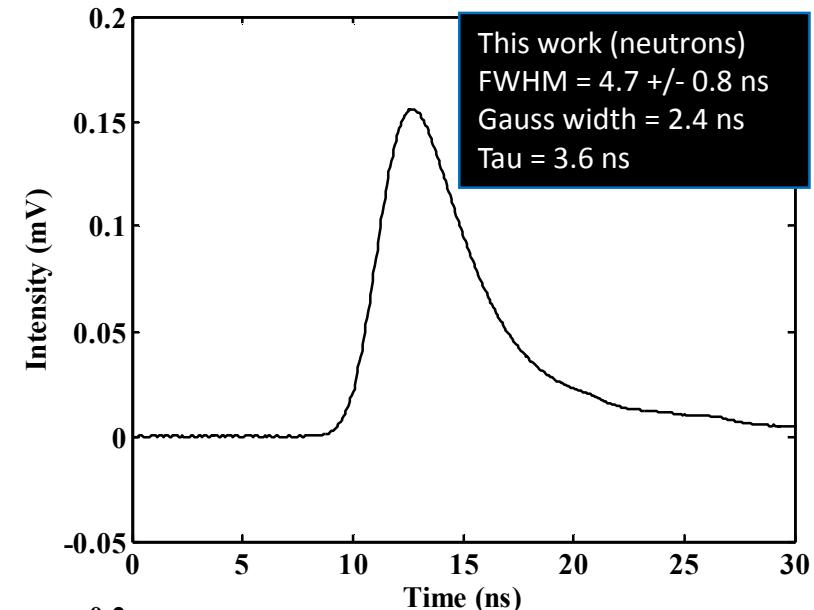
Relative throughput delay determined from the centroid shift in the coincidence curve as a function of applied voltage.



- Measured throughput delay for the Hamamatsu mod 5 is consistent with the measured value for the Hamamatsu mod 4 PMT
- Throughput delay observed for the Photek PMT240 is negligible. This is consistent with the dynode structure of the PMT.

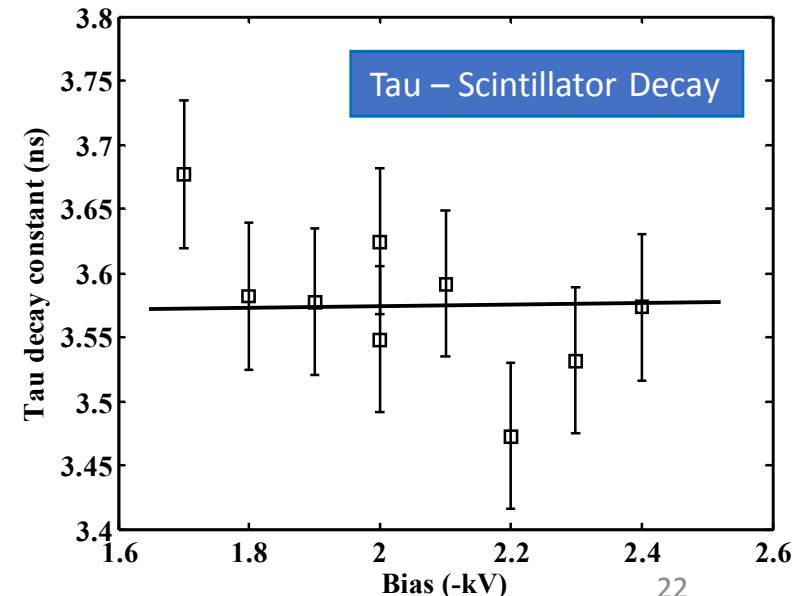
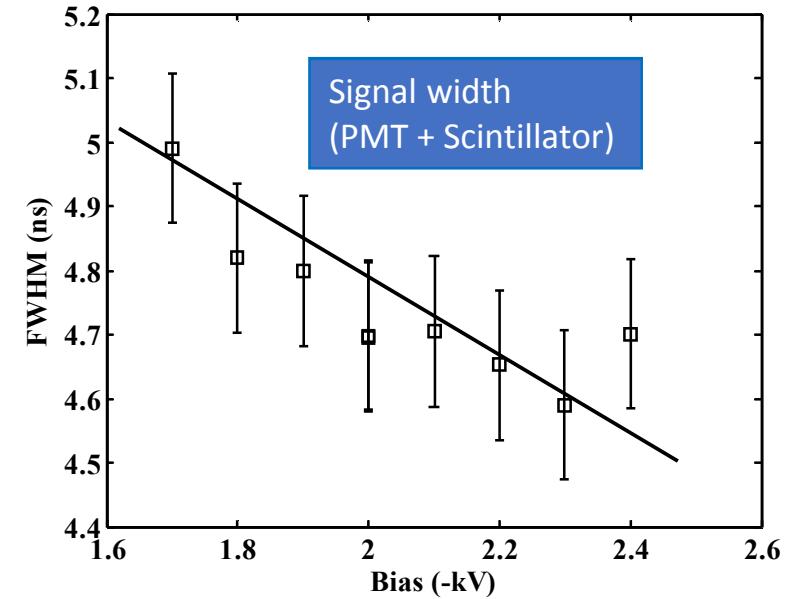
Representative average IRF functions for both the Hamamatsu and Photek PMTs'.

- Fit average waveform with exponentially modified Gaussian and extracted the following parameters:
 - FWHM (total width)
 - HWHM (Gaussian portion of the fit)
 - Tau (decay parameter)
- Uncertainty in width parameter determined from the distribution of the time stamp of leading edge
 - Uncertainty consistent with width of coincident measurement, FWHM ~ 1.7 ns or $\sigma = 750$ ps
- Comparison
 - Measured IRF is consistently 1.2 ns wider than the cosmic ray or LINAC data
 - Scintillator decay is larger than specified by the manufacturer (1.4 ns)
 - However, manufacturer only provides prompt decay information



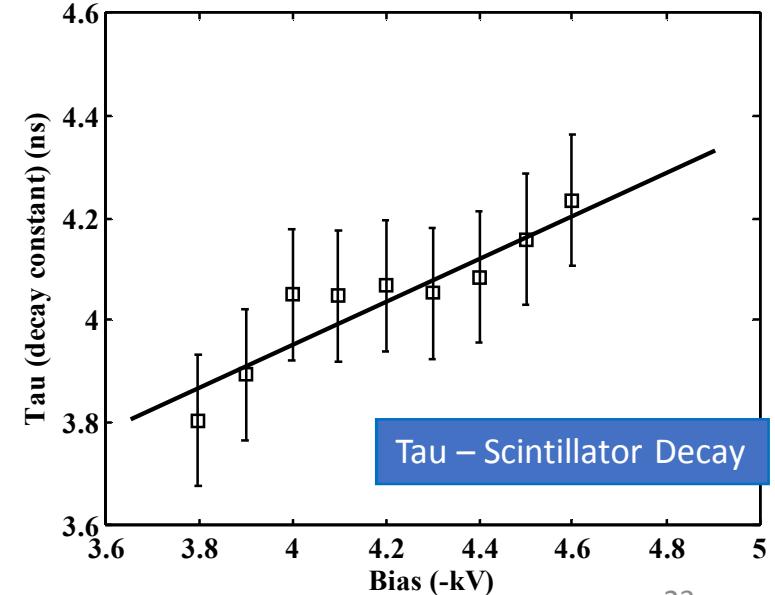
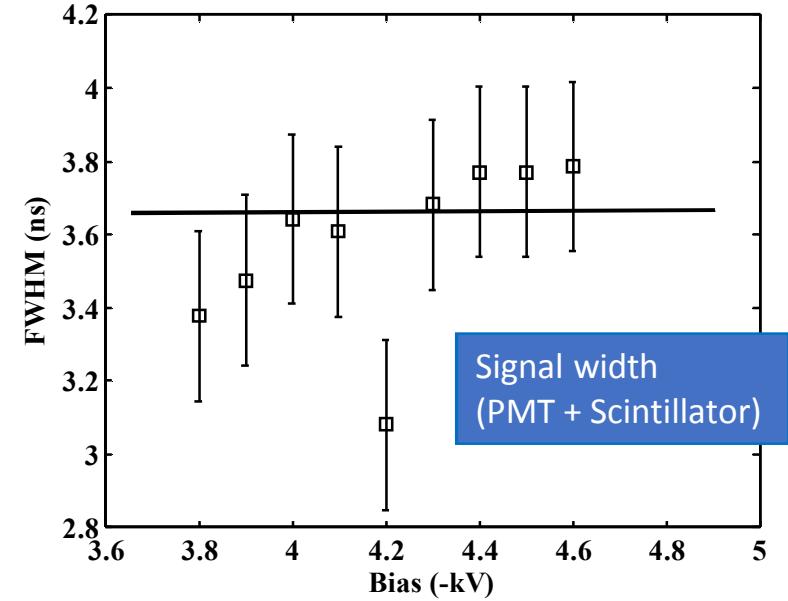
IRF Results as a function of bias for the Hamamatsu tube exhibit expected behavior.

- Fit average waveform with exponentially modified Gaussian and extracted the following parameters:
 - FWHM (total width)
 - HWHM (Gaussian portion of the fit)
 - Tau (decay parameter)
- Comparison
 - Measured IRF is consistently 1.2 ns wider than the cosmic ray or LINAC data
 - Trend in FWHM is consistent with LINAC data
 - Gaussian width is consistent with expected values for Hamamatsu PMT
 - Scintillator decay is constant and is 2 ns larger than prompt decay specified by the manufacturer



IRF Results as a function of bias for the Photek tube are consistent with expected values.

- Fit average waveform with exponentially modified Gaussian and extracted the following parameters:
 - FWHM (total width)
 - HWHM (Gaussian portion of the fit)
 - Tau (decay parameter)
- Comparison
 - Gaussian portion is consistent with 850 ps width specified by the manufacturer
 - Tau tends to increase as a function of bias, but still consistent with the value observed with the Hamamatsu
 - Similar width and structure obtained by LLNL time-correlated single photon counting technique (unpublished)

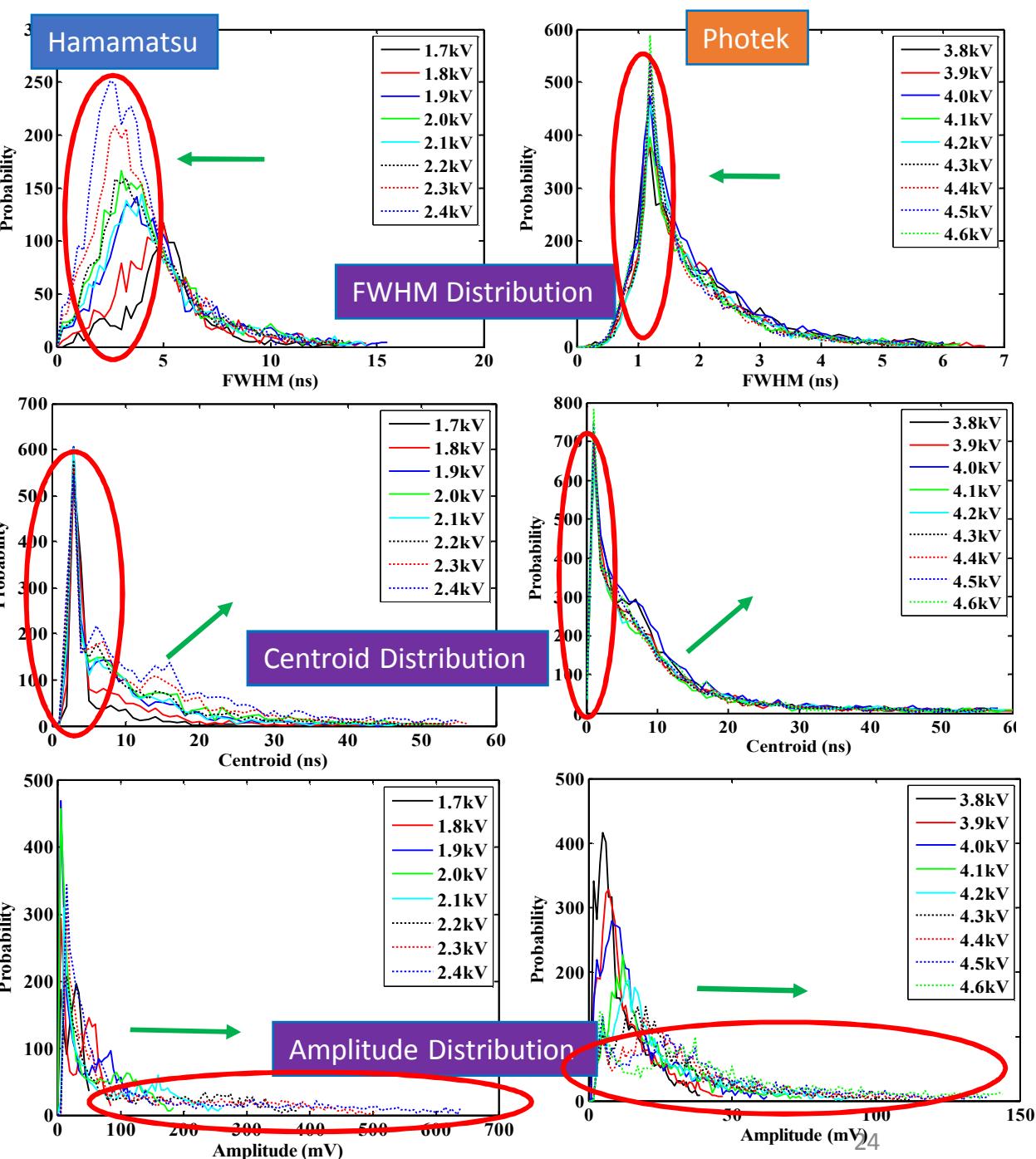


Results – IRF Individual peak analysis

- Fit individual peaks using a sum of Gaussians
- Generated probability distributions of the following parameters:
 - FWHM (total width)
 - Centroid location
 - Amplitude and Sensitivity (Area under each peak)
- Data is qualitative due to poor statistics in signal quality
 - 50 ps resolution in acquired data
 - Analysis required smoothing data to 500 ps for the Photek and 0.8 to 1.8 ns for the Hamamatsu
- Parameters are heavily correlated
 - Large fraction of peaks later in time have very small amplitudes
 - Peaks later in time have wider widths
- Comparison
 - FWHM values are comparable to avg. values
 - Centroid distribution has ~ 5 ns decay, comparable to 3.6 ns avg. decay if resolution is considered
 - Continuum in amplitude distribution

Note: Bias Increasing

Note: Correlated data



The detector gain can be expressed as the MeVee constant as a function of bias and the avg. sensitivity is the product of the gain and the average light output value.

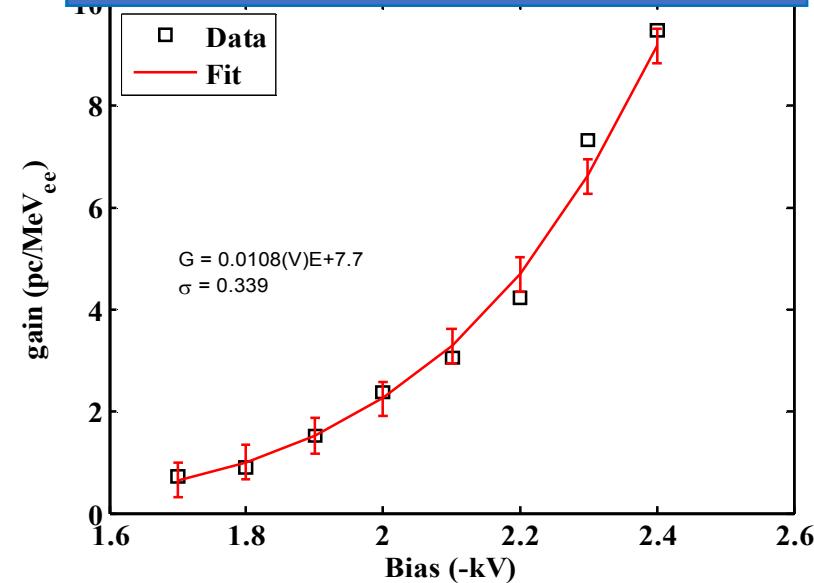
- Gain and sensitivity determined for both the Hamamatsu and the Photek

- Gain is MeVee constant as a function of detector bias
- Sensitivity proportional to gain and defined here as pC/interacting neutron
 - This definition of sensitivity is more useful for implementing into MCNP

- Sensitivity can be derived from this work in terms of pC/incident neutron

- Requires knowing count rate and discriminator/energy equivalence
- Values obtained here, with this correction, agree with previous experimental work at the Primary Standards Lab

Type equation here.Extracted gain curve for the Hamamatsu as a function of bias



Light output correlation used in Stanton code

$$Ly(MeVee) = -10.68(1 - \exp(-.007E^{0.89})) + .929E$$

Inferring average detector sensitivity

$$\bar{\epsilon} \left(\frac{pC}{\text{interacting neutron}} \right) = \text{Gain} * Ly(\bar{E})$$